## Rare and CP Correlated Charm Meson Decays

Results from CLEO-c
and
Opportunities for BES-III

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CLEO-c

## Rare Decays

Challenge to match physics goals against production rates and detection efficiencies. Two examples:

- Rare decay $\mathrm{D}^{0} \rightarrow \mathrm{~K}^{-} \Pi^{+} \Pi^{-} \mathrm{e}^{+} V_{\mathrm{e}}$

The "Last remaining semileptonic decay" according to Heavy Quark Effective Theory

See Phys Rev Lett 99(2007)I9180I

- Forbidden decays $\mathrm{D}^{+} \rightarrow \mathrm{h}^{ \pm} \mathrm{e}^{\mp} \mathrm{e}^{+}$

Physics beyond the Standard Model
See Phys Rev Lett 95(2005)22I802

## $D^{0} \rightarrow K^{-} \Pi^{+} \Pi^{-} e^{+} V_{e}$

Heavy Quark Effective Theory (HQET) predicts that $\mathrm{D}^{0} \rightarrow \mathrm{~K}_{\mathrm{I}}(\mathrm{I} 270) \mathrm{eV}$ e dominates decays to "excited" mesons

Clear signal, low background, but not very many events.

$\mathcal{B}\left(D^{0} \rightarrow K^{-} \pi^{+} \pi^{-} e^{+} \nu_{e}\right)=$
$\left[2.8_{-1.1}^{+1.4}(\right.$ stat $) \pm 0.3($ syst $\left.)\right] \times 10^{-4}$

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## $\mathrm{D}^{+} \rightarrow \mathrm{h}^{ \pm} \mathrm{e}^{\mp} \mathrm{e}^{+}$

Well-known windows "beyond the Standard Model" from Flavor Changing Neutral Currents \& Lepton Number Violation


## CP Correlations

Exploit unique properties of production mechanism

$$
e^{+} e^{-} \rightarrow \psi(3770) \rightarrow\left(D^{0} \bar{D}^{0}\right)_{\ell=1}
$$

Examples:

- Observation of CP Correlations
- Dalitz Plot structure of $\mathrm{D}^{0} \rightarrow K s \pi^{+} \Pi^{-}$

Application to $C P$ violation in $B \rightarrow D K$

- Charm mixing and CP violation

Analyses in progress at CLEO-c
Opportunities for BES III

## The Essential Point

Interference of amplitudes comes "for free" when we integrate decay rate over all times.
$\psi(3770)$ has $C P=+l$, and then so does $\left(D^{0} \bar{D}^{0}\right)_{\ell=1}$
$\Rightarrow$ Must have $C P\left(\bar{D}^{0}\right)=-C P\left(D^{0}\right)$
(assuming there is no CP violation)
Also: Flavor must be anti-correlated, but "wrong sign" flavor can enter through double Cabibbo suppression and charm mixing.

## Observation of CP Correlations


"Wrong" CP consistent with zero, but...
...it "doubles up" when it should!

Flavor appears unaffected, and is in fact small.

Yield / Prediction with no CP Correlation

## Exploit with "tag side" D"

## Example: CP odd



## Exploit with "tag side" D"

## Example: CP odd



Example: CP even


## Exploit with "tag side" D"

## Example: CP odd



Example: CP even


Example: Flavor


## Exploit with "tag side" D"

Example: CP odd


Example: CP even


Example: Flavor


Also semileptonic tags for "pure" flavor, as well as many other decay CP eigenstates

## Dalitz Plot structure of $\mathrm{D}^{0} \rightarrow \mathrm{~K}_{\mathrm{s}} \Pi^{+} \pi^{-}$

Interesting mode: Flavor and CP content depends on the position of the decay in phase space.

$$
\text { e.g. }\left(K^{*}\right)^{-} \Pi^{+} \text {is "charm" but } K s \rho \text { is " } C P=-I \text { " }
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Useful "application": Determine $\gamma / \varphi_{3}$ from $B \rightarrow D K$


## Example \#I: Model Dependent Approach

 $e^{+} e^{-} \rightarrow\left(K_{\mathrm{S}} \pi^{+} \pi^{-}\right)\left(K_{\mathrm{S}} \pi^{+} \pi^{-}\right) \begin{aligned} & \text { Two "large" } \\ & \text { branching ratios }\end{aligned}$

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Fit to the "double Dalitz" plot with correlations.

