

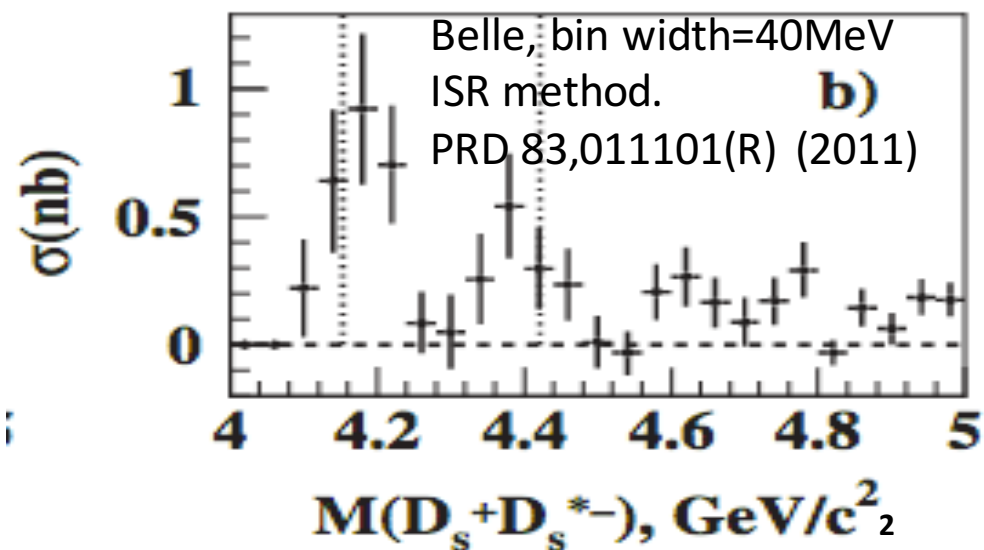
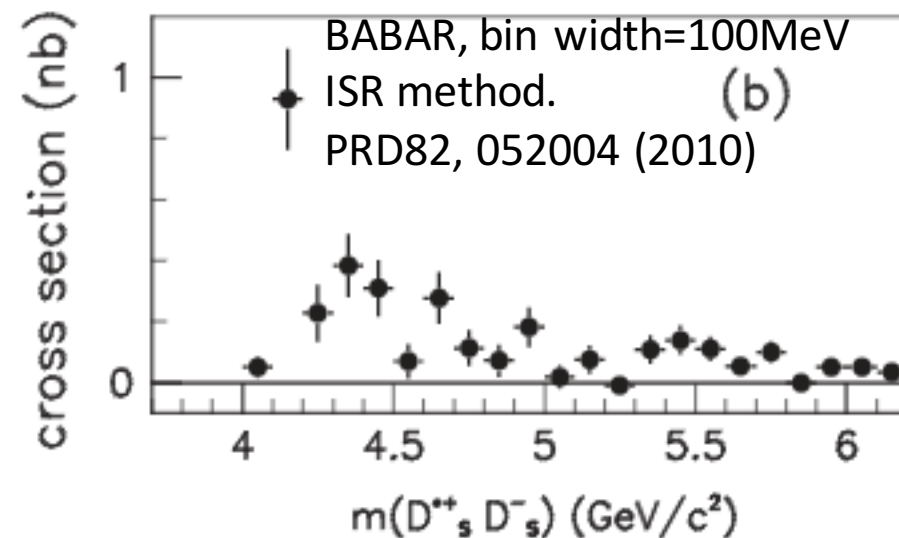
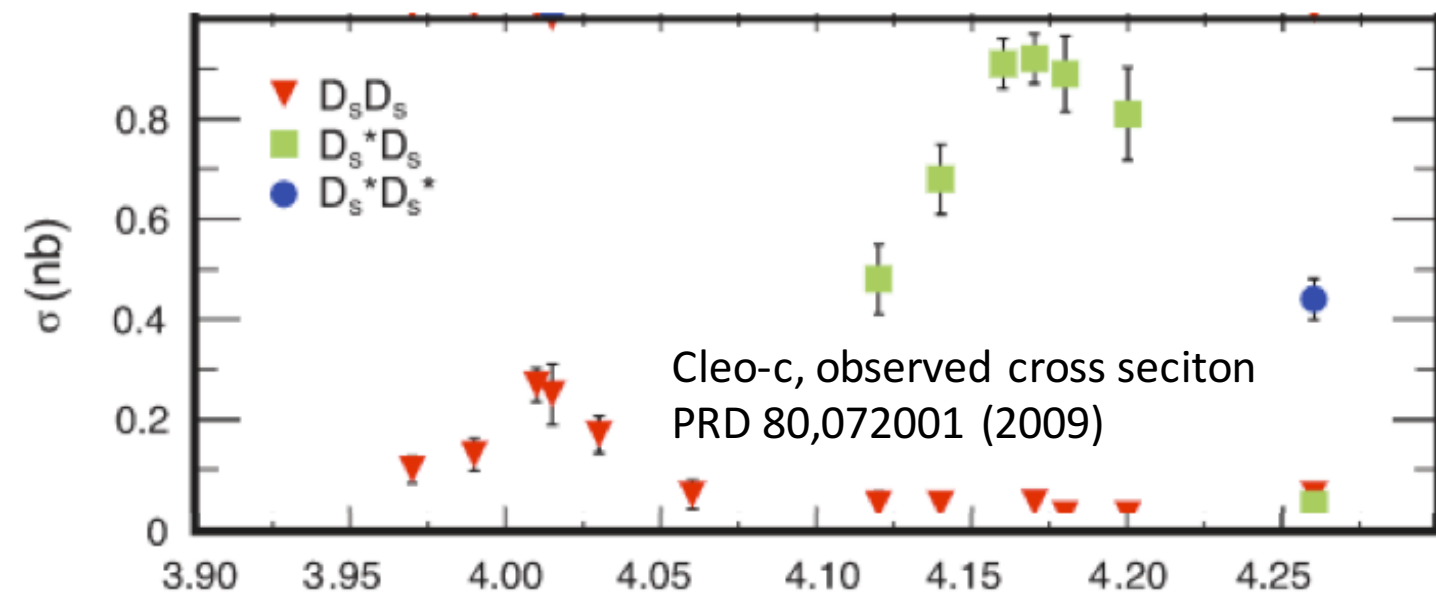
Cross Section measurement of $e^+e^- \rightarrow D_s^+ D_s^{*-}$

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IHEP

2019/09/11

Introduction

- BABAR, Belle, CLEO-c have measured the cross section of $e^+e^- \rightarrow D_s^+ D_s^{*-}$ before, but the precision is not enough.



Introduction

- There are abounded ψ and Y states between 4.0 and 4.6GeV, the cross section of their decay width to the open charm process is important to distinguish their property.

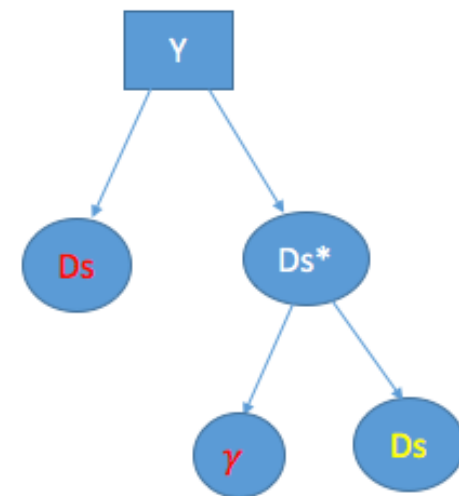
Table 2. 3P_0 model predictions for the partial and total widths (MeV) of known charmonium states above DD threshold. This assumes SHO wavefunctions with a width parameter $\beta = 0.5$ GeV, a pair production strength $\gamma = 0.4$, and the usual spectroscopic assignments $\psi(3770) = 1^3D_1$, $\psi(4040) = 3^3S_1$, $\psi(4159) = 2^3D_1$ and $\psi(4415) = 4^3S_1$.

arXiv: hep-ph/0412057

State	DD	DD*	D*D*	$D_s D_s$	$D_s D_s^*$	$D_s^* D_s^*$	DD ₁	DD' ₁	DD ₂ *	Γ_{tot} [expt.]
$\psi(3770)$	43.									43. [23.6 \pm 2.7]
$\psi(4040)$	0.1	33.	33.	7.8						74. [52 \pm 10]
$\psi(4159)$	16.	0.4	35.	8.0	14.					74. [78 \pm 20]
$\psi(4415)$	0.4	2.3	16.	1.3	2.6	0.7	31.	1.0	23.	78. [43 \pm 15]

Event Selection

- The strategy is tag one Ds and one photon, miss the other Ds
- Reconstruct Ds^+ with BesDChain
 - $Ds^+ = K^+list * K^-list * \pi^+list$, all combinations kept
 - $|m(Ds^+) - m(Ds_PDG)| < 85 \text{ MeV}$
- Reconstruct one γ
- 3C Kinematic Fit to all combinations of ($K^+K^-\pi^+$ & γ & missing Ds^-), with both $K^+K^-\pi^+$ and missing Ds fixed to Ds ' PDG mass.
- The combination with minimum $\chi^2(3C)$ is chosen as nominate combination and $\chi^2(3C) < 30$ is required.



Signal channel MC

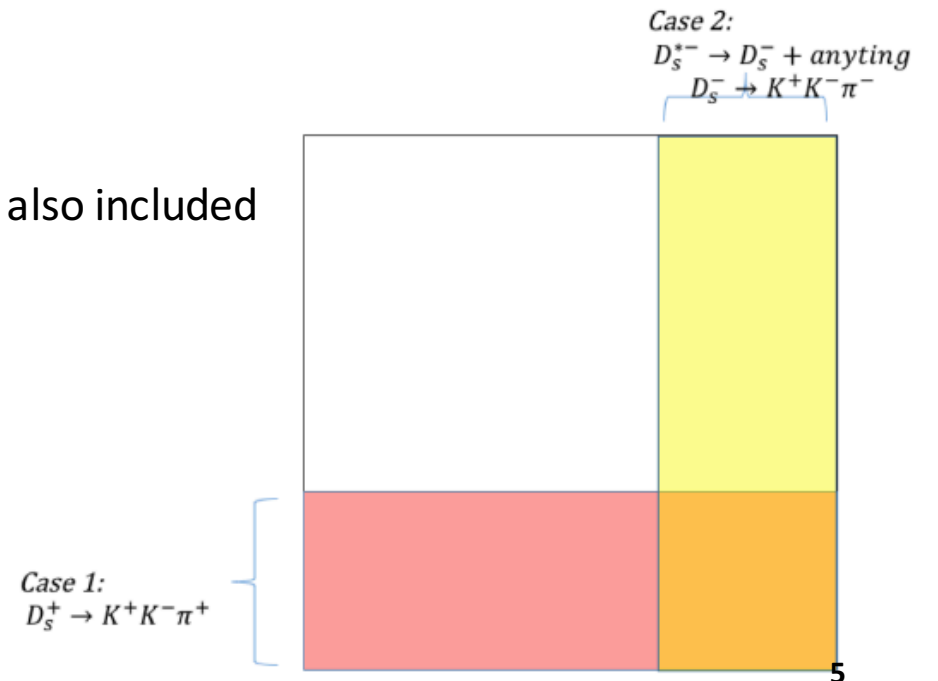
- There are two cases for signal channel, depending on which Ds is tagged

- Signal Case 1: $e^+e^- \rightarrow D_s^+ D_s^{*-}$, $D_s^+ \rightarrow K^+ K^- \pi^+$, $D_s^{*-} \rightarrow \text{anything}$.
- Signal Case 2: $e^+e^- \rightarrow D_s^+ D_s^{*-}$, $D_s^+ \rightarrow \text{anything}$, $D_s^{*-} \rightarrow \text{anything} + D_s^-$, $D_s^- \rightarrow K^+ K^- \pi^-$.

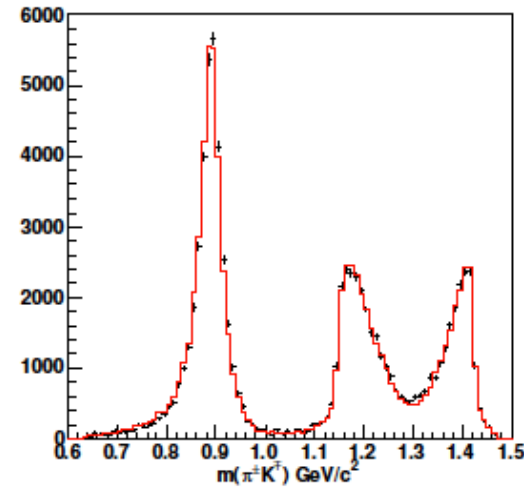
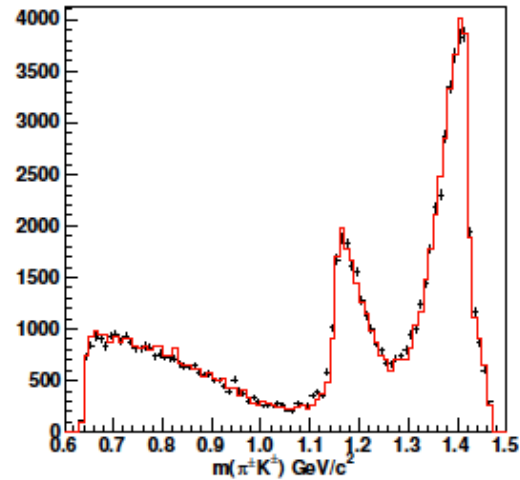
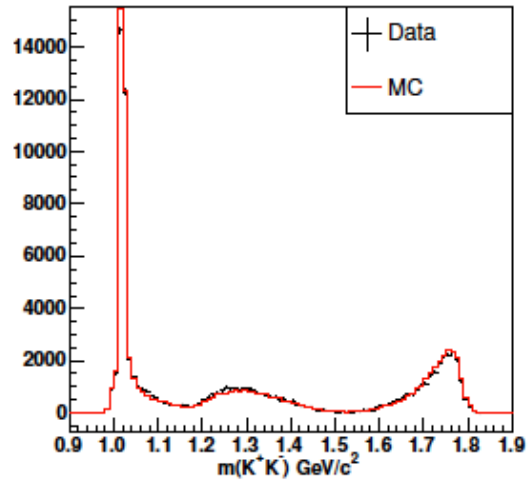
From PDG, we know there are three decay mode for D_s^{*-} ,

