

# Jets in the Little Bang

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6<sup>th</sup> Workshop of the France China Particle Physics Lab.

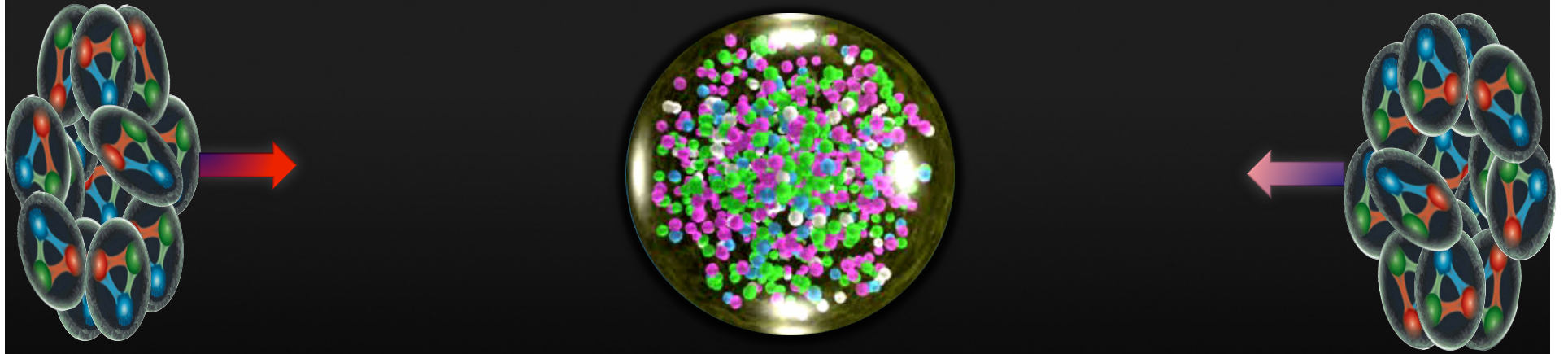
Nanjing, China ● March 27 – 30 , 2013

# Outline

- Introduction
- Jet observables in HIC
  - 1) inclusive jet cross section
  - 2) di-jet production
  - 3) productions of tagged jets
- Summary

# Jet quenching: From hadrons to jets

# QGP and the Little Bang



QGP

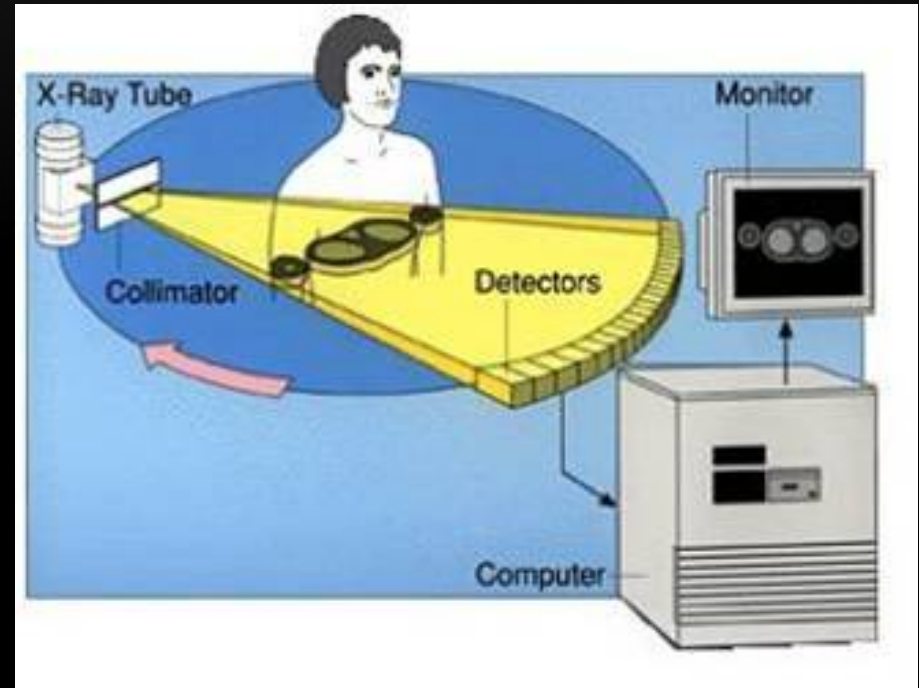
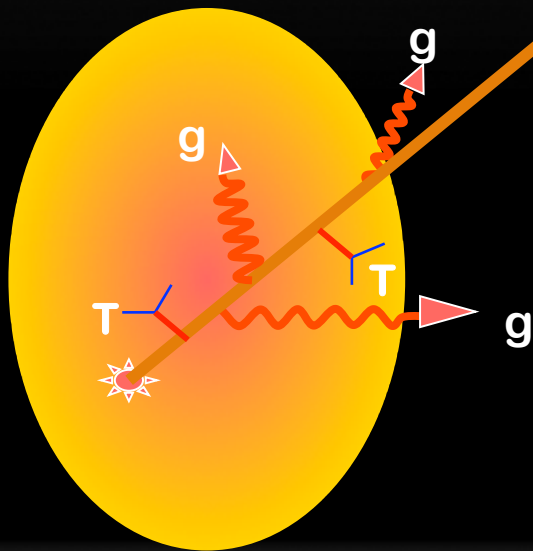
**RHIC:**  
**PHENIX**  
**STAR**

**LHC:**  
**ALICE**  
**ATLAS**  
**CMS**

# Jet quenching as a hard probe

Jet quenching has been proposed as an excellent probe of the hot/dense matter created at HIC.

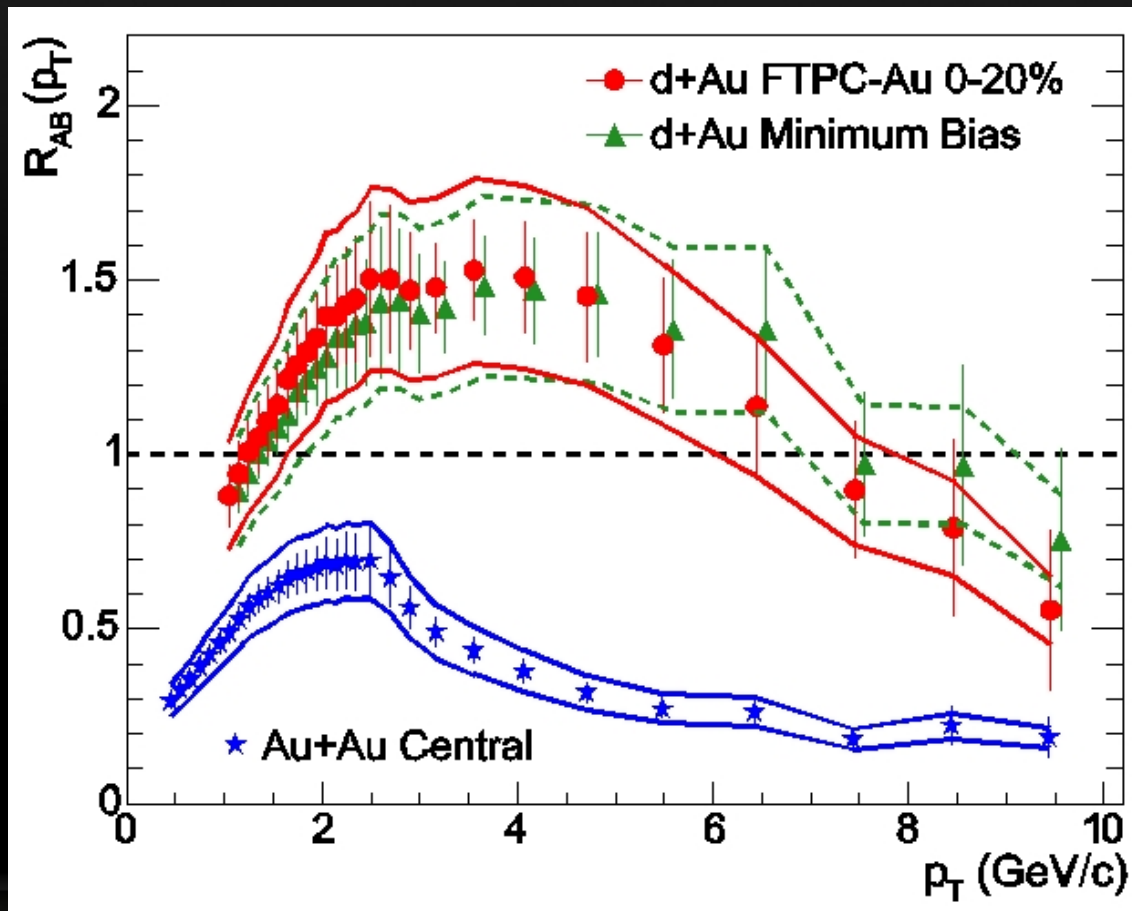
## Single Hadron Tomography



Xin-Nian Wang, M. Gyulassy, PRL68(1992)1480

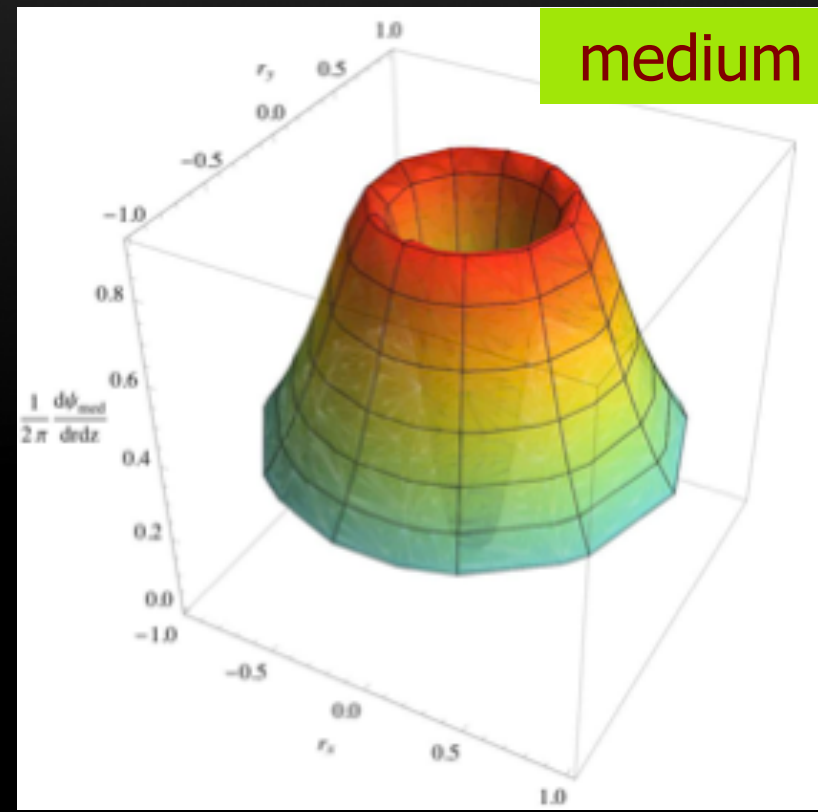
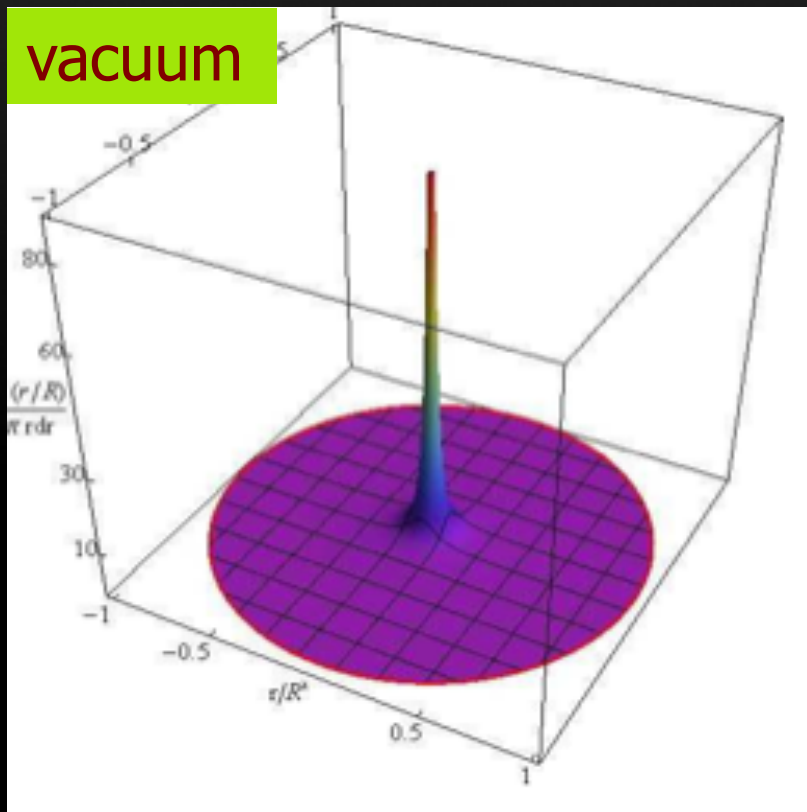
# Jet quenching at RHIC: leading hadrons

$$R_{AA} = \frac{\text{Yield}_{\text{AuAu}} / \langle N_{\text{binary}} \rangle_{\text{AuAu}}}{\text{Yield}_{\text{pp}}}$$



