



# Measurements of $H \rightarrow \mu \mu$ for $e^+e^- \rightarrow Z(qq)H$ production at the CEPC

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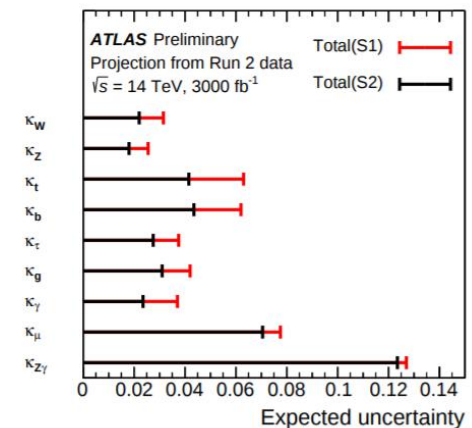
November 8, 2020

# Outline

- Motivation
- Detector and samples
- Event selection
- Inclusive analysis
- MVA(BDTG) optimization
- Summary

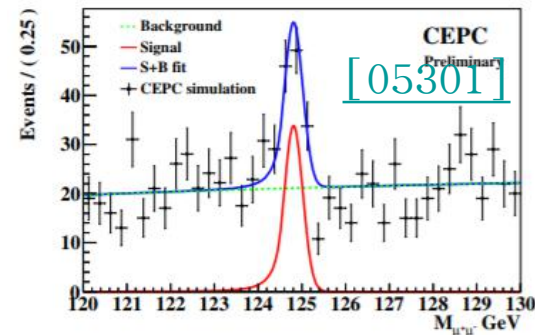
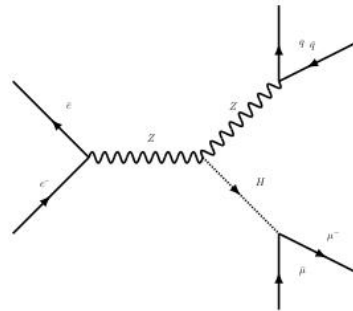
# Motivation

- $H \rightarrow \mu \mu$  is important for probing the Higgs Yukawa couplings.
  - The interactions of Higgs to the third generation charged fermions have already been observed by both ATLAS and CMS experiment. [JHEP08\(2016\)045](#)
  - Only upper limits exist on the Higgs interactions with other generations fermions.
  - Also, it offers the best opportunity to measure the couplings to the second generation fermions.
- In the ATLAS experiment, An upper limit of 2.2 at 95% CL is set on the signal strength( $\mu$ ). [arxiv2007.07830](#)
- In the projections with the ATLAS detector at HL-LHC(3000  $\text{fb}^{-1}$ ), the expected uncertainty of  $\kappa_\mu$  is  $\sim 7\%$ . [ATL-PHYS-PUB-2018-054](#)



# Introduction of $e^+e^- \rightarrow Z(qq)H(\mu\mu)$

- With electron-positron colliders, we can gain much higher significance due to extremely cleaner background.
- Previous Measurement (Zhen-Wei Cui et al.) [05301] gave counting significance at [124, 125] GeV:  $10.8\sigma$ .



We'd like to update and improve the analysis.

- Develop new selection criteria by keeping most signals and suppressing background.
- Further make event categories by applying MVA method.
- Use new detector geometry and new samples to show the latest sensitivity of the CEPC detector for measuring  $\mu\mu$  events.

# Detector and samples

- **CEPC Detector:** v4 ,  $\sqrt{s}=240\text{GeV}$ , luminosity:  $5 \text{ ab}^{-1}$ , 3.5 Tesla magnetic field.
- **Sample:**
  - signal : qqh\_e2e2,  $\sim 100\text{M}$
  - background :
    - 2 fermions,  $\sim 28 \text{ M}$
    - 4 fermions
      - Single W,  $\sim 18\text{M}$
      - Single Z,  $\sim 8 \text{ M}$
      - WW,  $\sim 46 \text{ M}$
      - ZZ,  $\sim 6 \text{ M}$
      - Z or W:  $\sim 20 \text{ M}$

# Event selection

- To suppress background and keep most signals, event selections are developed.
- After several studies, considering both signal/background efficiencies, event selections are finalized.
- Table show you that the aims of each cut component.
- Performances of each cut can be found in the backup.

cut	reason
$N_{\mu^+} > 0, N_{\mu^-} > 0$	H to mumu requires 2 opposite charged muons
$105 < M_{\mu\mu} < 130\text{GeV}$	$M_{\mu\mu}$ should be close to $M_H$ (125 GeV)
$25 < N_{particle} < 115$	di-jet system requires more objects than all leptons final stats
$55 < M_{qq} < 125\text{GeV}$	$M_{qq}$ should be close to $M_Z$ (91.2 GeV)
$P_{qq\mu\mu} < 32\text{GeV}, 195 < E_{qq\mu\mu} < 265\text{GeV}$	$qq\mu\mu$ system should has 4 momentum close to (0, 0, 0, $E_n$ ), $E_n=240$ GeV
$35 < E_{\mu^-} < 100\text{GeV}, 35 < E_{\mu^+} < 100\text{GeV}$	To suppress WW background
$16 < p_{\mu\mu} < 72\text{GeV}$	To suppress hadronic background components with muons in jet clusters
$-20 < P_{xmiss}, P_{ymiss} < 20$ and $\Delta_{\mu^-qq,\mu^+}, \Delta_{\mu^+qq,\mu^-} > 2.5$	To suppress WW background

- Signal efficiency: 79.4%
- The background : zz (95.4%) , ww (4%) , 2f (0.6%)

# The mass spectrum

- After selection criterial, the signal significance in the  $\mu\mu$  mass spectrum can be obtained by counting expression  $\sqrt{2[(s+b) \cdot \ln(1 + \frac{s}{b}) - s]}$ .

