

# Ionization Measurement using Cluster Counting Method

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# Outline

- **Introduction**

- **Principles**

- dE/dx vs. dN/dx

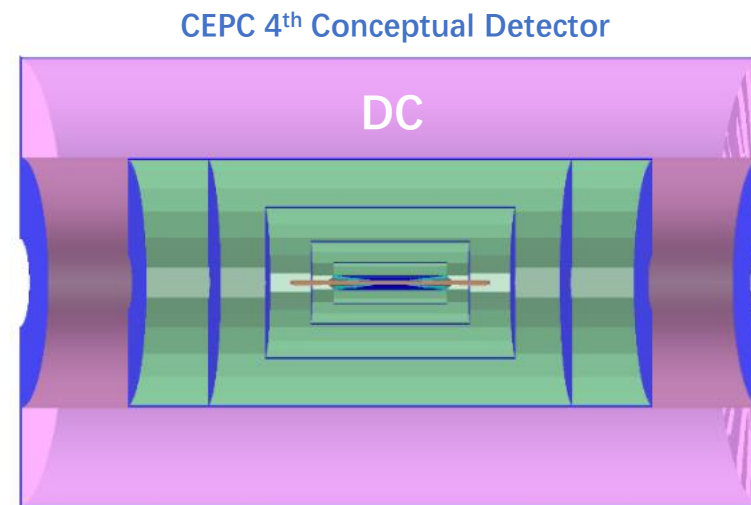
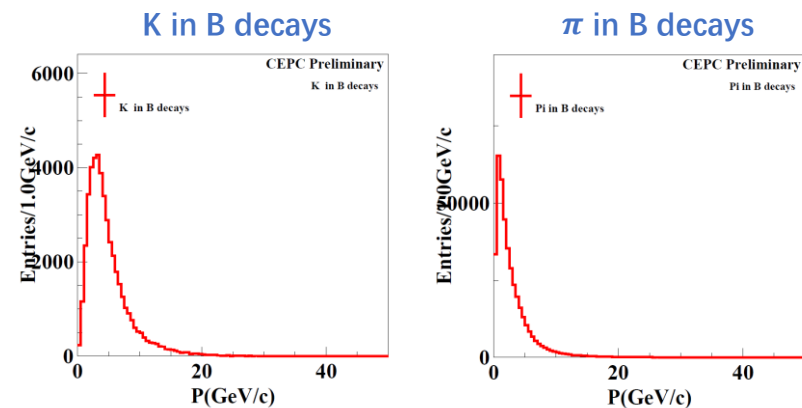
- **Simulations**

- Full waveform + electronics + cluster counting
- PID preliminary results

- **Summary**

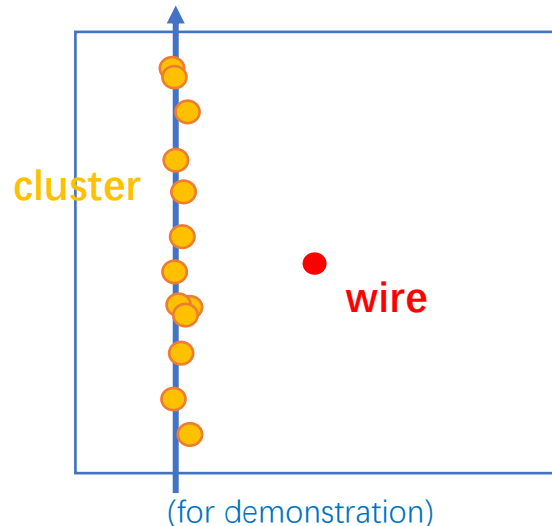
# Introduction

- Particle identification (PID) is essential for flavor physics
  - Kaon/pion separation up to 20 GeV/c is necessary →
- Ionization measurement with a gaseous detector can provide powerful K/ $\pi$  separation up to dozens of GeV/c within an acceptable detector size
  - Drift chamber (DC) for PID is proposed
- Comparing to the energy loss measurement, the cluster counting technique is expected to improve the ionization measurement with small fluctuations
- To study the PID capability of DC with cluster counting, a full simulation is performed



# Principles

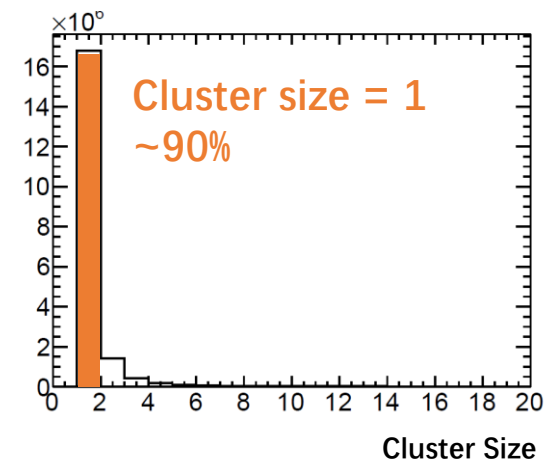
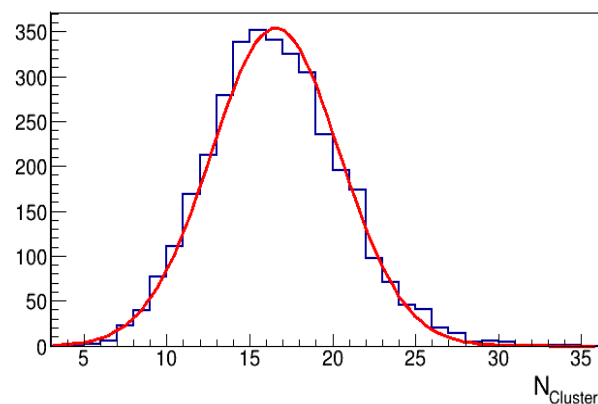
# Ionization Process



- A charged particle losses energy when traversing a medium
- A sequence of primary interactions (**clusters**) along the track
  - The # of clusters can be described by the Poisson distribution

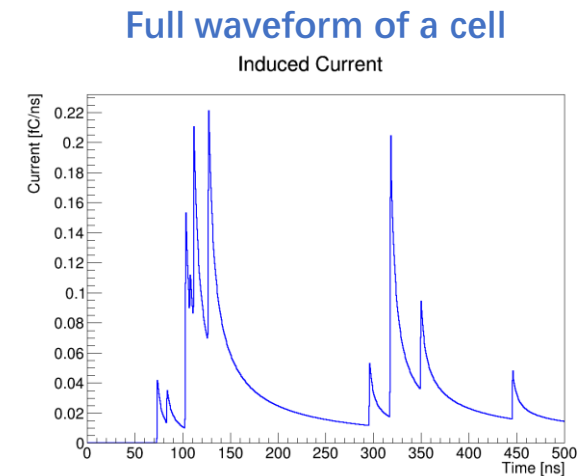
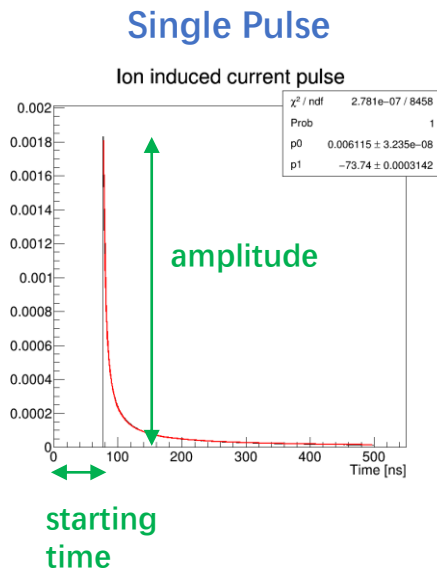
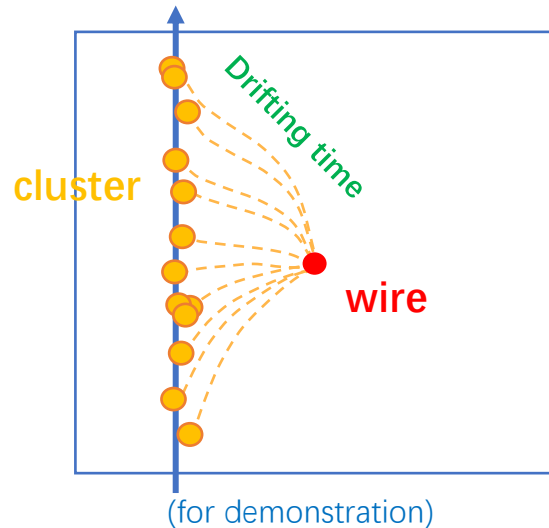
$$P(\bar{N}_p, k) = \frac{\bar{N}_p^k}{k!} e^{-\bar{N}_p}$$

