

# Measurement of the center-of- mass energy for the new XYZ data

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# Introduction

A precise measurement of center-of-mass energy ( $E_{cm}$ ) is essential for most physics analyses. We use the process  $e^+e^- \rightarrow \mu^+\mu^-$  to measure the  $E_{cm}$ .

There are eight data sets. We will give the  $E_{cm}$  distribution run by run to check the stability of beam energy.

We will use 4190MeV data as analytic example.

ECM(MeV)	Run Number	Total Run
4190	47543-48170	489
4200	48172-48713	464
4210	48714-49239	452
4220	49270-49787	458
4237	49788-50254	437
4246	50255-50793	475
4270	50796-51302	471
4280	51305-51498	172

# Dataset and BOSS version

## ➤ Data samples

XYZ data samples (3 energy points)

## ➤ MC samples

ISR J/psi sample use the BesEvtgen (1million each energy point )

Dimu sample use the BaBayaga 3.5 (1million each energy point)

## ➤ Boss version

BOSS 7.0.2.p01

# Analysis Method

(From gaoq)

For the process  $e^+e^- \rightarrow \mu^+\mu^-$ , we get

$$E_{cms} = M_0(\mu^+\mu^-).$$

But there will be ISR and FSR process, see  $e^+e^- \rightarrow \mu^+\mu^- \gamma_{ISR}/\gamma_{FSR}$ , so

$$E_{fit} = M(\mu^+\mu^-).$$

Then we use this method to get the  $E_{cms}$ , that's

$$E_{cms} = M(\mu^+\mu^-) + \Delta M, \quad \Delta M = M_0(\mu^+\mu^-) - M(\mu^+\mu^-).$$

For  $M(\mu^+\mu^-)$

We use the  $M(J/\psi)$  to do the momentum calibration of  $\mu^+\mu^-$  and the control sample is  $\gamma_{ISR}J/\psi$ .

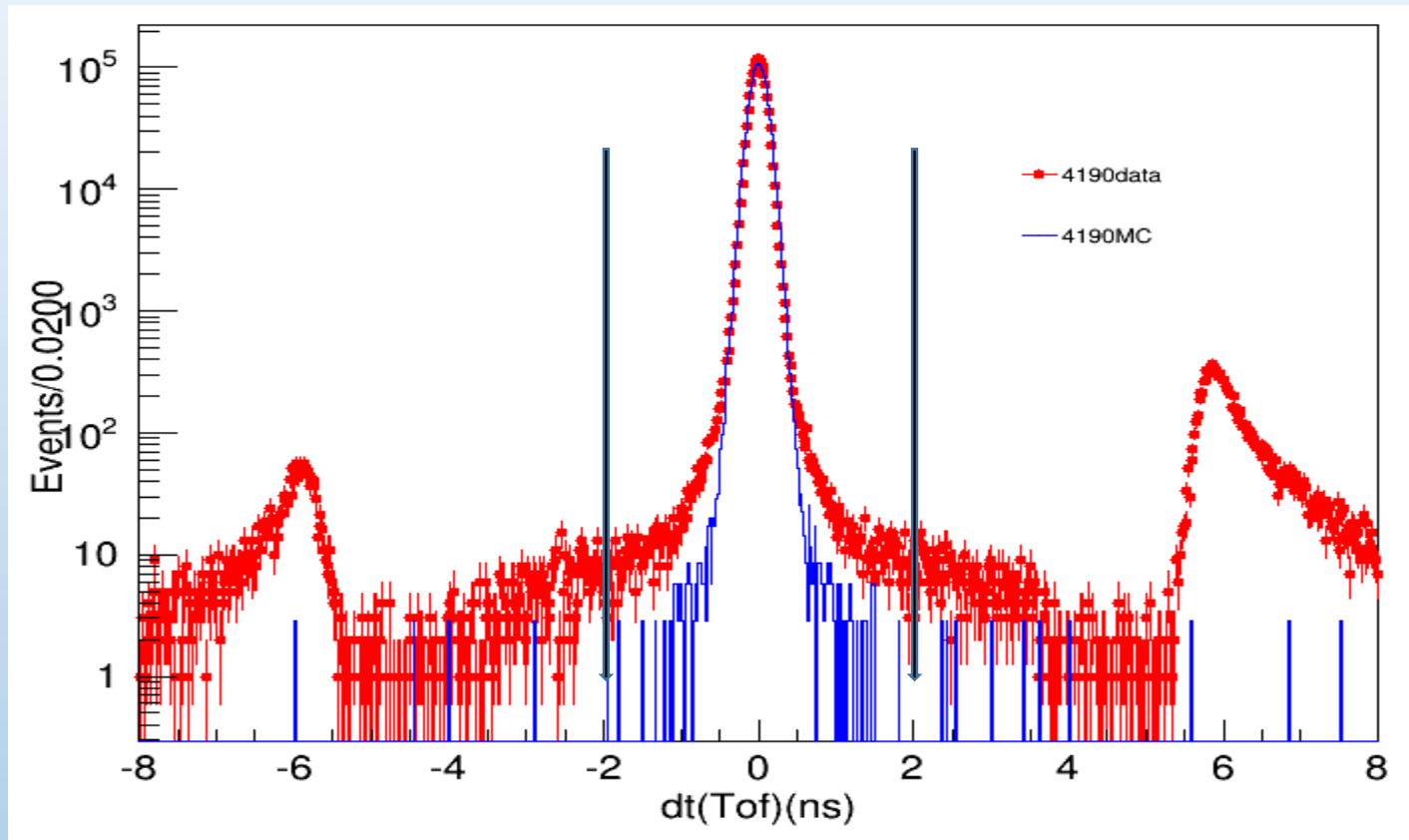
For  $\Delta M$

We use the MC simulation of Dimu events with or without ISR and FSR to estimate the  $\Delta M$ .

# Event selection

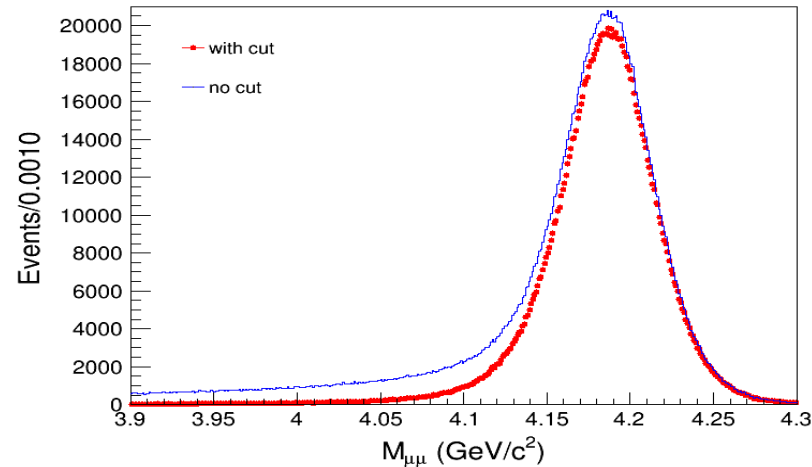
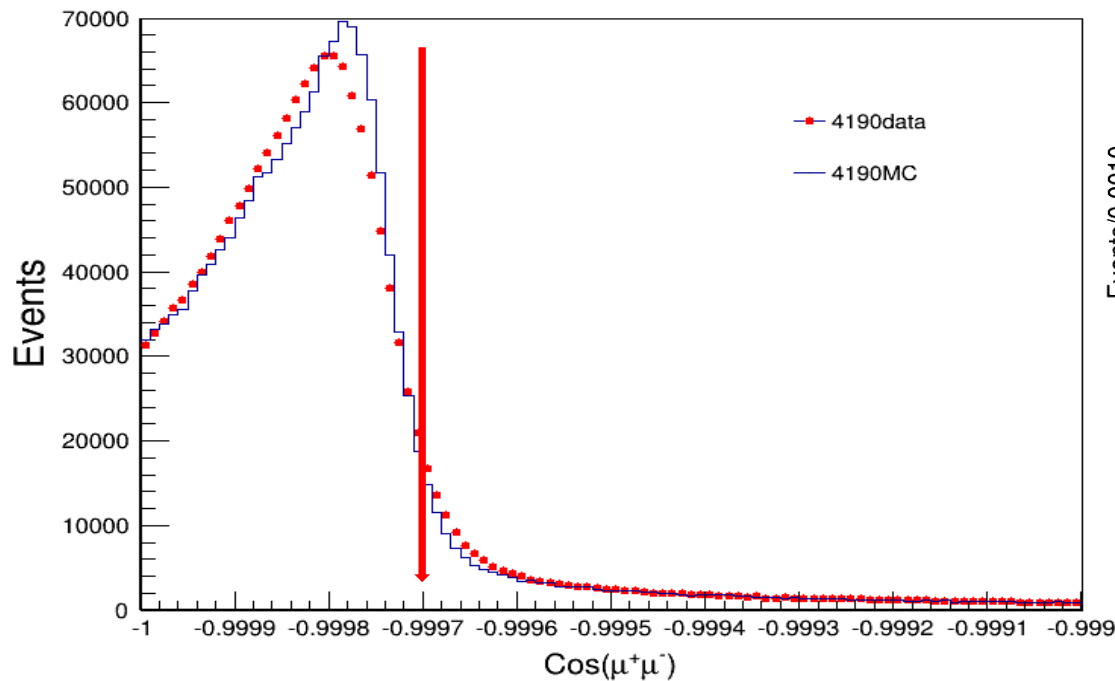
- $|\cos\theta| < 0.8$  (only barrel)
- $|\Delta t| < 2\text{ns}$
- $|V_z| < 10.0\text{cm}$
- $\cos(\mu^+ \mu^-) < -0.9997$
- $V_r < 1.0\text{cm}$
- $\text{EMC} < 0.4\text{GeV}$
- Two charged tracks
- Total charges = 0

# The TOF difference ( $\Delta t$ ) of $\mu^+ \mu^-$



Choosing two tracks that are both in barrel and absolute value of the time difference ( $|\Delta t| = |t_1 - t_2|$  (ns)) is less than 2ns to exclude the cosmic ray.

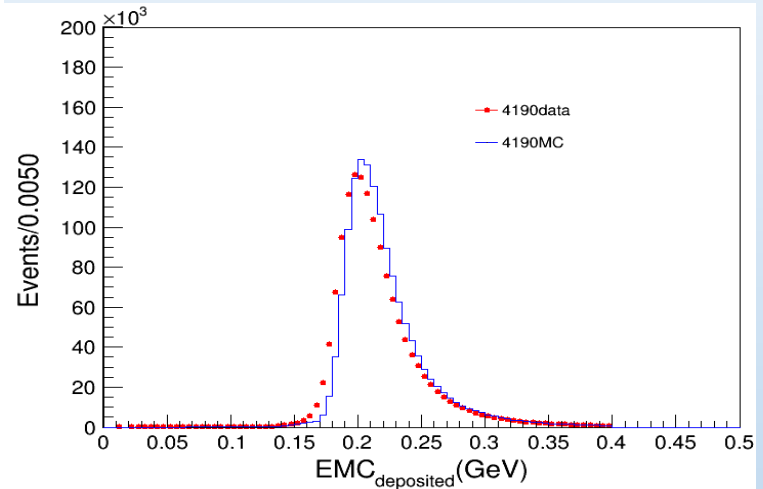
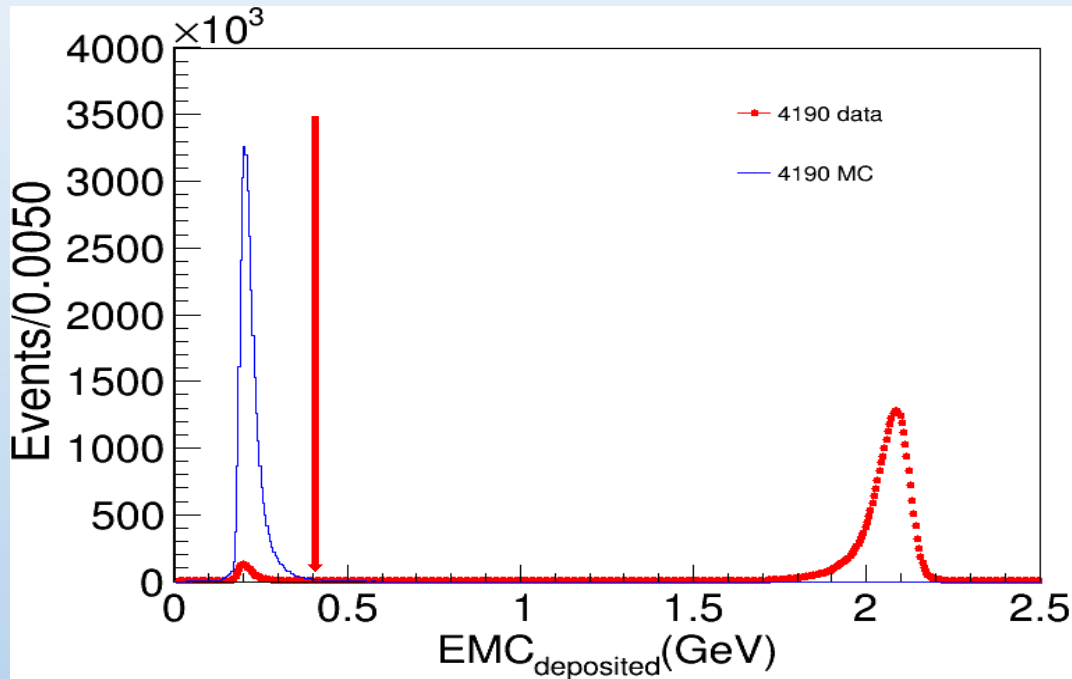
# Suppress the events with large radiation



With or without  $\text{cos}(\mu^+\mu^-) < -0.9997$ , the distribution of  $M(\mu^+\mu^-)$  in 4.19 GeV

To eliminate the events with large radiation, a constraint  $\text{cos}(\mu^+\mu^-) < -0.9997$  is needed.

