



Status and plan of PANDA EMC code checking, energy and position calibration

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EMC software 3, June, 2019 @Hefei

Outline

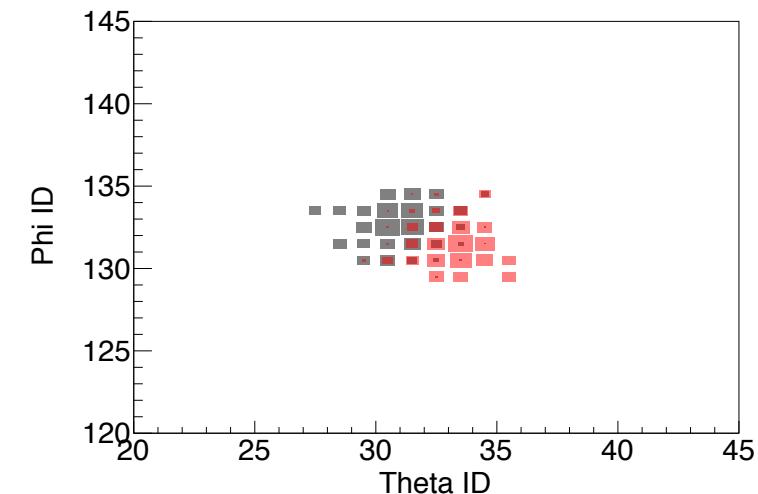
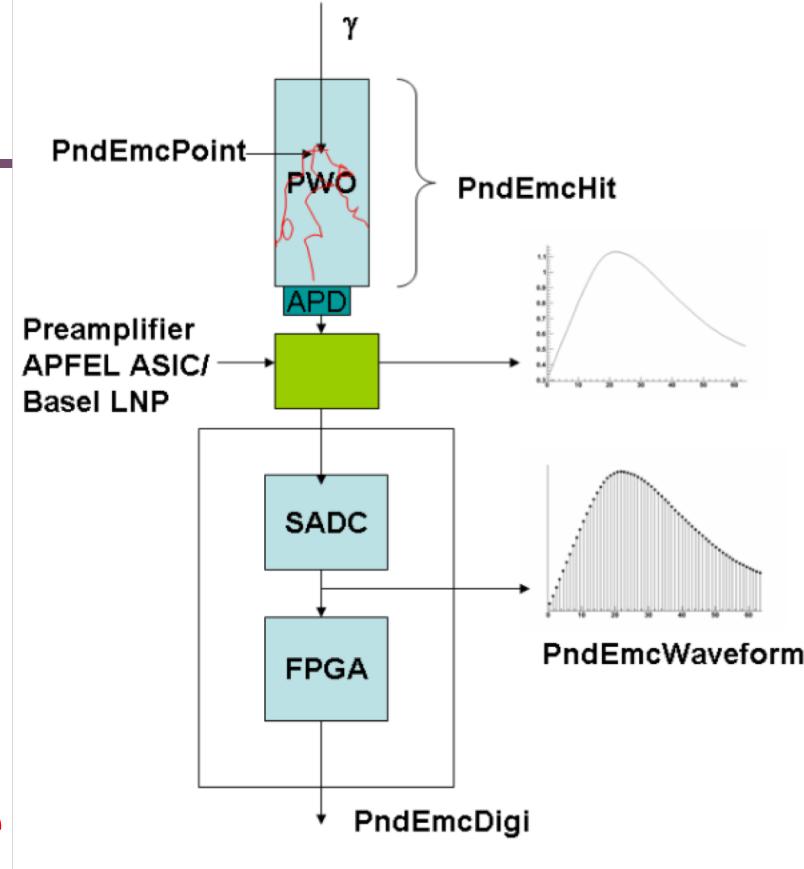
- Code checking
 - Review
 - New
- Energy calibration (by Dong Liu)
 - Status
 - plan
- Position calibration (by Yankun Sun)
 - Status
 - plan
- Summary

Code checking

Code checking: review

- EMC Software
 - Simulation
 - geometry description
 - sensitive material
 - physical processes
 - signal collection
 - digitization
 - Reconstruction
 - cluster finding
 - bump splitting

Until 17/12/18
collaboration
meeting
Code works fine



Code checking: status and plan

➤ Status

- ❑ Data processing from injection to bump has been checked

➤ Plan

- ❑ Check codes for energy and position calibration
- ❑ Check codes for PID
- ❑ Optimize and develop codes

Energy calibration

Energy calibration

- Energy calibration
- Design in TDR

$$\frac{\sigma_E}{E} = a \oplus \frac{b}{\sqrt{E/\text{GeV}}} \quad (3.1)$$

leads to the requirement $a \leq 1\%$ and $b \leq 2\%$.

- Reasons

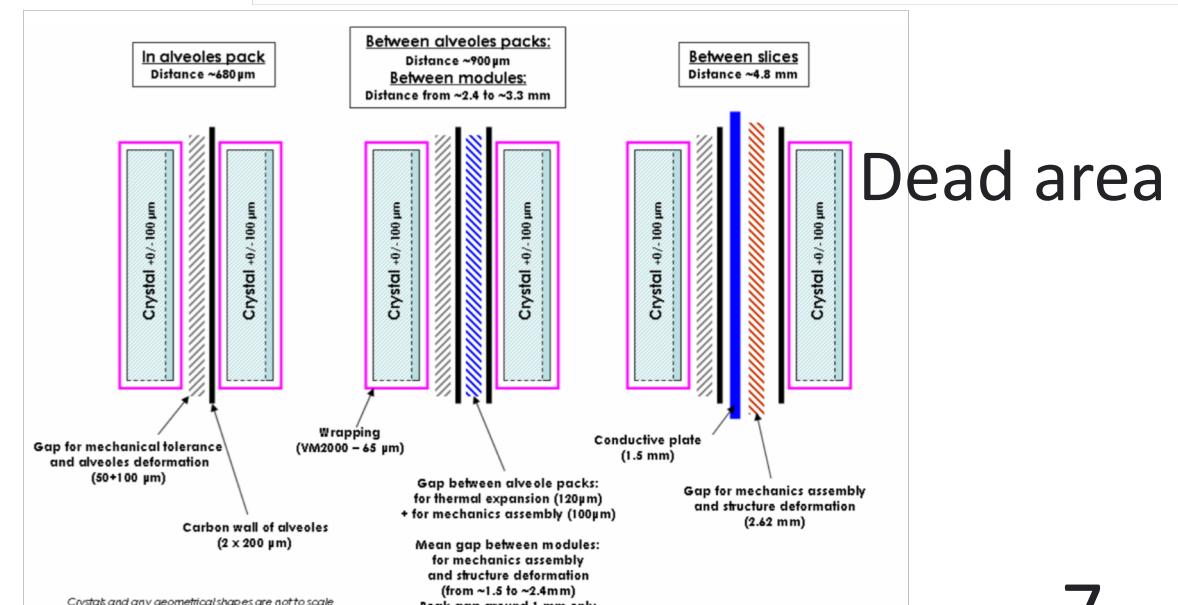
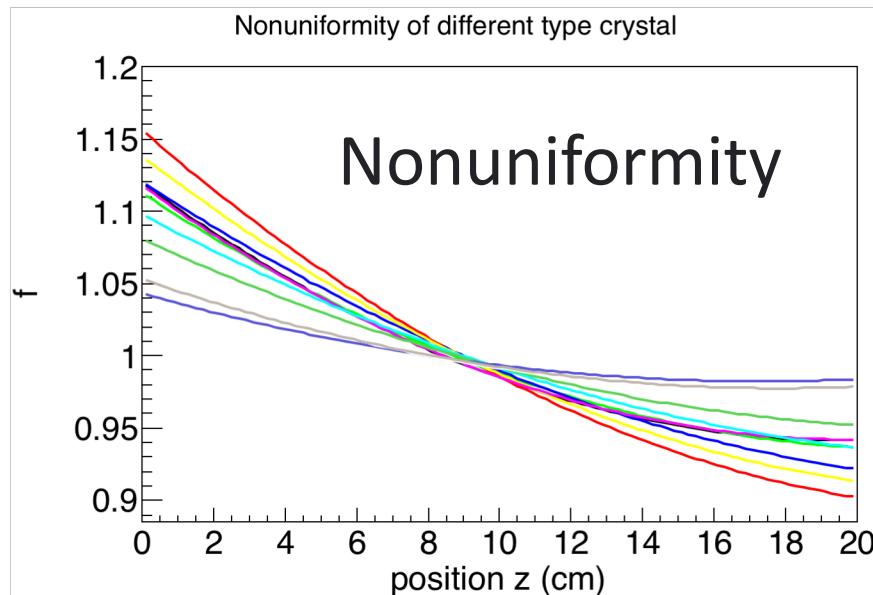
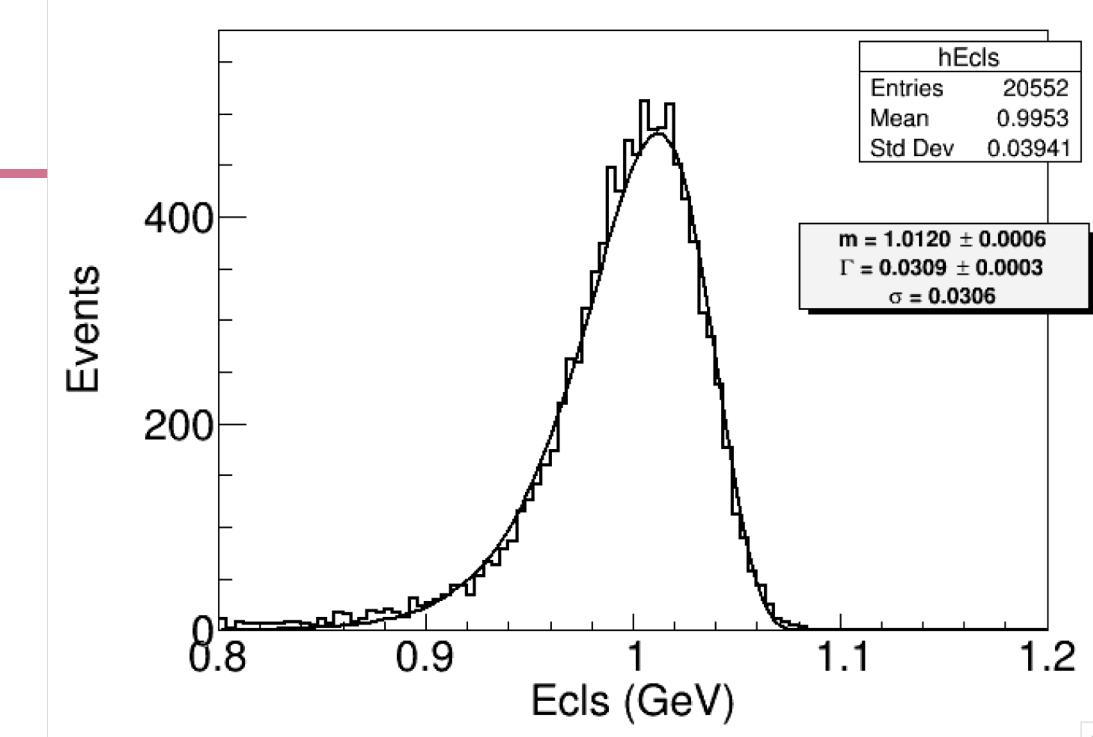


Figure 7.8: Summary of the expected dead space between calorimeter elements.



