



Combination of CEPC Higgs precision measurement

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OUTLINE

- Why and How we do combination
- Advantages
- Results of $\sigma(ZH) * \text{Br}$
- κ Framework
- Summary

Why Combination?



- Uniformed, simultaneous statistical framework
 - Get likelihood scan result Robust & Reliable;
 - Correctly consider the correlations between individual channels
 - bb/cc/gg; ZH bkg treatment; WW fusion; width.....
 - Extensibility for systematic uncertainties and theoretic assumptions
 - Currently, with MC sample
 - We build Asimov* data from signal and bkg spectrum
 - To fit the estimated precisions of $\sigma * Br$, and K .
 - Can do more with observed data in the future.

*:see more in arXiv:1007.1727

Fit techniques

- Input: (1d) Higgs invariant/recoil mass spectrum; Unbinned
(2d) bb/cc/gg: likeness templates; ww fusion: mass & $\cos\theta$
- POI: $\sigma * Br$, Higgs coupling κ
- NP: represents systematic uncertainties
 - currently set global $\Delta Lumi = 0.1\%$, not conclude in current fit;
 - more NPs can be introduced in the future.
 - so here results are all determined by statistical uncertainty.
- PDF:
 - signal: Crystal ball + Gaussian; bkg: 2rd-order poly exponential.
 - Use RooHistPdf to fit $Z\gamma$ and 2d templates.
- Algorithm: Likelihood Scan
 - Asymmetric result $\pm 1\sigma$ deviation from profile likelihood

Fit techniques

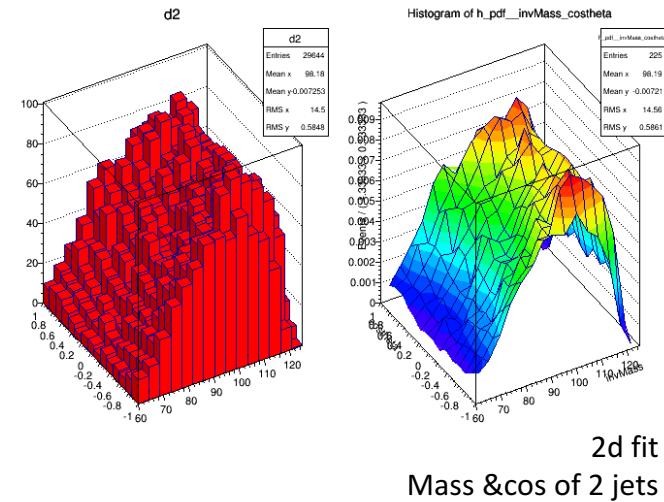
- For each channel
 - Input observables from MC sample.
 - Build combine S+B Pdf $\text{Tot} = N_{bb} * \text{Pdf}_{bb} + N_{cc} * \text{Pdf}_{cc} + \dots + N_{bkg} * \text{Pdf}_{bkg}$
 - Add μ_s on events number N_{bb} :
 - When measure $\sigma * Br$, $N_{bb} = N_{bb_SM} * \mu_{bb}$ N_{bb_SM} directly from event yield (5ab^{-1})
 - When measure Br , $N_{bb} = N_{bb_SM} * \frac{Br}{Br_{SM}} * \frac{\sigma(ZH)}{\sigma(ZH)_{SM}}$ $\Delta(\sigma(ZH)) = 0.50\%$
 - When measure κ , $N_{bb} = N_{bb_SM} * \kappa_z^2(\kappa_w^2) * \kappa_b^2 / \Gamma_H$
 - Different channel share the same μ_s . $Z \rightarrow ee, \mu\mu, qq, vv$, share the same μ_{bb}
 - Events number N_{bb} is float and the Pdf **shape fixed** all the time.
- Use Combined pdf to make Asimov data
- Scan the likelihood and get the deviation result

Treatment for ZH bkg

- In individual analysis, other ZH process is tagged as bkg;
 - It's signal of another channel
 - Should taken into account
 - $Z \rightarrow \mu\mu, H \rightarrow \tau\tau$, the main bkg is $H \rightarrow WW$. Make it contribute to μ_{WW}
 - Measurements not independent in this way
 - Separate ZH events specifically
 - Inclusive ZH events cannot be used
 - Progress undergoing
 - currently not finished yet

Correlation: $\nu\nu H \rightarrow bb$

- WW fusion channel contains many ZH bkg;
 - Initial error is 2.89%, (Pre_CDR 2.8%)
 - But must consider the uncertainty of ZH process (~0.4%)
- In individual analysis
 - assume the error is Gaussian distribution
 - $-\text{Log}L = 0.5 \left(\frac{\mu_{ZH}-1}{0.375\%} \right)^2 - P(\text{data} | \mu_{ZH} N_{ZH} Pdf_{ZH} + \mu_{wwf} N_{wwf} Pdf_{wwf} + N_{SM} Pdf_{SM})$
- Here we can directly use the likelihood in $Z \rightarrow ee/mm/qq$, $H \rightarrow bb$ channel
 - Already have the form of μ_{ZH} no assumption made;
 - Combine Fit $\{^{+3.11\%}_{-3.10\%}\}$; consistent with individual result 3.1%.



Correlation: Higgs width

- Model independent determination

$$\Gamma_H = \frac{\Gamma_{H \rightarrow ZZ}}{Br(H \rightarrow ZZ)} \propto \frac{\sigma(ZH)}{Br(H \rightarrow ZZ)} \quad 5.2\%$$

- and

$$\Gamma_H = \frac{\Gamma_{H \rightarrow bb}}{Br(H \rightarrow bb)} \propto \frac{\sigma(\nu\nu H \rightarrow \nu\nu bb)}{Br(H \rightarrow bb)Br(H \rightarrow WW)} \quad 3.3\%$$

- If two independent: 2.83% (pre_CDR 2.8%)
- Consider correlation, then combine in 10κ framework:

$$\Delta(\Gamma_H) = 3.1\%$$

Channels Table

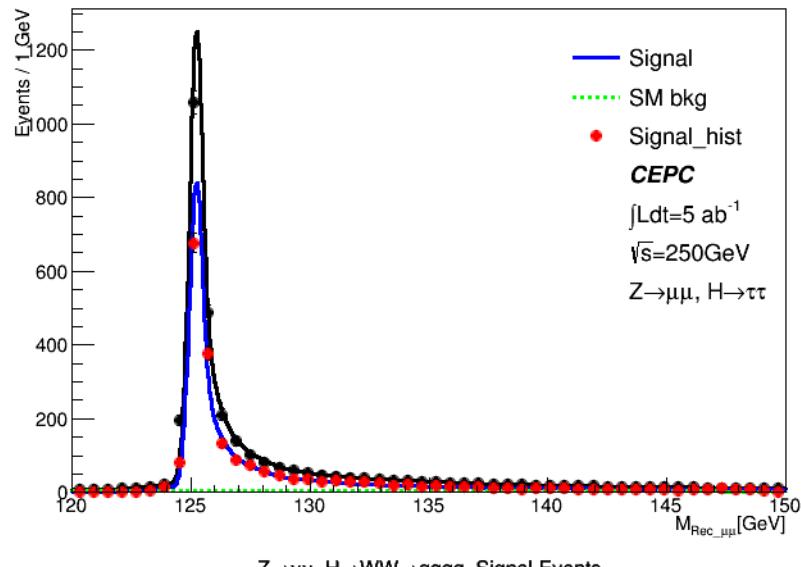
Observed=tagged signal after cutflow and in fit range.
All events are weighted and normalized to **5ab⁻¹**.



