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of Arts & Sciences

THE GEORGE WASHINGTON UNIVERSITY



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WASHINGTON, DC

The **MUSE** experiment: Addressing the  
Proton Radius Puzzle  
via  
Elastic Muon Scattering

**W. J. BRISCOE**  
*on behalf of the*  
**MUSE Collaboration**

Thanks to  
E.J. Downie – GW  
R. Gilman – Rutgers  
G. Ron - Jerusalem

# Outline

- ◆ Why measure the radius?
- ◆ What is a radius? How do we measure it?
  - ◆ Electron scattering measurements
- ◆ The source of all the trouble: Pohl measurements
  - ◆ Possible explanations
  - ◆ The MUSE experiment
- ◆ Conclusions



Cosmonaut Breaks Longstanding Space Record



More In Science: WATCH: Horsehead Nebula... Magnetic Putty Explained... Va. Rocket Launch!...



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# Proton Size Smaller Than Physicists Thought, Puzzling New Measurements Suggest

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- ◆ It has raised public interest!
- ◆ Not just interesting:

➔ Tests our theoretical understanding of proton

➔ Radius of proton is dominant uncertainty in many QED processes

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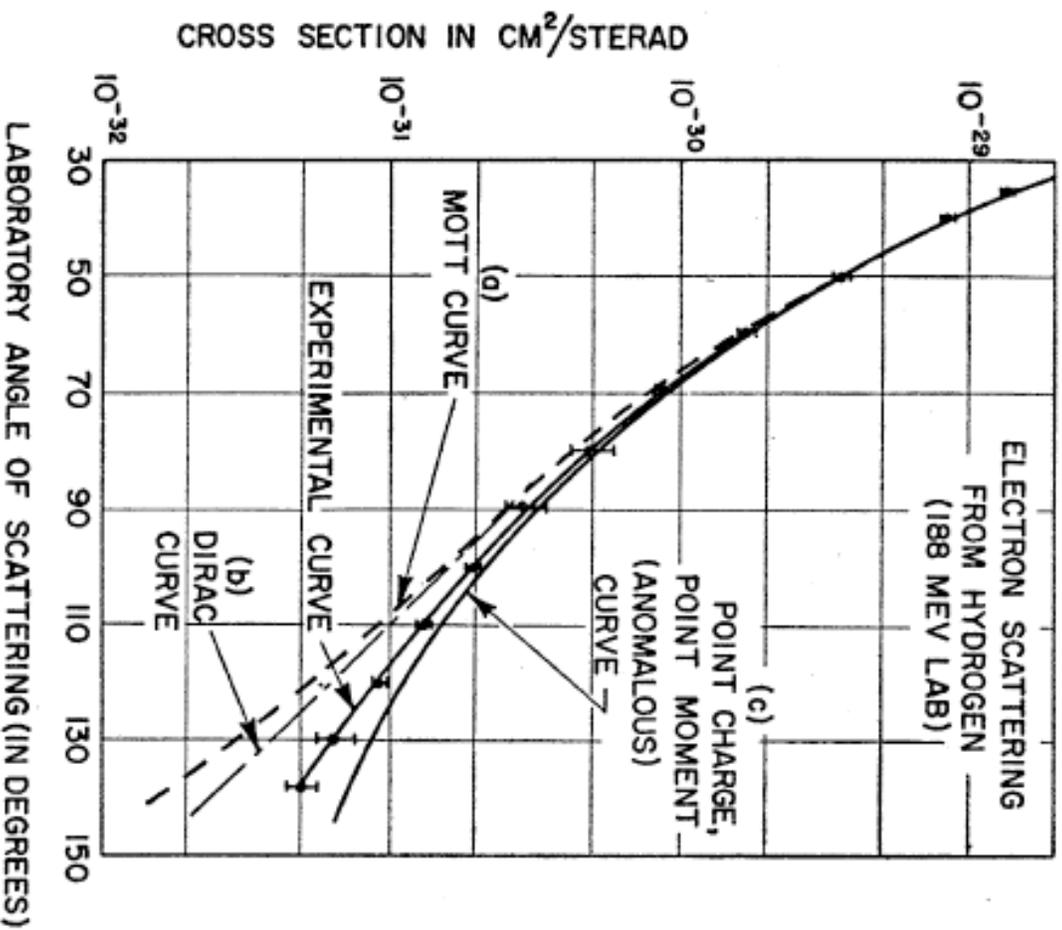
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1 of 10



Anonymous Calls For Internet Blackout To Protect CISPA

## Electron Scattering Measurements 1950s



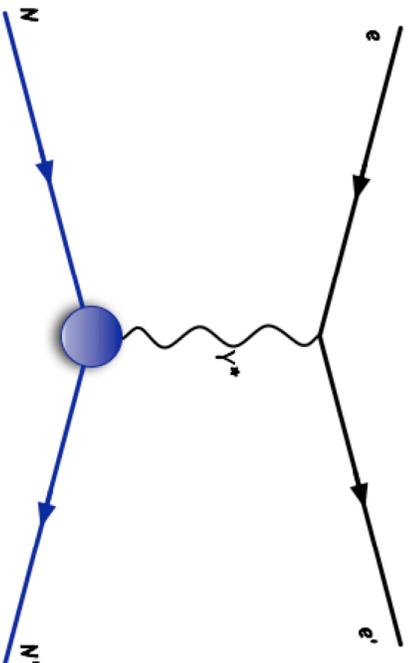
$$\langle r_E \rangle = 0.74(24) \text{ fm}$$

- ◆ Fit to RMS radius Stanford 1956
- ◆ R.W. McAllister and R. Hofstadter, Phys. Rev. **102**, 851 (1956)

# The Proton Radius

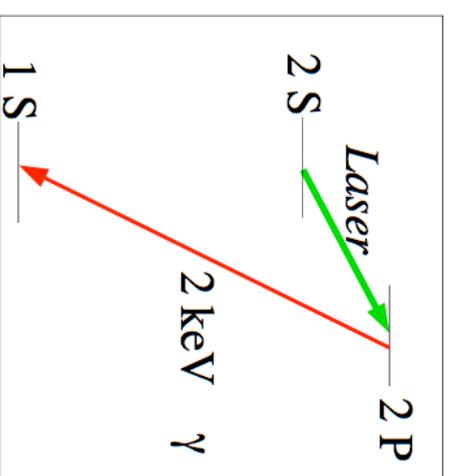
- ◆ What is a radius? How do we measure it?
- ◆ Classical physics:  $r^2 = \int \rho(r)r^2 d^3r$
- ◆ Non-relativistic quantum mechanics:  $r^2 = \int \langle \psi^*(r) | r^2 | \psi(r) \rangle > d^3r$
- ◆ Relativistic quantum mechanics:  $r^2 = -6dG(Q^2)/dQ^2|_{Q^2=0}$

## Electron Scattering



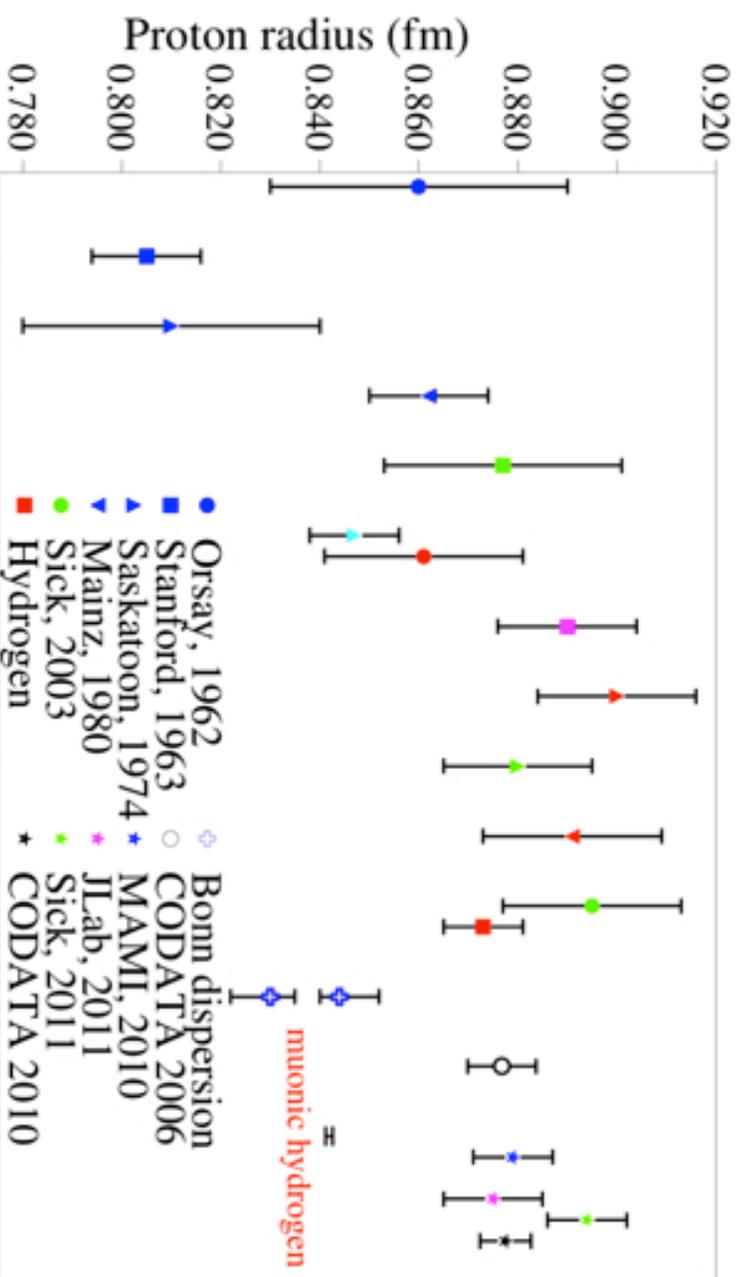
Fit form factor trend with  $q^2$  to data, find slope as  $q^2 \rightarrow 0$

## Atomic Energy Levels

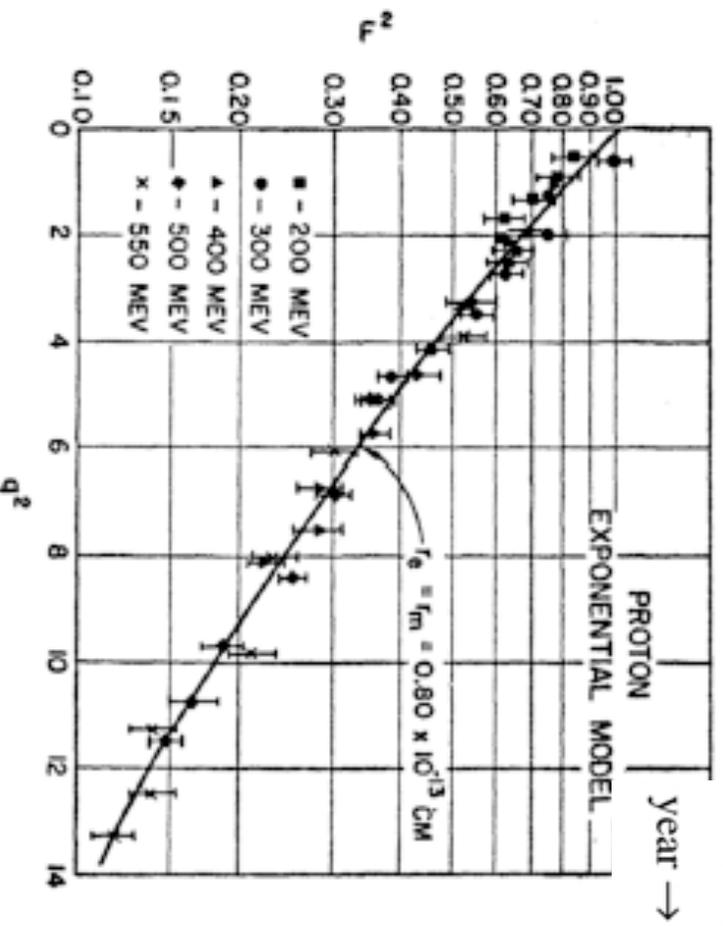


NRQM: finite size of proton perturbs energies of s states -  $r_p \ll r_{\text{atomic}}$ , so effect proportional to  $\psi^2_a(r=0)$ .

# The Proton Radius as a Function of Time



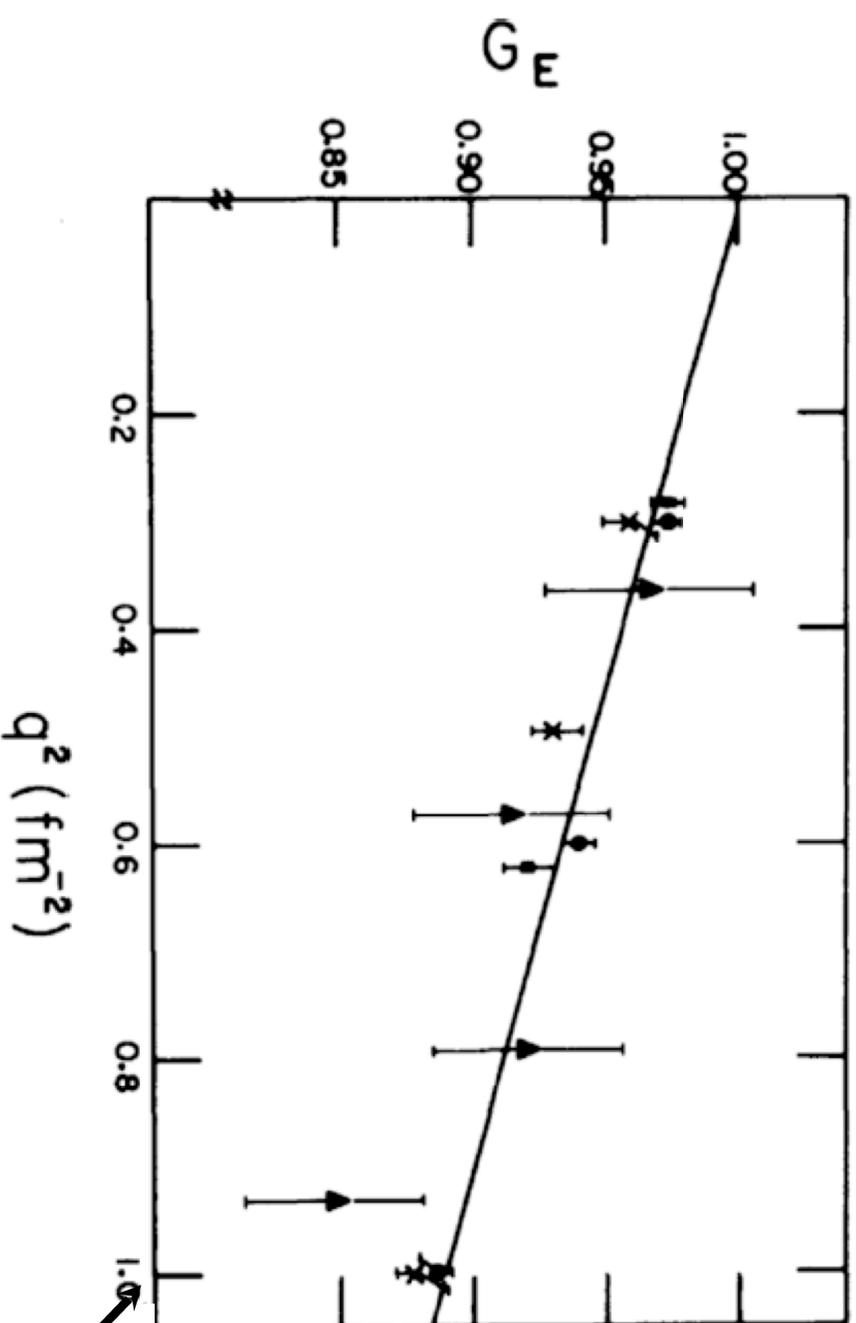
Chambers and Hofstadter,  
Phys Rev 103, 14 (1956)



From Pohl, Gilman, Miller, Pachucki  
review, arXiv:1301.0905,  
AnnRevNPS, modified

## Low $Q^2$ in 1974

$$\langle r_E \rangle = 0.810(40) \text{ fm}$$



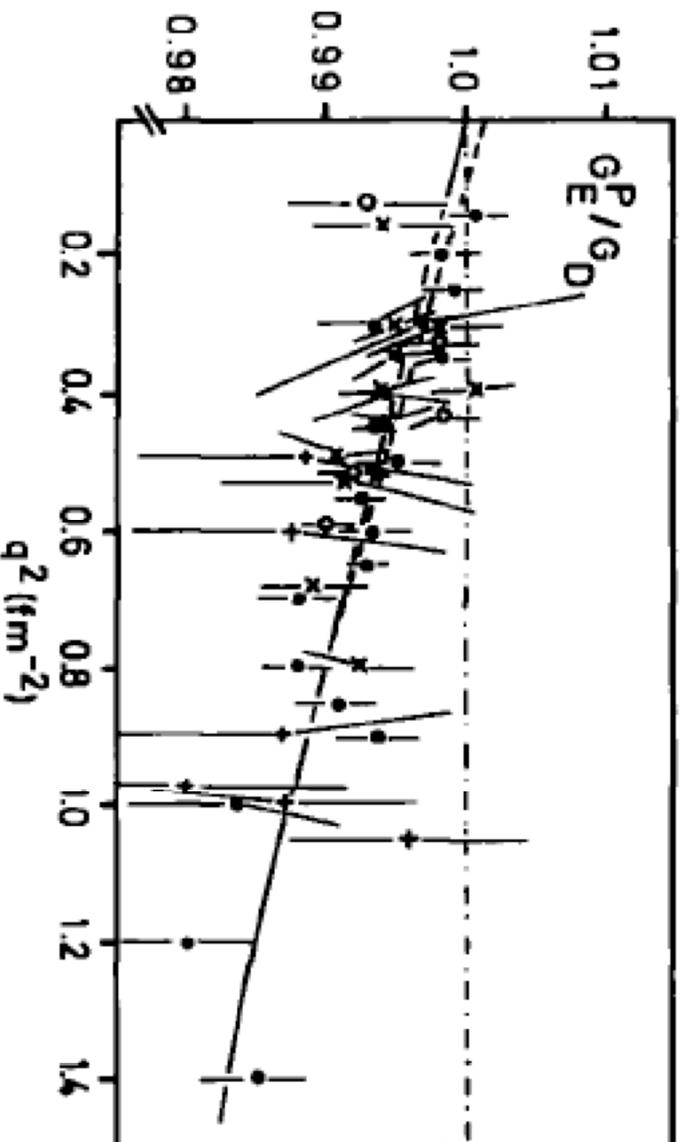
$$Q^2 = 0.0389 \text{ GeV}^2$$

- ◆ Fit to  $G_E(Q^2) = a_0 + a_1 Q^2 + a_2 Q^4$

- ◆ Saskatoon 1974

- ◆ J. J. Murphy, Y. M. Shin, D. M. Skopik, Phys. Rev. C **9**, 2125 (1974)

## Low $Q^2$ in the Eighties

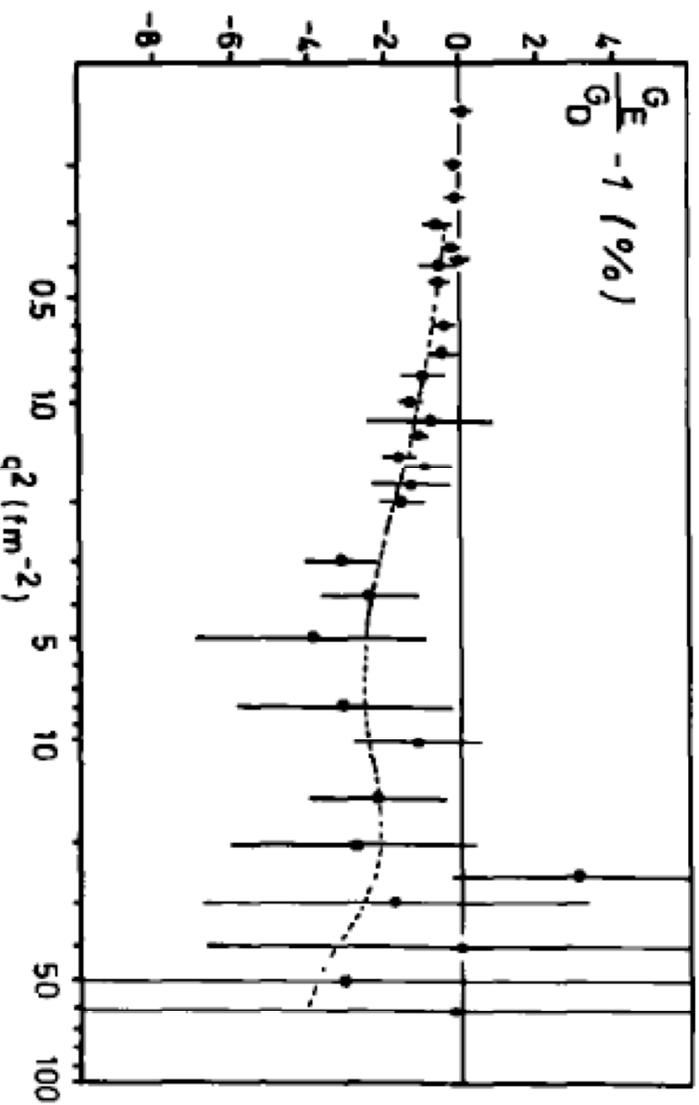


$$\langle r_E \rangle = 0.862(12) \text{ fm}$$

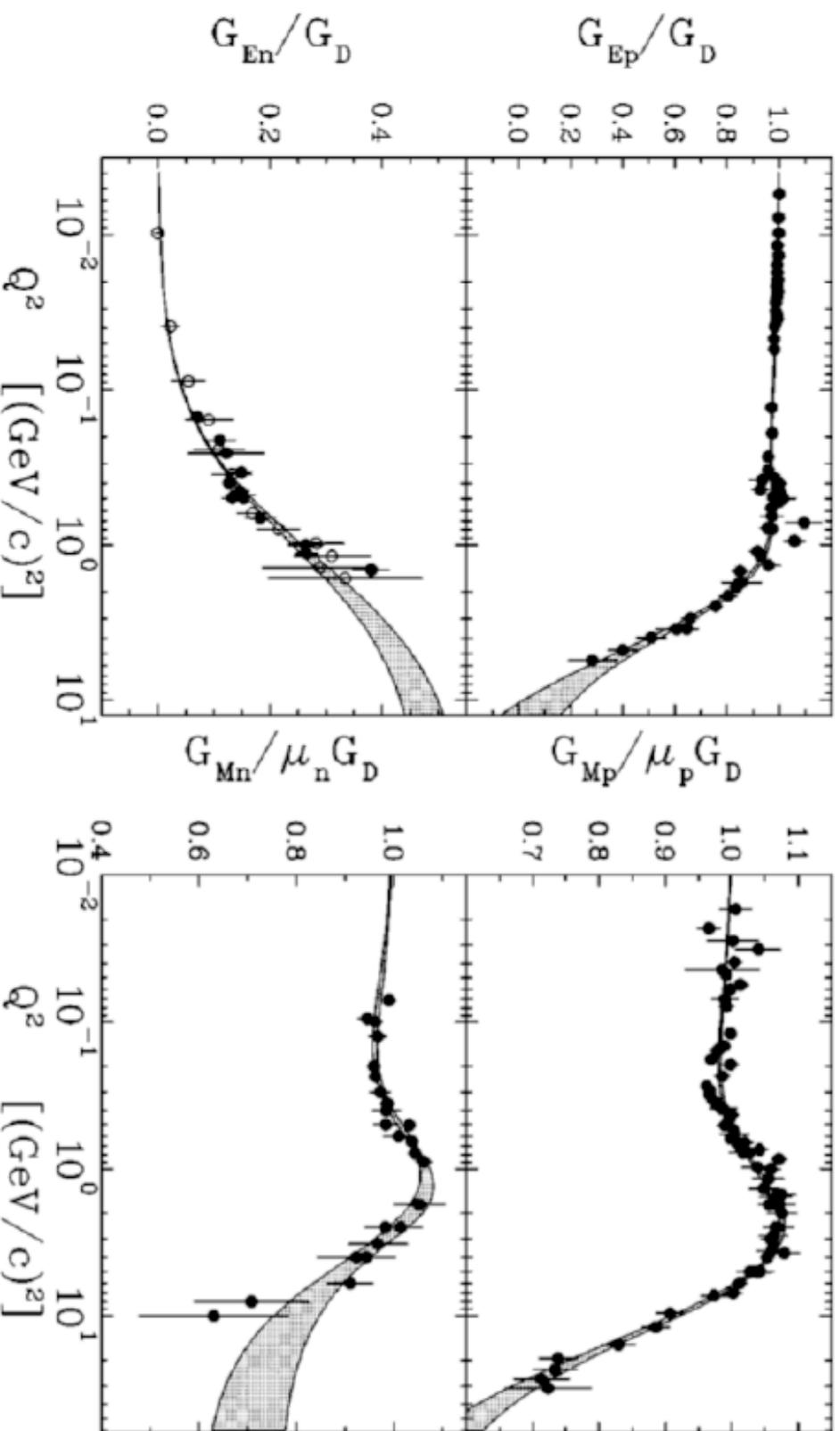
$$\begin{aligned} G_D &= (1 + Q^2/18.23 \text{ fm}^2)^{-2} \\ &= (1 + Q^2/0.71 \text{ GeV}^2)^{-2} \end{aligned}$$

