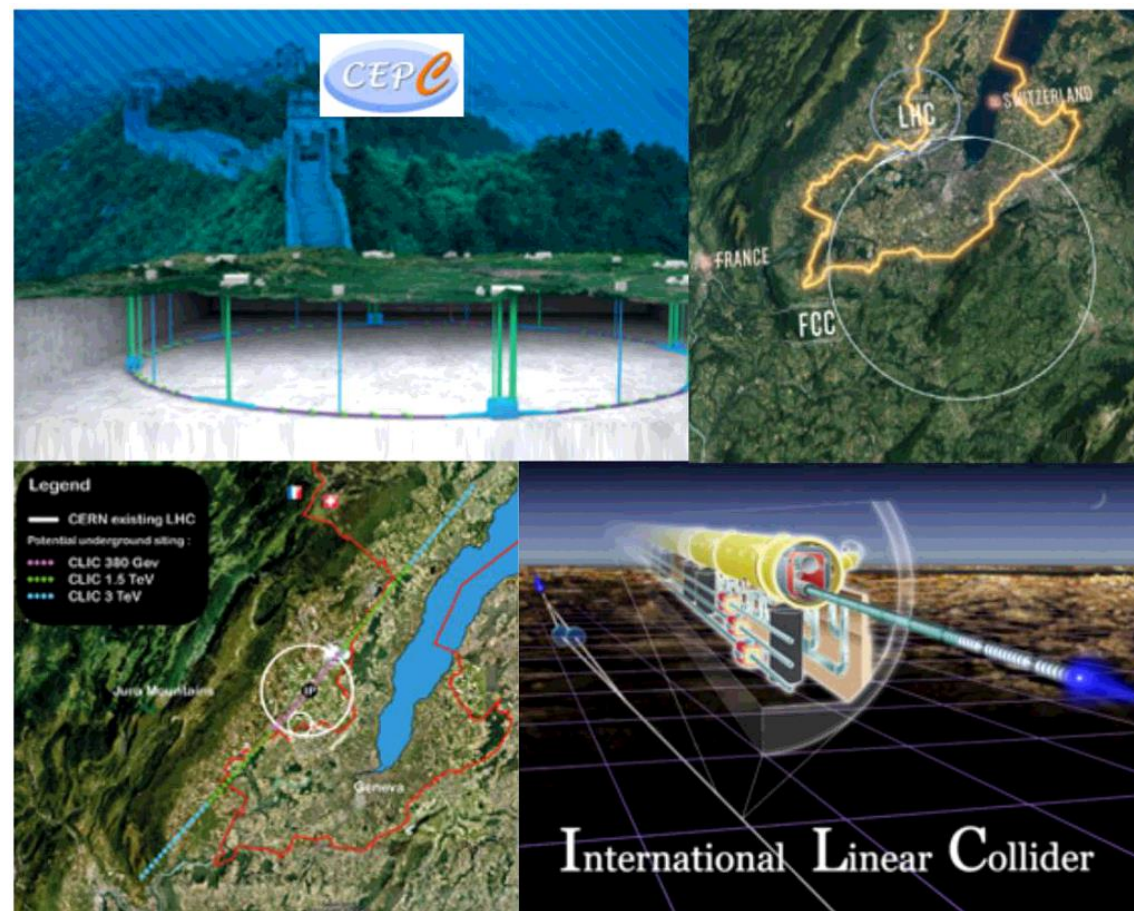


# GO BEYOND JET-LEVEL INFORMATION AT PRECISION ERA

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Based on arXiv:2004.15013

in collaboration with Ying-Ying Li, Tao Liu and Sijun Xu

# Precision Frontier of Next Decades

Led by future ee colliders (FCC-ee, CEPC, CLIC, ILC)  
, measuring Higgs and EW precisely.

[A. Abada et al., (2019); H. Abramowicz et al., 1608.07538, F. An et al., 1810.09037,...]

Primary Higgs and electroweak processes

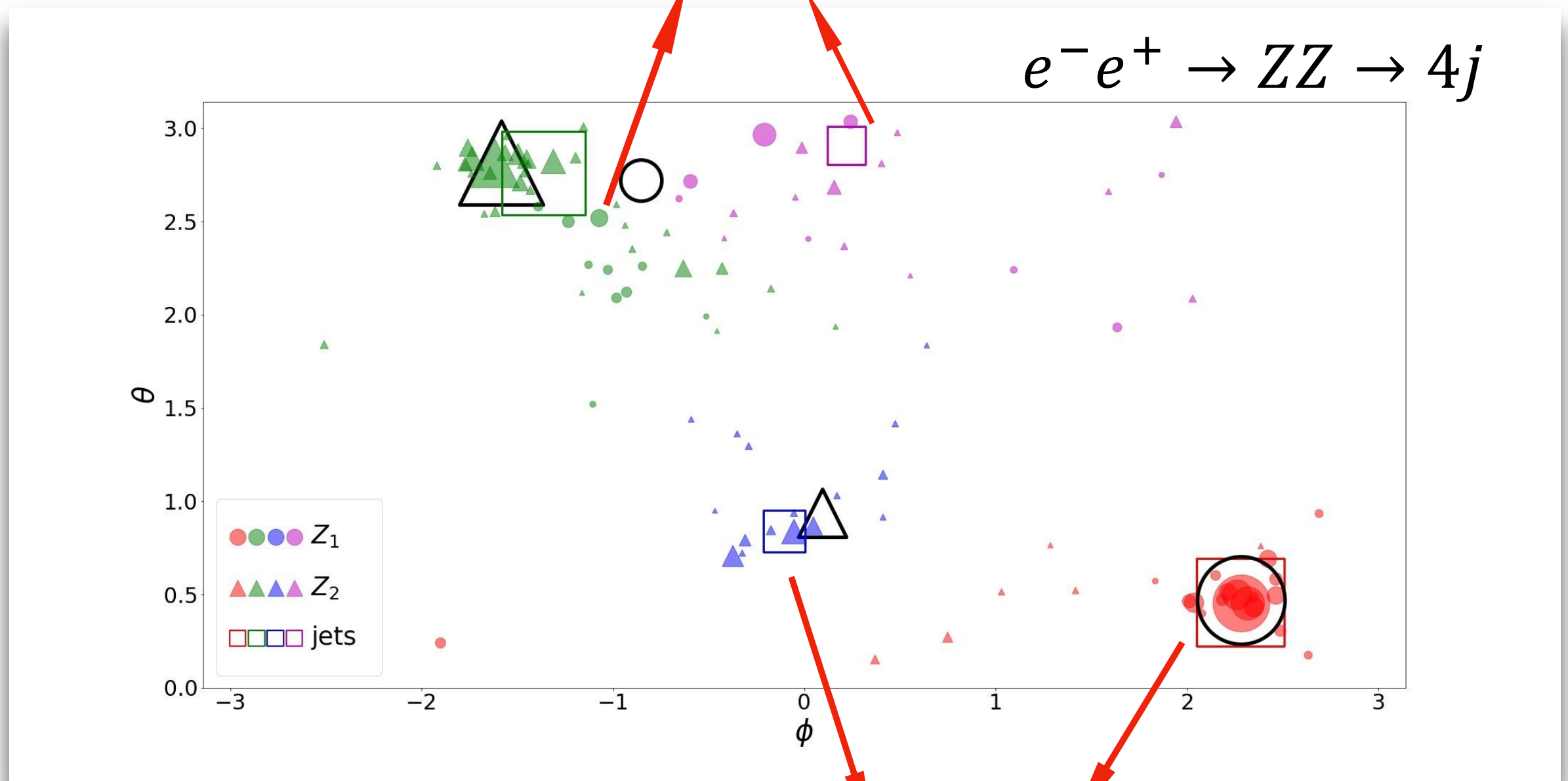
Jet Number	0	2	4	6
$e^-e^+ \rightarrow WW$	11%	44%	45%	0%
$e^-e^+ \rightarrow ZZ$	9%	42%	49%	0%
$e^-e^+ \rightarrow ZH$	3%	32%	55%	11%
$e^-e^+ \rightarrow H\nu\nu$	20%	69%	11%	0%
$e^-e^+ \rightarrow t\bar{t}$	0%	11%	44%	45%

Hadronic mode dominant

How would jet clustering affect the precisions?

# Limitations of jet clustering

Hadrons from different Z clustered in a same jet (info distortion)



Detailed structures are gone after clustering (info loss)

Can we recover from these limitations?

# First Way: Jet +Event-Level Obs.

- Jet substructure observables: extensively applied in boost kinematics
- Event shape: relatively intuition-based, e.g. thrust [[E. Farhi, 1977](#)]
- Fox-Wolfram moments [[G. C. Fox and S. Wolfram, 1978](#)] and their extensions: more systematic, but relatively less intuitive.

$$H_{AB;l} = \sum_{m=-l}^l H_{AB;l,m} = \frac{4\pi}{2l+1} \sum_{i,j} \frac{A_i B_j}{s} \sum_{m=-l}^l (Y_l^m(\Omega_i)^* Y_l^m(\Omega_j)) = \sum_{i,j} \frac{A_i B_j}{s} P_l(\cos \Omega_{ij})$$

- Pros: Simple framework. Physically intuitive.
- Cons: Less organized.

# Another Way: Event-Level ML

Pursue analysis directly at event level

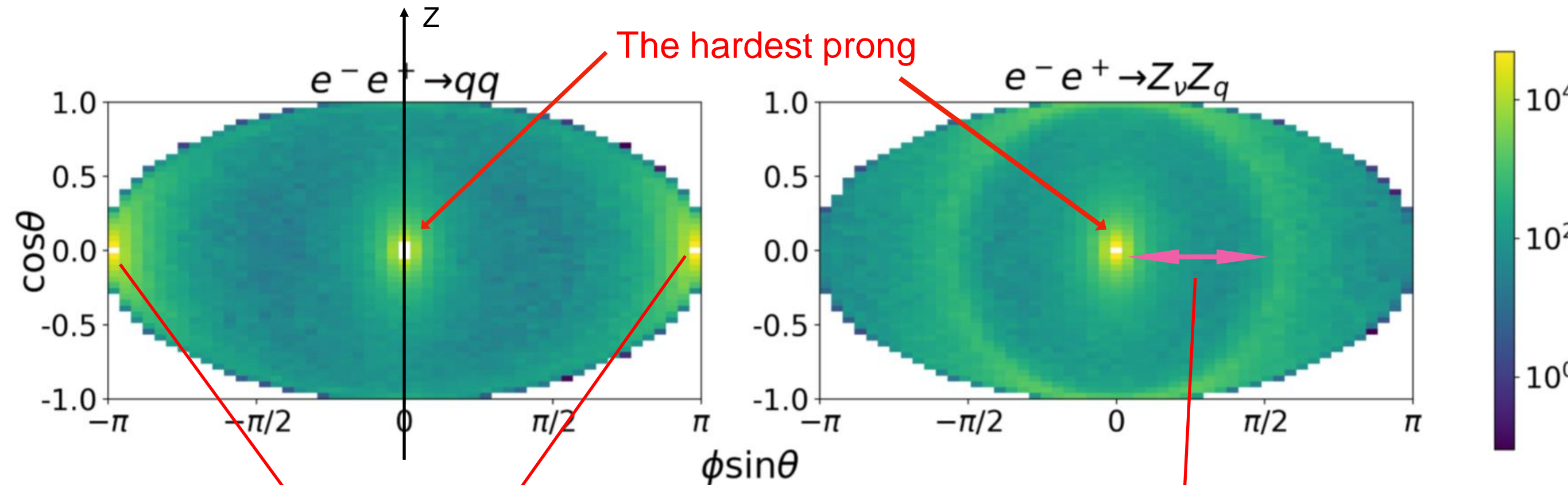
- Pro: Most information.
  - Lepton Collider: negligible pileups, colorless beam and fixed energy
- Con: Large complexity. -> ML as a solution.

Comparative studies to compare the two approaches using ML as a tool

- Jet Level: Fully Connected Network (FCN) :  
Input: jet momenta (and FW moments  $l < 50$  / track info).
- Event Level: Convolutional Neuron Network (CNN)  
Based on ResNet-50 structure.  
Input:  $50 \times 50$  pixelized event-level image (and track info).



