

# Rb measurement at CEPC MC Level

**Bo Li**



# Outline

- Basic information
- Btag performance
- Method

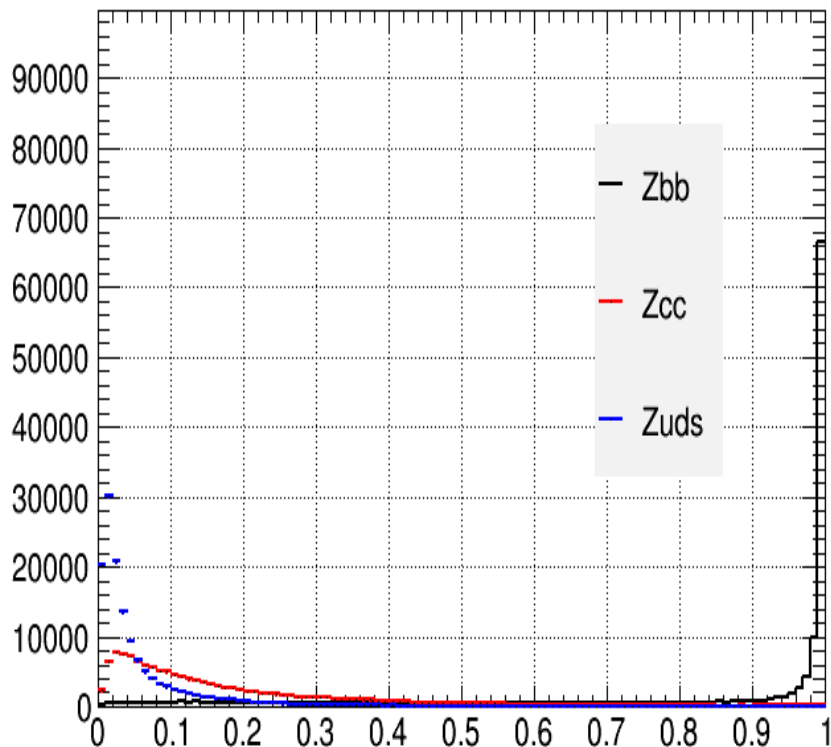
- MC samples: Zbb, Zcc, Zll

1. Produced from FSClasser with command : " Marlin \*.xml"
2. The Z boson hadronic events root file:

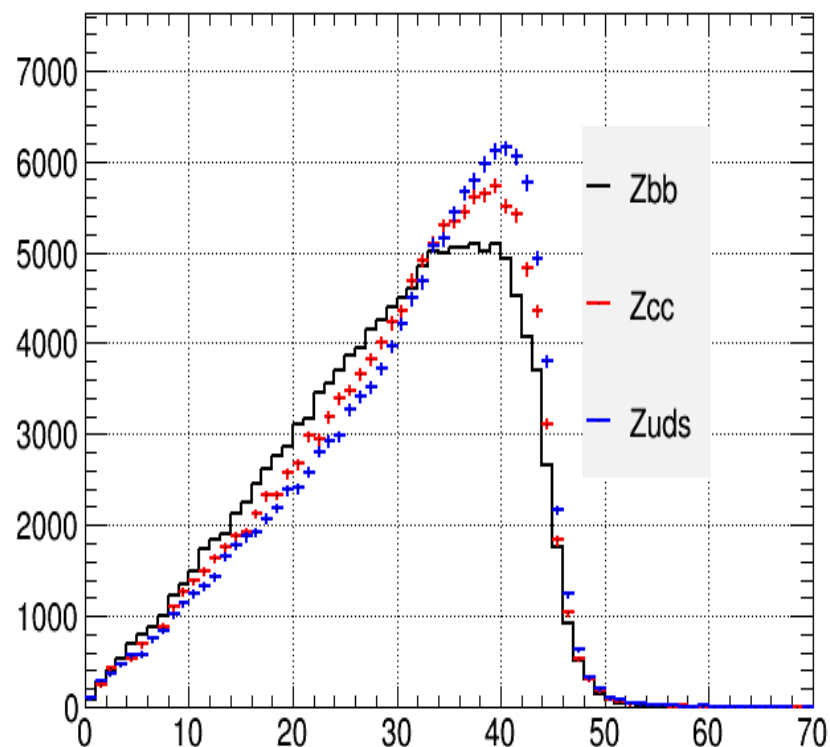
Double_t	JetMcPxP1;	<b>Including the final particle information: Such as the lepton Pt, jet Pt, jet tag prob ..</b>
Double_t	JetMcPyP1;	
Double_t	JetMcPzP1;	
Double_t	JetMcEnP1;	
Double_t	JetAngleRecMcP1;	
Double_t	JetVtxRP2;	
Double_t	JetVtxZP2;	
Double_t	JetVtxSigRP2;	
Double_t	JetVtxSigZP2;	
Double_t	JetBtagP2;	
Double_t	JetCtagP2;	<b>~140,000 events are produced</b>