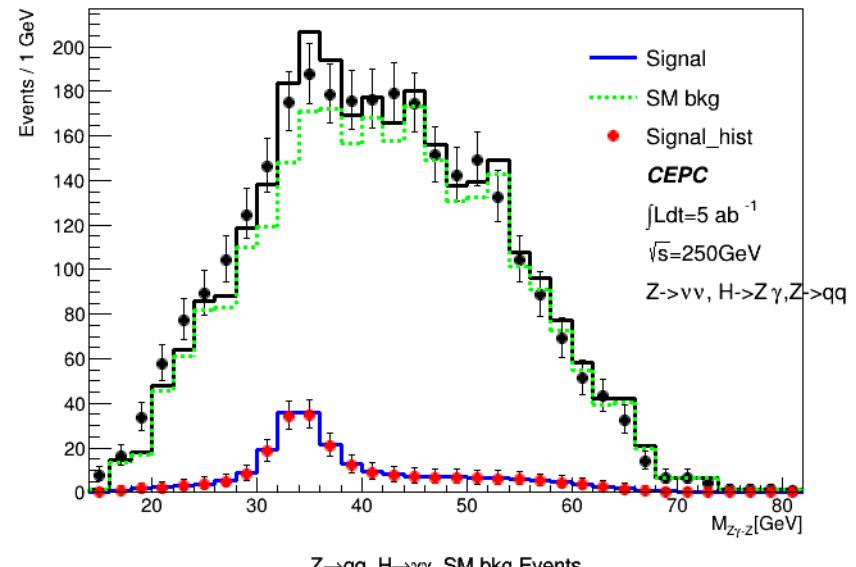
Signal		Observed Events	Who takes charge	Precision	Signal		Observed Events	Who takes charge	Precision	
Z	H				Z	H				
H->Inclusive					H->WW					
vv	Inclusive	164170	Liao Libo	\	μμ	μνμν	52	Liao Libo	2.6%	
μμ	Inclusive	29552				enev	36			
ee	Inclusive	22200				evμν	105			
H->qq						evqq	663			
ee	bb	7655	Bai Yu	1.3%		μνqq	717	Liao Libo	2.9%	
	cc	351				μνμν	44			
	gg	1058				enev	22			
μμ	bb	11108		8.2%	ee	evμν	81			
	cc	567				evqq	612			
	gg	1762				μνqq	684			
qq	bb	176542		1.0%	vv	qqqq	9022		1.3%	
	cc	8272				H->ZZ				
	gg	25293			vv	μμjj	179	Wei Yuqian	8.3%	
vv	bb	70608		7.2%		eejj	64		34%	
	cc	3061		vv	vvjj	200	7.4%			
	gg	9633			eejj	55	40%			
H->γγ,Zγ					ee	mmjj	81		23%	
ll	γγ	93	Wang Feng	27%	H->ττ					
vv		309			ee	μμ	2068	Yu Dan	4.3%	
qq		822								
qq	Zγ	219	Yao Weimin	21%	qq	ττ	36023		2.7%	
H->Invisible					vv		12456			
qq	vvvv	202	Mo Xin	0.3%	H->μμ					
ee		8			qq	μμ	71	Cui Zhenwei	1.7%	
μμ		18					1			
vvH(WW fusion)					μμ	4			4.3%	
vv	bb	10256	Liang Hao	3.1%						
							14			

Mass shape plots

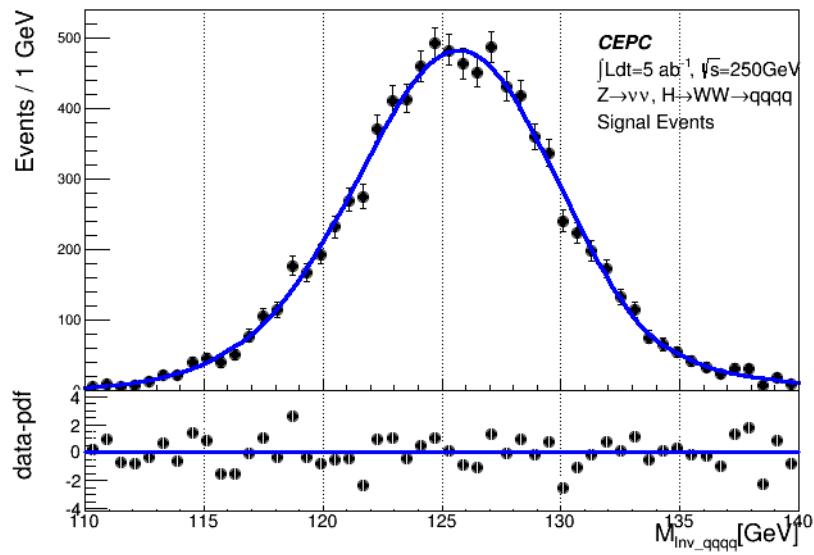
$Z \rightarrow \mu\mu, H \rightarrow \tau\tau$



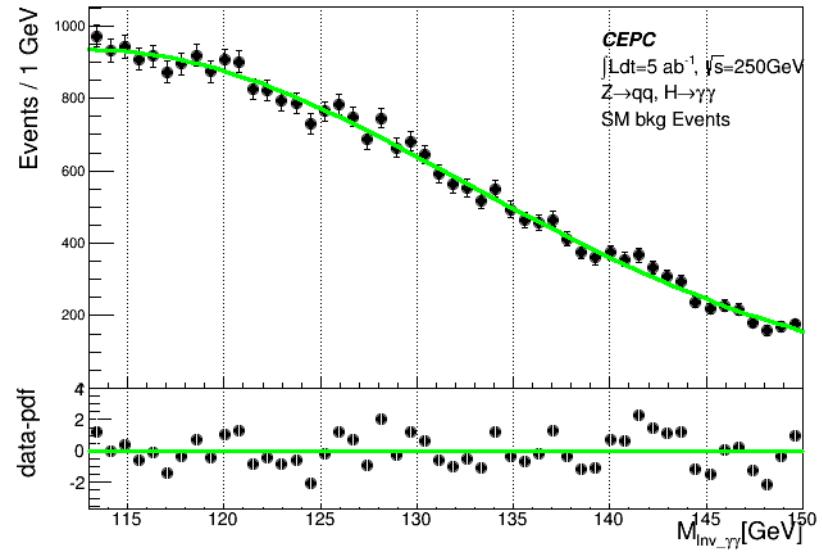
Asimov_ $Z \rightarrow vv, H \rightarrow Z\gamma, Z \rightarrow qq$