# From leading hadrons to jets: Th

## Jet shape

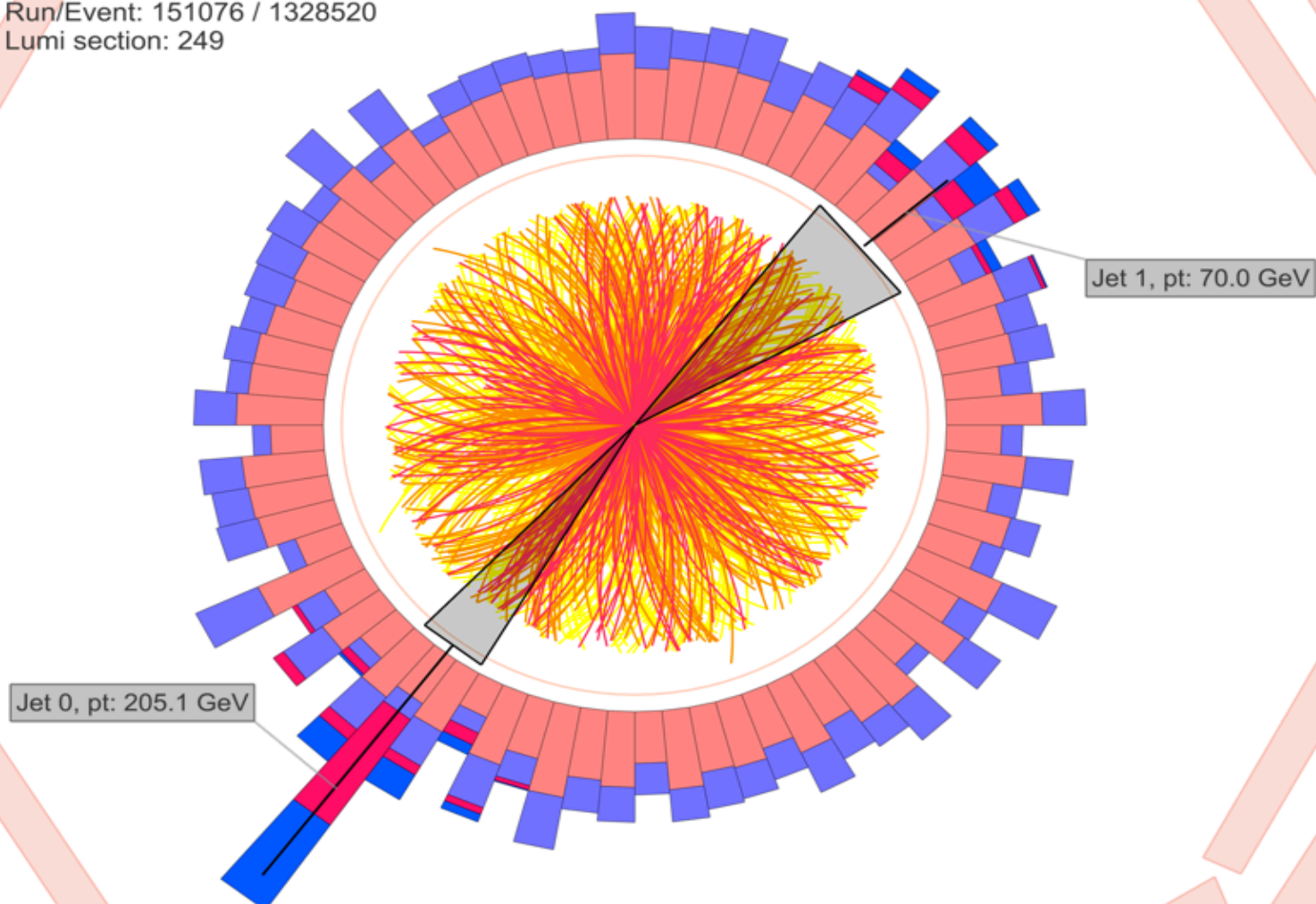


I Vitev, S Wicks, BWZ, JHEP 0811,093 (2008)

# From leading hadrons to jets: Exp



CMS Experiment at LHC, CERN  
Data recorded: Sun Nov 14 19:31:39 2010 CEST  
Run/Event: 151076 / 1328520  
Lumi section: 249

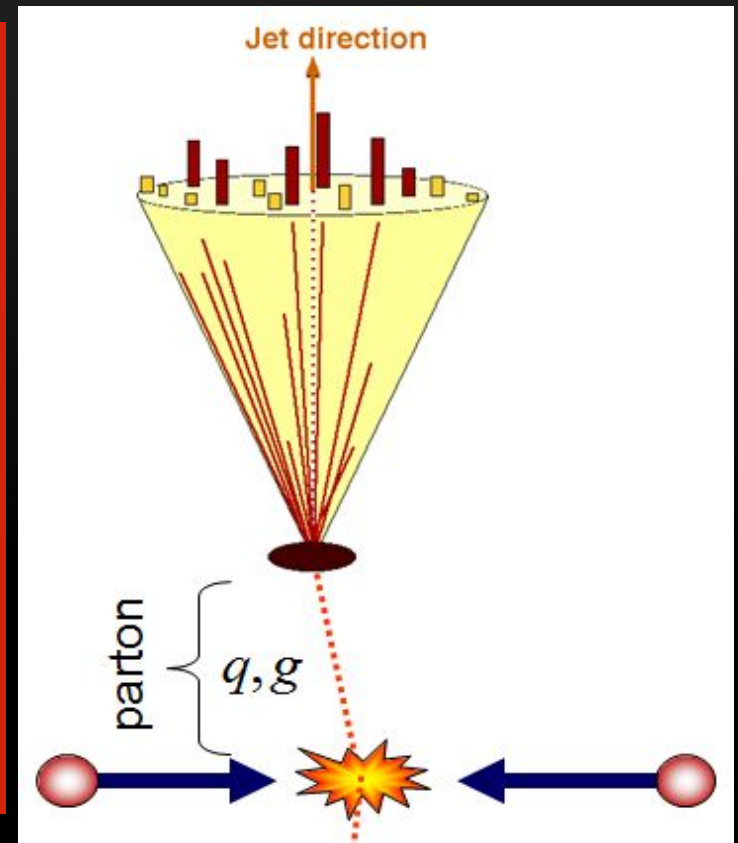


A Dijet event by CMS on Nov. 14, 2010.



# What is a jet?

- A jet is a spray of final-state particles roughly moving in the same direction and defined by jet finding algorithms.
- In pQCD local-parton-hadron duality (LPHD) is used
- Jet: more precise and powerful



$$E_T = \sum_{i \in \text{jet}} E_{T,i}$$

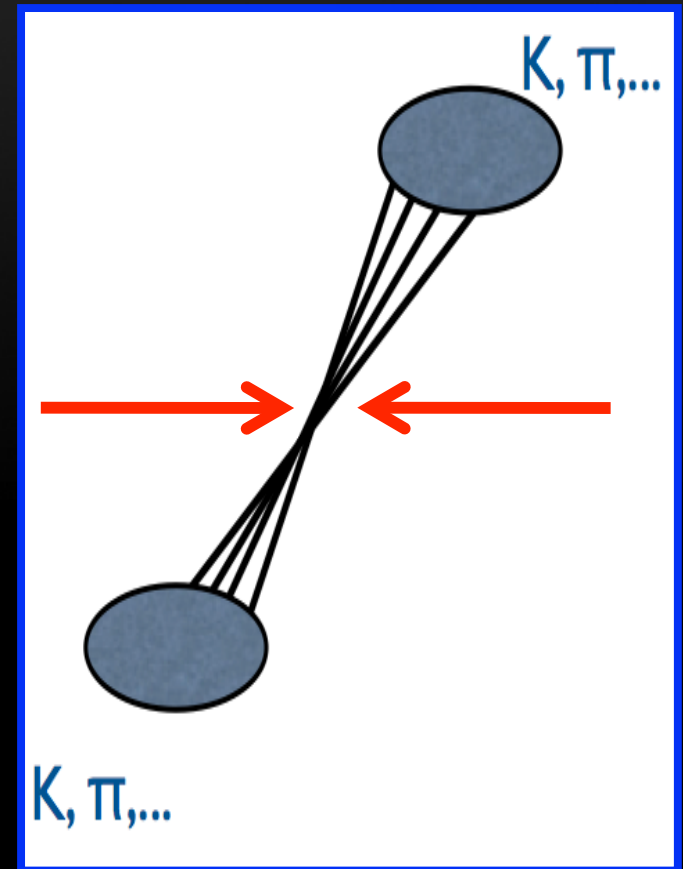
$$y = \sum_{i \in \text{jet}} y_i E_{T,i} / E_T$$

$$\phi = \sum_{i \in \text{jet}} \phi_i E_{T,i} / E_T$$

$$R_{ij} = \sqrt{(y_i - y_j)^2 + (\phi_i - \phi_j)^2}$$

# Briefing: jets at HEP

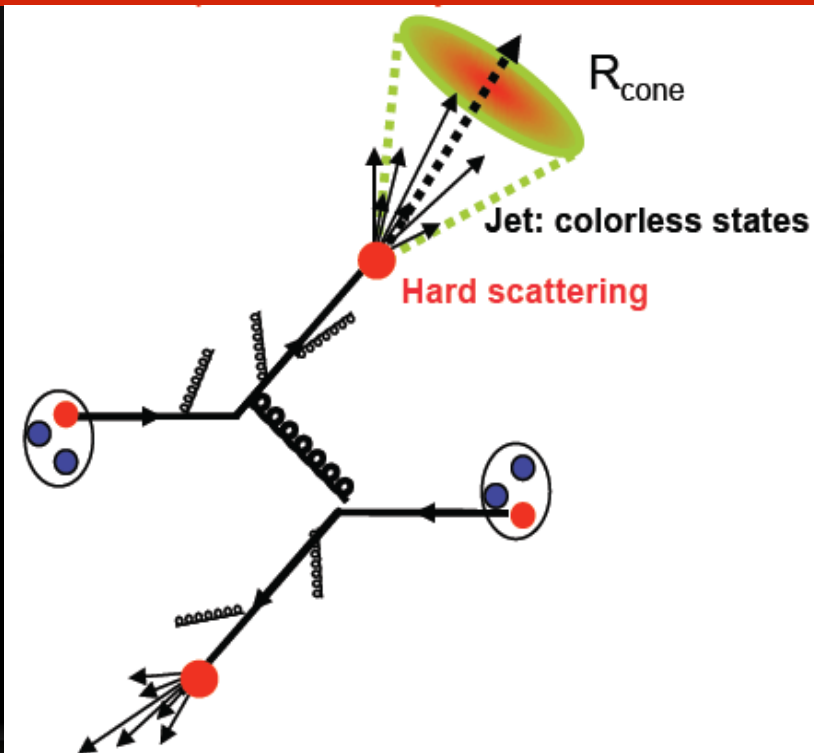
- Stermann & Weinberg ('77) defined a two-jet event and made an analytic calculation.
- Feynman, Field, Fox ('77) made a numerical calculation of the inclusive jet prod.
- Discovery of three-jet events in  $e^+e^-$  gave a first evidence of gluons.
- Precise extraction of  $\alpha_s$  is made by measuring jet event shapes.
- New physics beyond Standard Model by studying jets.



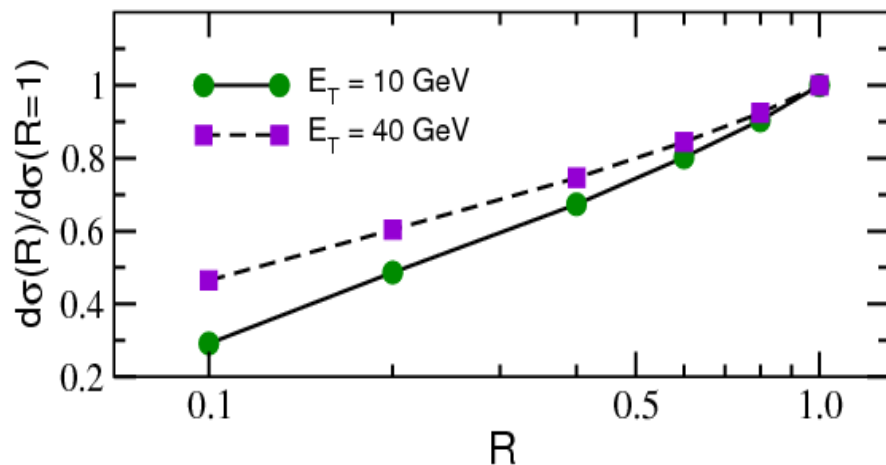
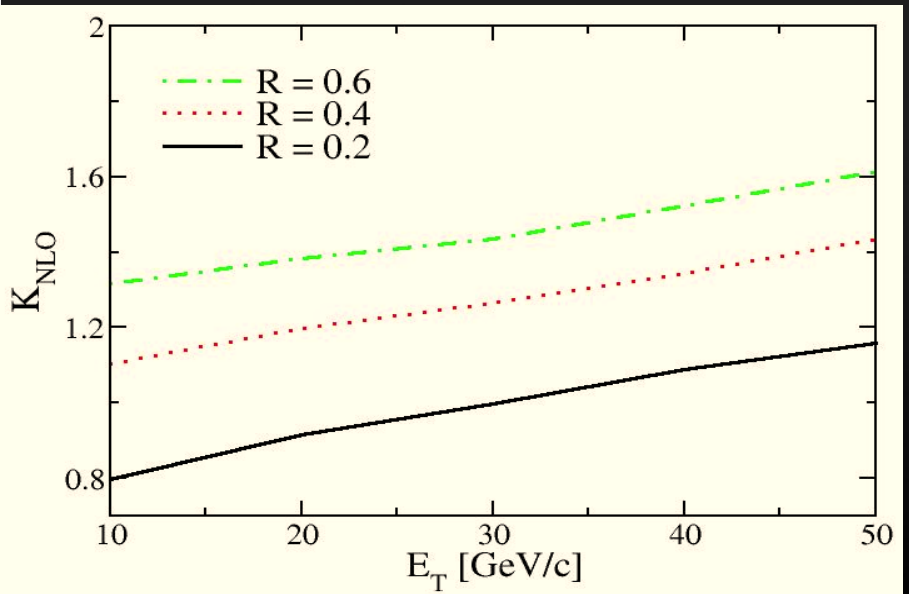
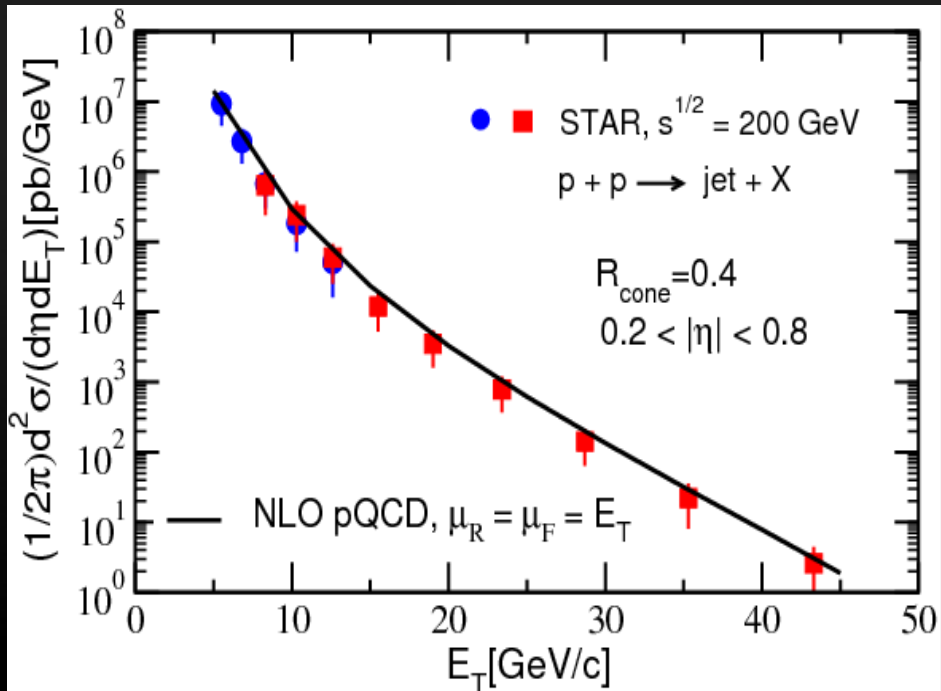
# Jets in HIC

