

Forbush Decrease

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Outline

1. Solar modulation of cosmic ray intensity

2. Forbush decrease

- ◆ introduction to CME and its driven shock, and the related Forbush decrease
- ◆ Observational analyses
- ◆ FD simulations
- ◆ FD prediction

3. Sun shadow & CME shadow

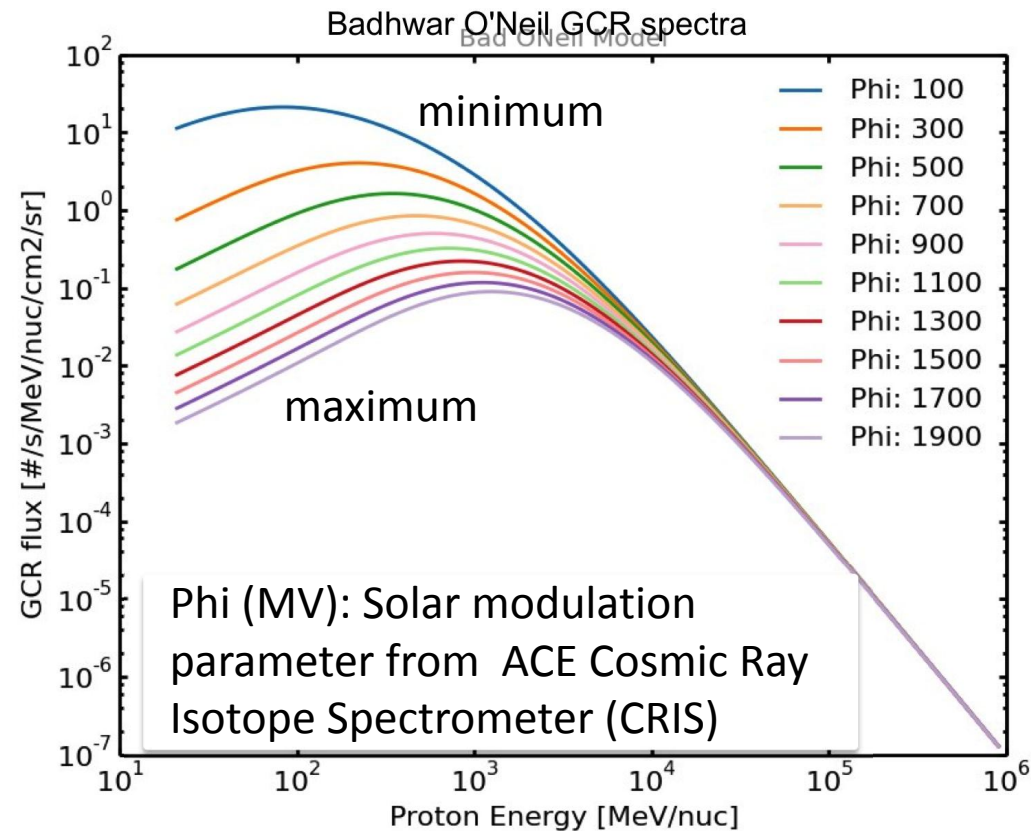
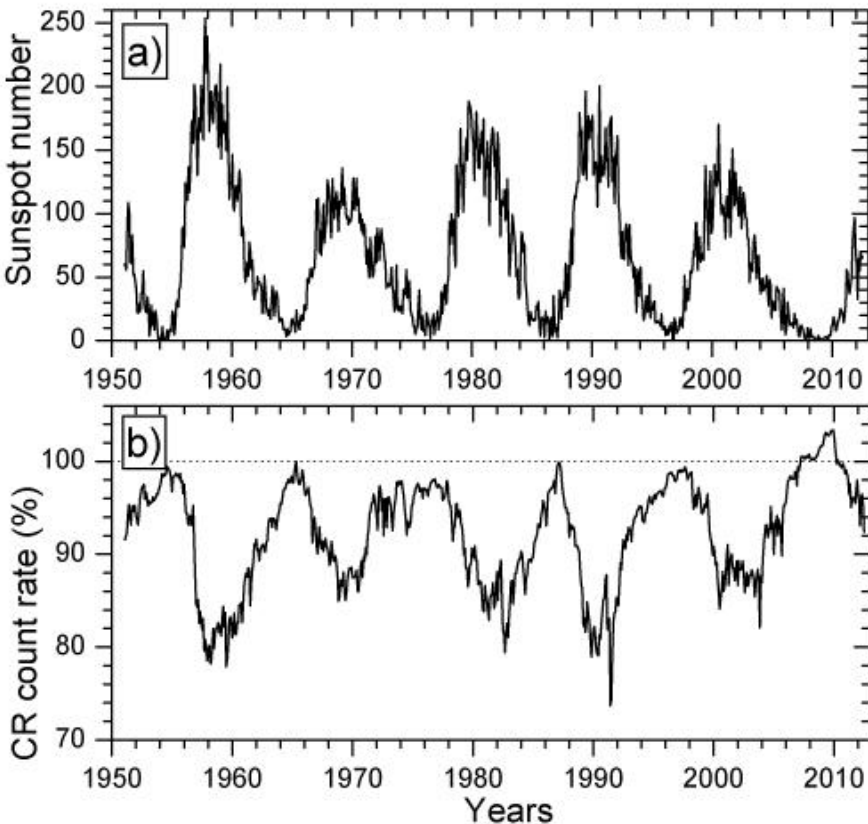
magnetic field modeling from line-of-sight

and vector photosphere magnetic field

MHD simulation: e.g. ENLIL model, NSSC COIN-TVD model

Solar modulation

Solar cycle: 11/22 years
Solar rotation: 27 days
Earth rotation: diurnal



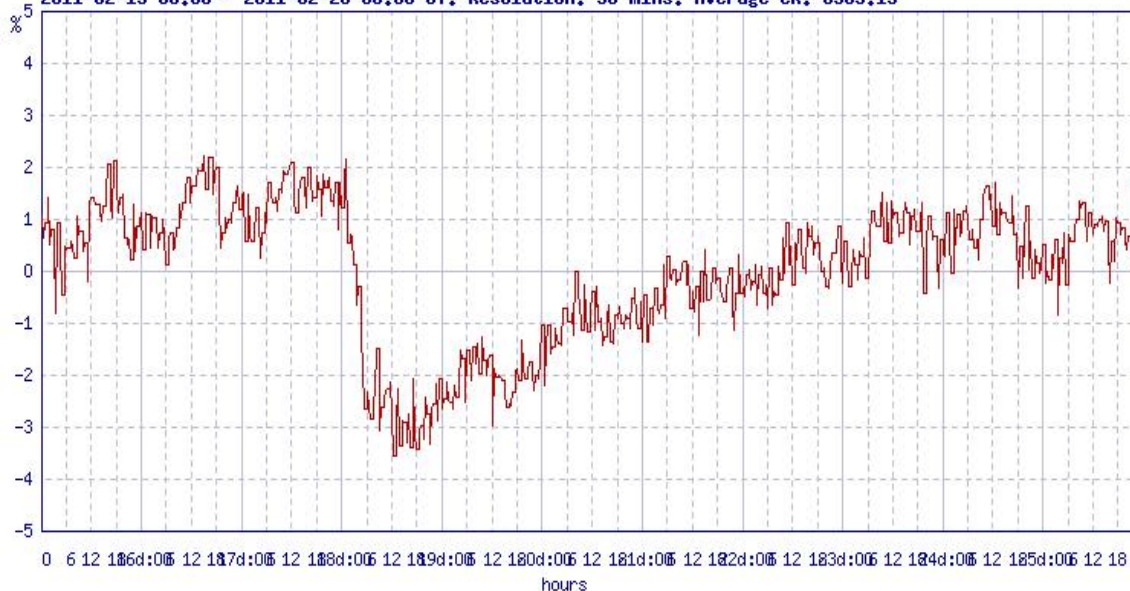
Forbush decrease

“Recurrent” FD: recur with the solar rotation period and are associated with corotating interaction regions (27-day variation)

“non-recurrent” FD: caused by the passage of transient solar wind structures (CME and its driven shock)

Oulu Neutron Monitor

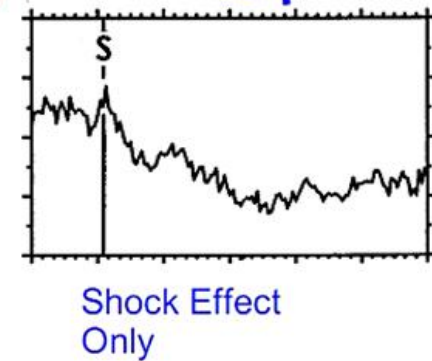
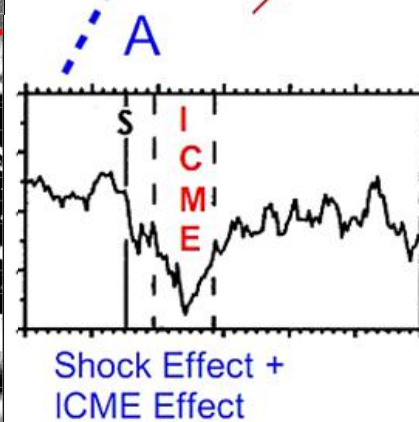
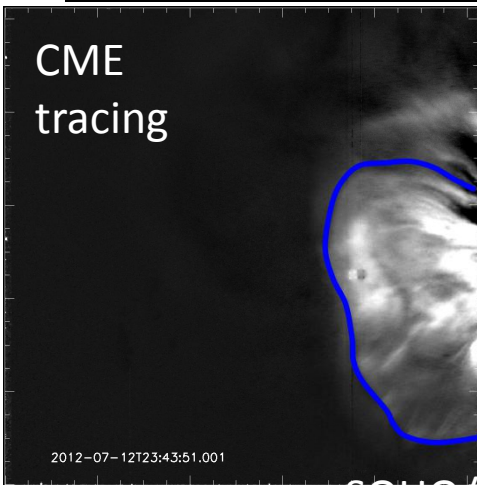
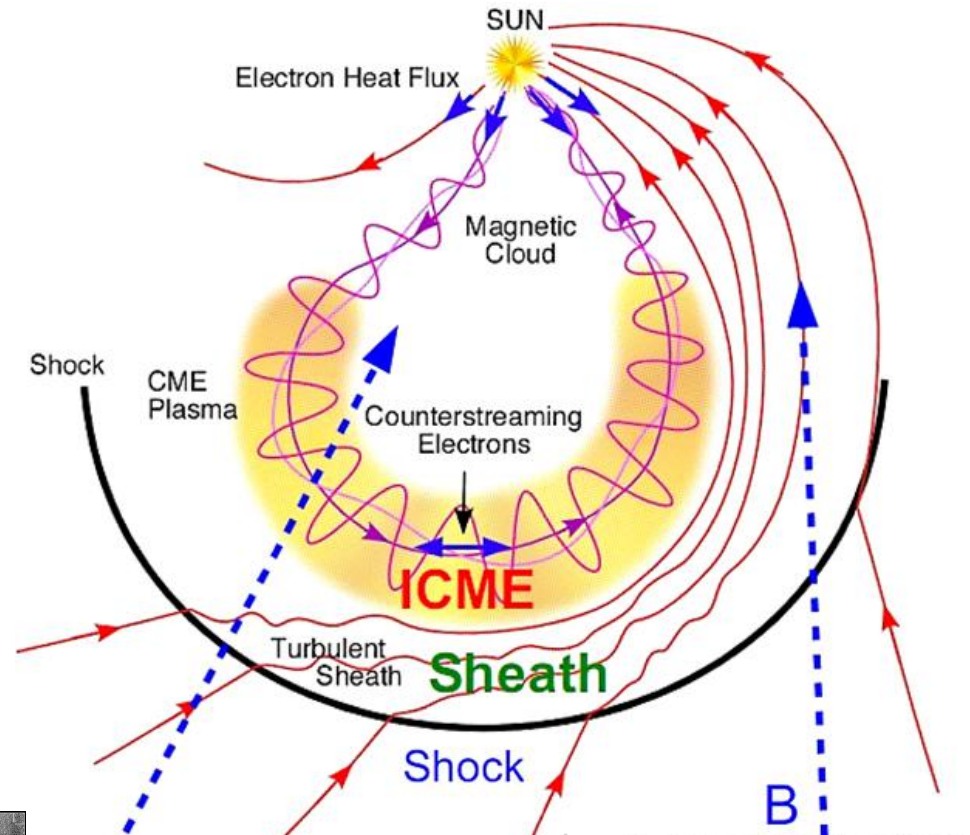
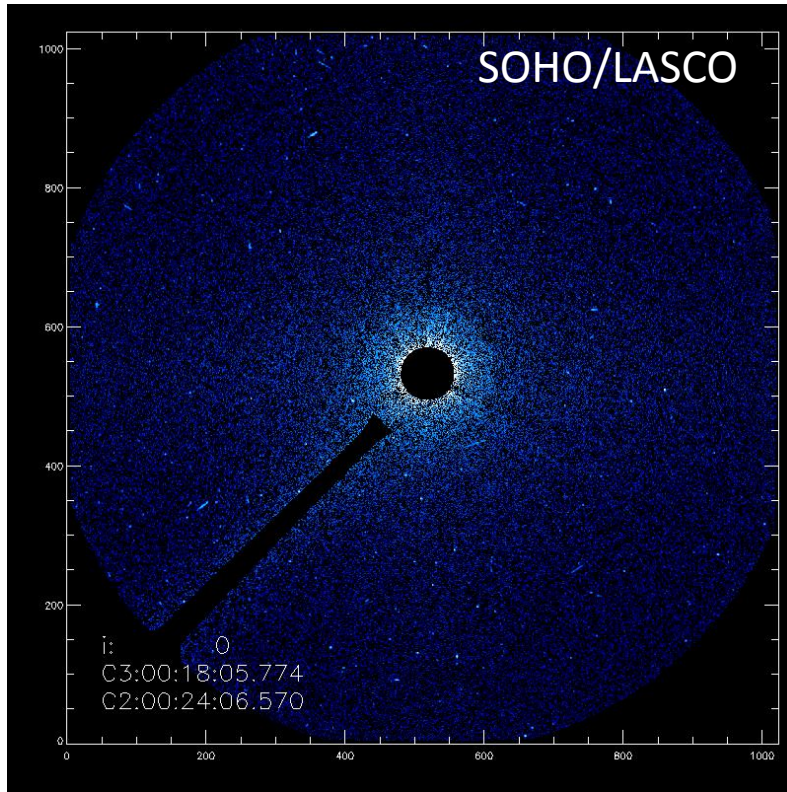
2011-02-15 00:00 - 2011-02-26 00:00 UT. Resolution: 30 mins. Average CR: 6503.13