Energy calibration

TDR

$$E_{\gamma,\text{cor}} = E * f(\ln E, \Theta) \text{ with}$$

$$\begin{aligned}f(\ln E, \Theta) = & \exp(a_0 + a_1 \ln E + a_2 \ln^2 E + a_3 \ln^3 E \\& + a_4 \cos(\Theta) + a_5 \cos^2(\Theta) + a_6 \cos^3(\Theta) \\& + a_7 \cos^4(\Theta) + a_8 \cos^5(\Theta) \\& + a_9 \ln E \cos(\Theta))\end{aligned}$$

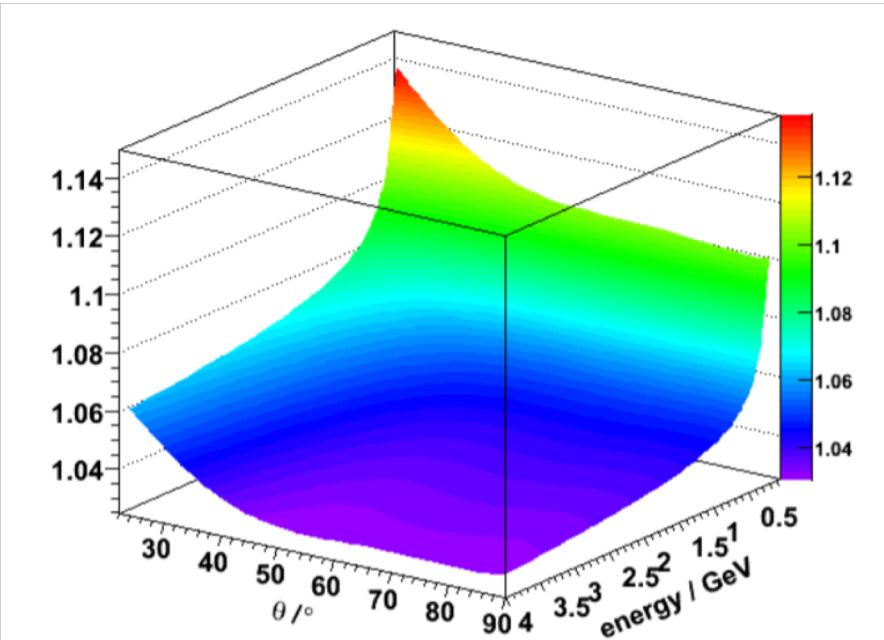
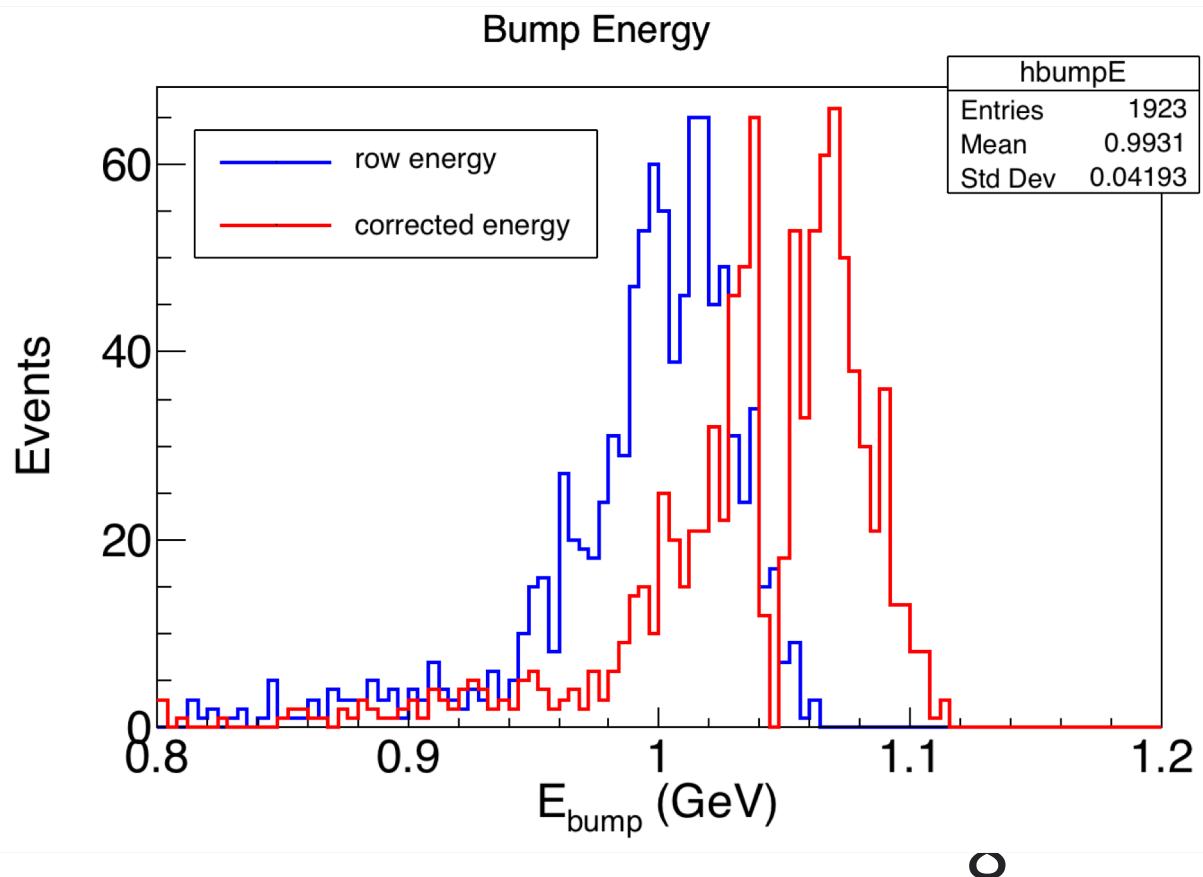


Figure 9.3: Leakage correction function for the barrel EMC in the Θ range between 22° and 90° .

In PandaRoot

```
double eout1=e* exp(factor1); // factor123 are from  
double eout2=e* exp(factor2); // TDR but diff par  
double eout3=e* exp(factor3);
```



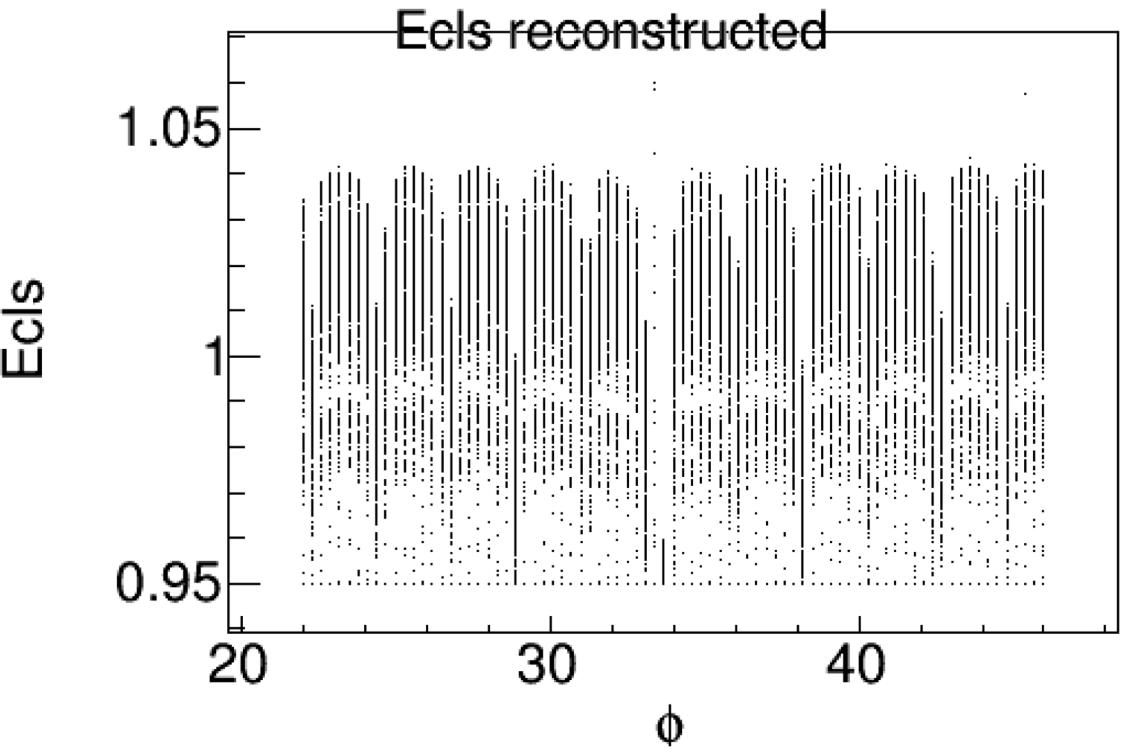
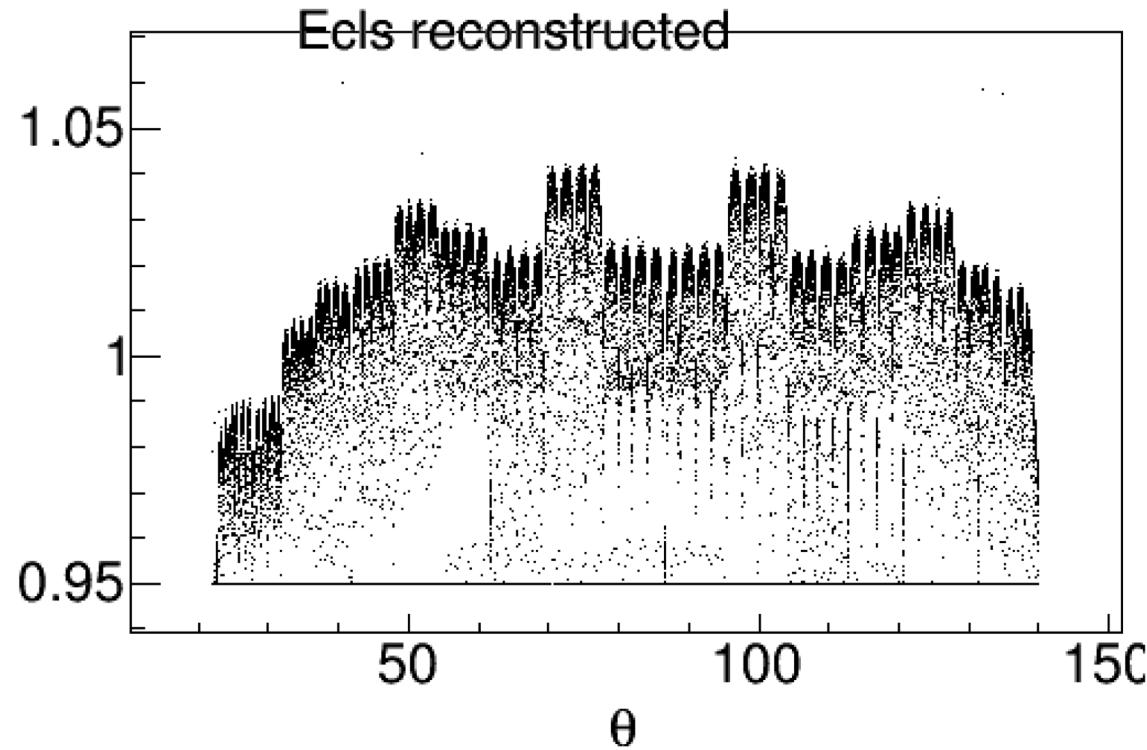
Energy calibration