- 1) inclusive jet spectrum
- 2) dijet asymmetry
- 3)  $Z^0$  and photon tagged jets productions

# Inclusive jet cross section in HIC at NLO

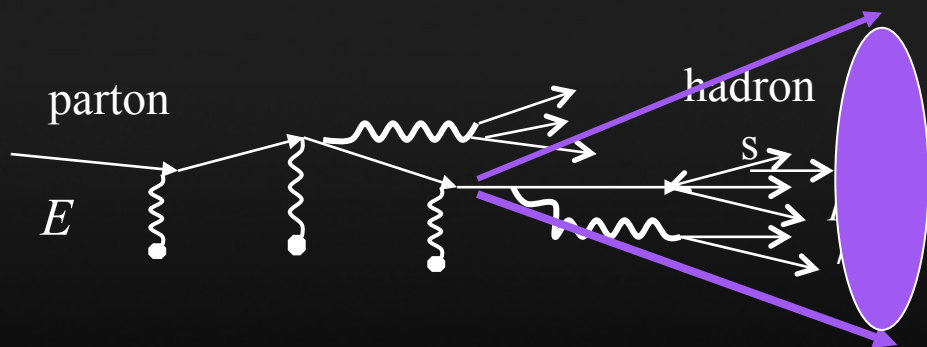


# Inclusive jet in p+p at NLO

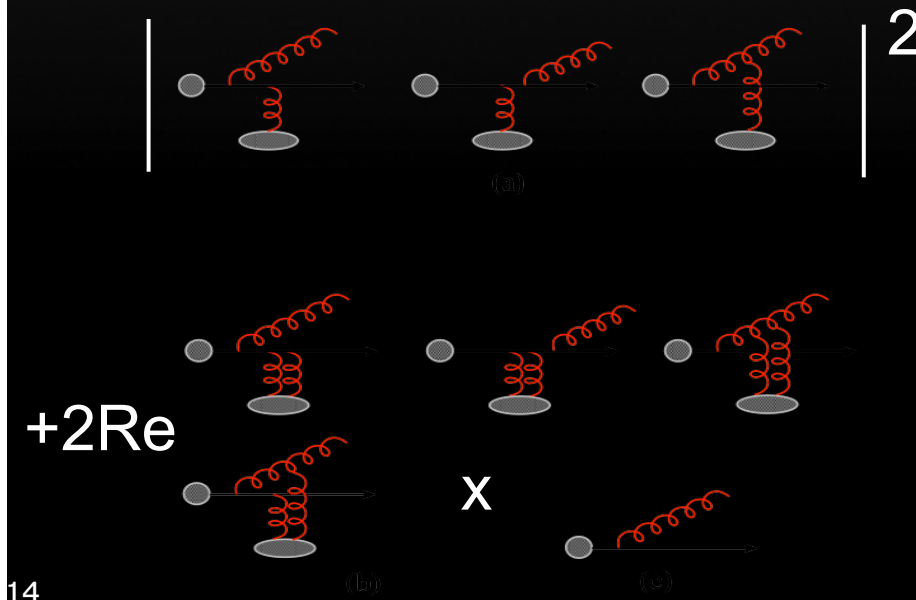
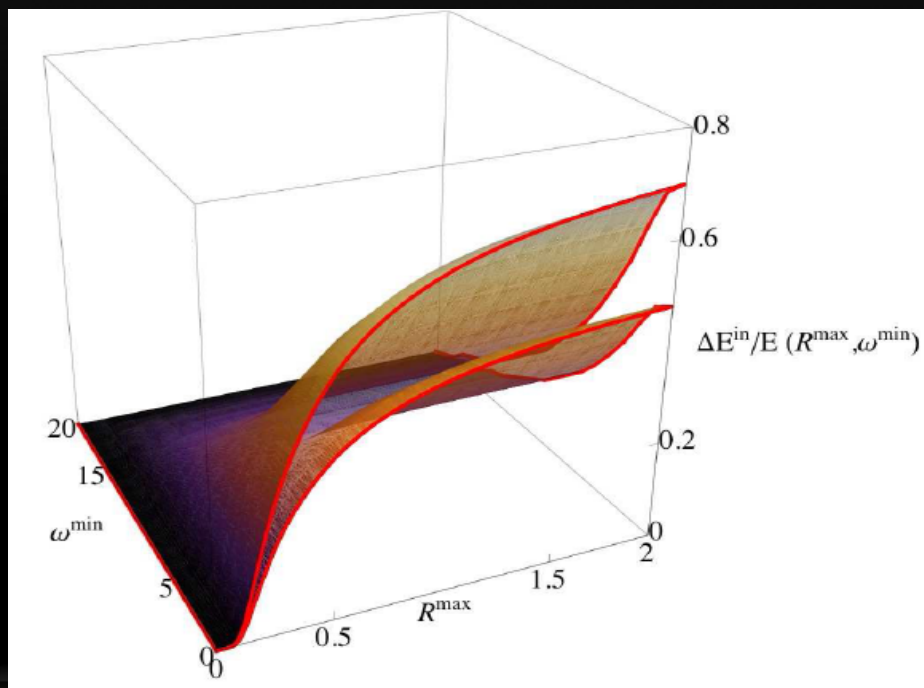


- Very good agreement between data and theory is achieved;
- $K_{\text{NLO}} = \text{NLO}/\text{LO}$  can be smaller than 1 at small cone radius.

# Jets in medium



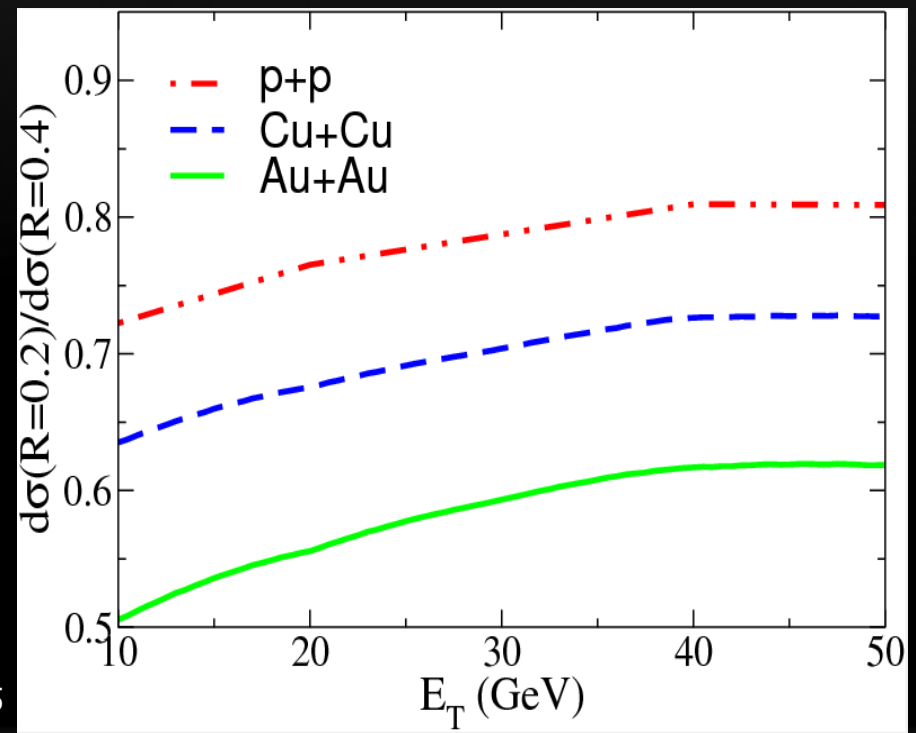
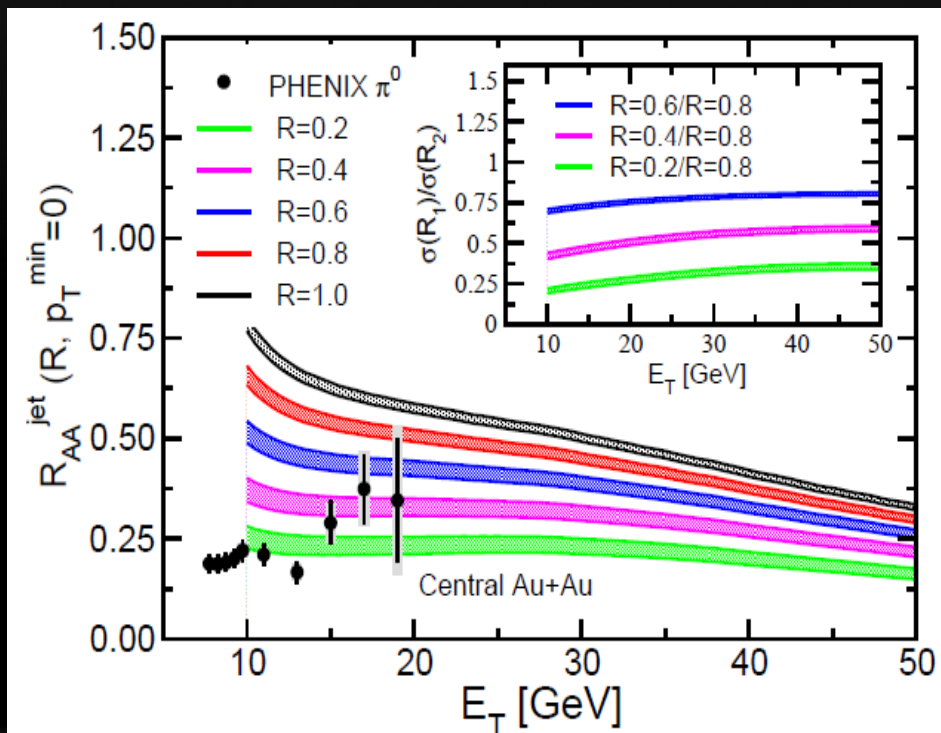
Gyulassy-Levai-Vitev



I Vitev, S Wicks, BWZ, JHEP 0811,093 (2008)

