TeV cosmic ray anisotropy in the local interstellar medium

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The 10th International Workshop on Air Shower Detection at High Altitudes 14:30-15:00, Jan 9, 2020

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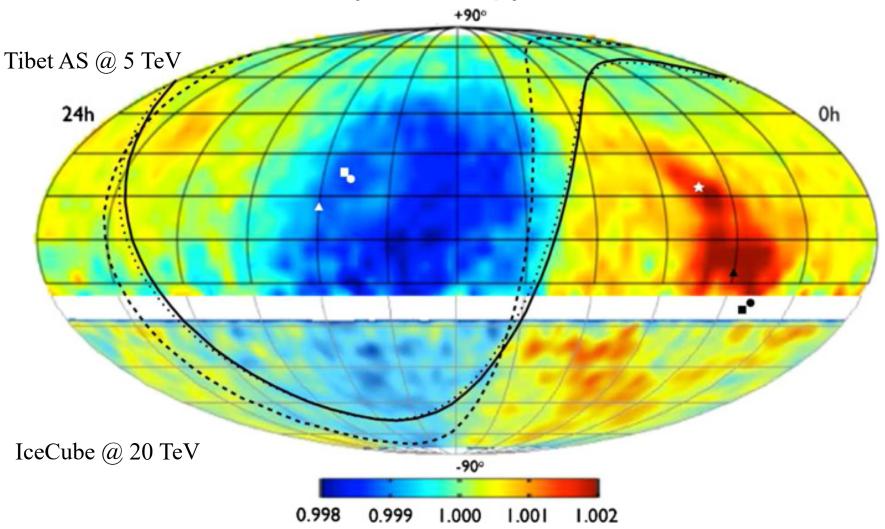
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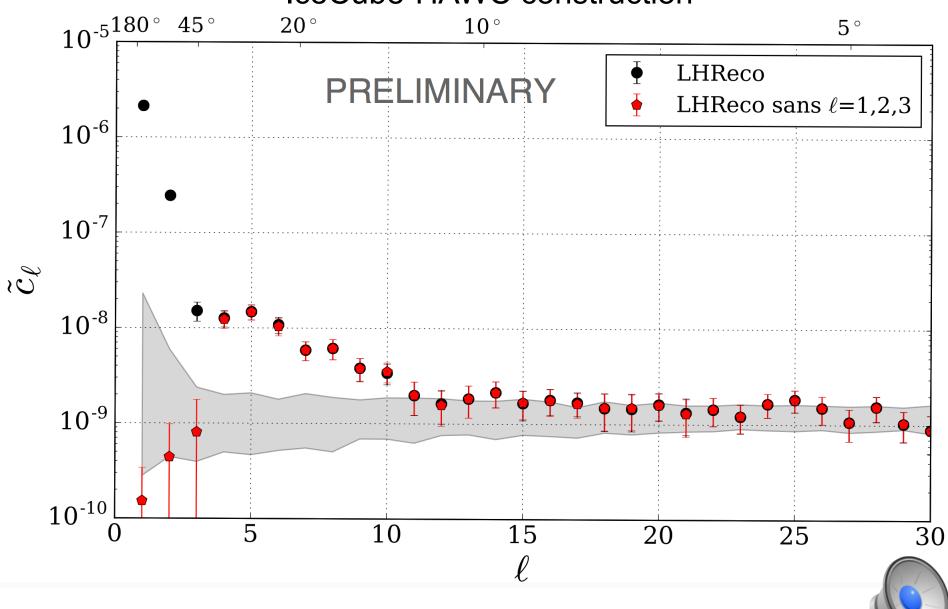
TeV cosmic ray anisotropy observations



Relative Intensity Map in Equatorial Coordinates (from Destiati and Lazarian, 2013)