- $D_s^{*-} \rightarrow \gamma D_s^-$, $(93.5 \pm 0.7)\%$
- $D_s^{*-} \rightarrow \pi^0 D_s^-$, $(5.8 \pm 0.7)\%$
- $D_s^{*-} \rightarrow e^+ e^- D_s^-$, $(6.7 \pm 1.6) \times 10^{-3}$

This two Ds* decay modes are also included
In signal MC

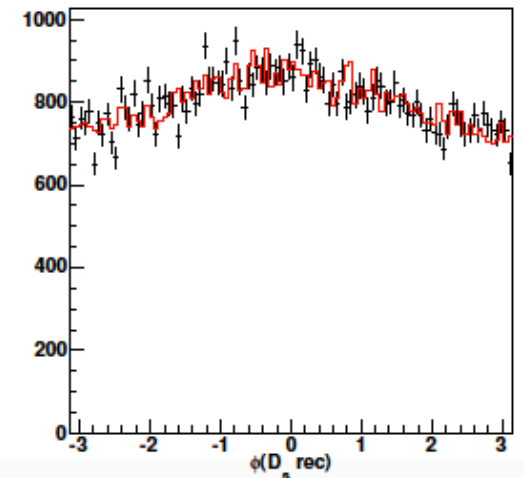
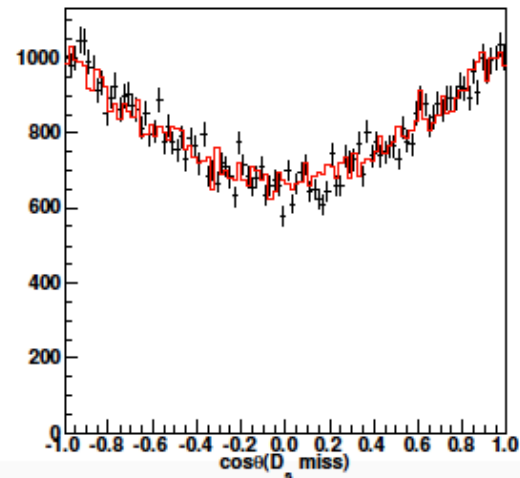
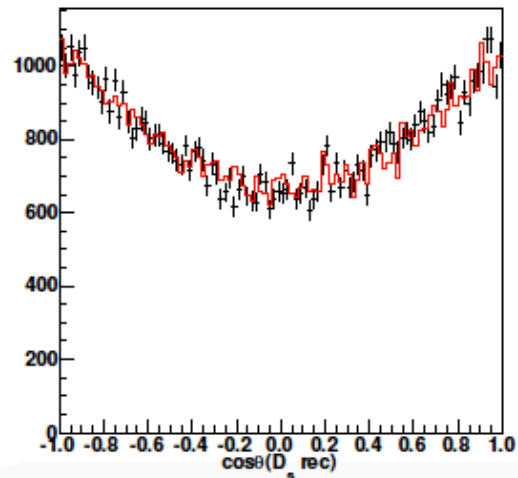


Comparison between Data and signal MC



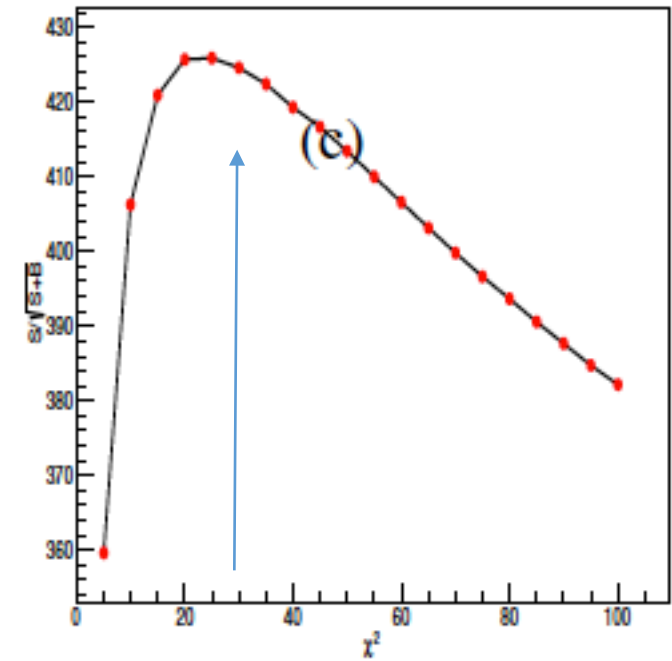
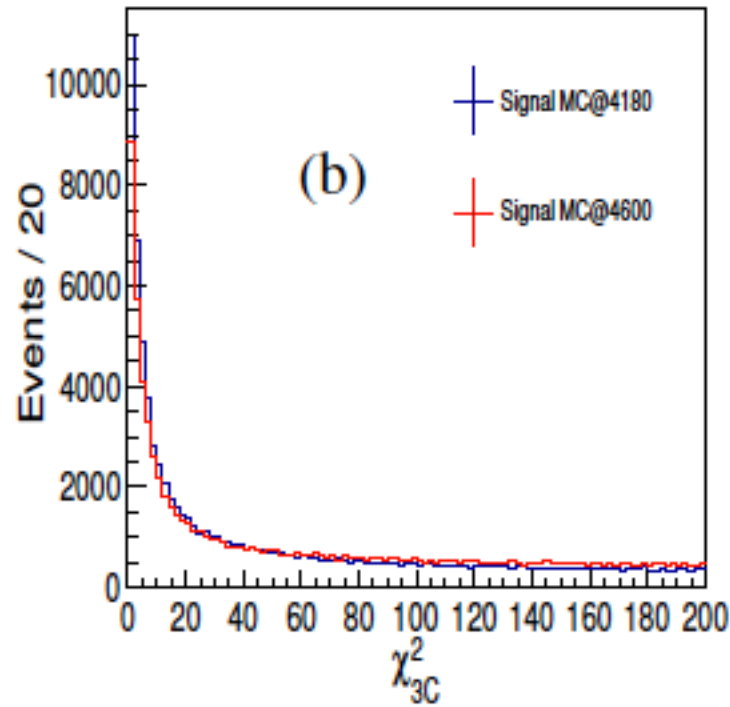
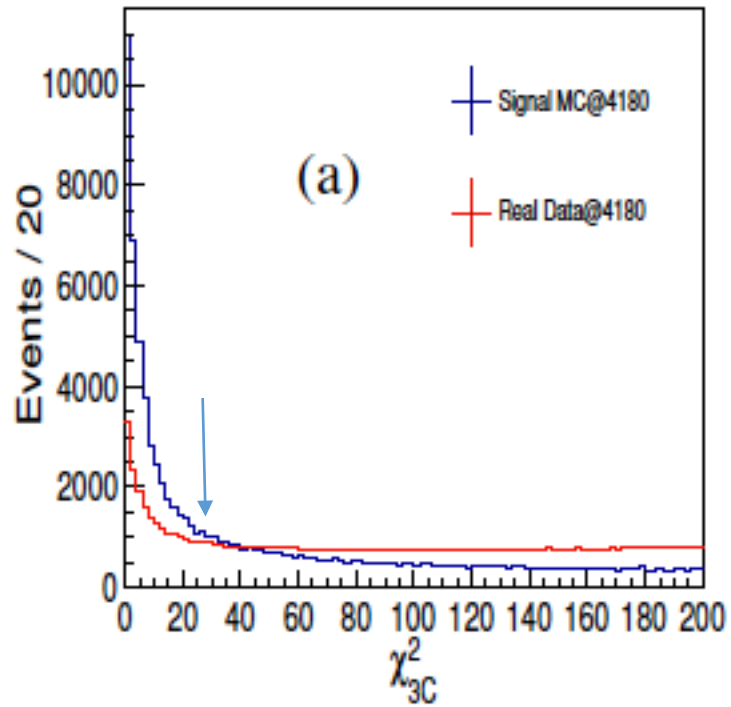
$e^+e^- \rightarrow D_s^+D_s^{*-}$ is generated with HelAmp
 $D_s \rightarrow KK\pi$ mode is generated with D_DALITZ

We can see the invariant mass
And angular distribution agree
very well between data and MC.



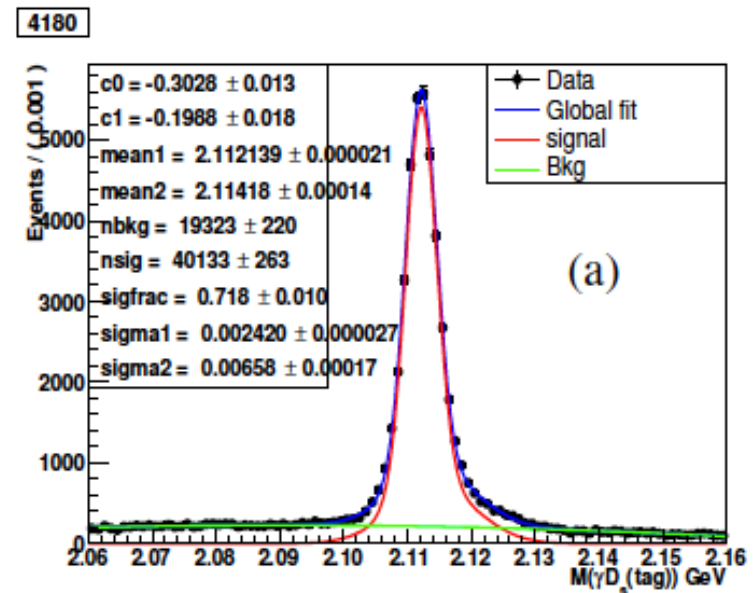
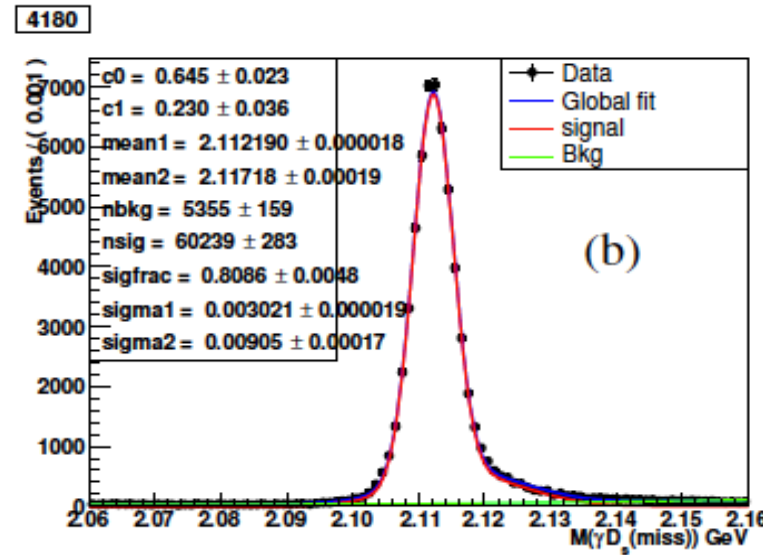
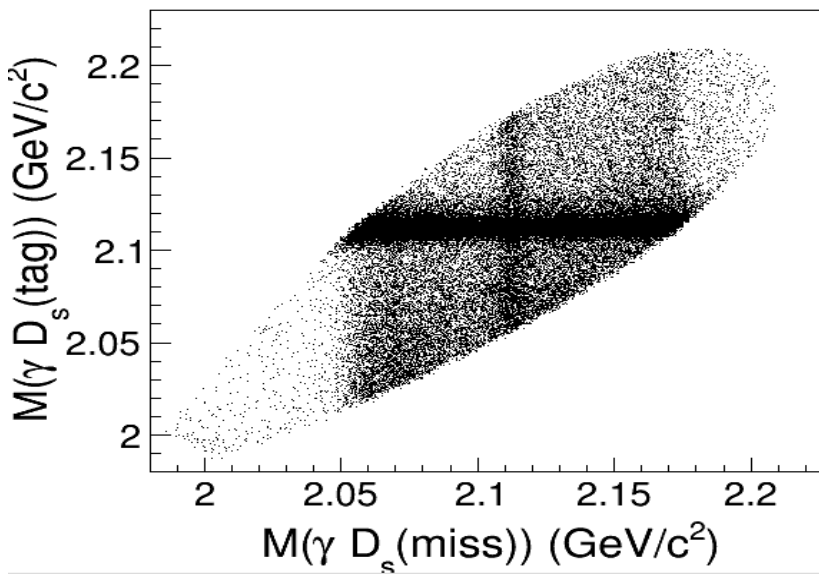
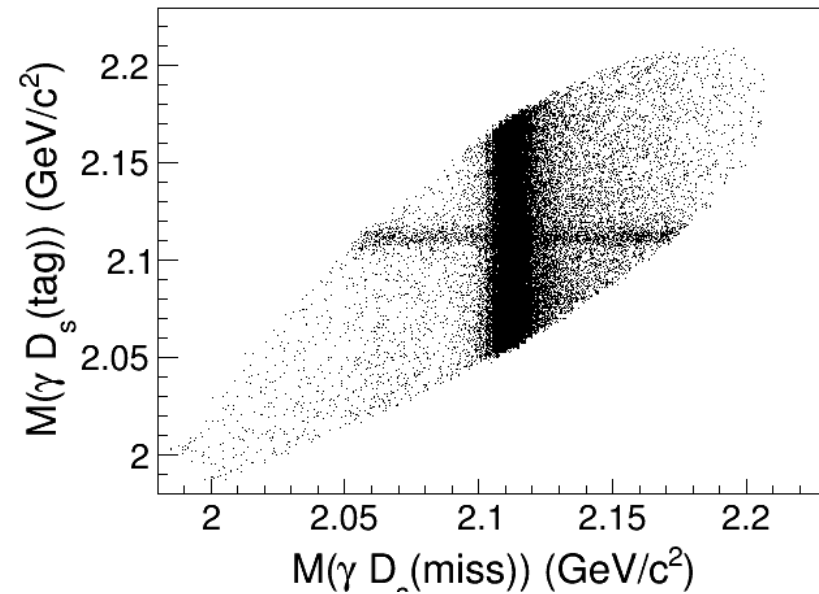
$\chi^2(3C)$ optimization

