

# Looking for New Physics in the low energy experiments

#### Jia Liu (刘佳) School of Physics, Peking University

With Navin McGinnis, Carlos E.M. Wagner and Xiao-Ping Wang (王小平 北航) <u>1810.11028</u> [JHEP 1903 (2019) 008] <u>2001.06522</u> [JHEP 2004 (2020) 197]

The 2020 international workshop on the high energy Circular Electron-Positron Collider 10/28/2020 @ SJTU, Shanghai

#### The outline

- The motivation for new physics in the low energy
- The lepton g-2
- The KOTO experiment
- Summary

### **The Standard Model**

• A unified story for strong, weak and electromagnetic interactions.



# The 125 GeV Higgs

Its properties are very close to the SM predictions.



# The 125 GeV Higgs

- Precision measurement for Higgs is necessary
  - The nature of the electroweak phase transition



1511.06495

#### Still need the CEPC to further explore the SM Higgs.



- Dark sector particles
  - New light weakly coupled particles
  - Do not interact with the known strong, weak, or electromagnetic forces

#### The motivation for dark sector particles

- 1. Existence of dark matter
  - do not interact with strong, weak, or electromagnetic forces
  - A zoo of similar particles in the dark sector as in the visible sector
- 2. The null detection of dark matter
  - Secluded annihilation: DM + DM  $\rightarrow$  X + X
  - X is light and weakly coupled to visible sector



#### The motivation for dark sector particles

- 3. The experiment status
  - Technically difficult to increase E
  - Easier to accumulate higher luminosity



#### The motivation for dark sector particles

- 4. The low energy experiment hints
  - Lepton e/mu g-2 1806.10252 Davoudiasl et al ...
  - KOTO: neutral K decay into π<sup>0</sup> + MET (light scalar < 200 MeV) 1909.11111 Kitahara et al ...</li>
  - MiniBooNE: (dark neutrino/boson at 10~100MeV)

1807.09877 Bertuzzo et al ...

• Atomki: Be8/He4 decay into a 17 MeV ee resonance

1604.07411 Feng et al ...

- R(K), R(D) etc...
- XENON1T electronic recoil

# The examples of dark sector models

Kinetic mixing portal

 $B_{\mu\nu}F^{\mu\nu}$ 

• Neutrino portal LH



Higher dimensional operators

 $\frac{a}{\Lambda} \tilde{F}F, \frac{a}{\Lambda} \tilde{G}G$ 

# The Higgs portals

• SM Higgs portal model  $H^{\dagger}H\phi^2$ ,  $H^{\dagger}H\phi$ 

$$\mathcal{L}_{\rm int} \supset \sin\theta \times \phi \left(\sum_{q} \frac{m_q}{v} \bar{q}q + \sum_{\ell} \frac{m_{\ell}}{v} \bar{\ell}\ell + \cdots\right)$$

- More structures with multiple Higgs doublets
  - CP-even scalar mixing

$$H_1^{\dagger}H_1\phi, H_2^{\dagger}H_2\phi\cdots$$

• CP-odd/even scalar mixing

 $H_1^{\dagger}H_2\phi + h.c.\cdots$ 

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## The muon MDM

• The muon g-2 calculation

$$a_{\mu}^{\rm th} = a_{\mu}^{\rm QED} + a_{\mu}^{\rm Had} + a_{\mu}^{\rm EW}$$

- Hadronic uncertainty dominated  $a_{\mu}^{\text{Had}}(\text{vac pol}) = (688 \pm 4) \times 10^{-10}$  $a_{\mu}^{\text{Had}}(\gamma \times \gamma) \simeq 10 \times 10^{-10}$
- EW uncertainty

$$a_{\mu}^{\rm EW} = (15.1 \pm 0.4) \times 10^{-10}$$

• Positive value and a 3.7  $\sigma$ 

$$\Delta a_{\mu} = a_{\mu}^{\exp} - a_{\mu}^{\th} = (27.4 \pm 7.3) \times 10^{-10}$$

• The difference is close to EW contribution suggesting New Physics at the Weak scale: SUSY etc

### The e MDM

• The electron g-2 calculation

$$a_e^{\text{th}} = a_e^{\text{QED}} + a_e^{\text{Had}} + a_e^{\text{EW}}$$

• QED up to 10th order

 $(\alpha/\pi)^5 \sim 7 \times 10^{-14}$ 

• EW and Had (light-light) are small due to small m<sub>e</sub>  $a_e^{\text{th}} = (115965218164.3 \pm 2.5 \pm 2.3 \pm 1.6 \pm 76.3) \times 10^{-14}$ QED Had (I-I)+EW  $\alpha$ 

Aoyama et al 1412.8284, old fine structure constant from Rb measurement

- Fine structure constant induces the largest uncertainty for a<sub>e</sub>
- Fine structure constant calculated via a<sub>e</sub> has better uncertainty than direct measurement.