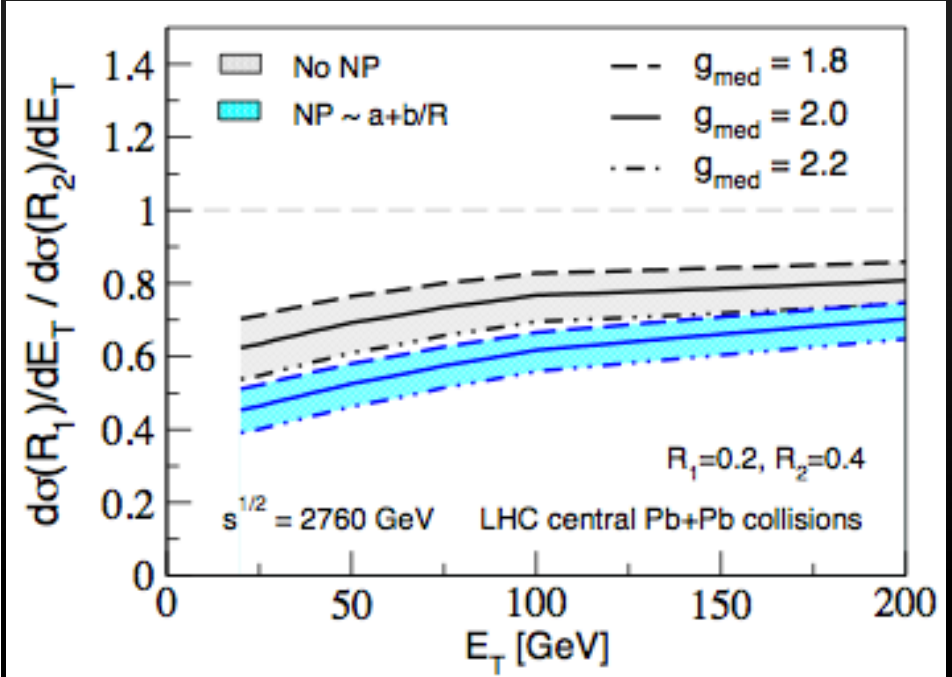
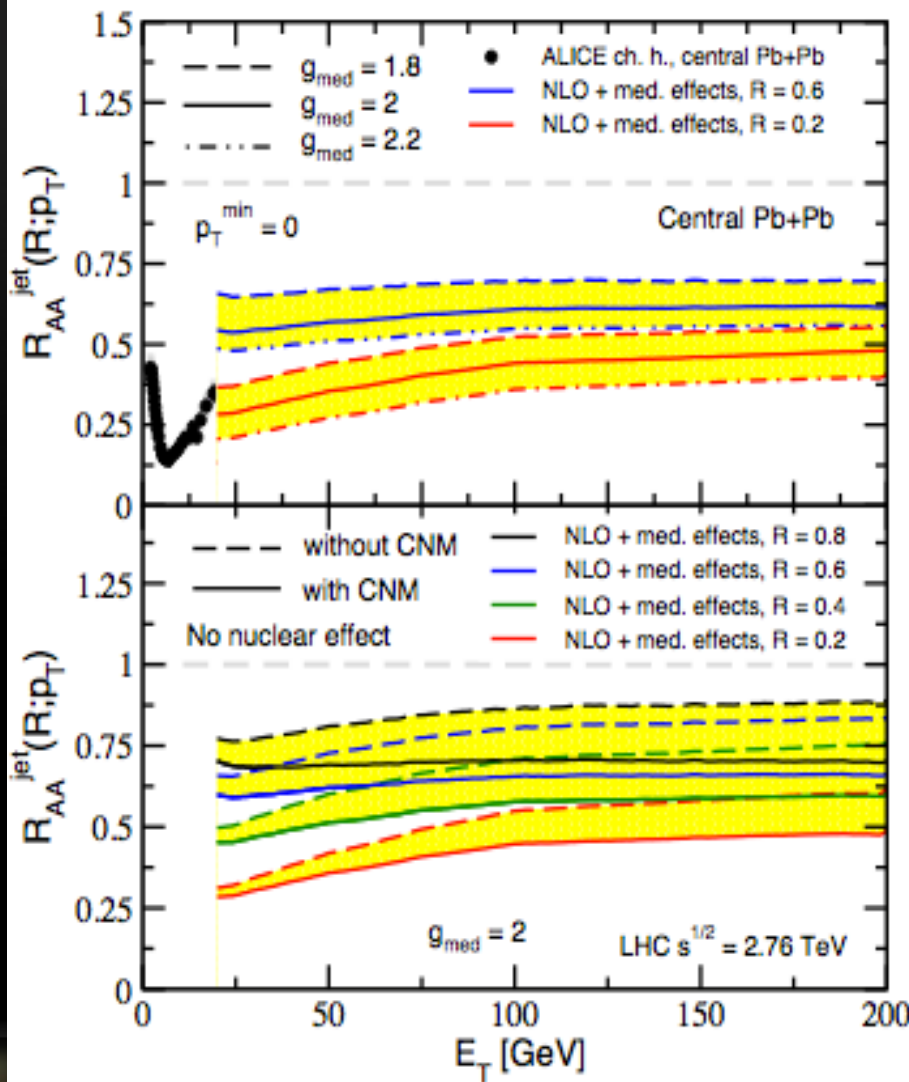
# Inclusive jets in A+A at RHIC

$$\frac{1}{\langle N_{\text{bin}} \rangle} \frac{d\sigma^{AA}(R)}{d^2 E_T dy} = \int_{\epsilon=0}^1 d\epsilon \sum_{q,g} P_{q,g}(\epsilon, E) \frac{1}{(1 - (1 - f_{q,g}) \cdot \epsilon)^2} \frac{d\sigma_{q,g}^{\text{CNM,NLO}}(R)}{d^2 E'_T dy}$$



I Vitev, BWZ, PRL 104,132001 (2010).

# Inclusive jets in Pb+Pb at LHC



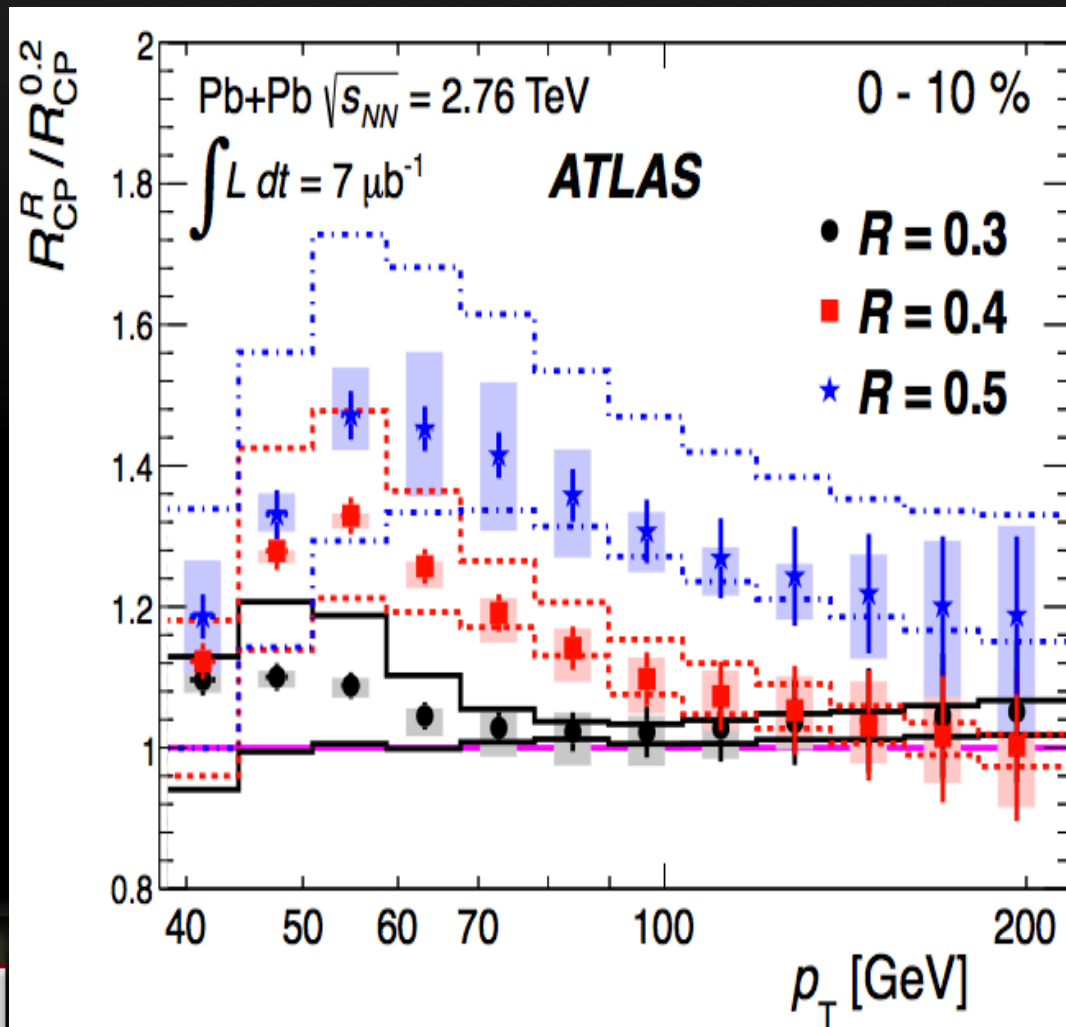
Y He, Vitev, BWZ, PLB (2012)

arXiv: 1105.2566



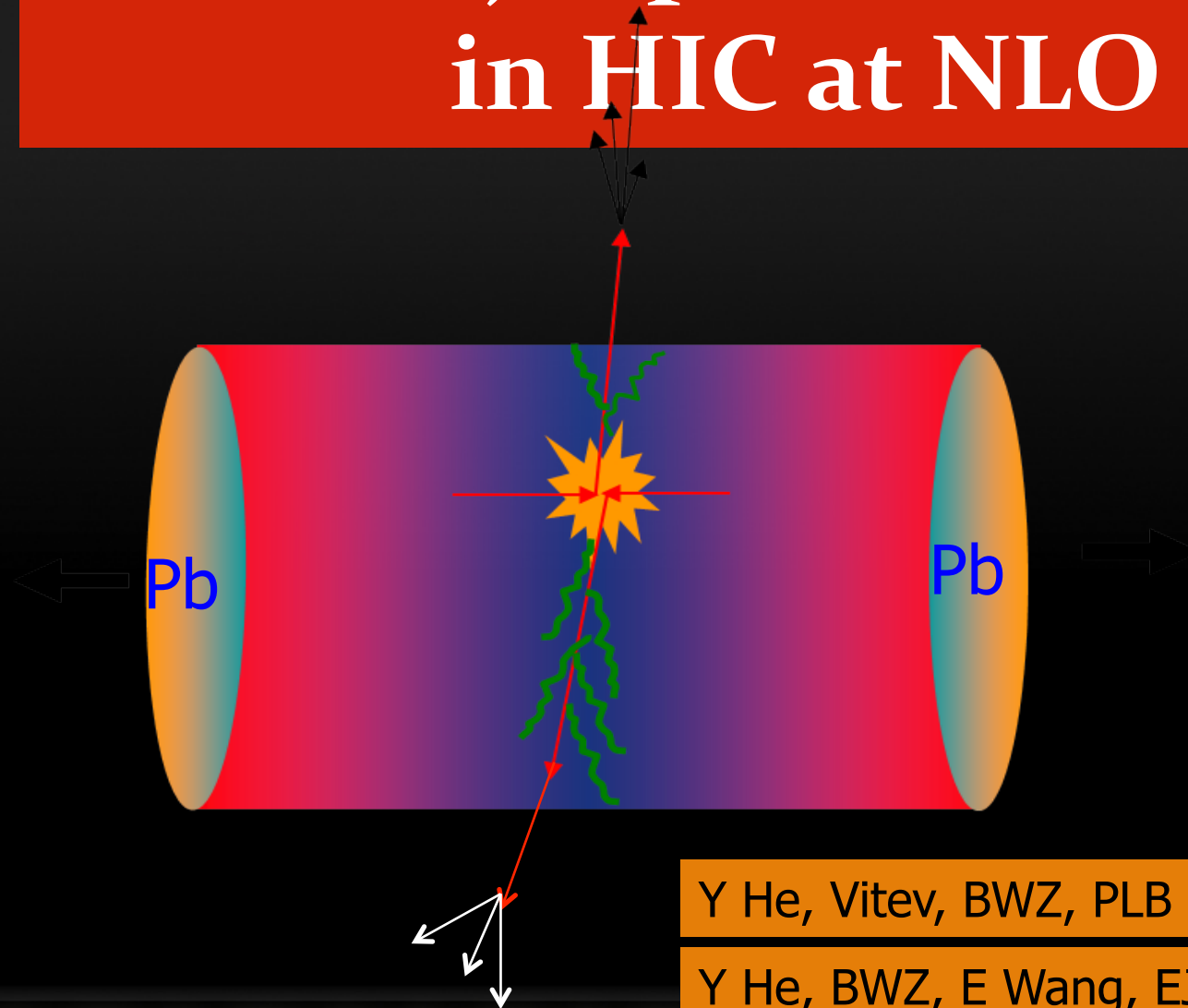
# Inclusive jet in Pb+Pb: Exp.

- The jet radius dependence of  $R_{AA}$  on inclusive jets has been confirmed by ATLAS measurements most recently.