- For each cluster, one or more electrons are released
  - Secondaries usually localized to the primaries
  - **Cluster size**: # of electrons for each cluster



# Drifting and current inducing

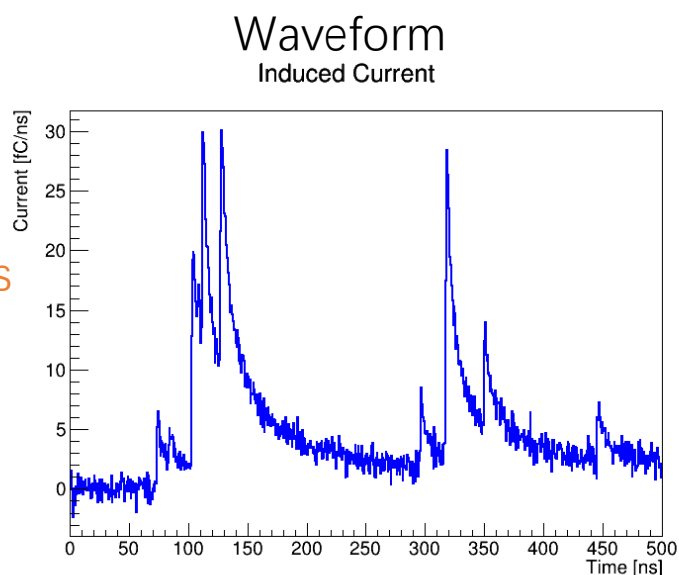
- Electrons/ions drift in the fields
- Avalanche happens near the wire and signal is induced
  - Each electron/ion pair produces a current pulse
    - The **amplitude** is proportional to the # of avalanche electrons
    - The **starting time** is almost determined by the **drifting time**
  - Induced current is further fed to the electronics system



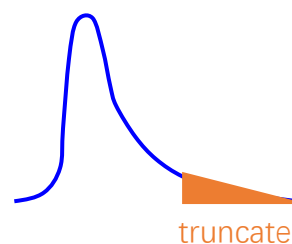
Electronics

# Total energy loss measurement: $dE/dx$

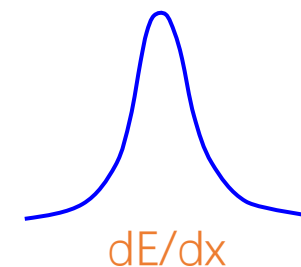
Electronics



Integration



Truncated mean

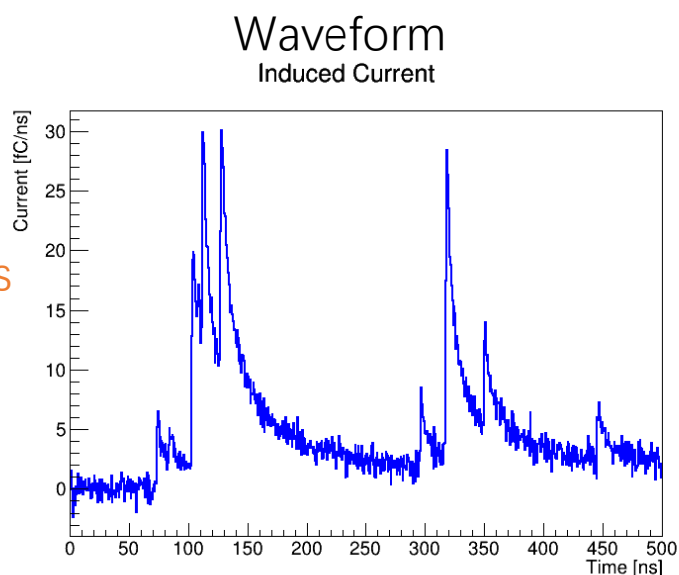


**$dE/dx$  measurement**: integration of the waveform

- **Large fluctuation** from
  - Energy loss from all the processes (primary, secondary)
  - Amplification (avalanche)
- **Long tail** due to secondary electrons, usually use truncated mean for a better resolution
- A reference resolution (truth)\*: **~3%** (20 GeV/c, pions, det. size=120 cm)

# Cluster counting measurement: $dN/dx$

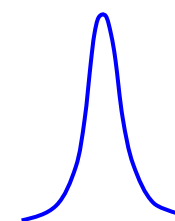
Electronics



Cluster  
counting



$dN/dx$



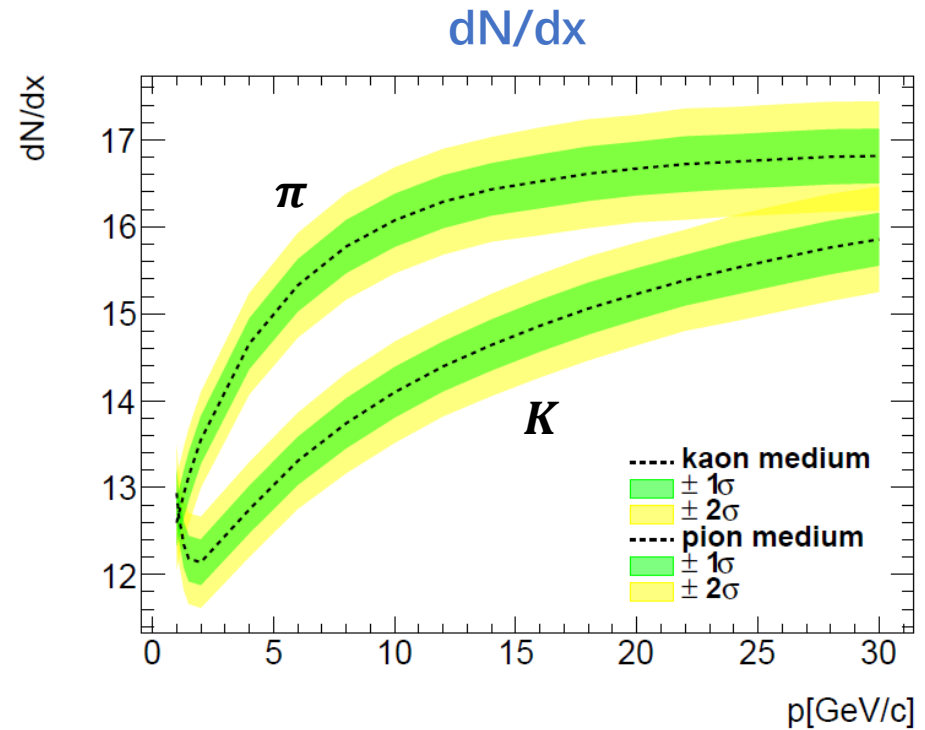
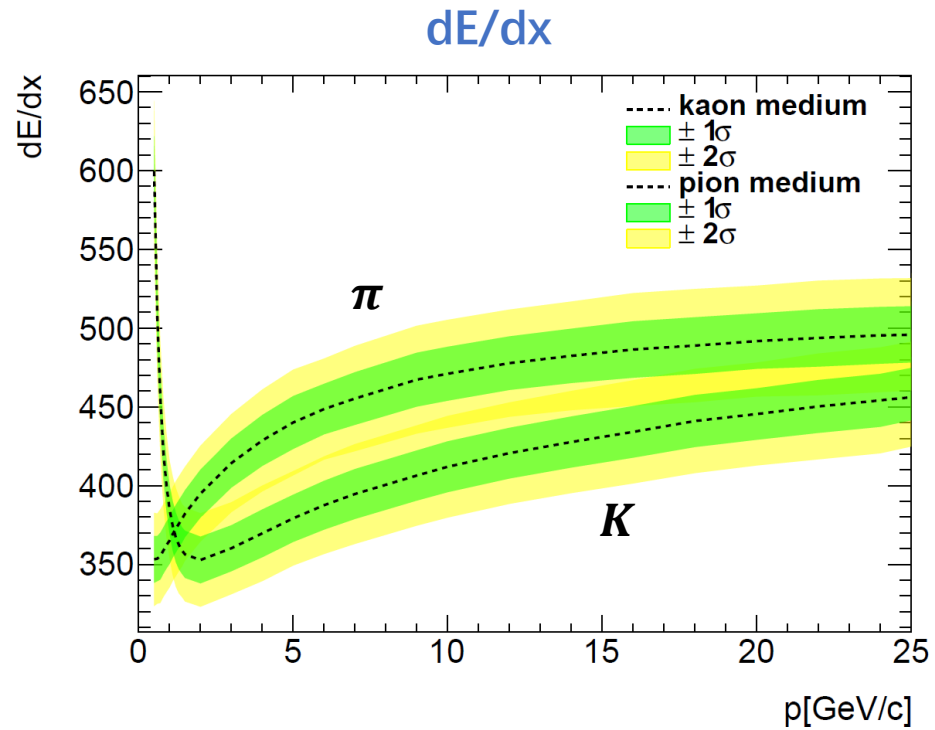
**$dN/dx$  measurement:** counting the # of primaries