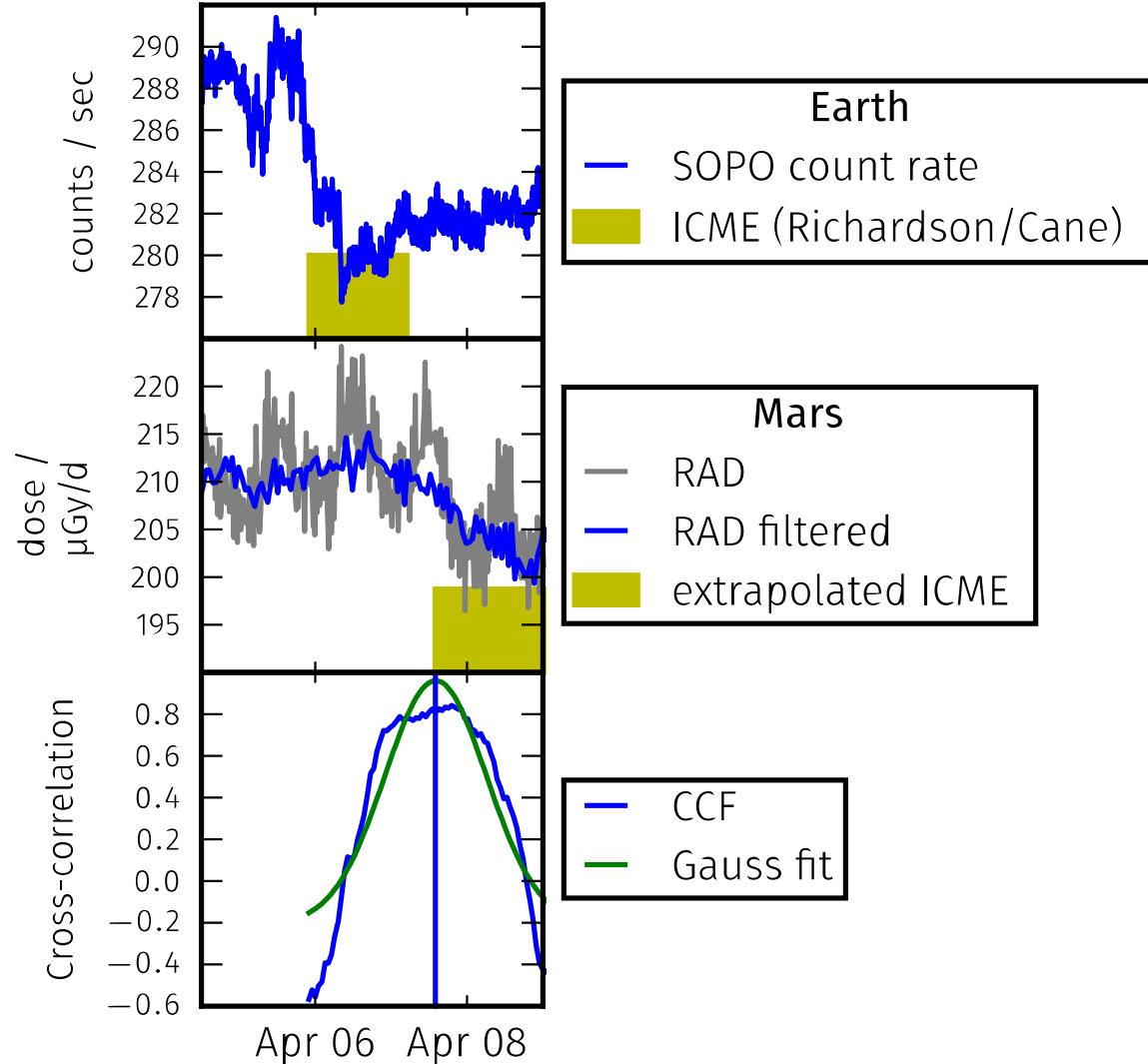
FD characteristics:

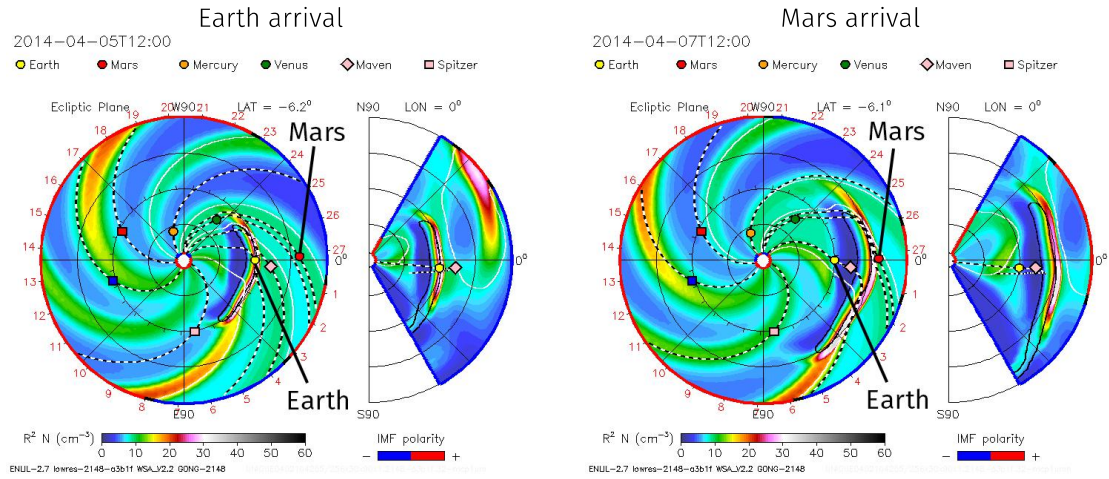
Rapid decrease of the GCR flux within a few hours to 1 or 2 days,
Gradual recovery in the coming a few days or 10 days

