

R/Z optimization for the tracker at the CEPC

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Joint Workshop of the CEPC Physics, Software and New Detector Concept

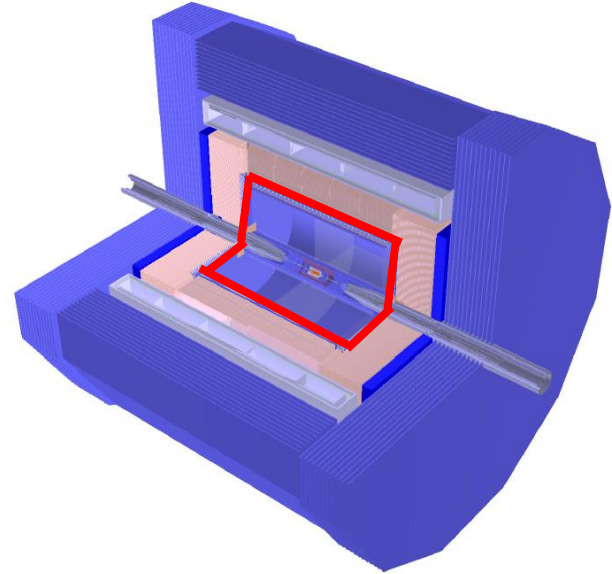
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- Track p_T resolution parameterization
- R/Z optimization of the tracker for the track
- Jet energy resolution parameterization
- R/Z optimization of the tracker for the jet
- Changing the cost
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Introduction

- CEPC
 - $\sim 10^{12}$ Z boson on the Z-pole
 - 1 Million Higgs bosons at 240GeV
- Physics objects:
 - Tracks
 - Jets
- Tracking system of the CEPC
 - Cylindrical configuration
 - Characterized by its radius (R) and length (Z)
- Why Optimal R & Z?
 - The performance depends on the R & Z (with sub-systems tuned to be the best)
 - Construction cost also depends on them

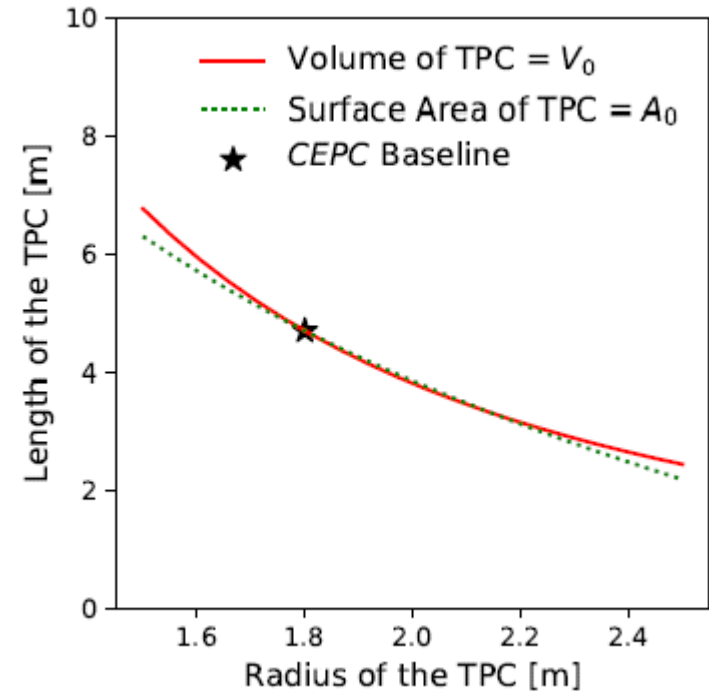


Methodology

- “phenomenal” study
- 1. Differential performance parameterization for tracks and jets
 - as function of kinematic parameters
 - Parameterizations should be done for any radius (R) and any length (Z) of the tracking system

Methodology

- 2. Performance evaluation
 - p_T or E Resolutions averaged over kinematic phase space
- Construction cost
 - Surface area of the TPC (proportional to the volume of ECAL with fix thickness)
 - Volume
- Optimize the R/Z
 - With construction cost as constraint



Track p_T resolution parameterization

- The effective radius (r) is important to determine p_T

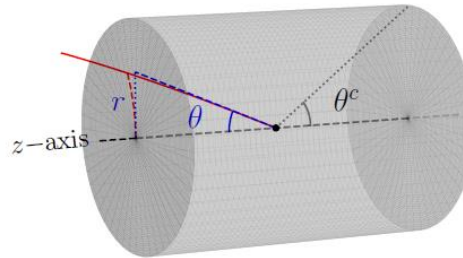


Figure 2: Skeleton diagram of a sideview of the TPC and a trajectory of one particle (marked by the solid red line) hitting its endcap, which has a p_T of 1.8 GeV/c and a θ of 21°.