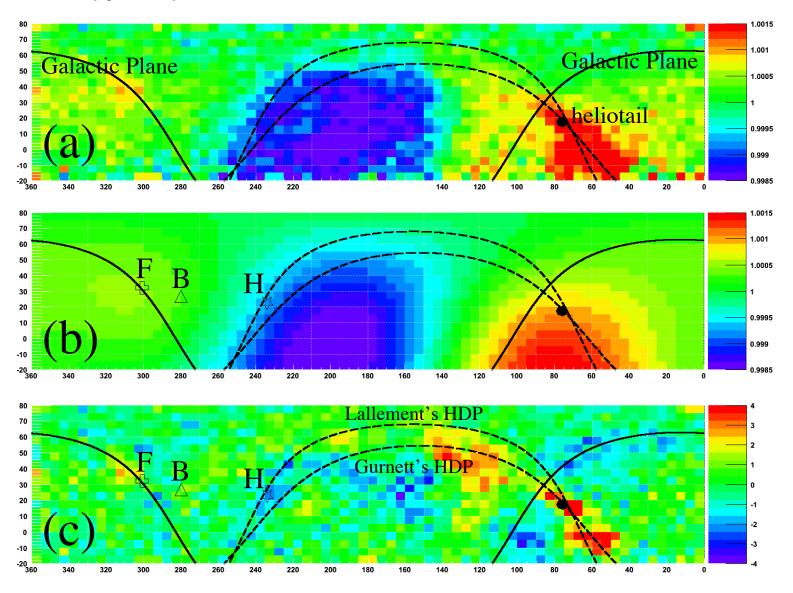


Spherical Harmonic Power Spectrum of TeV CR Anisotropy IceCube-HAWC construction



Tibet ASγ anisotropy observations

Decomposition into two orthogonal dipoles and one bidirectional anisotropy and plus small features

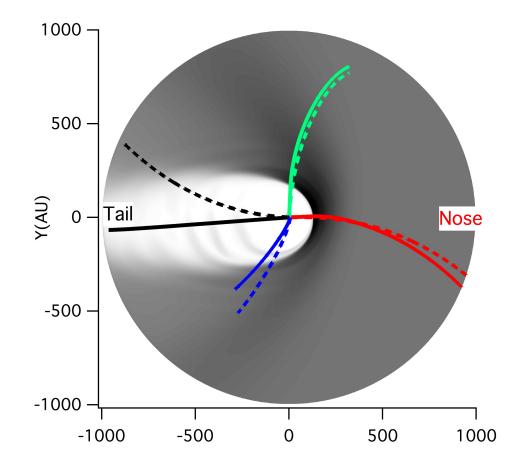




Size of heliosphere (heliopause): Nose: ~150 AU, Flank ~300 AU Tail: A few thousand AU Gyroradius of protons in 3.5 μ G LISMF: 1 TeV: 63 AU, 10 TeV: 635 AU 300 TeV: 19 kAU

Heliosphere should affect the anisotropy of TeV cosmic rays

10-TeV proton trajectories Final arrival directions: Nose, Pole, Flank, Tail





Liouville Mapping of Anisotropy

Anisotropy is a measurement of angular dependence of particle distribution in the observer's reference frame

J observed paricle flux

 $J(\vec{r}_o, \vec{p}_o, t_o) = p_o^2 f(\vec{r}_o, \vec{p}_o, t_o)$

 $\vec{p}_o \iff$ particle momentum in observer's frame

 $f \leftarrow$ particle distribution function in observer's frame

Liouville's theorem (solution to Boltzmann-Vlasov Eq)

 $f(\vec{r}_o, \vec{p}_o, t_o) = f(\vec{r}_{ism}, \vec{p}_{ism}, t_o - s)$ along a deterministic trajectory with scattering time (~years) >> propagation time (~days)

f is invariant upon transformation of reference frame

Anisotropy at Earth can be mapped of momentum and particle distribution function from the LISM by finding the relation between (\vec{r}_o, \vec{p}_o) and $(\vec{r}_{ism}, \vec{p}_{ism})$ along particle trajectories.

Mapping to Earth from ISM distribution through particle trajectory

$$\frac{d\vec{p}}{dt} = q(\vec{E} + \vec{v} \times \vec{B}) = q(-\vec{V} \times \vec{B} + \vec{v} \times \vec{B})$$

