



Development of large area μ RWELL detector

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Outline

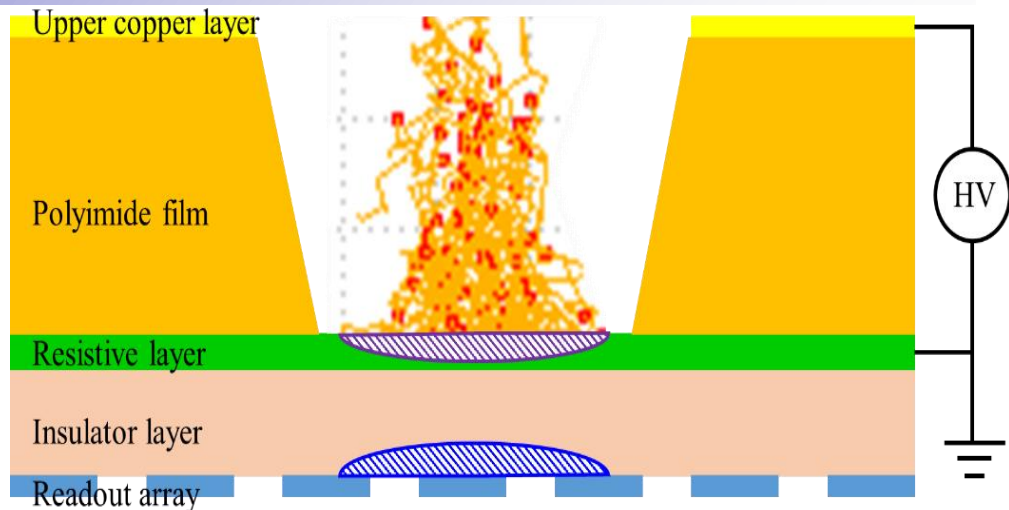
- 1. Motivation**
2. Fast grounding research
3. Detector performance optimization:
magnetic field
4. Summary



μ RWELL detector

μ RWELL detector

- Suppressiveness of sparks
- Large gain
- Simple structure



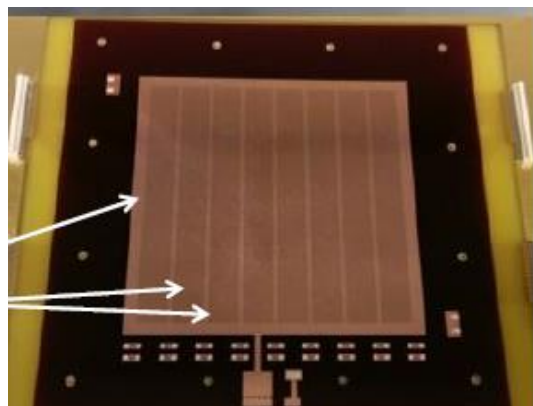
Several developments of μ RWELL detector:

Large area



2021/11/10

High rate capability



Customization for applications



The 2021 International Workshop on the High Energy
Circular Electron Positron Collider



Overview: μ RWELL in CEPC

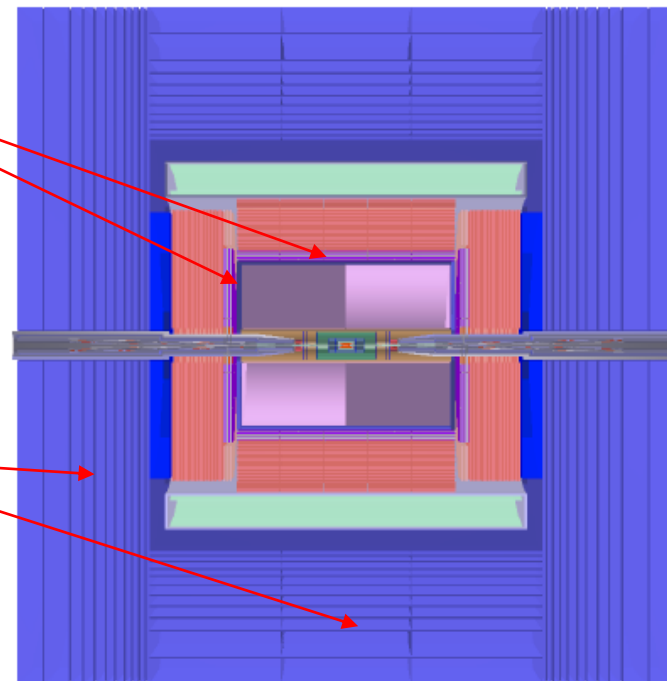
1. Preshower detector

Alternative applications of
 μ RWELL in CEPC

2. Muon detector system

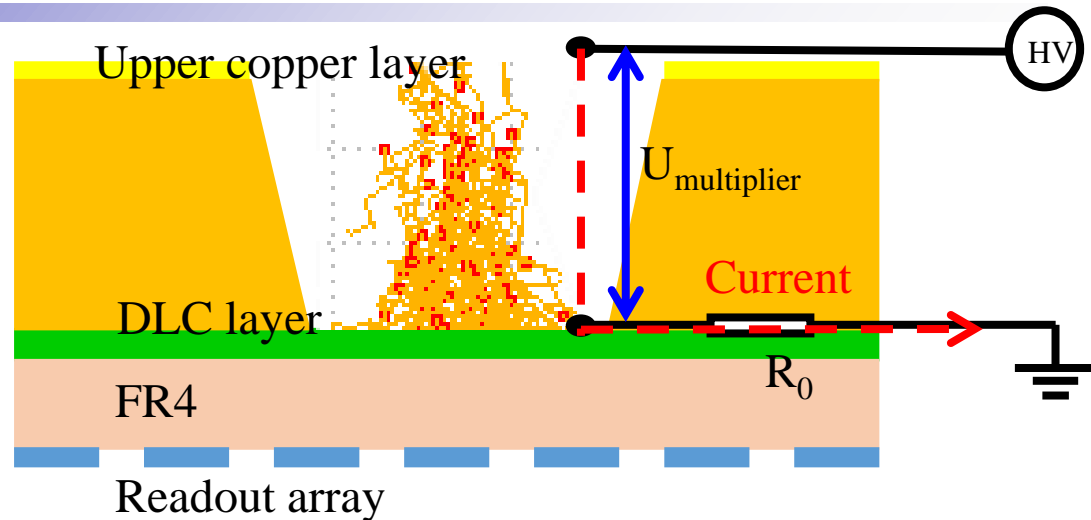
Requirements:

- Large area
- High robustness
- Good rate capability
- Stable performance under different working conditions



