

Updates on RNN τ Decay Mode Classification

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Outline

- * Introduction to tau particle flow method
- * BDT decay mode classification
- * First try on RNN decay mode classification
- * ToDos

Lara's slides

Tracking Det EM Cal Had Cal

$\pi^{+/-}$

π^0

Had Cal

EM Cal

Strip Layer

$\Delta\eta = 0.1$

π^0

π^-

- use tracks to identify $\pi^{+/-}$
- use energy deposition in Had Cal and tracking detector to determine the $\pi^{+/-}$ energy in the EM Cal
- subtract the $\pi^{+/-}$ energy from matched cluster in the EM Cal
- identify neutral particles from remnant clusters
- use strip-layer information to identify neutral pions (2 photon shots)



Introduction to tau particle flow method

Lara's slides

Challenges:

Conversion tracks, tracking inefficiency

- use tracks to identify $\pi^{+/-}$
- use energy deposition in Had Cal and tracking detector to determine the $\pi^{+/-}$ energy in the EM Cal
- subtract the $\pi^{+/-}$ energy from matched cluster in the EM Cal
- identify neutral particles from remnant clusters
- use strip-layer information to identify neutral pions (2 photon shots)

Disentangle energy deposits from $h^\pm$ showers when reconstruct the energy of π^0



Lara Schildgen • Tau decay mode identification for Run 3 • Prague 06.06.19

3

1p 1n vs $\geq 2n$: π^0 fail selection, energy deposits merge into one cluster

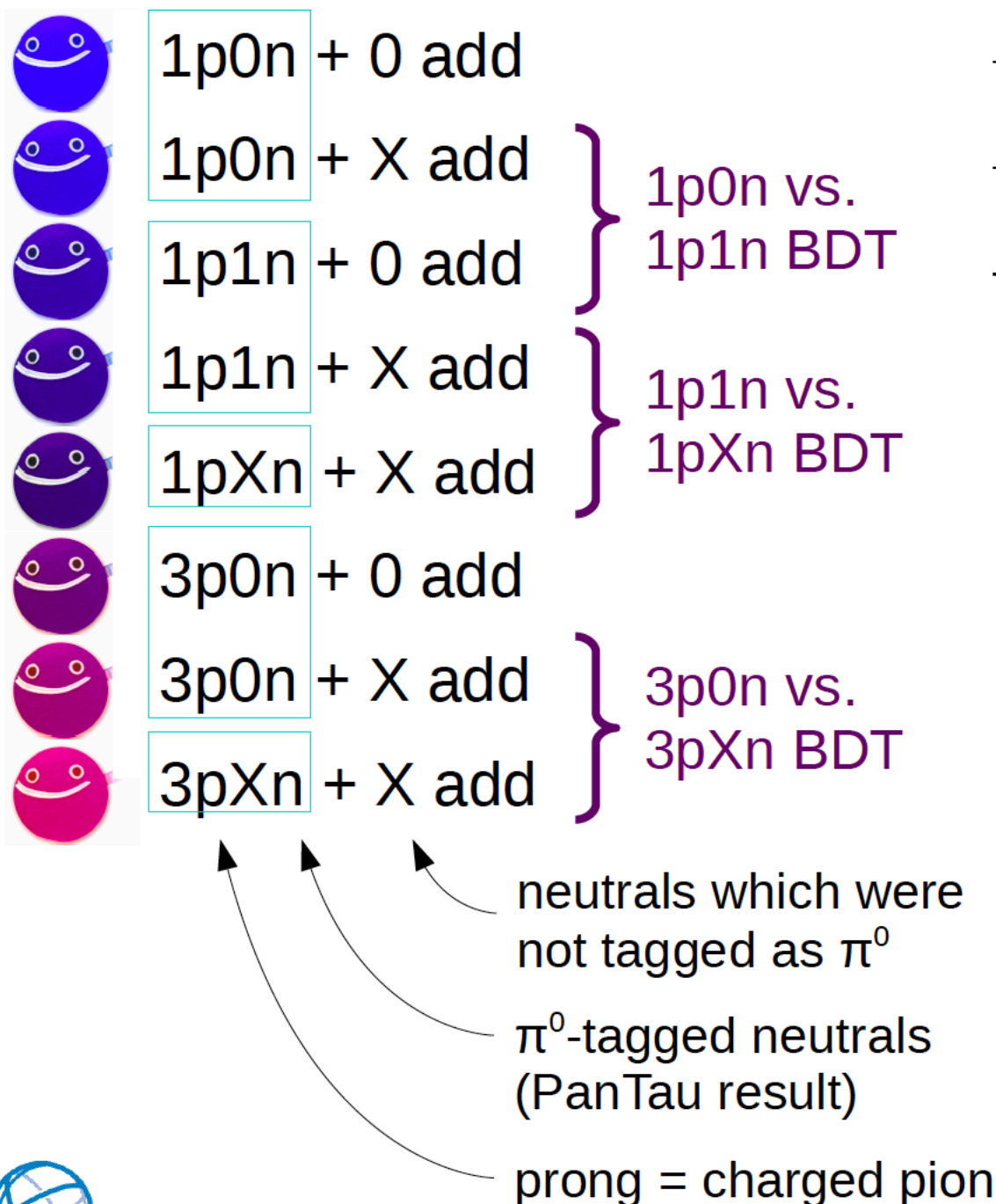
3p 0n vs $\geq 1n$: π^0 s are typically soft with large overlapping $h^\pm$ deposits