ATLAS,  
arXiv: 1208.1967

# Dijet production in HIC at NLO



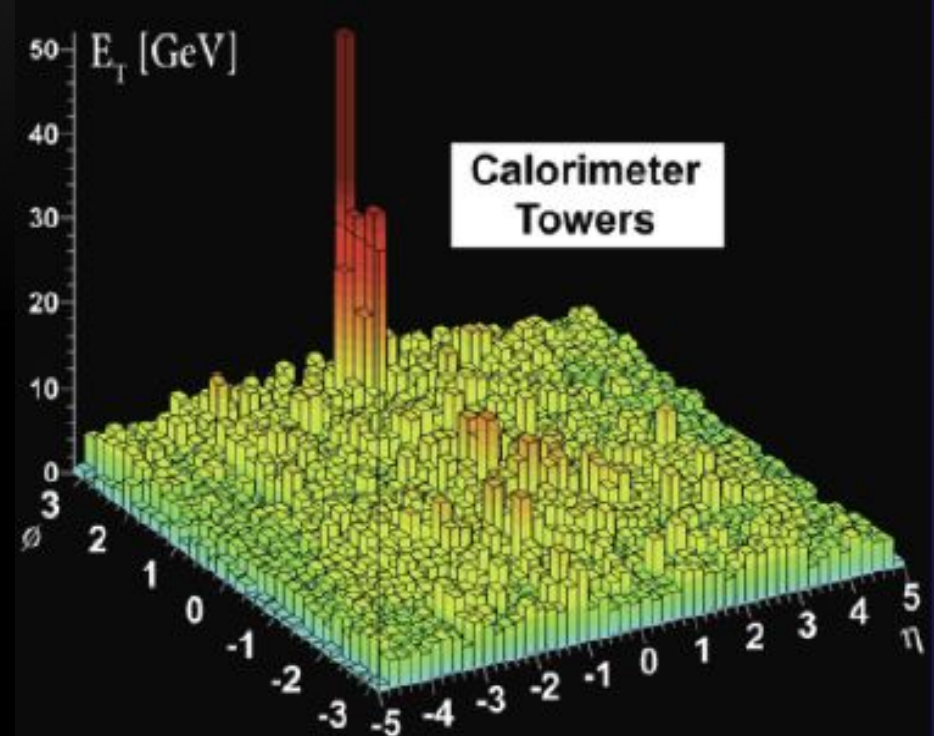
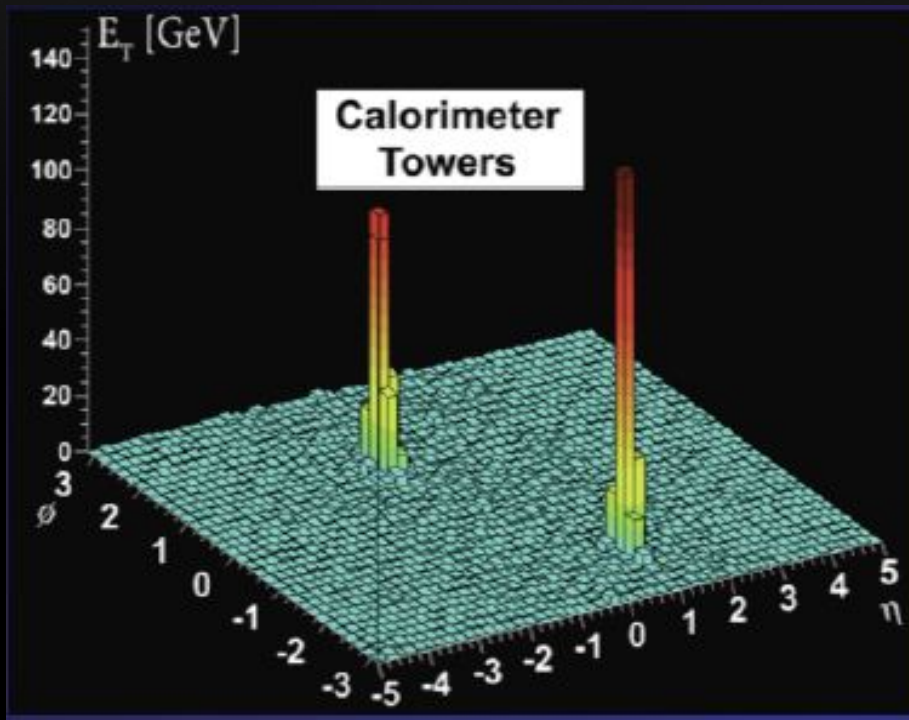
Y He, Vitev, BWZ, PLB (2012)

Y He, BWZ, E Wang, EJPC (2012)

Y He, Neufeld, Vitev, BWZ, in preparation

# Measuring Dijets in Pb+Pb

- Jet quenching at LHC has been observed for the first time in dijet productions at Pb+Pb by ATLAS and CMS.



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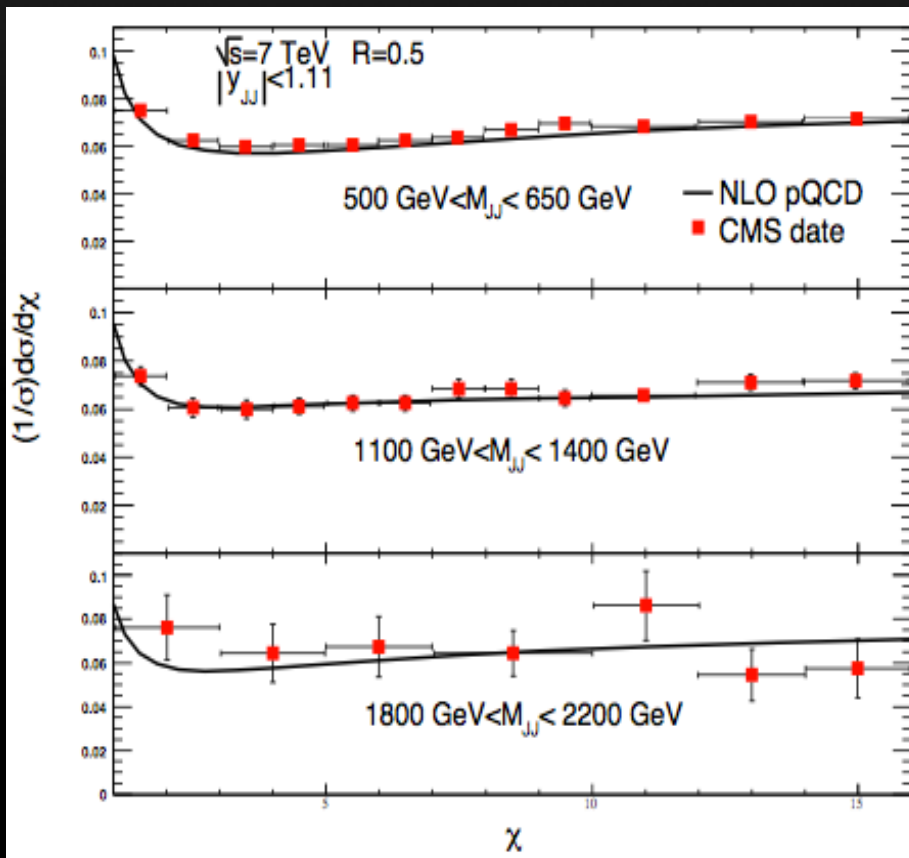
ATLAS, arXiv:1011.6182, PRL (2011);

CMS, arXiv: 1102.1957, PRC(2012)

