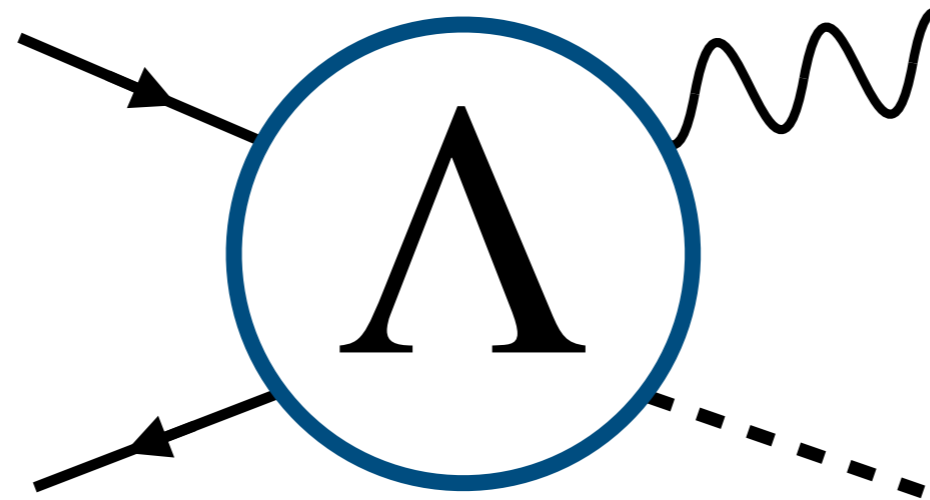


Recent EFT interpretations of Higgs (and diboson) measurements at ATLAS



Philipp Windischhofer

University of Oxford

For the ATLAS Collaboration

HEFT 2021, April 14-16, 2021, USTC



What can you expect?

A summary of our activities in using Higgs boson measurements to constrain the Standard Model EFT (SMEFT)

See Lailin's overview talk yesterday

(Our) answers to questions such as

How to ensure our measurements can reliably probe SMEFT effects?

How to extract SMEFT constraints?

How to present these results?

from the point of view of two recent results:

Higgs combination

[\[ATLAS-CONF-2020-053\]](#)

$$H \rightarrow \gamma\gamma$$

$$H \rightarrow ZZ^* \rightarrow 4l$$

$$VH, H \rightarrow bb$$

Higgs + diboson combination

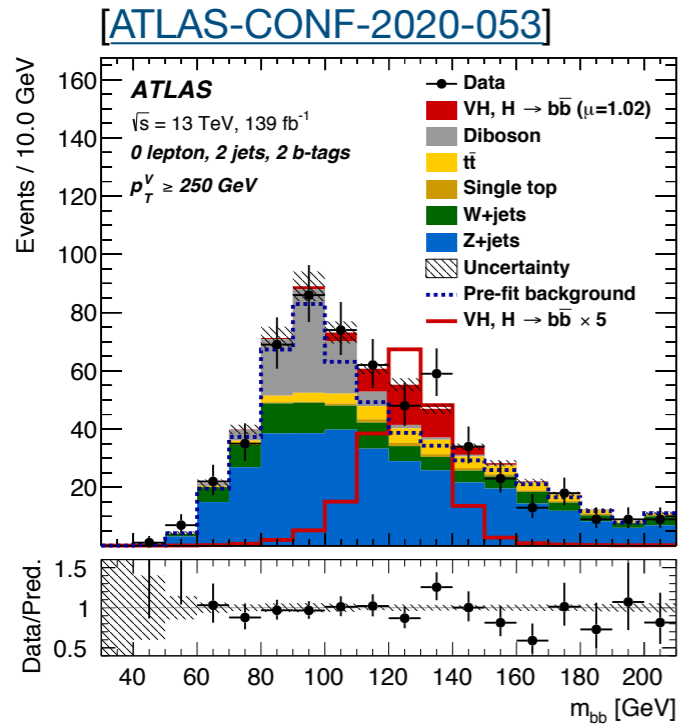
[\[ATL-PHYS-PUB-2021-010\]](#)

$$H \rightarrow WW^*$$

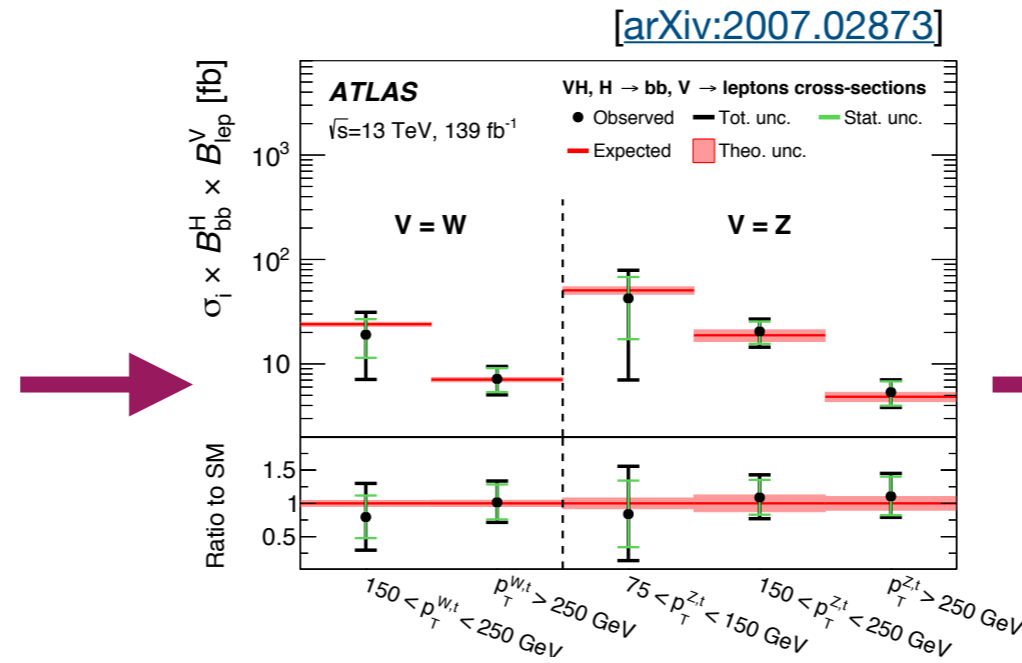
$$pp \rightarrow WW$$

From event distributions to SMEFT constraints

A typical trajectory of an ATLAS Higgs EFT result

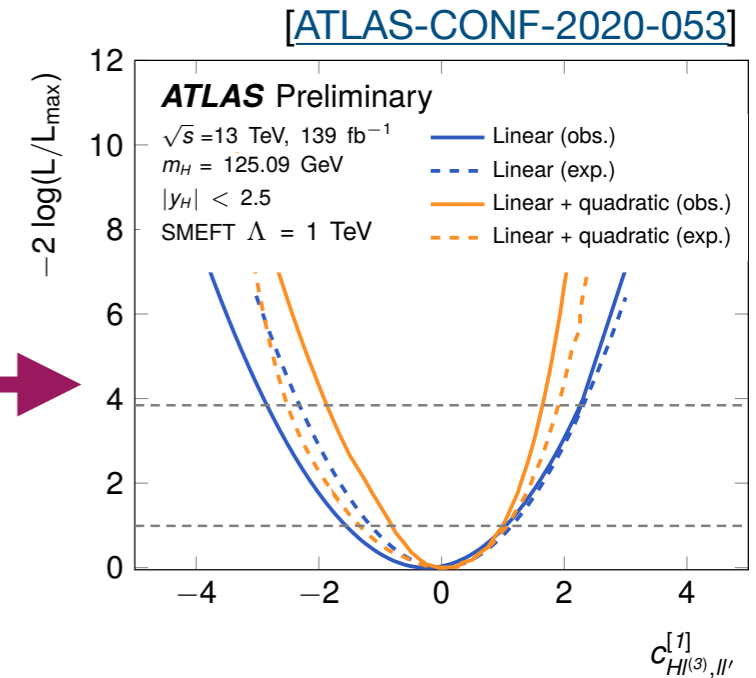


Reconstructed distributions



Fiducial cross-sections (STXS), differential cross-sections, ...

“Inputs for EFT interpretation”

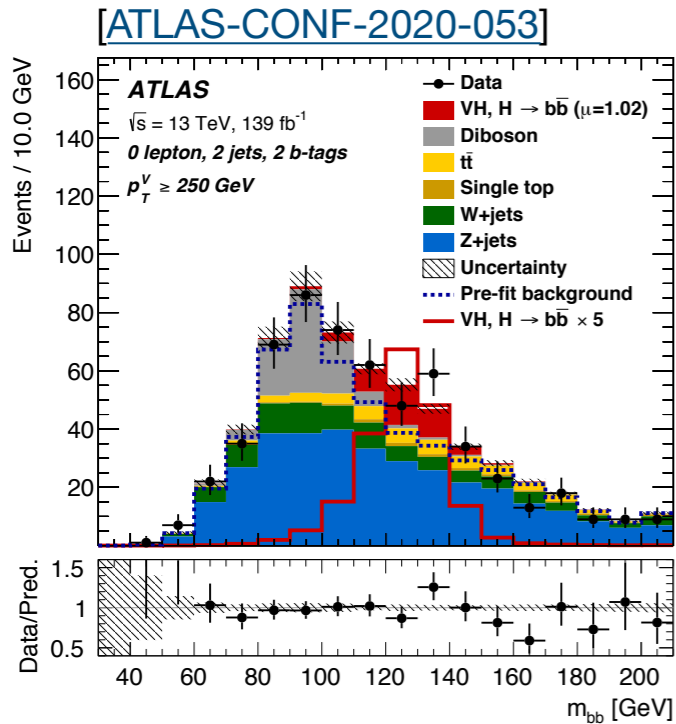


SMEFT constraints

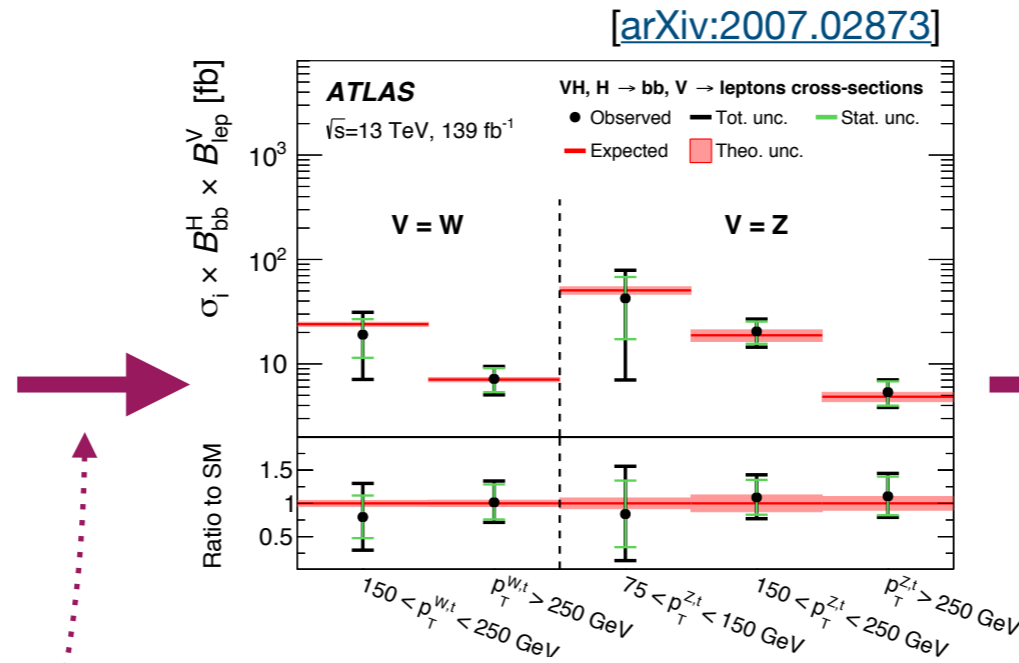
Note: all systematic uncertainties kept for EFT result!

From event distributions to SMEFT constraints

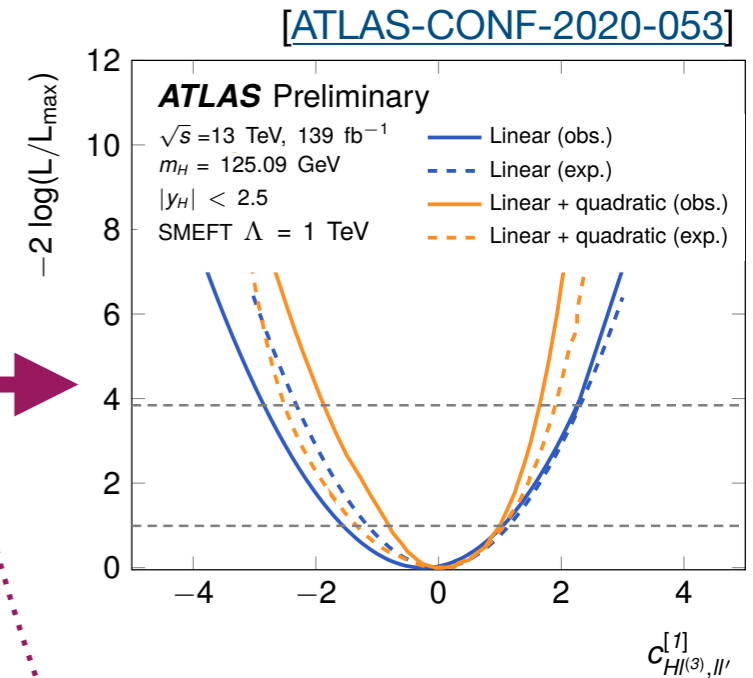
A typical trajectory of an ATLAS Higgs EFT result



Reconstructed distributions



Fiducial cross-sections (STXS), differential cross-sections, ...
 “Inputs for EFT interpretation”



SMEFT constraints

Unfolding of detector effects

Behaviour can be modified in SMEFT!
 (e.g. signal acceptance changes, see later)

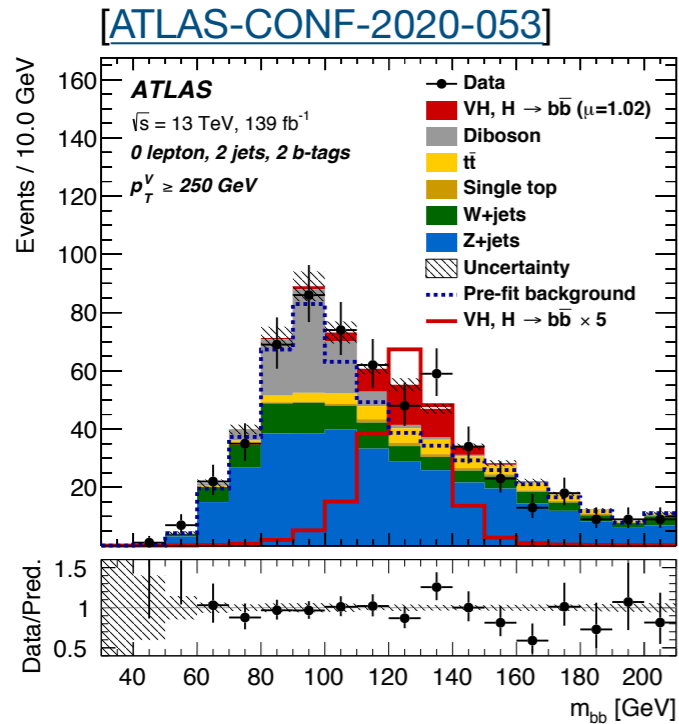
Parametrisation of SMEFT modifications

Generator-level simulation sufficient (detector effects already removed!)

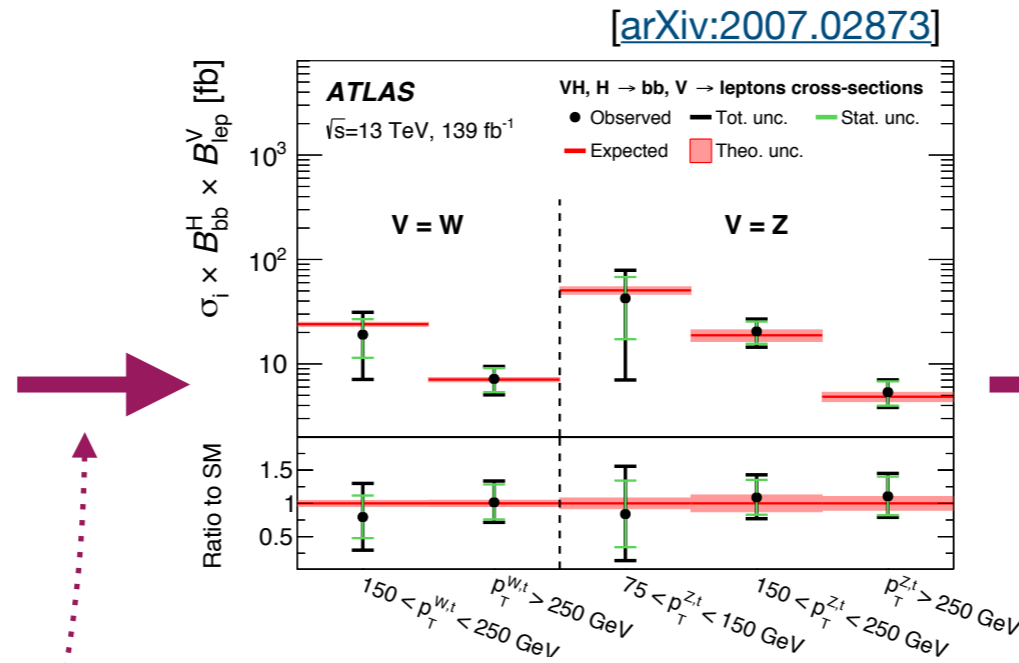
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From event distributions to SMEFT constraints

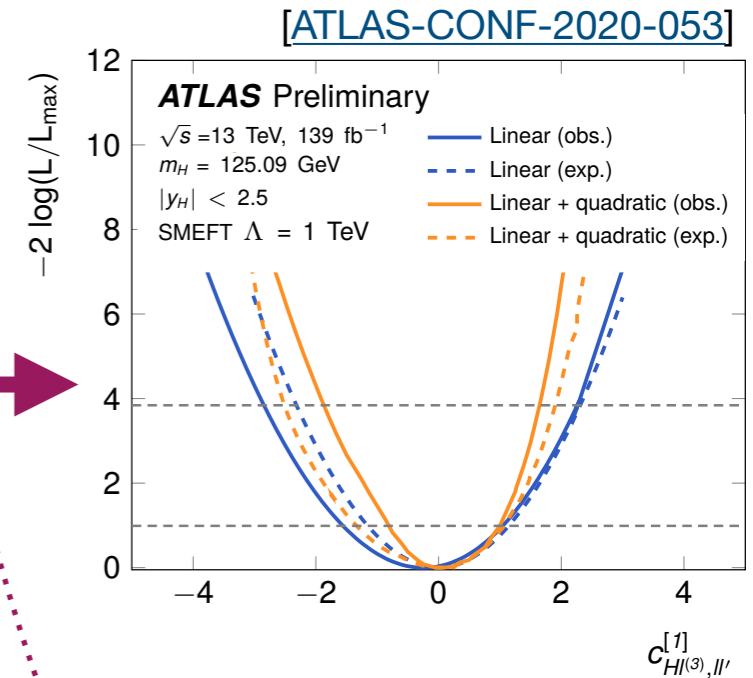
A typical trajectory of an ATLAS Higgs EFT result



Reconstructed distributions



Fiducial cross-sections (STXS), differential cross-sections, ...
“Inputs for EFT interpretation”



SMEFT constraints

Unfolding of detector effects

Behaviour can be modified in SMEFT!
(e.g. signal acceptance changes, see later)

Parametrisation of SMEFT modifications

Generator-level simulation sufficient
(detector effects already removed!)

Note: all systematic uncertainties kept for EFT result!

Simplified template cross-sections (STXS)

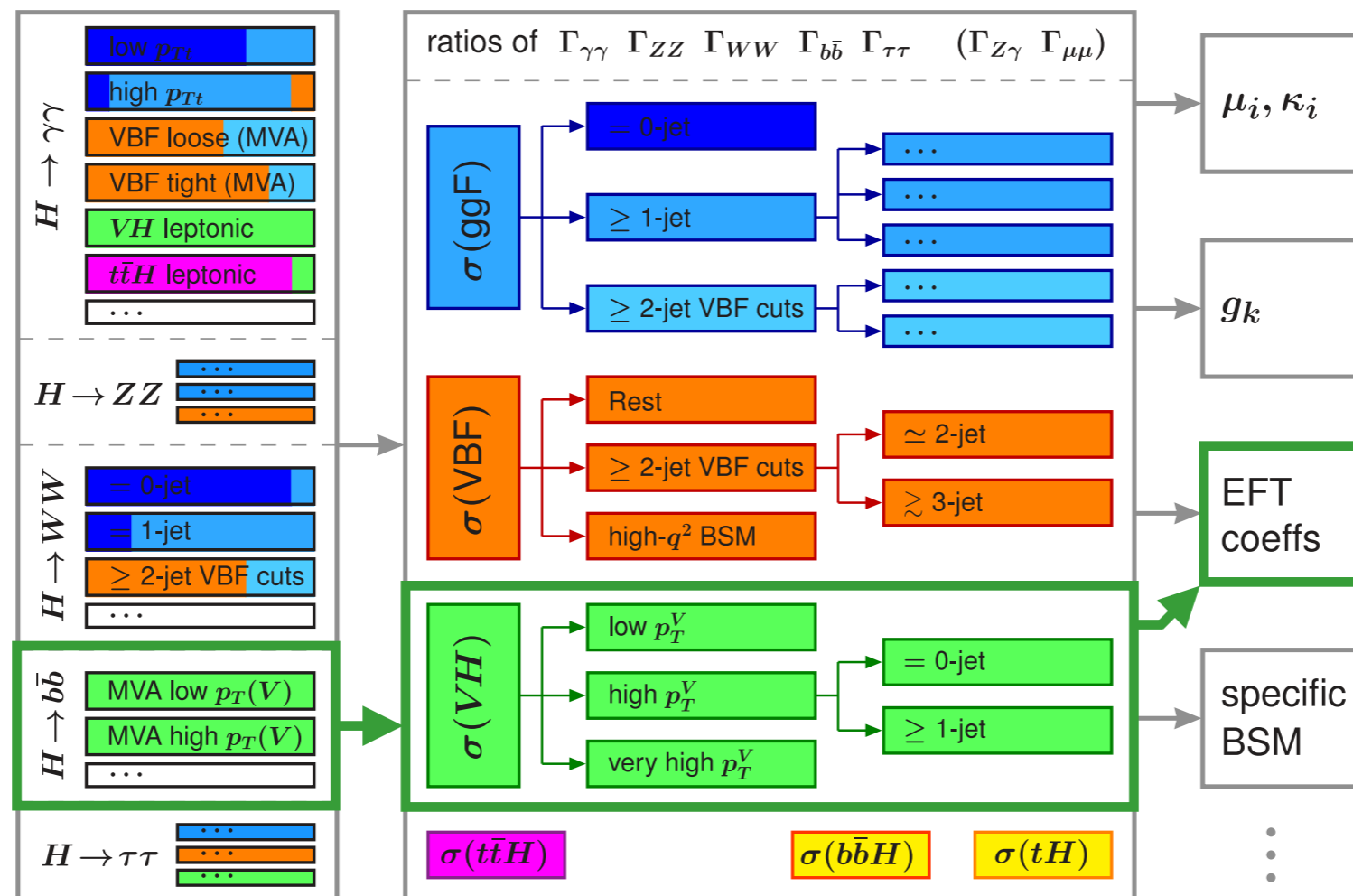
STXS = Higgs production cross-sections in well-defined fiducial volumes

Inclusive signal strength \longrightarrow STXS \longrightarrow Differential cross-section

Compromise between exp. **sensitivity** and **model-dependence**

Isolate regions with possible BSM effects (e.g. p_T^V)

Staged definition: more data \rightarrow more STXS bins



Original definition from [YR4](#), more granular bins in use now

The Standard Model EFT (SMEFT)

The Standard Model as an effective theory

Weinberg operator
(not relevant for Higgs physics)

Only partially enumerated,
odd dimensions violate
 B and / or L (not considered)