Two-step Forbush Decrease

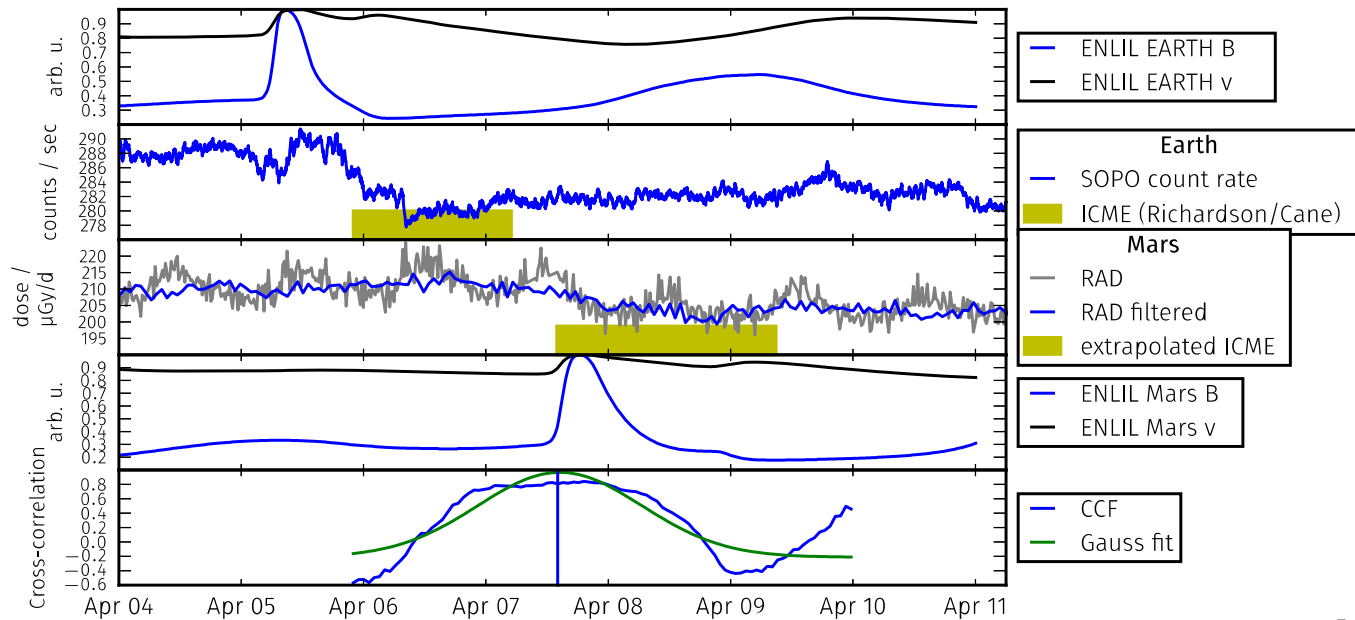


ICME propagation from 1 AU to 1.5AU





6



7

FD for different CME events

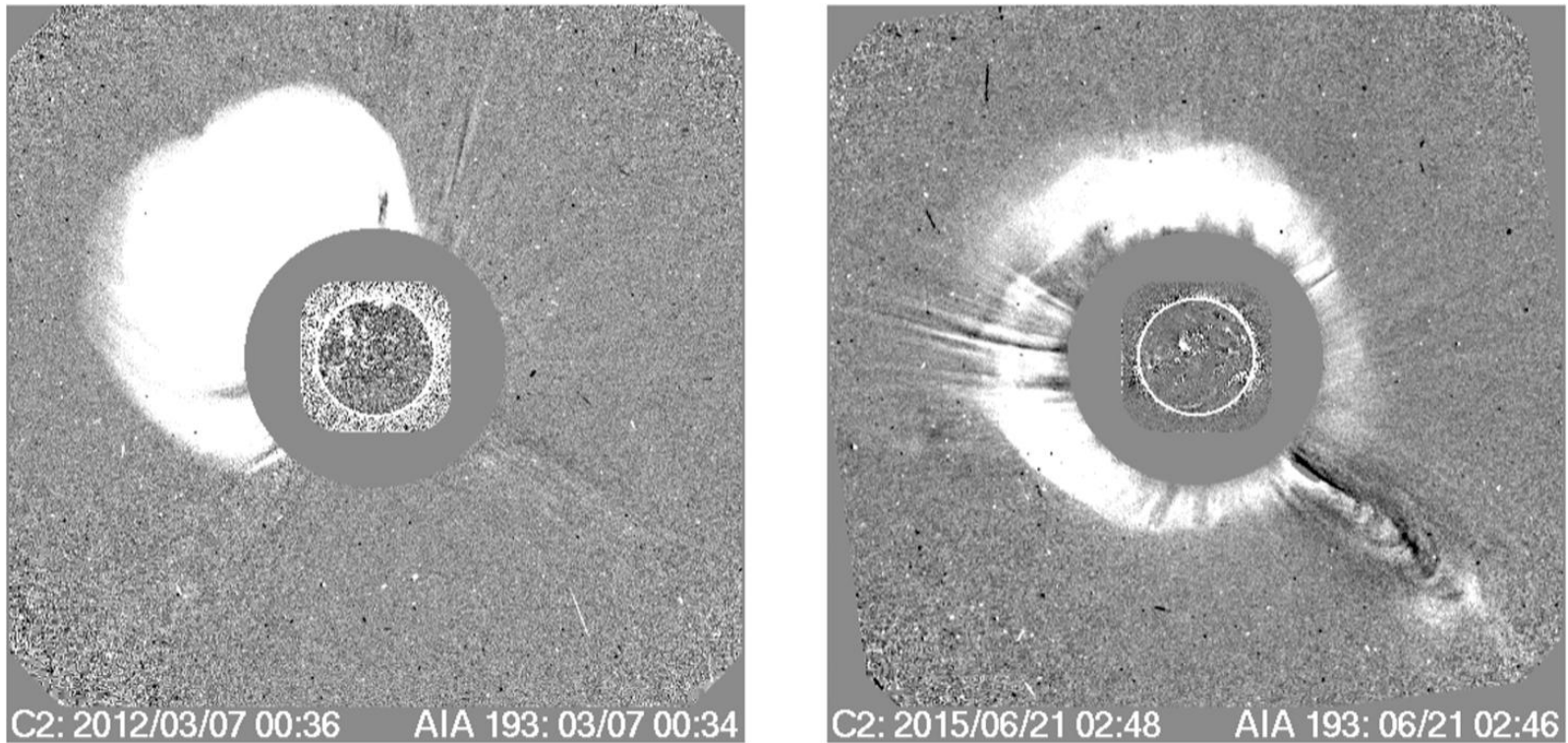
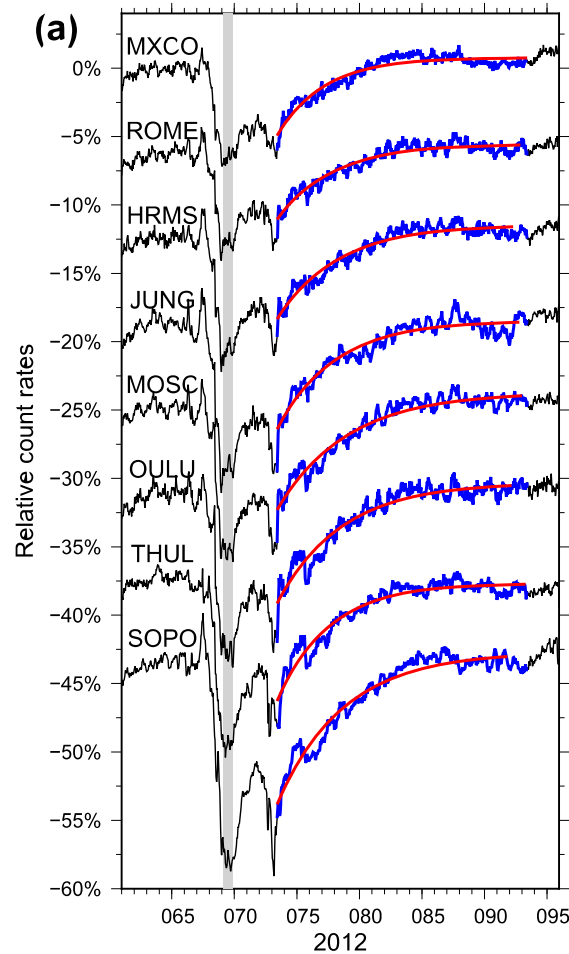


Figure 1. LASCO C2 images of the CMEs on 2012 March 7 at 00:36 UT (left) and 2015 June 21 at 02:48 UT (right).

Key parameters of FD : amplitude, recovery time as a function of median energy



Recovery time:

$$\delta I = \frac{I_0 - I}{I_0} = A \cdot \exp\left(-\frac{t - t_0}{\tau}\right)$$

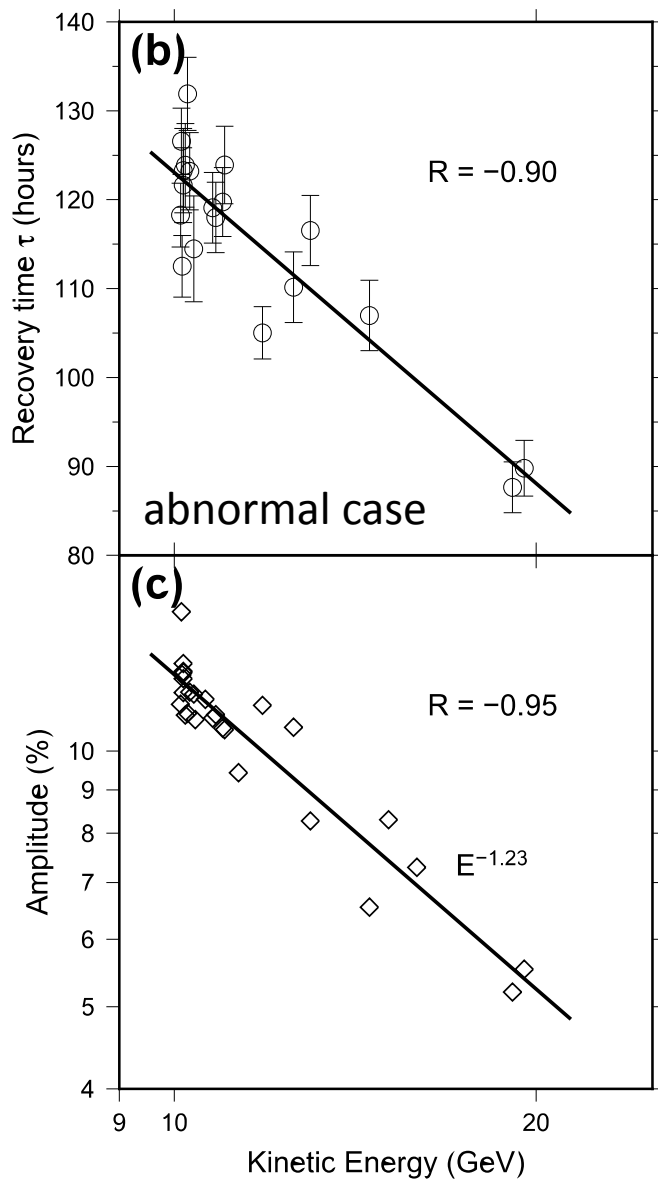
Median energy:

$$E_m = 0.0877P_c^2 + 0.154P_c + 10.12$$

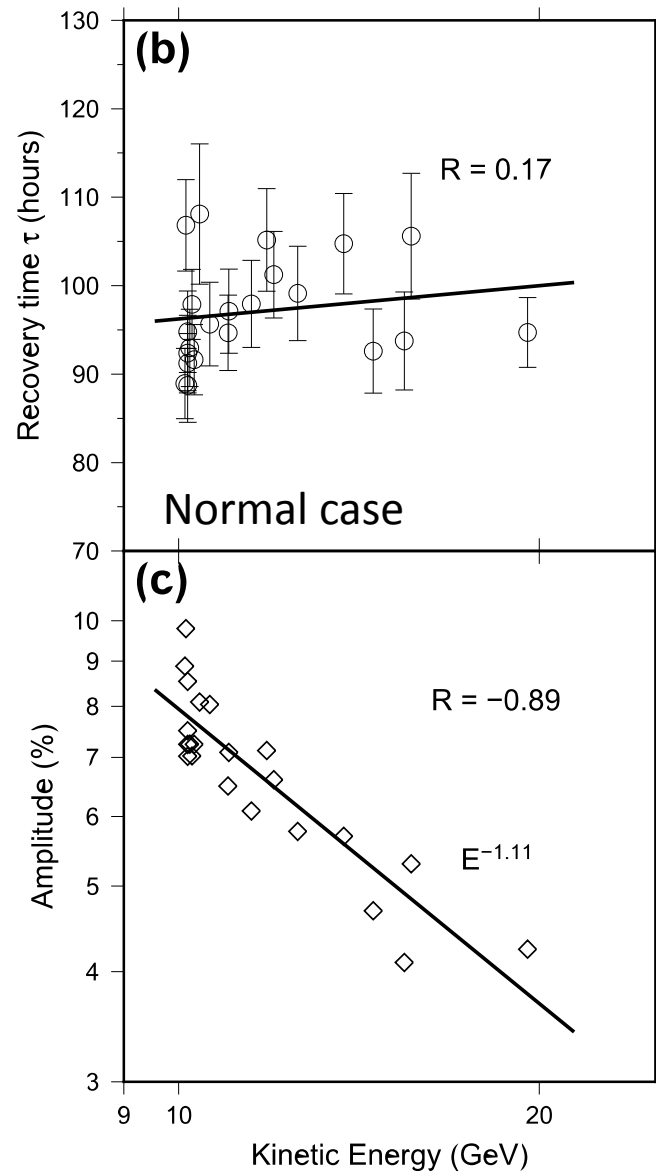
2012-Mar-07 event

LHAASO: extend the FD study to higher energies

2012-Mar-07



2015-June-21



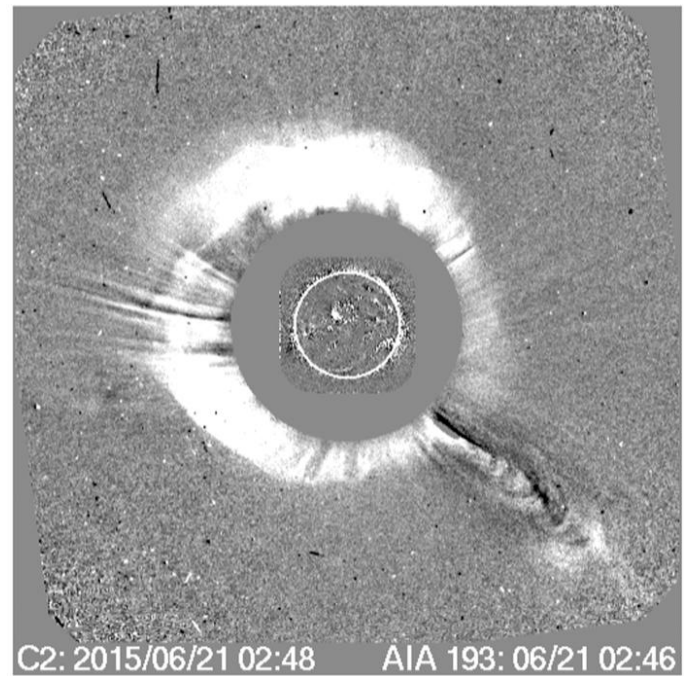
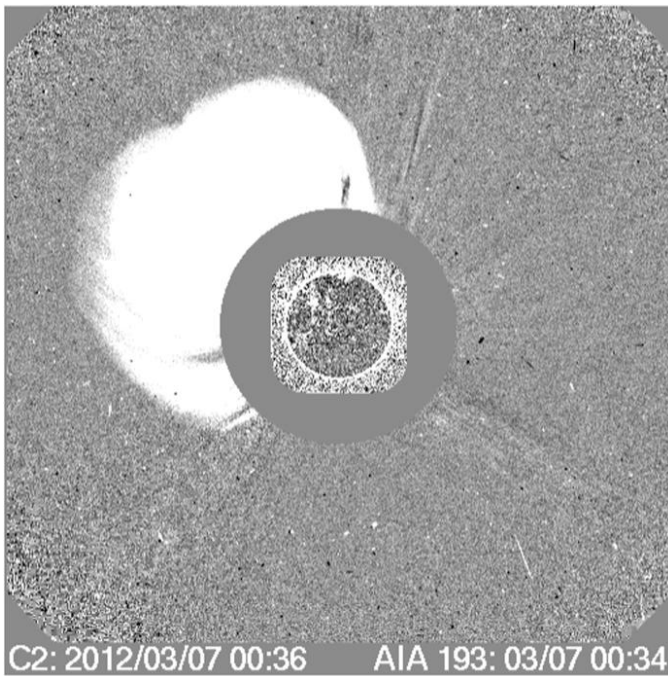
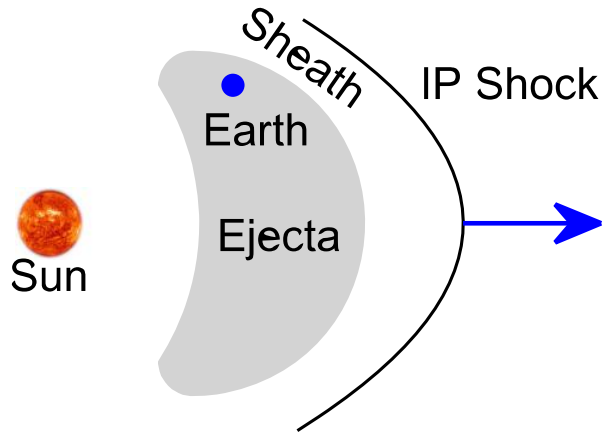


Figure 1. LASCO C2 images of the CMEs on 2012 March 7 at 00:36 UT (left) and 2015 June 21 at 02:48 UT (right).

