

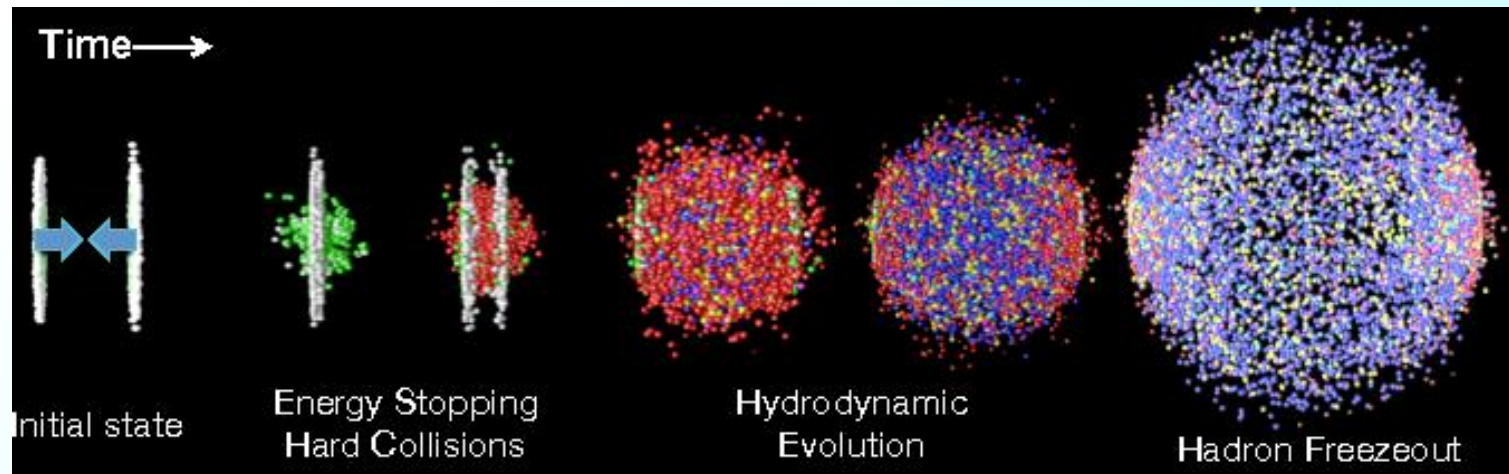
第十三届全国粒子物理学术会议.山东大学(青岛)

# Dependence of QGP Evolution on Smearing Velocity in HIC

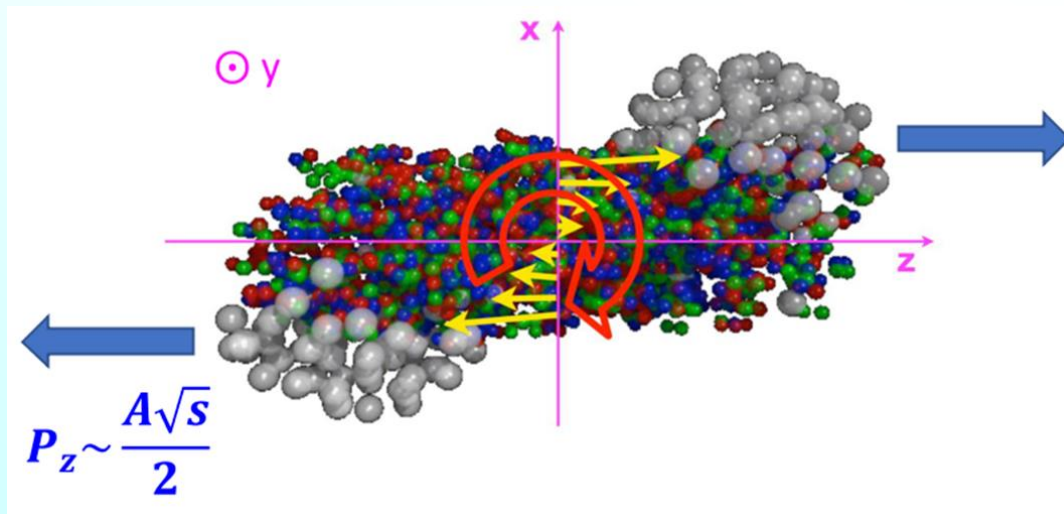
Wei-Tian Deng ( 邓维天 )

Huazhong University of Science and Technology

# Motivation



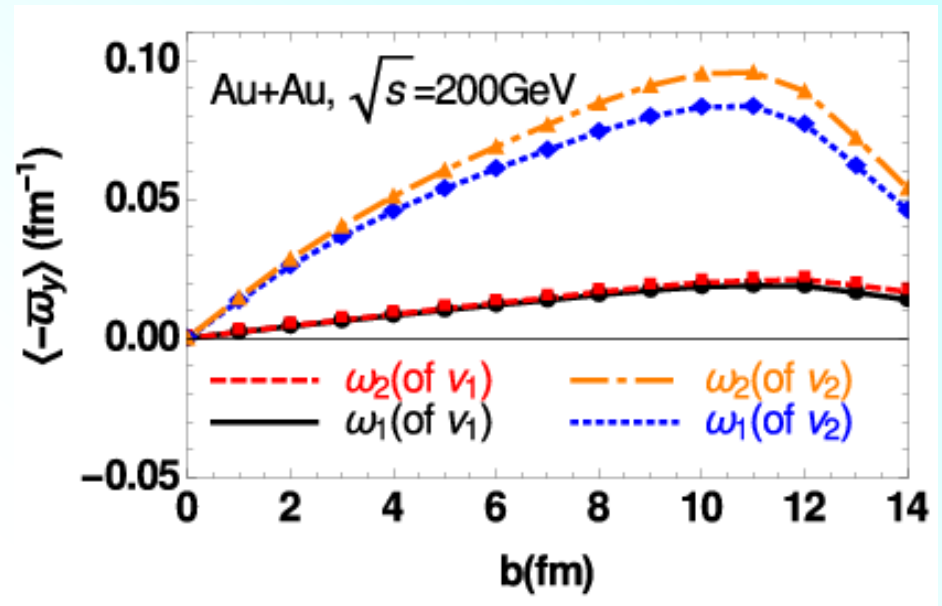
Due to fast, oppositely directed motion of two colliding ions, off-central heavy-ion collisions can create strong transient magnetic fields and strong vorticity.