## JetBtag Prob

all the 2jets

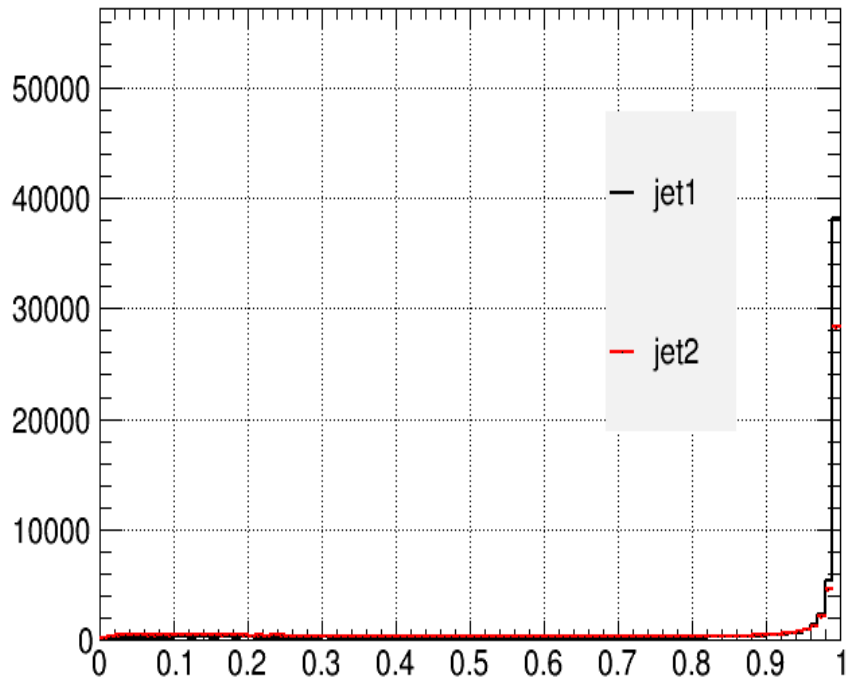


## JetPt

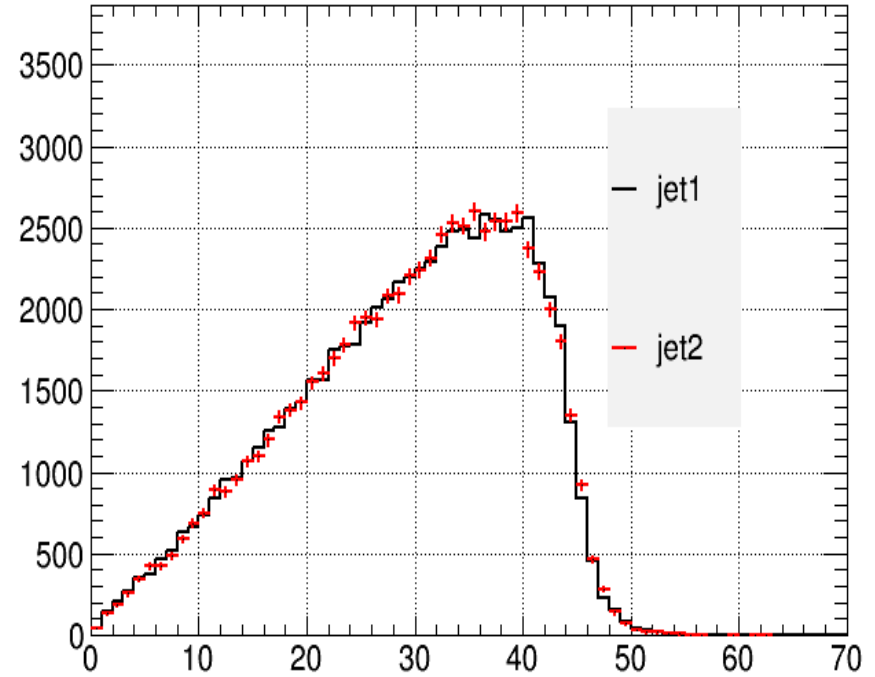


- The BtagProb are different for Zbb, Zcc and Zll
- Four BtagProb Work Point are used :
  - The  $BtagProb > 0.6$ ,  $BtagProb > 0.7$ ,  $BtagProb > 0.8$ ,  $BtagProb > 0.9$