(a)



(b)

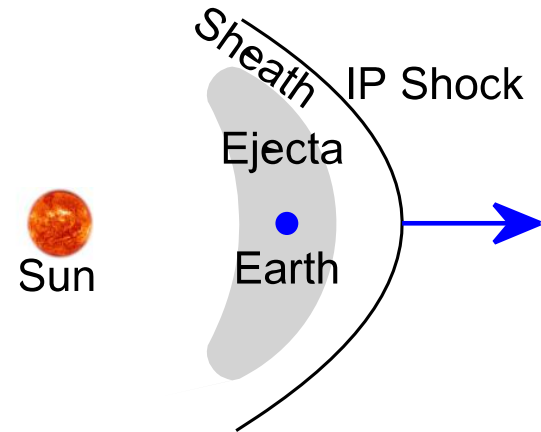
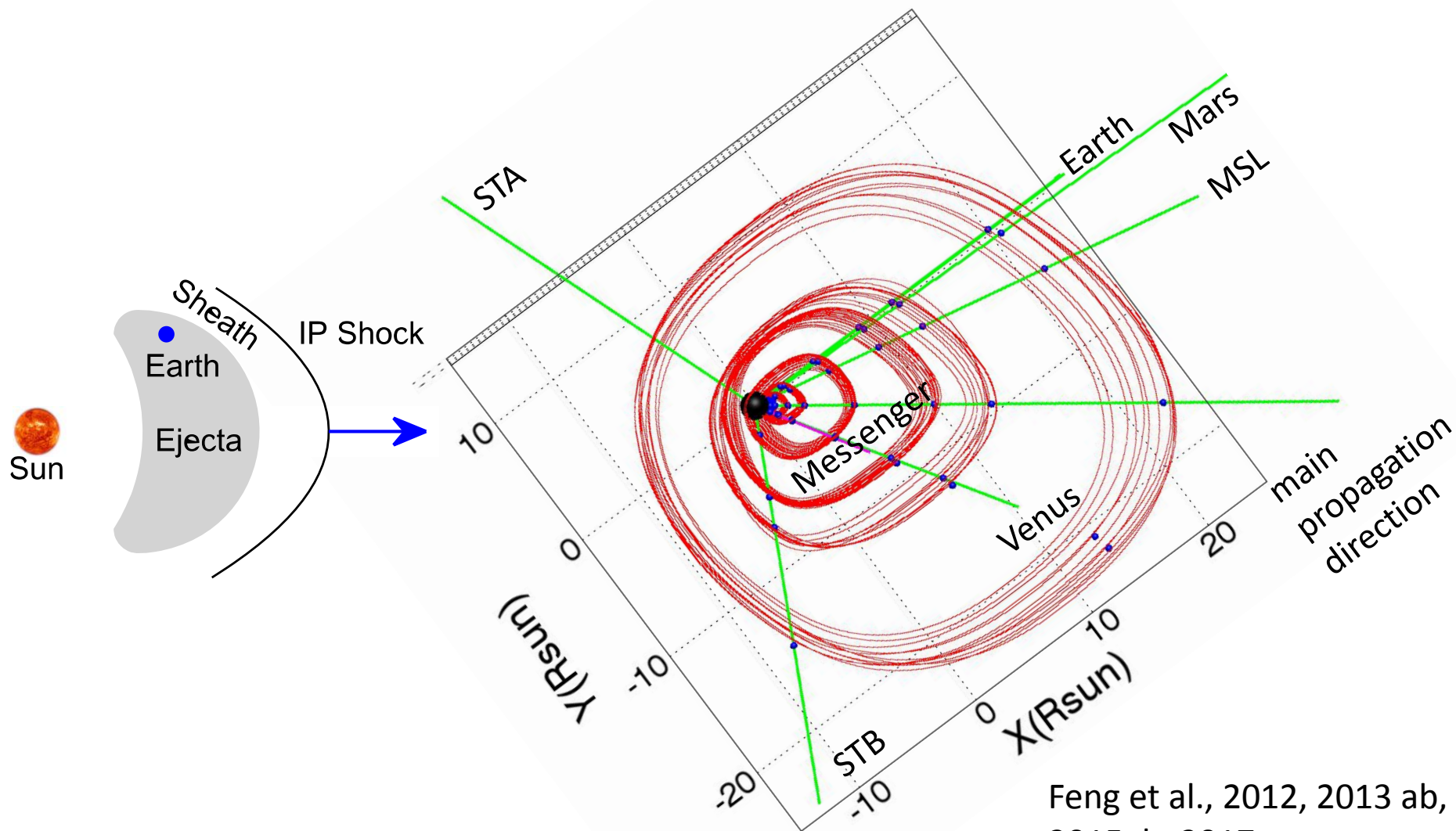


Figure 9. Schematic diagram (not to scale) explaining (a) Event 1 and (b) Event 2.

2012-Mar-07 event

Projections of the propagation of the 3D shock on the solar equatorial plane



Feng et al., 2012, 2013 ab, 2015ab, 2017

1D Simulation of FD

$$\frac{\partial f}{\partial t} + V_{sw} \bullet \nabla f - \nabla \bullet (\kappa \bullet \nabla f) - \frac{1}{3} \nabla \bullet V_{sw} \frac{\partial f}{\partial \ln P} = 0$$

convection

diffusion

Energy change

1D
case

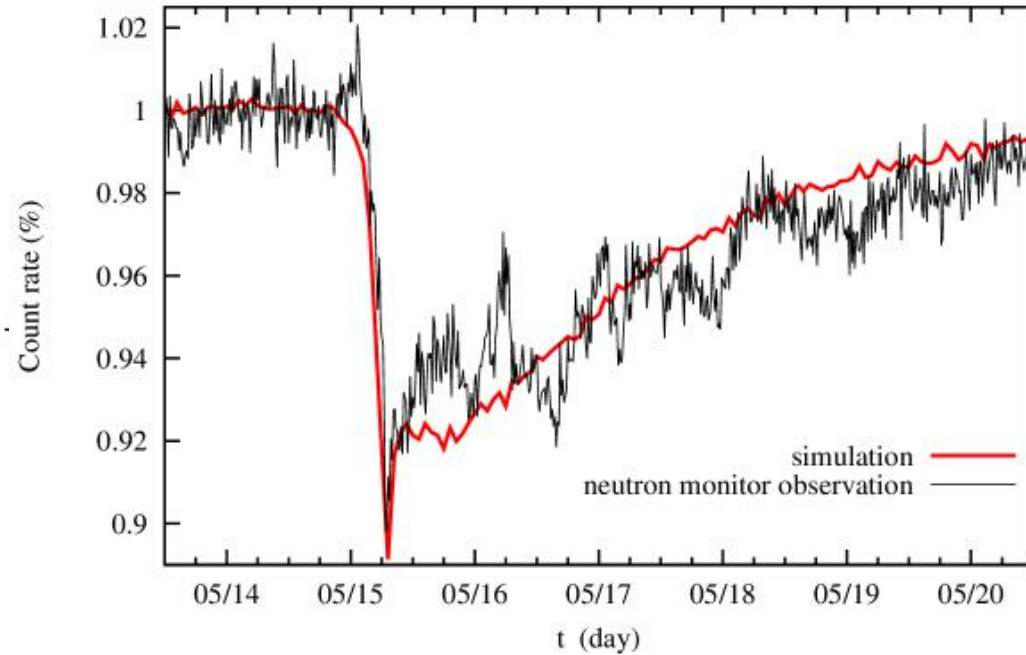
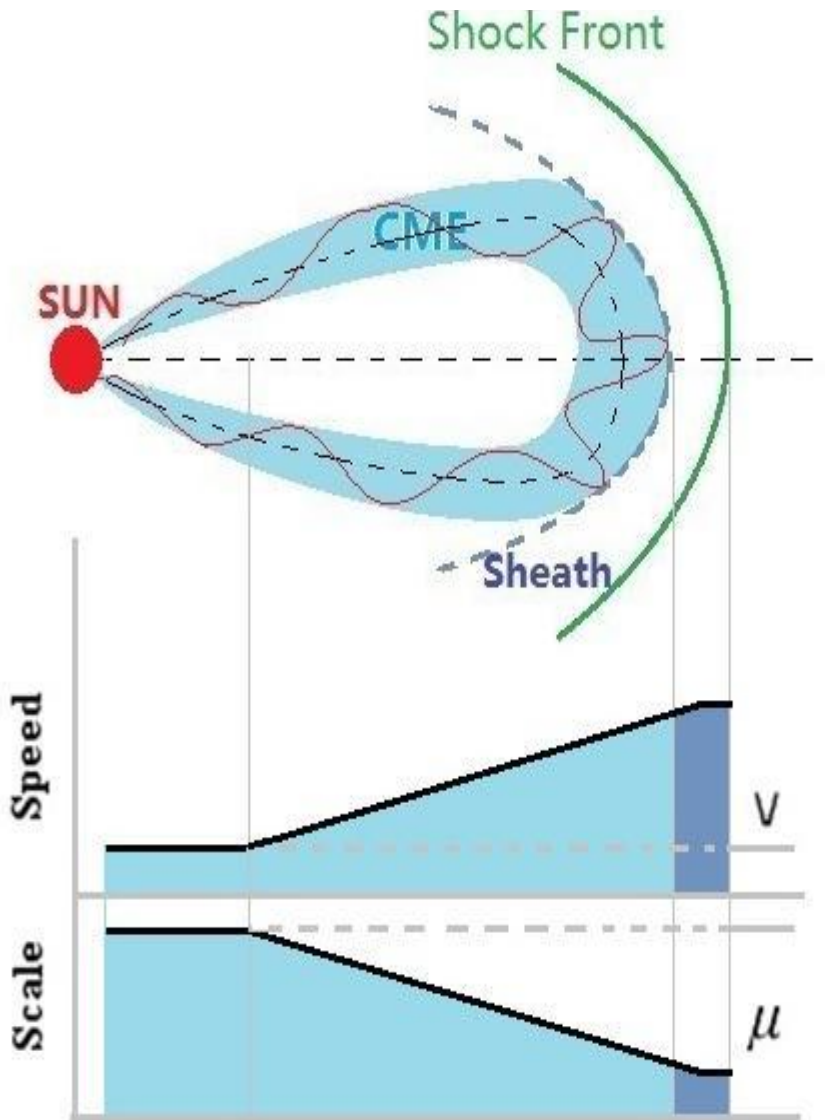
$$\frac{\partial f}{\partial t} = \kappa_{rr} \frac{\partial^2 f}{\partial r^2} + \left[\frac{\partial(r^2 \kappa_{rr})}{r^2 \partial r} - V_{sw} \right] \frac{\partial f}{\partial r} + \frac{\partial(r^2 V_{sw})}{3r^2 \partial r} \frac{\partial f}{\partial \ln P}$$