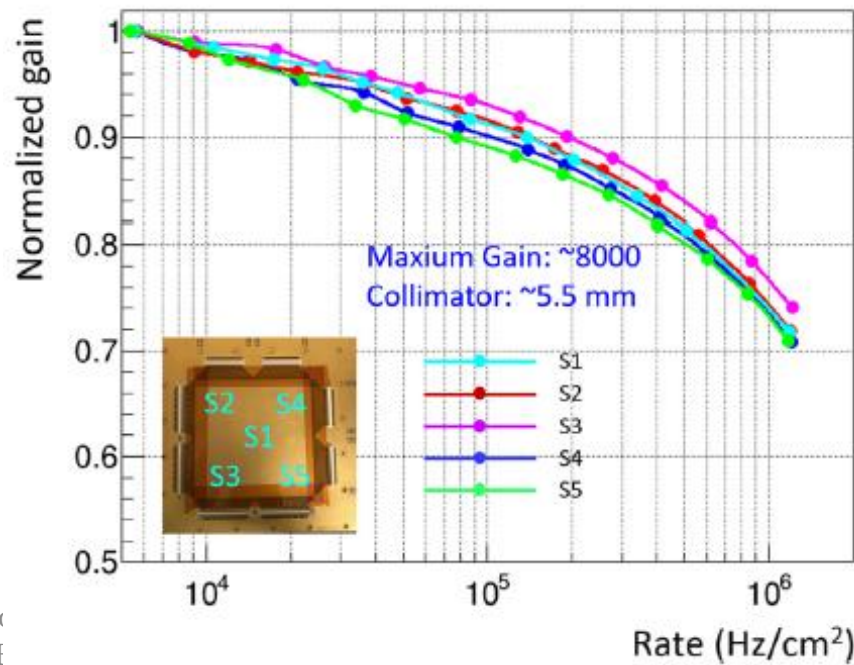


μ RWELL rate capability



For traditional μ RWELL:

- Decreased gain under high rate
- Caused by the introduction of resistive layer
- Harmful to performance, especially with large area

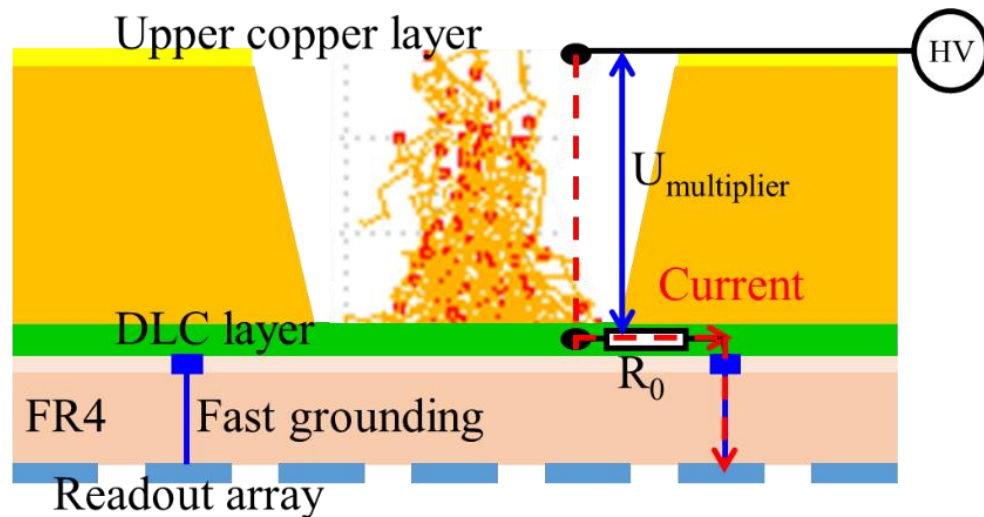




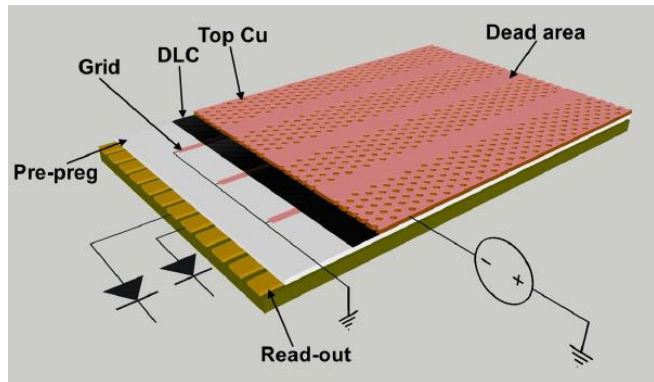
Fast grounding μ RWELL

Fast grounding:

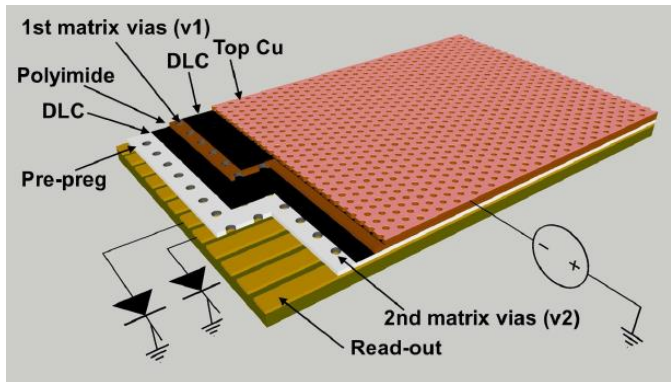
- Setting grounded conductor array
- Decreasing equivalent grounding resistance of DLC
- Remaining detector gain



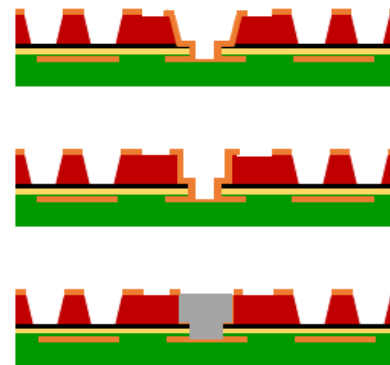
1D strip-grounded



Double layer point-grounded



Point-grounded





Research direction

Two effects:

- (U) Voltage drop effect by DLC flowing current
- (Q) Electrostatic field effect of accumulated charge

Principle:

- Contributions of the two effects
- Optimization of μ RWELL fast grounding for large area

Manufacturing technologies:

- Performance evaluation of existing technologies
- Acceptable manufacturing deviation



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Voltage drop effect

Simulation 1: Kirchhoff-equation-method

Key points:

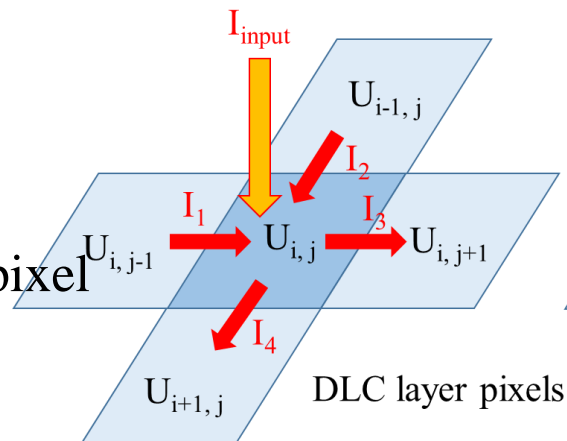
- Dividing DLC into 2-D grid
- I_{in} equals I_{out} in each pixel
- Potential equals 0 in grounded pixel
- Kirchhoff equations
- Solving voltage drop distribution on

DLC, and flowing out current
distribution on grounded-pixels

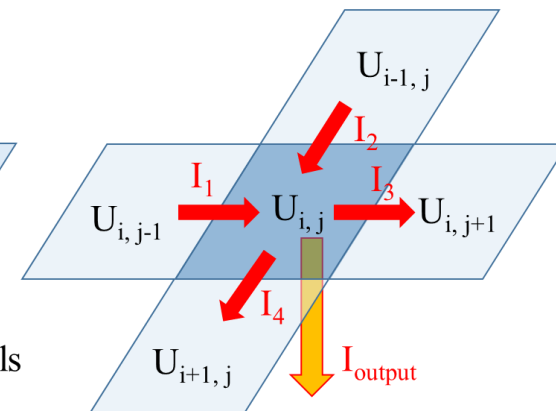
Advantages

- Accurate solutions

Irradiated pixel



Grounded pixel



Disadvantages:

- Low calculation speed
- Cannot get DLC equivalent resistance effectively

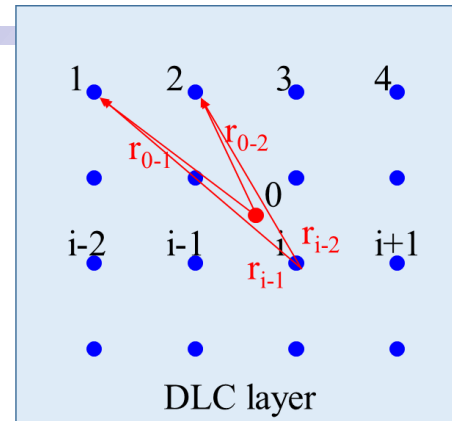


Voltage drop effect

Simulation 2: Ideal-formula method

Key point:

- Dividing DLC and irradiation area into 2-D grid
- Solving flowing out current distribution on grounded-pixels
- Calculating voltage distributions by each I_{in} I_{out} pair
- Summing weighted
- Traversing all the irradiated pixels and getting the total effect



Blue circle: grounded points

Red circle: current flowing in point

$$U_i - U_1 = \frac{I_0 \cdot R_s}{2\pi} \sum_{j=1}^N \omega_j \cdot \ln \left(\frac{r_{j-i}}{r_{j-1}} \right) = 0$$

Advantages:

- Fast calculation speed
- Getting DLC equivalent resistance simultaneously

Disadvantage:

- Distortion at the DLC boundary



Voltage drop effect

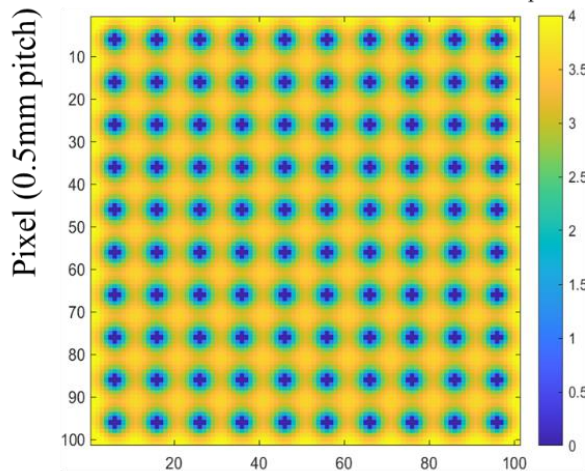
Simulation results:

- 1 MHz/cm² 8.1 keV X ray, $G_0 = 24000$
- Main area of DLC: voltage drop 2.8 V $\pm 5\%$
- **$G/G_0 = 91.8\% \pm 0.3\%$**

Kirchhoff-equation-method

(a)

U_{drop} (V)

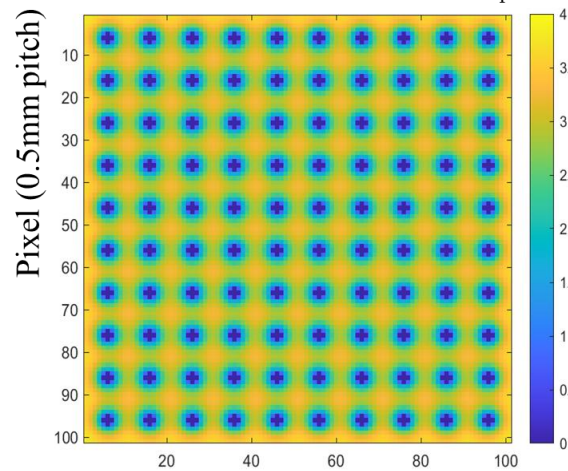


Pixel (0.5mm pitch)

Ideal-formula method

(b)

U_{drop} (V)

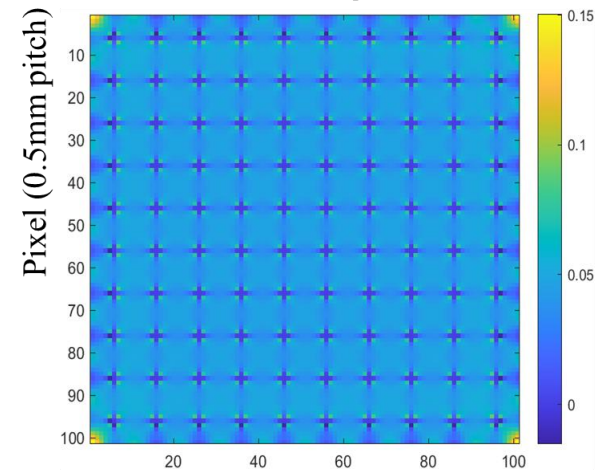


Pixel (0.5mm pitch)

ΔU ratio

(c)

U_{drop} difference ratio



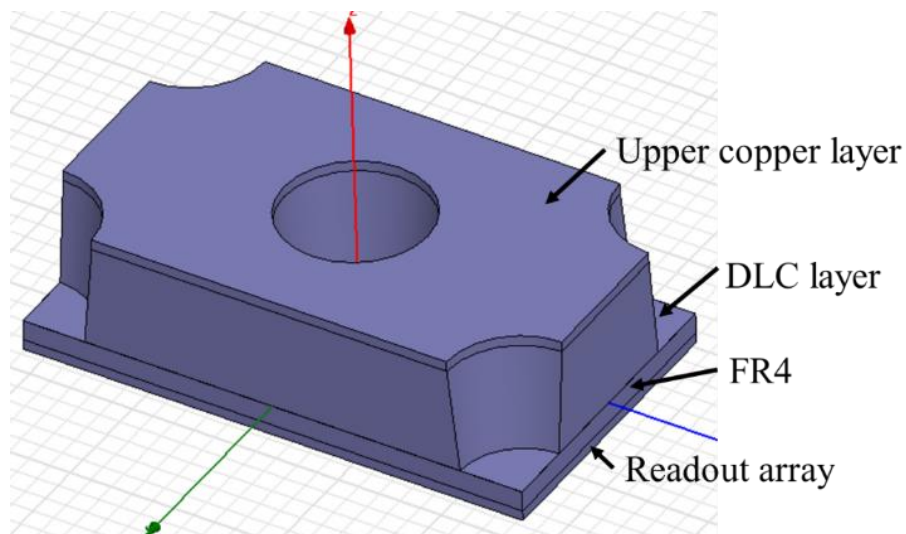
Pixel (0.5mm pitch)