$\mathrm{M}^{2}\left(\mathrm{Ks}^{+}{ }^{+}\right)$

$M^{2}\left(\Pi^{+} \pi^{-}\right)$

Analysis in progress.

## Example \#2: Model Independent Approach

 See E.White, Q. He, et al, arXiv:07I I. 2285 (Charm 2007)

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Symmetric binning by phase.

| Tag Mode | $K_{S} \pi^{+} \pi^{-}$ | $K_{L} \pi^{+} \pi^{-}$ |
| :--- | :---: | :---: |
| $K^{+} K^{-}$ | 61 | 194 |
| $\pi^{+} \pi^{-}$ | 33 | 90 |
| $K_{S} \pi^{0}$ | 108 | 263 |
| $K_{S} \eta$ | 29 | 21 |
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Events for $398 \mathrm{pb}^{-1}$

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## Charm Mixing and CP violation

$$
\begin{aligned}
& x=\frac{\Delta M}{\Gamma} \quad y=\frac{\Delta \Gamma}{2 \Gamma} \quad \begin{array}{l}
\text { Standard mixing } \\
\text { parameters }
\end{array} \\
& \frac{\left\langle K^{-} \pi^{+} \mid \bar{D}^{0}\right\rangle}{\left\langle K^{-} \pi^{+} \mid D^{0}\right\rangle}=-r e^{-i \delta} \quad \begin{array}{l}
\text { "Strong phase" } \\
\begin{array}{l}
\text { First measurement } \\
\text { from CLEO-c }
\end{array} \\
x^{\prime=}=x \cos \delta+y \sin \delta \\
y^{\prime=}=-x \sin \delta+y \cos \delta
\end{array}
\end{aligned}
$$

## Formalism

See:Asner \& Sun, Phys.Rev. D73(2006)034024 (Recently updated on arXiv as hep/ph:0507238v3)

$$
\begin{aligned}
\Gamma^{C-}(j, k) & =Q_{M}\left|A^{(-)}(j, k)\right|^{2}+R_{M}\left|B^{(-)}(j, k)\right|^{2} \\
\Gamma^{C+}(j, k) & =Q_{M}^{\prime}\left|A^{(+)}(j, k)\right|^{2}+R_{M}^{\prime}\left|B^{(+)}(j, k)\right|^{2}+C^{(+)}(j, k) \\
A^{( \pm)}(j, k) & \equiv\left\langle j \mid D^{0}\right\rangle\left\langle k \mid \bar{D}^{0}\right\rangle \pm\left\langle j \mid \bar{D}^{0}\right\rangle\left\langle k \mid D^{0}\right\rangle \\
B^{( \pm)}(j, k) & \equiv \frac{p}{q}\left\langle j \mid D^{0}\right\rangle\left\langle k \mid D^{0}\right\rangle \pm \frac{q}{p}\left\langle j \mid \bar{D}^{0}\right\rangle\left\langle k \mid \bar{D}^{0}\right\rangle \\
C^{(+)}(j, k) & \equiv 2 \Re\left\{A^{(+) *}(j, k) B^{(+)}(j, k)\left[\frac{y}{\left(1-y^{2}\right)^{2}}+\frac{i x}{\left(1+x^{2}\right)^{2}}\right]\right\}
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& C^{(+)}(j, k) \equiv 2\left\{\left\{A^{(+) *}(j, k) B^{(+)}(j, k)\left[\frac{y}{\left(1-y^{2}\right)^{2}}+\frac{i x}{\left(1+x^{2}\right)^{2}}\right]\right\}\right. \\
& \text { CPViolation }
\end{aligned}
$$

## Preliminary Results

## See W. Sun, Charm 2007




# Preliminary Results 

## See W. Sun, Charm 2007




\section*{Quantity Standard Fit Extended Fit | $N\left(10^{6}\right)$ | $1.046 \pm 0.019 \pm 0.013$ | $1.044 \pm 0.019 \pm 0.012$ |
| :--- | :--- | :--- |
|  | $1.03 \pm 0.19 \pm 0.08$ | $0.93 \pm 0.32 \pm 0.0$ | $\cos \delta \quad 1.03 \pm 0.19 \pm 0.08$ $0.93 \pm 0.32 \pm 0.04$}

## Conclusions and Outlook

Many more results are yet to come from CLEO-c. Stay tuned.

The opportunities for BES-III are tremendous. Unique windows on charm mixing and possible physics beyond the Standard Model.

Thank you!