During π^0 reconstruction, the energy deposits from both photons typically merge into a single cluster

BDT decay mode classification

Tau Decay Mode Classification

Extended **PanTau** decay modes:



Decay mode test	$N(\pi_{\text{cand}}^0)$	$N(\pi_{\text{ID}}^0)$	Variables
$h^\pm \{0, 1\} \pi^0$	≥ 1 1	0 1	$S_1^{\text{BDT}}, f_{\pi^0,1}, \Delta R(h^\pm, \pi^0), D_{h^\pm}, N_\gamma$
$h^\pm \{1, \geq 2\} \pi^0$	≥ 2 ≥ 2	1 ≥ 2	$S_2^{\text{BDT}}, f_{\pi^0}, m_{\pi^0}, N_{\pi^0}, N_\gamma$
$3h^\pm \{0, \geq 1\} \pi^0$	≥ 1 ≥ 1	0 ≥ 1	$S_1^{\text{BDT}}, f_{\pi^0}, \sigma_{E_T, h^\pm}, m_{h^\pm}, N_\gamma$

from imperfect $h^\pm$ subtraction, pile-up and underlying event

Improving decay mode classification with machine learning techniques in Boosted Decision Trees (BDT)

Resulting information for analyses:

- decay mode
- preliminary τ 4-vector
= 4-vectors of charged + neutral pions

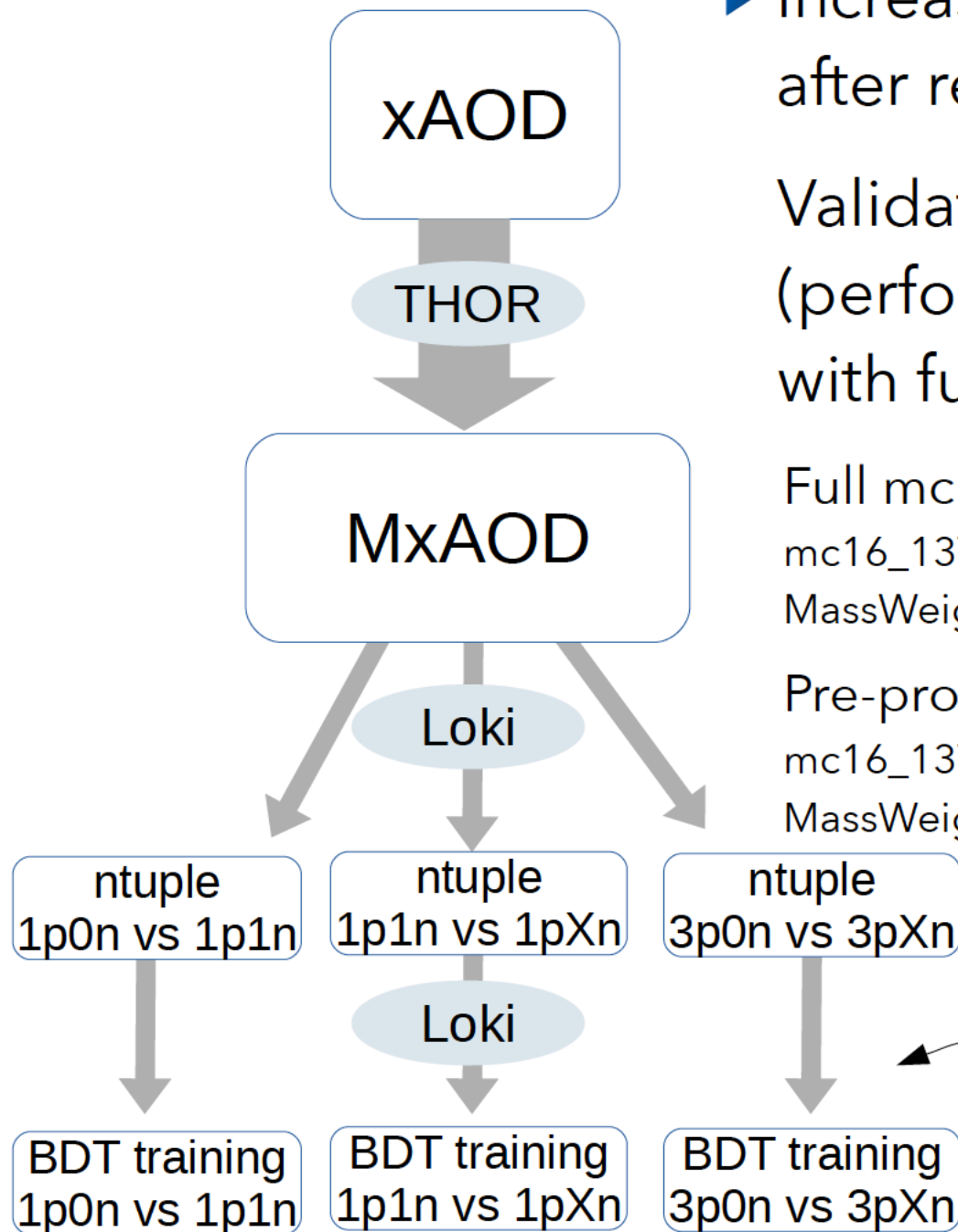
INPUT

METHOD OUTPUT



BDT Re-Training

PanTau
BDT Training
mc16D



- Increase of decay mode classification efficiency after re-training of the three PanTau BDTs for R21