$Z \rightarrow vv, H \rightarrow WW \rightarrow qqqq$, Signal Events



$Z \rightarrow qq, H \rightarrow \gamma\gamma$, SM bkg Events



Fit result of $\sigma(ZH) * \text{Br}$

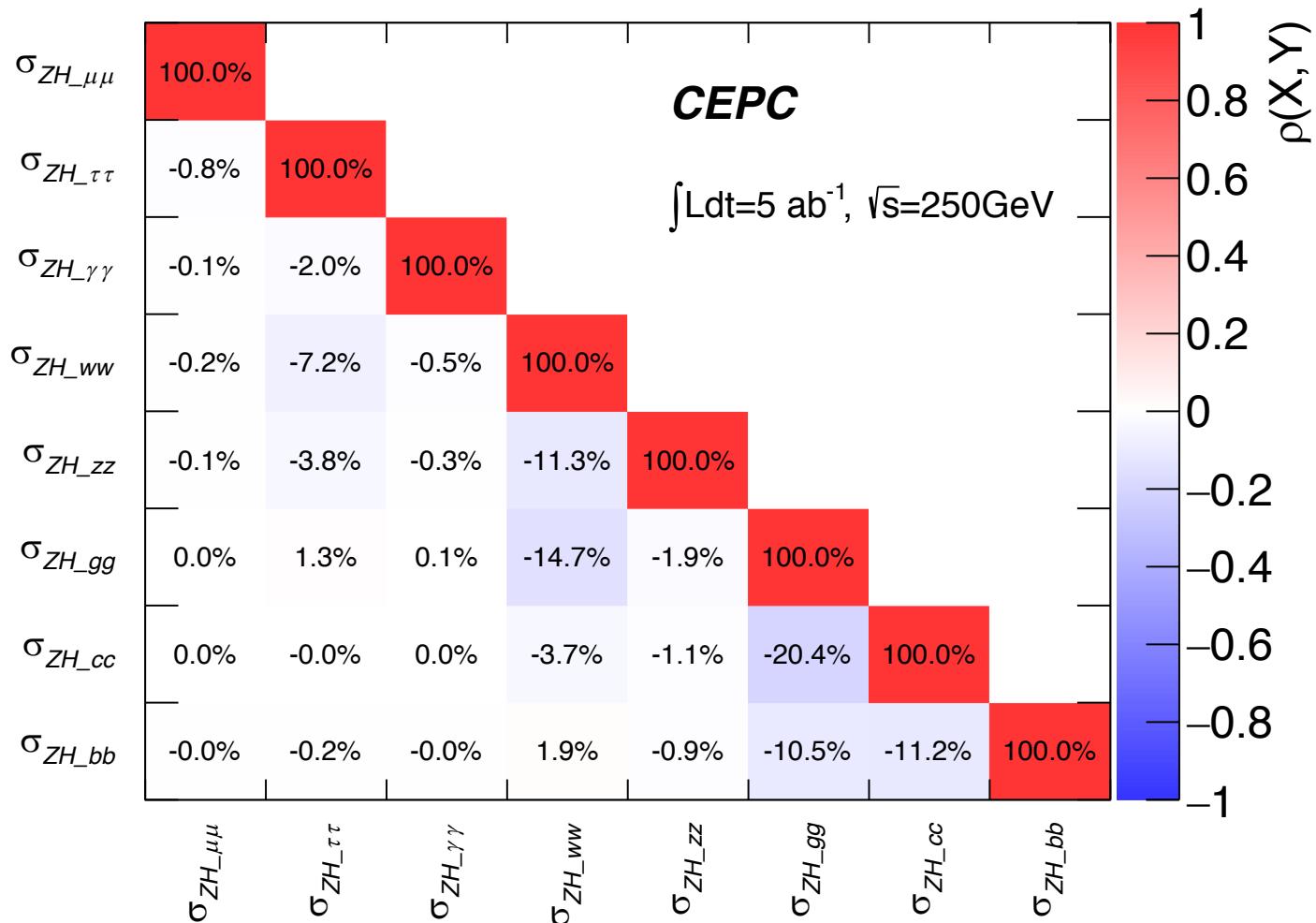
(fb^{-1})	Pre_CDR	Current
$\sigma(ZH)$	0.51%	0.50%
$\sigma(ZH) * \text{Br}(H \rightarrow bb)$	0.28%	$\{^{+0.27\%}_{-0.27\%}$
$\sigma(ZH) * \text{Br}(H \rightarrow cc)$	2.2%	$\{^{+3.49\%}_{-3.47\%}$
$\sigma(ZH) * \text{Br}(H \rightarrow gg)$	1.6%	$\{^{+1.44\%}_{-1.44\%}$
$\sigma(ZH) * \text{Br}(H \rightarrow WW)$	1.5%	$\{^{+1.22\%}_{-1.21\%}$
$\sigma(ZH) * \text{Br}(H \rightarrow ZZ)$	4.3%	$\{^{+5.29\%}_{-5.15\%}$
$\sigma(ZH) * \text{Br}(H \rightarrow \tau\tau)$	1.2%	$\{^{+1.31\%}_{-1.30\%}$
$\sigma(ZH) * \text{Br}(H \rightarrow \gamma\gamma)$	9.0%	$\{^{+8.28\%}_{-8.19\%}$
$\sigma(ZH) * \text{Br}(H \rightarrow \mu\mu)$	17%	$\{^{+15.9\%}_{-15.0\%}$
$\sigma(vvH) * \text{Br}(H \rightarrow bb)$	2.8%	$\{^{+3.11\%}_{-3.10\%}$
$\text{Br}_{\text{upper}}(H \rightarrow \text{inv.})$	0.28%	0.22%
$\sigma(ZH) * \text{Br}(H \rightarrow Z\gamma)$	\	$4\sigma(\{^{+21.0\%}_{-21.4\%}\})$

Δm_H	Γ_H	$\sigma(ZH)$	$\sigma(\nu\bar{\nu}H) \times \text{BR}(H \rightarrow b\bar{b})$
5.9 MeV	3.1%	0.50%	3.1%
Decay mode		$\sigma(ZH) \times \text{BR}$	BR
$H \rightarrow b\bar{b}$		0.27%	0.57%
$H \rightarrow c\bar{c}$		3.5%	3.5%
$H \rightarrow gg$		1.4%	1.5%
$H \rightarrow \tau^+\tau^-$		1.3%	1.4%
$H \rightarrow WW^*$		1.2%	1.3%
$H \rightarrow ZZ^*$		5.2%	5.2%
$H \rightarrow \gamma\gamma$		8.2%	8.2%
$H \rightarrow \mu^+\mu^-$		15%	15%
$H \rightarrow \text{inv}$		—	0.22%

In general,
fit result is consistent with results of
Pre_CDR and Individual studies.

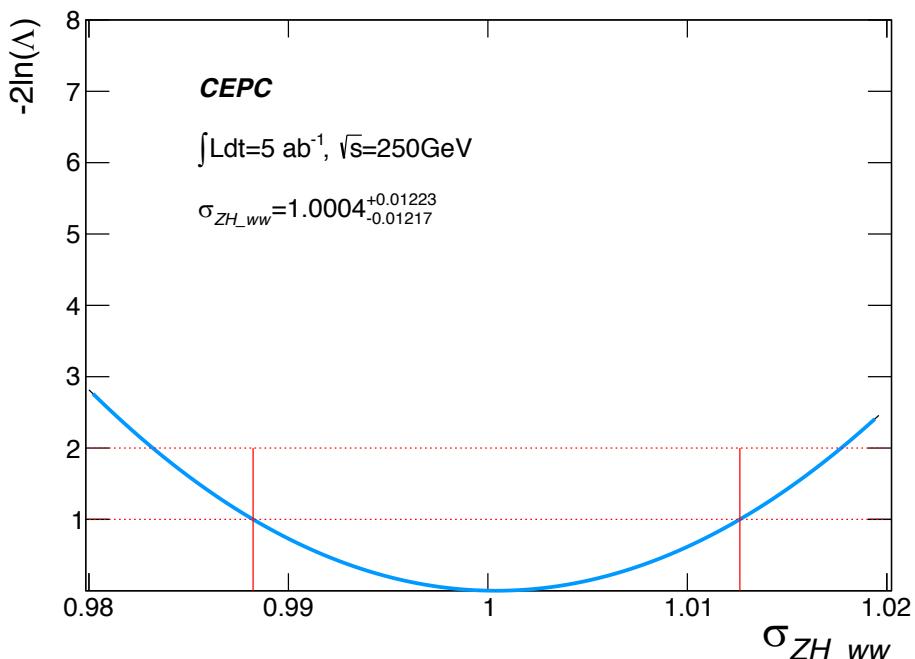
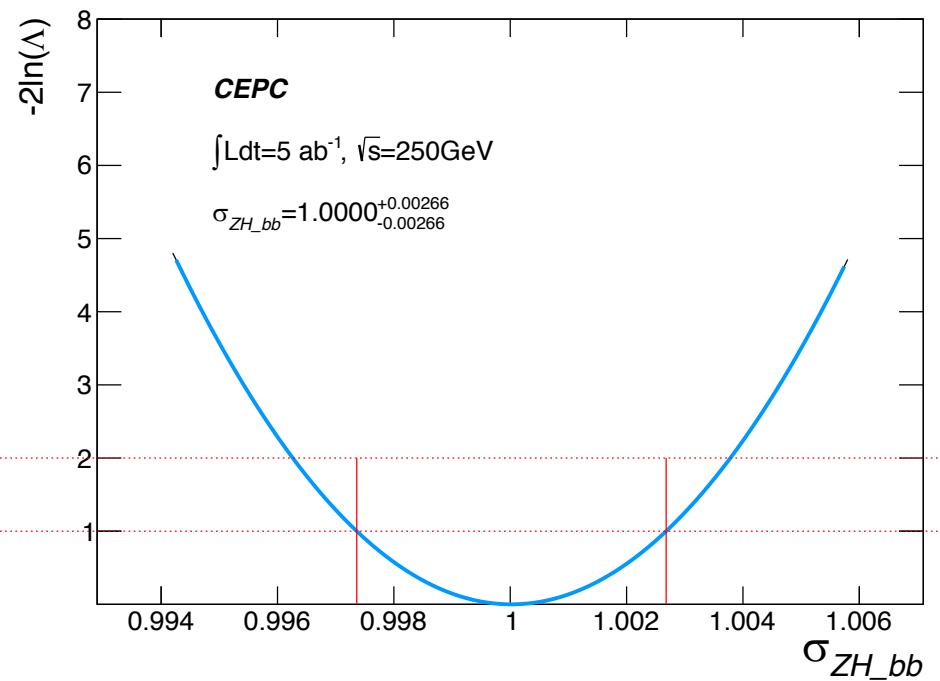
See more in backup slides.

Correlations in channel



bb/cc/gg highly correlated because template fit;
Other are linked by ZH bkg events.

Likelihood scan



As we use MC sample, the signal strength is always very close to 1.