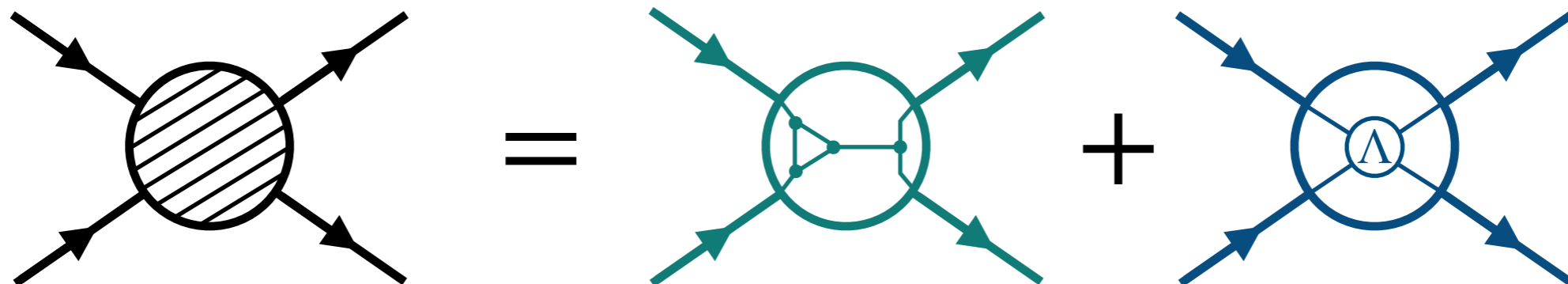
$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_i \frac{c_i^{(5)}}{\Lambda_i} \mathcal{O}_i^{(5)} + \sum_i \frac{c_i^{(6)}}{\Lambda_i^2} \mathcal{O}_i^{(6)} + \dots$$

Uniquely determined
by symmetry

2499 operators with $\Delta L = \Delta B = 0$
76 with global $U(3)^5$ flavour symmetry

3- and 4-point interactions

**Corrections to SM interactions +
new contact interactions**



Cross-sections in the SMEFT

e.g. σ^{STXS}

$$\sigma_{\text{SMEFT}} \sim \left[\text{SM} \right] + \left[\text{SM / dim-6 interference} \right] + \left[\text{dim-6 squared} \right]$$

SM
 SM / dim-6 interference
 “linear”: $(v/\Lambda)^2, (E/\Lambda)^2$
 dim-6 squared
 “quad.”: $(v/\Lambda)^4, (E/\Lambda)^4$

The diagram shows three terms in brackets, each with a Feynman diagram. The first term (SM) is enclosed in a green dotted box and shows a tree-level process with a wavy line. The second term (SM / dim-6 interference) is enclosed in a blue dotted box and shows the interference between the SM tree-level process and a loop diagram with a circled Λ scale. The third term (dim-6 squared) is enclosed in an orange dotted box and shows the square of the loop diagram with a circled Λ scale.

$$= \sigma_{\text{SM}} \times \left(1 + \alpha_i c_i^{(6)} + \beta_{ij} c_i^{(6)} c_j^{(6)} \right)$$

Multiplicative modification of SM cross-section

Observables (also decay rates) are polynomial in Wilson coefficients $c_i^{(6)}$

Parametrisation of SMEFT modifications

Observables are polynomial in Wilson coefficients $c_i^{(6)}$:

$$\frac{[\sigma \times \text{Br}(H \rightarrow \text{f. s.})]_{\text{SMEFT}}}{[\sigma \times \text{Br}(H \rightarrow \text{f. s.})]_{\text{SM}}} = \frac{\sigma_{\text{SMEFT}}}{\sigma_{\text{SM}}} \times \frac{\frac{\Gamma(H \rightarrow \text{f. s.})_{\text{SMEFT}}}{\Gamma(H \rightarrow \text{f. s.})_{\text{SM}}}}{\frac{\Gamma(H)_{\text{SMEFT}}}{\Gamma(H)_{\text{SM}}}}$$

$$\begin{aligned} & \xrightarrow{\quad} 1 + \alpha_i c_i^{(6)} + \beta_{ij} c_i^{(6)} c_j^{(6)} \\ & \xrightarrow{\quad} 1 + A_i^f c_i^{(6)} + B_{ij}^f c_i^{(6)} c_j^{(6)} \\ & \xrightarrow{\quad} 1 + A_i c_i^{(6)} + B_{ij} c_i^{(6)} c_j^{(6)} \end{aligned}$$

(Expanded further in powers of Λ^{-2})

Parametrisation of SMEFT modifications

Observables are polynomial in Wilson coefficients $c_i^{(6)}$:

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$\xrightarrow{\quad} 1 + \alpha_i c_i^{(6)} + \beta_{ij} c_i^{(6)} c_j^{(6)}$

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(Expanded further in powers of Λ^{-2})

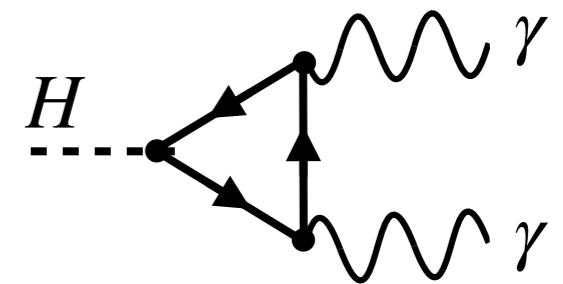
Coefficients for **linear** and **quadratic** contributions obtained from simulation:

MadGraph + SMEFT@NLO for loop-induced processes (e.g. $gg \rightarrow ZH$, $H \rightarrow gg$)

MadGraph + SMEFTsim for tree-level processes (LO)

Analytic results where available

(e.g. $H \rightarrow \gamma\gamma$ from [Phys. Rev. D 98, 095005](#))



Use Warsaw basis, $\{m_W, m_Z, G_F\}$ input scheme, $U(3)^5$ flavour symmetry, $\Lambda=1\text{TeV}$

Parametrisation of SMEFT modifications

Observables are polynomial in Wilson coefficients $c_i^{(6)}$:

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$$1 + \alpha_i c_i^{(6)} + \beta_{ij} c_i^{(6)} c_j^{(6)}$$

$$1 + A_i^f c_i^{(6)} + B_{ij}^f c_i^{(6)} c_j^{(6)}$$

$$1 + A_i c_i^{(6)} + B_{ij} c_i^{(6)} c_j^{(6)}$$

(Expanded further in powers of Λ^{-2})

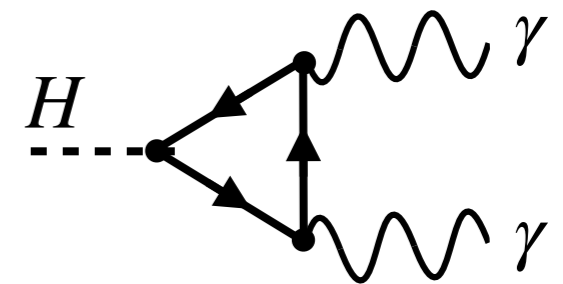
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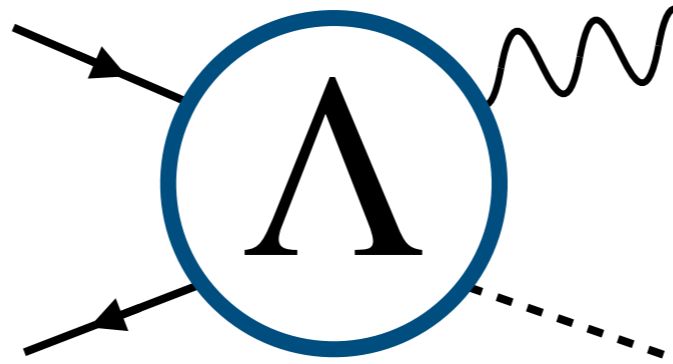
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Use Warsaw basis, $\{m_W, m_Z, G_F\}$ input scheme, $U(3)^5$ flavour symmetry, $\Lambda=1\text{TeV}$

Used to rescale the SM prediction (typically of different order)

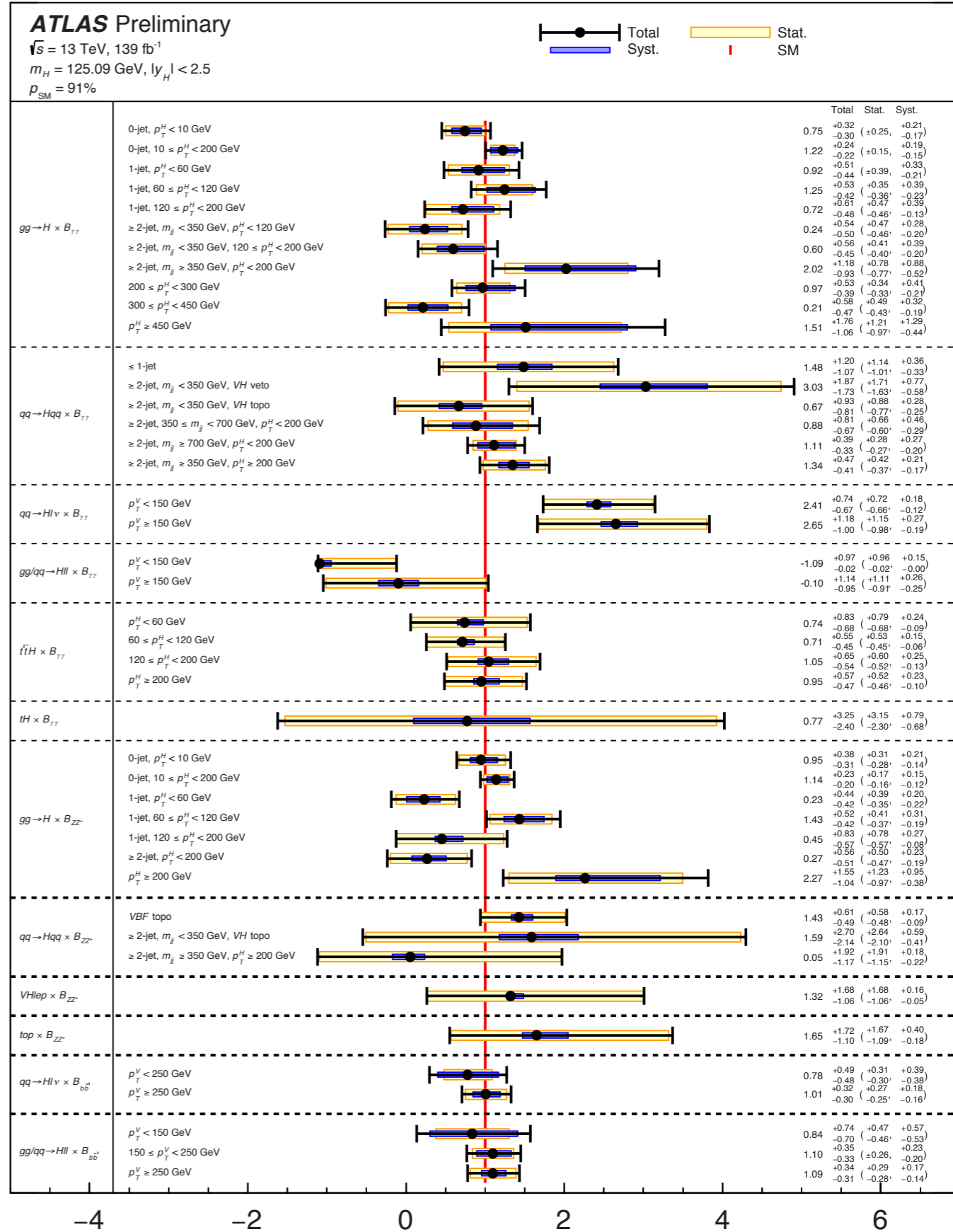
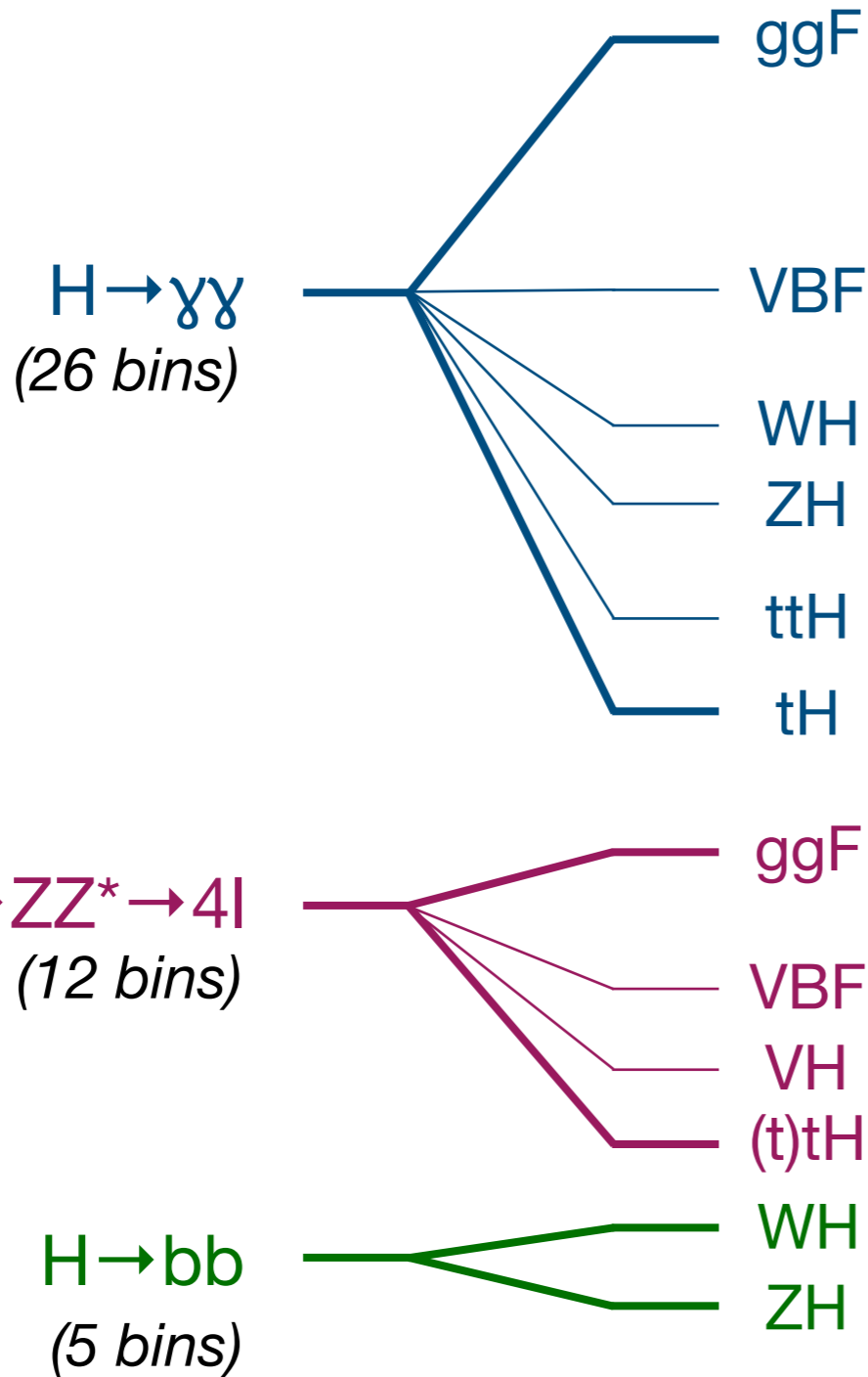


Higgs combination

[[ATLAS-CONF-2020-053](#)]

STXS measurement

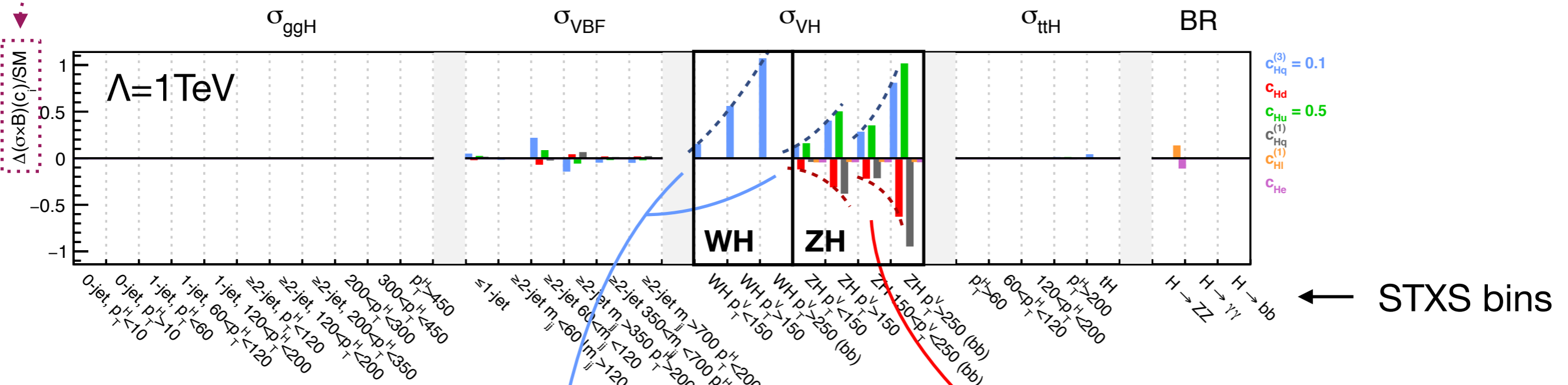
Simultaneous measurement of STXS bins for $H \rightarrow \gamma\gamma$, $H \rightarrow ZZ^* \rightarrow 4l$ and VH , $H \rightarrow bb$ (all with 139fb^{-1})



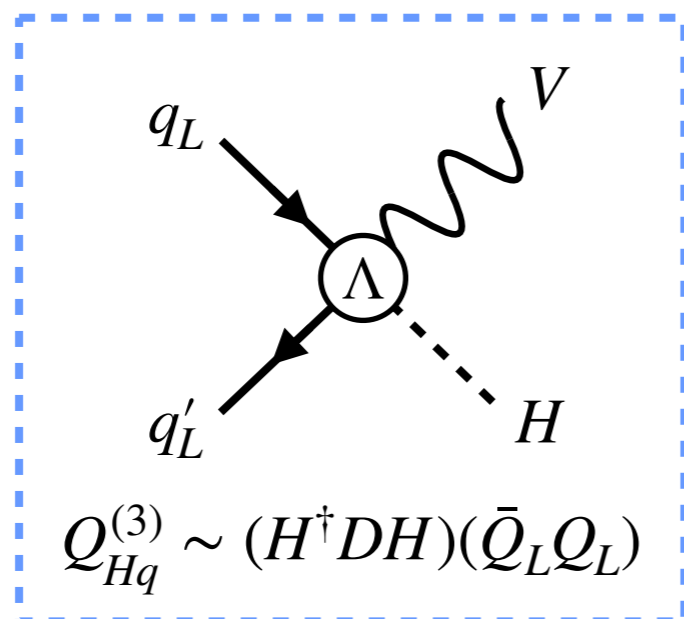
SMEFT modifications to $\sigma \times \text{Br}$

Higher impact for processes at higher scales ($\sim p_T^V$)

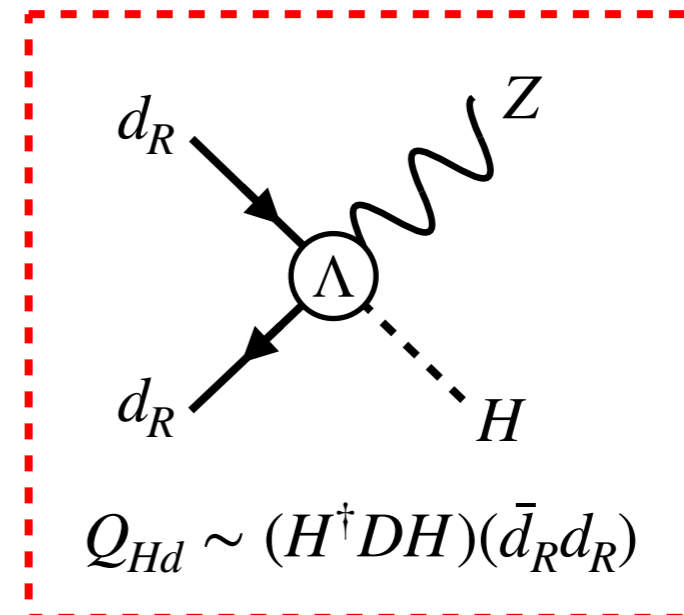
Rel. modification of $\sigma \times \text{Br}$ (uses linear terms only)



Modifies both
WH & ZH



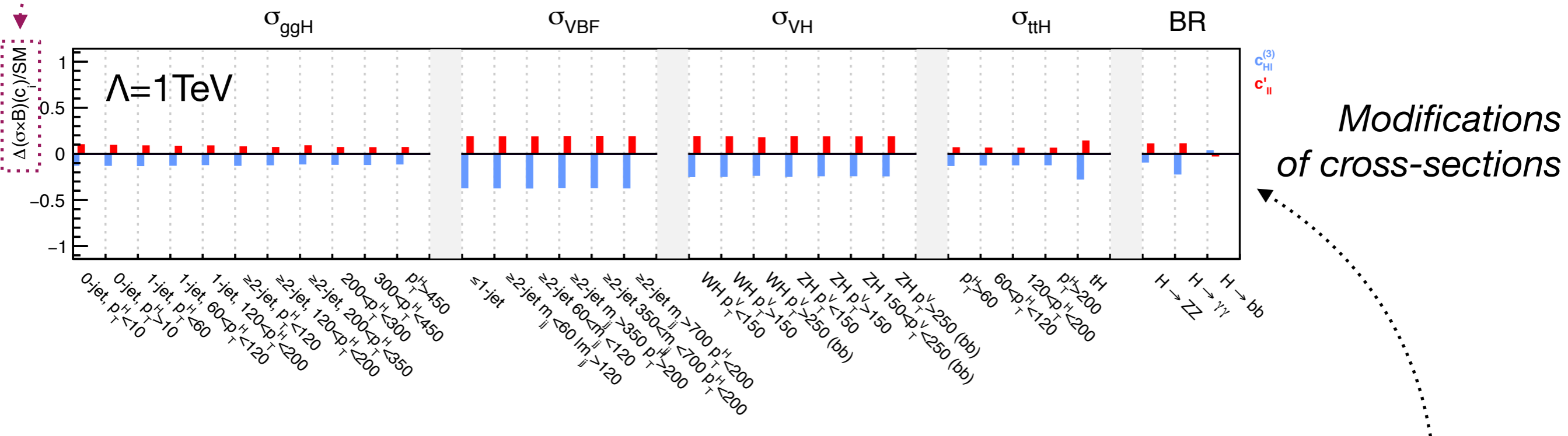
Modifies only ZH



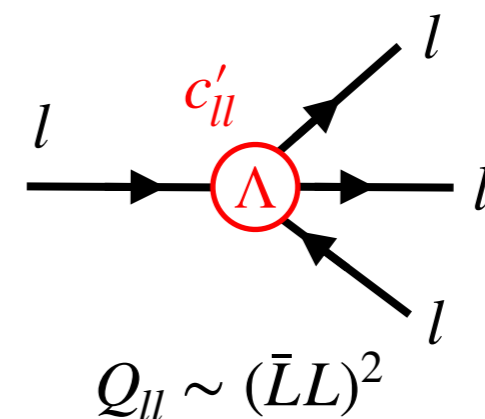
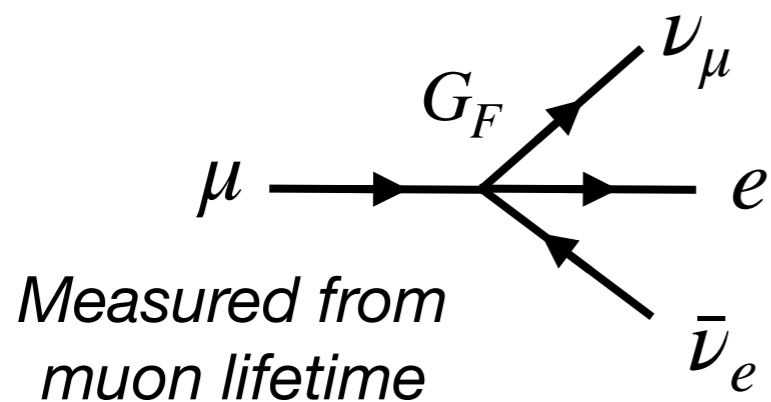
SMEFT modifications to $\sigma \times \text{Br}$