### JetBtag Prob

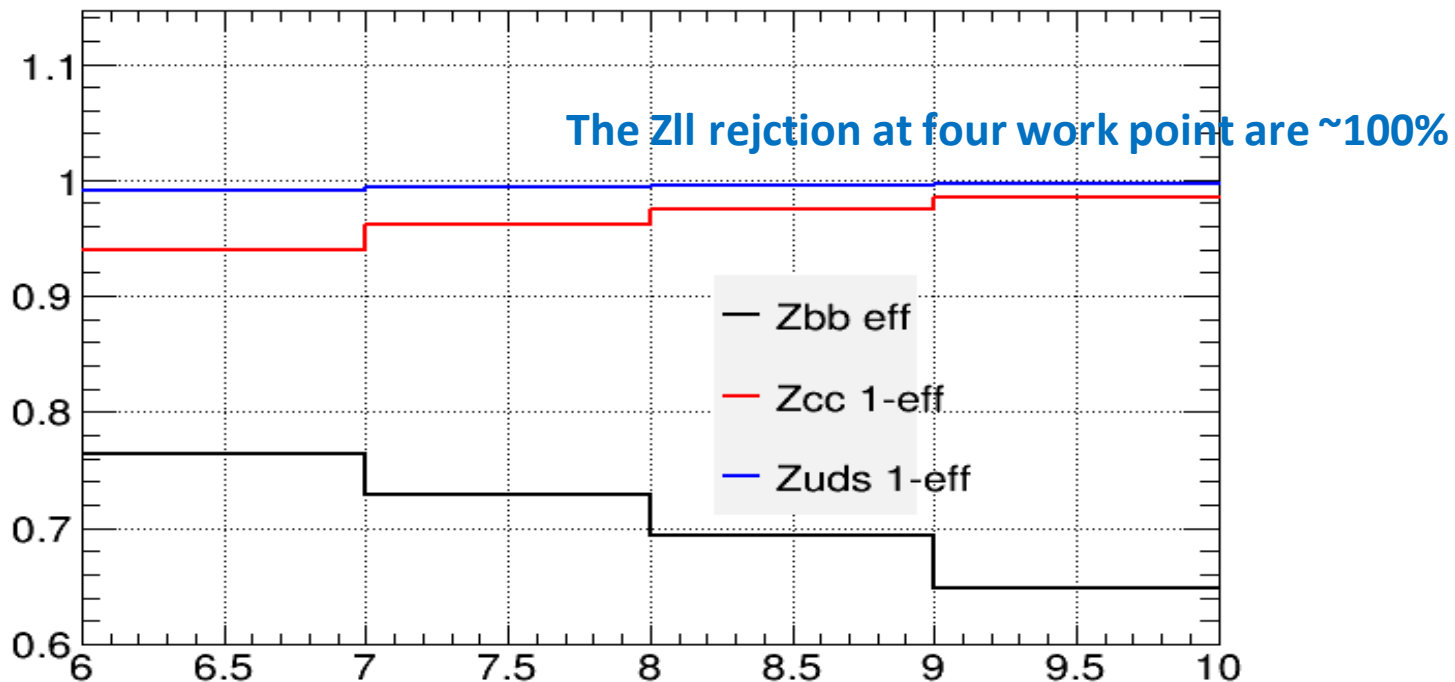


### JetPt



### Jet1 vs jet2

## Effency and rejection for Zbb,Zcc,Zll



	Prob>0.6	Prob>0.7	Prob>0.8	Prob>0.9
Zbb_eff	0.7640	0.7294	0.6931	0.6488
Zcc_Rej:	0.9402	0.9610	0.9755	0.9858
Zll_Rej	0.9911	0.9941	0.9959	0.9973

Get From Mixed MC Sample

$$\frac{N_t}{2N_{had}} = R_b \varepsilon_b + R_c \varepsilon_c + (1 - R_b - R_c) \varepsilon_{uds}$$

$$\frac{N_{tt}}{N_{had}} = C_b R_b \varepsilon_b^2 + C_c R_c \varepsilon_c^2 + C_{uds} (1 - R_b - R_c) \varepsilon_{uds}^2$$

$R_c, \varepsilon_c, \varepsilon_{uds}$   
 $C_b, C_c, C_{uds}$   
 Get from MC

$$C_b = \frac{\varepsilon_{2jet-tagged}}{(\varepsilon_{1jet-tagged})^2}$$

1.015 1.021 1.026 1.033

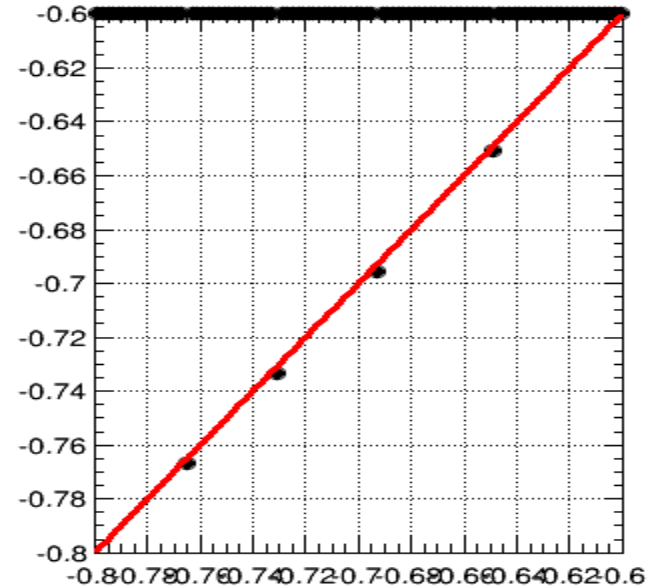
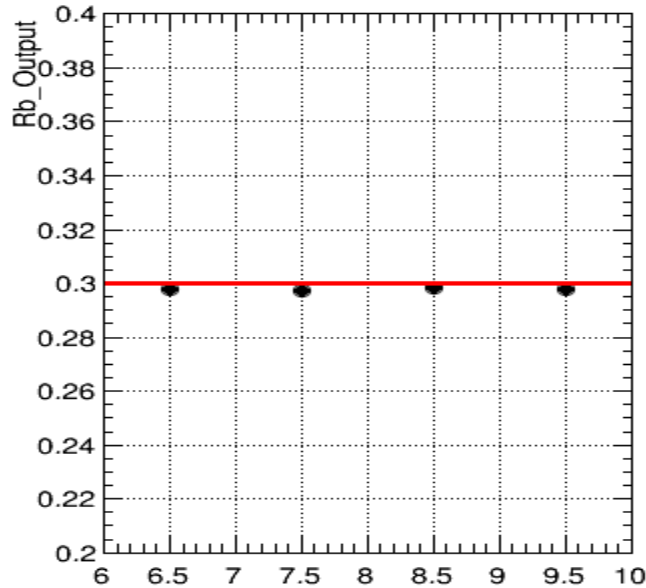
Following this procedure, we can measured the  $R_b, \varepsilon_b$

The Z hadronic 'DATA' is mixed by MC samples: Zbb **sample1**, Zcc **sample1**, Zll **sample1**  
 We set  $R_b=0.3, R_b=0.5, R_b=0.7$  as the Input  $R_b$  to mix the 'DATA'

The  $R_c, \varepsilon_c, C_b, C_c, C_{uds}$  is gotten by MC samples: Zbb **sample2**, Zcc **sample2**, Zll **sample2**

So if **sample1** ≠ **sample2**, which means the MC  $R_c, \varepsilon_c, C_b, C_c, C_{uds}$  are different from the Truth in 'DATA'

