Signal Reconstruction of the Atlas Hadronic Tile Calorimeter: Implementation & Validation

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XIV International Conference on Calorimetry in High Energy Physics -10-14 May 2010, Beijing

Overview

- Read-out principles
- Requirements for the online reconstruction and DSP Implementation
- Signal pulse shapes and Optimal filtering reconstruction
 - Validations of results
 - CIS Calibrations events
 - pseudo event injected in the DSP
 - Physics events

ATLAS Tile Calorimeter



- Central part ($\eta < 1.7$) of the ATLAS Hadronic Calorimeter.
- Sampling calorimeter: iron/scintillating tiles, placed perpendicularly to particle directions; double PMT readout using wave length shifting fibres.
- 10K readout channels in 256 electronics "drawers", data sent over fiber links.
- Trigger analog signals from each tower to LVL1 trigger system.

Read out principle



 designed to measure energy deposition in a cell between ~30 MeV and ~1.6TeV.

- PMT signal shaping and amplification, two outputs: High Gain and Low Gain with a gain ratio of 64.
- analog signals for each tower for the LVL1 trigger.

0

7GeV

800GeV

 Digitization at 40 MHz with two ADC (10 bit) High Gain and data samples are stored in pipelines

 after the LVL1 trigger the samples are sent to the Back End electronics.



Read Out Driver



Energy time quality factor + RAW DATA

- The Read Out Driver(ROD) is the main Back End component.
- Positioned between the L1 and the L2 trigger systems provide, real time, energy and time reconstruction in less than 10 µs.
- Harsh programming environment with limited precision.
- Commissioning of the reconstruction algorithm: for ~ I year we save always also the RAW DATA samples.

Optimal Filtering



$$A = \sum_{i=1}^{n} a_i S_i$$
$$A\tau = \sum_{\substack{i=1\\n}}^{n} b_i S_i$$

 $p = \sum c_i S_i$

i=1

- The weights (a,b,c) are defined by the signal shape and the noise ACM. The method require an initial knowledge of the signal phase.
- For asynchronous data (e.g. cosmics) or to avoid a prior definition of timing we use also one iterative method.



Pulse shapes

- The signal shapes were extracted and studied with Test Beam data:
 - channel by channel differences are within 2%,
 - slightly energy dependent deformation in the tail region observed.
 - Systematics in the measured energy are <~0.5%.
- used also to define the reconstruction Quality Factor:

$$Q = \sqrt{\frac{1}{32} \sum_{i=1}^{7} \left(S_i - (Ag_i + A\tau g' + ped) \right)^2}$$





- OF algorithms are implemented in the RODs and in the Offline software:
 - The iterative algorithm do not need precise timing and was used up to recently, it is slow and more sensitive to noise fluctuation.
 - The non iterative algorithm is the design method that matches the time constraints. Is running NOW and being validated.
 - Three options with currently sustainable rates:
 - OF_NIter+RAW:46 KHz
 - OF_NIter: >100 KHz
 - OF_NIter +conditional dump of RAW Data (up to 25% ch) : 85 KHz

Validation with charge injection events amplitudes in the High Gain

- Comparison with offline reconstruction:
 - residual difference consistent with DSP limitation due to fixed point arithmetic and limited precision in the calibration constants
- Comparison with offline DSP emulation:
 - identical results



Validation with charge injection events amplitude in Low Gain

- Comparison with offline reconstruction:
 - residual difference consistent with DSP limitation due to fixed point arithmetic and limited precision in the calibration constants
- Comparison with offline DSP emulation:
 - identical results.



Validation with charge injection events

reconstruction of time

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- Comparison with offline reconstruction:
 - the precision of DSP time is limited by the use of fixed point arithmetic and the look up table for the divisions.

$$A\tau = \sum_{i=1}^{n} b_i S_i$$



Validation with charge injection events reconstruction of time $A\tau = \sum b_i$

- Comparison with offline reconstruction:
 - the precision of DSP time is limited by the use of fixed point arithmetic and the look up table for the divisions.
- Comparison with offline DSP emulation: identical results.



validation with collision data reconstruction of time

- Collision data at 900 GeV reconstructed online by the DSP (non Iterative) and offline with iterative method.
- deviation from linearity start when the phase is different then the expected by more than 10 ns.
- anomalous large phases or bad reconstruction (QF) trigger the dump of the data sample



validation with collision data parabolic deviation

- Collision data at 900 GeV reconstructed online by the DSP (non Iterative) and offline with iterative method.
- Large dispersion in the signal phases biases the OF energy reconstruction.
- after correction the bias is reduced to less than 1%.



Summary

- The OF reconstruction algorithms in the ROD are processing online the first LHC data and feeding the High Level trigger system.
- The precision of the online reconstruction is adeguate and within the expectations.
- The online results are not used yet in the first ATLAS analysis that can benefit from more mature offline reconstructions.
- This approach is feasible and will be used until the ATLAS LVL1 trigger rate will reach ~40 KHz. After that we will switch to the final reconstruction mode with conditional dump of raw data.

Additional material

energy bias due to Pulse shape distorsion

- sample generated with different pulse shapes
- standard pulse shape used for reconstruction
- results with LS fit
- bias < 1%.



Validation with charge injection events amplitudes in the High Gain

- Comparison with offline reconstruction:
 - residual difference consistent with DSP limitation due to fixed point arithmetic and limited precision in the calibration constants
- Comparison with offline DSP emulation:
 - identical results in ADC counts
 - remaining difference is due to different precision in the calibration constants



Validation with charge injection events amplitude in Low Gain

- Comparison with offline reconstruction:
 - residual difference consistent with DSP limitation due to fixed point arithmetic and limited precision in the calibration constants
- Comparison with offline DSP emulation:
 - identical results in ADC counts
 - remaining difference is due to different precision in the calibration constants



Validation with pseudo events reconstruction of time $A\tau = \sum^{n}$

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- pseudo events spanning the entire energy and time range.
- Comparison with offline reconstruction:
 - the precision in the reconstructed time in the DSP is limited by the fixed point arithmetic and the use of a look up table for the divisions.