Modifications to Higgs vev and g_{EW}

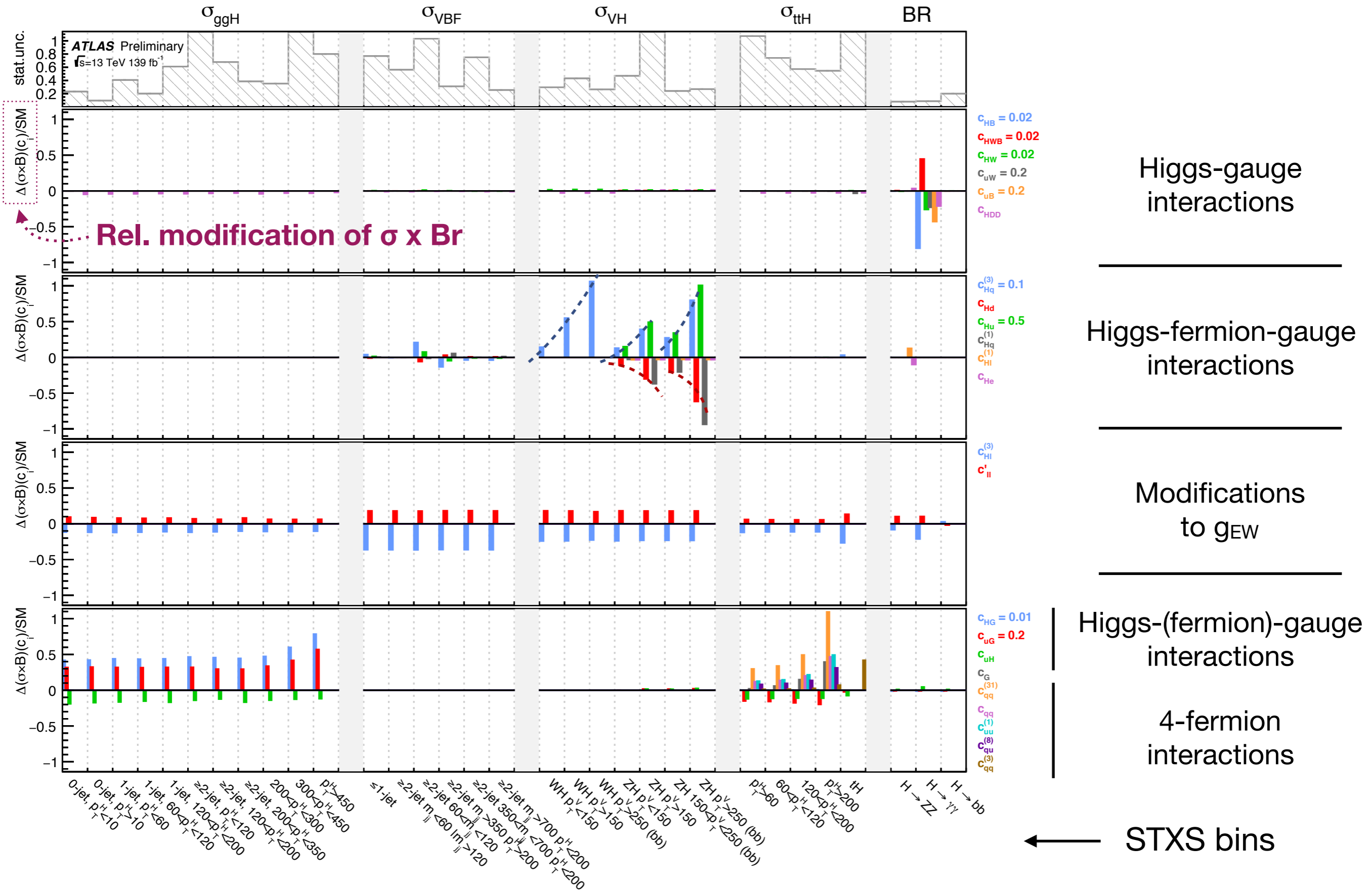
Rel. modification of $\sigma \times \text{Br}$ (uses linear terms only)



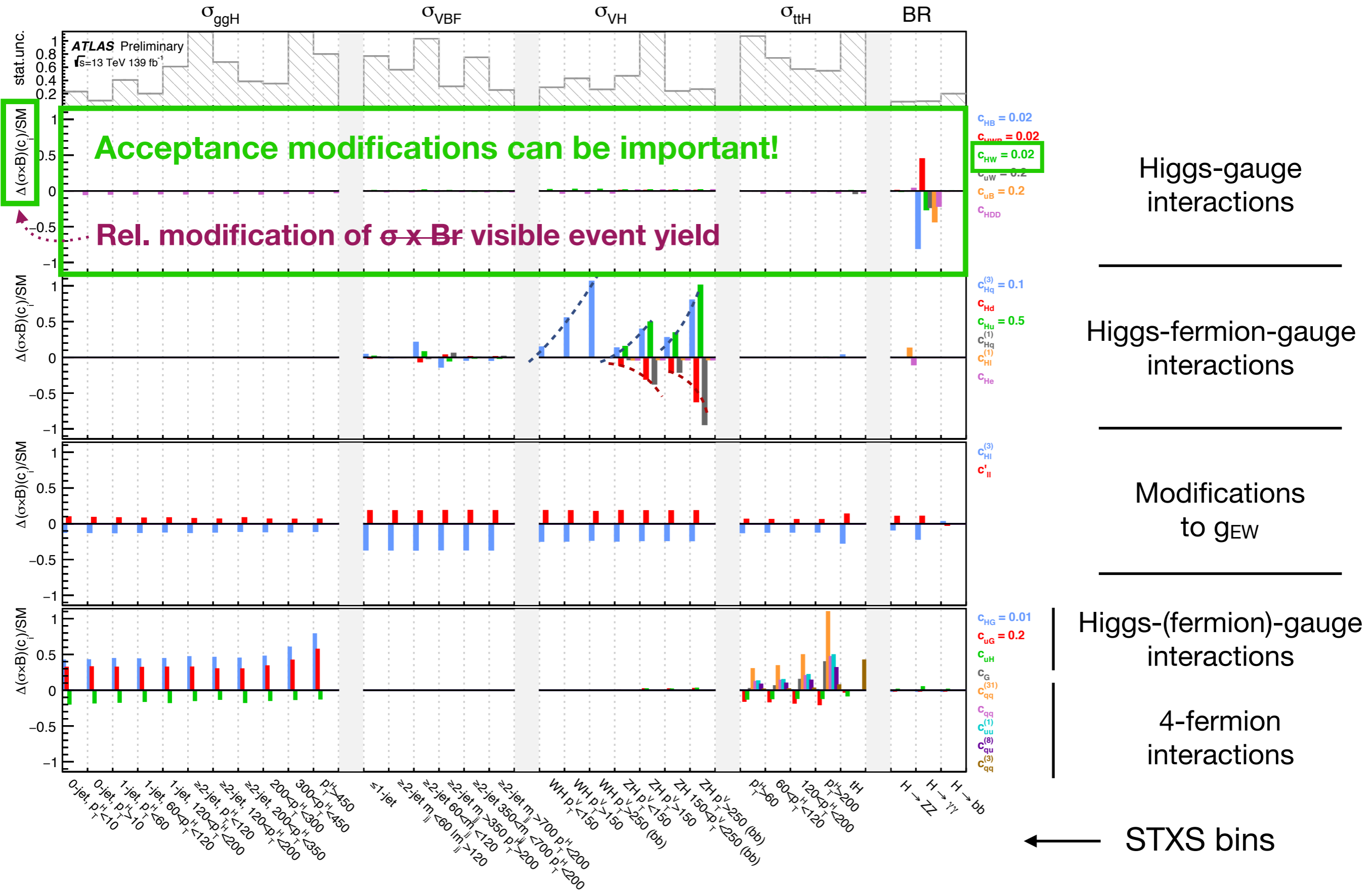
SMEFT: relation between Fermi constant and g_{EW} depends on $c_{HI}^{(3)}$ and c_{II}'



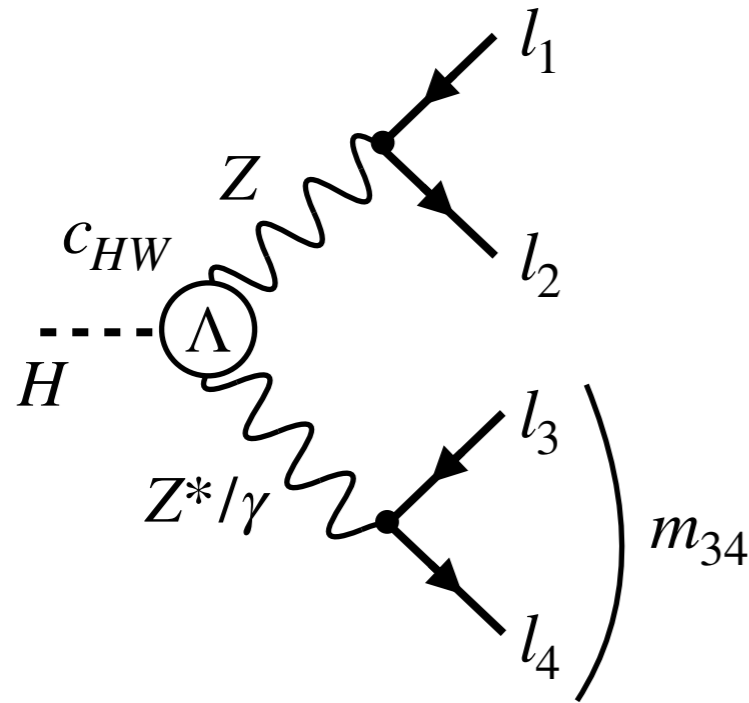
All operators at a glance



All operators at a glance



Acceptance modifications in $H \rightarrow ZZ^* \rightarrow 4l$

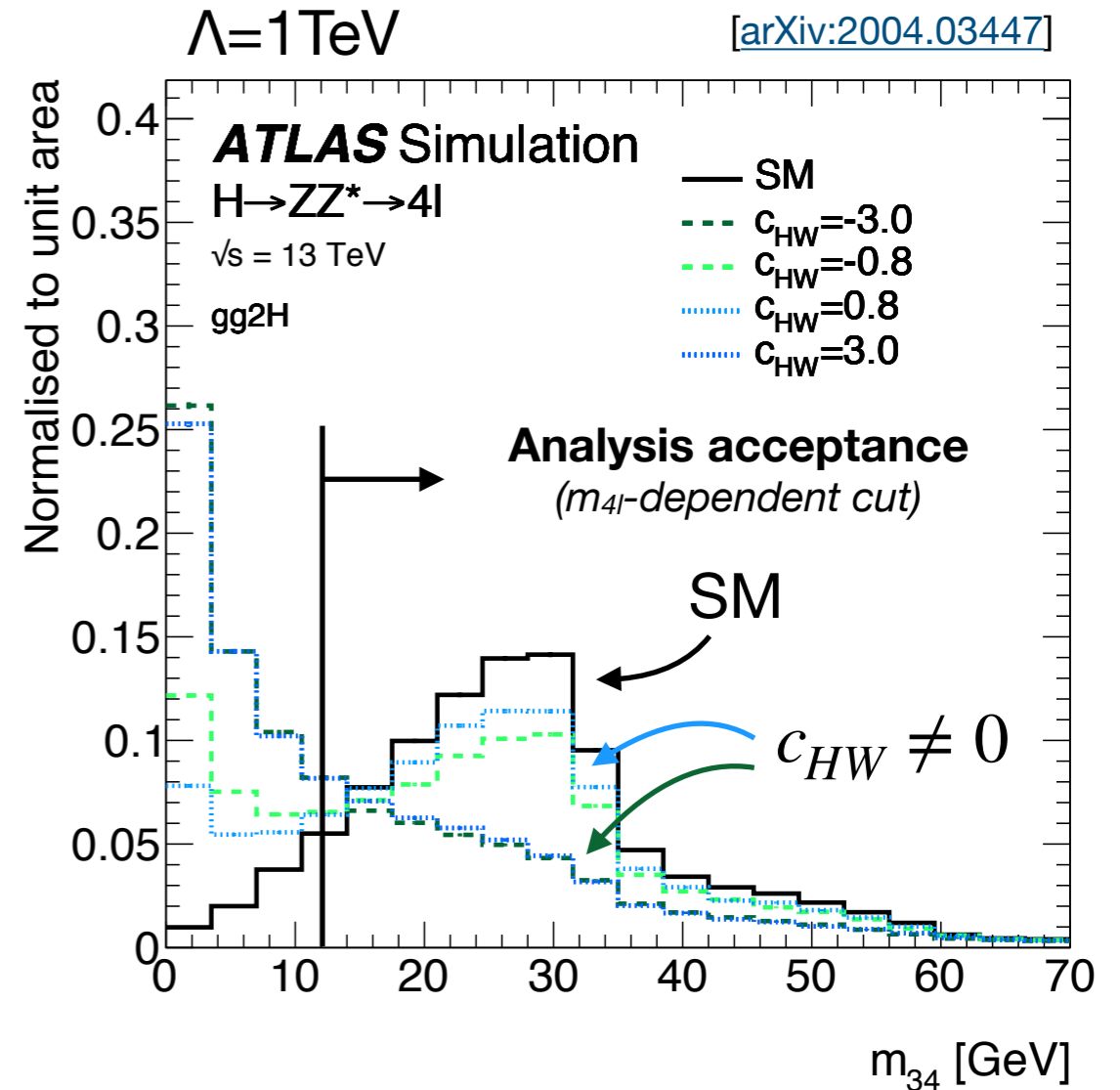


$H \rightarrow 4l$ analysis applies cut on inv. mass of off-shell Z (m_{34})

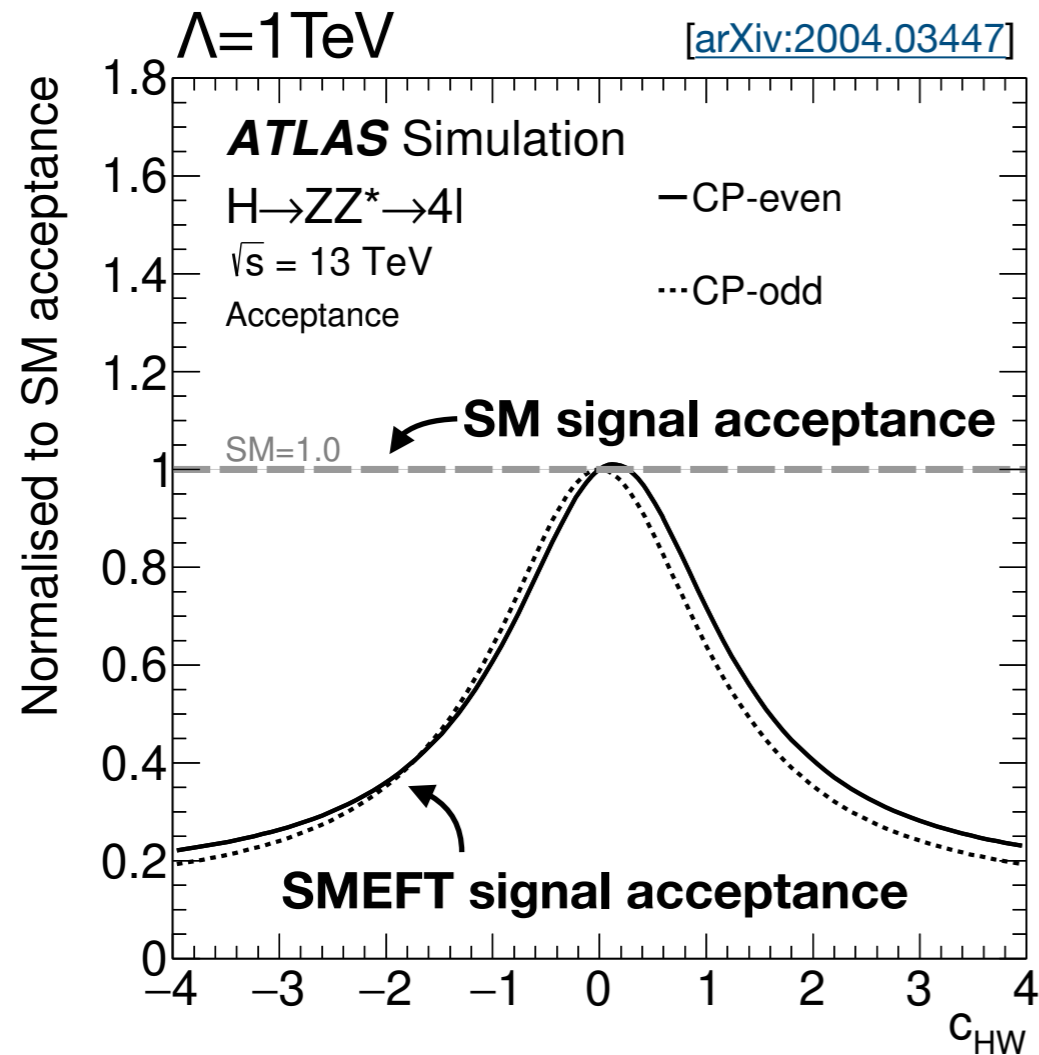
m_{34} -distribution can change significantly in SMEFT (e.g. caused by c_{HW})



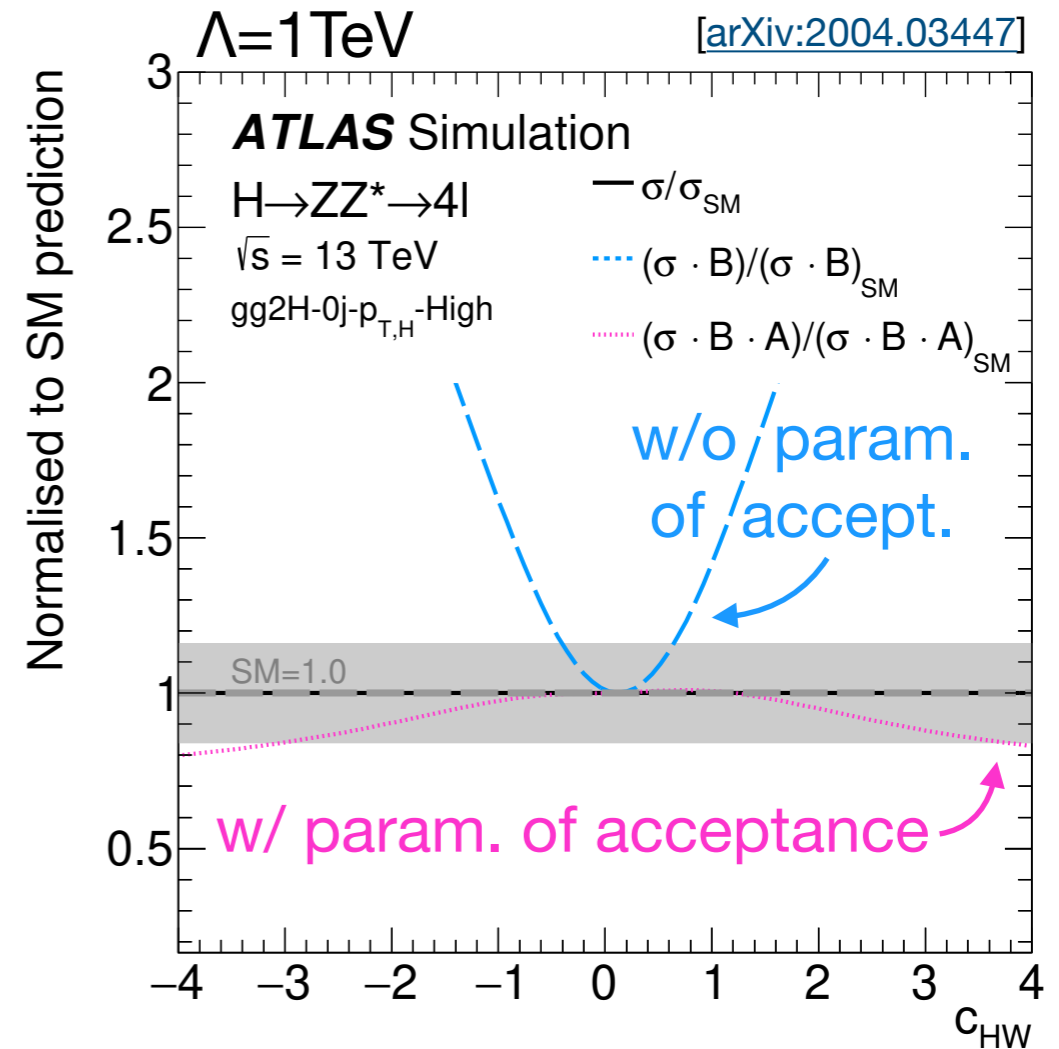
Analysis signal acceptance drops!



Acceptance modifications in $H \rightarrow ZZ^* \rightarrow 4l$



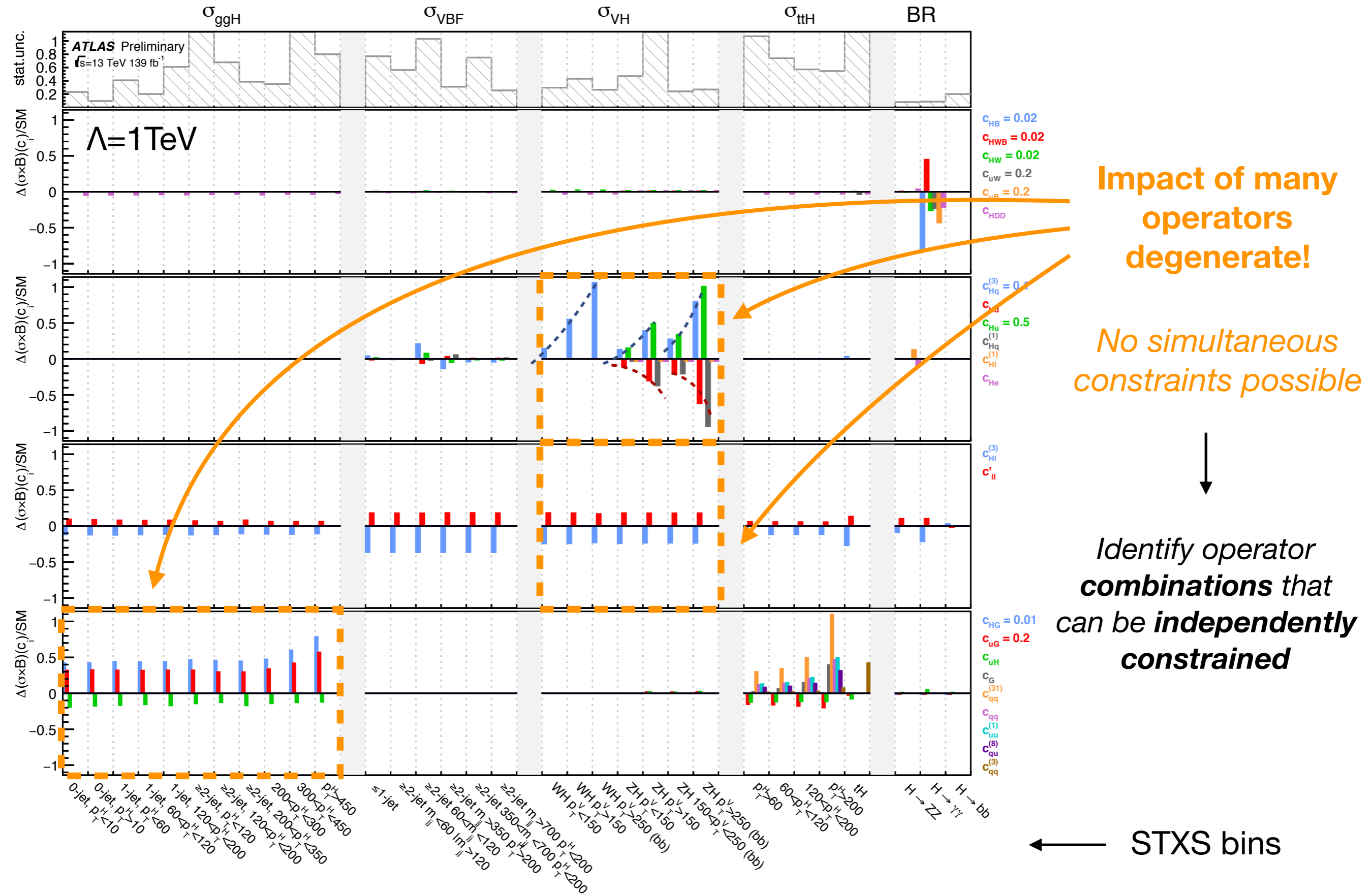
Analysis signal acceptance drops!