- **Small fluctuation** (only from the Poisson behavior of the primary ionizations)
- Easy to reach the **Gaussian** limit
- A reference resolution (truth)\*: **<2%** (20 GeV/c, pions, det. size=120 cm)

\* <https://indico.ihep.ac.cn/event/13181/session/0/contribution/7/material/slides/0.pdf>



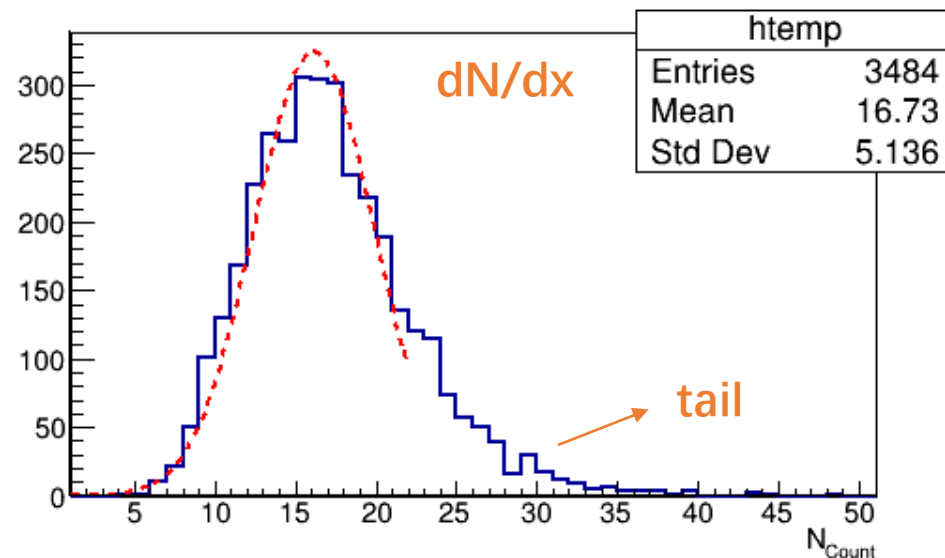
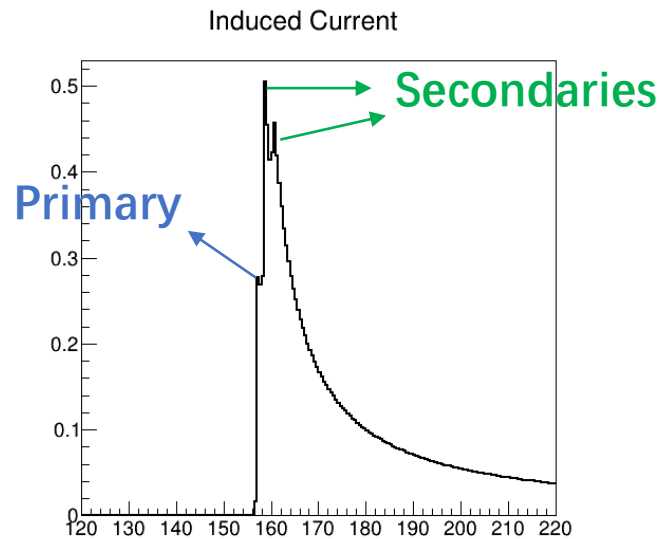
# dE/dx vs. dN/dx (truth)



More powerful for K/pi separation with dN/dx

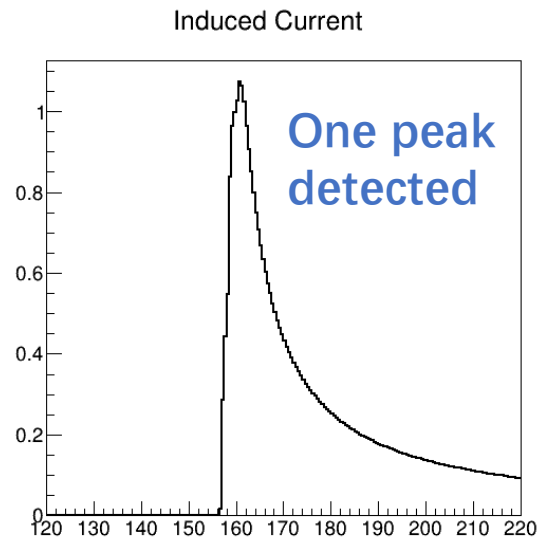
# Secondaries suppression

- **~10% of clusters have more than 1 electrons (secondaries) released**
  - Form multiple peaks in the signal due to diffusion
  - The peaks are close to the primary one due to the localization of the secondary electrons
- **Detected secondaries can lead to a tail in  $dN/dx$ , which can worsen the resolution**

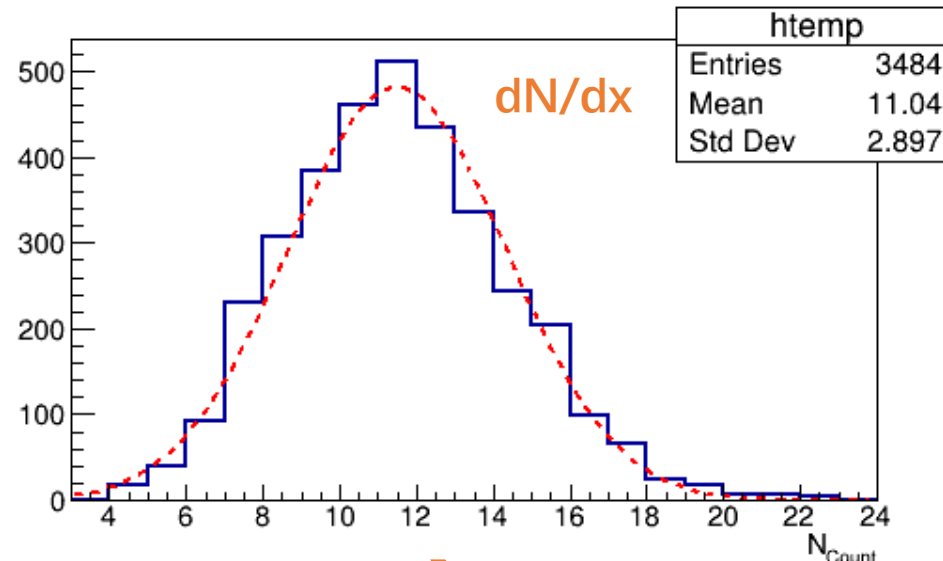


# Secondaries suppression (II)

- A practical **detection ability** can group the primary/secondary peaks, which can also reduce the tail in  $dN/dx$ 
  - Electronics/noises: make the secondaries less distinguishable
  - Counting algorithm: merge the count



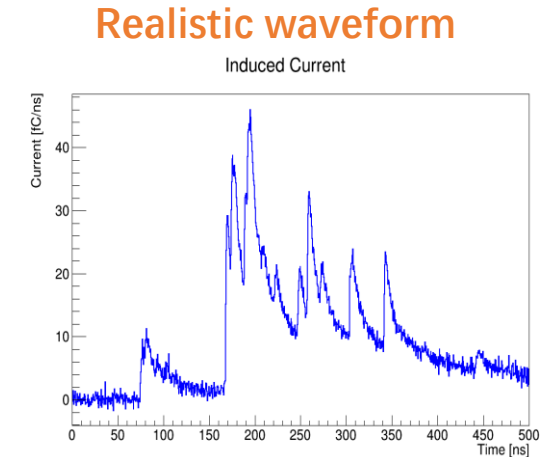
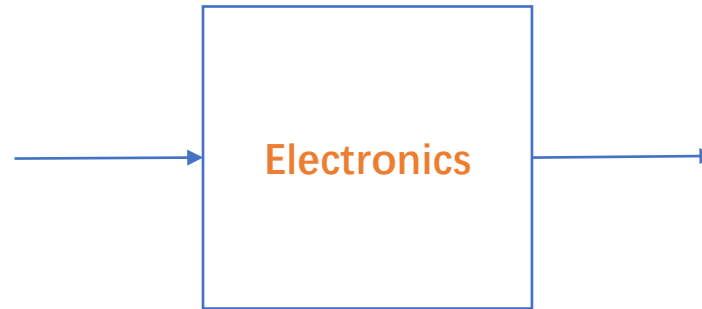
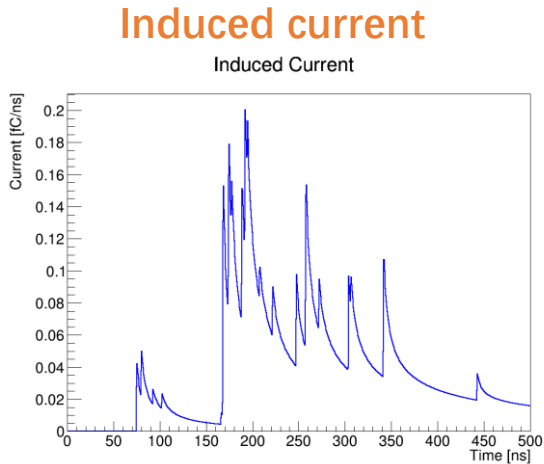
w/ electronics