Input Rb=0.3, Four BtagProb work point: Prob>0.6, >0.7, >0.8, >0.9



Input Rb: 0.3000

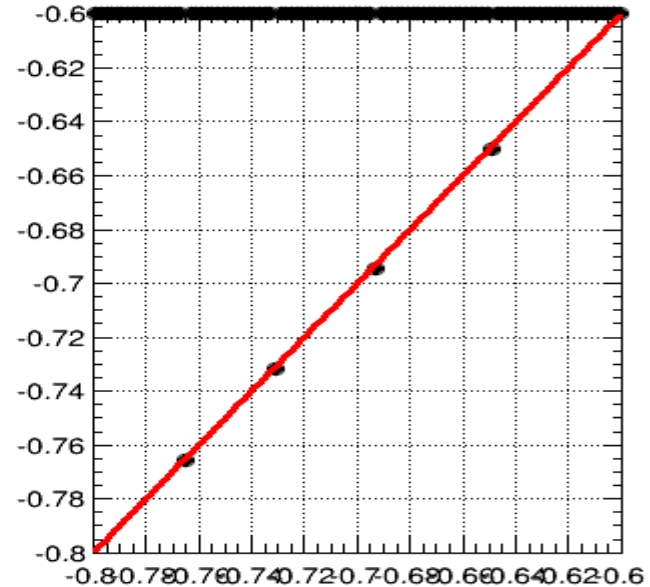
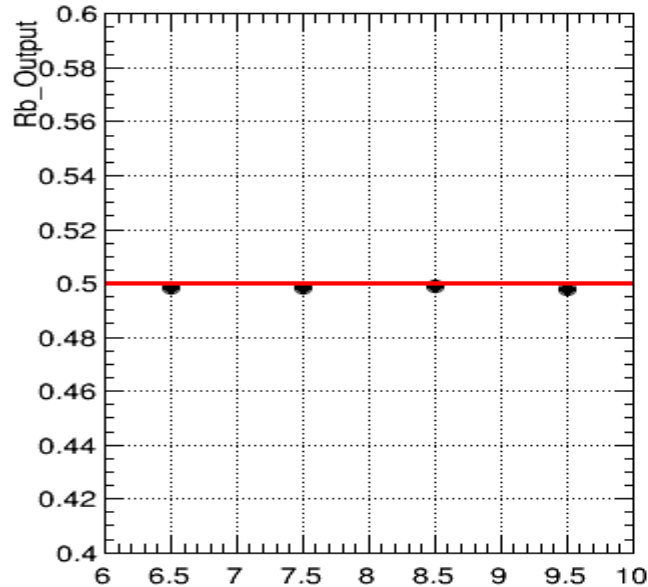
Output Rb: 0.2981 0.2975 0.2984 0.2980

Input eff: 0.7643 0.7300 0.6936 0.6480

Output eff: 0.7668 0.7333 0.6956 0.6508



Input Rb=0.5, Four BtagProb work point: Prob>0.6, >0.7, >0.8, >0.9



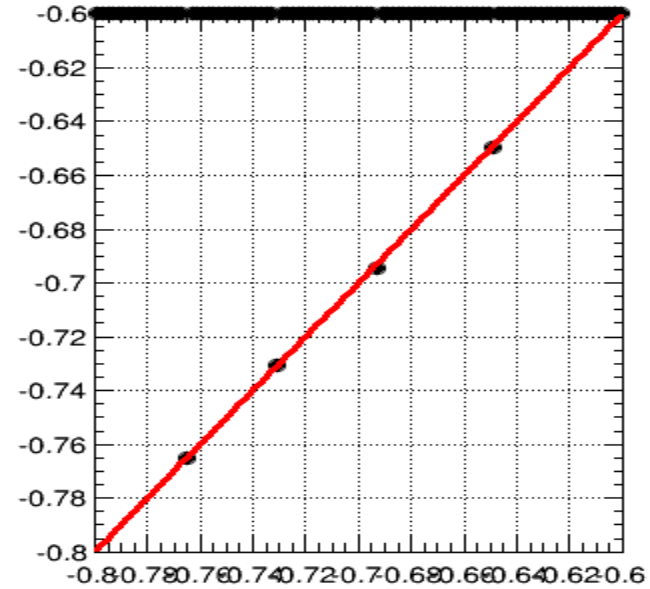
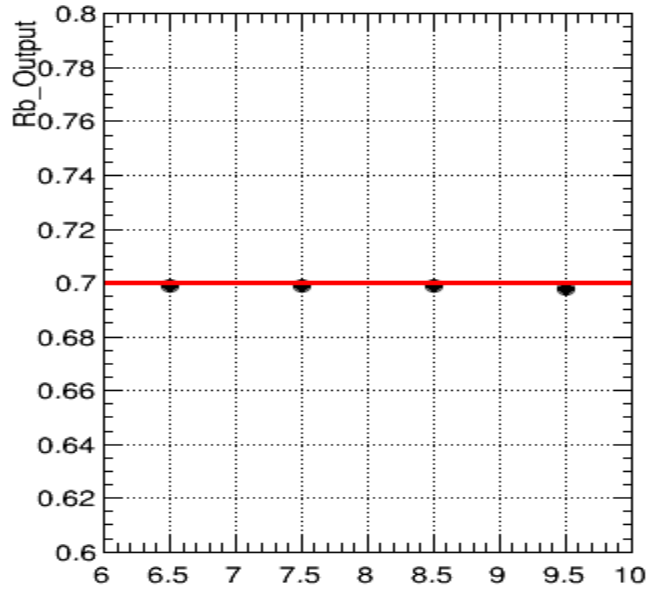
Input Rb: 0.5000

