

Weekly Updates

Ryuta

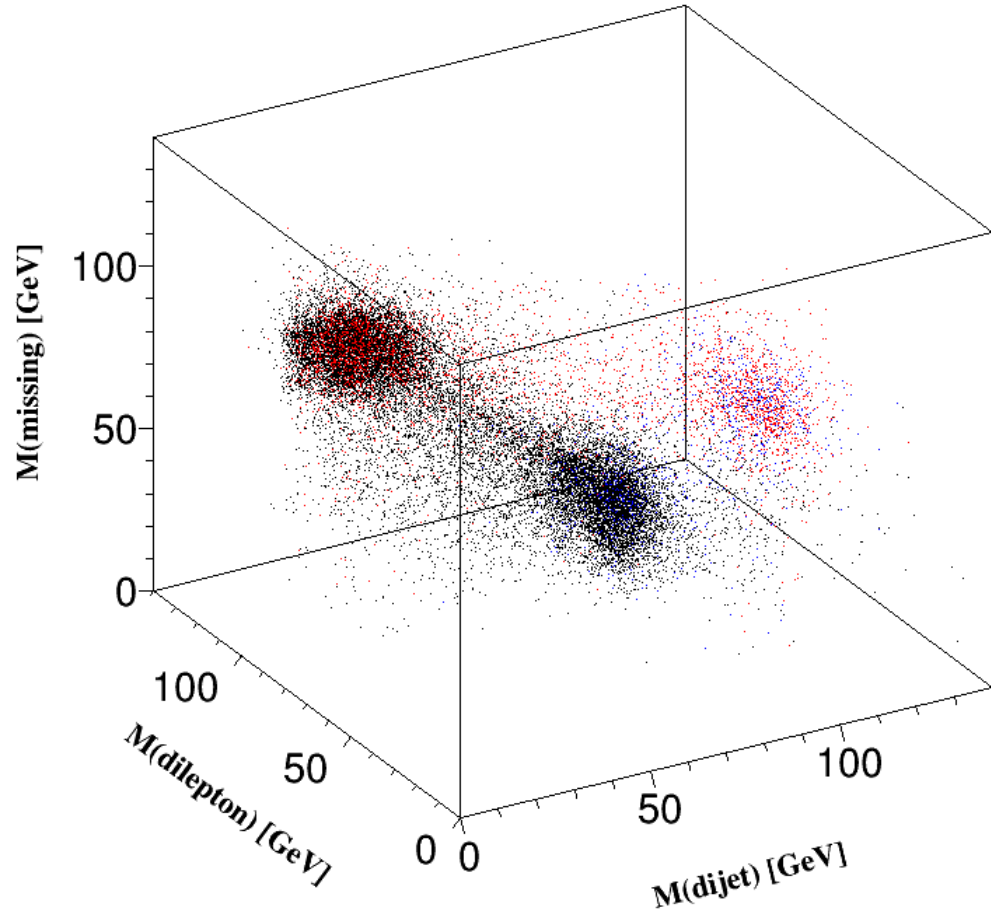
Jan. 16th 2020

Status

- $Z(->\nu\nu)H(Z->ee, Z^*->qq)$
 - Run with the same algorithm used in $Z(->ee)H(Z->\nu\nu, Z^*->qq)$
 - Currently obtained precision is very similar to $Z(->ee)H(Z->\nu\nu, Z^*->qq)$
- Preparation of a slide for coming WS
- In this slide,
 - Idea about the analysis

Phase space overlap

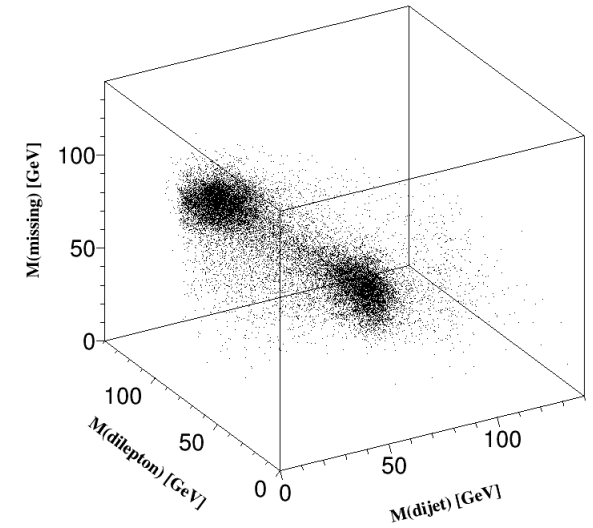
$$ee \rightarrow ZH \rightarrow ZH(ZZ^*)$$