More Gaussian-like → secondaries suppressed

# Simulations

# The simulation flow



Counting



- **Garfield++**

- Heed: ionization process
- Magboltz: gas properties (drift/diffusion)
- Signal generation

- **Preamplifier**

- Impulse response

- **Noises**

- Amplitude

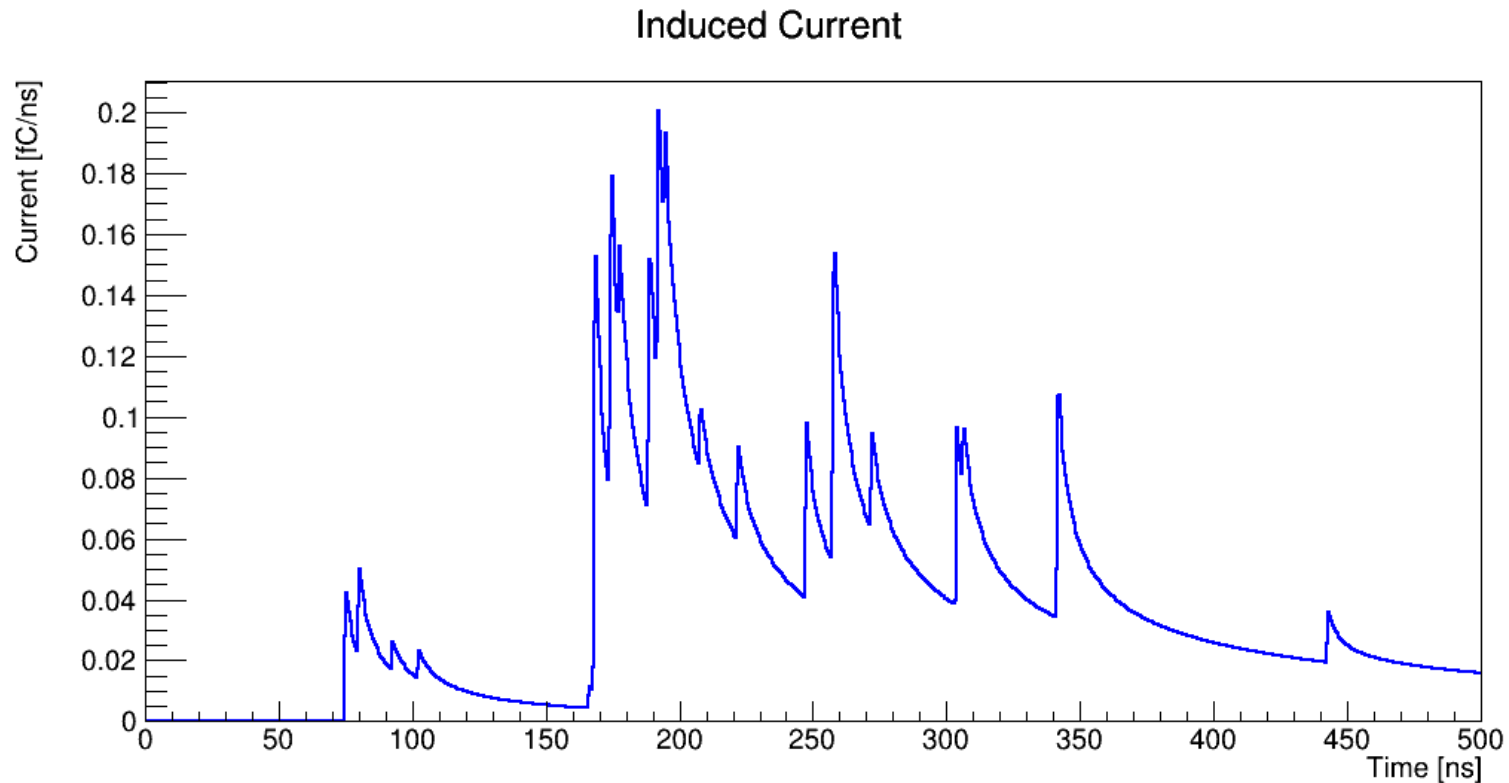
- **ADC**

- Sampling rate



**Essential to simulate the distortion and interference of the signals**

# Induced current from Garfield++



Gas composition: He 90% +  $iC_4H_{10}$  10%

Cell size: 1x1 cm

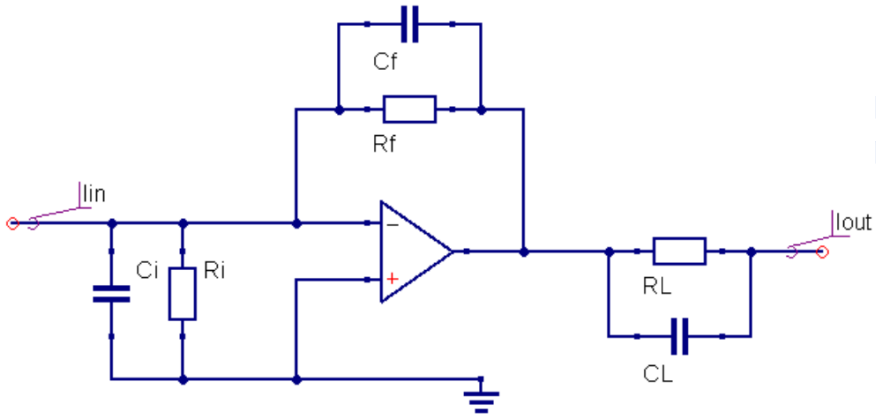
Particle: 10 GeV/c pions,  $\theta = 90$  deg

Average  $N_{cl}$ :  $\sim 16.5$

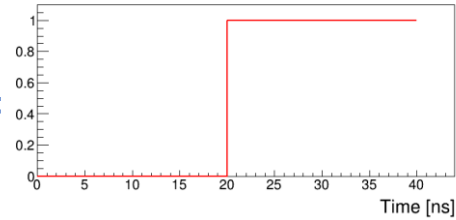
# Electronics (I): preamplifier

## Time constants ( $\tau$ ) and risetime:

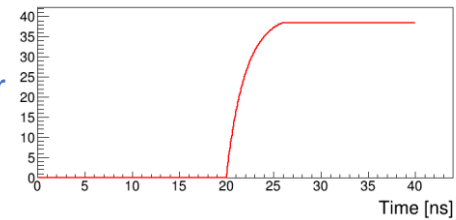
### A simple current-sensitive preamplifier



Step response:

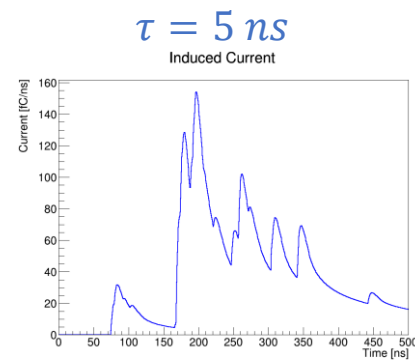
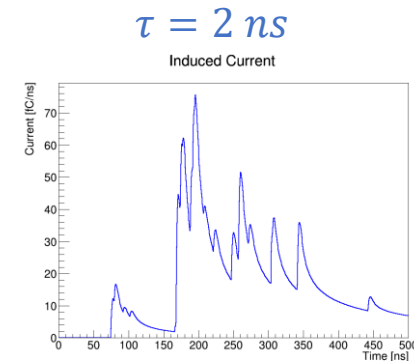
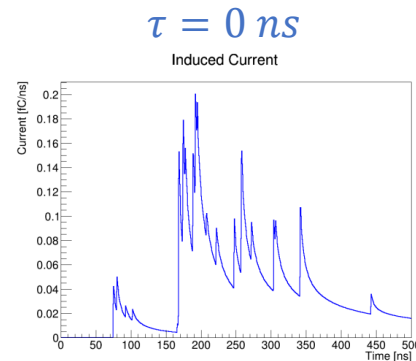


Response after preamplifier:



Time Constant (ns)	Risetime (ns)
0.5	0.95
1.0	1.85
2.0	3.70
3.0	5.50
4.0	7.35
5.0	9.20