Parametrisation of $\sigma \times Br$
 Acceptance modification totally changes trend!

SMEFT-modifications to analysis acceptance significant!

All operators at a glance



Principal components

Group together operators with similar effects (on the available data) ...

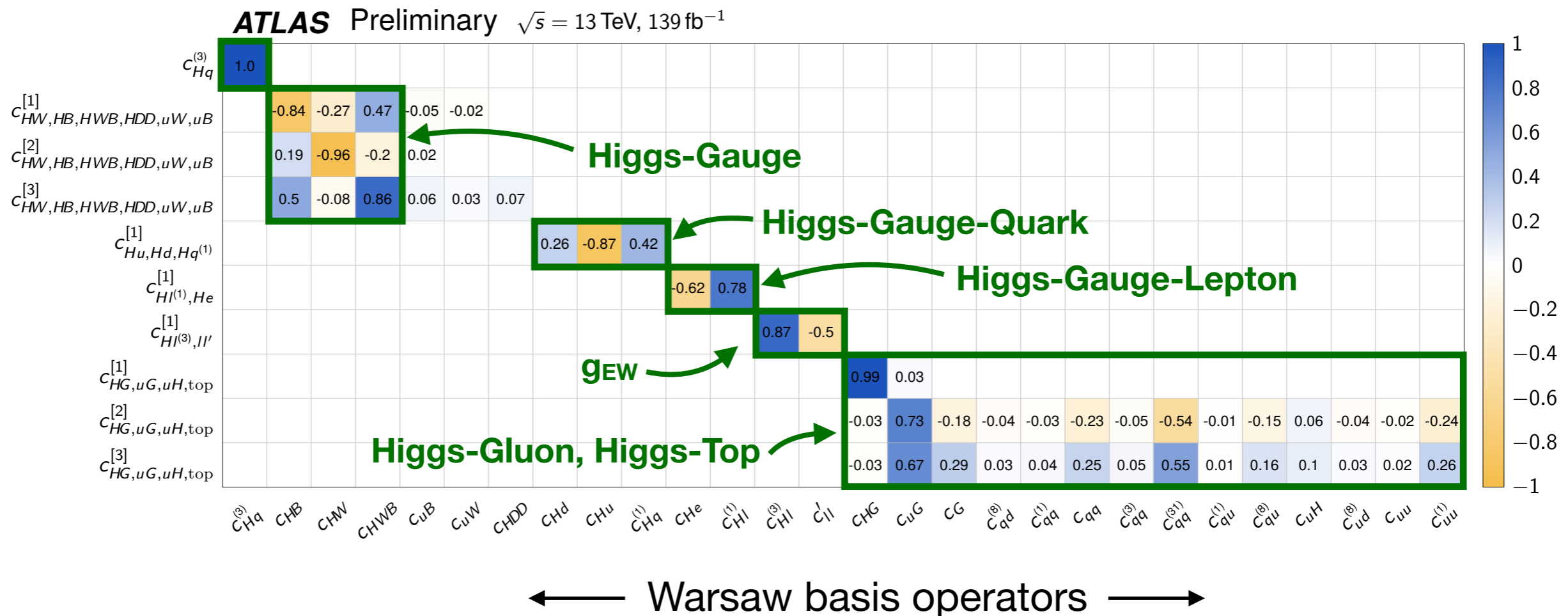
... drop combinations that cannot be well constrained (on the available data) ...

... and keep the rest

“Principal component analysis”

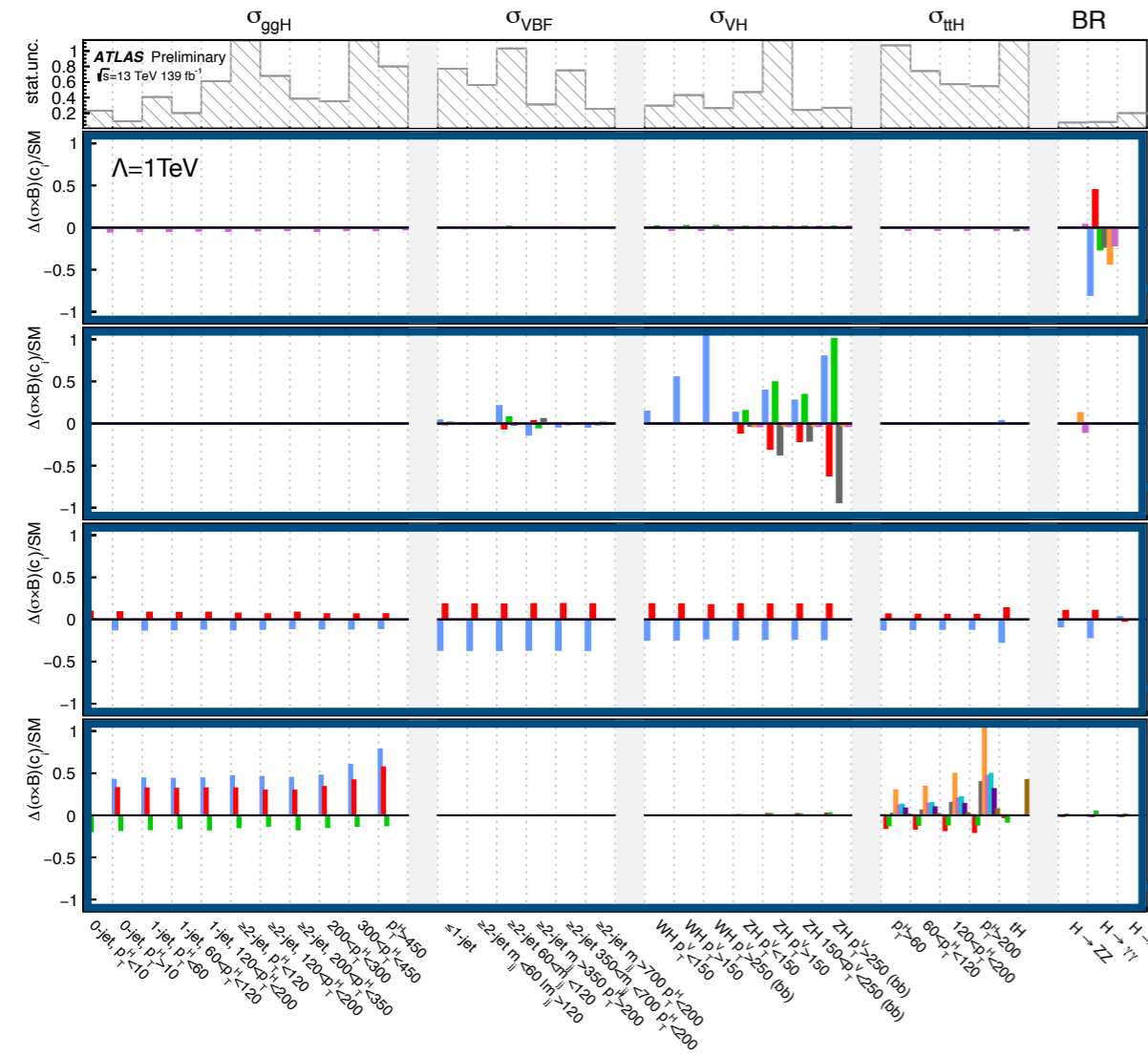
Can “simultaneously” constrain 10 operator combinations
(with manageable correlations)

Operator combinations

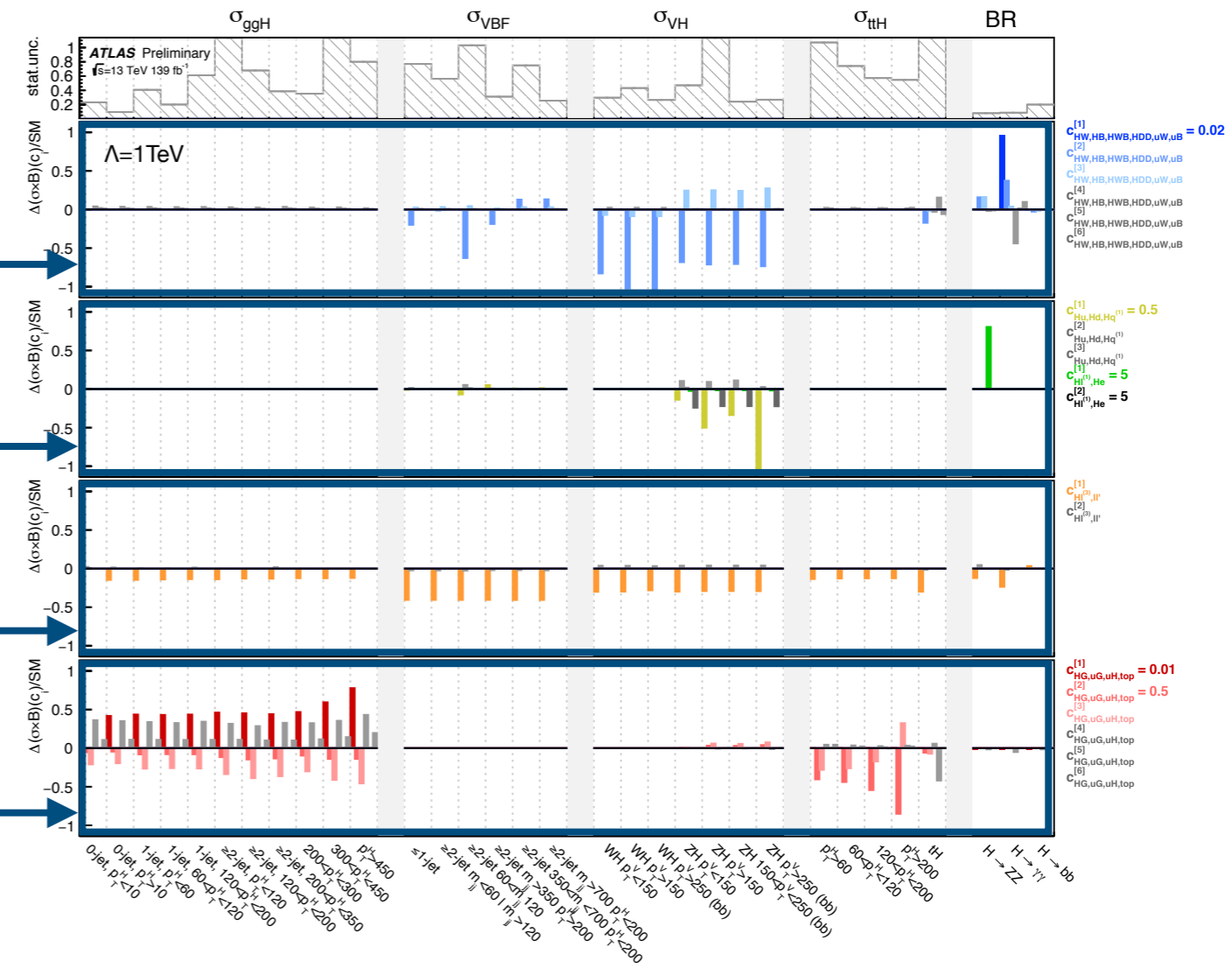


Principal components

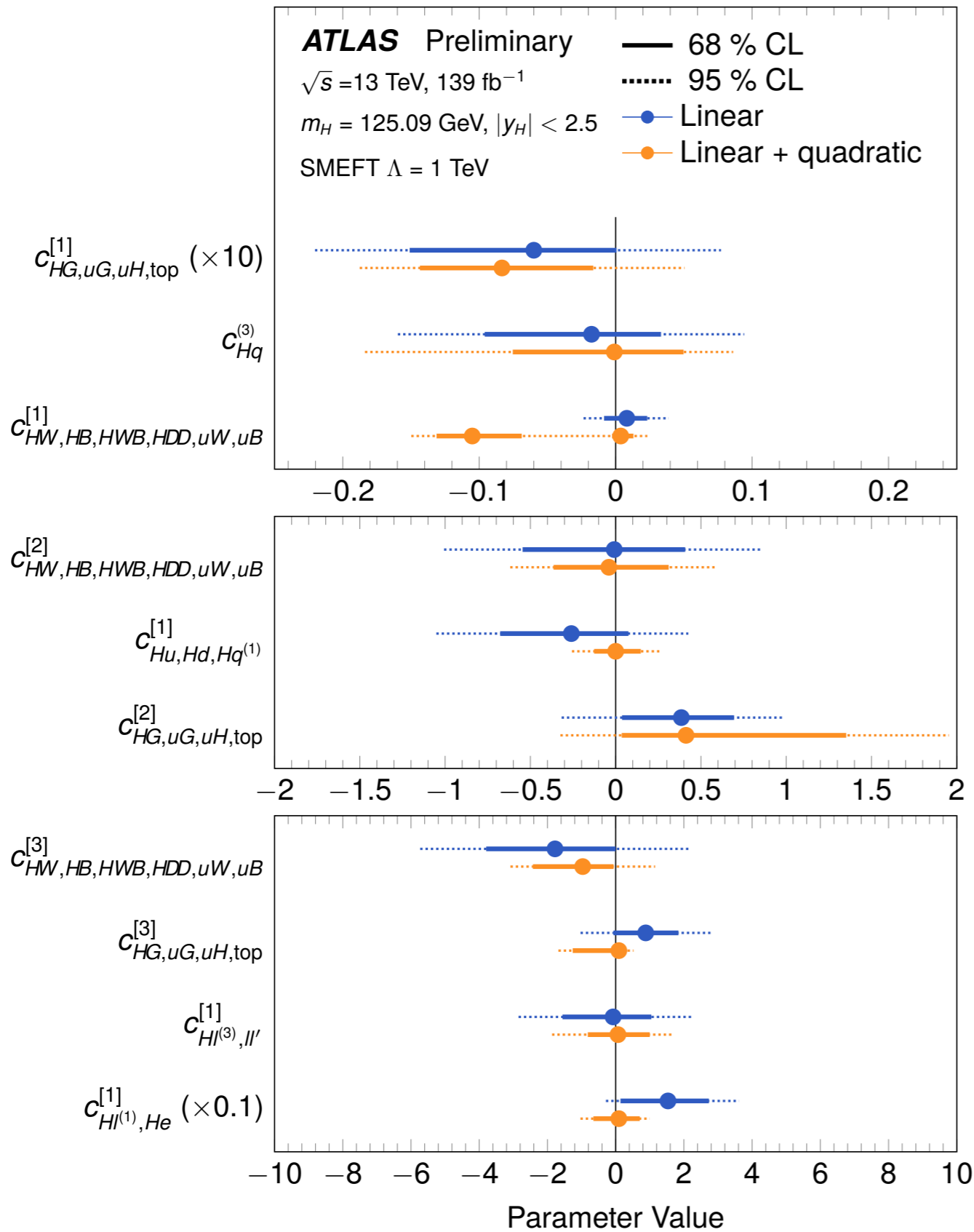
Warsaw basis



Principal components



One-dimensional limits



1d-limits on Wilson coefficients
 from **simultaneous fit** to
10 operator combinations

Limits on Wilson coefficients
 range from $\mathcal{O}(0.1)$ to $\mathcal{O}(5)$

*scales
 probed*

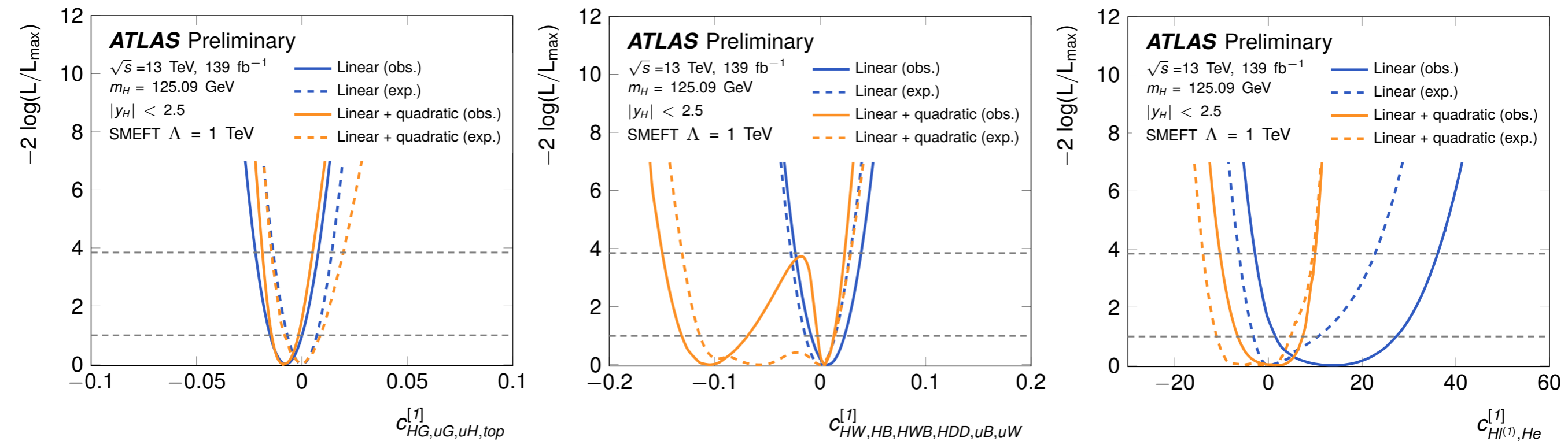
$$\frac{\Lambda}{\sqrt{c_i}} = 3 \text{ TeV}$$

$$\frac{\Lambda}{\sqrt{c_i}} = 0.45 \text{ TeV}$$

Impact of parametrisation

Compare 1d-limits for **linear** and **linear + quadratic** parametrisations

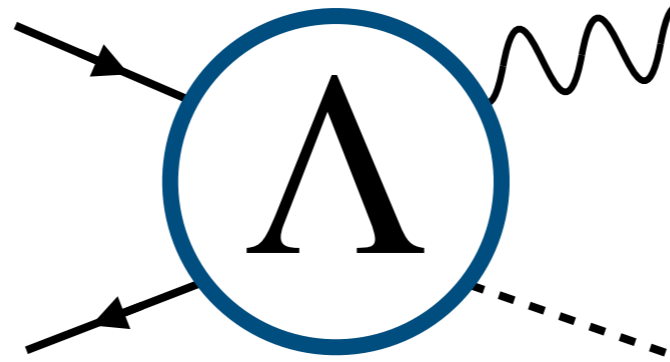
(all other Wilson coefficients profiled)



Limits generally in good agreement ...

... but significant differences for few operator combinations

... indicative of sensitivity to Λ^{-4} effects (“theory uncertainty”)



Higgs + diboson combination

[ATL-PHYS-PUB-2021-010]

Higgs + diboson combination

Combined measurement of $H \rightarrow WW^* \rightarrow e\nu\mu\nu$ (ggH and VBF) and $pp \rightarrow WW \rightarrow e\nu\mu\nu$, based on existing analyses (36 fb⁻¹)

Challenging combination:

Orthogonal signal (region) definition ($m_{e\mu} \gtrsim 55$ GeV)
(CRs originally overlapping; made orthogonal)

WW as background of $H \rightarrow WW^*$

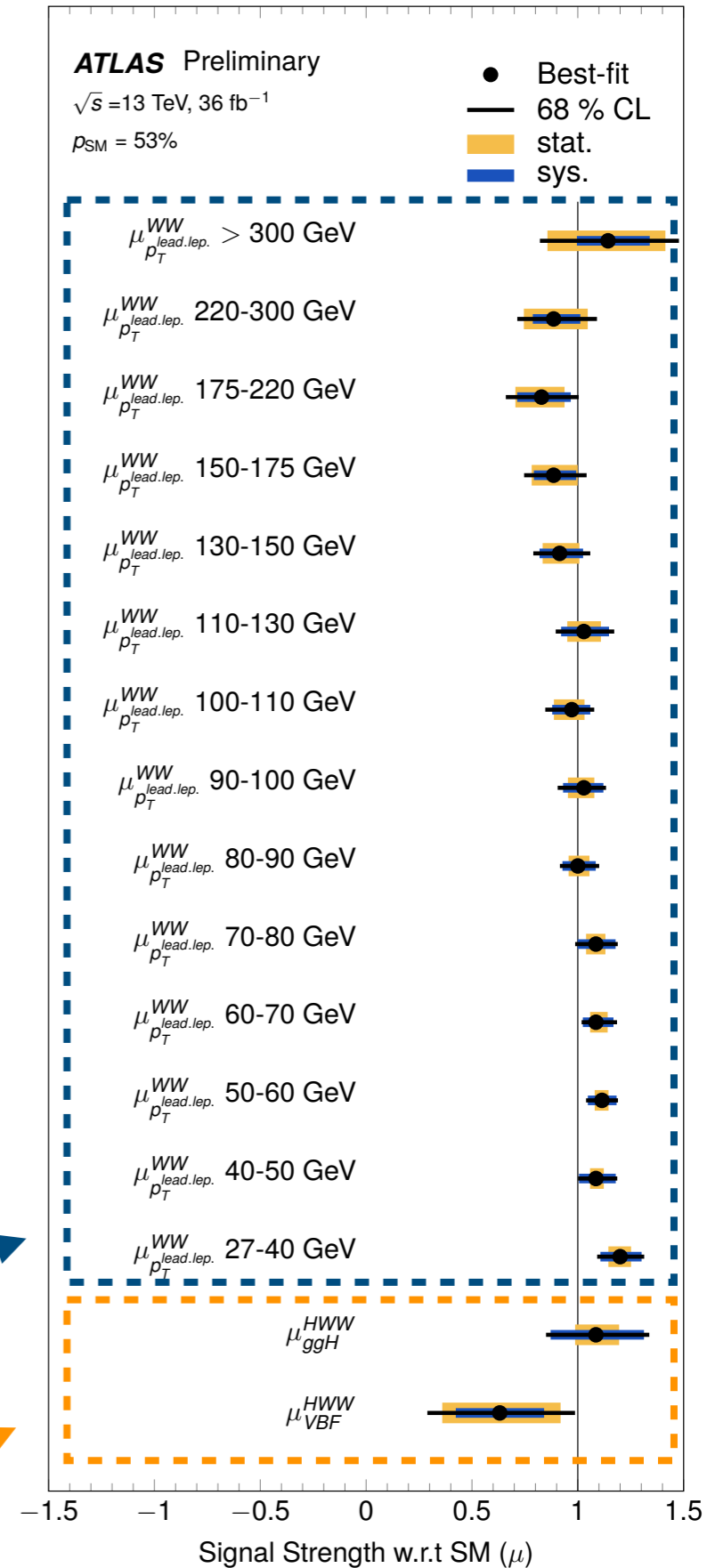
Acceptance modifications
O(10%) for \mathcal{O}_{HW}