# Cumulative Mollweide Projection

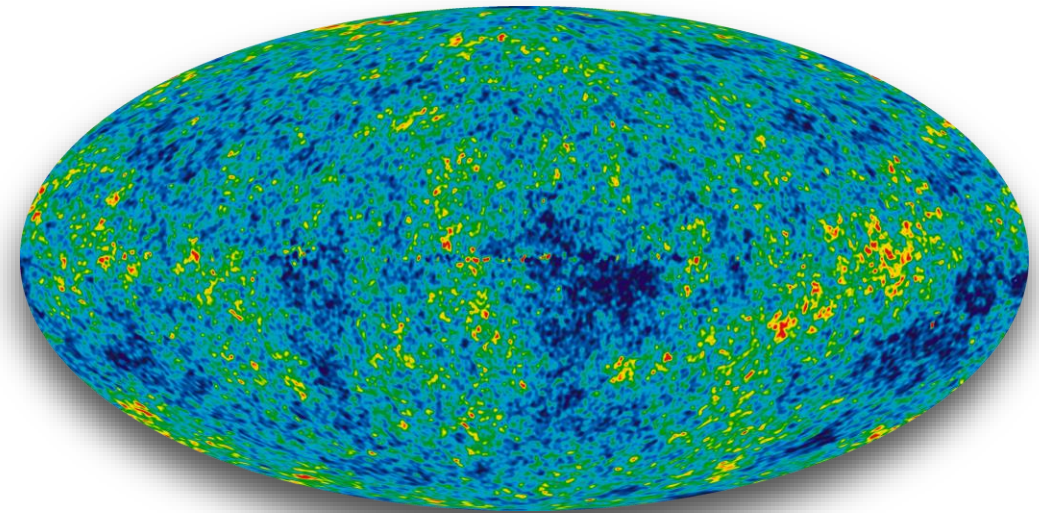
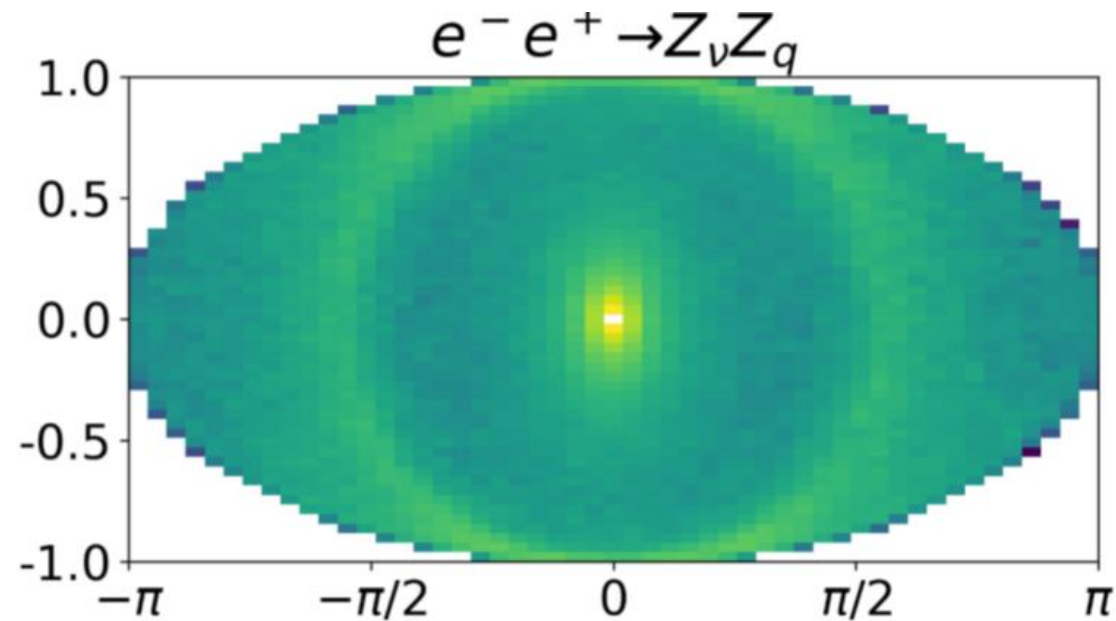


Back to back motion of qq

Halo size and structure: minimal included angle of quarks/ information missing at jet level

- Define a Cartesian coordinate system: z-axis being along beam line and x - y plane (equatorial plane) overlapping with its transverse plane
- Rotate the motion direction of the most energetic particle to be along x-axis.
- Project the particles to "detector sphere"

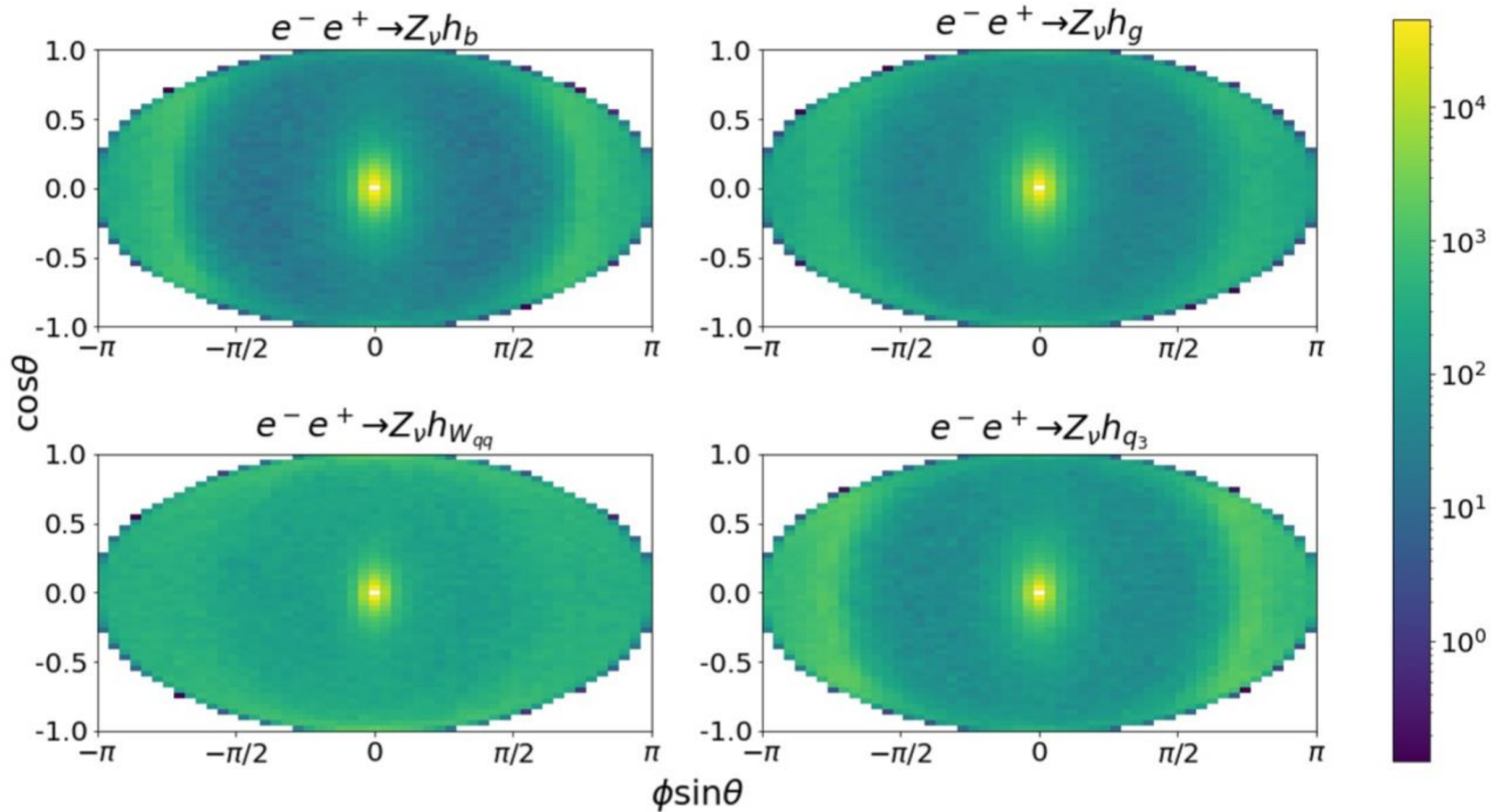
# “Dictionary” between Event Projection and CMB



Mollweide projection at $e^- e^+$ colliders	All-sky CMB map
Projection sphere	Celestial sphere
Equatorial plane	Galactic plane
Energy ( $p_T$ , timing, charge, $d_0$ , etc.) projection	Temperature (polarization) map
Event-level kinematics	Anisotropy
Fox-Wolfram moments	Power spectrum ( $TT$ , $TB$ , $BB$ , etc.)
Multi-spectra	Bispectrum, trispectrum, etc.
... ..	... ..

**In such CMB-like information scheme, the event-level information is encoded as the FW moments at leading order and multi-spectra at higher orders.**