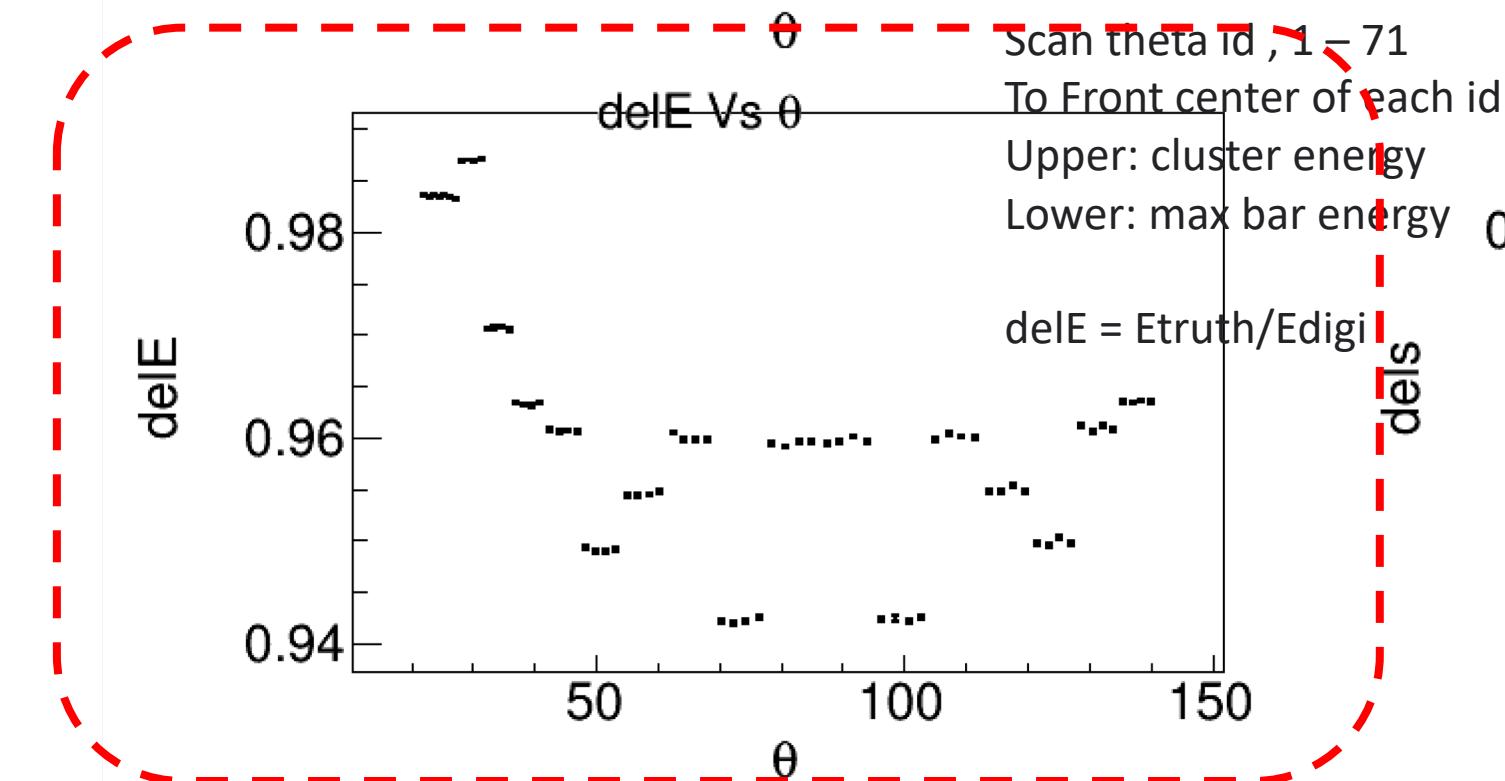
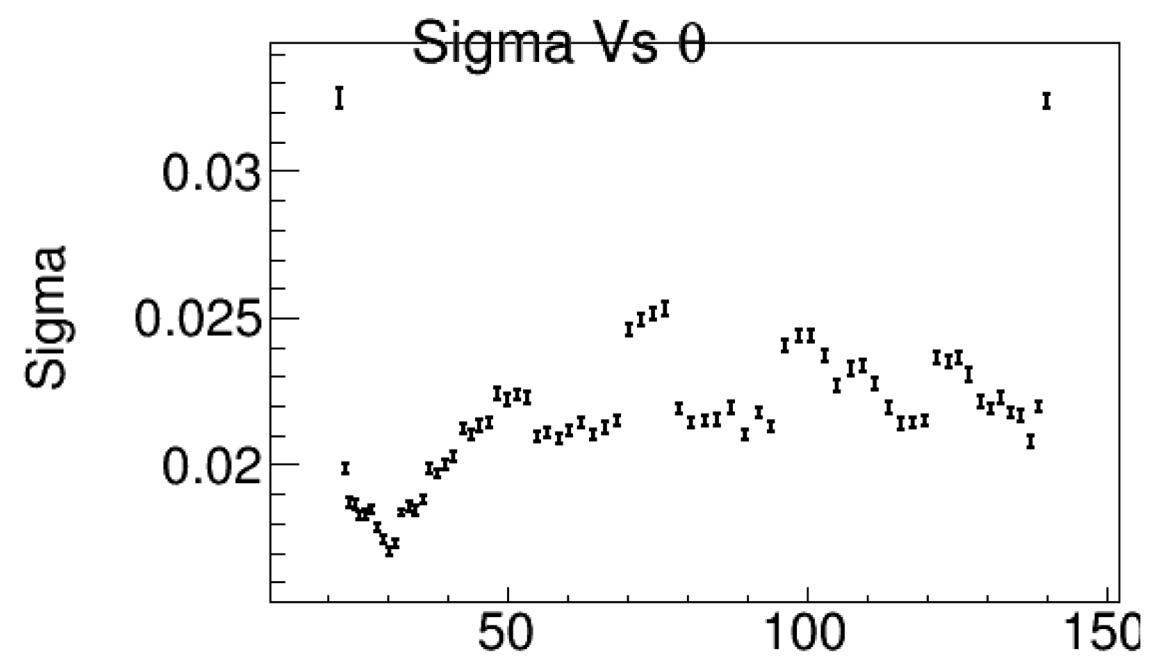
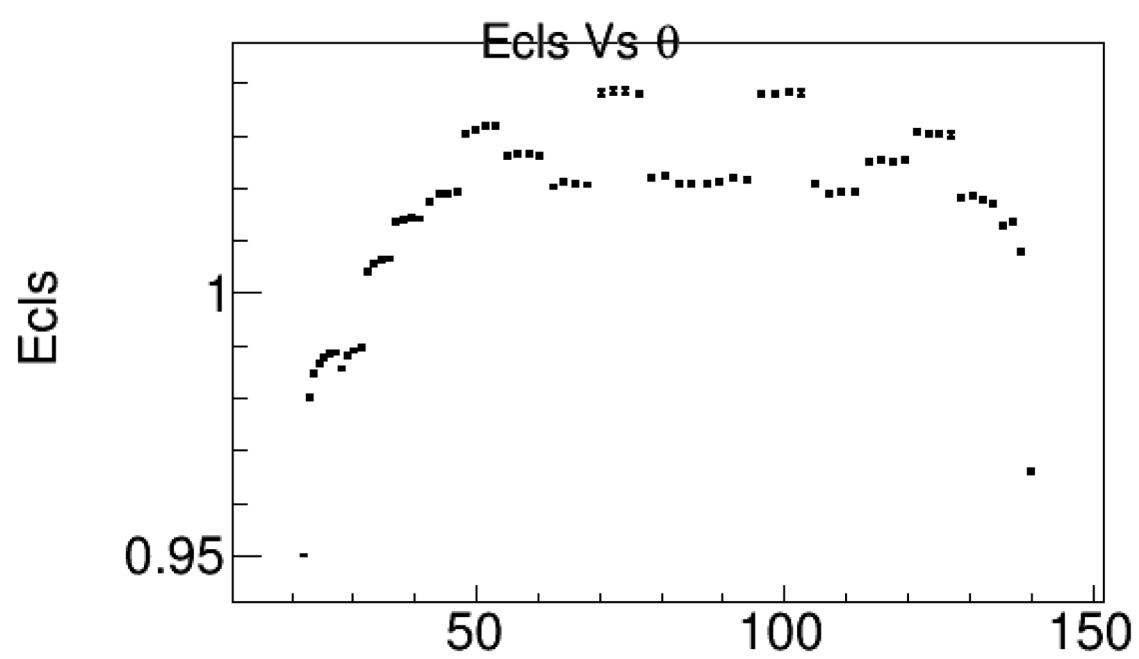
Plan

- Firstly, crystal calibraton
- Then, bump correction
 - $C = f(E_{crystal}, E_{bump}, E_1/E_9, r, moment, \theta, \dots)$
- Front material?
- monitor temperature, not by us

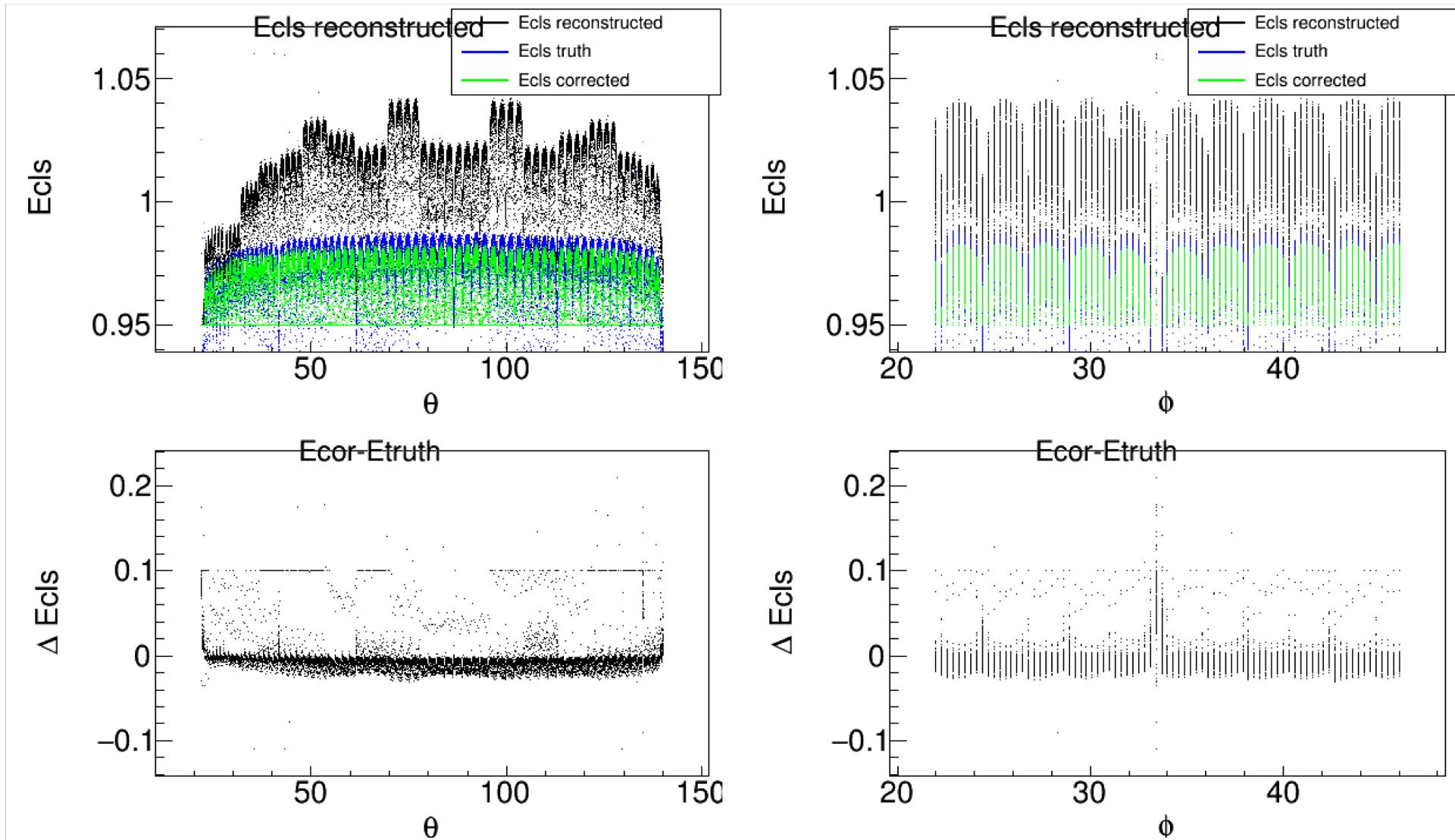
Energy calibration

Scan theta and phi, one slice,
 $E\gamma = 1 \text{ GeV}$
theta: 22 – 140, 0.3 per sample
phi: 22-46, 0.3 per sample
1000 events per sample
> 30 k samples