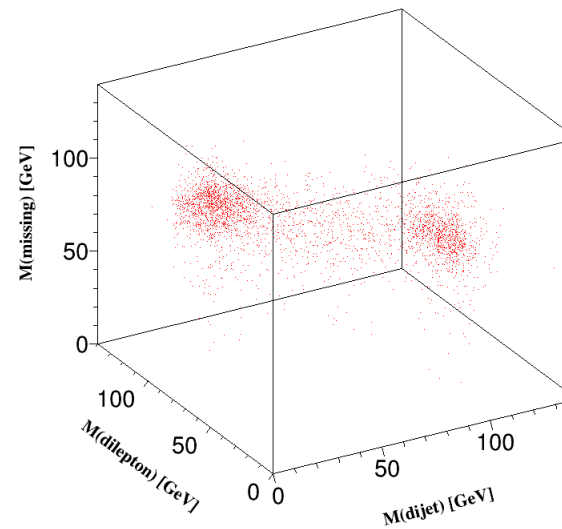
- $\mu\mu H\nu\nu qq$, $\nu\nu H\mu\mu qq$
- $\nu\nu Hqq\mu\mu$, $qqH\nu\nu\mu\mu$
- $qqH\mu\mu\nu\nu$, $\mu\mu Hqq\nu\nu$