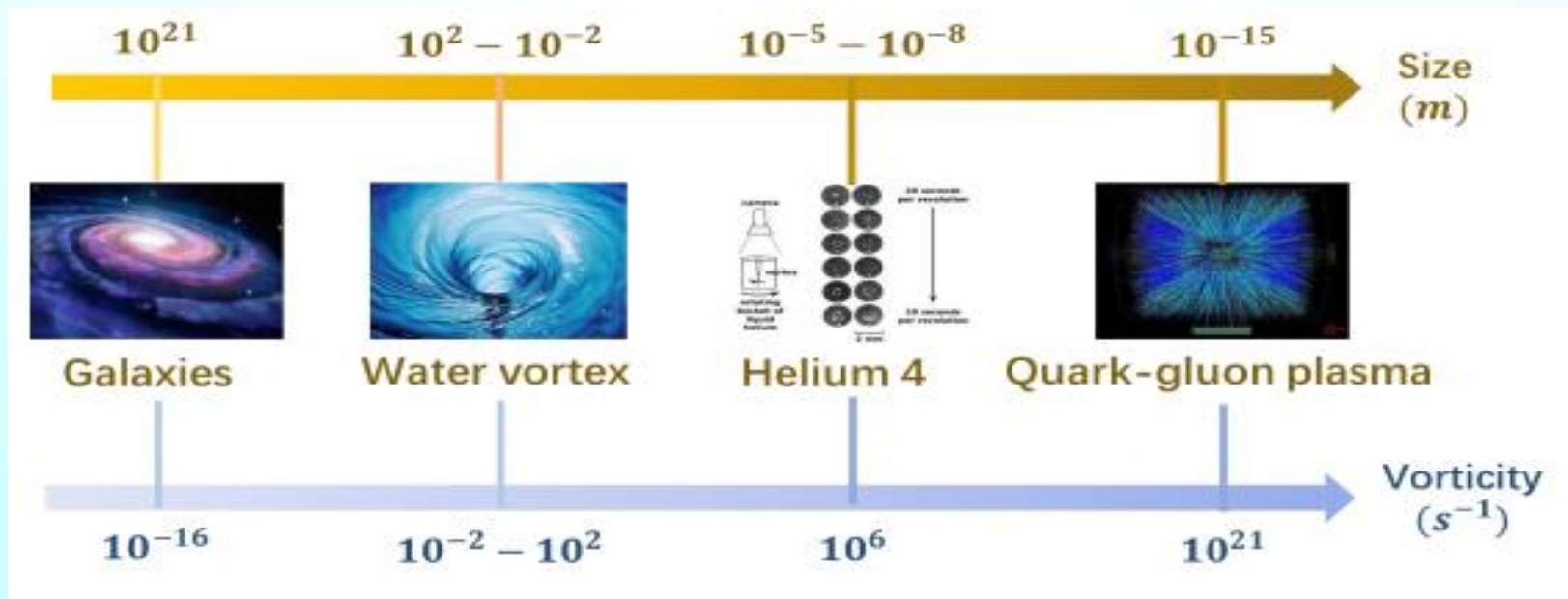
$$\omega_1 = \nabla \times \mathbf{v},$$

$$\omega_2 = \gamma^2 \nabla \times \mathbf{v},$$

WTD, X.-G. Huang  
Phys.Rev. C93 (2016) no.6, 064907

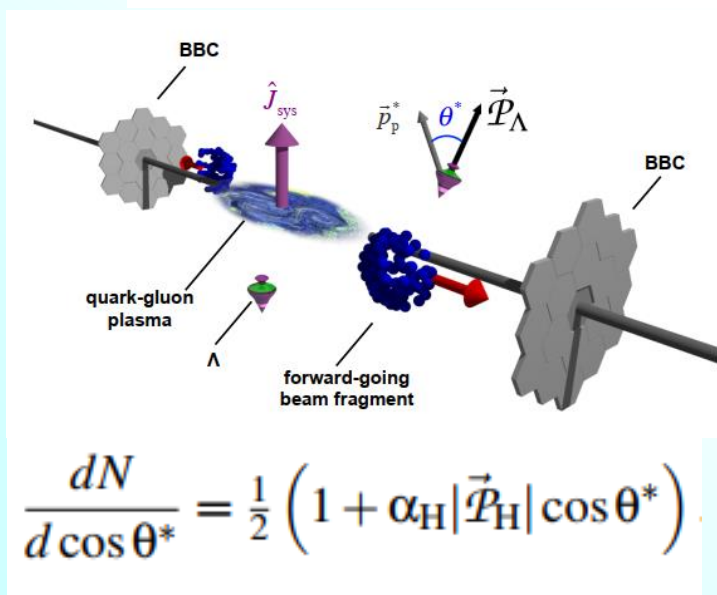
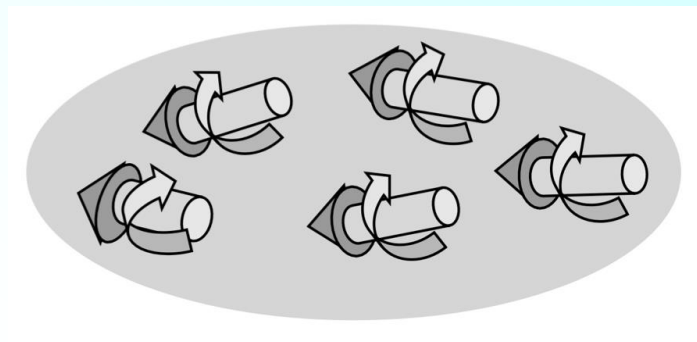
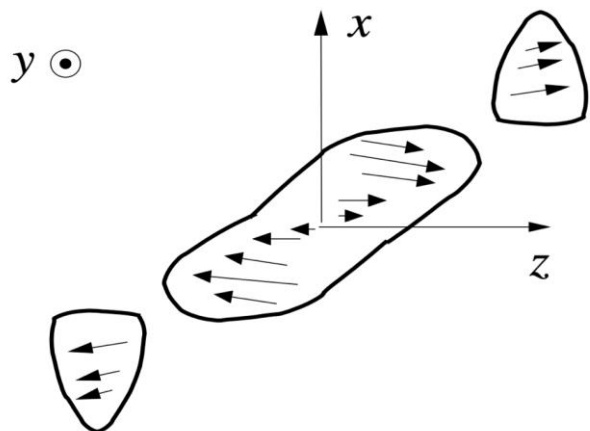


## The Fastest Fluid Vortex

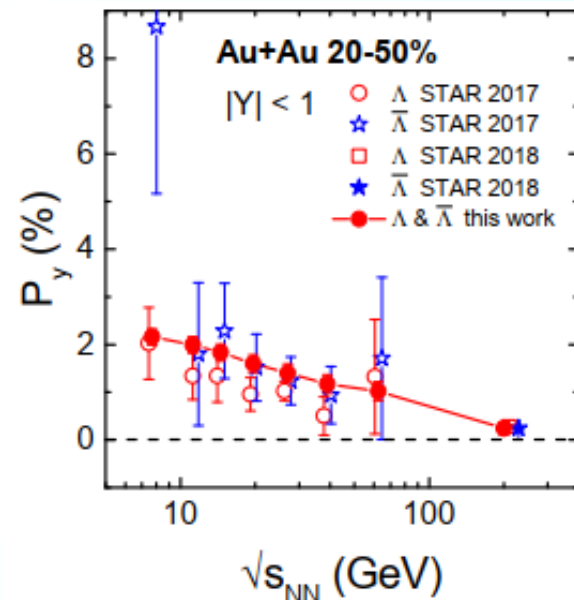
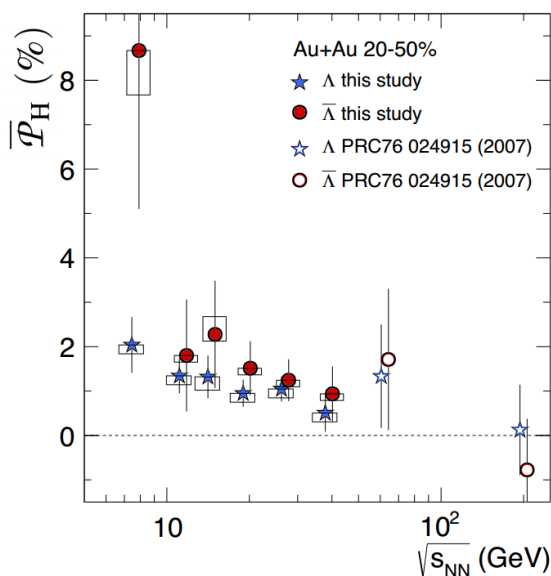