#### The e MDM

• The most recent fine structure constant measurement

Quantum Hall Effect-98 He Fine Structure-10 h/m<sub>Cs</sub>, StanfU-02 g-2, UWash-87 h/m<sub>Rb</sub>, LKB-11 h/m<sub>Rb</sub>, LKB-11 g-2, HarvU-08 This Work g-2, HarvU-08 -1.4 -0.9 -0.4 0.1 -1.9 0.6  $(\alpha^{-1}/137.035999139 - 1) \times 10^9$ h/m<sub>Cs</sub>, This Work -10 20 -20 10 30 40 50 60  $(\alpha^{-1}/137.035999139 - 1) \times 10^{9}$  $a_{e}^{\text{th}} = (115965218161 \pm 23) \times 10^{-14}$  $\Delta a_{e} = a_{e}^{\exp} - a_{e}^{\th} = (-88 \pm 36) \times 10^{-14}$ 

Parker et al., Science 360, 191–195 (2018)

• Negative value and a 2.4  $\sigma$  discrepancy

### A combined explanation for e/mu g-2?

$$\Delta a_{\mu} = a_{\mu}^{\exp} - a_{\mu}^{\th} = (27.4 \pm 7.3) \times 10^{-10}$$

$$\Delta a_e = a_e^{\exp} - a_e^{\th} = (-88 \pm 36) \times 10^{-14}$$

- A naive estimate  $\frac{m_e^2}{m_u^2}\Delta a_\mu \approx 6.4 \times 10^{-14}$
- Possible solutions for negative and sizable a<sub>e</sub> correction
  - Higher order operator: 2-loop Barr-Zee
  - Heavy leptons
  - Charged Higgs/2HDM
  - Chargino-sneutrino/bino-slepton
  - Leptoquark with mixed chirality

#### Our model: a light complex scalar for e/mu g-2

J. Liu, C.E.M.Wagner, X.Wang, arXiv:1810.11028

• Scalar  $\phi_R$  and pseudo-scalar  $\phi_I$  coupling to leptons

$$\mathscr{L}_{\text{int}} = ig_I \phi_I \bar{\ell} \gamma_5 \ell + g_R \phi_R \bar{\ell} \ell$$

• 1-loop contribution to g-2

$$\Delta a_{\ell} = \frac{1}{8\pi^2} \int_0^1 dx \frac{(1-x)^2 \left((1+x)g_R^2 - (1-x)g_I^2\right)}{(1-x)^2 + x \left(m_{\phi}/m_{\ell}\right)^2}.$$

 Scalar leads to positive contribution, while pseudo-scalar leads to negative contribution

### Scalar explanations for e/mu g-2



The e/mu g-2 discrepancies can be solved! The sign difference backed up by CP symmetry! One combined story instead of two separate stories?

# A complex scalar EFT story

- We assume the scalar and pseudo-scalar originated from the real and imaginary components of a complex singlet scalar
- Due to flavor symmetry, it can couple to e linearly, while mu quadratically

$$\mathscr{L}_{\rm EFT} = \frac{\phi^*}{\Lambda_e} \bar{L}_e H e_R + y_\mu \bar{L}_\mu H \mu_R + \frac{\phi^* \phi}{\Lambda_\mu^2} \bar{L}_\mu H \mu_R + H \cdot c \,.$$

After the scalars got vevs

$$H = \frac{1}{\sqrt{2}} \left( v + h + iG^0 \right), \quad \phi = \frac{1}{\sqrt{2}} \left( v_\phi + \phi_R + i\phi_I \right)$$

- We obtain  $m_e = \frac{vv_{\phi}}{2\Lambda_e}, \quad m_{\mu} = \frac{y_{\mu}v}{\sqrt{2}} + \frac{vv_{\phi}^2}{2\sqrt{2}\Lambda_{\mu}^2},$  $g_{\phi_R}^{e,\text{EFT}} = -g_{\phi_I}^{e,\text{EFT}} = \frac{v}{2\Lambda_e} = \frac{m_e}{v_{\phi}}, \quad g_{\phi_R}^{\mu,\text{EFT}} = \frac{v_{\phi}v}{\sqrt{2}\Lambda_{\mu}^2}$ 
  - Pseudo-scalar couples to e only, providing negative ae
  - Scalar couples to e with same coupling, provides positive ae but is heavier to suppress positive contribution
  - Only scalar couples to mu, leading to positive  $a_{\mu}$