Output Rb: 0.4985    0.4981    0.4988    0.4980

Input eff: 0.7643    0.7300    0.6936    0.6480

Output eff: 0.7657    0.7316    0.6946    0.6501

Input Rb=0.7, Four BtagProb work point: Prob>0.6, >0.7, >0.8, >0.9



Input Rb: 0.7000

Output Rb: 0.6988 0.6988 0.6991 0.6979

Input eff: 0.7643 0.7300 0.6936 0.6480

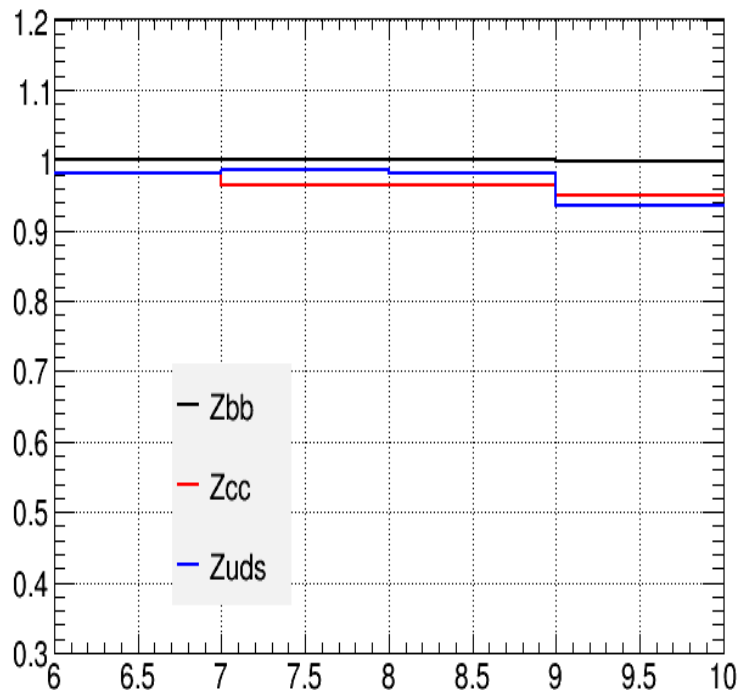
Output eff: 0.7652 0.7308 0.6942 0.6498

# Result

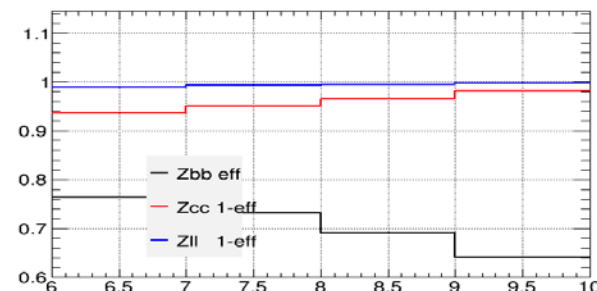
the measured **Rb** and **effb** in DATA are different from the Input Truth Rb and effb **at Prob>0.9**

The  $R_c$ ,  $\epsilon_c$ ,  $C_b$ ,  $C_c$ ,  $C_{uds}$  is got by MC samples: Zbb **sample2**, Zcc **sample2**, Zll**sample2**  
So if DATA **sample1**  $\neq$  **sample2**, which means the MC  $R_c$ ,  $\epsilon_c$ ,  $C_b$ ,  $C_c$ ,  $C_{uds}$  is different from the 'DATA'

The difference as a Ratio: Eff in 'DATA' / Eff in MC



1.  $\epsilon_b$  difference between DATA and MC are very small
2.  $\epsilon_c$  and  $\epsilon_{uds}$  differences are big **at Prob>0.9** :
  - which may come from the very low statistics after Btagging
  - which will lead to the difference in the IO test
3.  $\epsilon_{uds}$  effect is very small, as **The Zll rejection at four work point are ~100%**



# Result

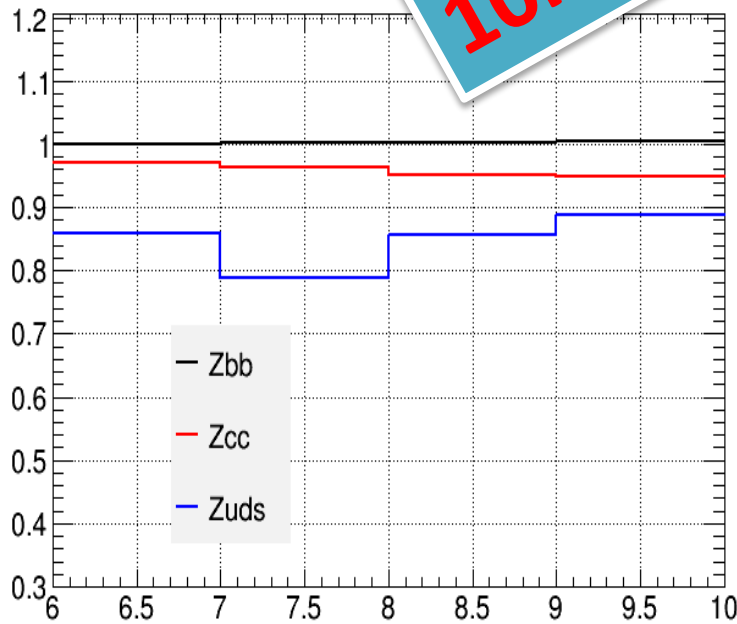
We can see the measured **Rb** and **effb** in DATA are different from the Truth Rb and effb