- ◆ From the dipole form get:  
 $r_E \sim 0.81 \text{ fm}$

- ◆ G. G. Simon, Ch. Smith, F. Borkowski, V. H. Walther, NPA3333, 381 (1980)



# A Multitude of Fits



- ◆ Better measurements to higher  $Q^2$  lead to a cornucopia of fits
- ◆ J. J. Kelly, Phys. Rev. C70, 068202 (2004)

# A Multitude of Radii

$$-6G'_E(0) = r_E^2$$

$$G_{\text{dipole}}^{E,M}(Q^2) = \left(1 + \frac{Q^2}{a_{E,M}}\right)^{-2}$$

$$G_{\text{double dipole}}^{E,M}(Q^2) = a_0^{E,M} \left(1 + \frac{Q^2}{a_1^{E,M}}\right)^{-2} + \left(1 - a_0^{E,M}\right) \left(1 + \frac{Q^2}{a_2^{E,M}}\right)^{-2}$$

$$G_{\text{polynomial, n}}^{E,M}(Q^2) = 1 + \sum_{i=1}^n a_i^{E,M} Q^{2i}$$

$$G_{\text{poly+dipole}}^{E,M}(Q^2) = G_D(Q^2) + \sum_{i=1}^n a_i^{E,M} Q^{2i}$$

$$G_{\text{poly x dipole}}^{E,M}(Q^2) = G_D(Q^2) \times \sum_{i=1}^n a_i^{E,M} Q^{2i}$$

$$G_{\text{inv. poly.}}^{E,M}(Q^2) = \frac{1}{1 + \sum_{i=1}^n a_i^{E,M} Q^{2i}}$$

$$G(Q^2) = \frac{1}{1 + \frac{Q^2 b_1}{1 + \frac{Q^2 b_2}{1 + \dots}}}$$

$r_E = 0.901$ ,  $r_M = 0.868$  fm Arrington & Sick, PRC76, 035201 (2007)

$r_E = 0.875$ ,  $r_M = 0.867$  fm Zhan et al., PLB705, 59 (2011)

$$G(Q^2) \propto \frac{\sum_{k=0}^n a_k \tau^k}{1 + \sum_{k=1}^{n+2} b_k \tau^k}$$

$r_E = 0.863$ ,  $r_M = 0.848$  fm

Kelly PRC70, 068202 (2004)

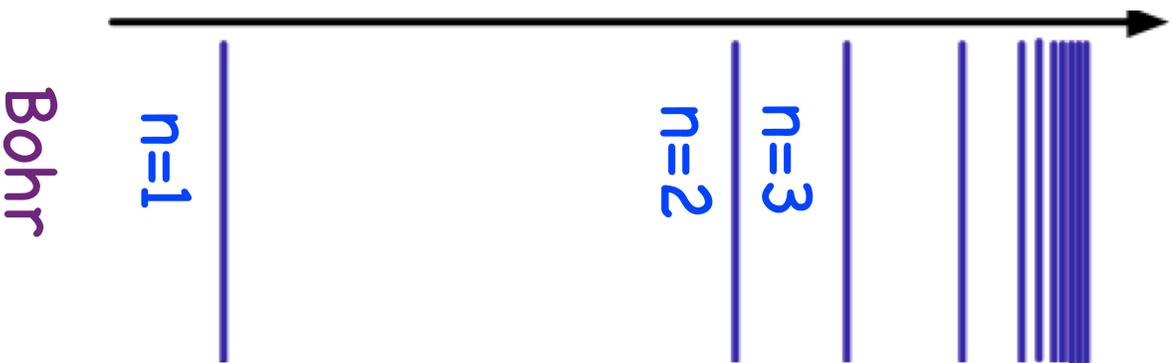
$r_E = 0.883$  fm

$r_M = 0.775$  fm

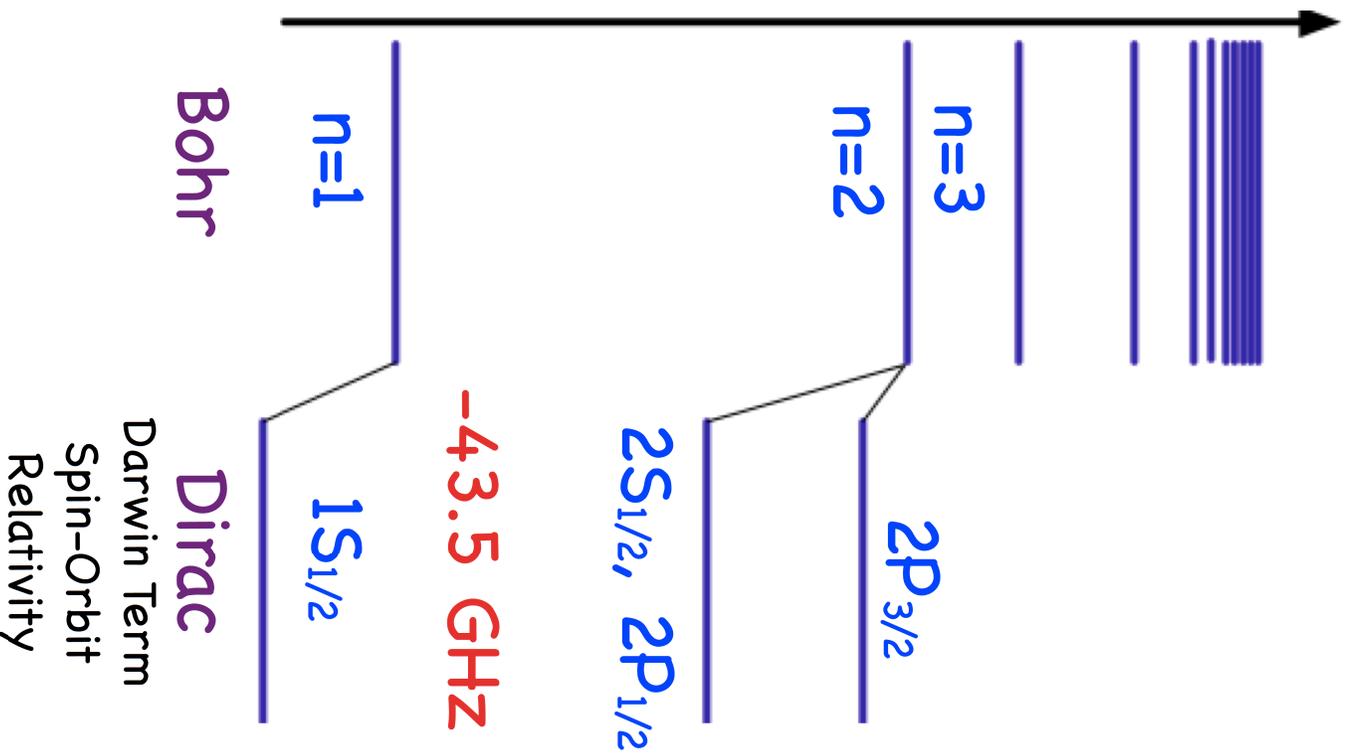
Bernauer et al., PRL105, 242001 (2010)



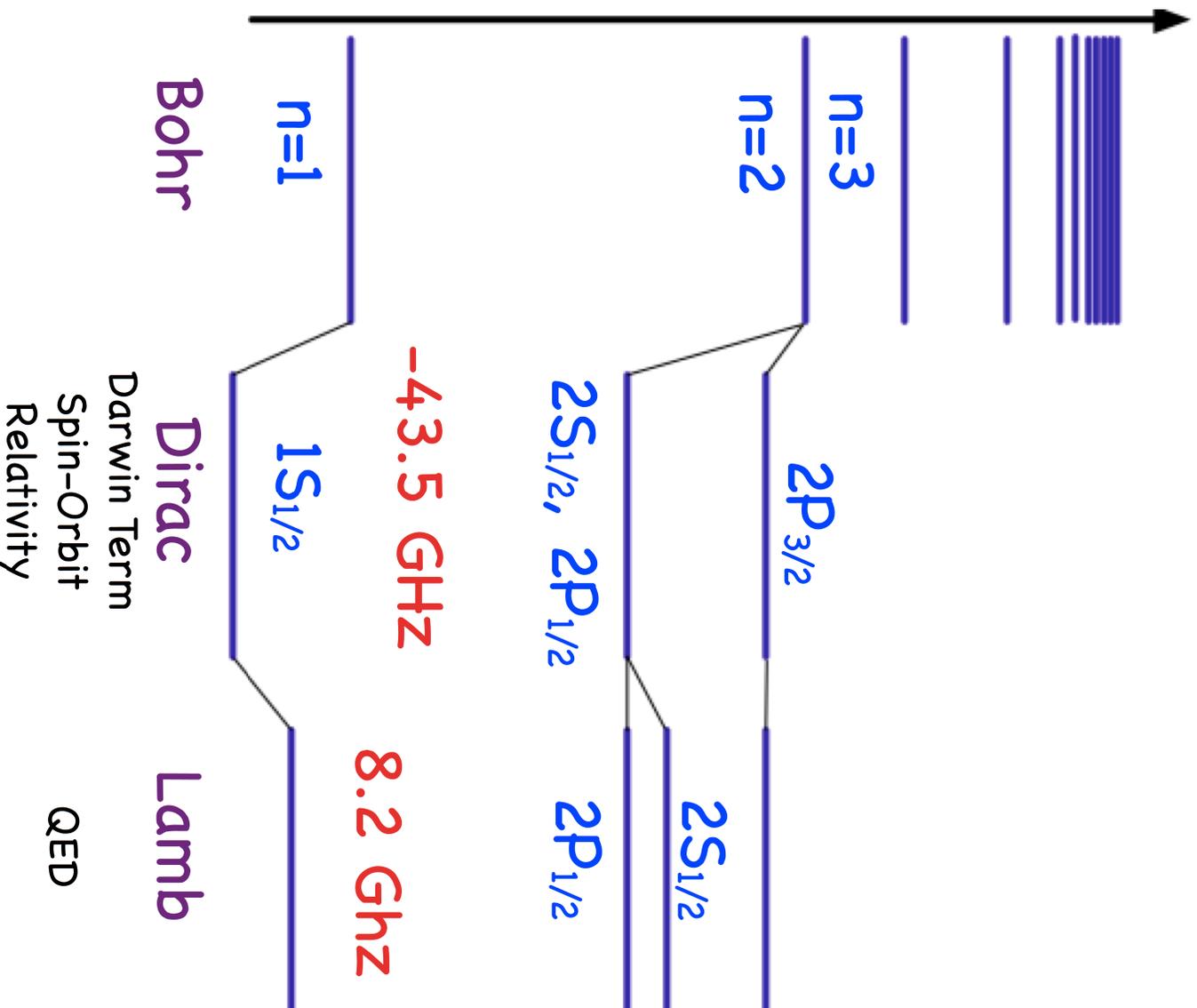
# Components of the Hydrogen Energy Levels



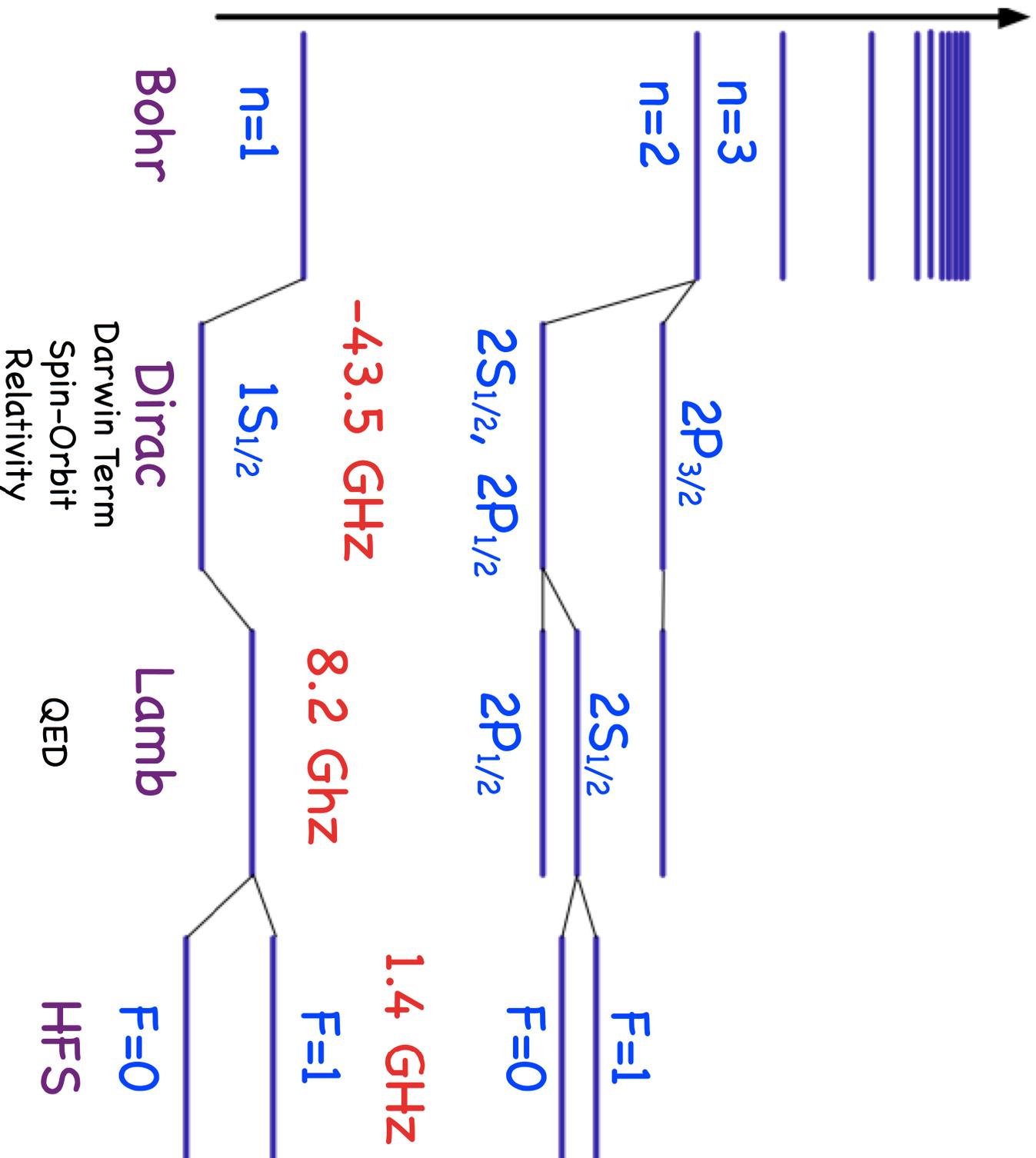
# Components of the Hydrogen Energy Levels



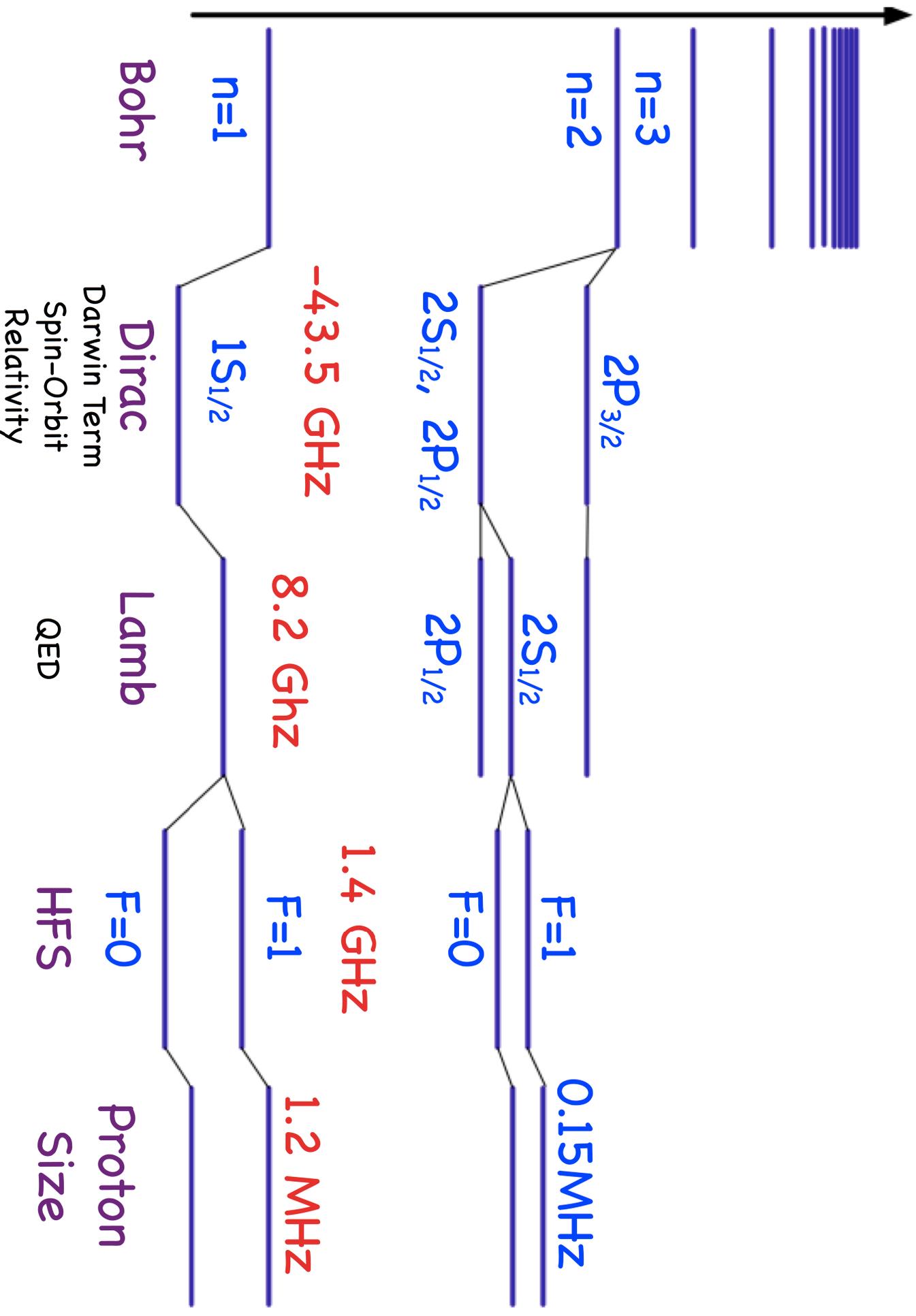
# Components of the Hydrogen Energy Levels



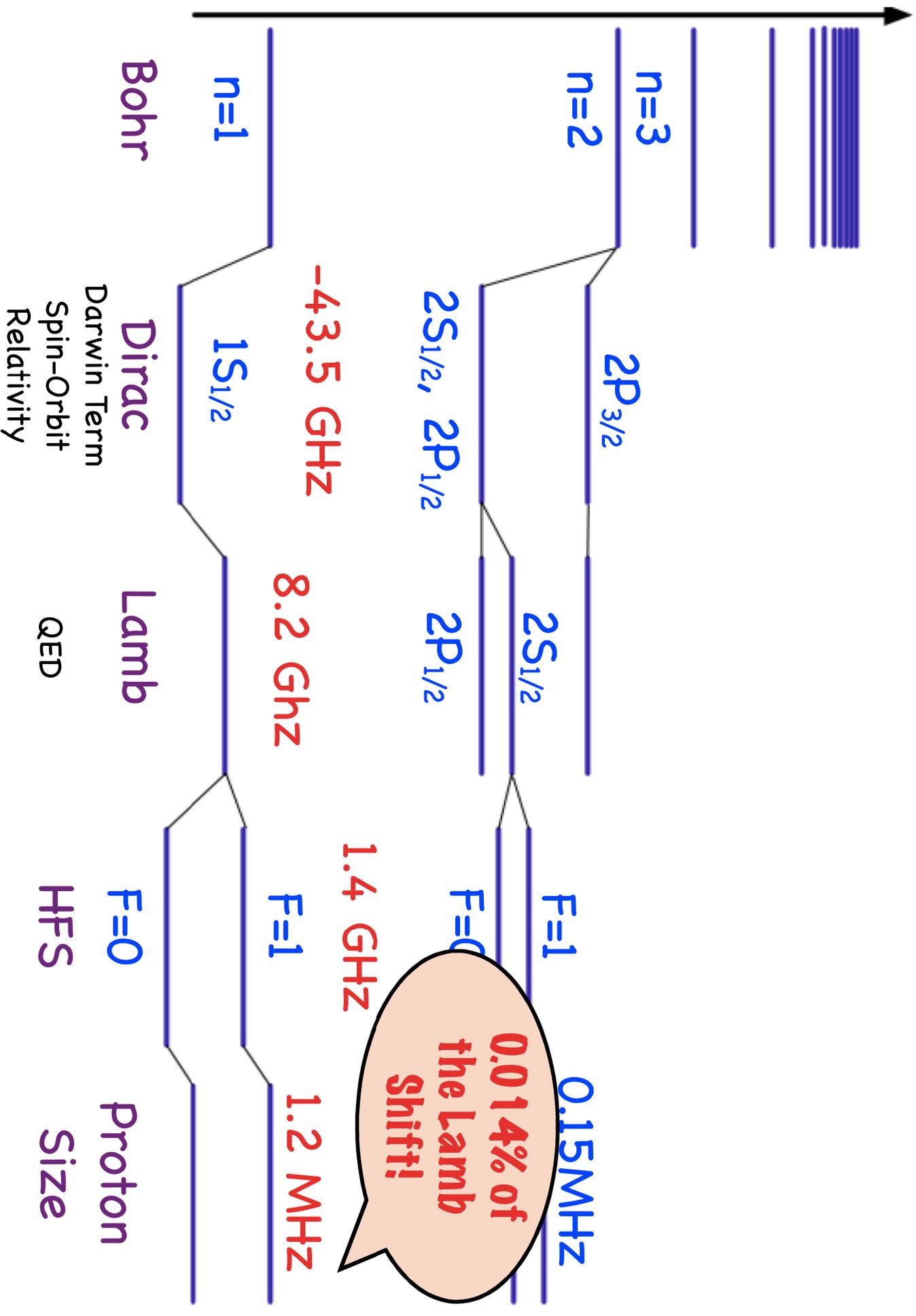
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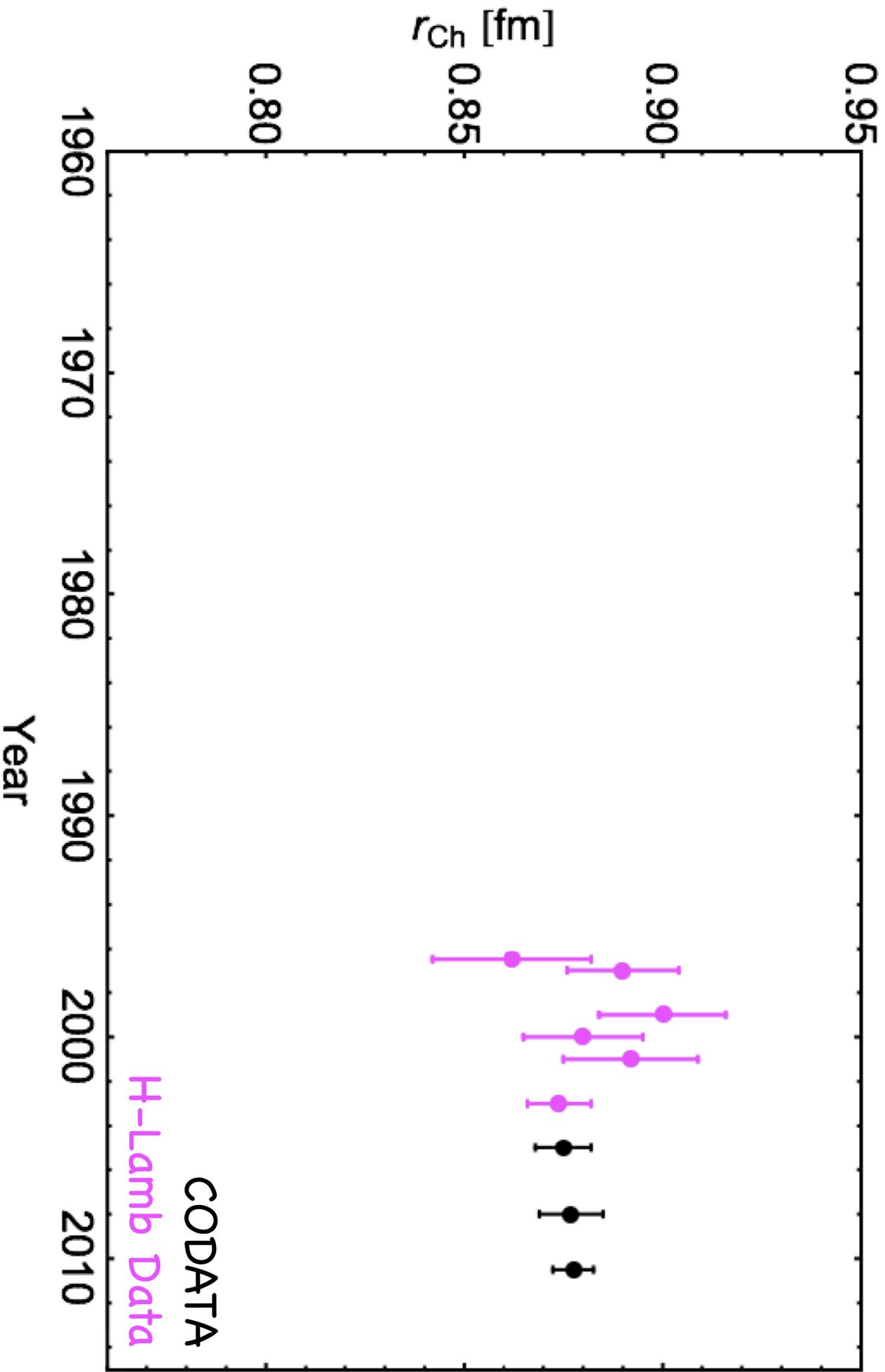
# Components of the Hydrogen Energy Levels



