

# Tracking algorithms for the IDEA Drift Chamber



**N. De Filippis**  
Politecnico and INFN Bari  
on behalf of the INFN team



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# Requirements of tracking system for an experiment at a leptonic collider

## Central tracker system:

- state-of-the-art momentum and angular resolution for charged particles;
- B field limited to  $\sim 2$  T to contain the vertical emittance at Z pole. Large tracking radius needed to recover momentum resolution.
- **High transparency** required given typical momenta in Z, H decays (far from the asymptotic limit where the Multiple Scattering contribution is negligible).
- **Particle ID** is a valuable additional ability.

## Vertexing:

- **excellent b- and c-tagging capabilities** : few  $\mu\text{m}$  precision for charged particle origin;
- small pitch, thin layers, limited cooling, first layer as close as possible to IP.

## Challenges:

- Physics event rates up to **100 kHz** (at Z pole)  $\rightarrow$  strong requirements on sub-detectors and DAQ systems

# Basic concepts of the IDEA Drift Chamber

# The IDEA detector at $e^+e^-$ colliders (1)

## Innovative Detector for E+e- Accelerator

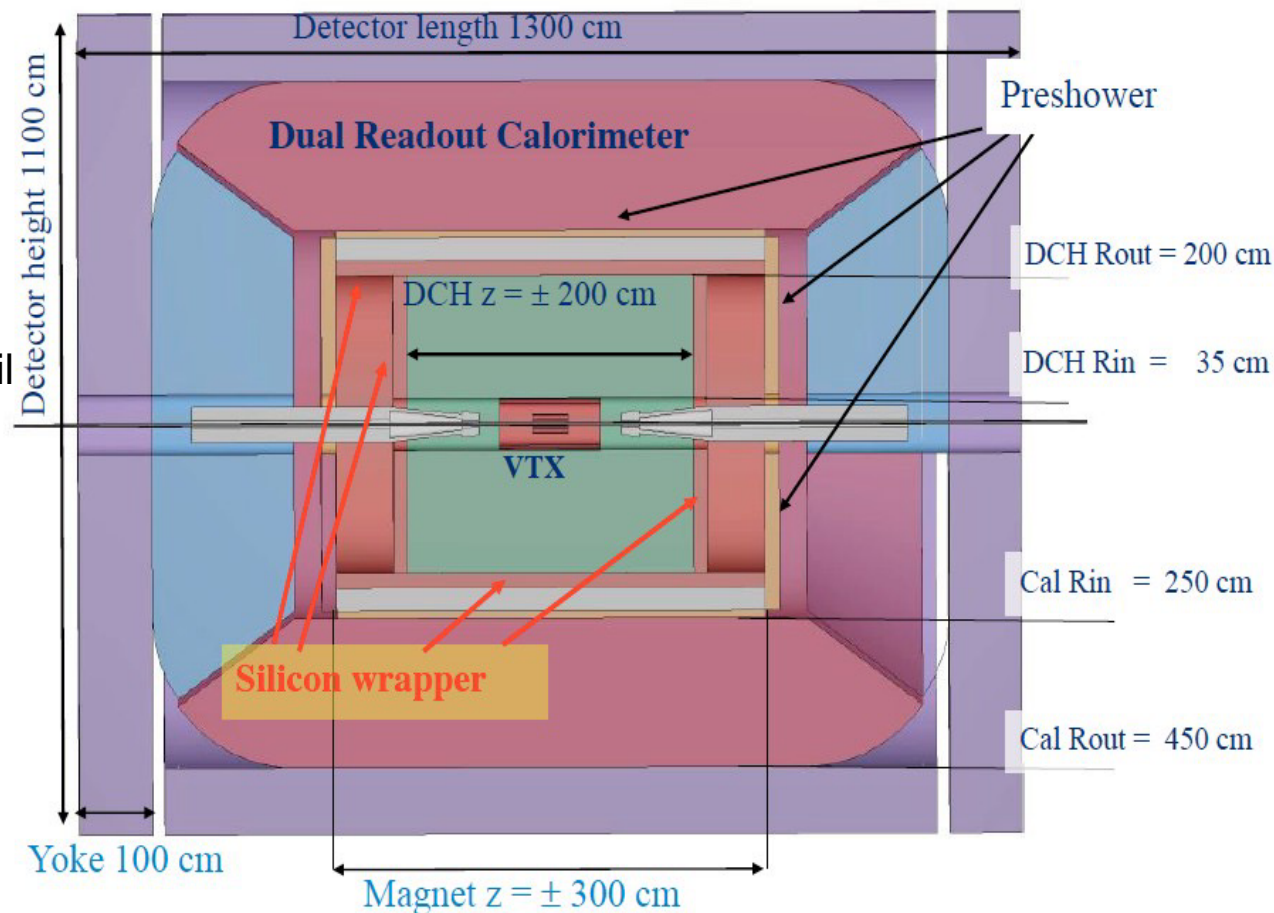
IDEA consists of:

- a silicon pixel vertex detector
- a large-volume extremely-light drift wire chamber
- surrounded by a layer of layer of silicon micro-strip detectors
- a thin low-mass superconducting solenoid coil
- a preshower detector
- a dual read-out calorimeter
- muon chambers inside the magnet return yoke

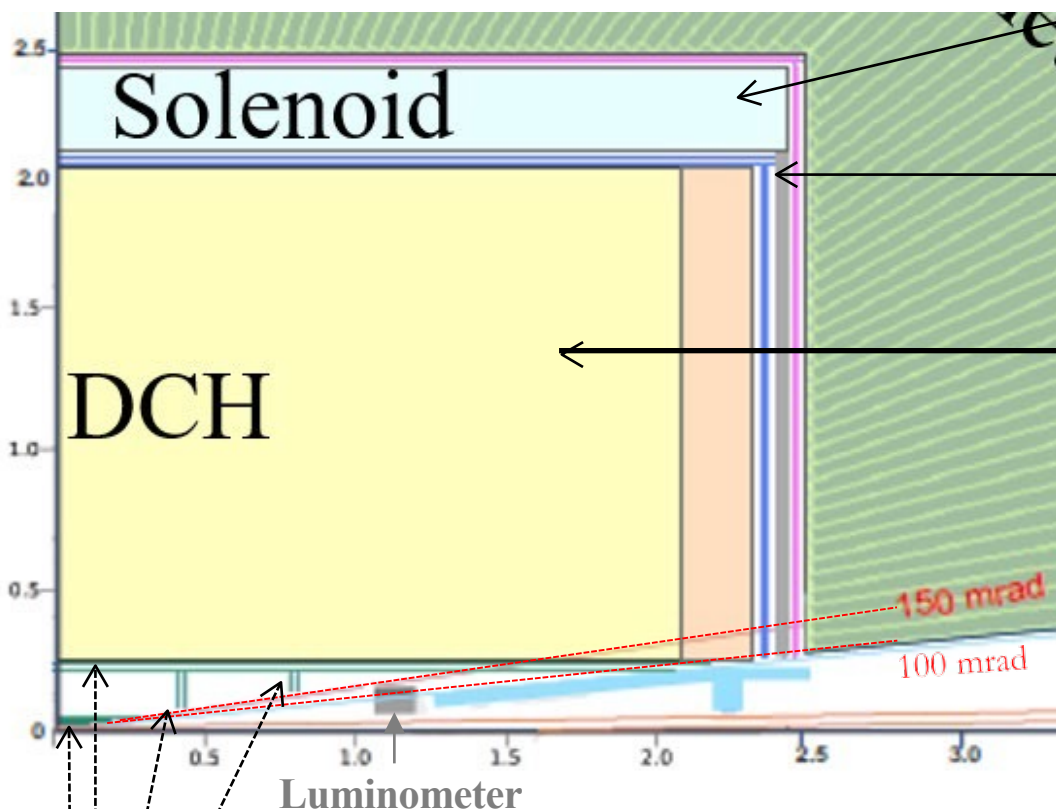
Low field detector solenoid to maximize luminosity  
→ optimized at 2 T

FCC-ee at CERN

CEPC at IHEP-China



# The IDEA tracking system



**Vertex:**

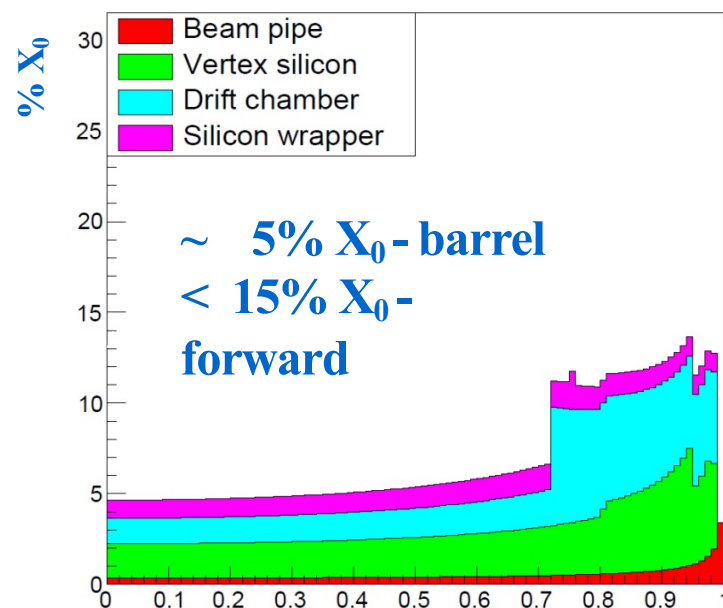
- inner:** 3 single Si pixel ( $20\ \mu\text{m} \times 20\ \mu\text{m}$ ) layers of  $0.3\% X_0$
- outer:** 2 single Si pixel ( $50\ \mu\text{m} \times 50\ \mu\text{m}$ ) layers of  $0.5\% X_0$
- forward:** 4 single Si pixel ( $50\ \mu\text{m} \times 50\ \mu\text{m}$ ) layers of  $0.3\% X_0$

**Solenoid:** 2 T, length = 5 m,  
 $r = 2.1\text{--}2.4\ \text{m}$ ,  $0.74 X_0$ ,  $0.16 \lambda @ 90^\circ$

**Si Wrapper:**  
 2 layers of  $\mu$ -strips ( $50\ \mu\text{m} \times 1\ \text{mm}$ )  
 both barrel and forward regions

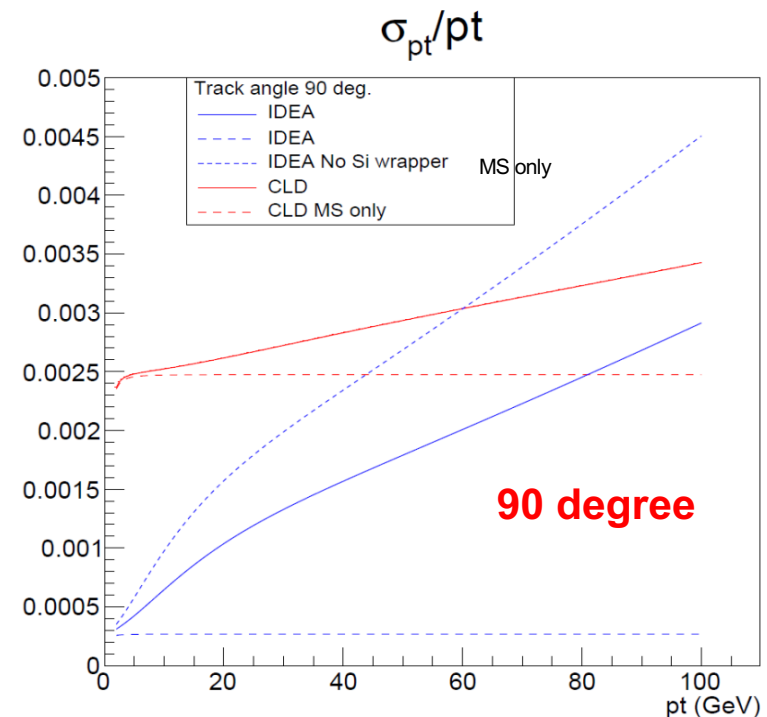
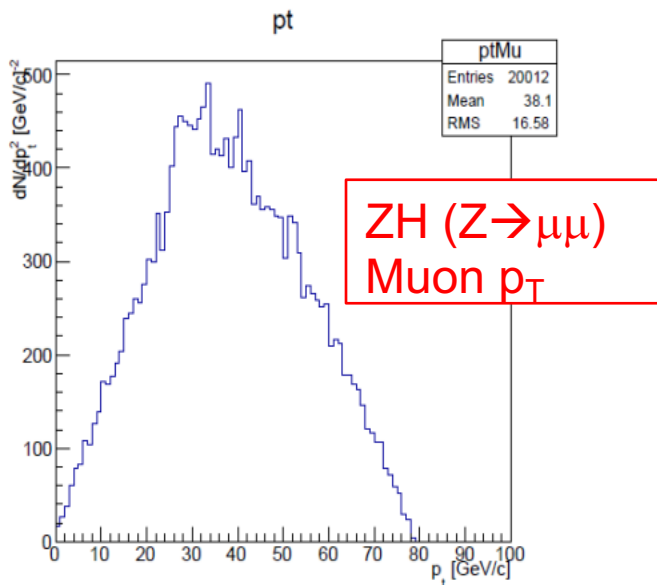
**DCH:** 56448 ( $\sim 1.2\ \text{cm}$ ) cells  
 He based gas mixture (90% He  
 – 10% i- $\text{C}_4\text{H}_{10}$ )

IDEA: Material vs.  $\cos(\theta)$



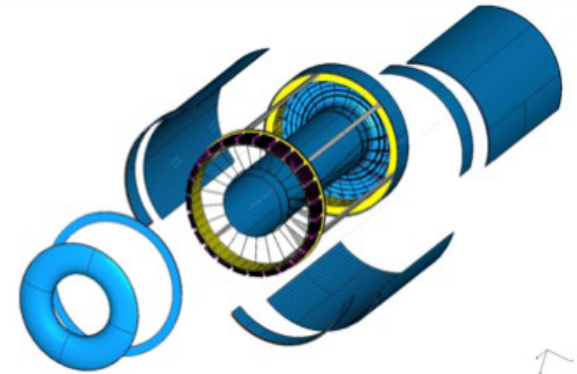
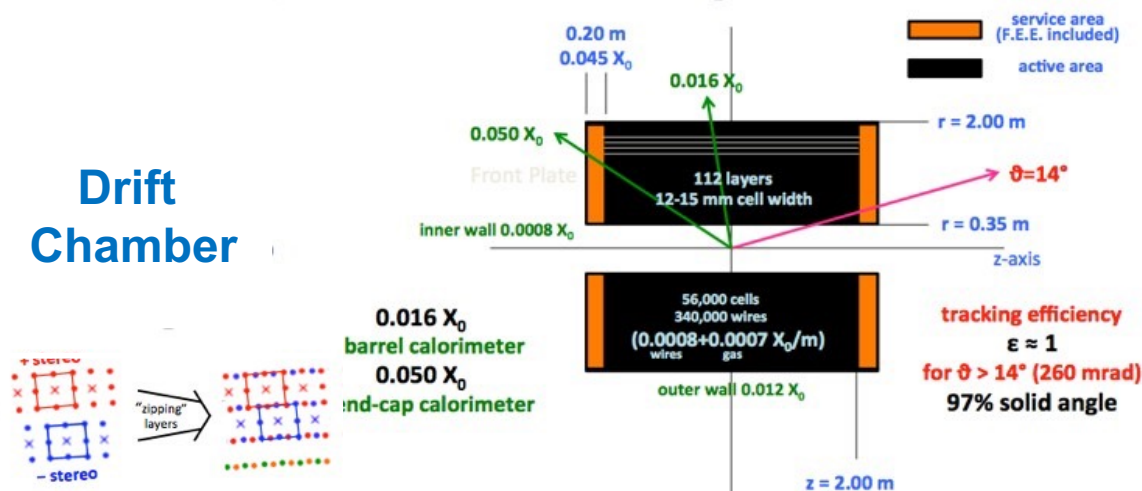
# Design guidelines: momentum resolution

- Z or H decay muons in ZH events have rather small/medium  $p_T$ 
  - **Transparency** (against multiple scattering) more relevant than asymptotic resolution

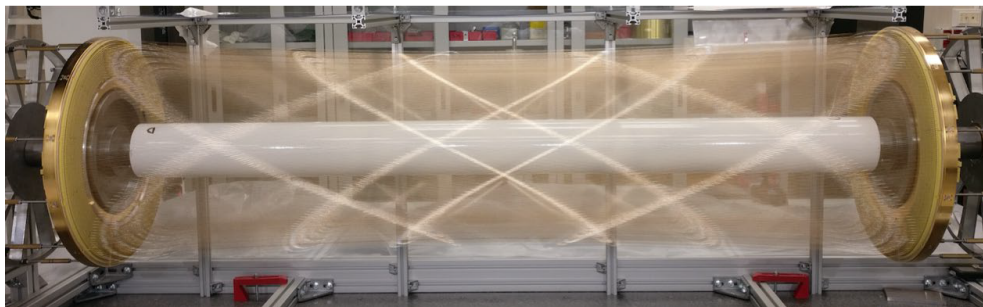


# Design guideline: the Drift Chamber

## Drift Chamber



New concept of construction allows to reduce material to  $\approx 10^{-3} X_0$  for the barrel and to a few  $\times 10^{-2} X_0$  for the end-plates.



