

# Dibaryons and pentaquarks in quark models

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## Outline

## I. Introduction

## II. Dibaryon relevant studies

- Nonstrange dibaryon
- Strange dibaryon
- Dibaryon with heavy quarks

## III. Pentaquark relevant studies

- Hidden-charm pentaquark
- Hidden-bottom pentaquark
- Hidden-strange pentaquark

VI. Summary

## I. Introduction



## Hadrons

Quark model:



#### Baryons



#### lowest configuration

Exotic hadrons:





#### • Exotic states

Dibaryons: H,  $d^*$ , di- $\Omega$ , N $\Omega$ , .....

Pentaquarks:  $\Theta^+$ ,  $\Xi^-$ ,  $P_c$ ,  $\Omega c$ ,  $N\phi$  .....

Charmonium-like states: X(3872), Y(3940), Z(3900), Z(4430),.....

Plausible molecular baryons:  $\Sigma$ cD,  $\Lambda$ cD, DN, DsN, .....

Dibaryons with heavy quarks:  $\Lambda c \Lambda c$ ,  $\Sigma c \Sigma c$ ,  $\Xi c \Xi c$ ,

NΛc, NΣc, NΞcc, NΩc, .....

## Exotic hadrons —long standing challenge in hadron physics!



## Theoretical methods Lattice QCD QCD sum rule **Dyson-Schwinger equation** Heavy quark efficient field theory Phenomenological models of two approaches: On the hadron level: One-boson-exchange (OBE) model, One-pion-exchange (OPE) model

## On the quark level:

Isgur quark model , Chiral quark model, Quark delocalization color screening model

••••



### • Quark Models

#### (1) Quark delocalization color screening model (QDCSM)

- QDCSM was developed by Nanjing-Los Alamos collaboration in1990s aimed to multi-quark study. (PRL 69, 2901, 1992)
- Two new ingredients (based on quark cluster model configuration):
  - quark delocalization (orbital excitation)
  - color screening (color structure)
- Apply to the study of baryon-baryon interaction and dibaryons

#### deuteron, d\*, NN, NΛ, NΩ, ...

 Apply to the study of baryon-meson interaction and pentaquarks

NK, Npi, Pc, ...



$$H = \sum_{i=1}^{6} \left( m_i + \frac{p_i^2}{2m_i} \right) - T_c + \sum_{i < j} [V^G(r_{ij}) + V^{\chi}(r_{ij}) + V^C(r_{ij})],$$

$$V^G(r_{ij}) = \frac{1}{4} \alpha_s \lambda_i \cdot \lambda_j \left[ \frac{1}{r_{ij}} - \frac{\pi}{2} \left( \frac{1}{m_i^2} + \frac{1}{m_j^2} + \frac{4\sigma_i \cdot \sigma_j}{3m_i m_j} \right) \delta(r_{ij}) - \frac{3}{4m_i m_j r_{ij}^3} S_{ij} \right],$$

$$V^{\chi}(r_{ij}) = \frac{1}{3} \alpha_{ch} \frac{\Lambda^2}{\Lambda^2 - m_{\chi}^2} m_{\chi} \left\{ \left[ Y(m_{\chi} r_{ij}) - \frac{\Lambda^3}{m_{\chi}^3} Y(\Lambda r_{ij}) \right] \sigma_i \cdot \sigma_j + \left[ H(m_{\chi} r_{ij}) - \frac{\Lambda^3}{m_{\chi}^3} H(\Lambda r_{ij}) \right] S_{ij} \right\} \mathbf{F}_i \cdot \mathbf{F}_j, \, \chi = \pi, K, \eta,$$

$$V^C(r_{ij}) = -a_c \lambda_i \cdot \lambda_j [f(r_{ij}) + V_0],$$

$$f(r_{ij}) = \begin{cases} r_{ij}^2 & \text{if } i, j \text{ occur in the same baryon orbit,} \\ \frac{1 - e^{-\mu_{ij}r_{ij}^2}}{\mu_{ij}} & \text{if } i, j \text{ occur in different baryon orbits,} \end{cases}$$

$$S_{ij} = \frac{(\sigma_i \cdot \mathbf{r}_{ij})(\sigma_j \cdot \mathbf{r}_{ij})}{r_{ij}^2} - \frac{1}{3} \sigma_i \cdot \sigma_j,$$
(1)

#### (2) Chrial Quark Model (ChQM)



Provide the intermediate-range attraction by  $\sigma$  meson-exchange.

Rep. Prog. Phys. 68, 965 (2005)

SU(2) ChQM: only  $\sigma$  meson-exchange;

$$V_{ij}^{\sigma} = -\frac{g_{ch}^2}{4\pi} \frac{\Lambda_{\sigma}^2}{\Lambda_{\sigma}^2 - m_{\sigma}^2} m_{\sigma} \left[ Y(m_{\sigma} r_{ij}) - \frac{\Lambda_{\sigma}}{m_{\sigma}} Y(\Lambda_{\sigma} r_{ij}) \right]$$

SU(3) ChQM: full scalar octet meson-exchange.

PRC 75, 034002 (2007)

$$V_{ij}^{\sigma_a} = V_{a_0}(r_{ij}) \sum_{a=1}^3 \lambda_i^a \cdot \lambda_j^a + V_{\kappa}(r_{ij}) \sum_{a=4}^7 \lambda_i^a \cdot \lambda_j^a + V_{f_0}(r_{ij}) \lambda_i^8 \cdot \lambda_j^8 + V_{\sigma}(r_{ij}) \lambda_i^0 \cdot \lambda_j^0$$

## **II. Dibaryon relevant studies**

- 1. Nonstrange dibaryon (d\*)
  - WASA-at-COSY measurements
    - 2009 WASA-at-COSY found the signal of the dibaryon resonance.



M. Bashkanov et al., PRL 102(2009)052301



#### 2011 WASA-at-COSY found evidence of the d\* exotic.



M. Bashkanov et al., arxiv:1104.0123[nucl-ex];

PRL 106(2011)242302;



FIG. 2 (color online). Total cross sections obtained from this experiment on  $pd \rightarrow d\pi^0 \pi^0 + p_{\text{spectator}}$  for the beam energies  $T_p = 1.0 \text{ GeV}$  (triangles), 1.2 GeV (dots), and 1.4 GeV (squares) normalized independently. Shown are the total cross section data after acceptance, efficiency and Fermi motion corrections. The hatched area indicates systematic uncertainties. The drawn lines represent the expected cross sections for the Roper excitation process (dotted) and the *t*-channel  $\Delta\Delta$  contribution (dashed) as well as a calculation for a *s*-channel resonance with m = 2.37 GeV and  $\Gamma = 68$  MeV (solid).