Diffusion coefficient and its scale μ

$$\kappa_{rr}(t, r) = \frac{\kappa_M + \kappa_m}{2} + \frac{\kappa_M - \kappa_m}{2} \bullet \cos\left(2\pi \frac{t - r/V_{sw}}{T}\right)$$

$$\kappa'_{rr}(t, r) = \mu \bullet \kappa_{rr}(t, r) \quad [Li et al., 2008]$$

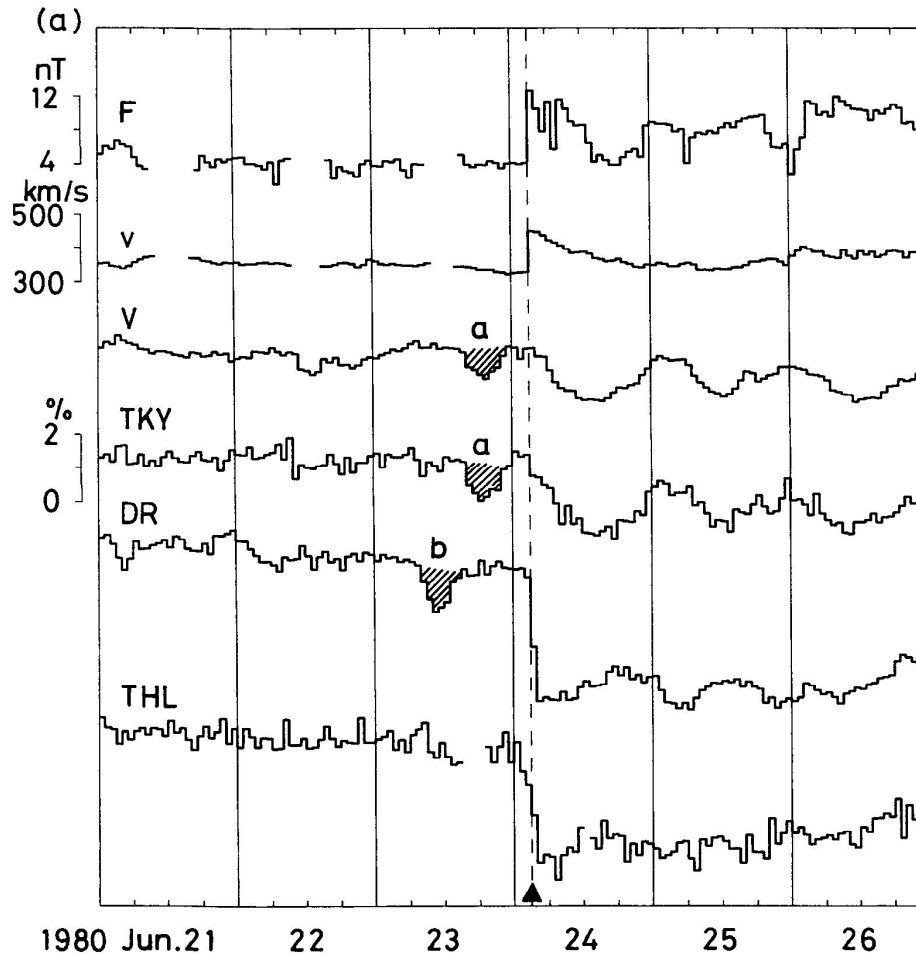
1D Simulation of FD



μ is inversely proportional to v

FD prediction- shock precursor

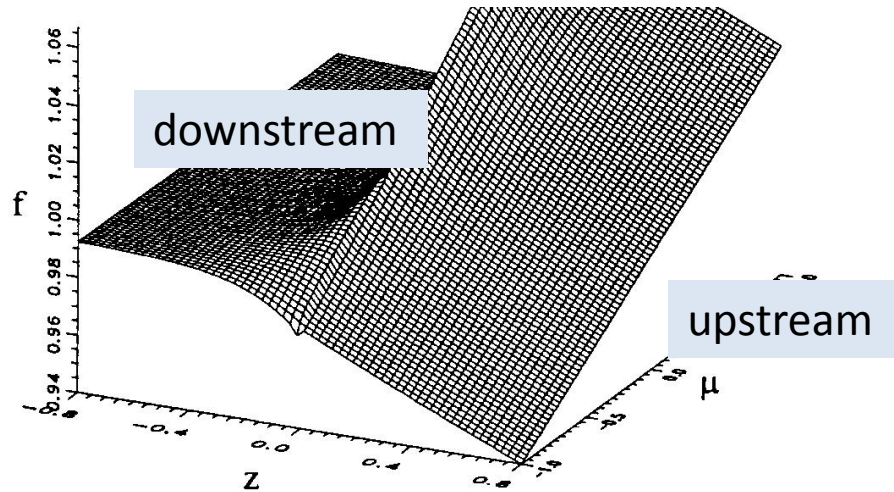
Decrease of cosmic ray intensity in front the shock;
have nearly the same rigidity spectrum as the FD.



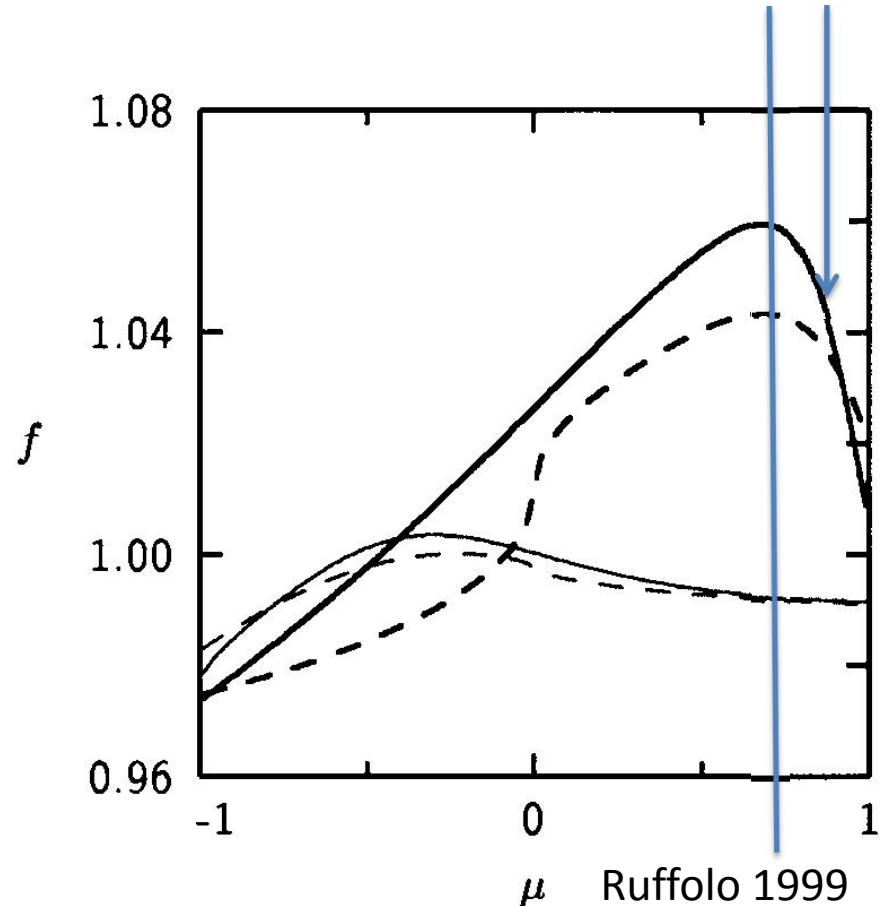
Nagashima et al. 1992

Decrease of cosmic ray intensity in front the shock- shock precursor

$Z=0$: oblique shock front position
 $Z>0$: shock upstream
 $Z<0$: shock downstream (region of FD)