The  $R_c$ ,  $\epsilon_c$ ,  $C_b$ ,  $C_c$ ,  $C_{uds}$  is got by MC sample **sample1**, **sample2**, **Zcc sample2**, **Zllsample2**  
So if **sample1**  $\neq$  **sample2**, which means the MC  $R_c$ ,  $\epsilon_c$ ,  $C_b$ ,  $C_c$ ,  $C_{uds}$  is different from the 'DATA'

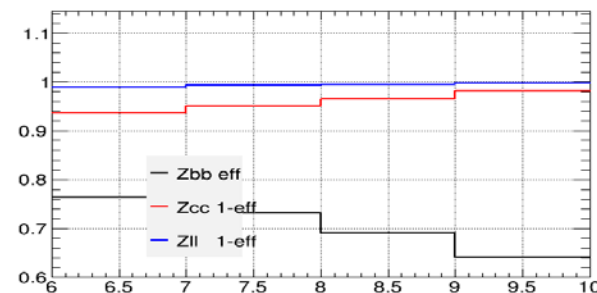
**10k events in the past**

The difference as a Ratio: Eff in 'DATA' vs MC

$\epsilon_b$  difference between DATA and MC are very small



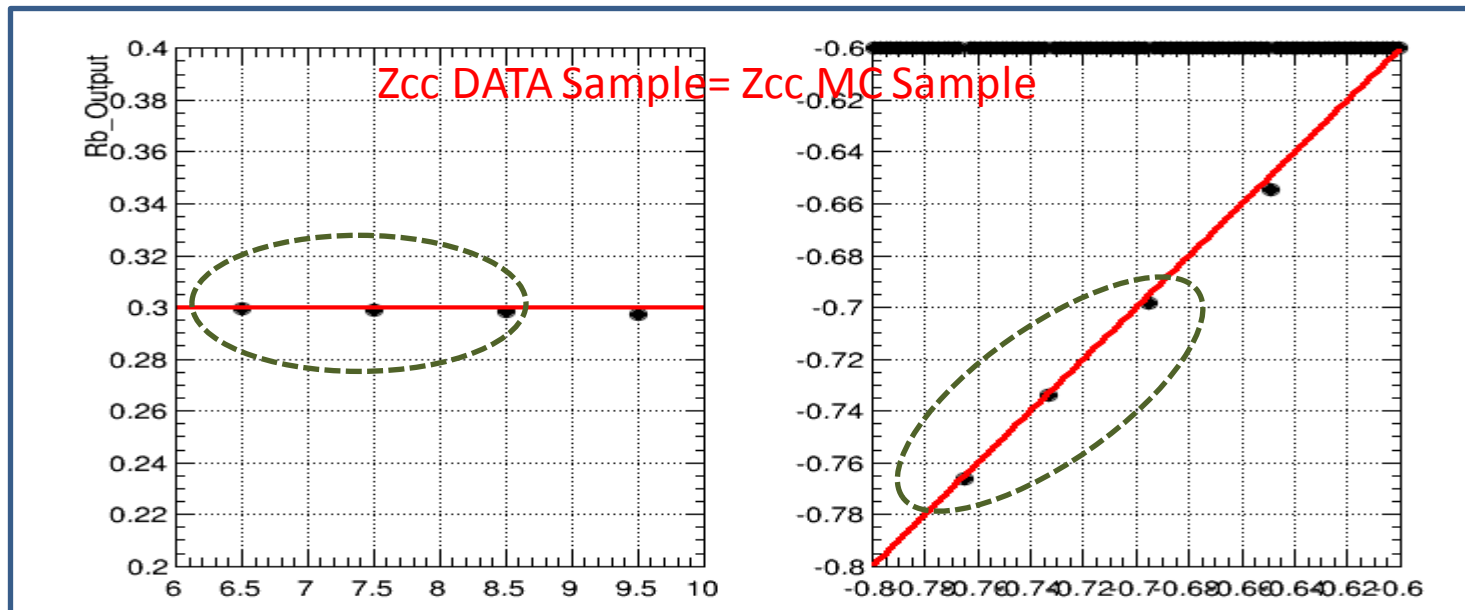
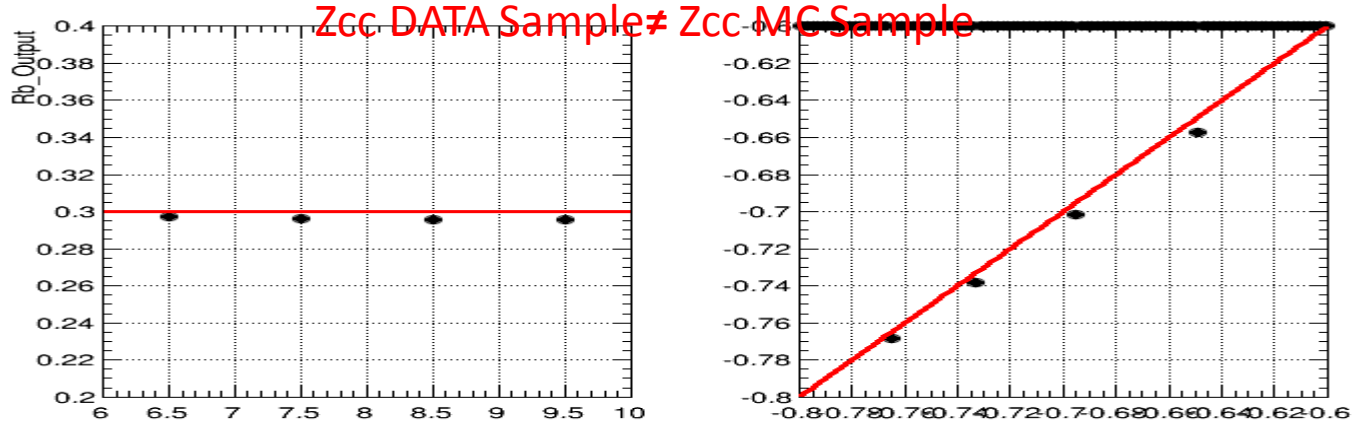
- $\epsilon_c$  and  $\epsilon_{uds}$  difference are very big:
  - which may come from the very low statistics after Btagging
  - which will lead to the difference in the IO test
- $\epsilon_{uds}$  effect is very small, as **The Zll rejection at four work point are  $\sim 100\%$**