... paving the way for future global fits

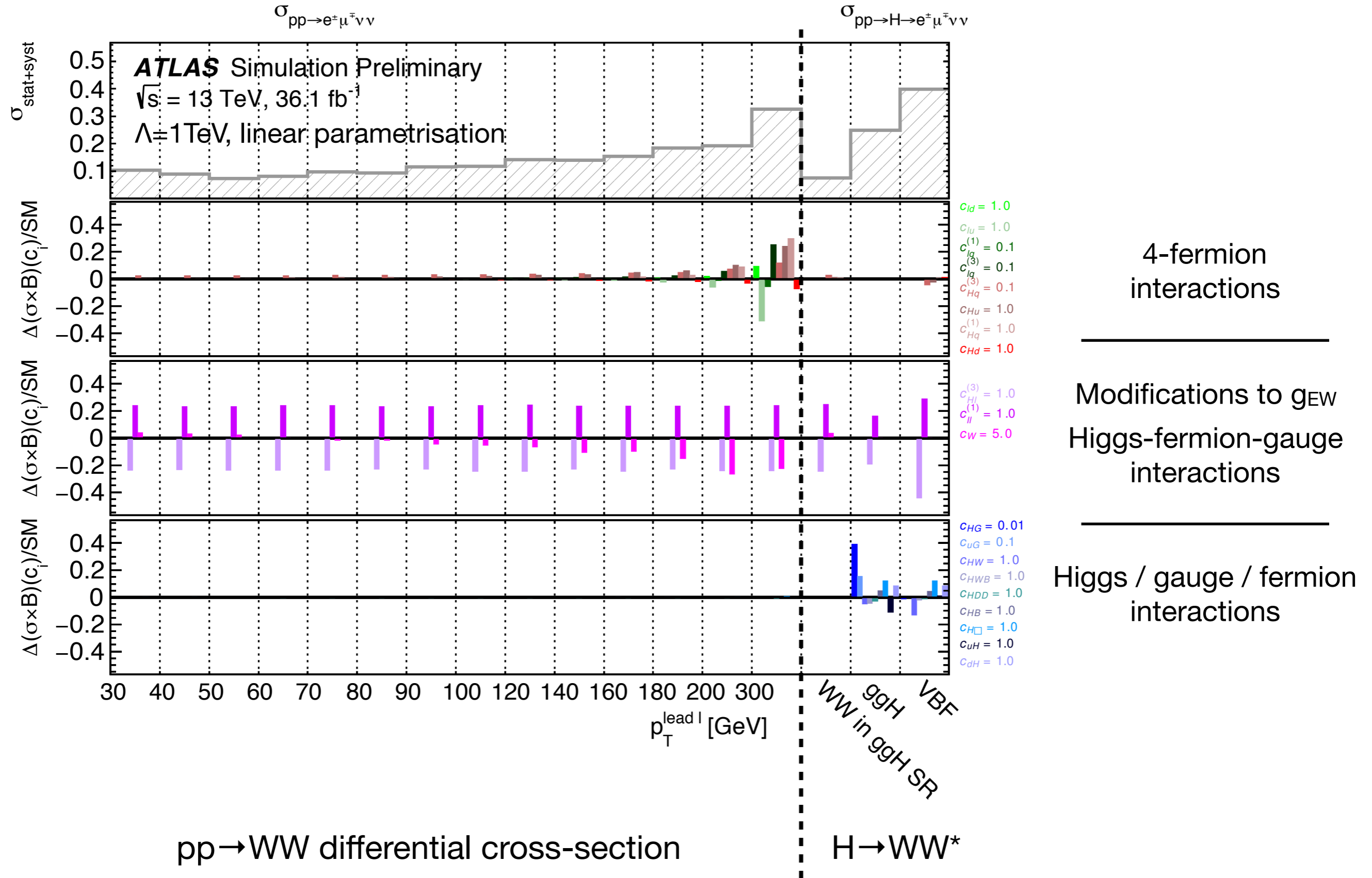
Inputs to SMEFT interpretation:

pp → WW: differential cross-section
w.r.t. p_T of leading lepton $\frac{d\sigma}{dp_T^{\text{lead. lep.}}}$

$H \rightarrow WW^*$: inclusive ggH and VBF signal strengths



All operators at a glance



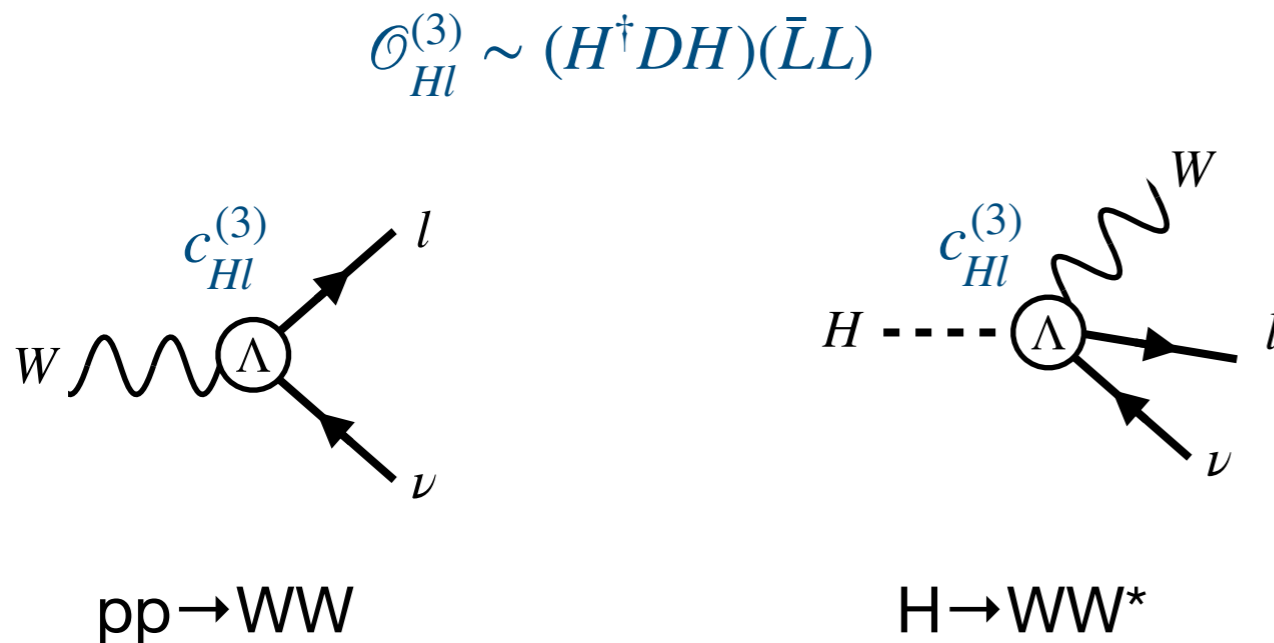
One-dimensional limits

1d-limits on Wilson coefficients of individual Warsaw-basis operators

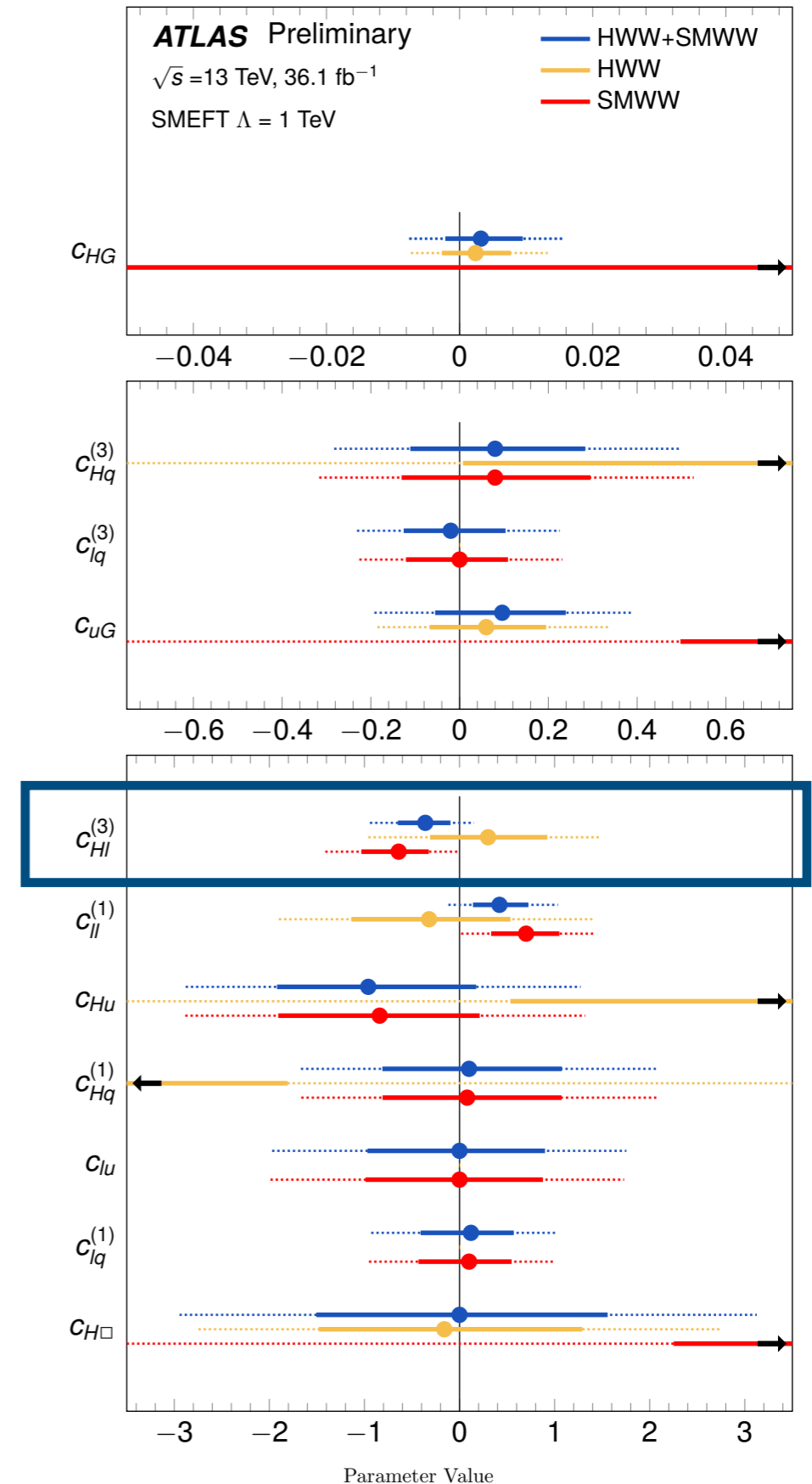
Only linear parametrisation considered

(principal components listed in backup)

Exploit complementarity of different measurements



SMEFT is a global scheme!



Summary and outlook

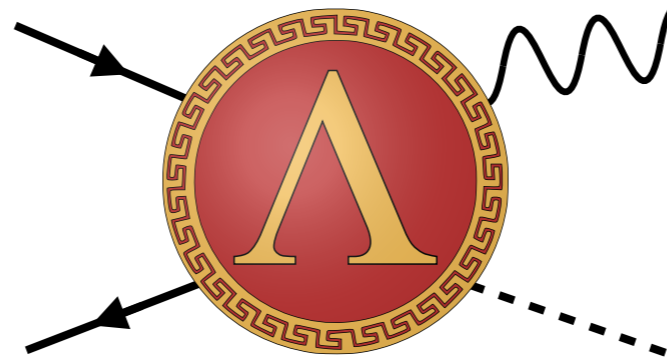
EFT interpretations of Higgs measurements at ATLAS advancing rapidly!

Starting from **existing measurements of STXS**
or **differential cross-sections**

Modifications to analysis acceptance included where relevant
“An analysis is not a black box!”

Moving towards **larger-scale combinations** (ATLAS global EFT fit)
with the **full dataset**
“SMEFT is a global scheme!”

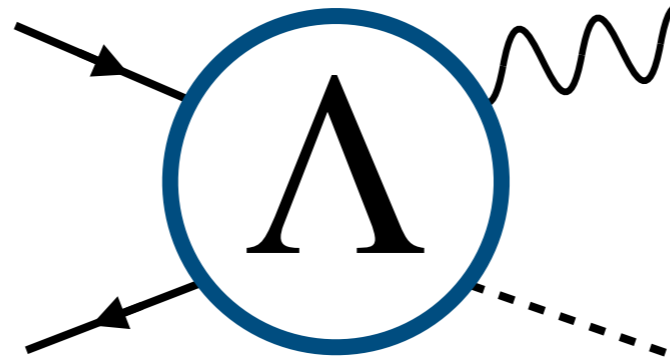
Stay tuned for more results!



Backup

*The letter lambda was used by the Spartan army
as a symbol of Lacedaemon (900s–192 BC).*

<https://en.wikipedia.org/wiki/Sparta>



Higgs combination

[[ATLAS-CONF-2020-053](#)]

Observables in the SMEFT

Cross-sections:

$$\begin{aligned}
 \sigma_{\text{SMEFT}} \sim & \underbrace{\left| \text{SM diagram} \right|^2}_{\text{SM}} + \underbrace{2 \frac{c}{\Lambda^2} \text{Re} \left(\text{SM diagram} \times \text{dim-6 interference} \right)}_{\text{SM / dim-6 interference "linear", } (E/\Lambda)^2} + \underbrace{\frac{c^2}{\Lambda^4} \left| \text{dim-6 squared} \right|^2}_{\text{dim-6 squared "quadratic", } (E/\Lambda)^4} \\
 = & \sigma_{\text{SM}} \times \left(1 + \alpha_i c_i^{(6)} + \beta_{ij} c_i^{(6)} c_j^{(6)} \right)
 \end{aligned}$$

Multiplicative modification of SM cross-section

Partial decay widths:

$$\frac{\Gamma(H \rightarrow f)_{\text{SMEFT}}}{\Gamma(H \rightarrow f)_{\text{SM}}} = 1 + A_i^f c_i^{(6)} + B_{ij}^f c_i^{(6)} c_j^{(6)}$$

Total decay widths:

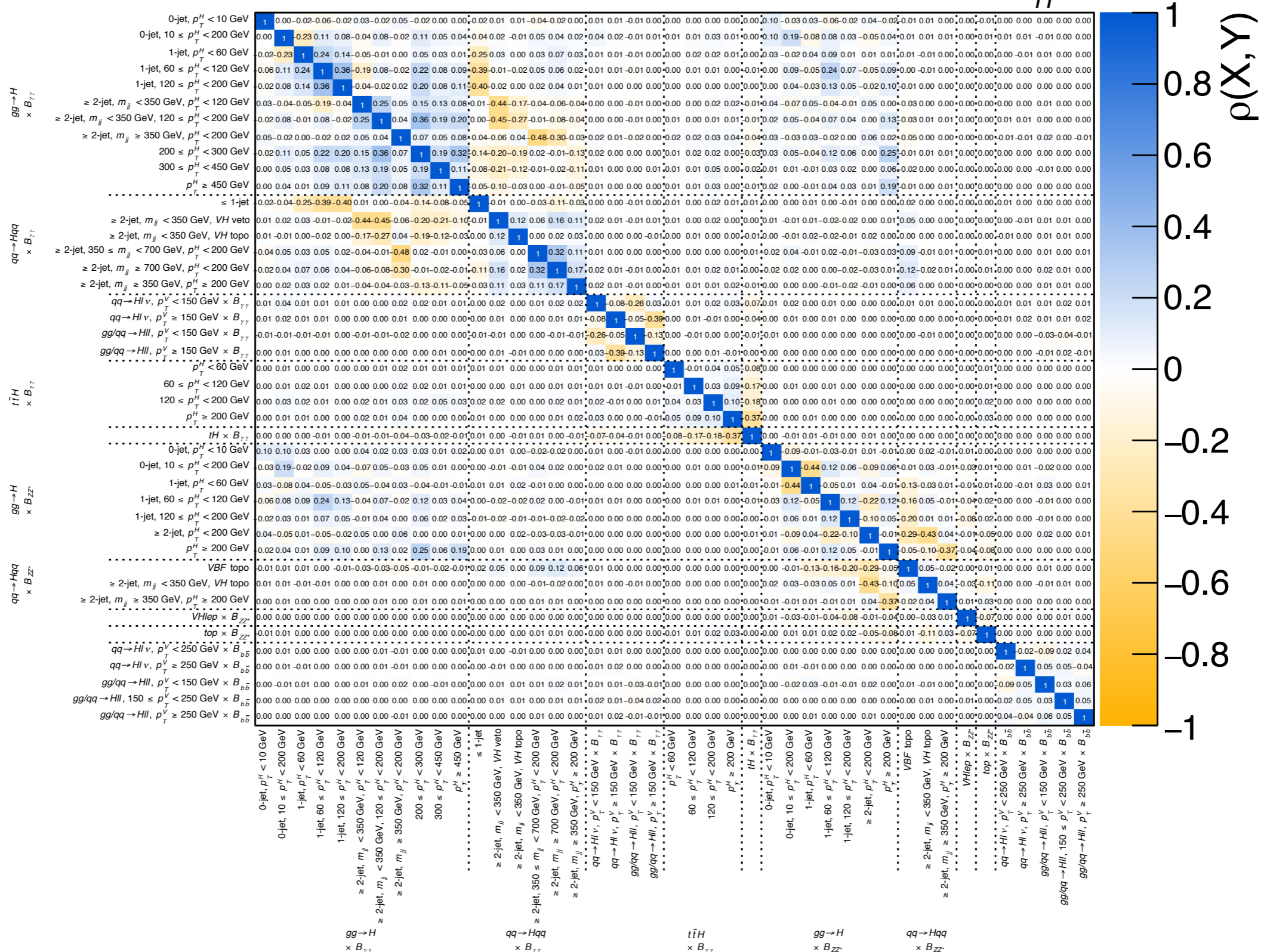
$$\frac{\Gamma(H)_{\text{SMEFT}}}{\Gamma(H)_{\text{SM}}} = 1 + A_i c_i^{(6)} + B_{ij} c_i^{(6)} c_j^{(6)}$$

Observables are polynomial in Wilson coefficients C_i

Correlations of combined STXS measurement

ATLAS Preliminary

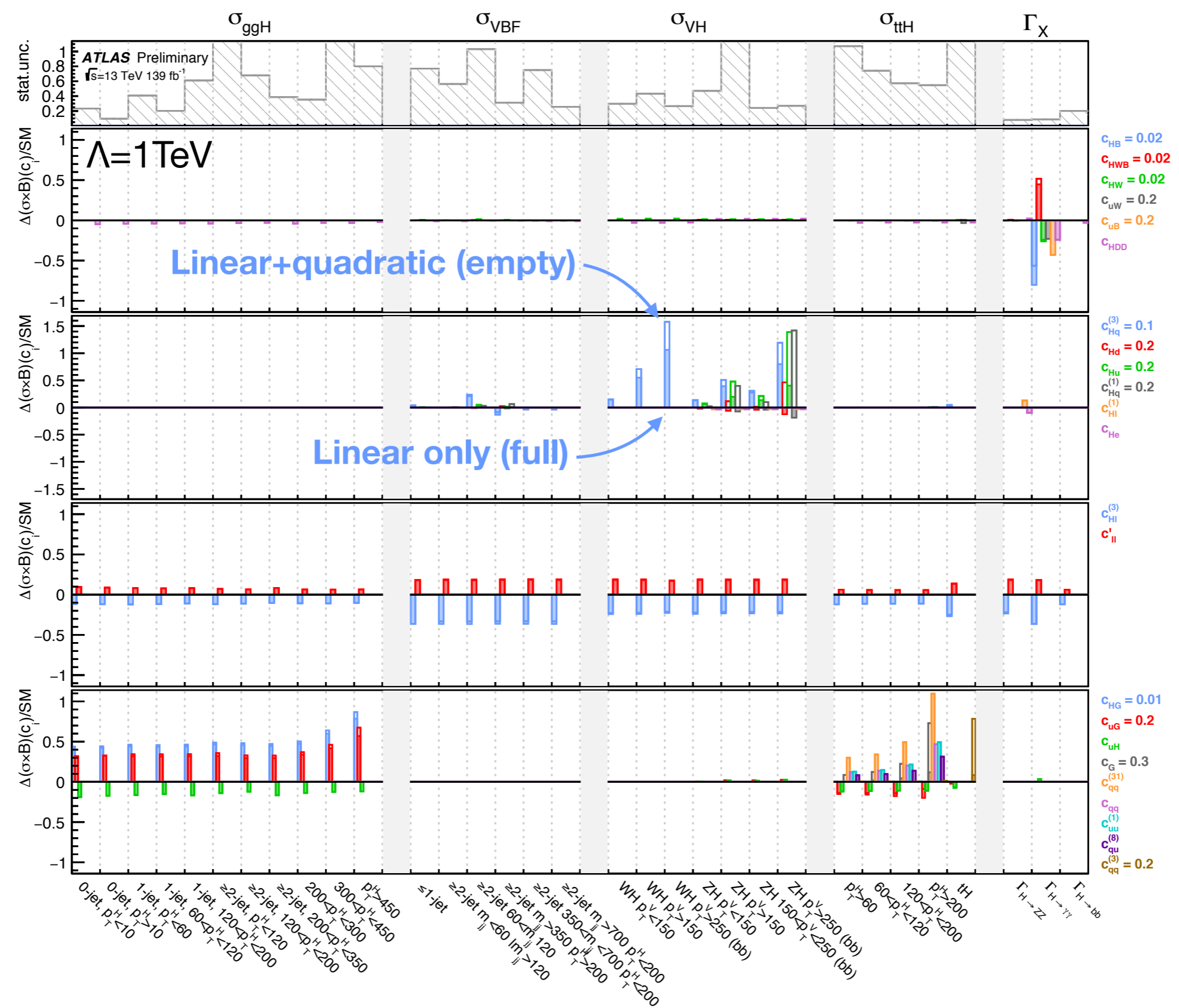
$\sqrt{s} = 13 \text{ TeV}, 139 \text{ fb}^{-1}$
 $m_H = 125.09 \text{ GeV}, |y_H| < 2.5$



Operator definitions

| Wilson coefficient | Operator | Wilson coefficient | Operator |
|--------------------|--|--------------------|--|
| $c_{H\Box}$ | $(H^\dagger H)\Box(H^\dagger H)$ | c_{uG} | $(\bar{q}_p\sigma^{\mu\nu}T^A u_r)\tilde{H}G_{\mu\nu}^A$ |
| c_{HDD} | $(H^\dagger D^\mu H)^*(H^\dagger D_\mu H)$ | c_{uW} | $(\bar{q}_p\sigma^{\mu\nu}u_r)\tau^I\tilde{H}W_{\mu\nu}^I$ |
| c_{HG} | $H^\dagger H G_{\mu\nu}^A G^{A\mu\nu}$ | c_{uB} | $(\bar{q}_p\sigma^{\mu\nu}u_r)\tilde{H}B_{\mu\nu}$ |
| c_{HB} | $H^\dagger H B_{\mu\nu}B^{\mu\nu}$ | c'_{ll} | $(\bar{l}_p\gamma_\mu l_t)(\bar{l}_r\gamma^\mu l_s)$ |
| c_{HW} | $H^\dagger H W_{\mu\nu}^I W^{I\mu\nu}$ | $c_{qq}^{(1)}$ | $(\bar{q}_p\gamma_\mu q_t)(\bar{q}_r\gamma^\mu q_s)$ |
| c_{HWB} | $H^\dagger\tau^I H W_{\mu\nu}^I B^{\mu\nu}$ | $c_{qq}^{(3)}$ | $(\bar{q}_p\gamma_\mu\tau^I q_r)(\bar{q}_s\gamma^\mu\tau^I q_t)$ |
| c_{eH} | $(H^\dagger H)(\bar{l}_p e_r H)$ | c_{qq} | $(\bar{q}_p\gamma_\mu q_t)(\bar{q}_r\gamma^\mu q_s)$ |
| c_{uH} | $(H^\dagger H)(\bar{q}_p u_r \tilde{H})$ | $c_{qq}^{(31)}$ | $(\bar{q}_p\gamma_\mu\tau^I q_t)(\bar{q}_r\gamma^\mu\tau^I q_s)$ |
| c_{dH} | $(H^\dagger H)(\bar{q}_p d_r \tilde{H})$ | c_{uu} | $(\bar{u}_p\gamma_\mu u_r)(\bar{u}_s\gamma^\mu u_t)$ |
| $c_{Hl}^{(1)}$ | $(H^\dagger i\overleftrightarrow{D}_\mu H)(\bar{l}_p\gamma^\mu l_r)$ | $c_{uu}^{(1)}$ | $(\bar{u}_p\gamma_\mu u_t)(\bar{u}_r\gamma^\mu u_s)$ |
| $c_{Hl}^{(3)}$ | $(H^\dagger i\overleftrightarrow{D}_\mu^I H)(\bar{l}_p\tau^I\gamma^\mu l_r)$ | $c_{qu}^{(1)}$ | $(\bar{q}_p\gamma_\mu q_t)(\bar{u}_r\gamma^\mu u_s)$ |
| c_{He} | $(H^\dagger i\overleftrightarrow{D}_\mu H)(\bar{e}_p\gamma^\mu e_r)$ | $c_{ud}^{(8)}$ | $(\bar{u}_p\gamma_\mu T^A u_r)(\bar{d}_s\gamma^\mu T^A d_t)$ |
| $c_{Hq}^{(1)}$ | $(H^\dagger i\overleftrightarrow{D}_\mu H)(\bar{q}_p\gamma^\mu q_r)$ | $c_{qu}^{(8)}$ | $(\bar{q}_p\gamma_\mu T^A q_r)(\bar{u}_s\gamma^\mu T^A u_t)$ |
| $c_{Hq}^{(3)}$ | $(H^\dagger i\overleftrightarrow{D}_\mu^I H)(\bar{q}_p\tau^I\gamma^\mu q_r)$ | $c_{qd}^{(8)}$ | $(\bar{q}_p\gamma_\mu T^A q_r)(\bar{d}_s\gamma^\mu T^A d_t)$ |
| c_{Hu} | $(H^\dagger i\overleftrightarrow{D}_\mu H)(\bar{u}_p\gamma^\mu u_r)$ | c_W | $\epsilon^{IJK}W_\mu^{I\nu}W_\nu^{J\rho}W_\rho^{K\mu}$ |
| c_{Hd} | $(H^\dagger i\overleftrightarrow{D}_\mu H)(\bar{d}_p\gamma^\mu d_r)$ | c_G | $f^{ABC}G_\mu^{A\nu}G_\nu^{B\rho}G_\rho^{C\mu}$ |