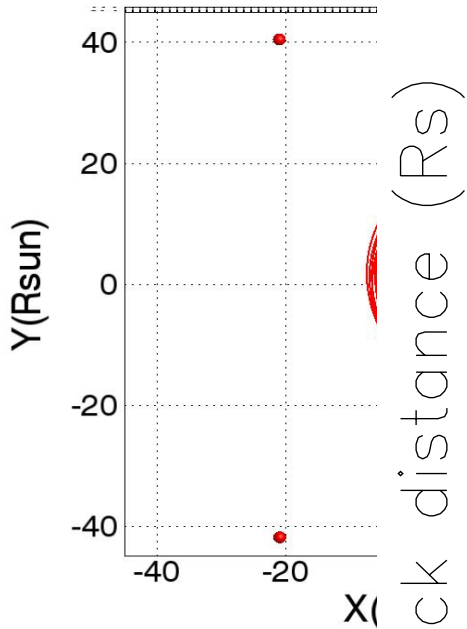


Loss cone or deficit cone:
particles comes from the
shock downstream

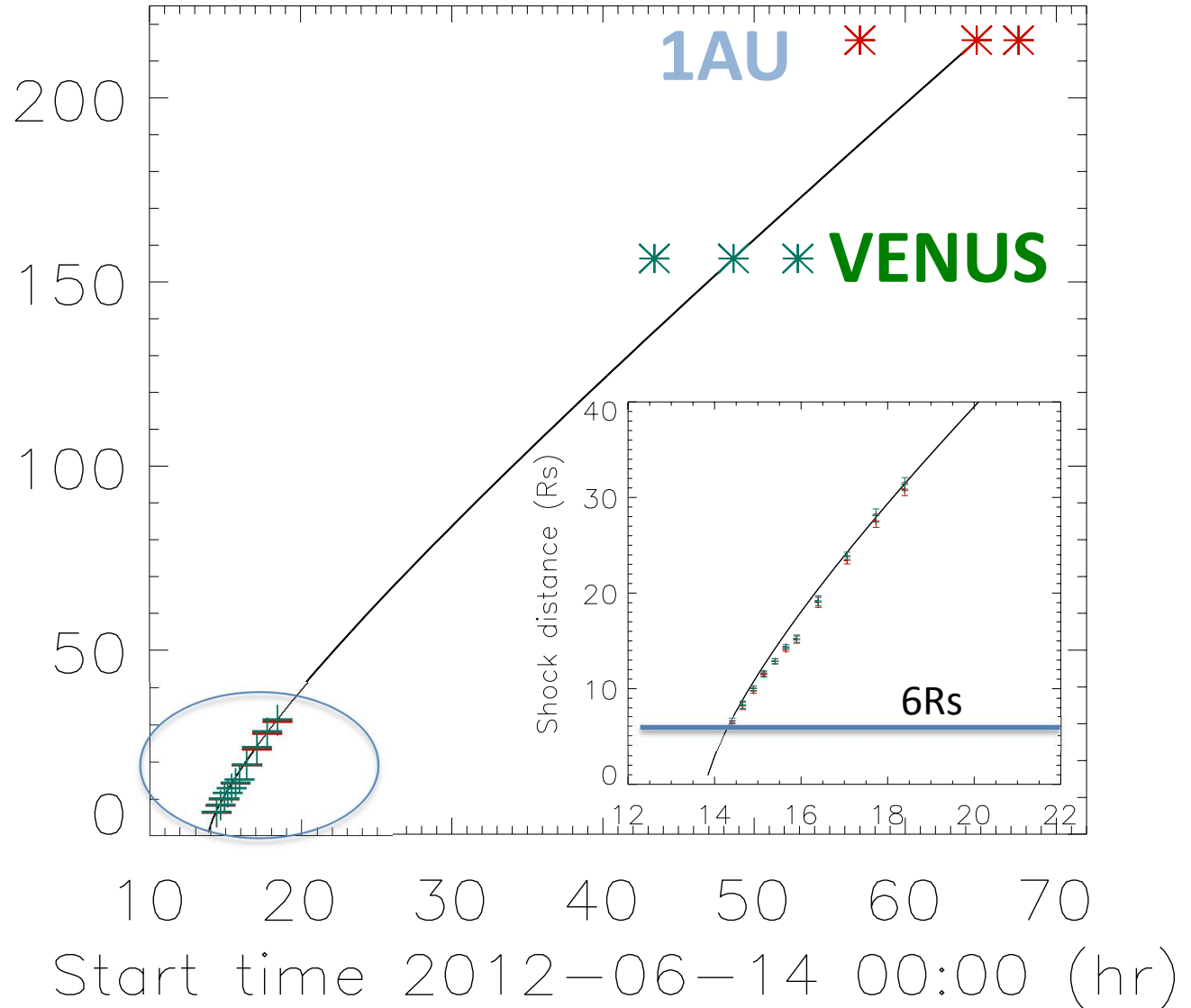


Particle distribution as a function of
distance to shock front and pitch angle

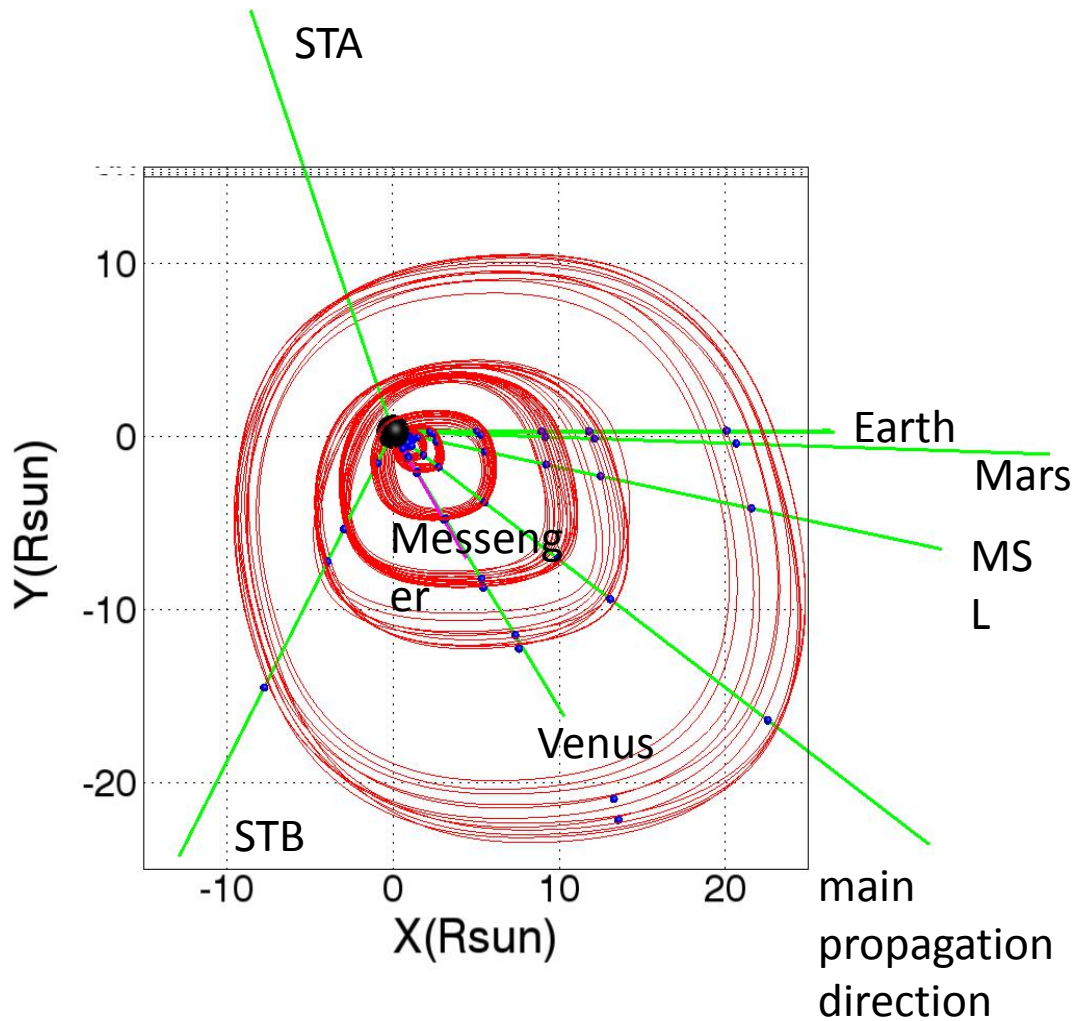
Shock prediction



Shock Prop
Model the
after the sh
a maximum
wave scena

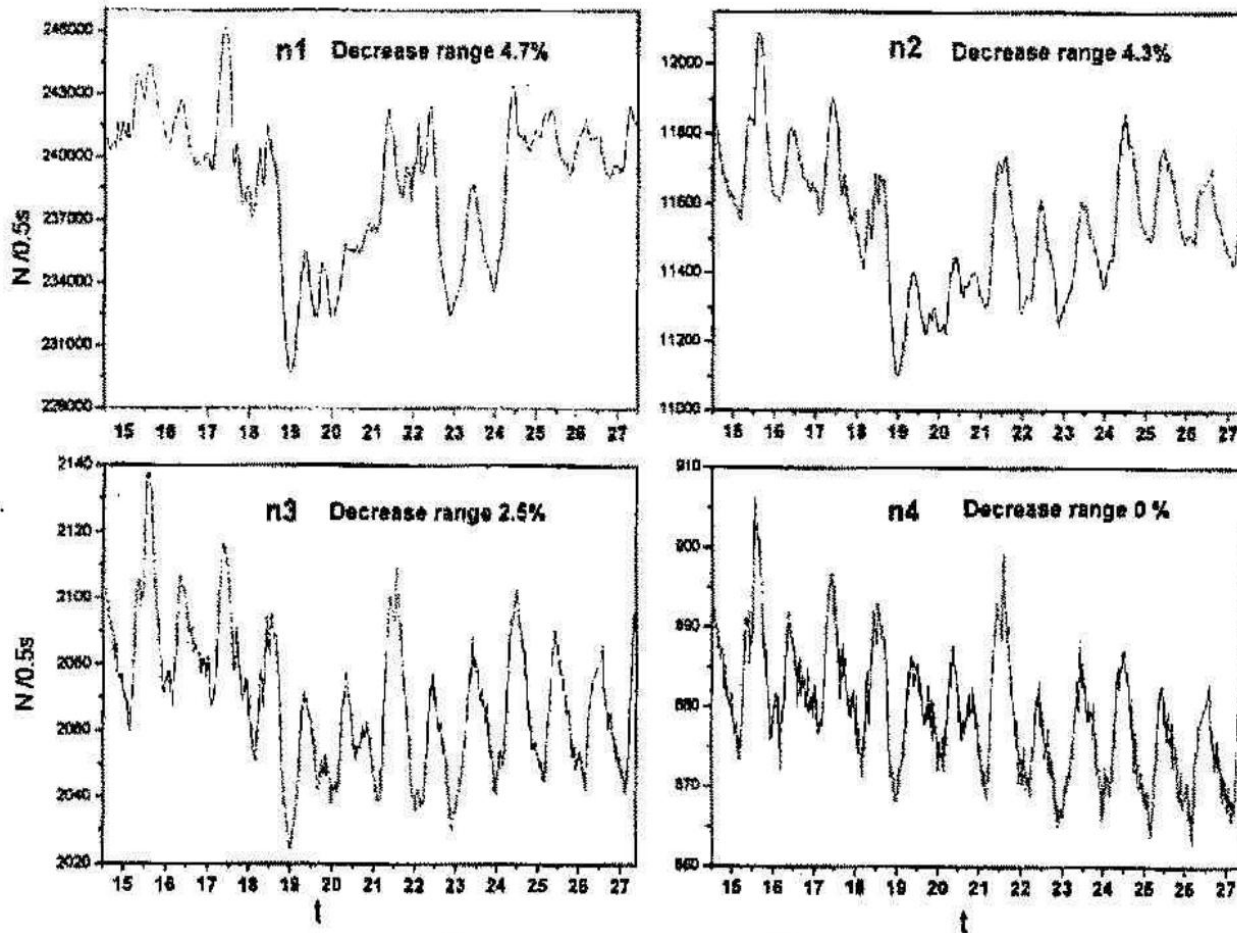


More work to be done ...



1. Simulations along the CME/shock flank
2. Compare the simulations with the cosmic ray flux at Earth, Mars, etc.

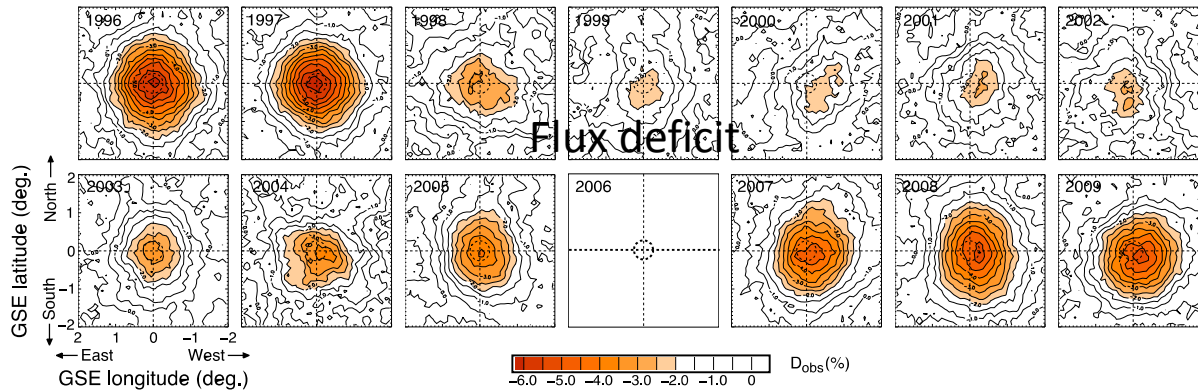
More work to be done ...



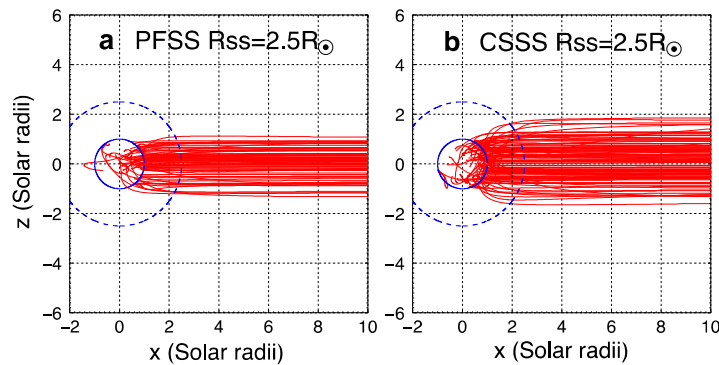
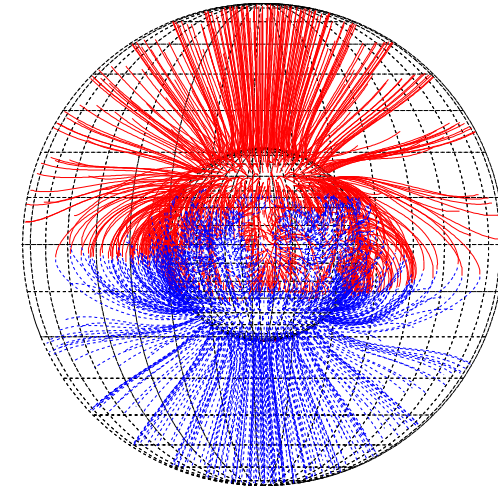
ARGO-SPT experiment:
FD in different energy
ranges

1. More events study
1. Simulations of FD in different energy ranges

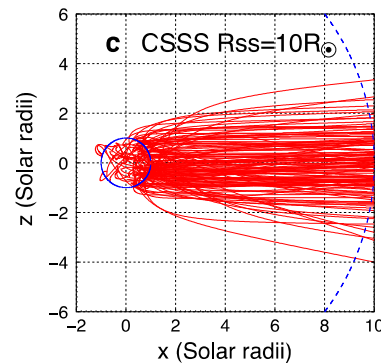
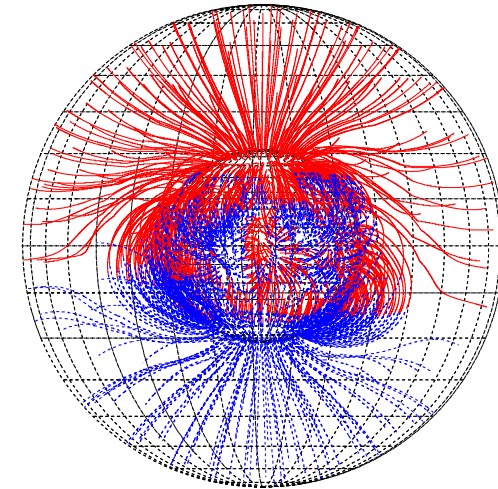
Sun shadow and CME shadow



a
PFSS



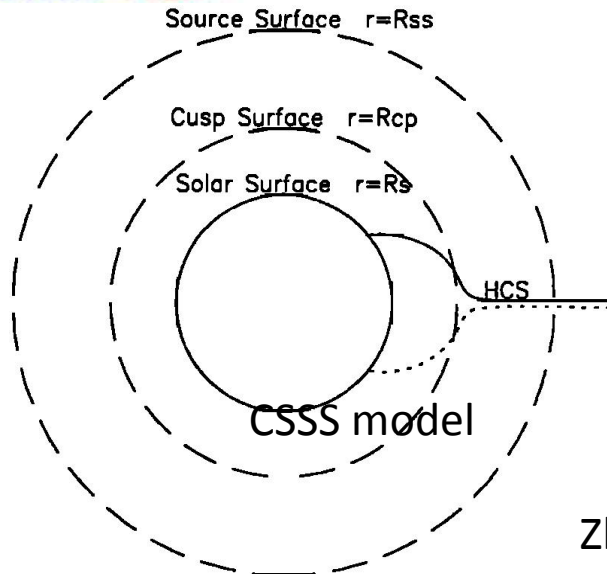
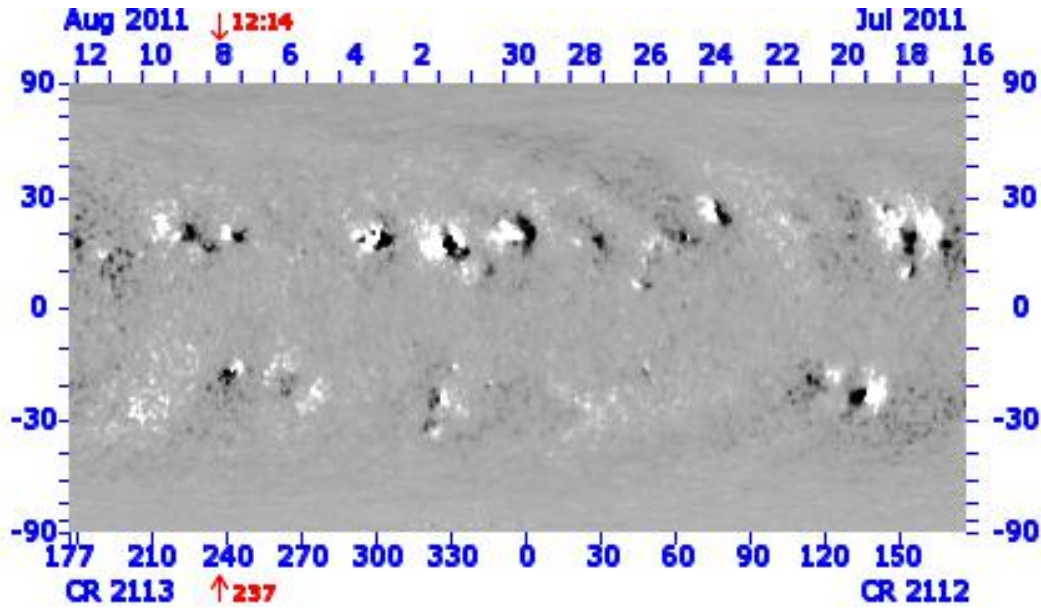
b
CSSS