# Vorticity → Spin polarization

Liang and Wang, PRL 94,102301(2005);  
PLB 629, 20(2005)



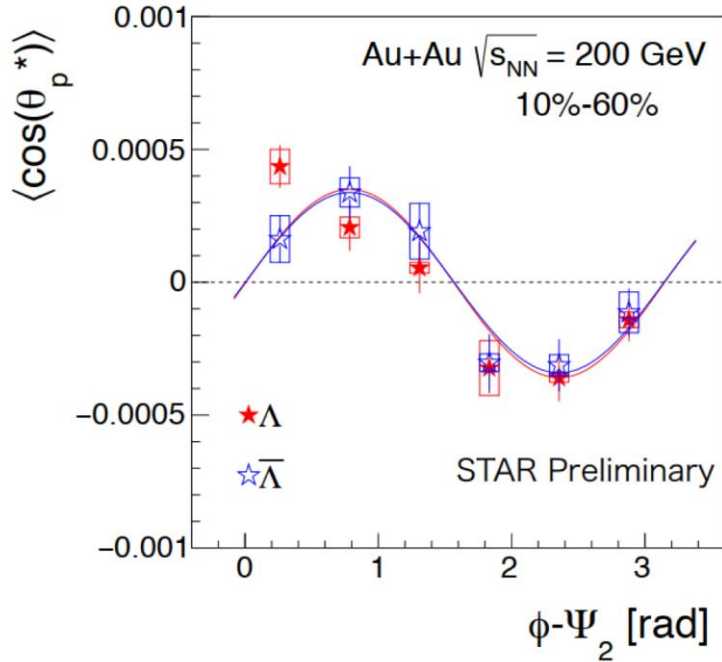
STAR, Nature 548, 62, 2017;  
STAR, PRC 98, 014910, 2018



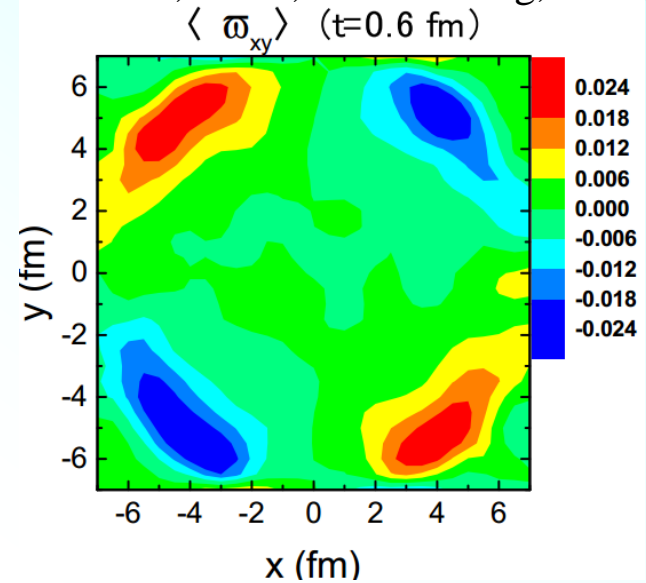
D.-X. Wei, WTD, X.-G. Huang  
Phys.Rev. C99 (2019) no.1, 014905

# “Sigh Problem”

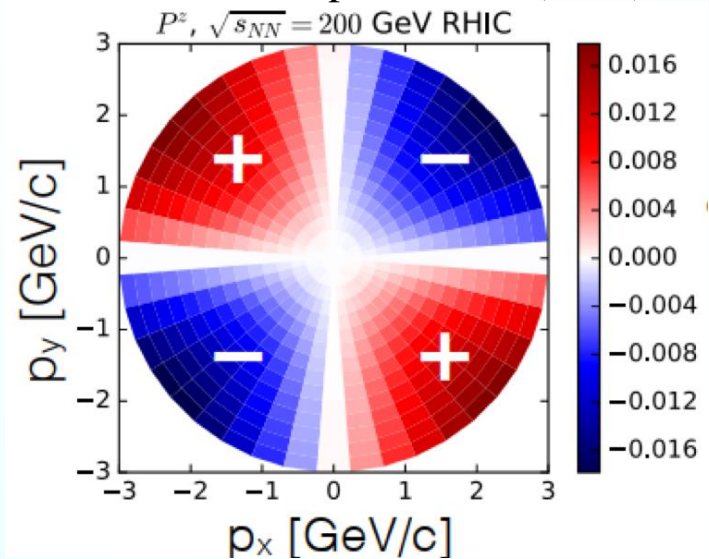
longitudinal polarization vs  $\phi$



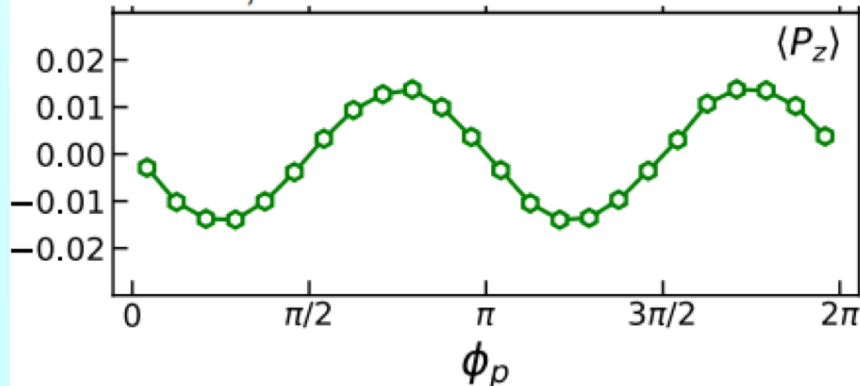
D.-X. Wei, WTD, X.-G. Huang, PRC(2019)



Becattini, Karpenko, PRL(2018)



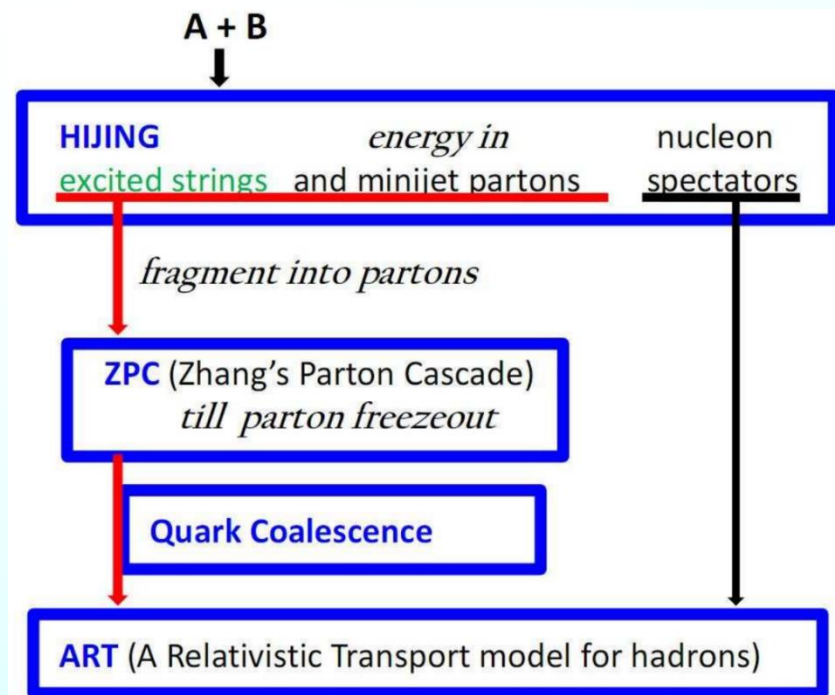
Xia, Li, Tang, Wang, PRC(2018)  
AMPT, Au+Au 200 GeV 20-50%