# A complex scalar UV story

J. Liu, C.E.M.Wagner, X.Wang, arXiv:1810.11028

- One can obtain EFT model with SM extension with Higgs doublets  $\frac{1}{\left\|\int U(1)_{Y}\right\| U(1)_{Y}} = \frac{1}{\left\|\int U(1)_{Y}\right\| U(1)_{Y$
- PQ-like symmetry broken softly

Scalar portals:  $\phi^* \Phi_1^\dagger \Phi_2, \phi^* \Phi_1^\dagger \Phi_3, \phi \phi^* \Phi_2^\dagger \Phi_3$ 



 $\mu_R$ 

 $\bar{\mu}_L$ 

 $\mathcal{O}$ 

 $\Phi_3$ 



 $\mu_L$ 

 $e_R$ 

 $\bar{e}_{1}$ 

 $\mu_R$ 

 $\phi^*$ 

 $\Phi$ 

 $\overline{\Phi}_2$ 

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# Experimental principle



 $M_{\pi^0}^2 = M_{\gamma\gamma}^2 = 2E_1 E_2 (1 - \cos\theta_{\gamma\gamma})$ 

 $Z_{vtx}$ 

ICHEP2020 Shimizu

### Post-unblind studies of 2016-2018 analysis



□ Adopted blind analysis technique and opened the blind region in the summer of 2019.

• SES =  $\frac{1}{N_{K_L}\epsilon_{sig}}$  = 7.1 × 10<sup>-10</sup> or 0.04 SM events expected.

□ We found four candidate events in the signal region and carefully checked our analysis.

- One event was due to mistake of the application of cuts ( $N_{obs}$ : 4  $\rightarrow$  3)
- New concern:  $K^+$ , dominant contribution but syst. uncertainty remained.

#### 2016-2018 analysis BG table (updated, preliminary)

							FIEI	iiiiiiai y		
source		#BG (90% C.L.)	#BG (68% C.L.)		source		#BG (90% C.L.)	#BG (68% C.L.)		
٨L	$K_L \rightarrow 2\pi^0$	<0.09	<0.05		K+/-	$K^{\pm} \to \pi^0 \pi^{\pm}$	0.09±0.09	0.09±0.09	New	
	$K_L \to \pi^+ \pi^- \pi^0$	<0.02	<0.01			$K^\pm \to \pi^0 e^\pm \nu$	0.90±0.27	0.90±0.27	New	
	$K_L \rightarrow 3\pi^0$ (overlapped pulse)	0.01±0.01	0.01±0.01		Neutron	$K^{\pm} \rightarrow \pi^0 \mu^{\pm} \nu$	<0.21	<0.12		
	Ke3 (overlapped pulse)	<0.09	<0.05		Neutron	Hadron cluster	$0.001 \pm 0.001$	$0.001 \pm 0.001$ $0.02 \pm 0.00$		
	$K_L \rightarrow 2\gamma$	0.001±0.001	$0.001 \pm 0.001$			CV-pi0	<0.10	<0.05		
	Ke3 ( $\pi^0$ production)	<0.04	<0.02			CV-eta	$0.03 \pm 0.01$	0.03±0.01		
	Ke3 ( $\pi^+$ beta decay)	<0.01	<0.01		Total	central value	1.05±0.28	1.05±0.28	New	
	radiative Ke3	<0.046	<0.023	-	# fro	$m K^{\pm} doca$				
	Ke4	<0.04	<0.02		# 110		75			
	$K_L \rightarrow e e \gamma$	<0.09	<0.05	= (0.33±0.08) × <u>uncertainties of simulation</u> Prediction by MC simulation						
	$K_L \rightarrow \pi^+ \pi^-$	<0.03	<0.02							
	$K_L \rightarrow 2\gamma$ (core-like)	<0.11	<0.06							
	$K_L \rightarrow 2\gamma$ (halo-K)	<0.19	<0.10		IVIC S		¥			
						Un flux	certainty o x → x 3.0	$\begin{array}{c} \text{Oncertal} \\ \text{estimatio} \\ \rightarrow \text{ ongoi} \\ K^+ \text{ constants} \end{array}$	nty of the on of acceptance ing using ontrol sample	

**Preliminary** 

■ BG table was updated based on the result of the  $K^{\pm}$  flux. ■ Tentative total BG estimation → 1.05 ± 0.28 ICHEP2020 Shimizu Problem to generate a model: Nir-Grossman bound