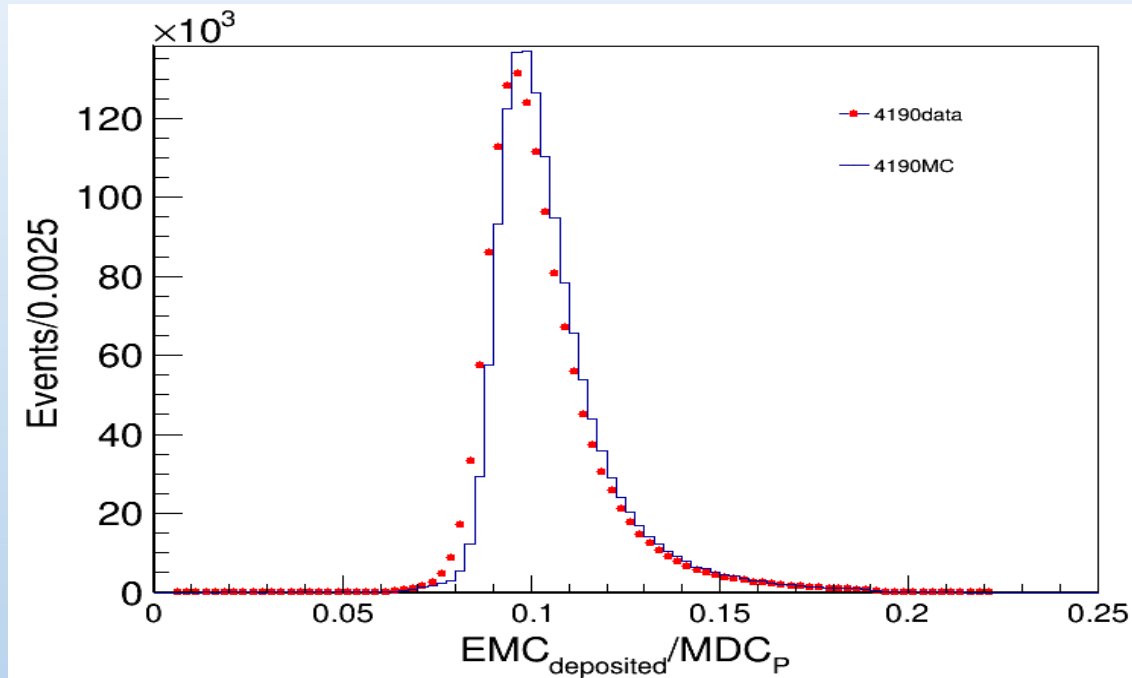
# The energy deposited in the EMC



With  $\text{EMC} < 0.4 \text{ GeV}$ , and MC scale to data

From MC simulation, we can see that the deposited energy of muon is less than 0.4 GeV.

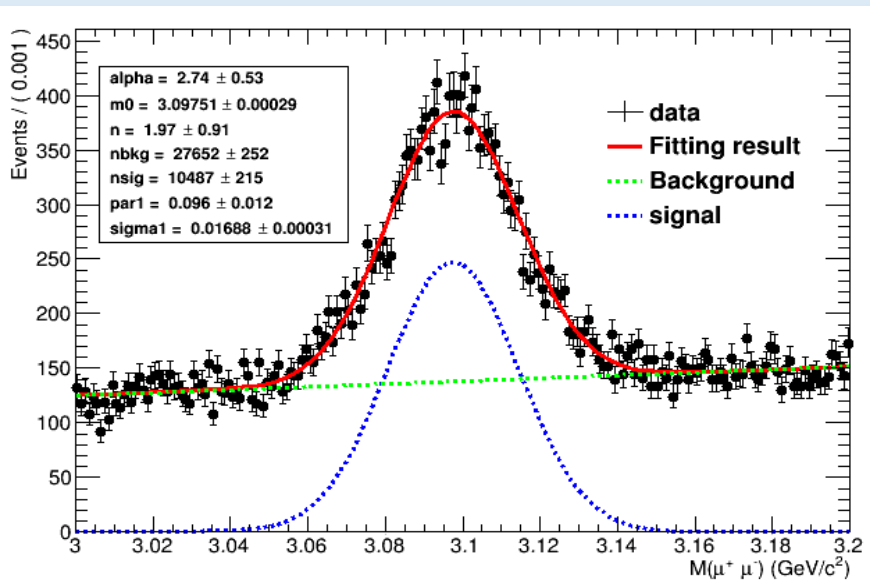
The energy deposited in EMC over the momentum( $E/P$ )



The data  $E/P$  distribution is consistent with the MC simulation approximately . (4.19GeV)

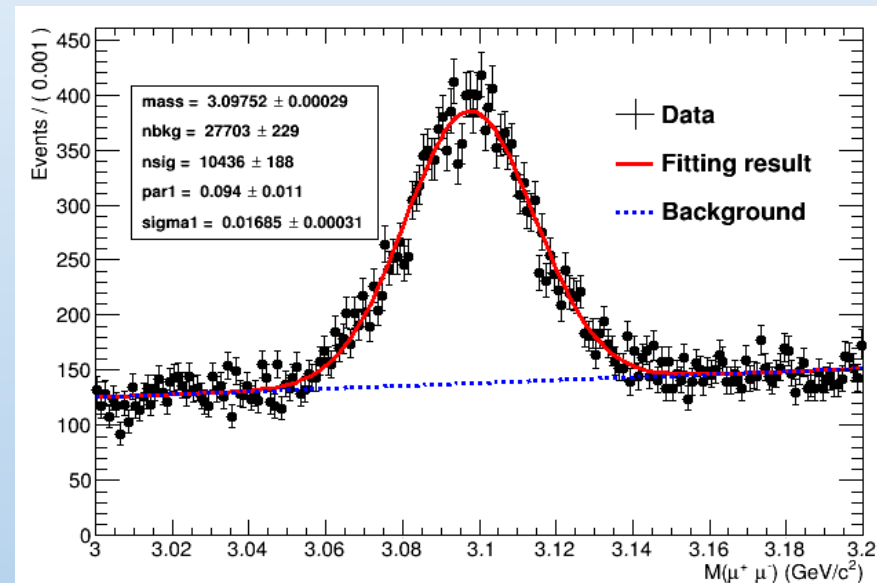
# Momentum calibration

We use two different methods to fit the ISR J/psi to do the momentum calibration to show that our fitting methods OK.



Crystal\_ball + 1st-order polynomial

$M_{\text{mp}} = 3097.51 \pm 0.29 \text{ MeV}$



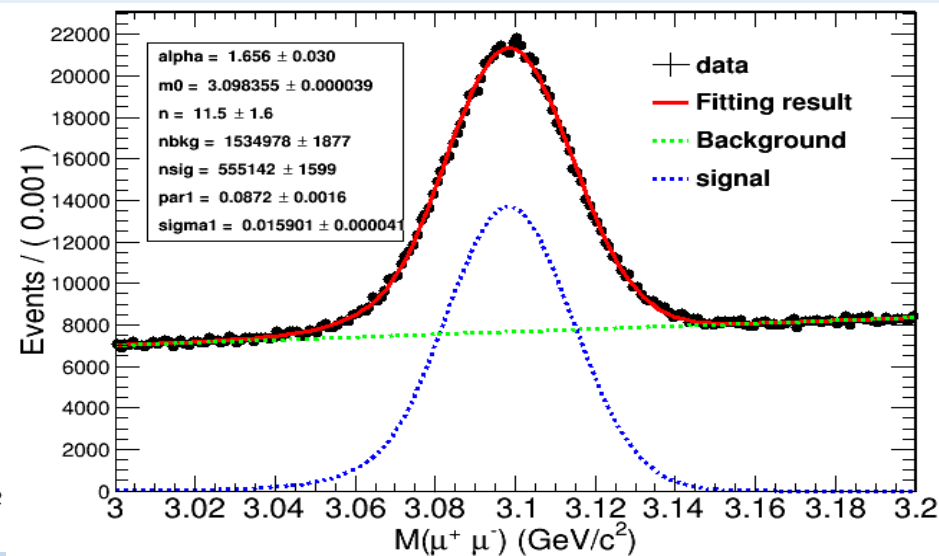
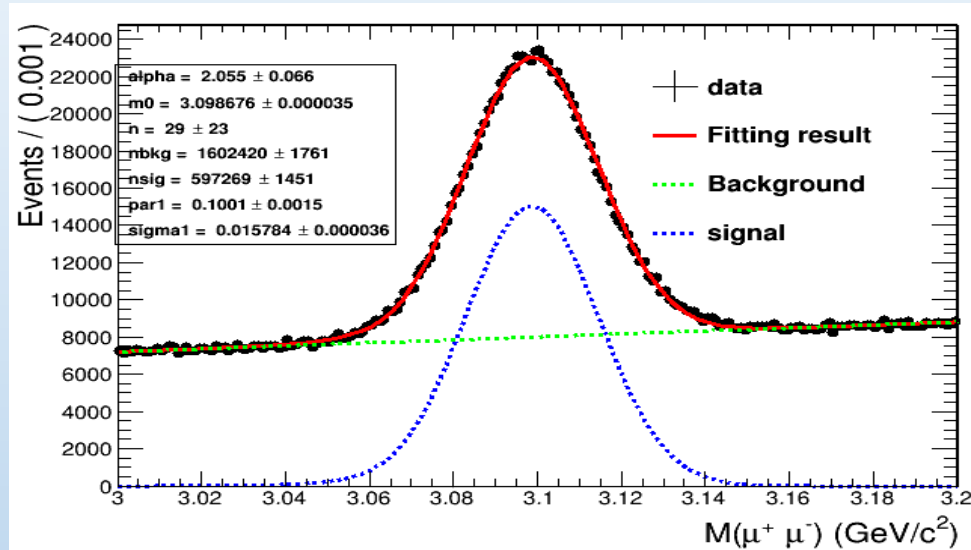
Gauss + 1st-order polynomial

$M_{\text{mp}} = 3097.52 \pm 0.29 \text{ MeV}$

The fitting results showing the **consistency** of the two methods.

# FSR correction of ISR J/psi process

Using the background of data as the MC background to get the FSR correction.

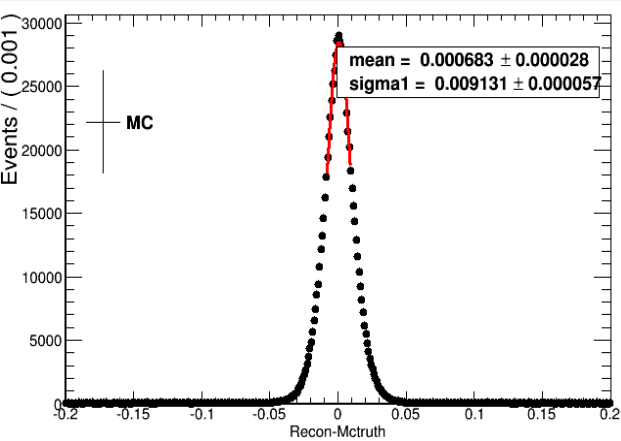


Fit chi2: 1.94055  
Parameters Number: 7  
 $\sigma = 15.78 \pm 0.04$   
 $M_{mp} = 3098.68 \pm 0.04$

Fit chi2: 1.83021  
Parameters Number: 7  
 $\sigma = 15.90 \pm 0.04$   
 $M_{mp} = 3098.36 \pm 0.04$