 $m = 2.37 \text{ GeV}, \Gamma \approx 70 \text{ MeV} \text{ and } I(J^P) = 0(3^+)$ 

 2014 WASA-at-COSY confirmed the existence of the d\* sixquark state.

P. Adlarson et al, arXiv:1402.6844[nucl-es];PRL 112(2014)202301;



FIG. 4: (Color online) Energy dependence of the np analyzing power at  $\Theta_n^{cm} = 83^\circ$ . The solid symbols denote the results from this work, the open symbols those from previous work [7–9, 21–25]. For the meaning of the curves see Fig. 1. Vertical arrow and horizontal bar indicate pole and width of the resonance.

CERN Courier 2014, July 23.

The experiment was carried out with the WASA detector setup at COSY having a polarized deuteron beam impinged on the hydrogen pellet target and utilizing the quasifree process

$$\vec{d}p \rightarrow np + p_{\text{spectator}}$$









FIG. 3: (Color online) Changes to the (dimensionless)  ${}^{3}D_{3}$  (top) and  ${}^{3}G_{3}$  (middle) partial waves including their mixing amplitude  $\epsilon_{3}$  (bottom). Solid (dotted) curves give the real (imaginary) part of the partial-wave amplitudes from SP07, whereas the dashed (dash-dotted) curves represent the new (weighted) solution. Results from previous single energy fits [16] are shown by solid circles (real part) and inverted triangles (imaginary part). Vertical arrow and horizontal bar indicate pole and width of the resonance.



#### A2 Collaboration at MAMI

M. Bashkanov et al., PRL 124, 132001 (2020)

#### Signatures of the $d^*(2380)$ Hexaquark in $d(\gamma, p\vec{n})$

(A2 Collaboration at MAMI)

We report a measurement of the spin polarization of the recoiling neutron in deuterium photodisintegration, utilizing a new large acceptance polarimeter within the Crystal Ball at MAMI. The measured photon energy range of 300–700 MeV provides the first measurement of recoil neutron polarization at photon energies where the quark substructure of the deuteron plays a role, thereby providing important new constraints on photodisintegration mechanisms. A very high neutron polarization in a narrow structure centered around  $E_{\gamma} \sim 570$  MeV is observed, which is inconsistent with current theoretical predictions employing nucleon resonance degrees of freedom. A Legendre polynomial decomposition suggests this behavior could be related to the excitation of the  $d^*(2380)$  hexaquark.

### Theoretical side



1964, Dyson & Xuong, M(D<sub>03</sub>)=2350 MeV (PRL13, 815)

naïve quark model prediction almost forgotten in last 50 years

• 1989, T. Goldman,...,Fan Wang, (PRC 39, 1889)

"inevitable nonstrange dibaryon" d\*

- 1992, Fan Wang, et al., (PRL 69, 2901) confirmed by QDCSM
- 1995, Fan Wang, JL Ping, et al, (PRC 51, 3411)

further confirmed by u,d,s 3-flavor world systematic searching

- 2002, JL Ping, Fan Wang, et al., (PRC 65, 044003) improved d\* calculation
- 2009, JL Ping et al, (PRC 79, 024001)
   d\* in np resonance scattering
- 2013, Bashkanov, S. Brodsky, H. Clement, (PLB 727, 438)

hidden-color  $\rightarrow$  narrow width

Faddeev equation

- 2013, A.Gal, H. Garcilaso, (PRL 111, 12301)
- 2014, F. Huang et al, arXiv:1408.0458
- 2015, Y.B. Dong, (PRC 91, 064002)
- 2015, S.L. Zhu, et al., (PRC 91, 025204)

d\* decay width

hidden-color  $\rightarrow$  narrow width

QCD sum rule

#### d\* in quark models







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#### (2) Total decay width of d\*

ChQM2:	
$M_R$	2393
$\Gamma_{NN}$	14
Γ <sub>inel</sub>	136
$B_{NN}$	0.09
QDCSM1:	
$M_R$	2357
$\Gamma_{NN}$	14
Γ <sub>inel</sub>	96
B <sub>NN</sub>	0.13

Only phase space reduction: (structure of d\* is not considered)

$$\Gamma_{b\Delta}(M_{b\Delta}) \approx \Gamma_{f\Delta} \frac{k_b^{2\ell} \rho(M_{b\Delta})}{k_f^{2\ell} \rho(M_{f\Delta})},$$

[33] B. Julia-Diaz, T.-S. H. Lee, A. Matsuyama, and T. Sato, Phys. Rev. C 76, 065201 (2007).

The rms radius is about 1fm.

d\* is a compact six quark state, two baryon clustering is a crude approximation.

## (3) d\* in the D-G partial waves of NN scattering



PRC 90 (2014) 064003



E3 in QDCSM.



FIG. 2.  ${}^{3}D_{3}^{NN}$  and  ${}^{3}G_{3}^{NN}$  phase shifts including their mixing angles E3 in ChQM.



FIG. 3. 3D<sub>3</sub><sup>NN</sup> and 3G<sub>3</sub><sup>NN</sup> amplitudes including their mixing amplitude £3 in two quark models. Solid (dotted) curves give the real (imaginary) part of partial-wave amplitudes in QDCSM, whereas the dashed (dash-dotted) curves represent the real (imaginary) part of partial-wave amplitudes in ChQM. Results from Ref. [6] are shown as solid circles (real part) and solid triangles (imaginary part).

#### 2. Strange dibaryon (NΩ)

- Might be a narrow **resonance**.
- A very narrow **resonance**.
  - PRC 51, 3411 (1995); PRC 69,065207 (2004)
- A weakly **bound** state.
- A narrow **resonance** in  $\Lambda \Xi$  scattering. PRC 83, 015202 (2011)
- Further theoretical work to confirm the N $\Omega$ . PRC 92, 065202 (2015)

(N $\Omega$  scattering phase shifts, the scattering length and the effective range)

HALQCD Collaboration, Nucl. Phys. A 928, 89 (2014)

Being searched by RHIC-STAR Collaboration, Phys.Lett. B 790, 490 (2019).