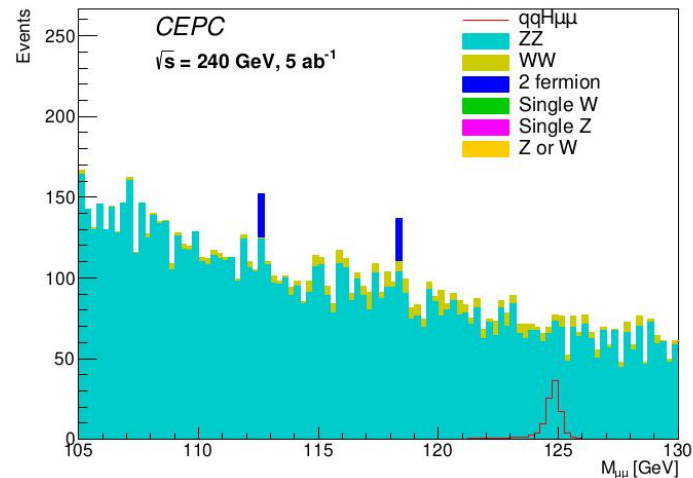
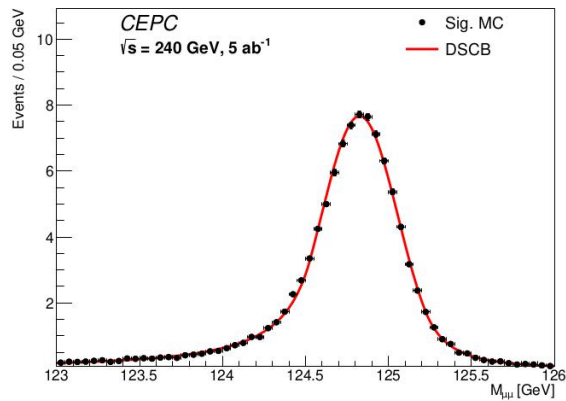


Fig. :The distribution  $M_{\mu\mu}$

- It is estimated that signal significance in  $[124,125]$  GeV:  $4.288 \sigma$
- The significance is smaller than previous measuerment due to the width of Z boson being considered in our study.

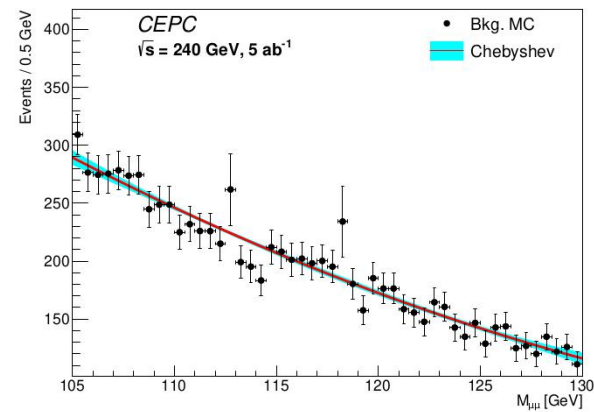
# Signal and background modelling

- ▶ signal probability function:  
Double side crystal ball(DSCB).



$M_{\mu\mu}$

- ▶ background probability function:  
Second order Chebyshev.



$M_{\mu\mu}$

- DSCB is commonly used for fitting resonant H mass spectrum and shows great agreement with the signal MC.
- For background, I tested many other functions such as Exponential, Bernstein, finally we choose the best Chebyshev function.



# Fitting strategy

- **Signal model** : double side crystal ball.
- **Background model** : Chebyshev.
- **POI**:  $\mu$  . (the signal strength  $\mu = \frac{\sigma_{Z(qq)H}}{\sigma_{SM}^{Z(qq)H}} \times \frac{Br_{\mu\mu}}{Br_{\mu\mu}^{SM}}$  )

- **Parameters:**

Parameters in signal and background model are fixed by fitting simulated events.,

The number of background and  $\mu$  are float.

- Then a unbinned maximum likelihood fit are performed.

# Fitting results in the inclusive analysis

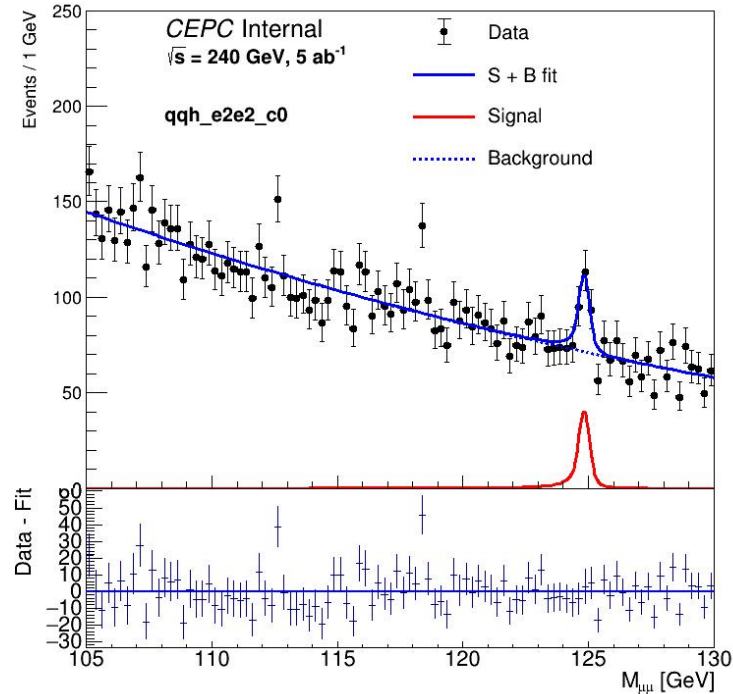
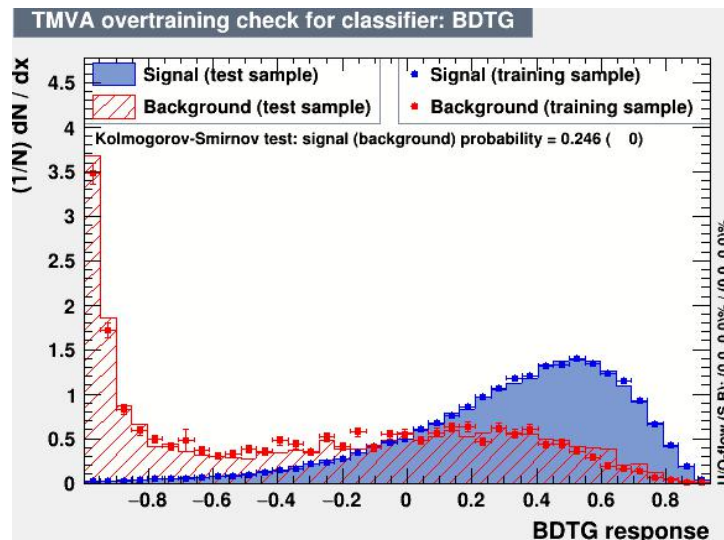


