# Uncertainties on the fake rate method $\mathrm{H}_{\mathrm{T}}$ distributions 

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## Uncertainties on FR method

- We are inspired by EXO-19-015
- Their idea is to perform validation of the FR method in a region with similar background composition as the signal region
- Validation is a data/MC agreement check on the variable they are going to use in final fit
- We follow a similar approach


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Uncertainties on FR method $H_{T}$

## Definition of the validation region

- As a reminder: we compute fake rates in the so-called control region $(C R)$ : same requirements as $S R$, but no $b$ tagged jets

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- Orthogonal to both CR and SR
- Being orthogonal to SR, we can look at data here (not blinded)

|  | $\mathrm{N}_{\tau_{h}}$ | $\mathrm{~N}_{\ell}$ | $\mathrm{N}_{\text {jets }}$ | $\mathrm{N}_{\text {bjets }}$ |
| :---: | :---: | :---: | :---: | :---: |
| CR | 1 | 0 | $\geq 8$ | 0 |
| VR | 1 | 0 | $\geq 8$ | 1 |
| SR | 1 | 0 | $\geq 8$ | $\geq 2$ |

## Definition of the validation region

- The VR background composition is similar to the one in the SR: lots of QCD, non-negligible $t \bar{t}$, some $t \bar{t}+X$

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- It looks fine to perform validation in this region
- Compute the QCD yield expected by the FR method in the VR MC QCD yield FR QCD yield
exp. yield 7792 12392


## Validation of the FR method

- Assumed we are going to fit $\mathrm{H}_{\mathrm{T}}$ distribution in this category
- We don't have a BDT here
- Perform data/MC agreement for $\mathbf{H}_{\mathbf{T}}$ distribution in the VR
- Scale the MC QCD shape to yield coming from FR method
- Interestingly, using the FR yield enhances the data/MC agreement:

|  | MC QCD yield | FR QCD yield |
| :---: | :---: | :---: |
| data/MC | $28 \%$ | $0.2 \%$ |

## Validation of the FR method



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## Remarks on validation procedure

- Based on previous slide agreement, we should assess the uncertainty on

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- I propose to assign two uncertainties in the datacard
- One log-normal unc. of $\approx 4 \%$ for the statistical uncertainty on the yield
- One log-normal unc. of some value for the above level of agreement
- MC QCD spikes make it hard to decide the level of agreement
- Binning in EXO-19-015 is pretty coarse, rebinning could work but I don't like the idea so much
- Try to get the shape of QCD from data as well
- Statistics would be increased a lot


## QCD shape estimation: general idea

- First, we need a QCD-dominated region which is sufficiently close to the SR
- We have it already, it's the CR used in the FR method
- $96 \%$ QCD purity in the CR
- Take the QCD shape from the $\mathbf{C R}$ in data

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- Correct for kinematic differences between CR and VR using the simulation
- Take the ratio of $H_{T}$ shapes in VR and CR, fit it and get a transition function from CR to VR
- Apply the transition function to the data distribution in CR to get the final shape in the VR


## Transition function

- Just compare shapes: normalize areas to 1
- Of course, QCD spikes are present here, so we cannot hope for a precise ratio
- Smoothen the ratio by fitting with a straight line
- This straight transition factor is applied to the $H_{T}$ distribution of data in the CR


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Uncertainties on FR method to obtain the final shape

## Corrected data shape



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- Blue: $\mathrm{H}_{\mathrm{T}}$ shape from data in CR ; red: $\mathrm{H}_{\mathrm{T}}$ shape from data in CR corrected with CRtoVR transition function


## Validation of the FR method: QCD shape from data



## Validation of the FR method: QCD shape from data

- What level of uncertainty should we assess for this procedure?
- By a closer look at the ratio plot, we see that none of the points disagrees by more than $\mathbf{2 0 \%}$
- Actually, all of them are compatible with one except for $1000<\mathrm{H}_{\mathrm{T}}<1100$ GeV and $1400<\mathrm{H}_{\mathrm{T}}<1500 \mathrm{GeV}$ bins
- Given that some degree of uncertainty also comes from the shape estimation, I would say that assigning a $15 \%$ uncertainty on the QCD estimation looks fair (and maybe conservative)
- Room for discussion here



## $H_{T}$ distributions

- In categories where we didn't train a BDT, we plan to fit $\mathbf{H}_{\mathrm{T}}$ distributions
- Check the distributions to see if this variable really separates signal from backgrounds

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- Of course do not plot data here: we are blinded!
- 1tau0L has a special treatment. Estimate QCD shape in the SR with identical method as for the VR (see following slide)


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## $\mathrm{H}_{\mathrm{T}}$ distributions: 1tau0L



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## $\mathrm{H}_{\mathrm{T}}$ distributions: 1tau3L



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## $\mathrm{H}_{\mathrm{T}}$ distributions: 2tau0L



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## $\mathrm{H}_{\mathrm{T}}$ distributions: 2tau2L



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