PRL 59,627 (1987)

EPJA 8, 417 (2000)



## Systematically searching for strange dibaryon states

PRC 83,015202 (2011)

S	Ι	J	State	$M({ m MeV})$	$\Gamma({ m MeV})$	Decay channels
-1	$\frac{1}{2}$	3	$\Delta \Sigma^*$	2440 - 2540	48-118	$N\Lambda$ or $N\Sigma$
$^{-2}$	0	2	$N\Xi^*$	2400-2430	10-11	$N\Xi$ or $\Lambda\Lambda$
-2	1	3	$\Delta \Xi^*$	2620-2660	50-90	$N\Xi$
-3	$\frac{1}{2}$	2	$N\Omega$	2528 - 2547	2-4	$\Lambda \Xi$
-3	$\frac{3}{2}$	3	$\Sigma^* \Xi^*$	2788 - 2795	50-60	$\Sigma \Xi$



#### $\succ$ The N $\Omega$ scattering phase shifts

#### PRC 92,065202 (2015)



implies the existence of a bound state



## The scattering length, the effective range and the binding energy

TABLE VI. The scattering length  $a_0$ , effective range  $r_0$ , and binding energy B' of the  $N\Omega$  dibaryon.

	$a_0$ (fm)	$r_0$ (fm)	<i>B'</i> (MeV)
QDCSM	2.8007	0.5770	-5.2
ChQM1	0.8103	0.3609	-110.3
ChQM2	1.3808	0.6018	-37.3
ChQM3	1.9870	0.7064	-13.7

$B_{N\Omega}$	=	$18.9(5.0)(^{+12.1}_{-1.8})$ MeV,
$a_{N\Omega}$	=	$-1.28(0.13)(^{+0.14}_{-0.15})$ fm,
$r_e)_{N\Omega}$	=	$0.499(0.026)(^{+0.029}_{-0.048})$ fm.

HALQCD Collaboration Nucl. Phys. A 928, 89 (2014)



The proton- $\Omega$  correlation function in Au + Au collisions at  $\sqrt{s_{NN}} = 200 \text{ GeV}$ 



STAR Collaboration

#### ABSTRACT

We present the first measurement of the proton- $\Omega$  correlation function in heavy-ion collisions for the central (0–40%) and peripheral (40–80%) Au + Au collisions at  $\sqrt{s_{NN}} = 200$  GeV by the STAR experiment at the Relativistic Heavy-Ion Collider (RHIC). Predictions for the ratio of peripheral collisions to central collisions for the proton- $\Omega$  correlation function are sensitive to the presence of a nucleon- $\Omega$  bound state. These predictions are based on the proton- $\Omega$  interaction extracted from (2 + 1)-flavor lattice QCD calculations at the physical point. The measured ratio of the proton- $\Omega$  correlation function between the peripheral (small system) and central (large system) collisions is less than unity for relative momentum smaller than 40 MeV/c. Comparison of our measured correlation ratio with theoretical calculation slightly favors a proton- $\Omega$  bound system with a binding energy of ~ 27 MeV.

3. Dibaryon with heavy quarks

(1) H-like dibaryon states:  $\Lambda c \Lambda c$  ,  $\Lambda b \Lambda b$ 

PRC 89 ,035201,2014

*Is the H dibaryon AA a bound state?* 

First proposed by R. L. Jaffe

PRL 38, 195, 1977

**Revived** by Lattice QCD calculations of different collaborations:

NPLQCD, PRL 106, 162001, 2011 HALQCD, PRL 106, 162002, 2011

**Reexamined** in a chiral constituent quark model

PRC 85, 045202, 2012

*Is the H-like dibaryon*  $\Lambda c \Lambda c$  *a bound state?* 

Answers of two hadron level modelsNo in One-boson-exchange modelPFYes in One-pion-exchange modelPF

PRD 84, 014031, 2011 PLB 704, 547, 2011

What about the quark level study of the  $\Lambda c \Lambda c$  system?





TABLE III. The $\Lambda_c \Lambda_c$ and $\Lambda_b \Lambda_b$ states and the channels coupled to them.								
Channels	1	2	3	4	5	6	7	
$J^p = 0^+$ $J^p = 0^+$	$\frac{\sum_c \sum_c ({}^1S_0)}{\sum_b \sum_b ({}^1S_0)}$	$N \Xi_{cc}({}^1S_0) N \Xi_{bb}({}^1S_0)$	$\begin{array}{l} \Lambda_c \Lambda_c ({}^1S_0) \\ \Lambda_b \Lambda_b ({}^1S_0) \end{array}$	$\begin{array}{l} \Sigma_c^* \Sigma_c^* (^1 S_0) \\ \Sigma_b^* \Sigma_b^* (^1 S_0) \end{array}$	$N \Xi_{cc}^{*}({}^{5}D_{0})$ $N \Xi_{bb}^{*}({}^{5}D_{0})$	$\frac{\Sigma_c \Sigma_c^* ({}^5 D_0)}{\Sigma_b \Sigma_b^* ({}^5 D_0)}$	$\frac{\sum_{c}^{*} \sum_{c}^{*} ({}^{5}D_{0})}{\sum_{b}^{*} \sum_{b}^{*} ({}^{5}D_{0})}$	

## The individual S-wave ΛcΛc is unbound. A bound state is obtained for the ΛcΛc system by channel-coupling.

TABLE IV. The binding energy B.E. (MeV) of every  ${}^{1}S_{0}$  channel of the  $\Lambda_{c}\Lambda_{c}$  system, and channel coupling (c.c.).

Channels	$\Sigma_c \Sigma_c$	$N\Xi_{cc}$	$\Lambda_c \Lambda_c$	$\Sigma_c^*\Sigma_c^*$	c.c.
QDCSM1	-35.4	ub	ub	-30.4	-3.3
QDCSM2	-75.4	ub	ub	-87.0	-19.4



S,I,J	Coupling channels	Mass <sub>sc</sub>	Mass <sub>cc</sub>
-2,0,0	$\Lambda\Lambda$ -N $\Xi$ - $\Sigma\Sigma$	-	2225.5

The single channel  $\Lambda\Lambda$  is unbound, but when coupled to the channels  $N\Xi$  and  $\Sigma\Sigma$ , it becomes a weakly bound state. It is possible to form a bound state in the  $\Lambda_c\Lambda_c$  system, with a binding energy of

 $3.0 \sim 20$  MeV, which is a *H*-like dibaryon state.