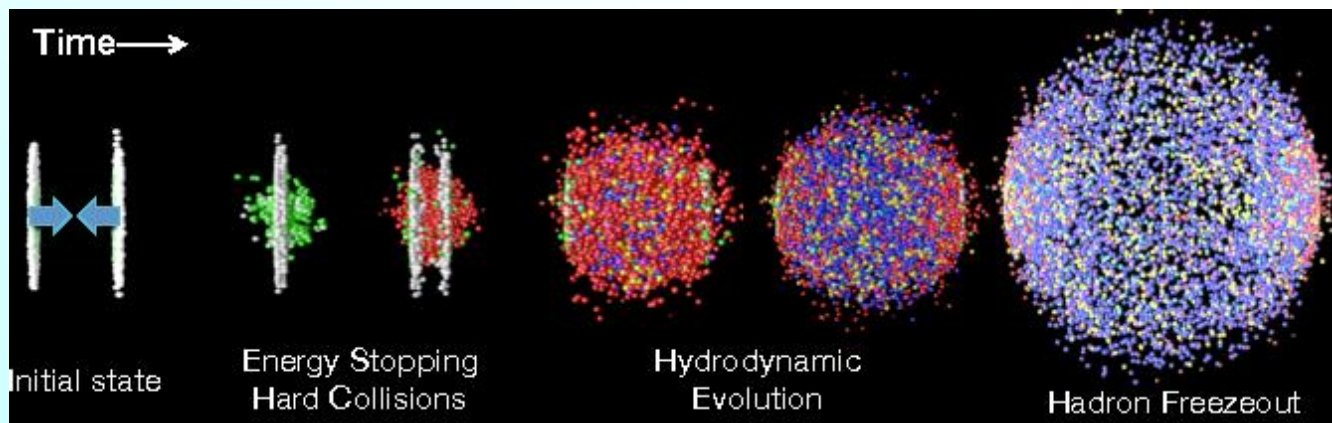
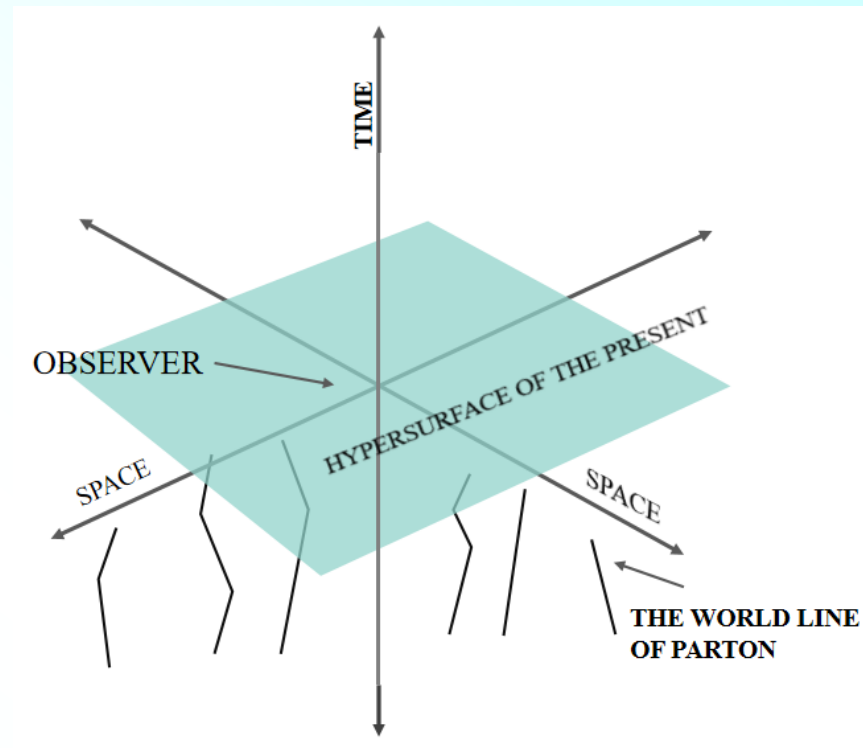


# Framework:

# AMPT Model



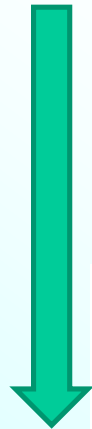
String Melting version



# Framework: AMPT Model

Partons observed at time  $t$  distributed on corresponding x-y plane.

Point-like partons

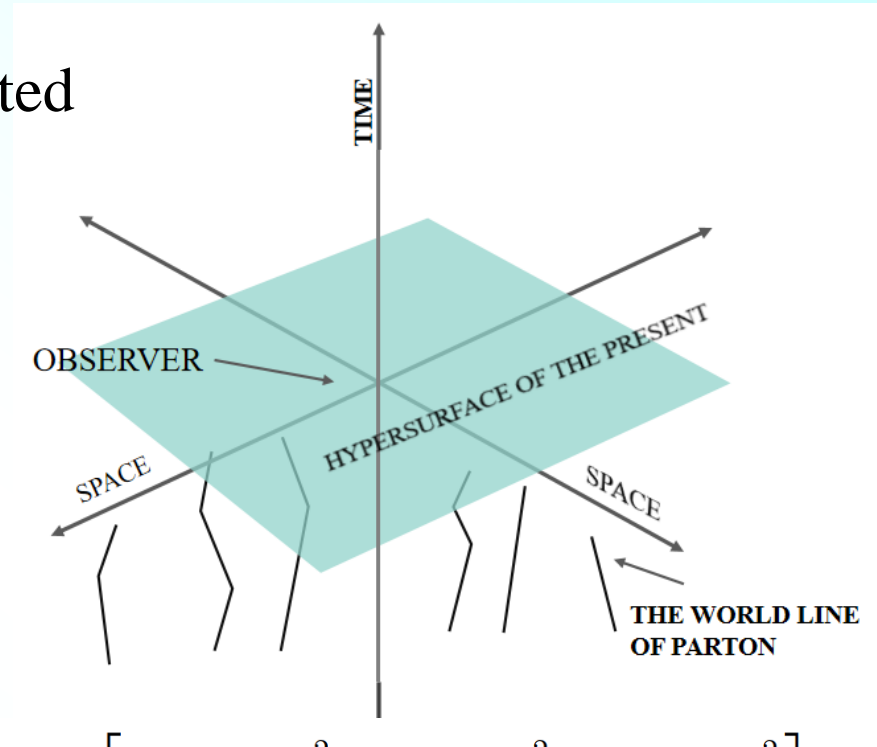


Smearing function

$$\Phi_G(x, x_i) = \frac{K}{\tau_0 \sqrt{2\pi\sigma_\eta^2} 2\pi\sigma_r^2} \exp \left[ -\frac{(x - x_i)^2 + (y - y_i)^2}{2\sigma_r^2} - \frac{(\eta - \eta_i)^2}{2\sigma_\eta^2} \right]$$