with ideal MHD Heliosphere Model where $\vec{E} = -\vec{V} \times \vec{B}$

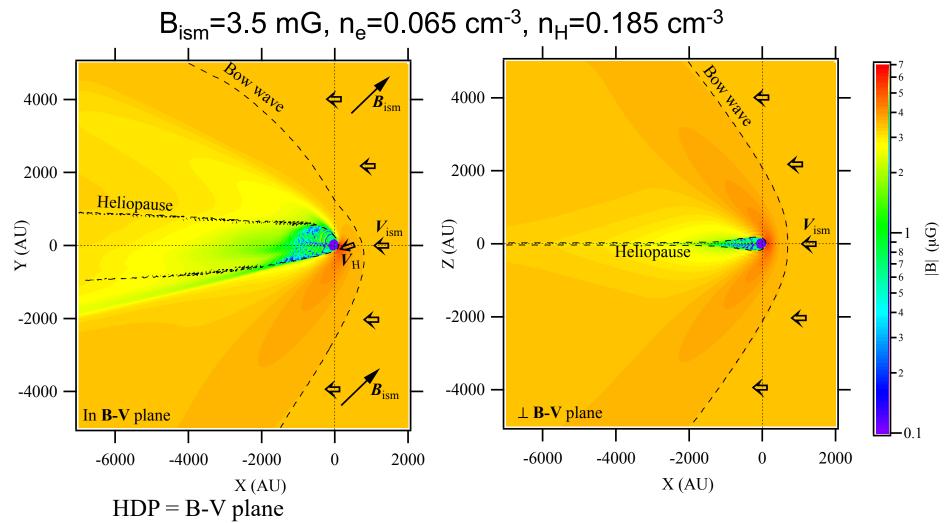
Cosmic ray distribution in LISM as a magnetized charged particle population

 $f(\vec{r}_{o}, \vec{p}_{o}) = f(\vec{r}_{ism}, \vec{p}_{ism}) = f(\vec{R}_{g}, \vec{p}_{ism})$ $= F_{0} p_{ism}^{-4.75} [1 + \nabla_{\perp} \ln F \cdot (\vec{R}_{g} - \vec{R}_{o}) + A_{1||} P_{1}(\cos \theta_{ism}) + A_{2||} P_{2}(\cos \theta_{ism})]$ $\uparrow \qquad \uparrow \qquad \uparrow \qquad \uparrow$ Compton-Getting b × gradient uni-directional bi-directional + Acceleration + drift + Pitch angle change (after Taylor expansion) (field-aligned flows)

Total anisotropy is a linear composition of the above 3 types of anisotropies (or 4 maps). Its outcome depends on the magnitude and direction of A_{111} , A_{211} , and $\nabla \ln F$ in local interstellar medium.

Shape of heliopause and magnetic field environment

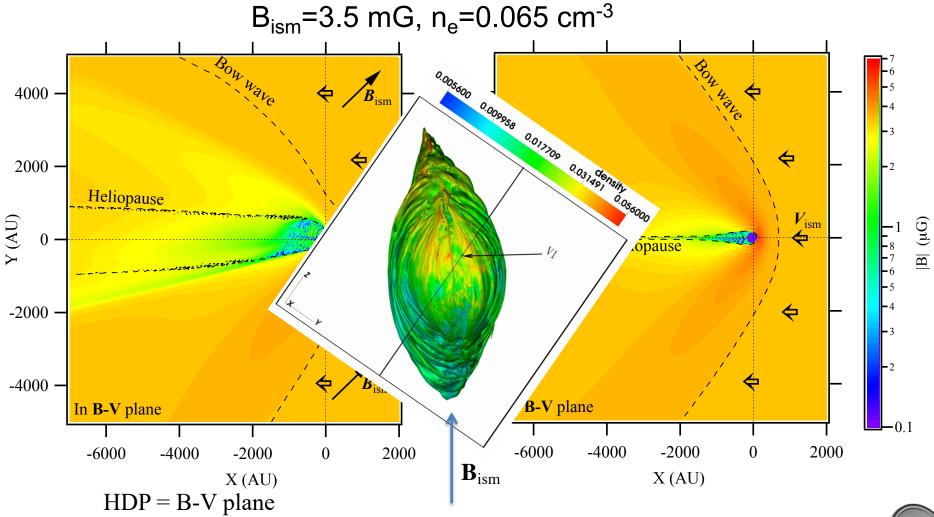
Simulation box 12000x8000x10000 AU for cosmic rays of a few TeV