# Components of the Hydrogen Energy Levels



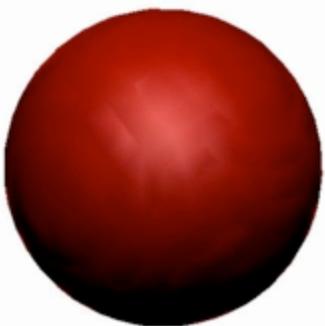
# Time Evolution of the radius from Hydrogen Lamb Shift



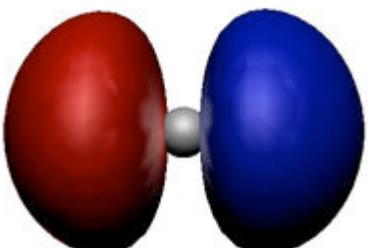


# Why measure with $\mu\text{H}$ ?

S-Orbital



P-Orbital



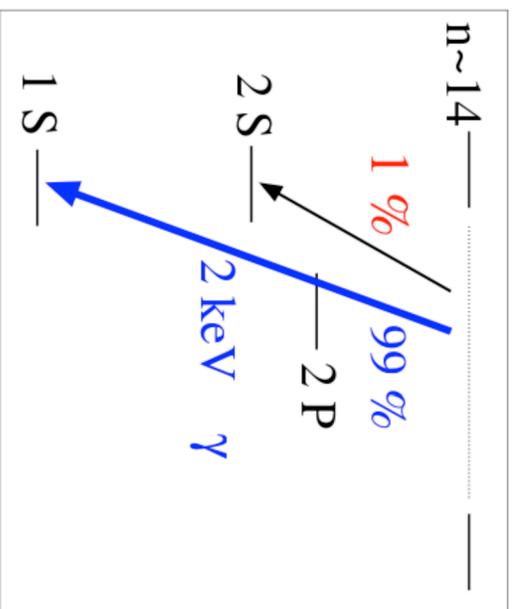
- ◆ While lepton is inside proton, attractive potential is lower
- ◆ Average potential reduced the longer lepton spends inside proton
- ◆ Strongly affects S orbitals, much less so P, so SP transitions change
- ◆ Probability for lepton to be inside proton = volume of P / volume of atom:

$$\sim \left( \frac{r_p}{a_B} \right)^3 = (r_p \alpha)^3 m^3$$

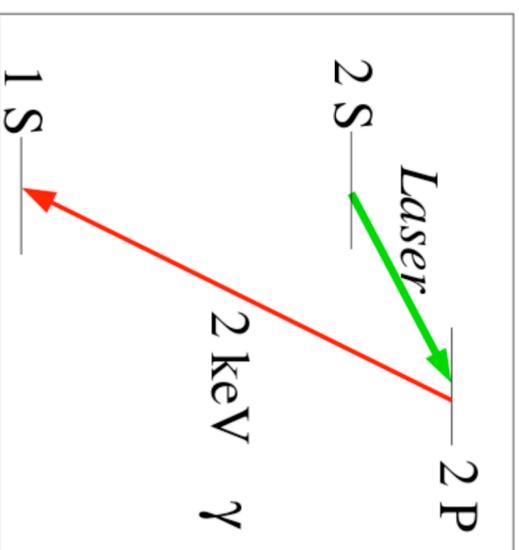
- ◆  $m_\mu \approx 205 m_e \rightarrow \mu\text{H}$  is  $\sim 205^3 \sim 8$  million times more sensitive to  $r_p$

# Mechanics of measuring with $\mu\text{H}$

“prompt” ( $t \sim 0$ )

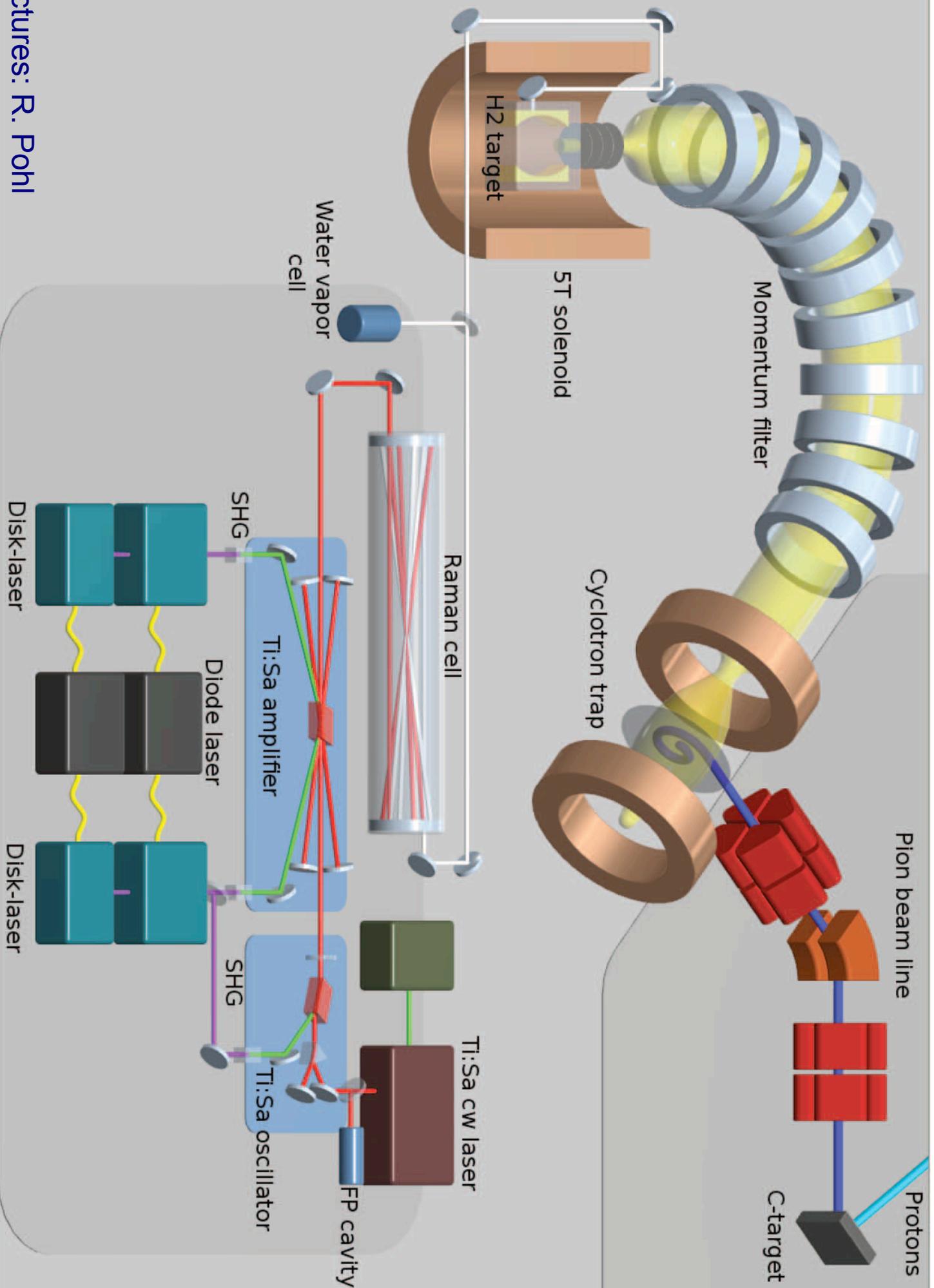


“delayed” ( $t \sim 1 \mu\text{s}$ )



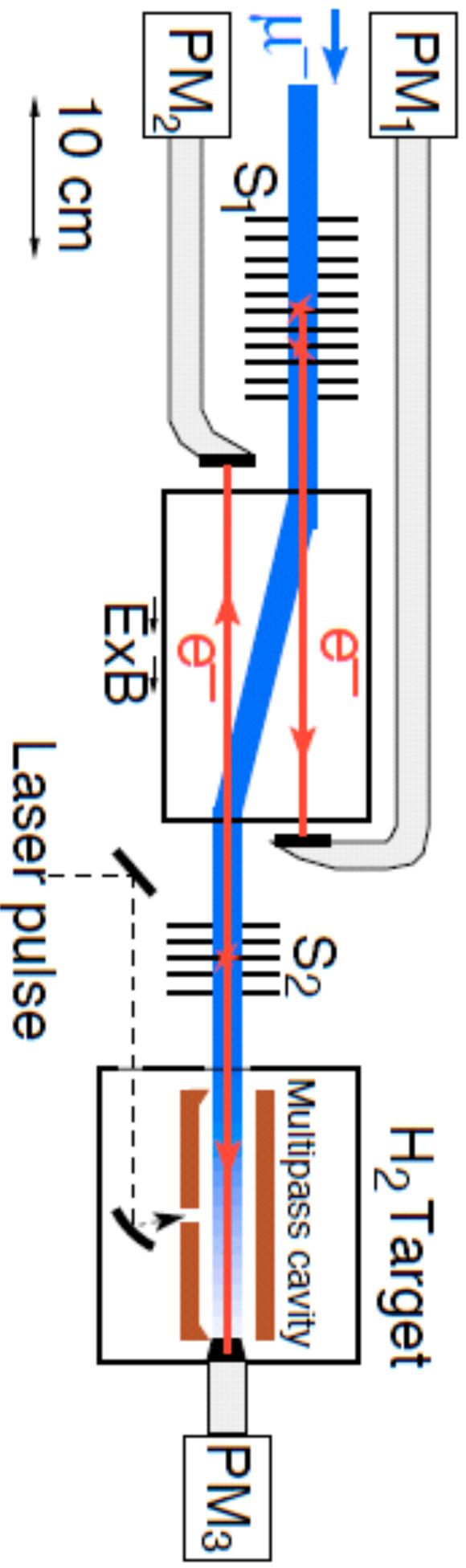
- ◆ Simple, but technically challenging!
- ◆ Form  $\mu\text{H}^*$  by firing muon beam on 1mbar  $\text{H}_2$  target
  - ◆ 99% decay to 1s, giving out fast  $\gamma$  pulse
  - ◆ 1% decay to longer-lived 2s state
- ◆ Excited to 2P state by tuned laser & decay with release of delayed  $\gamma$
- ◆ Vary laser frequency to find transition peak  $\rightarrow$  2S to 2P  $\Delta E \rightarrow r_p$

# Mechanics of measuring with $\mu\text{H}$



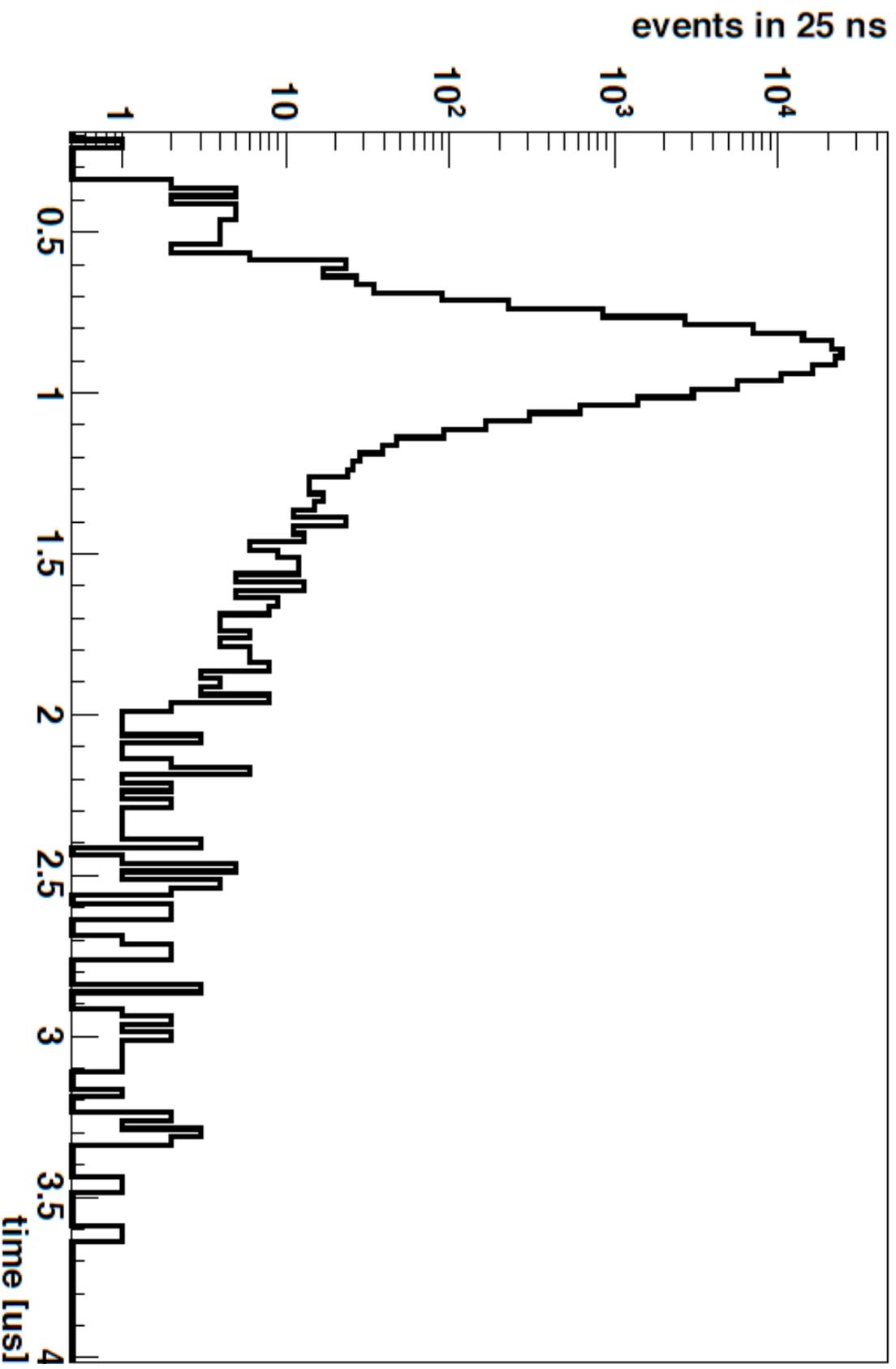
## Mechanics of measuring with $\mu\text{H}$

- $\mu$  from  $\pi\text{E}5$  beamline at PSI (20 keV)
- $\mu$ 's with 5 keV kinetic energy after carbon foils S1-2
- Arrival of the pulsed beam is timed by secondary electrons in PM1-3



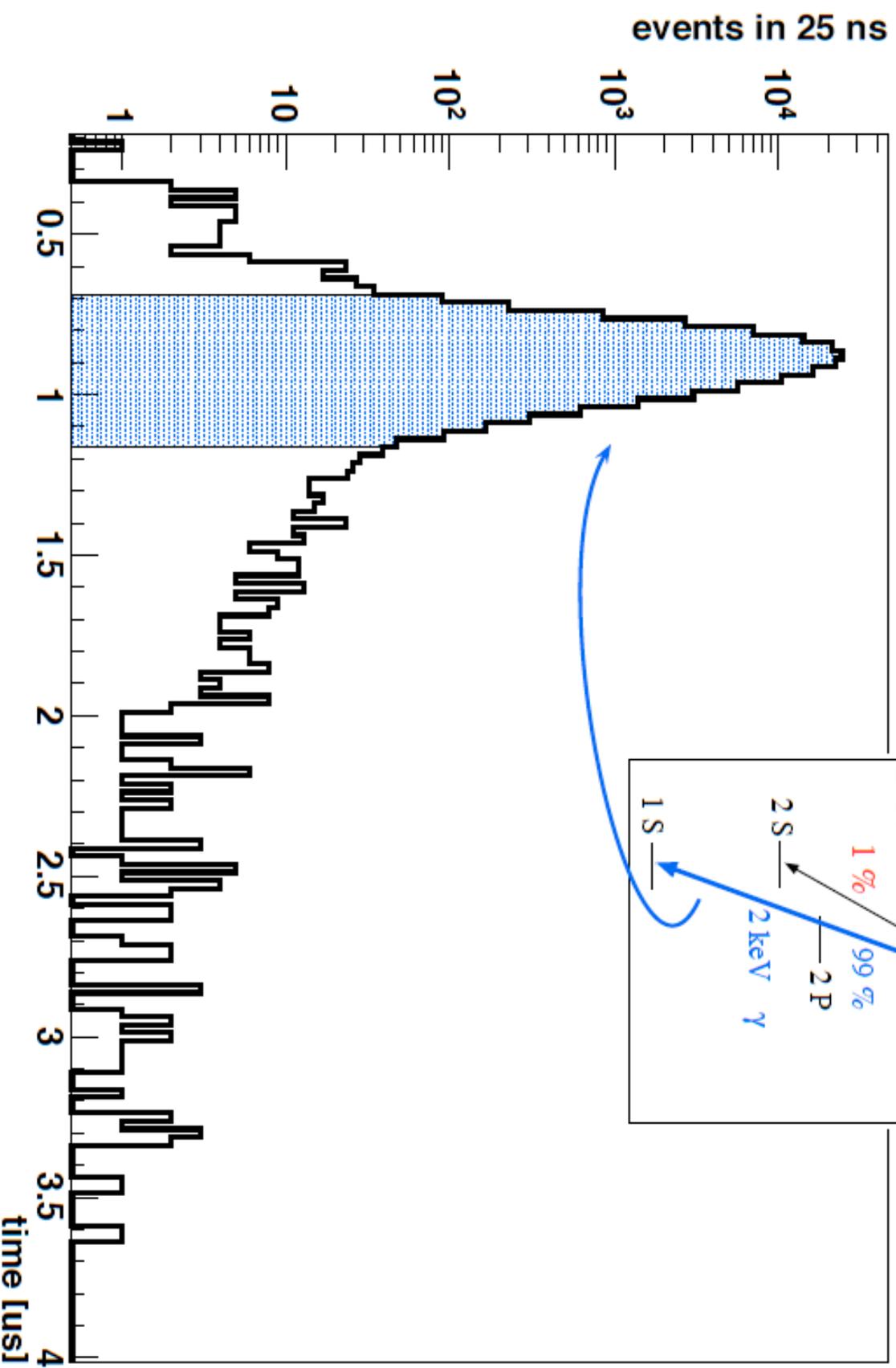
# Mechanics of measuring with $\mu\text{H}$

time spectrum of 2 keV x-rays ( $\sim 13$  hours of data)