Charge accumulation effect

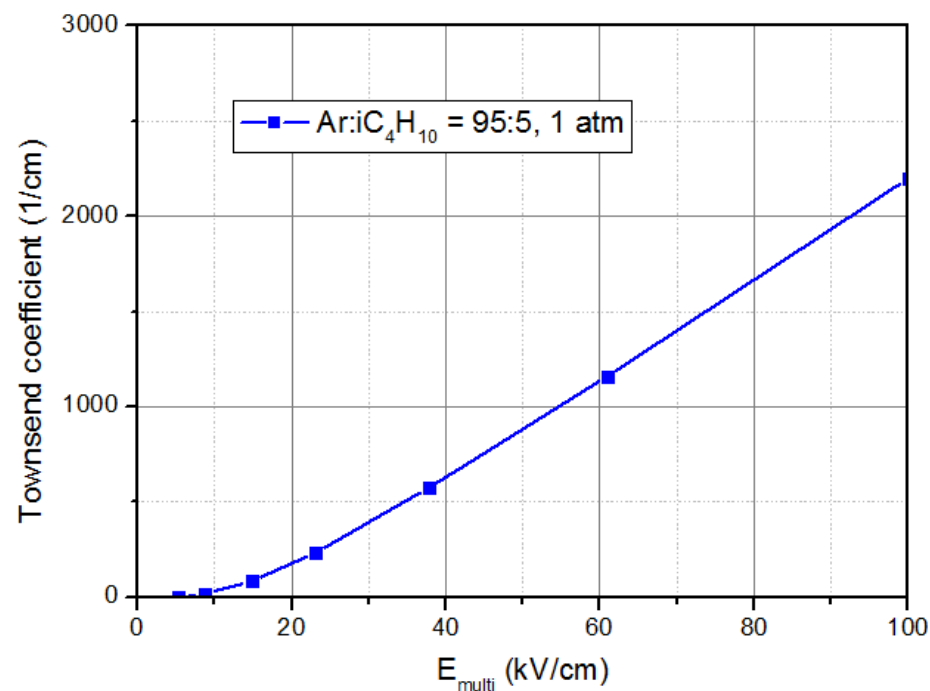
1. Maxwell simulation

- Electric field with charge areal density



2. Garfield database

- Townsend -electric field relationships

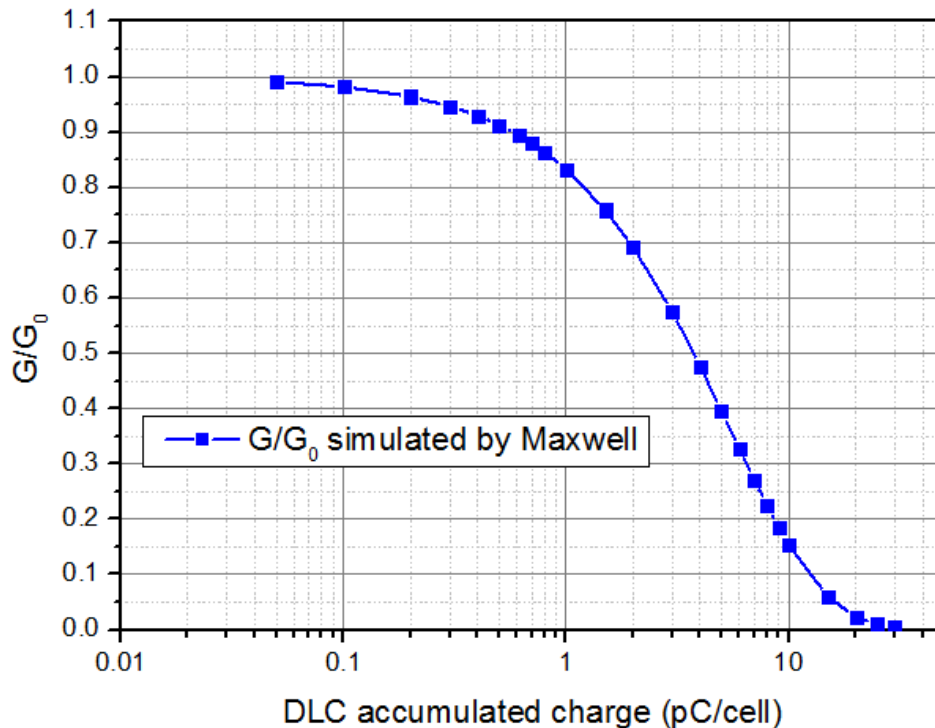




Charge accumulation effect

3. Accumulation in the μ WELL

- Charge accumulation effect



In the steady state:

$$\Delta Q = \frac{\Delta E}{W} \cdot G \cdot Rate \cdot S_{rad}$$

$$dt \cdot \Delta Q = \sigma_0 \cdot S_{rad} \cdot \left(1 - e^{-\frac{dt}{\tau}}\right)$$

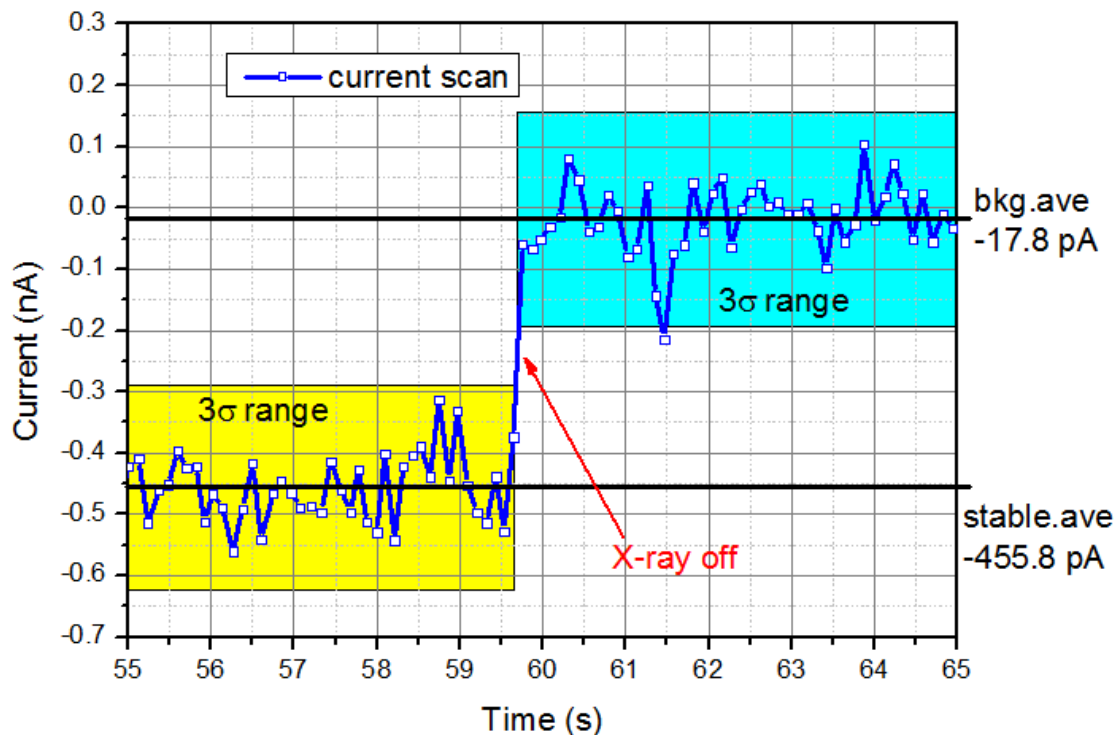
$$\begin{aligned} \therefore \sigma_0 &= \frac{dt \cdot \Delta Q}{S_{rad} \cdot \left(1 - e^{-\frac{dt}{\tau}}\right)} = \frac{dt \cdot \frac{\Delta E}{W} \cdot G \cdot Rate \cdot S_{rad}}{S_{rad} \cdot \frac{dt}{\tau}} \\ &= \tau \cdot \frac{\Delta E}{W} \cdot G \cdot Rate \end{aligned}$$



Charge accumulation effect

The accumulated charge areal density is proportional to the time constant of DLC-ground circuit.