κ Framework

κ defined as the ratio of the Higgs coupling to SM expects.

$$\kappa_f = \frac{g(hff)}{g(hff; \text{SM})}, \quad \kappa_V = \frac{g(hVV)}{g(hVV; \text{SM})}$$

- Model independent implication
 - Detector's benchmark; Constrain to new physics models;
- In CEPC
 - We have $\sigma(ZH) = 0.50\%$ constrain $\sigma(\kappa_Z) < 0.25\%$.
 - For Production, ZH & WW fusion process, all contribute to $\kappa_Z^2; \kappa_W^2;$
 - For Partial decay, no top quark κ_t like: $\kappa_Z^2, \kappa_W^2, \kappa_b^2, \kappa_c^2, \kappa_g^2, \kappa_\tau^2, \kappa_\gamma^2, \kappa_\mu^2, \dots \dots$
 - For Total width Γ_H . $\Gamma_H = \Gamma_{SM} + \Gamma_{BSM}$.
 - If we assume no exotic decay, Γ_{SM} can be resolved as: all κ correlated this way;

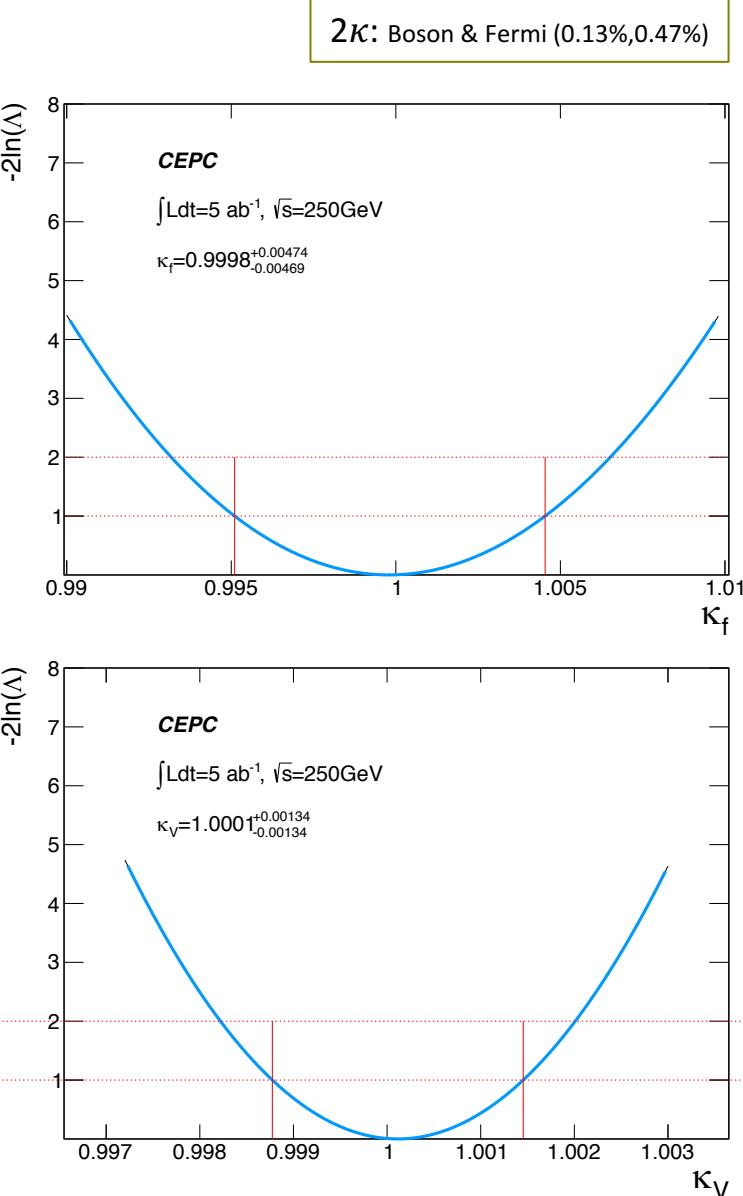
$$\Gamma_{SM} = 0.2137\kappa_W^2 + 0.02619\kappa_Z^2 + 0.5824\kappa_b^2 + 0.08187\kappa_g^2 + 0.002270\kappa_\gamma^2 + 0.06294\kappa_\tau^2 + 0.02891\kappa_c^2$$
 - $Z \rightarrow \mu\mu, H \rightarrow \tau\tau$ channel, the signal will be $\kappa_Z^2\kappa_\tau^2/\Gamma_H$; For $\nu\nu H \rightarrow bb$, it's $\kappa_W^2\kappa_b^2/\Gamma_H$

Fit result of κ

	10κ	Pre_CDR	7κ	Pre_CDR
κ_b	1.5%	1.3%	1.5%	1.2%
κ_c	2.4%	1.7%	2.4%	1.6%
κ_g	1.6%	1.5%	1.6%	1.5%
κ_γ	4.4%	4.7%	4.4%	4.7%
κ_τ	1.6%	1.4%	1.6%	1.3%
κ_Z	0.25%	0.26%	0.15%	0.16%
κ_W	1.4%	1.2%	1.4%	1.2%
κ_μ	7.9%	8.6%		
Br_{inv}	0.22%	0.28%		
Γ_H	3.1%	2.8%		

From 10κ to 7κ , we assume

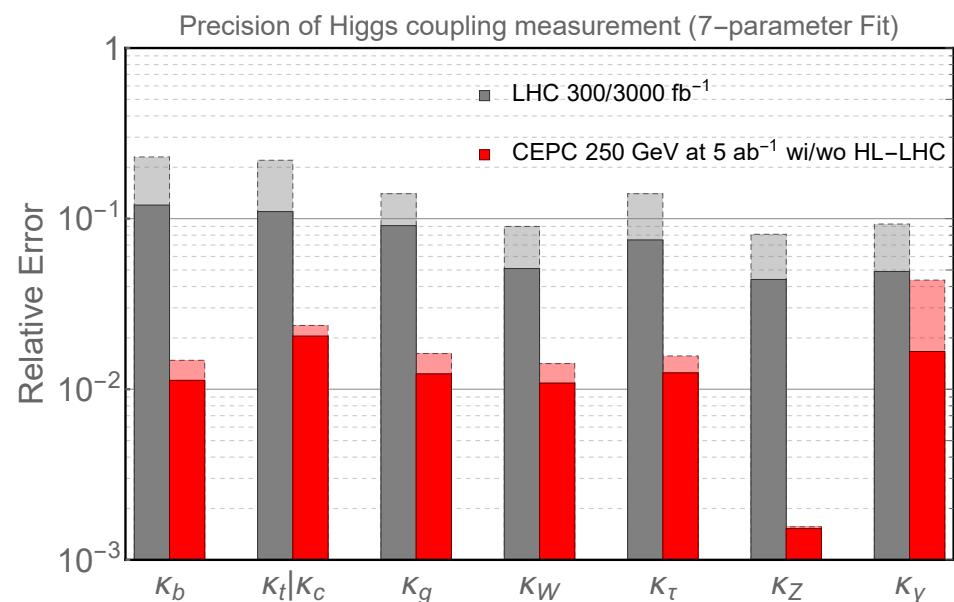
- No exotic decay Γ_{BSM}
- Drop Br_{inv}
- $\kappa_\mu = \kappa_\tau$