# Mechanics of measuring with $\mu\text{H}$

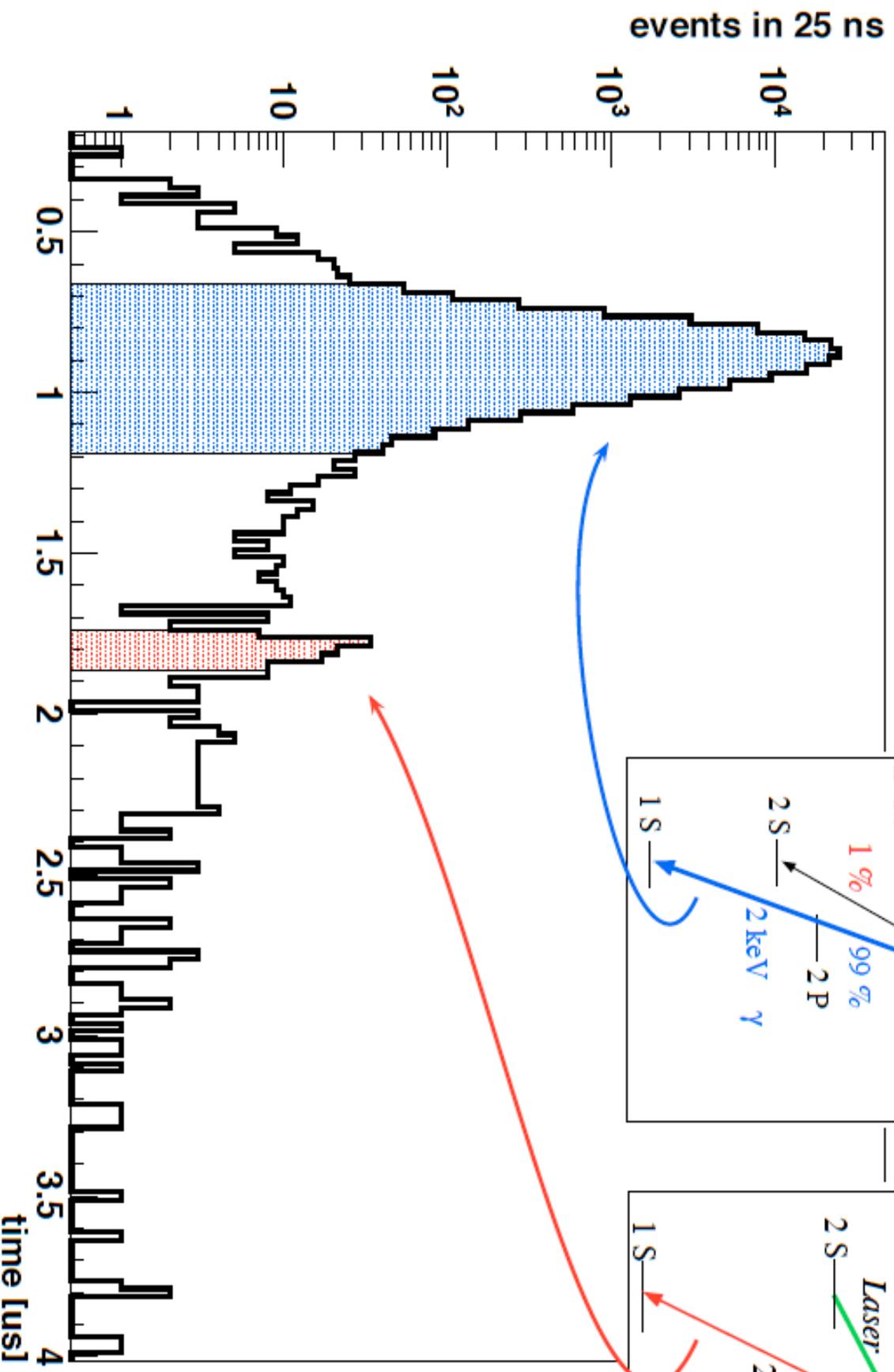
time spectrum of 2 keV x-rays



Pictures: R. Pohl

# Mechanics of measuring with $\mu\text{H}$

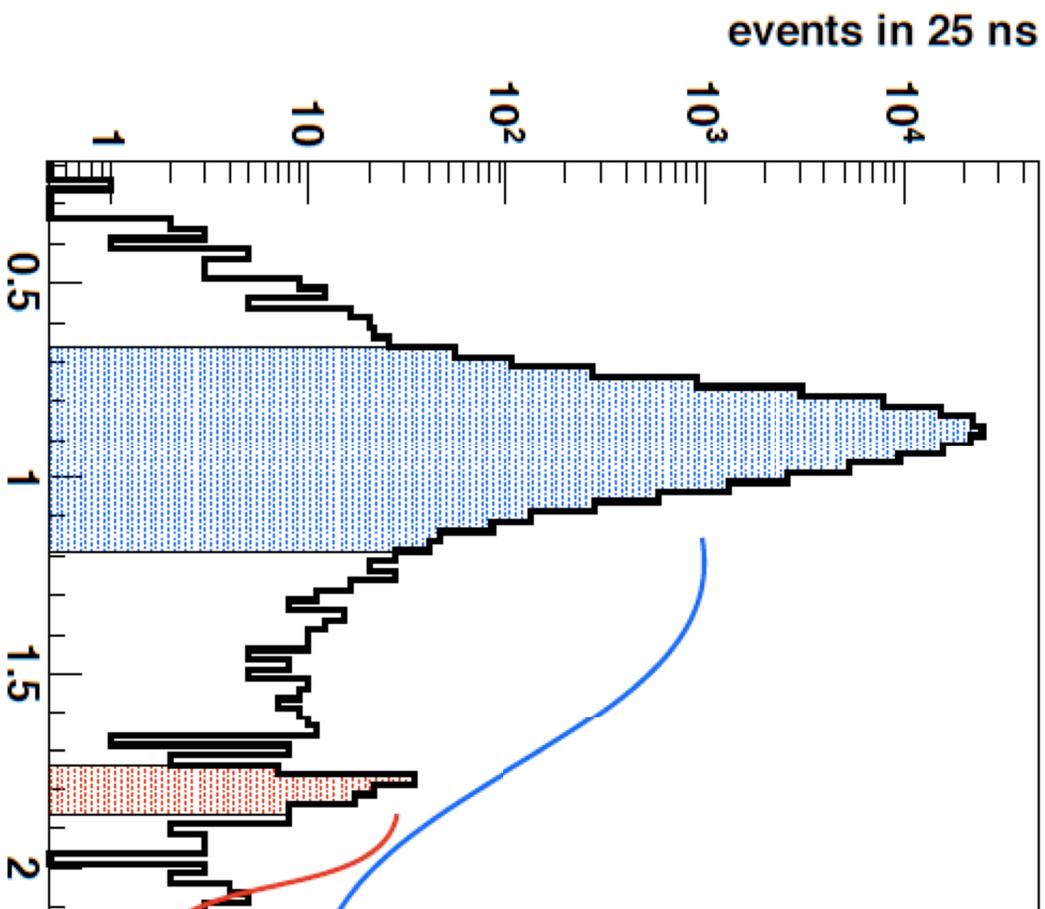
time spectrum of 2 keV x-rays



Pictures: R. Pohl

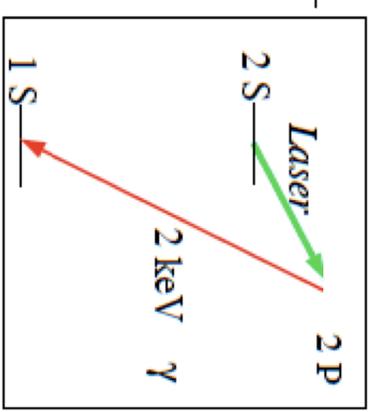
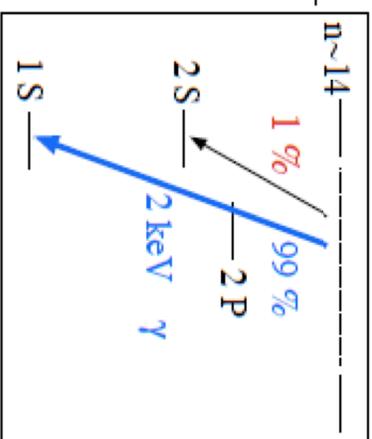
# Mechanics of measuring with $\mu\text{H}$

time spectrum of 2 keV x-rays

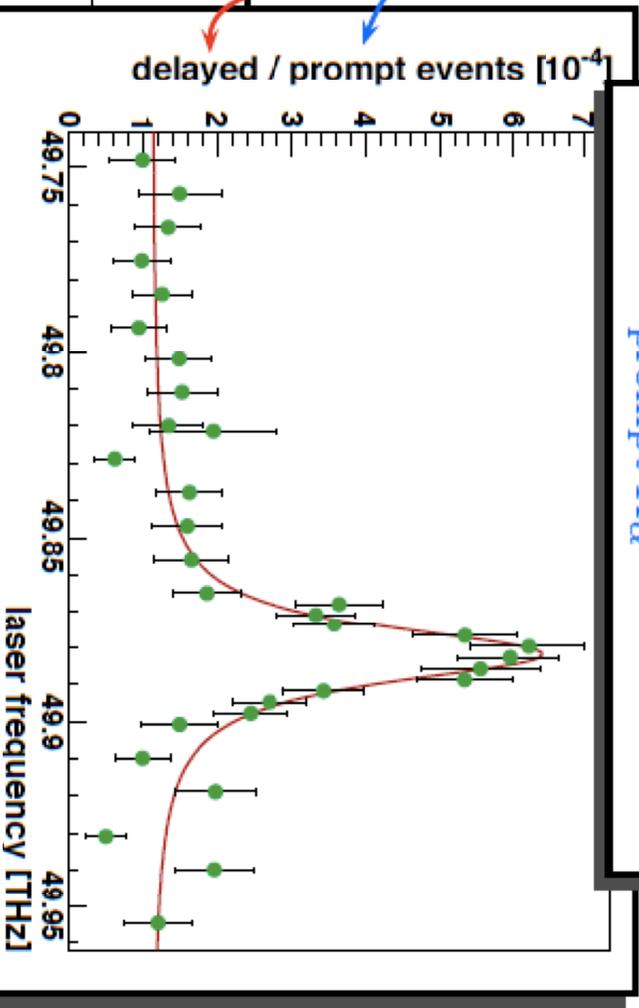


“prompt” ( $t \sim 0$ )

“delayed” ( $t \sim 1 \mu\text{s}$ )



normalize  $\frac{\text{delayed } K_{\alpha}}{\text{prompt } K_{\alpha}} \Rightarrow \text{Resonance}$

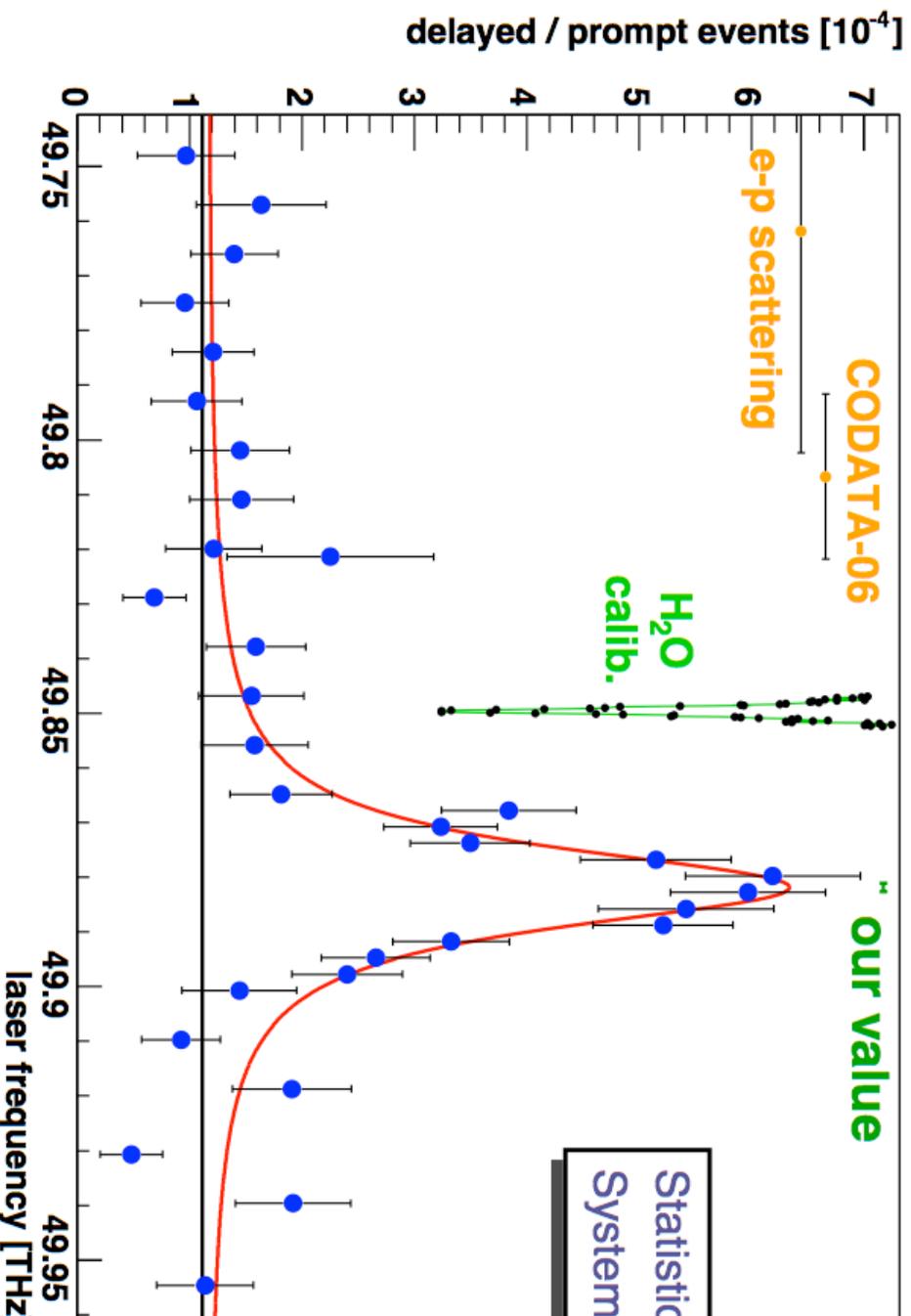


$$\Delta E(2P_{3/2}^{F=2} - 2S_{1/2}^{F=1}) = 209.97779(49) - 5.2262r_p^2 + 0.0347r_p^3 \text{ [meV]}$$

# The Proton Radius from excitation spectrum

Water-line/laser wavelength:  
300 MHz uncertainty

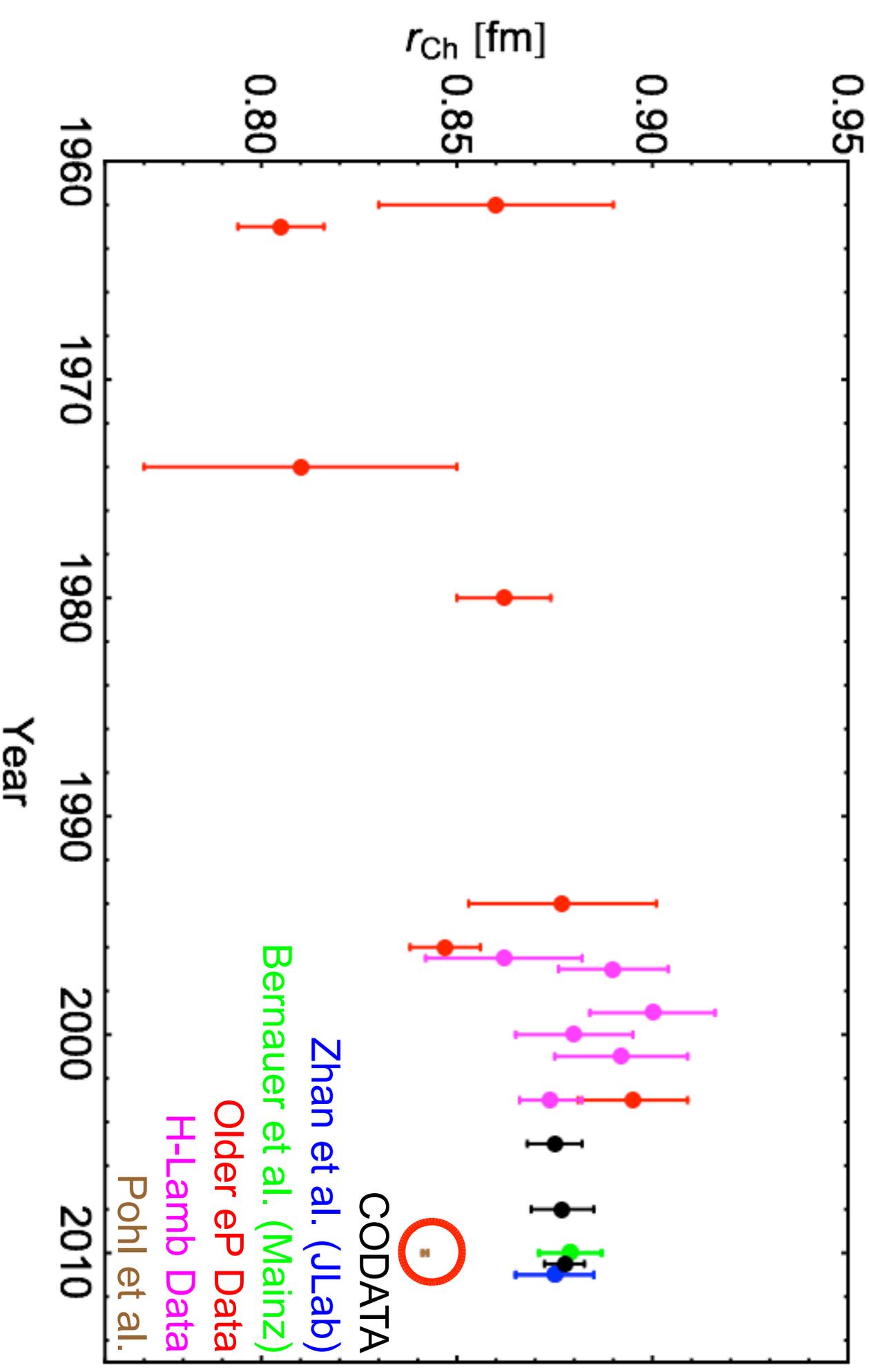
$\Delta\nu$  water-line to resonance:  
200 kHz uncertainty



- ◆ Take ratio of delayed to prompt as a function of laser frequency:

Randolf Pohl et al., Nature 466, 213 (2010):  
 $0.84184 \pm 0.00067$  fm  $5\sigma$  off 2006 CODATA

# Time evolution of the Lamb Shift Measurements & eP data



# Sources of uncertainty

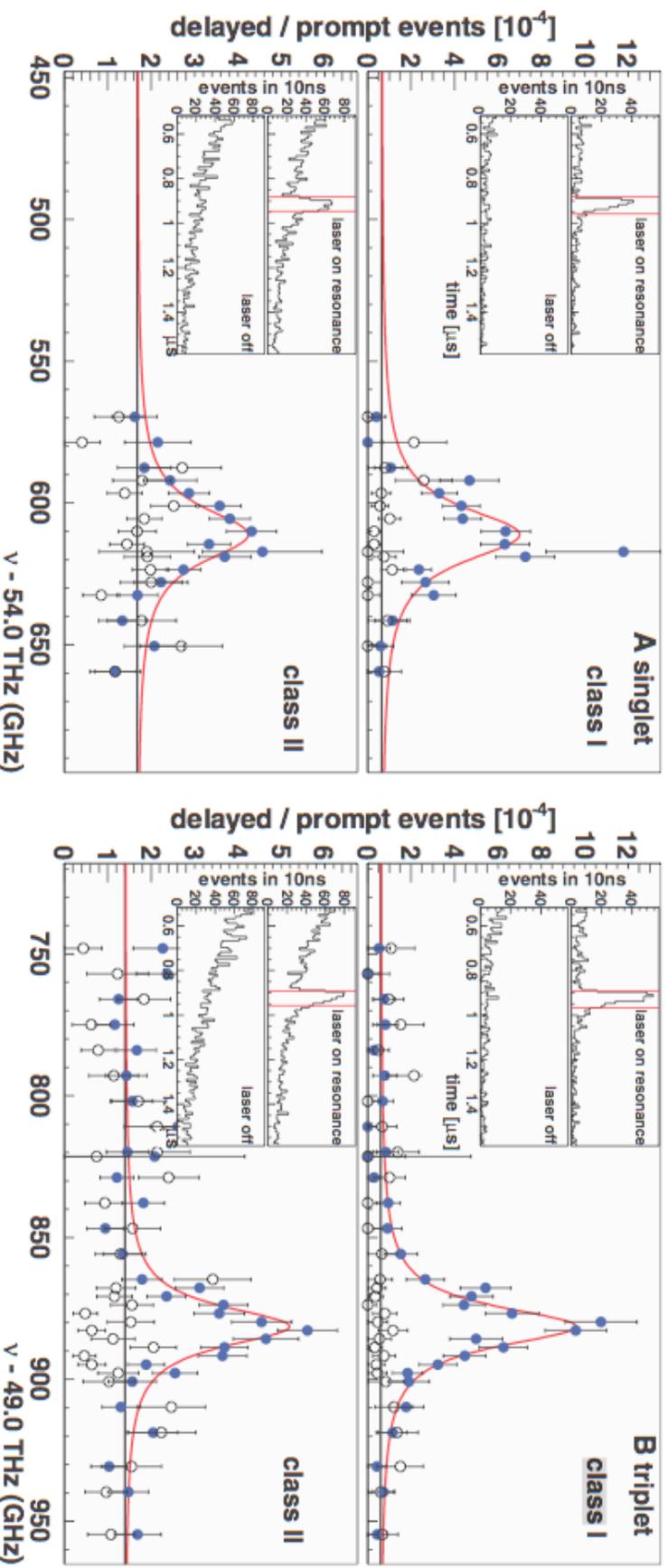
- **Statistics**  
Center position uncertainty ( $\sim 4\%$  of  $\Gamma$ )      700 MHz
- **Systematics**  
Laser frequency ( $\text{H}_2\text{O}$  calibration)      300 MHz  
AC and DC stark shift       $< 1$  MHz  
Zeeman shift (5 Tesla)       $< 30$  MHz  
Doppler shift       $< 1$  MHz  
Collisional shift      2 MHz
- Total uncertainty of the line determination      760 MHz
- **Theory**: proton polarizability      1200 MHz
- **Discrepancy** with CODATA prediction      **75 300 MHz**

Systematic effects are small since they scale like  $1/m$

Finite size effect scales like  $m^3$

# Curiouser & Curiouser...

- ◆ Latest paper: Aldo Antognini *et al.* Science **339**, 417 (2013)
- ◆ Further analysis of data taken in Pohl measurement & new data
- ◆ Magnetic radius agrees with  $e^-$  scattering data ( $0.87 \pm 0.06$  fm)
- ◆ Electric radius in agreement with Pohl  $0.84087 \pm 0.00039$  fm
  - ◆  $7\sigma$  from 2010 CODATA



**Fig. 3.** Muonic hydrogen resonances (solid circles) for singlet  $\nu_s$  (A) and triplet  $\nu_t$  (B) transitions. Open circles show data recorded without laser pulses. Two resonance curves are given for each transition to account for two different classes, I and II, of muon decay electrons (22). Error bars indicate the standard error. (Insets) The time spectra of  $K_{\alpha}$  x-rays. The vertical lines indicate the laser time window.

# Why do the muon and electron give different proton radii?

- ◆ Assuming the experimental results are not bad, what are viable theoretical explanations of the Radius Puzzle?
- ◆ **Novel Beyond Standard Model (BSM) Physics:** Pospelov, Yavin, Carlson, ... : the electron is measuring an EM radius, the muon measures an (EM+BSM) radius
- ◆ **Novel Hadronic Physics:** G. Miller: currently unconstrained correction in proton polarizability affects  $\mu$ , but not  $e$  (effect $\propto m_l^4$ )
- ◆ Basically everything else suggested has been ruled out - missing atomic physics, structures in form factors, anomalous 3rd Zemach radius, ...
- ◆ See Trento Workshop on PRP for more details:

<http://www.mpg.de/~rnp/wiki/pmwiki.php/Main/WorkshopTrento>

## How do we Resolve the Radius Puzzle?

- ◆ New data needed to test that the e and  $\mu$  are really different, and the implications of novel BSM and hadronic physics
  - **BSM**: scattering modified for  $Q^2 \sim m^2$  (typically expected to be a few MeV to 10's of MeV), enhanced parity violation
  - **Hadronic**: enhanced 2 $\gamma$  exchange effects
- ◆ Experiments include:
  - Redoing atomic hydrogen
  - Light muonic atoms for radius comparison in heavier systems
  - Redoing electron scattering at lower  $Q^2$
  - **Muon scattering!**

# How do we Resolve the Radius Puzzle

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    - **Muon scattering!**
- MUSE tests these

# How do we Resolve the Radius Puzzle

Possible 2<sup>nd</sup> generation ex

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# How do we Resolve the Radius Puzzle

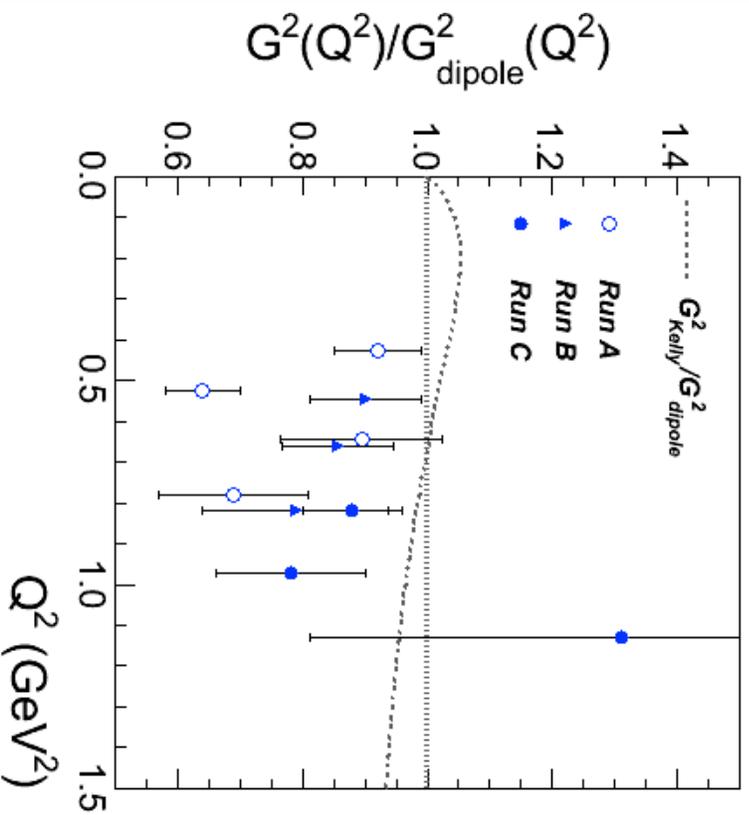
Pos. 2<sup>nd</sup> generation expt.