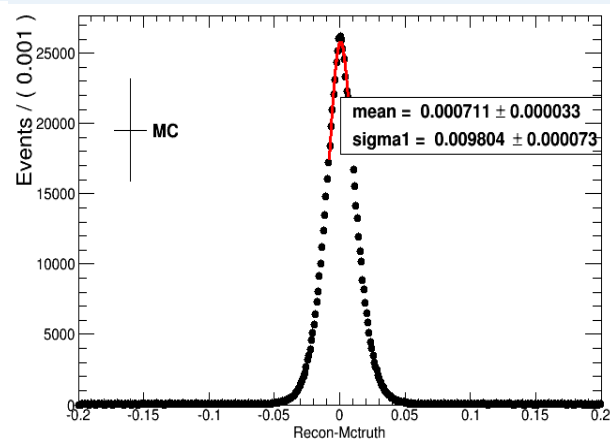
$FSR = 0.32 \pm 0.05 \text{ MeV}$

# Momentum Calibration



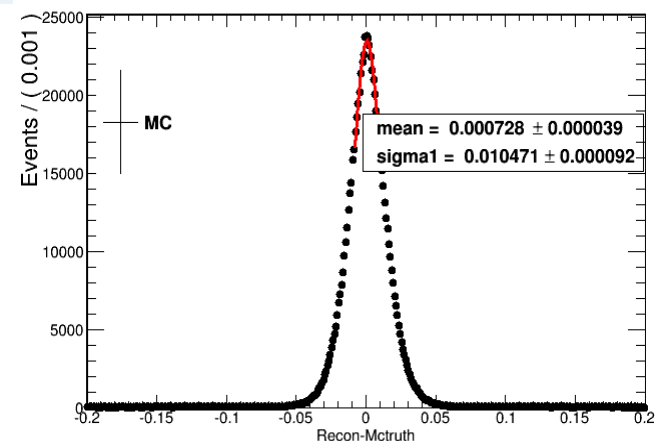
3320

mean =  $0.683 \pm 0.003$  MeV



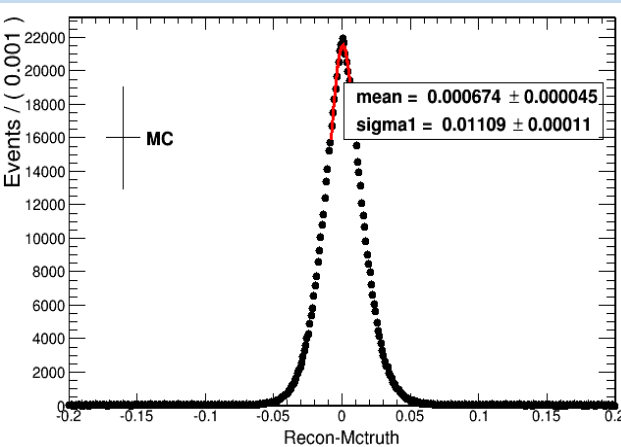
3520

mean =  $0.711 \pm 0.003$  MeV



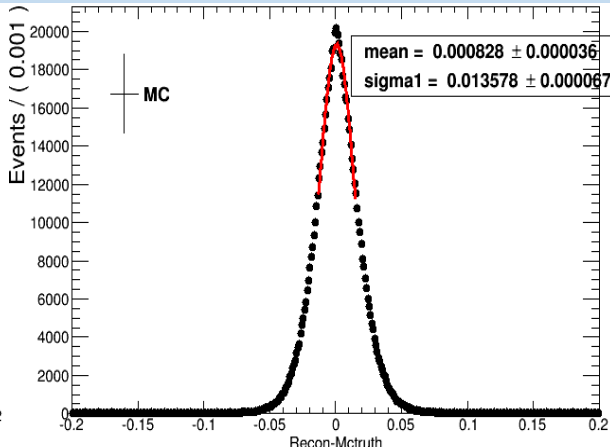
3720

mean =  $0.728 \pm 0.004$



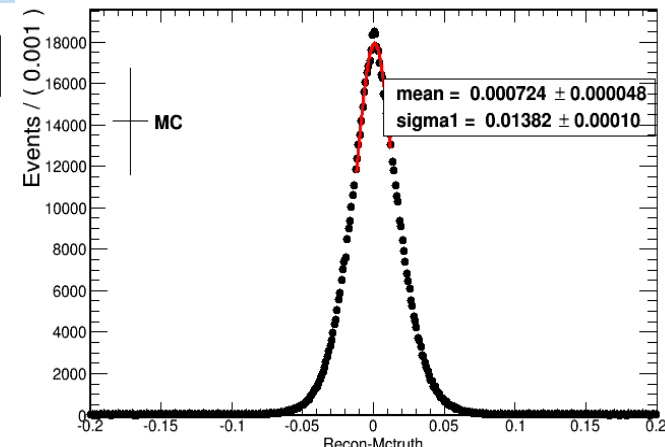
3920

mean =  $0.674 \pm 0.005$



4120

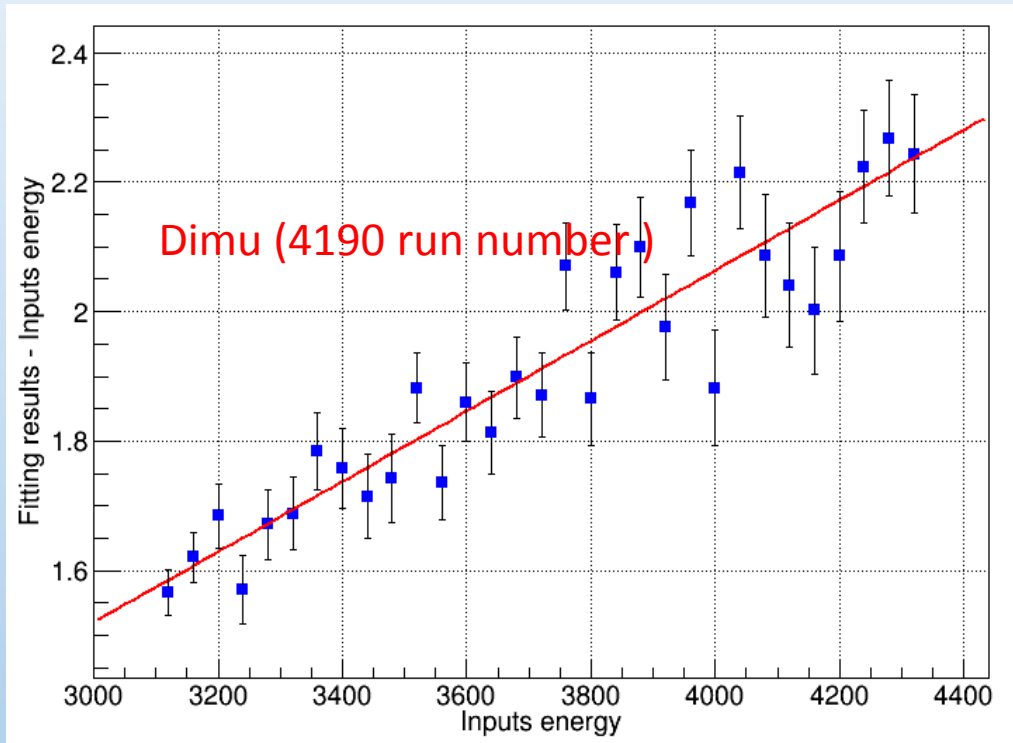
mean =  $0.828 \pm 0.004$



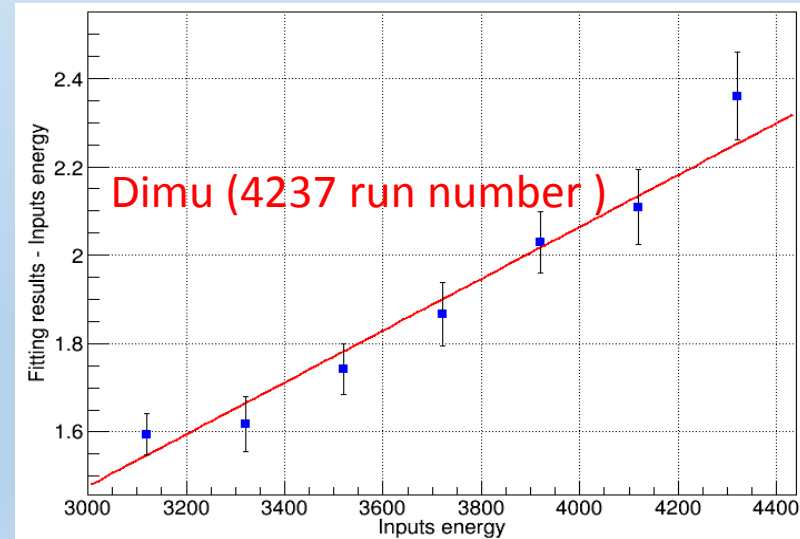
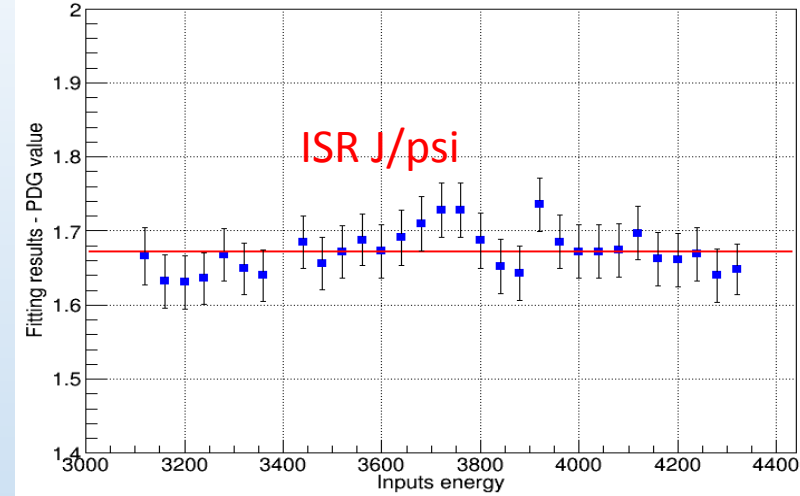
4320

mean =  $0.724 \pm 0.005$

We simulate the Dimu and ISR J/psi (with no radiation) process, and get the difference of inputs and outputs (MeV)



Using 4190 energy point run number



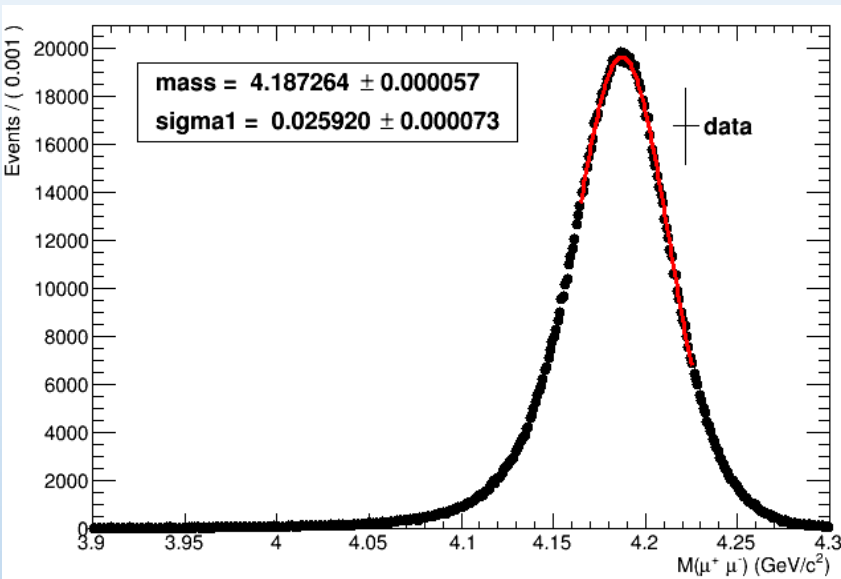
Fitting result :  $Y = (5.44 \times 10^{-4} \pm 3.31 \times 10^{-5})X - (0.11 \pm 0.12)$

# Momentum Calibration

(PDG value : 3096.916 +/- 0.011MeV)

Energy(MeV)	4190	4200	4210	4220	4237	4246	4270	4280
ISR J/psi	3098.67±0.04	3098.61±0.04	3098.665 ±0.04	3098.61±0.04	3098.63±0.04	3098.61±0.03	3098.63±0.04	3098.59±0.04
IFSR J/psi	3098.35±0.04	3098.39 ±0.05	3098.384 ±0.04	3098.39±0.04	3098.38±0.04	3098.34±0.04	3098.30±0.04	3098.28±0.04
ΔF	0.32±0.05	0.22±0.06	0.28±0.05	0.22± 0.05	0.25± 0.05	0.27± 0.05	0.33± 0.05	0.31± 0.05
Data fitting result	3097.51 ±0.29	3097.80±0.27	3096.92 ±0.30	3097.20±0.27	3097.08±0.26	3097.09±0.26	3097.66±0.27	3097.12±0.49
After FSR correction	3097.83±0.29	3098.02±0.30	3097.20±0.30	3097.42±0.27	3097.33±0.26	3097.36±0.26	3097.99±0.27	3097.43±0.49
Difference after correction	0.88±0.29	1.10±0.27	0.28±0.30	0.50± 0.27	0.41± 0.26	0.44± 0.26	1.07± 0.27	0.51±0.49
Momentum Calibration	±	±	±	±	±	±	±	±

# Dimu fitting method



Fit  $\chi^2/\text{ndf}$ : 1.90207

$M_{\text{mp}} = 4187.26 \pm 0.06 \text{ (MeV)}$

Range(4.165,4.225)

( $p_v - 1.0\sigma$ ,  $p_v + 1.5\sigma$ )

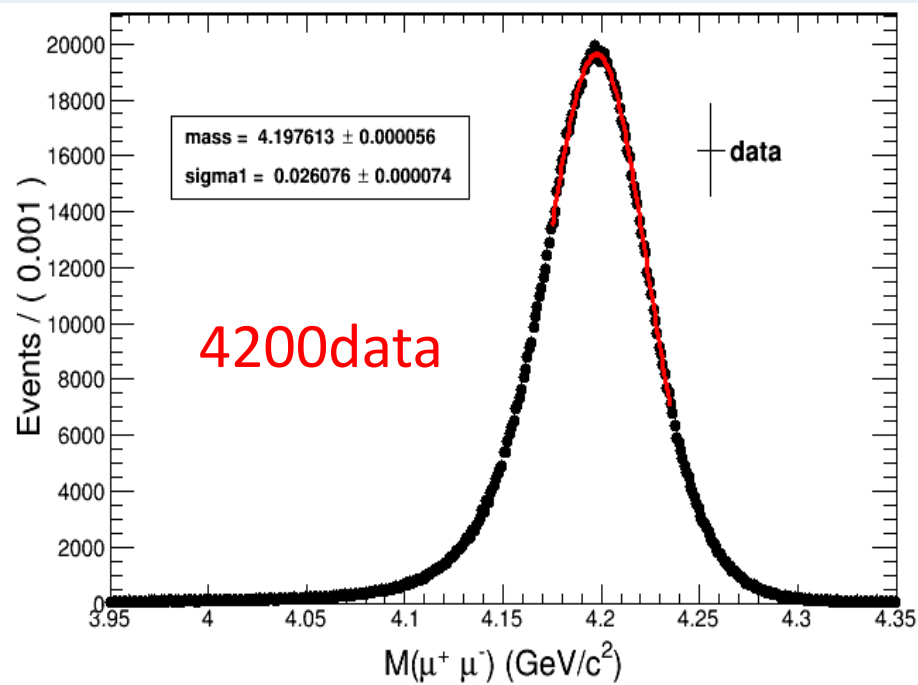
When fitting the Dimu peak with a Gaussian, we give a criterion to confirm the fitting range.

First, we fit all data with a reasonable range to get the fitting sigma and chisquare over number of freedom degree ( $\chi^2/\text{ndf}$ ), also peak value( $p_v$ ).