# Check

Input Rb=0.3

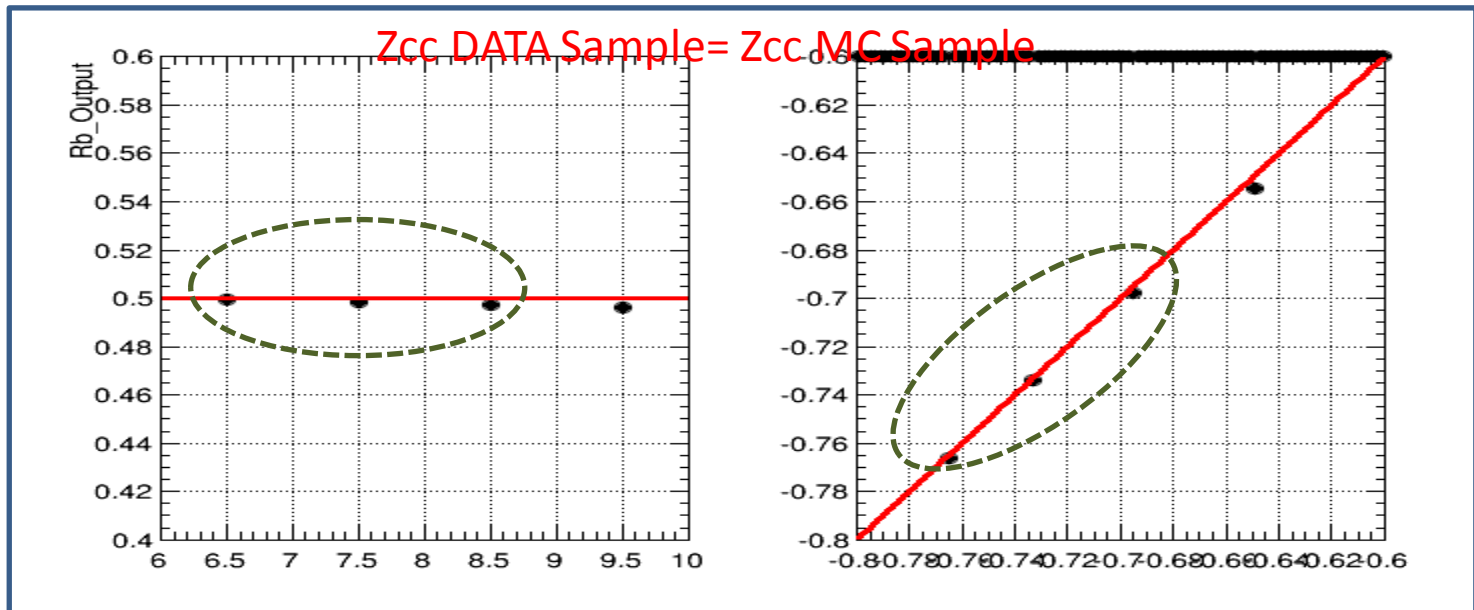
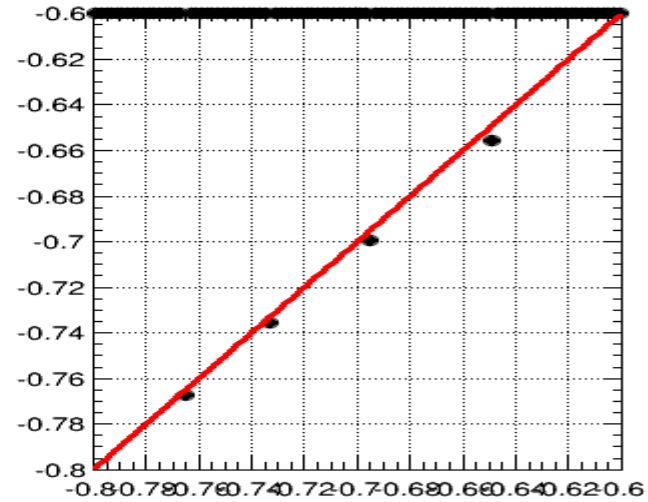
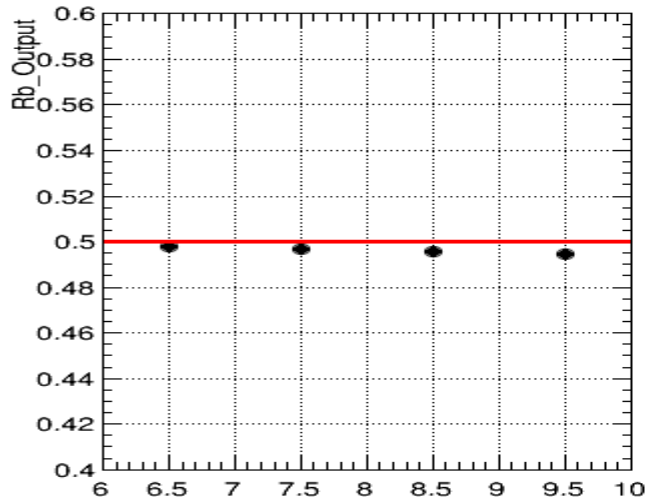
We redo the IO test by 'DATA' and MC with **same Zcc** sample