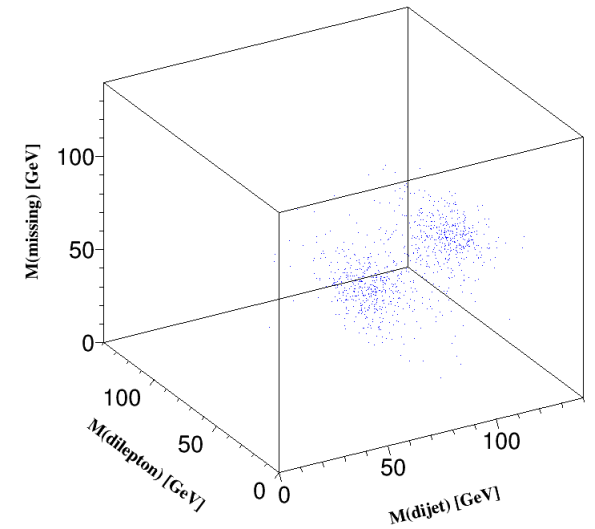
$\mu\mu HZZ$



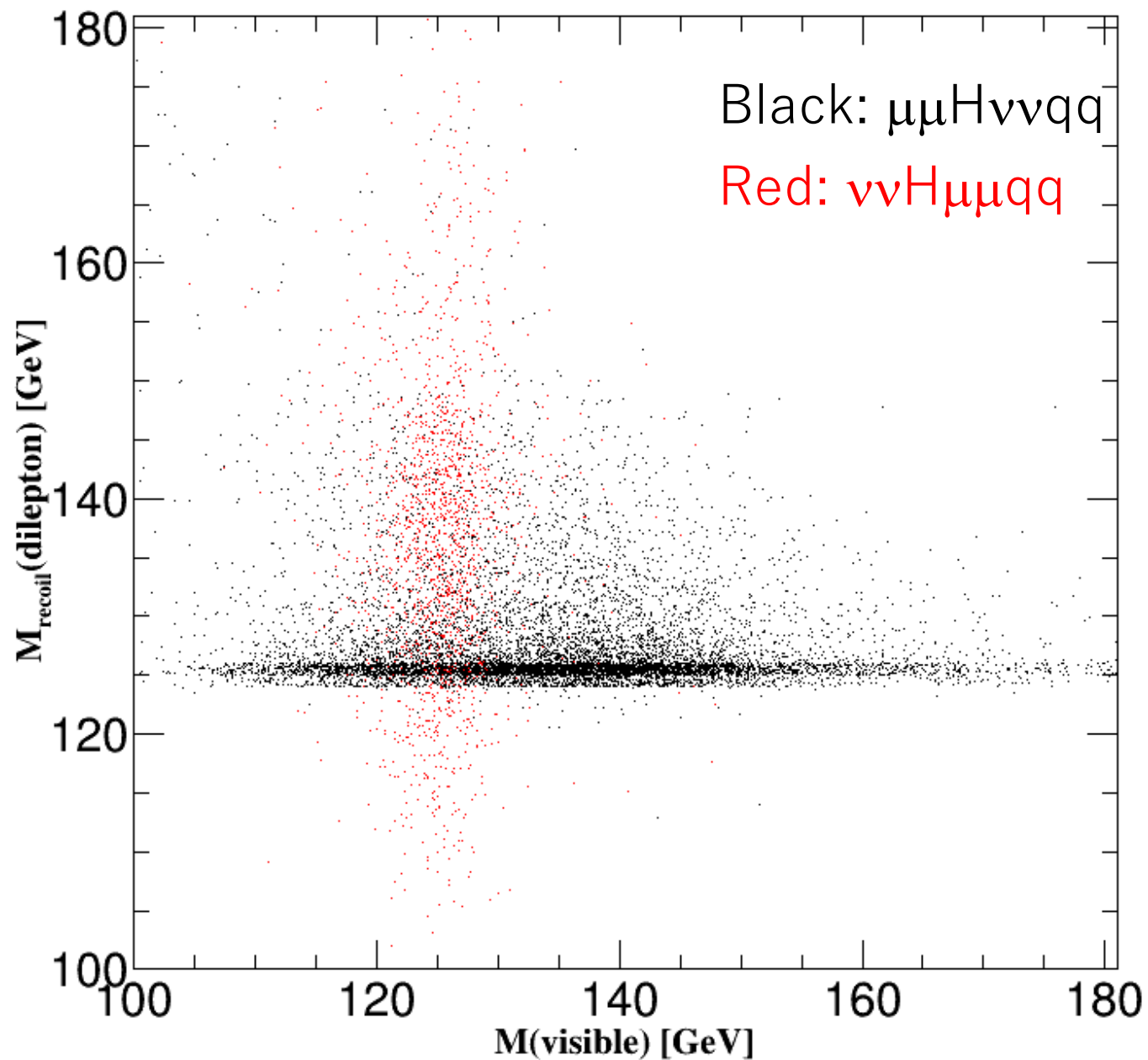
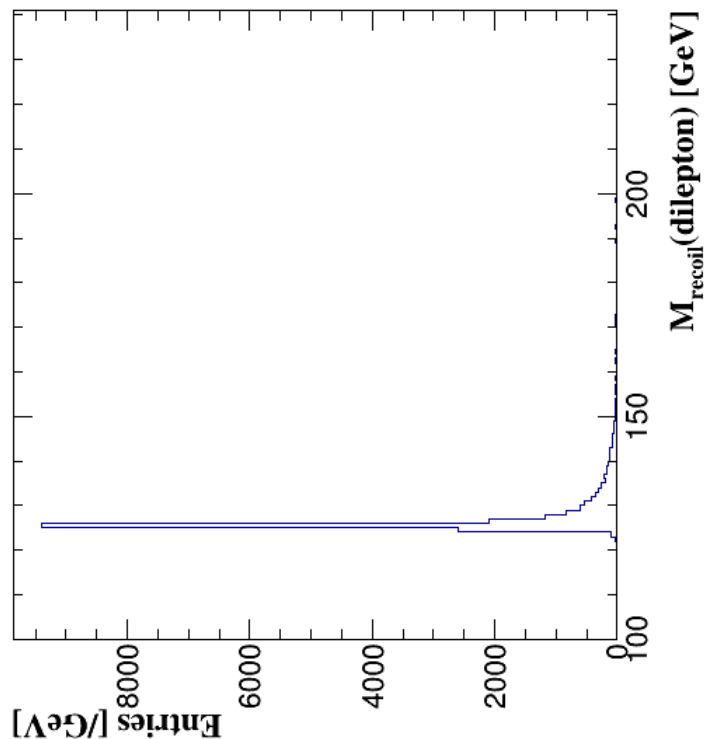
$\nu\nu HZZ$