# Benchmark Study (“2”j)

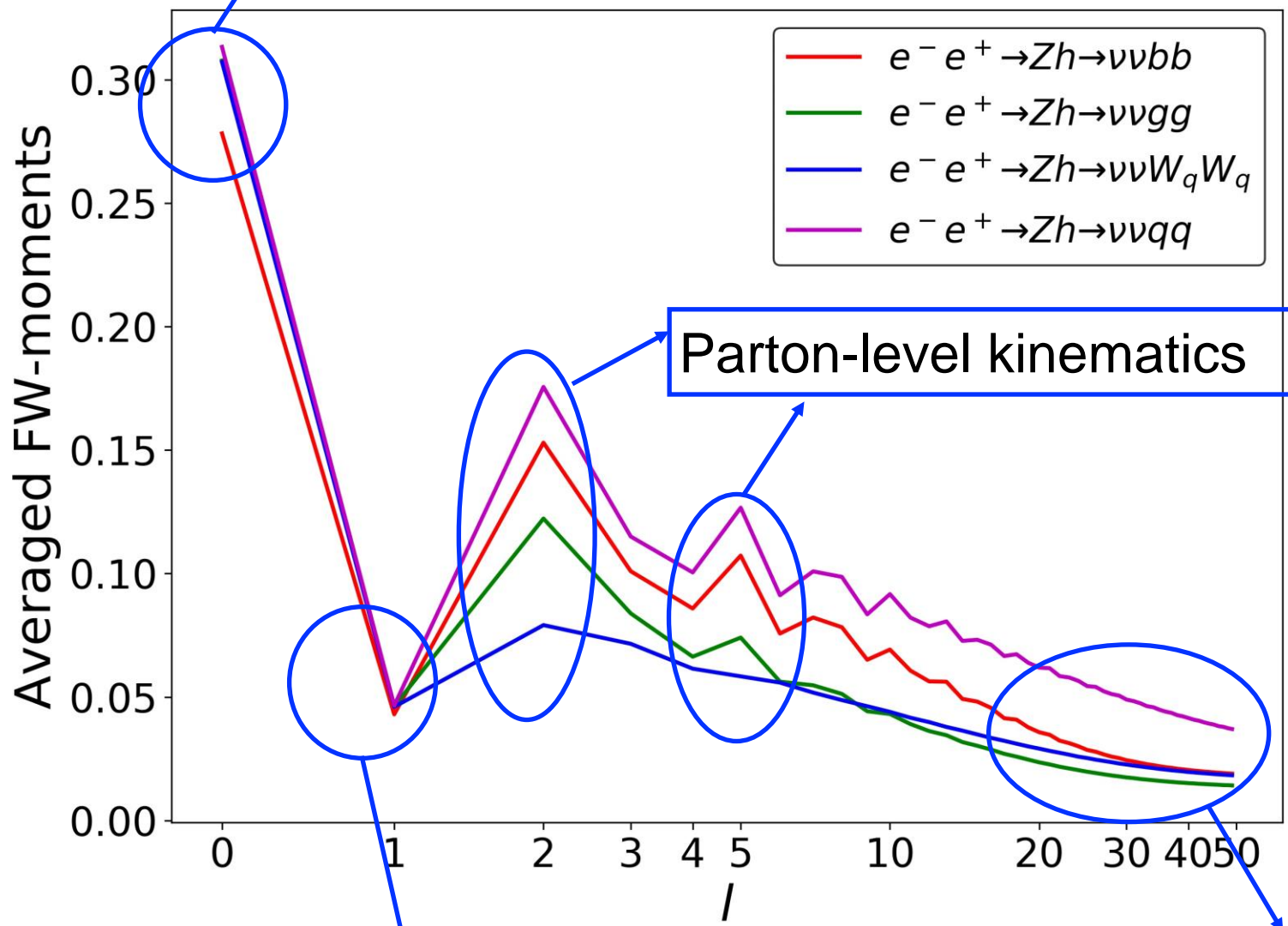


$$e^-e^+ \rightarrow Zh \rightarrow \nu\nu + (bb, jj, gg, W_q W_q^*)$$



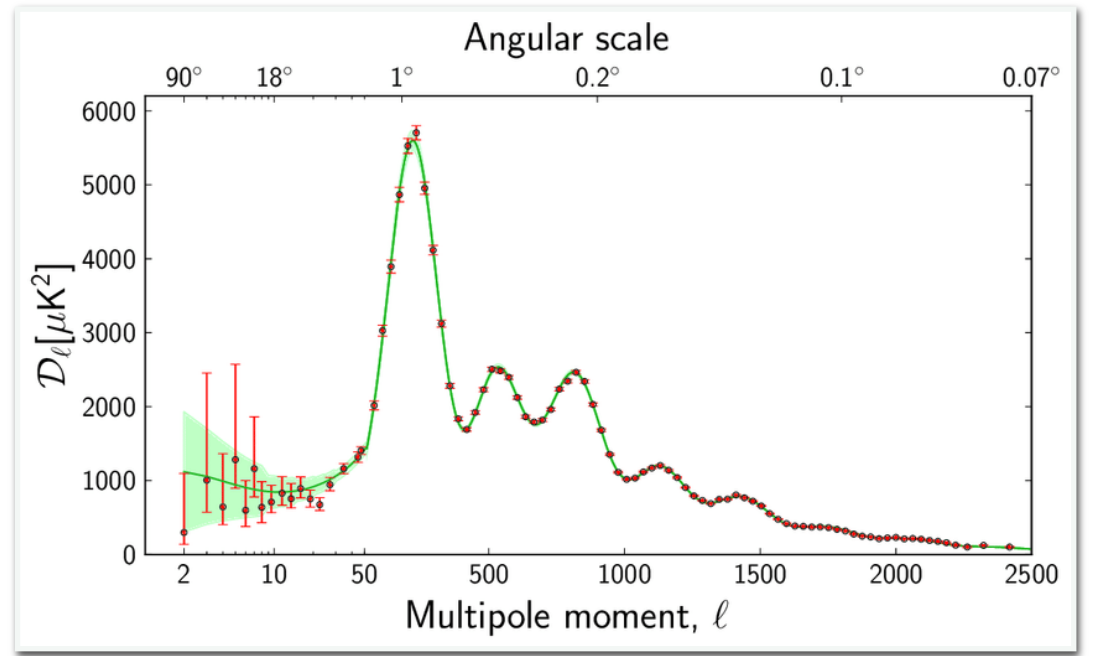
# FW Moments of Energy Distribution

$$H_{EE;0} = \frac{(\sum_i E_i)^2}{s}$$



$$H_{EE;1} = \frac{|\sum_i \vec{p}_i|^2}{s}$$

Shower/Hadronization:  
Collinear and IR safe



- Analogue to CMB power spectrum
- Difference: suppressed sample (“cosmic”) variance, due to large size of data sample
- Similarity: physics at characteristic scales may result in “acoustic peaks”

# Benchmark Performance

Jet

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Jet + FW

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Image

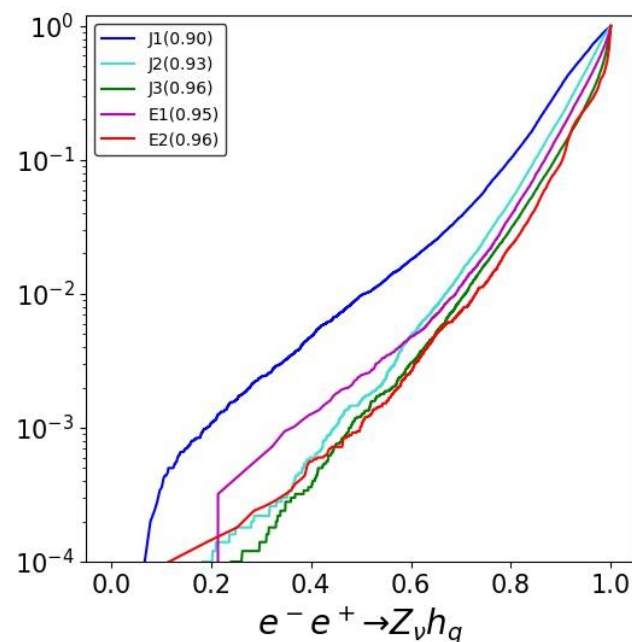
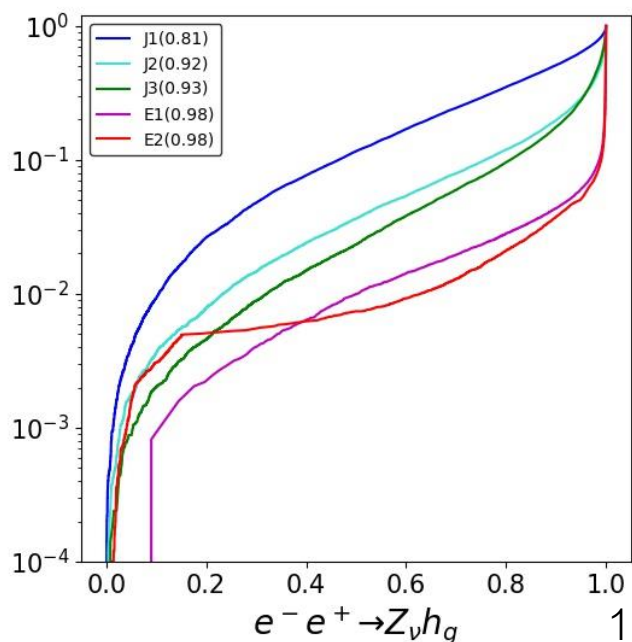
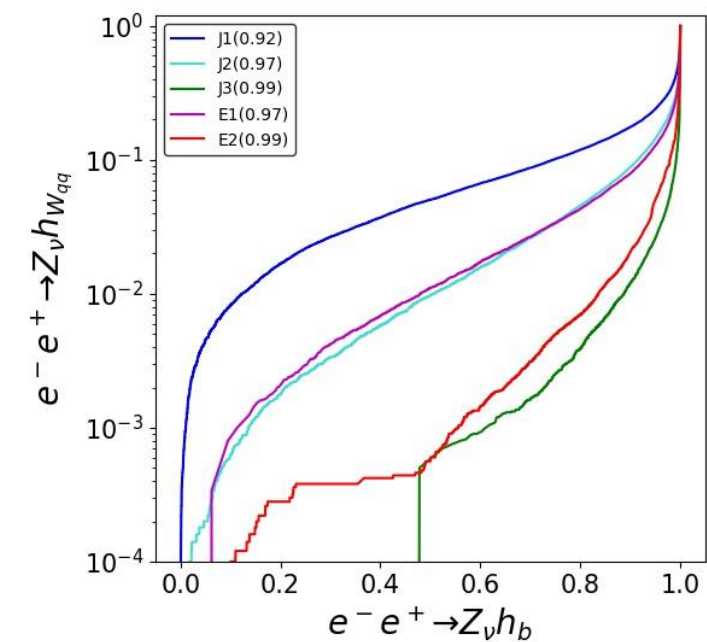
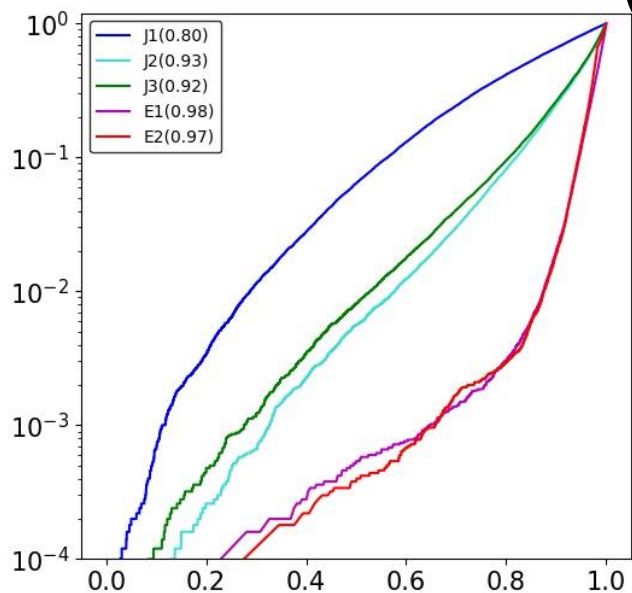
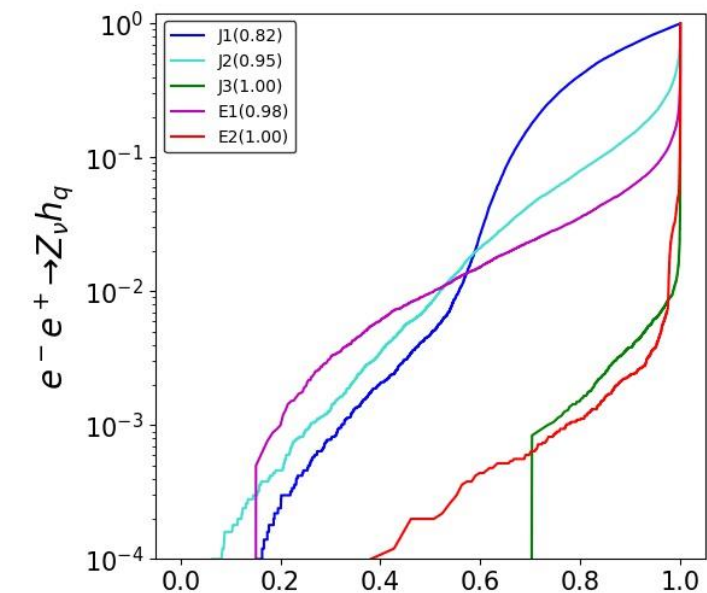
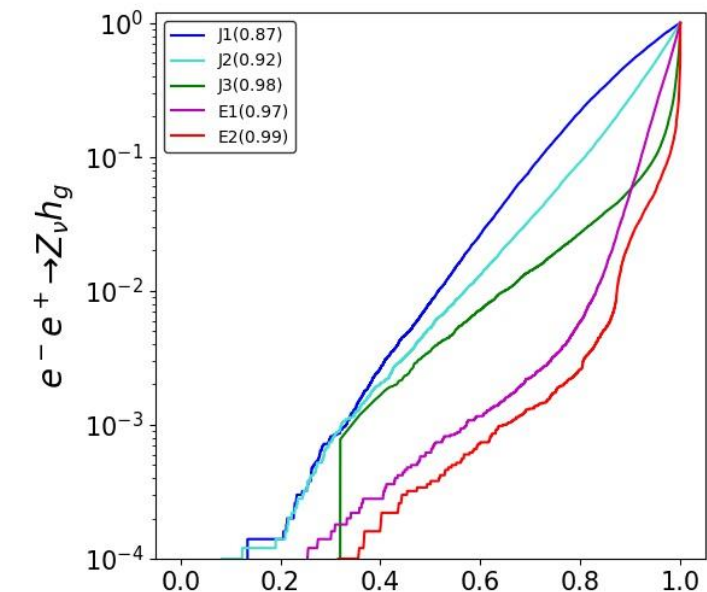
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Jet + FW + track

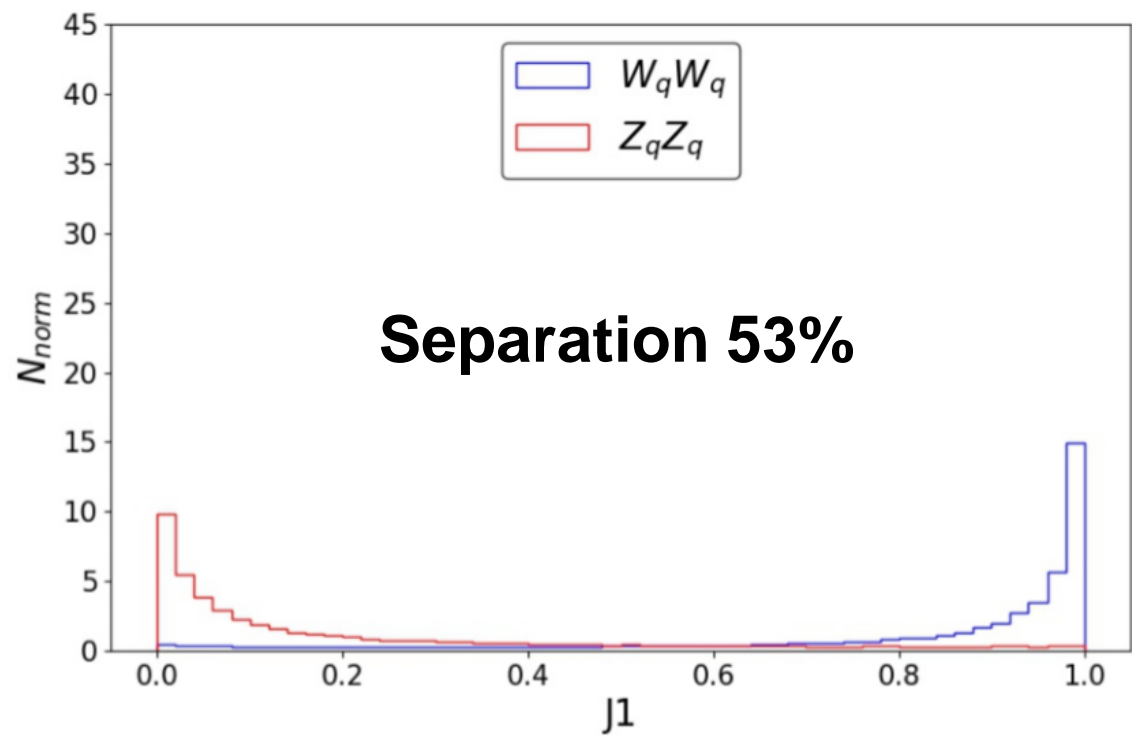
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Image + track