- $\chi^2(3C)$ is optimized using the inclusive MC @4.18GeV

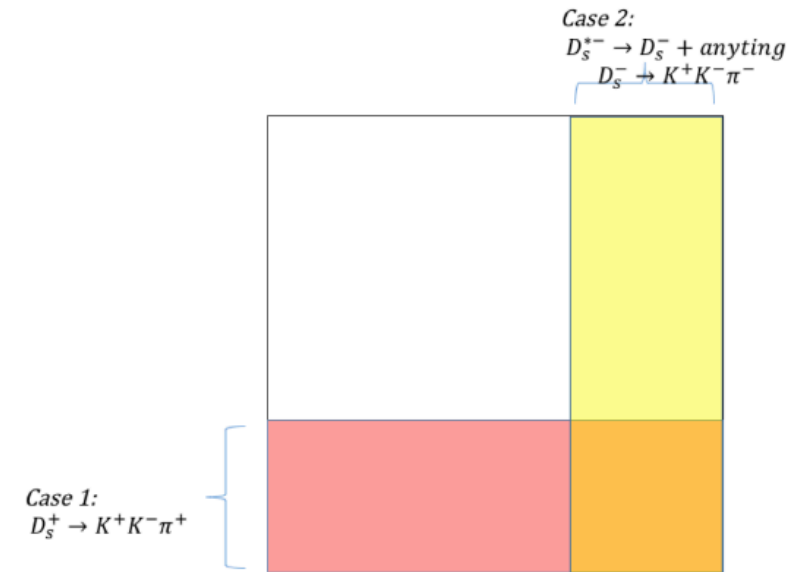


$\chi^2(3C) < 30$ is used

where to get the signal event number



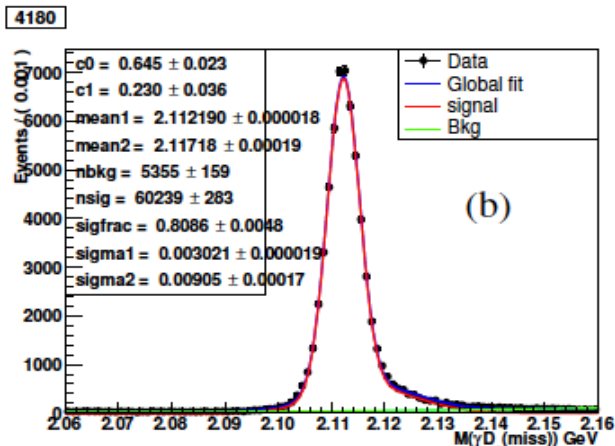
For case 1: we only count the signal event number on $M(\gamma D_s(\text{miss}))$



For case 2: we only count the signal event number on $M(\gamma D_s(\text{tag}))$

Then we can avoid the double double counting on the brown area.

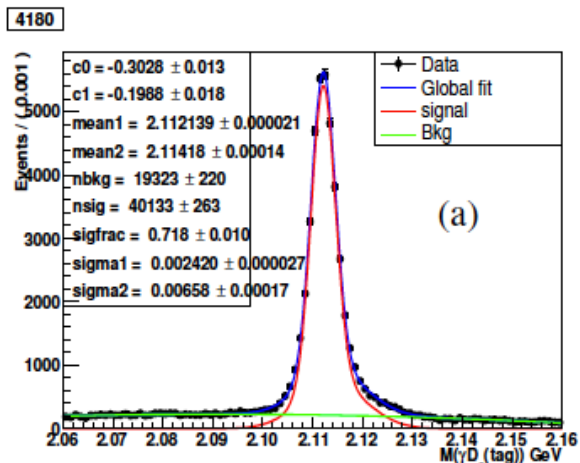
How to get the cross section



Case1:

$$\epsilon_1 = \frac{N_{mc1}}{N_{gen1}}$$

$$\sigma(e^+e^- \rightarrow D_s^+ D_s^{*-}) = \frac{N_{re1}}{\mathcal{L} \cdot \epsilon_1 \cdot Br(D_s^+ \rightarrow K^+ K^- \pi^+) \cdot (1 + \delta_{ISR}) \cdot \delta_{VP}}$$



Case2:

$$\epsilon_2 = \frac{N_{mc2}}{N_{gen2}}$$

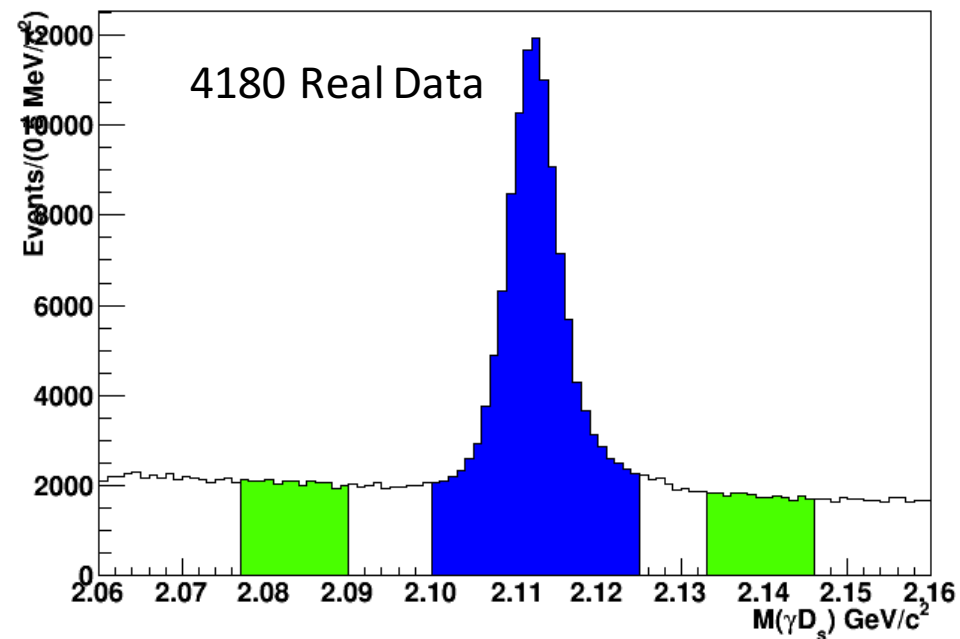
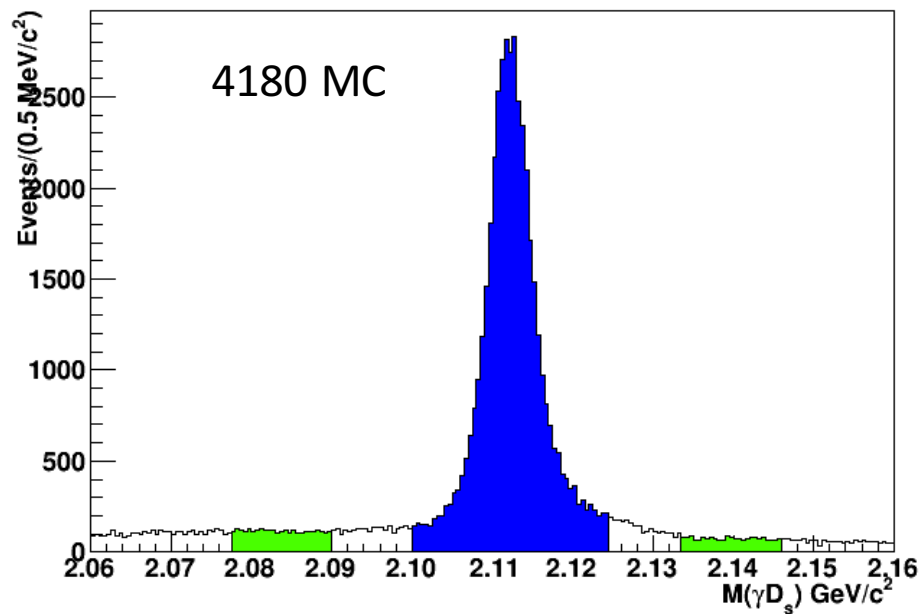
$$\sigma(e^+e^- \rightarrow D_s^+ D_s^{*-}) = \frac{N_{re2}}{\mathcal{L} \cdot \epsilon_2 \cdot Br(D_s^+ \rightarrow K^+ K^- \pi^+) \cdot (1 + \delta_{ISR}) \cdot \delta_{VP}}$$

Combine:

$$\begin{aligned} \sigma(e^+e^- \rightarrow D_s^+ D_s^{*-}) &= \frac{N_{re1} + N_{re2}}{\mathcal{L} \cdot (\epsilon_1 + \epsilon_2) \cdot Br(D_s^+ \rightarrow K^+ K^- \pi^+) \cdot (1 + \delta_{ISR}) \cdot \delta_{VP}} \\ &= \frac{N_{re1} + N_{re2}}{\mathcal{L} \cdot \frac{N_{mc1} + N_{mc2}}{N_{gen}} \cdot Br(D_s^+ \rightarrow K^+ K^- \pi^+) \cdot (1 + \delta_{ISR}) \cdot \delta_{VP}} \end{aligned}$$

We'll only show the combined result in the following analysis

Counting method to get the signal event number



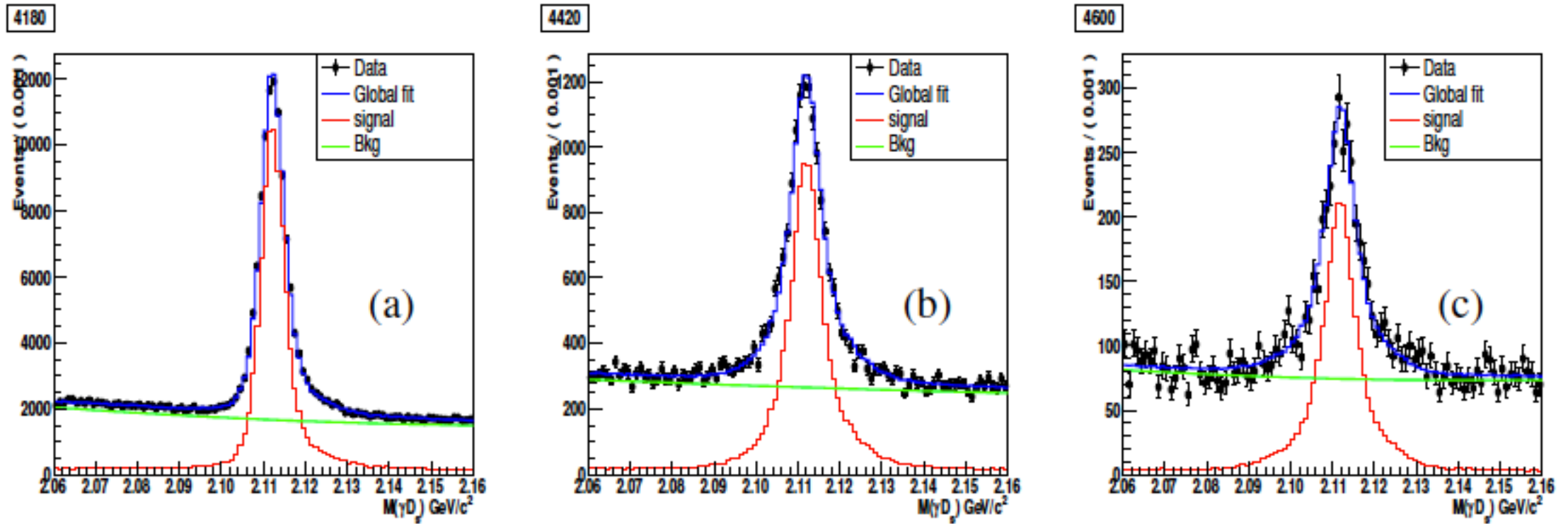
The event number in signal range $[2.10, 2.124]$ GeV is N_s .

The event number in sideband range is $[2.078, 2.09]$ & $[2.134, 2.146]$ GeV is N_b .

The signal event number $N_{sig} = N_s - N_b$.

The event number in most energy points is large enough, $\sigma(N_{sig}) = \sqrt{N_s + N_b}$

No bias for the signal peak position

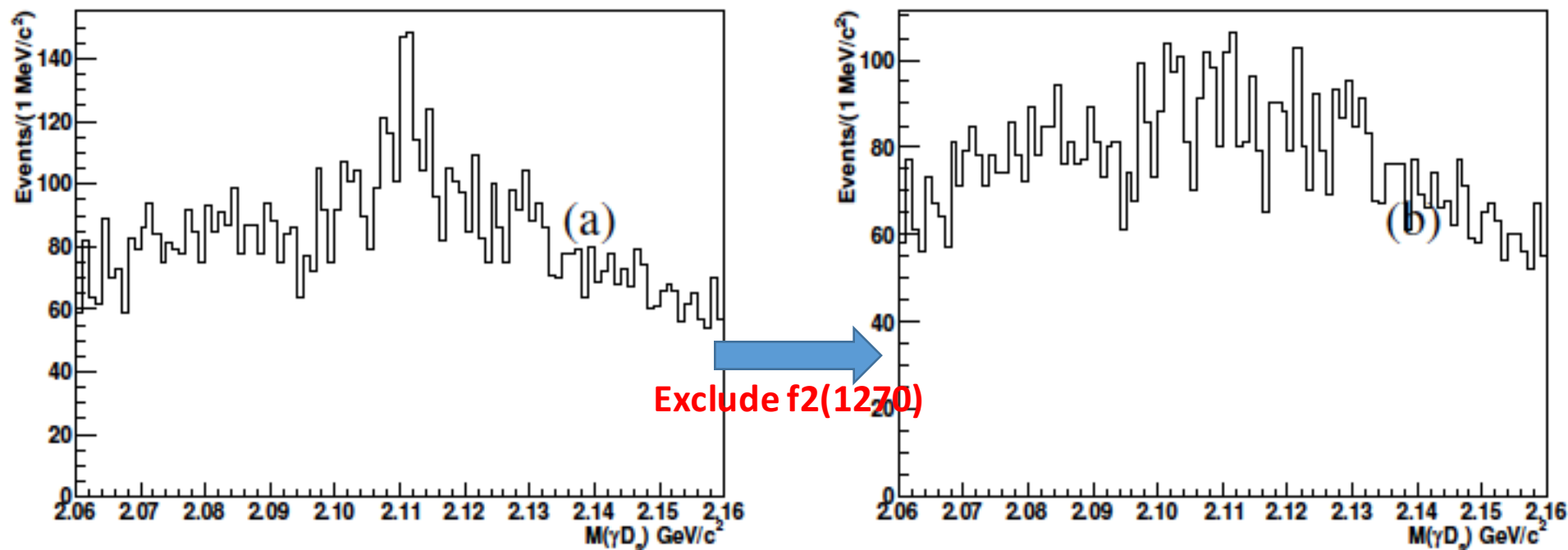
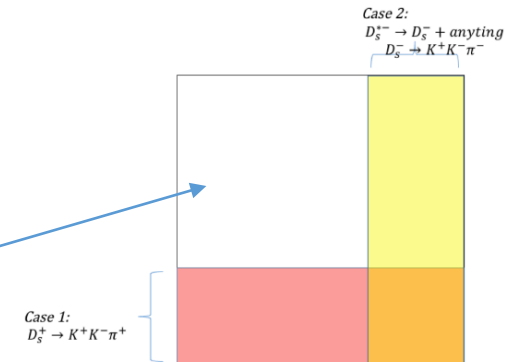


The dots are real data,
The red histogram is signal MC shape.
We can see the peak position are almost same for data and MC.