$qq HZZ$



Recoil $M(\mu\mu)$ vs Visible $M(\mu\mu qq)$



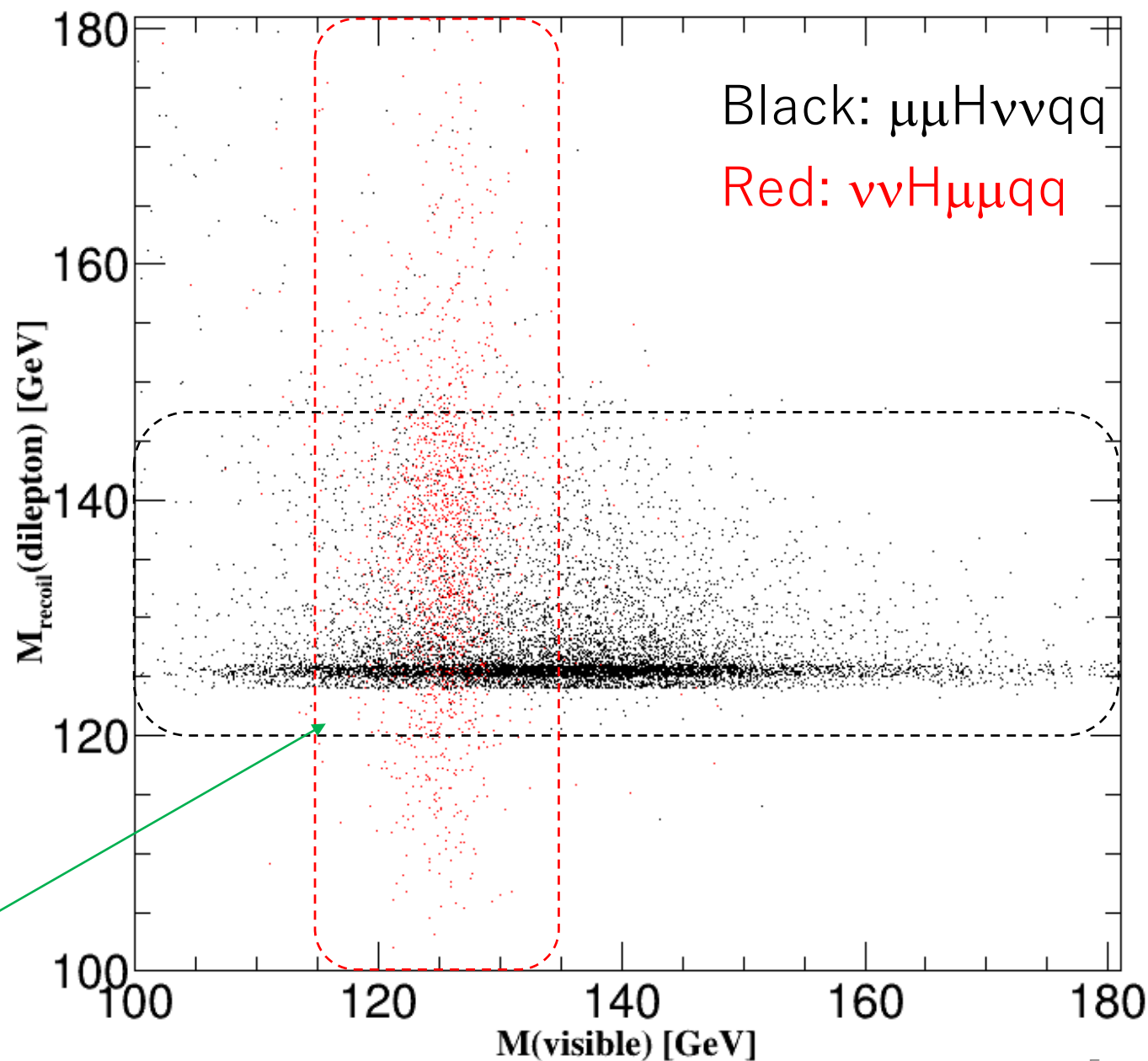
For $\mu\mu H\nu\nu qq$:

$$120 \text{ GeV} < M^{\text{rec}}(\mu\mu) < 142 \text{ GeV}$$

For $\nu\nu H\mu\mu qq$:

$$115 \text{ GeV} < M(\mu\mu qq) < 135 \text{ GeV}$$

**This box region is the
overlap region**



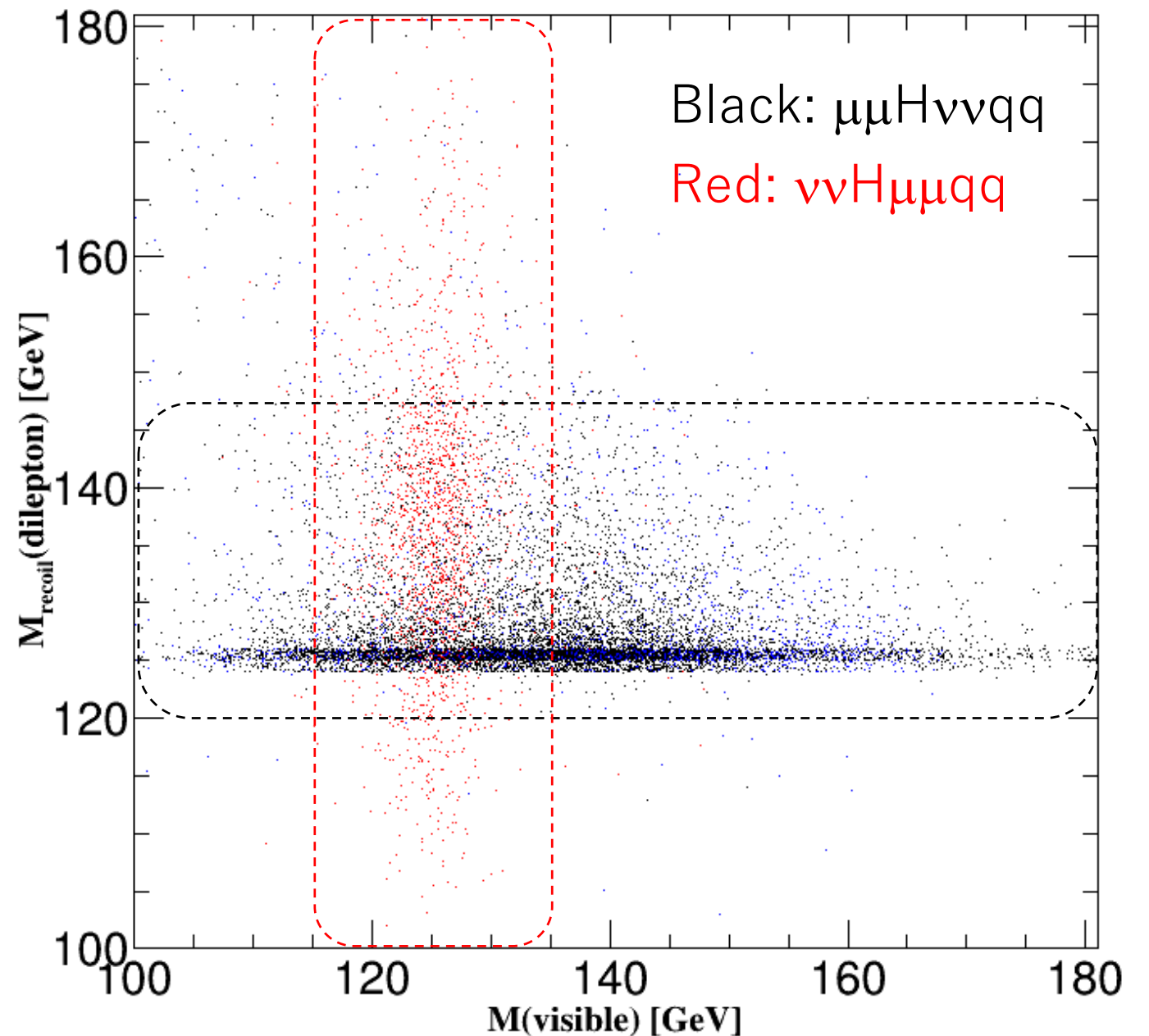
Current cut flow contains further “masking”

The blue scatter plots is “ $\mu\mu HWW$ ” background, which is the main background for this two channels.

the event selection on $\mu\mu HWW$ is loosely applied:

- $M(\text{dimuon}) > M(\text{di-jet})$
- $M(\text{di-jet}) < 50 \text{ GeV}$
- $M(\text{Missing}) > 70 \text{ GeV}$

So far, we analyze both Black and Red box separately, and there are significant overlap events.