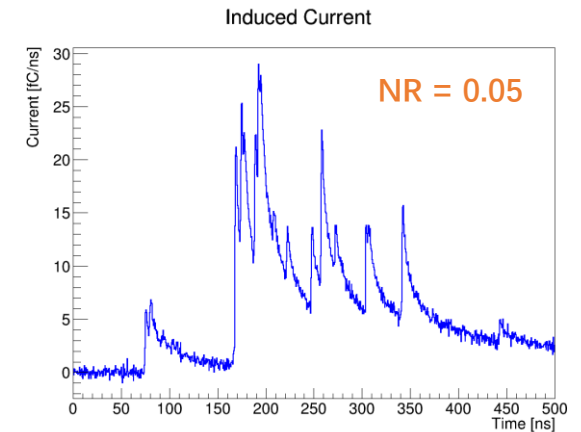
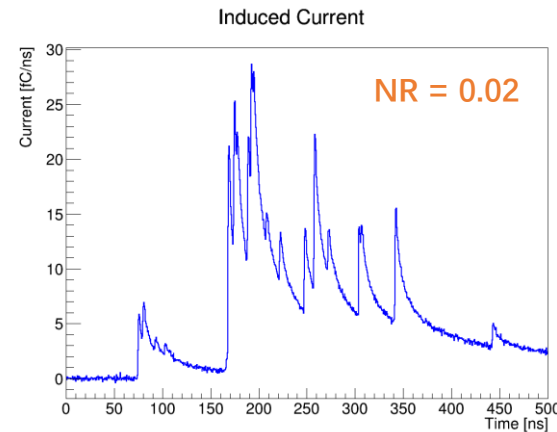
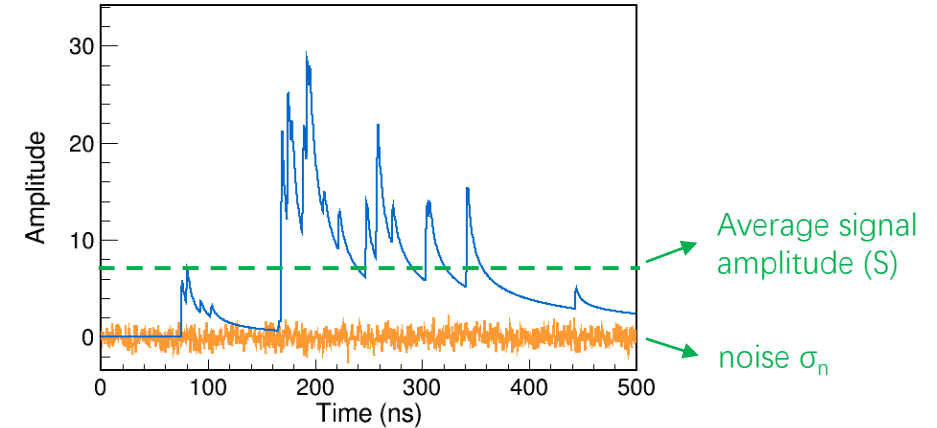
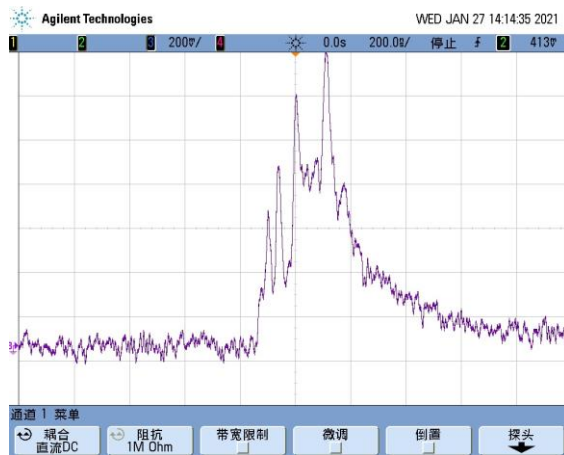
## Broaden of the waveforms with different time constants:



# Electronics (II): noises

- Add white noises to the raw current signal
- Relative noise ratio (NR):  $\frac{\sigma_n}{S}$ 
  - $\sigma_n$ : Standard deviation of noises
  - S: Average signal amplitude per bin (for pions @ 10 GeV/c)