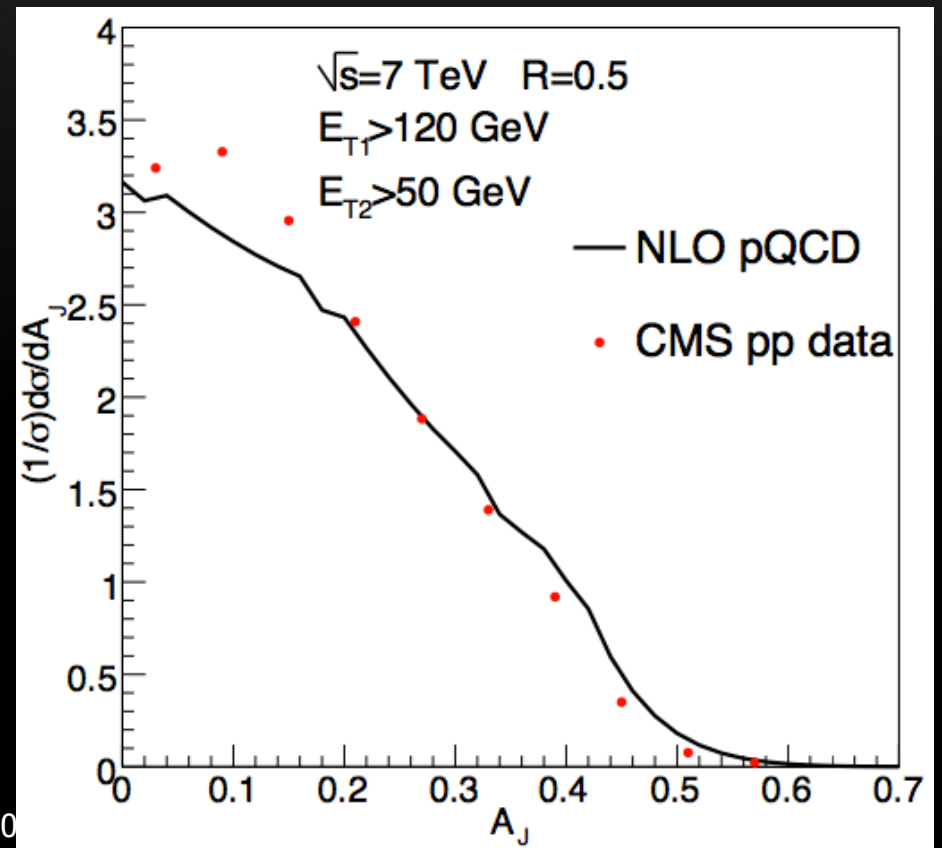
# Dijet in p+p at NLO

$$\chi = \frac{1 + \cos \theta^*}{1 - \cos \theta^*}$$

$$A_J = \frac{E_{T1} - E_{T2}}{E_{T1} + E_{T2}}$$



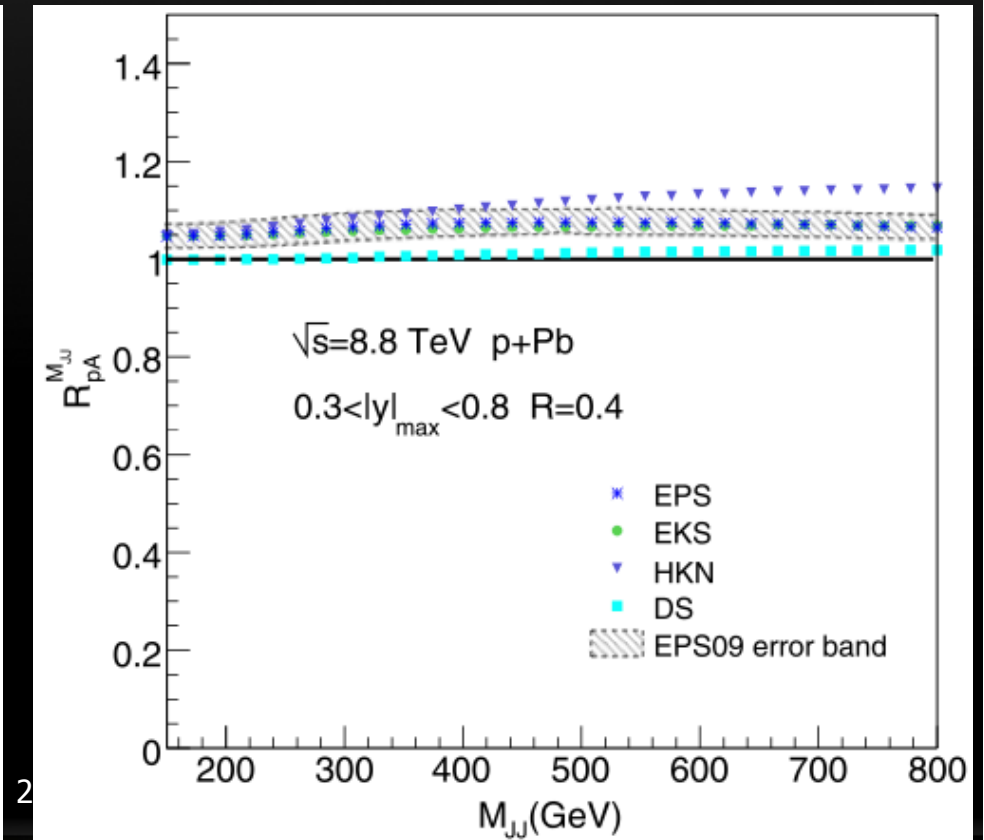
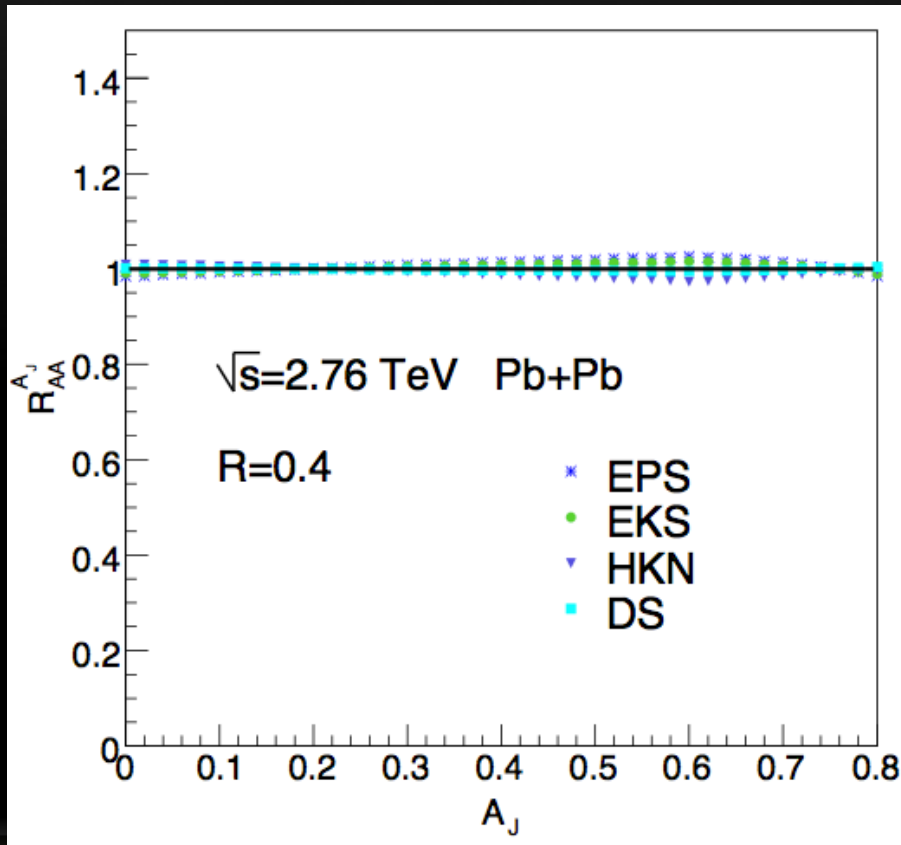
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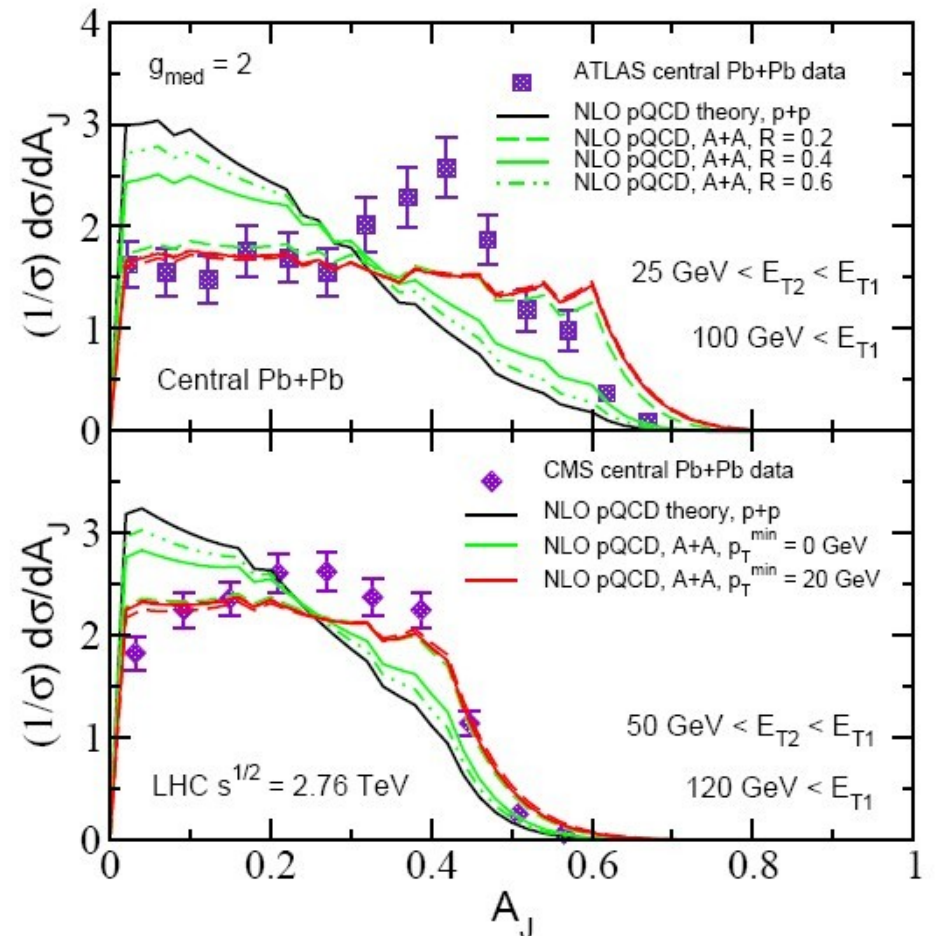
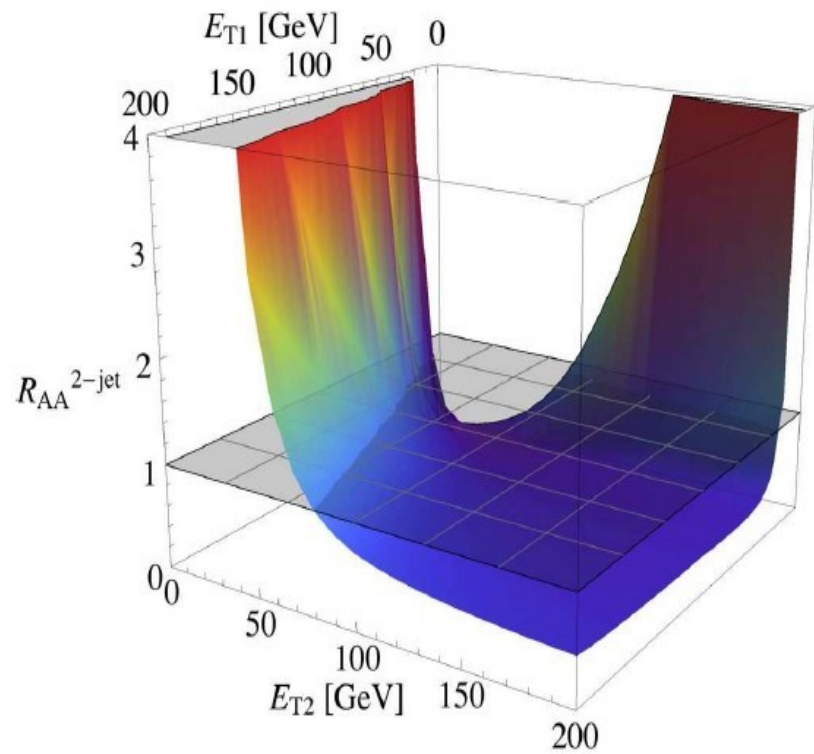
# Dijet in HIC: CNM

$$A_J = \frac{E_{T1} - E_{T2}}{E_{T1} + E_{T2}}$$

$$M_{jj}^2 = 2p_T^2 [1 + \cosh(y_1 - y_2)]$$



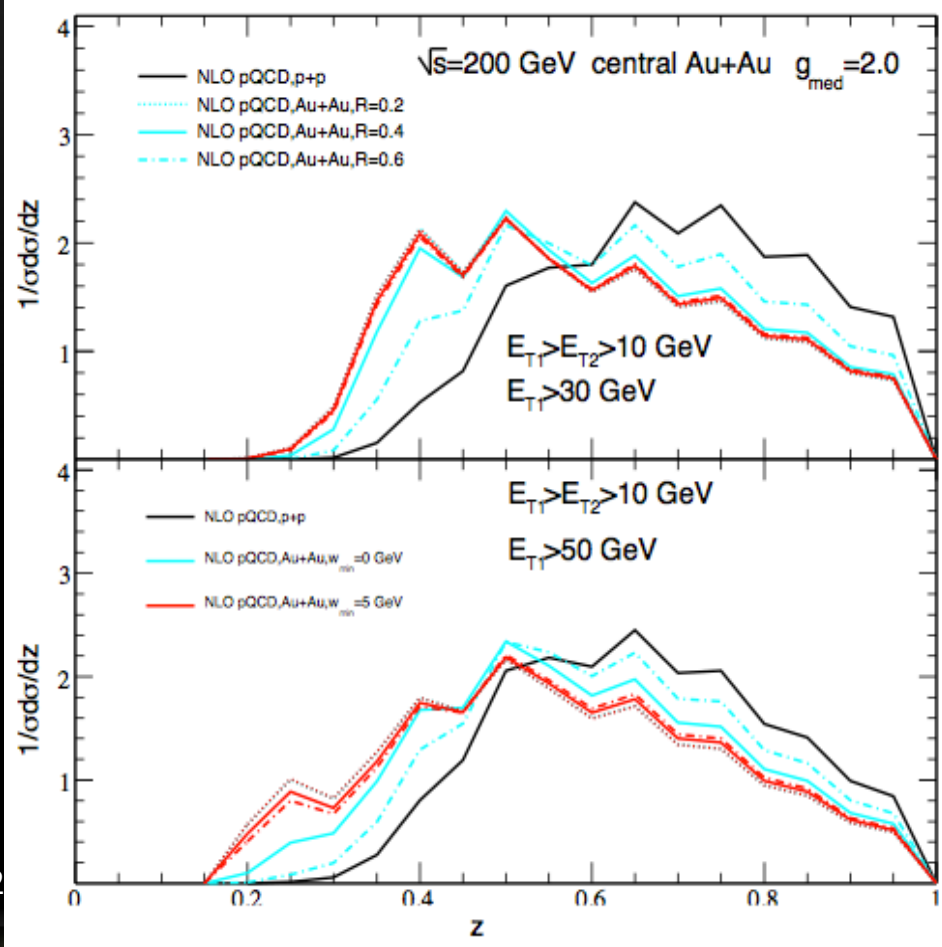
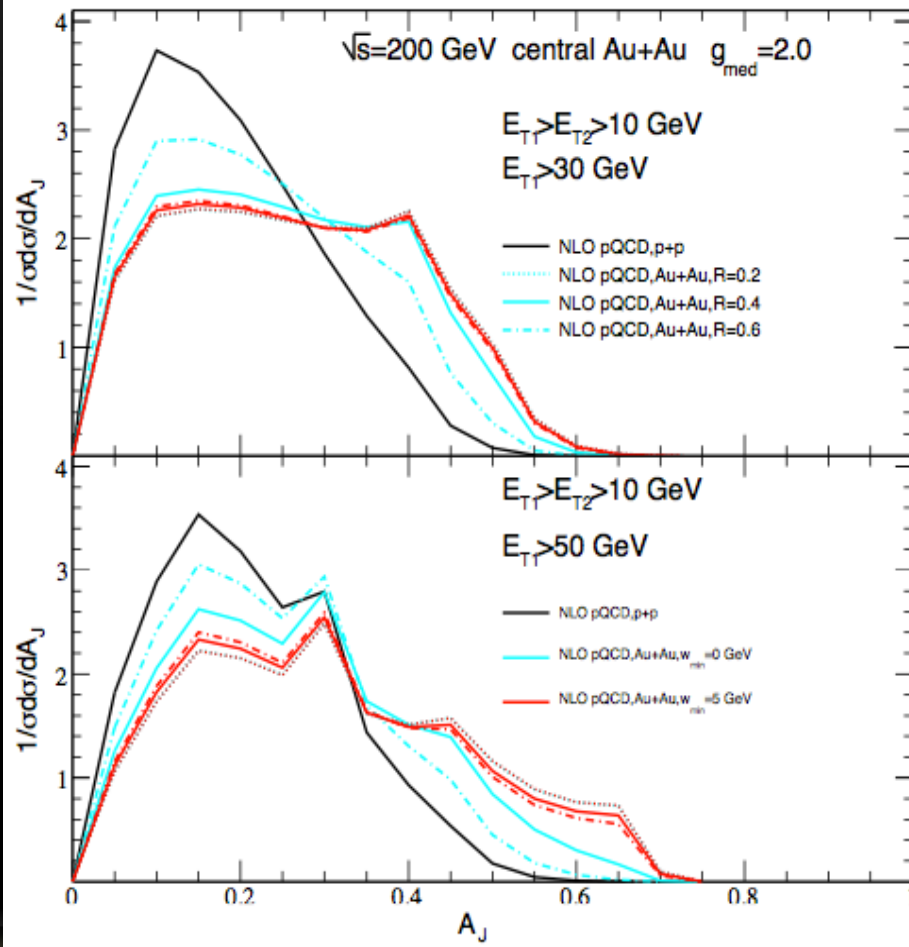
# Dijet in Pb+Pb at LHC



# Dijet in Au+Au at RHIC

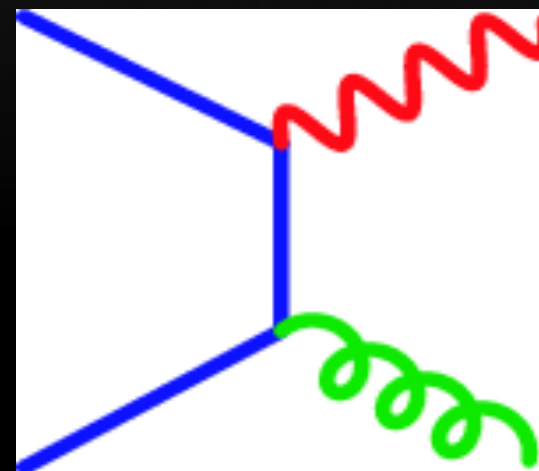
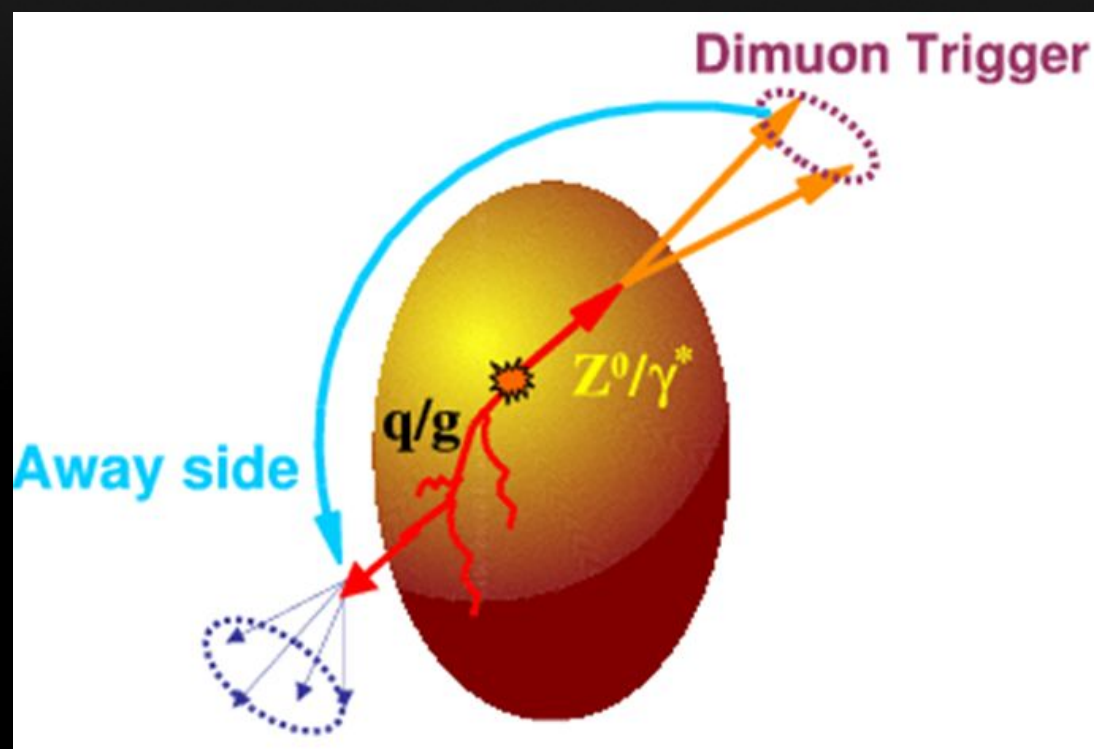
$$z = \frac{E_{T2}}{E_{T1}}$$

$$\frac{d\sigma}{dz} = \int_{E_{T2 \min}}^{E_{T1}} dE_{T2} \frac{E_{T2}}{z^2} \times \frac{d\sigma[E_{T1}(A_J, E_{T2})]}{dE_{T1}dE_{T2}}$$



Y He, Neufeld, Vitev, BWZ, in preparation

# Tagged jet production in HIC



Neufeld, Vitev, BWZ, PRC (2011).