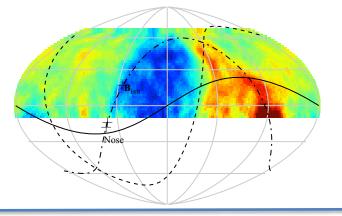


Shape of heliopause and magnetic field environment

Simulation box 12000x8000x10000 AU for cosmic rays of a few TeV



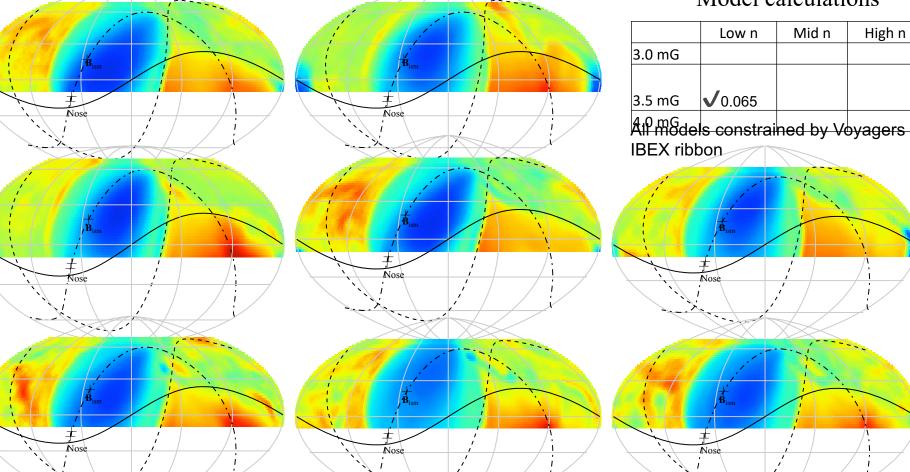
Search for the best Heliosphere and LISM magnetic field and ion density.