Validation of R21 PanTau BDT tuning (performed on pre-production sample) with full mc16D sample

Full mc16D Gammatautau sample:

mc16_13TeV.425200.Pythia8EvtGen_A14NNPDF23LO_Gammatautau_MassWeight.merge.AOD.e5468_s3126_r10201_r10210

Pre-production Gammatautau sample used for R21 tuning:

mc16_13TeV.425200.Pythia8EvtGen_A14NNPDF23LO_Gammatautau_MassWeight.merge.AOD.e5468_s2997_r8903_r8906

BDT training of 3 decay mode specific BDTs using extended tau decay mode

Migration Matrices

BDT Training
mc16D

"pre-training" = trained on preprod sample

evaluation:

"post-training" = trained on full mc16D sample

Gammatautau

pre-training

Reco Tau Decay Mode	<i>ATLAS</i>	Simulation	Internal	Diagonal	73.1% Efficiency	
	1p0n	1p1n	1pXn	3p0n	3pXn	
	3pXn	0.0	0.5	0.5	5.6	58.5
	3p0n	0.1	0.1	0.1	91.2	36.1
	1pXn	2.0	11.1	40.0	0.5	1.7
	1p1n	17.7	77.7	56.6	1.5	3.3
	1p0n	80.3	10.5	2.8	1.2	0.4

True Tau Decay Mode

post-training

Reco Tau Decay Mode	<i>ATLAS</i>	Simulation	Internal	Diagonal	73.1% Efficiency	
	1p0n	1p1n	1pXn	3p0n	3pXn	
	3pXn	0.0	0.5	0.5	5.4	58.0
	3p0n	0.1	0.1	0.1	91.4	36.6
	1pXn	2.0	11.2	40.4	0.5	1.7
	1p1n	16.6	77.2	56.1	1.4	3.3
	1p0n	81.3	11.0	2.9	1.2	0.4

True Tau Decay Mode

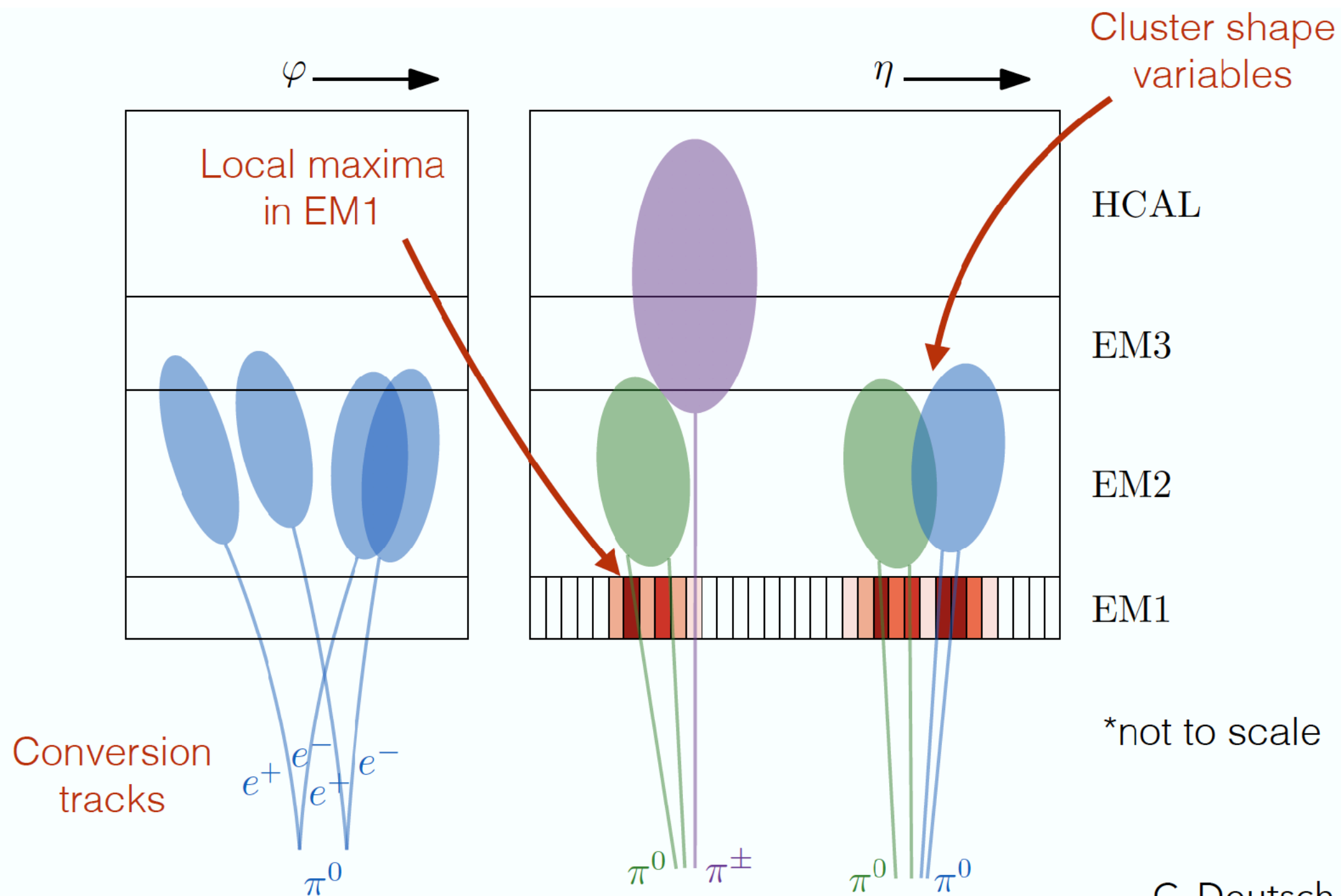
- Stable performance after PanTau BDT re-training on full mc16D sample (decay mode reconstruction efficiency differences <1%)