Fig. :The fit results of  $M_{\mu\mu}$

- $\mu = 0.996578 \text{ +/- } (-0.19, 0.20)$ .
- significance:  $5.67 \sigma$ .

# MVA optimization

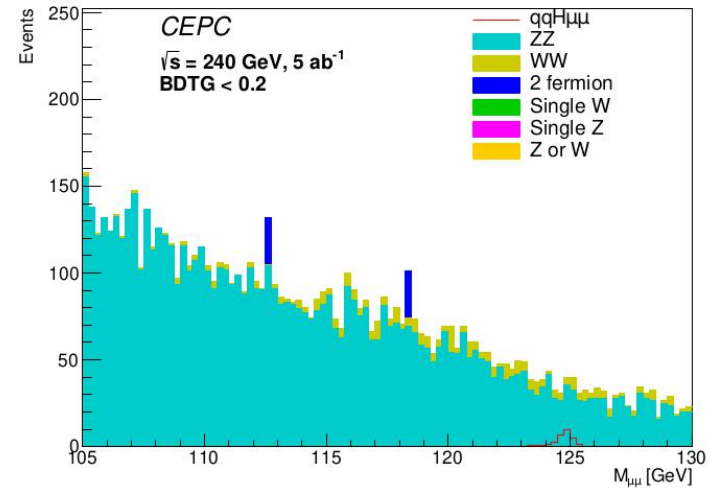
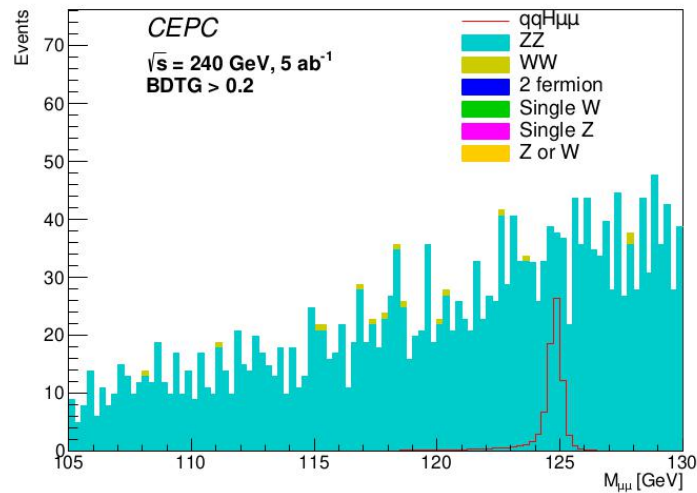
- In order to improve signal significance, MVA analysis is performed. We exploit BDTG to further classify two categories.
- These 8 variables are trained(see backup):  $\cos \theta_{qq}$ ,  $M_{qq}$ ,  $\cos \theta_{jet2}$ ,  $\Delta_{jet2, \mu^+}$ ,  $\Delta_{jet1, \mu^-}$ ,  $P_{x_{jet2}}$ ,  $P_{y_{jet2}}$ ,  $\Delta_{\mu^-, \mu^+}$ .
- The BDT response distribution are shown in Fig.



- We can take two categories, BDTG response  $> 0.2$ , denoted by tight category, otherwise loose category.

# Mass distribution under tight and loose category

- We get two categories : **tight**(BDTG>0.2) and **loose**(BDTG<0.2).



- The signal and background probability functions are parametrized in the same model as the previous inclusive analysis.

# Simultaneous fit

- We performed a simultaneous fit on 2 categories to get the signal significance and strength.