#### $\succ \Lambda_b \Lambda_b$ system



TABLE V. The binding energy B.E. (MeV) of every ${}^{1}S_{0}$ char of the $\Lambda_{b}\Lambda_{b}$ system, and channel coupling (c.c.).	nnel

Channels	$\Sigma_b \Sigma_b$	$N \Xi_{bb}$	$\Lambda_b\Lambda_b$	$\Sigma_b^* \Sigma_b^*$	c.c
QDCSM1	-36.0	ub	ub	-28.2	-3.6
QDCSM2	-78.8	ub	ub	-83.0	-19.7

The results are similar to the  $\Lambda_c \Lambda_c$  system. There is also an *H*-like dibaryon state in the  $\Lambda_b \Lambda_b$  system with a binding energy of  $3.0 \sim 20$  MeV in our quark model.



### $IJ^P = \frac{1}{2}2^+$

TABLE III. Channels of the $N\Omega_{ccc}$ system.								
1	2	3	4	5	6	7	8	
$\Xi_{cc}^*\Sigma_c$	$\Xi_{cc}\Sigma_c^*$	$\Xi_{cc}^*\Lambda_c$	$N\Omega_{ccc}$	$\Xi_{cc}^*\Sigma_c^*$	$\Xi_{cc}^{\prime\prime}\Sigma_{c}^{*\prime}$	$\Xi_{cc}^{*\prime}\Sigma_{c}^{\prime\prime}$	$\Xi_{cc}^{\prime\prime}\Sigma_{c}^{\prime\prime}$	
$\Xi''\Sigma$	$N'\Omega'_{ccc}$	$\Xi_{cc}^{*\prime}\Lambda_c^{\prime\prime}$	$\Xi_{cc}^{\prime}\Lambda_{c}^{\prime\prime}$	$\Xi_{cc}^{\prime\prime}\Lambda_{c}^{\prime\prime}$	$\Xi_{cc}^{\prime\prime}\Lambda_{c}^{\prime\prime\prime}$	$\Xi_{cc}'\Sigma_c''$	$\Xi_{cc}^{\prime\prime}\Lambda_{c}^{\prime}$	

TABLE IV. The binding energies of the  $N\Omega_{ccc}$  system with channel coupling.

	$B_{\rm sc}~({\rm MeV})$	$B_{5cc}$ (MeV)	$B_{16cc}$ (MeV)	
ChQM	ub	ub	-16.4	
QDCSM	-0.6	-30.9		

TABLE	VI.	The	binding	energies	of	the	$N\Omega_{bbb}$	system	with
channel cou	pling	g.							

	$B_{\rm sc}~({\rm MeV})$	$B_{5cc}$ (MeV)	$B_{16cc}$ (MeV)
ChQM	ub	ub	-16.4
QDCSM	ub	-50.7	—

#### PRC 101, 015204, 2020

- Both of these two states are bound in two quark models: ChQM and QDCSM.
- The binding energy increases as the quark of the system becomes heavier.
- The effect of the channelcoupling is important for forming bound states.

## The scattering phase shifts, scattering length, the effective range and the binding energy



FIG. 2. The phase shifts of the  $N\Omega_{ccc}$  state in both the ChQM and QDCSM.

TABLE V	V. T	he	scattering	length	$a_0$ ,	effective	range	$r_0$ ,	and
binding energ	gy B	′ of	the $N\Omega_{ccc}$	state.					

	$a_0$ (fm)	$r_0$ (fm)	<i>B</i> ′ (MeV)
ChQM	1.4989	0.40810	-15.5
QDCSM	1.3347	0.43343	-21.6



FIG. 3. The phase shifts of the  $N\Omega_{bbb}$  state in both the ChQM and QDCSM.

TABLE VII. The scattering length  $a_0$ , effective range  $r_0$ , and binding energy B' of the  $N\Omega_{bbb}$  state.

	$a_0$ (fm)	$r_0$ (fm)	<i>B</i> ′ (MeV)
ChQM	1.5981	0.66427	-40.1
QDCSM	1.1608	0.53617	-40.1



## **III. Pentaquark relevant studies**



#### Experimental results

• 2015 LHCb Collaboration, Phys. Rev. Lett. 115, 072001



- The two  $P_c^+$  states are found to have masses and widths of  $M_{P_c (4380)} = 4380 \pm 8 \pm 29$  MeV  $\Gamma_{P_c (4380)} = 205 \pm 18 \pm 86$ MeV  $M_{P_c (4450)} = 4449.8 \pm 1.7 \pm 2.5$  MeV  $\Gamma_{P_c (4450)} = 39 \pm 5 \pm 19$  MeV
- The preferred spin-parity J<sup>P</sup> are of opposite values, with one state having spin 3/2 and the other 5/2.

#### • 2019 LHCb Collaboration, Phys. Rev. Lett. 122 222001



Figure 6: Fit to the  $\cos \theta_{Pc}$ -weighted  $m_{J/\psi p}$  distribution with three BW amplitudes and a sixth-order polynomial background. This fit is used to determine the central values of the masses and widths of the  $P_c^+$  states. The mass thresholds for the  $\Sigma_c^+ \overline{D}^0$  and  $\Sigma_c^+ \overline{D}^{*0}$  final states are superimposed.

• The *Pc*(4312) was discovered with 7.3 $\sigma$  significance by analyzing the *J/\u03c6pp* invariant mass spectrum.

• The previously reported Pc(4450)structure was resolved at 5.4 $\sigma$ significance into two narrow states: the Pc(4440) and Pc(4457).

Table 1: Summary of  $P_c^+$  properties. The central values are based on the fit displayed in Fig. 6.

State	$M \;[\mathrm{MeV}\;]$	$\Gamma [MeV]$	(95%  CL)	$\mathcal{R}$ [%]
$P_{c}(4312)^{+}$	$4311.9\pm0.7^{+6.8}_{-0.6}$	$9.8 \pm 2.7 \substack{+ & 3.7 \\- & 4.5 }$	(< 27)	$0.30\pm0.07^{+0.34}_{-0.09}$
$P_c(4440)^+$	$4440.3 \pm 1.3^{+4.1}_{-4.7}$	$20.6 \pm 4.9^{+\ 8.7}_{-10.1}$	(< 49)	$1.11\pm0.33^{+0.22}_{-0.10}$
$P_{c}(4457)^{+}$	$4457.3 \pm 0.6^{+4.1}_{-1.7}$	$6.4 \pm 2.0^{+}_{-} ^{5.7}_{1.9}$	(< 20)	$0.53 \pm 0.16^{+0.15}_{-0.13}$



#### Theoretical studies



• After LHCb's Pc results (2015)

#### 1) Loosely bound molecular baryon-meson pentaquark states:

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A. Feijoo, V. K. Magas, A. Ramos and E. Oset, Phys. Rev. D 95, no.3, 039905 (2017). *and others.* 

#### 2) Tightly bound pentaquark states



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#### and others.