Energy calibration: correction based on crystal type



Energy calibration

Scan theta and phi, one slice,

$E\gamma = 1 \text{ GeV}$

theta: 22 – 140, 0.3 per sample

phi: 22-46, 0.3 per sample

1000 events per sample

> 30 k samples

For each crystal

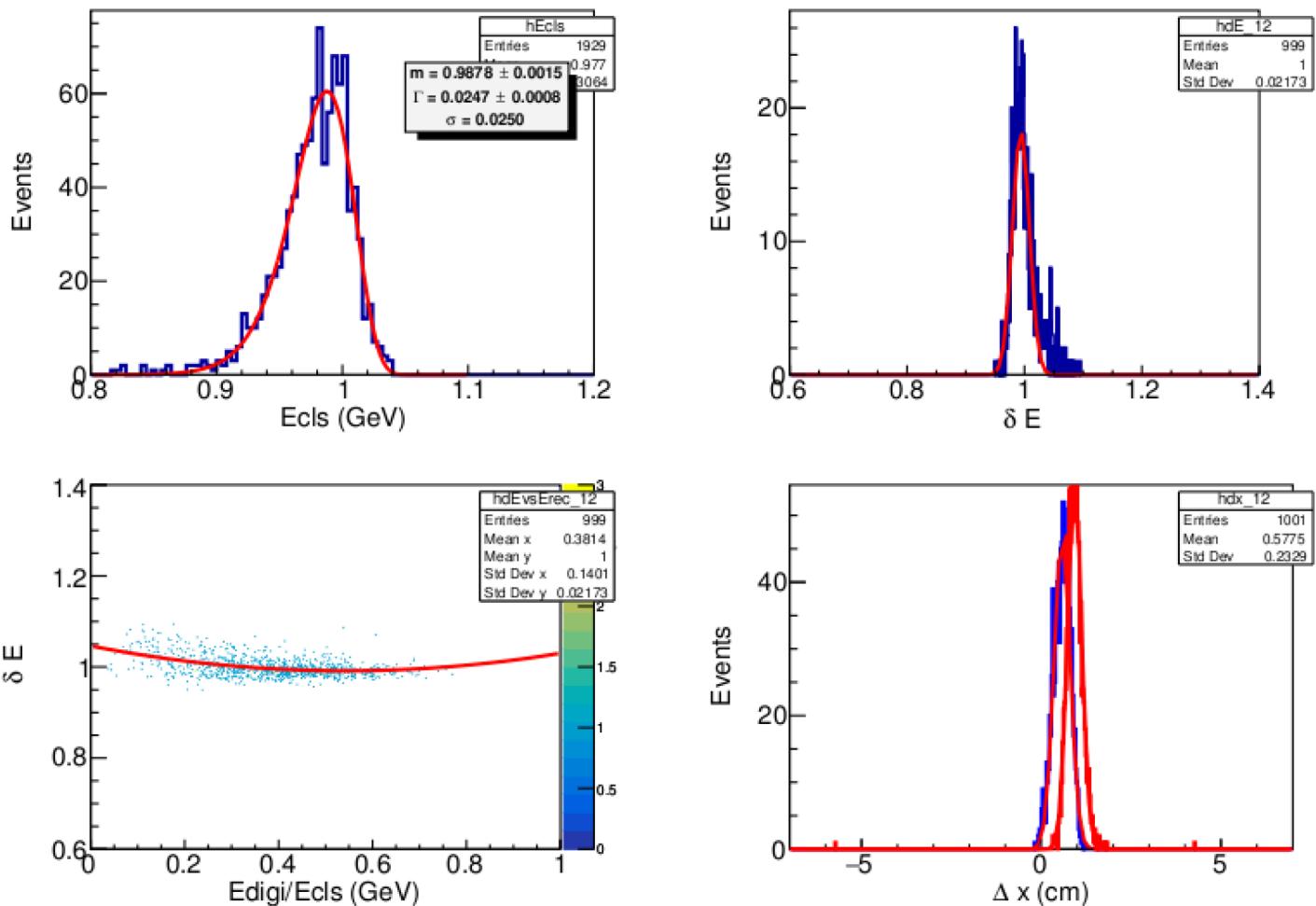
$$f = a + bx + cx^2$$

f Vs θ, ϕ

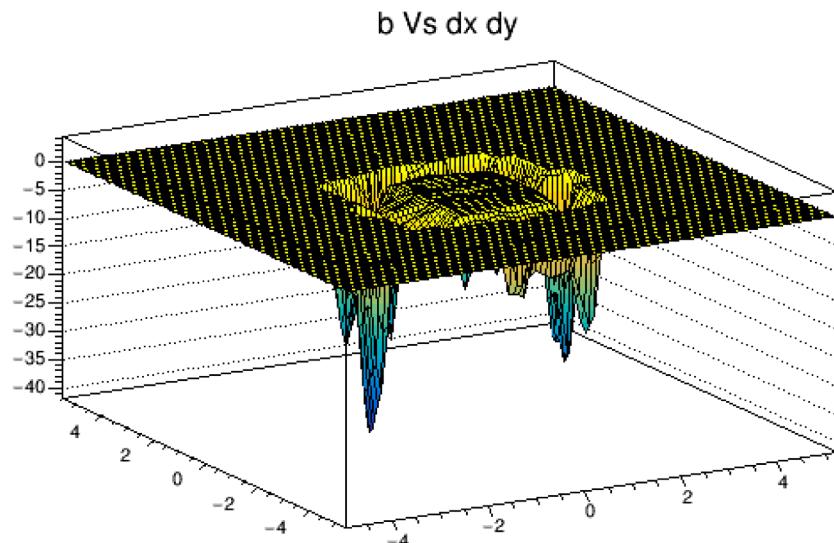
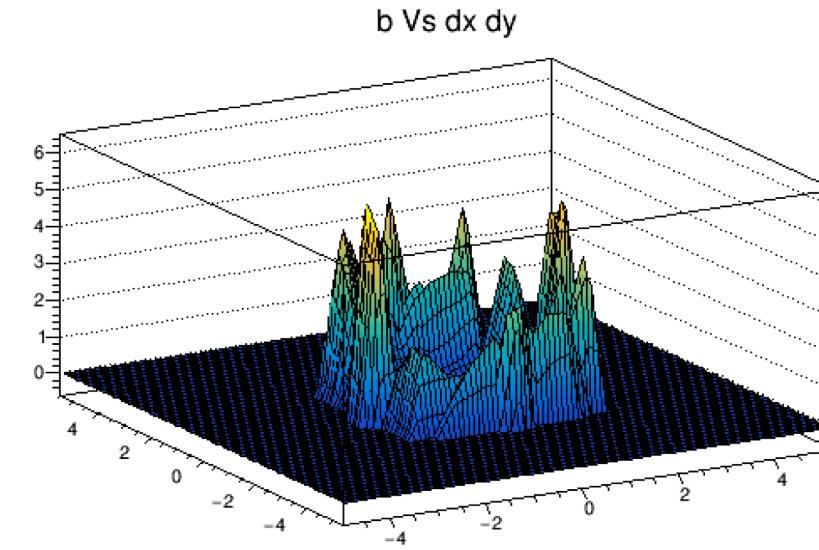
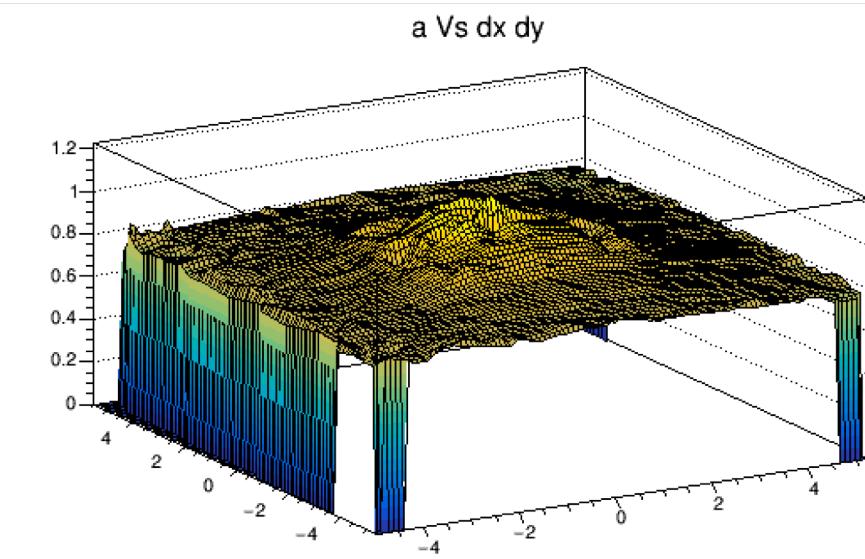
a, b, c Vs θ, ϕ

$$\delta E = E_{\text{truth}}/E_{\text{dig}}$$

Example for crystal 12815008,
with γ git at $\theta=37.6, \phi=40.3$



Energy calibration



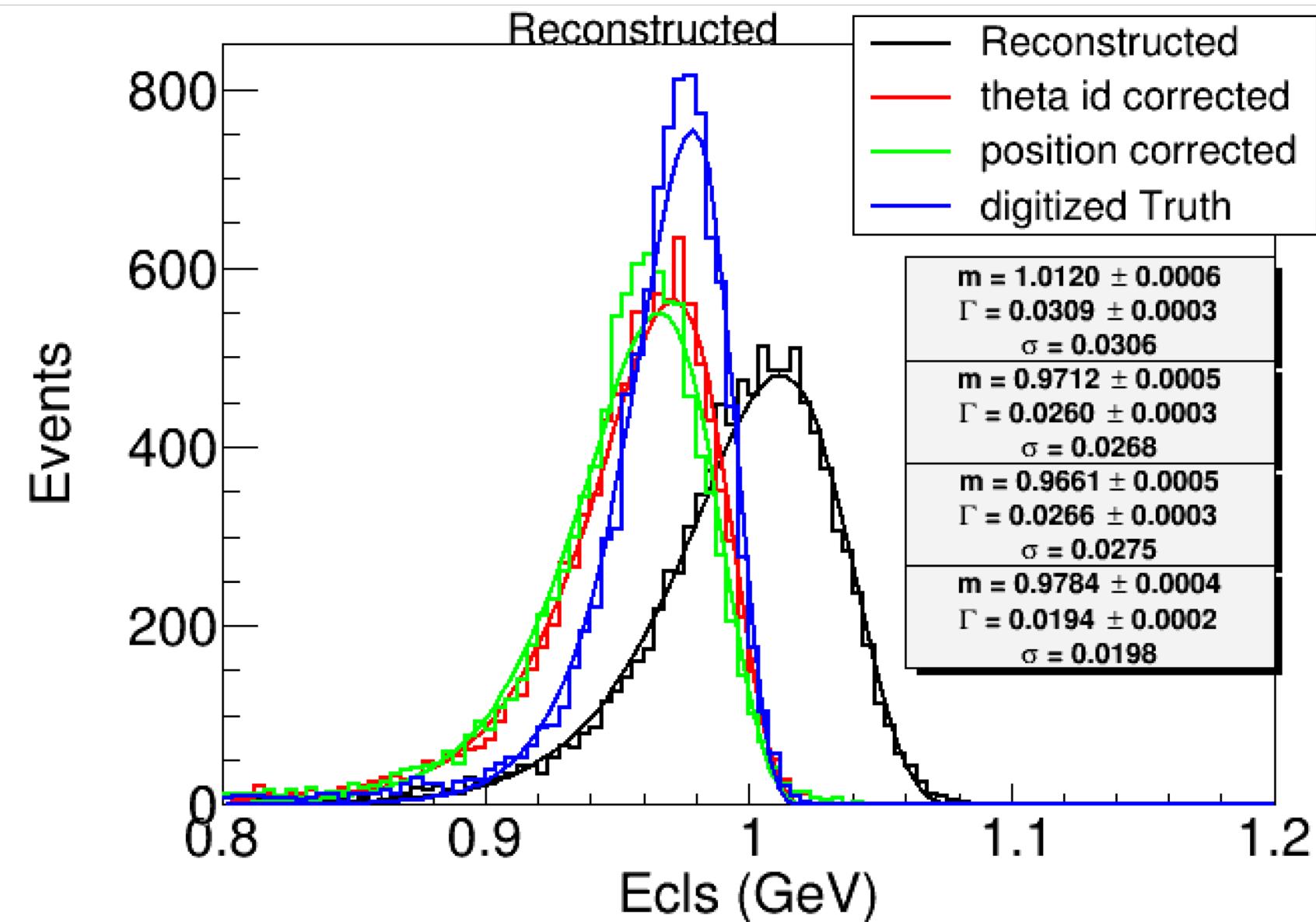
Example for crystal 12815008,
with γ git at $\theta=37.6$, $\phi=40.3$

$$f = a + bx + cx^2$$

$a, b, c \text{ Vs } \theta, \phi$

Energy calibration

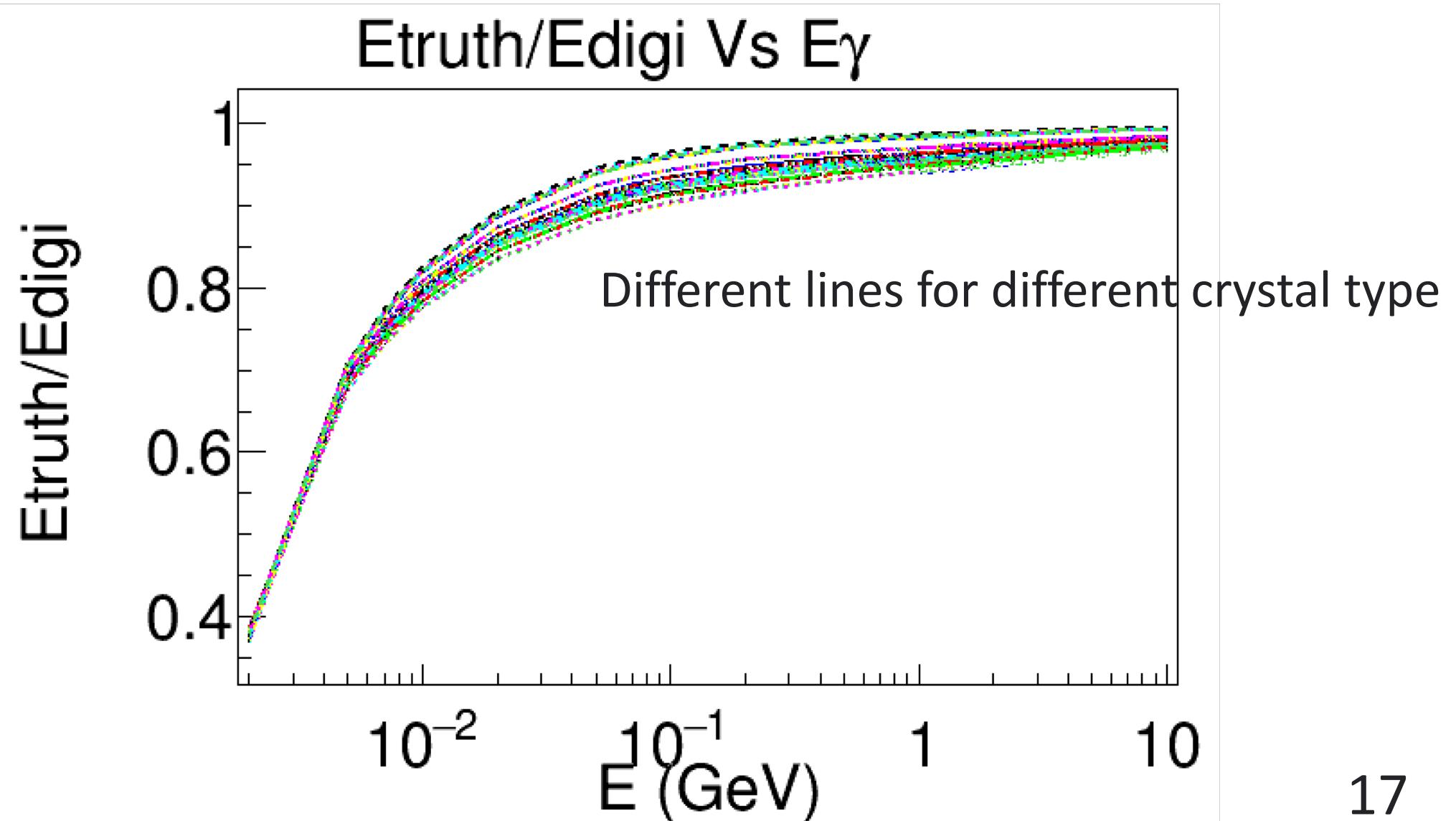
Test sample



Energy calibration: Status and Plan

- Status: Calibration on each crystal
 - Crystal type related correction
 - Position and energy related correction
- Plan
 - Consider energy relation for crystal type correction
 - Cluster energy leakage correction, in dead area and at rear
 - Nonuniformity correction
 - MVA or ML for energy correction