sense wires:	20 mm diameter W(Au) =>	56448 wires
field wires:	40 mm diameter Al(Ag) =>	229056 wires
f. and g. wires:	50 mm diameter Al(Ag) =>	58464 wires
		<b>343968 wires in total</b>

## Expected performance:

$$\Delta p_t/p_t = (0.7p_t + 8.3) \times 10^{-4}$$

$$\Delta \vartheta = (1.1 + 9.4/p) \times 10^{-4} \text{ rad}$$

$$\Delta \phi = (0.33 + 9.4/p) \times 10^{-4} \text{ rad}$$

$$dE/dx = 4.3 \%$$

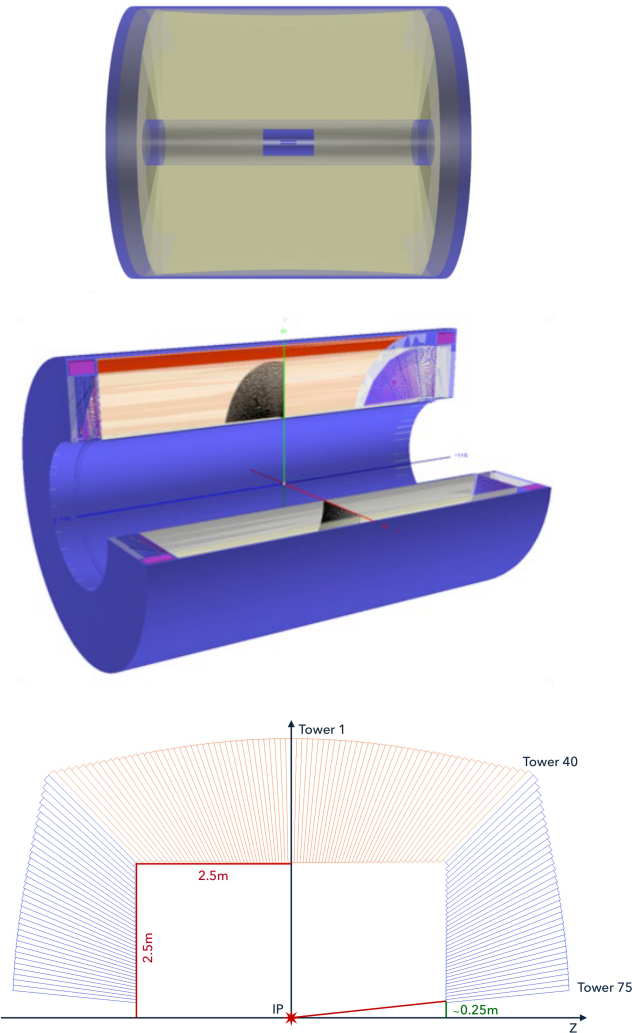
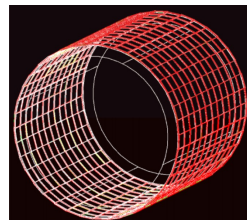
$$dN/dx = 2.2 \% \text{ (at } \epsilon_N = 80 \%)$$

# Detector simulation

# Geant4 full simulation of IDEA

A full standalone geant4 simulation of the IDEA Silicon Vertex (and Si wrapper), DriftChamber, DR Calorimeter (and Muon)

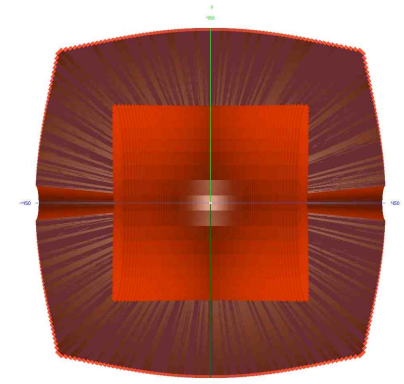
- The DCH is simulated at a good level of geometry details, including detailed description of the endcaps; hit creation and track reconstruction code available
- SVX and Si wrapper are simulated as simple layer or overall equivalent material
- Dual readout calorimeter simulated with geant4 too
  - Towers are trapezoidal physical volumes with slightly different shapes changing with  $\theta$ .
  - Fibers are 1mm diameter tubes, 0.5 mm of absorber material (copper) between two adjacent
  - → 130 milion fiber for the whole IDEA detector
- Muon detector



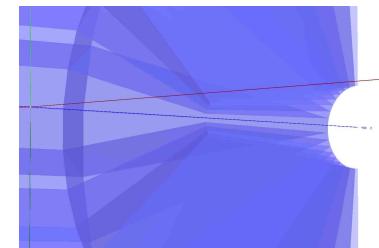
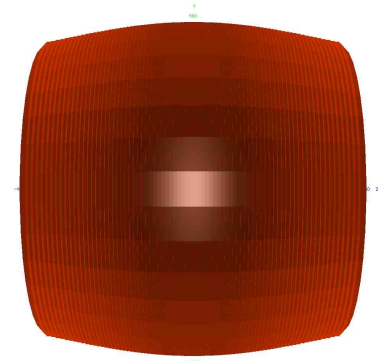
Integration of all the detectors on going

# Integration of DCH and DR calo volumes

- **Standalone code for Drift Chamber already developed**
- **geometry of the dual readout calorimeter (courtesy of L. Pezzotti) adapted to cope with DCH geant4 framework :**
  - Towers are G4Trap() physical volumes with slightly different shapes changing with  $\theta$ .
  - Fibers are 1mm diameter G4Tubs(), 0.5 mm of absorber material (copper) between two adjacent fibers is considered.
  - Barrel Inner length: 5m - Outer diameter: 9 m @  $90^\circ$  .
  - 2 m long copper based towers:  $\sim 8.2 \lambda$
  - 36 rotation around z axis
  - Number of Towers in the barrel:  $40 \times 2 \times 36 = 2880$
  - Number of Towers in per endcap:  $35 \times 36 = 1260$

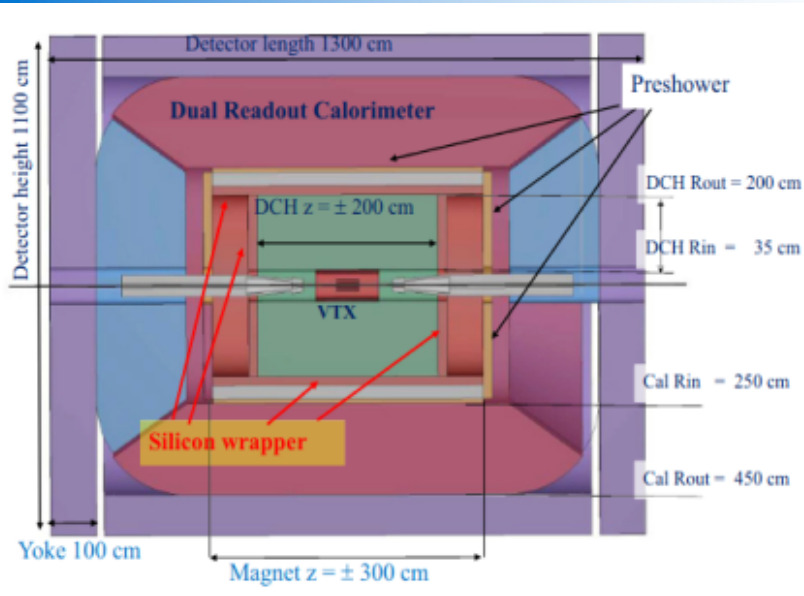


**Calorimeter mother volume**



**Code in:** <https://github.com/welmeten/DriftChamberPLUSVertex/tree/master>

# Integration of IDEA detector in Key4Hep



NOW: simulation in a standalone code GEANT4 – based  
NOW: reconstruction in a standalone code ROME – based



GOAL: integrate the IDEA detector in Key4Hep framework

Different ways to proceed:

- port the geometry description
- port the algorithms implementation
- port the the data format

First step is to translate to EDM4Hep format

- GEANT4 Monte Carlo hits
- Standalone reconstructed tracks

<https://github.com/lialavezzi/DriftChamberPLUSVertex/tree/uptodate>

## Everything is working with these versions

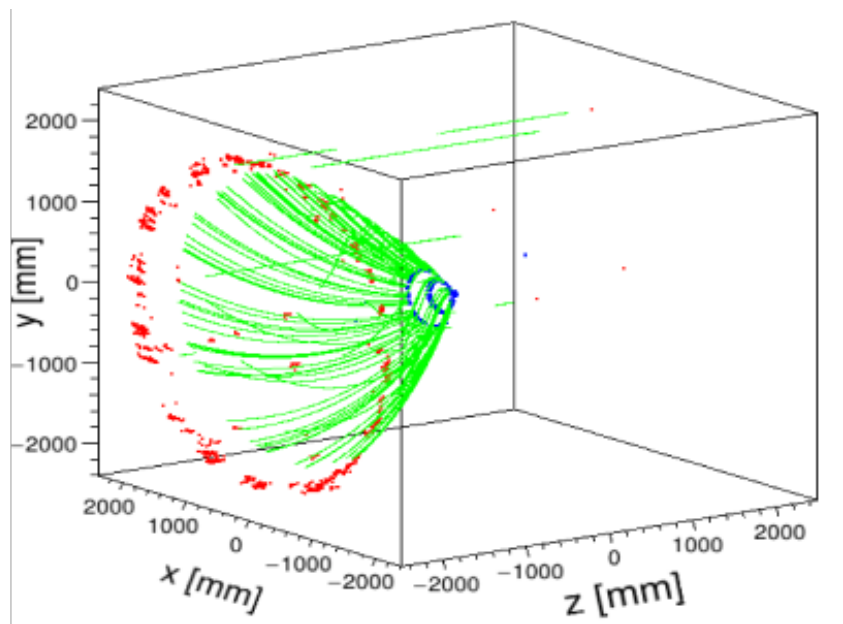
- key4hep-stack/2021-09-01:
- gcc8.3.0
- geant4-10.7.1
- clhep-2.4.4.0
- root-6.24.00
- genfit master2019110
- rome-v3.2.15.1

## INSTALLATION via installer

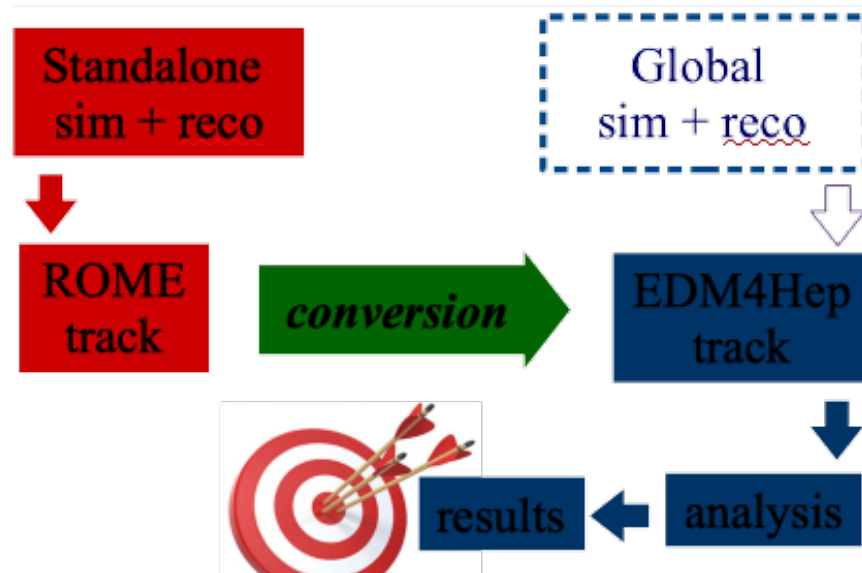
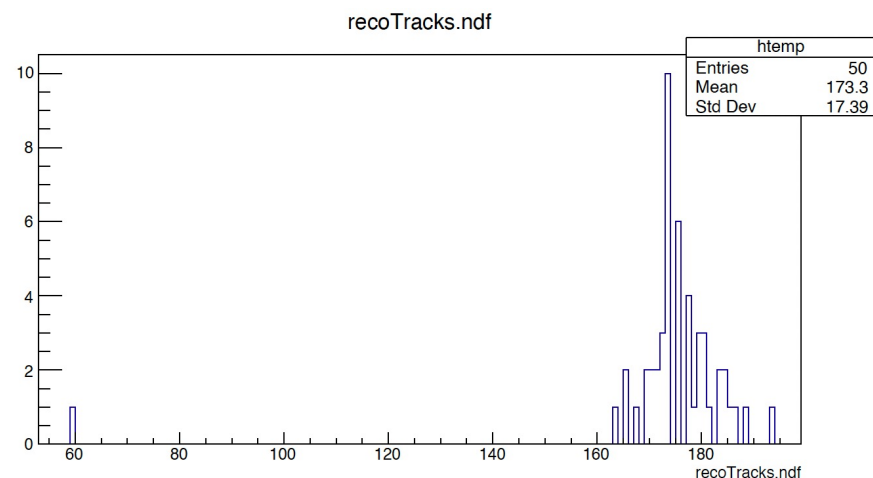
Instructions:

- Download the file install\_standalone.sh
- Edit it and set STANDALONE\_INSTALL\_DIR to the directory where you want to install everything
- Make it executable with: `chmod u+x install_standalone.sh`
- Execute it with: `./install_standalone.sh`

# MC hit conversion and reco tracks conversion



- standalone code adapted for compilation on Key4Hep stack
- For now, silicon vertex tracker, drift chamber, preshower
- The class **convertHits** has been written: it translates GEANT4 hits to EDM4Hep model



# Track reconstruction

# Track reconstruction principles

- Track fitting
  - general consideration and Kalman Filter
  - specific implementation aspects
- Track finding (Pattern Recognition)
  - general aspects
  - useful options for IDEA case
  - some details on current IDEA PR

# Track fitting – general consideration

Kalman Filter is a standard method for Track fitting in HEP (*alternatives exist but are still not good as KF for this problem*)

- 1960: R. Kalman, “A New Approach to Linear Filtering and Prediction Problems”, **Trans. ASME (J. Basic Engineering)**, 82 D, 35-45, 1960

One of the first applications: guiding Apollo 13 to the moon

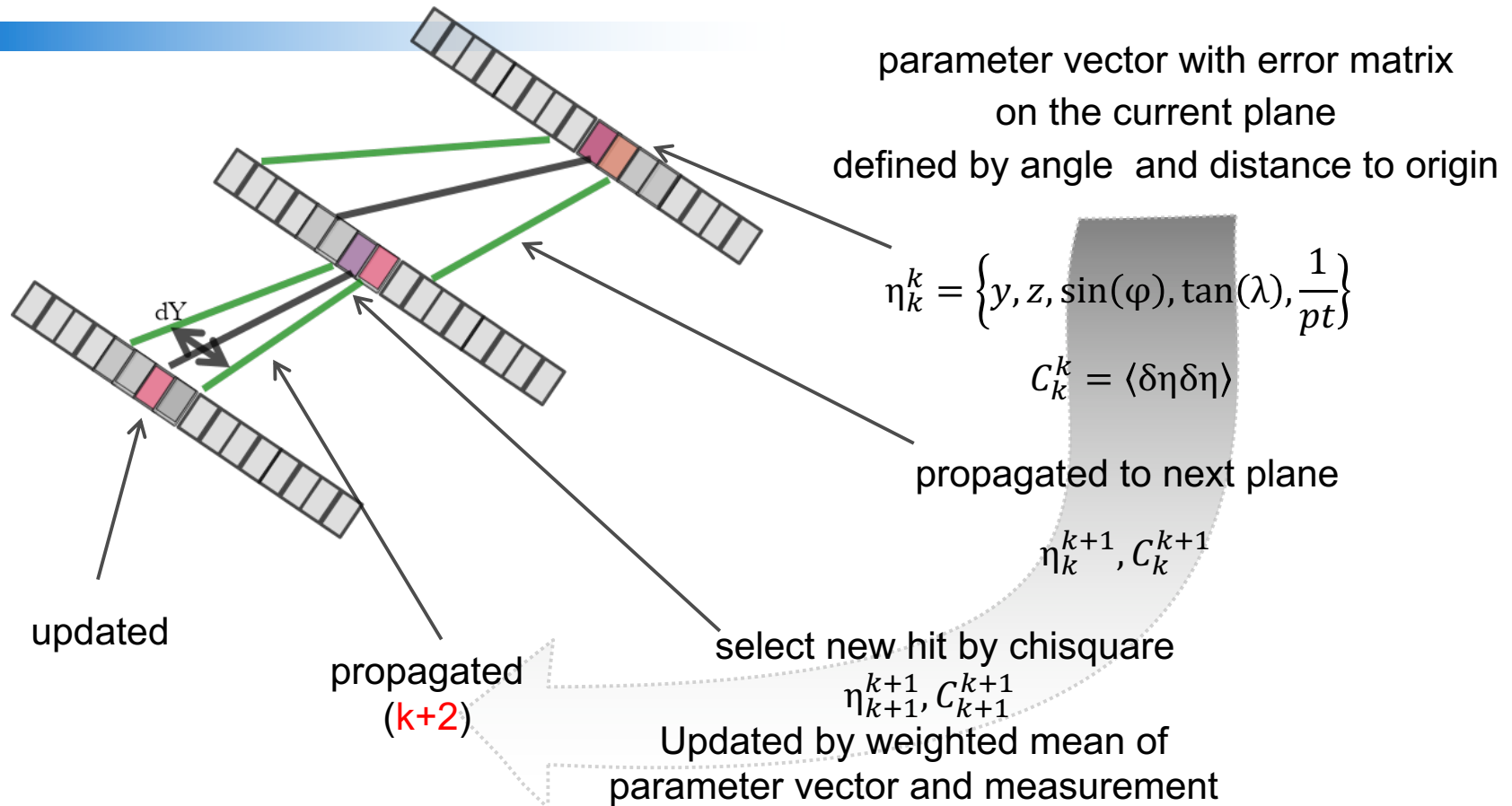
Now widely used: in just about every inertial navigation system(GPS, gyro systems), radar tracking

- First paper in HEP with equivalent equations:  
1984: P. Billoir, “Track Fitting With Multiple Scattering: A New Method,” **NIM A (1984) 352**
- Classic author of Kalman Filter for HEP:
- 1987: R. Fruhwirth, “Application of Kalman filtering to track and vertex fitting”, **NIM A 262 (1987) 444**

**peculiarities:**

- recursive least-squares estimation;
- suitable for combined track finding and fitting;
- mathematically equivalent to least squares fit;
- avoids time-consuming large matrix inversion inherent in least-squares fits;
- straightforward to take into account material effects in extrapolation step.