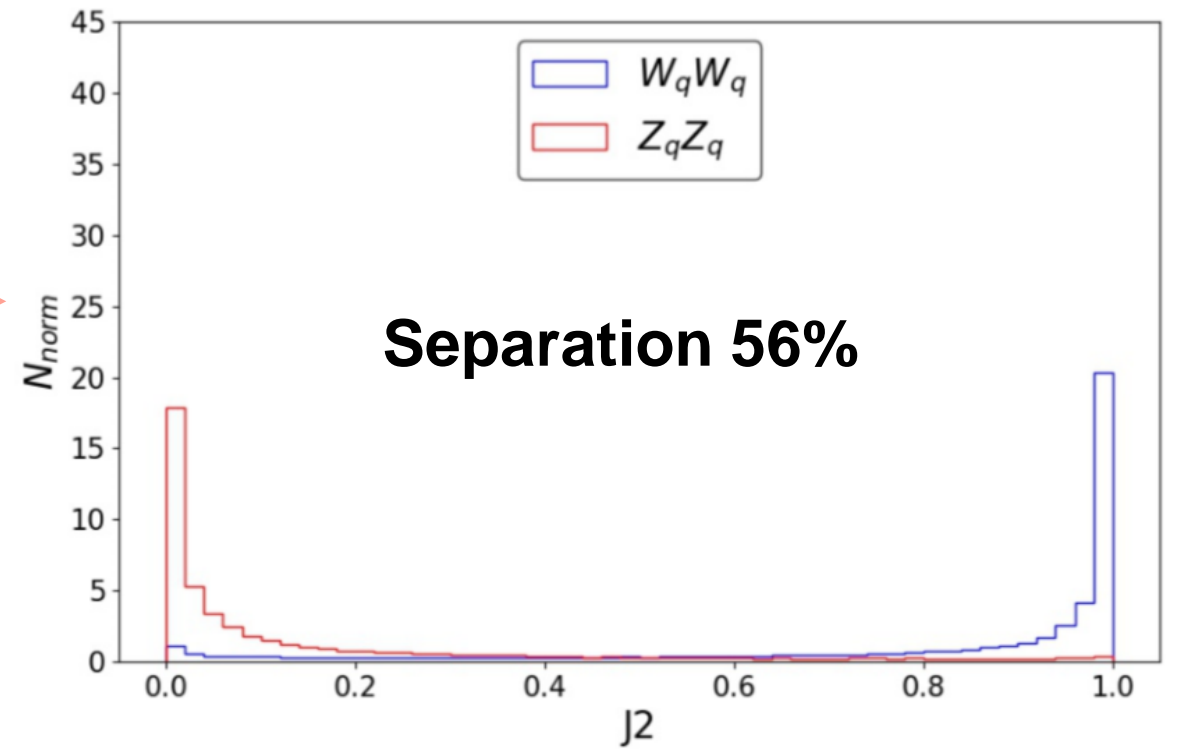
The performance gap between Jet+FW and Image may be explained by higher order correlation terms.



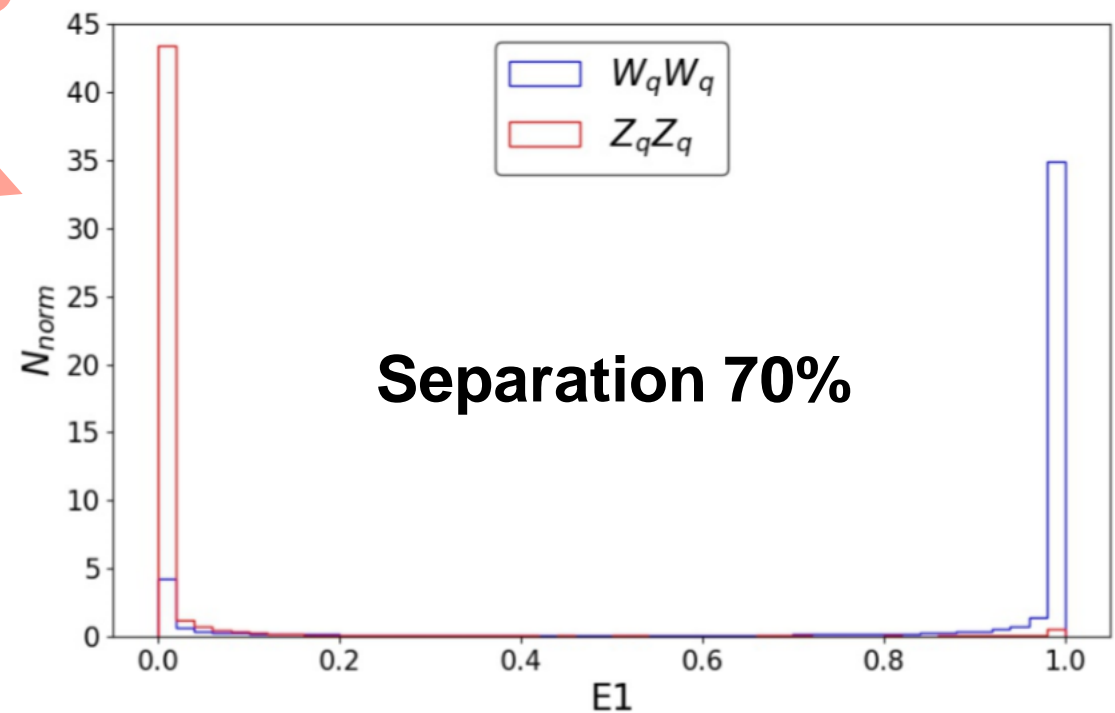
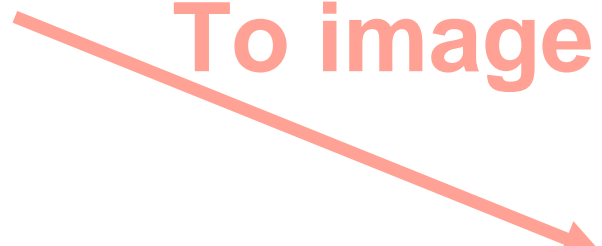
# Benchmark Study (WW vs ZZ, 4j)



+ FW



To image



# Application: Measurement of $\Gamma(h)$ @ 240 GeV, 5 ab<sup>-1</sup>

The most important method for the Higgs factory mode:

Limitation mostly arise from BR( $h \rightarrow WW^*$ ) and  $\sigma(\nu\nu h)$  rate measurements

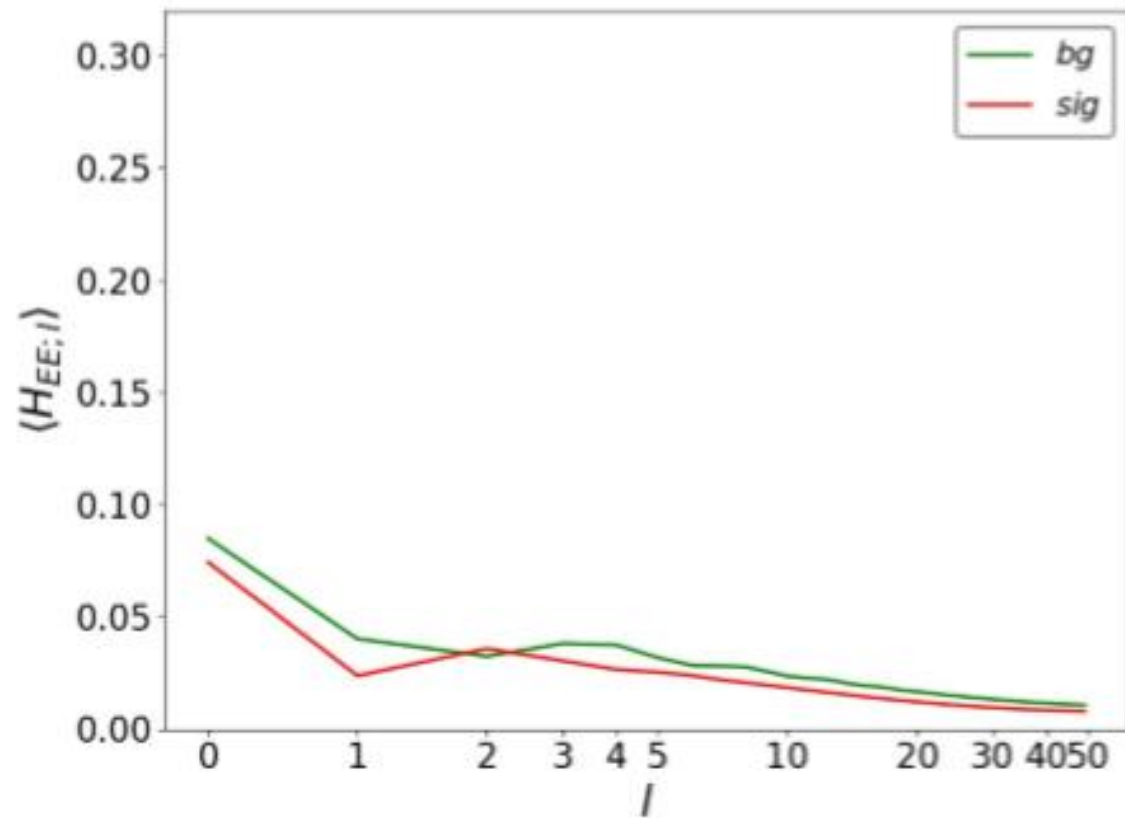
$$\Gamma_h^* = \frac{\Gamma(h \rightarrow WW^*)}{\text{BR}(h \rightarrow WW^*)} \propto \frac{\sigma(\nu\nu h)}{\text{BR}(h \rightarrow WW^*)} = \frac{[\sigma(\nu\nu h_b)][\sigma(Zh)]^2}{[\sigma(Zh_b)][\sigma(Zh_W)]}$$

$\Gamma_h$ (%)	CEPC <sub>240(250)</sub> [14, 65]	FCC <sub>240</sub> [15]	FCC <sub>240+365</sub> [15]	CLIC <sub>350</sub> [66]	ILC <sub>250</sub> [64, 67, 68]
Method A	5.1 (5.0)	4.5*	4.2*	-	20*
Method B	3.5 (3.2)	3.5*	1.7*	6.7	13
Method C	-	-	3.4*	-	-
Combined	2.8 (2.7)	2.7	1.3	6.7	11