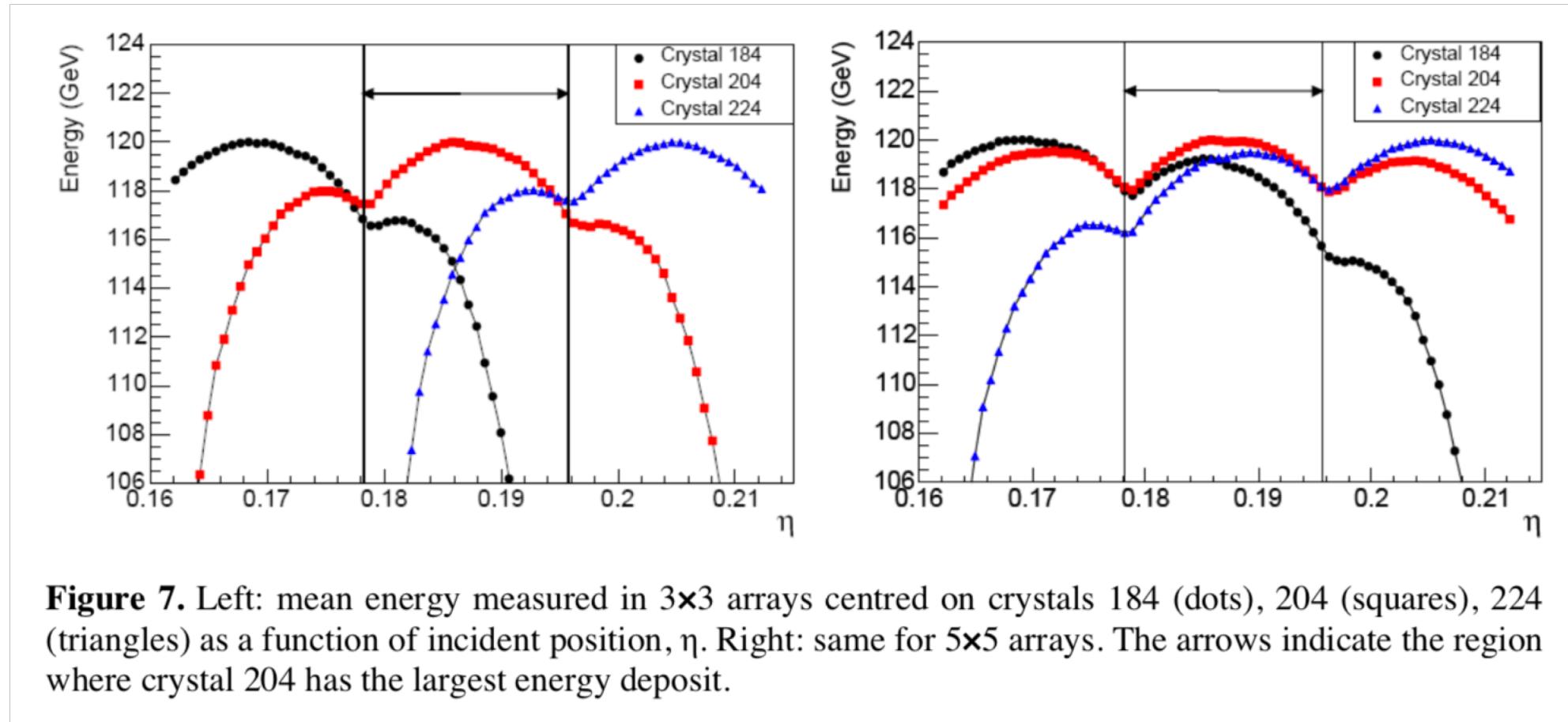
Energy calibration: fdigi Vs Ecluster



Energy calibration: correction for leakage in dead area

Based on i theta correction

2007 JINST 2 P04004



Energy calibration: correction for leakage in dead area

Based on i theta correction

2007 JINST 2 P04004

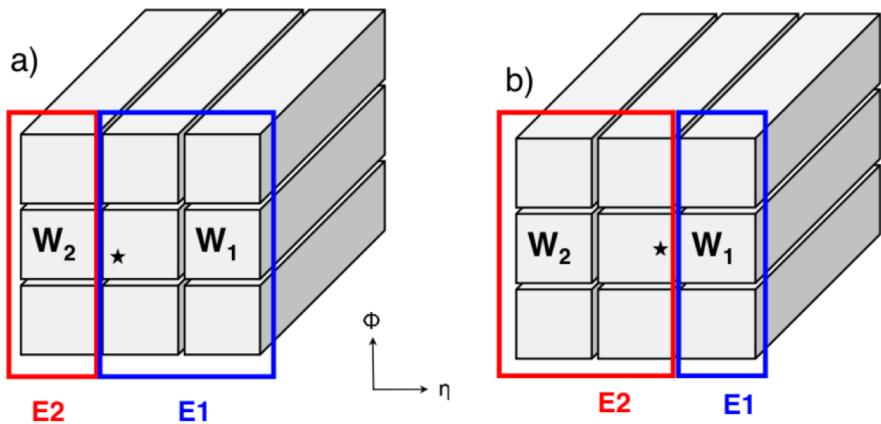


Figure 8. Definition of E_1 and E_2 when a) $W_1 < W_2$ and b) $W_1 > W_2$ (see text). The star represents the electron's incident position.

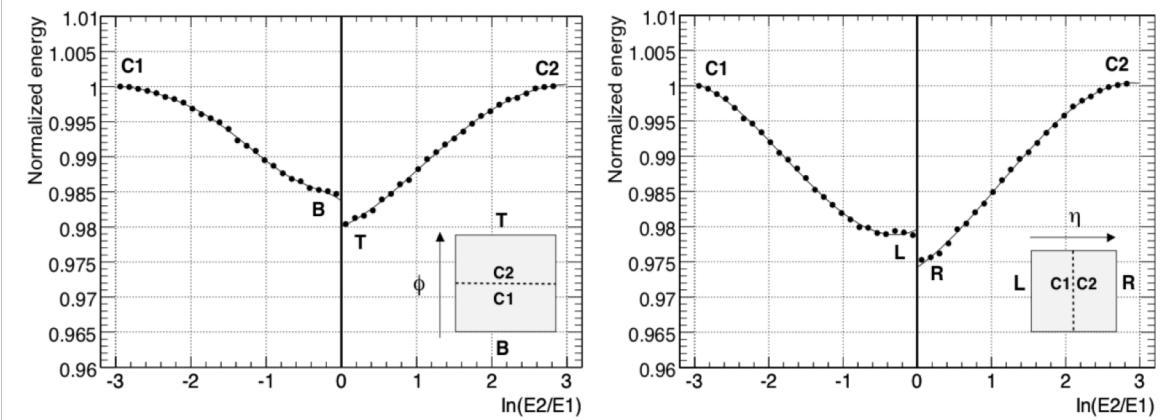


Figure 10. Normalized mean energy measured in the 3×3 array around crystal 204 versus $\ln(E_2/E_1)$ in the Φ (left) and η (right) directions. The curves are 3rd order polynomial functions fitted to the measured distributions, independently for positive and negative values of $\ln(E_2/E_1)$. The square panels represent the central crystal with various regions indicated: T (top), B (bottom), L (left), R (right) and C1 and C2 (just off centre on each side). The labels on the distributions indicate in which region the electrons were incident.

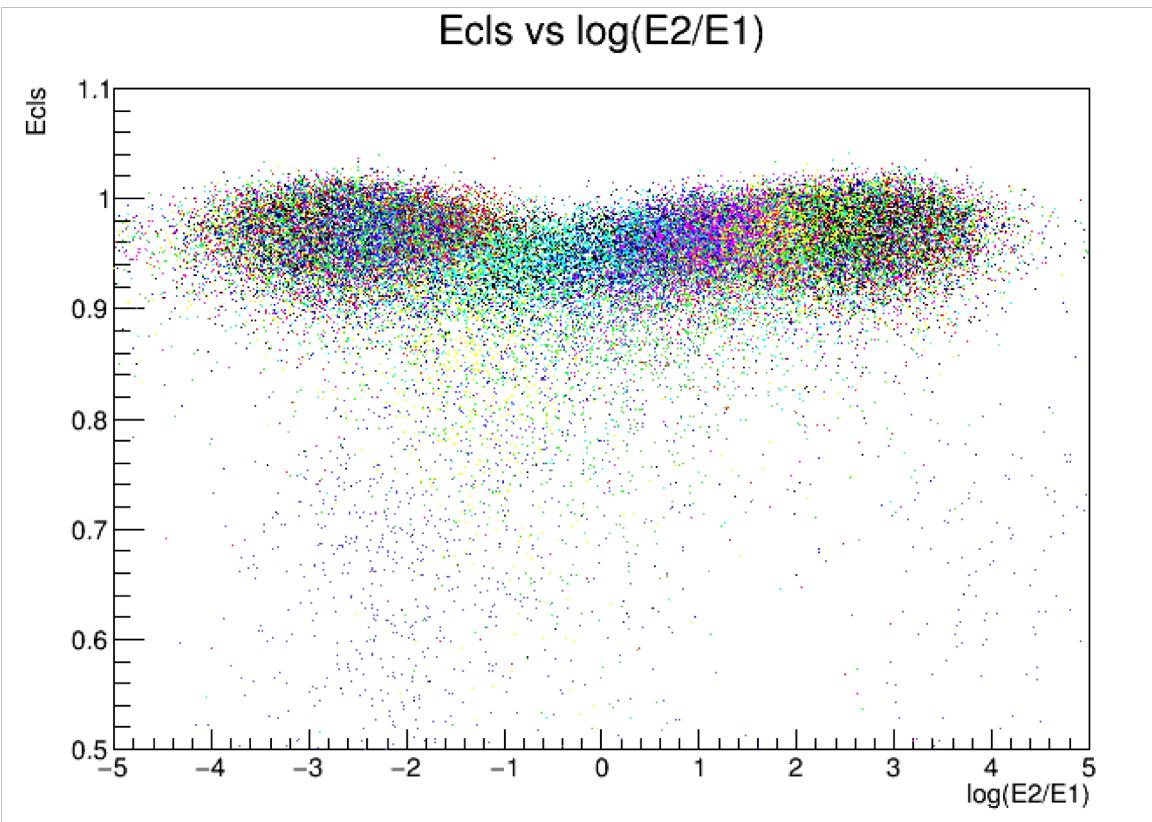
For theta and phi, the definitions of E_1 and E_2 are in different direction