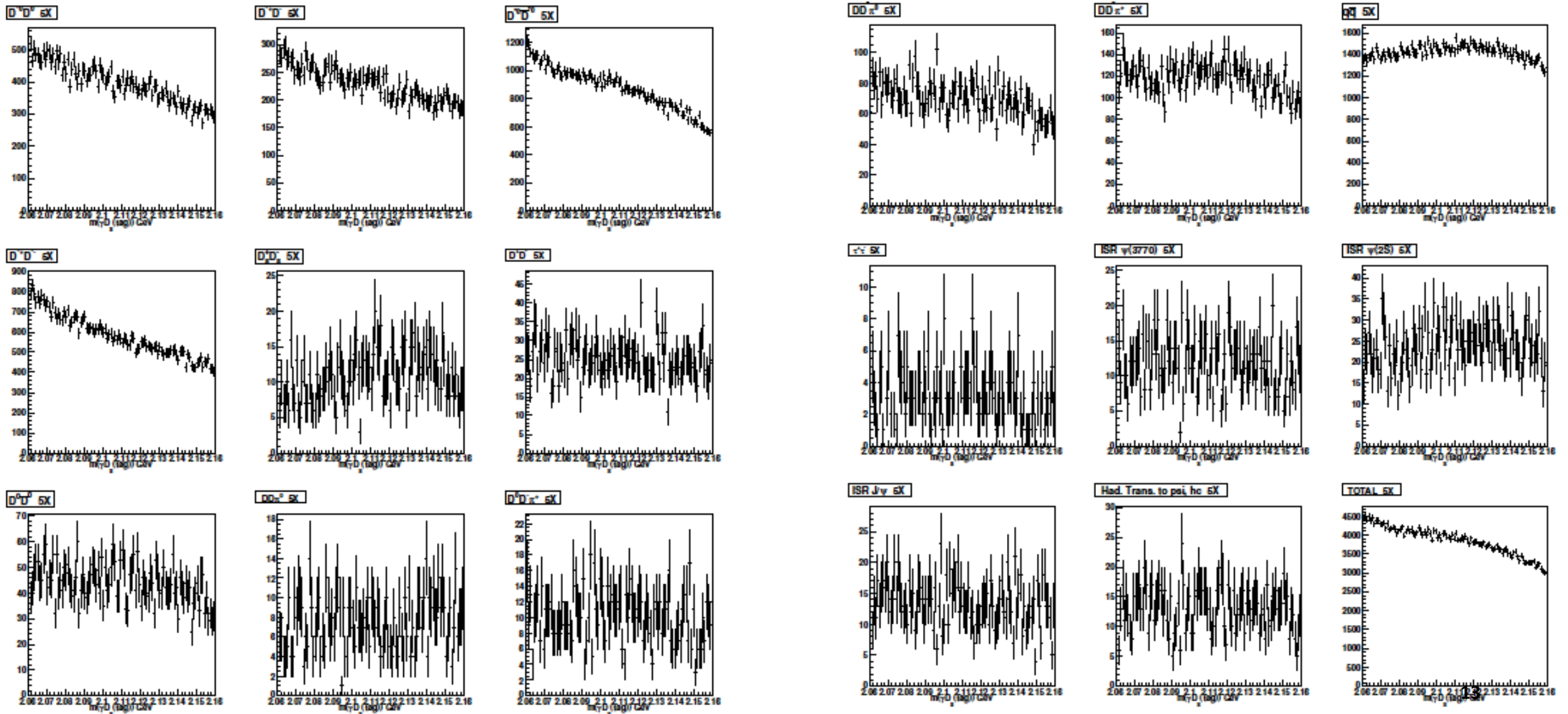
Background analysis

- 1. No peaking background from other Ds decay mode.
- 8 Million $e^+e^- \rightarrow D_s^+ D_s^{*-}$ with Ds decay to anything but $K^+ K^- \pi^+$ mode are generated.

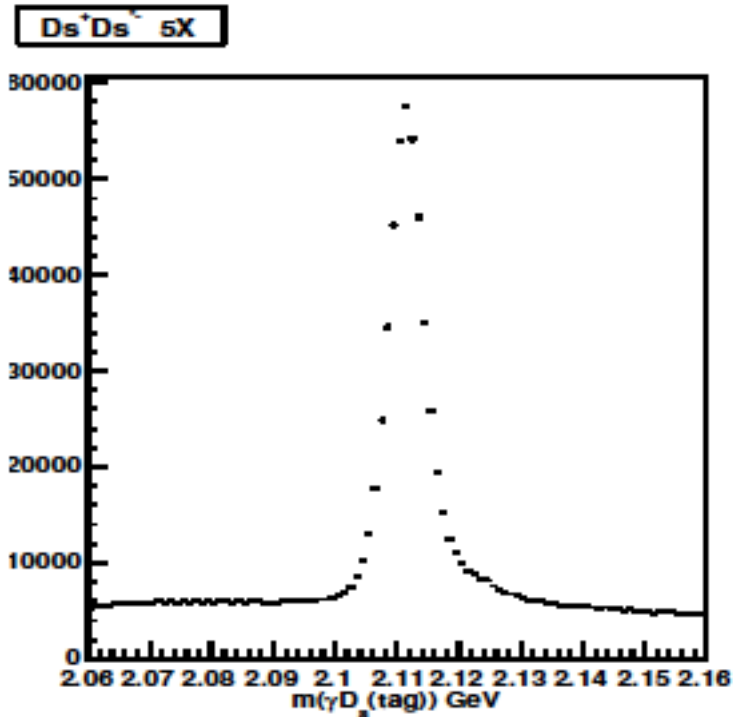
This peak comes from
 $e^+e^- \rightarrow D_s^{*+} D_s^-, D_s^- \rightarrow \pi^- f_2(1270), f_2(1270) \rightarrow K^+ K^-$.



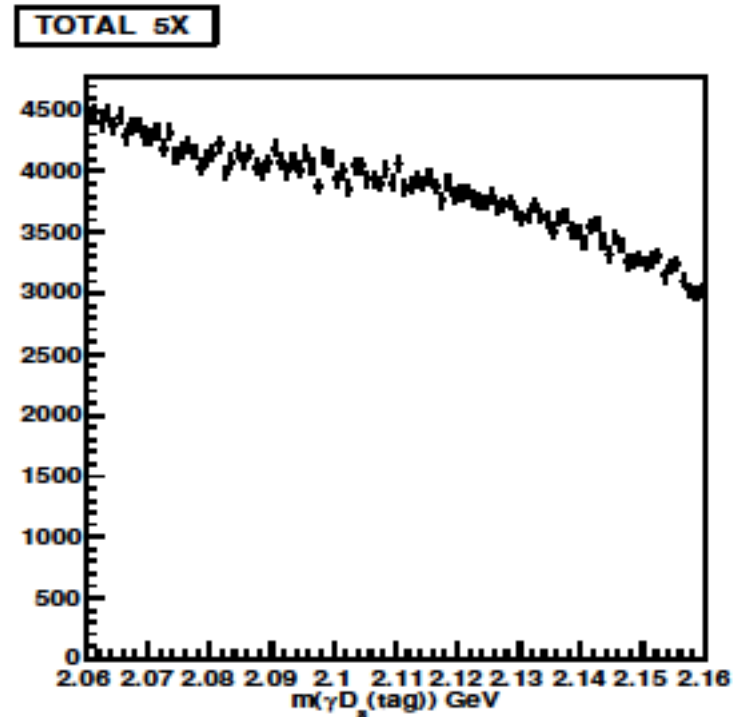
Background analysis with inclusive MC@4180



Background analysis with inclusive MC@4180

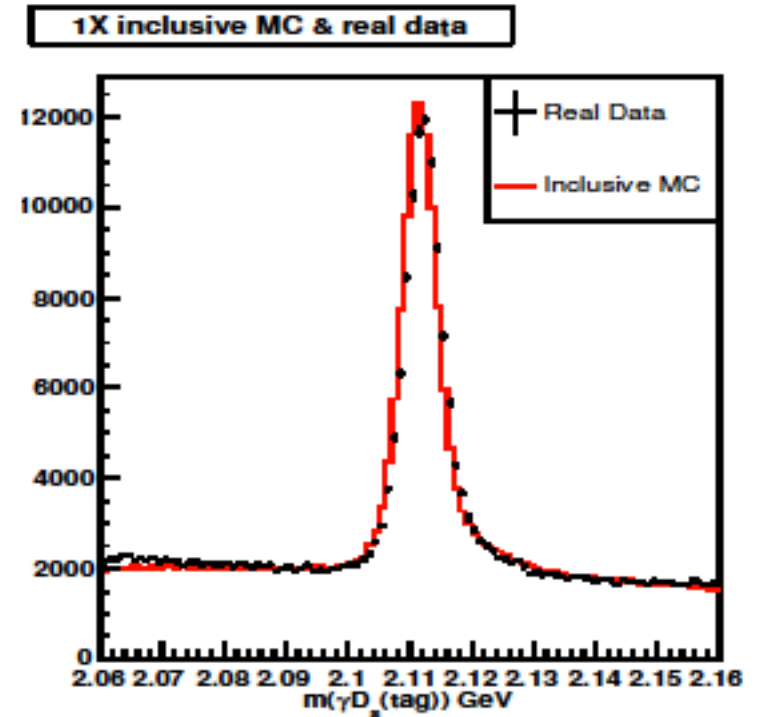


$e^+e^- \rightarrow D_s^+ D_s^{*-}$
About 5 times of luminosity
@4180



The sum of all the inclusive
Background events, 5times of
luminosity@4180

The background is generally flat



Comparison between data and
The inclusive MC.

Agreement is good.

Background analysis for exclusive channels

- Although the inclusive background is generally flat, some exclusive channels have non-flat distribution at some energy points.

➤ The first channel is $e^+e^- \rightarrow D_s^+ D_s^{*-}$, $D_s^{*-} \rightarrow \pi^0 D_s^-$

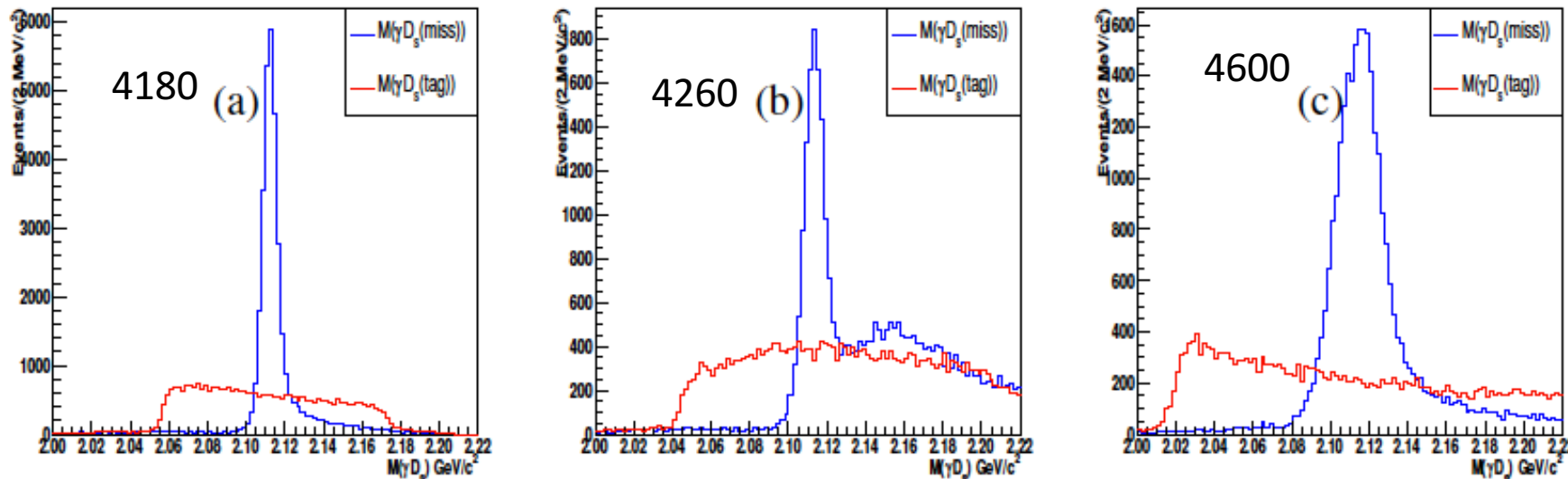


Figure 7: $e^+e^- \rightarrow D_s^+ D_s^{*-}$, $D_s^{*-} \rightarrow \pi^0 D_s^-$, with $D_s^+ \rightarrow K^+ K^- \pi^+$ being tagged.

When the D_s^+ is tagged, we can see $M(\gamma D_s(\text{miss}))$ will form a D_s^* signal peak, that's why we include the $D_s^{*-} \rightarrow \pi^0 D_s^-$ into signal MC.