A signal of cosmic ray in T channel for the BESIII MDC



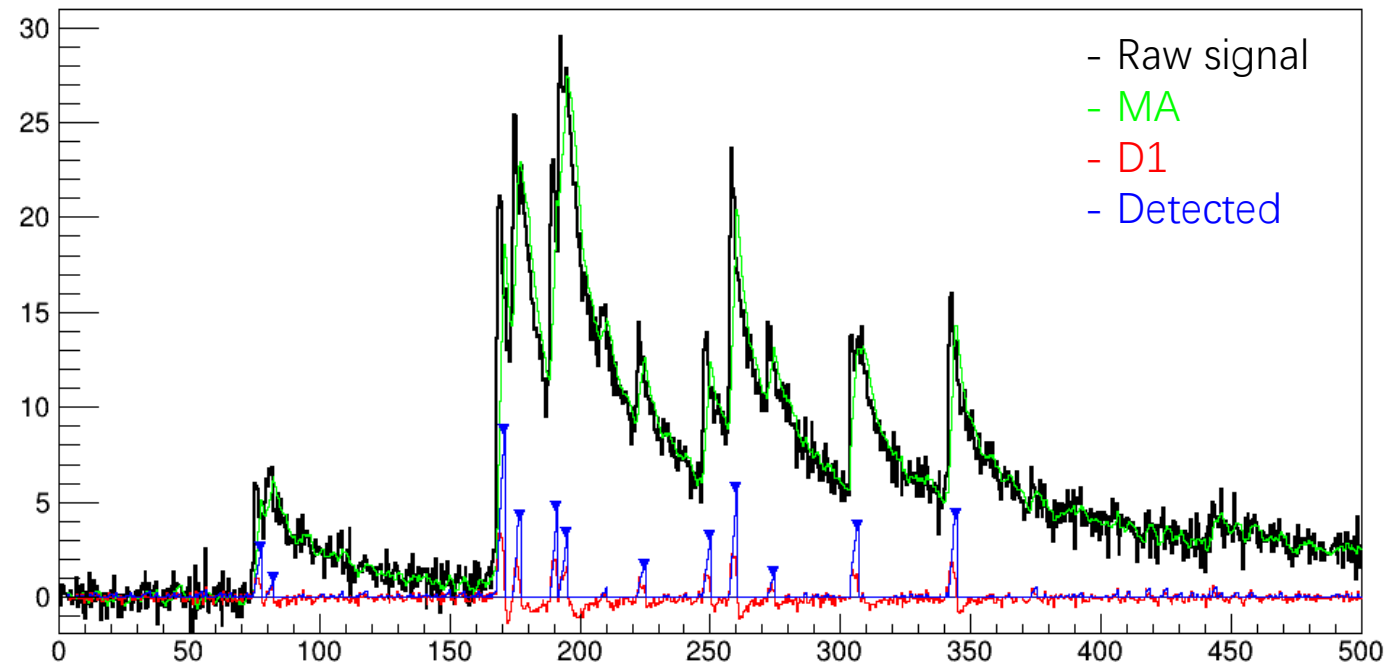
pre-amp:  $\tau = 0.5 \text{ ns}$



# Cluster counting method: MA + D1

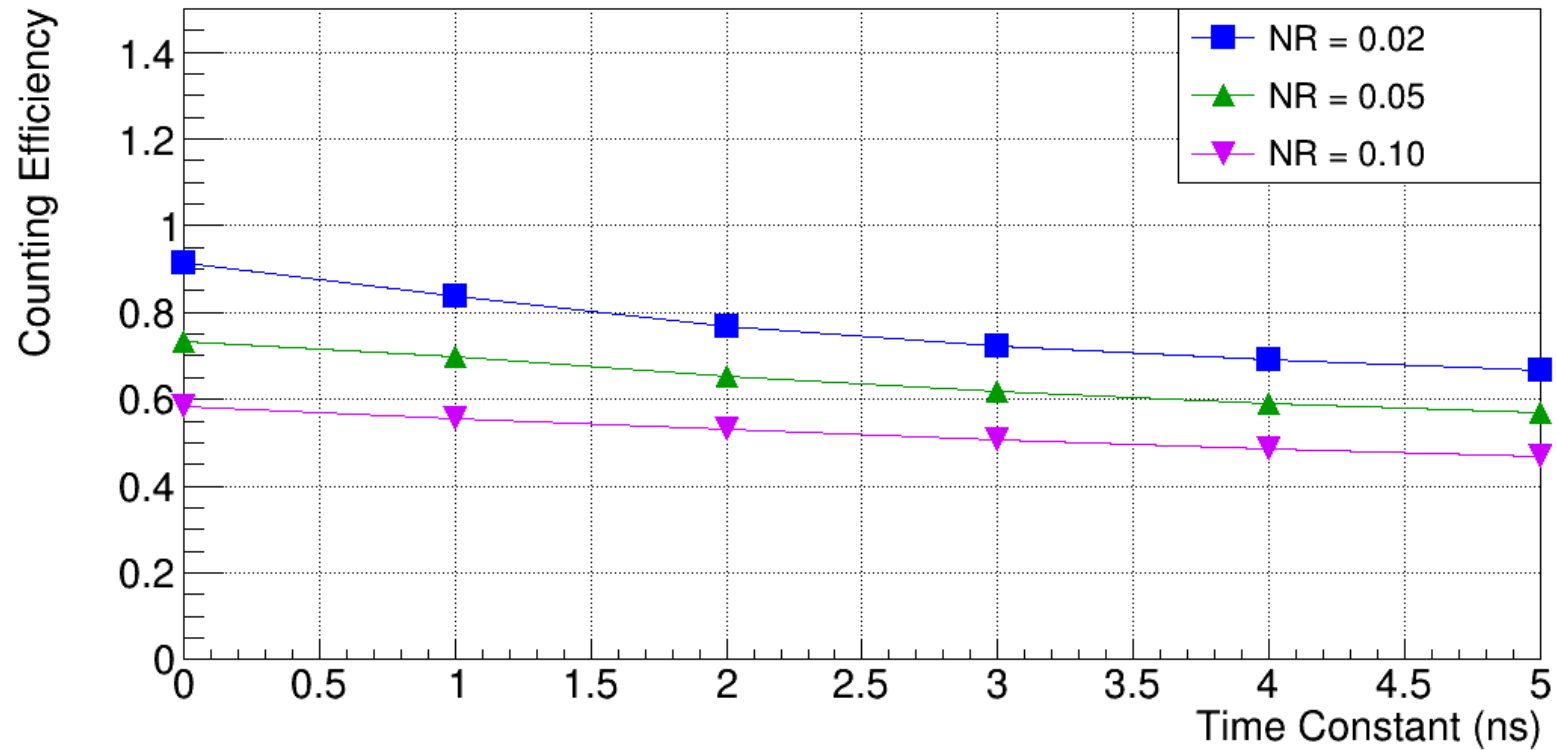
- Moving average (MA) filter:  $MA[i] = \frac{1}{M} \times \sum_{k=0}^{K < M} S[i - k]$  (smoothing)
- First difference (D1) filter:  $D1[i] = MA[i] - MA[i - 1]$