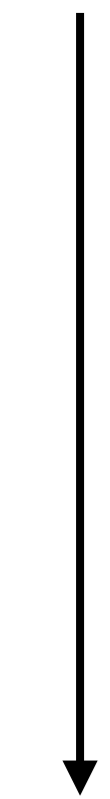
Linear vs. linear+quadratic parametrisation



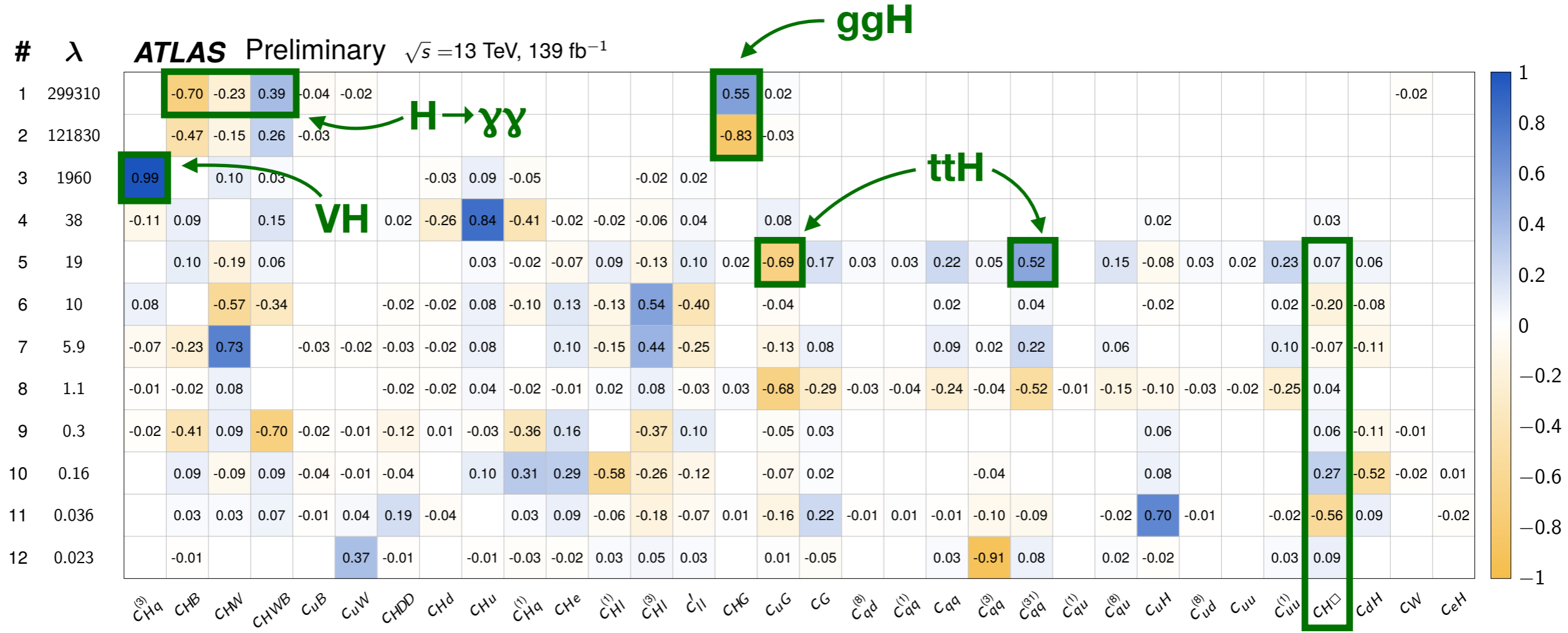
Extraction of principal components

1) Find eigenbasis of Hessian of likelihood around SM: $(H_{\text{SMEFT}})_{ij} = \frac{\partial^2 \log L}{\partial c_i \partial c_j} \Big|_{\text{exp}}$

Good sens.



Poor sens.

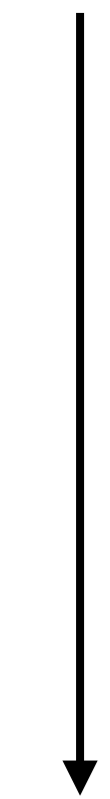


Higgs wave-function renormalisation (scales inclusive cross-section)

Extraction of principal components

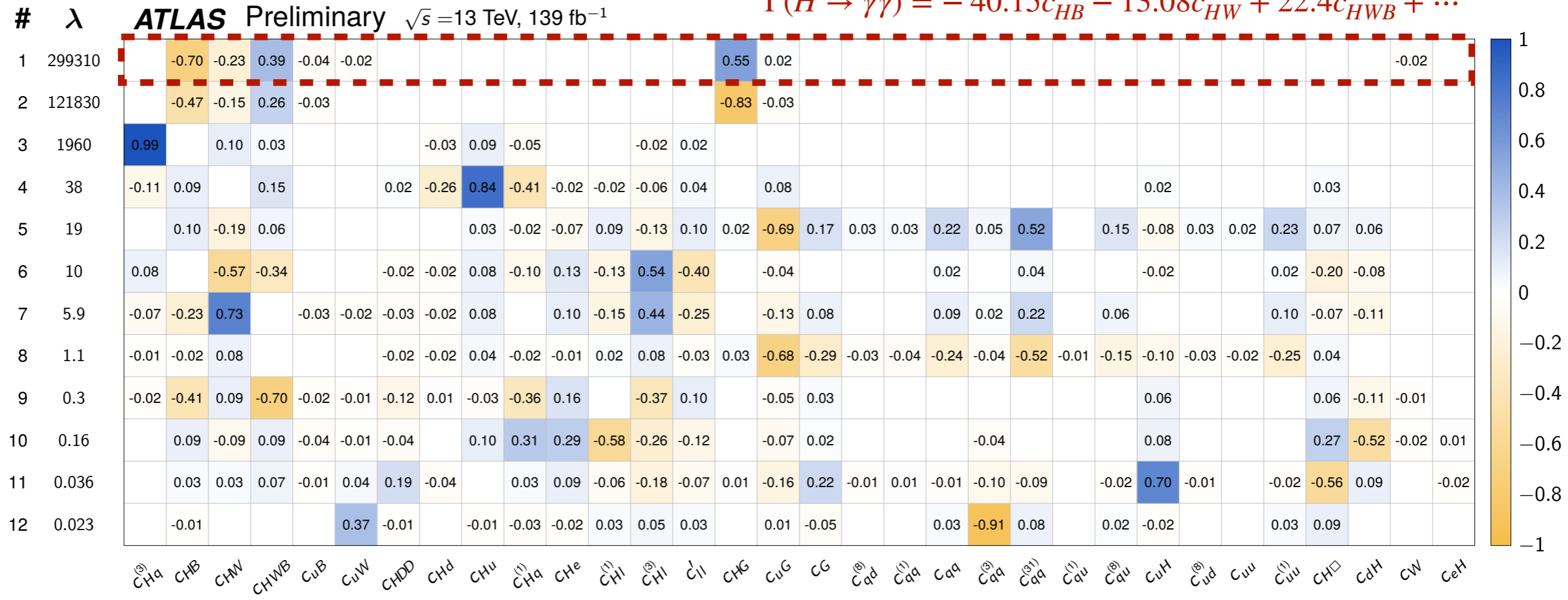
1) Find eigenbasis of Hessian of likelihood around SM: $(H_{\text{SMEFT}})_{ij} = \frac{\partial^2 \log L}{\partial c_i \partial c_j} \Big|_{\text{exp}}$

Good sens.



Poor sens.

$$\Gamma(H \rightarrow \gamma\gamma) = -40.15c_{HB} - 13.08c_{HW} + 22.4c_{HWB} + \dots$$



Extraction of principal components

2) Find eigenbases in physics-motivated subspaces of operators:

$$\{c_i\} = \{c_{Hq}^{(3)}\} \times \{c_{HG}, c_{uG}, c_{uH}, c_{qq}^{(1)}, c_{qq}^{(3)}, c_{qq}^{(31)}, c_{uu}, c_{uu}^{(1)}, c_{ud}^{(8)}, c_{qu}^{(1)}, c_{qu}^{(8)}, c_{qd}^{(8)}, c_G\} \times \{c_{HW}, c_{HB}, c_{HWB}, c_{HDD}, c_{uW}, c_{uB}\} \times \{c_{Hl}^{(1)}, c_{He}\} \times \{c_{Hl}^{(3)}, c'_{ll}\} \times \{c_{Hu}, c_{Hd}, c_{Hq}^{(1)}\}$$

| Parameter | Definition | Eigenvalue | Fit Parameter |
|--------------------------------------|----------------|--|---------------|
| $c_{Hq}^{(3)}$ | $c_{Hq}^{(3)}$ | 1900 | ✓ |
| $c_{HW, HB, HWB, HDD, uW, uB}^{[z]}$ | 1 | $-0.27c_{HW} - 0.84c_{HB} + 0.47c_{HWB} - 0.02c_{uW} - 0.05c_{uB}$ | 245000 ✓ |
| | 2 | $-0.96c_{HW} + 0.19c_{HB} - 0.20c_{HWB} + 0.02c_{uB}$ | 33 ✓ |
| | 3 | $-0.08c_{HW} + 0.50c_{HB} + 0.86c_{HWB} + 0.07c_{HDD} + 0.03c_{uW} + 0.06c_{uB}$ | 4 ✓ |
| | 4 | $0.03c_{HWB} - 0.85c_{HDD} + 0.32c_{uW} + 0.43c_{uB}$ | 0.017 |
| | 5 | $-0.01c_{HW} + 0.07c_{HB} + 0.05c_{HWB} - 0.44c_{HDD} - 0.86c_{uW} - 0.23c_{uB}$ | 0.0077 |
| | 6 | $-0.01c_{HW} + 0.06c_{HB} + 0.04c_{HWB} - 0.29c_{HDD} + 0.39c_{uW} - 0.87c_{uB}$ | 0.0025 |

Low sensitivity, not included

Extraction of principal components

2) Find eigenbases in physics-motivated subspaces of operators:

$$\{c_i\} = \{c_{Hq}^{(3)}\} \times \{c_{HG}, c_{uG}, c_{uH}, c_{qq}^{(1)}, c_{qq}^{(3)}, c_{qq}^{(31)}, c_{uu}, c_{uu}^{(1)}, c_{ud}^{(8)}, c_{qu}^{(1)}, c_{qu}^{(8)}, c_{qd}^{(8)}, c_G\} \times \{c_{HW}, c_{HB}, c_{HWB}, c_{HDD}, c_{uW}, c_{uB}, \} \times \{c_{HI}^{(1)}, c_{He}\} \times \{c_{HI}^{(3)}, c'_{II}\} \times \{c_{Hu}, c_{Hd}, c_{Hq}^{(1)}\}$$

| Parameter | Definition | Eigenvalue | Fit Parameter |
|-----------|--|------------|---------------|
| 1 | $+0.999c_{HG} + 0.038c_{uG}$ | 176000 | ✓ |
| 2 | $-0.03c_{HG} + 0.73c_{uG} - 0.03c_{qq}^{(1)} - 0.23c_{qq}^{(3)} - 0.05c_{qq}^{(31)} - 0.02c_{uu} - 0.24c_{uu}^{(1)} - 0.04c_{ud}^{(8)} - 0.01c_{qu}^{(1)} - 0.15c_{qu}^{(8)} - 0.04c_{qd}^{(8)} - 0.18c_G + 0.06c_{uH}$ | 20 | ✓ |
| 3 | $-0.03c_{HG} + 0.67c_{uG} + 0.04c_{qq}^{(1)} + 0.25c_{qq}^{(3)} + 0.05c_{qq}^{(31)} + 0.55c_{qq}^{(31)} + 0.02c_{uu} + 0.26c_{uu}^{(1)} + 0.03c_{ud}^{(8)} + 0.01c_{qu}^{(1)} + 0.16c_{qu}^{(8)} + 0.03c_{qd}^{(8)} + 0.29c_G + 0.1c_{uH}$ | 1.3 | ✓ |
| 4 | $+0.11c_{uG} + 0.01c_{qq} - 0.018c_{qq}^{(3)} + 0.029c_{qq}^{(31)} + 0.012c_{uu}^{(1)} - 0.993c_{uH}$ | 0.14 | |
| 5 | $+0.02c_{qq} - 1.0c_{qq}^{(3)} + 0.06c_{qq}^{(31)} + 0.03c_{uu}^{(1)} + 0.02c_{qu}^{(8)} + 0.02c_{uH}$ | 0.02 | |

$c_{HG, uG, uH, top}^{[i]}$

Low sensitivity, not included

Extraction of principal components

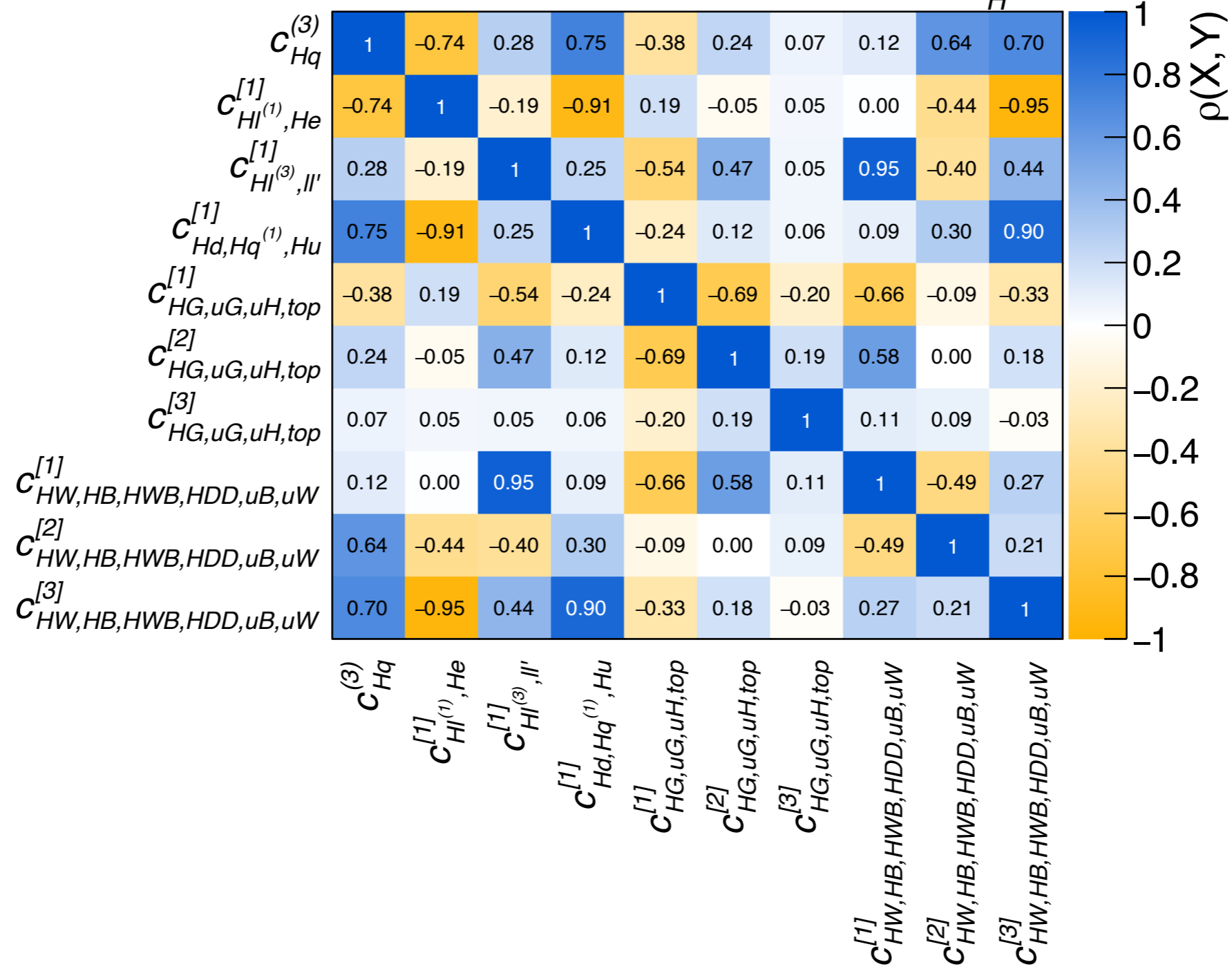
2) Find eigenbases in physics-motivated subspaces of operators:

$$\begin{aligned}
 \{c_i\} &= \{c_{Hq}^{(3)}\} \times \\
 &\quad \{c_{HG}, c_{uG}, c_{uH}, c_{qq}^{(1)}, c_{qq}^{(3)}, c_{qq}^{(31)}, c_{uu}, c_{uu}^{(1)}, c_{ud}^{(8)}, c_{qu}^{(1)}, c_{qu}^{(8)}, c_{qd}^{(8)}, c_G\} \times \\
 &\quad \{c_{HW}, c_{HB}, c_{HWB}, c_{HDD}, c_{uW}, c_{uB}, \} \times \\
 &\quad \boxed{\{c_{Hl}^{(1)}, c_{He}\}} \times \\
 &\quad \boxed{\{c_{Hl}^{(3)}, c'_{ll}\}} \times \\
 &\quad \boxed{\{c_{Hu}, c_{Hd}, c_{Hq}^{(1)}\}}
 \end{aligned}$$

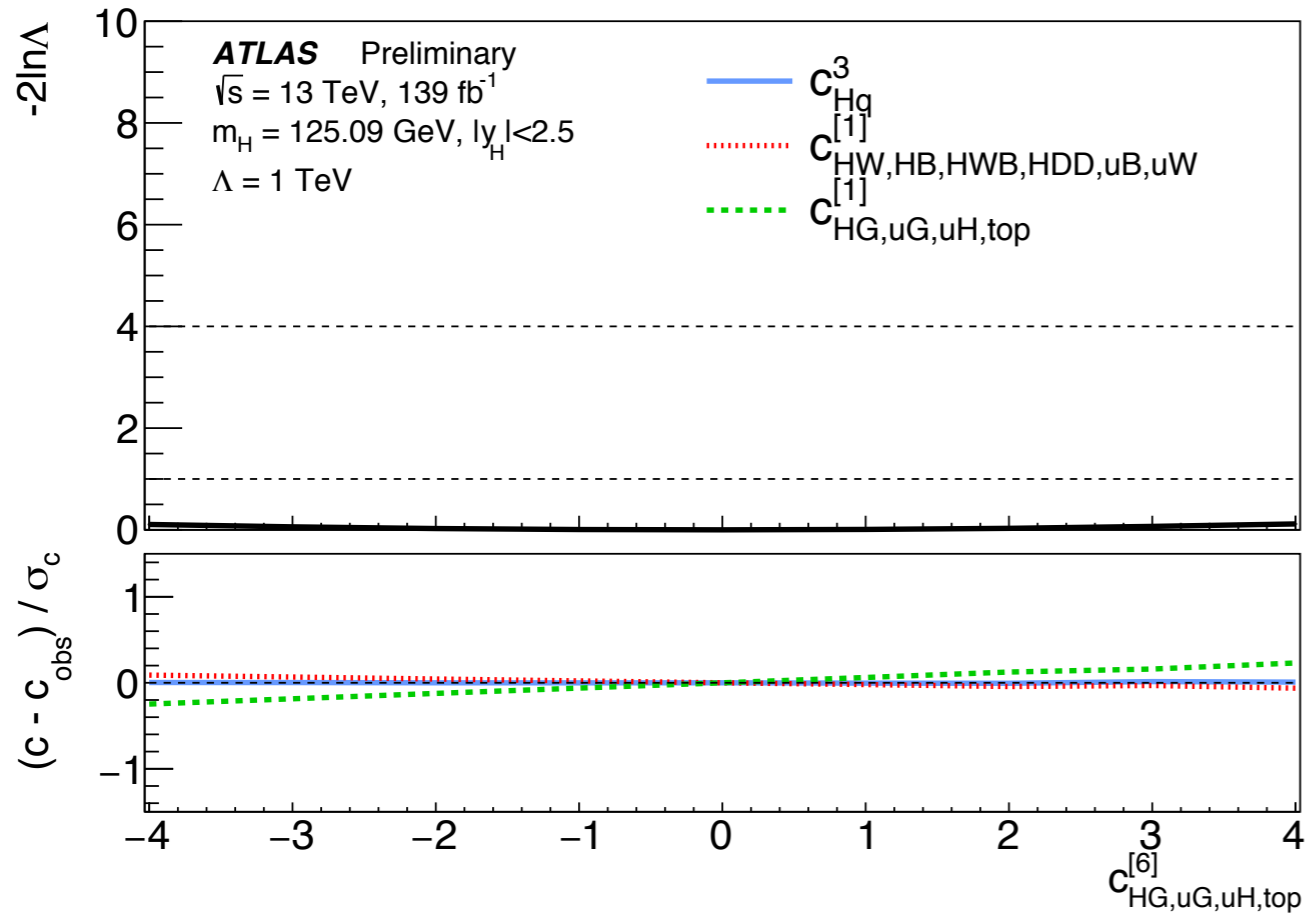
| Parameter | Definition | Eigenvalue | Fit Parameter |
|------------------------------|---|------------|---------------|
| $c_{Hl^{(1)}, He}^{[1]}$ | $+0.78c_{Hl}^{(1)} - 0.62c_{He}$ | 2.6 | ✓ |
| $c_{Hl^{(1)}, He}^{[2]}$ | $+0.62c_{Hl}^{(1)} + 0.78c_{He}$ | 0.056 | |
| $c_{Hu, Hd, Hq^{(1)}}^{[1]}$ | $-0.87c_{Hu} + 0.26c_{Hd} + 0.42c_{Hq}^{(1)}$ | 59 | ✓ |
| $c_{Hu, Hd, Hq^{(1)}}^{[2]}$ | $+0.41c_{Hu} - 0.09c_{Hd} + 0.91c_{Hq}^{(1)}$ | 0.10 | |
| $c_{Hu, Hd, Hq^{(1)}}^{[3]}$ | $-0.28c_{Hu} - 0.96c_{Hd} + 0.03c_{Hq}^{(1)}$ | 0.0018 | |
| $c_{Hl^{(3)}, ll'}^{[1]}$ | $0.87c_{Hl}^{(3)} - 0.50c'_{ll}$ | 27 | ✓ |
| $c_{Hl^{(3)}, ll'}^{[2]}$ | $0.50c_{Hl}^{(3)} + 0.87c'_{ll}$ | 0.33 | |