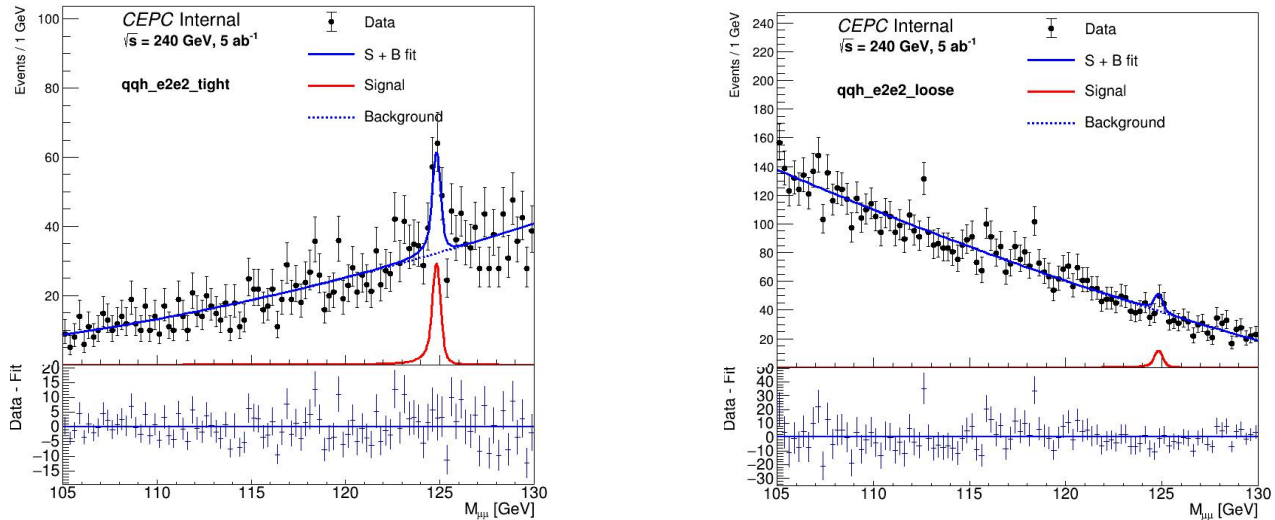


Fig. The simultaneous fit results in two categories, tight(left) and loose(right).

- $u = 1.12472 \pm 0.19$
- significance:  $6.9 \sigma$
- 17.8% improvement comparing to inclusive analysis.

# Summary

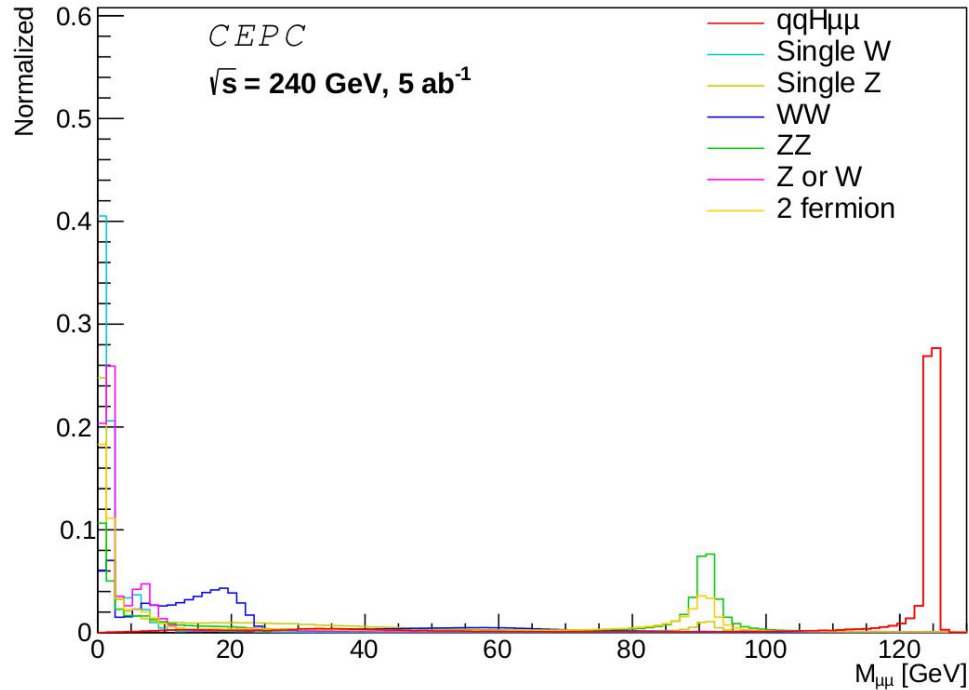
- After event selections, the signal efficiency is 79%; The dominant background is ZZ to muons/jets.
- It is estimated the signal significance is  $5.67\sigma$  in  $e^+e^- \rightarrow Z(qq)H(\mu\mu)$  inclusive analysis.
- Applying the optimal BDTG cut and making a simultaneous fit on 2 categories, the significance of  $6.9\sigma$  can be achieved with 17.8% improvement comparing to inclusive analysis.
- The signal strength value can be determined as 1.12 with an uncertainty of 19.0%.