Energy calibration: correction for leakage in dead area

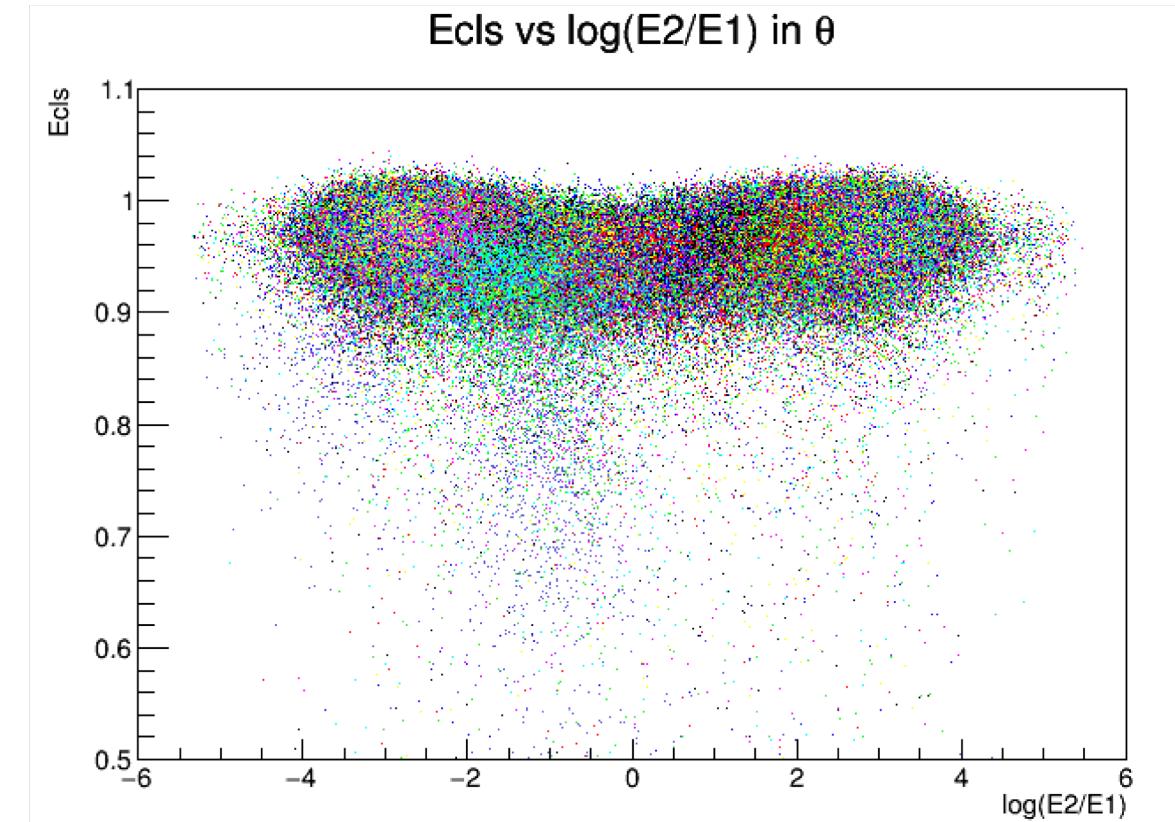
Based on $i\theta$ correction

For $\theta=49.9$

One color corresponding to one sample



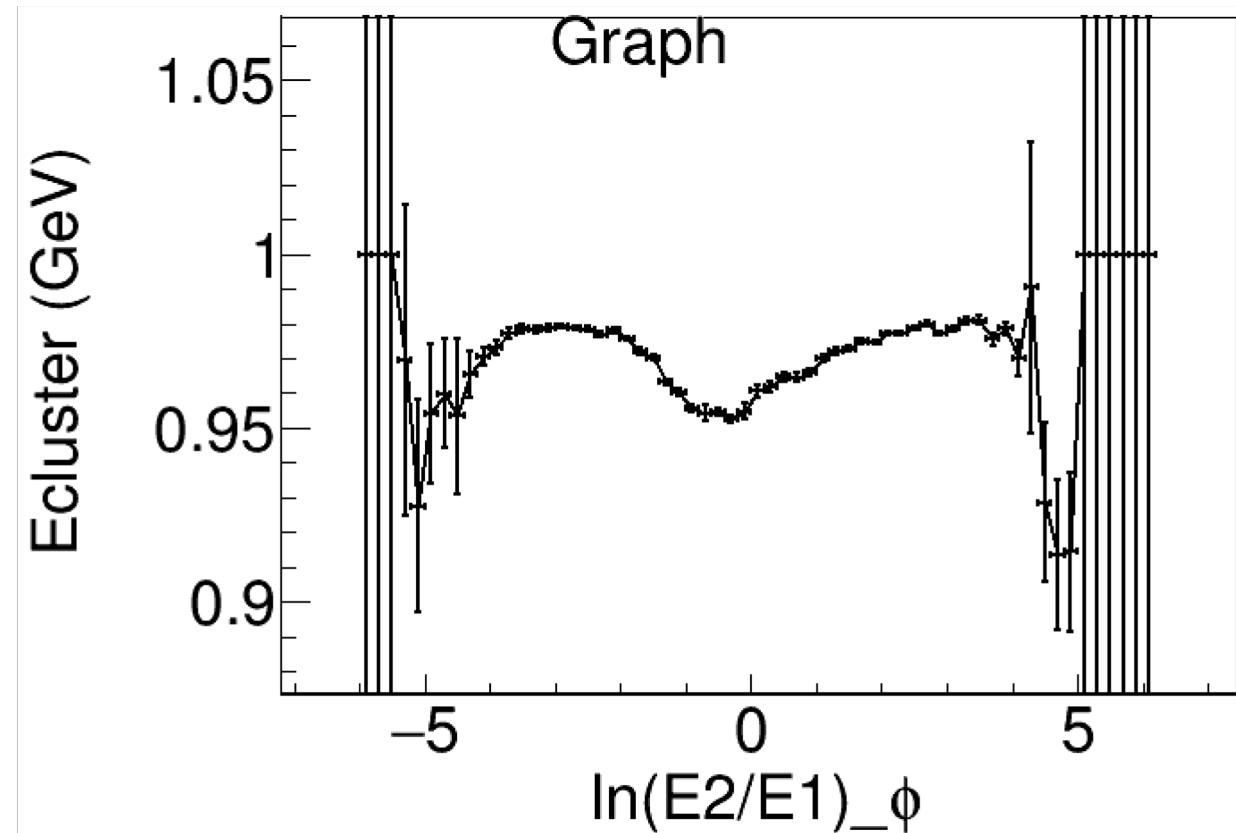
For $\phi=30.1$



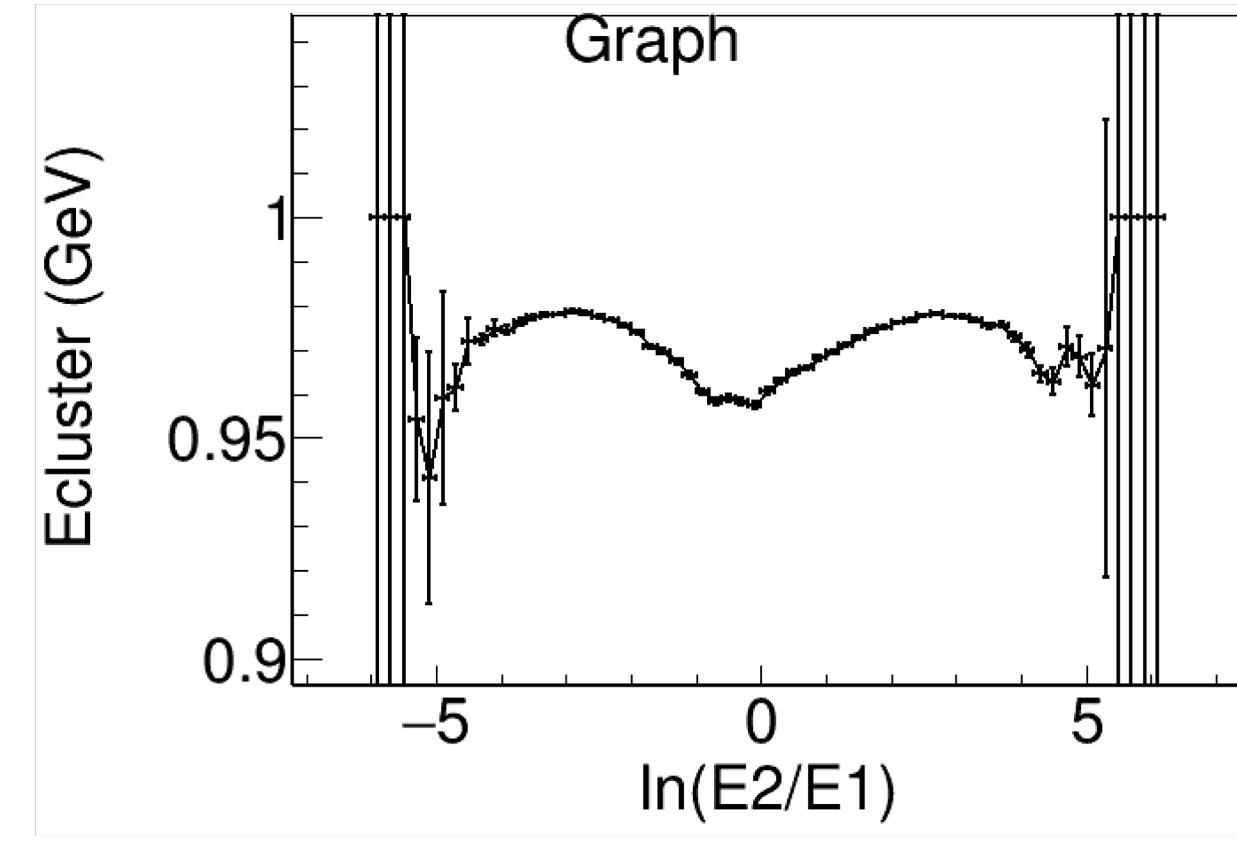
Energy calibration: correction for leakage in dead area