Case 1:

$e^+e^- \rightarrow D_s^+ D_s^{*-}$,
 $D_s^{*-} \rightarrow \pi^0 D_s^-$
 D_s^+ is tagged

Background caused by $e^+e^- \rightarrow D_s^+ D_s^{*-}$, $D_s^{*-} \rightarrow \pi^0 D_s^-$

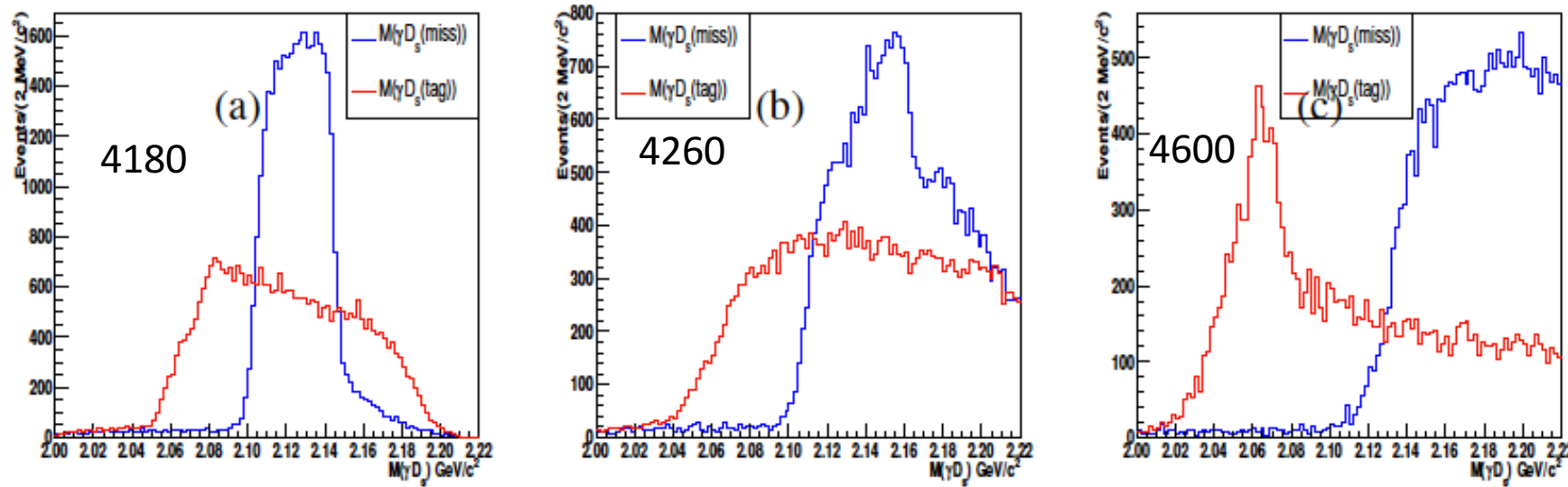


Figure 8: $e^+e^- \rightarrow D_s^+ D_s^{*-}$, $D_s^{*-} \rightarrow \pi^0 D_s^-$, with $D_s^- \rightarrow K^+ K^- \pi^-$ being tagged.

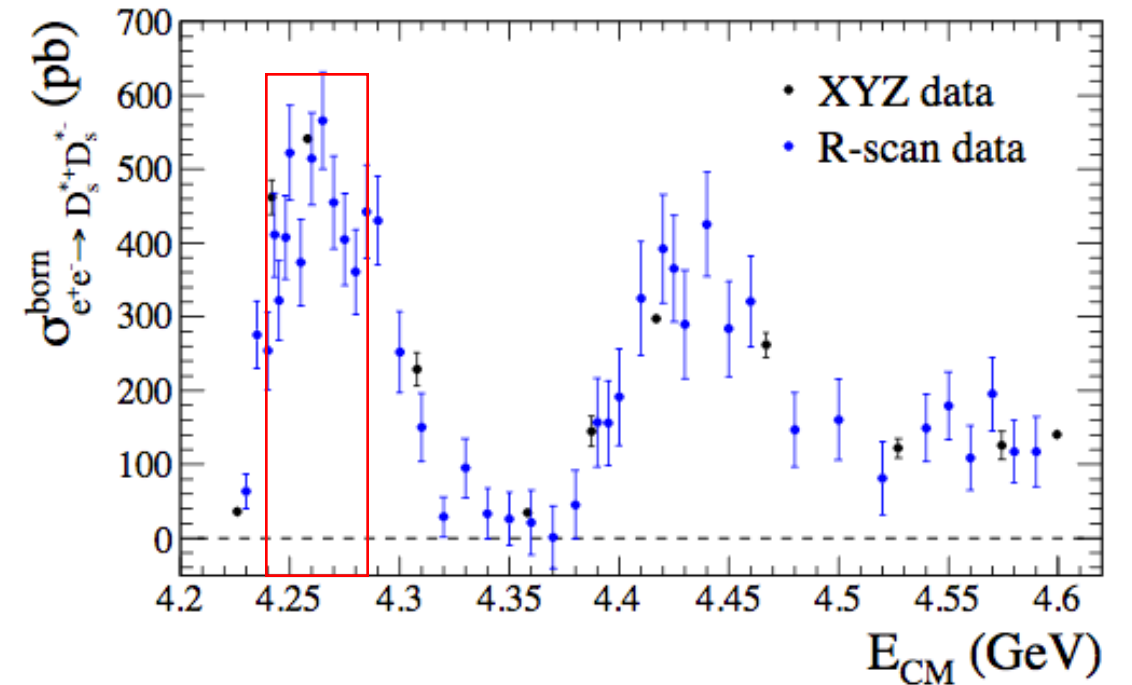
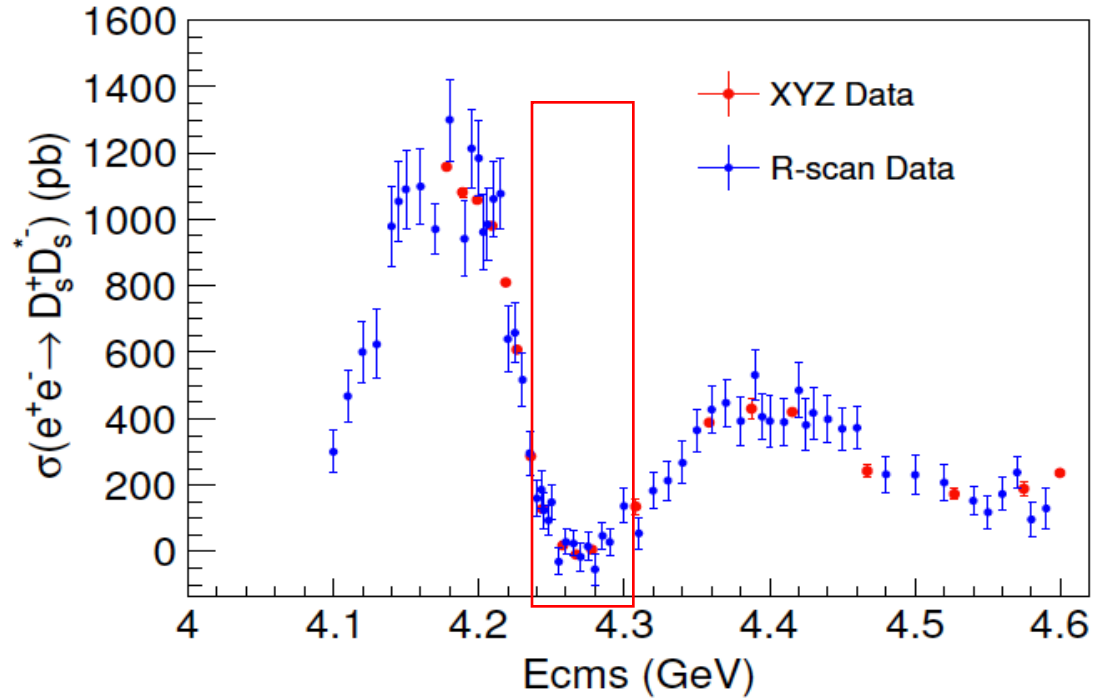
Case 2:

$e^+e^- \rightarrow D_s^+ D_s^{*-}$,
 $D_s^{*-} \rightarrow \pi^0 D_s^-$
 D_s^- is tagged

For case 2 MC, the blue line which is $M(\gamma D_s(\text{miss}))$ is not counted in getting signal MC but will be counted in data, This will cause some bias to the efficiency.

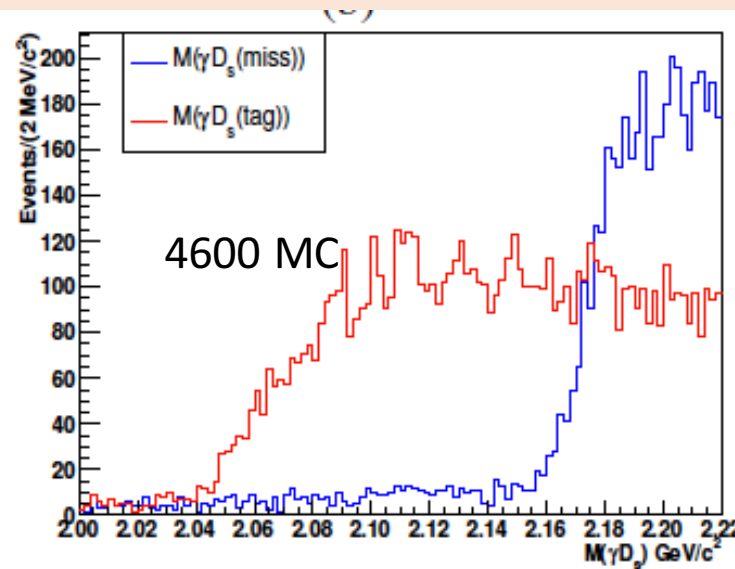
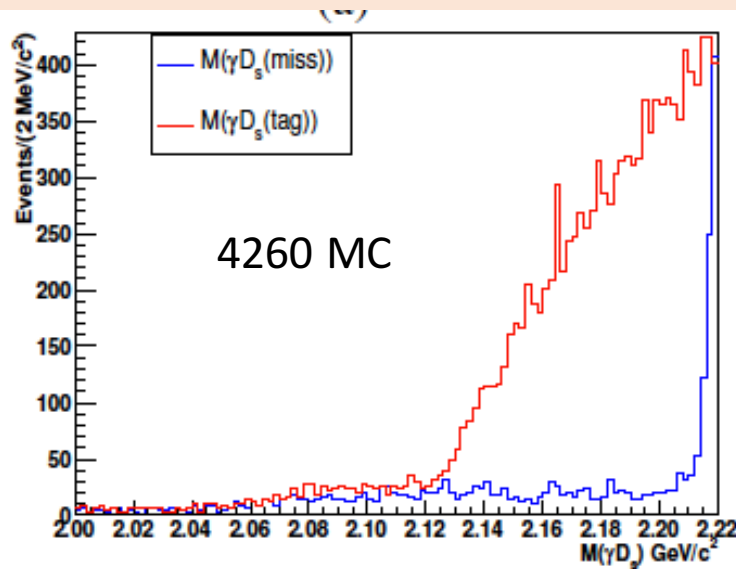
Since the fraction of $D_s^{*-} \rightarrow \pi^0 D_s^-$ is only 5.8% and the selection efficiency is much lower compare with $D_s^{*-} \rightarrow \gamma D_s^-$. largest bias occurs at 4180 which is 0.34%.

Background caused by $e^+e^- \rightarrow D_s^{*+}D_s^{*-}$



From the preliminary cross section, we can see around 4.26 GeV, the cross section of $e^+e^- \rightarrow D_s^+D_s^{*-}$ almost vanish. While $e^+e^- \rightarrow D_s^{*+}D_s^{*-}$ arrive at the peak.

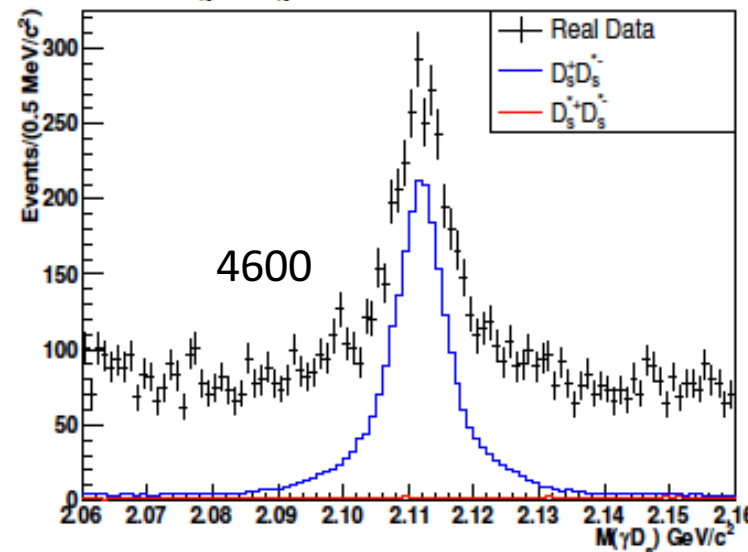
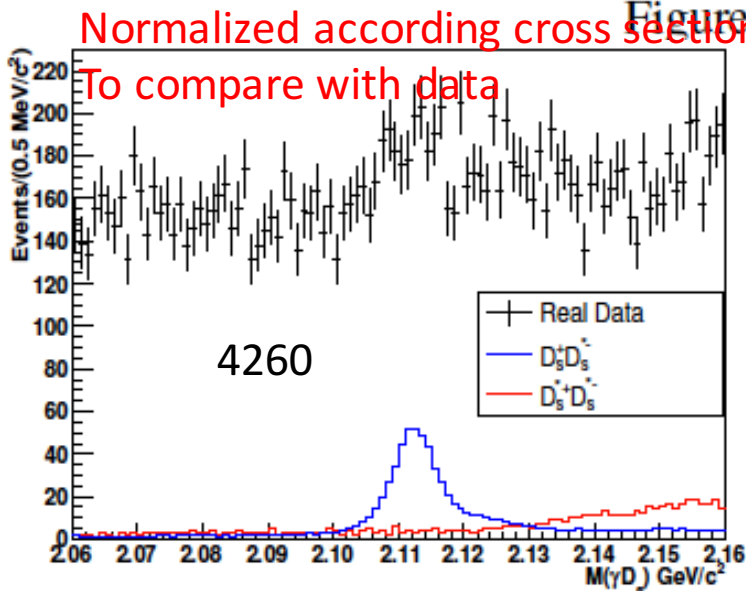
Background caused by $e^+e^- \rightarrow D_s^{*+}D_s^{*-}$



We can see at 4260, the influence of $D_s^*D_s^*$ background is significant, Causing bias about 17%.