Case 1:

Unify both region into one.

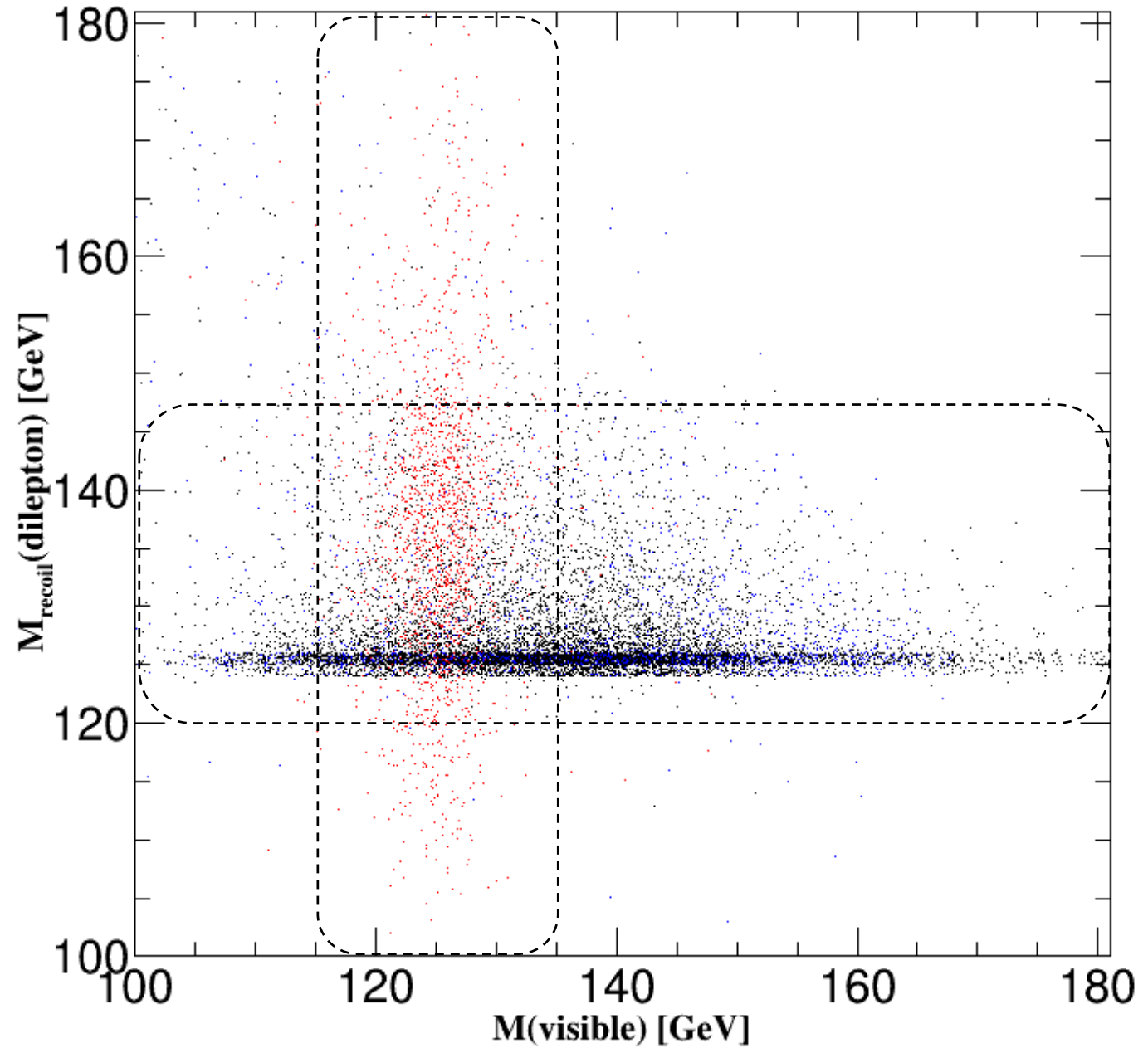
Signal : $\mu\mu H\nu\nu qq + \nu\nu H\mu\mu qq$

Bg. : $\mu\mu HWW$

Fitting parameter : $M^{\text{rec}}(\mu\mu)$?