We can see the differences of measured **Rb** and **effb** between DATA and MC are smaller

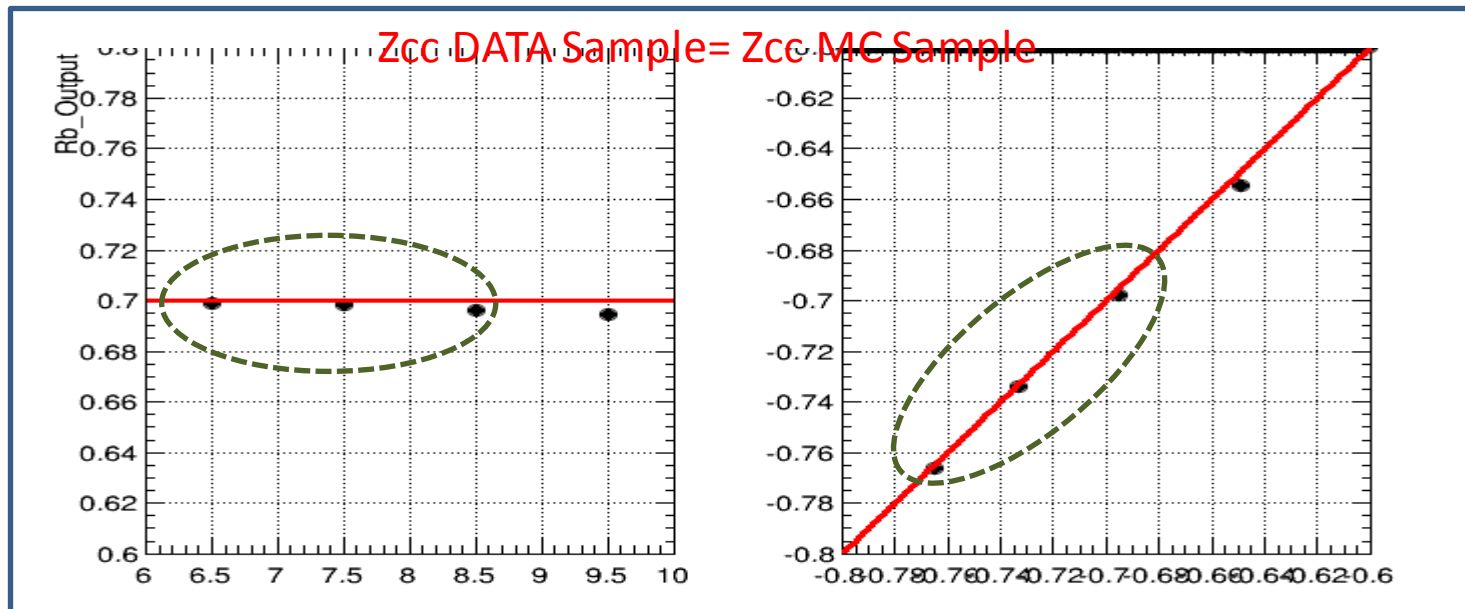
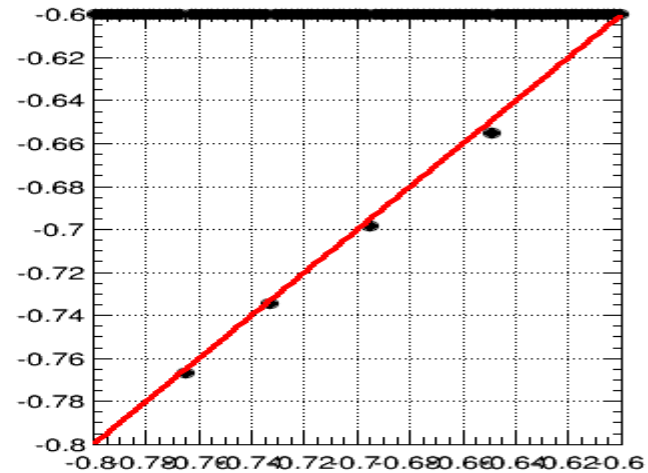
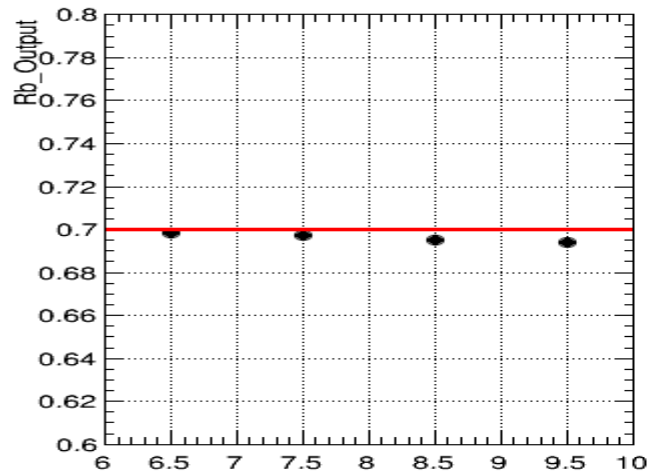
# Check

Input Rb=0.5



# Check

Input Rb=0.7



# Summary

- The IO test shows Analysis code worked as expected.
- Increase the statistics of 'DATA' and MC.
- Study the FSClasser: know well about the procedure at event reconstruction level.



**backup**

# backup

'DATA' and MC all are used the same sample