Induced Current

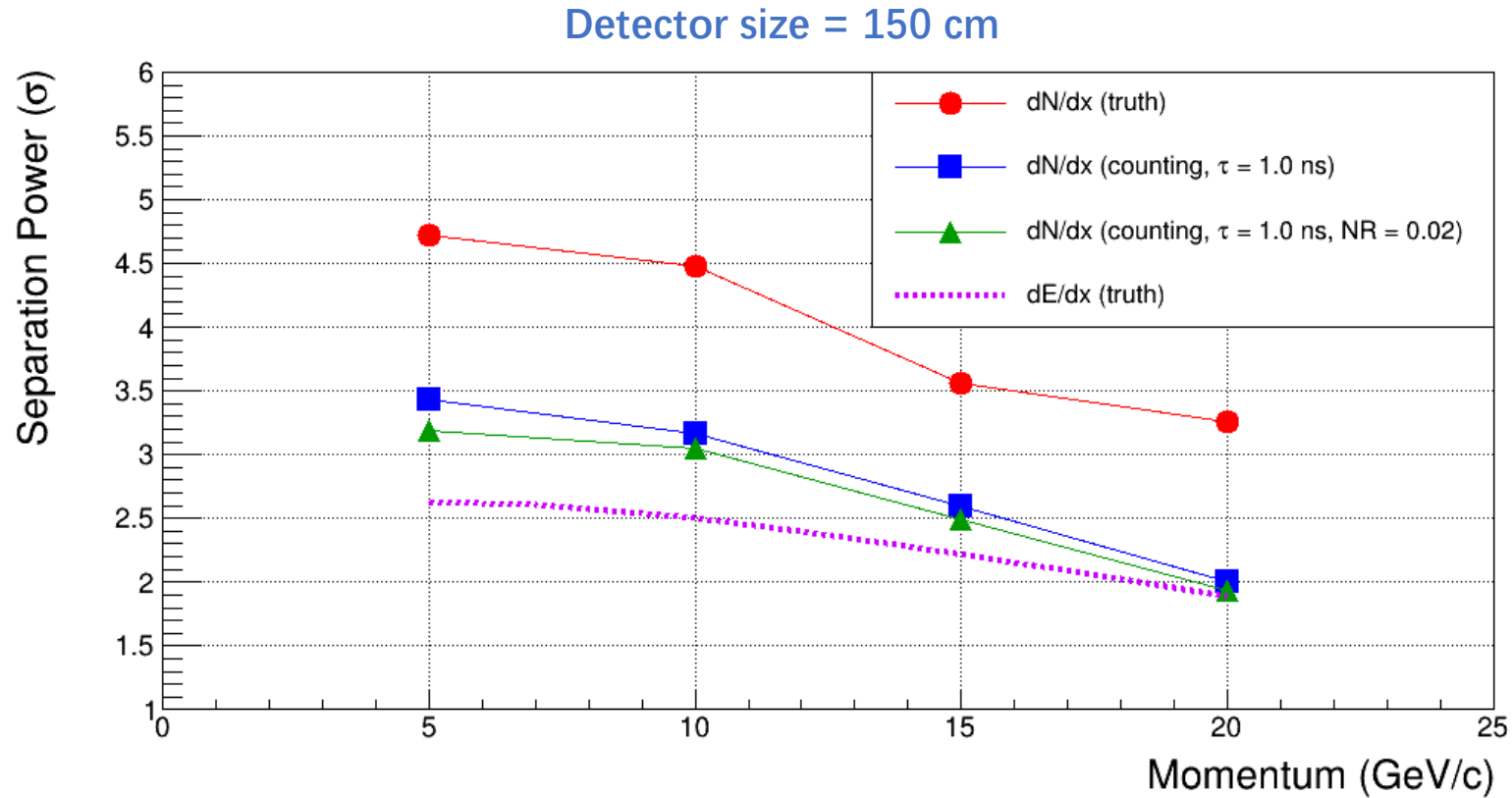


# Counting efficiency

Particle: 10 GeV/c pions,  $\theta = 90^\circ$   
Sampling rate: 2 GHz



# K/pi separation power (det. size = 150 cm)

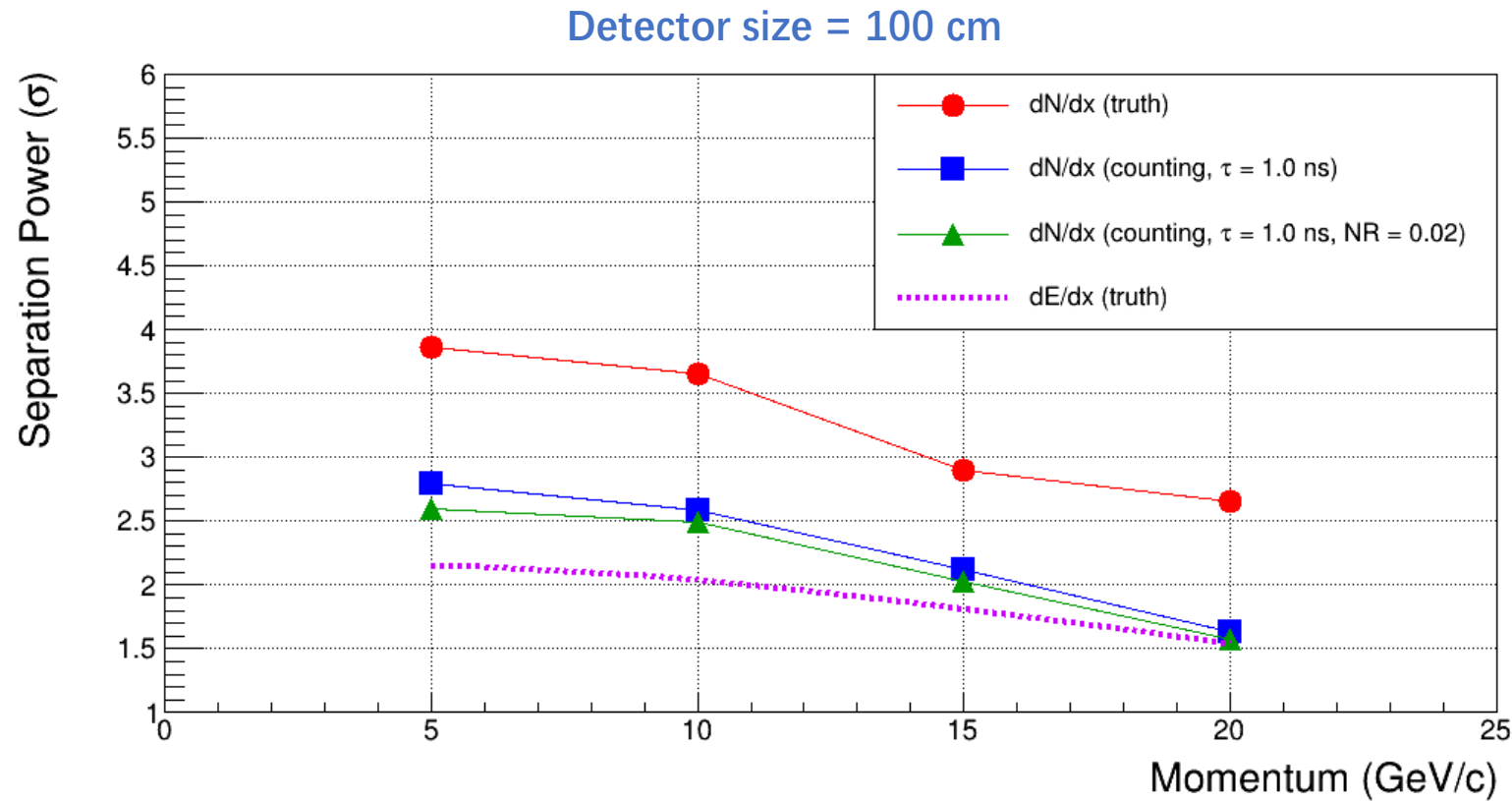


Separation power:

$$\frac{\left| \left( \frac{dN}{dx} \right)_{\pi} - \left( \frac{dN}{dx} \right)_{K} \right|}{\sqrt{\sigma_{\pi}^2 + \sigma_K^2}}$$

Can achieve  $\sim 3(2)\sigma$  K/pi separation power for  $p < 10(20)$  GeV/c

# K/pi separation power (det. size = 100 cm)

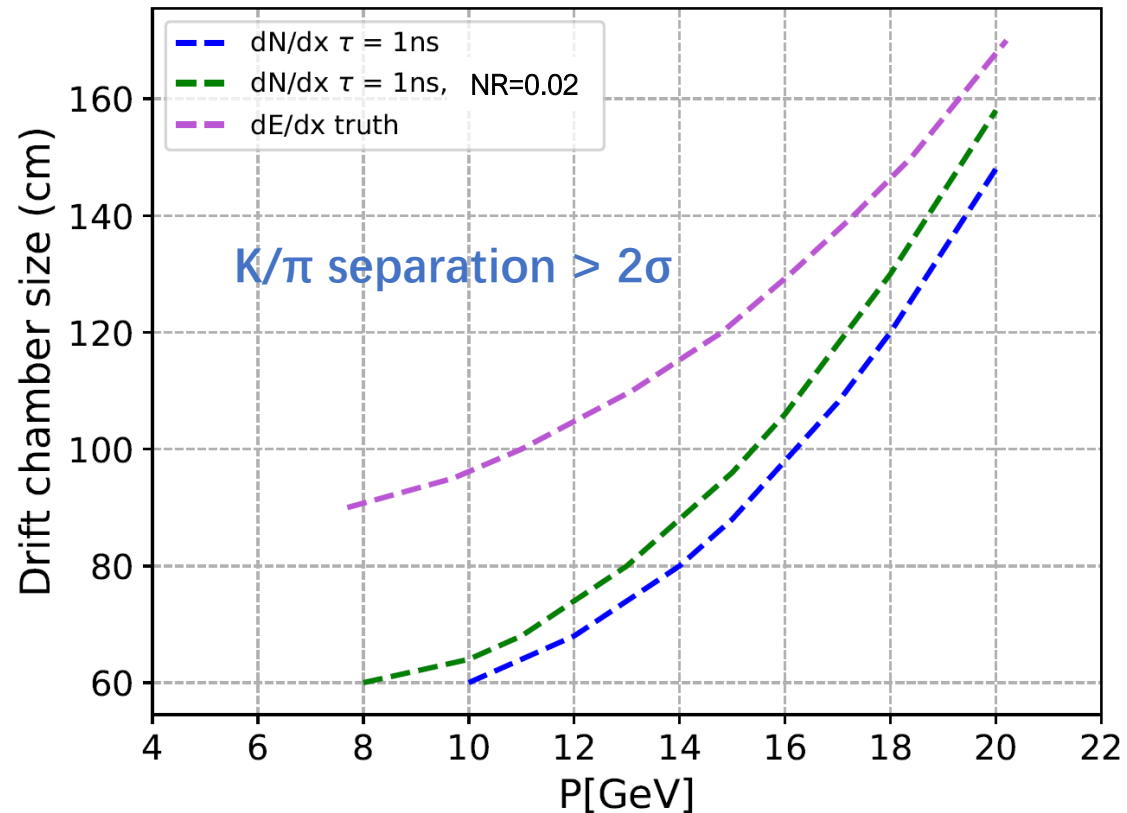


Separation power:

$$\frac{\left| \left( \frac{dN}{dx} \right)_{\pi} - \left( \frac{dN}{dx} \right)_{K} \right|}{\sqrt{\sigma_{\pi}^2 + \sigma_K^2}}$$

Can achieve  $\sim 2(1.5)\sigma$  K/pi separation power for  $p < 15(20)$  GeV/c

# Detector size requirement for $K/\pi$ separation $> 2\sigma$



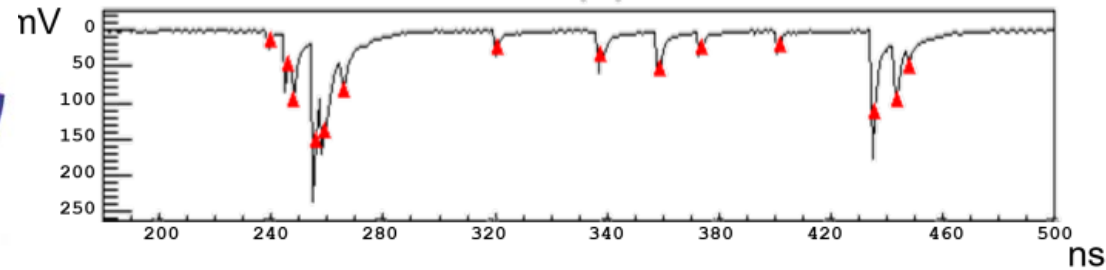
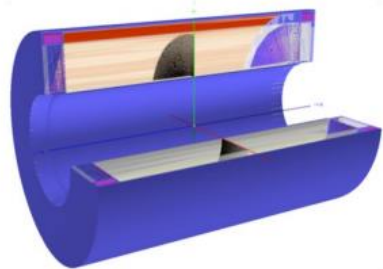
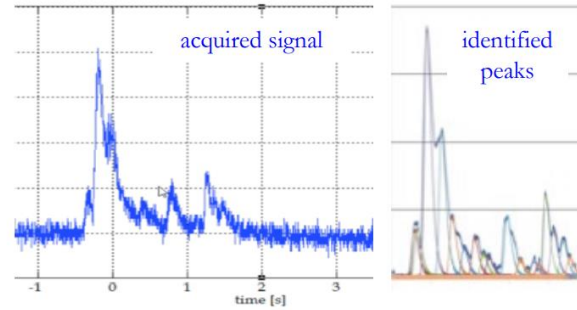
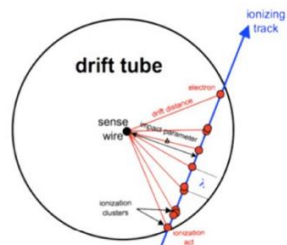
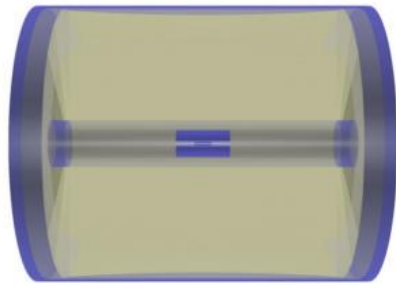
A detector size of  $\sim 150$  ( $100$ ) cm is needed for  $2\sigma$  separation up to 20 (15) GeV/c