-- $M^{\text{rec}}(\mu\mu)$ distribution will not be sharp

-- Need to apply exactly the same cuts



Case 2:

Define two regions for each analysis cut.

[Signal1 : $\mu\mu H\nu\nu qq + \nu\nu H\mu\mu qq$

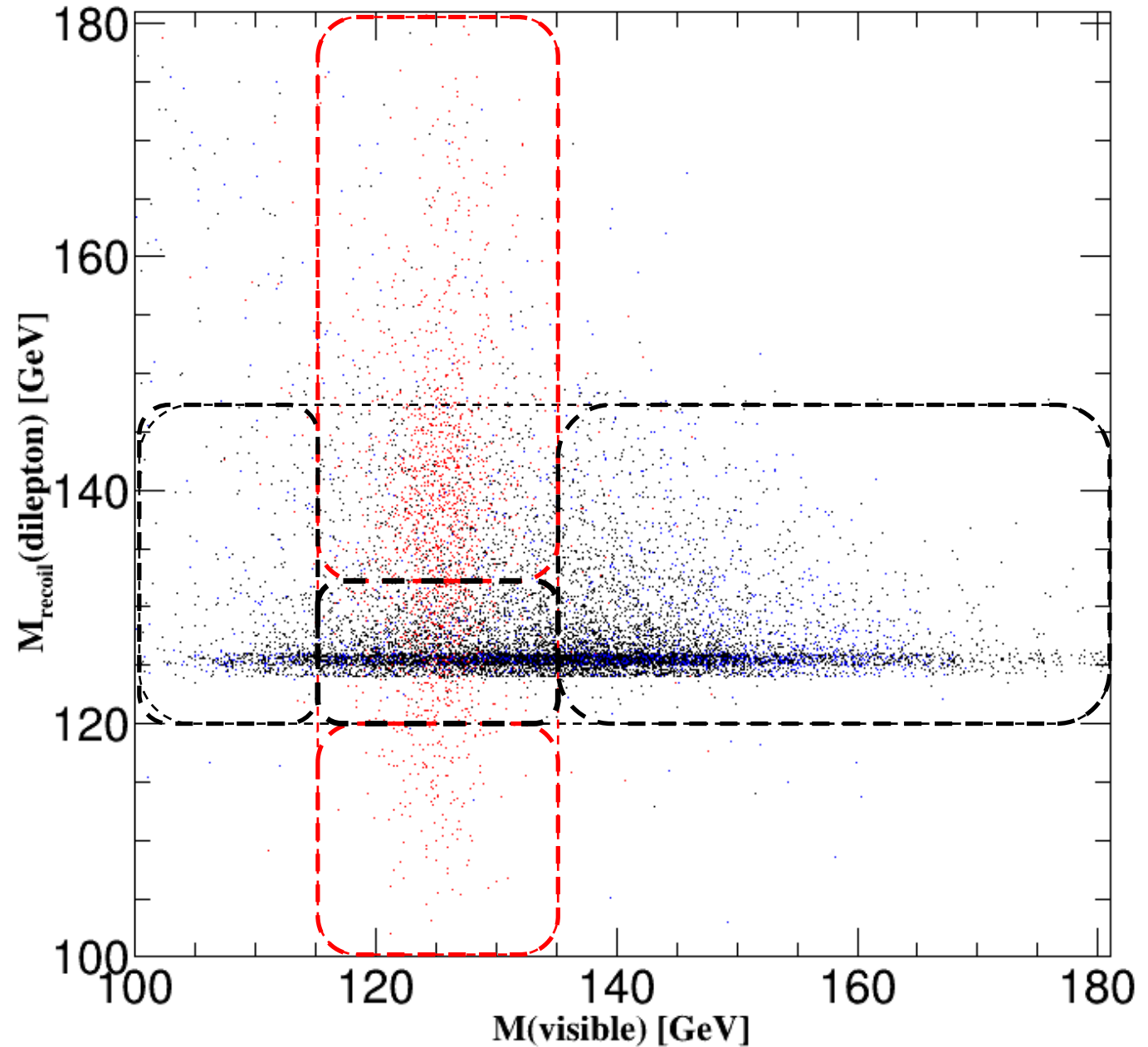
[Bg.1 : $\mu\mu HWW$

[Signal2 : $\nu\nu H\mu\mu qq + \mu\mu H\nu\nu qq$

[Bg.2 : $\mu\mu HWW$

-- Simultaneous fitting of 2 distributions

-- Since there are no overlap, we can treat all of , $\mu\mu H\nu\nu qq + \nu\nu H\mu\mu qq$, as signal .
Also part of $\mu\mu HWW$ is reduced.