- $r \sim \min(R, Z/2 \tan(\theta))$
- Bending radius of the track
 - $\rho \sim 1.1E \sin\theta$ m/GeV for a B-field of 3T
- With the case of $r \ll \rho$
 - $\sigma_{p_T} \propto r^{-2}$

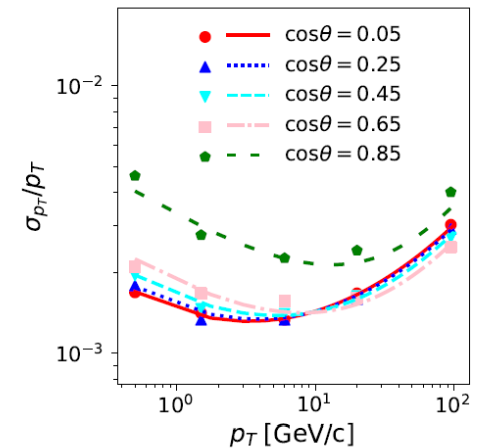
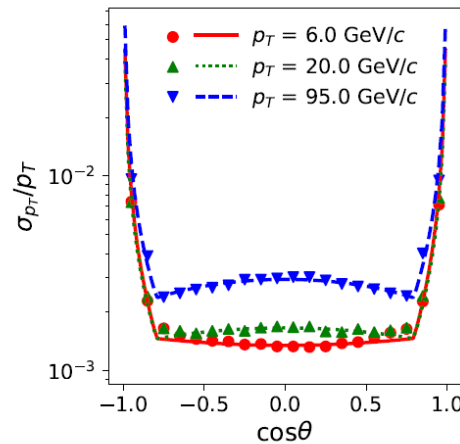
Track p_T resolution parameterization

- Taking account into the dependency on the p_T and the remaining dependency on the polar angle
- Parameters determined from the full simulation data at baseline detector

$$\sigma_{p_T}/p_T = \frac{r^{-2}}{R_0^{-2}}(c_0 + c_1 \cos^2 \theta),$$

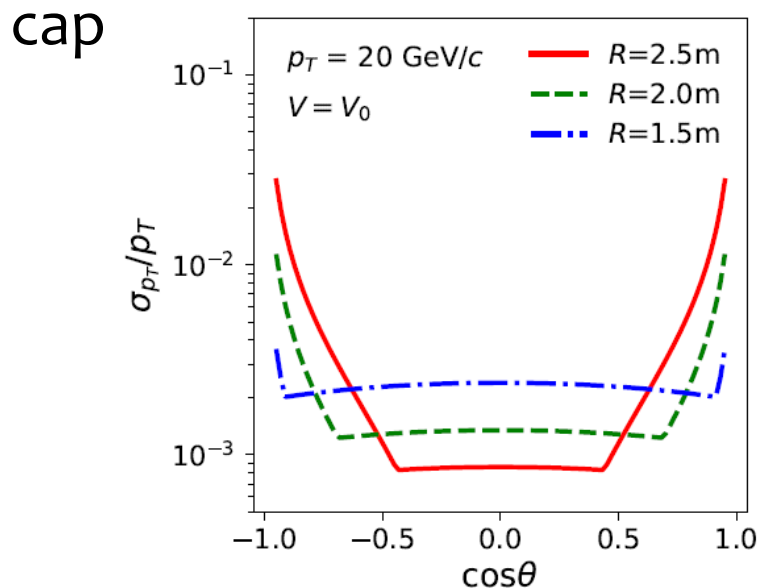
$$\ln c_0 = a_0 + b_0 \ln p_T + d_0 \ln^2 p_T,$$