- KOTO signal (~2.2 σ)
  - Bkg = 1.05(+-0.28), obs= 3  $\rightarrow$  BR(K<sub>L</sub> $\rightarrow \pi^{0} vv)$ ~ 2x10-9
- NA62/E949 constraints
  - BR(K+ $\rightarrow \pi^+ vv$ ) < 1.85x10<sup>-10</sup>
- Nir-Grossman bound
  - isospin symmetry  $\Gamma(K_L(\bar{s}d) \to \pi^0(\bar{d}d)\nu\nu) \approx \Gamma(K^+(\bar{s}u) \to \pi^0(\bar{d}u)\nu\nu)$
  - Using lifetime of charged and neutral Kaons, BR(K<sup>0</sup>→π<sup>0</sup> vv) < 4.3 BR(K<sup>+</sup>→π<sup>+</sup> vv)

The observed BRs have moderate tension with bound.

# **Solution: long-lived particle**

• A light particle (m< 200 MeV) from Kaon decay

 $K_L \to \pi^0 X, \quad K^+ \to \pi^+ X$ 

- If it is long-lived enough to escape KOTO detector (few meters), it can mimic the missing energy
- But an isospin symmetric model is constrained by charged Kaon experiment (Nir-Grossman bound)
- The way out: charged Kaon experiments veto the region when X mass close to pion mass, due to large bkg from

$$K^+ \to \pi^+ \pi^0$$

• Therefore, long lived particle with mass ~ 140 MeV is viable

# Model building: long-lived scalar with simple mixing to SM Higgs

• SM Higgs portal

$$\mathscr{L}_{\text{int}} \supset \sin \theta \times \phi \left( \sum_{q} \frac{m_{q}}{v} \bar{q}q + \sum_{\ell} \frac{m_{\ell}}{v} \bar{\ell}\ell \ell + \frac{2m_{W}^{2}}{v} \phi W_{\mu}^{+} W^{\mu-} + \cdots \right)$$

- The rates for the Kaon decay into  $\varphi$  and  $\pi$  from 1-loop

$$\Gamma(K_L \to \pi^0 \phi) = \frac{\left( \mathsf{Re} \left[ g(\sin \theta) \right] \right)^2}{16\pi m_K^3} \lambda^{1/2} (m_K^2, m_\pi^2, m_\phi^2),$$

$$g(\sin \theta) = \frac{3m_K^2}{32\pi^2 v^3} \sin \theta \sum_{q=u,c,t} m_q^2 V_{qd}^* V_{qs}, \qquad \underbrace{b \quad u/c/t \quad s}_{W \quad W \quad W \quad W} \qquad \underbrace{b \quad u/c/t \quad s}_{W \quad W \quad W \quad W} \qquad \underbrace{b \quad u/c/t \quad v/c/t}_{X}$$

#### Long-lived scalar mediator fits to KOTO

• Charged Kaon EXP forces scalar mass to be near 140 MeV



Patrick Meade et al, 1911.10203 Phys.Rev.Lett. 124 (2020) 191801

R. Mohapatra et al, 1911.12334

# **Solution: short-lived particle**

A light particle (m< 200 MeV) from Kaon decay</li>

 $K_L \rightarrow \pi^0 X, \quad K^+ \rightarrow \pi^+ X$ 

- If it is long-lived enough to escape KOTO detector (few meters), it can mimic the missing energy
- The way out: it is short-lived to decay inside the charged Kaon experiment, thus vetoed in measurement of



 $K^+ \to \pi^+ \bar{\nu} \nu$ 

- KOTO detector scale ~ 3 m, NA62 detector ~ 150 m
- X with nano-sec lifetime can work, but why ns?

Kitahara et al, 1909.11111 Phys.Rev.Lett. 124 (2020) 071801

#### **Our answer: because of muon g-2!**

Liu, McGinnis, Wagner., Wang, arXiv:2001.06522

# Our Model building: short-lived scalar mixing with extended Higgs sector

 Type-X 2HDM: one SM-like doublet coupling to quarks and one doublet coupling to leptons

$$\mathscr{L}_{\text{yuk}} = -\lambda_u \bar{Q} \tilde{\Phi}_2 u_R - \lambda_d \bar{Q} \Phi_2 d_R - \lambda_e \bar{L} \Phi_1 e_R + h \cdot c \,.$$

• The light scalar mixing independently with two doublets

$$\mathscr{L}_{\text{eff}} \supset \epsilon_q \sum_q \frac{m_q}{v} \phi \bar{q} q + \epsilon_\ell \sum_{\ell} \frac{m_\ell}{v} \phi \bar{\ell} \ell + \epsilon_W \frac{2m_W^2}{v} \phi W^+_{\mu} W^{\mu-1}$$