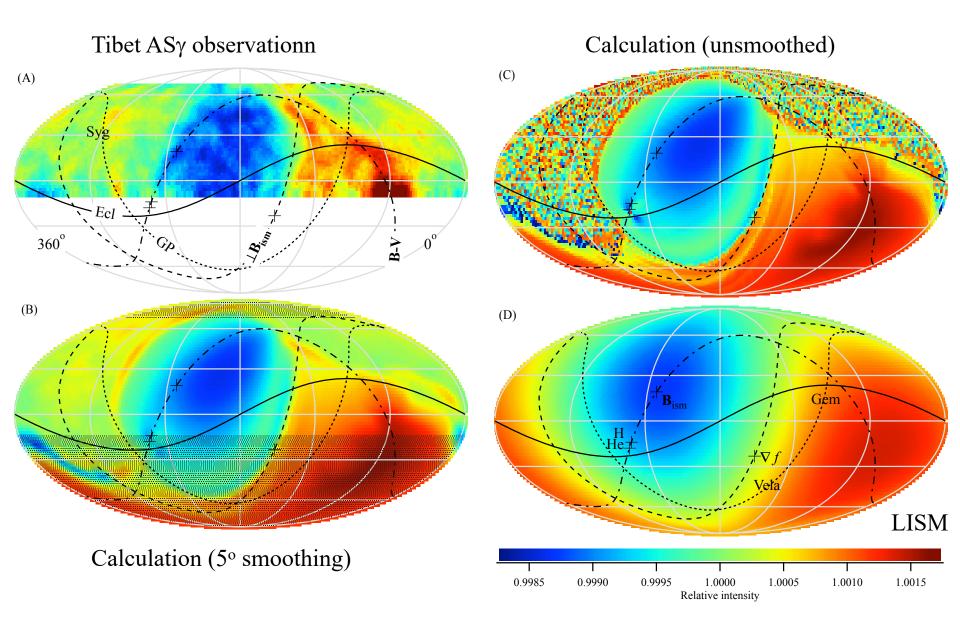
Tibet ASγ Observation 4 TeV

Model calculations

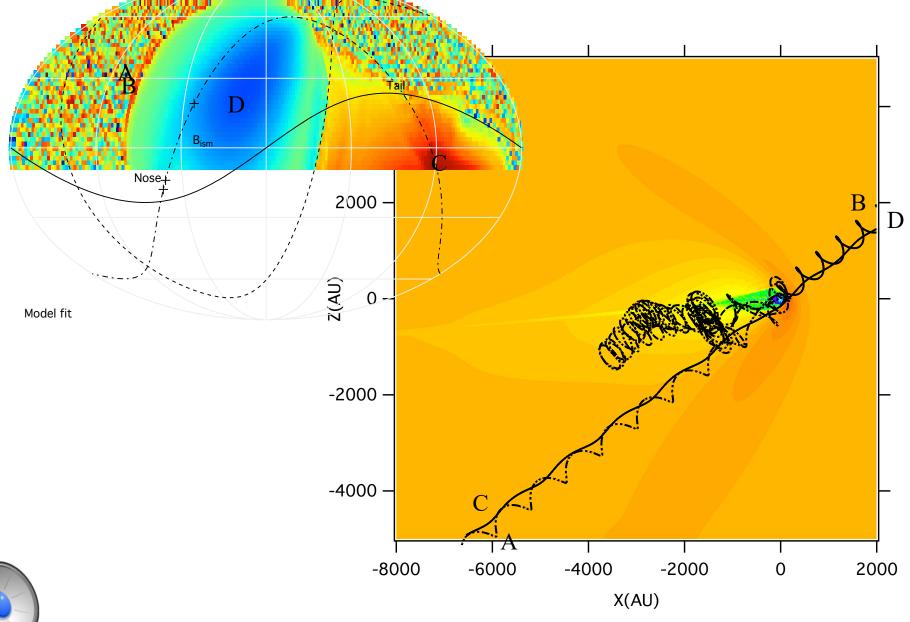


Anisotropy: comparison between observation and calculation



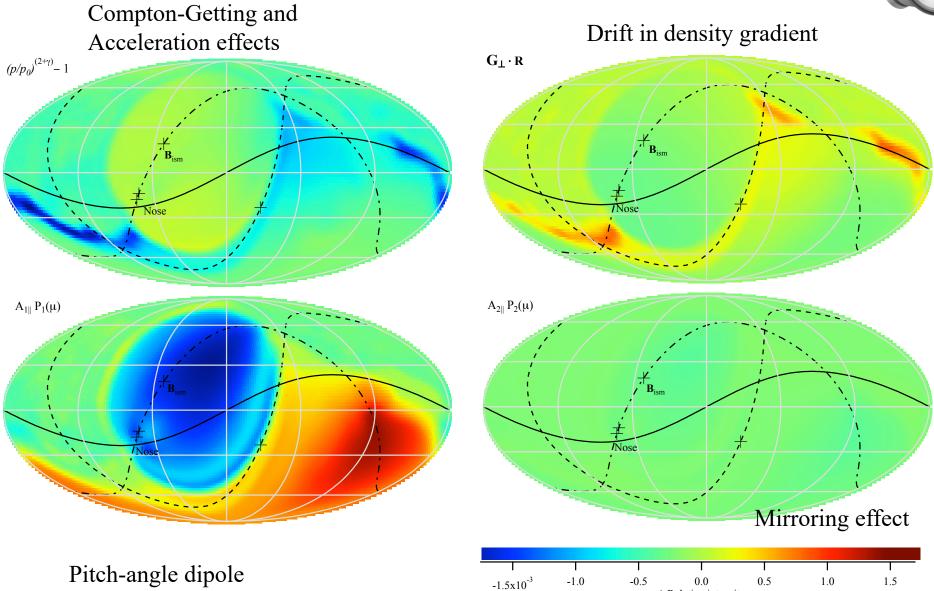


Trajectories arriving in a few sample directions (XZ projection only)



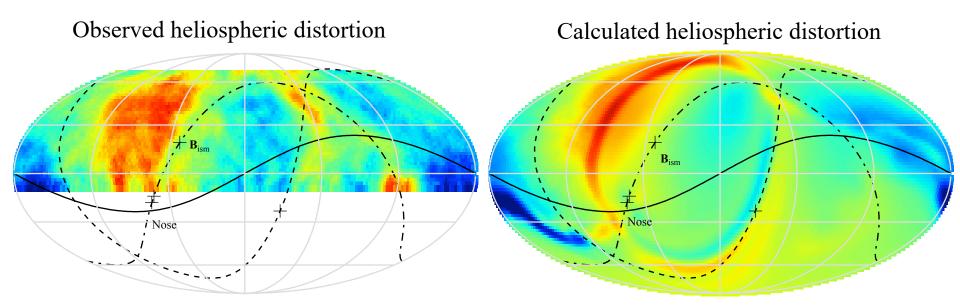
Composition the anisotropy: various contribution