$$c_1 = a_1 + b_1 \ln p_T + d_1 \ln^2 p_T.$$

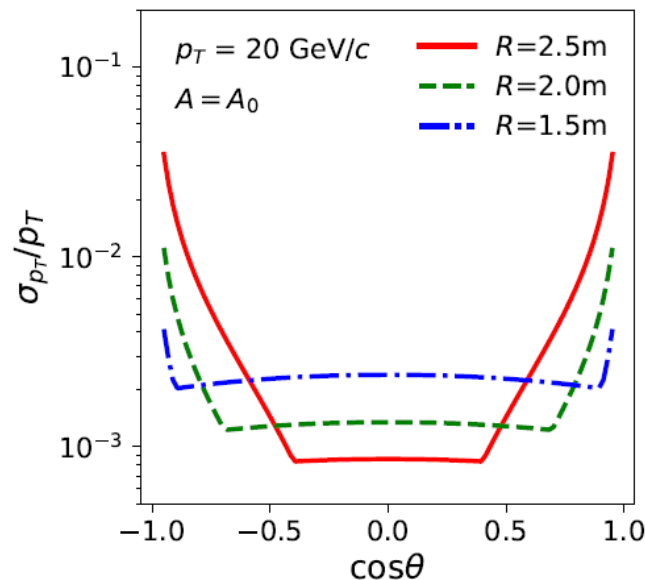


Optimal R/Z of the Tracker for the Track

- Formula employed to general R and Z
- Fix cost
 - Larger R/Smaller Z \rightarrow better performance at the barrel, worse performance at the end-cap
 - Optimal R/Z should balance performance at barrel and end-cap



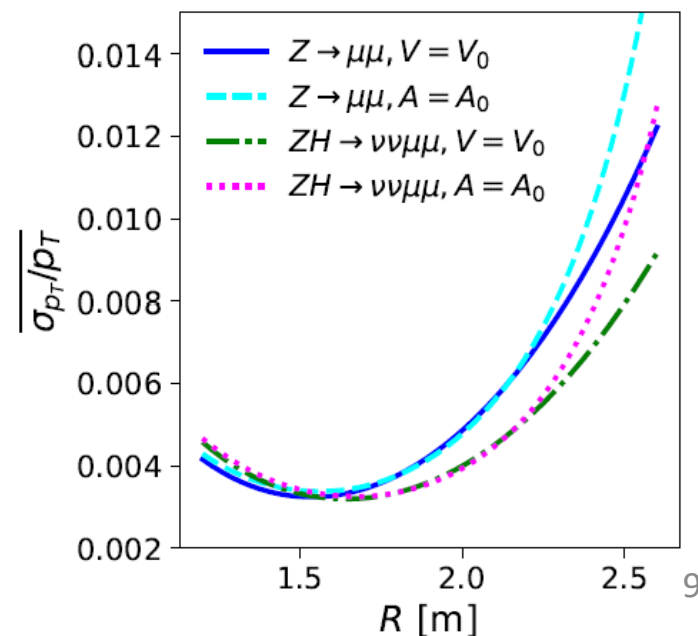
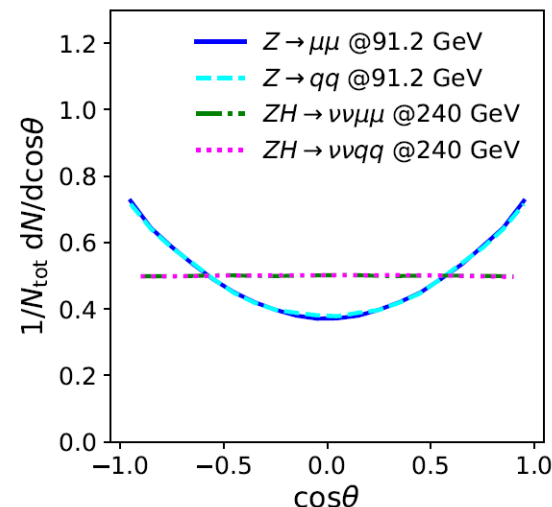
(a)



(b)

Optimal R/Z of the Tracker for the Track

- Average over kinematic phase space (p_T, θ) weighted by objects distribution
 - $|\cos\theta| < 0.99$
 - Benchmark channels
 - $Z \rightarrow \mu\mu$ @91GeV
 - $\nu\nu H \rightarrow \nu\nu H(\mu\mu)$ @ 240GeV
- Optimal R/Z obtained
 - Optimal R/Z on Zpole < the one for Higgs Run
 - Fixing volume or surface area result in similar results