# Basic principle of Kalman Filter (1)



Some matrix formalism  
underlie, but meaning is  
simple:  
recursive usual  $\chi^2$   
averaging

Prediction

$$\bar{p}_{k|k-1} = \mathbf{F}_k \bar{p}_{k-1|k-1}$$

$$\mathbf{C}_{k|k-1} = \mathbf{F}_k \mathbf{C}_{k-1|k-1} \mathbf{F}_k^T + \mathbf{P}_k \mathbf{Q}_k \mathbf{P}_k^T$$

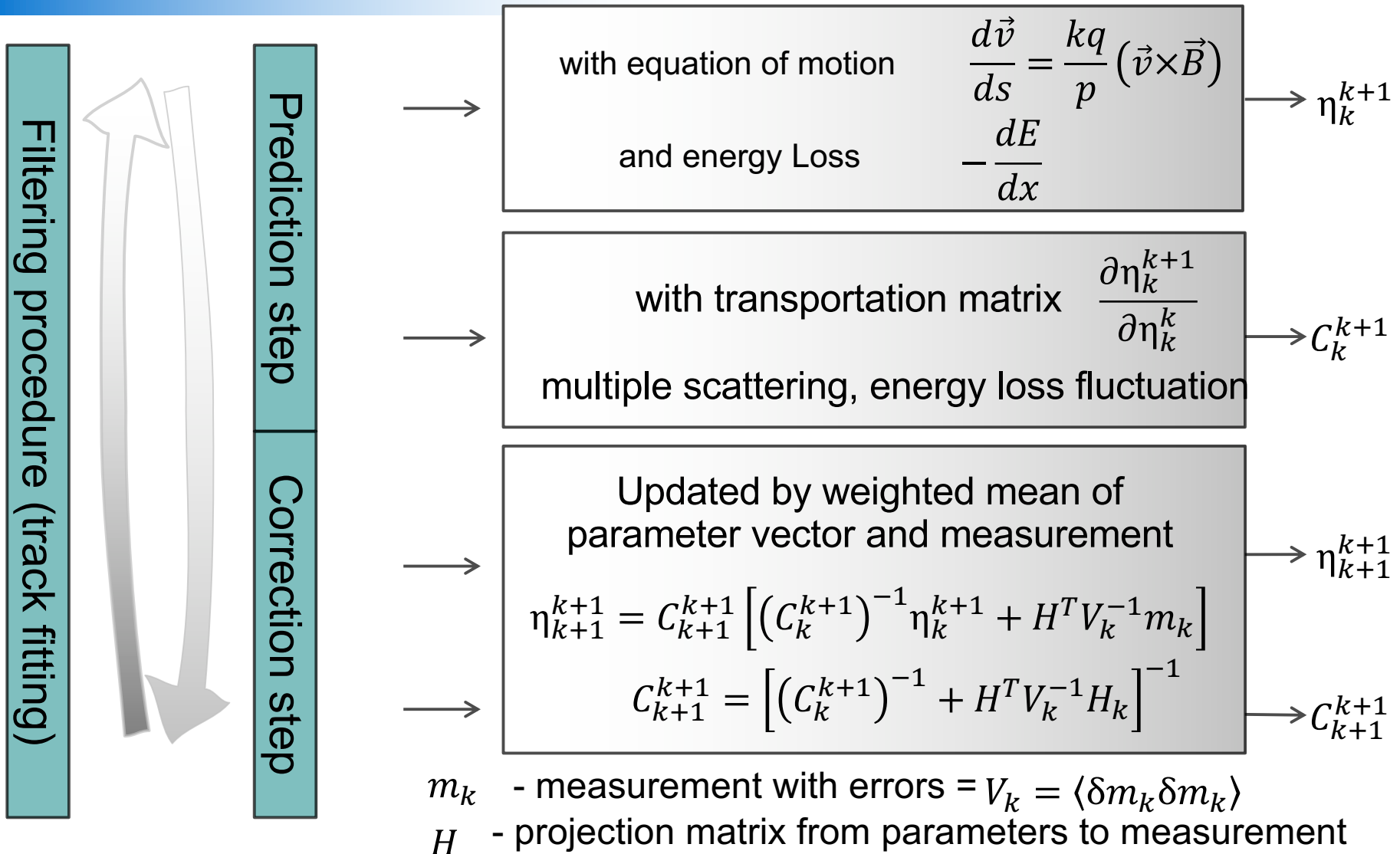
updated  
step

$$\bar{p}_{k|k} = \bar{p}_{k|k-1} + \mathbf{K}_k (\bar{x}_k - \mathbf{H}_k \bar{p}_{k|k-1})$$

$$\mathbf{K}_k = \mathbf{C}_{k|k-1} \mathbf{H}_k^T (\mathbf{V}_k + \mathbf{H}_k \mathbf{C}_{k|k-1} \mathbf{H}_k^T)^{-1}$$

$$\mathbf{C}_{k|k} = (\mathbf{I} - \mathbf{K}_k \mathbf{H}_k) \mathbf{C}_{k|k-1}$$

# Basic principle of Kalman Filter (2)



# Variations of Kalman Filter

It can be some variations in implementation (most of them just matter of terminology for specific cases) or with extensions

## SRKF – Square Root Kalman Filter:

Covariance matrix decompose in square root form  
– can give numerical stability

## Information Kalman Filter:

rewritten in form of inverse covariance matrix  
- useful when some parameters can have infinite sigma

## GSF – Gaussian-Sum Filter:

to deal with not gaussian fluctuations - instead of single Gaussian, pdfs modeled by mixture of Gaussians (implemented as a number of Kalman Filters run in parallel)

## CKF - The Combinatorial Kalman Filter

Integrate track fitting and pattern recognition  
– track splitted in case of few compatible hits

## DAF – Deterministic Annealing Filter

On a same surface, several hits may compete for track with different weights  
– good for outliers removal

# Track fitting – implementation aspects

How to use?

Many software packages implement KFs and are available and ‘easy to use’:

- **genFit2**: <https://github.com/GenFit/GenFit>  
(arXiv:1410.3698 , NIN A620(2010)518–525) used by:
  - PANDA
  - Belle II
  - ...
- **ACTS**: <http://acts.web.cern.ch/ACTS/index.php>
  - ATLAS
  - *FCC-sw*
- etc...

# Track fitting – implementation aspects

What do we need to do?

- pass measurement points with their proper description

- 3D (2D) point (pixel)
- 1D point (strip)

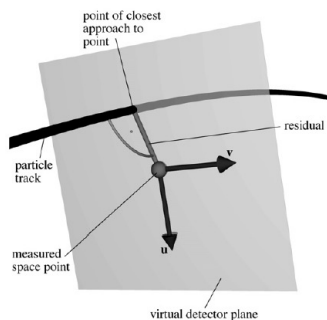


Fig. 2. Virtual detector plane (spanning vectors  $\vec{u}$  and  $\vec{v}$ ) for a space-point hit.

- Drift distance

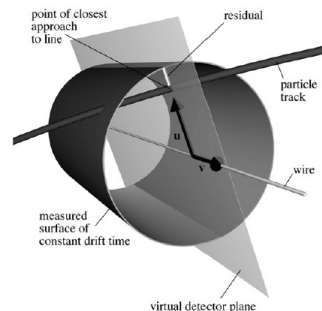


Fig. 3. Virtual detector plane (spanning vectors  $\vec{u}$  and  $\vec{v}$ ) for a wire-based drift detector.

- delivery a description of the material to allow the MS and  $\Delta E$  evaluation
  - genFit2: GDMML description
  - ACTS: DD4Hep

# Track finding – general aspects

Track finding possible strategies: **global** vs **local** methods

## ■ global methods

- ❑ treat hits in all detector layers simultaneously
- ❑ ‘find all’ tracks simultaneously
- ❑ result independent of starting point or hits order

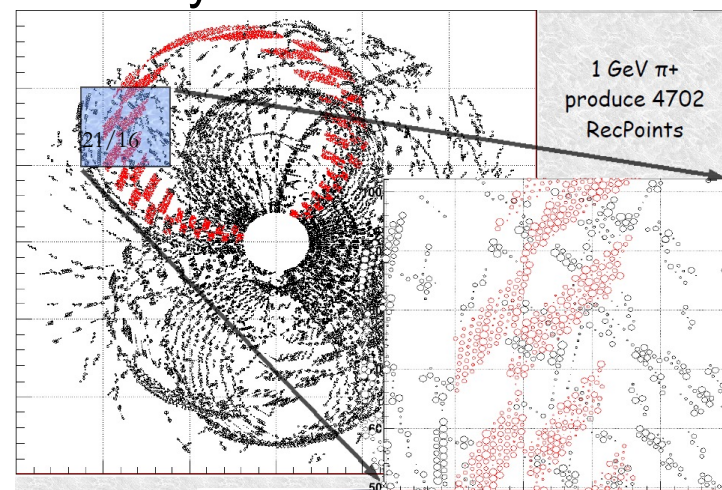
examples: template matching, Hough transforms (conformal mapping), neural nets, cellular automation, ....

## ■ local methods (‘track following’)

- ❑ start with construction of track seeds
- ❑ add hits by following each seed through detector layers
- ❑ eventually improve seed after each hits

## Stereo Drift Chamber issue for PR:

- Left/Right single cell ambiguity
- Longitudinal position along the wire (in the transverse plane appear two separate circonpherences for the same track before applying a correction for the position along the wire)



# Track finding – current IDEA PR (local method)

Follow track candidate iteratively through detection layers

start from an initial track segment (“seed”)

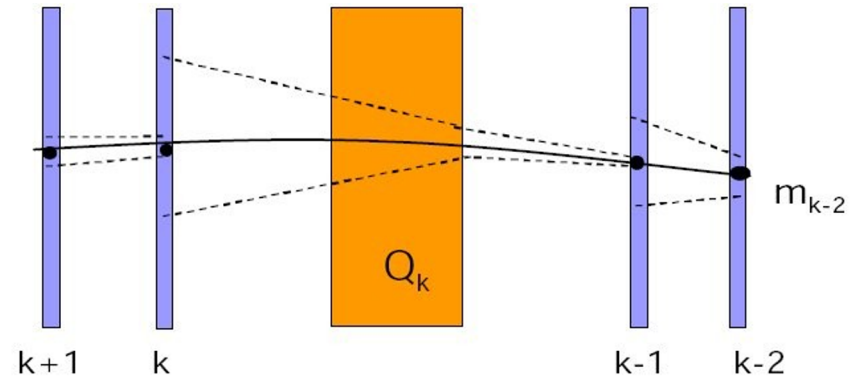
requires dedicated algorithm

extrapolate: estimate the expected track position in the next detection layer

search: look for hits within a window around the estimated track position

update: if a hit is found inside this search window, add it to the track candidate and update the track parameters

iterate: extrapolate the updated track candidate to the next detection layer



**should be broad seeding**: track reconstruction efficiency can depend on it, compromise between efficiency and CPU performance

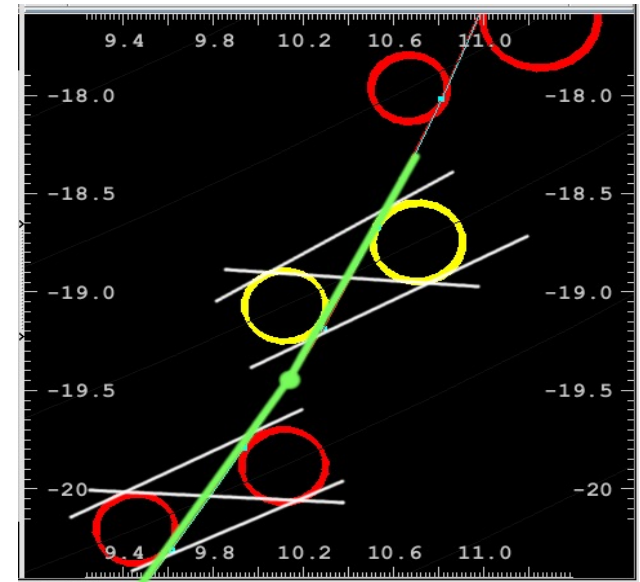
**allow for detector inefficiencies**: if no hit is found in one layer, continue with the next layer; abandon the candidate if no hits are found in several consecutive layers

**allow for combinatorics**: if more than one hit is found inside the search window, create a separate “branch” for each candidate; follow all branches concurrently

# Track finding – local method for DCH only

Seeding from 2 pairs of hits (each pair on same layer) pointing at the origin

- 2 consecutive hits in same layer  
→  $4=2 \times 2$  (Left-Right) pairs with direction
  - 2 pairs from nearest layers compatible:  
 $|\Delta \cos(\varphi(\text{direction}) - \varphi(\text{position}))| < 0.2$ ,  
crossing Z inside DCH
  - 1 pair with origin → Pt estimate  
(averaged over 2 pairs)
  - Cross Point of 2 opposite stereo pairs give  
Z-coordinate (with  $\Delta\varphi$  correction from Pt)
  - $P_z = 0$  at beginning
- Z measurement give additional compatibility check  
between 2 hits and between 2 pairs



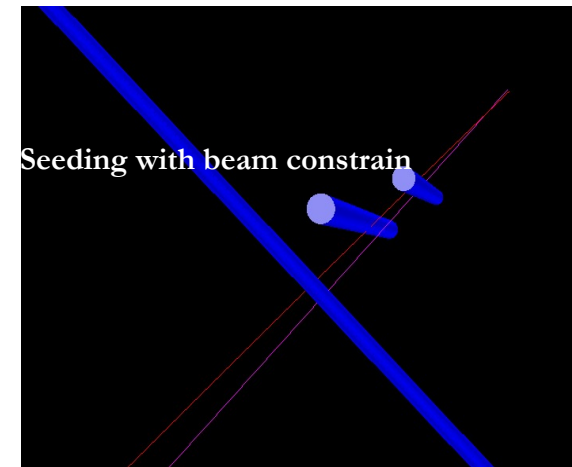
Red hits projection at  $z=0$  plane  
Yellow rotated according to  $\varphi$

**Combinatory low:** 2 local compatibilities + 1 from opposite stereo view, but with direction angle check

# Track finding – local method for DCH only

## Seeding from 3 hits in different layers with origin constraint

- Take any 2 free hits from different stereo layers with a gap (4 or 6 layers)
- Cross Point of 2 wires give Z-coordinate (must be inside DCH volume)
- Select nearest free hits at middle (+-1) layer
- 2 hits from same stereo layer give initial angle in Rphi
- origin added with sigma Rphi~ 1mm Z ~ 1mm
- Seeds constructed for all  $2 \times 2 \times 2 = 8$  combination of Left-Right possibilities
- Checked that at -4 (+-1) layer are available free hits with  $\chi^2 < 16$
- Extrapolate and assign any compatible hits (by  $\chi^2$ ) from last to first hits
- Refit segment to reduce beam constraint
- Check quality of track segment:
  - ❑  $\chi^2/\text{NDF} < 4$
  - ❑ number of hits found ( $\geq 7$ )
  - ❑ number of shared hits ( $< 0.4 N_{\text{found}}$ )