# Summary

- **A simulation framework for cluster counting is ready**
  - Signal generation using Garfield++
  - Electronics effects
  - Cluster counting algorithm
- **Preliminary PID performance with baseline configuration is obtained**
  - det. size = 150 cm:  $\sim 3(2)\sigma$  K/pi separation is achievable for  $p < 10(20)$  GeV/c
  - det. size = 100 cm:  $\sim 2(1.5)\sigma$  K/pi separation is achievable for  $p < 15(20)$  GeV/c
- **Next to do**
  - Optimizations
    - Detector design: layout, cell, gas, ...
    - Electronics: tuning parameters based on experiments
    - Reconstruction: counting algorithm, corrections/calibrations
  - Fast simulation development/CEPCSW integration

# Summary

## Cluster counting for the IDEA DCH



See Federica's talk later today

Special thanks to

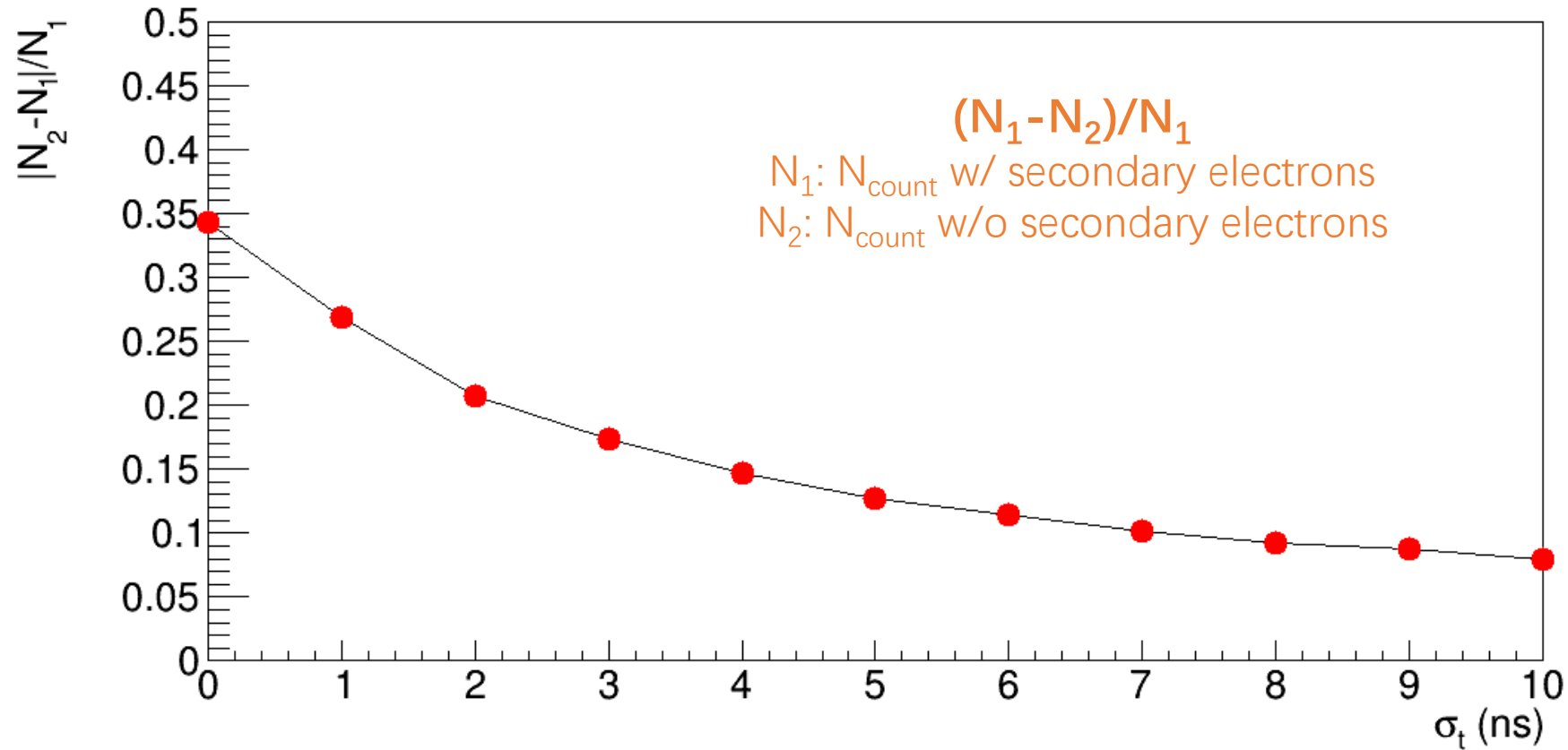
- ✓ the EPC electronics group,
- ✓ Jianbei Liu,
- ✓ Zhijun Liang,
- ✓ Yuanbo Chen,
- ✓ Huayi Sheng,
- ✓ Franco Grancagnolo,
- ✓ Giovanni Tassielli

for the helpful discussion

# Backup

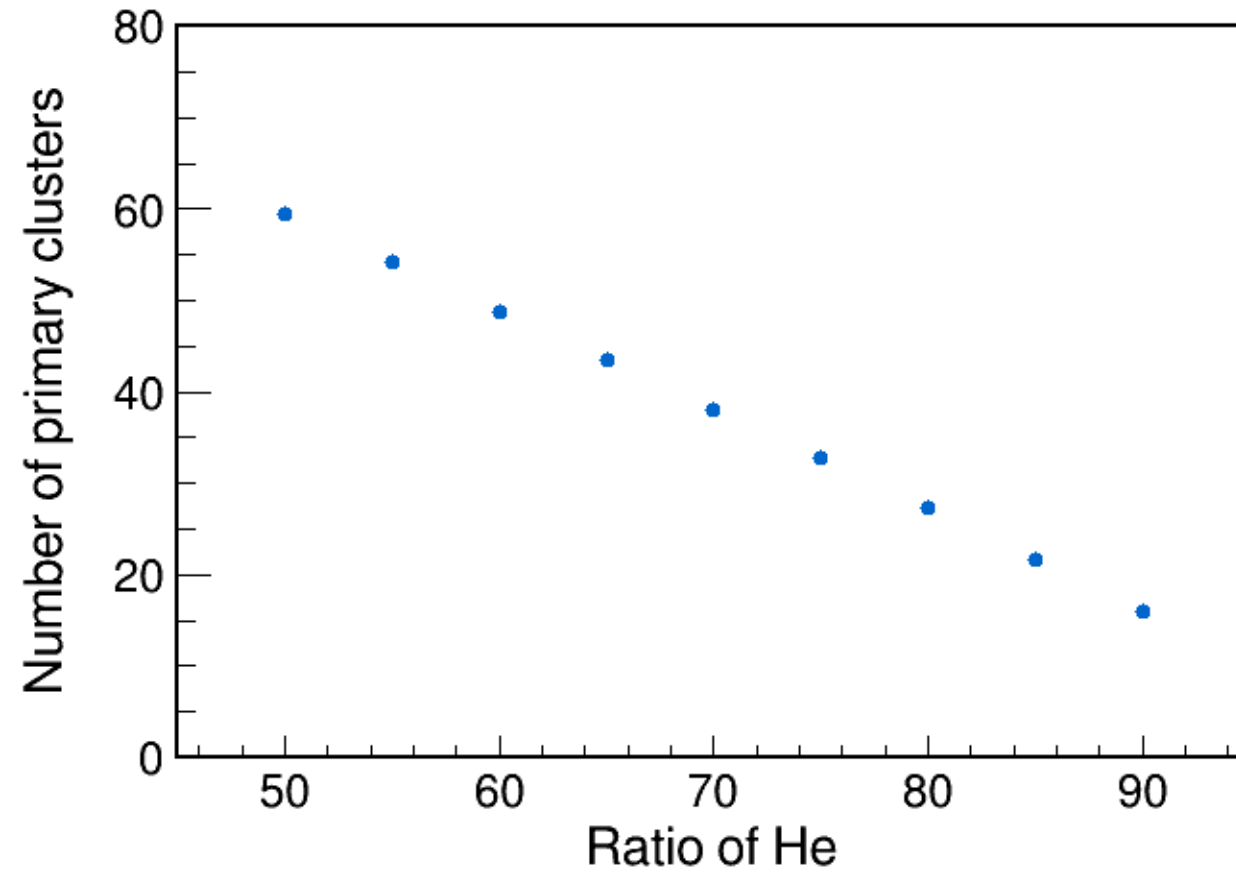


Extra counting vs. Minimum separatable time difference between 2 peaks ( $\sigma_t$ )



Extra counting due to secondaries is suppressed for larger  $\sigma_t$

# $N_{cl}$ vs. Ratio of Helium



# dN/dx resolution for detector size = 150 cm