- PEDF μ RWELL:



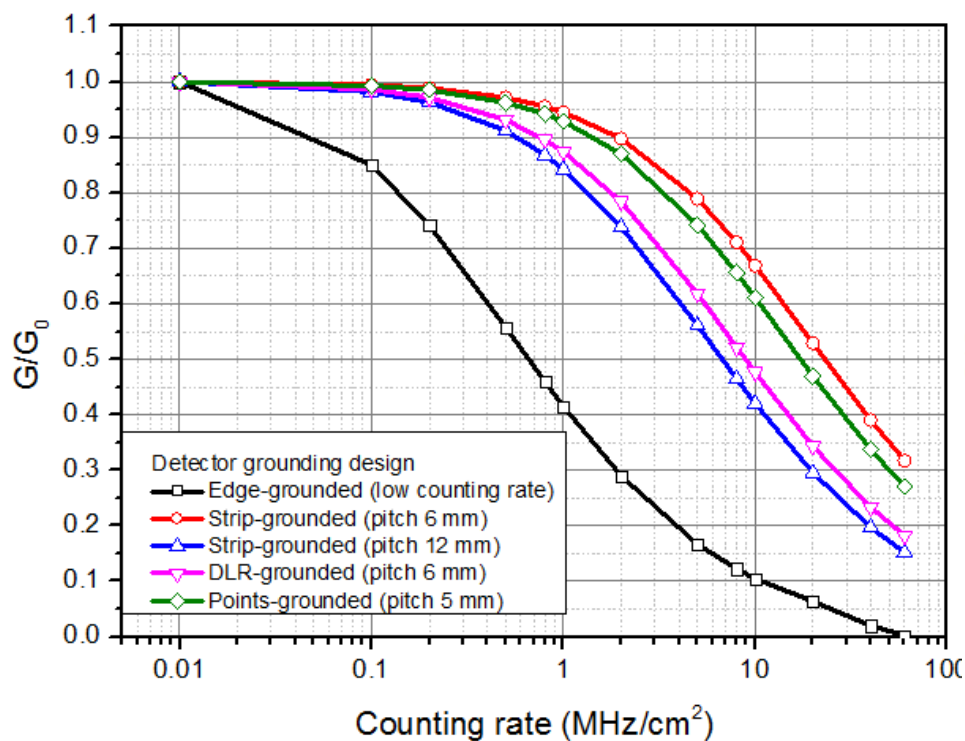
- **Measured:** DLC current drops to bkg-level within 111 ms, $e^{-t/\tau}=1.8\%$, $t=4\tau$, $\tau < 28$ ms



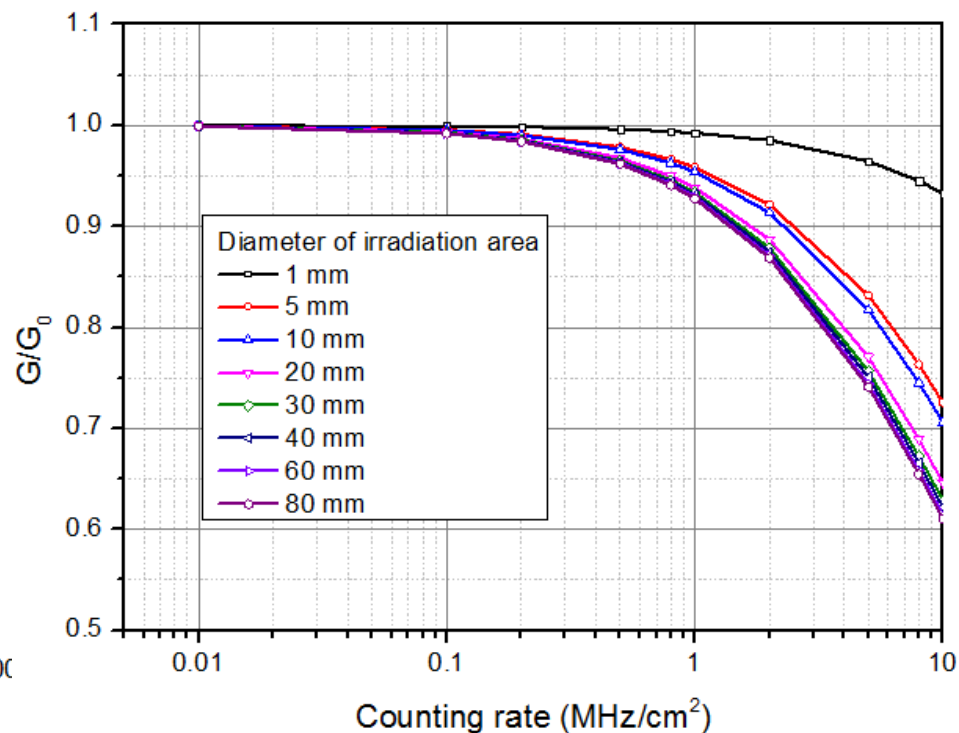
Simulation result

Combining the two effects:

Many fast grounding designs performance



Rate capability with various irradiation area

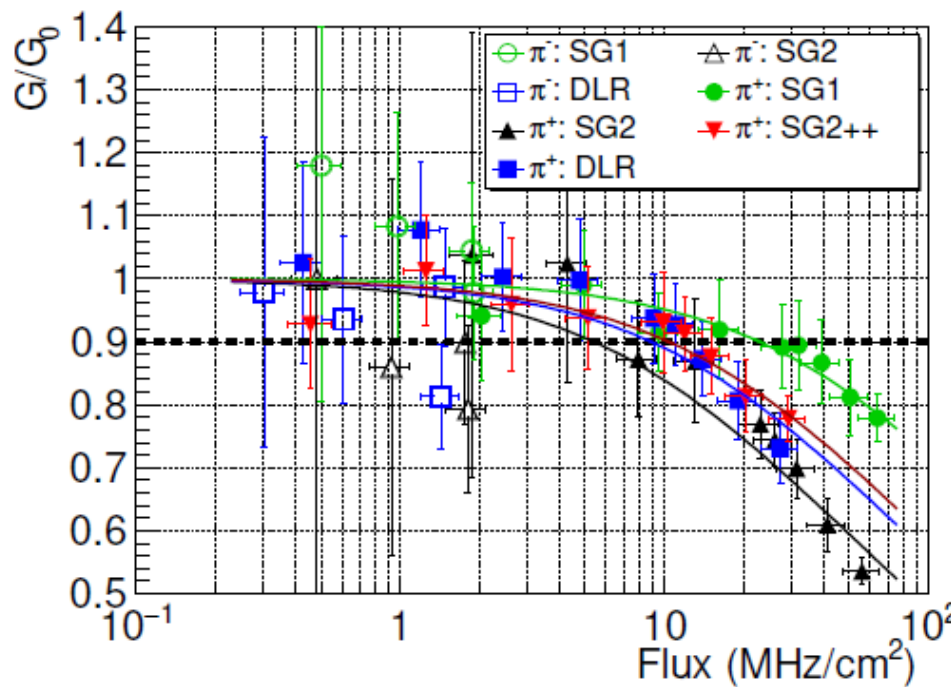




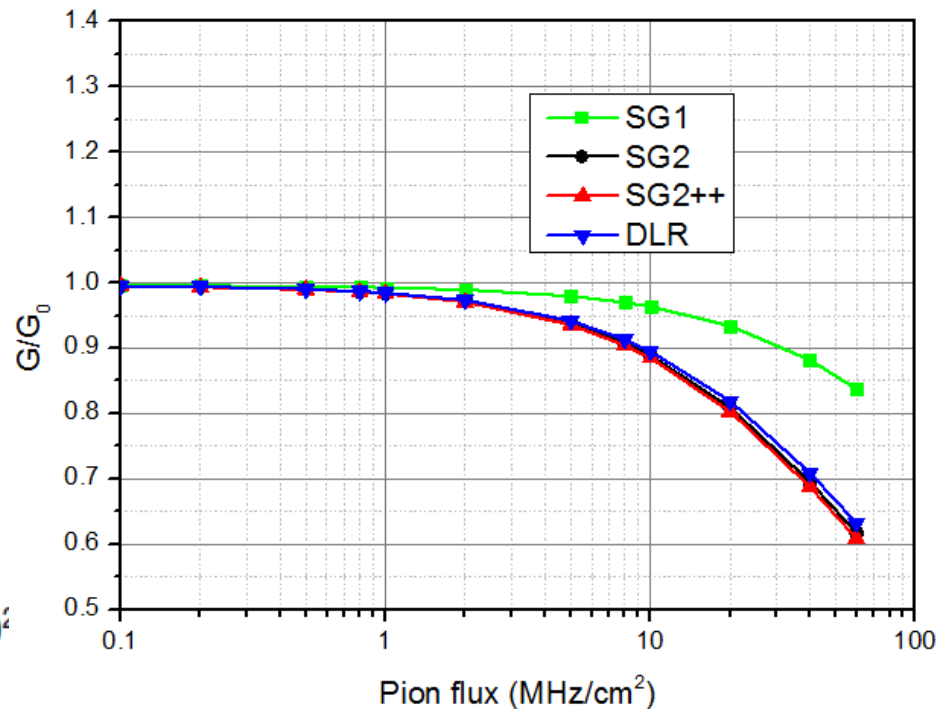
Experimental evaluations

INFN proposed strip-grounded and double layer point-grounded design

experiments



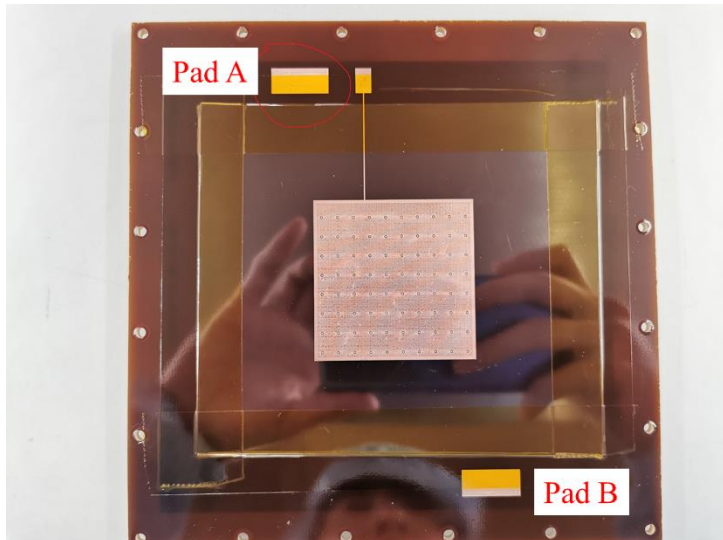
simulations



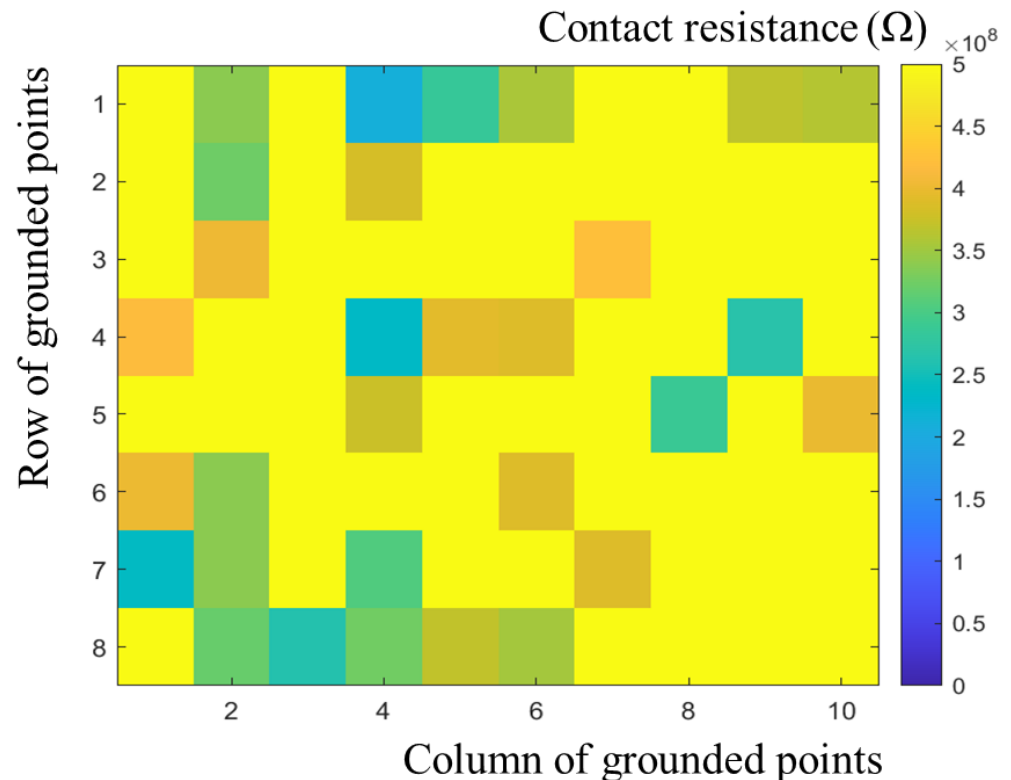


Experimental evaluations

- The grounded point has a contact resistance, may influence the rate capability.
- PEDF contact resistance: 200-500 M Ω
- PEDP contact resistance: 15-35 M Ω



Measured contact resistance in PEDF grounded-points array

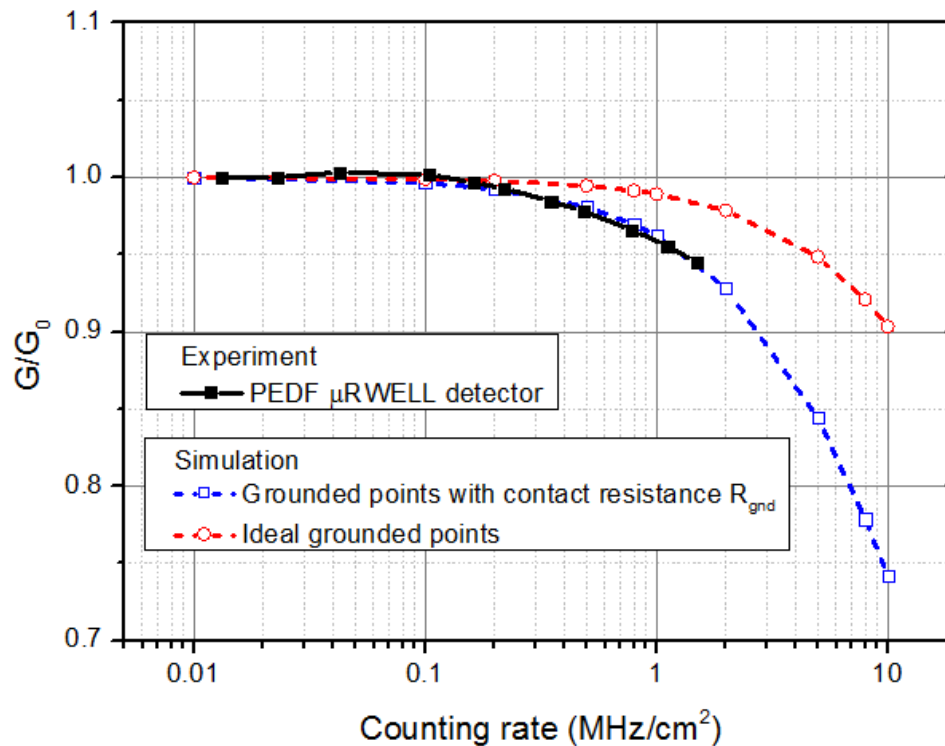




Experimental evaluations

- Good match between simulation and experimental data
- Suppressing the contact resistance in grounded points is very important for large area fast grounding μ RWELL