- ◆ New data needed to test that the e and  $\mu$  are really different, and the implications of novel BSM and hadronic physics
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- ◆ Experiments include:
  - Redoing atomic hydrogen
  - Light muonic atoms for radius comparison in heavier systems **CREMA**
  - Redoing electron scattering at lower  $Q^2$  **Jlab & Mainz**
  - **Muon scattering!**

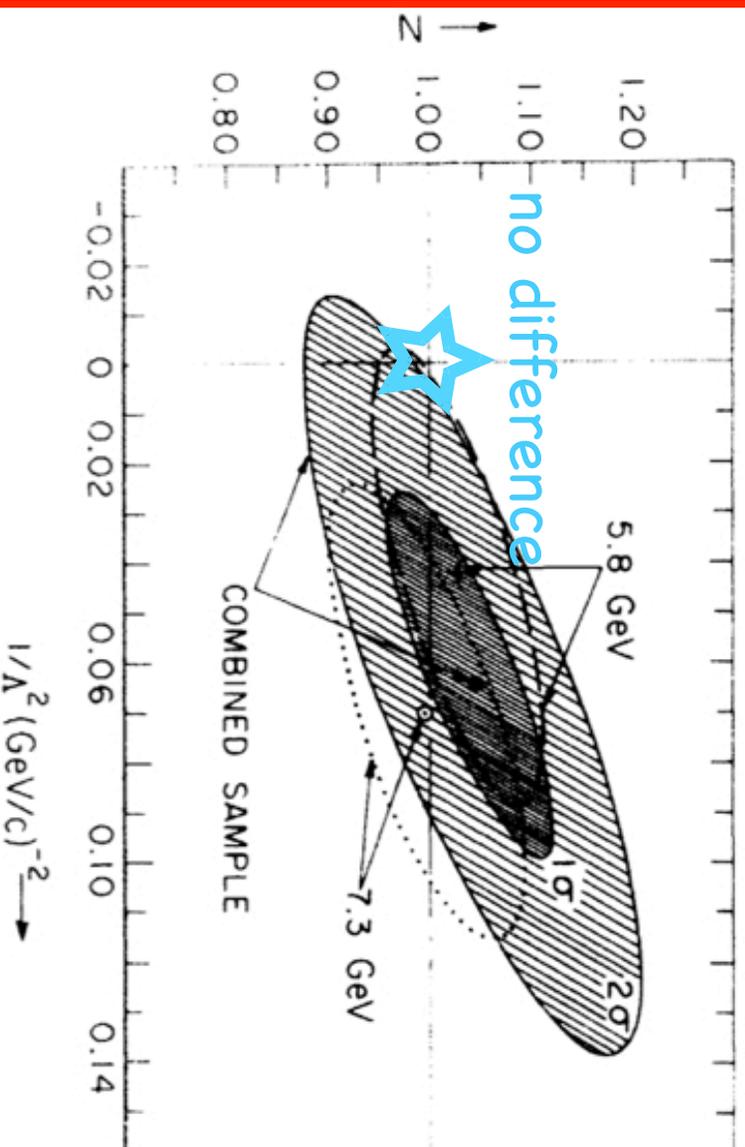
## Previous e-μ Scattering Comparisons

- ◆ 1970's & 80's several scattering ep & μp tests
- ◆ Supported lepton universality at 10% level
- ◆ Insufficient precision to test proton radius issues

Ellsworth et al.: form factors from elastic μp



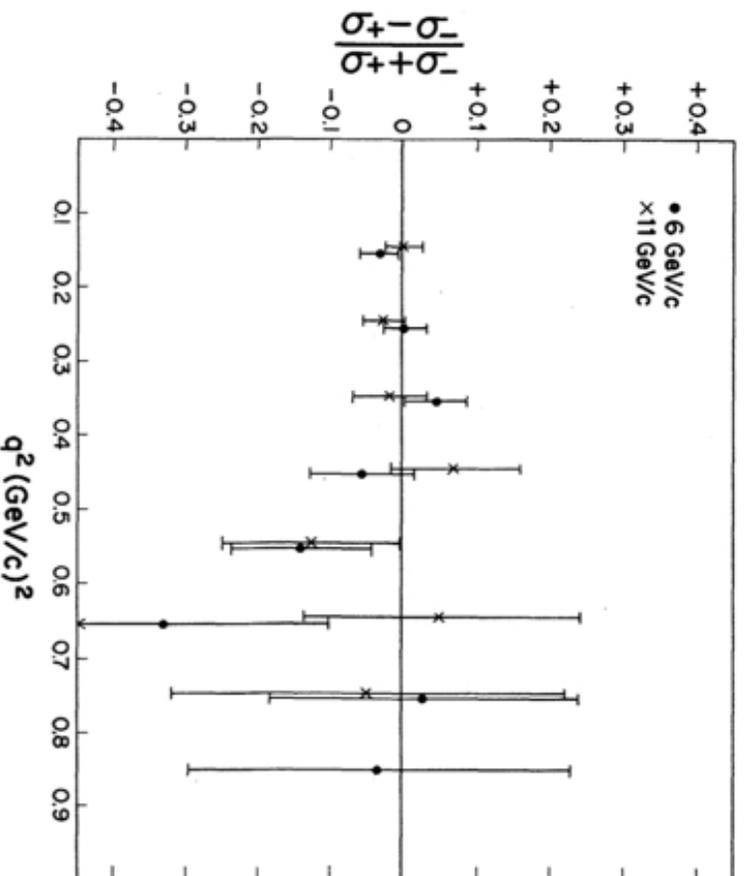
Kostoulas et al. parameterization of μp vs. ep elastic differences



Entenberg et al DIS:  $\sigma_{\mu p}/\sigma_{ep} \approx 1.0 \pm 0.04$  ( $\pm 8.6\%$  systematics)

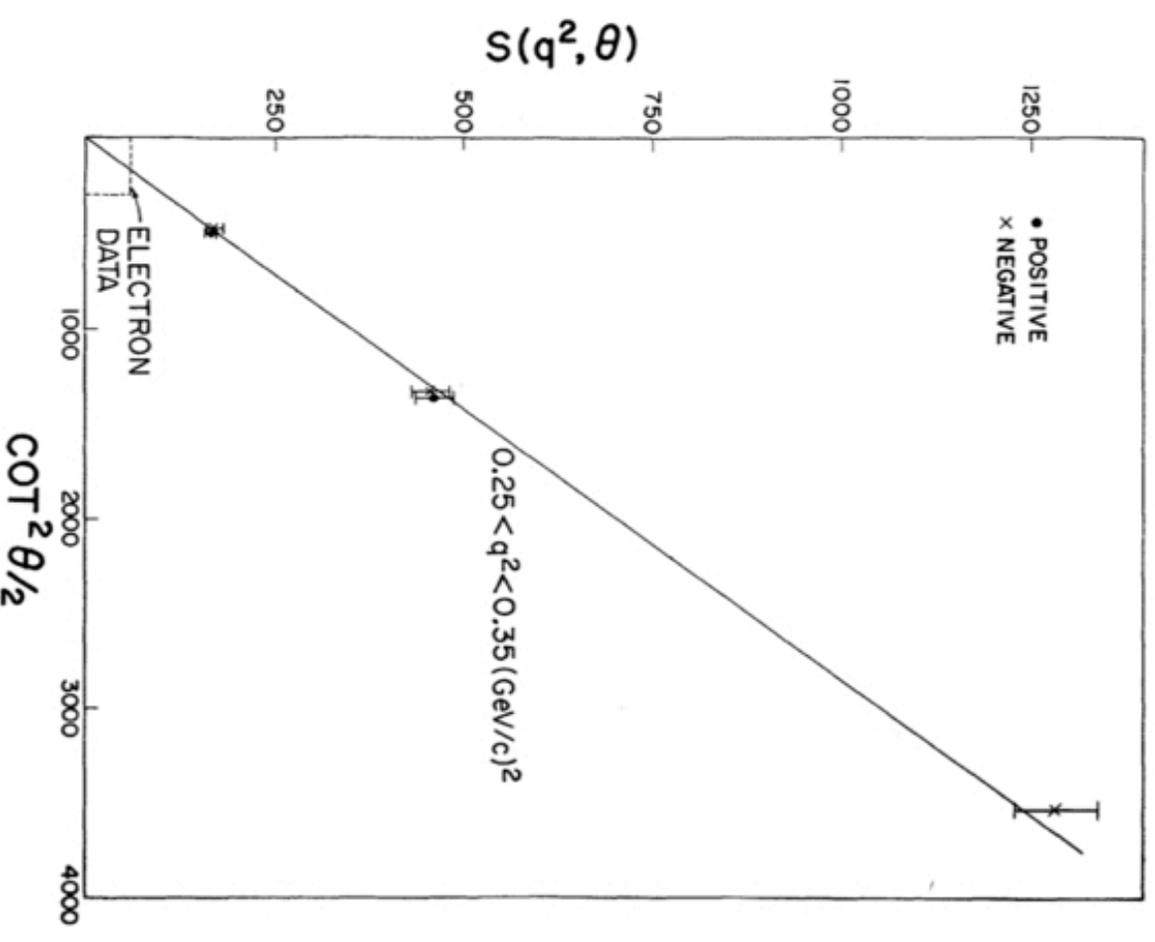
## Two-photon exchange tests in $\mu p$ elastics

- ◆ Camilleri et al. PRL 23: No evidence for two-photon exchange effects, but very poor constraints by modern standards.



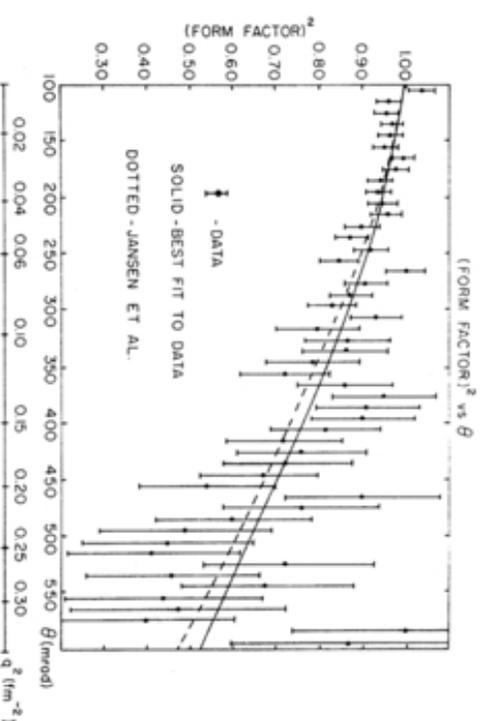
No difference between  $\mu^+p$  and  $\mu^-p$  elastic scattering

Rosenbluth plot is linear.



## <sup>12</sup>C Radius and e-μ Universality

- ◆ <sup>12</sup>C radius determined with e<sup>12</sup>C scattering and μ<sup>12</sup>C atoms agree
  - ➔ Offermann et al. e<sup>12</sup>C: 2.478 ± 0.009 fm
  - ➔ Schaller et al. μ<sup>12</sup>C X rays: 2.4715 ± 0.016 fm
  - ➔ Ruckstuhl et al. μ<sup>12</sup>C X rays: 2.483 ± 0.002 fm
  - ➔ Sanford et al. μ<sup>12</sup>C elastic: 2.32<sup>+0.13</sup><sub>-0.18</sub> fm
- ◆ Perhaps carbon is right, e's and μ's are the same.
- ◆ Perhaps hydrogen is right, e's and μ's are different.
- ◆ Perhaps both are right - opposite effects for proton and neutron cancel with carbon.
- ◆ But perhaps the carbon radius is insensitive to the nucleon radius, and μ or μHe would be a better choice?
- ◆ Also: A. Antognini et al: Muonic H + eH/D isotope shift ⇔  $r_d = 2.12771(22)$  fm vs.  $2.130(10)$  fm from ed scattering.



# MUSE Experiment

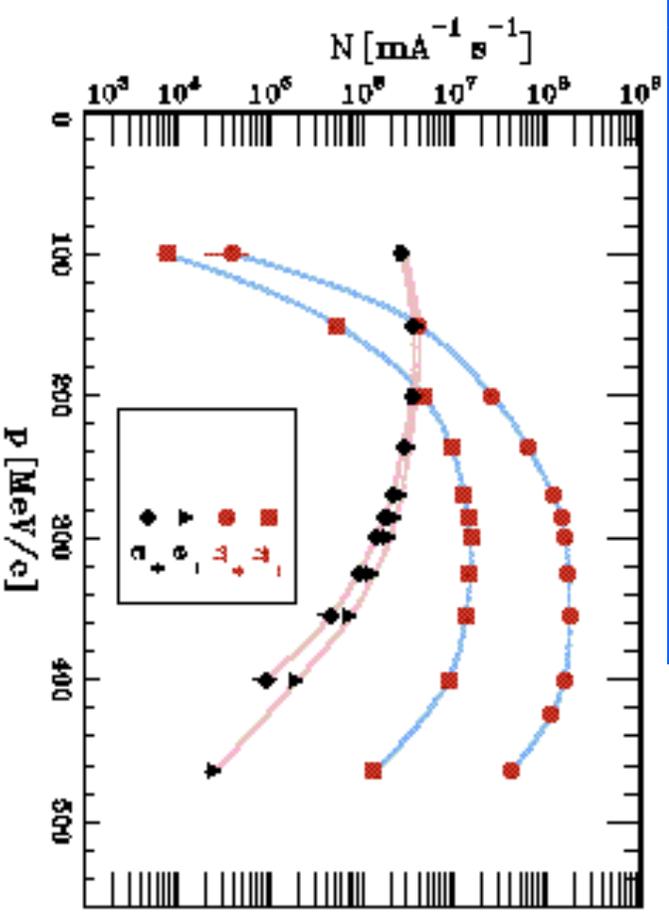
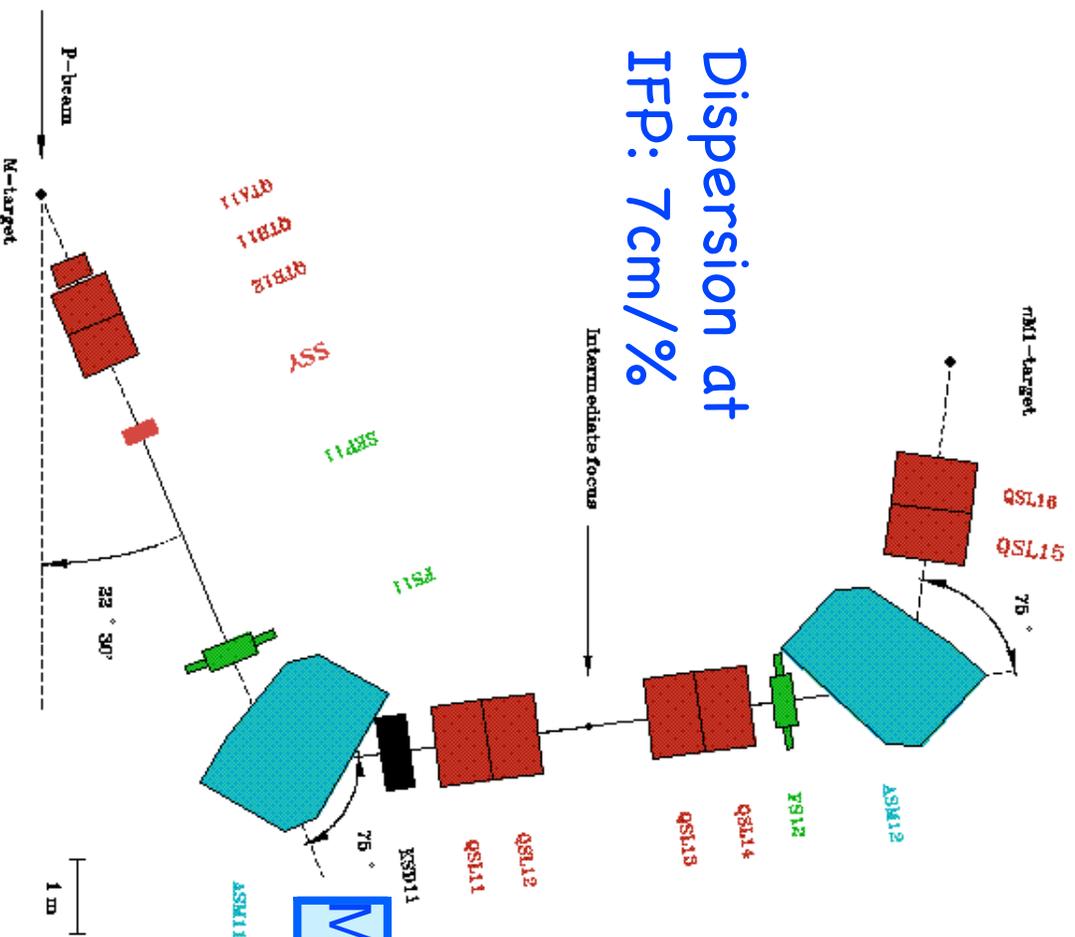
$r_p$ (fm)	eP	$\mu$ P
atom	$0.877 \pm 0.007$	$0.841 \pm 0.0004$
scattering	$0.875 \pm 0.006$	?

- ◆ Simultaneous measurement of  $e^+/\mu^+$   $e^-/\mu^-$  elastic scattering on the proton at beam momenta of 115, 153, 210 MeV/c in pM1 channel at PSI allows:
  - Determination of two photon effects
    - Test of Lepton Universality
  - Simultaneous determination of proton radius in both eP and  $\mu$ P scattering

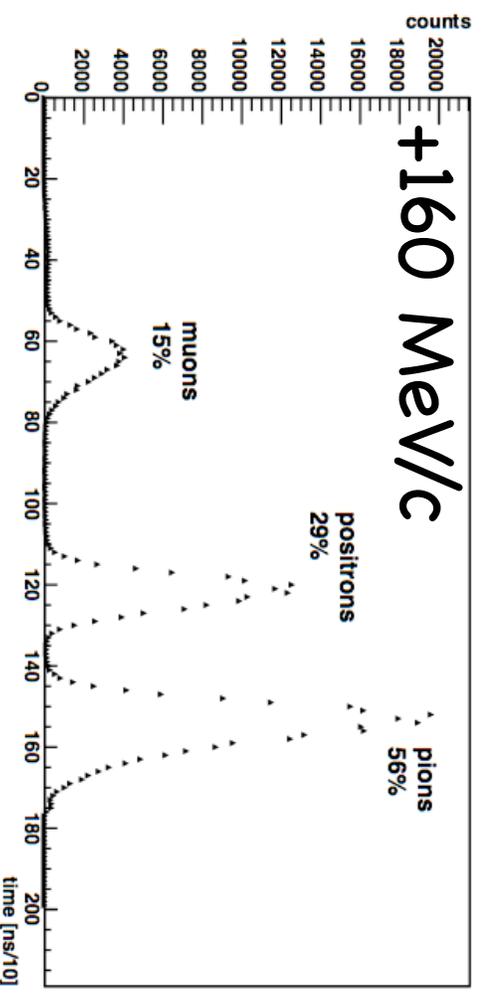
# PSI $\pi M1$ Channel Characteristics

$\approx 100 - 500$  MeV/c mixed beam of  $\mu$ 's +  $e$ 's +  $\pi$ 's

Dispersion at IFP: 7cm/%



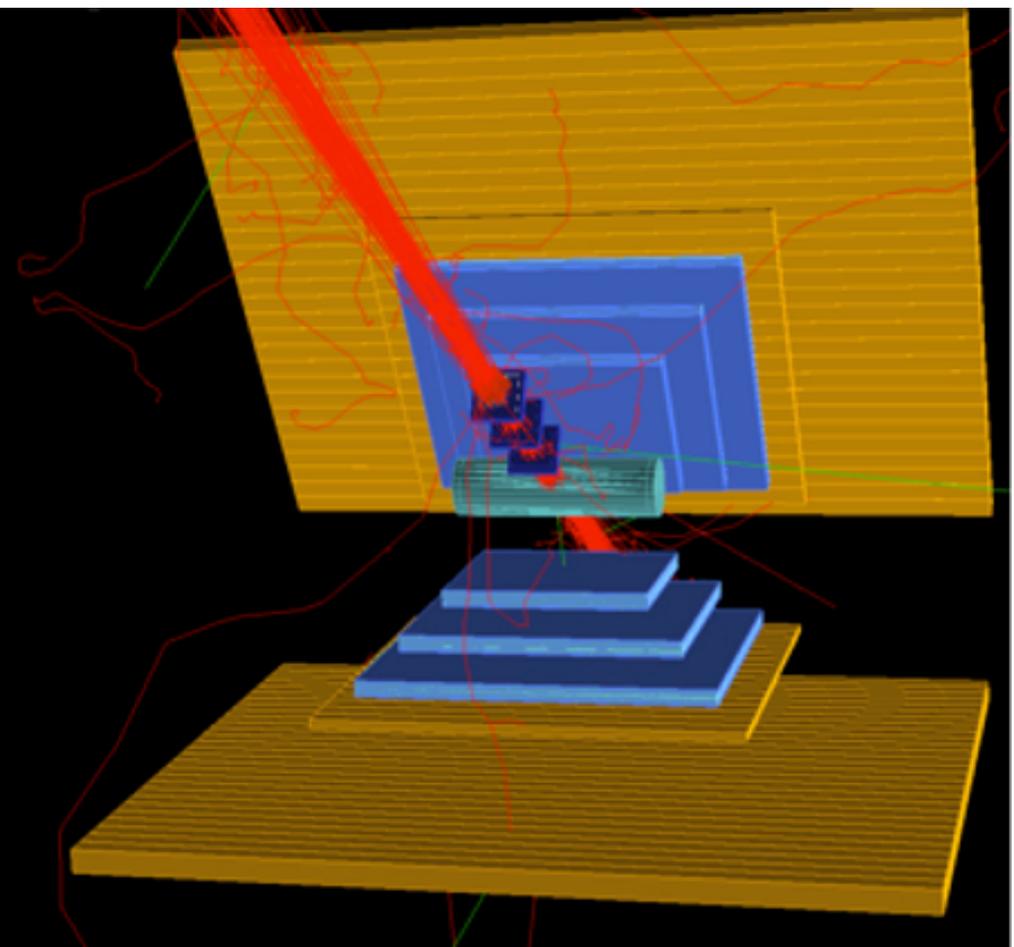
Momentum acceptance: 3% resolution: 0.1%



Beam spot (nominal): 1.5 cm X X 1 cm Y, 35 mr X' X 75 mr Y'

Spots from 0.7x0.9 cm<sup>2</sup> up to 16x10 cm<sup>2</sup>,  $\Delta p/p$  from 0.1-3.0%, used previously.

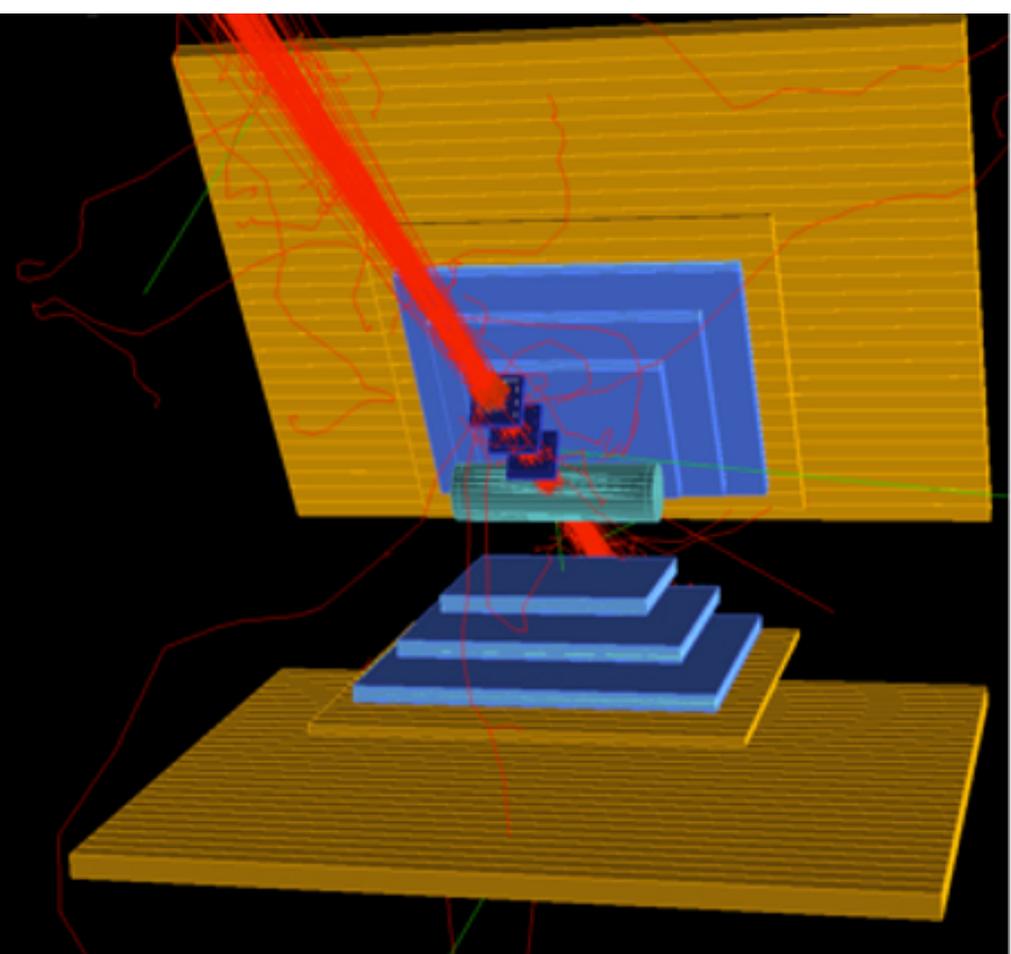
# MUSE Experiment



- ◆ Low beam flux. → Large angle, non-magnetic detectors.
- ◆ Secondary beam. → Tracking of beam particles to target.
- ◆ Mixed beam. → Identification of beam particle in trigger.