Based on i theta correction

For $\theta=49.9$

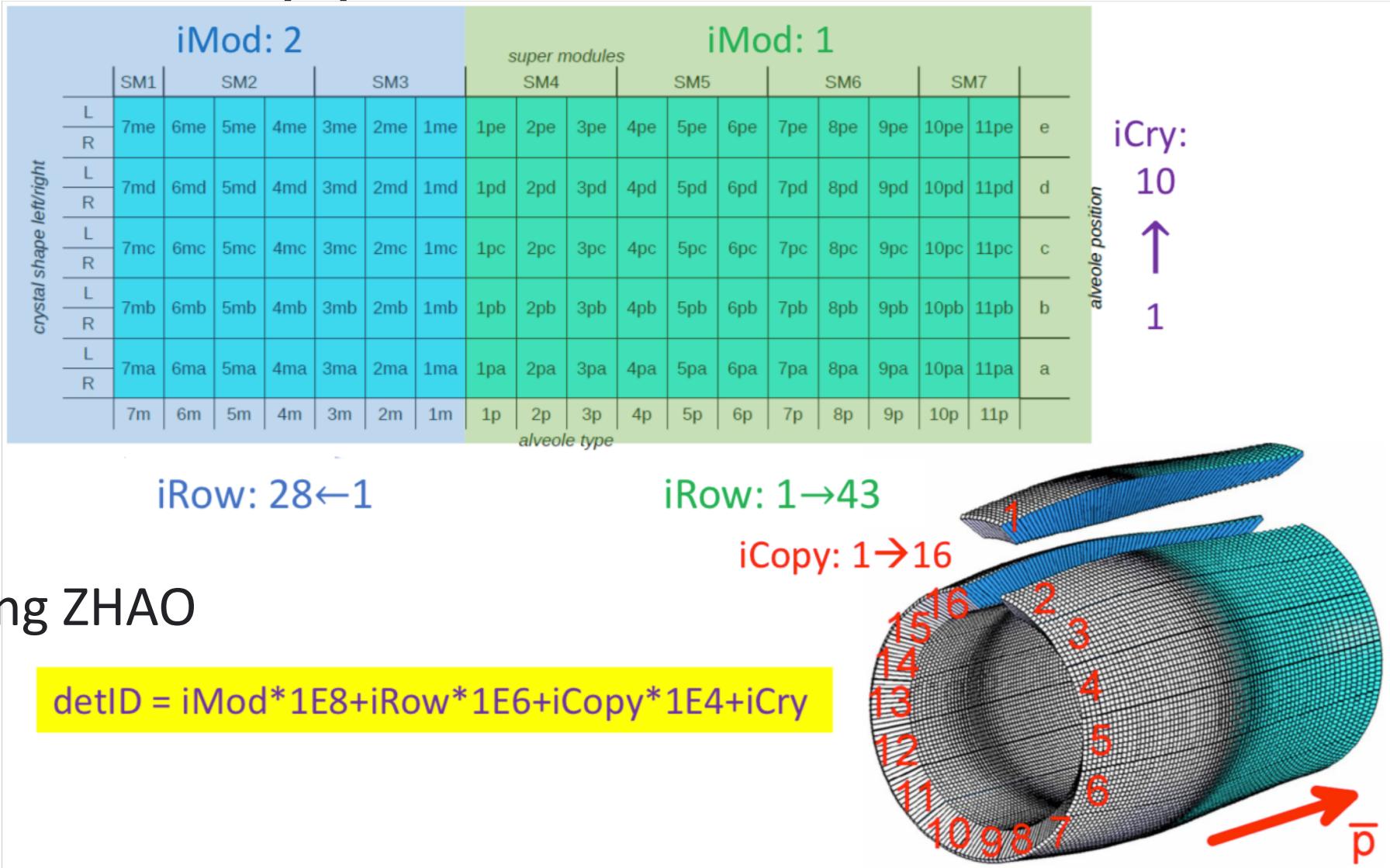


For $\phi=30.1$



Energy calibration: correction for leakage in dead area

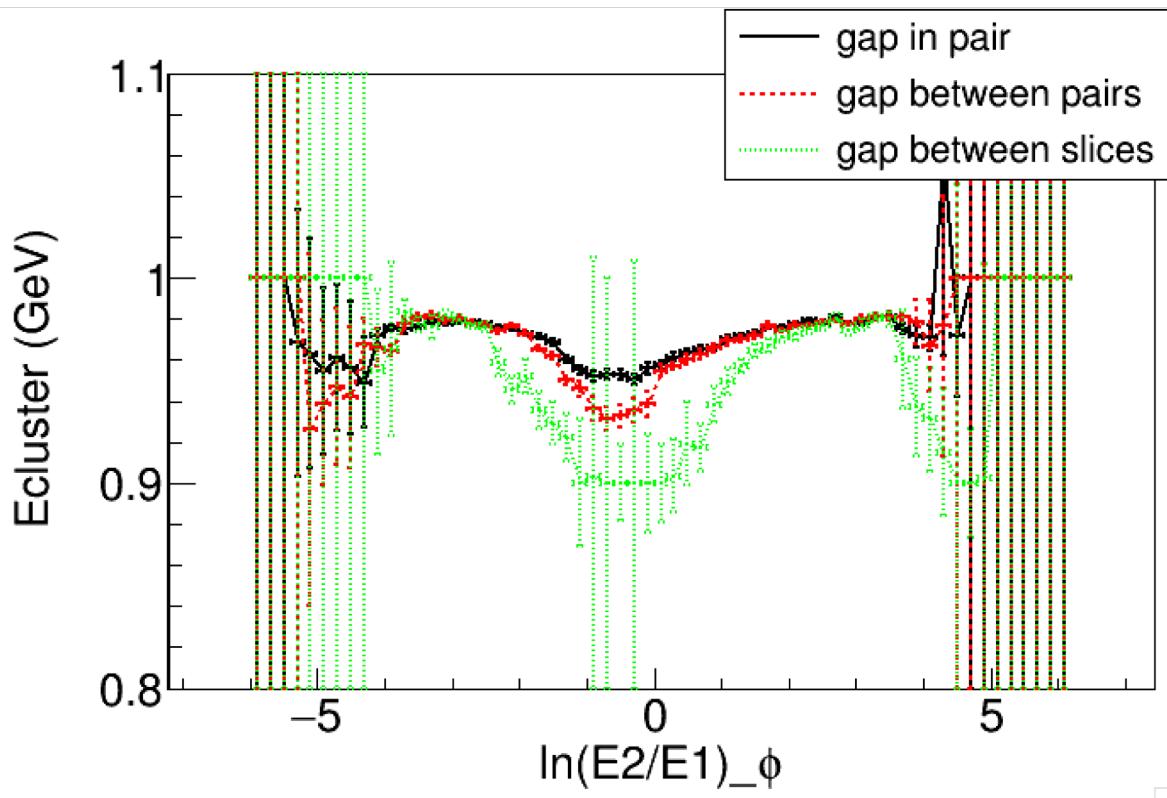
For different qaps



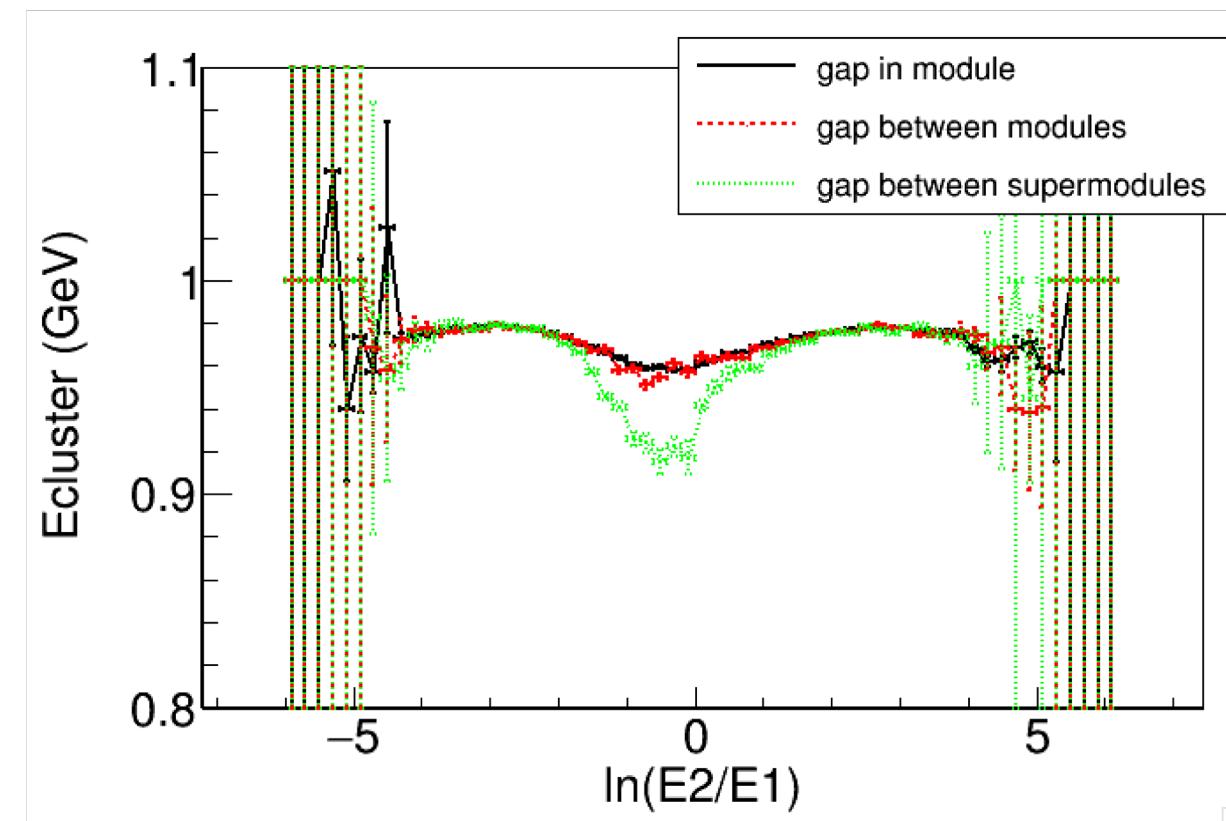
Energy calibration: correction for leakage in dead area

For different gaps

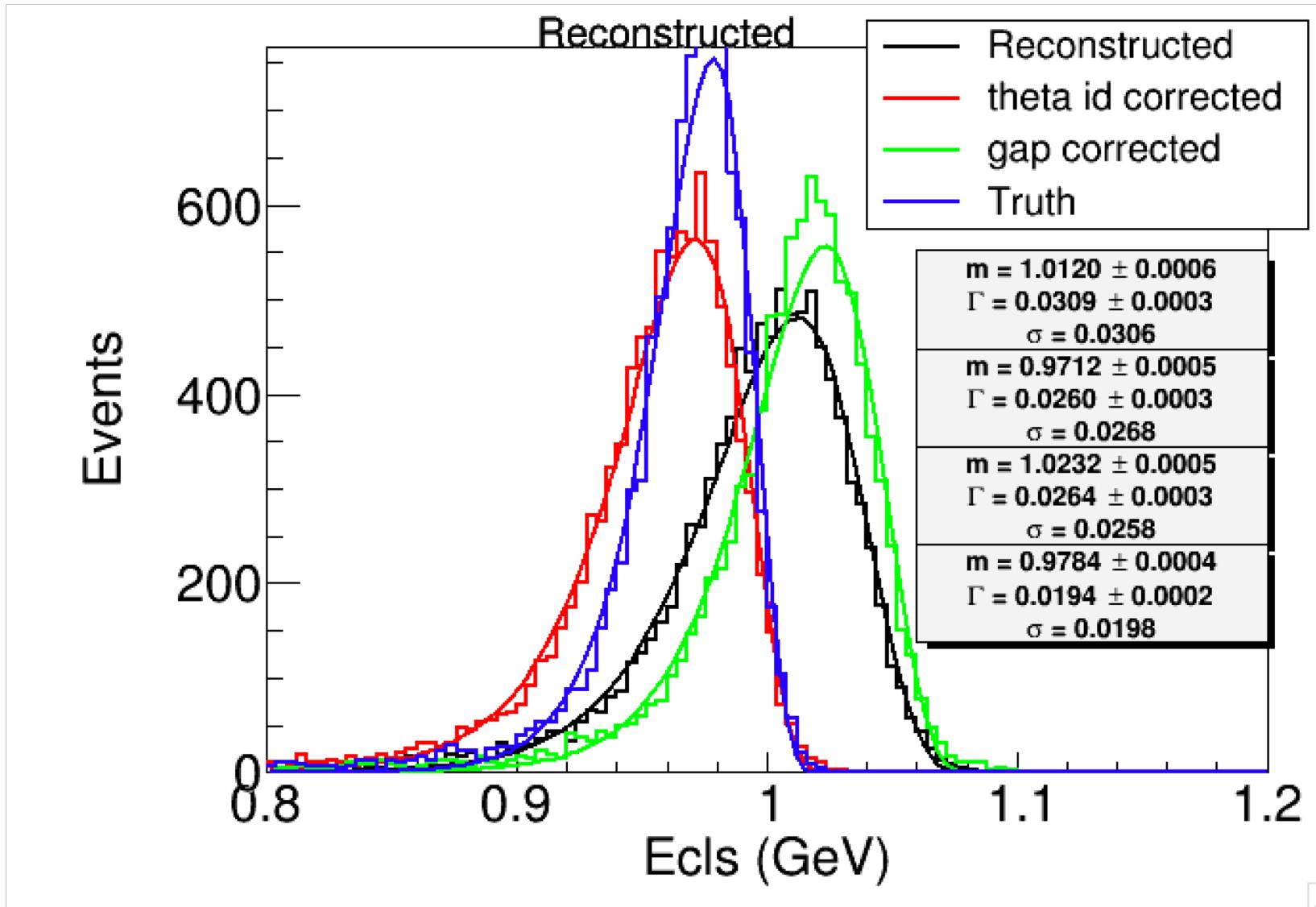
For $\theta=49.9$, $\ln(E2/E1)$ in phi direction



For $\phi=30.1$

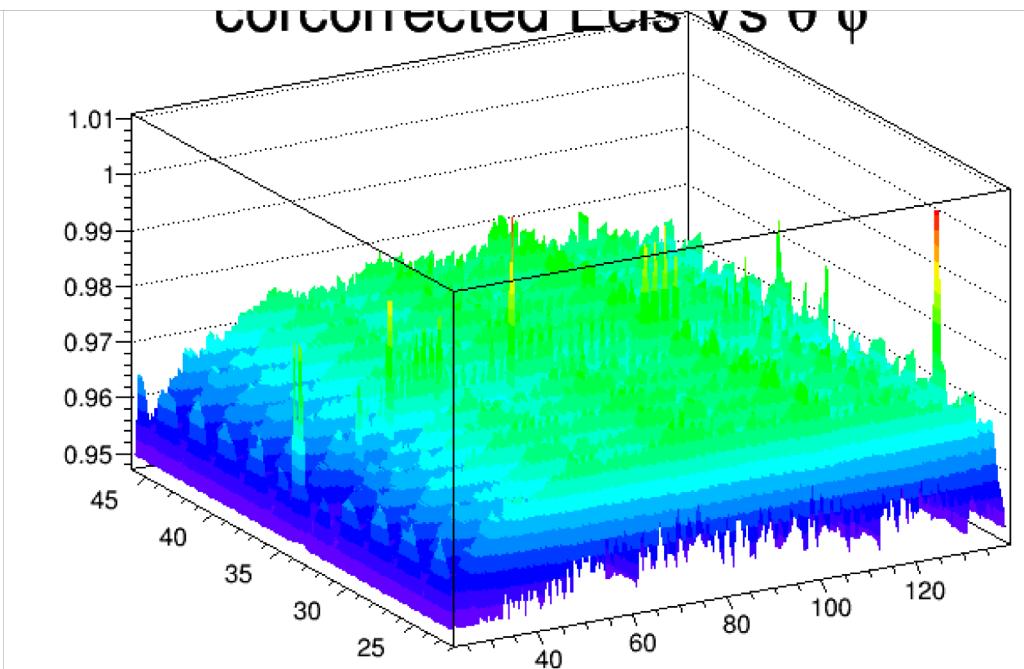
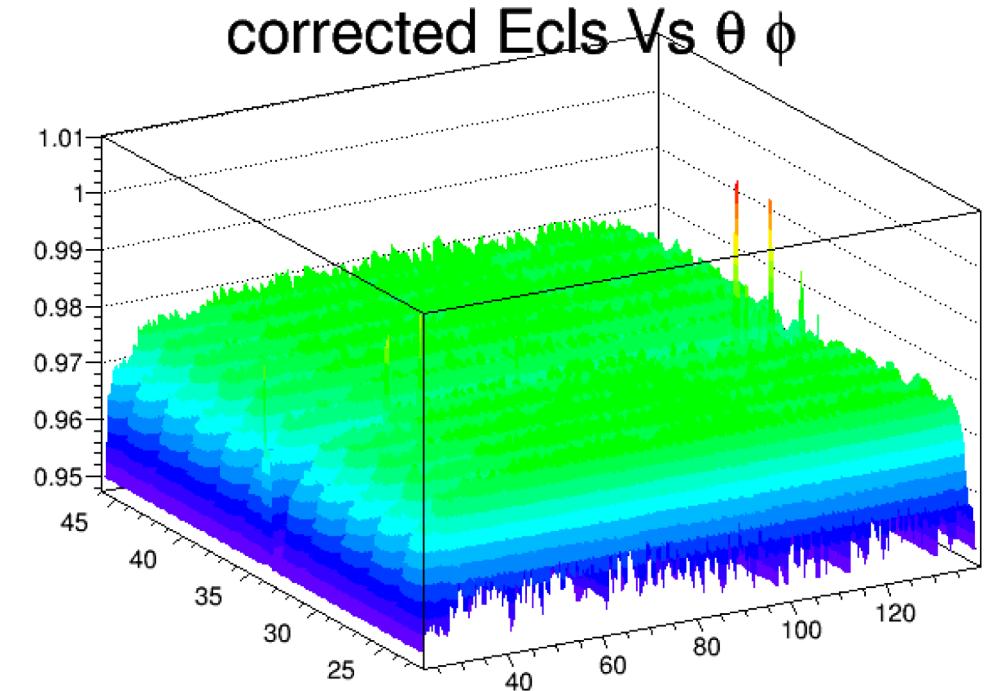
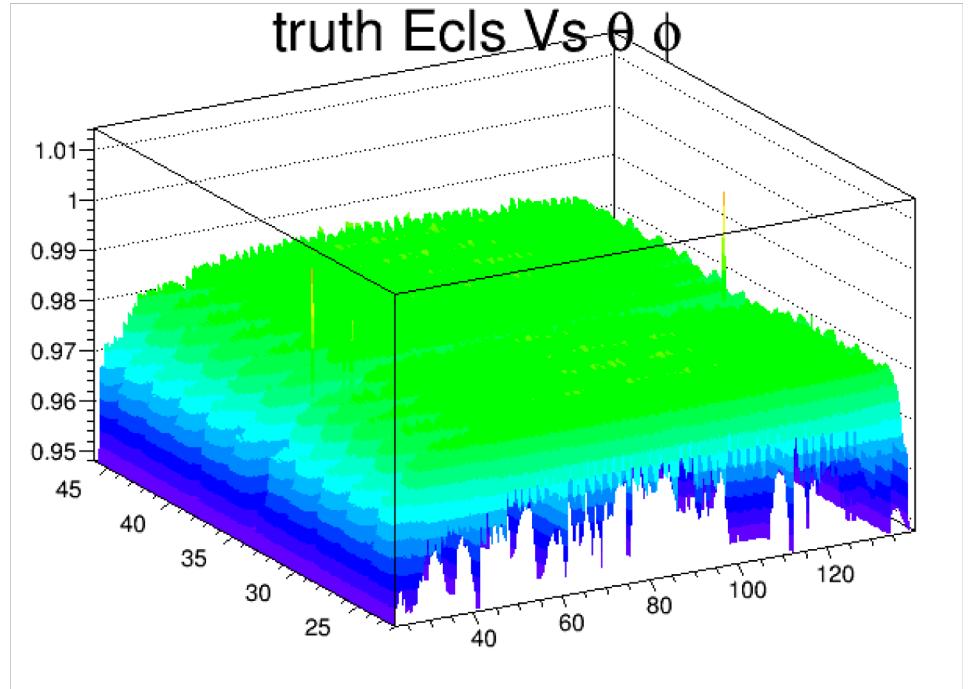