• The coupling to gauge boson is not independent

$$\epsilon_q \simeq \frac{\sin \theta_{2\phi}}{\sin \beta}, \quad \epsilon_\ell \simeq \frac{\sin \theta_{1\phi}}{\cos \beta}$$

• In the large tan $\beta$  limit, we obtain a simple relation

$$\epsilon_W \simeq \left(\sin\theta_{1\phi}\cos\beta + \sin\theta_{2\phi}\sin\beta\right)$$
$$\approx \epsilon_\ell \cos^2\beta + \epsilon_q \sin^2\beta \approx \epsilon_q,$$

Liu, McGinnis, Wagner., Wang, arXiv:2001.06522

#### Fixing the model parameters

$$\mathscr{L}_{\rm eff} \supset \epsilon_q \sum_q \frac{m_q}{v} \phi \bar{q} q + \epsilon_\ell \sum_{\ell} \frac{m_\ell}{v} \phi \bar{\ell} \ell + \epsilon_W \frac{2m_W^2}{v} \phi W^+_{\mu} W^{\mu-}$$

- Three free parameters  $\epsilon_q \quad \epsilon_\ell \quad m_\phi$
- Two requirements:
  - Muon g-2 fixes ε<sub>l</sub>
  - Branching ratio of neutral Kaon decay to  $\varphi$  fixes  $\epsilon_q$
- Only mass parameter is free  $m_{\phi}$

### **Experimental constraints**

• Proton beam dump

• E949 and NA62: looking for  $K^+ \to \pi^+ \bar{\nu} \nu$ 

- CHARM: looking for displaced decay (480 m) from  $K \rightarrow \pi + (ee/\gamma\gamma/\mu\mu)$
- Kµ2: using stopped charged Kaon looking for  $K^+ \rightarrow \pi^+ \phi$
- KTeV/E799: looking for ee but requires  $m_{ee} > 140 \text{ MeV}$   $K^0 \rightarrow \pi^0 e^+ e^-$
- Electron beam dump
  - Orsay: looking for the radiation of light particles decaying into electron pairs  $eN \to eN\phi, \ \phi \to e^+e^-$
  - Similar experiment E137, although analysis was done for a dark photon, mixing with the photon and have to be reinterpreted in the scalar framework.
- B physics and collider constraints: like avoided due to relative long lifetime

$$B \to K\phi, \phi \to e^+e^-$$

#### The results



Liu, McGinnis, Wagner., Wang, arXiv:2001.06522

$m_{\phi}$	[MeV]	$\epsilon_q$	$\epsilon_\ell$	$BR(K_L \to \pi^0 \phi)$	$ au~[{ m s}]$	$\tan eta$	$\sin lpha$	$\sin  heta_{1\phi}$	$\sin  heta_{2\phi}$
	50	$1.6\times10^{-2}$	1.22	$1.7 \times 10^{-6}$	$5.1  imes 10^{-11}$	100	-0.01	0.0122	$1.6\times10^{-2}$
	60	$6.8  imes 10^{-3}$	0.87	$3.2  imes 10^{-7}$	$8.25\times10^{-11}$	100	-0.01	0.0087	$6.8 \times 10^{-3}$

#### Comments

• B physics measurement at LHCb

 $BR(B^0 \to K^{*0}e^+e^-) = 3.1^{+0.94}_{-0.88} \times 10^{-7}, \quad BR(B^0 \to K^{*0}e^+e^-)^{\text{th}} = (2.3 \pm 0.6) \times 10^{-7}$ 

• Our benchmark model

 $BR(B \to K^*\phi) \simeq 10^{-4}, \quad BR(\phi \to e^+e^-) \approx 100\%$ 

 However, LHCb requires a good quality vertex, while the light φ is displaced, so still safe



10<sup>2</sup>

#### Summary

- Light dark sector particles can be motivated by dark matter property and its null detection
- Recent low energy anomalies might hint new light particles, but require further crosschecks from independent experiments
- We show the light scalars can be related to lepton g-2 and KOTO exp
- The less likely to remain is the electron g-2, but if a pseudo-scalar of about 17 MeV is its explanation, it may also address the Atomki nuclear transition anomaly
- The muon g-2 could be explained by a scalar of mass of about 50 MeV and couplings to muons of the order of the SM Higgs ones
- Such a scalar can also lead to an explanation of the KOTO excess, for appropriate values of the quark couplings

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**NEWS FEATURE** 

The anomalies may not be true, but still gain lots of attention. Waiting for future exp results!

#### The Era of Anomalies

May 14, 2020 • Physics 13, 79

Particle physicists are faced with a growing list of "anomalies"—experimental results that conflict with the standard model but fail to overturn it for lack of sufficient evidence.