- Find all evaluation plots in the [plotbook](#)

RNN decay mode classification

- * Based on Christopher Deutsch's study: [link to documentation](#)
- * Using additional information:



Input variables

* Using additional information:

$h^\pm$ from track
in inner detector



$$\phi, \Delta\phi(\text{pfo}, \tau), \eta, \Delta\eta(\text{pfo}, \tau), p_T, p_T(\tau)$$

π^0 from cluster
in EM calorimeter



$$\phi, \Delta\phi(\text{pfo}, \tau), \eta, \Delta\eta(\text{pfo}, \tau), p_T, p_T(\tau),$$

- xAOD::PFODetails::PFOAttributes::cellBasedNHitsInEM1,
SECOND_R, ENG_FRAC_CORE, NPosECells_EM1,
secondEtaWRTClusterPosition_EM1
- pfo->bdtpi0Score

$$\text{EnergyFracEM2} = \text{energy_EM2} / \text{pfo->cluster(0)->e()}$$

$$\text{PtSubRatio} = \frac{\text{pfo->cluster(0)->pt()} - \text{pfo->pt()}}{\text{pfo->cluster(0)->pt()}}$$

From track
classification



$$\phi, \Delta\phi(\text{trk}, \tau), \eta, \Delta\eta(\text{trk}, \tau), p_T, p_T(\tau)$$

Local maxima
in EM1 (in η -dir.)



$$\phi, \Delta\phi(\text{pfo}, \tau), \eta, \Delta\eta(\text{pfo}, \tau), p_T, p_T(\tau)$$

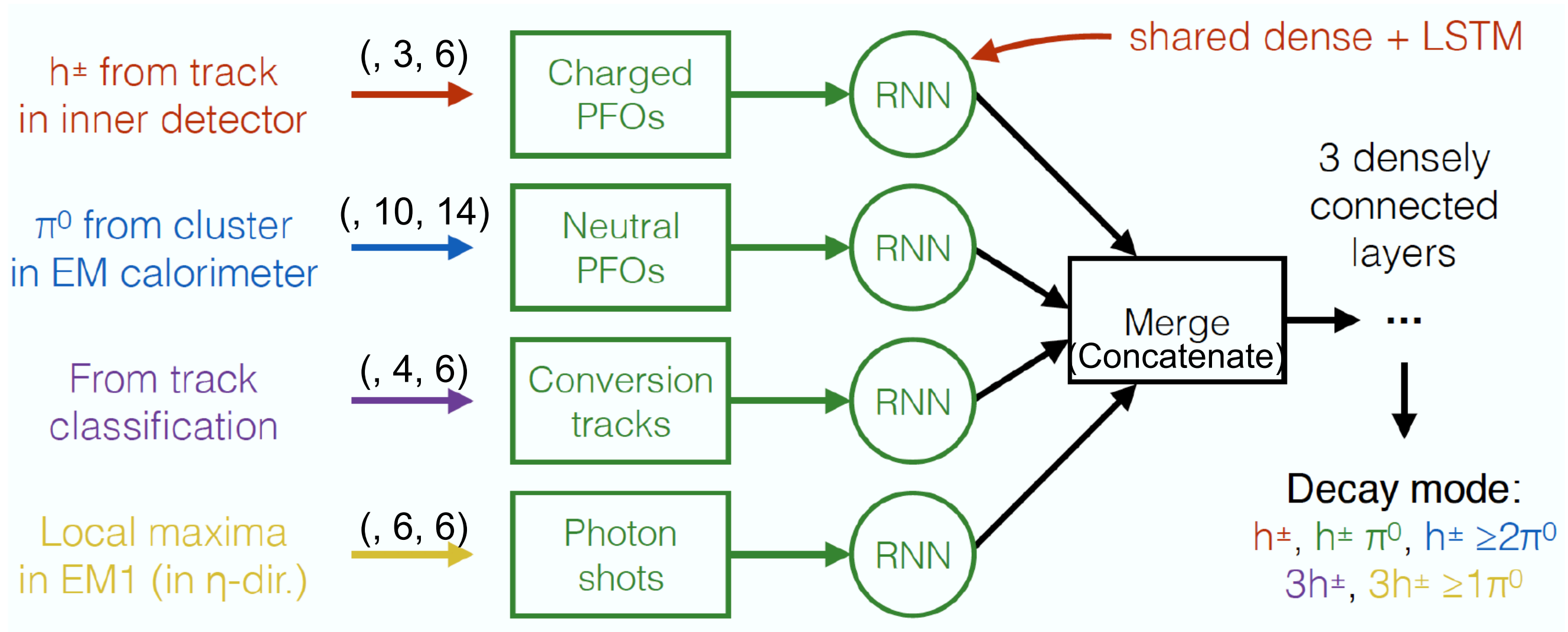
Note: Needs to apply some preprocessing strategies (log, abs, scale, offset, ...) to ensure stable training.