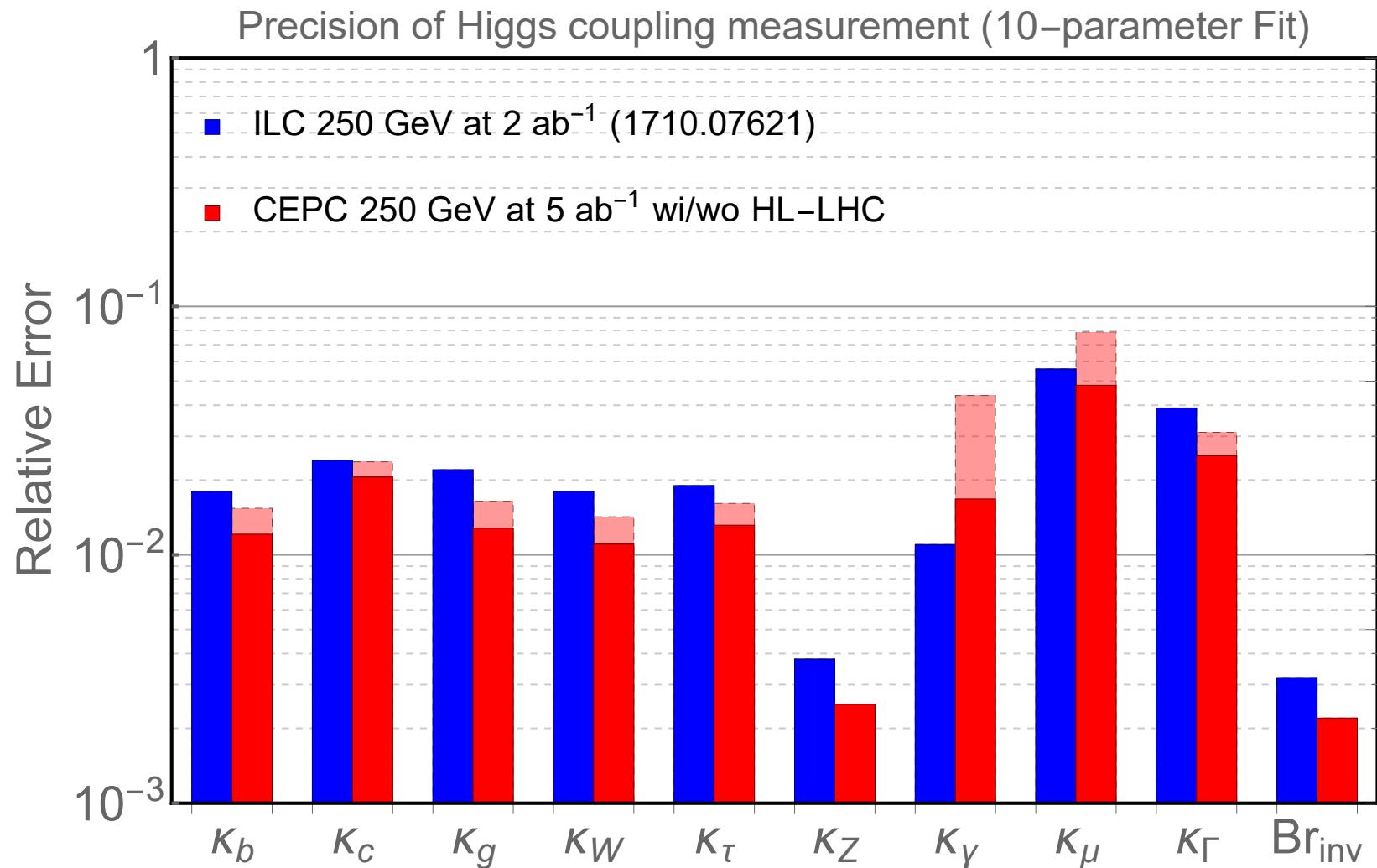
Integration to HL-LHC

	HL-LHC
$\sigma(ZH) * Br(H \rightarrow bb)$	13%
$\sigma * Br(H \rightarrow WW)$	5%
$\sigma * Br(H \rightarrow ZZ)$	4%
$\sigma * Br(H \rightarrow \tau\tau)$	7%
$\sigma * Br(H \rightarrow \gamma\gamma)$	4%
$\sigma * Br(H \rightarrow \mu\mu)$	12%
$\sigma(WH) * Br(H \rightarrow bb)$	36%
$\sigma * Br(H \rightarrow Z\gamma)$	27%

	10-parameter fit		7-parameter fit	
	CEPC	+HL-LHC	CEPC	+HL-LHC
Γ_h	3.1	2.5	—	—
κ_b	1.5	1.2	1.5	1.1
κ_c	2.4	2.1	2.4	2.0
κ_g	1.6	1.3	1.6	1.2
κ_W	1.4	1.1	1.4	1.1
κ_τ	1.5	1.2	1.5	1.1
κ_Z	0.25	0.25	0.15	0.15
κ_γ	4.4	1.7	4.4	1.7
κ_μ	7.9	4.8	—	—
BR _{inv}	0.22	0.22	—	—



Compared to ILC_(1710.07621)



Correlation of κ

For each entry,
upper one is CEPC result
lower one is CEPC+HL-LHC result.

7-parameter fit Correlation

κ_b	100.	-25.	-51.	-74.	-47.	62.	-8.7
κ_c	-25.	100.	-7.1	11.	2.4	-24.	1.1
κ_g	-23.	100.	-12.	11.	2.4	-23.	0.42
κ_w	-51.	-7.1	100.	14.	1.6	-28.	1.1
κ_τ	-51.	-12.	100.	7.0	-0.91	-17.	0.15
κ_z	-74.	11.	14.	100.	3.5	-60.	2.2
κ_γ	-70.	11.	7.0	100.	3.8	-61.	0.89
κ_b	-47.	2.4	1.6	3.5	100.	-12.	-1.1
κ_c	-46.	2.4	-0.91	3.8	100.	-12.	-0.42
κ_g	62.	-24.	-28.	-60.	-12.	100.	-4.0
κ_w	59.	-23.	-17.	-61.	-12.	100.	-7.5
κ_τ	-8.7	1.1	1.1	2.2	-1.1	-4.0	100.
κ_z	-3.4	0.42	0.15	0.89	-0.42	-7.5	100.