#### 3) Peaks due to triangle-diagram processes

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M. Mikhasenko, arXiv:1507.06552.

#### and others.

#### • Immediately after LHCb's Pc results (2019)

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F. K. Guo, H. J. Jing, U.-G. Meissner, and S. Sakai, arXiv:1903.11503 [hep-ph].

J. He, arXiv:1903.11872 [hep-ph].

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H. X. Huang, J. He, and J. L. Ping, arXiv: 1904.00221 [hep-ph].

C. J. Xiao, Y. Huang, Y. B. Dong, L. S. Geng, and D. Y. Chen, arXiv:1904.00872 [hep-ph].

M. Z. Liu, Y. W. Pan, F. Z. Peng, M. S. Sanchez, L. S. Geng, A. Hosaka, and M. P. Valderrama, , Phys. Rev. Lett. **122**, 242001 (2019)

and others.

#### • Some early studies

J. J. Wu, R. Molina, E. Oset and B. S. Zou, Phys. Rev. Lett. **105**, 232001 (2010) [arXiv:1007.0573 [nucl-th]].

J. J. Wu, R. Molina, E. Oset and B. S. Zou, Phys. Rev. C 84, 015202 (2011) [arXiv:1011.2399 [nucl-th]].

J. J. Wu, T.-S. H. Lee and B. S. Zou, Phys. Rev. C **85**, 044002 (2012) [arXiv:1202.1036 [nucl-th]].

Z. C. Yang, Z. F. Sun, J. He, X. Liu and S. L. Zhu, Chin. Phys. C **36**, 6 (2012) [arXiv:1105.2901 [hep-ph]].

and others.



#### > Our work



#### 1) Dynamic calculation in the limited space

H. X. Huang, C. R. Deng, J. L. Ping, and F. Wang, Eur. Phys. J. C. 76, 624 (2016), arXiv: 1510.04648.

- One bound state:  $J^P = 1/2^- N\eta c$
- Resonance states? (Strong attraction between  $\Sigma c / \Sigma c^*$  and  $D / D^*$ )

 $J^{P} = 1/2^{-} \Sigma cD, \Sigma cD^{*}, \Sigma c^{*}D^{*}$  $J^{P} = 3/2^{-} \Sigma c^{*}D, \Sigma cD^{*}, \Sigma c^{*}D^{*}, NJ/\psi$  $J^{P} = 5/2^{-} \Sigma c^{*}D^{*}$ 

## These states should couple to open channels to check whether they are resonance states or not.

#### 2) Resonance states in the scattering process

H. X. Huang and J. L. Ping, Phys. Rev. D. 99, 014010 (2019), arXiv: 1811.04260. Six resonance states were found:  $I_{r}^{R} = 1/2^{-1}$  SeD. SeD.

 $J^{P} = 1/2^{-}$  ΣcD, ΣcD\*, Σc\*D\*  $J^{P} = 3/2^{-}$  Σc\*D, ΣcD\*, Σc\*D\*

#### 1. Hidden-charm pentaquarks



The hidden charm pentaquark channels with I=1/2

Table 3 The channels involved in the calculation

$S = \frac{1}{2}$	$N\eta_c$	$NJ/\psi$	$\Lambda_c D$	$\Lambda_c D^*$	$\Sigma_c D$
	$\Sigma_c D^*$	$\Sigma_c^* D^*$			
$S = \frac{3}{2}$	$NJ/\psi$	$\Lambda_c D^*$	$\Sigma_c D^*$	$\Sigma_c^* D$	$\Sigma_c^* D^*$
$S = \frac{5}{2}$	$\Sigma_c^* D^*$				

The state with the positive parity is unbound in present calculations.

Eur. Phys. J. C. 76, 624 (2016)

#### • The effective potentials











- The potentials are repulsive between Ac and D/D\*. So no bound states or resonances can be formed in these two channels AcD and AcD\*.
- Strong attractions between Σc/Σc\* and D/D\*.
- It is possible for Σc/Σc\* and D/ D\* to form bound states or resonance states.

#### • The single channel calculation





#### Comparing with the LHCb's result in 2015

- ✓ The main component of the Pc(4380) maybe  $\Sigma c^*D$  with  $J^P = 3/2^-$ .
- ✓ The mass of the  $\Sigma cD^*$  with  $J^P = 3/2^-$  is close to the reported Pc(4450), but the opposite parity of this state to Pc(4380) may prevent one from making this assignment at that time.

#### • The channel-coupling calculation



Table 6 The masses (in MeV) of the hidden-charm molecular pentaquarks with all channels coupling and the percentages of each channel in the eigen-states

$J^{P} = \frac{1}{2}$	_			$J^{P} = \frac{3}{2}^{-}$				$J^{p} = \frac{5}{2}^{-}$			
μ <sub>cc</sub> M <sub>cc</sub>	0.01 3881	0.001 3883	0.0001 3884	$\mu_{cc}$ $M_{cc}$	0.01 3997	0.001 3998	0.0001 3998	μ <sub>cc</sub> M <sub>cc</sub>	0.01 4512	0.001 4517	0.0001 4517
$N\eta_c$	41.7	49.7	35.2	$NJ/\psi$	80.8	71.0	62.1	$\Sigma_c^* D^*$	100.0	100.0	100.0
$NJ/\psi$	23.1	24.4	29.3	$\Lambda_c D^*$	8.7	11.9	15.9	_			
$\Lambda_c D$	14.6	11.7	14.5	$\Sigma_c D^*$	1.2	1.9	2.6				
$\Lambda_c D^*$	0.9	0.4	2.0	$\Sigma_c^* D$	3.5	5.8	7.3				
$\Sigma_c D$	0.1	4.8	6.0	$\Sigma_c^* D^*$	5.8	9.4	12.1				
$\Sigma_c D^*$	4.5	6.4	12.4								
$\Sigma_c^* D^*$	15.1	2.6	0.6								

✓ A bound state:  $J^P = 1/2^-$  Nηc

✓  $J^P = 3/2^-$  NJ/ $\psi$  (*decay* to open channels: D-wave Nηc)

✓  $J^P = 5/2^- \Sigma c^* D^*$  (decay to open channels: some D-wave channels)

✓ Where are these states?