PEDF, Φ 8 mm 8.1 keV X ray irradiated





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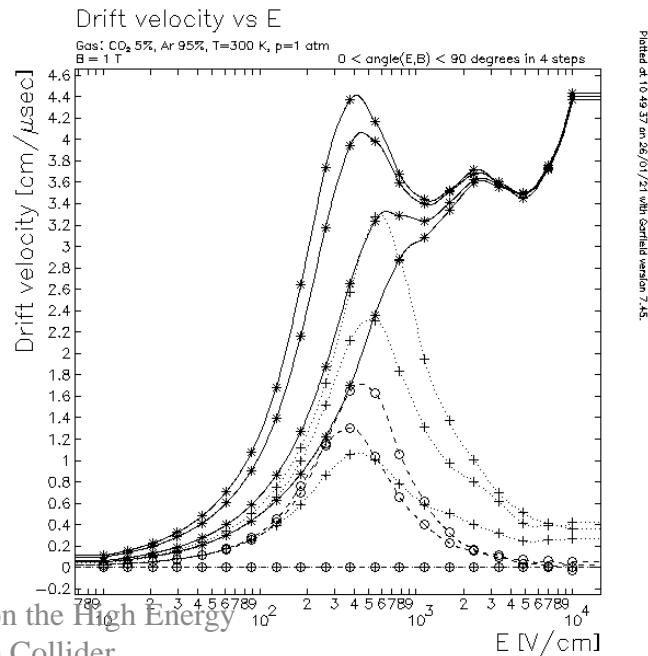
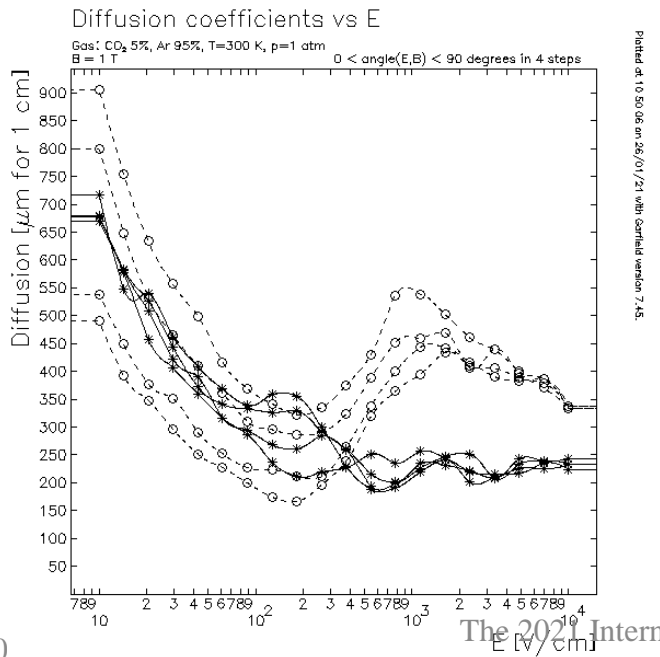


μ RWELL under magnetic field

Due to the magnetic field in Z direction, situations are different:

- Electron drift velocity
- Transverse & longitude diffusion coefficients
- Lorenz angle
- ...

Gas volume width
Gas component
Drift electric field strength





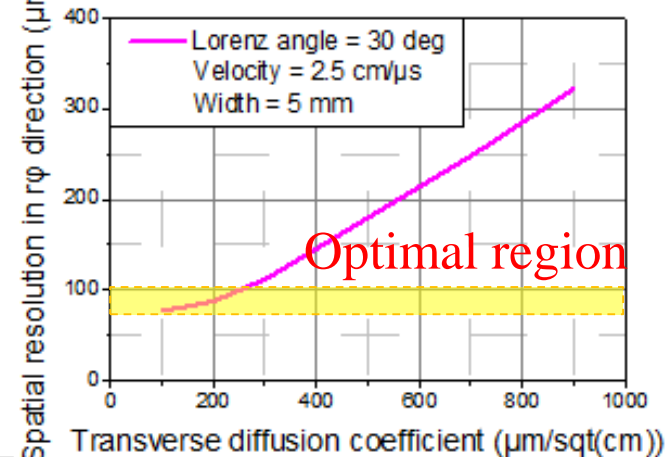
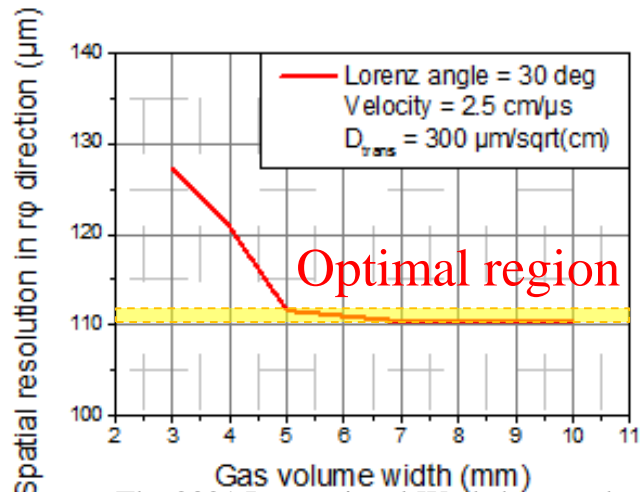
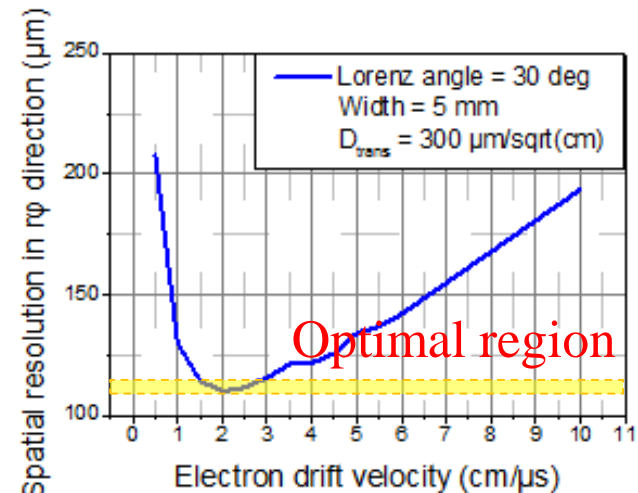
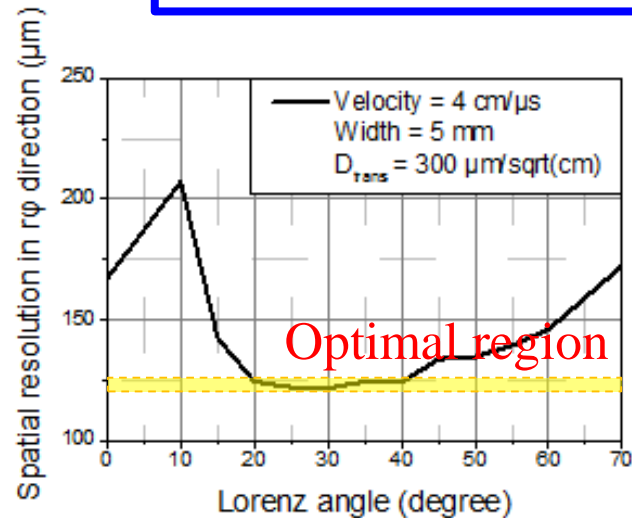
Ideal parameters simulation