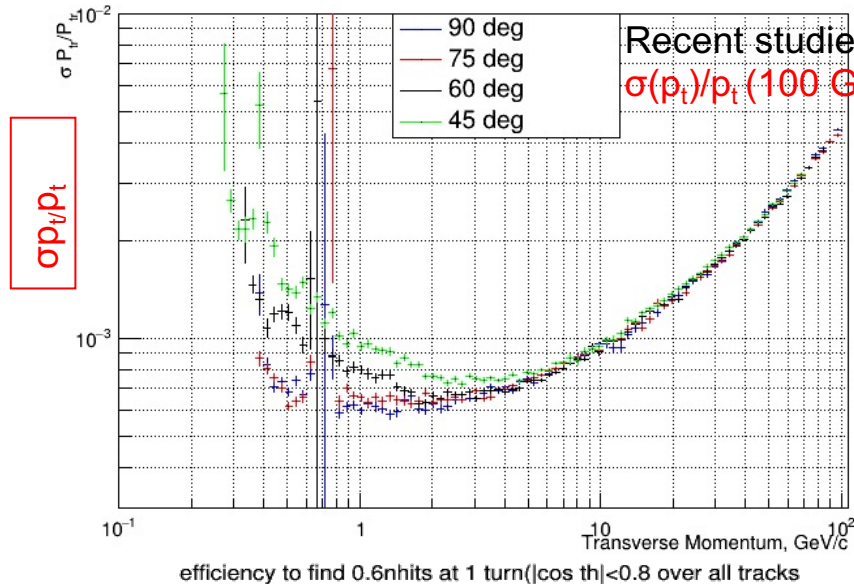


**Combinatory high:**  
local compatibility over  
different layers,  
+ 1 from different stereo  
view

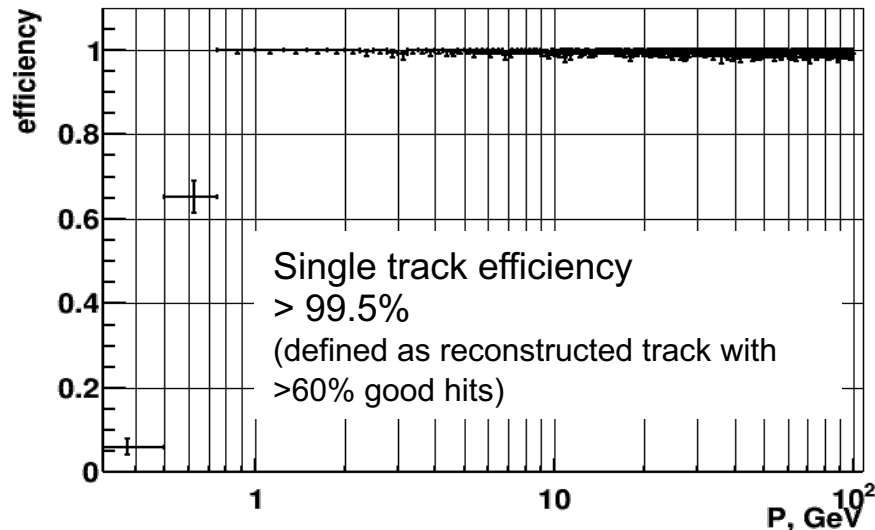
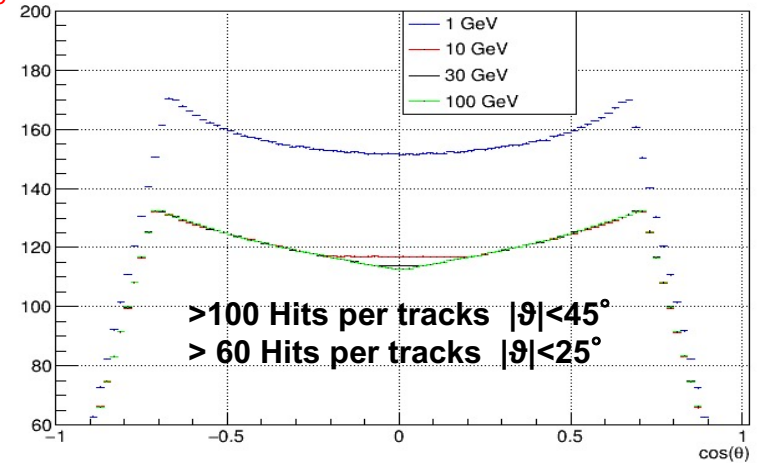
# Track finding – performance of the current IDEA PR

DCH + SVX but no Si-Wrapper

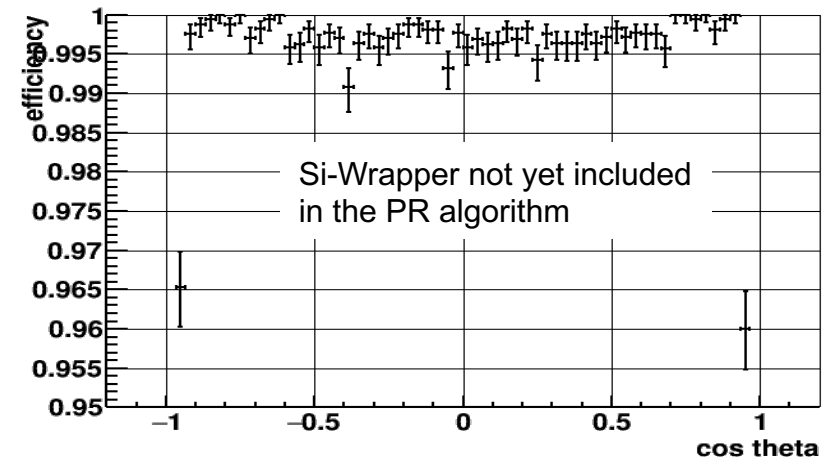
Transverse Momentum Resolution



N good Hit DCH vs Theta



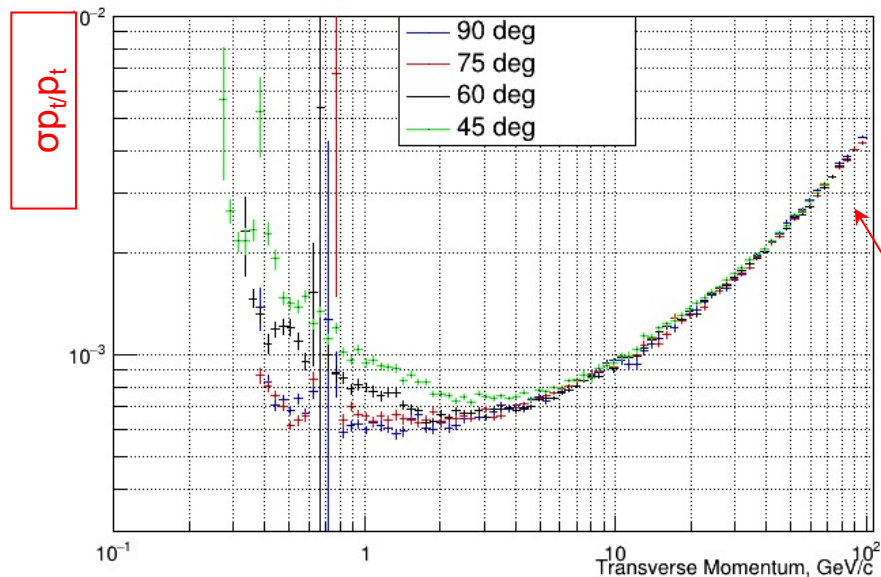
efficiency to find 0.6nhits at 1 turn( $P > 1 \text{ GeV}$ ) over all tracks



# Expected tracking performance with IDEA full simulation

BARREL

Transverse Momentum Resolution



DCH + SVX but no Si-Wrapper

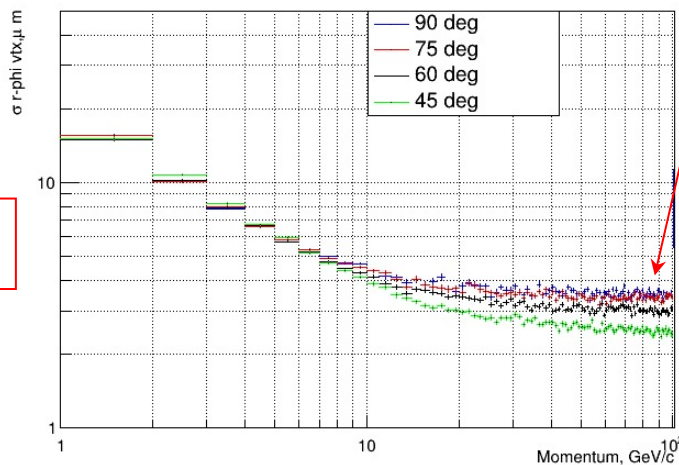
Recent studies with

$$\sigma(p_t)/p_t (100 \text{ GeV}) = 3 \times 10^{-3}$$

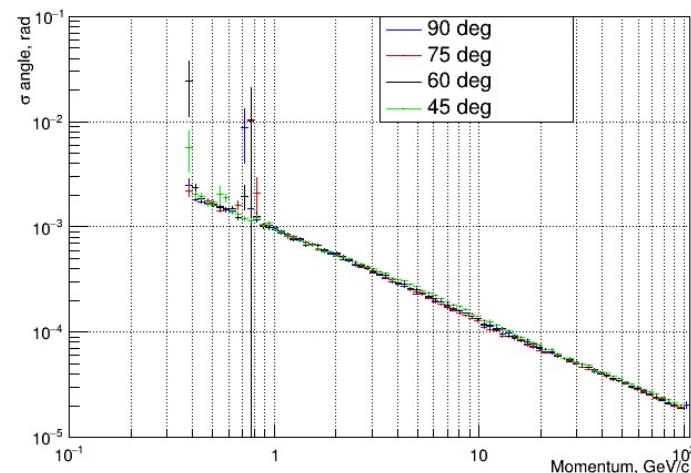
$$\sigma(d_0) (100 \text{ GeV}) = 2 \mu\text{m}$$

BARREL

R-phi vtx Resolution



Theta resolution



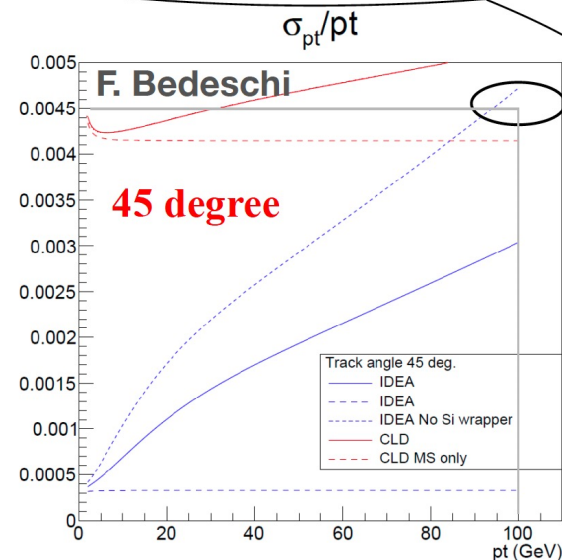
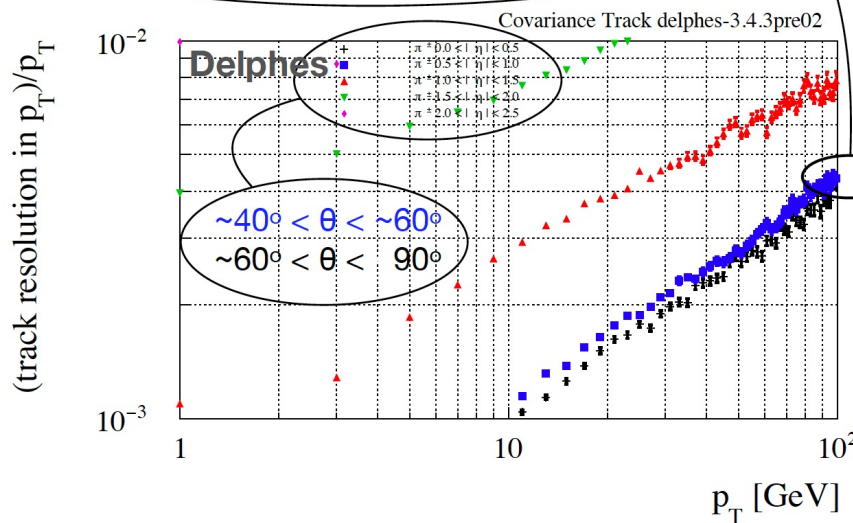
# IDEA fast simulation with Delphes

- DELPHES provides the response of a detector in a parameterised way
- Addition to the official IDEA Delphes card (containing already the DR calo) of the **covariance matrix description for tracks** → **validation plots below**
- Crucial feature for improving development of b- and c-tagging algos in a more realistic way

## $p_T$ resolution versus $p_T$ IDEA Baseline Geometry NO SILICON WRAPPER

Delphes  $[40^\circ - 60^\circ]$ @100 GeV:  $\frac{\sigma_{p_T}}{p_T} \approx 4.5 \cdot 10^{-3}$

Standalone  $[45^\circ]$ @100 GeV:  $\frac{\sigma_{p_T}}{p_T} \approx 4.5 \cdot 10^{-3}$



# Summary/Conclusions

- Full simulation of DCH is available in Geant4 and Key4Hep (integrated in the IDEA detector) + hits and tracks
- Kalman Filter using genFit2 is implemented for the IDEA detector
- Current PR for the IDEA detectors is developed using a local method approach
- It reached a good performance but need to be tested with jets and with expected background and improvements are possible
- Different PR approach based on Global method (ex. Hough transform based) could be investigated.
- Performance in agreement with expectations

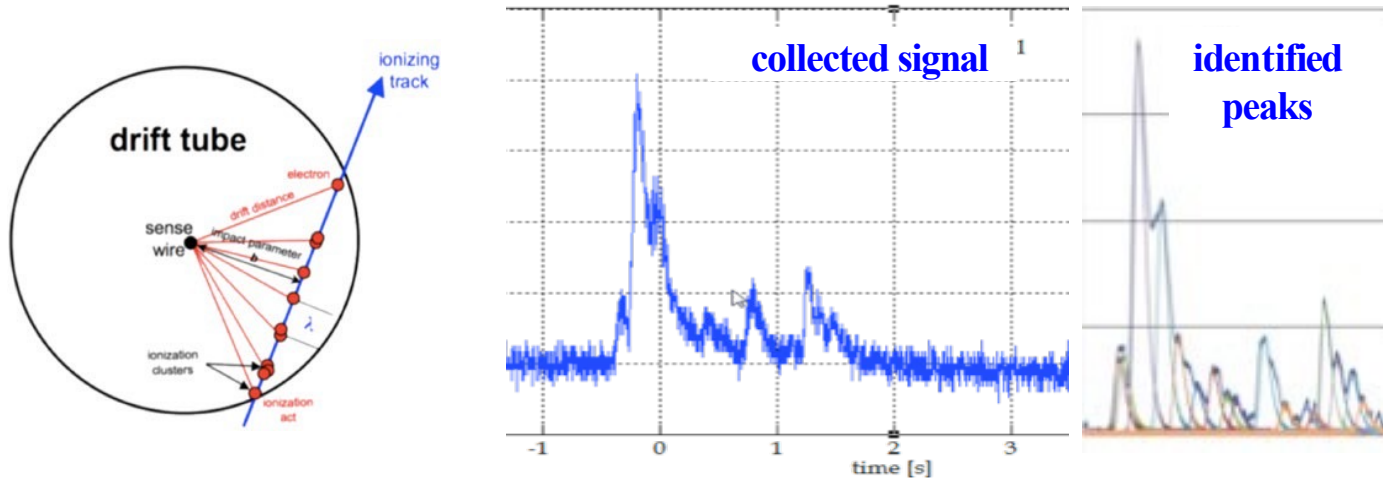
Backup

# Particle identification

# Cluster Counting/Timing and P.Id. principles

**Principle:** In He based gas mixtures the signals from each ionization act can be spread in time to few ns. With the help of a fast read-out electronics they can be identified efficiently.

- By counting the number of ionization acts per unit length ( $dN/dx$ ), it is possible to identify the particles (P.Id.) with a better resolution w.r.t the  $dE/dx$  method.