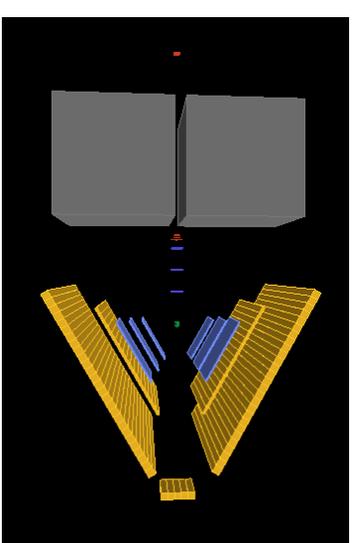
# MUSE Experiment

- ◆ PSI  $\pi M1$  channel
- ◆  $\approx 115, 153, 210$  MeV/c mixed beams of  $e^\pm, \mu^\pm$  and  $\pi^\pm$
- ◆ FPGA trigger with beam PID
- ◆  $\theta \approx 20^\circ - 100^\circ$
- ◆  $Q^2 \approx 0.002 - 0.07$  GeV<sup>2</sup>
- ◆ About 5 MHz total beam flux,  $\approx 2-15\%$   $\mu$ 's, 10-98%  $e$ 's, 0-80%  $\pi$ 's
- ◆ Beam monitored with SciFi, "quartz" Cerenkov, GEMs
- ◆ Scattered particles detected with wire chambers and scintillators





# SciFi Beam Detectors (HUJI / Tel Aviv)



## At target

- ◆ Timing ( $\sim 1\text{ns}$ ) for PID in combination with beam RF
- ◆ Beam flux normalisations for absolute cross sections & triggering
  - ◆ Position & time for correlations with GEMS

## At IFP

- ◆ PID for triggering and position to determine momentum

## Combined

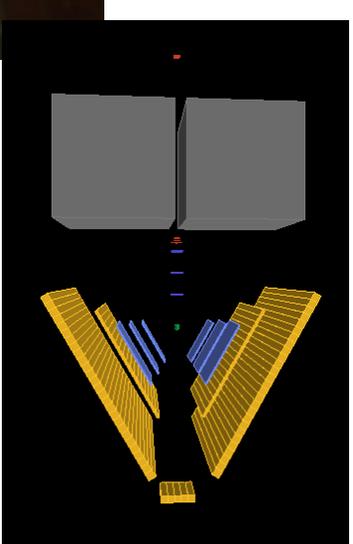
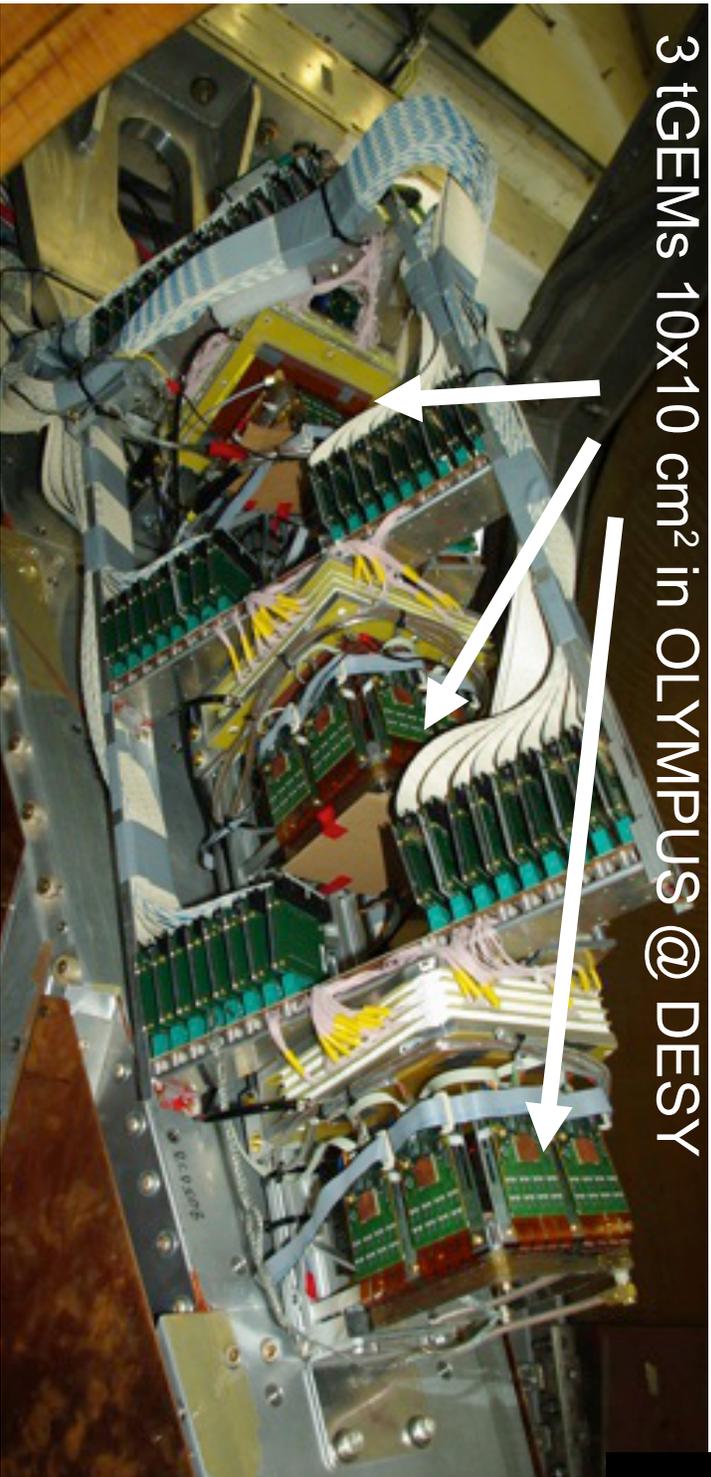
- ◆ TOF between counters for PID

## Properties

- ◆ 2mm fibres, double-ended maPMT readout. XX' (XYU) orientations for IFP (target) detectors with  $\approx 120$  (100) fibres & 8cm active area

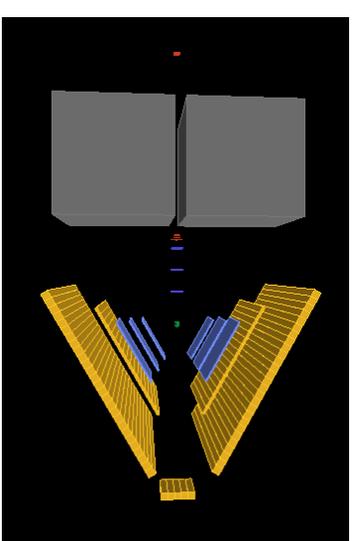
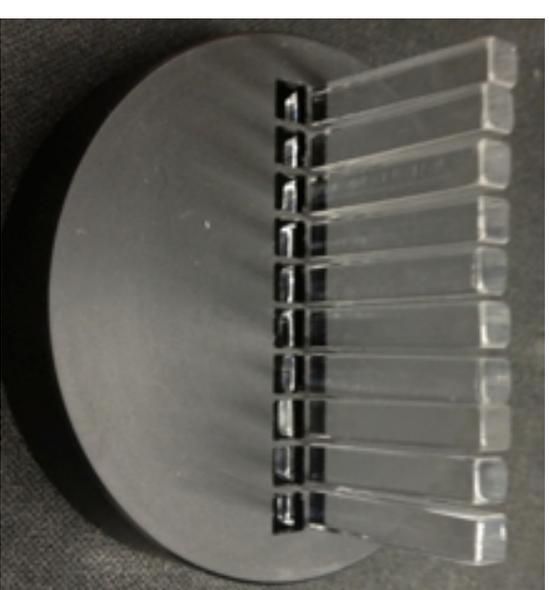
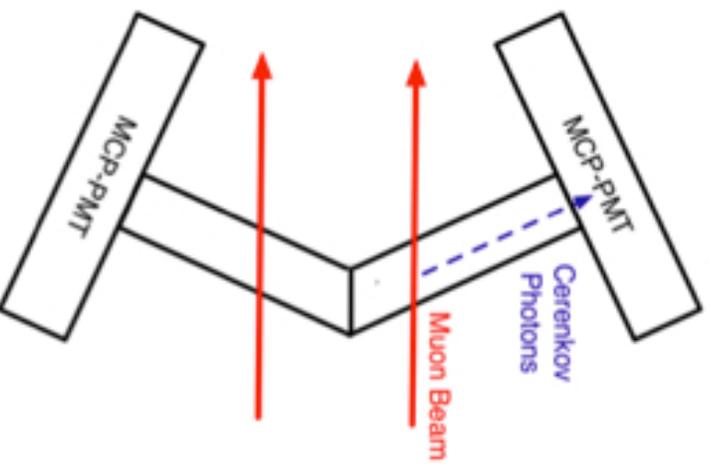
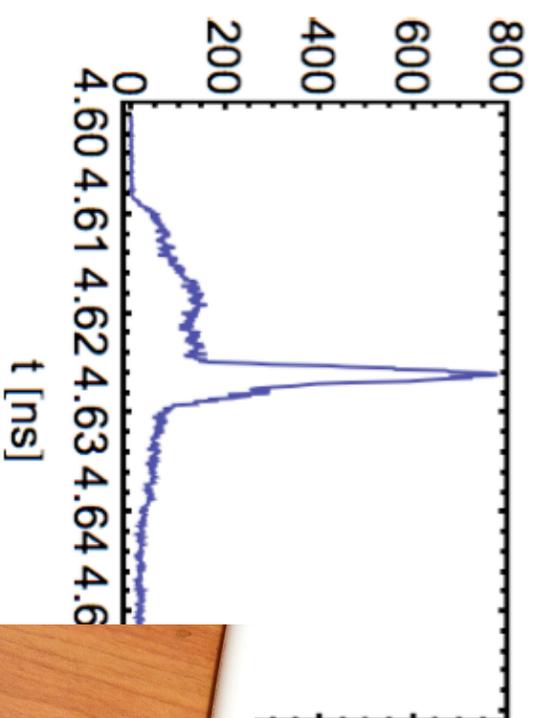
## GEM Chambers (Hampton U.)

3 tGEMs 10x10 cm<sup>2</sup> in OLYMPUS @ DESY



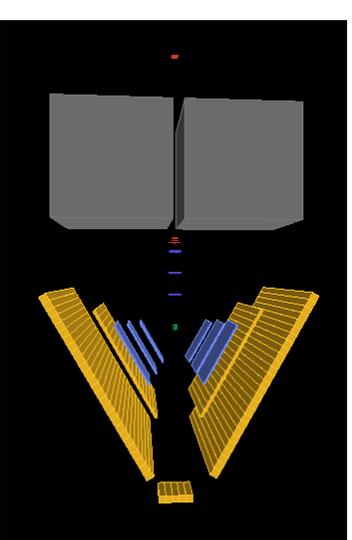
- ◆ Determine trajectory into target for scattering angle &  $Q^2$ 
  - ◆ Third GEM to reject ghosts
- ◆ GEMs from DESY OLYMPUS experiment
  - ◆ On way to PSI
- ◆ Need work to speed up readout algorithm

## Quartz Cherenkov (Hebrew U.)

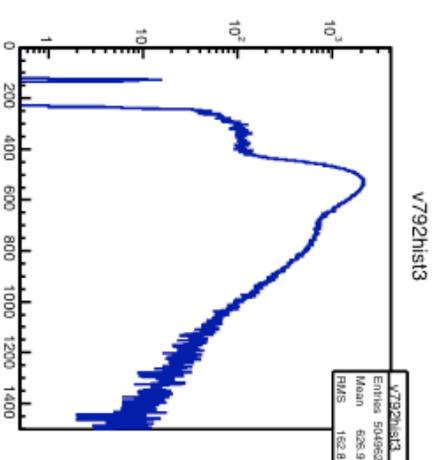
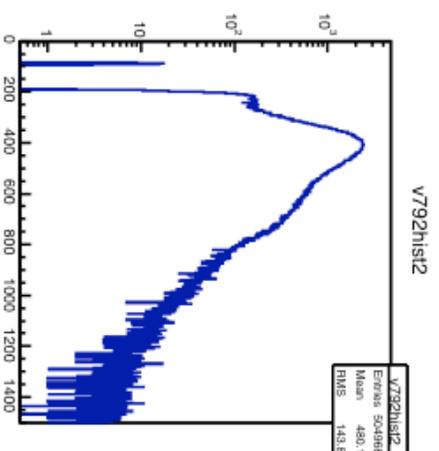
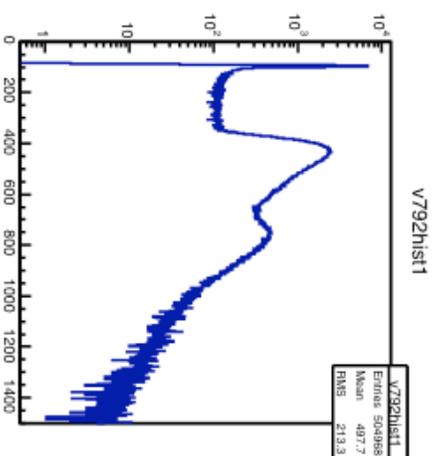
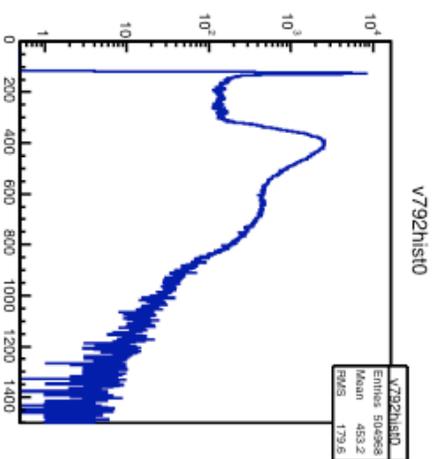


- ◆ Improved timing at target region
- ◆ Better RF time PID in analysis stage
- ◆ Muon decay event rejection
- ◆ Quartz Cherenkovs Albrow et al. (FNAL) 10ps resolution
- ◆ Quartz / Sapphire at Cherenkov angle
- ◆ MUSE fewer photons  $\approx 100\text{ps}$  ( $\approx 50\text{ps}$  after corrections)

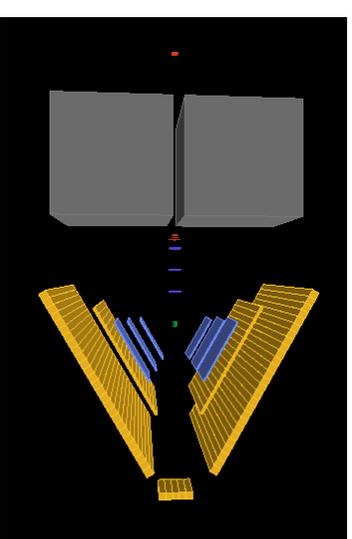
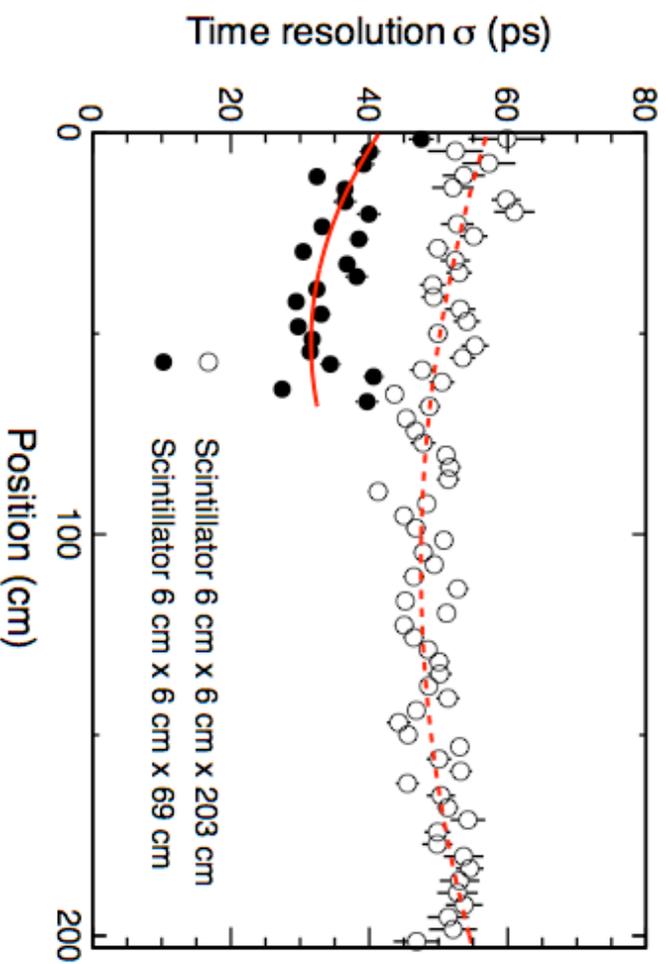
# Beam Scintillators (U. So. Carolina)



- ◆ Parasitic monitor of random, non-triggering beam particles
- ◆ Same design as for CLAS 12
- ◆ Test run data verified simulations
- ◆ So. Carolina scintillator spectra:

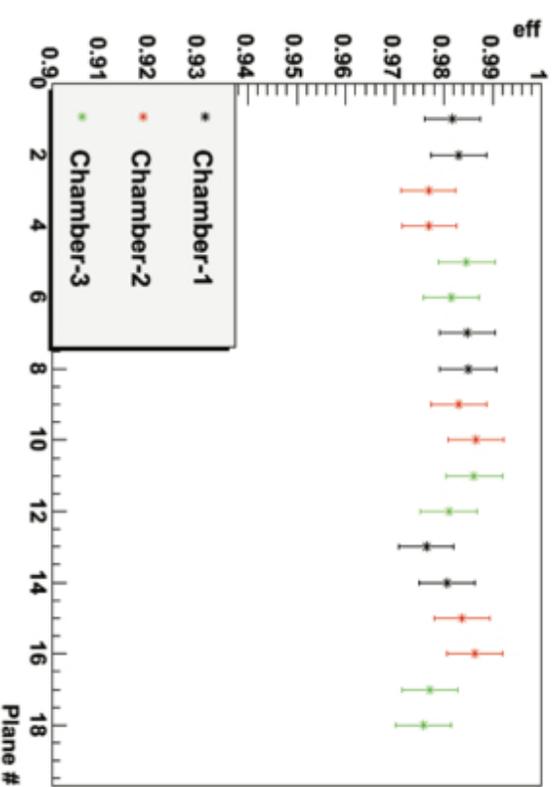
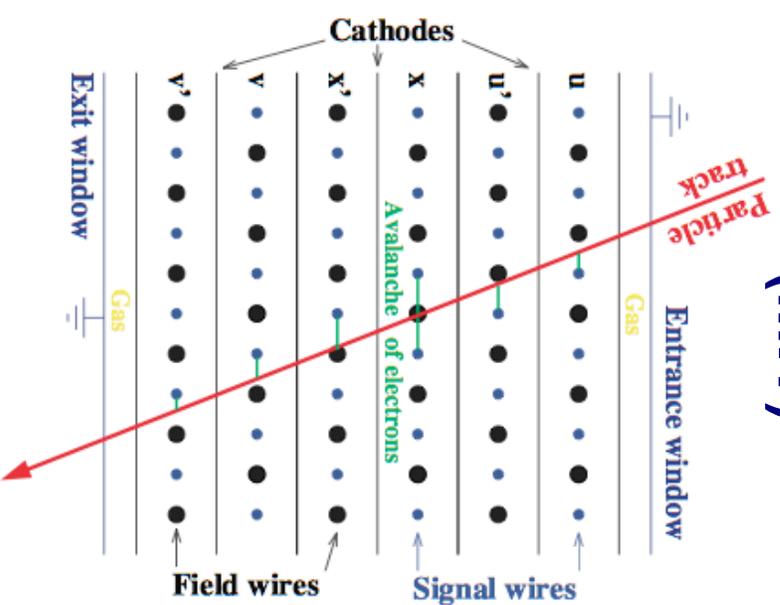
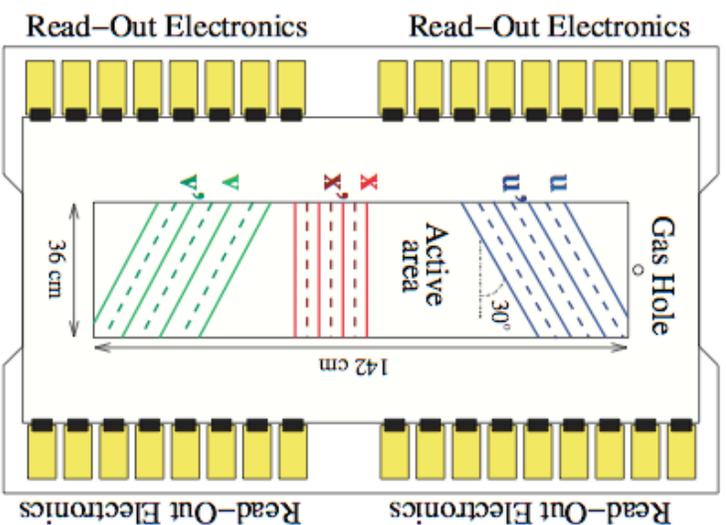
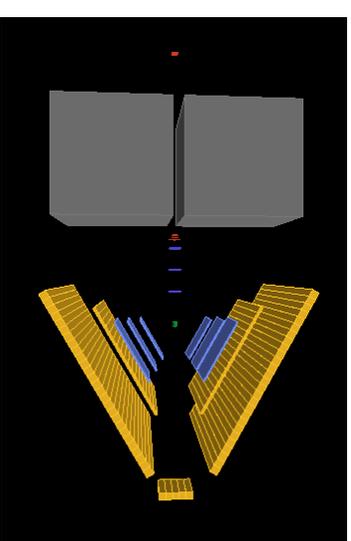


# Scintillators (U. So. Carolina)



- ◆ Detect scattering particles depositing few MeV in each of two planes
- ◆ High precision timing for PID & rejection of electrons from muon decay
  - ◆ JLab CLAS12 design
- ◆ Front: 17 paddles, 6cm wide x 2cm thick x 103cm long, 50cm from target
- ◆ Rear: 27 paddles, 6cm wide x 6cm thick x 163cm long, 73cm from target
  - ◆ Resolution:  $\approx 40$ ps front,  $\approx 50$ ps rear

# Wire Chambers (MIT)



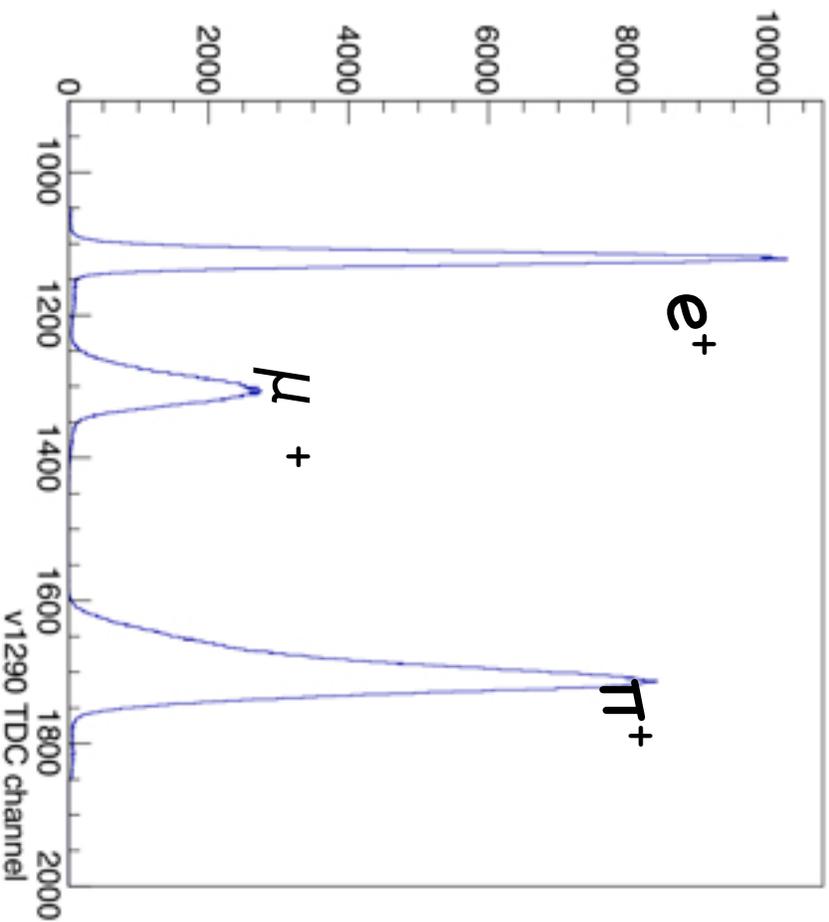
- ◆ Determine scattered particle trajectories with high efficiency & resolution
  - ◆ Copy of Hall A / Uva Bigbite design
- ◆ 98% plane efficiency & 98% tracking efficiency in harsh conditions
  - ◆ 3UU'VV'XX' chambers
  - ◆ Wire position to 35mm, particle position to 100mm
- ◆ Calibrated relative to GEMs by rotating chambers into beam

# MUSE $\mu p$ Scattering at PSI

- ◆  $\mu p$  and  $e p$  comparison:
- ◆ BSM physics could lead to different FF and radii although the effect in scattering experiments could go away once  $Q^2 > m_{\text{new}}^2$ 
  - ◆ Measure both  $\mu^\pm p$  and  $e^\pm p$  for  $2\gamma$  exchange
  - ◆ Proton polarisability effect enhances  $2\gamma$  exchange
- ◆ MUSE is in the low  $Q^2$  region, 0.002 - 0.07  $\text{GeV}^2$ , (similar to Mainz and JLab experiments) for sensitivity to radius
- ◆ A variety of 2nd generation experiments (lower  $Q^2$ ,  $\mu^\pm n$ , higher  $Q^2$ , PV, "heavy" nuclei ...) are already being considered.