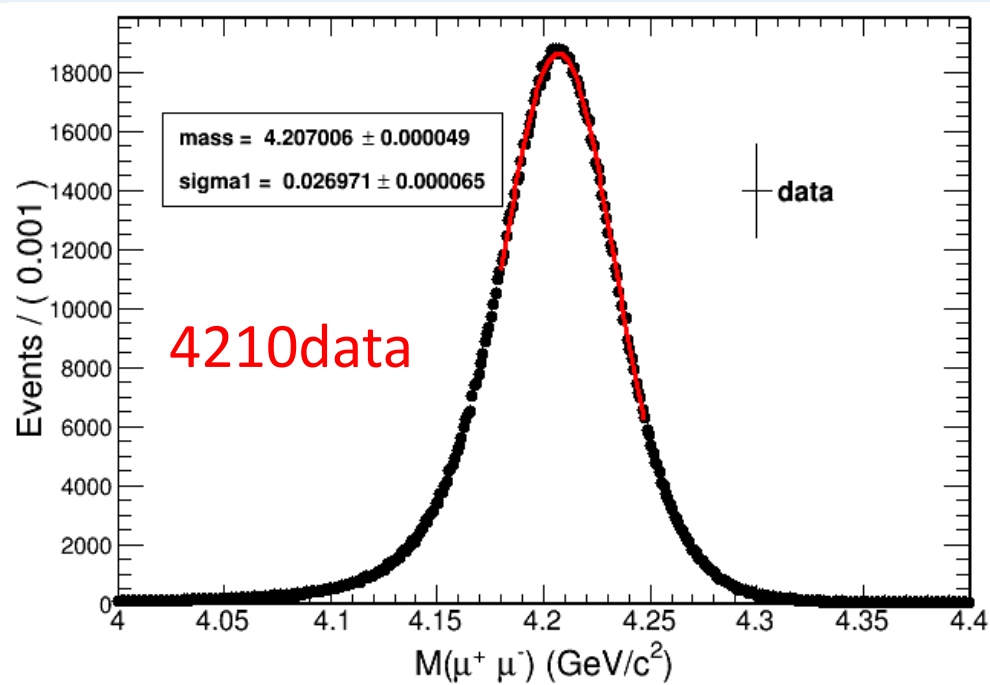
Then we change the fitting range to compare the difference of the fitting result. We find when the  $\chi^2/\text{ndf} < 2$ , the difference is less than 0.1 MeV and we decided to **use** ( $p_v - 1.0\sigma$ ,  $p_v + 1.5\sigma$ ) as the **fitting range** and as the criterion finally.

And the difference of fitting (0.1 MeV) because of fitting range change will consider as a system error.

# M( $\mu\mu$ ) Value of 4200 and 4210 energy point

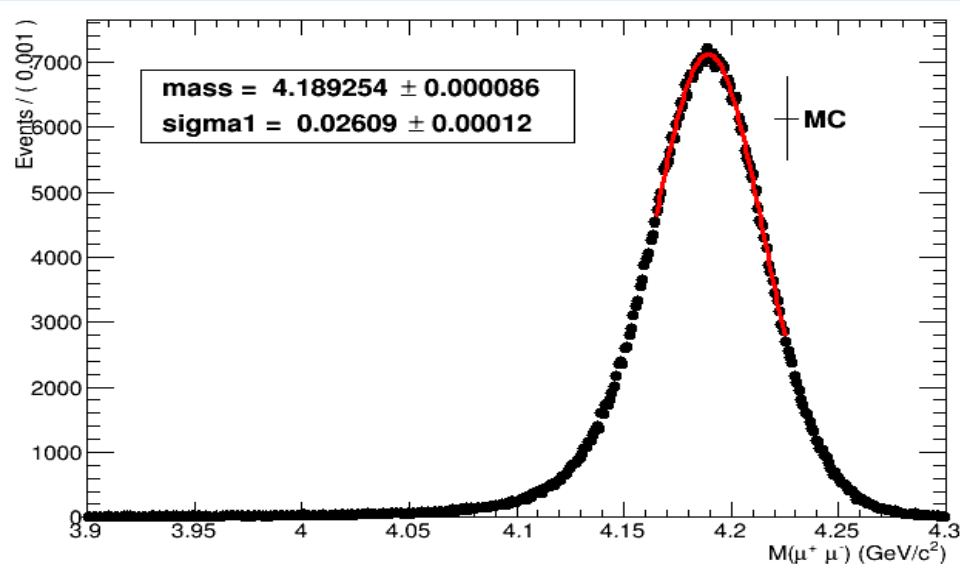


Fit chi2/ndf: 1.317  
Mmp =  $4197.613 \pm 0.056 \text{ MeV}$

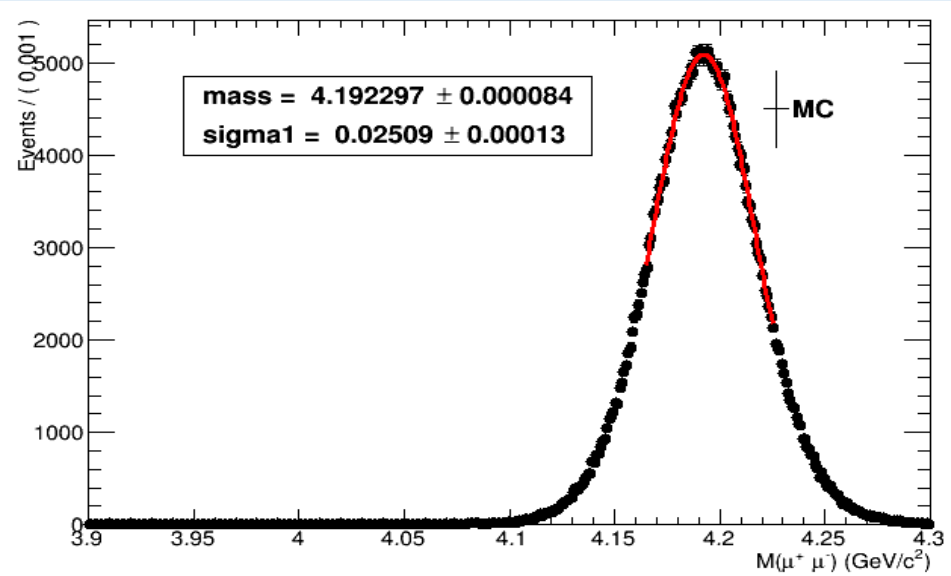


Fit chi2/ndf: 1.554  
Mmp =  $4207.006 \pm 0.049 \text{ MeV}$

# Radiation correction ( $\Delta M$ ) with MC sample<sub>(4190MC)</sub>



$M_{mp} = 4189.254 \pm 0.086 \text{ MeV}$



$M_{mp} = 4192.297 \pm 0.084 \text{ MeV}$

$\Delta M = 3.043 \pm 0.120 \text{ MeV}$

# Radiation correction ( $\Delta M$ )(MeV)

ECM(MeV)	4190	4200	4210	4220	4237	4246	4270	4280
Radiation	4189.254±0.086	4199.310±0.086	4209.210±0.088	4218.551±0.075	4235.355±0.083	4244.527±0.092	4268.340±0.100	4278.480±0.081
No radiation	4192.297±0.084	4202.340±0.085	4212.190±0.086	4222.263±0.077	4239.131±0.084	4248.209±0.087	4272.097±0.094	4282.268±0.082
$\Delta M$	3.043±0.120	3.030±0.120	2.980±0.120	3.712±0.107	3.776±0.118	3.682±0.127	3.757±0.137	3.788±0.115

$\Delta M = \text{No radiation dimu} - \text{radiation dimu}$

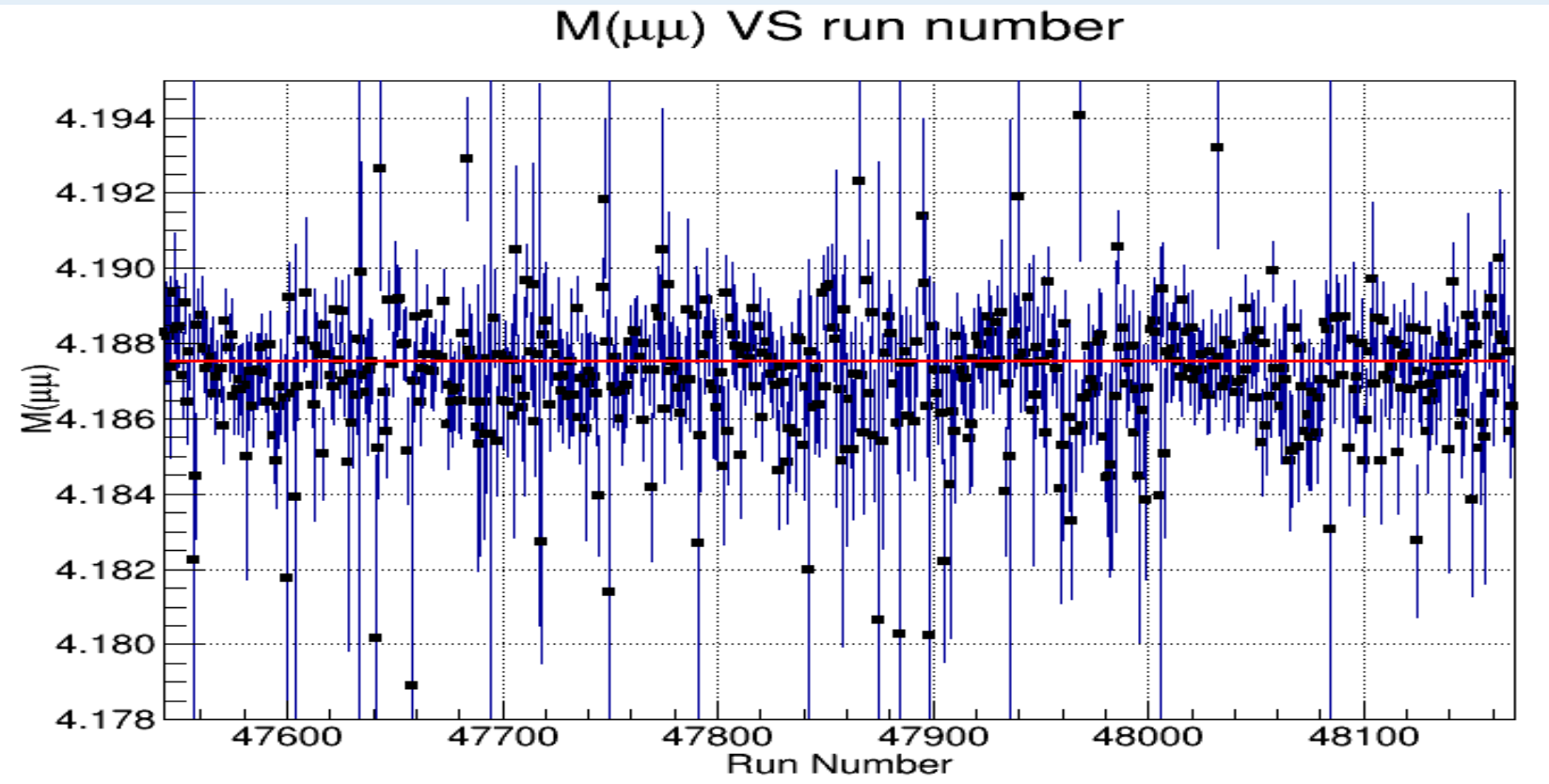
# The stability of beam energy over time

To get better known the quality of our data over time, we have do some check run by run.

When we get the  $M(\mu\mu)$  run by run, and we also give the distribution of the difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system . we use the same method to get the fitting range. Also using Gaussian as the fitting function, we can easily to fit successfully with a large data sets and more precision.

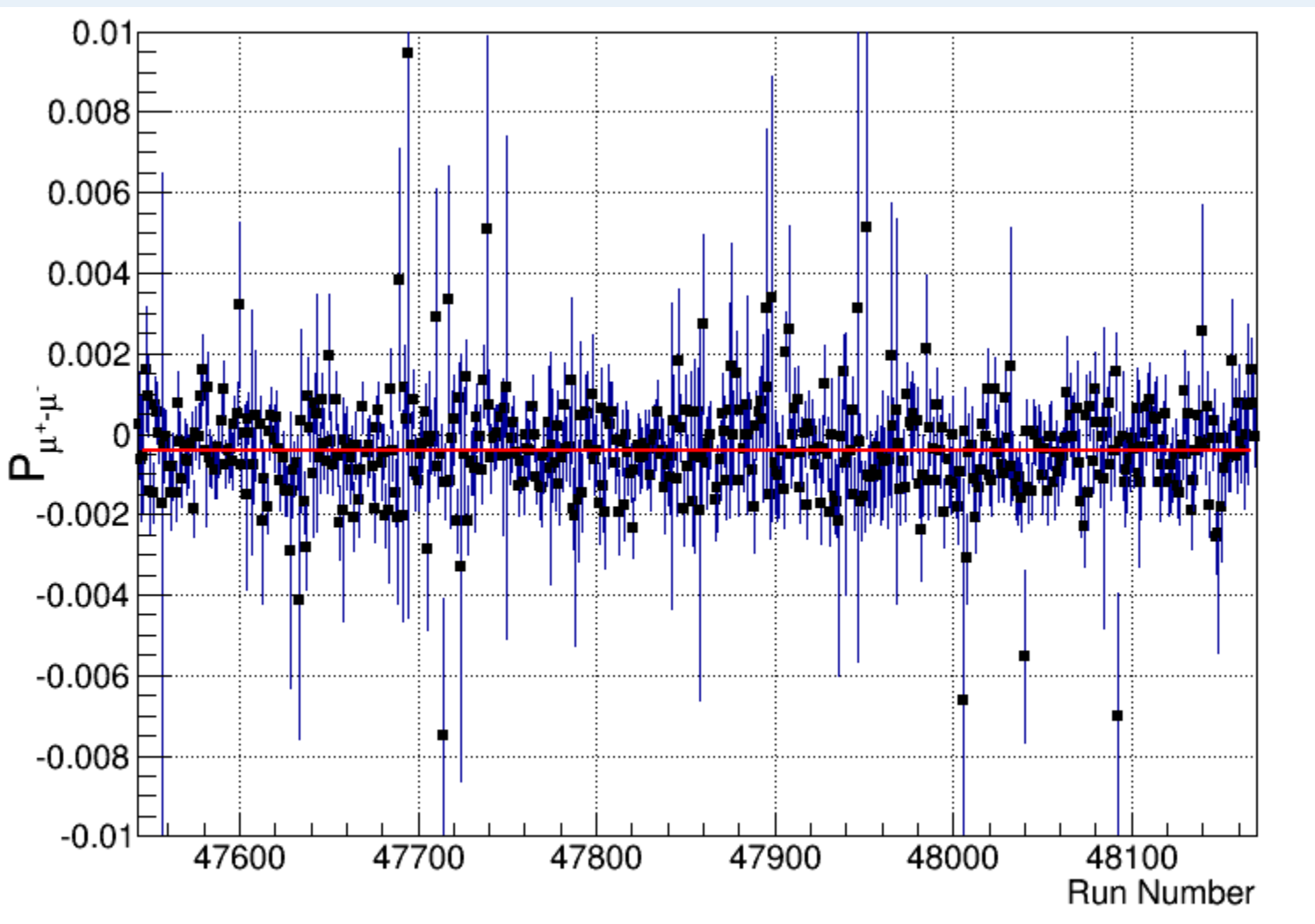
And also we will fit with subsections if it has difference obviously.