- record the time of arrival of electrons generated in every ionisation cluster ( $\approx 12\text{cm}^{-1}$ )
- reconstruct the trajectory at the most likely position

The cluster counting is based on replacing the measurement of an ANALOG information (the [truncated] mean  $dE/dx$ ) with a DIGITAL one, the number of ionisation clusters per unit length:

$dE/dx$

Truncated mean cut (70-80%) reduces the amount of collected information.  $n = 112$  and a 2m track at 1 atm give  $\sigma \approx 4.3\%$

$dN_c/dx$

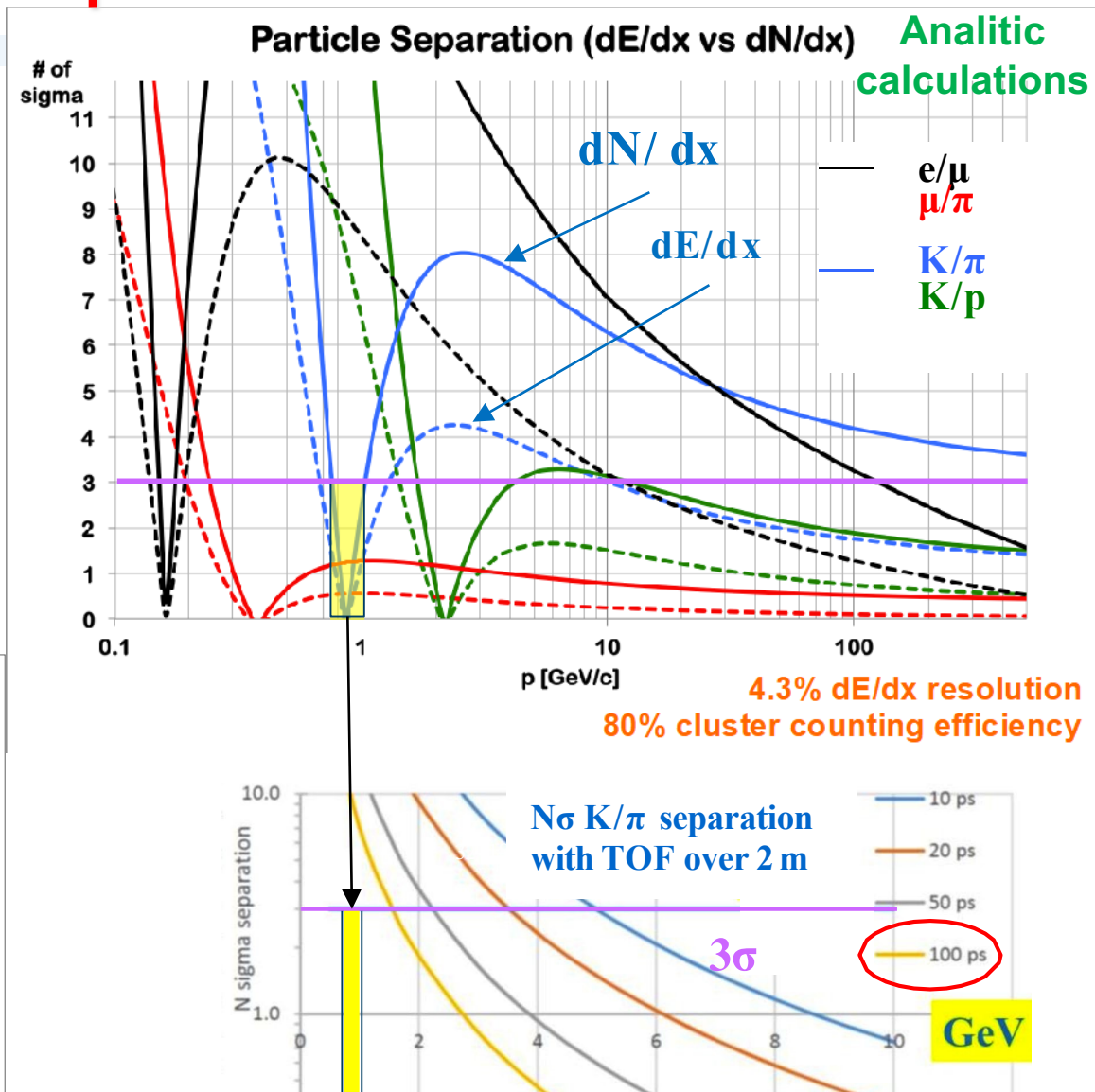
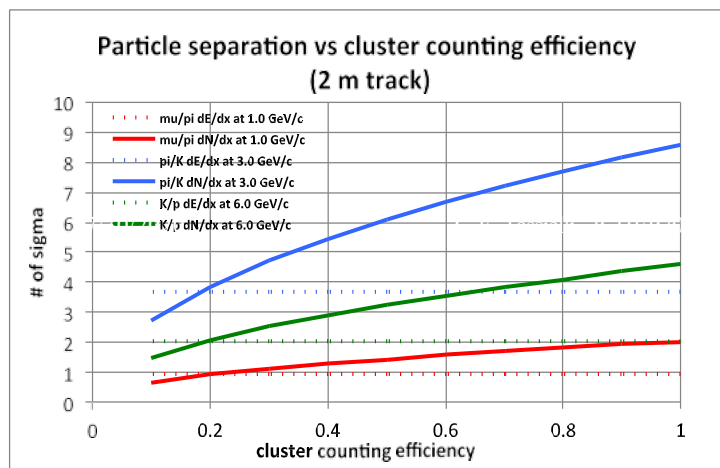
$\delta_d = 12.5/\text{cm}$  for  $\text{He}/i\text{C}_4\text{H}_{10}=90/10$  and a 2m track give  $\sigma \approx 2.0\%$

→ could improve also the spatial resolution

# Design guidelines: particle identification

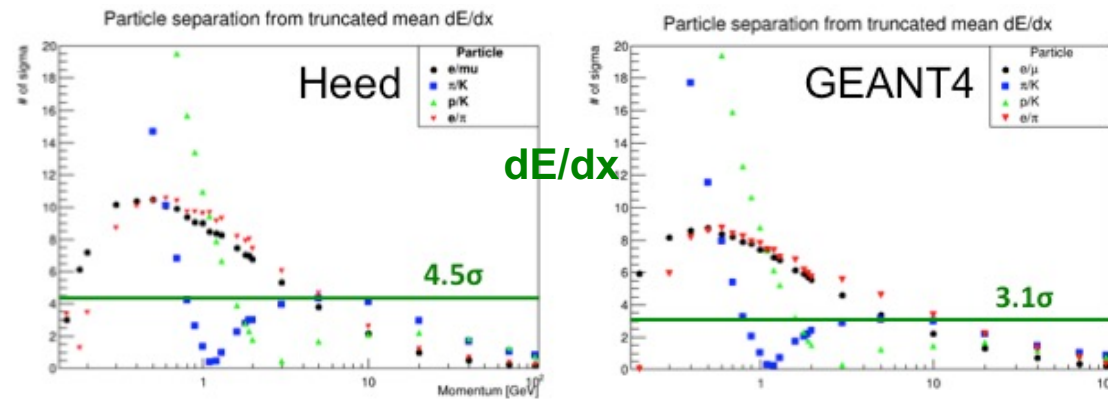
## Cluster Counting/Timing in DCH for good P.Id. performance

- Expected excellent  $K/\pi$  separation over the entire range except  $0.85 < p < 1.05$  GeV (blue lines)
- Could recover with **timing layer**

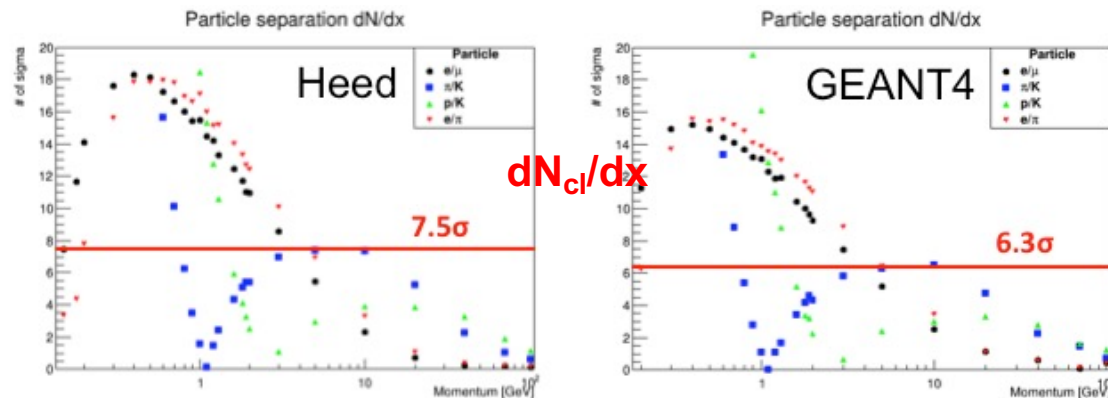
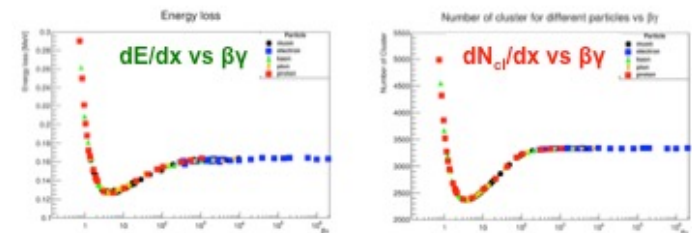


# PID full simulation with cluster counting

- **Garfield++ (Heed)** simulates in deep detail the ionization processes in the gas, but it would be extremely cumbersome to follow an ionization particle inside the large volume of a tracking detector.
- **GEANT4** simulates the interaction of a particle with all the materials of a large detector but it doesn't simulate the ionization clustering process which is essential for cluster counting.
- **Define a** model for a fast simulation of the cluster density and the cluster size distribution according to the predictions of **Heed**, to be used taking into account the results of the particle interactions calculated by **GEANT4**.



**GEANT4**



$dE/dx$  vs  $\beta\gamma$   
 $dN_{cl}/dx$  vs  $\beta\gamma$

# Motivations for a beam test:

## PID full simulation with cluster counting

### Open questions:

- Lack of experimental data on cluster density and cluster population for He based gas. Particularly in the relativistic rise region to compare predictions.
- Despite the fact that the Heed model in GEANT4 reproduces reasonably well the Heed predictions, why particle separation, both with  $dE/dx$  and with  $dN_{cl}/dx$ , in GEANT4 is considerably worse than in Heed?
- Despite a higher value of the  $dN_{cl}/dx$  Fermi plateau with respect to  $dE/dx$ , why this is reached at lower values of  $\beta\gamma$  with a steeper slope?
- We are still waiting for answers from Heed and Geant4 developers to try to shed light on these questions
- These questions are crucial for establishing the particle identification performance at FCCee, CEPC and SCTF
- However, the only way to ascertain these issues is an experimental measurement!

# Motivations for a beam test in 2021 and 2022 (1)

## Beam test plans:

- First of all, need to demonstrate the ability to count clusters:  
at a fixed  $\beta\gamma$  (e.g. muons at a fixed momentum) count the clusters by
  - doubling and tripling the track length and changing the track angle;
  - changing the gas mixture.
- Establish the limiting parameters for an efficient cluster counting:
  - cluster density (by changing the gas mixture)
  - space charge (by changing gas gain, sense wire diameter, track angle)
  - gas gain saturation
- In optimal configuration, measure the relativistic rise as a function of  $\beta\gamma$ , both in  $dE/dx$  and in  $dN_{cl}/dx$ , by scanning the muon momentum from the lowest to the highest value (from a few GeV/c to about 250 GeV/c at CERN/H8).
- Use the experimental results to fine tune the predictions on performance of cluster counting for flavor physics and for jet flavor tagging both in DELPHES and in full simulation

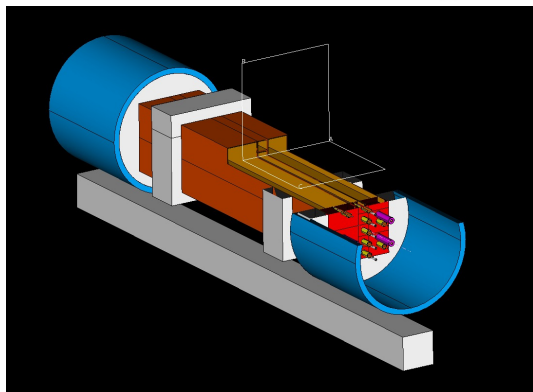
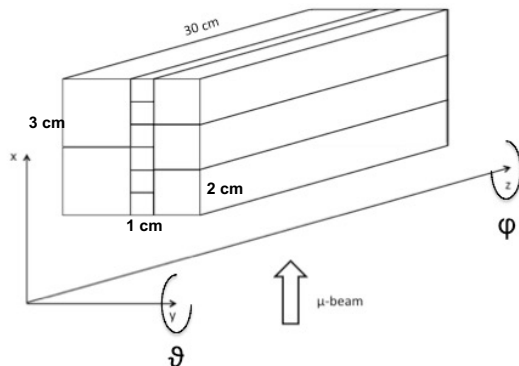
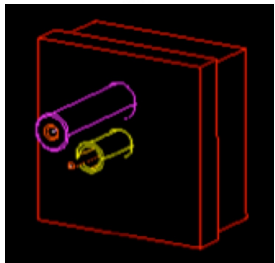
# Motivations for a beam test in 2021 and 2022 (2)

## Advantages:

- no need of external trackers: only interested in path length inside the drift tube active volume
- no need of internal tracking (time-to-distance and  $t_0$  calibrations, alignment, track finding and fitting algorithms, ...)
- no need to convert time to distance (just count clusters in the time domain)
- no worry of multiple scattering (irrelevant for path length differences)
- no need of particle tagging in hadron beams: use only muon beams at different momenta (different  $\beta\gamma$ )
- use selected commercial amplifiers (adapting tube impedance to 50  $\Omega$ ) to minimize electronics performance limitations (bandwidth, gain, noise, ...) and neglecting power consumption
- use only fully integrated digitizers (O-scope, 16-ch. WDB) for ease of readout

# Detector configuration for the beam test

## conceptual setup:

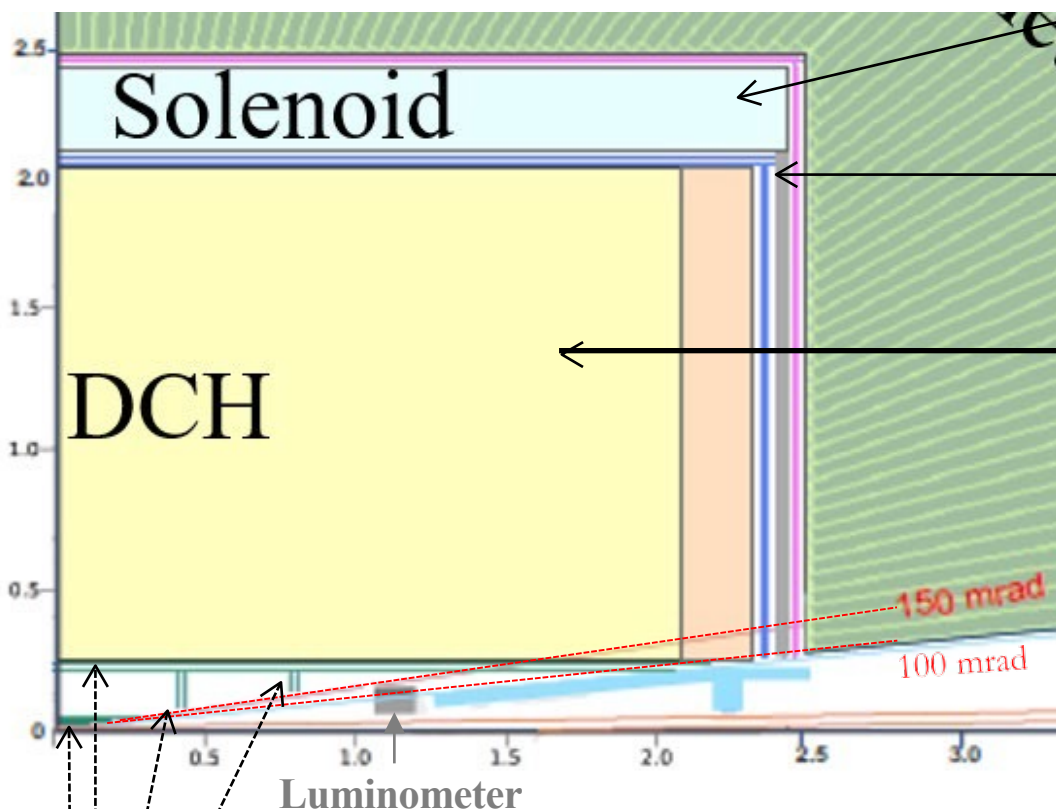


## test configuration:

- 6 drift tubes  $1\text{ cm} \times 1\text{ cm} \times 30\text{ cm}$ 
  - 2 with  $15\text{ }\mu\text{m}$  sense wire, 2 with  $20\text{ }\mu\text{m}$ , 2 with  $25\text{ }\mu\text{m}$
- 3 drift tubes  $2\text{ cm} \times 2\text{ cm} \times 30\text{ cm}$ 
  - 1 with  $20\text{ }\mu\text{m}$  sense wire, 1 with  $25\text{ }\mu\text{m}$ , 1 with  $30\text{ }\mu\text{m}$
- 2 drift tubes  $3\text{ cm} \times 3\text{ cm} \times 30\text{ cm}$ 
  - 1 with  $20\text{ }\mu\text{m}$  sense wire, 1 with  $30\text{ }\mu\text{m}$
- 11 preamplifier cards (1 GHz, 20 db) + termin.
- more configurations to choose from
- 11 independent HV power supply channels
- 11 digitizer (2 GSa/s, 12 bit) (WDB + O-scope)
  - max drift time  $\approx 2\text{ }\mu\text{s}$  for 3 cm drift at  $45^\circ$
- gas mixing, control and distribution (only He and  $i\text{C}_4\text{H}_{10}$ )
- 2-3 trigger scintillators (HV, discr., coinc., TU)

# Miscellanea

# The IDEA tracking system



**Vertex:**

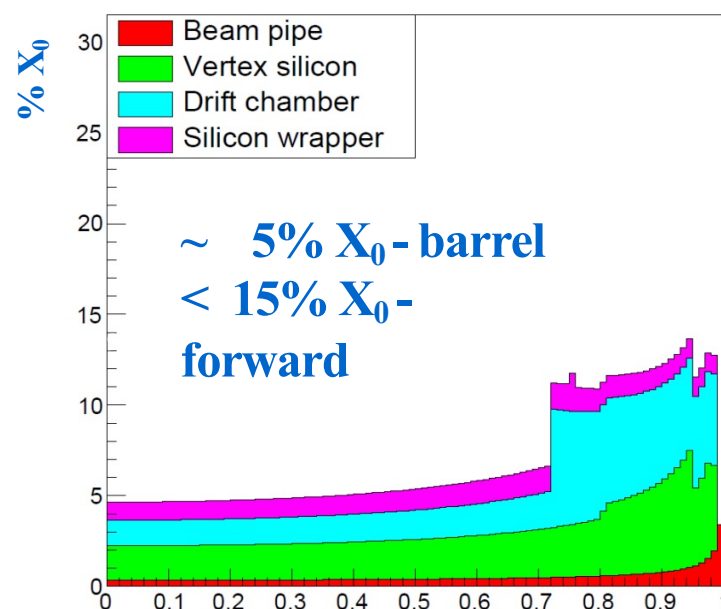
- inner:** 3 single Si pixel ( $20\ \mu\text{m} \times 20\ \mu\text{m}$ ) layers of  $0.3\% X_0$
- outer:** 2 single Si pixel ( $50\ \mu\text{m} \times 50\ \mu\text{m}$ ) layers of  $0.5\% X_0$
- forward:** 4 single Si pixel ( $50\ \mu\text{m} \times 50\ \mu\text{m}$ ) layers of  $0.3\% X_0$