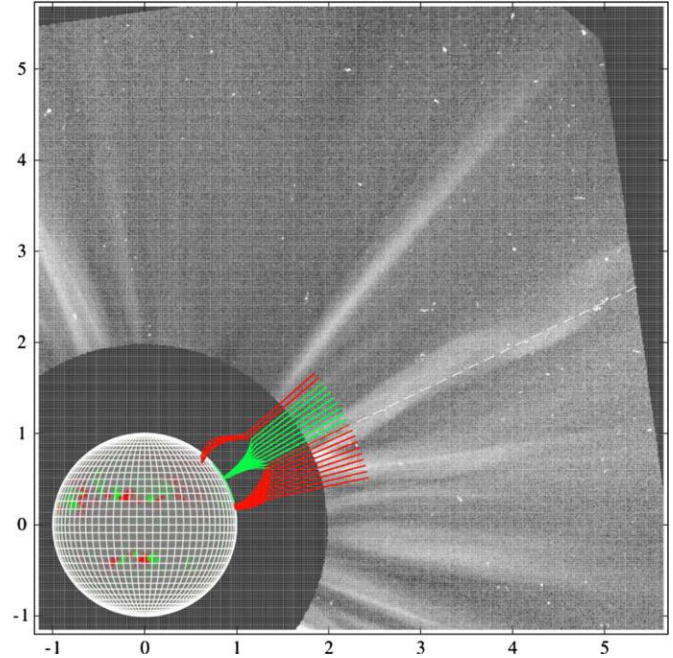
Amenomori et al., 2013

Coronal magnetic field model

Extrapolation from line of sight magnetic field



Zhao et al. 1995



Linear force free field extrapolation

$$\mathbf{B} \cdot \nabla \alpha = 0,$$

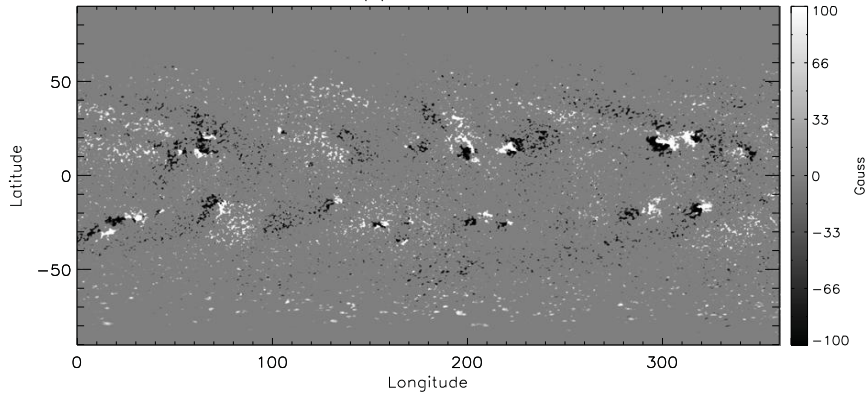
$$\nabla \times \mathbf{B} = \alpha \mathbf{B}.$$

Feng et al. 2013c

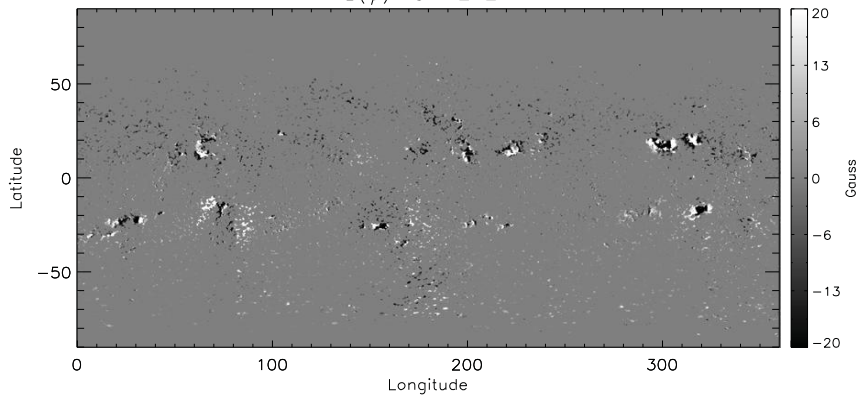
Coronal magnetic field model

Extrapolation from vector magnetic field

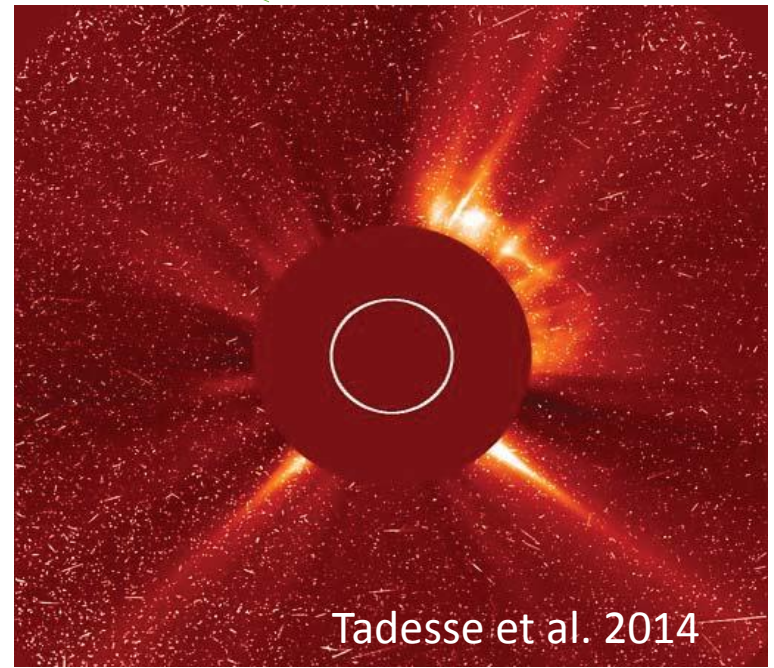
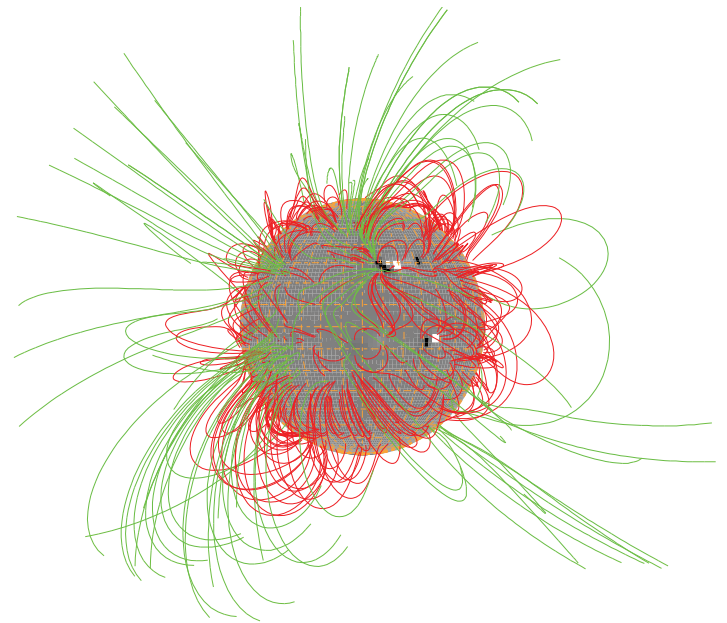
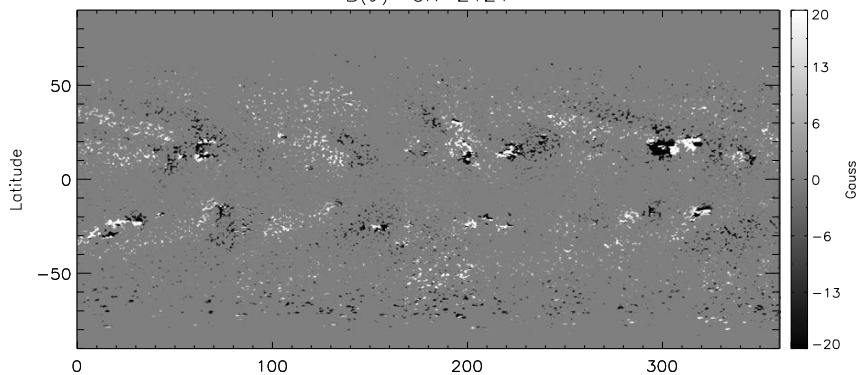
$B(r)$ CR-2121



$B(\phi)$ CR-2121

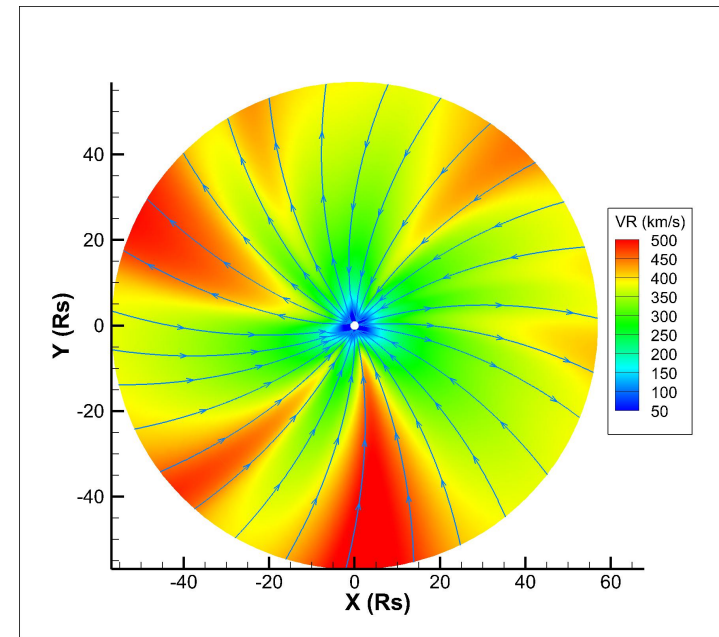
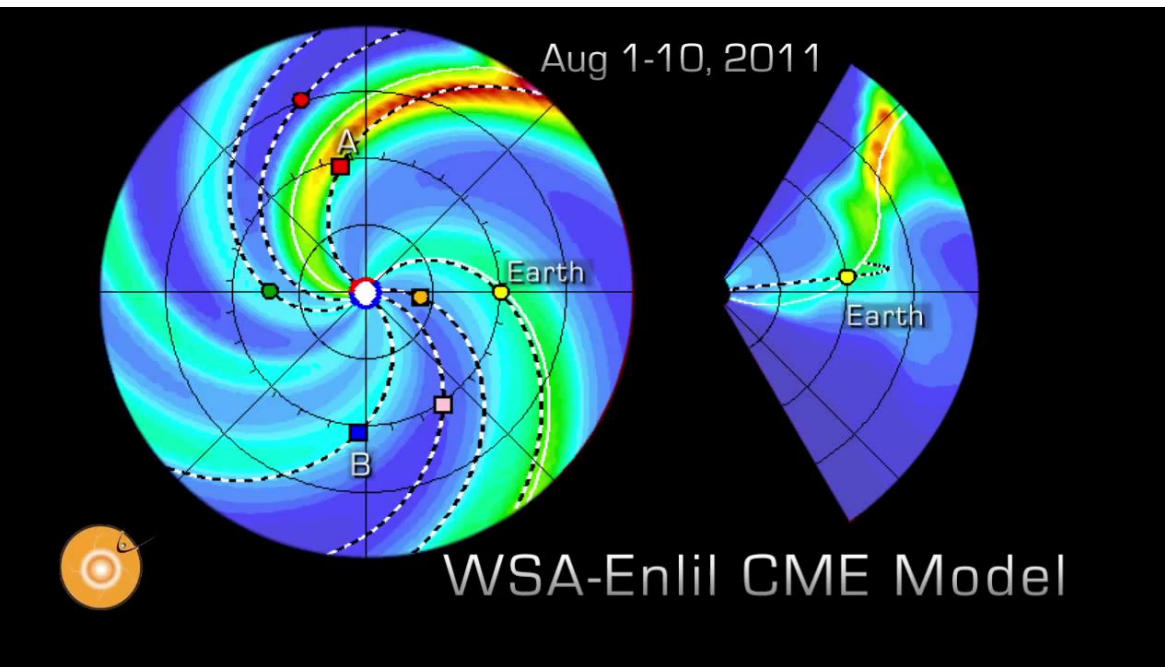