Calculation (what we have)

1. Roughly, for $\mu\mu H\nu\nu qq$, the event number is as follows.

(before, “not $\nu\nu HZZ$ cut” is applied)

$$N(\text{signal: } \mu\mu H\nu\nu qq) : 70, \quad N_B(\text{HZZ: } \nu\nu H\mu\mu qq) : 50, \quad N_B(\text{HWW}): 10 \quad \Rightarrow \quad \frac{\sqrt{S+B}}{S} = 16.9\%$$

$$\text{so as, } N(\text{signal: } \nu\nu H\mu\mu qq) : 70, \quad N_B(\text{HZZ: } \mu\mu H\nu\nu qq) : 50, \quad N_B(\text{HWW}): 10 \quad \Rightarrow \quad \frac{\sqrt{S+B}}{S} = 16.9\%$$

 Combined precision is calculated as 11.95%

Calculation (from Case2)

2. From here, the number should be checked.

Black
region

$N(\text{signal: } \mu\mu H\nu\nu qq) : 60,$ $N_B(\text{HZZ: } \nu\nu H\mu\mu qq) : 25,$
 $N_B(\text{HWW}): 10$

Red
region

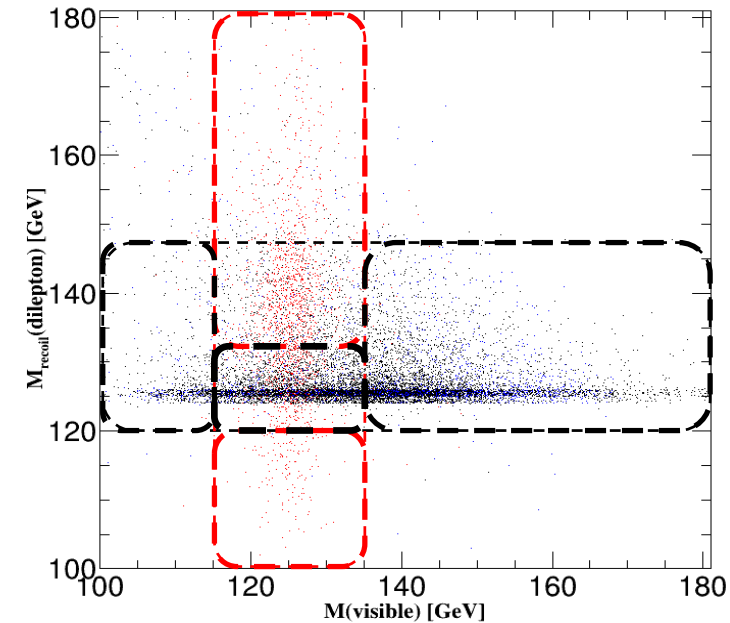
$N(\text{signal: } \nu\nu H\mu\mu qq) : 50,$ $N_B(\text{HZZ: } \mu\mu H\nu\nu qq) : 30,$
 $N_B(\text{HWW}): 10?$

By simultaneous fitting, we can treat both $N(\text{signal})$ & $N_B(\text{HZZ})$ as signal if there is no overlap, and only HWW is the background



$$N_S = 60 + 25 + 50 + 30 = 165, N_B = 20 ?$$

$$\frac{\sqrt{S+B}}{S} = 8.2\%$$



I'm not sure the fitting could results in this way.
This is ideal case

Comments

- If these assumptions are fine, it is worth to try, how to divide two regions, etc.
- Numbers assumed in previous page is based on my assumption (from my eye on distributions) , therefore, it might be not the case, even the consideration steps are fine.

To do List

- Analysis related
 - Comments from Manqi (something general and is good one)

items I can think:

- simultaneous fitting
- kind of cut unification within 5(6) channels, which is connected to the draft and/or better understanding of bg.
- (further electron channels)

- CEPC note
- Draft