W Dai, Vitev, BWZ, PRL (2013); arXiv:1207.5177.



# Tagged jet production in HIC

photon + jet

- Advantage: large yield
- Disadvantage: final-state effects

Dai, Vitev, BWZ, PRL (2013)



$Z^0$  + jet

- Disadvantage: small cross section
- Advantage: no final-state effects

Neufeld, Vitev, BWZ, PRC (2011)

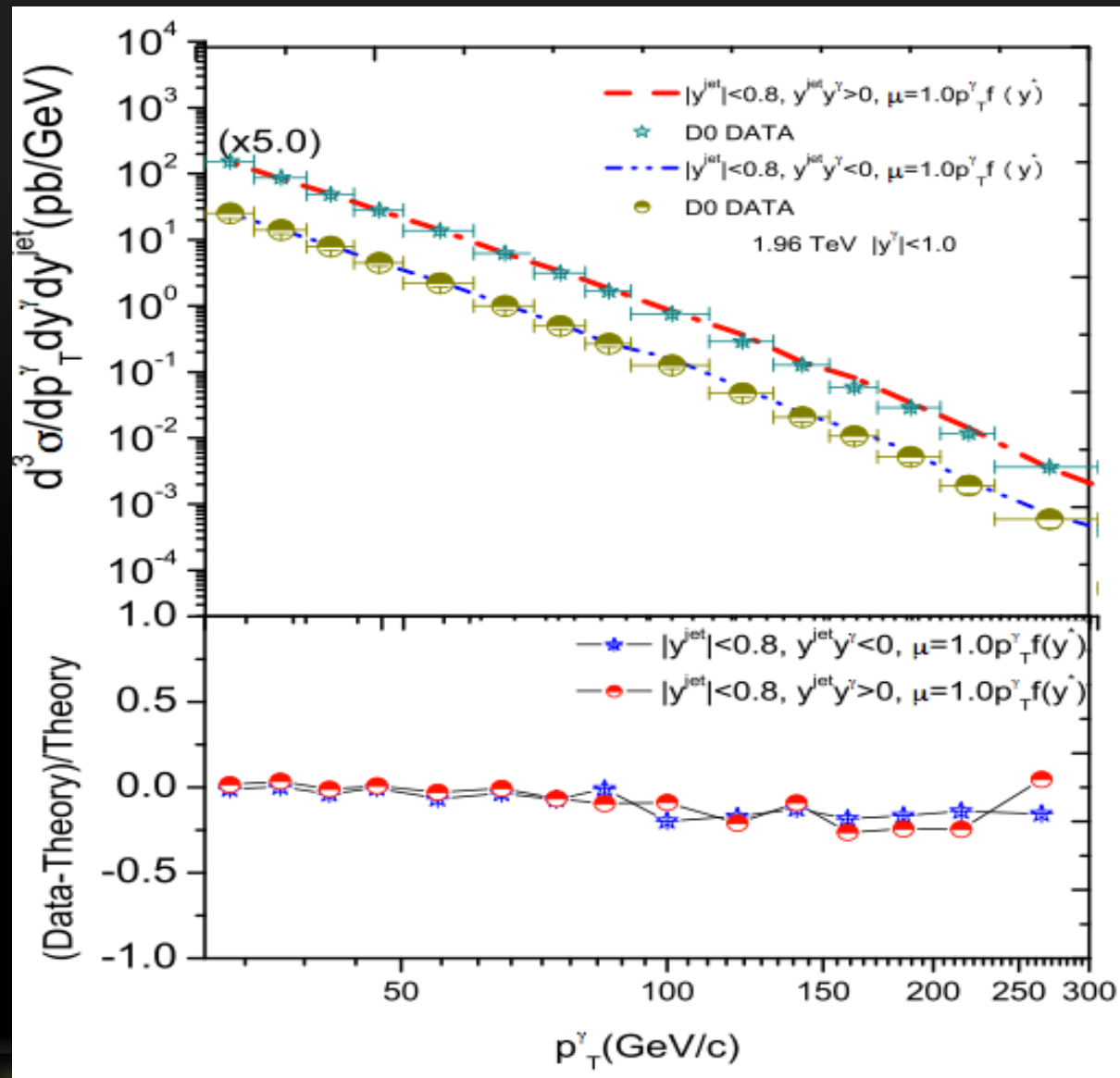


You are so light, I am too heavy.

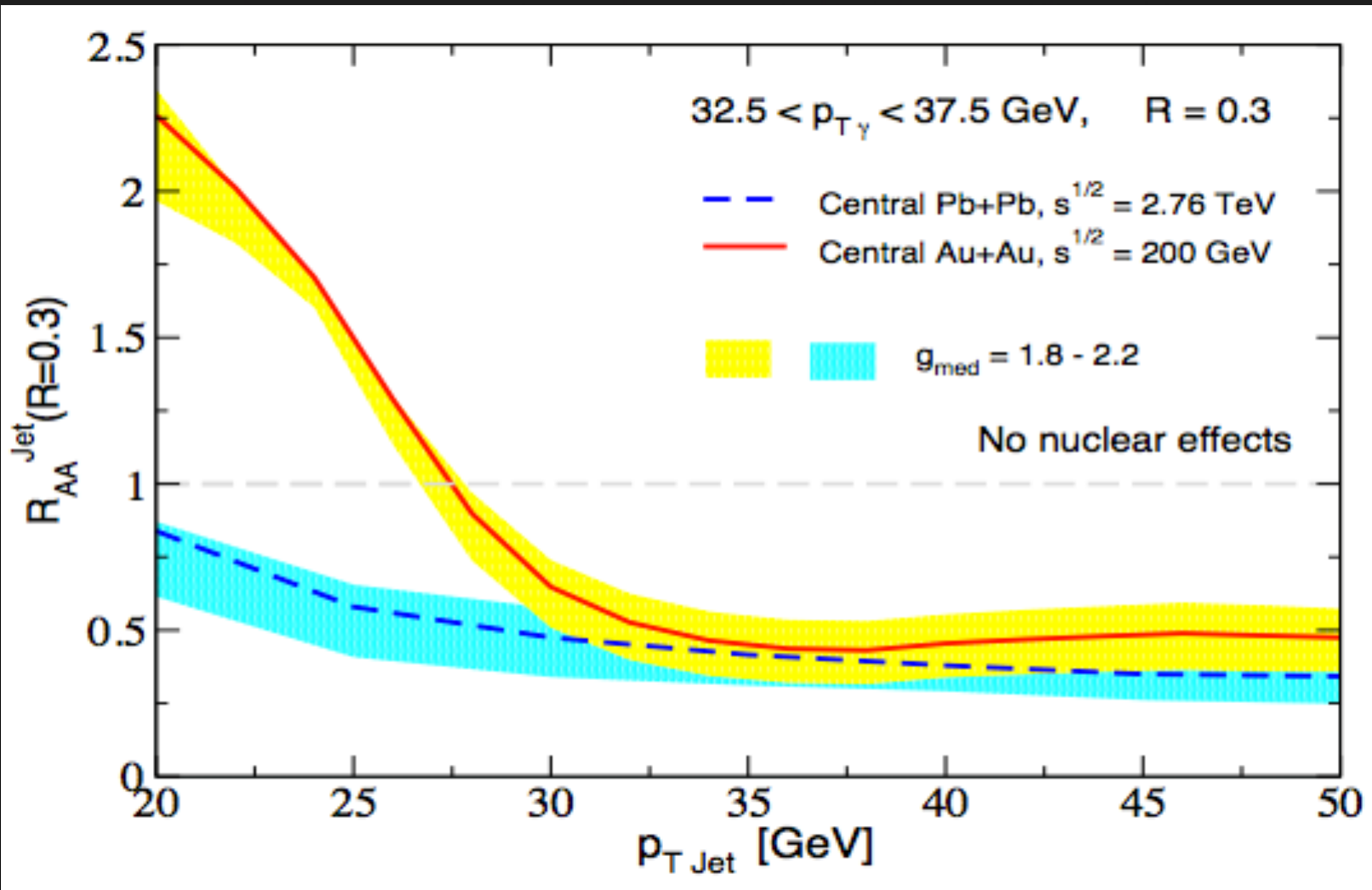
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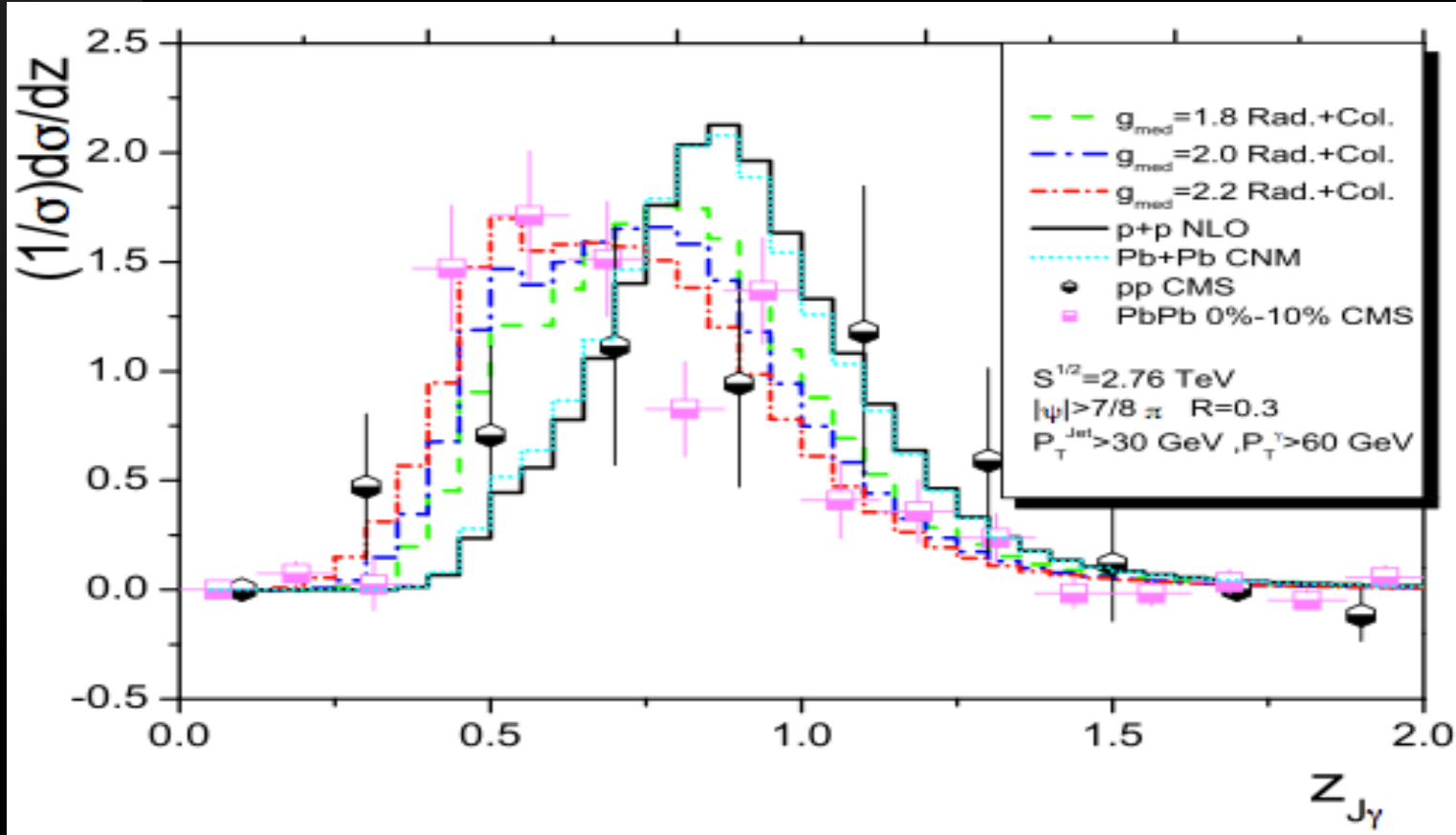
# Isolated photon + jet in h+h