**Solenoid:** 2 T, length = 5 m,  
 $r = 2.1\text{-}2.4\ \text{m}$ ,  $0.74 X_0$ ,  $0.16 \lambda @ 90^\circ$

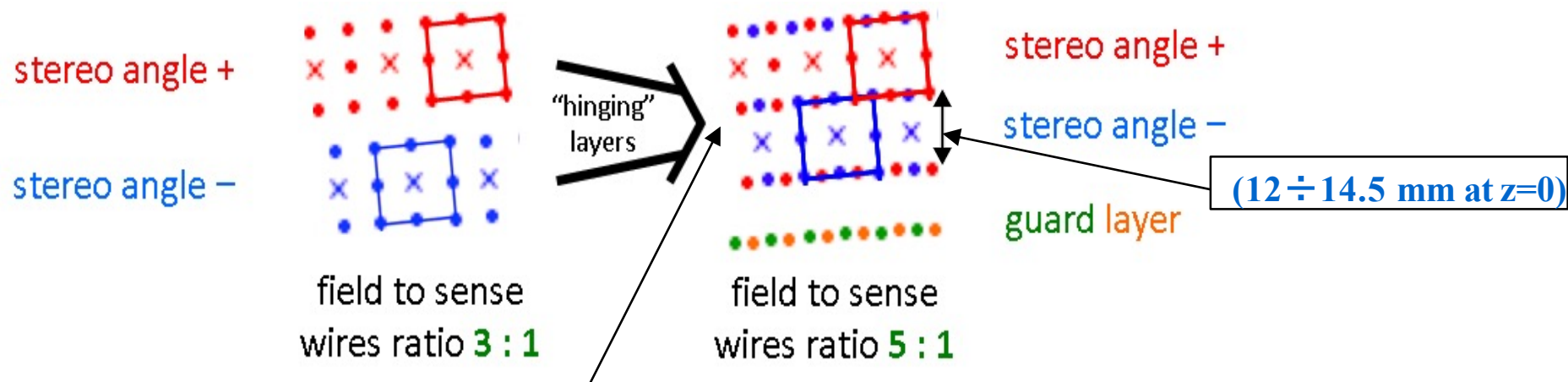
**Si Wrapper:**  
 2 layers of  $\mu$ -strips ( $50\ \mu\text{m} \times 1\ \text{mm}$ )  
 both barrel and forward regions

**DCH:** 56448 ( $\sim 1.2\ \text{cm}$ ) cells  
 He based gas mixture (90% He  
 – 10% i- $\text{C}_4\text{H}_{10}$ )

IDEA: Material vs.  $\cos(\theta)$



# The IDEA drift chamber



The wire net created by the combination of + and - orientation generates a more uniform equipotential surface

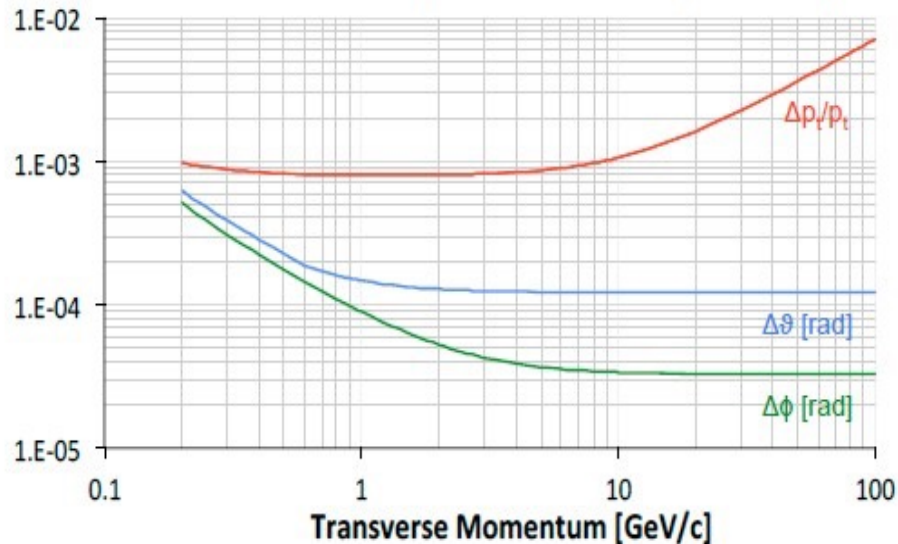
sense wires:	20 mm diameter W(Au) =>	56448 wires
field wires:	40 mm diameter Al(Ag) =>	229056 wires
f. and g. wires:	50 mm diameter Al(Ag) =>	58464 wires
	343968 wires in total	

High wire number requires a non standard wiring procedure and needs a feed-through-less wiring system. The novel wiring procedure developed and used for the construction of the ultra-light MEG-II drift chamber must be used.

MEG-II: muon to e-gamma search experiment at Paul Scherrer Institut - "The design of the MEG II experiment", Eur. Phys. J. C (2018) 78:380 - <https://doi.org/10.1140/epjc/s10052-018-5845-6>

# The Drift Chamber for the IDEA experiment

Momentum and Angular Resolutions (theta = 90)

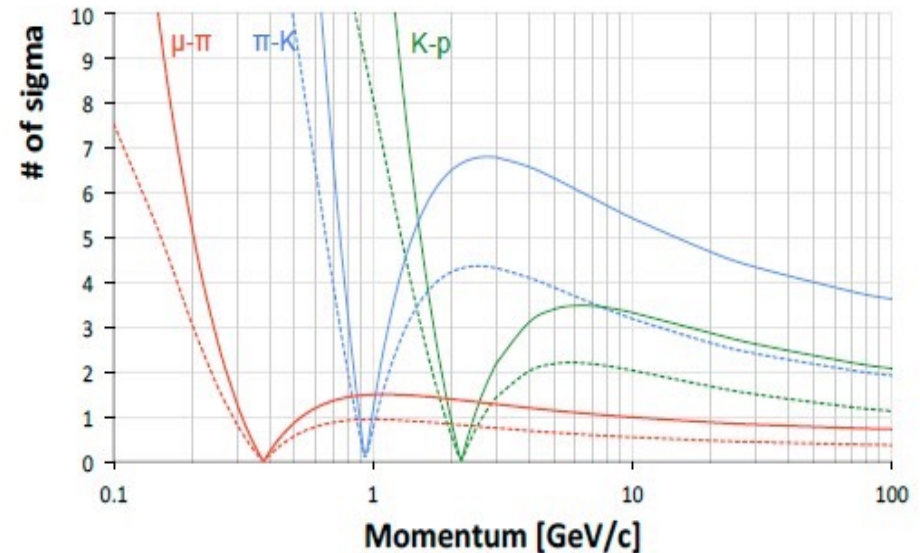


$$\Delta p_t/p_t = (0.7 p_t + 8.3) \times 10^{-4}$$

$$\Delta\vartheta = (1.1 + 9.4/p) \times 10^{-4} \text{ rad}$$

$$\Delta\phi = (0.33 + 9.4/p) \times 10^{-4} \text{ rad}$$

Particle Separation (dE/dx vs dN/dx)

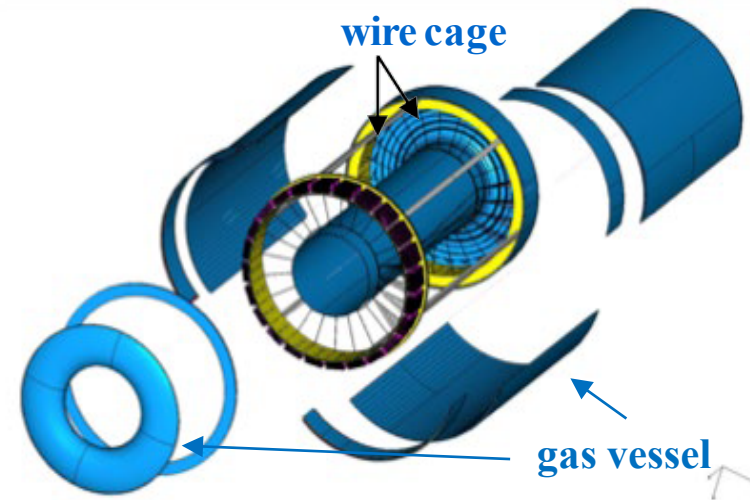


$$dE/dx = 4.3 \%$$

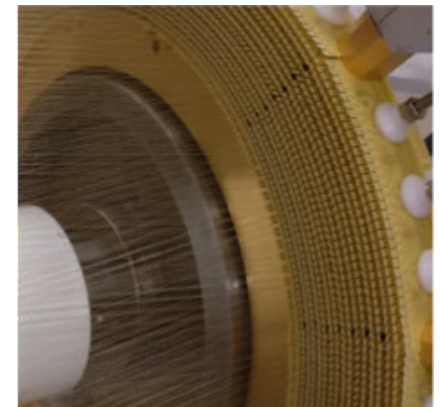
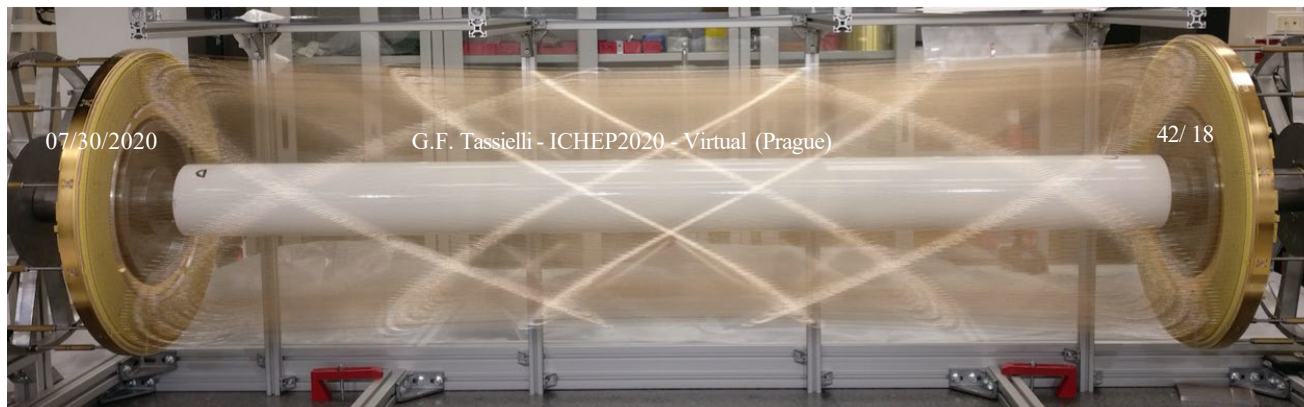
$$dN/dx = 2.2 \% \text{ (at } \epsilon_N = 80 \%)$$

Based on the MEG-II DCH new construction technique the **IDEA DCH** can meet these goals:

- Gas containment – wire support functions separation:  
allows to reduce material to  $\approx 10^{-3} X_0$  for the inner cylinder and to a few  $\times 10^{-2} X_0$  for the end-plates, including FEE, HV supply and signal cables
- Feed-through-less wiring:



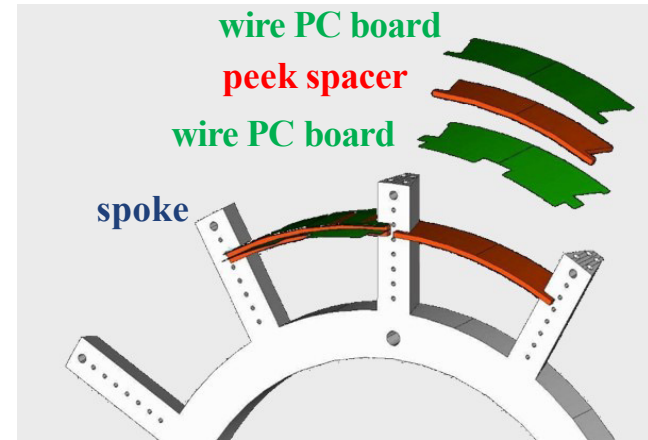
allows to increase chamber granularity and field/sense wire ratio to reduce multiple scattering and total tension on end plates due to wires by using thinner wires



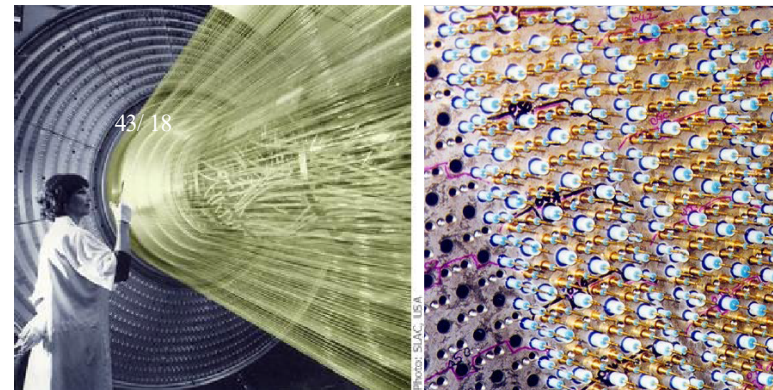
# Novel approach at construction technique of high granularity and high transparency Drift Chambers

## The solution adopted for MEG II:

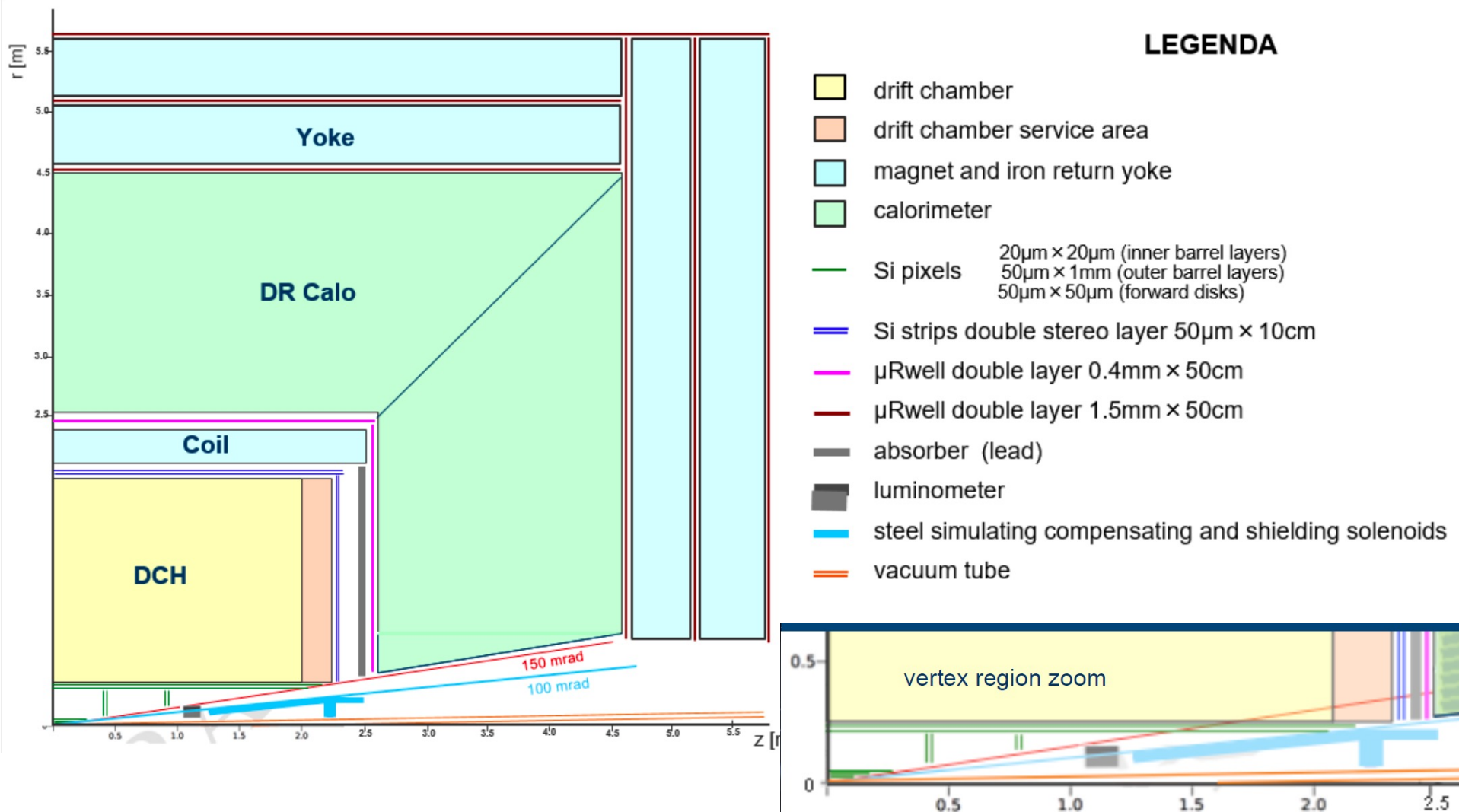
- end-plates numerically machined from solid Aluminum (mechanical support only);
- Field, Sense and Guard wires placed azimuthally by a Wiring Robot with better than one wire diameter accuracy;
- wire PC board layers (green) radially spaced by numerically machined peek spacers (red) (accuracy < 20  $\mu\text{m}$ );
- wire tension defined by homogeneous winding and wire elongation ( $\Delta L = 100\mu\text{m}$  corresponds to  $\approx 0.5\text{g}$ );
- Drift Chamber assembly done on a 3D digital measuring table;
- build up of layers continuously checked and corrected during assembly;
- End-plate gas sealing done with glue.