 $J^{P}$  = 1/2<sup>-</sup> ΣcD, ΣcD\*, Σc\*D\*

 $J^{P} = 3/2^{-}$  Σc\*D, ΣcD\*, Σc\*D\*

(decay to open channels: S-wave Nηc, NJ/ $\psi$ , AcD, AcD\* and some D-wave channels)

(decay to open channels: S-wave NJ/ $\psi$ ,  $\Lambda cD *$  and some D-wave channels)

#### They maybe the resonance states.

To check whether they are resonance states or not, the study of scattering process of the corresponding open channels are needed !

#### • Resonance states in the scattering process



## (1) $J^P = 1/2^-$

arXiv: 1811.04260, Phys. Rev. D. 99, 014010 (2019)





- There are three resonance states: ΣcD, ΣcD\*, and Σc\*D\* in the Nηc scattering phase shifts.
- In other scattering channels there are only two resonance states: ΣcD and ΣcD\*.
- There is only a cusp around the threshold of the third state Σc\*D\*, because the channel coupling pushes the higher state above the threshold.



TABLE II. The masses and decay widths (in MeV) of the  $IJ^P = \frac{1}{22} \frac{1}{2}^{-1}$  resonance states in the  $N\eta_c$ ,  $NJ/\psi$ ,  $\Lambda_c D$ , and  $\Lambda_c D^*$  S-wave scattering process.

		Т	wo-channel	coupling	g		Four-channel coupling					
	$\Sigma_c D$		$\Sigma_c D$	$\Sigma_c D^*$ $\Sigma_c^*$		$\Sigma_c$		$D \qquad \Sigma_c D^{\prime}$		$\Sigma_c^* L$		*
	M'	$\Gamma_i$	M'	$\Gamma_i$	M'	$\Gamma_i$	M'	$\Gamma_i$	M'	$\Gamma_i$	M'	$\Gamma_i$
$N\eta_c$	4312.9	6.0	4451.7	1.1	4523.1	3.5	4311.3	4.5	4448.8	1.0	4525.8	4.0
$NJ/\psi$	4309.9	2.0	4461.6	4.0	4514.7	1.2	4307.9	1.2	4459.7	3.9	nr	
$\Lambda_c D$	4308.4	0.003	4452.6	1.0	4512.6	0.004	4306.7	0.02	4461.6	1.0	nr	
$\Lambda_c D^*$	4311.6	3.5	4452.5	1.0	4510.8	0.005	4307.7	1.4	4449.0	0.3	nr	
$\Gamma_{\text{total}}$		11.5		7.1		4.7	$\gamma$ [	7.1	] \][	6.2		4.0
							+		•			
	<b>Pc(4</b>						312)		Pc(4	457	7)	

## (2) $J^P = 3/2^-$





FIG. 4. The  $NJ/\psi$  and  $\Lambda_c D^*$  S-wave phase shifts with fourchannel coupling for the  $IJ^P = \frac{1}{2}\frac{3}{2}^-$  system.

- There are two resonance states: ΣcD\* and Σc\*D in the NJ/ψ scattering phase shifts.
- There are three resonance states: ΣcD\*, Σc\*D and Σc\*D\* in the ΛcD\* scattering phase shifts.



TABLE III. The masses and decay widths (in MeV) of the  $IJ^P = \frac{1}{2}\frac{3^{-}}{2}$  resonance states in the  $NJ/\psi$  and  $\Lambda_c D^*$  S-wave scattering process.

		ſ	wo-channel	couplin	ng					
	$\Sigma_c D$	*	$\Sigma_c^* D$		$\Sigma_c^* D^*$					
	M'	$\Gamma_i$	<i>M</i> ′	$\Gamma_i$	M'	$\Gamma_i$				
$NJ/\psi \ \Lambda_c D^*$	4453.8 4452.7	1.7 0.8	4379.7 4377.6	4.5 3.2	4526.4 4522.7	2.5 1.8				
$\Gamma_{\text{total}}$		2.5		7.7		4.3				
	Four-channel coupling									
	$\Sigma_c D$	*	$\Sigma_c^* D$		$\Sigma_c^* D$	*				
	M'	$\Gamma_i$	M'	$\Gamma_i$	M'	$\Gamma_i$				
$\frac{NJ/\psi}{\Lambda_c D^*}$	4445.7 4444.0	1.5 0.3	4376.4 4374.4	1.5 0.9	nr 4523.0	1.0				
$\Gamma_{\text{total}}$		1.8	<u>\</u> ?	2.4		1.0				
_				90)						
Pe	c(4440)		Pc(43)	80)						

#### • Compare with the experiment





LHCb Collaboration, Phys. Rev. Lett. 122 222001 (2019) Phys. Rev. D. 99, 014010 (2019), arXiv: 1904.00221

#### 2. Hidden-bottom pentaquarks

(1)  $J^P = 1/2^-$ 



FIG. 6. The  $N\eta_b$ ,  $N\Upsilon$ ,  $\Lambda_b B$  and  $\Lambda_b B^*$  *S*-wave phase shifts with four-channel coupling for the  $IJ^P = \frac{1}{2}\frac{1}{2}^-$  system.

TABLE IV. The masses and decay widths (in MeV) of the  $IJ^P = \frac{1}{22}$ <sup>-</sup> resonance states in the  $N\eta_b$ ,  $N\Upsilon$ ,  $\Lambda_b B$ , and  $\Lambda_b B^*$  S-wave scattering process.

		T	wo-channel c	oupling			F	our-channel c	oupling	g		
	$\Sigma_b B$		$\Sigma_b B^*$		$\Sigma_b^* B^*$		2	$\Sigma_b B$	$\Sigma_b B^*$		$\Sigma_b^* B^*$	
	M'	$\Gamma_i$	M'	$\Gamma_i$	Μ'	$\Gamma_i$	M'	$\Gamma_i$	Μ'	$\Gamma_i$	M'	$\Gamma_i$
$N\eta_b$	11 083.3	4.0	11 123.9	1.4	11 154.5	4.7	11 079.	8 1.2	11 120.6	0.4	11 156.9	2.0
NΥ	11 080.4	1.4	11 135.4	6.6	11 146.2	2.0	11 077.	5 0.1	11 125.8	0.8	11 153.5	3.0
$\Lambda_{h}B$	11 079.0	0.0003	11 125.4	2.0	11 145.1	0.49	11 077.	2 0.001	11 122.0	0.6	11 141.8	0.1
$\Lambda_b B^*$	11 082.2	2.6	11 126.2	2.3	11 142.7	0.22	11 078.	3 0.3	11 123.0	1.2	11 141.5	0.4
$\Gamma_{total}$		7.0		12.3		7.4		1.6		3.0		5.5



(2)  $J^P = 3/2^-$ 





FIG. 8. The NY and  $\Lambda_b B^*$  S-wave phase shifts with fourchannel coupling for the  $IJ^P = \frac{1}{2}\frac{3}{2}^-$  system.