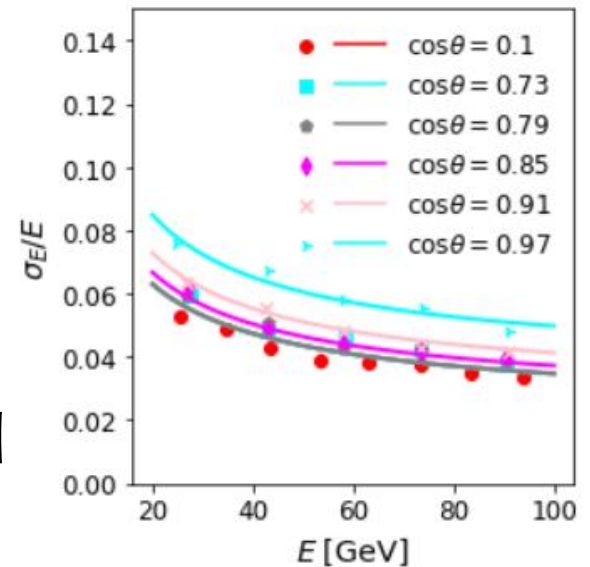


Jet energy resolution (JER) parameterization

- Similar parameterization strategy adopt to jet
- What influence the accuracy with FPA
 - The p_T resolution of the track
 - Track and neutral particles separation

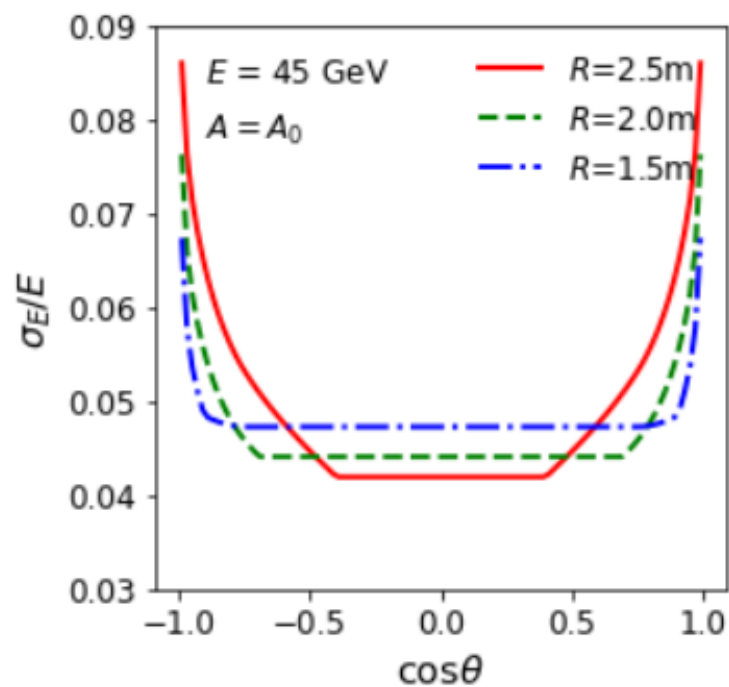
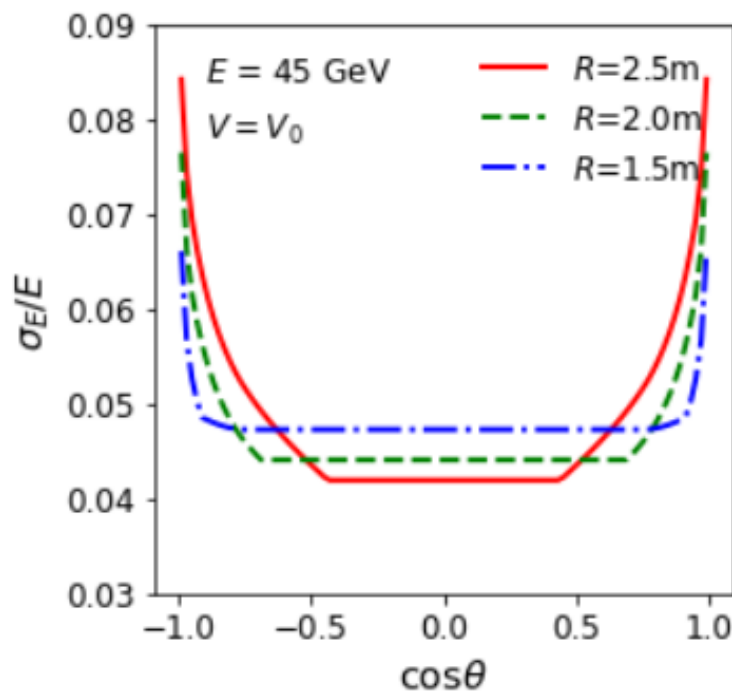
- $$\text{JER} = \sqrt{b_1(E) + \frac{b_2(E)}{r+b_3}}$$
 - $b_i(E) = c + \frac{d_i}{E}, i = 1,2$