Correlations from simultaneous fit to 10 operator combinations

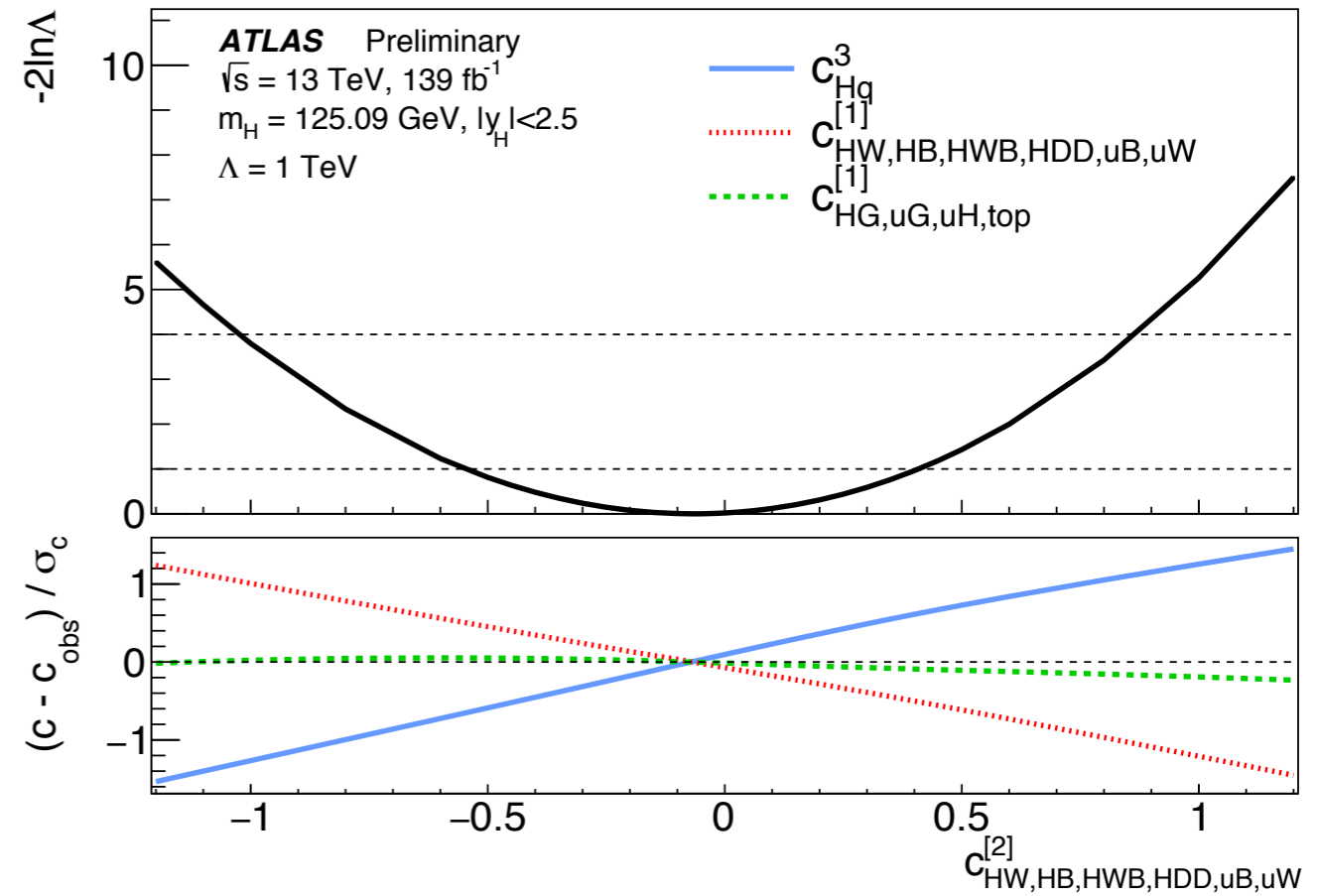
ATLAS Preliminary $\sqrt{s} = 13 \text{ TeV}$, 139 fb^{-1}
 $m_H = 125.09 \text{ GeV}$, $|y_H| < 2.5$



Likelihood scans



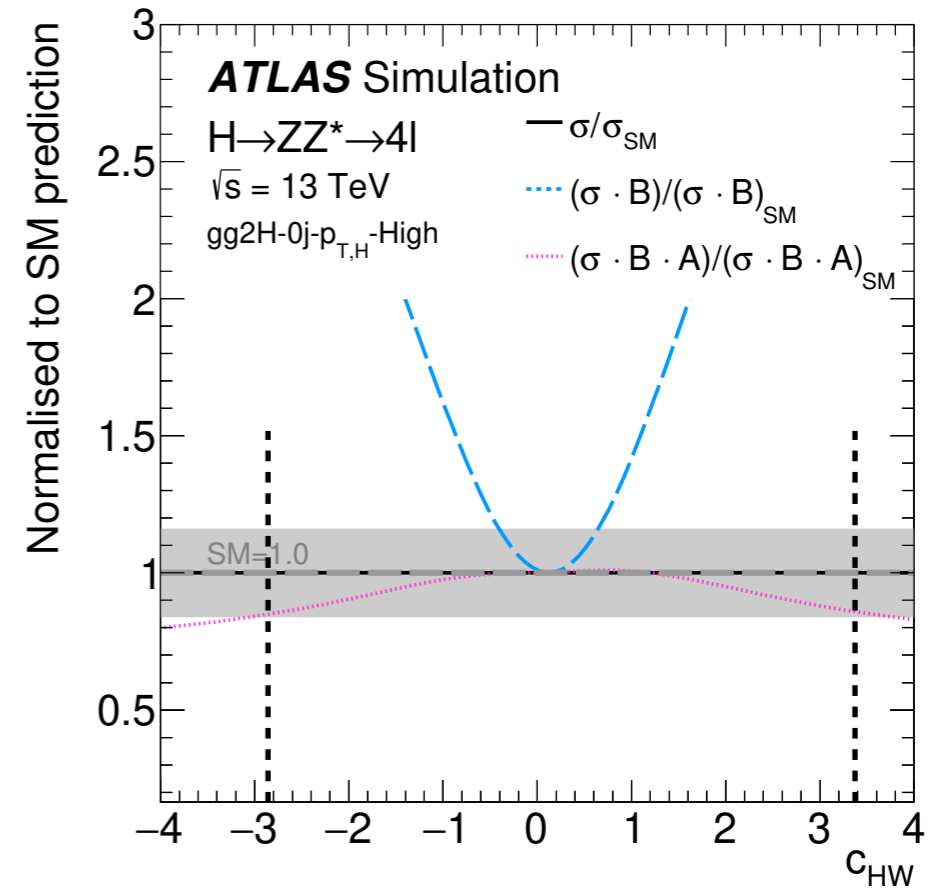
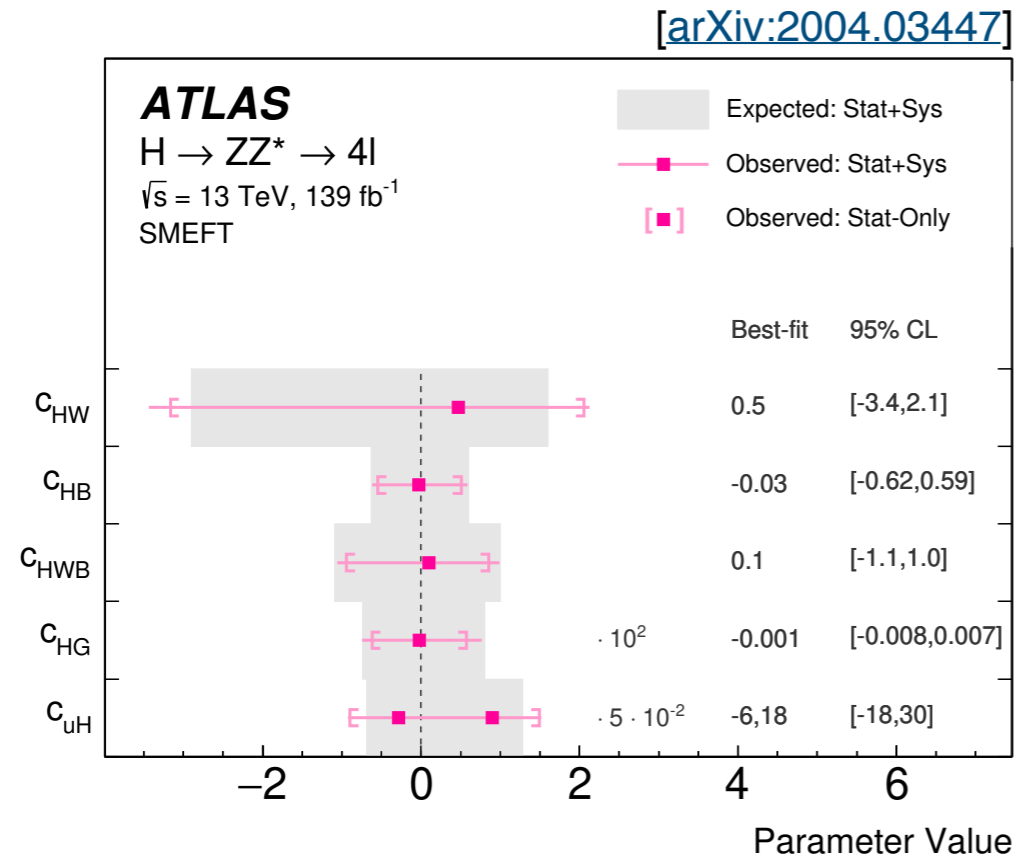
**Operator combination with
no sensitivity**
“flat direction”, fixed in fit



**Operator combination with
good sensitivity**

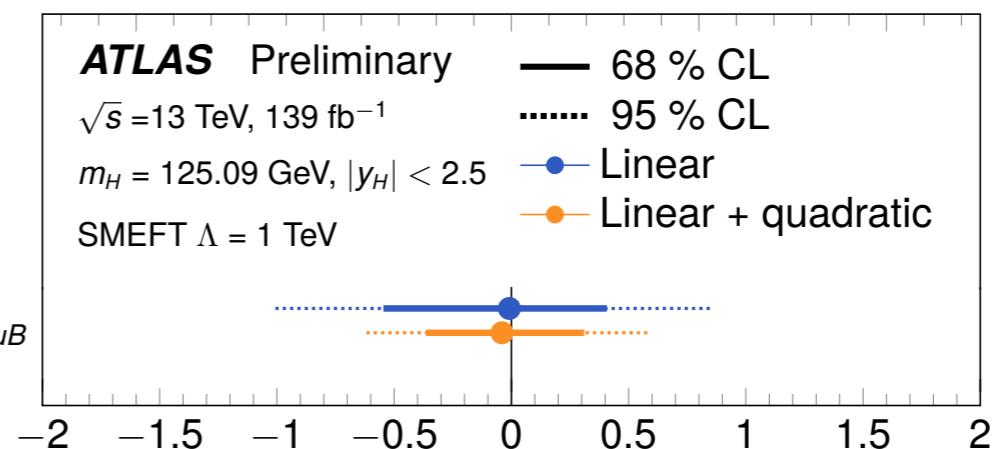
Importance of acceptance modifications

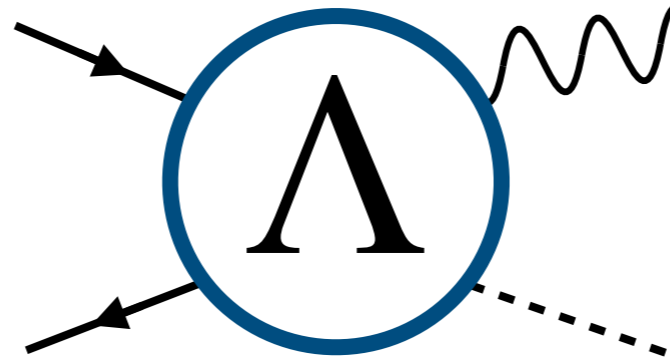
HZZ standalone constraints:



Combined constraints:

$\sim 0.96 C_{HW} + \dots \longrightarrow C_{HW, HB, HWB, HDD, uW, uB}^{[2]}$



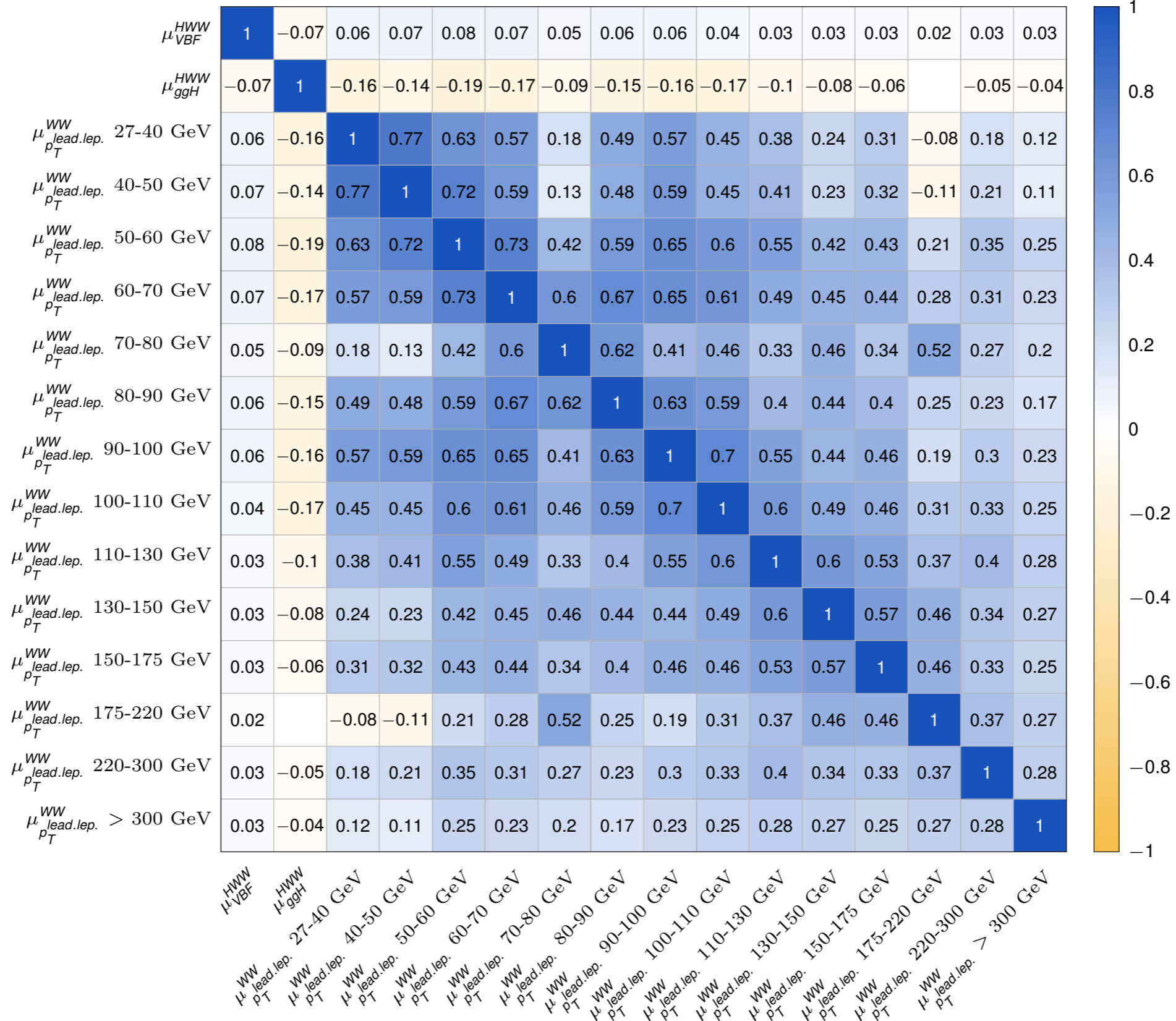


Higgs + diboson combination

[ATL-PHYS-PUB-2021-010]

Correlations of input measurements

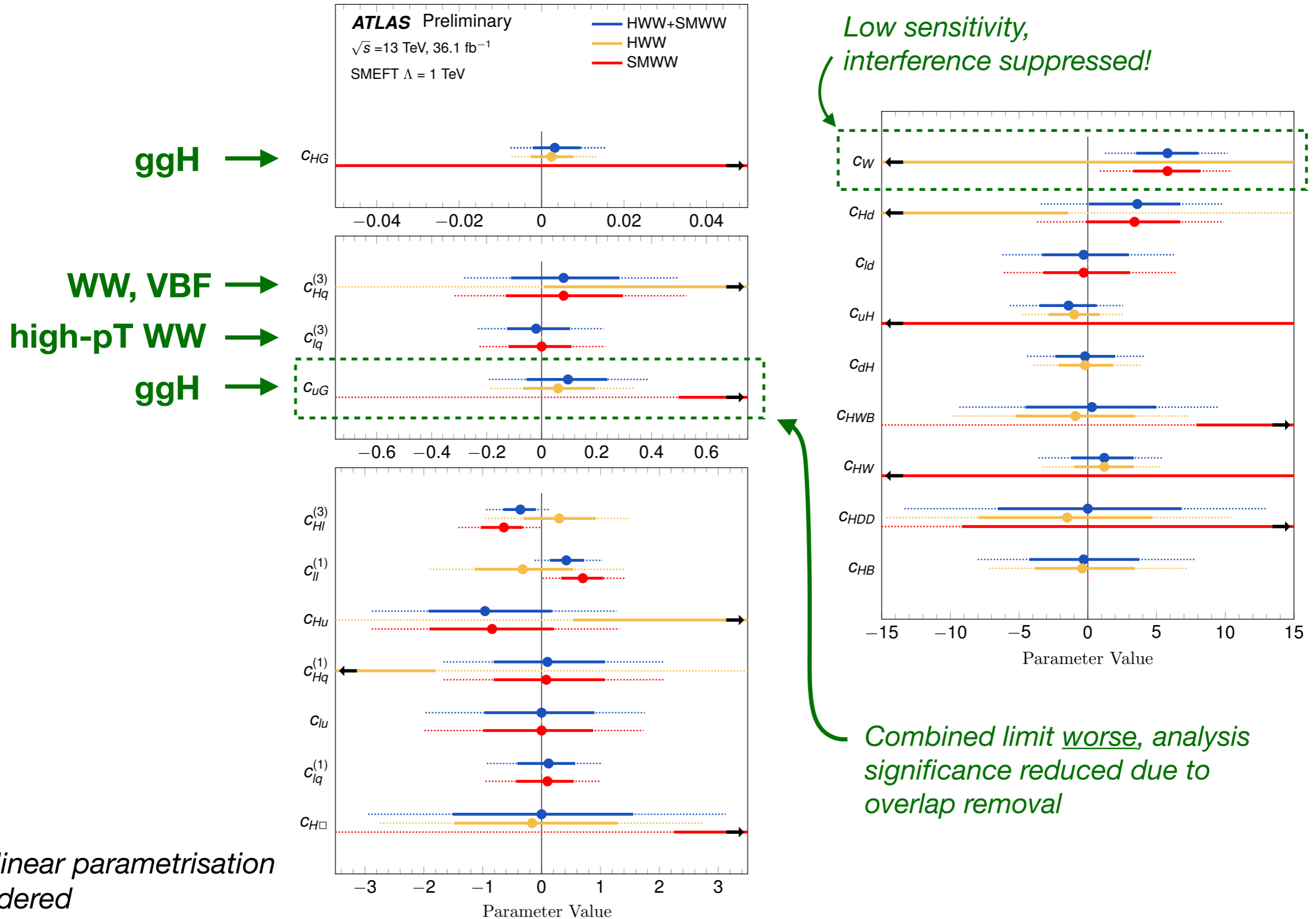
ATLAS Preliminary $\sqrt{s} = 13 \text{ TeV}, 36.1 \text{ fb}^{-1}$



Selected operators

| Wilson coefficient and operator | | Affected Processes | | | | |
|---------------------------------|---|-----------------------------|----------------------|--------------------|---------------------------------------|------------------|
| $c_i^{(6)}$ | $\mathcal{O}_i^{(6)}$ | $qq \rightarrow e\nu\mu\nu$ | $qq \rightarrow Hqq$ | $gg \rightarrow H$ | $\Gamma_{H \rightarrow e\mu\nu\nu}^f$ | Γ_H^{tot} |
| c_W | $\epsilon^{IJK} W_\mu^{I\nu} W_\nu^{J\rho} W_\rho^{K\mu}$ | ✓ | | | | ✓ |
| c_{HW} | $H^\dagger H W_{\mu\nu}^I W^{I\mu\nu}$ | | ✓ | | ✓ | ✓ |
| c_{HWB} | $(H^\dagger \tau^I H W_{\mu\nu}^I B^{\mu\nu})$ | ✓ | ✓ | | | ✓ |
| c_{HB} | $H^\dagger H B_{\mu\nu} B^{\mu\nu}$ | | ✓ | | | ✓ |
| c_{HDD} | $(H^\dagger D^\mu H)^* (H^\dagger D_\mu H)$ | ✓ | ✓ | ✓ | ✓ | ✓ |
| $c_{H\Box}$ | $(H^\dagger H)\Box(H^\dagger H)$ | | ✓ | ✓ | ✓ | ✓ |
| c_{HG} | $H^\dagger H G_{\mu\nu}^A G^{A\mu\nu}$ | | | ✓ | | ✓ |
| c_{dH} | $(H^\dagger H)(\bar{q}_p d_r H)$ | | | | | ✓ |
| c_{uH} | $(H^\dagger H)(\bar{q}_p u_r H)$ | | | ✓ | | ✓ |
| c_{eH} | $(H^\dagger H)(\bar{l}_p e_r H)$ | | | | | ✓ |
| c_{uG} | $(\bar{q}_p \sigma^{\mu\nu} T^A u_r)(\tilde{H} G_{\mu\nu}^A)$ | | | ✓ | | ✓ |
| c_{uW} | $(\bar{q}_p \sigma^{\mu\nu} u_r)(\tau^I \tilde{H} W_{\mu\nu}^I)$ | | | | | ✓ |
| c_{uB} | $(\bar{q}_p \sigma^{\mu\nu} u_r)(\tilde{H} B_{\mu\nu})$ | | | | | ✓ |
| c_{Hd} | $(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{d} \gamma^\mu d)$ | ✓ | ✓ | | | |
| c_{Hu} | $(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{u} \gamma^\mu u)$ | ✓ | ✓ | | | |
| $c_{Hq}^{(1)}$ | $(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{q} \gamma^\mu q)$ | ✓ | ✓ | | | |
| $c_{Hq}^{(3)}$ | $(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{q} \tau^I \gamma^\mu q)$ | ✓ | ✓ | | | ✓ |
| $c_{Hl}^{(1)}$ | $(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{l} \gamma^\mu l)$ | ✓ | | | | |
| $c_{Hl}^{(3)}$ | $(H^\dagger i \overleftrightarrow{D}_\mu^I H)(\bar{l} \tau^I \gamma^\mu l)$ | ✓ | ✓ | ✓ | ✓ | ✓ |
| $c_{ll}^{(1)}$ | $(\bar{l}_p \gamma_\mu l_r)(\bar{l}_s \gamma^\mu l_t)$ | ✓ | ✓ | ✓ | ✓ | ✓ |
| c_{ld} | $(\bar{l}_p \gamma_\mu l_r)(\bar{d}_s \gamma^\mu d_t)$ | ✓ | | | | |
| $c_{lq}^{(1)}$ | $(\bar{l}_p \gamma_\mu l_r)(\bar{q}_s \gamma^\mu q_t)$ | ✓ | | | | |
| $c_{lq}^{(3)}$ | $(\bar{l}_p \gamma_\mu \tau^I l_r)(\bar{q}_s \gamma^\mu \tau^I q_t)$ | ✓ | | | | |
| c_{lu} | $(\bar{l}_p \gamma_\mu l_r)(\bar{u}_s \gamma^\mu u_t)$ | ✓ | | | | |