TABLE V. The masses and decay widths (in MeV) of the  $IJ^P = \frac{1}{2}\frac{3}{2}^{-}$  resonance states in the  $N\Upsilon$  and  $\Lambda_b B^*$  S-wave scattering process.

		Т	wo-channel	couplii	ng						
	$\Sigma_b B^*$		$\Sigma_b^* B$		$\Sigma_b^*B^*$						
	M'	$\Gamma_i$	M'	$\Gamma_i$	M'	$\Gamma_i$					
$\overline{N\Upsilon} \ \Lambda_b B^*$	11 126.3 11 125.5	1.7 0.9	11 105.8 11 103.5	4.4 2.6	11 155.7 11 152.0	3.8 2.7					
$\Gamma_{\text{total}}$		2.6		7.0		6.5					
		Four-channel coupling									
	$\Sigma_b B^*$		$\Sigma_b^* B$		$\Sigma_b^* B^*$	$\Sigma_b^* B^*$					
	M'	$\Gamma_i$	M'	$\Gamma_i$	M'	$\Gamma_i$					
NΥ	11 122.7	0.2	11 103.6	0.8	nr						
$\Lambda_b B^*$	11 122 2	0.2	11 102.4	0.3	11 150.0	1.8					
υ	11 122.2			_							

- The results are similar to the hidden-charm pentaquarks.
- Some narrow hidden-bottom pentaquark resonances above 11 GeV are found from corresponding scattering process.

#### 3. Hidden-strange pentaquark N¢



#### The Nφ bound state was first studied by H. Gao.

PRC 63 (2001) 022201(R)

The QCD van der Waals attractive potential is strong enough to bind a  $\varphi$  meson onto a nucleon inside a nucleus to form a bound state.

The feasibility of experimental search for the Nφ bound state at Jefferson Lab was demonstrated by H. Gao.

PRC 75 (2007) 058201

Measurement of coherent φ-meson photoproduction from the deuteron.

> CLAS Collaboration, PRC 76 (2007) 052202(R) PLB 680 (2009) 417-422, PLB 696 (2011) 338-342

The Nφ was a quasi-bound state in the extended chiral SU(3) quark model.

PRC 73 (2006) 025207

Search for a hidden strange baryon-meson bound state from φ production in a nuclear medium.

PRC 95 (2017) 055202



#### • The hidden strange pentaquark channels

TABLE II. The coupling channels of each quantum number.

$J^{P}$	$^{2S+1}L_{J}$	Channels	
$\frac{1}{2}^{-}$	${}^{2}S_{\frac{1}{2}}$	$N\eta', N\phi, \Lambda K, \Lambda K^*, \Sigma K, \Sigma K^*, \Sigma^* K^*$	~
	${}^{4}D_{\frac{1}{2}}^{2}$	$N\phi, \Lambda K^*, \Sigma K^*, \Sigma^* K, \Sigma^* K^*$	
$\frac{3}{2}^{-}$	${}^{2}D_{\frac{3}{2}}$	$N\eta', N\phi, \Lambda K, \Lambda K^*, \Sigma K, \Sigma K^*, \Sigma^* K^*$	
	${}^{4}S_{\frac{3}{2}}({}^{4}D_{\frac{3}{2}})$	$N\phi, \Lambda K^*, \Sigma K^*, \Sigma^* K, \Sigma^* K^*$	
$\frac{5}{2}^{-}$	${}^{2}D_{\frac{5}{2}}$	$N\eta', N\phi, \Lambda K, \Lambda K^*, \Sigma K, \Sigma K^*, \Sigma^* K^*$	
	${}^{4}D_{\frac{5}{2}}$	$N\phi, \Lambda K^*, \Sigma K^*, \Sigma^* K, \Sigma^* K^*$	
$\frac{1}{2}^{+}$	${}^{2}P_{\frac{1}{2}}$	$N\eta', N\phi, \Lambda K, \Lambda K^*, \Sigma K, \Sigma K^*, \Sigma^* K^*$	
	${}^{4}P_{\frac{1}{2}}$	$N\phi, \Lambda K^*, \Sigma K^*, \Sigma^* K, \Sigma^* K^*$	
$\frac{3}{2}^{+}$	${}^{2}P_{\frac{3}{2}}$	$N\eta', N\phi, \Lambda K, \Lambda K^*, \Sigma K, \Sigma K^*, \Sigma^* K^*$	
	${}^{4}P_{\frac{3}{2}}$	$N\phi, \Lambda K^*, \Sigma K^*, \Sigma^* K, \Sigma^* K^*$	
$\frac{5}{2}^{+}$	${}^{4}P_{\frac{5}{2}}$	$N\phi, \Lambda K^*, \Sigma K^*, \Sigma^* K, \Sigma^* K^*$	

 The states of P and D wave are unbound in present calculations.

#### • The effective potentials





FIG. 1: The potentials of different channels for the  $I = \frac{1}{2}$ ,  $J^P = \frac{1}{2}^-, \frac{3}{2}^-, \frac{5}{2}^-$  systems.

#### • The bound state calculation



with the quantum numbers $J^{*} = \frac{1}{2}$ and $\frac{1}{2}$ . The values are provided in units of MeV, and <sup>4</sup> ub <sup>*</sup> represents unbound.									
Channel		$J^P = \frac{1}{2}^-$		$J^{p} = \frac{3}{2}^{-}$					
	QDCSM1	QDCSM2	QDCSM3	QDCSM1	QDCSM2	QDCSM3			
$N\eta'$	ub	ub	ub	_	_	_			
$N\phi$	ub	ub	ub	ub	ub	ub			
$\Lambda K$	ub	ub	ub	_	_	_			
$\Lambda K^*$	ub	ub	ub	ub	ub	ub			
$\Sigma K$	-6.7/1681.3	-26.8/1661.2	-4.9/1683.1	_	_	_			
$\Sigma K^*$	-8.9/2076.1	-30.6/2054.4	-22.4/2062.2	-21.6/2063.4	-21.1/2063.9	-21.2/2063.8			
$\Sigma^* K$	_	_	_	-10.4/1869.6	-15.5/1864.5	-11.1/1868.9			
$\Sigma^* K^*$	-17.3/2259.7	-87.0/2190.0	-73.9/2203.1	-11.3/2265.7	-18.4/2258.6	-27.2/2249.8			
Coupled	-16.0/1881.0	-20.0/1877.0	-24.3/1872.7	-10.1/1948.9	-7.7/1951.3	-1.6/1957.4			

TABLE III. The binding energy and the total energy of each individual channel and all coupled channels for the two S-wave bound states with the quantum numbers  $J^P = \frac{1}{2}^-$  and  $\frac{3}{2}^-$ . The values are provided in units of MeV, and "ub" represents unbound.