- Parameters in the formula extracted from full simulation data at baseline



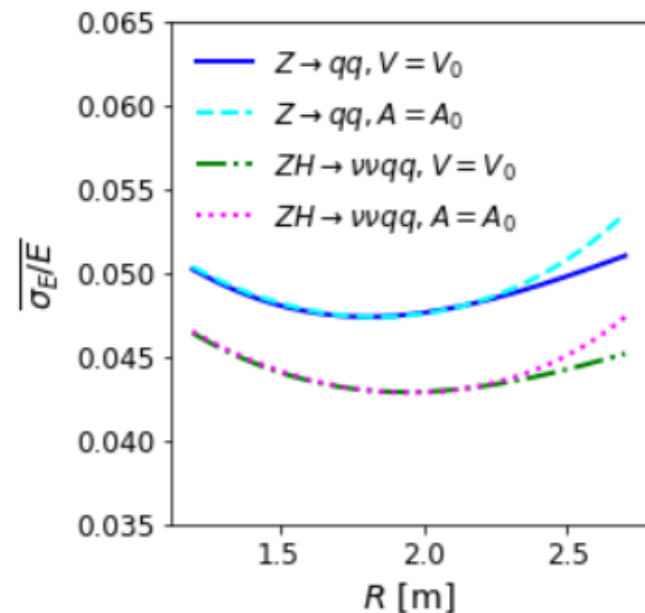
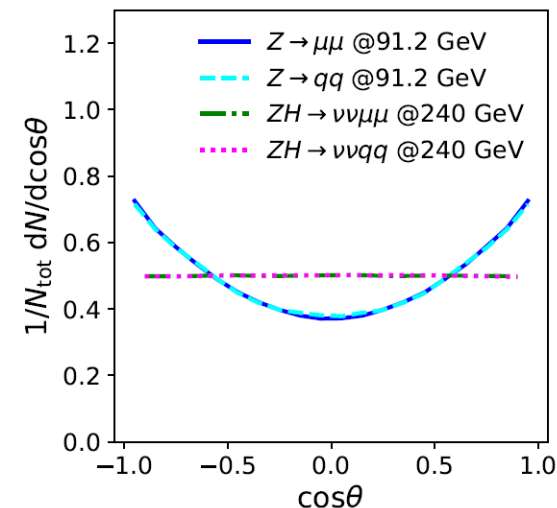
Optimal R/Z of the Tracker for the Jet

- Formula employed to general R and Z
- Fix cost
 - Larger R/ Smaller Z \rightarrow better performance at the barrel, worse performance at the end-cap