RNN Architecture

Shape: (n_samples, timesteps, features)

i.e. (n_samples, n_objects, n_variables)

objects are sorted in descending pT, fill zeros to control dimensions



RNN Architecture: technical details



Example: ChargedPFO branch:

Input Layer

- Three time steps (nChargedPFOs should be equal to nChargedTracks, then this is always 1 or 3)
- Six features

Masking Layer

- Skip the empty time steps (zeros array)

TimeDistribute Layer

- Apply a dense layer on each time step
- Extend features from 6 to 24, shared by all time steps
- Could be optimal for RNN

LSTM (Long-Short Term Memory) Layer

- 24 input neurons, 24 hidden neurons, 24 output neurons

Concatenate with other branches and feed to the final densely connected Layer

First try

- * Train on mc16d Gammatautau sample: mc16_13TeV.
425200.Pythia8EvtGen_A14NNPDF23LO_Gammatautau_MassWeight.merge.AOD.e5468_s3
126_r10201_r10210
- * Before the training, same selections are applied as BDT. (Finally after the selections and random shuffling, NumPy arrays are stored in a series of HDF5 files.)
- * ~6M for training (10% validation), ~6M for testing
- * ~12h training time (stop when the loss doesn't improve, use the model with the minimum loss)
- * Hyper-parameters are detailed in backup