( $\sim 12 \text{ wires/cm}^2$ ) impossible to be built with a conventional technique based on feedthrough:



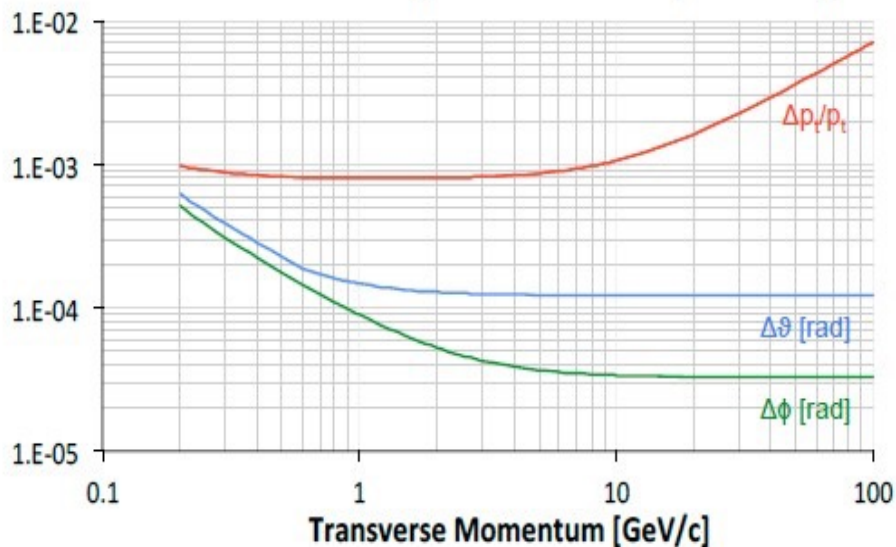
# The IDEA detector at $e^+e^-$ colliders (2)



Tracking  $\rightarrow$  150 mrad  $\rightarrow$  No material in front of luminometer  
 Calorimetry  $\rightarrow$  100 mrad

# The Drift Chamber for the IDEA experiment

Momentum and Angular Resolutions (theta = 90)

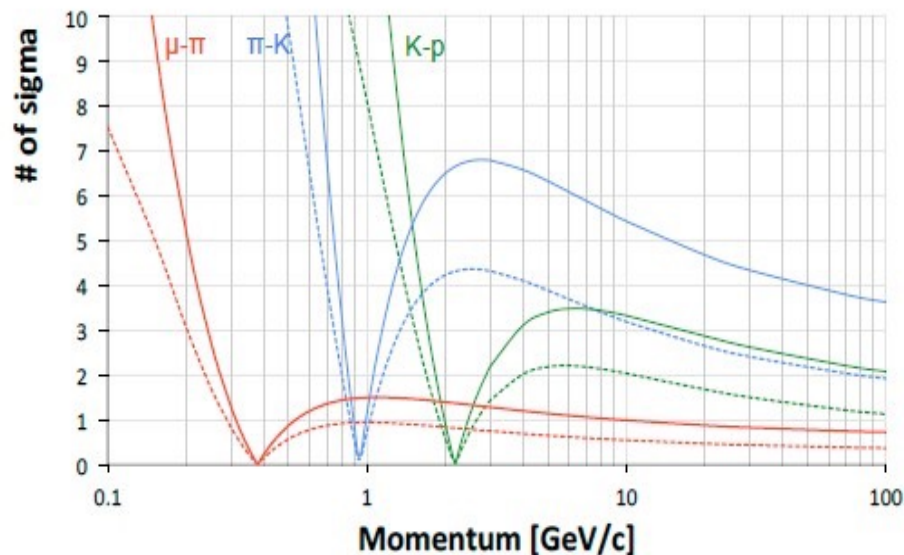


$$\Delta p_t/p_t = (0.7p_t + 8.3) \times 10^{-4}$$

$$\Delta\vartheta = (1.1 + 9.4/p) \times 10^{-4} \text{ rad}$$

$$\Delta\phi = (0.33 + 9.4/p) \times 10^{-4} \text{ rad}$$

Particle Separation (dE/dx vs dN/dx)

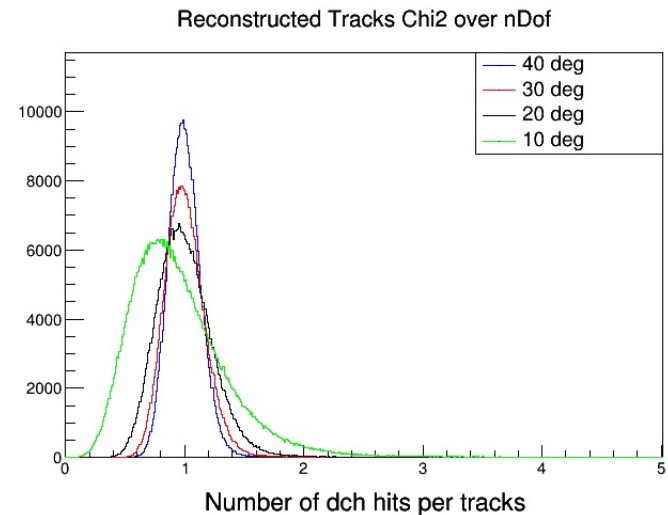
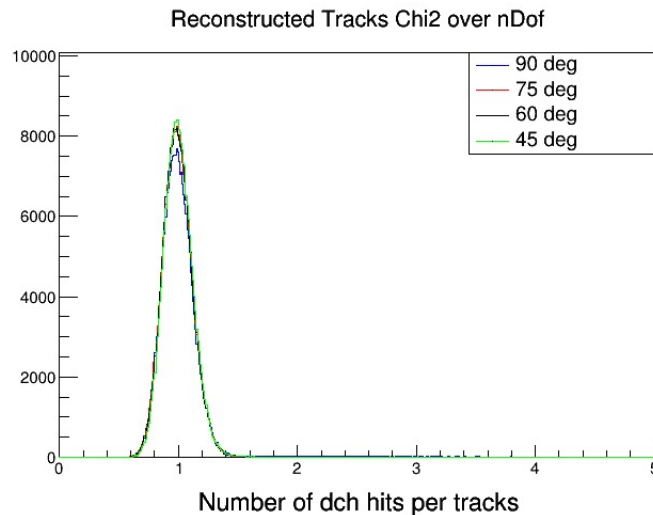


$$dE/dx = 4.3 \%$$

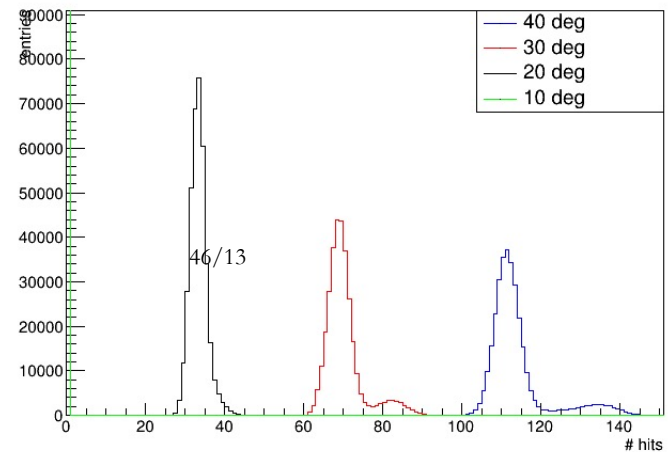
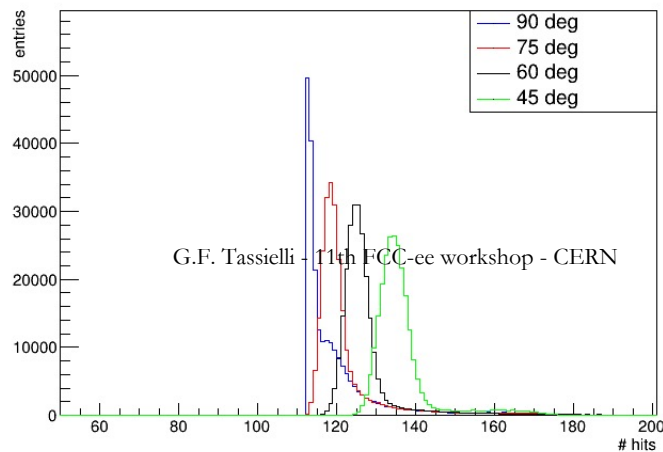
$$dN/dx = 2.2 \% \text{ (at } \epsilon_N = 80 \%)$$

# IDEA – layout v1 – Expected tracking performance

$\chi^2 / \text{ndof}$

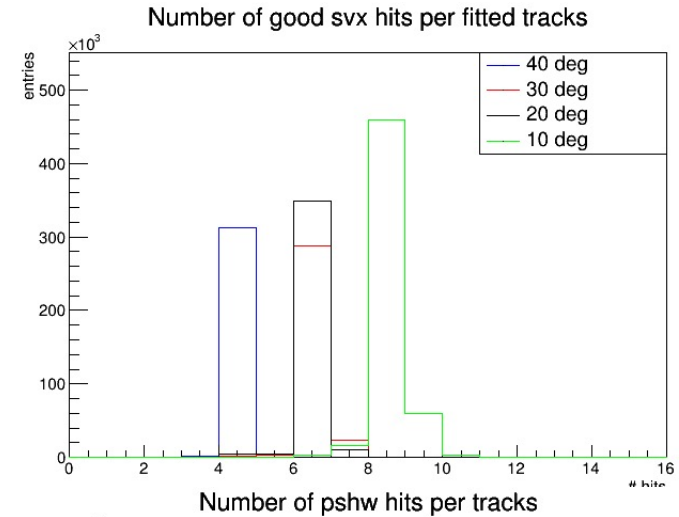
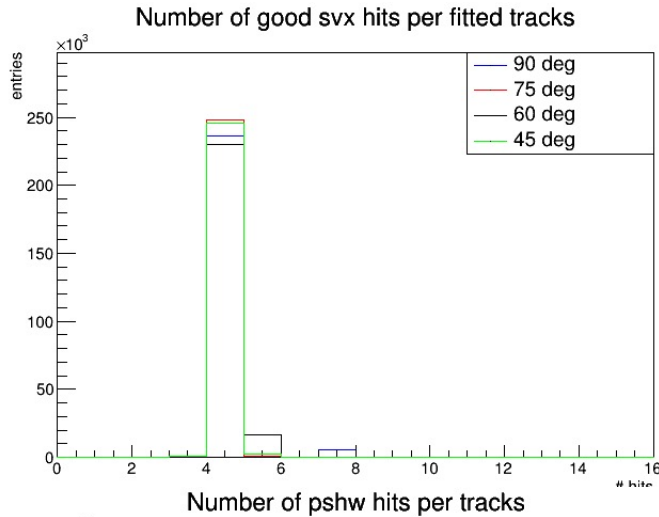


N hits fitted  
(DCH)

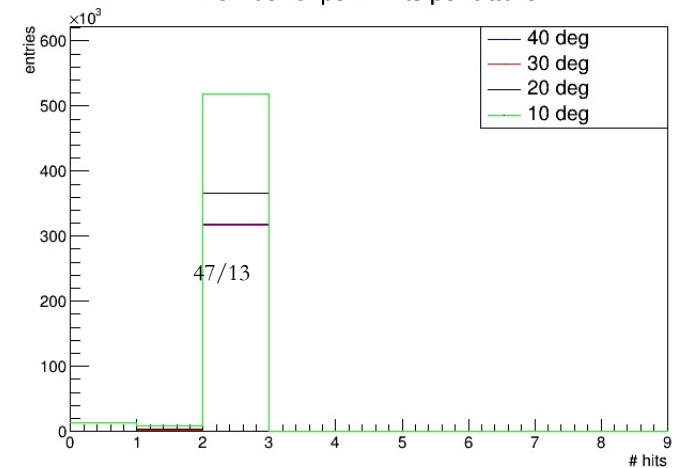
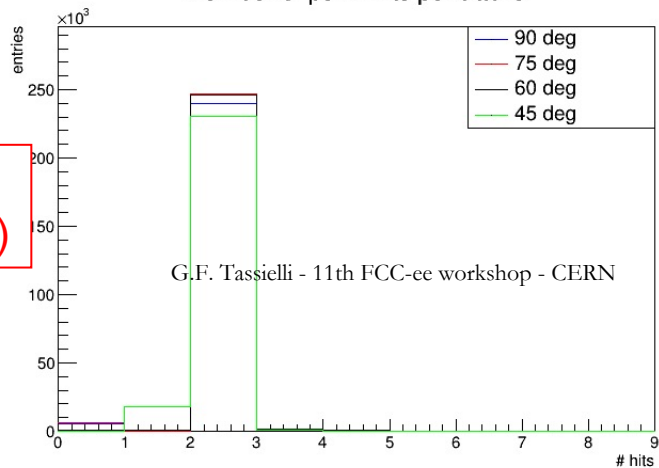


# IDEA – layout v1 – Expected tracking performance

N hits fitted  
(SVX)

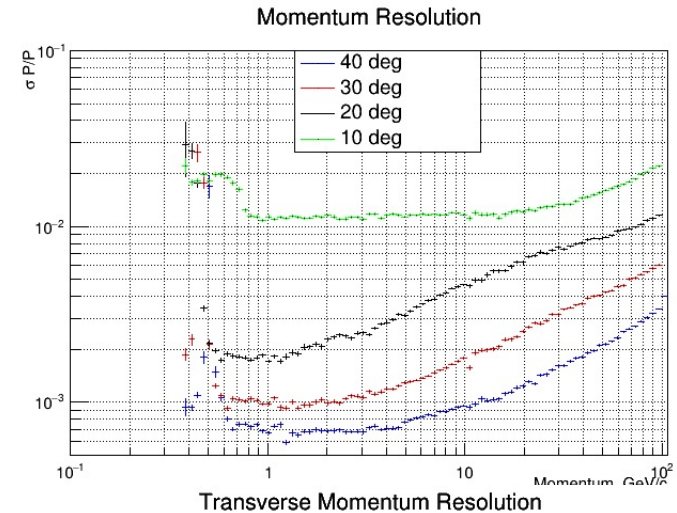
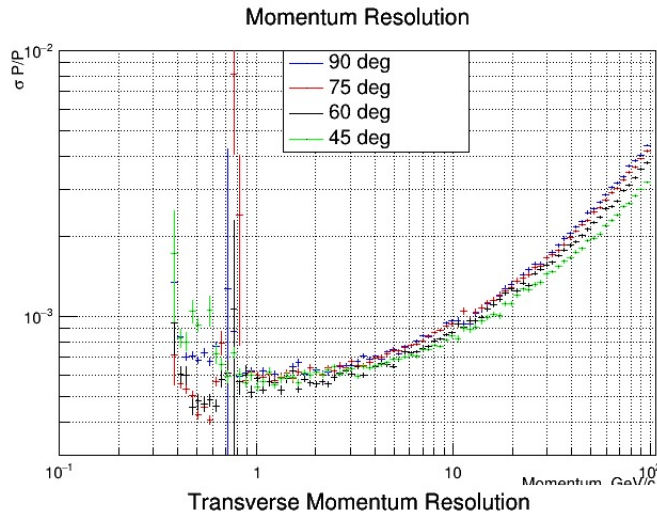


N hits fitted  
(SOT+PSHW)