1 T magnetic field

Gradient descent method in multi-dimensions

Optimal region:

- Gas width: 5 mm
- Lorenz angle: 20-40 deg
- $V_{\text{drift}} \sim 2 \text{ cm}/\mu\text{s}$
- $\sigma_{\text{Transverse}} < 100 \mu\text{m}/\text{sqrt}(\text{cm})$

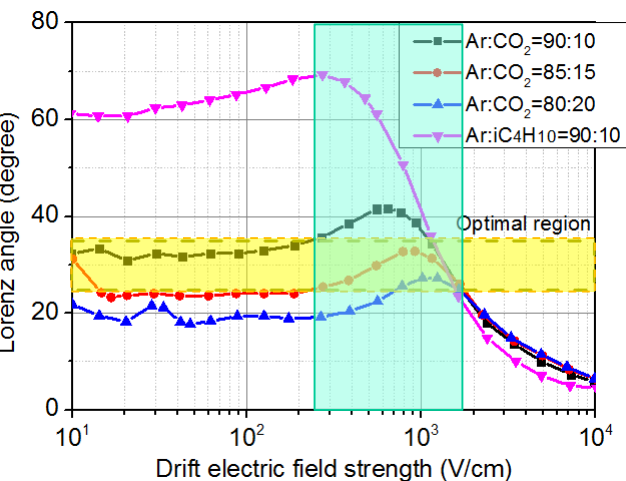




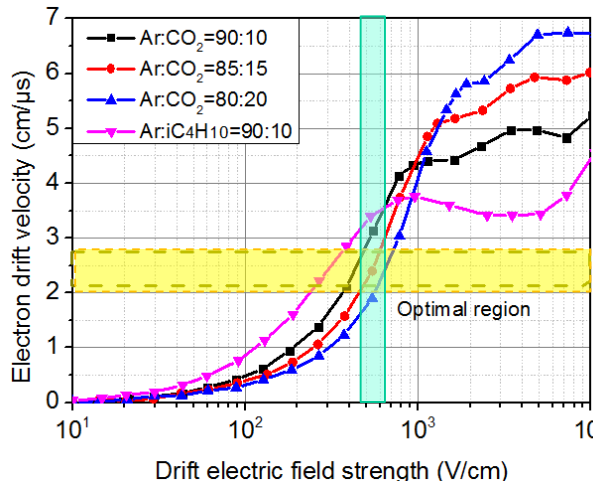
Real situation optimization

Target: tens of gas components from Garfield database

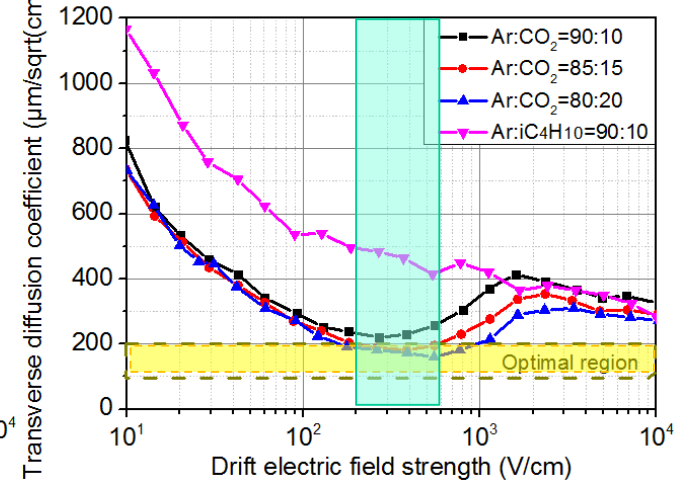
Lorenz angle



Electron drift velocity



Transverse diffusion coefficient



Gas volume width in this step: 5 mm
Optimal gas component: Ar:CO₂=85:15
(or Ar:DME=90:10)
Optimal electric drift field strength: 500 V/cm

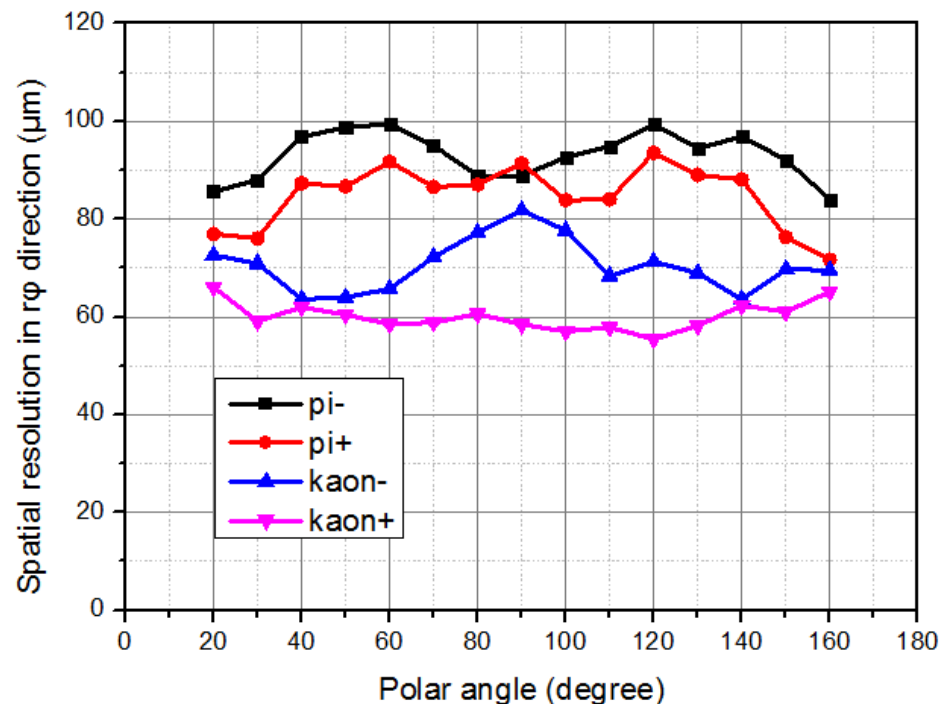


μ RWELL under magnetic field

Many parameters influences
the spatial resolution:

- p_T of charged particle
- Polar angle of particle
- Negative/positive charged
- Gas component & working point

Spatial resolution in $r\phi$ direction



By optimizing the gas component and working point, a good performance of μ RWELL under magnetic field can be obtained.



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Summary

1. Large area μ RWELL is an alternative detector choice in CEPC.
2. We proposed a full-simulation method of fast grounding, contributing to the μ RWELL detector design, parameter optimization, and performance expectations.
3. Suppressing the grounded point contact resistance is very important for the large area μ RWELL manufacturing process.
4. By Geant4 & Garfield++ simulation, the optimal gas component and working point of μ RWELL under magnetic field can be obtained. (i.e. Ar:CO₂=85:15, $E_{\text{drift}} = 500$ V/cm for 1 T)



THANKS FOR YOUR ATTENTION