

# Baryons from or with charm

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# Table of contents

- 1 Introduction
- 2 Baryons from charm
  - Exclusive baryon–antibaryon modes
  - Baryon–antibaryon–meson(s) decays
  - The diquark issue
  - Hybrid baryons
- 3 Baryons with heavy flavour
  - Weak decays
  - Spectroscopy: single heavy flavour
- 4 Conclusions

# Introduction

Two different parts:

- Light baryons from charmonium decay,
- Heavy baryons.

Both probe **light quark dynamics**. In particular

- Level ordering of light-quark excitations,
- Relevance or not of diquark degree of freedom.

Additional issues for double or triple charm or beauty.

# Baryons from charm: exclusive modes

$D_s \rightarrow p \bar{n}$  First stressed by X.Y. Pham (1980), seen by CLEO (2008).  
Test of PCAC, annihilation mechanism in weak decays.

$J/\psi \rightarrow$  baryon–antibaryon

Channel	BR ( $10^{-3}$ )	BR/ $p^{2\ell+1}$
$p\bar{p}$	$2.12 \pm 0.10$	1.5
$n\bar{n}$	$2.2 \pm 0.4$	1.5
$\Lambda\bar{\Lambda}$	$1.30 \pm 0.12$	1.3
$\Sigma\bar{\Sigma}$	$1.27 \pm 0.17$	1.3
$\Xi\bar{\Xi}$	$0.9 \pm 0.2$	1.1
$\Delta\bar{\Delta}$	$1.10 \pm 0.29$	1.2
$\Sigma^*\bar{\Sigma}^*$	$0.52 \pm 0.07$	0.8

# Baryons from charmonium: exclusive modes

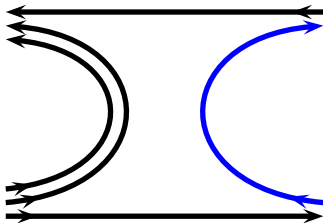
$\psi(2S) \rightarrow$  baryon–antibaryon

Channel	BES-I	CLEO-c
$p\bar{p}$	$2.16 \pm 0.15 \pm 0.36$	$2.87 \pm 0.12 \pm 0.15$
$\Lambda\bar{\Lambda}$	$1.81 \pm 0.20 \pm 0.27$	$3.28 \pm 0.23 \pm 0.25$
$\Sigma^0\bar{\Sigma}^0$	$1.2 \pm 0.4 \pm 0.4$	$2.63 \pm 0.35 \pm 0.21$
$\Xi^-\bar{\Xi}^+$	$0.94 \pm 0.27 \pm 0.15$	$2.38 \pm 0.30 \pm 0.21$

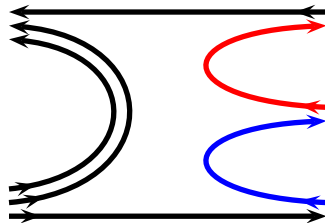
The parameter  $\alpha$  of the angular distribution  $\propto 1 + \alpha \cos^2 \vartheta$  also measured.

# Discussion: SU(3) symmetry

and even SU(6). No *strangeness suppression factor* needed. This was discussed in a variety of contexts, e.g.,  $N\bar{N}$  annihilation: some claimed leading mechanisms require such a suppression, in particular the dominance of planar diagrams.



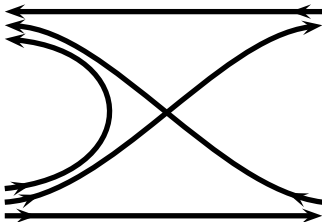
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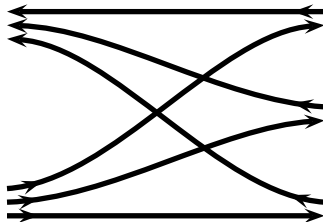
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# Discussion: SU(3) symmetry

in contrast to “rearrangement” diagrams



R2



R3

# Baryon–antibaryon–meson(s) decays

Consider  $J/\psi \rightarrow B\bar{B}m$ . From Dalitz plot contains much information, in particular:

- **baryon–antibaryon** mass distribution. Interesting enhancements, due to attraction in the baryon–antibaryon interaction. Speculations about baryonium!
- **baryon–meson** or c.c. mass distribution: baryon excitation spectrum from a *clean* initial state in a limited mass range.
- In particular,  $p\bar{p}\eta$  S11(1535) and S11(1650) recovered (P-states excitations in the quark model)
- $p\bar{n}\pi^- + \text{c.c.}$ , peaks observed, at about  $1360 \text{ MeV}/c^2$  and  $2030 \text{ MeV}/c^2$ .
- First peak seemingly  $N^*(1440)$  (Roper resonance). In the quark model, this is a radial excitation. Surprisingly it lies below the orbital excitations. In a any reasonable static potential, the radial excitations are *above*, as in the 2-body systems using a similar interaction.



# Baryon–antibaryon–meson(s) decays

- Resonance at  $2030 \text{ MeV}/c^2$ , with preferred QN  $(1/2)^+$  or  $(3/2)^+$ . Several “missing states” there, as compared to the symmetric quark model.
- lowest state with **3-body character** has  $\ell_x = \ell_y = 1$  in each Jacobi variable, with an antisymmetric coupling to an overall  $L = 1$ , e.g., factor  $\vec{x} \times \vec{y}$  in the specific HO model. Can be associated to an antisymmetric spin–isospin wave function with  $l = 1/2$  and  $s = 1/2$ . Thus  $J^P = (1/2)^+$  or  $(3/2)^+$  after recoupling  $\vec{L}$  and  $\vec{s}$ .
- Not confirmed in other modes, or from  $\psi(2S)$ .

# The diquark issue

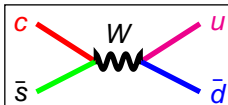
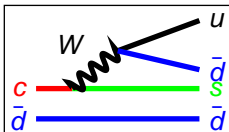
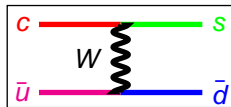
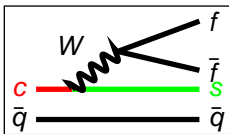
- Diquarks introduced early, see Lichtenberg's review at Torino,
- Often rediscovered,
- Simplified picture of baryons as quark–diquark,
- However, if taken seriously, low-mass diquarks lead to a **proliferation of exotics**: diquark–antidiquarks, 3-diquark states = dibaryons, etc., see Frederikson' demon deuteron,
- Some models explaining new charmonium states as  $(cs) - (\bar{c}\bar{s})$  should check their  $(cs\ cs\ cs)$  sector against  $(ccc) + (sss)$
- the issue remains open in the light quark sector. Are “**missing states**” (predicted in  $(qqq)$ , not in  $(q[qq])$ ) simply not coupled to usual production channels, or really missing?

# Hybrid baryon

- In principle on the same footing as hybrid mesons,
- But not leading to exotic quantum numbers,
- No need for additional states from the present data,
- Still hybrid baryons regularly proposed to solve specific questions, e.g.,  $\Lambda(1405)$  (Kisslinger & Henley), or the Roper resonance.

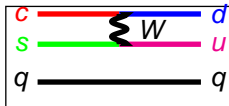
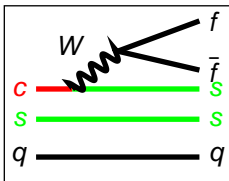
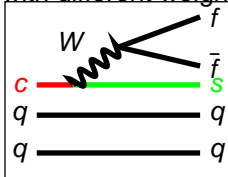
# Weak decays

- A major issue. When it was discovered that  $\tau(D^0) \ll \tau(D^+)$ , this was a shock! (Exaggerated in the first date, ratio  $\sim 4$  instead of 2.5)
- Charm **does not ignore its surrounding** while decaying,
- ***W* – exchange**, annihilation, and **interferences**