At other energy points where $D_sD_s^*$ and $D_s^*D_s^*$ has comparable cross section, The bias is about 0.3%.

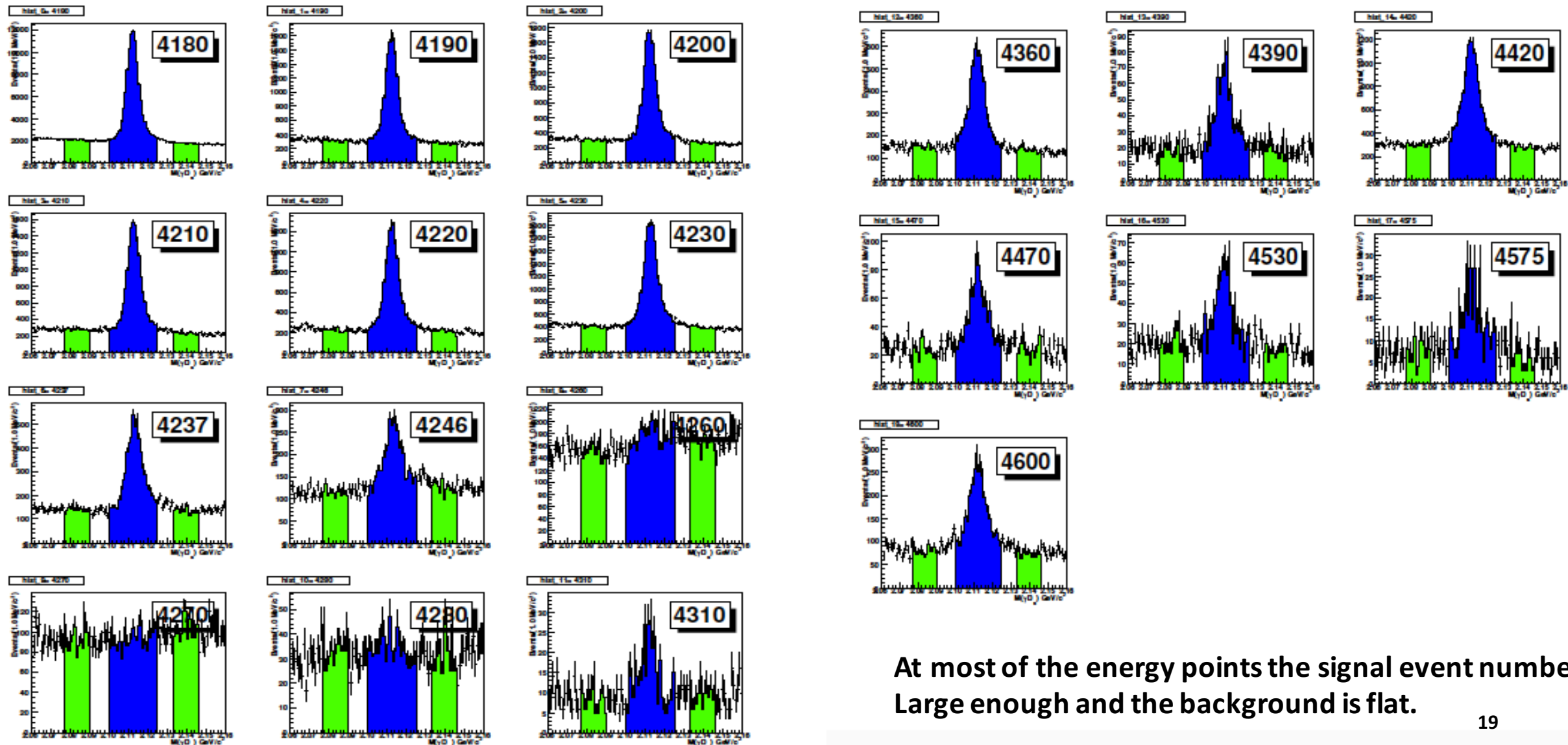
Figure 5: $e^+e^- \rightarrow D_s^{*+}D_s^{*-}$



But what we care should be the combined Contribution of all the background.

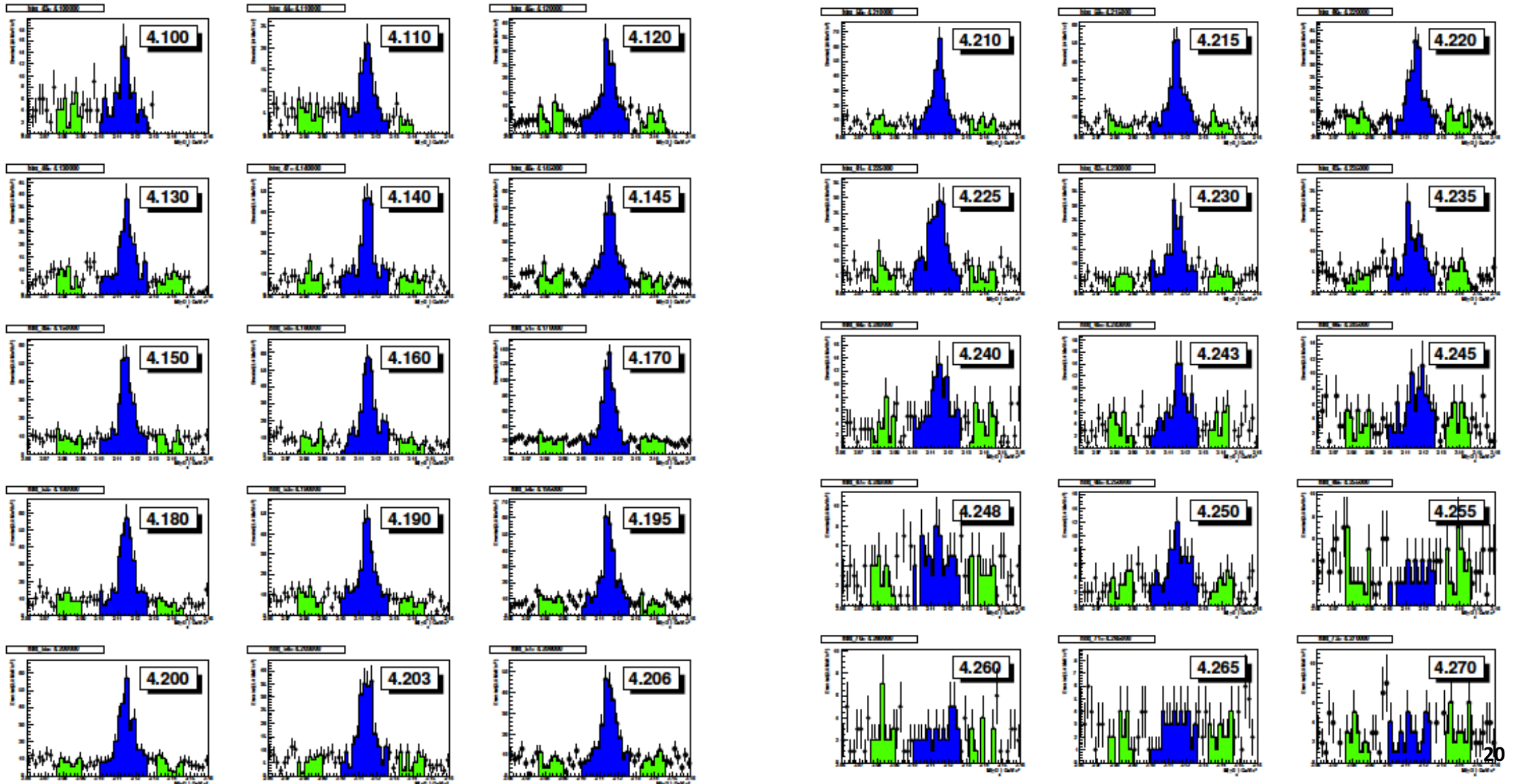
We can't generate inclusive MC at all energy Points. So we can only check this with realdata.

M(γ Ds) @XYZ data points



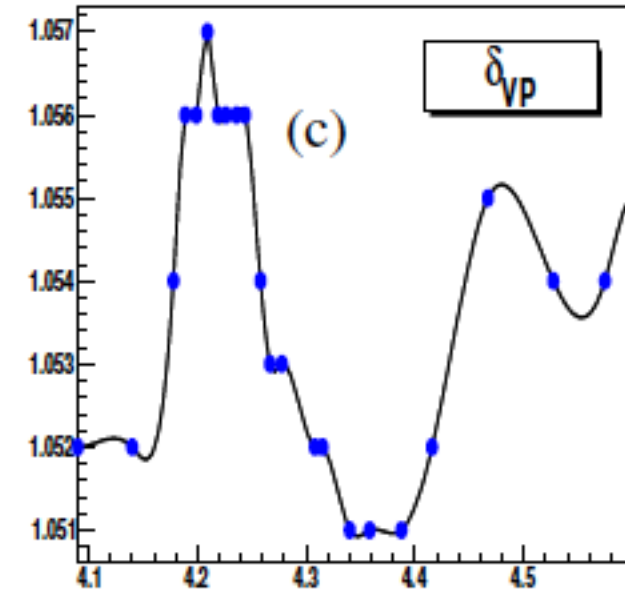
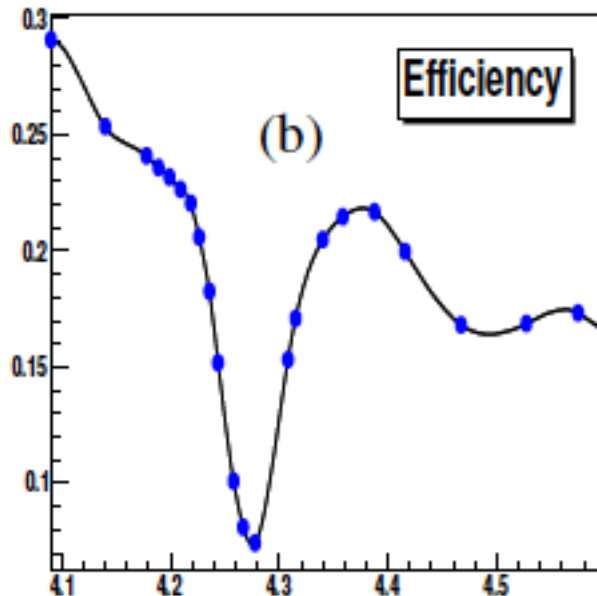
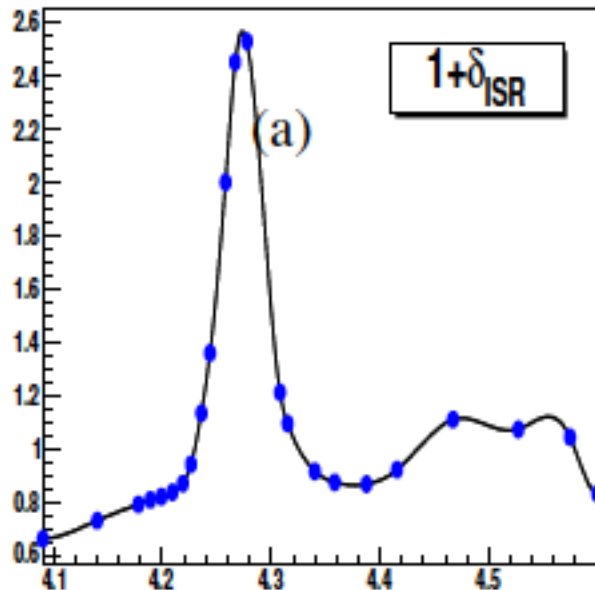
At most of the energy points the signal event number is Large enough and the background is flat.

M(γ Ds) @R-scan data points (part)



Interpolate for R-scan data

- We only generate MC samples at XYZ data points.
- We didn't generate MC samples for R-scan data, the needed ISR correction factor, efficiency, and vacuum polarization factor are gotten by **Cubic Spline Interpolation**. Besides the XYZ data points, we also generate MC at 4.09, 4.14, 4.315, 4.340GeV as reference nodes to reduce the distance between adjacent nodes.