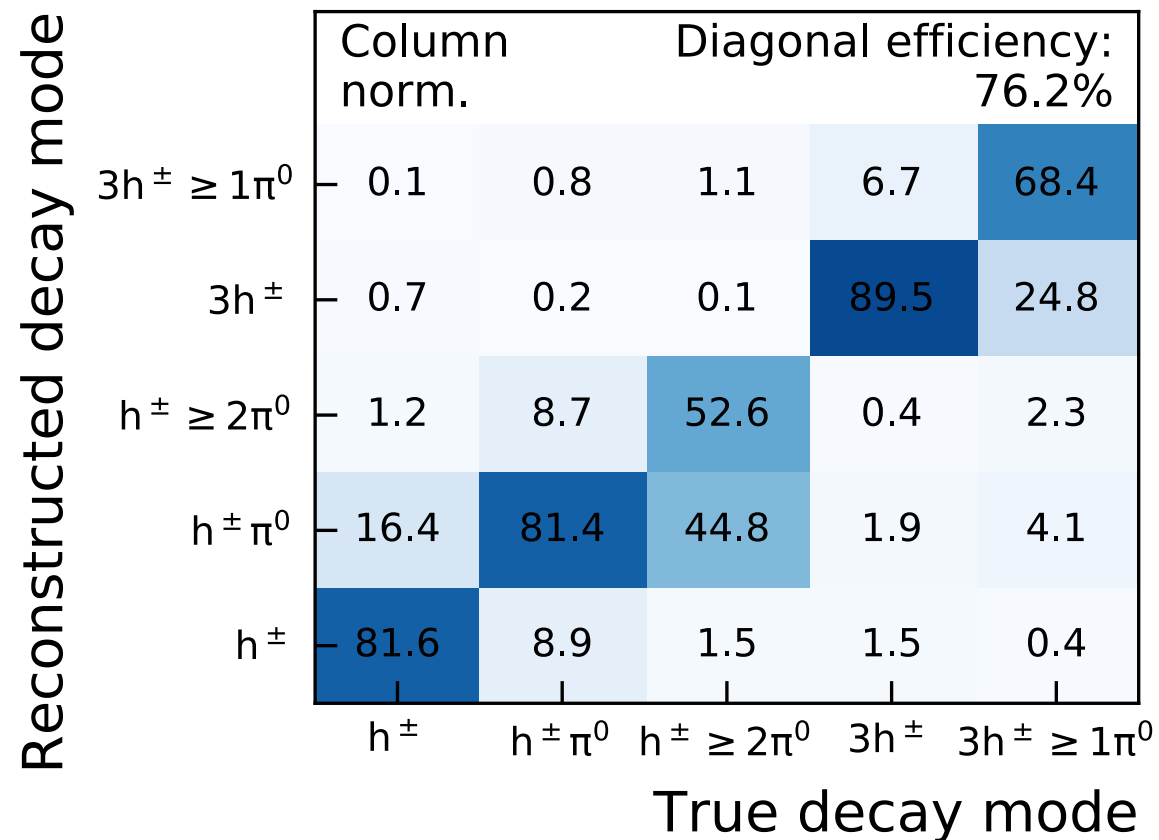
First try

- * Noticed bug: Delta Phis and Delta Etas are zero (looks fine in the MxAOD, miscalculate in the code.) Could lose a lot of important information! (~40% information and may lead to strange behaviours of an RNN)
- * NOT fixed yet..

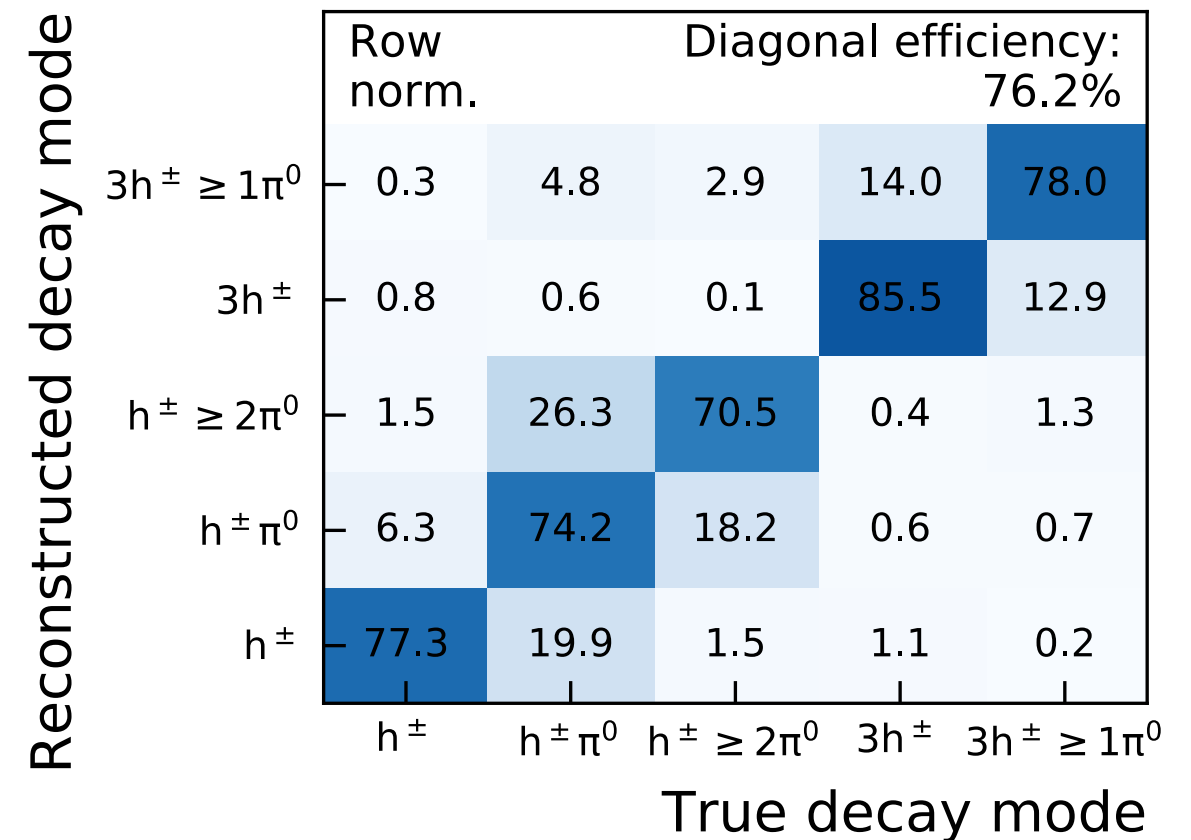
```
(Pdb) chrg_train.x[3]
array([[ -0.15978548,  0.          ,  0.084272  ,  0.          ,  0.83250107,  1.98806074],
       [ -0.15978548,  0.          ,  0.084272  ,  0.          ,  0.72135359,  1.98806074],
       [ -0.15978548,  0.          ,  0.084272  ,  0.          , -0.2773456 ,  1.98806074]])
```

First try result: Migration matrices

Efficiency



Purity



ToDos

- * Investigate input variables (current/new branch, TauJets variables, High level variables, how are they related to BDT inputs)
- * Improve workflow
- * Evaluation, get hidden information from the NN (what is remembered)
- * NN architecture: ...
- * Harmonise with other algorithms