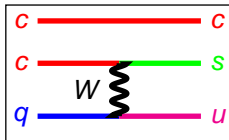
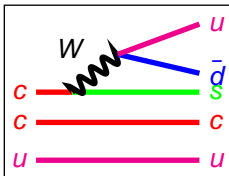
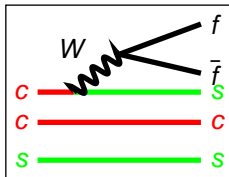
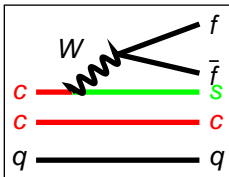
# Weak decays-2

Predictions made for **baryons** (Ruckl, Guberina, ...). Same mechanisms, with different weights.



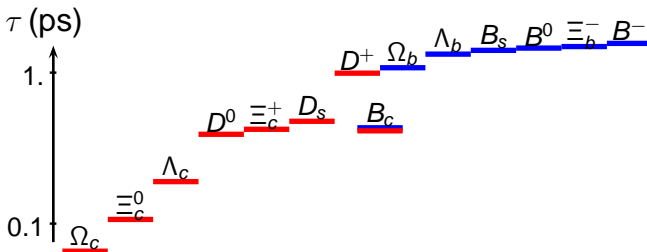
# Weak-decays-3

For double charm



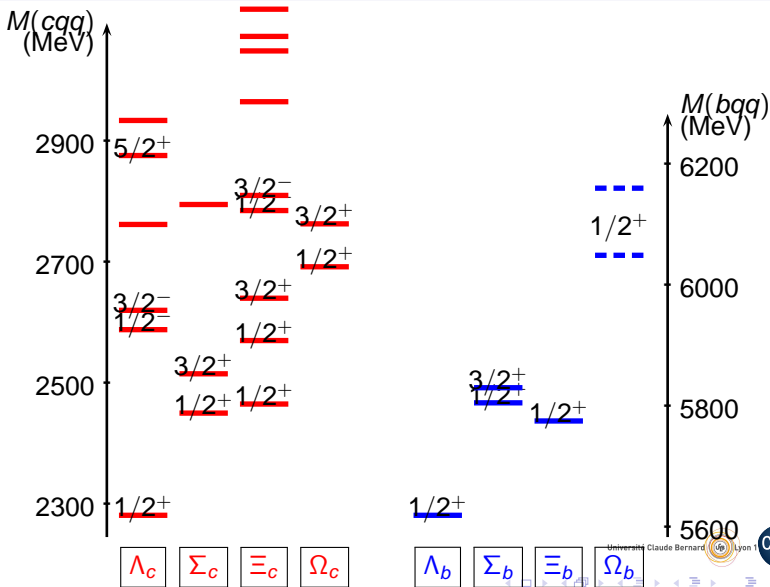
# Lifetime: Results

Hierarchy as predicted. But **more pronounced spread**.



Double and triple charm welcome!

# Spectroscopy: single heavy flavour





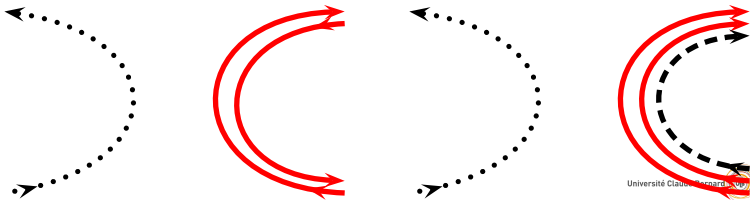
# Spectroscopy: single heavy flavour-2

- Almost perfect  $b \leftrightarrow c$  correspondence, and anticipated changes, such as  $\Sigma_b^* - \Sigma_b < \Sigma_c^* - \Sigma_c$ ,
- The highest candidate for  $\Omega_b$  (from  $D0$ ) less likely than the lowest one (CDF).
- For  $\Lambda_c$ , first excitation seemingly with negative parity. Where is the Roper?
- Same observation for  $\Xi_c$
- Isospin breaking: Regularly revisited. Difficulties for the  $\Sigma_c$  in the conventional approach (Varga et al., Fritsch). More recently, Gua et al. found a better description of the data using chiral perturbation theory.