THANK YOU

# backup

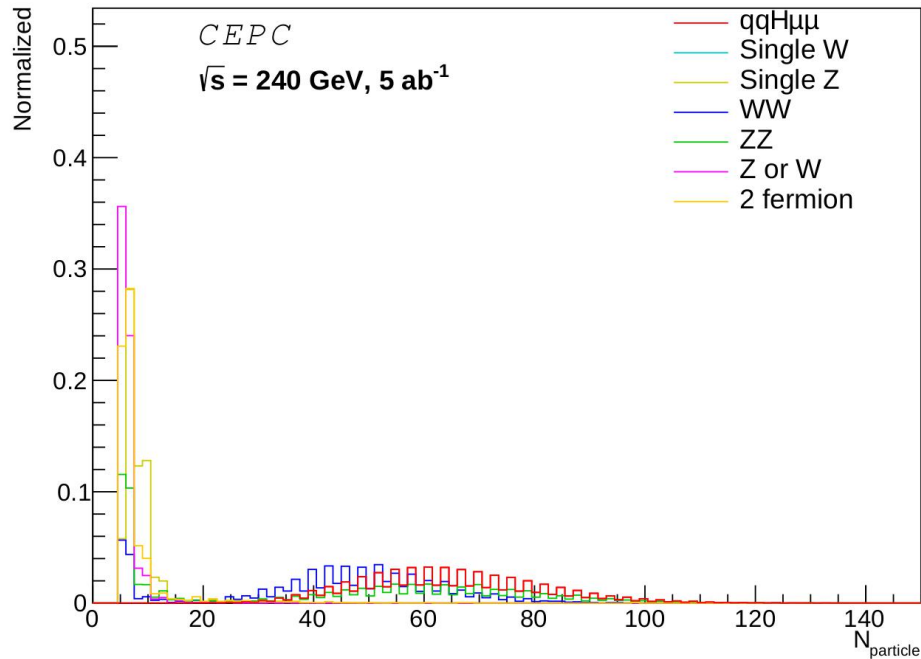


# Event selection



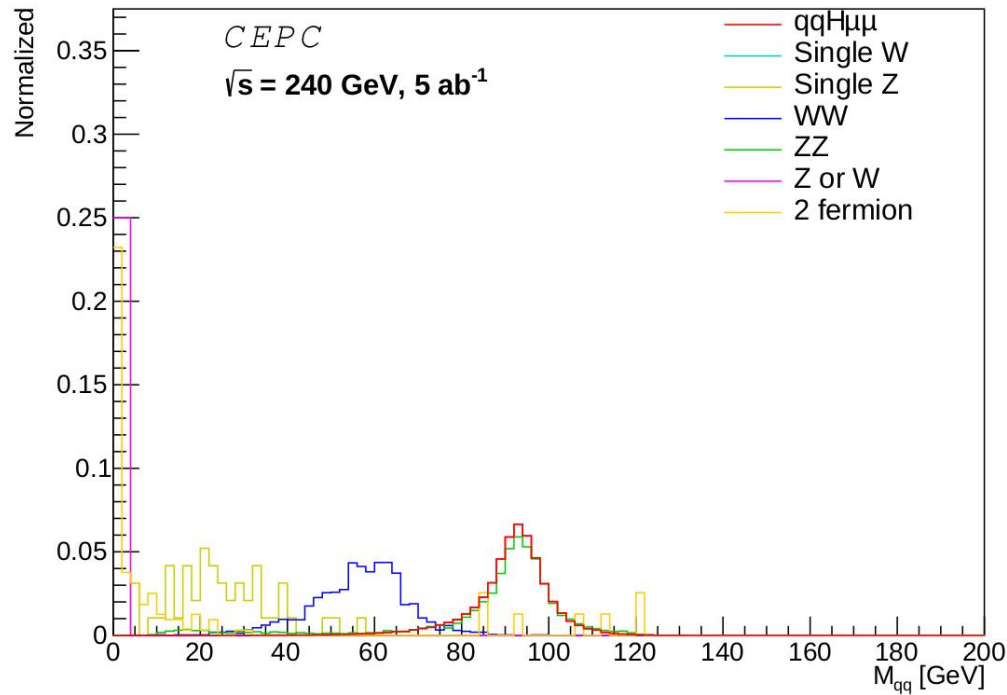
- ▶  $M_{\mu\mu}$  cut:  
(105,130)
- ▶  $M_{\mu\mu}$  should  
close to  $M_H < (125 \text{ GeV})$

# Event selection



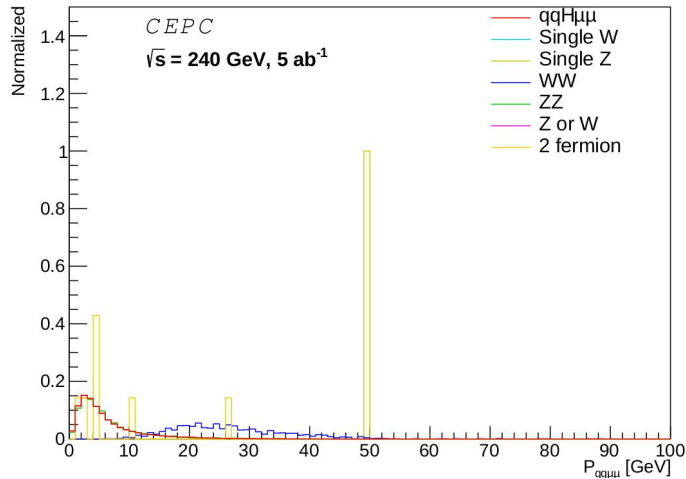
- ▶  $N_{\text{particle}}$  cut:  
(25,115)
- ▶ di-jet system requires more objects.

# Event selection



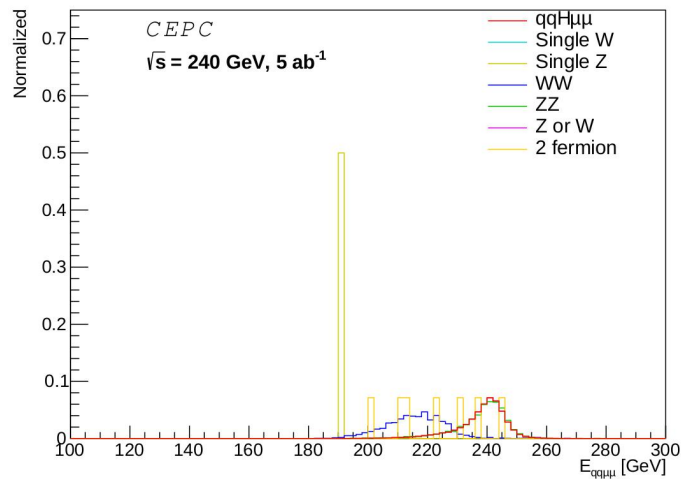
- ▶  $M_{dijet}$  cut: (55,125)
- ▶  $M_{dijet}$  should be close to  $M = (91.2 \text{ GeV})$ .