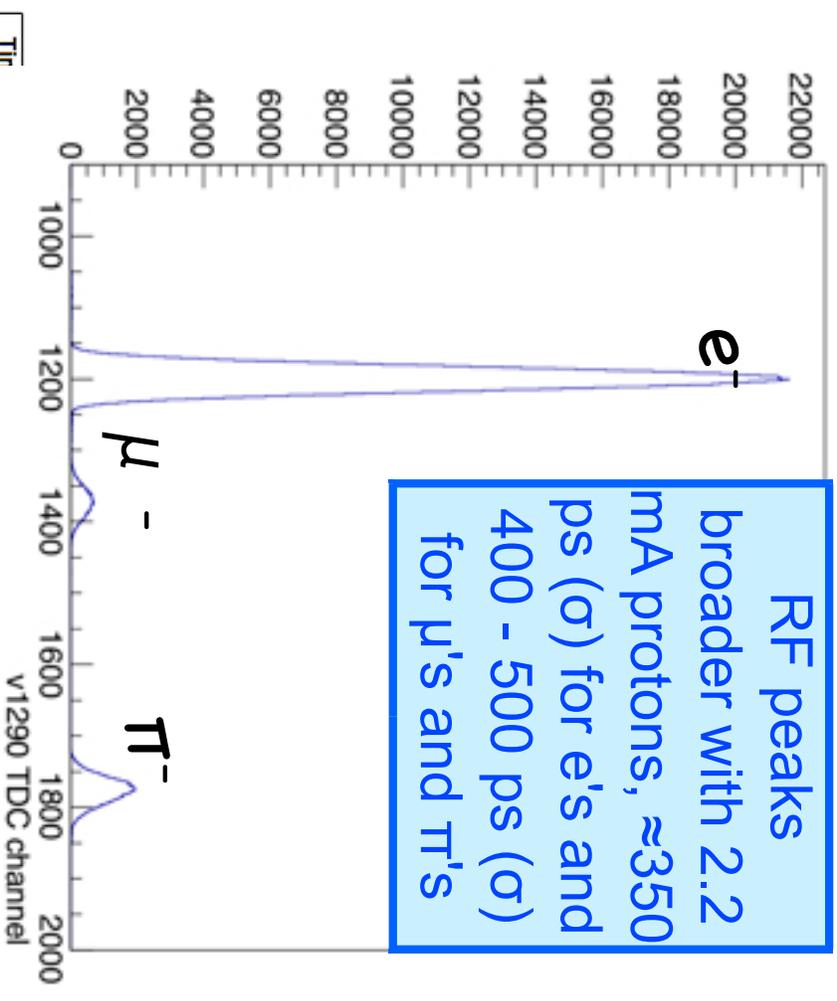
# $\pi M1$ Channel - RF time in target region

+158 MeV/c, 50  $\mu$ A proton current

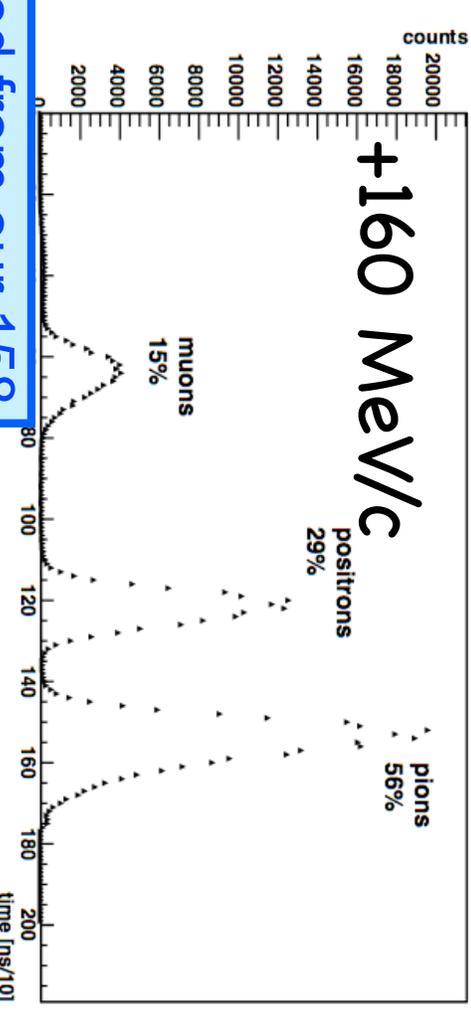


Obtained RF time spectra for several momenta from  $\approx 110$  to 225 MeV/c, and used these to determine relative particle fluxes

-158 MeV/c, 2.2 mA proton current



Old spectra, for comparison - 160 reversed from our 158



## $\pi$ M1 Channel – Particle Fluxes

- ◆ Limiting flux to 5 MHz total, by cutting the 3% momentum bite
- ◆ Flux of electrons 1.4 – 35 times larger than flux of muons

P (MeV/c)	p (MHz)	m (MHz)	e (MHz)	Momentum bite (%)
+115	0.43	0.43	4.0	1.8
+153	2.10	0.59	2.3	0.9
+210	4.1	0.39	0.54	0.2
-115	0.01	0.14	4.9	2.0
-153	0.55	0.17	4.3	1.3
-210	2.23	0.77	2.0	0.6

## Beam Line Summary

- ◆ Good flux of  $\mu$ 's at target, much better flux of e's
  - ◆ Beam spot smaller than nominal ( $\sigma$ )
  - ◆ Beam properties independent of particle type
    - ◆ Protons not an issue at our momenta
- ◆ Particles can be separated by  $\approx$ ns level RF timing at  $\approx$ 115, 153, 210 MeV/c for our geometry
- ◆ Beam emittance requires event tracking into target with GEMs
- ◆ Time width of particles appears to be 500 ps ( $\sigma$ ), except electrons appear to be  $\approx$ 350 ps  $\rightarrow$  necessitates high timing precision beam Cerenkov for rejection of  $\mu$  decays

## Next Few Years for MUSE

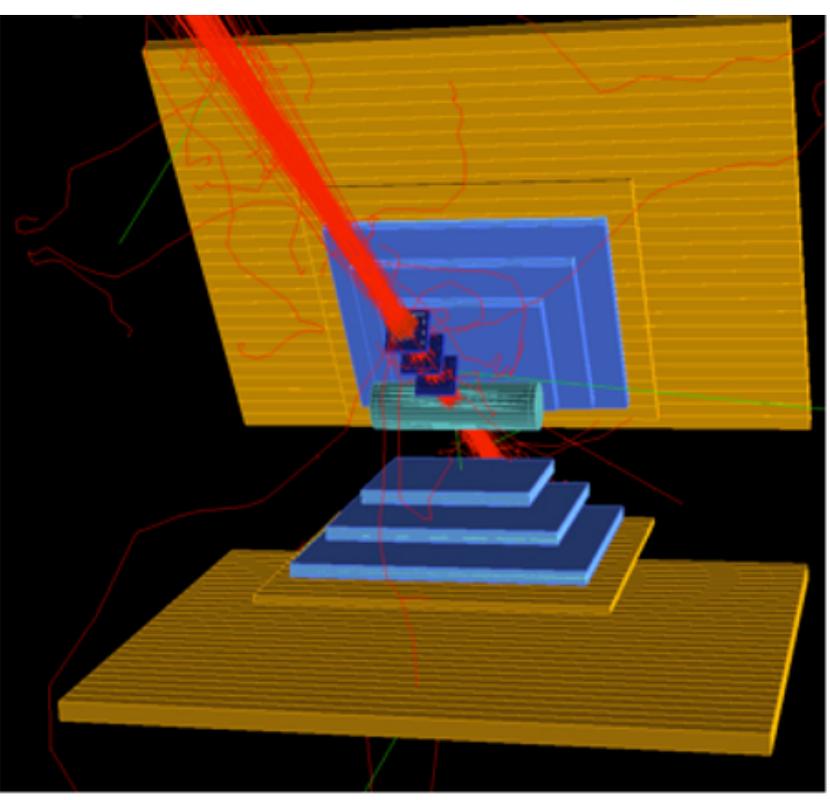
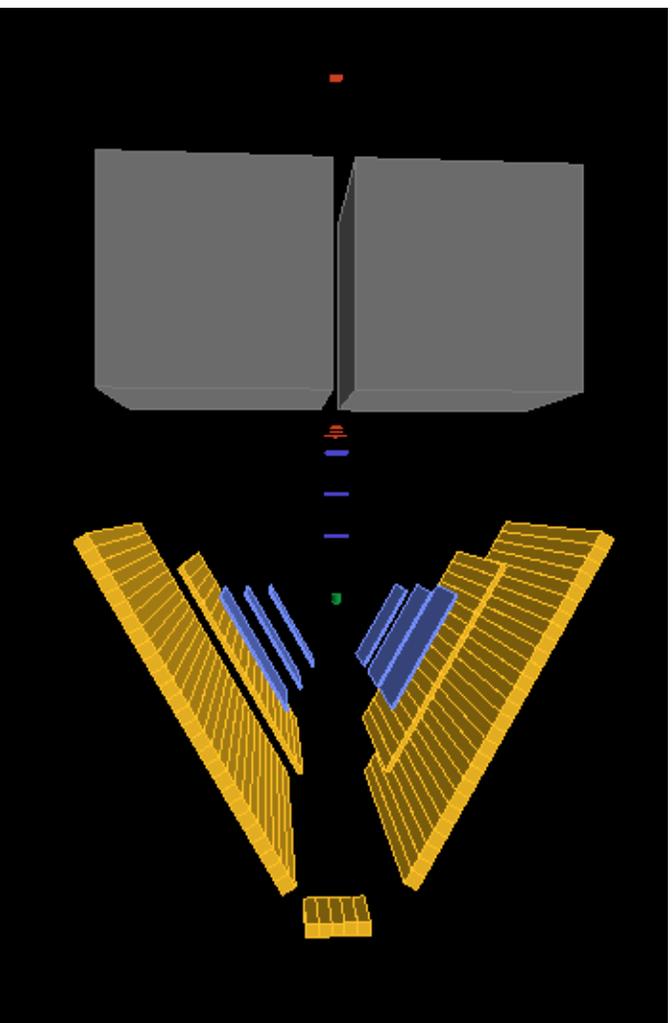


Feb 2012	First PAC presentation
July 2012	PAC / PSI Technical review
Fall 2012	1st test run in pM1 beamline
Jan 2013	PAC approval
Summer 2013	2nd test run in pM1 beamline
Fall 2013	Funding requests
Summer 2014	Money arrives? - start construction
Summer 2015	Start assembling equipment at PSI
Late 2015	Set up and have dress rehearsal
2016 - 2017	2 6-month experiment production runs

## Second Test Run

- ◆ Redo beam tests with GEMs
  - ◆ "Quartz" Cerenkov test
  - ◆ Mini-scattering experiment

## Reference Design



- ◆ Beam: IFP SciFi → shielding wall → target SciFi → Cerenkov → GEM → target → beam monitor scintillators
  - ◆ Wire chambers & scintillator walls for scattered particles
    - ◆ Standard technology
- ◆ Geant4 estimates, target collimator bg. v. sensitive to beam distributions
  - ◆ Custom FPGA trigger to record scattering events and reject  $\pi$

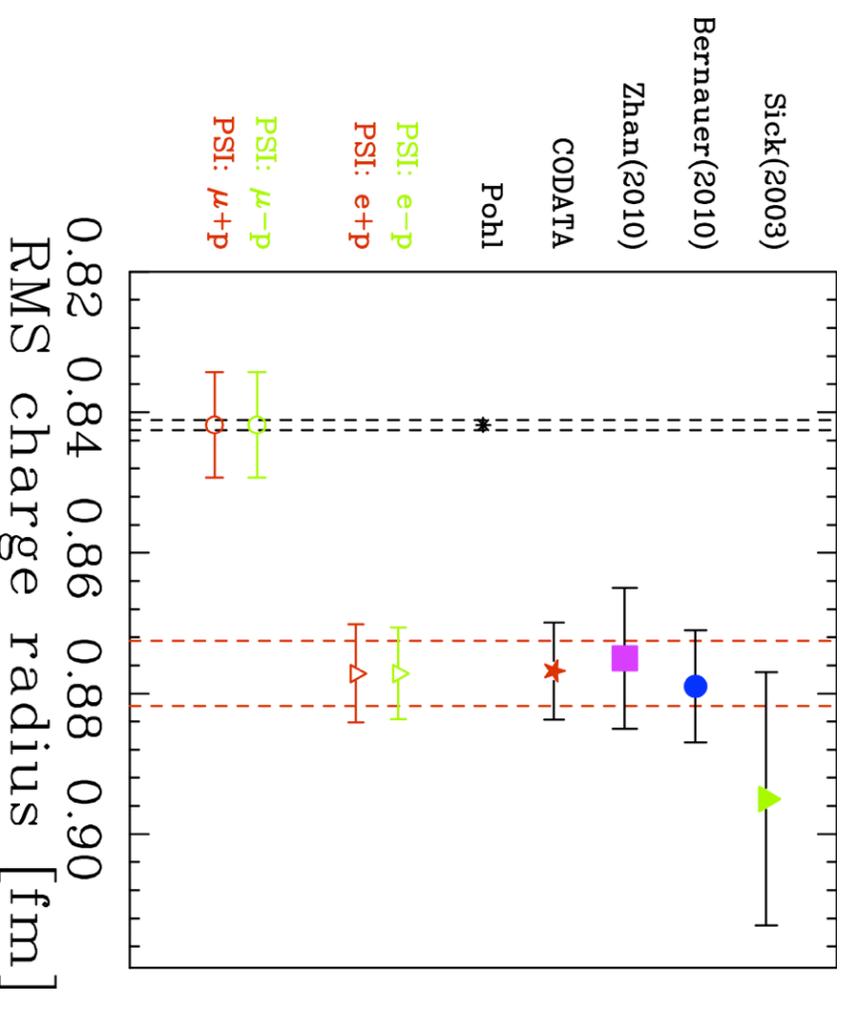
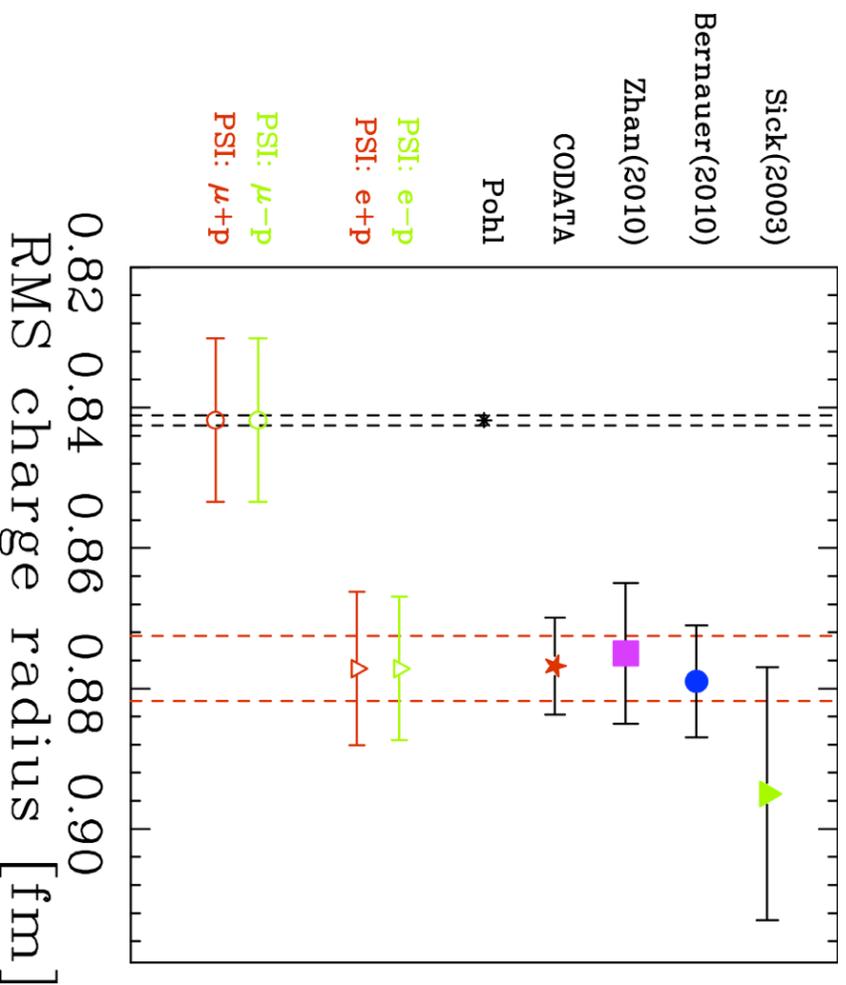
## New Equipment Summary

<b>Detector</b>	<b>Who</b>	<b>Technology</b>
Beam SciFi	Tel Aviv, St. Marys	conventional
GEMs	Hampton	detector exists
Quartz Cerenkov	Hebrew	prototyped
FPGAs	Rutgers	conventional
Target	Hebrew	conventional
Wire Chambers	MIT	Copy existing system
Scintillators	SC	Copy existing system
DAQ	GWU	Conventional, except TRB3 prototyped

For more information see proposal and TDR on website:

<http://www.physics.rutgers.edu/~rgilman/elasticmup>

# Physics

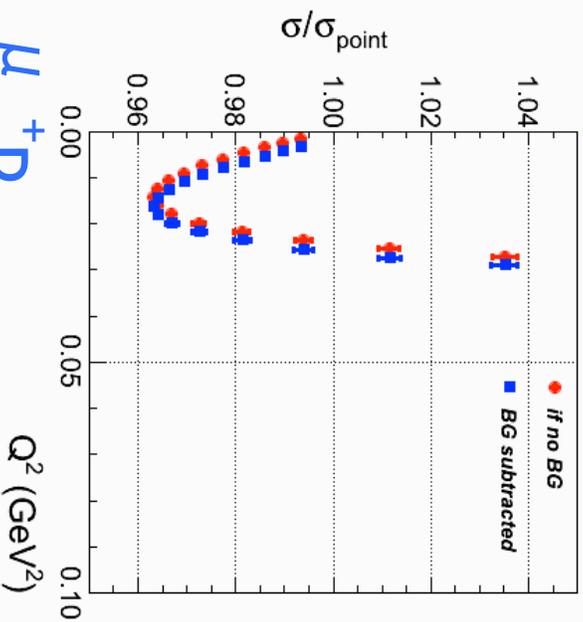


◆ Radius extraction from John Arrington

◆ Left: independent absolute extraction

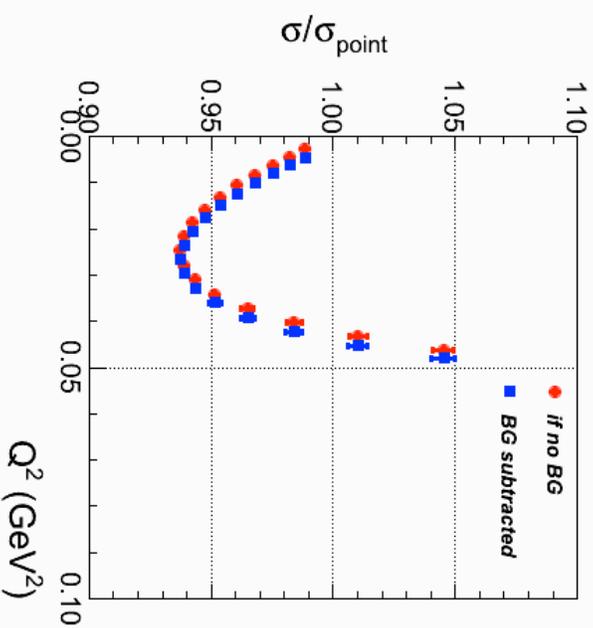
◆ Right: extraction with only relative uncertainties

$e^+p$  115 MeV/c

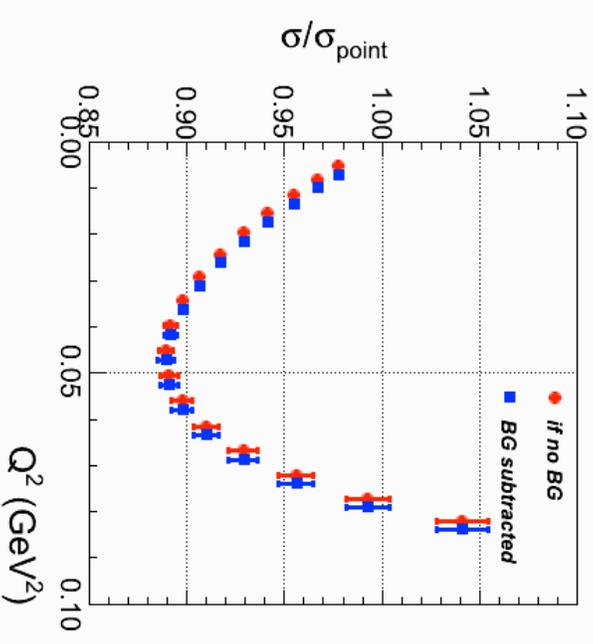


Estimated Results!