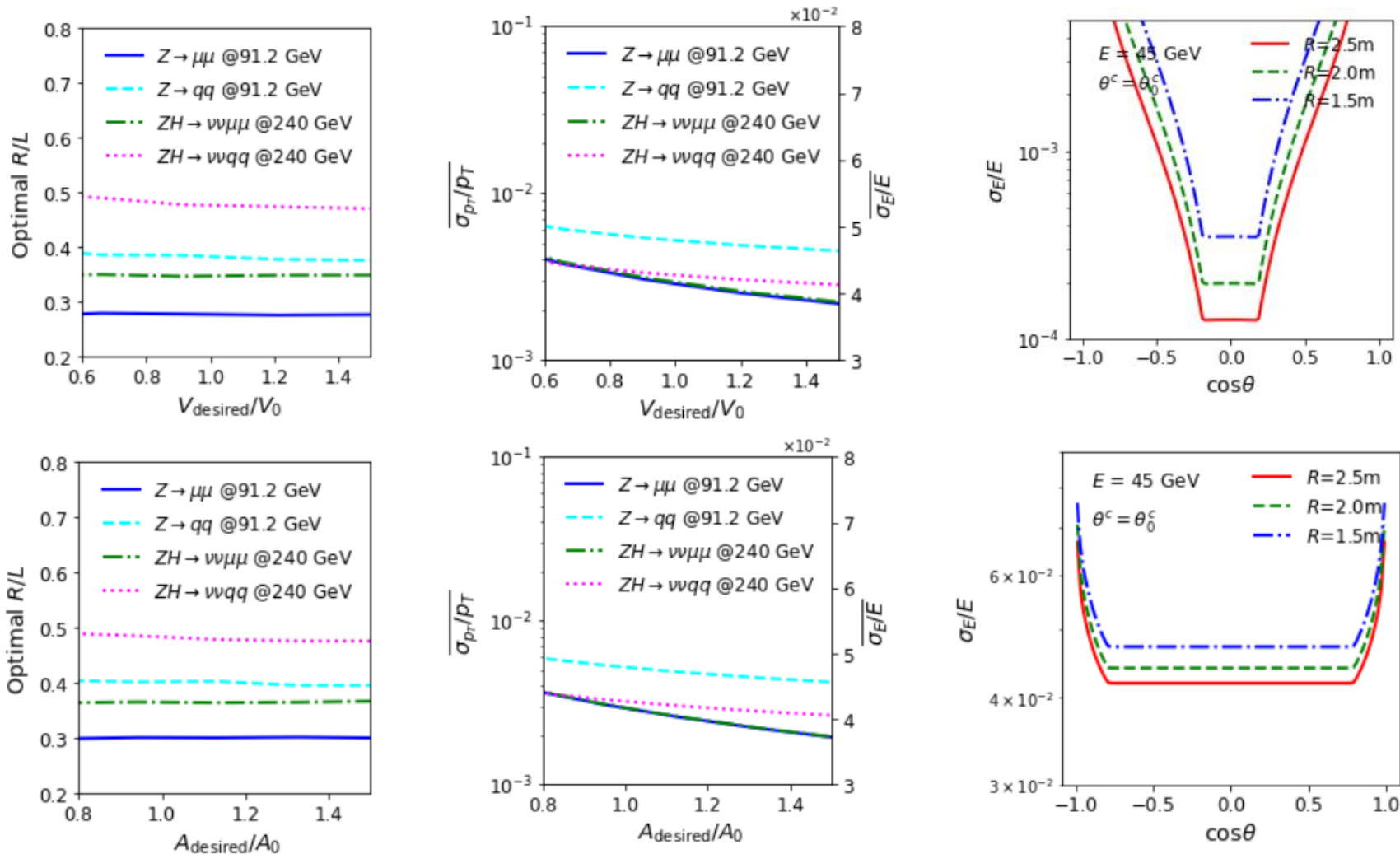


Optimal R/Z of the Tracker for the Jet

- Average over kinematic phase space (E, θ) weighted by objects distribution
 - Benchmark channels
 - $Z \rightarrow qq$ @91GeV
 - $\nu\nu H \rightarrow \nu\nu H(qq)$ @ 240GeV
- Optimal R/Z obtained
 - Optimal R/Z on Zpole < the one for Higgs Run
 - Fixing volume or surface area result in similar results



Changing the cost



Summary

- Optimal $R/Z/(R/Z)$

Physics process	Constraint	Optimal R (m)	Optimal L (m)	Optimal R/L	Yielded resolutions (%)
$Z \rightarrow \mu\mu$	volume of TPC	1.62	5.80	0.279	0.285
$\sqrt{s} = 91$ GeV	surface area of TPC	1.65	5.59	0.295	0.292
$ZH \rightarrow \nu\nu\mu\mu$	volume of TPC	1.74	5.03	0.346	0.292
$\sqrt{s} = 240$ GeV	surface area of TPC	1.77	4.86	0.364	0.294
$Z \rightarrow qq$	volume of TPC	1.81	4.65	0.389	4.73
$\sqrt{s} = 91$ GeV	surface area of TPC	1.84	4.50	0.409	4.73
$ZH \rightarrow \nu\nu qq$	volume of TPC	1.94	4.05	0.479	4.28
$\sqrt{s} = 240$ GeV	surface area of TPC	1.95	4.00	0.487	4.28

- Benchmark nn Z-pole channel prefer smaller radius
- Jets prefer larger radius than tracks
- Provide the understanding of how the shape/sizes of detector affect the track and the jet performance