# photon + jet in A+A (I)



# photon + jet in A+A (II)



$$z_{J\gamma} = \frac{p_{T, \text{jet}}}{p_{T, \gamma}}$$

System	$\langle z_{J\gamma} \rangle_{\text{LHC}}$	$\langle z_{J\gamma} \rangle_{\text{RHIC}}$
p+p	0.94	0.90
A+A, CNM	0.94	0.89
A+A, $g_{\text{med}} = 1.8$ , Rad.+Col.	0.84	0.78
A+A, $g_{\text{med}} = 2.0$ , Rad.+Col.	0.80	0.74
A+A, $g_{\text{med}} = 2.2$ , Rad.+Col.	0.71	0.70

CMS, PLB(2013)

$$\langle z_{J\gamma} \rangle = 0.73 \pm 0.02$$

Dai, Vitev, BWZ, PRL(2013)

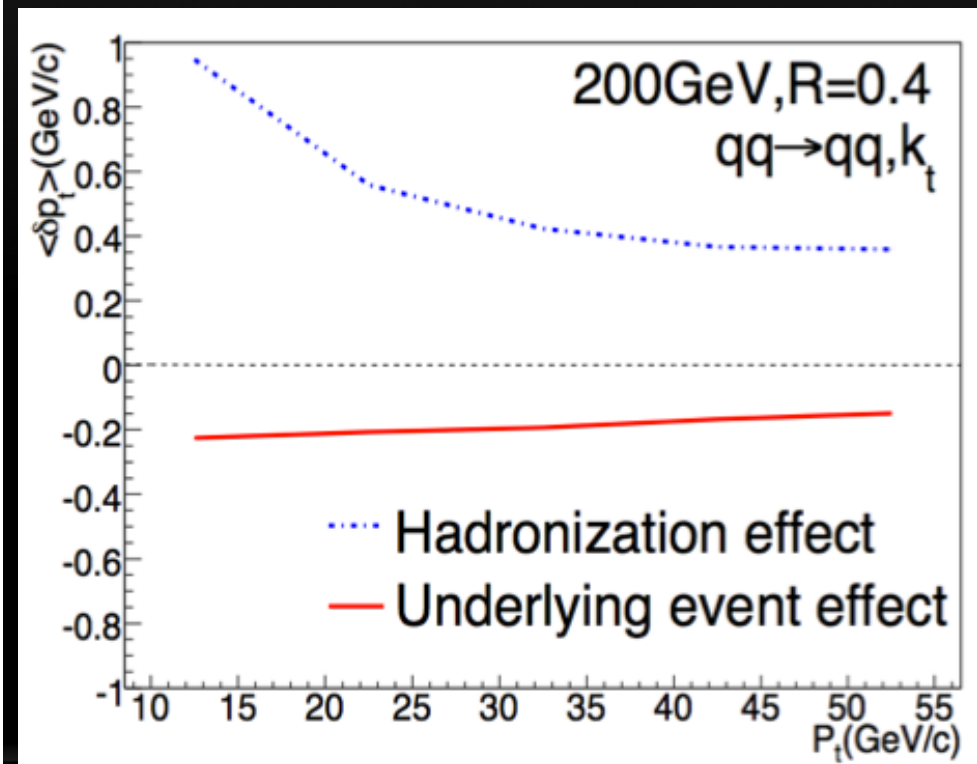
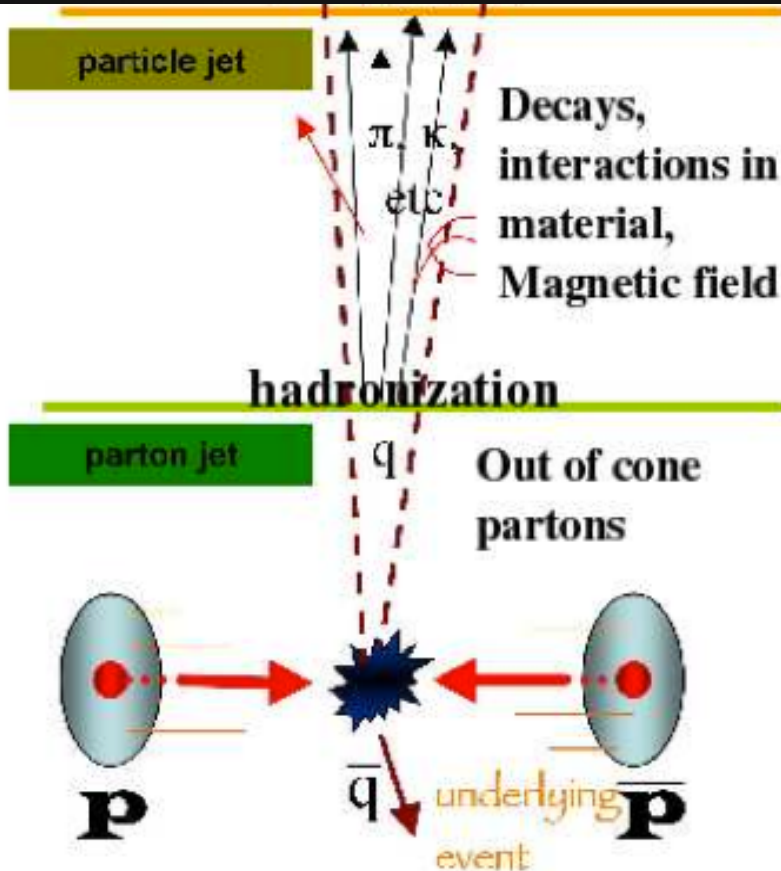
# Summary

- A variable quenching of  $R_{AA}$  for jet cross section in A+A collisions is demonstrated, which is contrary to single result of  $R_{AA}$  for leading particle and has been observed by ATLAS Collaboration.
- Dijet momentum imbalance  $AJ$  distribution becomes flatter with the peak shifted to middle  $AJ$  regime, whereas distribution of  $z=Et_2/Et_1$  shifted to the left with smaller  $z$ .
- Similar approach has consistently applied to Z and photon tagged jet production. The mean value of  $\langle z \rangle$  in A+A is reduced due to jet quenching effect in photon tagged jet production.

非常感谢！  
Thank you!

# Non-perturbative effects

- Non-perturbative effects: hadronization & underlying event.
- Two effects will go in opposite direction: partial cancellation between “splash-out” effect and “splash-in” effect.

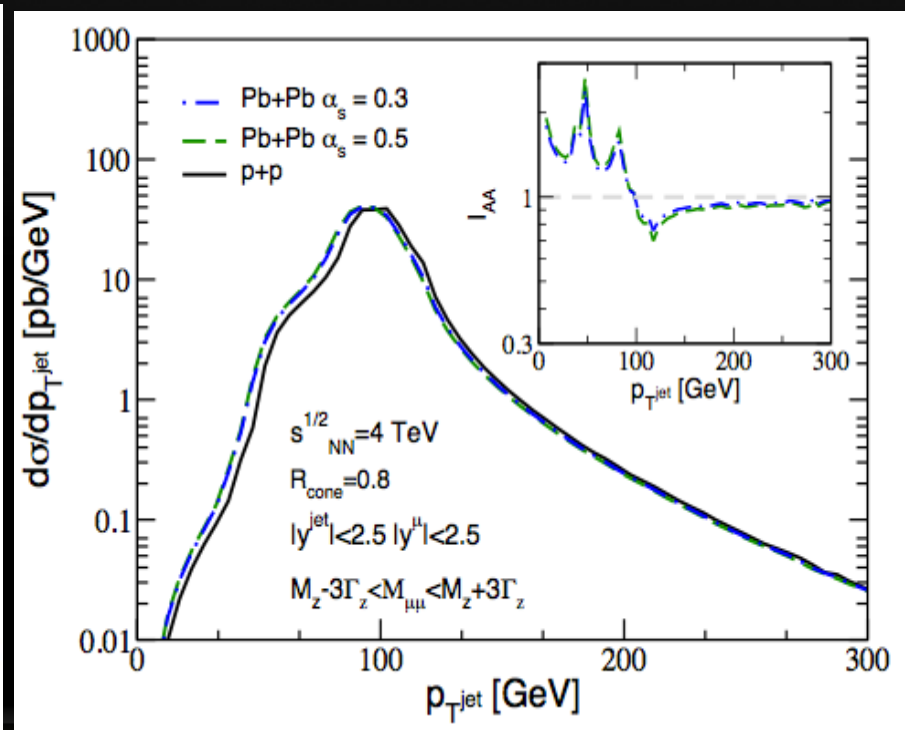
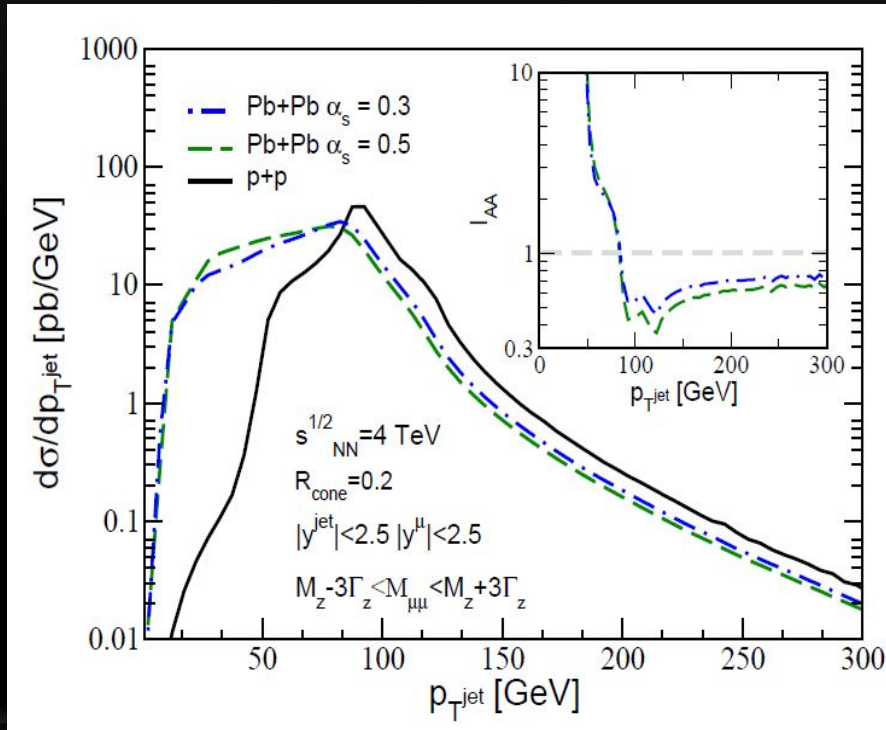


H Li, BWZ, E Wang (2013)

# Z<sup>0</sup> + jet in A+A: I<sub>AA</sub>

- A sharp transition from tagged jet suppression above  $\sim p_T$  of Z to tagged jet enhancement below  $\sim p_T$  of Z

$$I_{AA}^{\text{jet}}(R, \omega_{\text{min}}) = \frac{1}{\langle N_{\text{bin}} \rangle} \frac{d\sigma_{AA}}{dp_T(Z) dp_T(Q)} \bigg/ \frac{d\sigma_{pp}}{dp_T(Z) dp_T(\text{jet})}$$



Neufeld, Vitev, BWZ, PRC 83, 034902 (2011).

$p_T \in (92.5 \text{ GeV}, 112.5 \text{ GeV})$



# Jet cross section at NLO in p+p

- Jet cross sections at NLO in p+p :

$$\frac{d\sigma^{\text{jet}}}{dE_T dy} = \frac{1}{2!} \int d\{E_T, y, \phi\}_2 \frac{d\sigma[2 \rightarrow 2]}{d\{E_T, y, \phi\}_2} S_2(\{E_T, y, \phi\}_2) + \frac{1}{3!} \int d\{E_T, y, \phi\}_3 \frac{d\sigma[2 \rightarrow 3]}{d\{E_T, y, \phi\}_3} S_3(\{E_T, y, \phi\}_3)$$

- Function  $S_2$  and  $S_3$  contain jet find algorithm:

2  $\rightarrow$  2

$$S_2 = \sum_{i=1}^2 S(i) = \sum_{i=1}^2 \delta(E_{T_i} - E_T) \delta(y_i - y)$$

2  $\rightarrow$  3

$$S_3 = \sum_i \delta(p_i - p_J) \delta(y_i - y_J) \prod_{j(j \neq i)} \theta \left( R_{ij} > \frac{p_i + p_j}{\max(p_i, p_j)} R \right) + \sum_{i,j(i < j)} \delta(p_i + p_j - p_J) \delta\left(\frac{p_i y_i + p_j y_j}{p_i + p_j} - y_J\right) \theta(R_{ij} < R_{rc})$$

Ellis, Kunszt, Soper, PRL 64:2121(1990); PRL 69:1496(1992)

# Jet finding algorithms

- Cone algorithm
- Midpoint cone algorithm
- $k_T$  algorithm

$$k_{T,i}^2 = p_{T,i}^2 \quad k_{T,(i,j)}^2 = \min(p_{T,i}^2, p_{T,j}^2) \frac{R_{i,j}^2}{D^2}$$

if  $k_{T,(i,j)}^2 < k_{T,i}^2$ , merge

- Anti- $k_T$  algorithm
- Seedless algorithm

Parton merge parameter



NLO

$$R_{rc} = \min \left( R_{sep} R, \frac{E_{T_i} + E_{T_j}}{\max(E_{T_i}, E_{T_j})} R \right)$$

- Midpoint cone  $R_{sep} = 2$
- Cone  $1 < R_{sep} < 2$
- $K_T$   $D = R, R_{sep} = 1$