Energy calibration: correction for leakage in dead area



Energy calibration: Status and Plan

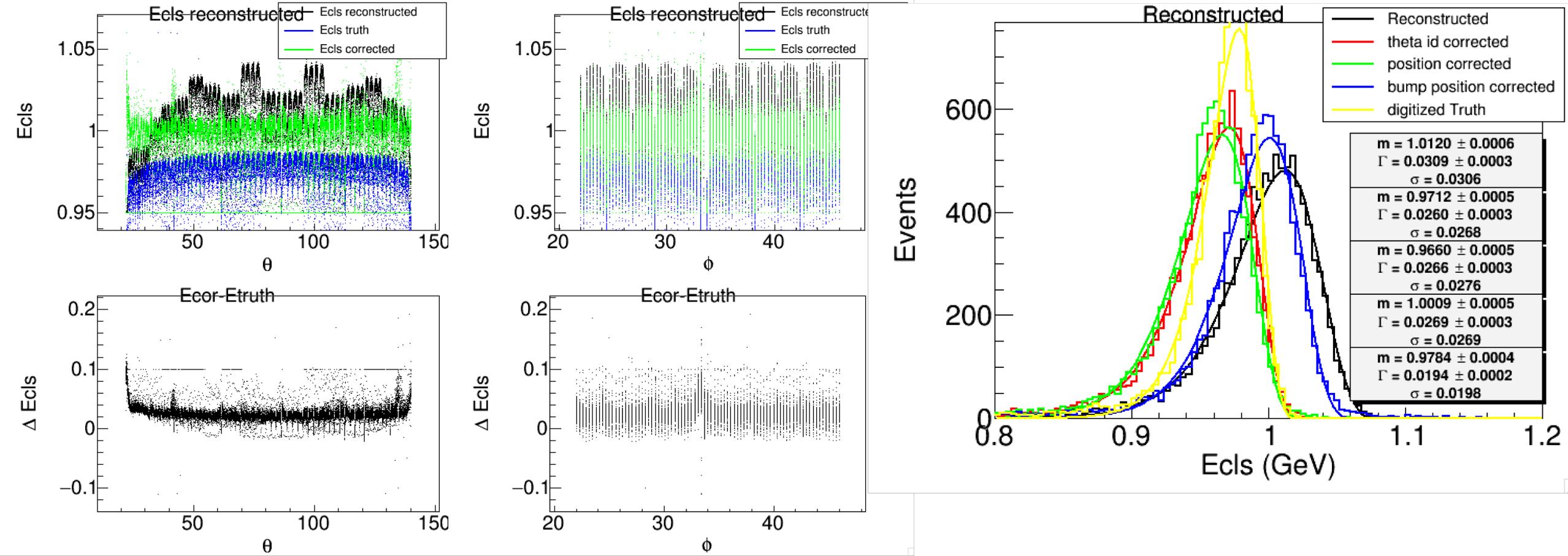
- Status: Calibration on each crystal
 - Crystal type related correction
 - Position and energy related correction
 - energy relation for crystal type correction
 - Cluster energy leakage correction, in dead area and at rear
- Plan
 - Nonuniformity correction
 - MVA or ML for energy correction



Problems:

For scan sample, position uncertainty
affect the result

Energy calibration: correction base on bump position

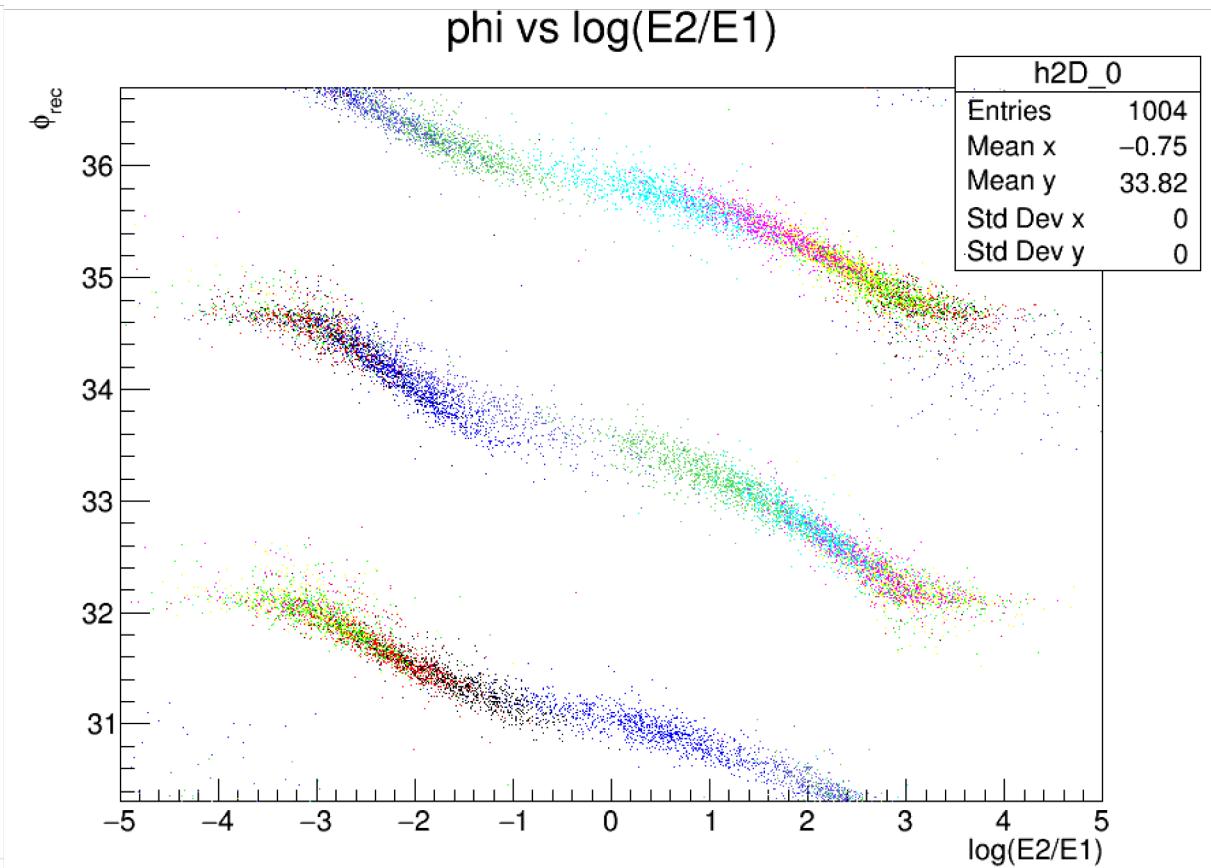
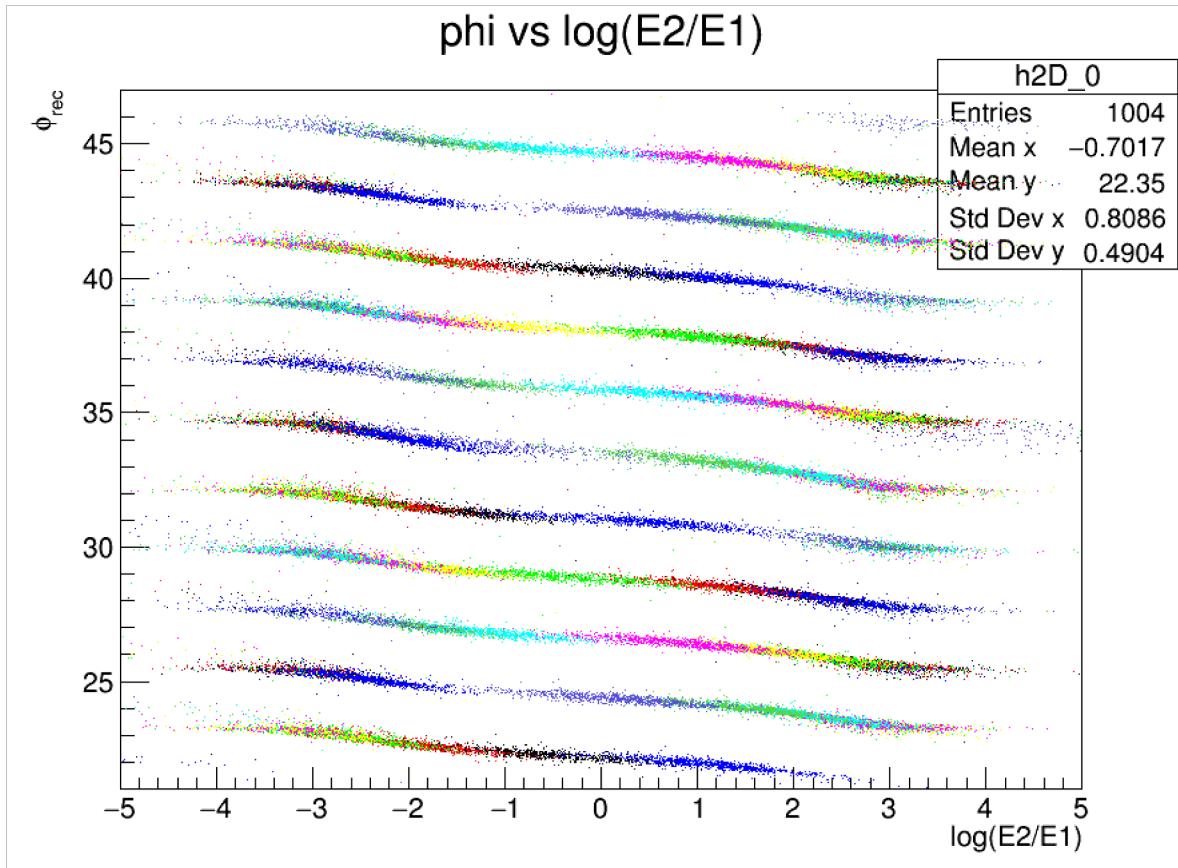


Position calibration

Position calibration Based on i theta correction

For $\theta=49.9$

One color corresponding to one sample



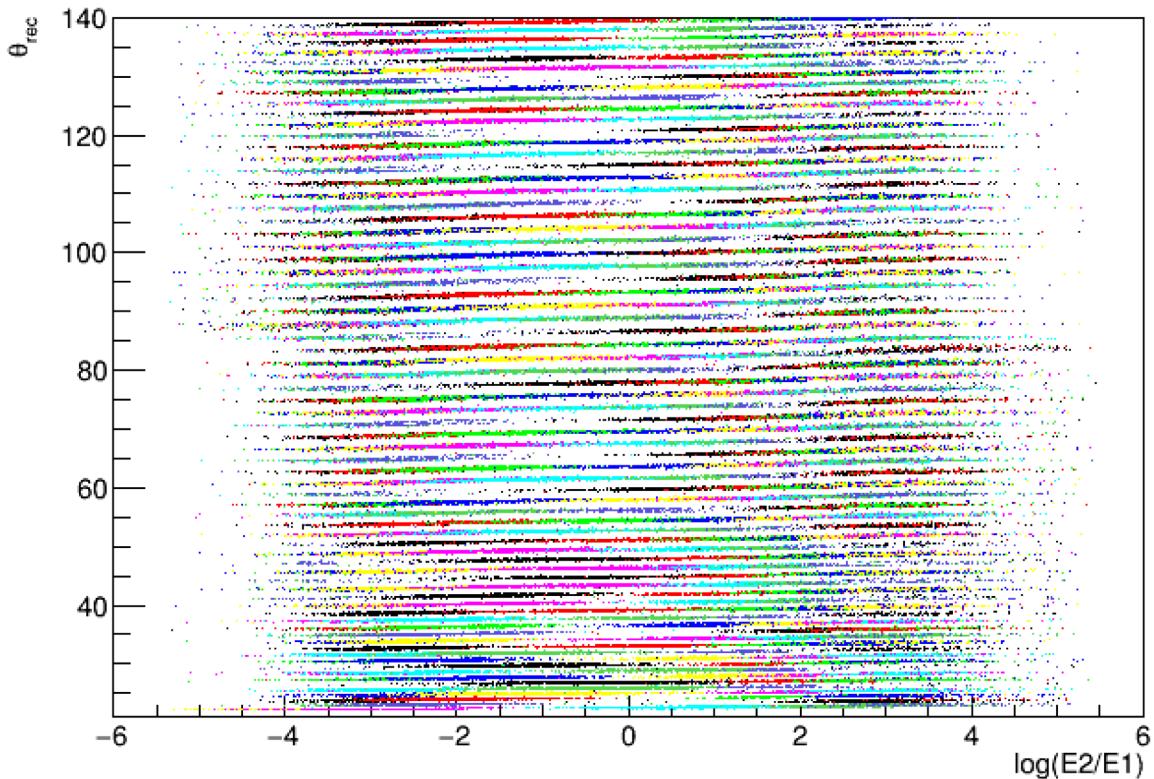
Position calibration

Based on i theta correction

For $\phi=30.1$

One color corresponding to one sample

θ vs $\log(E2/E1)$



θ vs $\log(E2/E1)$