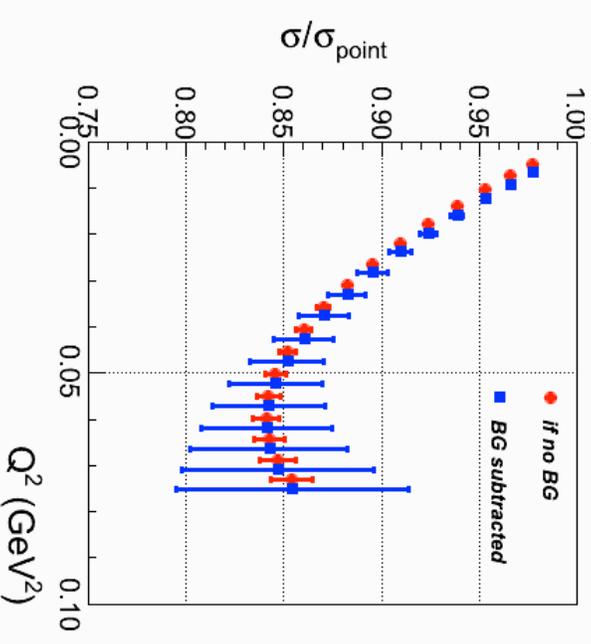
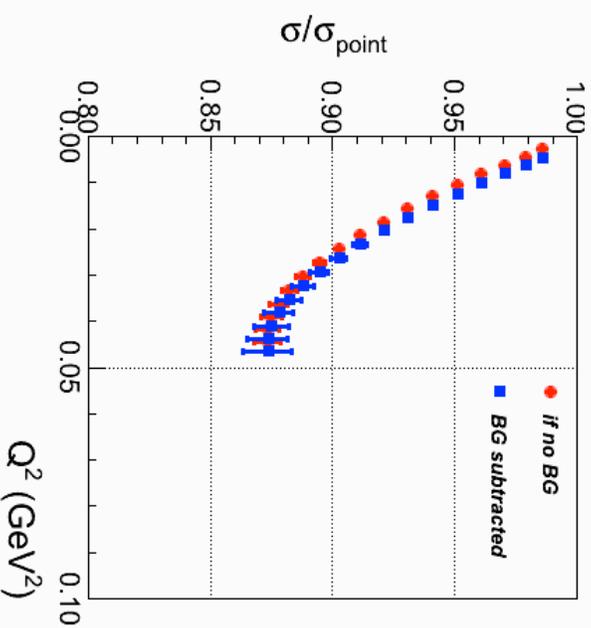
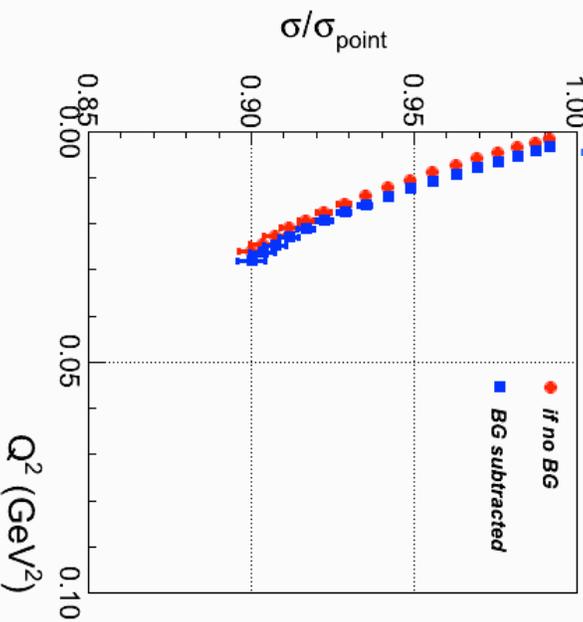
153 MeV/c



210 MeV/c

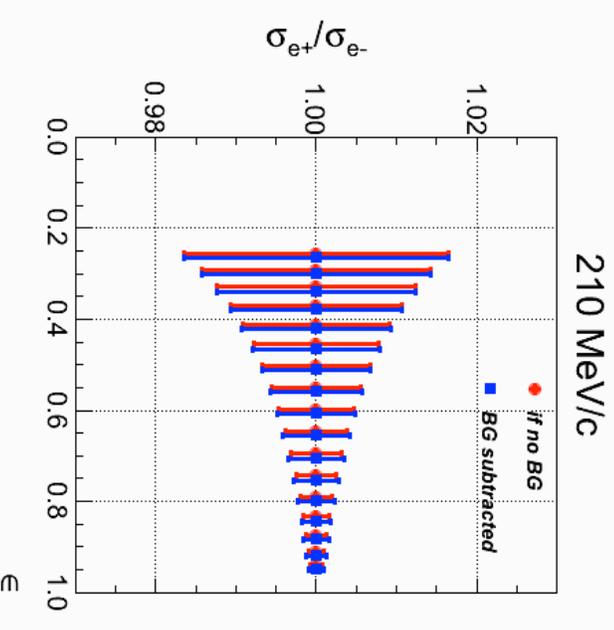
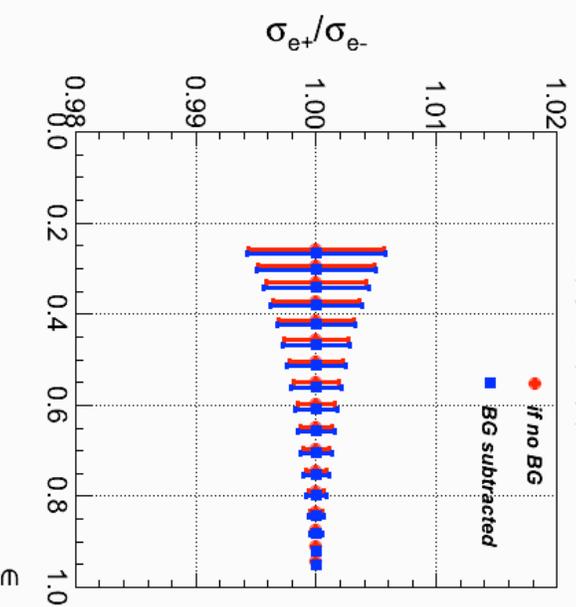
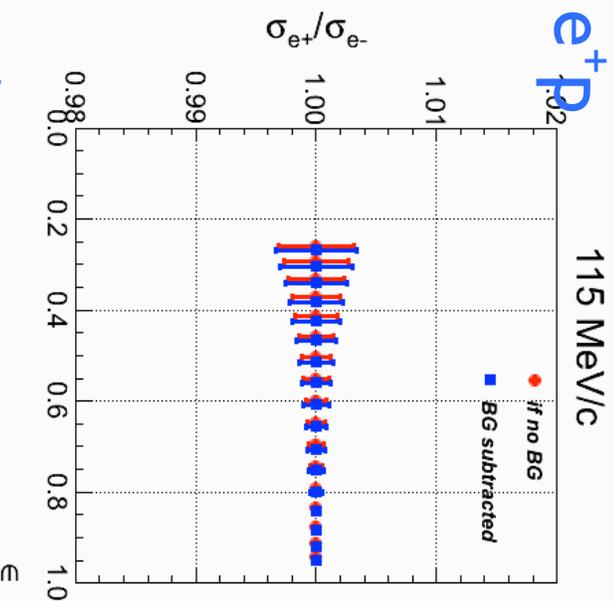


$\mu^+p$

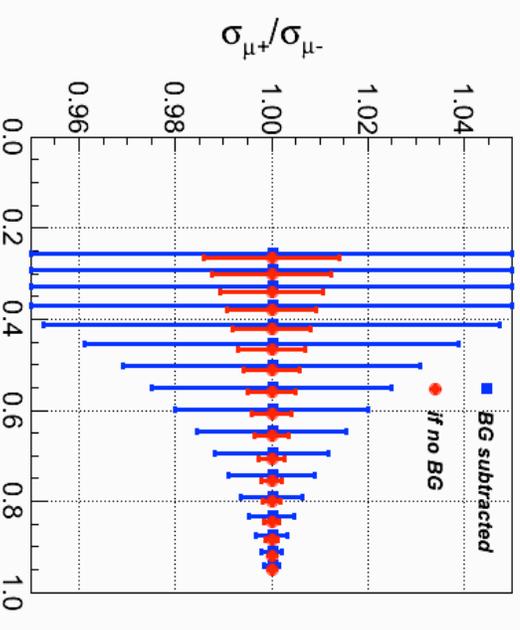
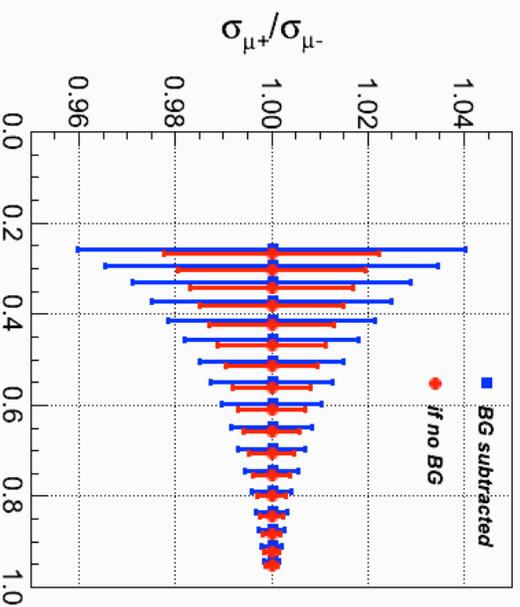
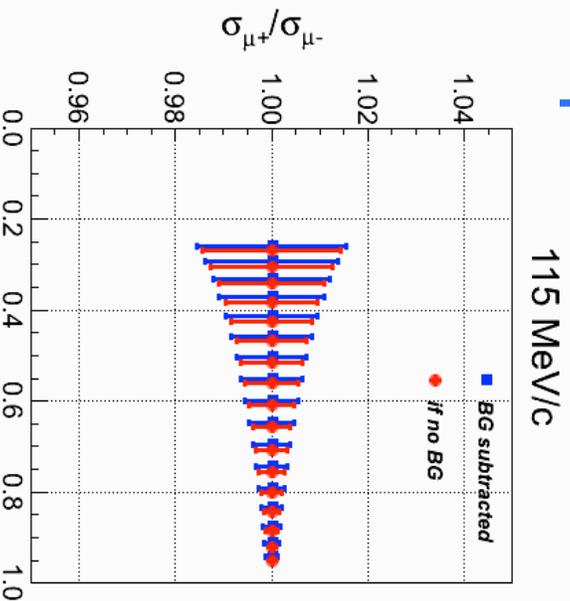


- ◆ Statistical uncertainties only, similar results for ep & mp
- ◆ 6 month run, equal time for each setting,  $\theta_{\text{scatter}} = 20 - 100^\circ$
- ◆ Uncertainties include endcap and n decay subtractions

# Estimated Results!



$\mu^+p$



- ◆ Statistical uncertainties only, endcap  $B^{\pm}G$  mainly at  $\epsilon$  near 1
- ◆  $\mu$  limited by decay rejection (conservatively estimated)
- ◆  $e^{+/-}$  mainly limited by radiative corrections, here 1 $\gamma$  cancels, prob. det. response

# Outlook

- ◆ **The proton radius puzzle is a high-profile issue**
  - ➔ Explanation unclear
  - ➔ PSI MUSE tests interesting possibilities: Are  $\mu p$  and  $e p$  interactions different? If so, does it arise from  $2\gamma$  exchange effects ( $\mu^+ \neq \mu^-$ ) or BSM physics ( $\mu^+ \approx \mu^- \neq e^-$ )?
- ◆ Within 3-4 years (budgets willing) we should have new electron scattering results and start to see the muon scattering results, and possibly start to resolve the puzzle, perhaps seeing new physics!

# MUSE Collaboration

## The MUon proton Scattering Experiment collaboration (MUSE):

R. Gilman (Contact person),<sup>1</sup> E.J. Downie (Spokesperson),<sup>2</sup> G. Ron (Spokesperson),<sup>3</sup>  
A. Afanasev,<sup>2</sup> J. Arrington,<sup>4</sup> O. Ates,<sup>5</sup> F. Benmokhtar,<sup>6</sup> J. Bernauer,<sup>7</sup> E. Brash,<sup>8</sup>  
W. J. Briscoe,<sup>2</sup> K. Deiters,<sup>9</sup> J. Diefenbach,<sup>5</sup> C. Djalali,<sup>10</sup> B. Dongwi,<sup>5</sup> L. El Fassi,<sup>1</sup>  
S. Gilad,<sup>7</sup> K. Gnanvo,<sup>11</sup> R. Gothe,<sup>12</sup> K. Hafidi,<sup>4</sup> D. Higinbotham,<sup>13</sup> R. Holt,<sup>4</sup>  
Y. Ilieva,<sup>12</sup> H. Jiang,<sup>12</sup> M. Kohl,<sup>5</sup> G. Kumbartzki,<sup>1</sup> J. Lichtenstadt,<sup>14</sup> A. Liyanage,<sup>5</sup>  
N. Liyanage,<sup>11</sup> M. Meziane,<sup>15</sup> Z.-E. Meziani,<sup>16</sup> D. Middleton,<sup>17</sup> P. Monaghan,<sup>5</sup>  
K. E. Myers,<sup>1</sup> C. Perdrisat,<sup>18</sup> E. Piassetzsky,<sup>14</sup> V. Punjabi,<sup>19</sup> R. Ransome,<sup>1</sup> D. Reggiani,<sup>9</sup>  
P. Reimer,<sup>4</sup> A. Richter,<sup>20</sup> A. Sarty,<sup>21</sup> E. Schulte,<sup>16</sup> Y. Shamaï,<sup>22</sup> N. Sparveris,<sup>16</sup>  
S. Strauch,<sup>12</sup> V. Sulkosky,<sup>7</sup> A.S. Tadepalli,<sup>1</sup> M. Taragin,<sup>23</sup> and L. Weinstein<sup>24</sup>

For more information see proposal and TDR on website:

<http://www.physics.rutgers.edu/~rgilman/elasticmup>

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Thanks

# Systematics

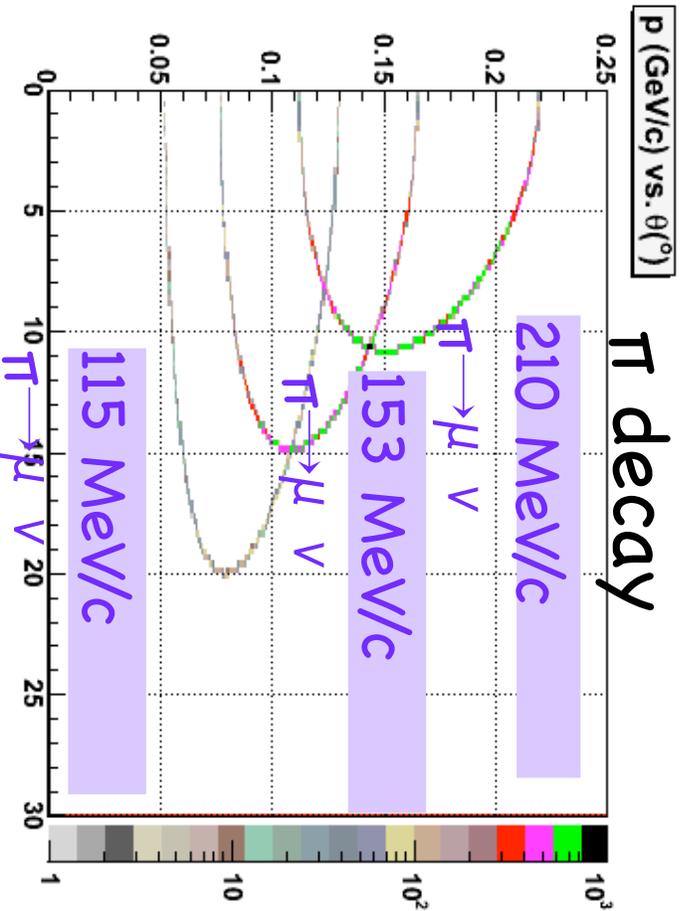
- ◆ We are mainly concerned with relative systematic uncertainties as we plan to normalize data. Renormalization consistent with estimated absolute systematic uncertainties adds confidence to the relative systematic uncertainty estimates and to the results.
- ◆ For relative systematics, used when the data are normalized to the  $Q^2 = 0$  point, most effects are at the 0.1% level: detector efficiencies, solid angle, ...
- ◆ The larger systematics are  $\approx 0.3\%$  for angle determination, and multiple scattering (shown earlier), and 0.5% for radiative corrections.

For more information see proposal and TDR on website:

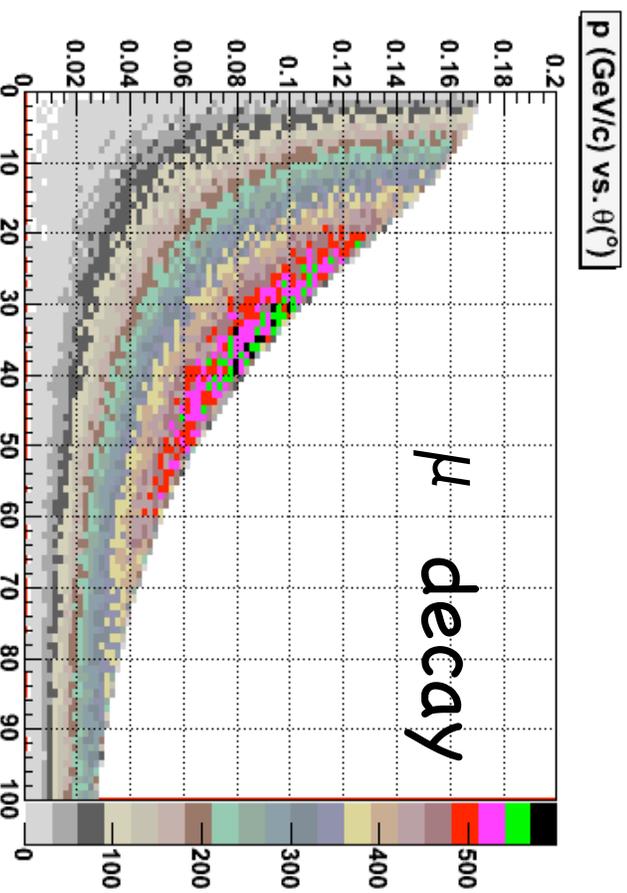
<http://www.physics.rutgers.edu/~rgilman/elasticmup>

# Backgrounds

## $\pi$ decay



## $\mu$ decay

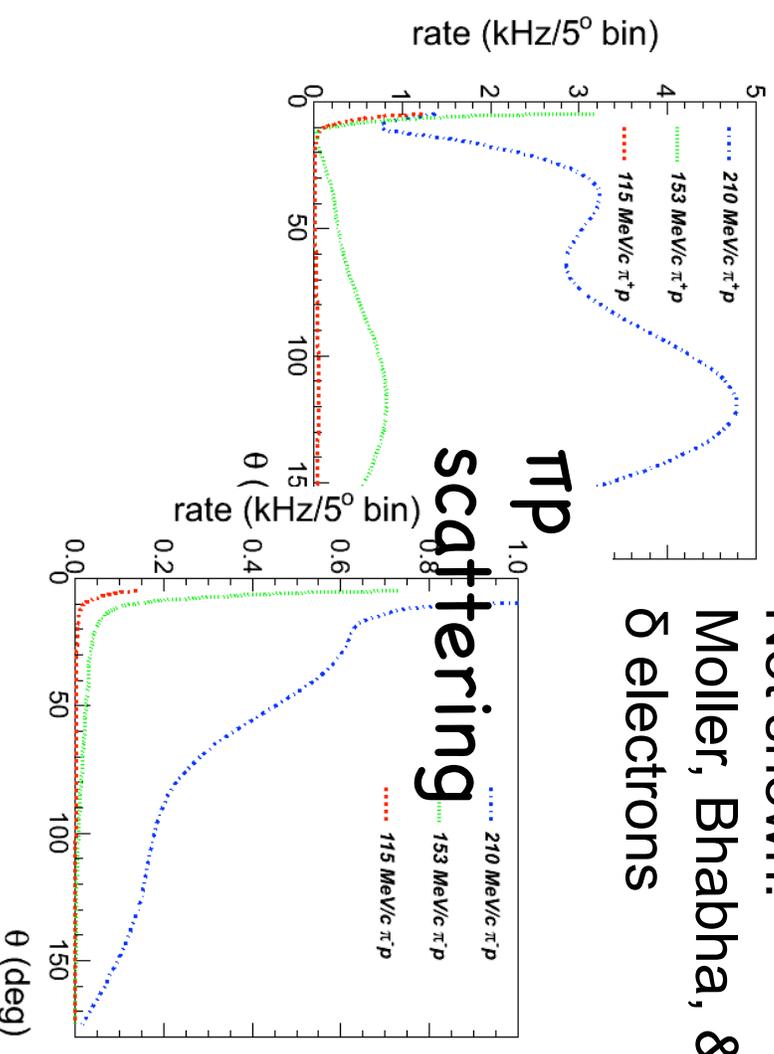


Used Geant4 to simulate many backgrounds. Most lead to rates in detectors but not many triggers, and can be rejected in analysis. The main issues are  $\mu$  decays and end cap scattering, which cannot be removed at the trigger level.

Not shown:

Moller, Bhabha, &  $\delta$  electrons

## $\pi\pi$ scattering

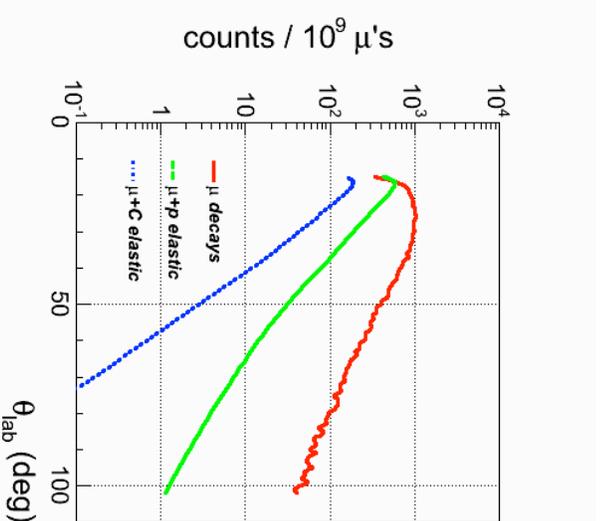
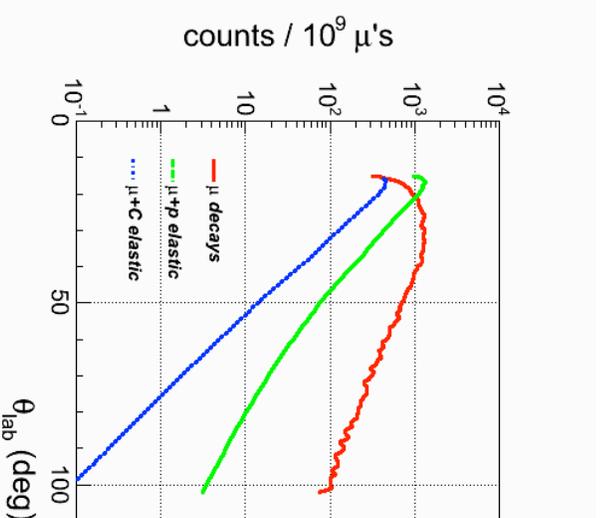
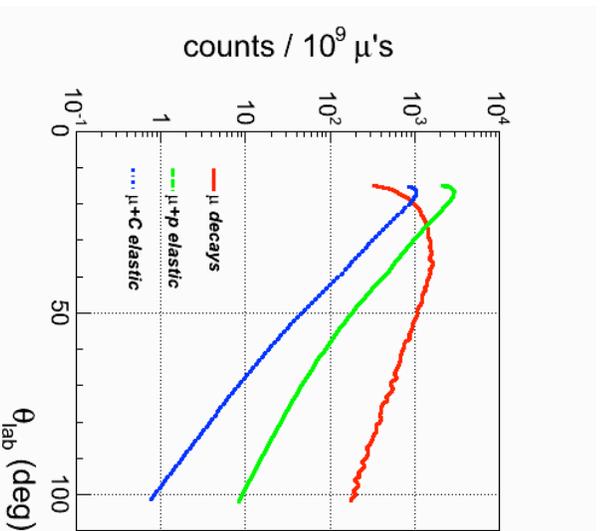
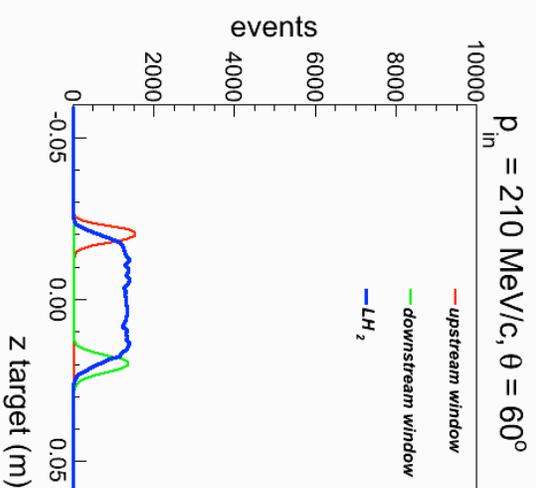
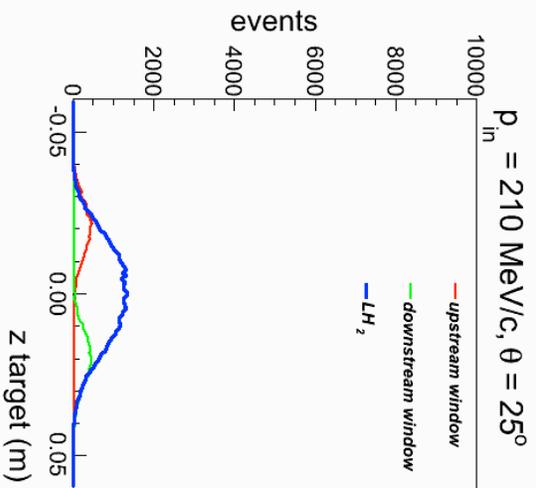


# Backgrounds II

The main issues are  $\mu$  decays and end cap scattering, which cannot be removed at the trigger level.

End cap scattering can only be removed by subtractions. (Might be able to reduce orders of magnitude with graphene windows.)

Estimated relative rates below.



## Backgrounds III

The main issues are  $\mu$  decays and end cap scattering, which cannot be removed at the trigger level.

Muon decays are largely removed by TOF from quartz Cerenkov to scintillators -  
115 / 153 / 210 MeV/c