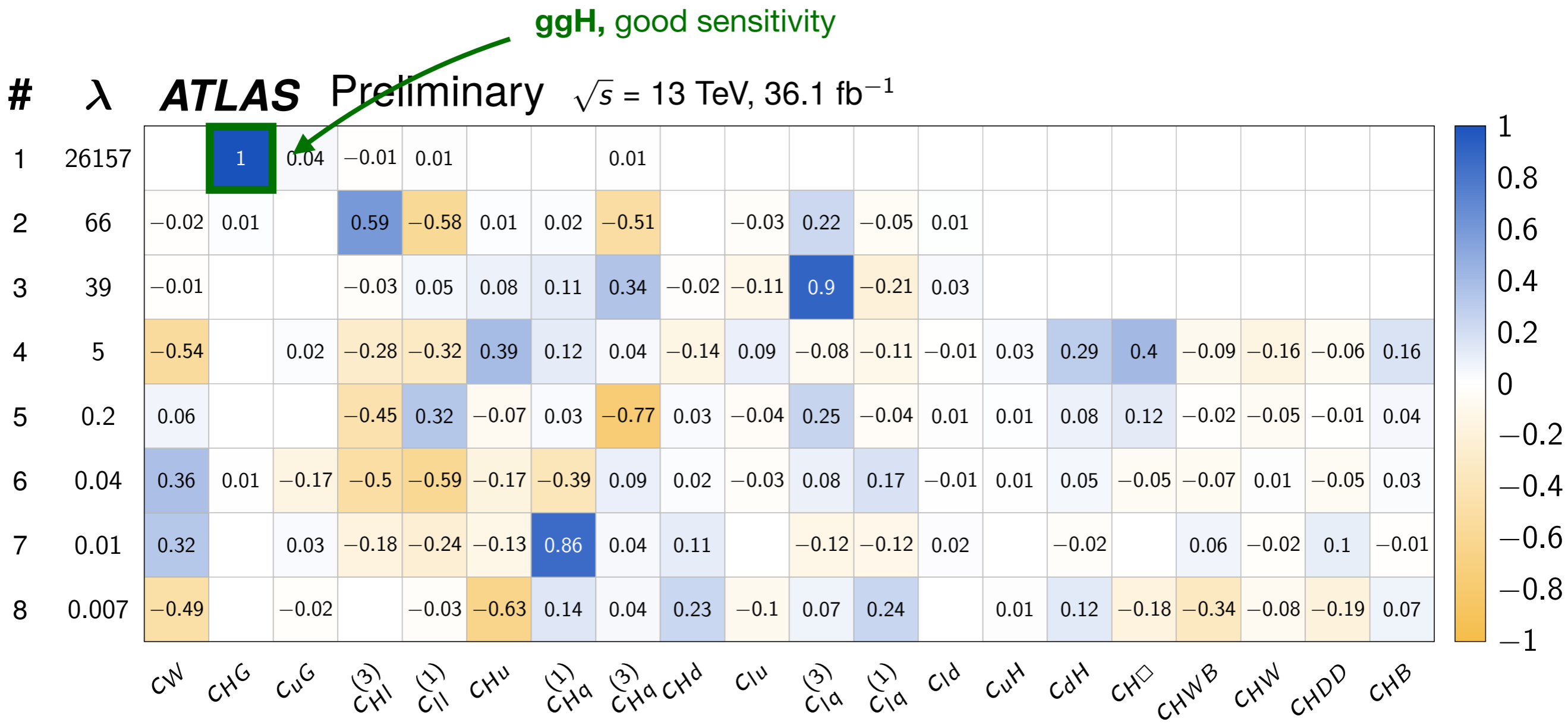
Full set of one-dimensional limits



Only linear parametrisation considered

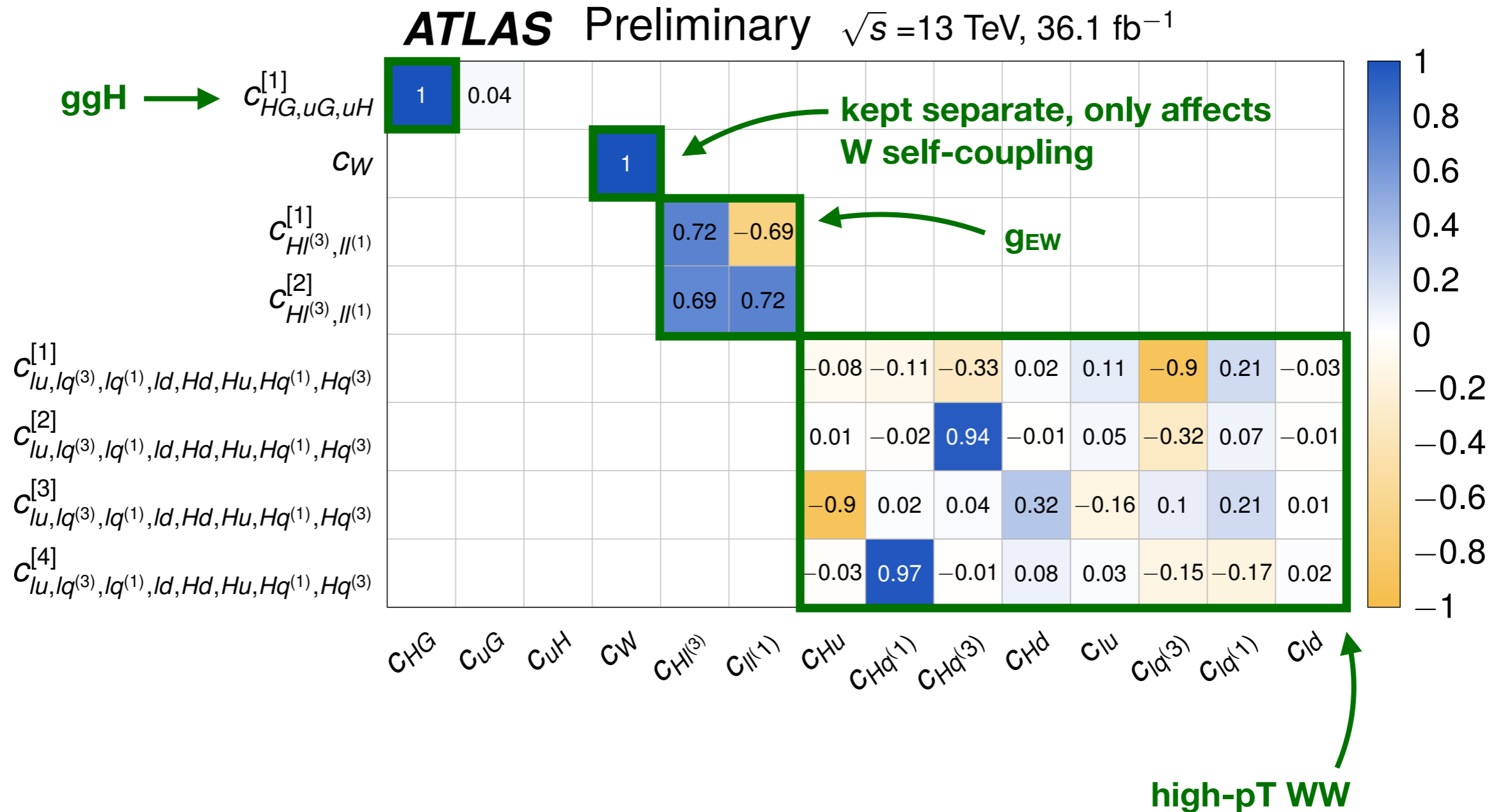
Structure of principal components

(Only linear parametrisation considered.)

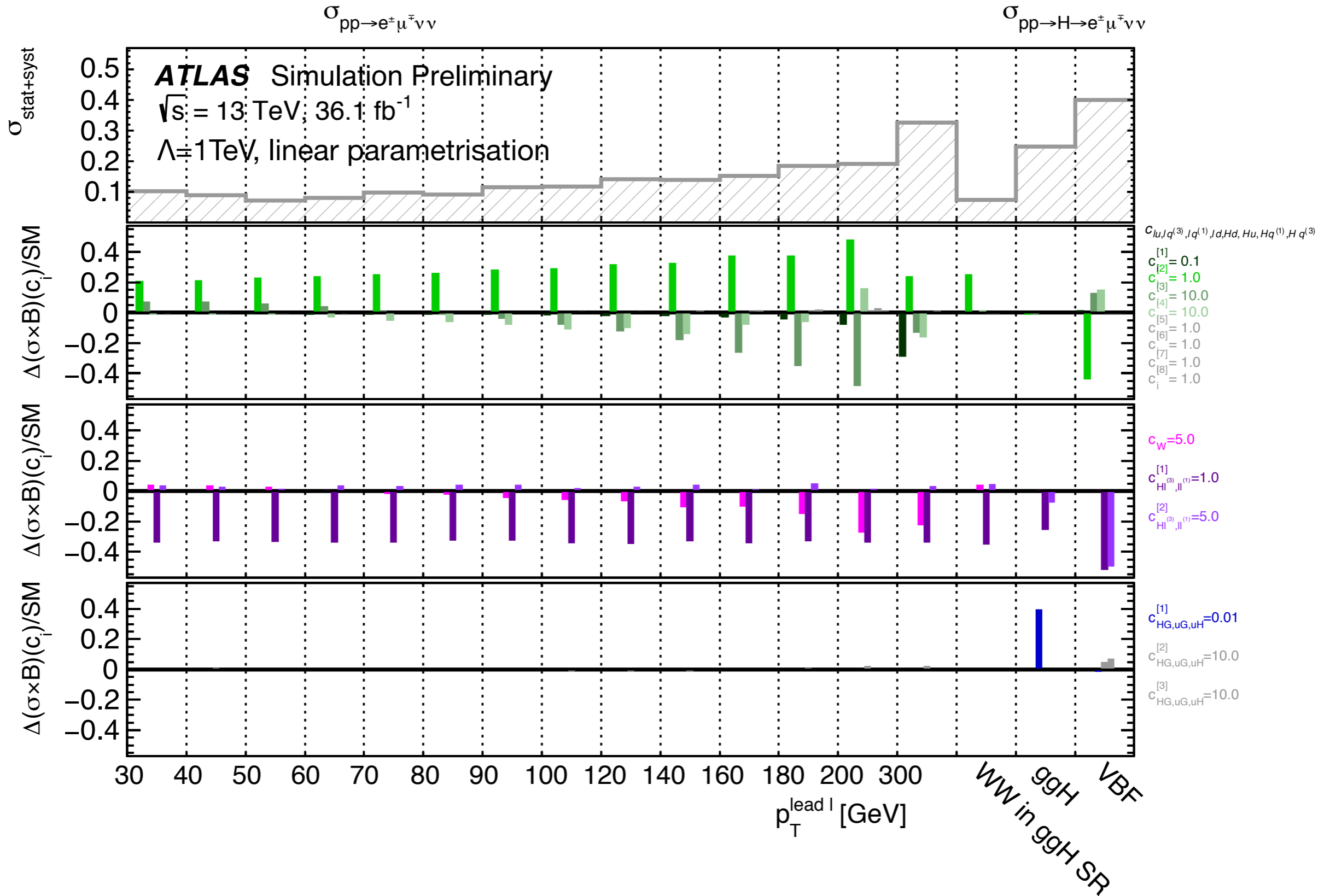


Chosen principal components

(Only linear parametrisation considered.)



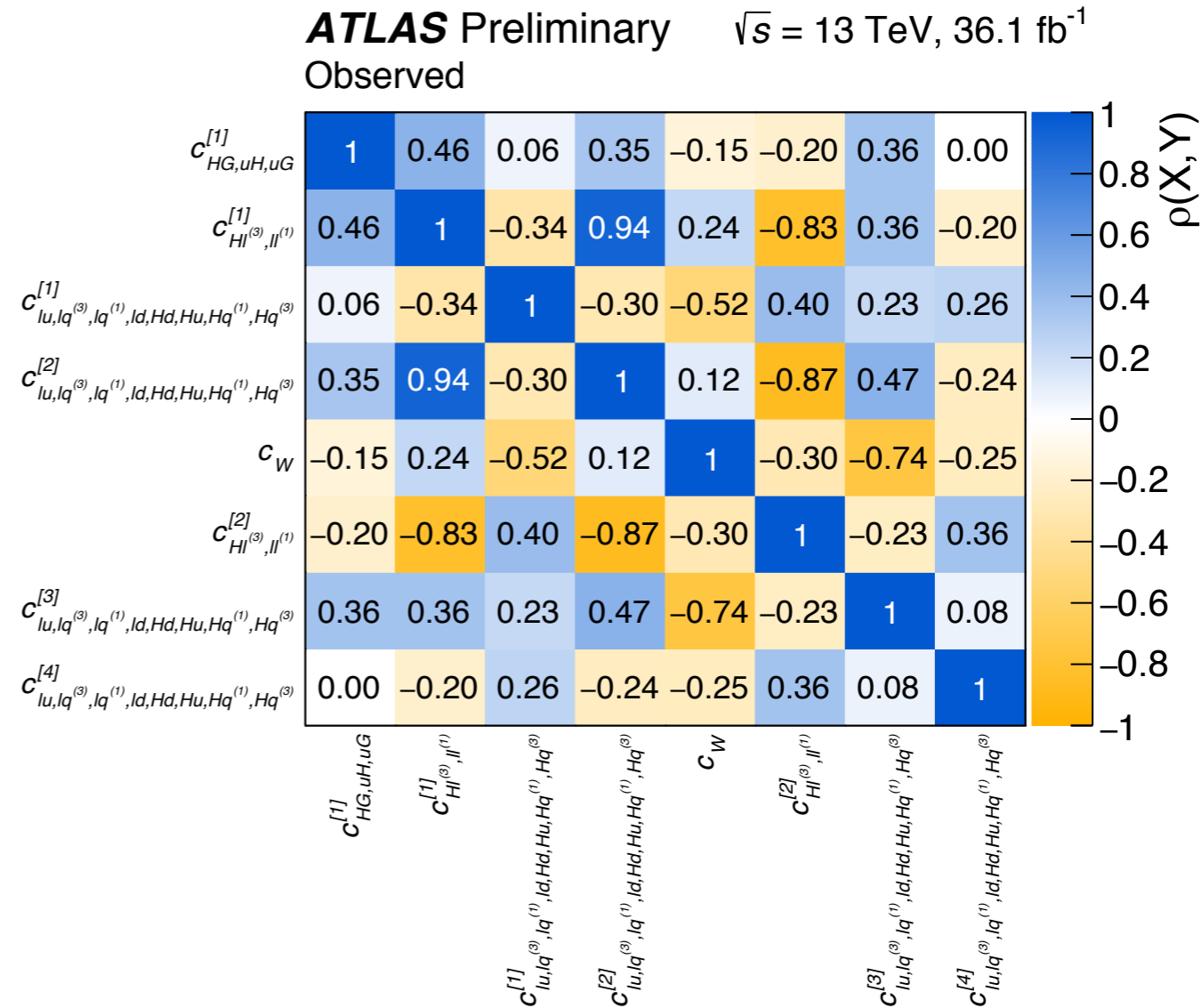
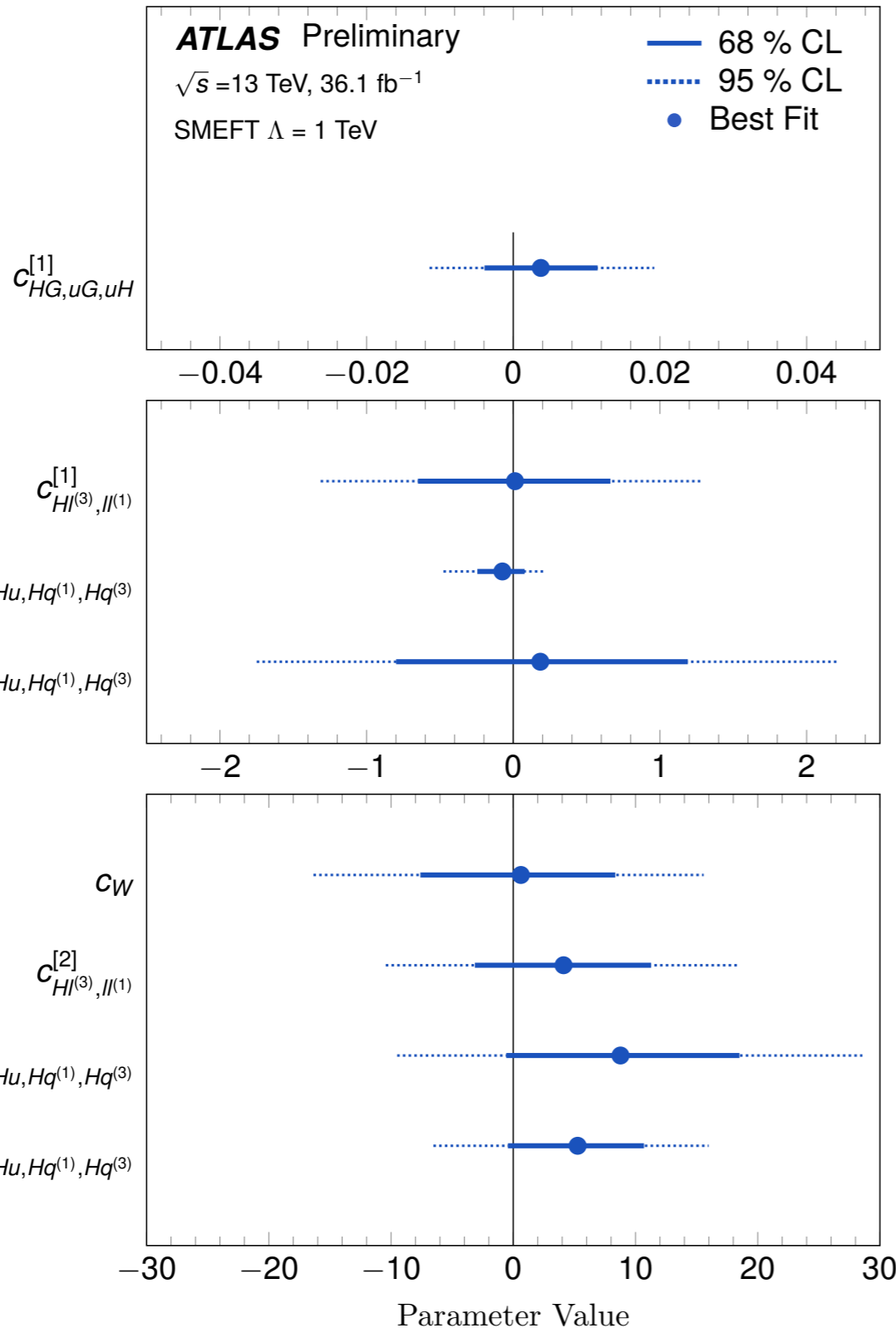
Impact of principal components



1d-limits on principal components

Eight combinations constrained simultaneously

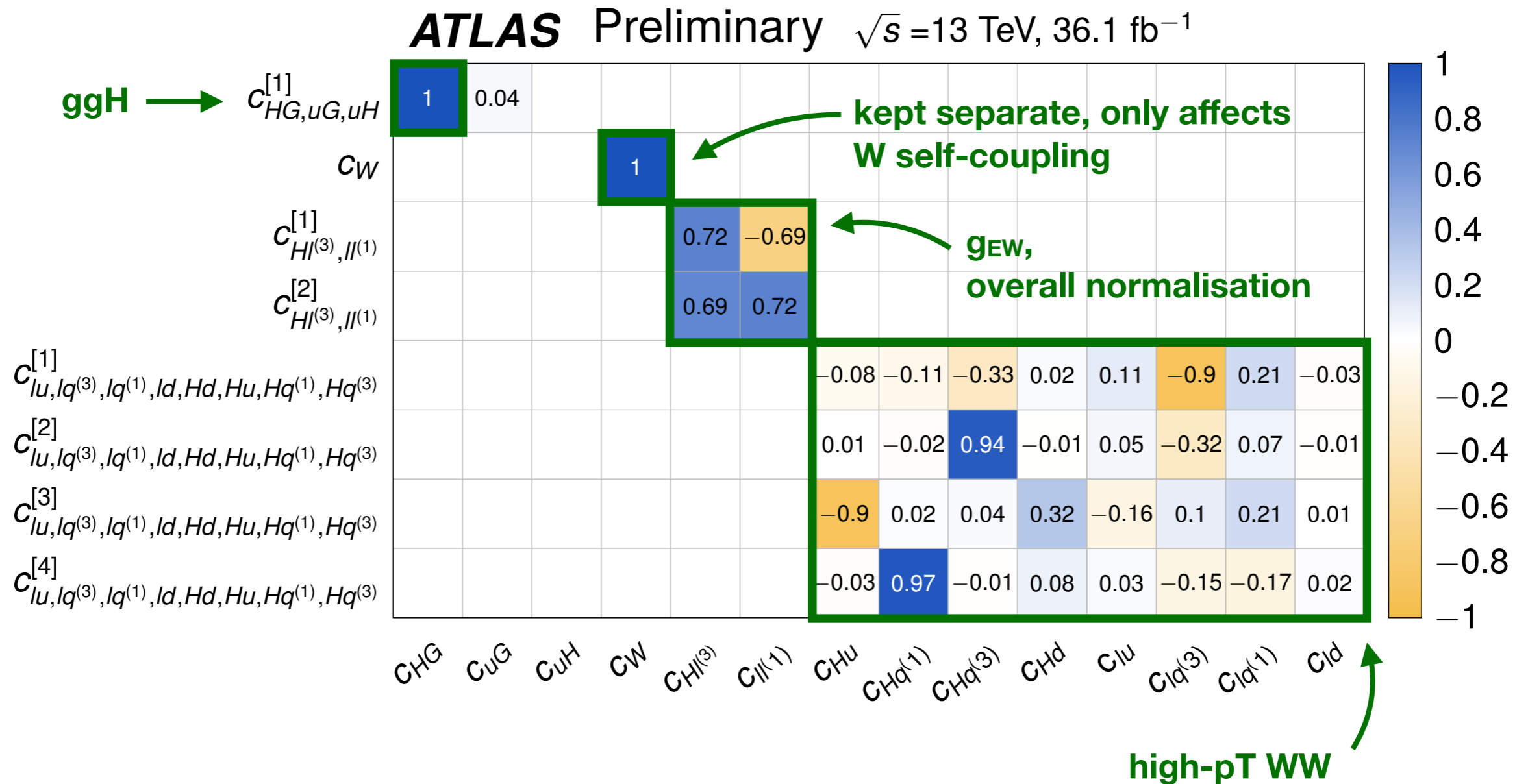
(Only linear parametrisation considered.)



Principal components

Eight operator combinations constrained simultaneously

Grouped according to physics impact

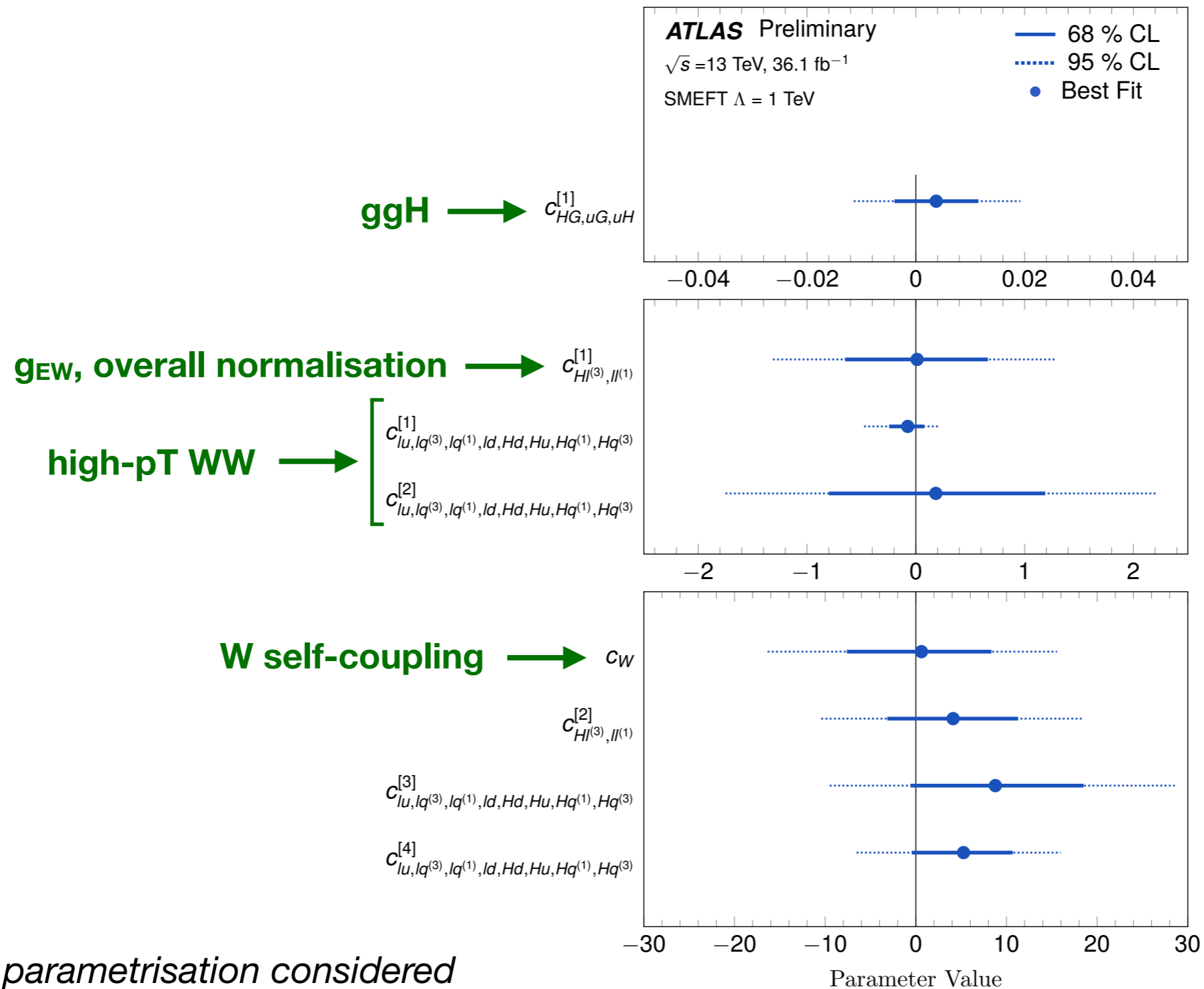


Only linear parametrisation considered

Principal components

Eight operator combinations constrained simultaneously

Grouped according to physics impact



Only linear parametrisation considered