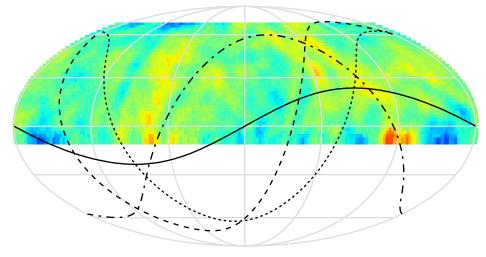




 Δ Relative intensity

Heliospheric Distortion and Residue

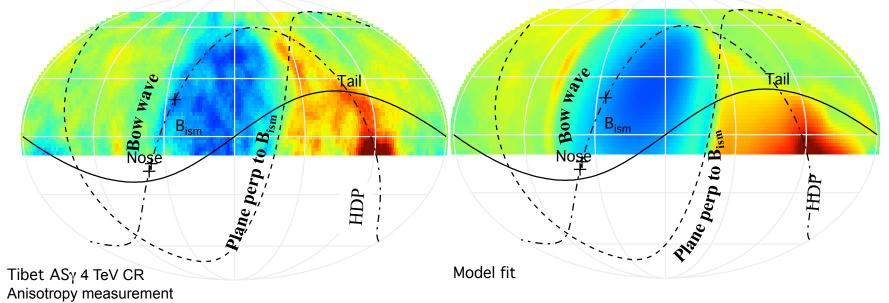




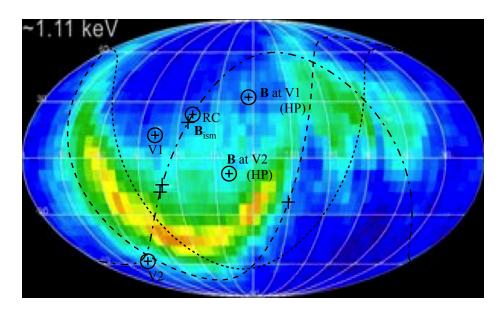


Residue

TeV CR anisotropy in relation to heliospheric structures



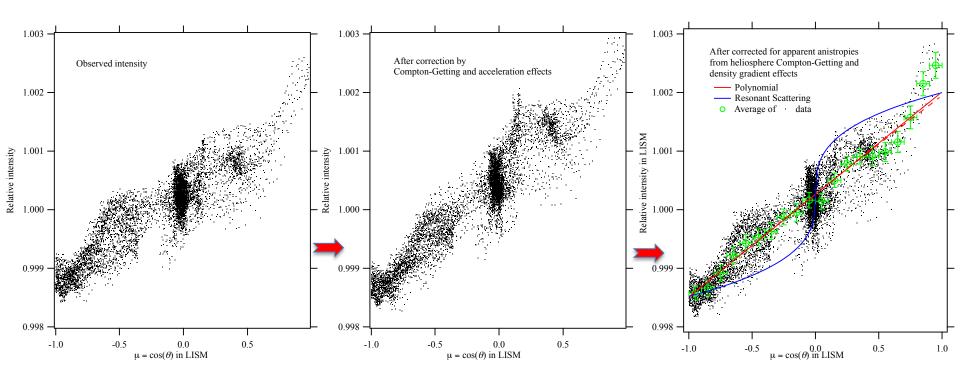
IBEX ENA Emissions



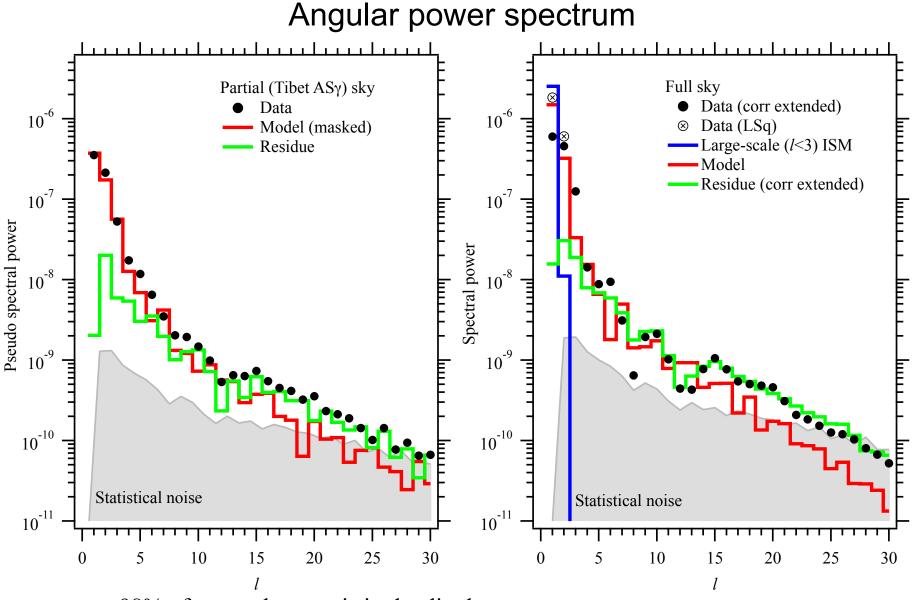
IBEX image from McComas et al.