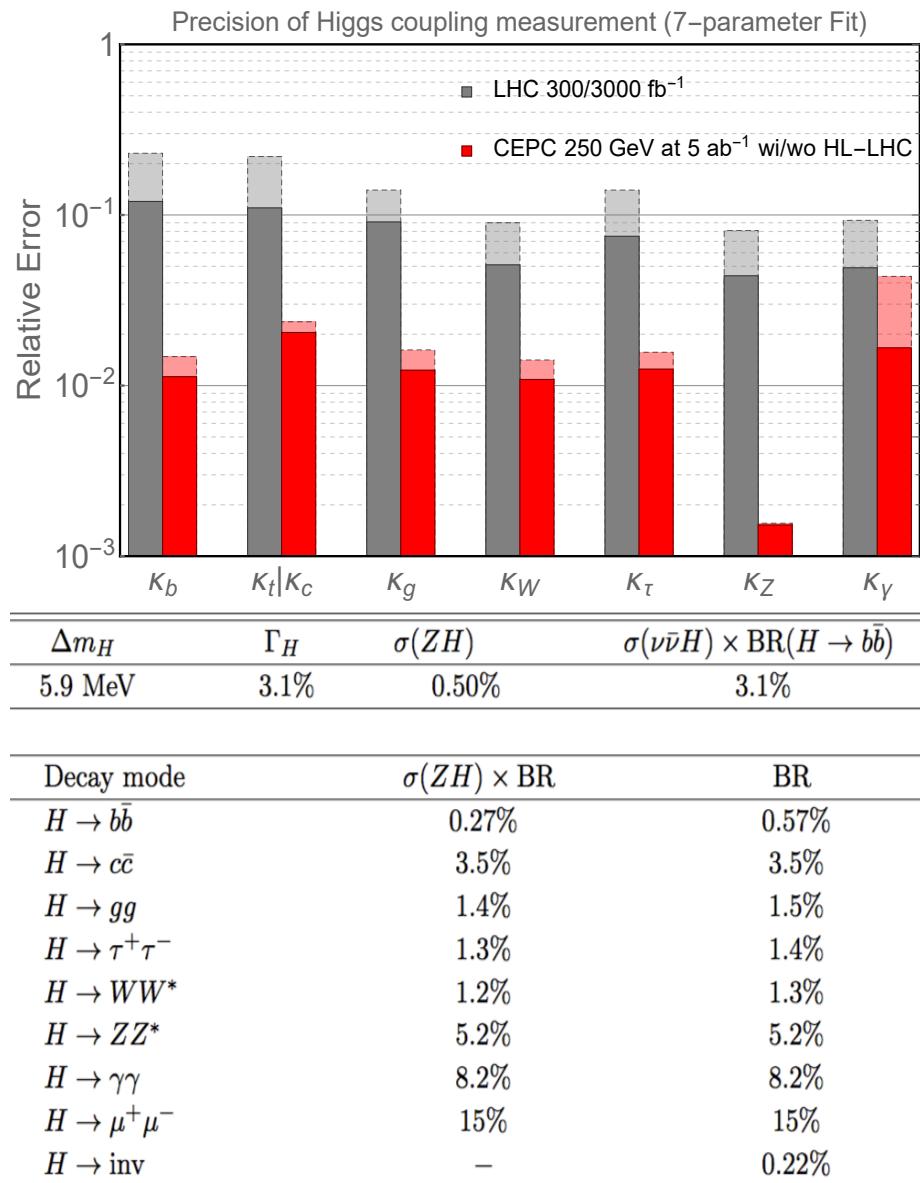
10-parameter fit Correlation

κ_b	100.	3.7	-0.24	-13.	<0.1	84.	<0.1	<0.1	<0.1	<0.1	-94.
κ_c	3.7	100.	-16.	-9.1	0.13	6.6	<0.1	<0.1	<0.1	<0.1	-6.8
κ_g	-0.24	-16.	100.	-7.2	0.45	13.	<0.1	<0.1	<0.1	<0.1	-15.
κ_w	-0.19	-16.	-16.	100.	-5.6	0.36	16.	<0.1	<0.1	<0.1	-19.
κ_τ	-13.	-9.1	-7.2	100.	-5.5	1.3	-0.85	-0.34	<0.1	-4.9	-4.9
κ_z	-12.	-8.3	-5.6	-12.	-5.3	-0.16	-0.33	-0.20	<0.1	-4.7	-4.7
κ_γ	<0.1	0.13	0.45	-5.5	100.	16.	-1.1	-0.47	<0.1	-19.	-19.
κ_μ	<0.1	0.13	0.36	-5.3	100.	16.	-0.45	-0.29	<0.1	-19.	-19.
Br_{inv}	84.	6.6	13.	1.3	16.	100.	2.4	1.3	<0.1	-89.	-89.
κ_Γ	83.	6.2	16.	-0.16	16.	100.	-4.8	-0.65	<0.1	-89.	-89.
κ_b	<0.1	<0.1	<0.1	-0.85	-1.1	2.4	100.	<0.1	<0.1	-2.8	-2.8
κ_c	<0.1	<0.1	<0.1	-0.33	-0.45	-4.8	100.	<0.1	<0.1	-1.1	-1.1
κ_g	<0.1	<0.1	<0.1	-0.34	-0.47	1.3	<0.1	100.	<0.1	-1.5	-1.5
κ_w	<0.1	<0.1	<0.1	-0.20	-0.29	-0.65	<0.1	100.	<0.1	-0.93	-0.93
κ_τ	<0.1	<0.1	<0.1	<0.1	<0.1	<0.1	<0.1	100.	<0.1	-0.1	-0.1
κ_z	<0.1	<0.1	<0.1	<0.1	<0.1	<0.1	<0.1	100.	<0.1	-0.1	-0.1
κ_γ	-94.	-6.8	-15.	-4.9	-19.	-89.	-2.8	-1.5	<0.1	100.	100.
κ_μ	-93.	-6.4	-19.	-4.7	-19.	-89.	-1.1	-0.93	<0.1	100.	100.

Summary

	Current	10κ	7κ
$\sigma(ZH)$	0.50%		
$\sigma(ZH) * Br(H \rightarrow bb)$	$\{^{+0.27\%}_{-0.27\%}$		
$\sigma(ZH) * Br(H \rightarrow cc)$	$\{^{+3.49\%}_{-3.47\%}$		
$\sigma(ZH) * Br(H \rightarrow gg)$	$\{^{+1.44\%}_{-1.44\%}$		
$\sigma(ZH) * Br(H \rightarrow WW)$	$\{^{+1.22\%}_{-1.21\%}$		
$\sigma(ZH) * Br(H \rightarrow ZZ)$	$\{^{+5.29\%}_{-5.15\%}$		
$\sigma(ZH) * Br(H \rightarrow \tau\tau)$	$\{^{+1.31\%}_{-1.30\%}$		
$\sigma(ZH) * Br(H \rightarrow \gamma\gamma)$	$\{^{+8.28\%}_{-8.19\%}$		
$\sigma(ZH) * Br(H \rightarrow \mu\mu)$	$\{^{+15.9\%}_{-15.0\%}$		
$\sigma(vvH) * Br(H \rightarrow bb)$	$\{^{+3.11\%}_{-3.10\%}$		
$Br_{upper}(H \rightarrow inv.)$	0.22%		
$\sigma(ZH) * Br(H \rightarrow Z\gamma)$	$4\sigma(\{^{+21.0\%}_{-21.4\%}\})$		

To be presented in CDR & whitepaper



backup

Individual analysis

bb/cc/gg

- Template fit: Flavor tagging algorithm
- Pre_CDR
 - bb/cc/gg separated (not reasonable)
 - $\nu\bar{\nu}H, \bar{q}qH$ results are **extrapolated** from ILC studies.
 - Bkg estimation **optimistic**
- Baiyu's template fit
 - $Z \rightarrow ee \mu\mu qq \nu\nu, H \rightarrow bb/cc/gg$ are studied.
 - 2D fit, with dijets' b/c likeness; mass info not used;
 - 5 parts, $\text{Tot} = bb + cc + gg + bkg_{zh} + bkg_{sm}$.
 - Build individual pdf by MC, then fit to determine fraction.
 - the shape of bkg is **fixed**.
 - Which means we have a wonderful understanding with bkg,
 - may be more suitable for CEPC.
 - ToyMC test to get precision
 - Now plan to use 3d fit in llH;
 - Systematic uncertainties ongoing;

$$B_{likeness} = \frac{b_{j_1}b_{j_2}}{b_{j_1}b_{j_2} + (1 - b_{j_1})(1 - b_{j_2})}$$

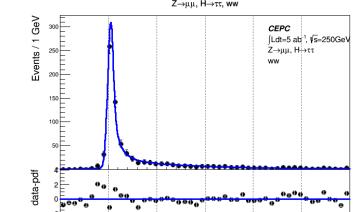
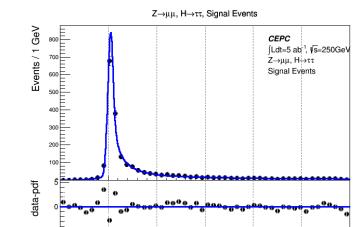
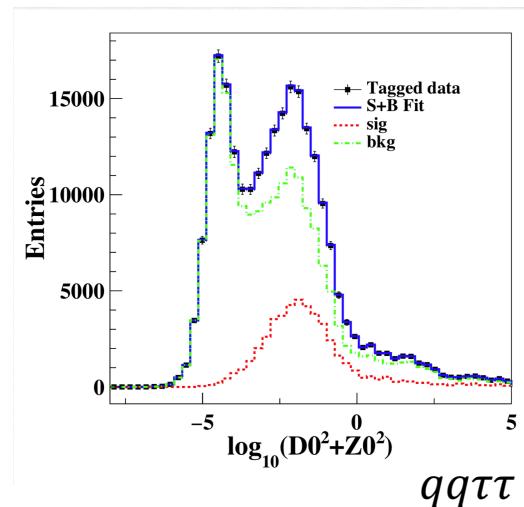
Pre_CDR	μ_{bb}	μ_{cc}	μ_{gg}
eeH	1.1%	14.6%	5.6%
mmH	0.9%	12.6%	3.8%
qqH	0.4%	3.0%	2.6%
vvH	0.45%	3.2%	2.8%
Combined	0.28%	2.2%	1.6%

Baiyu's	μ_{bb}	μ_{cc}	μ_{gg}
eeH	1.2%	14.4%	7.8%
mmH	1.1%	12.8%	6.9%
qqH	0.4%	8.0%	5.2%
vvH	0.4%	3.8%	1.6%
Combined	0.3%	3.2%	1.6%

Scan	μ_{bb}	μ_{cc}	μ_{gg}
eeH	1.3%	15.0%	8.2%
mmH	1.0%	11.3%	5.5%
qqH	0.5%	17%	7.2%
vvH	0.4%	3.9%	1.6%
Combined	0.27%	3.48%	1.44%

preCDR		Now
$\tau\tau$	1.2%	1.30%

- Pre_CDR concludes the precision 1.2% but no description.
- Develop LICH to identify lepton. Eff>99%
- Signal and ZH events(Main WW) share the same shape
 - Dan use $\log_{10}(D_0^2 + Z_0^2)$ fit to separate signal
 - Impact parameter, Distance from beam spot
 - Determine the ratio, then use ratio to produce signal sample.
 - eeH is extrapolated from mmH, assuming bkg 4 times worse;



$\mu\mu\tau\tau$, signal/WW

	BR ($H \rightarrow \tau\tau$)	$\delta (\sigma \times BR) / (\sigma \times BR)$
$\mu\mu H$	6.40 ± 0.18	2.68%
eeH(extrapolated)	6.37 ± 0.18	4.34%
$\nu\nu H$	6.19 ± 0.17	4.29%
$qq H$	6.25 ± 0.04	1.71%
combined	6.28 ± 0.07	1.30%

	preCDR	Now
WW	1.5%	1.2%

- Pre_CDR's result contains:

Channel	Precision	Comment
$Z \rightarrow \mu\mu, H \rightarrow WW^* \rightarrow \ell\nu qq, \ell\ell\nu\nu$	4.9%	CEPC Full Simulation
$Z \rightarrow ee, H \rightarrow WW^* \rightarrow \ell\nu qq, \ell\ell\nu\nu$	7.0%	Scaled from $\mu^+\mu^-$ channel
$Z \rightarrow \nu\bar{\nu}, H \rightarrow WW^* \rightarrow qqqq$	2.3%	Extrapolated from ILC result
$Z \rightarrow qq, H \rightarrow WW^* \rightarrow \ell\nu qq$	2.2%	Extrapolated from ILC result
Combined	1.5%	

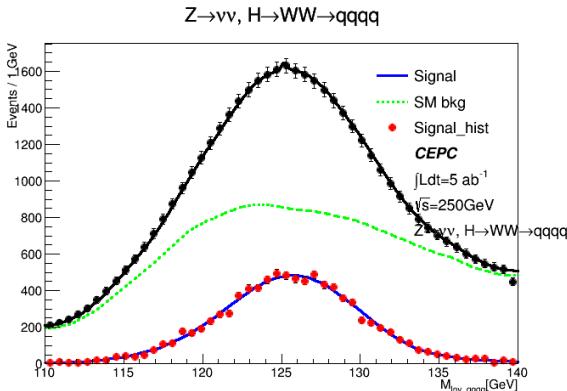
Excepted signal events of each type

W boson decay	Z boson decay				
	ee	$\mu\mu$	$\tau\tau$	$\nu\nu$	qq
$WW^* \rightarrow evev$	88	88	88	525	1836
$WW^* \rightarrow \mu\nu\mu\nu$	87	87	87	517	1808
$WW^* \rightarrow e\nu\mu\nu$	175	175	175	1052	3644
$WW^* \rightarrow e\nu\tau\nu$	187	187	188	1116	3901
$WW^* \rightarrow \mu\nu\tau\nu$	186	186	186	1107	3872
$WW^* \rightarrow \tau\nu\tau\nu$	99	99	99	593	2072
$WW^* \rightarrow evqq$	1111	1112	1114	6612	23112
$WW^* \rightarrow \mu\nu qq$	1103	1104	1105	6562	22939
$WW^* \rightarrow \tau\nu qq$	1181	1182	1183	7025	24558
$WW^* \rightarrow qq qq$	3498	3502	3506	20808	72735

Done
To do

- Currently have 11 channels of WW (with box)

- Data entry is different with Pre_CDRs'.
- Others are undergoing

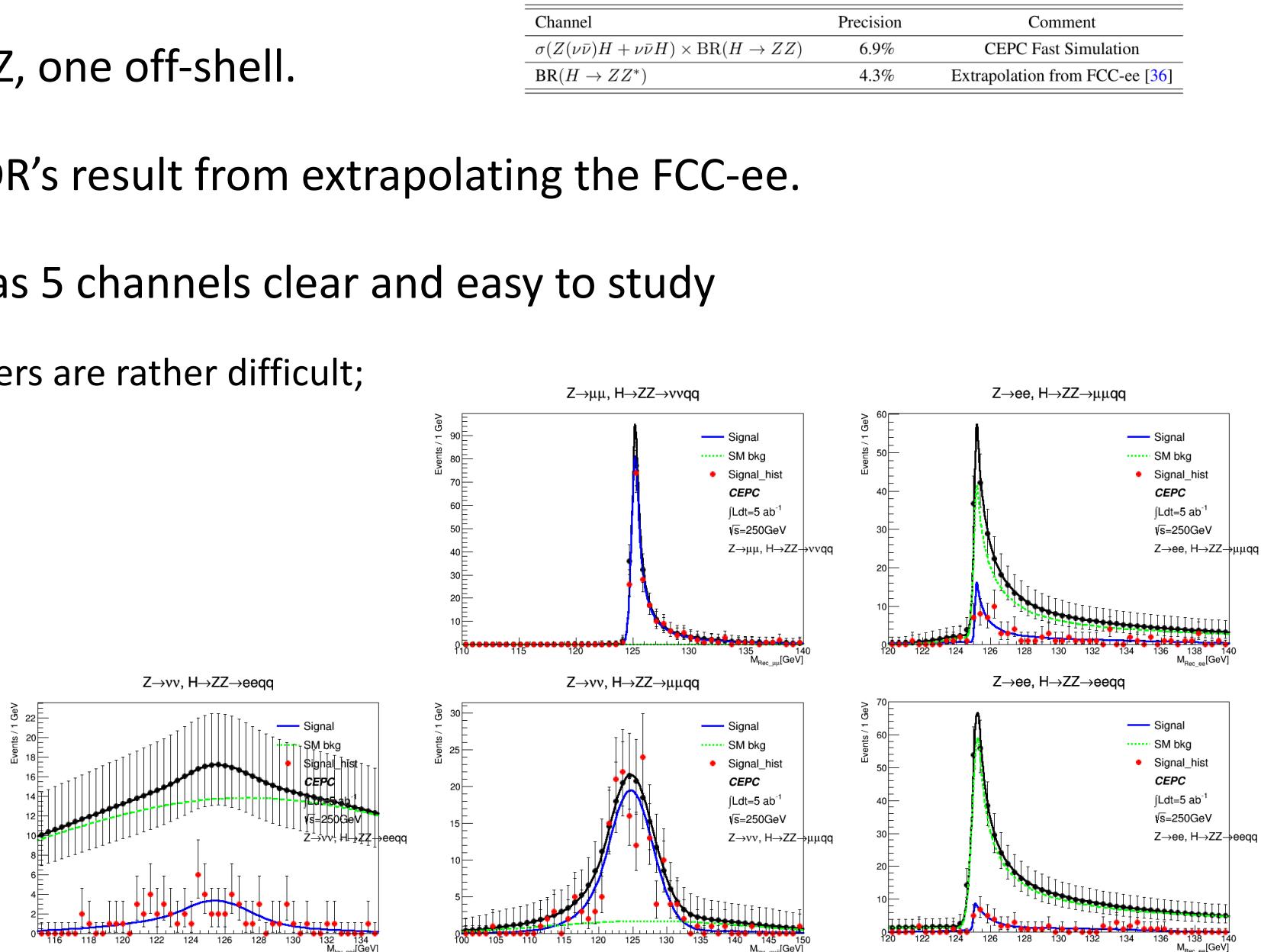


Libo's summary

Category	Signal	Relative uncertainty	Efficiency of se
$Z \rightarrow e^+e^-; H \rightarrow WW^* \rightarrow evev$	20 ± 7	35%	25.0%
$Z \rightarrow e^+e^-; H \rightarrow WW^* \rightarrow \mu\nu\mu\nu$	44 ± 8	18.2%	43.1%
$Z \rightarrow e^+e^-; H \rightarrow WW^* \rightarrow e\nu\mu\nu$	53 ± 8	15.1%	27.6%
$Z \rightarrow e^+e^-; H \rightarrow WW^* \rightarrow evqq$	435 ± 23	5.3%	37.0%
$Z \rightarrow e^+e^-; H \rightarrow WW^* \rightarrow \mu\nu qq$	551 ± 24	4.5%	48.0%
$Z \rightarrow \mu^+\mu^-; H \rightarrow WW^* \rightarrow evev$	23 ± 5	21.7%	25.8%
$Z \rightarrow \mu^+\mu^-; H \rightarrow WW^* \rightarrow \mu\nu\mu\nu$	39 ± 7	18%	44.8%
$Z \rightarrow \mu^+\mu^-; H \rightarrow WW^* \rightarrow e\nu\mu\nu$	93 ± 10	11%	54.1%
$Z \rightarrow \mu^+\mu^-; H \rightarrow WW^* \rightarrow evqq$	573 ± 25	4.0%	51.7%
$Z \rightarrow \mu^+\mu^-; H \rightarrow WW^* \rightarrow \mu\nu qq$	756 ± 30	4.4%	68.4%
$Z \rightarrow \nu\bar{\nu}; H \rightarrow WW^* \rightarrow qqqq$	8403 ± 202	2.4%	34.7%
$Z \rightarrow \mu^+\mu^-; H \rightarrow WW^* \rightarrow qq qq$	\pm	2.93%	

	preCDR	Now
ZZ	4.3%	5.2%

- 3 final Z, one off-shell.
- Pre_CDR's result from extrapolating the FCC-ee.
- Now has 5 channels clear and easy to study
 - Others are rather difficult;