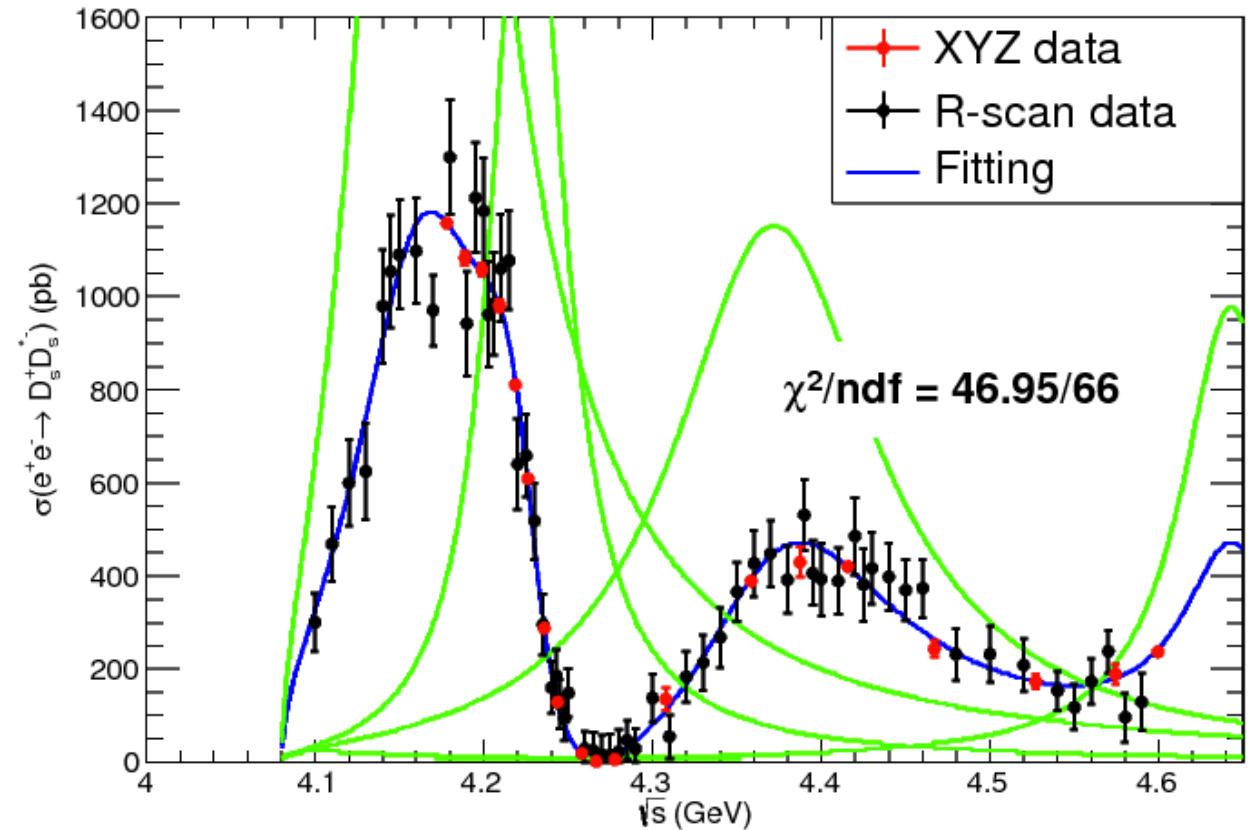
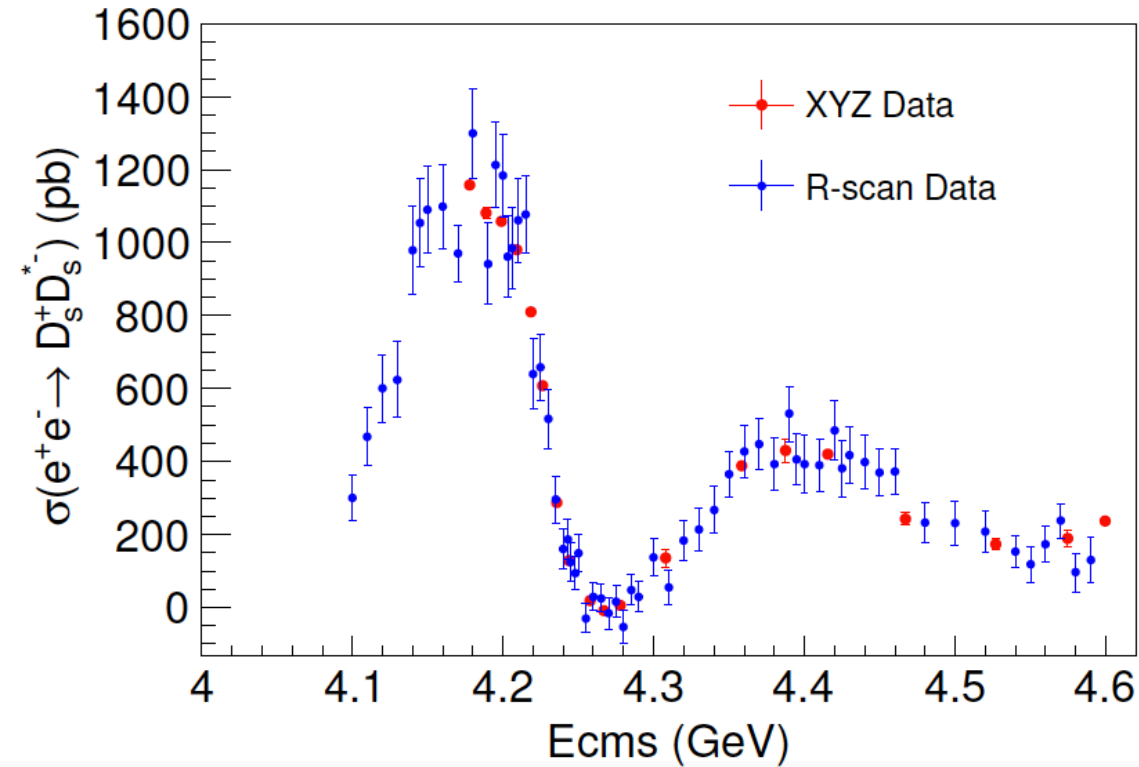
The cross section for XYZ data

$E_{cms}(GeV)$	Luminosity(pb^{-1})	N_{sig}	Efficiency	$1 + \delta_{ISR}$	δ_{VP}	$\sigma(D_s D_s^*) pb$
4.178	3160	40052±207	0.241	0.791	1.054	1157.98±5.98
4.1888	524.6	6217±81.5	0.236	0.807	1.056	1081.95±14.18
4.1989	526	6077.5±80.5	0.232	0.819	1.056	1057.87±14.01
4.2092	518	5548.5±76.5	0.227	0.837	1.057	980.78±13.52
4.2187	514.6	4596±70	0.220	0.869	1.056	810.04± 12.34
4.22626	1100.94	7470.5±92.5	0.206	0.941	1.056	608.50± 7.53
4.2357	530.3	1816.5±51	0.183	1.133	1.056	287.60± 8.07
4.2438	538.1	822±43	0.152	1.36	1.056	128.55± 6.72
4.25797	828.4	183.5±44.5	0.101	2.001	1.054	19.10± 4.63
4.2668	531.1	-54±33.5	0.081	2.454	1.053	-8.92± 5.53
4.2777	175.7	10.5±19.5	0.074	2.531	1.053	5.55±10.30
4.30789	45.08	65±12	0.153	1.212	1.052	135.48± 25.01
4.35826	543.9	2271.5±53	0.215	0.874	1.051	388.72± 9.07
4.3874	55.57	257±19	0.217	0.866	1.051	430.09± 31.80
4.41558	1090.7	4825.5±76.5	0.200	0.921	1.052	419.76± 6.65
4.46706	111.09	289.5±20.5	0.168	1.109	1.055	243.14± 17.22
4.52714	112.12	202±18	0.169	1.073	1.054	173.23± 15.44
4.5745	48.93	96±11	0.173	1.044	1.054	188.83± 21.64
4.59953	586.9	1110.5±38	0.167	0.831	1.055	237.37± 8.12

With statistical uncertainty only

The cross section for R-scan data can be Found in backup slides

The Born cross section for $e^+e^- \rightarrow D_s^+ D_s^{*-}$



A very preliminary fit to the cross section with coherent sum of 5 Breit-Wigner.

$\psi(4040)$ and $Y(4660)$ are fixed to PDG mass and width. Parameters of the other 3 are free in the fit.

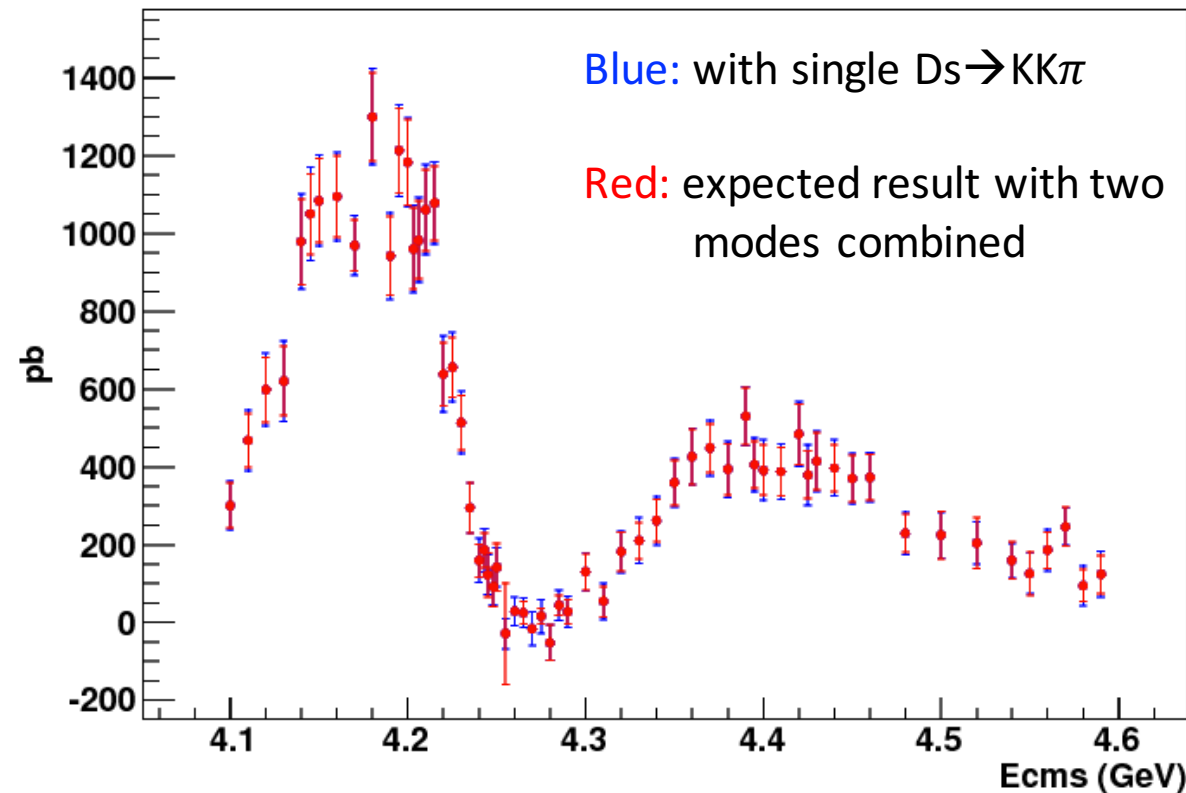
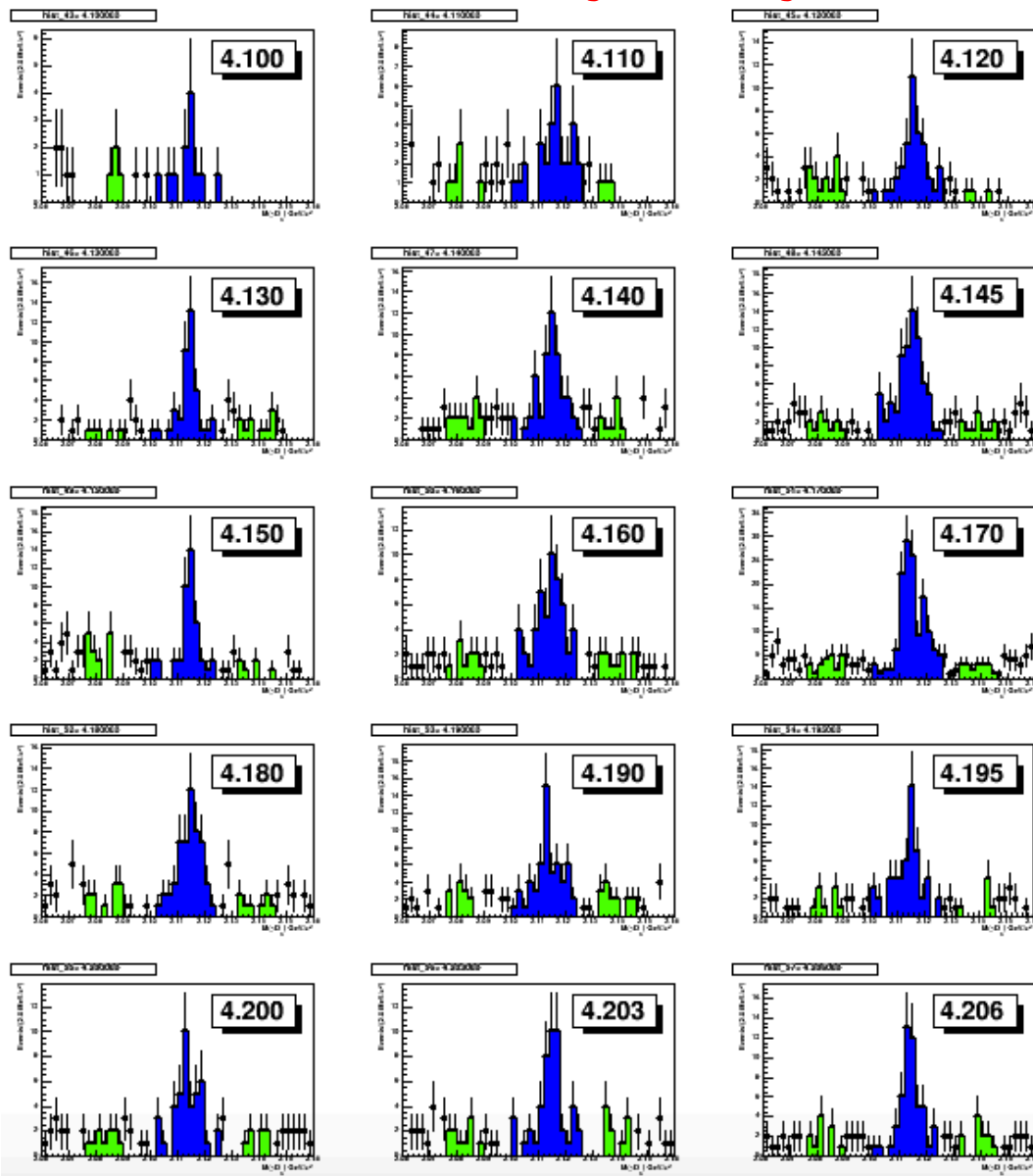
$M_1 = 4160.3 \pm 1.8$ MeV, $\Gamma_1 = 94.7 \pm 2.3$ MeV

$M_2 = 4225.0 \pm 0.6$ MeV, $\Gamma_2 = 49.2 \pm 1.3$ MeV

$M_3 = 4369.2 \pm 2.7$ MeV, $\Gamma_3 = 146.7 \pm 5.9$ MeV

Other Ds decay mode?