Backup

BDT inputs

π^0 identification score of the first π_{cand}^0, S_1^{BDT}
π^0 identification score of the π_{cand}^0 with the highest π^0 identification score
E_T fraction of the first π_{cand}^0, $f_{\pi^0,1}$
E_T of the π_{cand}^0 with the highest π^0 identification score, divided by the E_T -sum of all π_{cand}^0 's and $h^\pm$'s
Hadron separation, $\Delta R(h^\pm, \pi^0)$
ΔR between the $h^\pm$ and the π_{cand}^0 with the highest π^0 identification score
$h^\pm$ distance, $D_{h^\pm}$
E_T -weighted ΔR between the $h^\pm$ and the $\tau_{\text{had-vis}}$ axis, which is calculated by summing the four-vectors of all $h^\pm$'s and π_{cand}^0 's
Number of photons, N_γ
Total number of photons in the $\tau_{\text{had-vis}}$, as reconstructed in Section 3.3
π^0 identification score of second π_{cand}^0, S_2^{BDT}
π^0 identification score of the π_{cand}^0 with the second-highest π^0 identification score
π_{cand}^0 E_T fraction, f_{π^0}
E_T -sum of π_{cand}^0 's, divided by the E_T -sum of π_{cand}^0 's and $h^\pm$'s
π_{cand}^0 mass, m_{π^0}
Invariant mass calculated from the sum of π_{cand}^0 four-vectors
Number of π_{cand}^0, N_{π^0}
Standard deviation of the $h^\pm$ p_T, $\sigma_{E_T, h^\pm}$
Standard deviation, calculated from the p_T values of the $h^\pm$'s for $\tau_{\text{had-vis}}$ with three associated tracks
$h^\pm$ mass, $m_{h^\pm}$
Invariant mass calculated from the sum of $h^\pm$ four-vectors

Table 4: Variables used in the BDTs for the $\tau_{\text{had-vis}}$ decay mode classification. They are designed to discriminate against additional misidentified π_{cand}^0 's, which usually come from imperfect subtraction, pile-up or the underlying event.

Model

INFO:main:			
INFO:main:	Layer (type)	Output Shape	Param # Connected to
INFO:main:	=====		
INFO:main:	input_1 (InputLayer)	(None, 3, 6)	0
INFO:main:			
INFO:main:	input_2 (InputLayer)	(None, 10, 14)	0
INFO:main:			
INFO:main:	input_3 (InputLayer)	(None, 6, 6)	0
INFO:main:			
INFO:main:	input_4 (InputLayer)	(None, 4, 6)	0
INFO:main:			
INFO:main:	masking_1 (Masking)	(None, 3, 6)	0 input_1[0][0]
INFO:main:			
INFO:main:	masking_2 (Masking)	(None, 10, 14)	0 input_2[0][0]
INFO:main:			
INFO:main:	masking_3 (Masking)	(None, 6, 6)	0 input_3[0][0]
INFO:main:			
INFO:main:	masking_4 (Masking)	(None, 4, 6)	0 input_4[0][0]
INFO:main:			
INFO:main:	time_distributed_1 (TimeDistrib	(None, 3, 24)	168 masking_1[0][0]
INFO:main:			
INFO:main:	time_distributed_2 (TimeDistrib	(None, 10, 24)	360 masking_2[0][0]
INFO:main:			
INFO:main:	time_distributed_3 (TimeDistrib	(None, 6, 16)	112 masking_3[0][0]
INFO:main:			
INFO:main:	time_distributed_4 (TimeDistrib	(None, 4, 16)	112 masking_4[0][0]
INFO:main:			
INFO:main:	lstm_1 (LSTM)	(None, 24)	4704 time_distributed_1[0][0]
INFO:main:			
INFO:main:	lstm_2 (LSTM)	(None, 24)	4704 time_distributed_2[0][0]
INFO:main:			
INFO:main:	lstm_3 (LSTM)	(None, 16)	2112 time_distributed_3[0][0]
INFO:main:			
INFO:main:	lstm_4 (LSTM)	(None, 16)	2112 time_distributed_4[0][0]
INFO:main:			
INFO:main:	concatenate_1 (Concatenate)	(None, 80)	0 lstm_1[0][0] lstm_2[0][0] lstm_3[0][0] lstm_4[0][0]
INFO:main:			
INFO:main:	dense_5 (Dense)	(None, 64)	5184 concatenate_1[0][0]
INFO:main:			
INFO:main:	dense_6 (Dense)	(None, 32)	2080 dense_5[0][0]
INFO:main:			
INFO:main:	dense_7 (Dense)	(None, 5)	165 dense_6[0][0]
INFO:main:	=====		
INFO:main:	Total params:	21,813	
INFO:main:	Trainable params:	21,813	
INFO:main:	Non-trainable params:	0	
INFO:main:			