➤  $M(\mu\mu)$  of 4190 data Run by Run



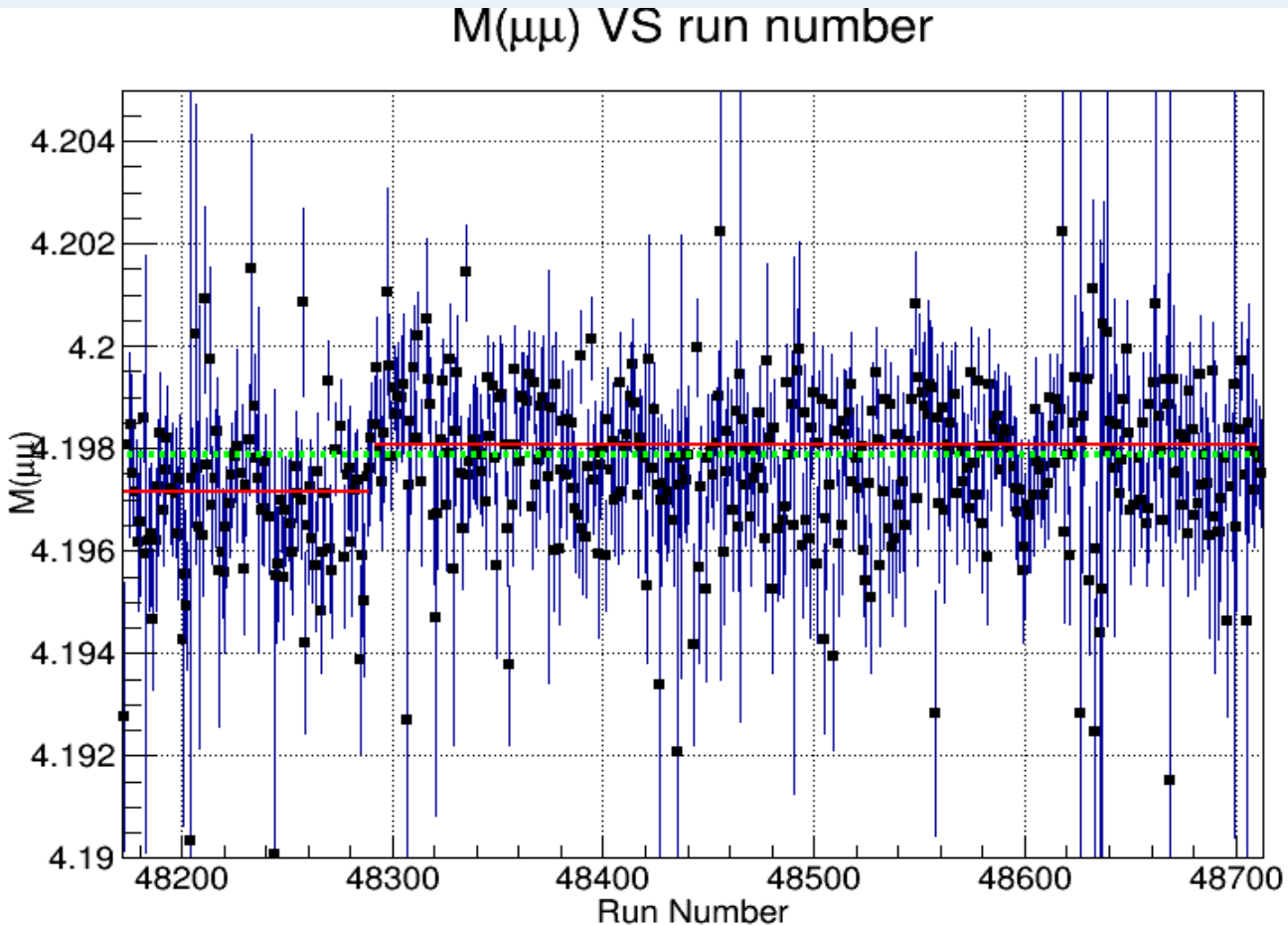
Value:  $4187.520 \pm 0.056 \text{ MeV}$

➤ The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4190 data Run by Run



Value:  $-0.041 \pm 0.004 \text{ MeV}$

➤  $M(\mu\mu)$  of 4200 data Run by Run (MeV)

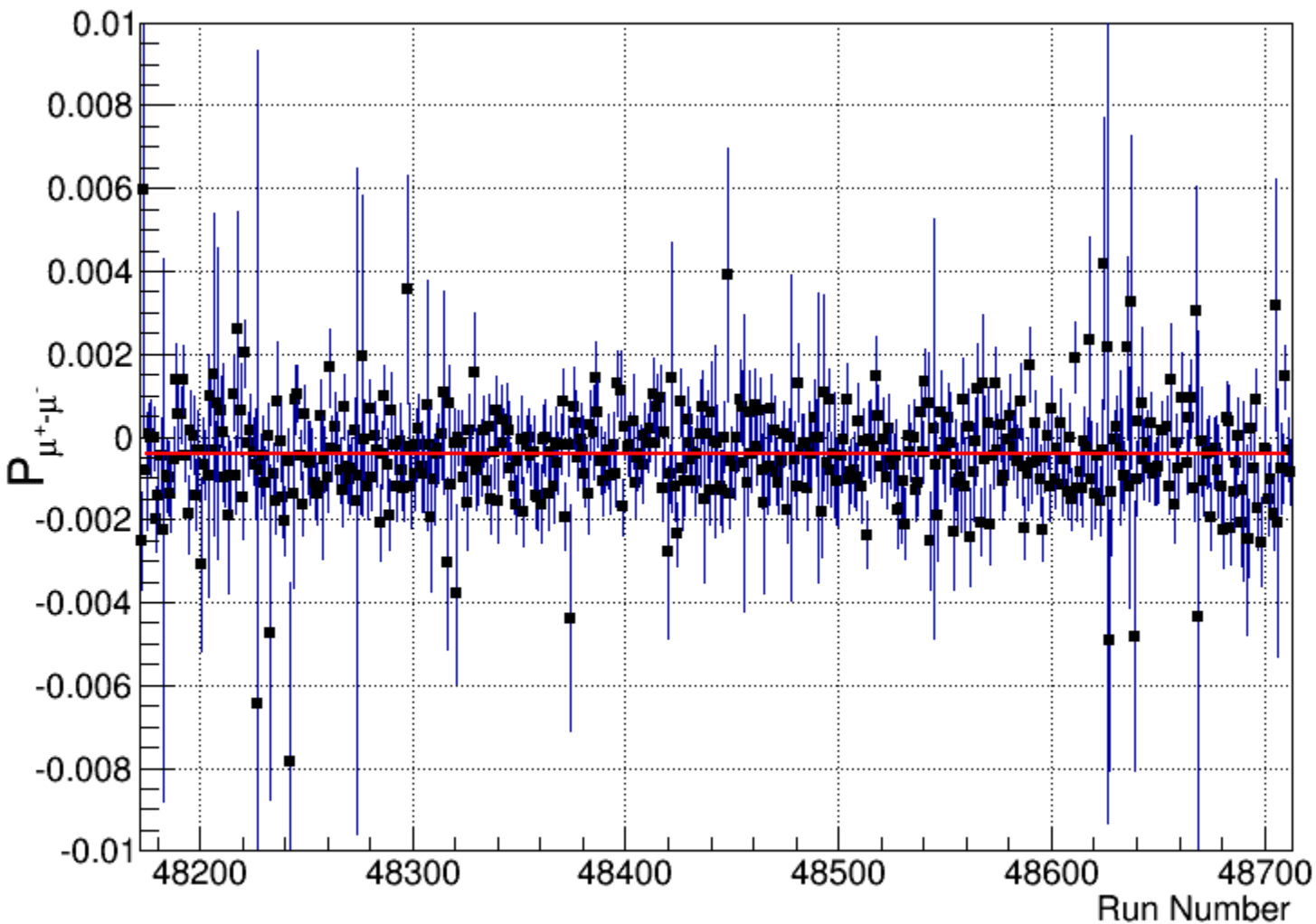


Range (48172, 48290)  
Value:  $4197.14 \pm 0.12 \text{ MeV}$

Range (48291, 48713)  
Value:  $4198.07 \pm 0.06 \text{ MeV}$

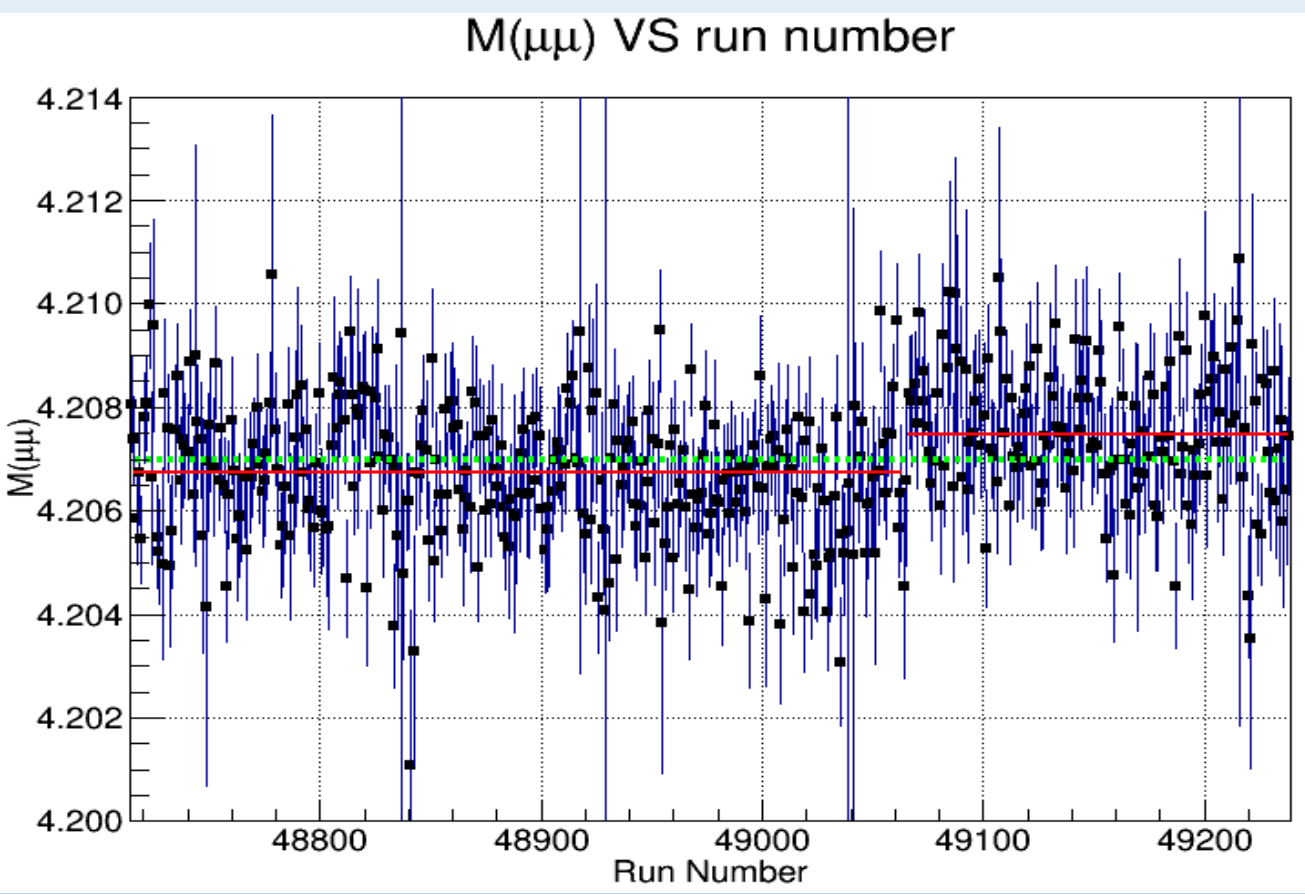
Range (48172, 48713)  
Value:  $4197.88 \pm 0.06 \text{ MeV}$