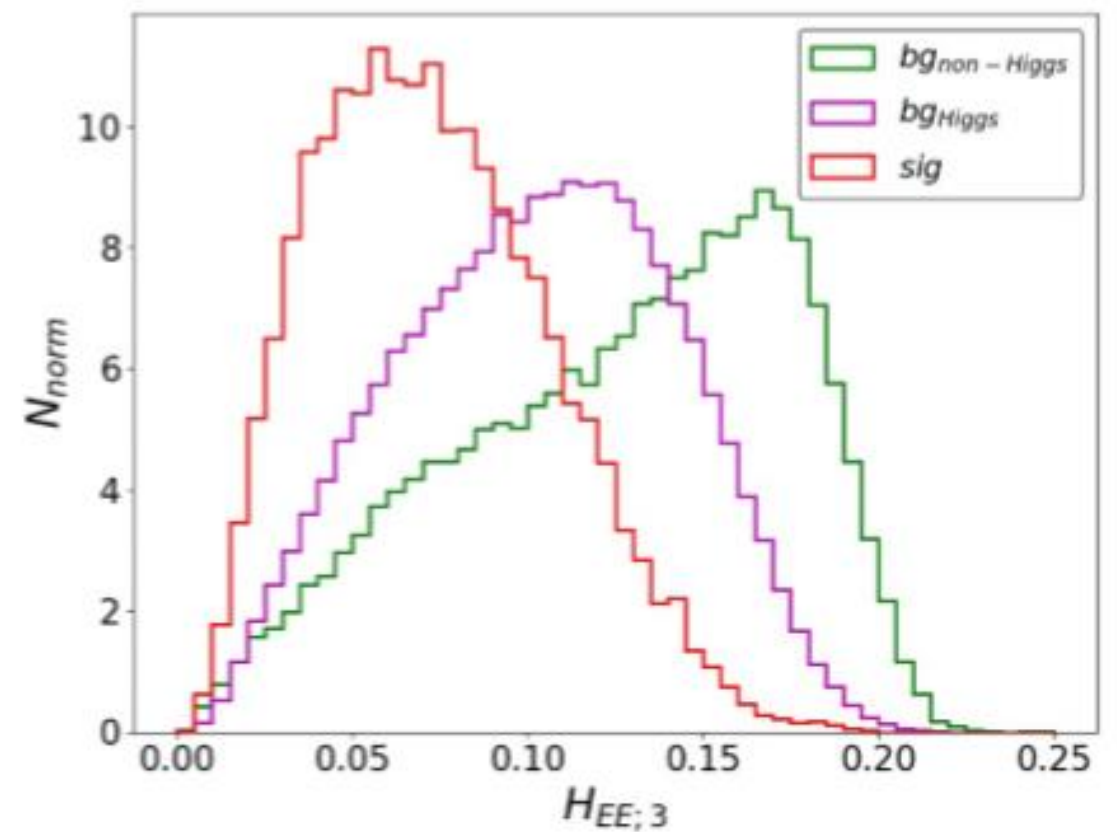
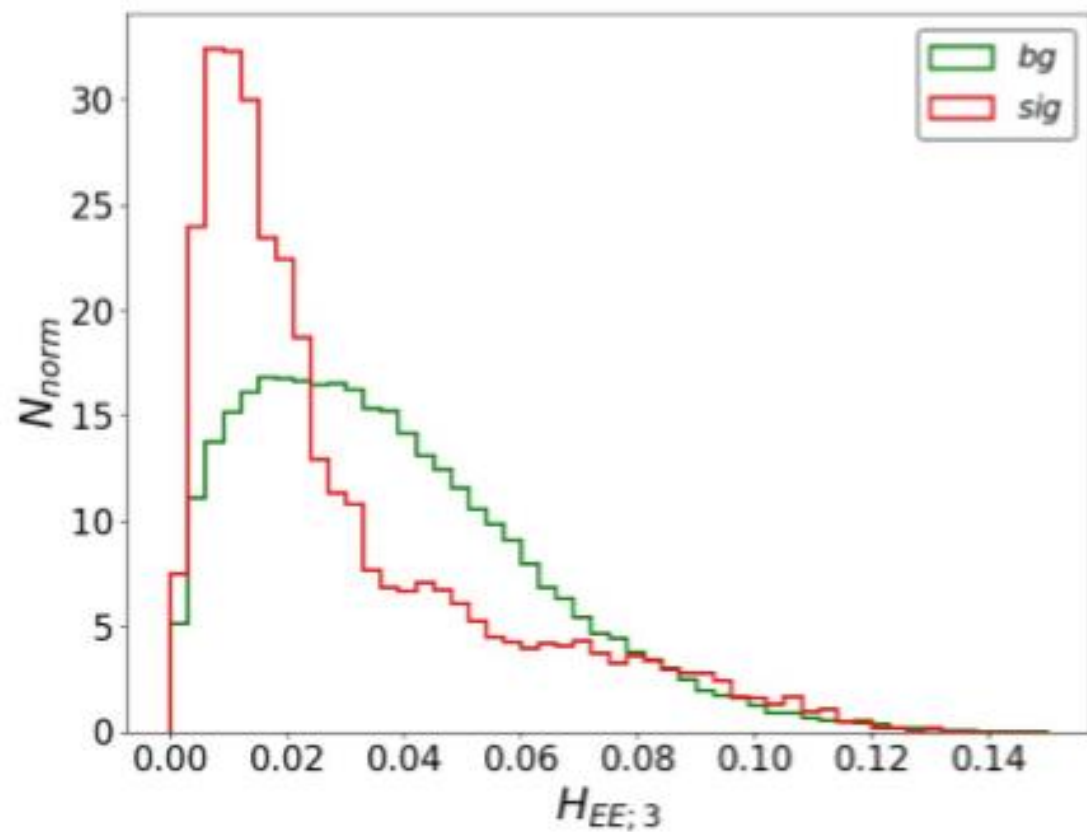
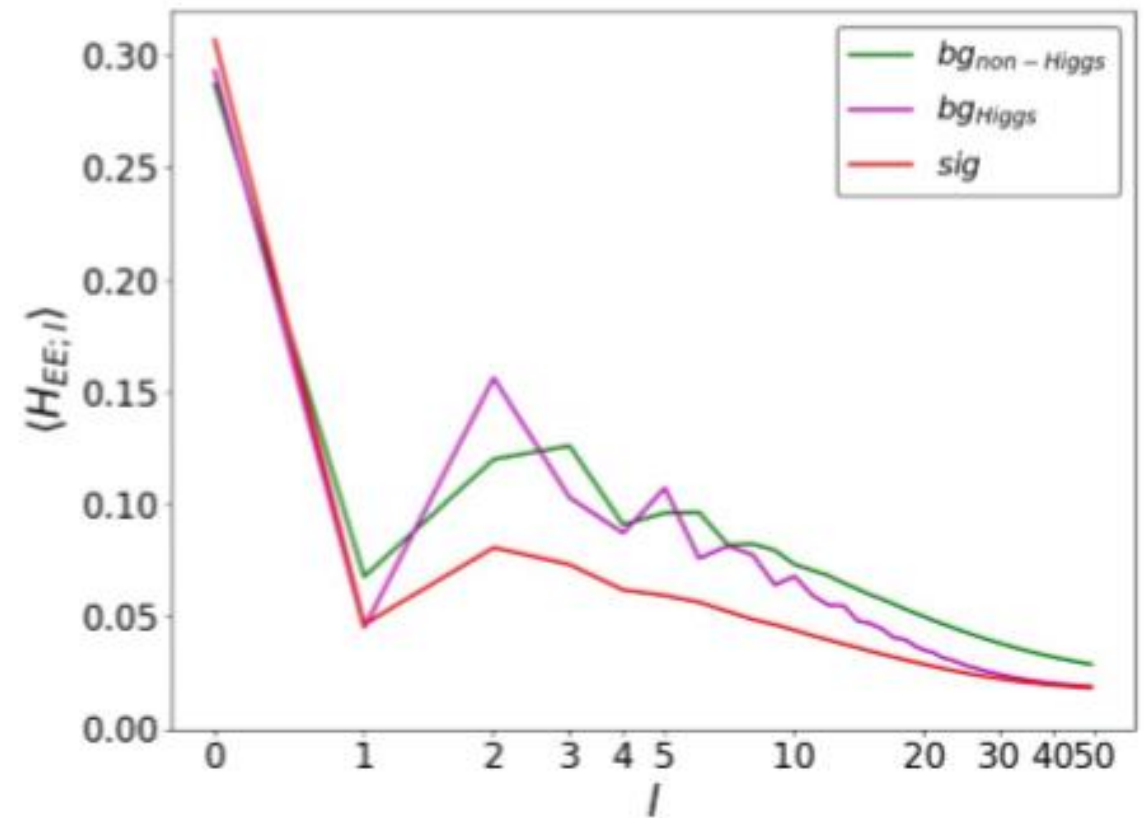
\*In our study, we also include  $h \rightarrow cc/gg/\tau\tau$  decays to take the advantage of machine learning (~ 20% increase in net signal rate.)



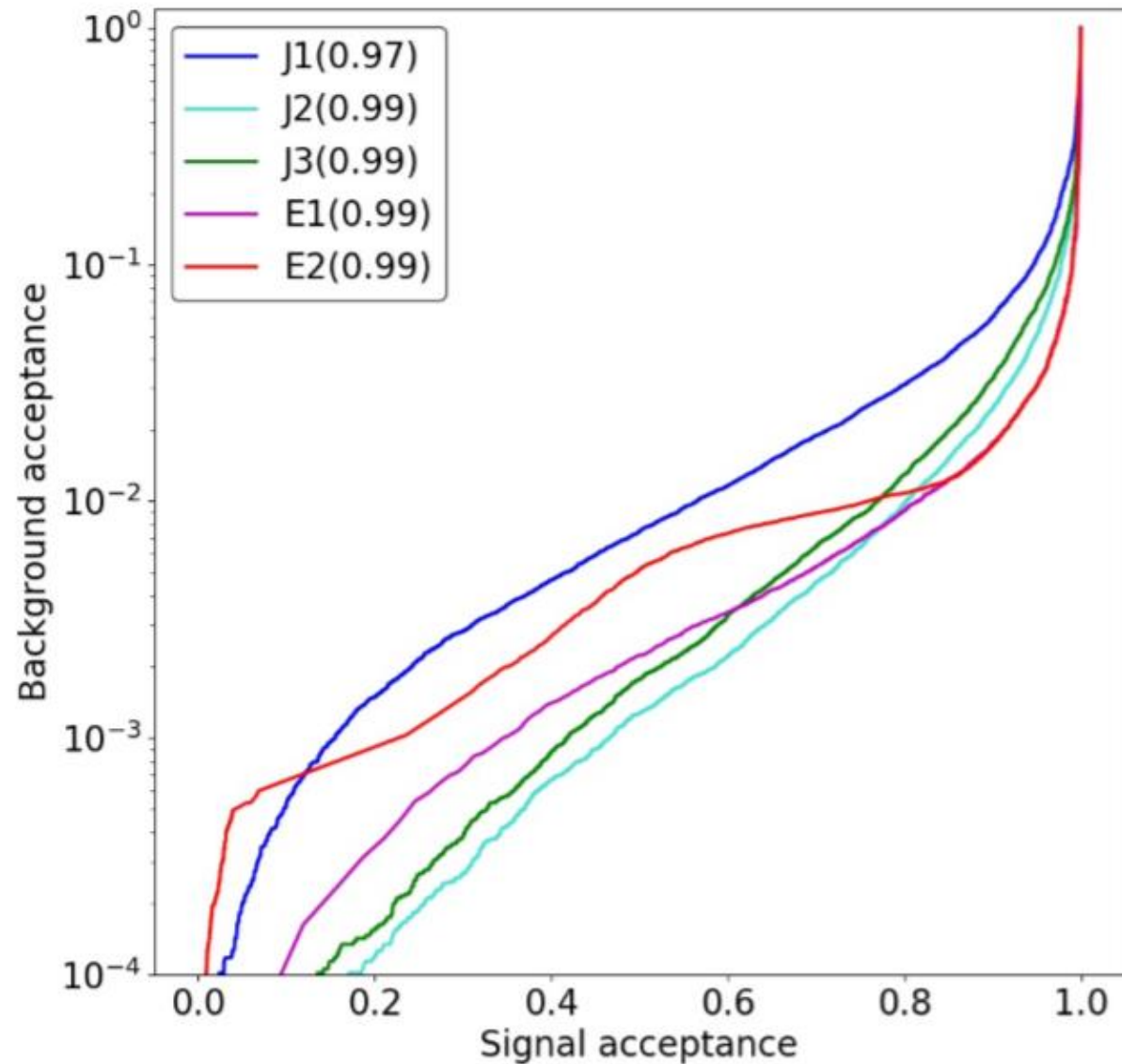
# Zh->vvWW\* (2j1l)



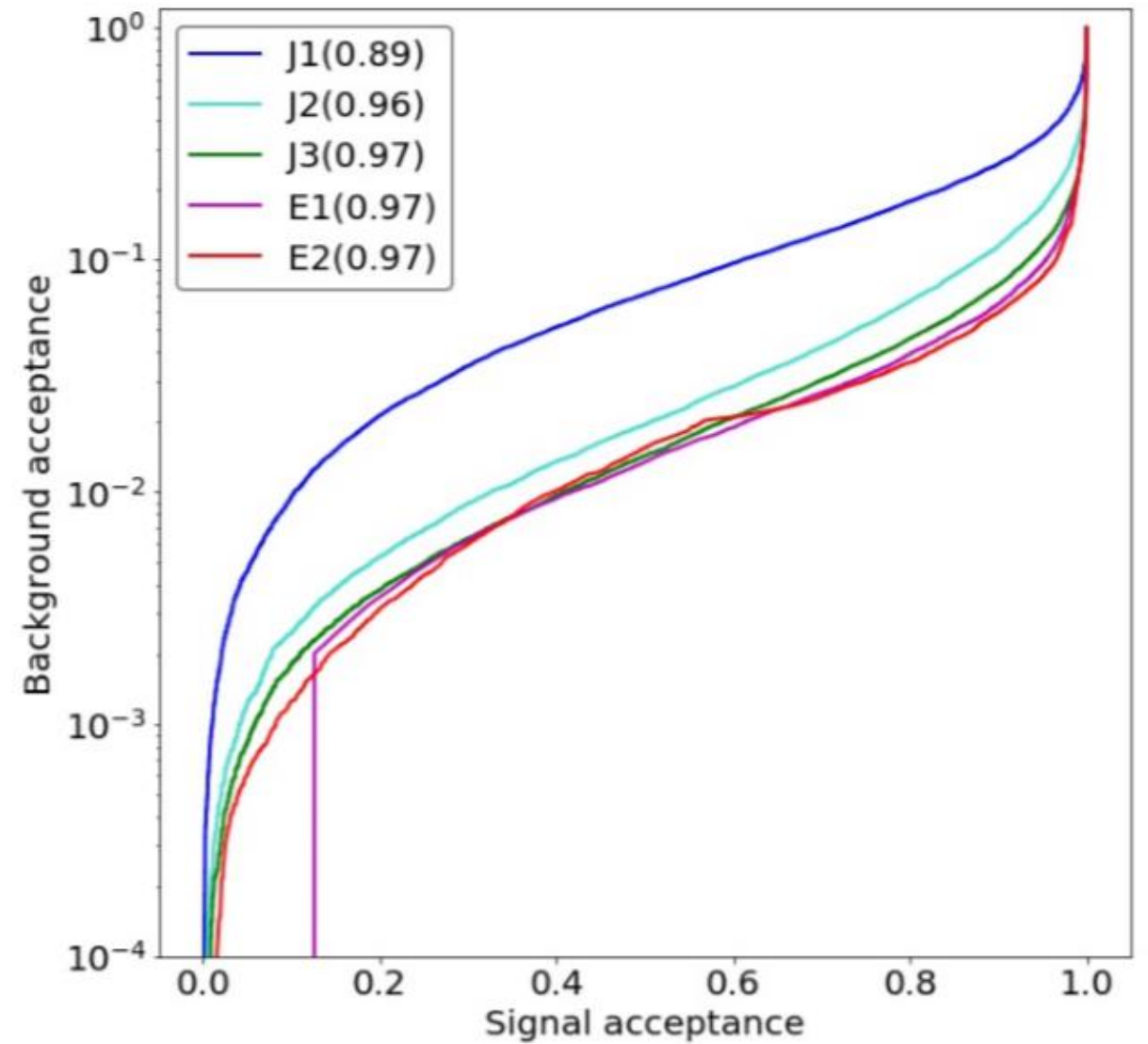
# Zh->vvWW\* (4j)