4 TeV Cosmic ray pitch angle distribution in LSIM

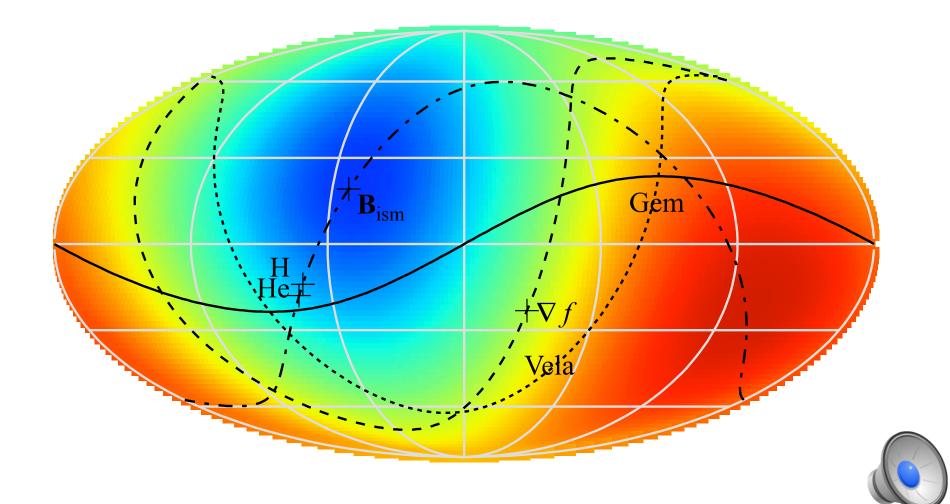


- Pitch-angle distribution is a pure dipole.
- It indicates that scattering of ISM turbulence is isotropic, or $D_{\mu\mu}$ is proportional to $(1-\mu^2)$
- Resonant scattering by Aflvenic turbulence with a Kolmogorov spectrum does not work



- 98% of spectral power is in the dipole
- Heliosphere generates the majority of medium-scale anisotropy between *l*=2, and *l*=13

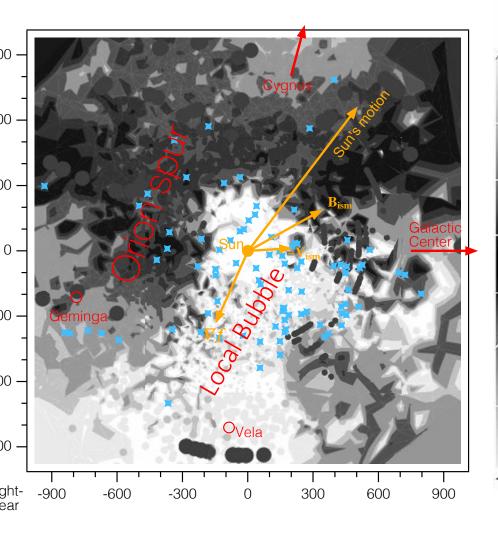
TeV CR anisotropy in LISM up to l = 2(High orders are negligible)