Real data for r-scan data for $D_s^+ \rightarrow K^+ K_S^0$



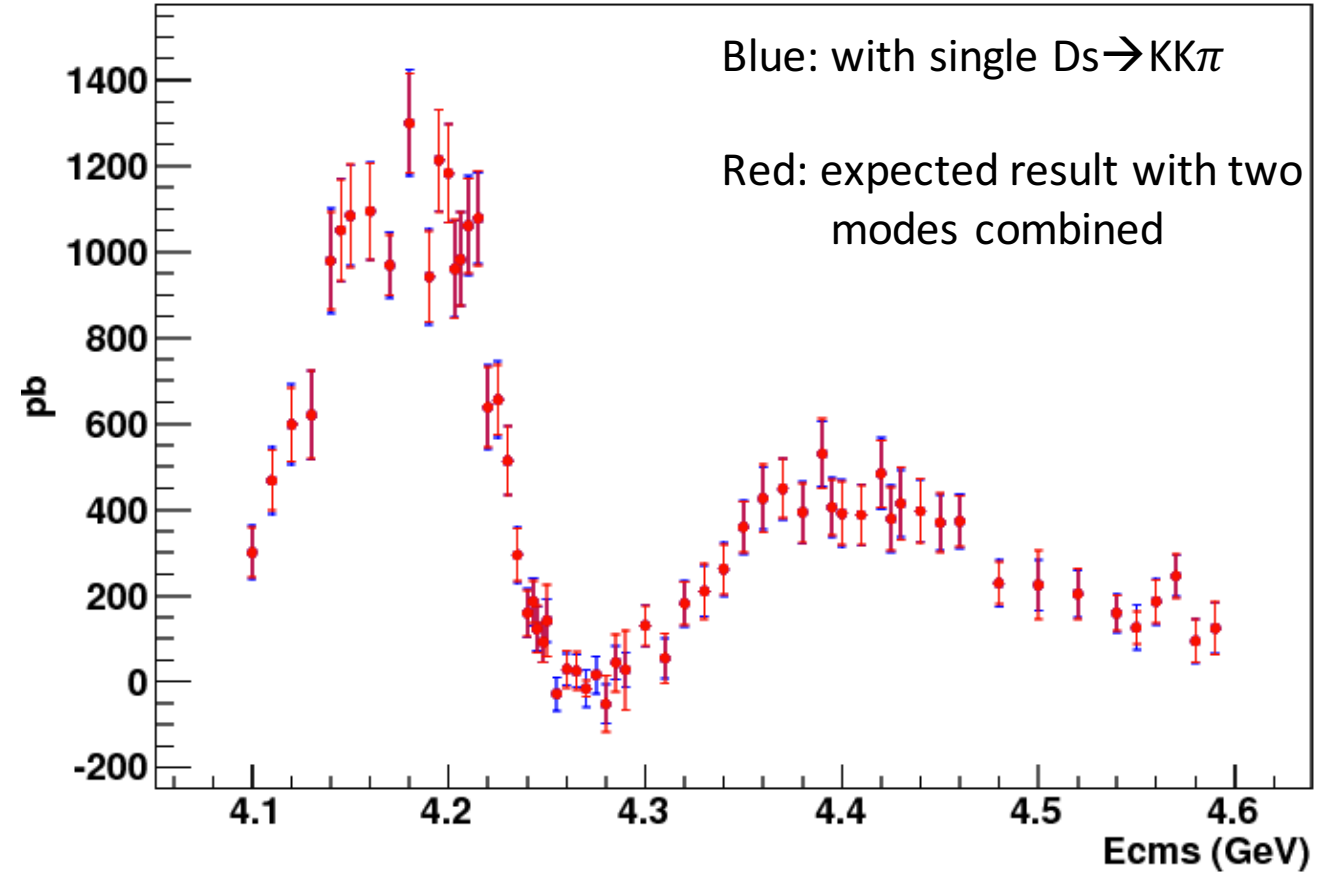
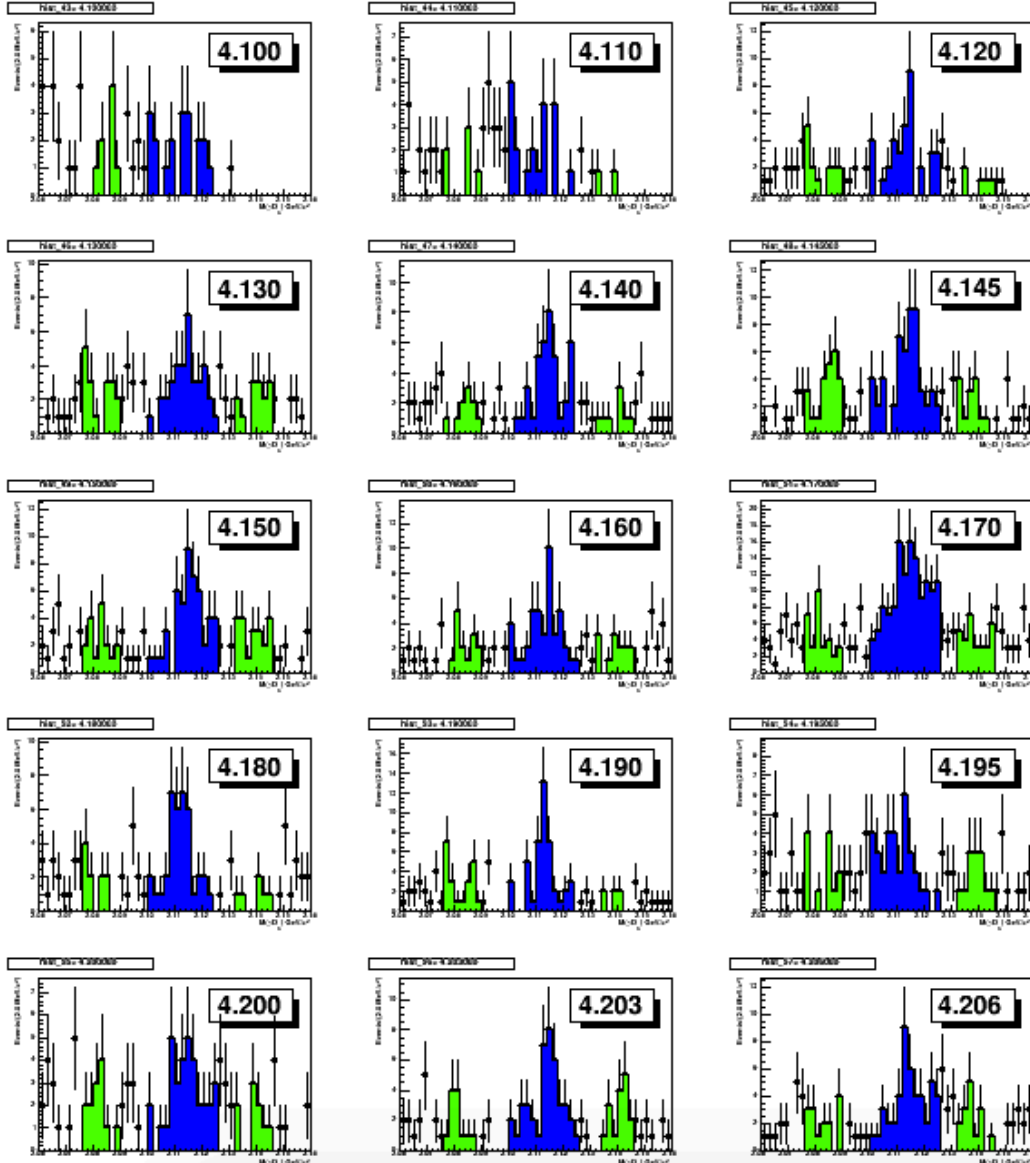
$D_s^+ \rightarrow K^+ K_S^0$ has about 25% statistical of the $D_s \rightarrow KK\pi$

Combining the two channels would reduce the relative uncertainty by $\sim 10\%$.

Currently, we didn't consider this mode

$$D_s^+ \rightarrow K_S^0 K^- \pi^+ \pi^+$$

Real data for r-scan data



The statistical is too low, background is too high.
Including this mode don't have significant improvement
To the uncertainty

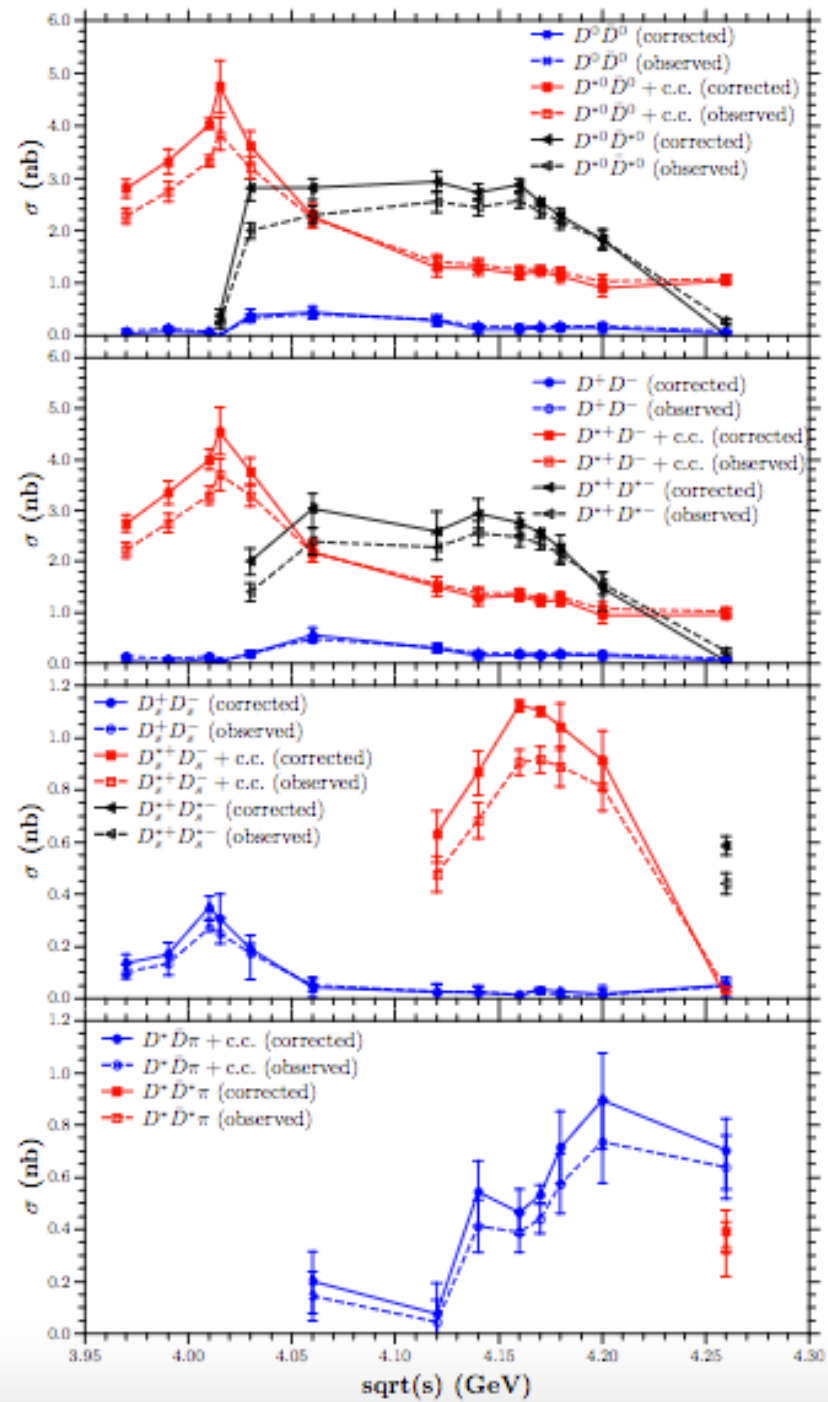
Summary

- We have finished the event selection and background analysis, and get the preliminary cross section.
- Next to do
 - Systematic uncertainty
 - Kinematic fit uncertainty
 - Non-flat background(try use fitting instead of counting?)
 - Include new XYZ data taken@2019

The born cross section @ R-scan data

Ecms crossection uncertainty

4.1	300.744	62.655	4.255	-29.7635	40.2999	4.48	231.995	55.6305
4.11	468.382	78.8435	4.26	29.1528	37.0035	4.5	231.378	60.889
4.12	600.214	93.3352	4.265	25.2057	38.7217	4.52	207.84	55.8914
4.13	624.21	104.035	4.27	-15.7156	43.5145	4.54	153.186	42.2201
4.14	979.034	121.471	4.275	16.1638	44.1022	4.55	117.707	48.8198
4.145	1053.89	120.529	4.28	-52.9845	46.1908	4.56	173.027	49.5569
4.15	1090.56	117.532	4.285	47.1846	41.6129	4.57	237.701	46.5791
4.16	1098.52	113.905	4.29	29.2719	41.9678	4.58	96.0864	52.3539
4.17	969.795	76.307	4.3	137.484	51.2676	4.59	129.439	61.8597
4.18	1299.04	123.336	4.31	54.7997	47.1405			
4.19	942.186	111.692	4.32	183.205	53.5589			
4.195	1212.65	118.318	4.33	213.819	59.5247			
4.2	1183.85	114.92	4.34	267.642	64.6783			
4.203	961.758	112.339	4.35	365.784	63.4335			
4.206	984.292	109.687	4.36	426.89	71.589			
4.21	1060.69	115.241	4.37	447.671	71.1819			
4.215	1077.63	106.392	4.38	392.278	72.137			
4.22	639.87	97.6258	4.39	530.683	75.6967			
4.225	658.539	89.1667	4.395	406.13	69.6507			
4.23	517.27	81.0498	4.4	392.694	77.9917			
4.235	295.266	65.1936	4.41	389.428	71.689			
4.24	160.118	56.3763	4.42	485.582	83.4243			
4.243	186.219	55.4428	4.425	381.761	77.9264			
4.245	124.239	52.8267	4.43	416.827	77.3596			
4.248	94.199	47.2948	4.44	398.495	71.7579			
4.25	148.543	52.4009	4.45	369.763	65.5675			
			4.46	373.032	62.6017			



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Derived born cross section from CLEO-c measurement.