$B(\theta)$ CR-2121



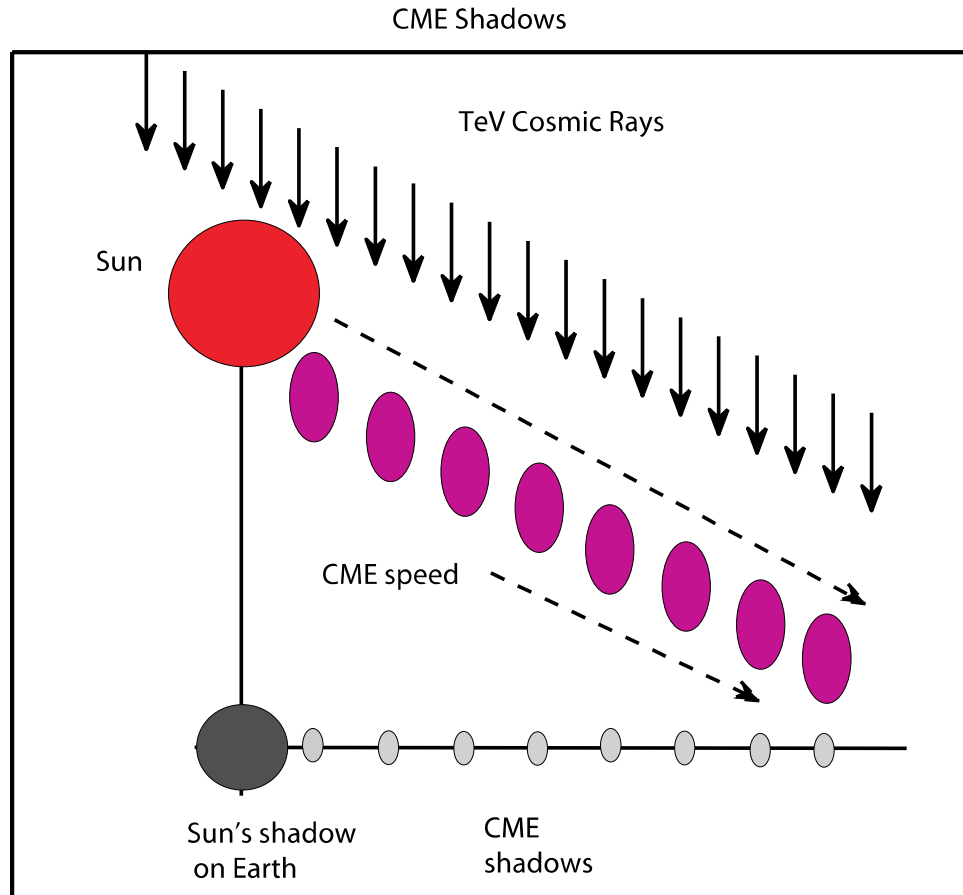
Tadesse et al. 2014

MHD simulations of interplanetary magnetic field

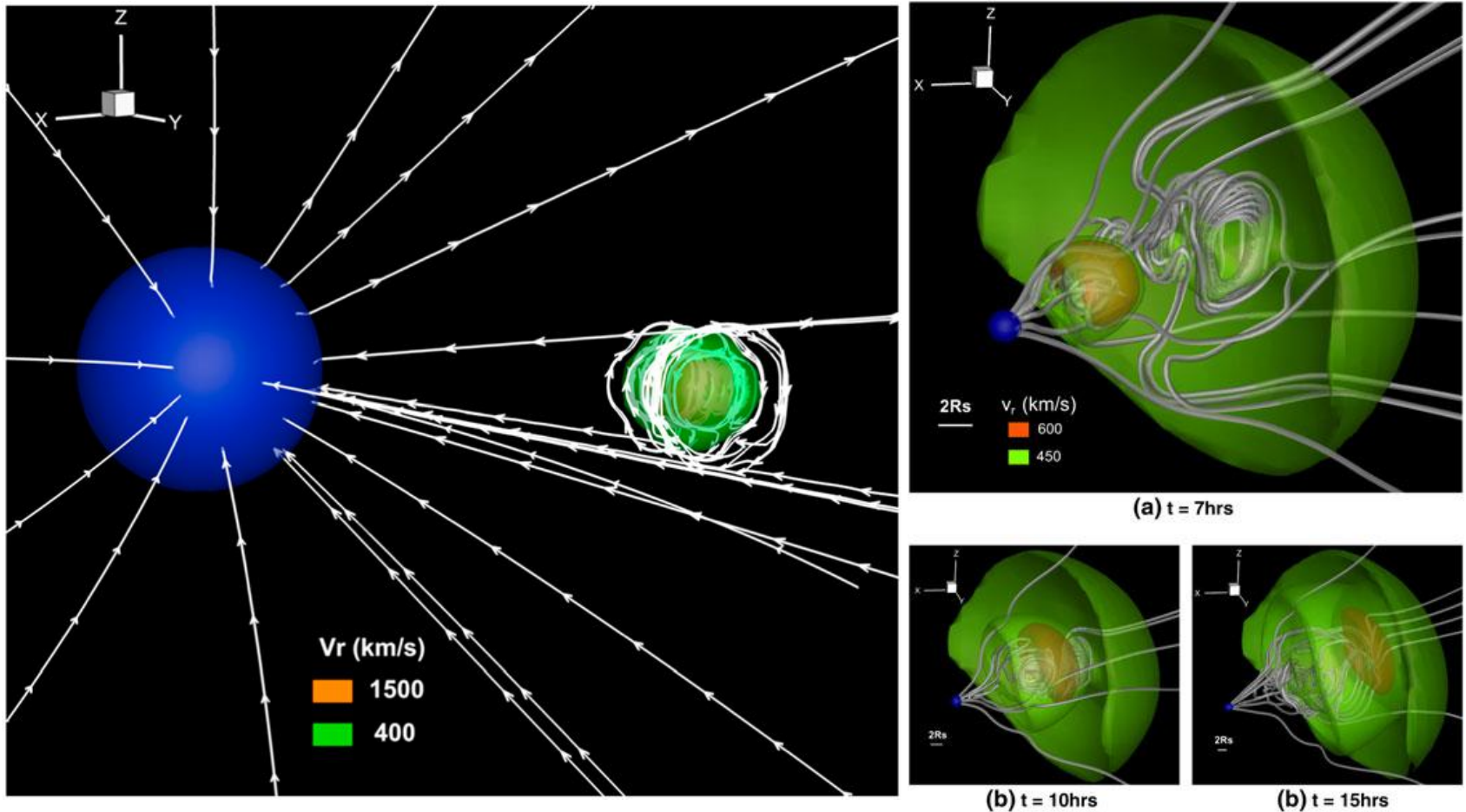


NSSC COIN-TVD model :
Shen et al., 2013
Feng et al., 2017, in prep

CME shadow



MHD simulations of CME propagation



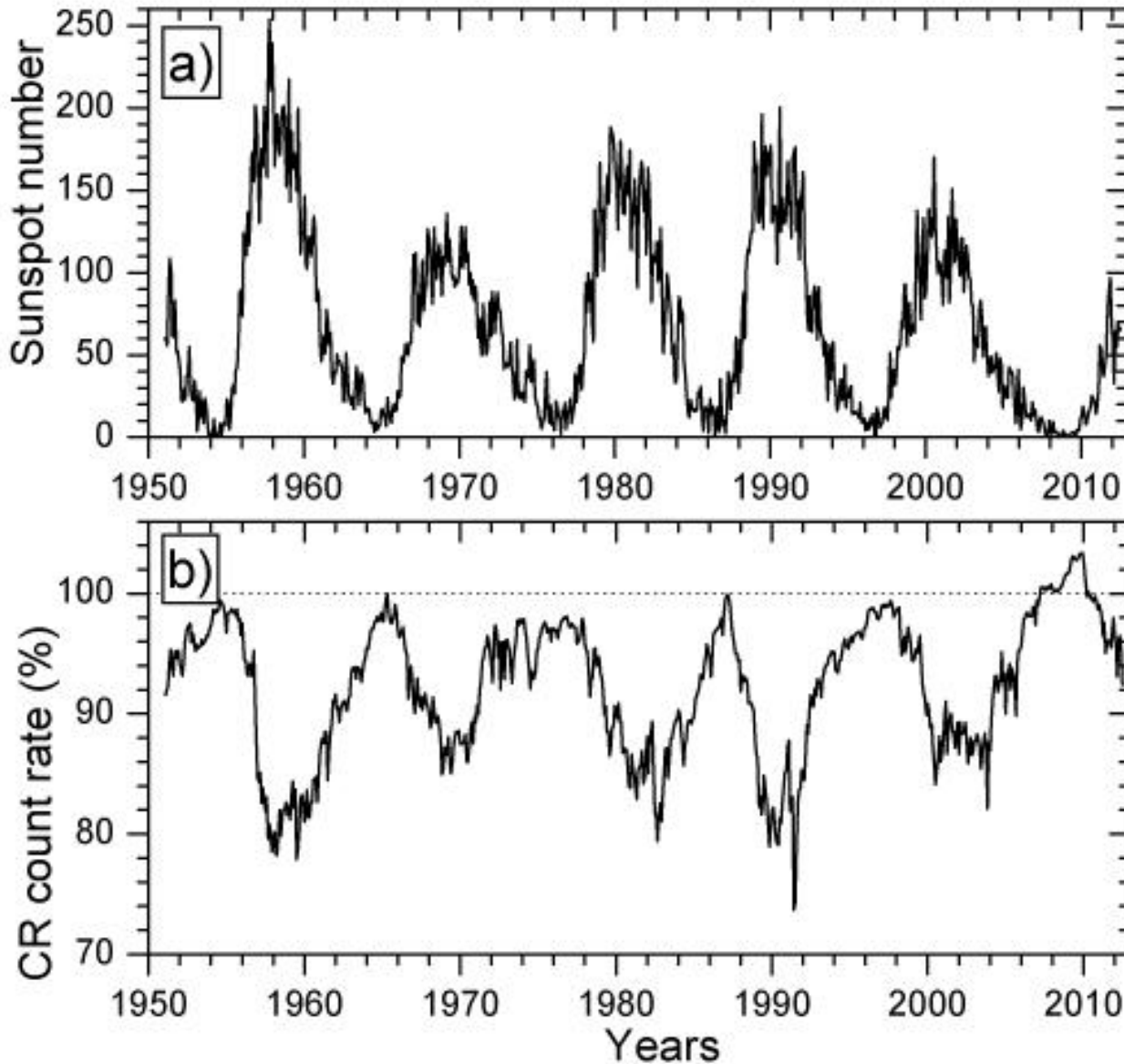
宇宙线传输

- Heliospheric transport of GCR is described by Parker's theory (Parker, 1965; Toptygin, 1985)

Four basic processes:

- the diffusion of particles due to their scattering on magnetic inhomogeneities,
- the convection of particles by out-blowing solar wind,
- adiabatic energy losses in expanding solar wind,
- drifts of particles in the magnetic field, including the gradient-curvature drift in the regular heliospheric magnetic field, and the drift along the heliospheric current sheet, which is a thin magnetic interface between the two heliomagnetic hemispheres.

宇宙线的调制



11 year cycle: solar activity
22 year cycle:
Sharp and flat maxima.

the increase of CR flux in 2009, when it was the highest ever recorded by NMs as caused by the favorable heliospheric conditions (unusually weak heliospheric magnetic field and the flat heliospheric current sheet) (McDonald *et al.*, 2010).