# Event selection

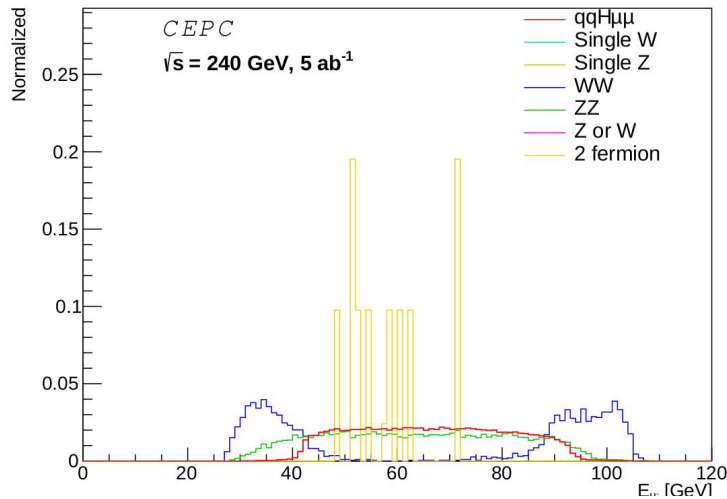


►  $P_{qq\mu\mu}$  cut:  
(0,32)

►  $E_{qq\mu\mu}$  cut:  
(195,265)



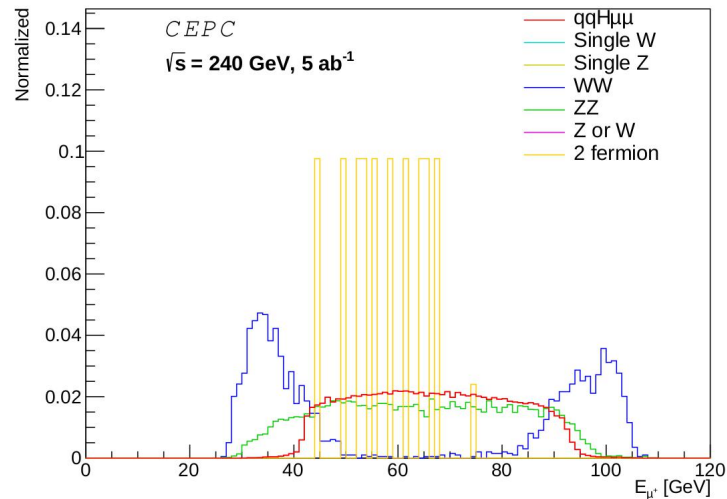
# Event selection



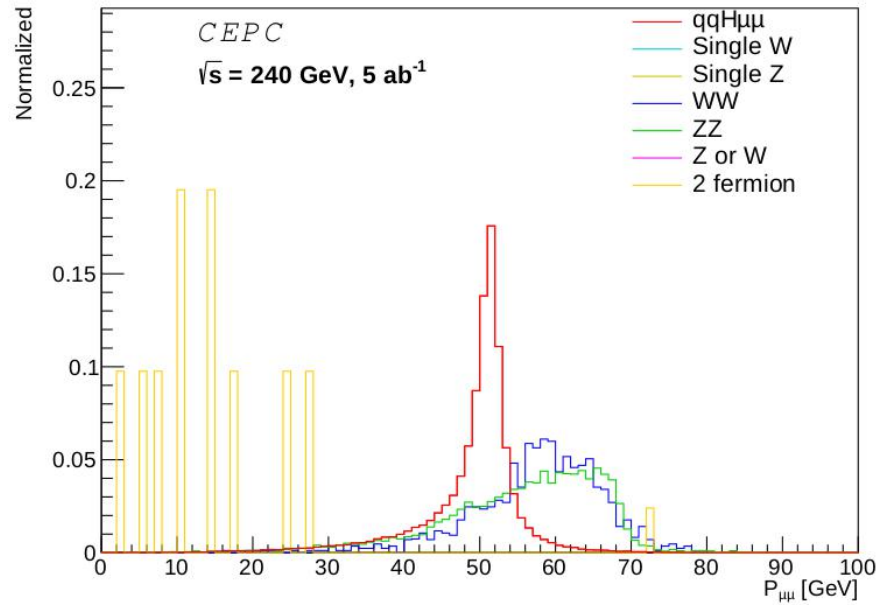
►  $E_{\mu M}$  cut:  
(35,100)

►  $E_{\mu P}$  cut:  
(35,100)