# Zh->vvWW\* (2j1l)



# Zh->vvWW\* (4j)

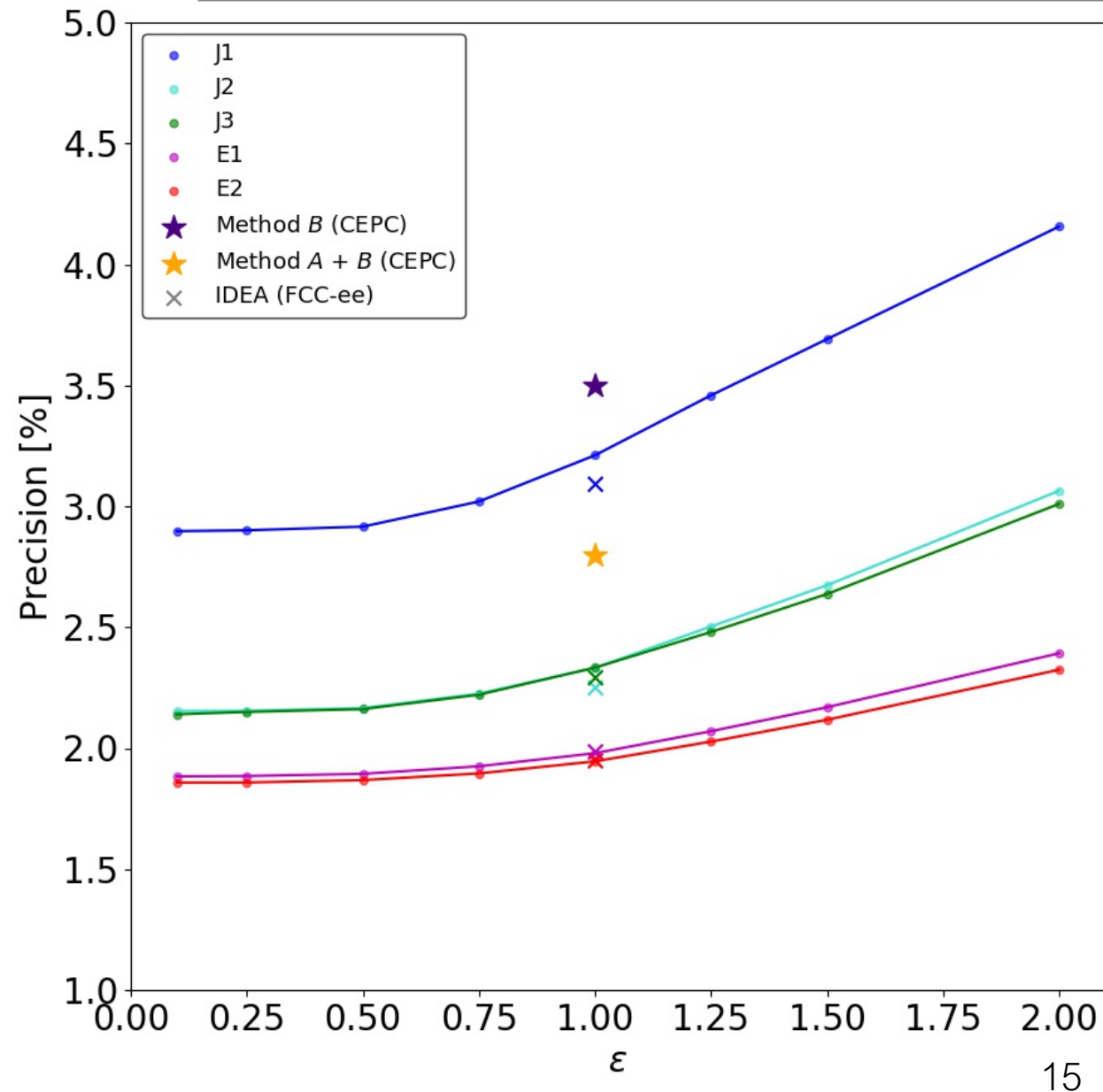


**Gain may come from when jets from W\* are crowded together:**

**Strong confusion effect at jet-level**

# Event level results @ 240 GeV, 5 ab<sup>-1</sup>

	Jet	Jet+FW	Jet+FW+track	Image	Image+track
Precision (%)	J1	J2	J3	E1	E2
$\sigma(Z_\nu h_{W_{lq}})$	1.7 (1.6)	1.4 (1.6)	1.5 (1.6)	1.5 (1.4)	1.5 (1.4)
$\sigma(Z_\nu h_{W_{qq}})$	1.6 (1.6)	1.2 (1.2)	1.1 (1.1)	1.1 (1.1)	1.1 (1.1)
$\sigma(\nu\nu h_h)$	2.8 (2.7)	1.8 (1.7)	1.9 (1.8)	1.4 (1.4)	1.3 (1.3)
$\Gamma_h$	$3.2^{+0.9}_{-0.3}$ (3.1)	$2.3^{+0.7}_{-0.2}$ (2.2)	$2.3^{+0.7}_{-0.2}$ (2.3)	$1.9^{+0.5}_{-0.1}$ (1.9)	$1.9^{+0.4}_{-0.1}$ (1.9)



**2.3% with jet level inputs +  
FW moments**

**1.9% with event-level inputs**

The precision achieved is robust against the rescaling of detector resolutions and different detector templates

# Outlook

Can the Higgs decay width be measured at sub percent level @ 240+365 GeV or even @ 240 GeV, given the currently proposed detector baseline?

- Apply event-level ML to multiple channels
- Extra information: charge, pid, displacement, etc.
- Advanced ML techniques
- ... ..

We expect event-level analysis with ML to be broadly applied to other hadronic-event measurements at future e-e+ colliders. To what extent one can benefit from it?

- Higgs couplings to quarks/gluons
- CP properties of Higgs boson
- Flavor physics
- ... ..



