



# Recent results on flow and flow fluctuations with the ALICE detector

### Ya Zhu (for the ALICE Collaboration)

Central China Normal University & University of Copenhagen

> The 6th China LHC Physics Workshop (第6届中国LHC物理工作会议)

#### Anisotropic flow and flow fluctuations in heavy-ion collisions



Hydrodynamics 5.02 TeV, Ref. [27]

 $\begin{array}{c} \blacksquare v_2 \{2, \left| \Delta \eta \right| > 1 \} \\ \blacksquare v_3 \{2, \left| \Delta \eta \right| > 1 \} \end{array}$ 

50

40

1.5

2

60

Centrality percentile

70

ALICE,35-40%

 $0.2 < p_{\rm T} < 3 {\rm GeV}/c$ 

 $|\eta| < 0.8$ 



 $F\{v_n\}$ 

2.5

 $v_2/\langle v_2 \rangle$ 



ALICE Pb–Pb at 5.02 TeV

- ITS: Tracking, vertexing, triggering
- TPC: Tracking, PID
- TOF: PID
- V0 :

VOA ( $2.8 < \eta < 5.1$ )

VOC  $(-3.7 < \eta < -1.7)$ 

Triggering, multiplicity estimation







- Plethora of charged particles  $v_2\{2\}$ ,  $v_2\{4\}$ ,  $v_2\{6\}$  and  $v_2\{8\}$  measurements in the ALICE
- $v_2$ {2} larger than  $v_2$ {4},  $v_2$ {6} and  $v_2$ {8}: fluctuations and non-flow



Different moments (Skewness  $\gamma_1$  and Kurtosis  $\gamma_2$ ) of the distribution from  $v_2\{m\}$  were calculated:

[G. Giacalone et al, Phys. Rev. C 95 (2017) 014913]

$$\gamma_1 \simeq -2^{3/2} \frac{v_2 \{4\}^3 - v_2 \{6\}^3}{(v_2 \{2\}^2 - v_2 \{4\}^2)^{3/2}}, \qquad \gamma_2 \simeq -\frac{3}{2} \frac{v_2 \{4\}^4 - 12v_2 \{6\}^4 + 16v_2 \{8\}^2}{(v_2 \{2\}^2 - v_2 \{4\}^2)^{2/2}}$$

• Deviation of  $v_2\{6\}/v_2\{4\}$ and  $v_2\{8\}/v_2\{4\}$  from unity at low  $p_T$ 

⇒ Bessel-Gaussian parametrisation of  $v_n$  PDFs is not valid

• Higher  $p_{\rm T}$  ( > 3 GeV/c):

 $\gamma_1$  and  $\gamma_2$  are consistent with 0

- Non-trivial evolution with  $p_{\mathrm{T}}$ 





Two-particle azimuthal correlations can be expanded in a Fourier series:

$$\frac{d^3 N^{pair}}{dp_{\rm T}^a dp_{\rm T}^b d\Delta \phi} \propto 1 + \sum_{n=1}^{\infty} 2V_{n\Delta}(p_{\rm T}^a p_{\rm T}^b) \cos({\rm n}\Delta \phi)$$

One new observable "Factorisation ratio" named  $r_n$ : Phys.Rev.C 87 (2013) 3, 031901

$$_{n} = \frac{V_{n\Delta}(p_{\rm T}^{a}p_{\rm T}^{b})}{\sqrt{V_{n\Delta}(p_{\rm T}^{a}p_{\rm T}^{a})V_{n\Delta}(p_{\rm T}^{b}p_{\rm T}^{b})}}$$

- $r_n < 1$ , especially in central collisions
- May caused by flow

   magnitude fluctuations
   or(and) flow angle
   fluctuations with p<sub>T</sub>
   dependence
- Confirm the hydrodynamic prediction





The  $p_{\rm T}$ -dependent flow angle fluctuations can be probed by:

$$\frac{\langle \cos(\phi_1^{a} + \phi_2^{a} - \phi_3^{b} - \phi_4^{b}) \rangle}{\langle \cos(\phi_1^{a} + \phi_2^{b} - \phi_3^{a} - \phi_4^{b}) \rangle} = \langle \cos[2n(\Psi_n^{a} - \Psi_n^{b})] \rangle$$