Energy-Momentum tensor

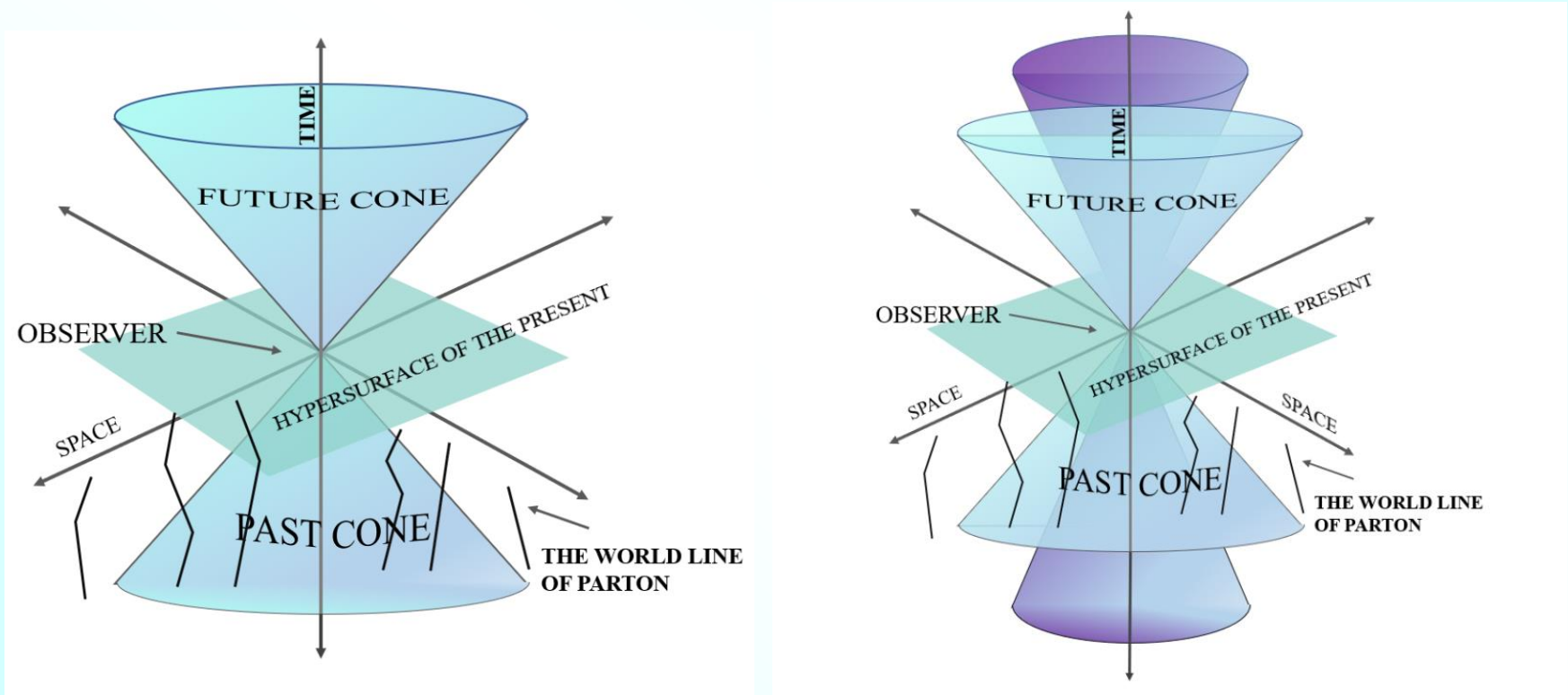
$$T^{\mu\nu} = \int \frac{d^3p}{(2\pi)^3} \frac{p^\mu p^\nu}{p^0} f(\mathbf{r}, \mathbf{p}) = \frac{1}{N} \sum_i \frac{p_i^\mu p_i^\nu}{p_i^0} \Phi(\mathbf{r}, \mathbf{r}_i)$$



But the smearing could not be Action-at-a-Distance

Considering smearing velocity  $C_S$ ,  
partons observed at time  $t$  should  
be distributed on a (light-) cone.

If  $C_S < 1$ ,  
the cone is different



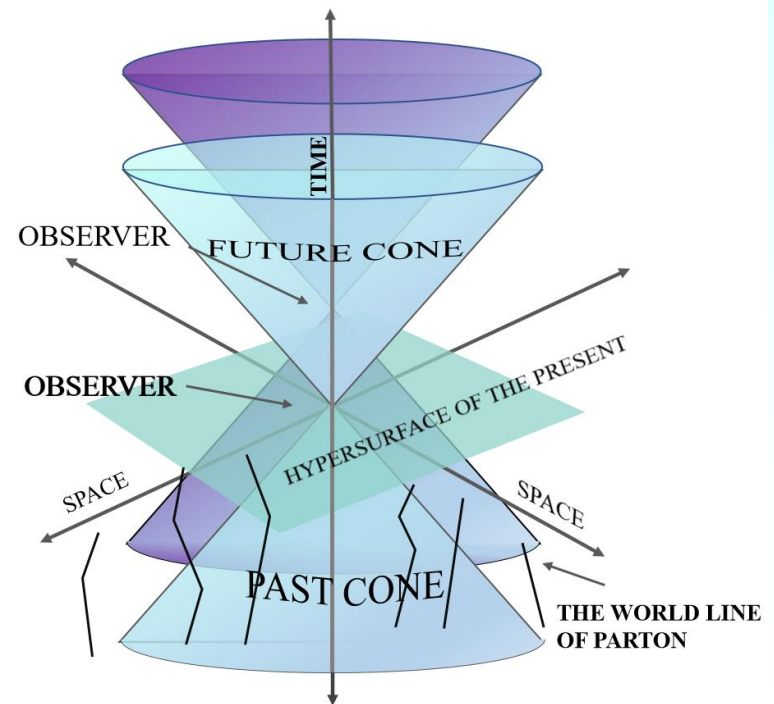
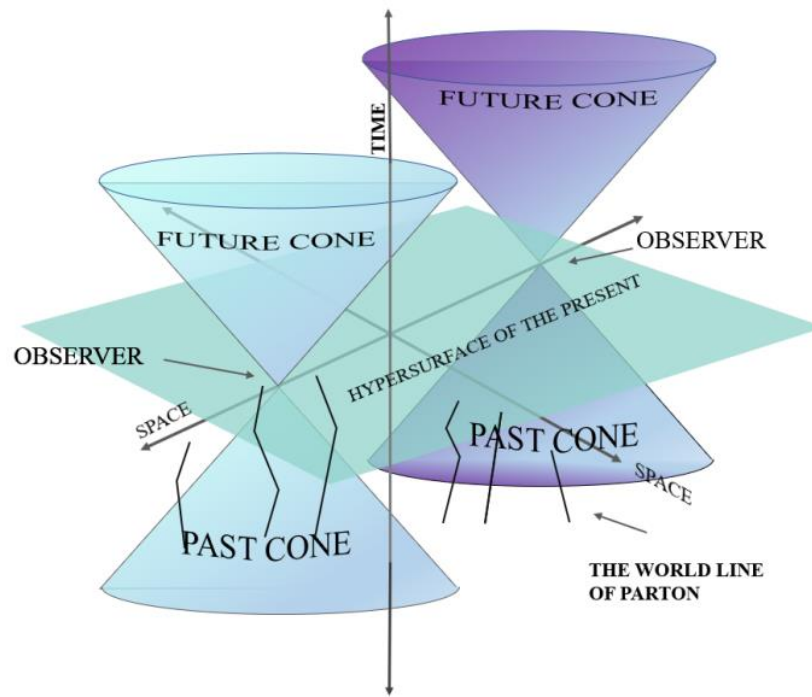
In our framework, let  $C_S$  as a free parameter.