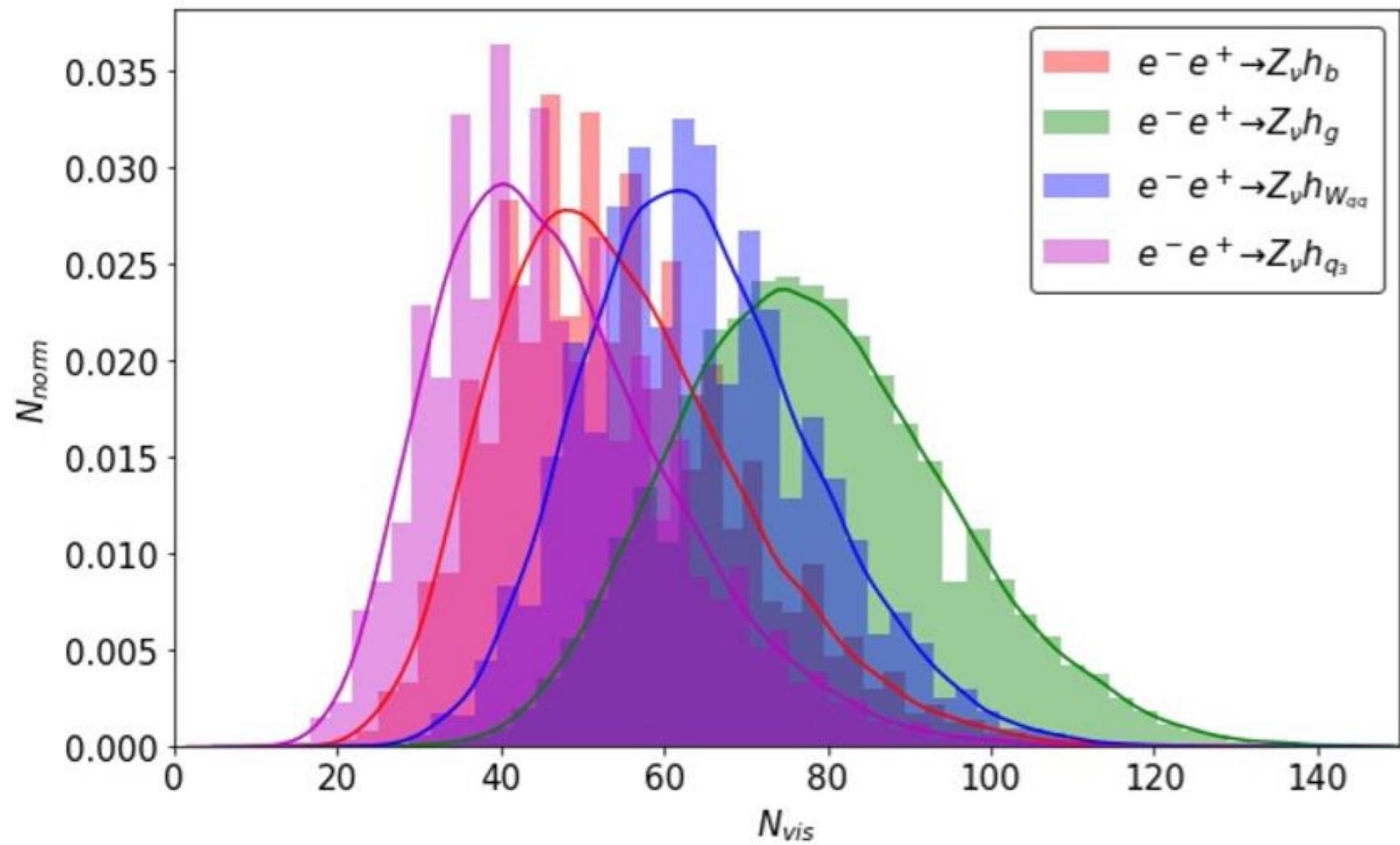


# Precision Frontier of Next Decades

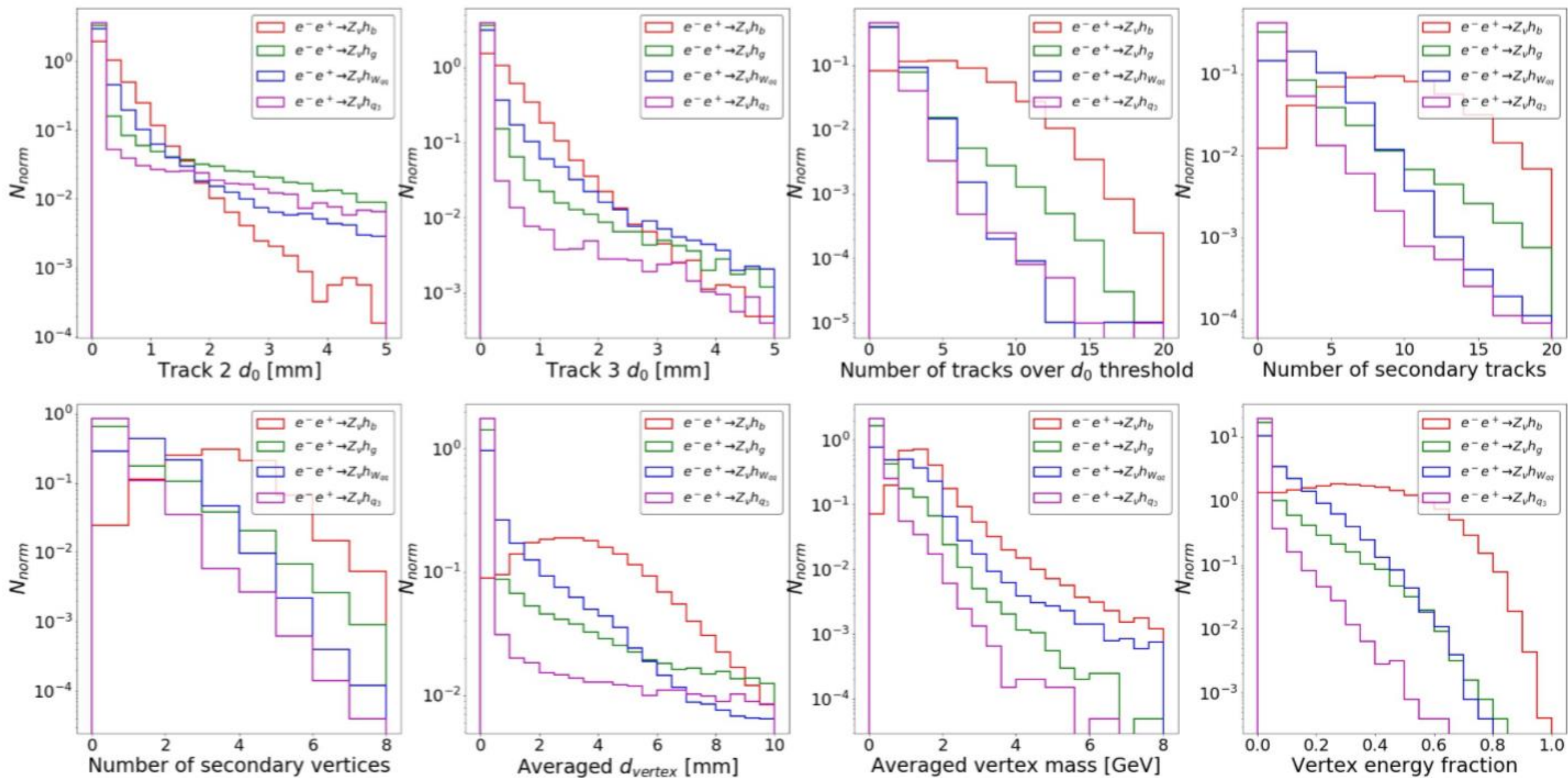
The precision frontier of next decades in Higgs and electroweak physics is expected to be defined by a future e<sup>-</sup>e<sup>+</sup> collider.

Measurements	CEPC <sub>250</sub> [61]	FCC <sub>240</sub> [62]	FCC <sub>365</sub> [62]	CILC <sub>350</sub> [63]	ILC <sub>250</sub> [60, 64, 65]
$\sigma(Zh)$	0.5%	0.5%	0.9%	1.6%	2.6%
$\sigma(Zh)\text{BR}(h \rightarrow bb)$	0.3%	0.3%	0.5%	0.86%	1.2%
$\sigma(Zh)\text{BR}(h \rightarrow cc)$	3.1%	2.2%	3.5%	14%	8.3%
$\sigma(Zh)\text{BR}(h \rightarrow gg)$	1.2%	1.9%	6.5%	6.1%	7.0%
$\sigma(Zh)\text{BR}(h \rightarrow WW^*)$	0.9%	1.2%	2.6%	5.1%	6.4%
$\sigma(Zh)\text{BR}(h \rightarrow ZZ^*)$	4.9%	4.4%	12%	-	19%
$\sigma(h\nu\nu)\text{BR}(h \rightarrow bb)$	2.9%	3.1%	0.9%	1.9%	10.5%
$\sigma(h\nu\nu)\text{BR}(h \rightarrow cc)$	-	-	10%	26%	-
$\sigma(h\nu\nu)\text{BR}(h \rightarrow WW^*)$	-	-	3.0%	-	-
$\sigma(h\nu\nu)\text{BR}(h \rightarrow ZZ^*)$	-	-	10%	-	-

[F. An et al., 1810.09037; A. Abada et al., (2019); H. Abramowicz et al., 1608.07538]

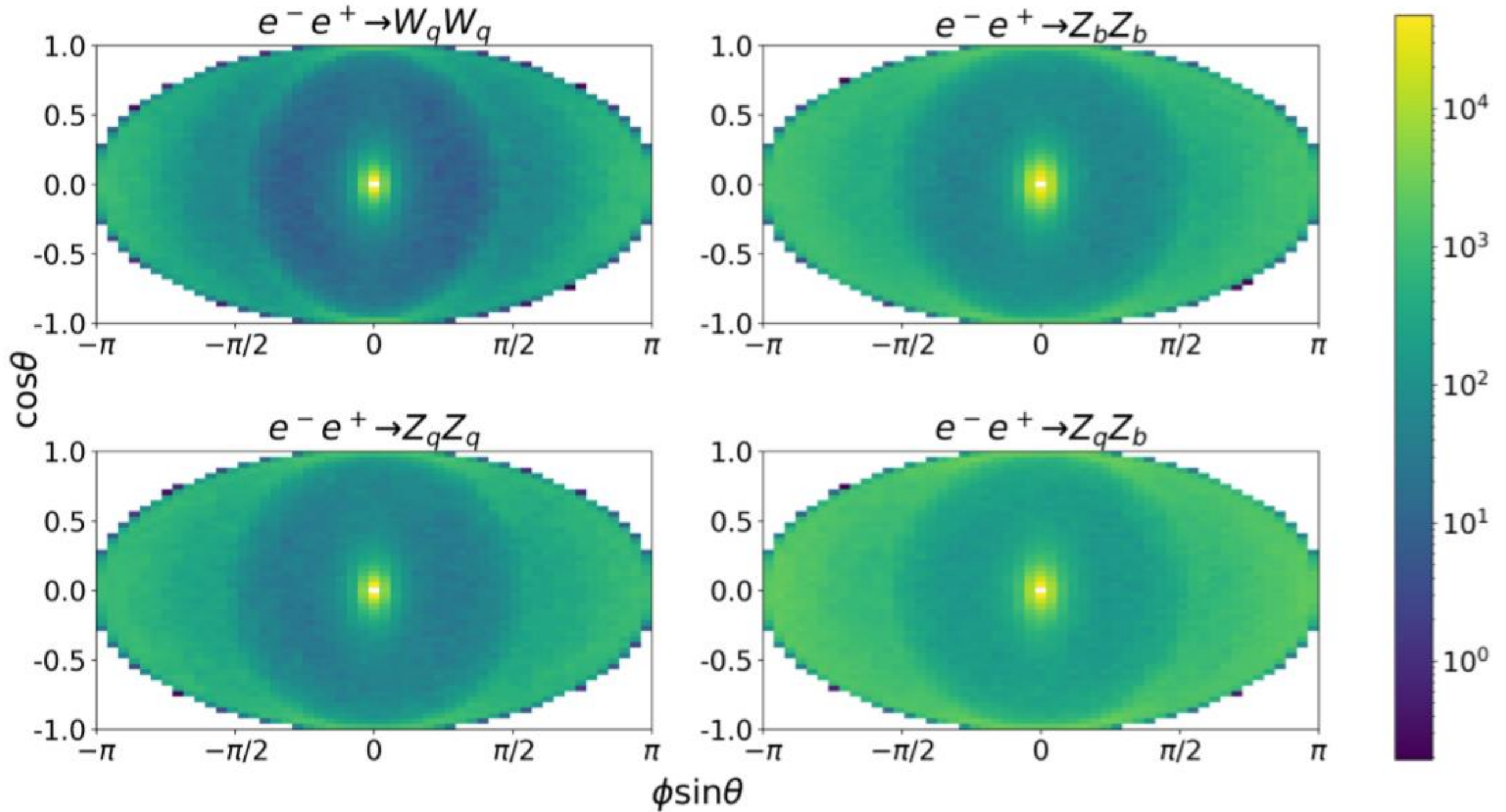


# Track Variables Defined at Event-Level

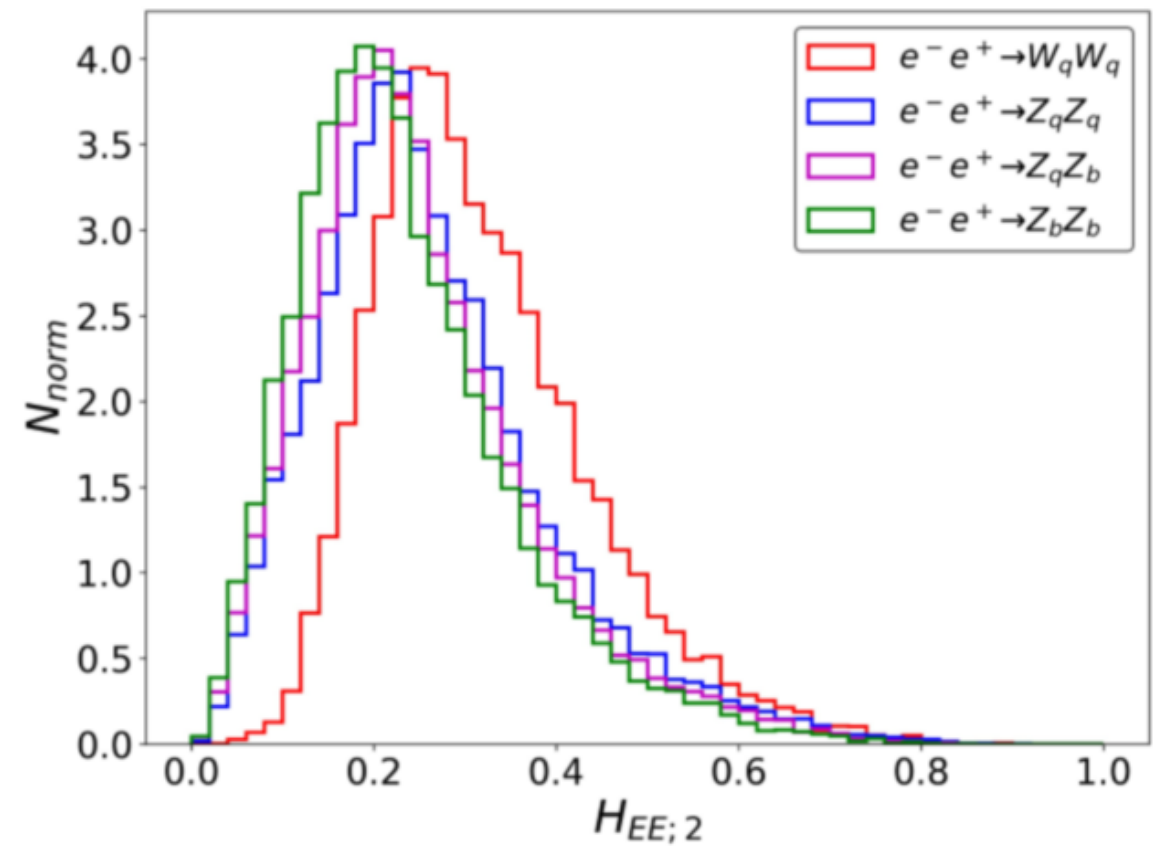
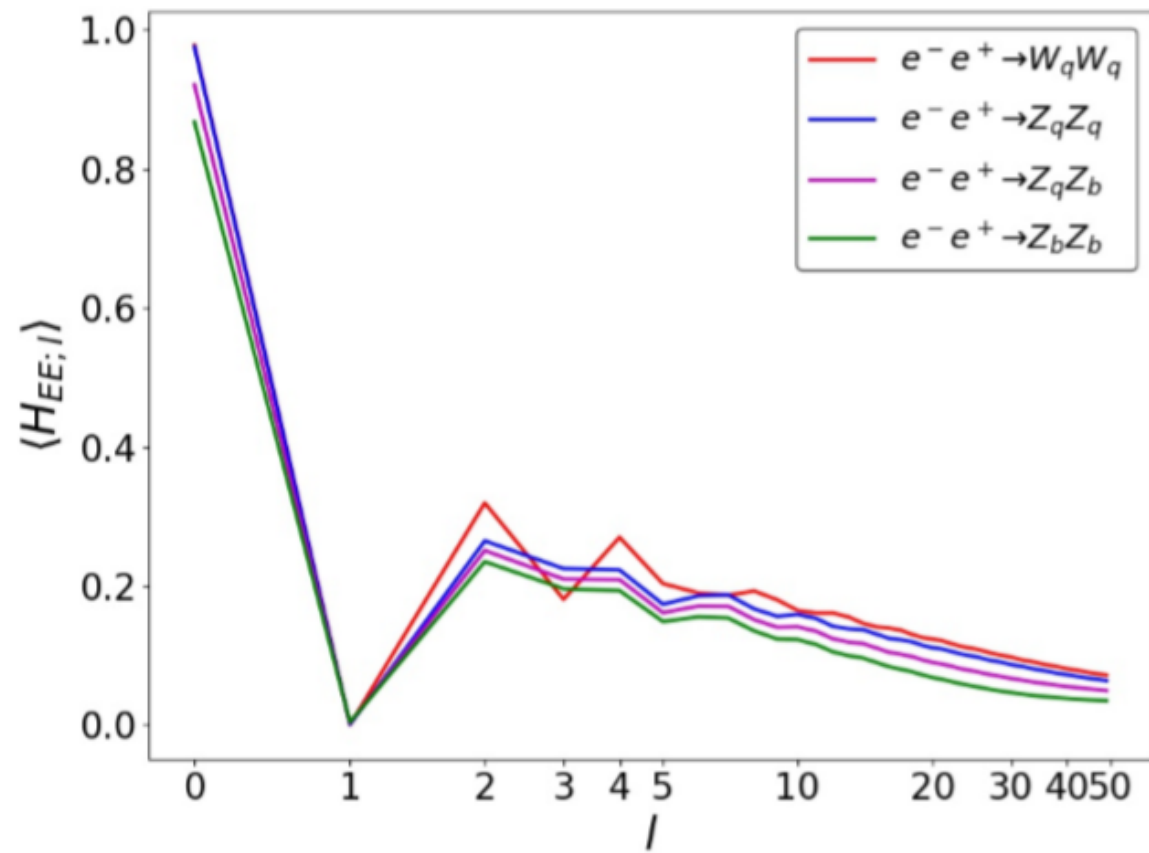