- The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4200 data Run by Run



Value:  $-0.044 \pm 0.004 \text{ MeV}$

➤  $M(\mu\mu)$  of 4210 data Run by Run

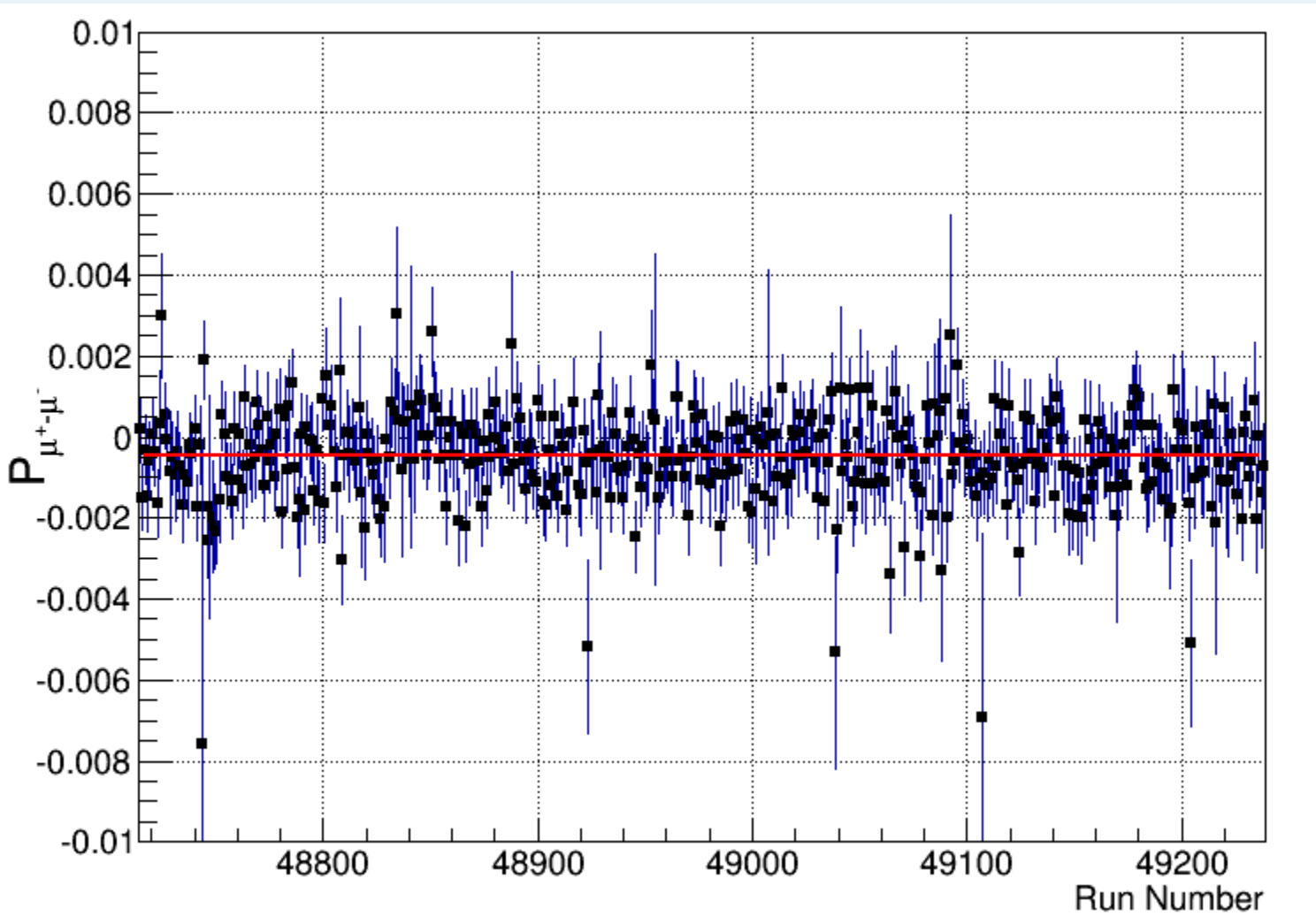


Range (48174, 49065)  
Value:  $4206.75 \pm 0.06\text{MeV}$

Range (49066, 49239)  
Value:  $4207.49 \pm 0.09\text{MeV}$

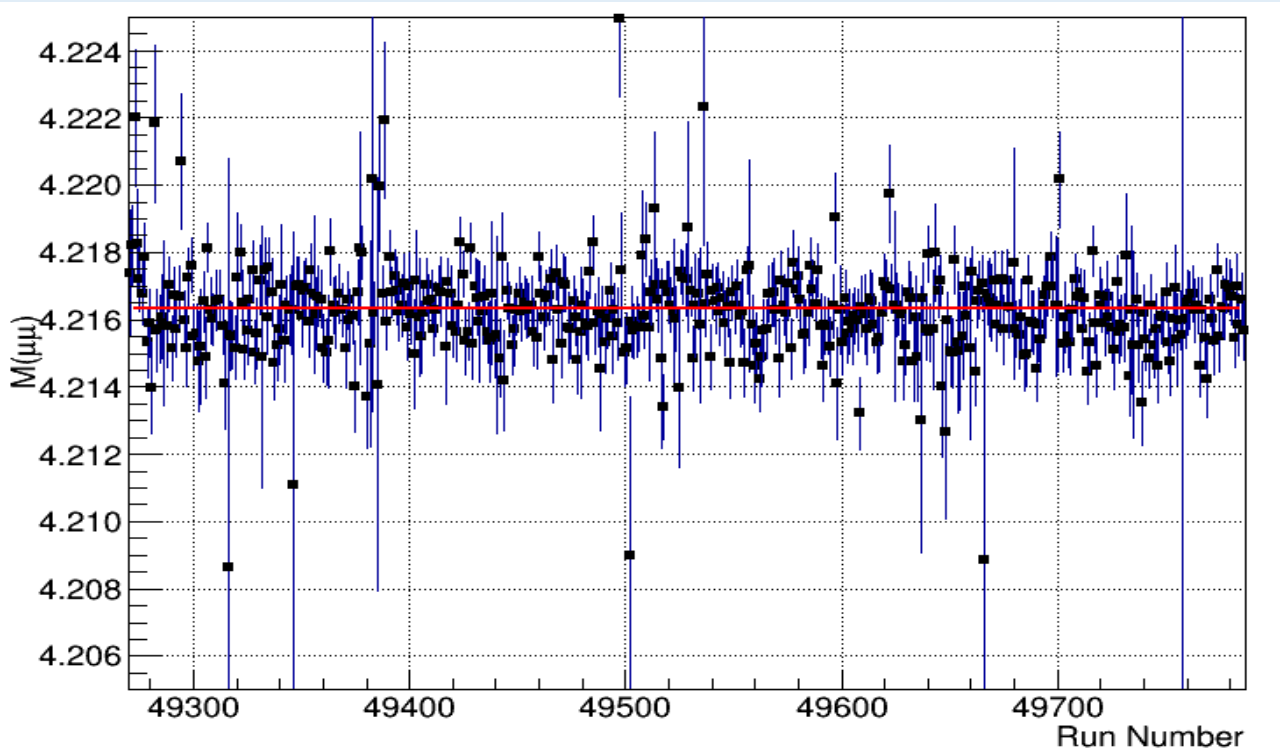
Range (48174, 49239)  
Value:  $4206.98 \pm 0.05\text{MeV}$