When  $C_S = \infty$ , we come back to Action-at-a-Distance



With a fixed  $C_s$ ,

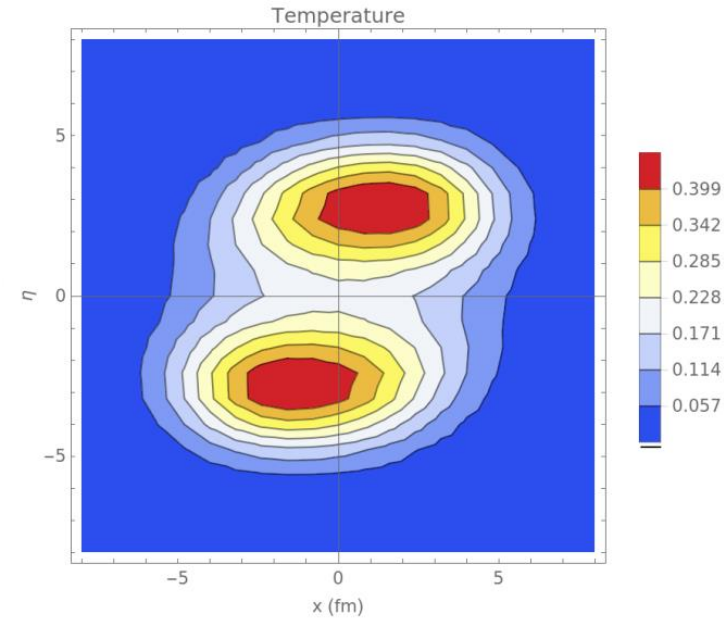
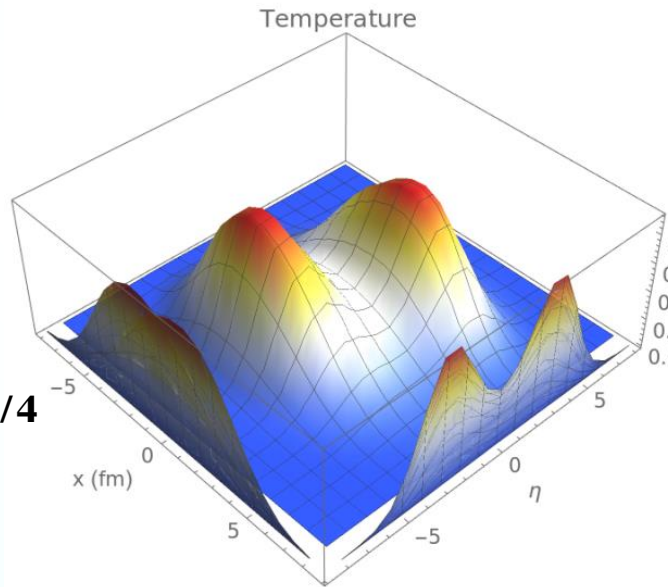
- we can change the **location** of observer to get the distribution of QGP;
- or change **time** of observer to get the evolution of QGP.



# Evolution of QGP Temperature

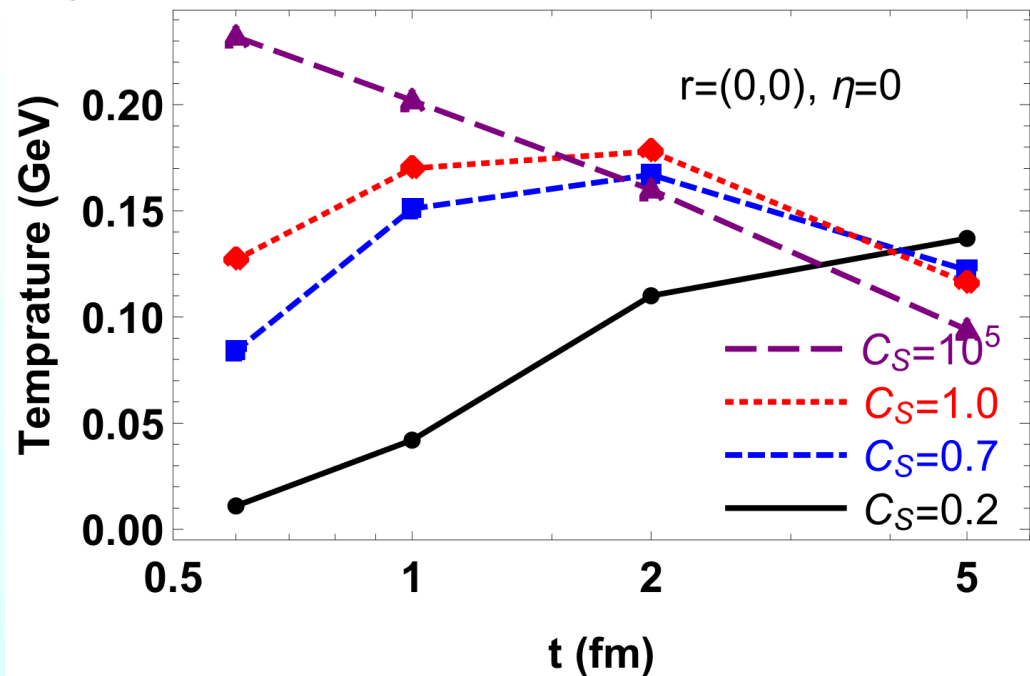
$$\varepsilon = 3g_B \frac{T^4}{\pi^2}$$