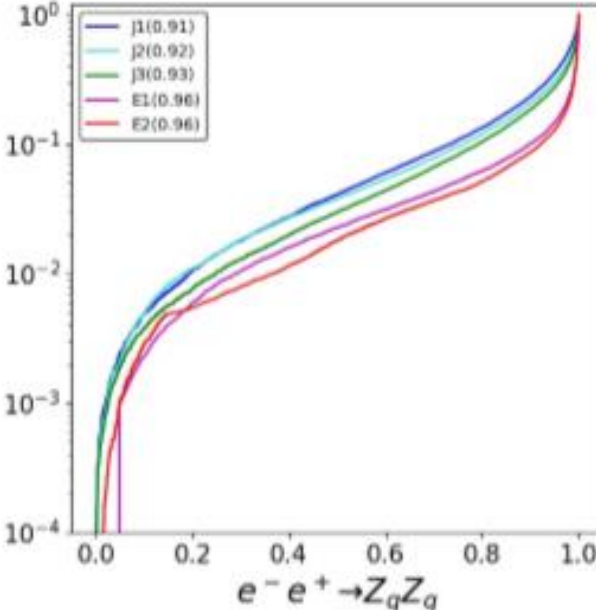
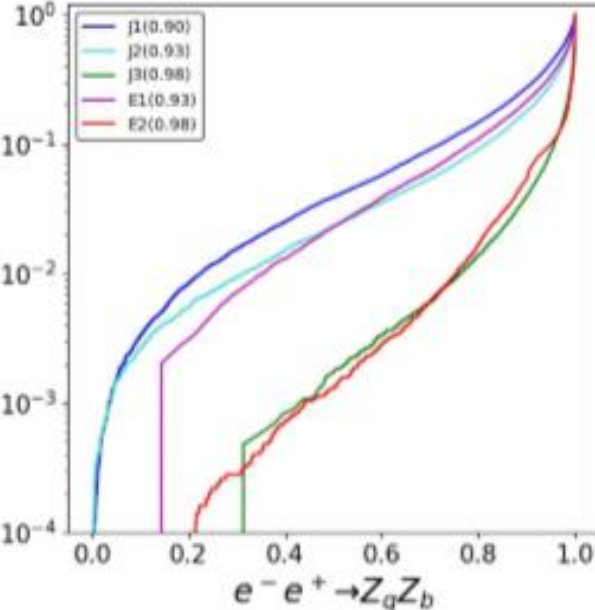
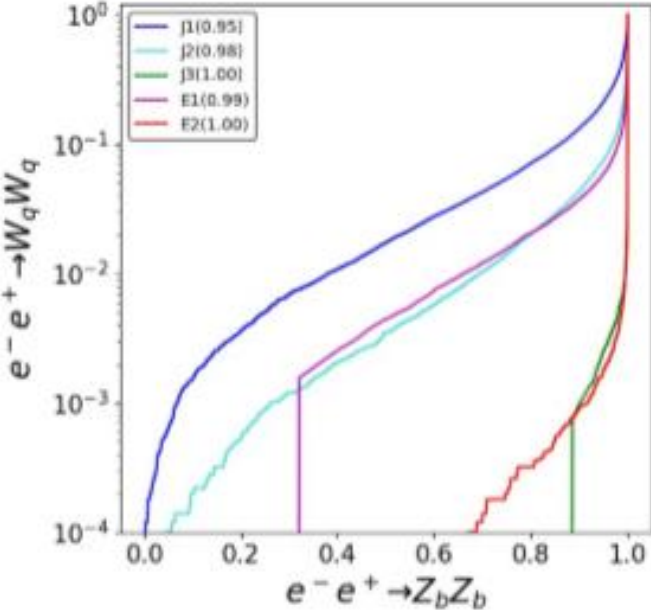
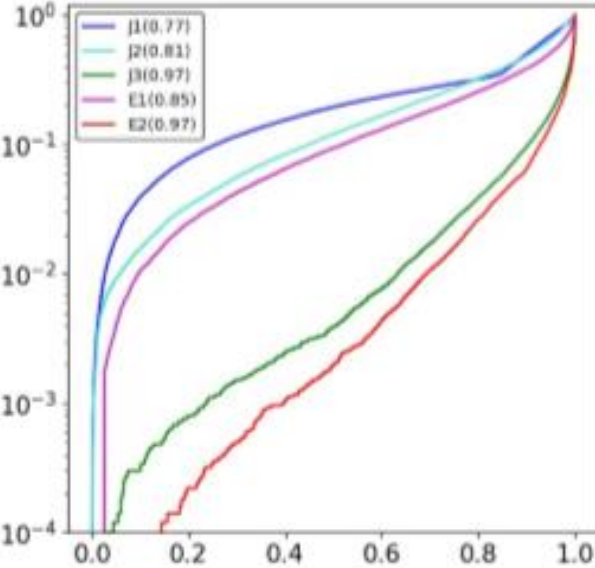
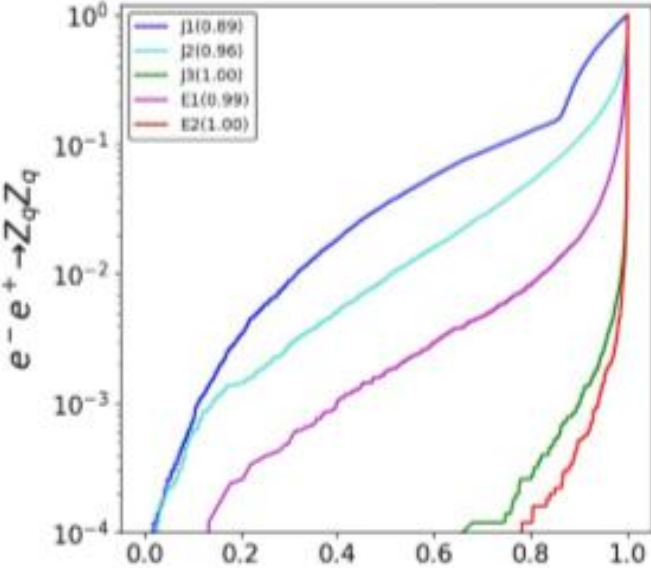
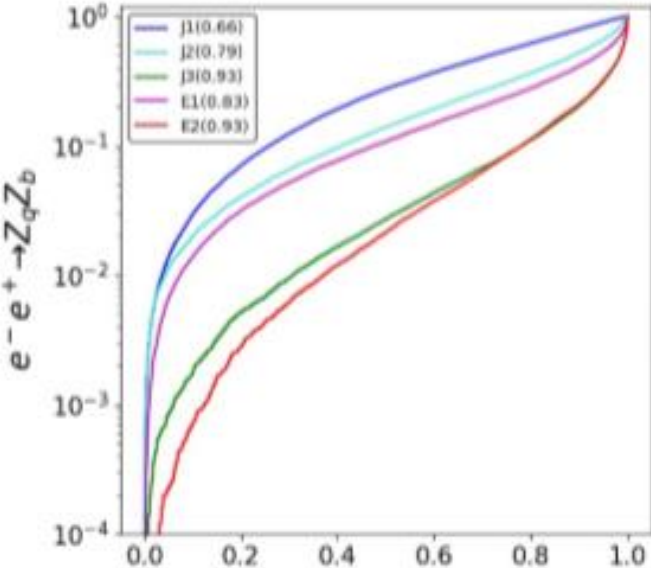
# Benchmark Study (4j)



# Benchmark Study (4j)



# Benchmark Study (4j)



Signal	Backgrounds			
$Z_\nu h_{W_l q}$	$W_l W_q$	$Z_l Z_{q_5}$	$Z_\nu h_\tau$	
$8.57 \times 10^3$	$2.41 \times 10^5$	$1.04 \times 10^3$	$3.22 \times 10^3$	
$Z_\nu h_{W_{qq}}$	$Z_\nu Z_{q_5}$	$q_5 q_5 (\gamma)$	$\gamma\gamma \rightarrow q_5 q_5$	$W_q W_q / Z_{q_5} Z_{q_5}$
$1.65 \times 10^4$	$5.61 \times 10^4$	$4.01 \times 10^4$	$4.41 \times 10^2$	$1.42 \times 10^4$
	$Z_\nu h_b$	$Z_\nu h_c$	$Z_\nu h_g$	$Z_\nu h_{Z_{q_5} q_5}$
	$8.78 \times 10^4$	$4.71 \times 10^3$	$1.41 \times 10^4$	$2.10 \times 10^3$

Signal	$\nu\nu h_b$	$\nu\nu h_c$	$\nu\nu h_g$	$\nu\nu h_\tau$
$1.51 \times 10^4$	$1.24 \times 10^4$	$6.43 \times 10^2$	$1.92 \times 10^3$	$1.50 \times 10^2$
Higgs backgrounds	$Z_\nu h_b$	$Z_\nu h_c$	$Z_\nu h_g$	$Z_\nu h_\tau$
$1.39 \times 10^5$	$9.47 \times 10^4$	$5.08 \times 10^3$	$1.52 \times 10^4$	$1.06 \times 10^3$
	$Z_\nu h_{V_{q_5 q_5}}$	$\nu\nu h_{V_{q_5 q_5}}$		
	$2.01 \times 10^4$	$2.51 \times 10^3$		
Non-Higgs backgrounds	$q_5 q_5 (\gamma) / \gamma\gamma \rightarrow q_5 q_5$	$W_q W_q$	$Z_{q_5} Z_{q_5}$	$Z_\nu Z_{q_5}$
$1.40 \times 10^5$	$6.79 \times 10^4 / 2.81 \times 10^3$	$1.26 \times 10^4$	$6.61 \times 10^2$	$5.61 \times 10^4$



# VBF Higgs Measurement

Signal	$\nu\nu h_b$	$\nu\nu h_c$	$\nu\nu h_g$	$\nu\nu h_\tau$
$1.51 \times 10^4$	$1.24 \times 10^4$	$6.43 \times 10^2$	$1.92 \times 10^3$	$1.50 \times 10^2$
Higgs backgrounds	$Z_\nu h_b$	$Z_\nu h_c$	$Z_\nu h_g$	$Z_\nu h_\tau$
$1.39 \times 10^5$	$9.47 \times 10^4$	$5.08 \times 10^3$	$1.52 \times 10^4$	$1.06 \times 10^3$
	$Z_\nu h_{V_{q_5 q_5}}$	$\nu\nu h_{V_{q_5 q_5}}$		
	$2.01 \times 10^4$	$2.51 \times 10^3$		
Non-Higgs backgrounds	$q_5 q_5 (\gamma) / \gamma\gamma \rightarrow q_5 q_5$	$W_q W_q$	$Z_{q_5} Z_{q_5}$	$Z_\nu Z_{q_5}$
$1.40 \times 10^5$	$6.79 \times 10^4 / 2.81 \times 10^3$	$1.26 \times 10^4$	$6.61 \times 10^2$	$5.61 \times 10^4$

Event yield after simple cuts: total energy  $\in [105, 155]$  GeV, invariant mass  $\in [100, 135]$  GeV, recoil mass  $\in [65, 135]$  GeV, MET > 10 GeV and  $p_z < 60$  GeV.

# vvh (2j)