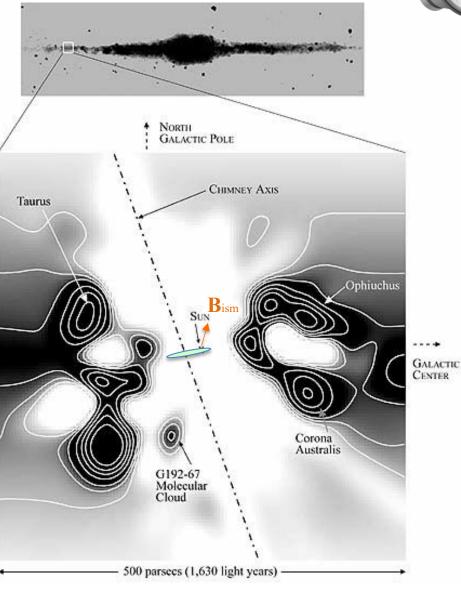


Solar system neighbor environment in the Galactic plane



ISM based on Frisch (2017)





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TeV cosmic ray transport in LISM



Parameters of cosmic ray distribution inferred to anisotropy

 $A_{\rm iii} = 0.165 \pm 0.002\%; \ A_{\rm 2ii} = 0.015 \pm 0.002\%;$

 $|\nabla_{\perp} \ln f| = 0.021 \pm 0.001\% / R_g(254AU) = 8.3 \times 10^{-7} / AU = 0.017 / pc$

Parallel to magnetic field

$$\frac{j_{\parallel}}{f} = \frac{\kappa_{\parallel} \partial f}{f \partial z} = 3A_{\parallel}c = 4.95 \times 10^{-3}c \approx 1500 \text{ km/s}$$

if $\kappa_{\parallel} = \kappa_{\parallel 29} 10^{29} \text{ cm}^2/\text{s}$ then $\nabla_{\parallel} \ln f = 2.23 \times 10^{-8} / \kappa_{\parallel 29} \text{ AU}^{-1} = 4.51 \times 10^{-3} / \kappa_{\parallel 29} \text{ pc}^{-1}$

 $A_{1||} >> A_{2||} \rightarrow$ Weak or no mirroring

Perpendicular to magnetic field

$$|\nabla_{\perp} \ln f| = 8.2 \times 10^{-7} \text{ AU}^{-1} = 1.7 \times 10^{-1} \text{ pc}^{-1} >> \nabla_{\parallel} \ln f$$

Since $\kappa_{\perp} << \frac{cR_g}{3}, \quad \frac{j_{\perp}}{f} = \kappa_{\perp} \nabla_{\perp} \ln f << 9.3 \times 10^{-5} c = 28 \text{ km/s}$

TeV cosmic ray transport in LISM is dominated by parallel diffusion along magnetic field into northern Galactic Halo. The density gradient is mainly perpendicular to the magnetic field. This requires a very anisotropic diffusion. Global source distribution Or recent local SN source?

- The density gradient cannot be supported by a global continuous source distribution:
 - Large density gradient of 0.17/pc perpendicular to the LIS magnetic field. It cannot persist over too large distance; otherwise, we will in diffuse γ-ray emission.
 - Halo height of $H=221\kappa_{\parallel 29}$ pc results in short cosmic ray lifetime of $\tau=H^2/(2\kappa)=7.3\times10^4 \kappa_{\parallel 29}$ years if it persist globally.
- Recent local source: Is it Vela, 250 pc away 11 kyr old?
 - Density gradient points approximately towards Vela in the Local Bubble.
 - Require highly anisotropic transport, because

 $j_{\parallel} >> j_{\perp}$ and $\nabla_{\parallel} f << \nabla_{\perp} f$



Summary

- The CR anisotropy in the LISM is almost a pure pitch-angle dipole opposite the magnetic field. It indicates that cosmic ray transport is mainly through parallel diffusion into the northern Galactic halo.
- Pitch angle anisotropy of a few TeV cosmic rays have been determined.
 Particle pitch-angle scattering is isotropic.
- CR density gradient is perpendicular to the LISM magnetic field. It is large, indicating local SN source is making a special contribution. Its direction is consistent with a source in the local bubble, possibly Vela.
- The LISM magnetic field and hydrogen ionization ratio are now more tightly constrained.
- Large-scale magnetic field structures of the heliosphere are seen in TeV cosmic ray anisotropy. TeV cosmic ray anisotropy images contain features related to
 - Hydrogen deflection plane (HDP) in the heliotail
 - Plane perpendicular to B_{ism}
 - Bow wave
- Heliospheric magnetic field distort LISM dipole anisotropy to form many small features (*l* = 2-12) in the anisotropy images seen at Earth. A part of sky is completely smeared by chaotic CR trajectory.