$$\Rightarrow T = \left( \frac{\varepsilon \pi^2}{3g_B} \right)^{1/4}$$



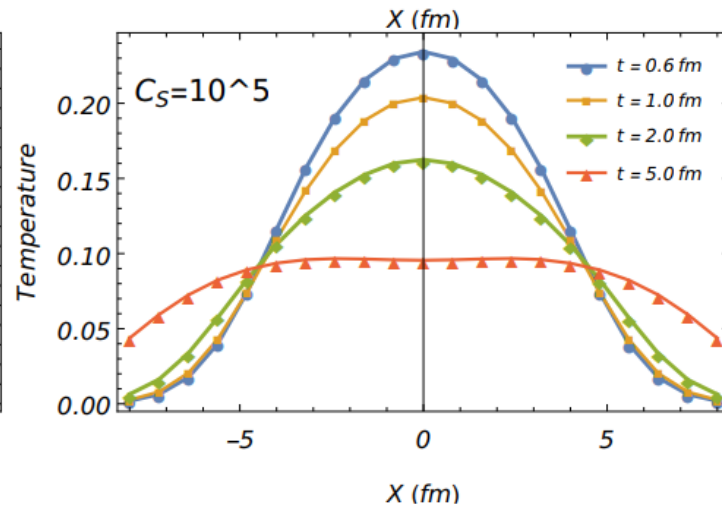
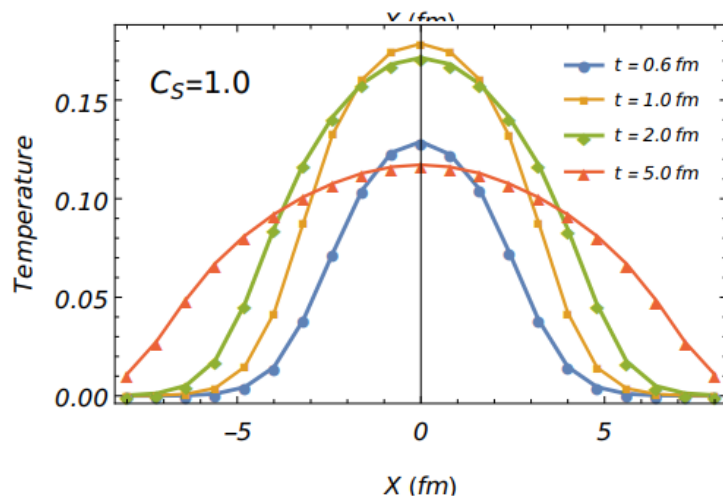
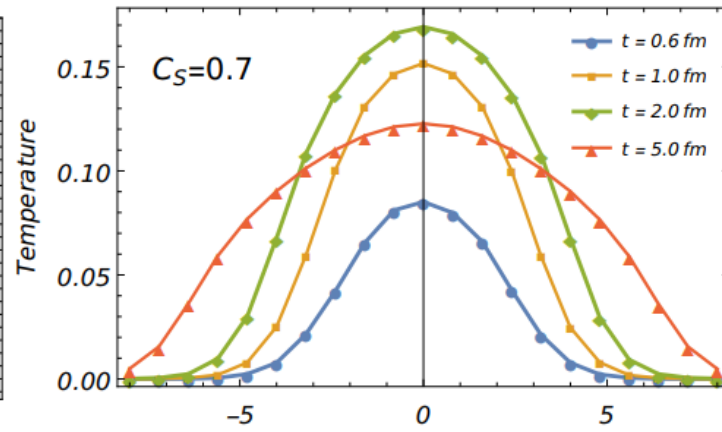
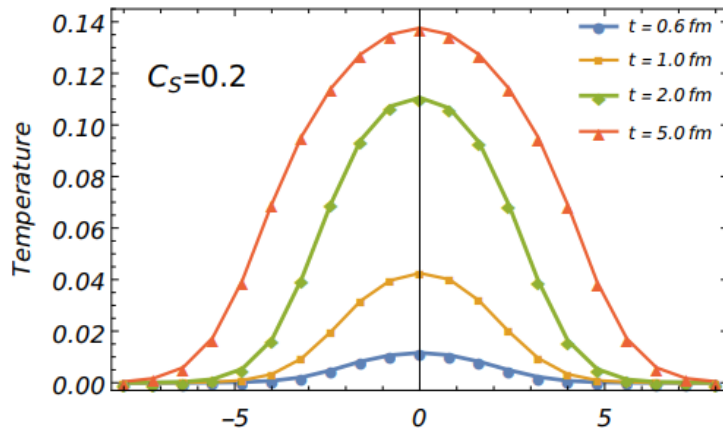
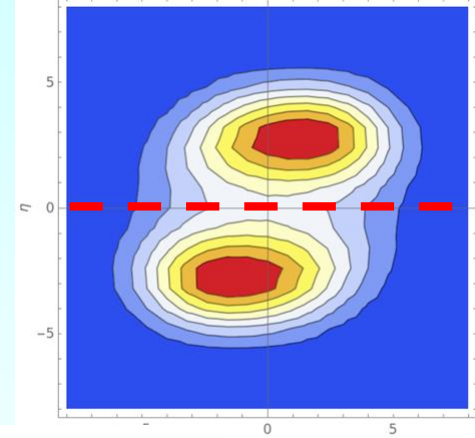
Zi-Wei Lin PRC.90.014904

Temperature Vs.  $C_S$  :