➤ The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4210 data Run by Run



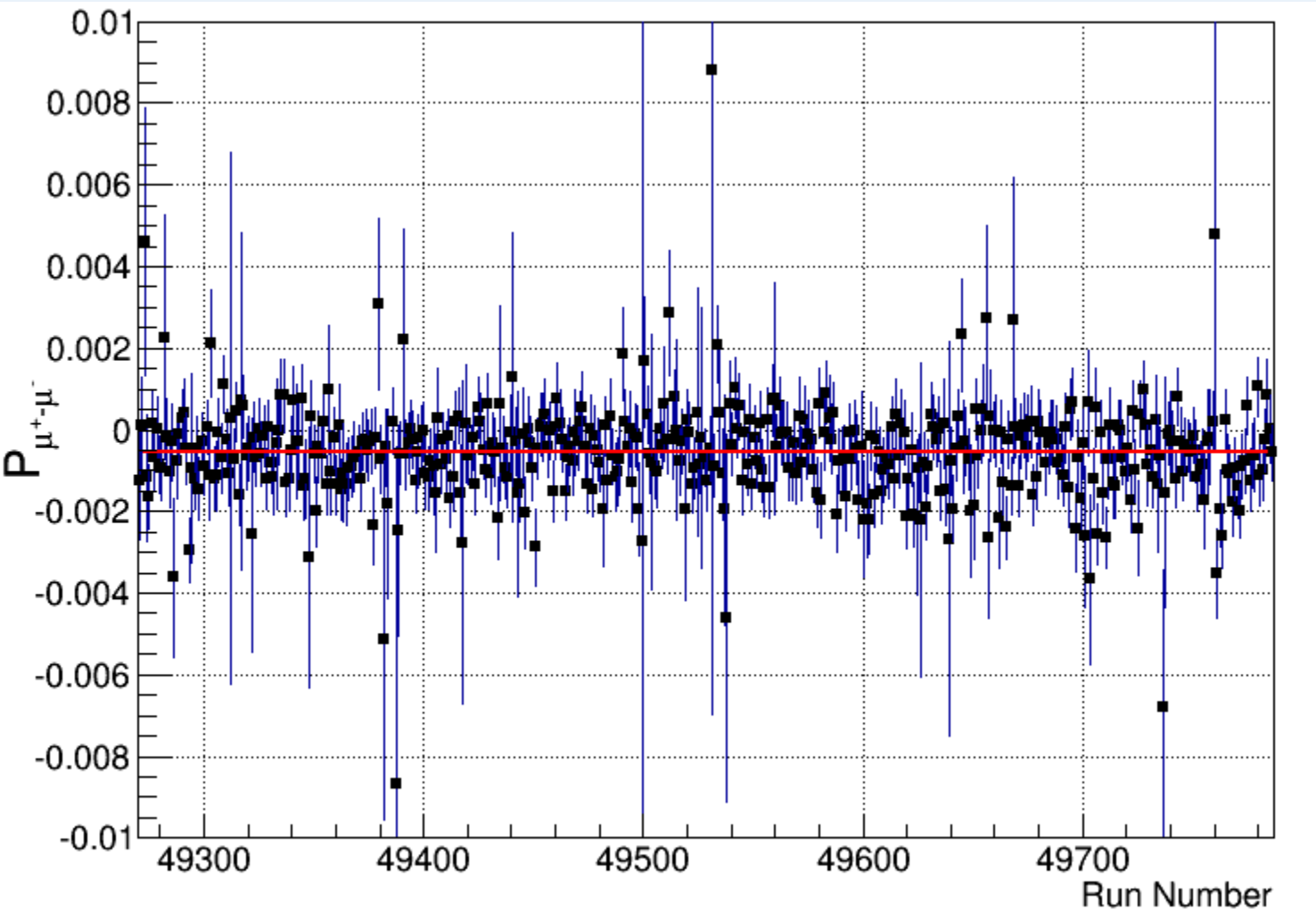
Value :  $-0.044 \pm 0.004 \text{ MeV}$

➤  $M(\mu\mu)$  of 4220 data Run by Run



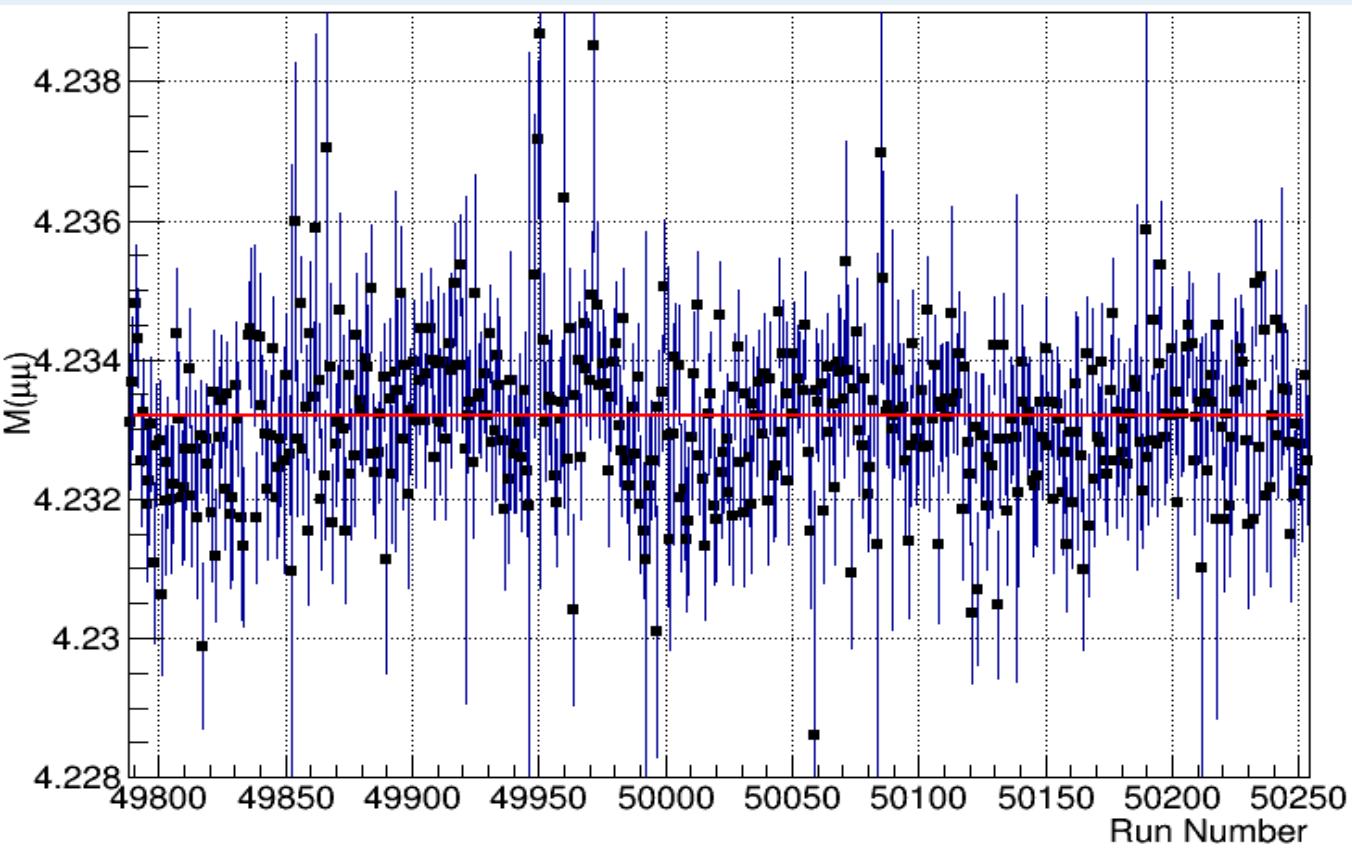
Value:  $4216.33 \pm 0.05(\text{MeV})$

- The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4220 data Run by Run



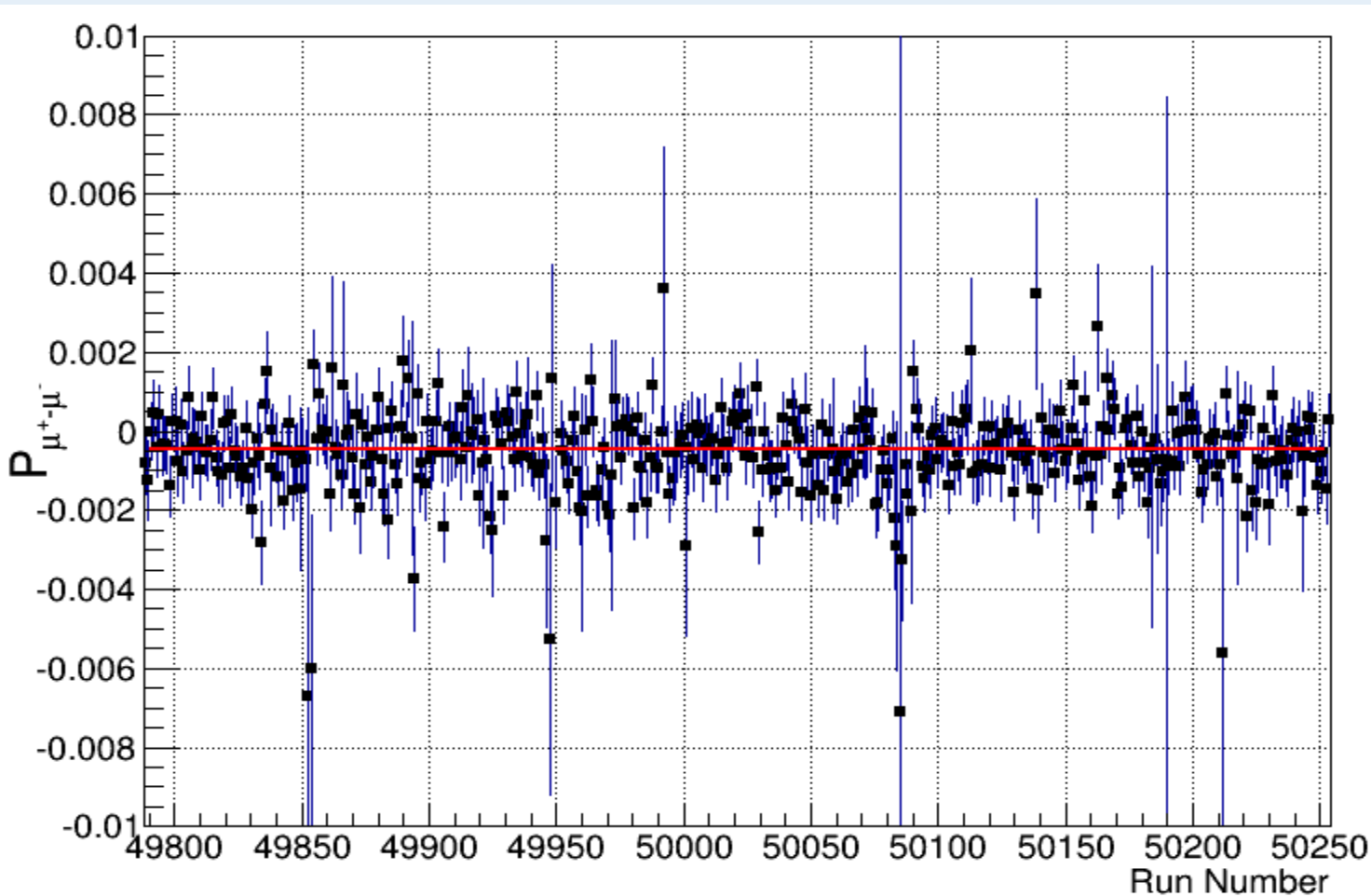
Value:  $-0.054 \pm 0.004 \text{ MeV}$

➤  $M(\mu\mu)$  of 4237 data Run by Run



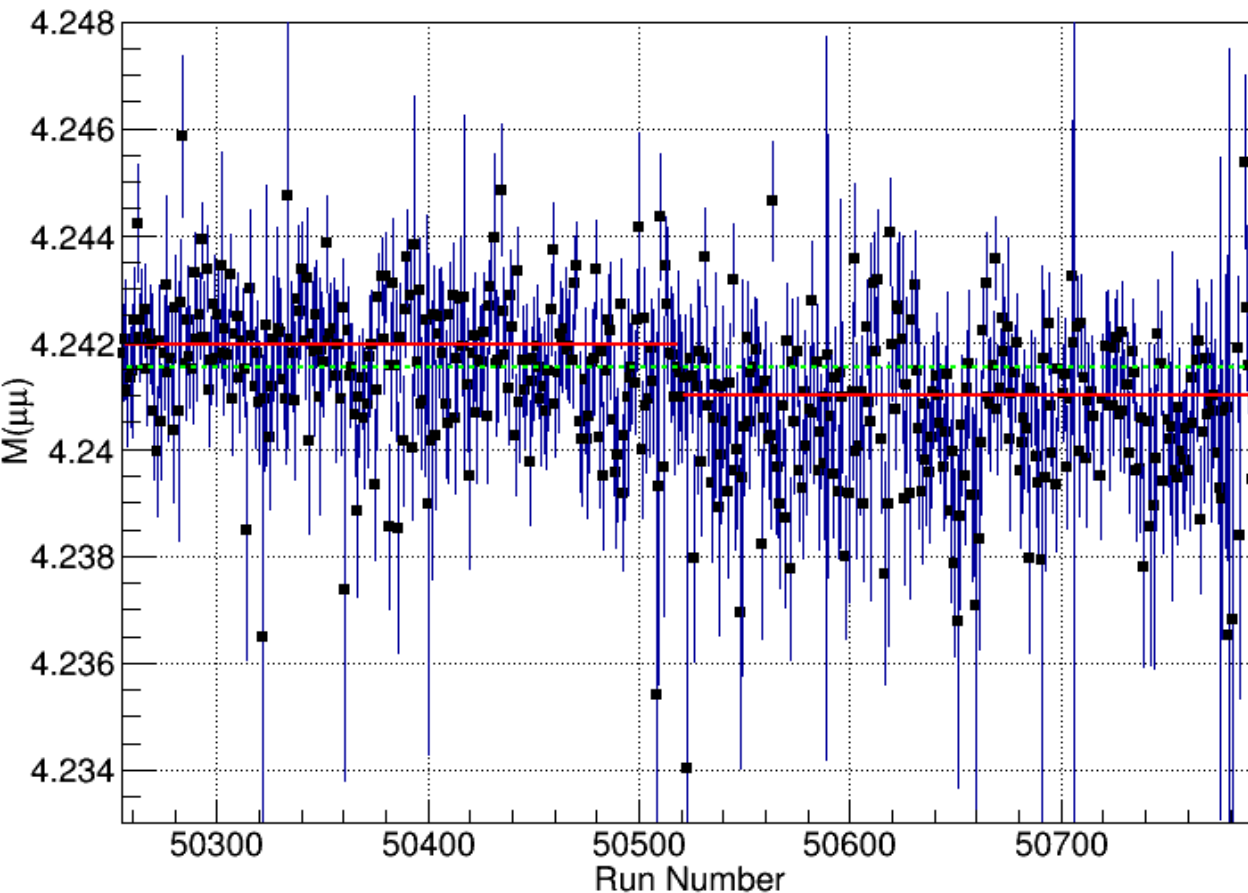
Value:  $4233.21 \pm 0.04$ (MeV)

- The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4237 data Run by Run



Value:  $-0.044 \pm 0.004 \text{ MeV}$

➤  $M(\mu\mu)$  of 4246 data Run by Run

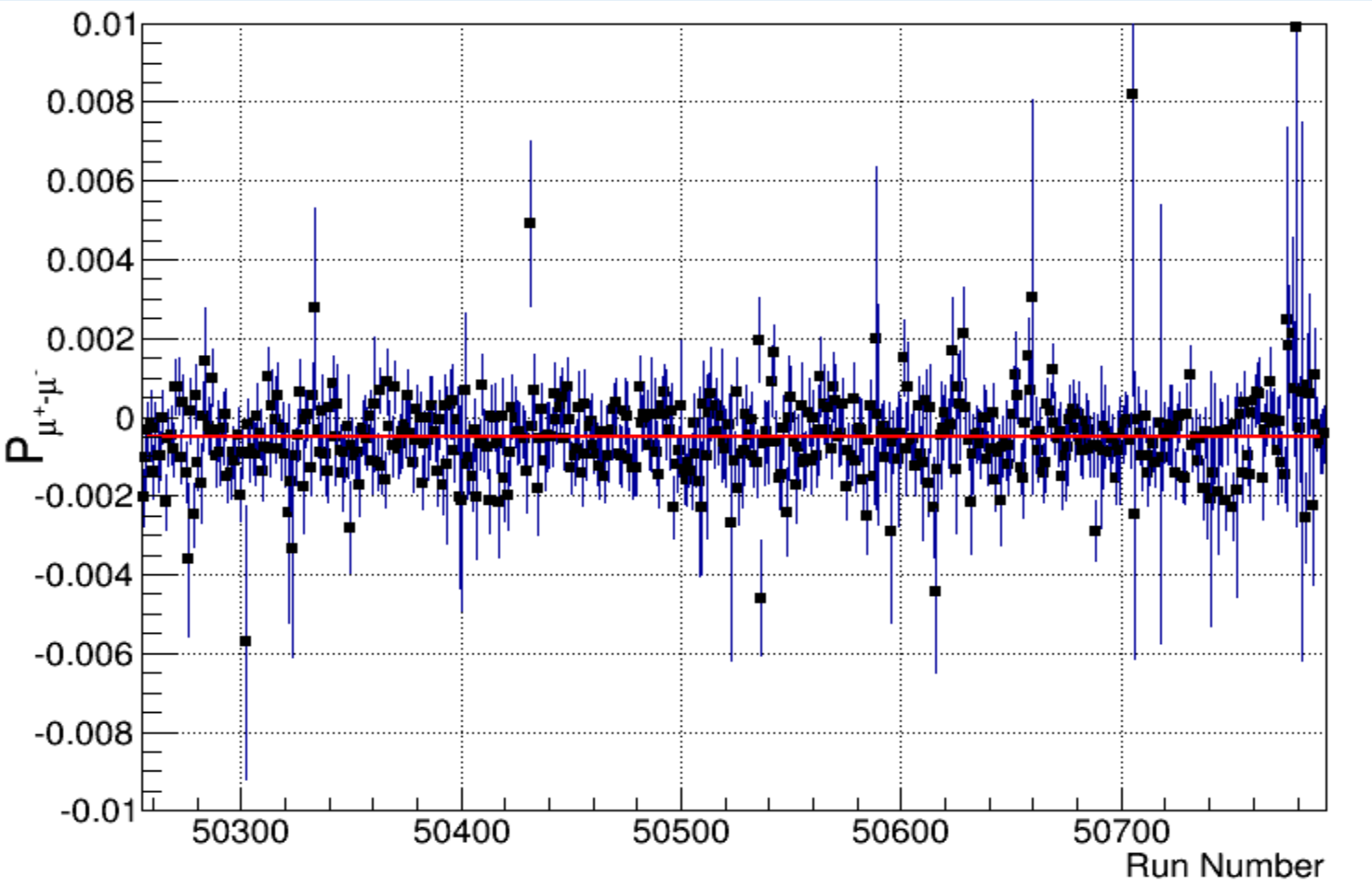


Range (50255,50793)  
Value:  $4241.95 \pm 0.07 \text{ MeV}$

Range (50255,50520)  
Value:  $4241.01 \pm 0.08 \text{ MeV}$

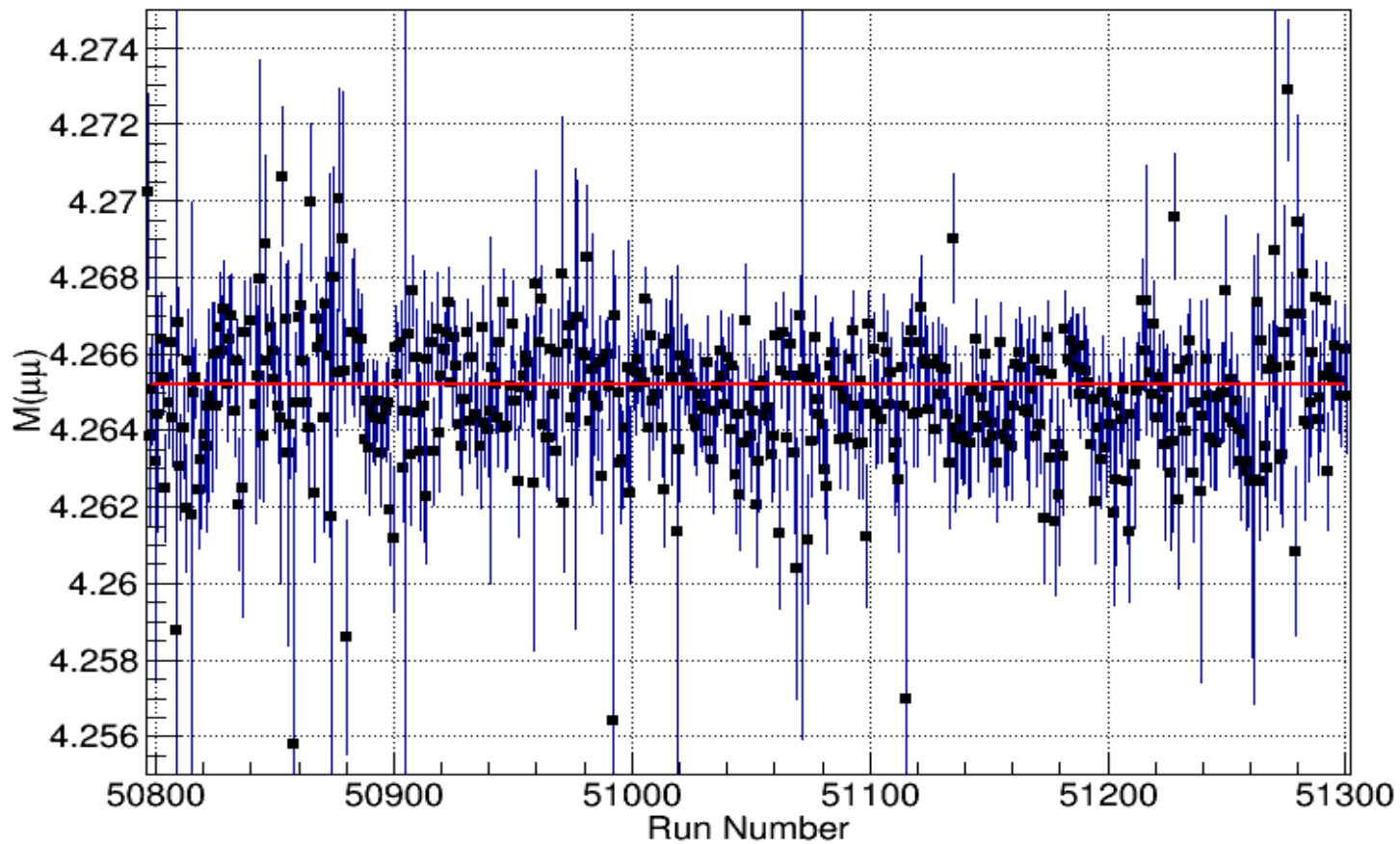
Range (50520,50793)  
Value:  $4241.55 \pm 0.05 \text{ MeV}$