To suppress WW  
background

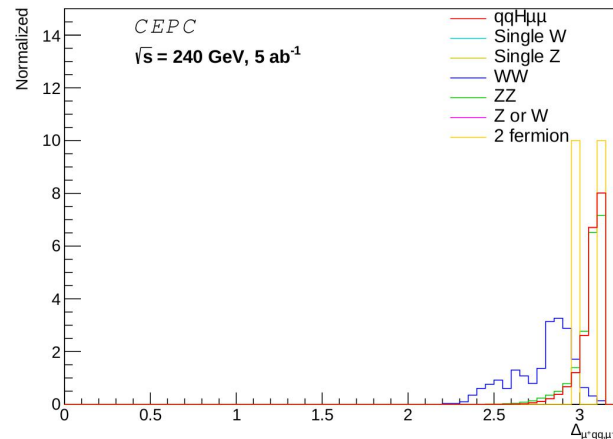
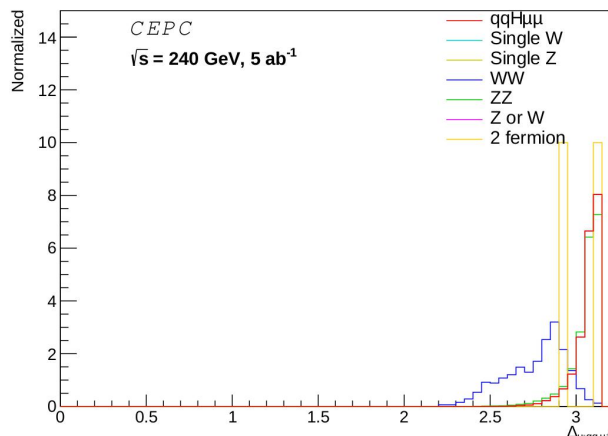
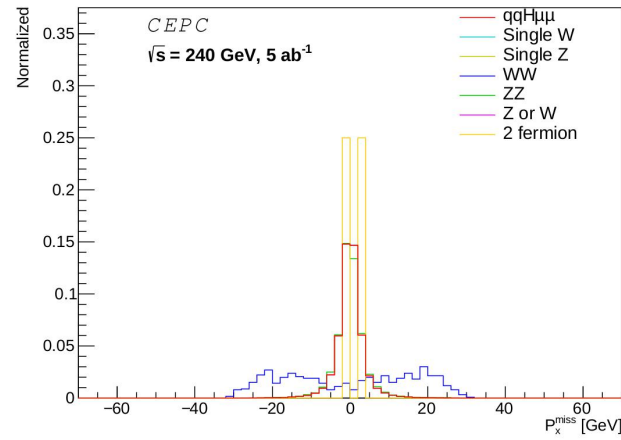
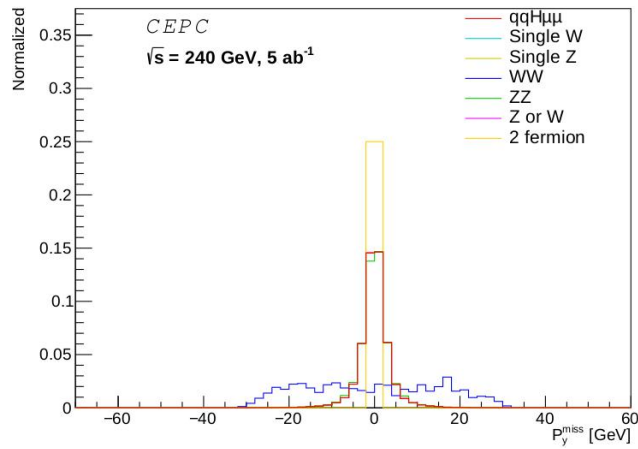


# Event selection



►  $P_{\mu\mu}$  cut:  
(18,72)

# Event selection

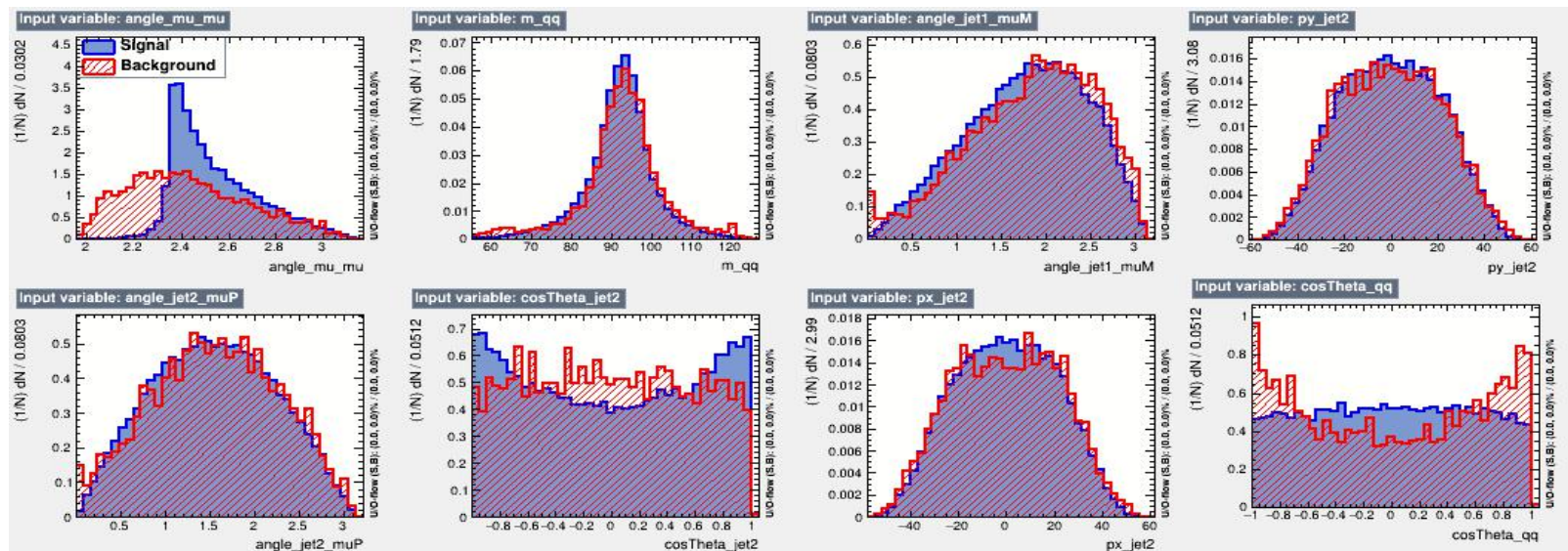


- ▶  $P_x^{\text{miss}}$  cut:  
(-20,20)
- ▶  $P_y^{\text{miss}}$  cut:  
(-20,20)
- ▶  $\text{angle}_{\mu M qq \mu P}$   
(2.5,3.2)
- ▶  $\text{angle}_{\mu P qq \mu M}$   
(2.5,3.2)