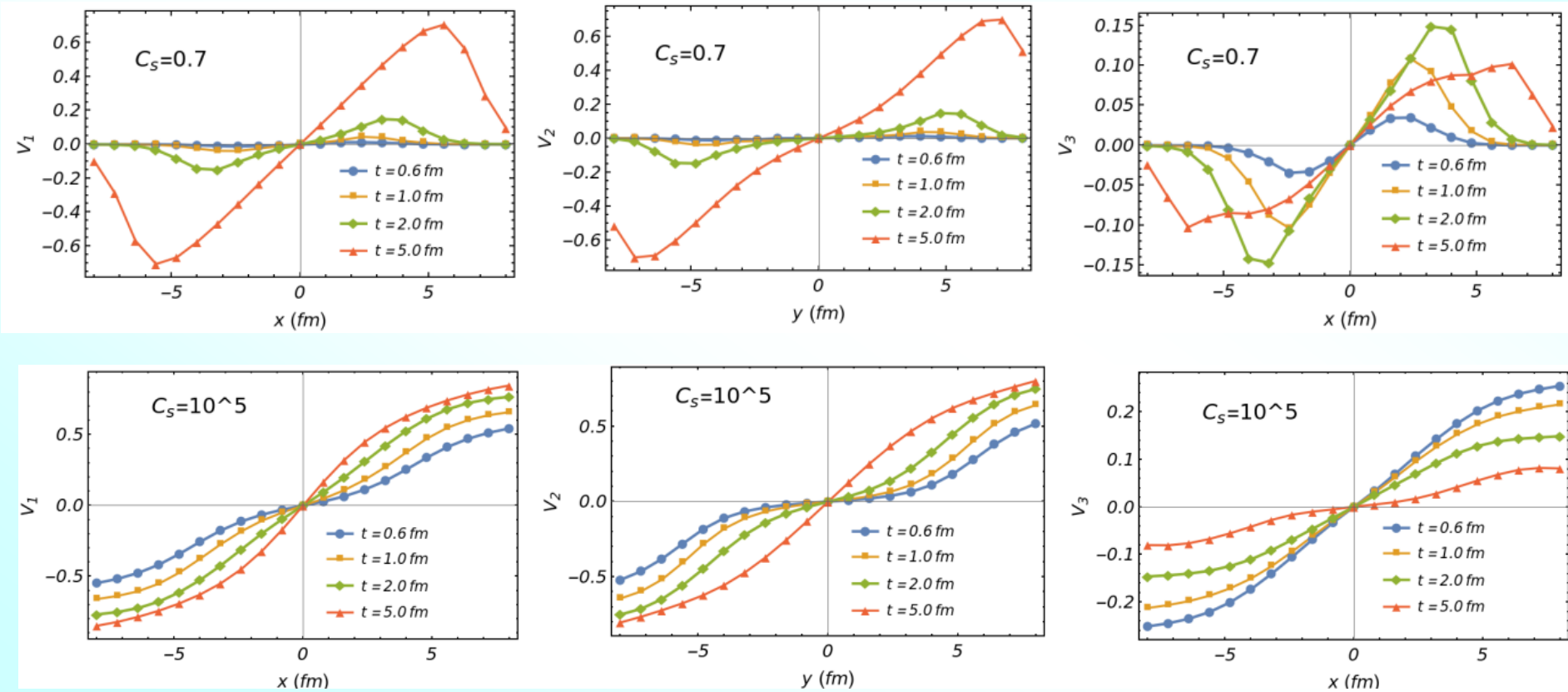
# Evolution of QGP Temperature

$$y = 0, \eta = 0$$



# Evolution of QGP Velocity

Velocity of energy flow: 
$$v^a = \frac{T^{0a}}{T^{00} + T^{aa}}$$



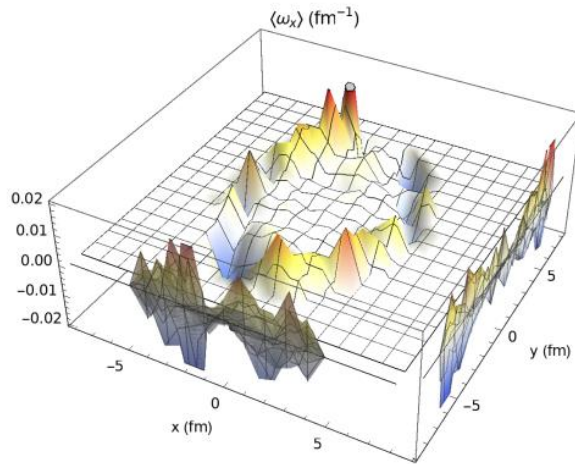


# Evolution of QGP Vorticity

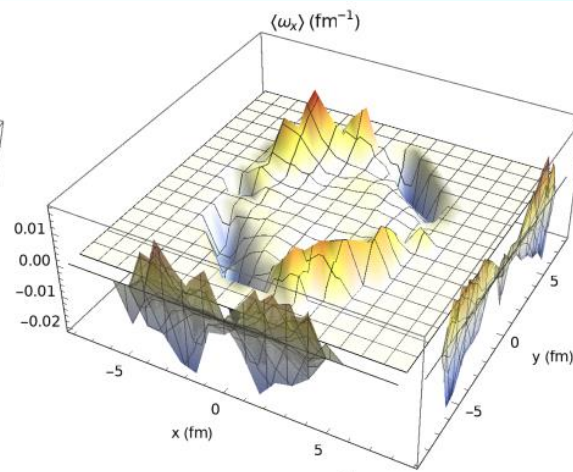
$$\vec{\omega}(\vec{x}, t) = \frac{1}{2} \nabla \times \vec{v}$$

$t = 0.6$  fm, distribution of  $\omega_x$

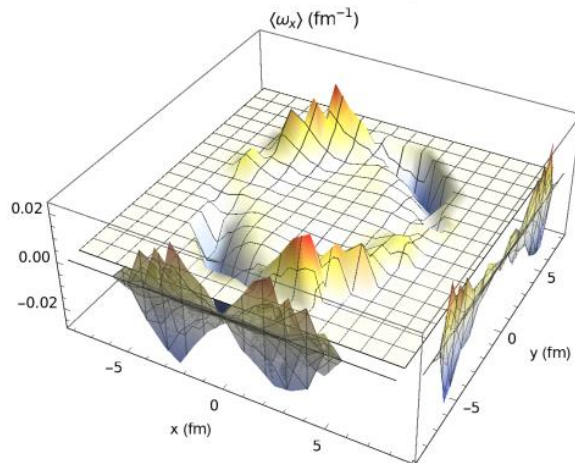
$C_S = 0.2$



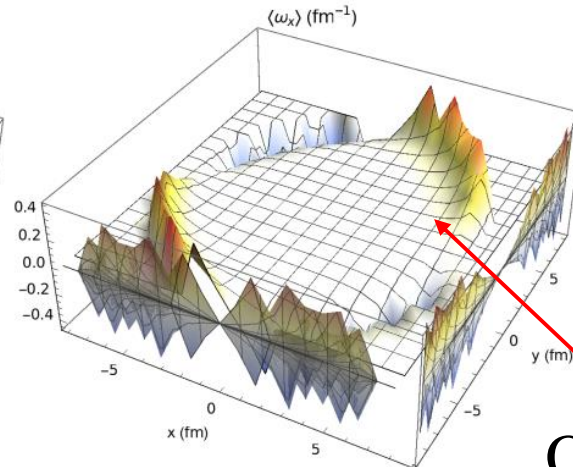
$C_S = 0.7$



$C_S = 1.0$



$C_S = 10^5$



Opposite Sign !

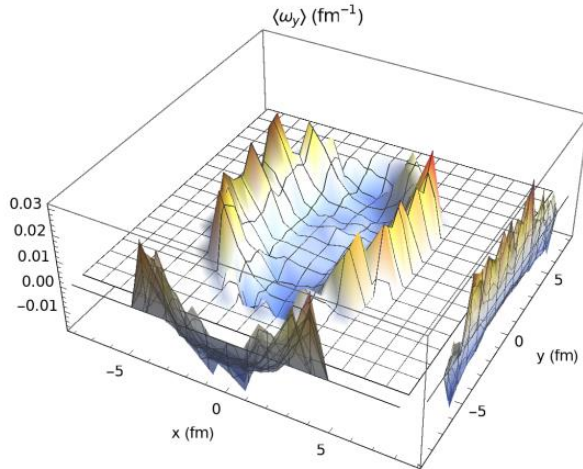


# Evolution of QGP Vorticity

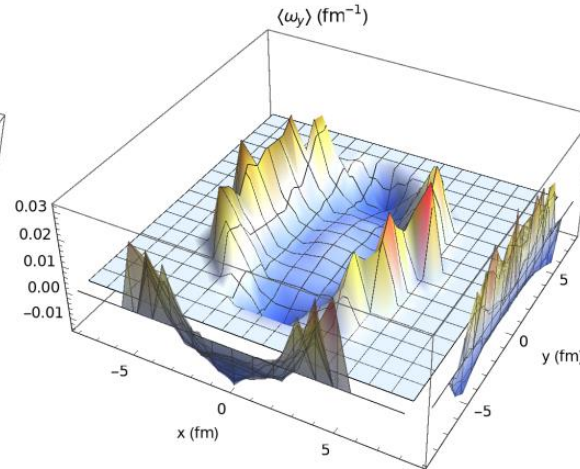
$$\vec{\omega}(\vec{x}, t) = \frac{1}{2} \nabla \times \vec{v}$$

$t = 0.6$  fm, distribution of  $\omega_y$

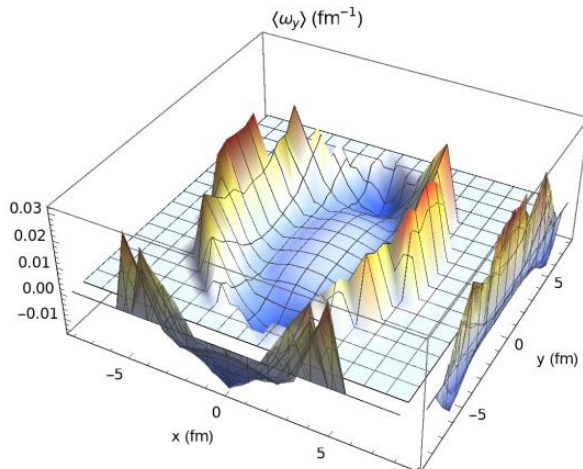
$C_S = 0.2$



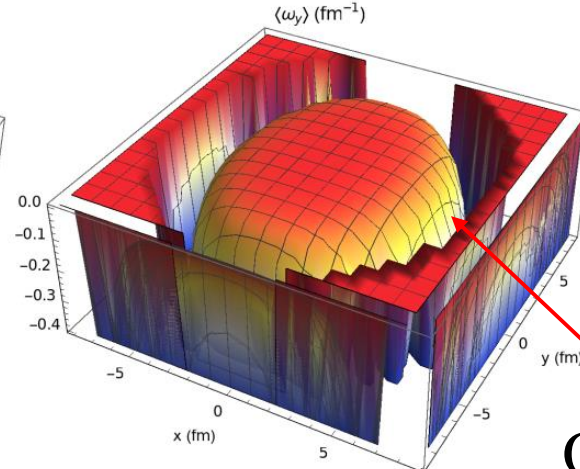
$C_S = 0.7$



$C_S = 1.0$



$C_S = 10^5$



Opposite Sign !

# Conclusion

- We constructed a framework based on AMPT model with finite smearing velocity to study evolution of QGP properties.
- Our results show that the evolution of QGP is dependent on the smearing velocity significantly.
- The opposite result of vorticity with different  $C_S$  maybe help us to understand the “sign problem” of global polarization observed in STAR experiment.

Thanks!