Model

```
opt = SGD(lr=0.01, momentum=0.9, nesterov=True)
model.compile(loss="categorical_crossentropy", optimizer="adam",
              metrics=["categorical_accuracy"])

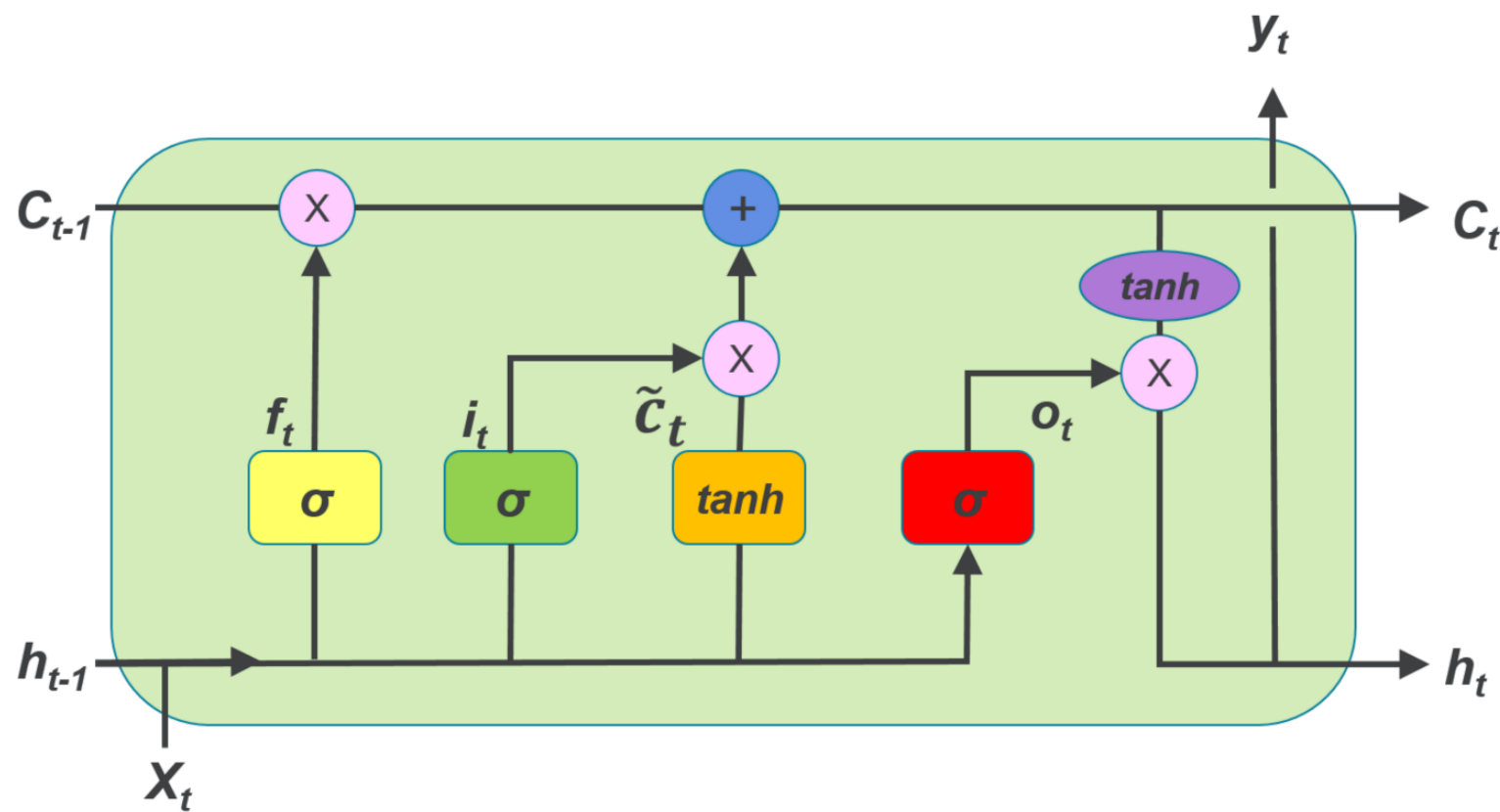
callbacks = []

early_stopping = EarlyStopping(
    monitor="val_loss", min_delta=0.0001, patience=10, verbose=1)
callbacks.append(early_stopping)

model_checkpoint = ModelCheckpoint(
    args.model, monitor="val_loss", save_best_only=True, verbose=1)
callbacks.append(model_checkpoint)

hist = model.fit(
    [chrg_train.x, neut_train.x, shot_train.x, conv_train.x],
    chrg_train.y, sample_weight=chrg_train.w,
    validation_data=([chrg_test.x, neut_test.x, shot_test.x,
conv_test.x], chrg_test.y, chrg_test.w),
    epochs=100, batch_size=256, callbacks=callbacks,
    verbose=1)
```

LSTM



$$\tilde{c}^{<t>} = \tanh(W_c[a^{<t-1>}, x^{<t>}] + b_c)$$

$$\Gamma_u = \sigma(W_u[a^{<t-1>}, x^{<t>}] + b_u)$$

$$\Gamma_f = \sigma(W_f[a^{<t-1>}, x^{<t>}] + b_f)$$

$$\Gamma_o = \sigma(W_o[a^{<t-1>}, x^{<t>}] + b_o)$$

$$c^{<t>} = \Gamma_u * \tilde{c}^{<t>} + \Gamma_f * c^{<t-1>}$$

$$a^{<t>} = \Gamma_o * c^{<t>}$$