 $\checkmark$  Nŋ' is a bound state by channel-coupling calculation.

✓ N $\phi$  may be a resonance state.

#### • Resonance states in the scattering process

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#### **(1)** Νφ



FIG. 1. The phase shifts of different scattering channels for the  $J^{P} = \frac{3}{2}^{-}$  systems.

TABLE IV. The  $N_{s\bar{s}}$  bound state mass calculated from the  ${}^{2}D_{\frac{3}{2}}$  scattering channels. The values are provided in units of MeV.

Scattering channel	QDCSM1	QDCSM2	QDCSM3
$N\eta'$	1947.998	1949.485	1955.988
$\Lambda K$	1947.975	1949.480	1955.910
$\Sigma K$	_	1949.597	_

Decay channel	QDCSM1		QDCSM2		QDCSM3	
	$\Gamma_i(MeV)$	$\Gamma_i/\Gamma(\%)$	$\Gamma_i(MeV)$	$\Gamma_i/\Gamma(\%)$	$\Gamma_i(MeV)$	$\Gamma_i/\Gamma(\%)$
$\overline{N\eta'}$	0.002	0.1	0.022	0.5	0.009	0.2
$\Lambda K$	0.011	0.3	0.120	2.9	0.055	1.2
$\Sigma K$	_	0.0	0.060	1.5	_	0.0
$\phi$ decays	3.619	99.6	3.892	95.1	4.616	98.6



#### (2) Pc-like resonances

#### PRD 97 (2018) 094019

the molecular pentaquarks with $J^{T} = \frac{1}{2}$ .								
	$\Sigma K$		$\Sigma K$	*	$\Sigma^* K^*$			
S wave	$M_r$	$\Gamma_i$	$M_r$	$\Gamma_i$	$M_r$	$\Gamma_i$		
$N\eta'$			2079.4	1.1	2246.8	20.0		
Nφ			2080.0	3.6	2237.0	30.0		
$\Lambda K$	1668.0	1.3	2083.4	1.0	2261.5	20.0		
$\Lambda K^*$			2056.6	0.2	2219.0	58.0		
$\Sigma K$			2071.6	4.6	2252.3	6.0		
$\Sigma K^*$			• • •		2253.9	16.0		
D wave								
$N\phi$			2076.3	0.3	2254.4	0.006		
$\Lambda K^*$			2076.3	0.4	2253.6	0.6		
$\Sigma K^*$					2254.0	0.06		
$\Sigma^* K$			2076.8	0.01	2253.3	0.8		

TABLE IV. The resonance mass and decay width (in MeV) of the molecular pentaquarks with  $J^P = \frac{1}{2}$ .

TABLE V. The resonance mass and decay width (in MeV) of the molecular pentaquarks with  $J^P = \frac{3}{2}$ .

	$\Sigma K^*$		$\Sigma^*$	* <i>K</i>	$\Sigma^* K^*$	
S wave	$M_r$	$\Gamma_i$	$M_r$	$\Gamma_i$	$M_r$	$\Gamma_i$
Νφ	2060.6	10.4			2270.5	0.03
$\Lambda K^*$	2046.1	15.0			2256.5	2.0
$\Sigma K^*$					2270.6	0.1
$\Sigma^* K$	2054.1	2.3			2263.6	3.7
D wave						
$N\eta'$	2061.4	0.001	1875.7	0.0004	2269.2	0.01
Nφ	2061.0	0.2			2269.3	0.01
$\Lambda K$	2060.6	0.9	1871.6	0.08	2269.2	0.02
$\Lambda K^*$	2059.1	0.3			2269.1	0.05
$\Sigma K$	2060.3	0.9	1871.6	0.05	2269.2	0.02
$\Sigma K^*$	•••	• • •	• • •	• • •	2269.2	0.003

N\*(2100) N\*(1875)

## **VI. Summary**

### Dibaryons

#### 1. Nonstrange dibaryon

A compact six quark state  $IJ^P = 03^+ d^*$ 

#### 2. Strange dibaryon

A narrow resonance  $IJ^P = \frac{1}{2}2^+ N\Omega$ 

#### 3. Dibaryon with heavy quarks:

H-like dibaryon states:  $\Lambda c \Lambda c$  and  $\Lambda b \Lambda b$ 

 $N\Omega$ -like dibaryons states:  $N\Omega_{ccc}$  and  $N\Omega_{bbb}$ 







#### 1. Hidden-strange pentaquark

1 bound state:  $J^P = 1/2^- N\eta'$ 8 resonance states:  $J^P = 1/2^- \Sigma K, \Sigma K^*, \Sigma^* K^*$   $J^P = 3/2^- \Sigma^* K (N^*(1875)), \Sigma K^*(N^*(2100)), \Sigma^* K^*, N\varphi$  $J^P = 5/2^- \Sigma^* K^*$ 

#### 2. Hidden-charm pentaquark

1 bound state:  $J^P = 1/2^- N\eta c$ 8 resonance states:  $J^P = 1/2^- \Sigma cD (Pc(4312)), \Sigma cD^* (Pc(4457)), \Sigma c^*D^*$   $J^P = 3/2^- \Sigma c^*D (Pc(4380)), \Sigma cD^* (Pc(4440)), \Sigma c^*D^*, NJ/\psi$  $J^P = 5/2^- \Sigma c^*D^*$ 

#### 3. Hidden-bottom pentaquark

1 bound state:  $J^P = 1/2^- N\eta b$ 8 resonance states:  $J^P = 1/2^- \Sigma_b B, \Sigma_b B^*, \Sigma_b^* B^*$  $J^P = 3/2^- \Sigma_b^* B, \Sigma_b B^*, \Sigma_b^* B^*, NY$  $J^P = 5/2^- \Sigma_b^* B^*$ 



## **Thanks for your attention!**