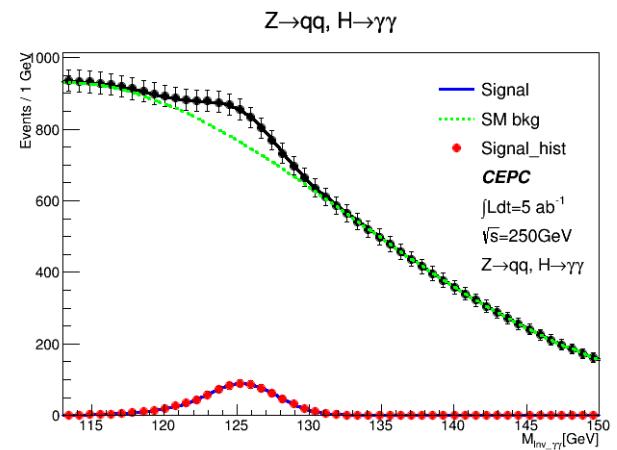
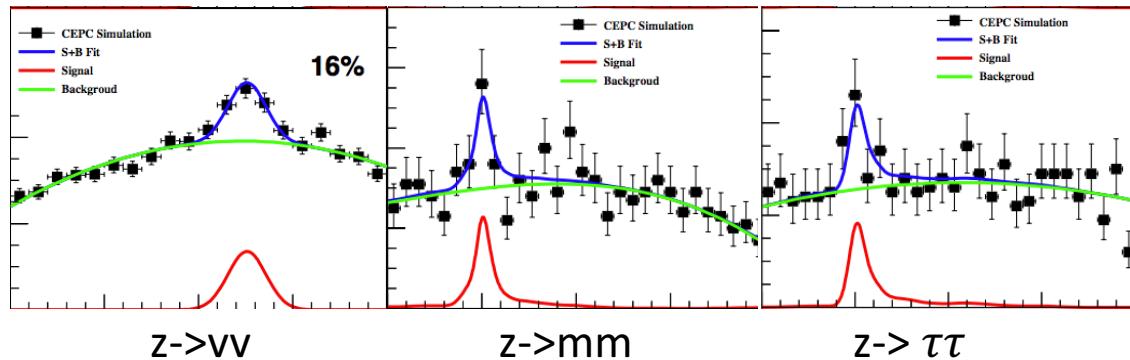
$\gamma\gamma$

	preCDR	Now
$\gamma\gamma$	9.0%	8.2%

- 3 channels of $\gamma\gamma$ ($ll, vv, qq + \gamma\gamma$, lepton= μ, τ)
- Pre_CDR assume ECAL's resolution $\sim \frac{16\%}{\sqrt{E}} \oplus 1\%$, then to 9%.
- $llrr, vvrr$ are fast simulated by Feng in 2015.
- $qqrr$ updated by Yitian in 2017.4.

Z	H	Mine	CDR
ll	$\gamma\gamma$	90	62+56
vv		328	339
qq		828	582

Signal events comparison



$H \rightarrow invisible$

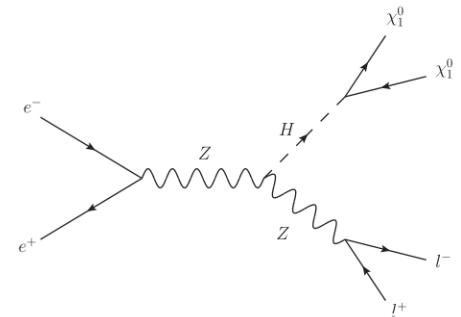
	pre_CDR	Now
<i>invisible</i>	0.28%	0.22%



- In pre_CDR, plan to search exotic decay

- SUSY $H \rightarrow \chi_1 \chi_1$ assume $\sigma = 200 \text{ fb}$.

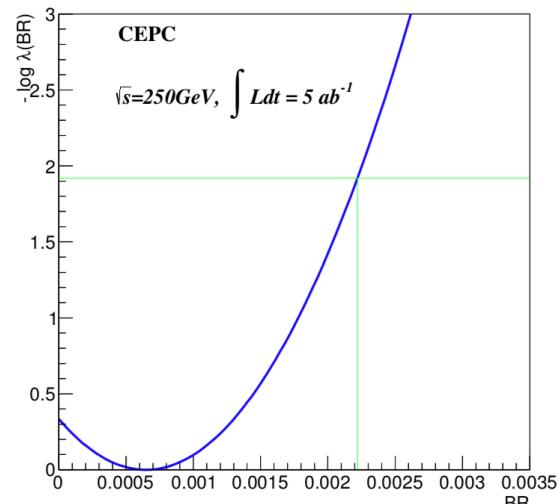
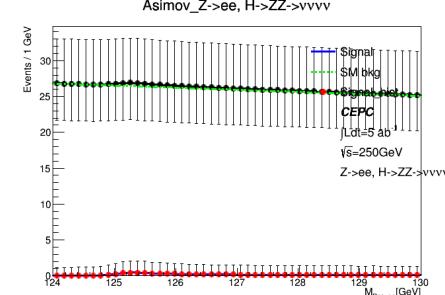
In this case, extrapolated from ILC studies, precision is **0.14%**



- Moxin studied $H \rightarrow ZZ \rightarrow vvvv$

- 3 channels analyzed by Moxin, $Z \rightarrow ee/\mu\mu/\tau\tau$
- Large irreducible bkg, seek upper limit
- After BDT and combination, 0.22% (in pre_CDR 0.28%)

	$e^+ e^- h$	$\mu^+ \mu^- h$	$q\bar{q}h$
Br	$0.077 \pm 0.510\%$	$0.150\% \pm 0.290\%$	$0.069\% \pm 0.150\%$
95% CL upper limit	1.07%	0.70%	0.34%
Combination	Br $0.070\% \pm 0.079\%$, CL 95% upper limit 0.22%		



$\mu\mu, Z\gamma$ and others



preCDR Now

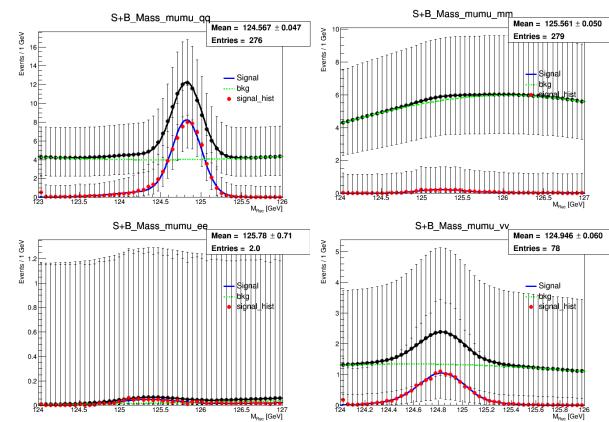
$\mu\mu$

17%

15%

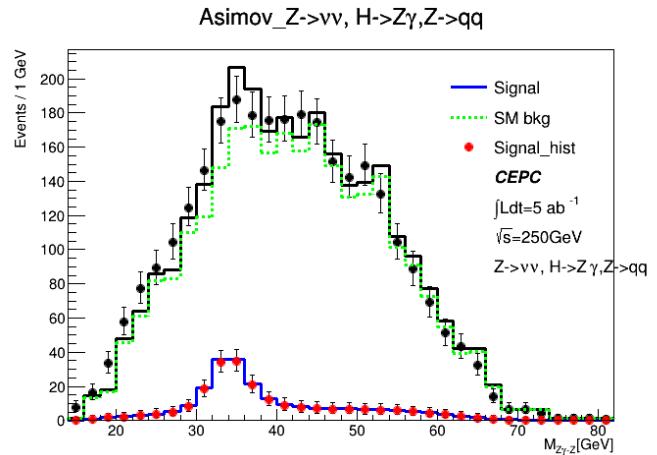
- $\mu\mu$ process

- Pre_CDR's 17% not reliable;
- Zhen Wei separate $Z \rightarrow ee, mm, vv$ and qq
- Small signal window; After cut 90 signals left.



- $Z \rightarrow qq, H \rightarrow Z\gamma \rightarrow qq\gamma$ studied;

- Pre_CDR not conclude;
- Take $m_{Z\gamma-Z}$ as observable;
- 4σ significance; Precision about 21%.



- $e\mu, ee$ process studied.

- Since low stats and no clear ratio, not taken into fit model.