# Double charm baryons

## Experimental situation

- Rather embarrassing. The SELEX collaboration at Fermilab has claimed to see the  $\Xi_{cc}^+$  in two modes, one with the remaining charm in a baryon (PRL), another in a meson (PLB). Some candidates (not published but shown at Conferences) for isospin or spin partners.
- Unfortunately, not seen in other experiments. In particular FOCUS at Fermilab.
- Not seen also in B-factories. See,
- The paradox



# Double charm baryons

## Theory

- More and more papers. First by Lee et al.
- **QCD sum rules**, Zhang (Hunan), Wang (North China E. P.), Narison et al., etc.
- **Lattice QCD** (Flynn et al., ,Liu et al.)
- **Constituent-quark estimates**, with or without refinements.
- **Quark–diquark** limit often stressed: in  $(QQq)$   
 $\langle r(QQ) \rangle \ll \langle (r(Qq)) \rangle$ . But this is not very much informative.
- As for  $H_2^+$  in atomic physics, a *Born–Openheimer* is more fruitful, that gives the ground state and the first excitations (Fleck et al.), and opens the door for an improved treatment, where the effective  $QQ$  potential is estimated on lattice and then used in a Schrödinger equation for  $QQ$ .
- The  $(QQq)$  combines in a single object two limits: the quasi-static motion of two heavy quarks, as in quarkonium and the ultra-relativistic motion of a light quark around a coloured source, as in  $D$  or  $B$  mesons.

# Triple charm baryons

- A new deal for baryon spectroscopy (Bjorken).
- Not yet accessible experimentally.
- Studies in constituent models, where it becomes rather simple, as compared to other baryons.
- Already in 1980, using a potential inspired by an adiabatic version of the bag model, suited for heavy quarks (Hasenfratz et al., Aerts et al.)
- Recently,  $\Omega_{bbb}$  estimated on the Lattice (Meinel). Earlier, but with less advanced lattice technique, this was for the case for (ccc) (Chiu).

# Triple charm

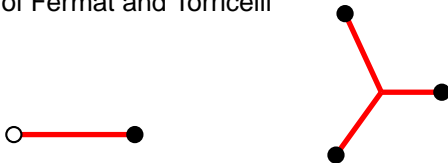
## The static potential

- Hasenfratz et al., Aerts et al., 1980: **3-body** potential. Also anticipated by many authors (Artru, Merkuriev, Dosch, Kogut, etc.), Now supported by lattice QCD.

- 

$$V = \lambda \min_j (\|JA_1\| + \|JA_2\| + \|JA_3\|),$$

- An old problem of Fermat and Torricelli



- Not much change for the baryon spectrum.
- Extension to multiquarks: dramatic changes.

# Conclusions

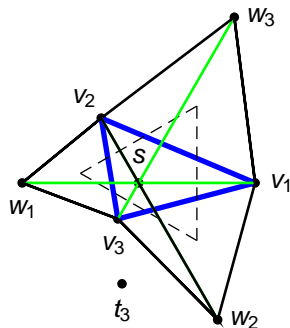
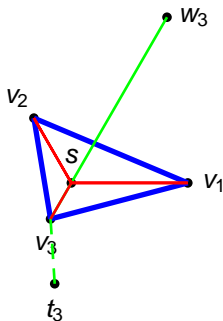
- Clean approach to light baryons from quarkonium decay
- To be extended to  $(b\bar{b})$  and  $B$  decay
- Dramatic progress in  $(Qqq)$  spectroscopy
- Production and identification of  $(QQq)$  remain puzzling
- $(QQQ)$  is an interesting limit of QCD

# THE END

# EXTRA SLIDE



# Steiner tree: baryons



$$\min_s \left\{ \|sv_1\| + \|sv_2\| + \|sv_3\| \right\} = \max \left\{ \|v_3w_3\| + \|v_3t_3\| \right\}$$