- Consistent with unity in 10-40%
- Flow vector fluctuations driven by  $p_{\rm T}$ -dependent flow magnitude fluctuations





The fit can be performed to construct the probability density function of  $v_2$  by the relation between the

cumulants  $c_2{m}$ :[S. Acharya et al. In: JHEP 1807 103 (2018).]

$$P(v_2) = \frac{2\alpha v_2}{\pi k_2} (1 - \varepsilon_0^2)^{\alpha + 1/2} \int_0^{\pi} \frac{(1 - v_2^2/k_2^2)^{\alpha - 1}}{(1 - v_2\varepsilon_0 \cos\phi/k_2)^{2\alpha + 1}} d\phi$$

- Event Shape Engineering (ESE): select large/small eccentricities
- Underlying PDFs more skewed for higher q<sub>2</sub> percentiles, suggesting a significant amount of fluctuations is picked up by ESE



#### **PID Flow**





- Measurement of  $v_2$ {4}of identified hadrons
- Qualitatively similar behaviour as of  $v_2$ {2} measurement

Clear mass ordering at low  $p_{\rm T}$  and baryon/meson grouping at intermediate  $p_{\rm T}$ 

#### **PID Flow Fluctuations**

 Measurements of 2- & 4-particle cumulant are used to study flow and flow fluctuations (if nonflow is negligible in 2-PC): [S.A. Voloshin et al.PLB 659 (2008) 537]

 $v_n \{2\}^2 = \langle v_n \rangle^2 + \sigma_{v_n}^2$ 

$$v_n \{4\}^2 \approx \langle v_n \rangle^2 - \sigma_{v_n}^2$$

 $\langle v_n \rangle \approx ((v_n \{2\}^2 + v_n \{4\}^2)/2)^{1/2}$  $\sigma_{v_n} \approx ((v_n \{2\}^2 - v_n \{4\}^2)/2)^{1/2}$ 

• Relative  $v_n$  fluctuations :  $F(v_n) = -$ 





- Non-flow effect of 2-particle cumulant was suppressed by  $\eta$  gap
- <  $v_n$  > is the anisotropic flow from the symmetry plane and  $\sigma_{v_n}$  is the corresponding anisotropic flow fluctuations
- Obvious centrality dependence of  $< v_n >$  and  $\sigma_{v_n}$  for  $\Xi$
- No definite particle species dependence on  $F(v_2)$







- $v_2$  distribution is not described well by the Bessel-Gaussian distribution. Non-trivial evolution with  $p_{\rm T}$
- Precision measurements of flow vector fluctuations indicate they are driven by flow magnitude fluctuations
- Flow fluctuation further understood and quantified by unfolding the underlying  $v_2$  PDFs
- No definite particle species dependence observed for relative flow fluctuations of identified particles



## Back up





- Precision measurements of  $v_3$  and  $v_4$
- Large  $\eta$  gap was used to suppress non-flow



• 
$$v_2\{2\} = \frac{d_n\{2\}(p_T)}{\sqrt{c_n\{2\}}} = \frac{\langle v_n^a(p_T) \cdot v_n^T \cdot cos[n(\phi_1^a - \phi_2^T)] \rangle}{\langle v_n^T \cdot v_n^T \rangle^{1/2}}$$
, affected by decorrelation

+  $v_2[2] = \sqrt{c_n\{2\}(p_T)} = \langle v_n^a \cdot v_n^a \rangle^{1/2}$ , not affected by decorrelation





Normalised symmetric cumulant can be probed by the correlation between different harmonics:

$$NSC(n,m) = \frac{\langle v_n^2 \cdot v_m^2 \rangle - \langle v_n^2 \rangle \langle v_m^2 \rangle}{\langle v_n^2 \rangle \langle v_m^2 \rangle}$$

- Shows  $p_{\rm T}$  dependence, especially in central collisions.
- AMPT gives a better description in most central collisions
- Both generators fail when going more peripheral collisions





- The correlation between the different harmonics was exposed in each centrality bin.
- Split each bin into its 10% portions of the  $q_2$ -distribution





- Both  $v_2$  and  $p_{\rm T}$  are scaled by the number of constituent quarks ( $n_q$ )
- The various hadron species approximately follow a common trend at

intermediate  $p_{\rm T}$  (About 20% deviation)