To suppress WW  
background

# MVA optimization

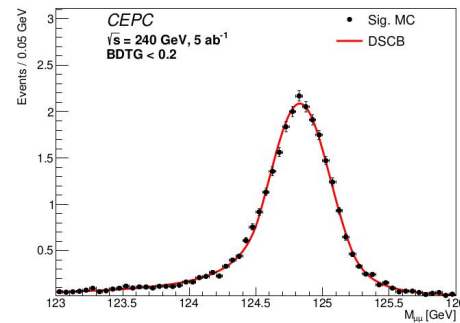
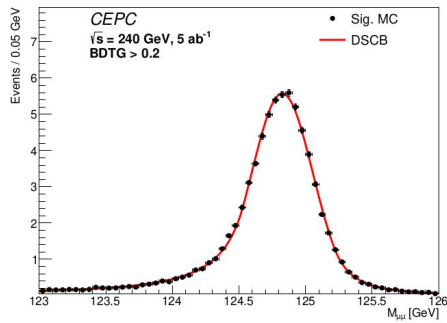
- In order to improve signal significance, MVA analysis is performed. We exploit BDTG to further classify two categories.
- Training variables selection criterial
  - Not highly correlated with  $M_{\mu\mu}$ .
  - Not strongly anti-correlated with each other.
- Variable  $\cos\theta_{qq}$ ,  $M_{qq}$ ,  $\cos\theta_{jet2}$ ,  $\Delta_{jet2,\mu^+}$ ,  $\Delta_{jet1,\mu}$ ,  $Px_{jet2}$ ,  $Py_{jet2}$ ,  $\Delta_{\mu^-, \mu^+}$  are taken eventually.



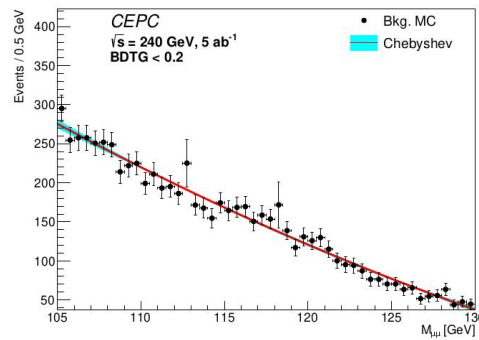
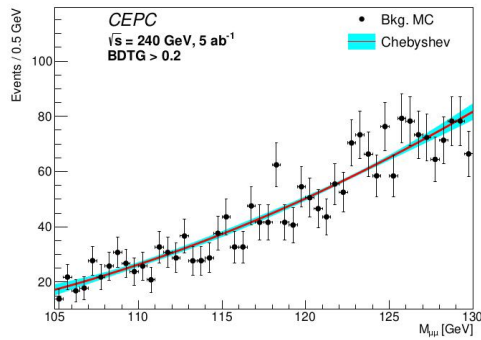


# Signal/background modellings in categories

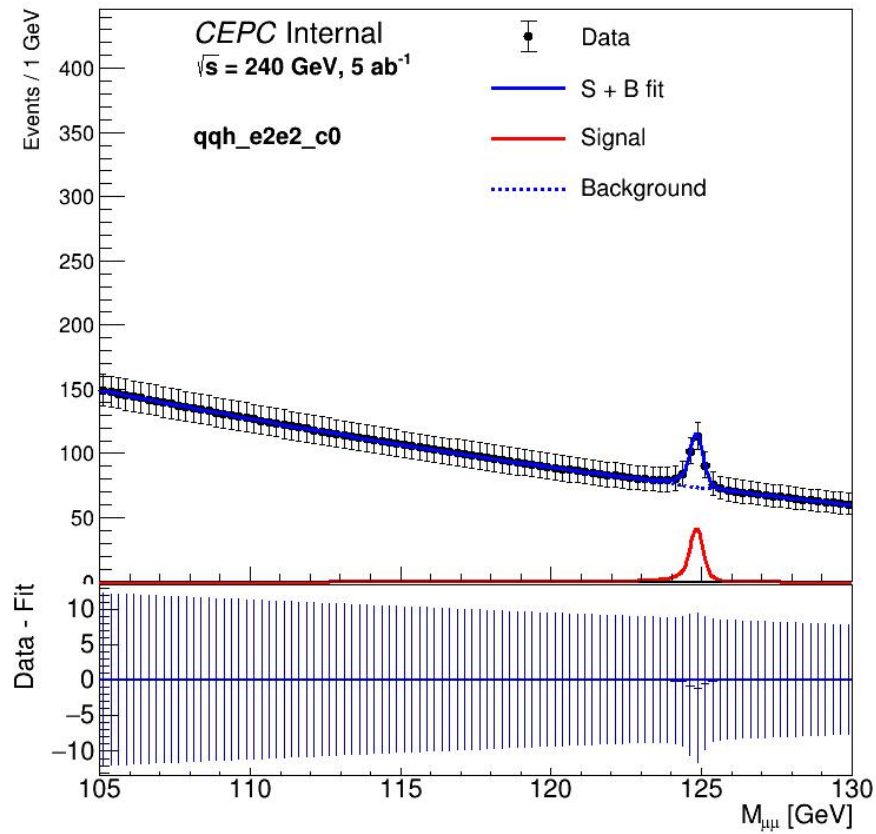
- tight(left) and loose(right)
- ▶ signal function: DSCB



- ▶ background function: second order Chebyshev



# Asimov fit results



# Asimov fit results

- two categories