- The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4246 data Run by Run



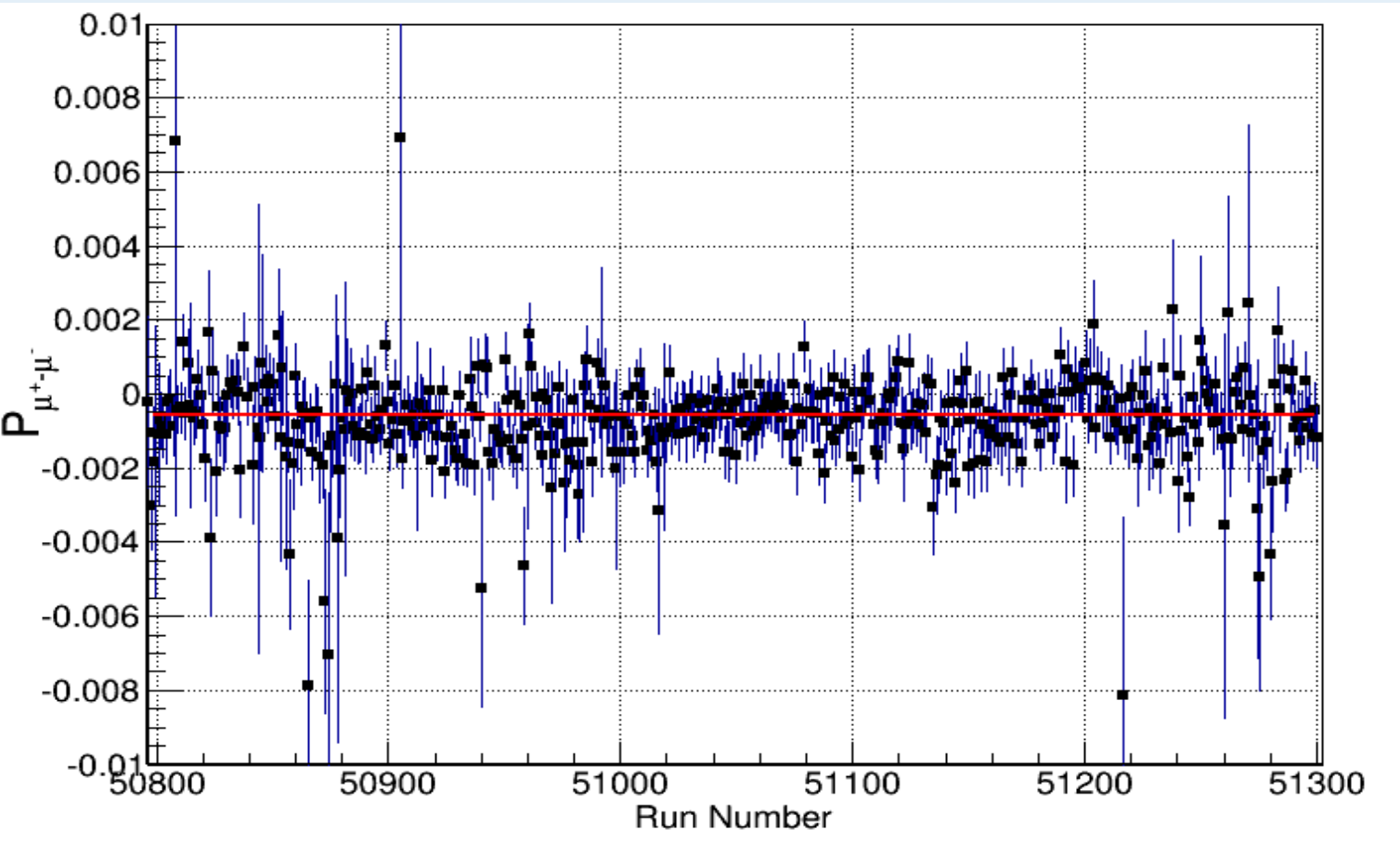
Value:  $-0.051 \pm 0.004 \text{ MeV}$

➤  $M(\mu\mu)$  of 4270 data Run by Run



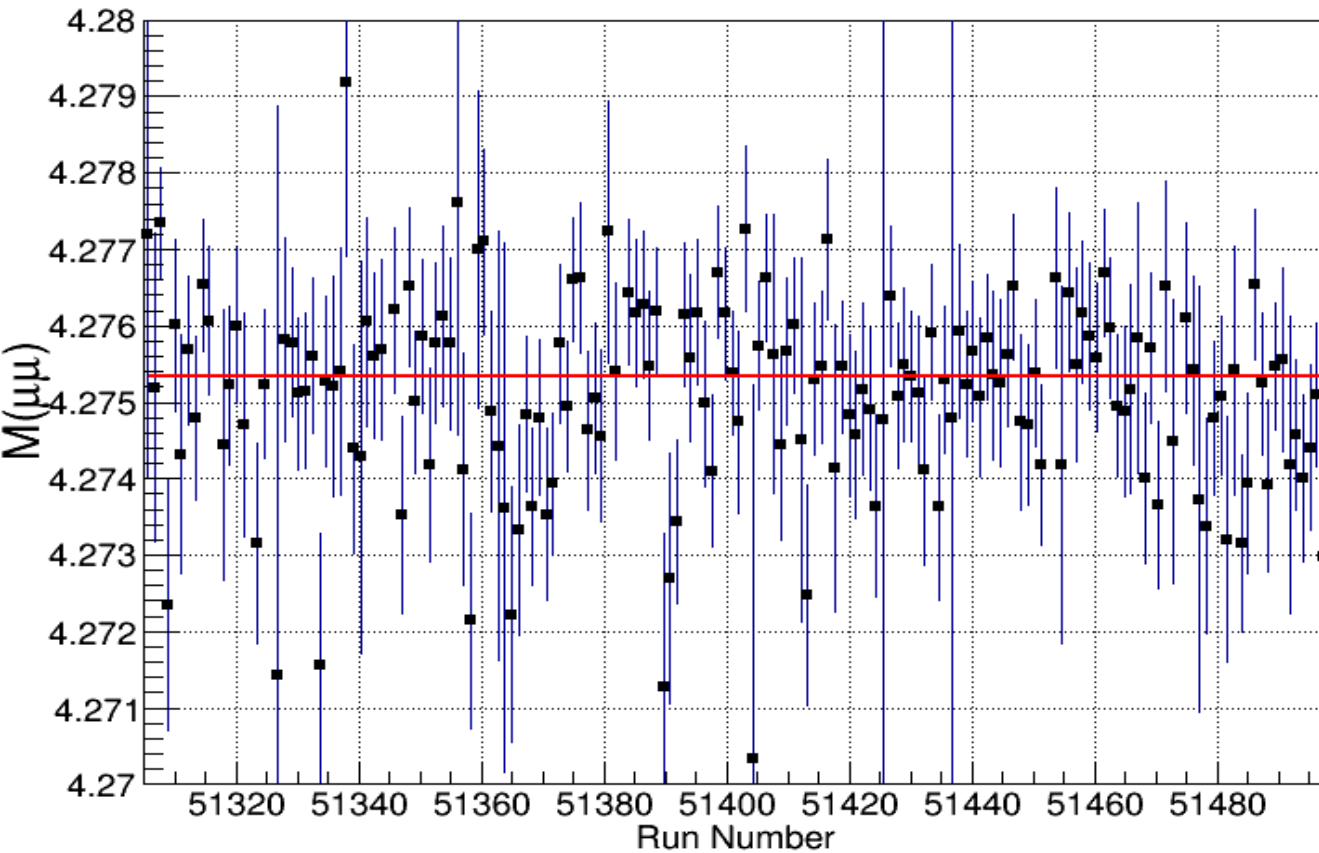
value:  $4265.20 \pm 0.06 \text{ MeV}$

➤ The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4270 data Run by Run



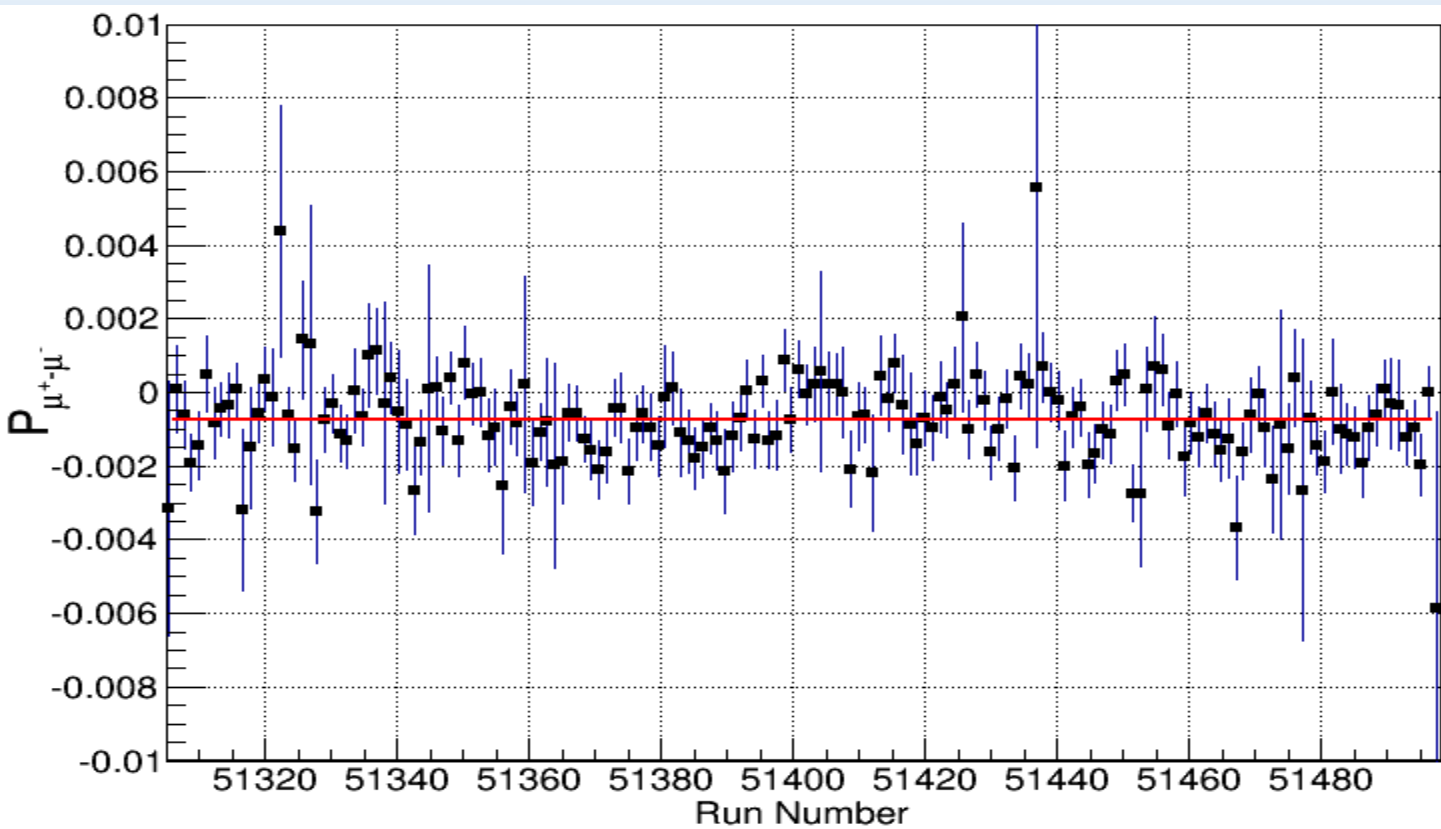
Value:  $-0.059 \pm 0.004\text{MeV}$

➤  $M(\mu\mu)$  of 4280 data Run by Run



Value:  $4275.34 \pm 0.09 \text{ MeV}$

➤ The difference of momentum between  $\mu^+$  and  $\mu^-$  in the center of mass system of 4280 data Run by Run



Value:  $-0.074 \pm 0.007 \text{ MeV}$

# Summary

After Momentum calibration and radiation correction the ECM of each energy point is in the table. (ECM = fitting value – Momentum calibration + radiation correction)

Energy (MeV)	Momentum calibration	Radiation correction	M( $\mu\mu$ )	Ecm(MeV)
4190		3.04 $\pm$ 0.12	4187.26 $\pm$ 0.06	
4200		3.03 $\pm$ 0.12	4197.61 $\pm$ 0.06	
4210		2.98 $\pm$ 0.12	4207.01 $\pm$ 0.05	
4220		3.71 $\pm$ 0.11	4216.21 $\pm$ 0.05	
4237		3.78 $\pm$ 0.12	4233.08 $\pm$ 0.04	
4246		3.68 $\pm$ 0.13	4241.28 $\pm$ 0.05	
4270		3.76 $\pm$ 0.14	4264.88 $\pm$ 0.06	
4280		3.79 $\pm$ 0.12	4275.15 $\pm$ 0.09	

*Thank you !!!*