# IDEA – layout v1 – Expected tracking performance

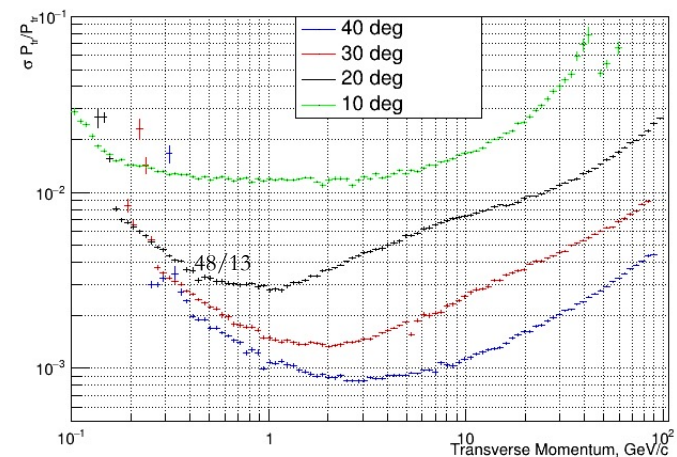
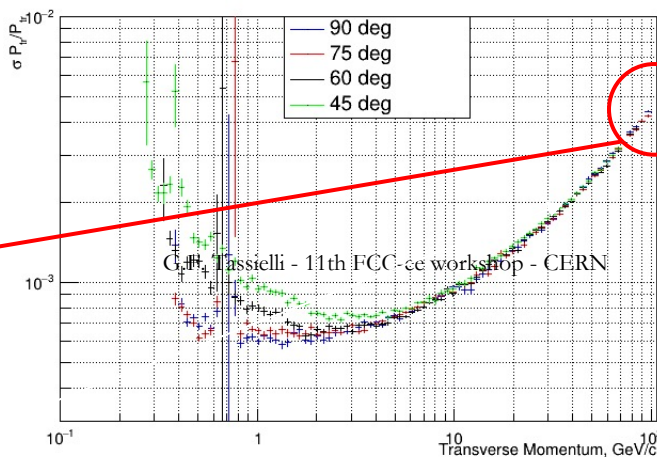
p



p<sub>t</sub>

$$\frac{\sigma_{p_t}}{p_t^2} = 4 \bullet 10^{-5}$$

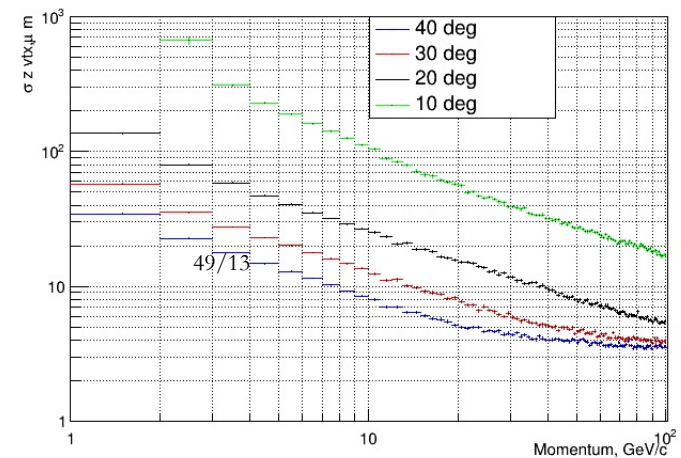
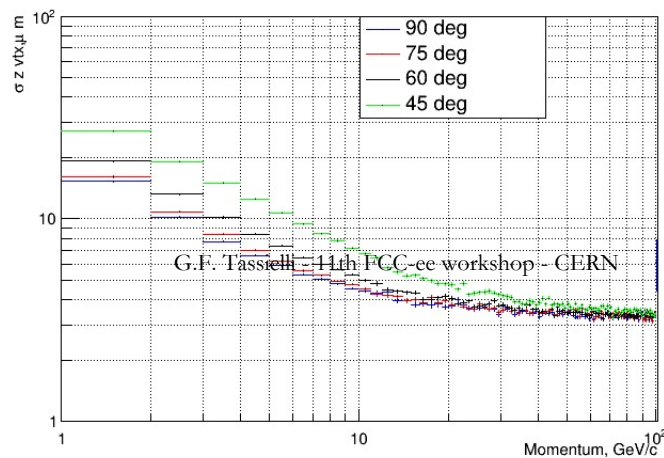
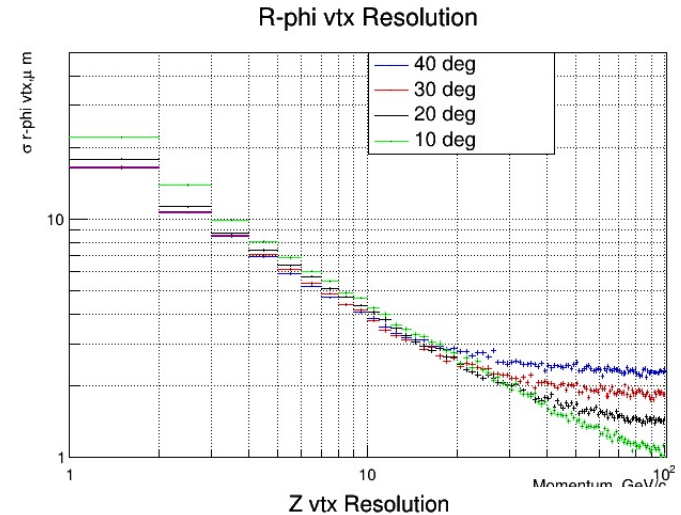
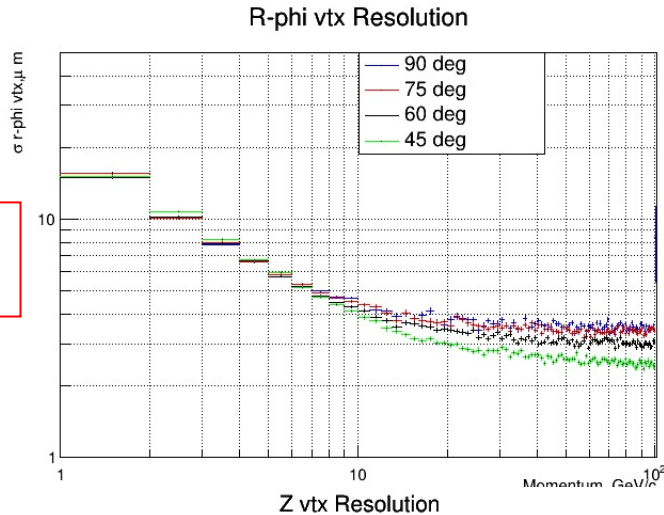
$$\frac{\sigma_{p_t}}{p_t^2} = 5 \bullet 10^{-5}$$



G. Tassielli - 11th FCC-ee workshop - CERN

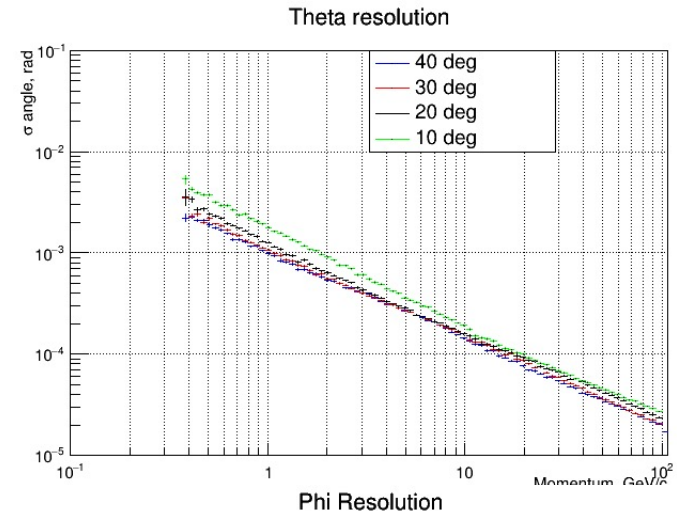
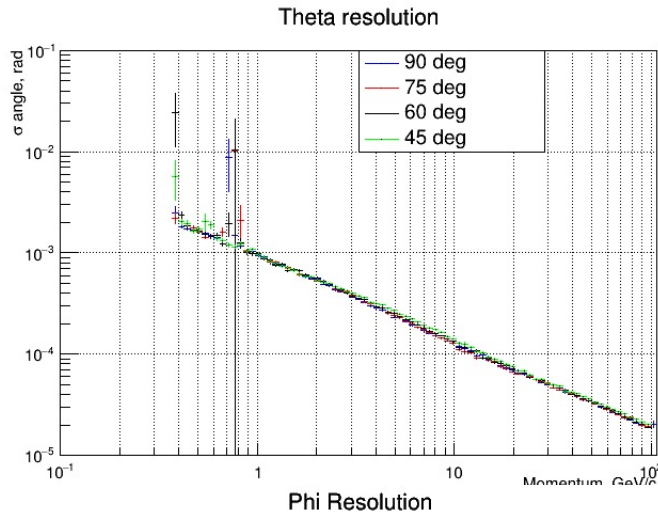
48/13

# IDEA – layout v1 – Expected tracking performance

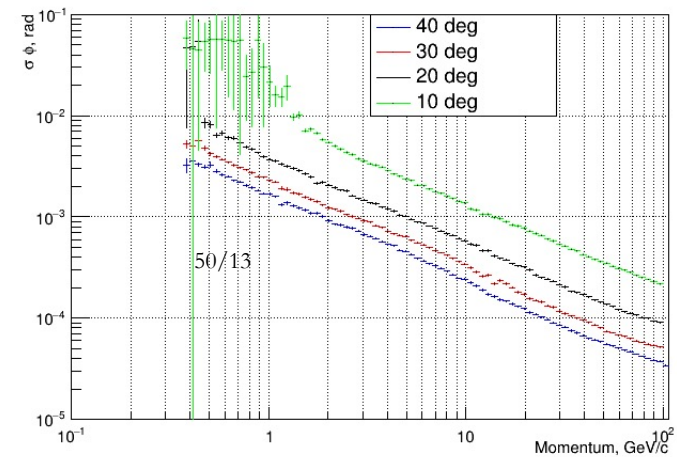
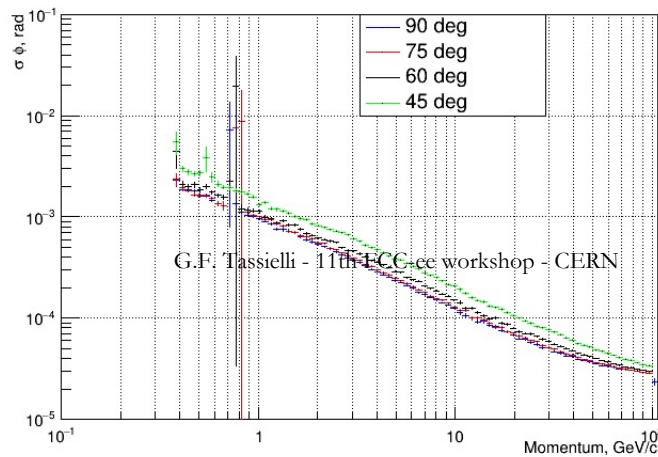


# IDEA – layout v1 – Expected tracking performance

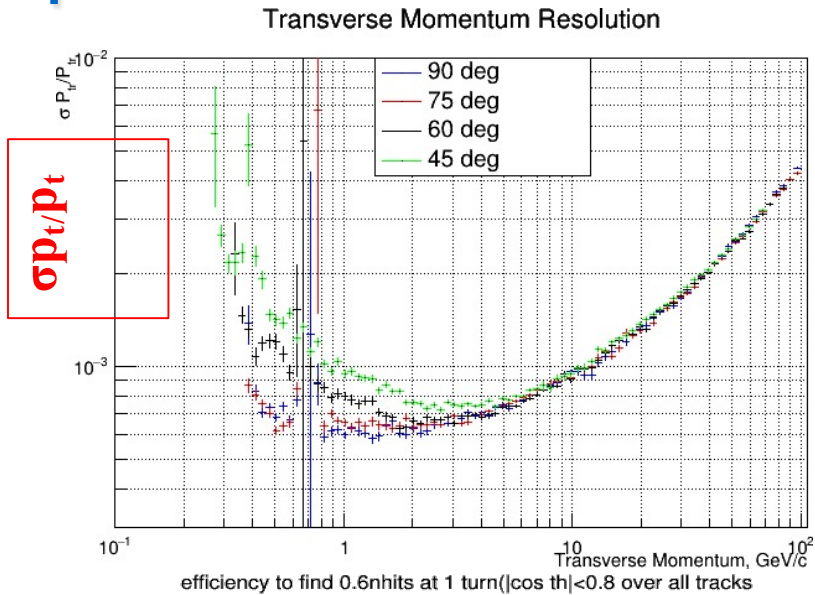
theta



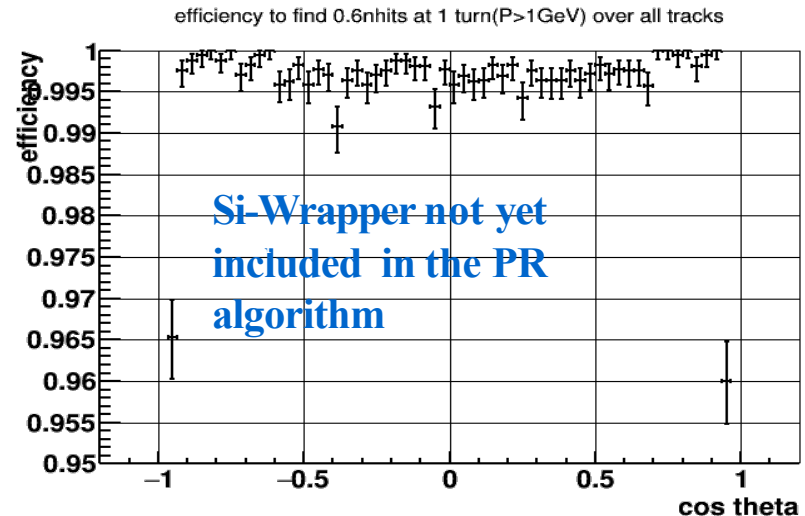
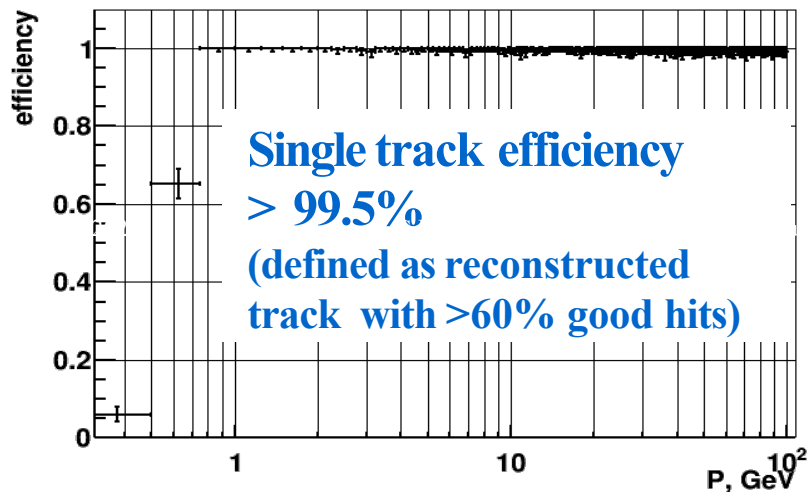
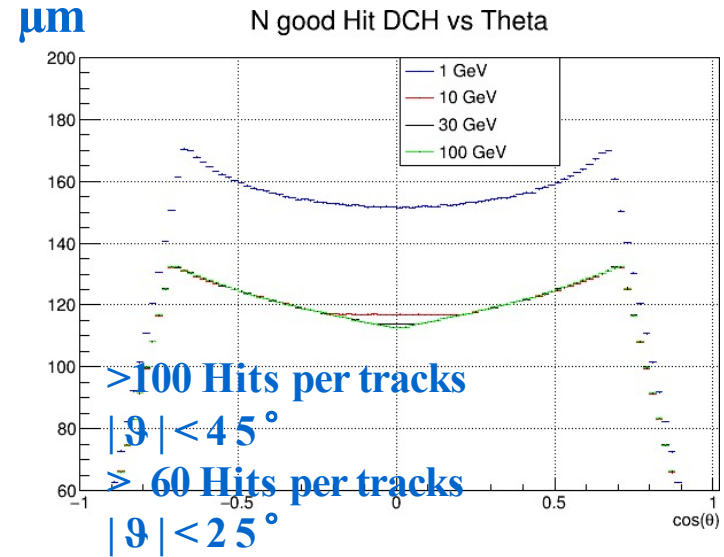
phi



# Expected simulated performance



assumed:  $\sigma_d = 100 \mu\text{m}$  and  
(conservative for Si)  $\sigma_{\text{Si}} = \text{pitch}/\sqrt{12}$   
 $\mu\text{m}$



# Cluster Counting/Timing and P.Id. expected performance

From the ordered sequence of the electrons arrival times, considering the average time separation between clusters and their time spread due to diffusion, reconstruct the most probable sequence of clusters drift times:

$$\{t_i^{cl}\} \quad i = 1, N_{cl}$$

$dE/dx$

$$\frac{\sigma_{dE/dx}}{(dE/dx)} = 0.41 \cdot n^{-0.43} \cdot (L_{track} [m] \cdot P[atm])^{-0.32}$$

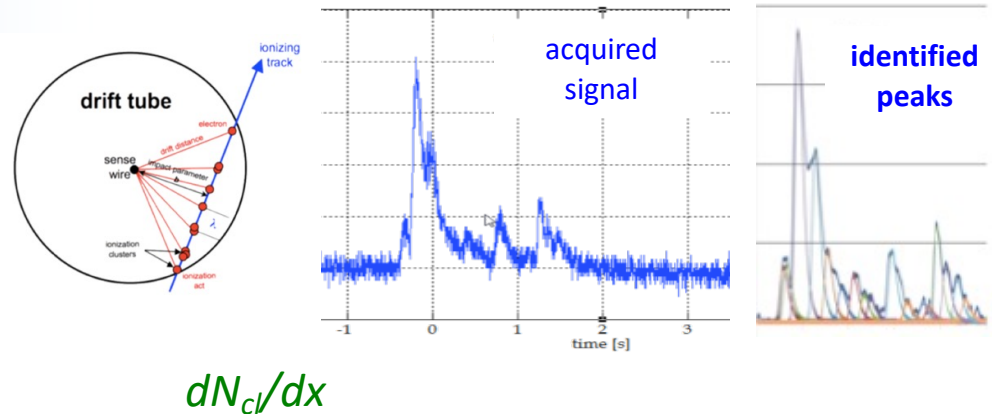
from *Walenta parameterization (1980)*

truncated mean cut (70-80%) reduces the amount of collected information  $n = 112$  and a 2m track at 1 atm give

$$\sigma \approx 4.3\%$$

Increasing P to 2 atm improves resolution by 20% ( $\sigma \approx 3.4\%$ ) but at a considerable cost of multiple scattering contribution to momentum and angular resolutions.

Moreover, C.C. allows can improve the **spatial resolution < 100  $\mu m$  for 8 mm drift cells in He based gas mixtures**



$$\frac{\sigma_{dN_{cl}/dx}}{(dN_{cl}/dx)} = (\delta_{cl} \cdot L_{track})^{-1/2}$$

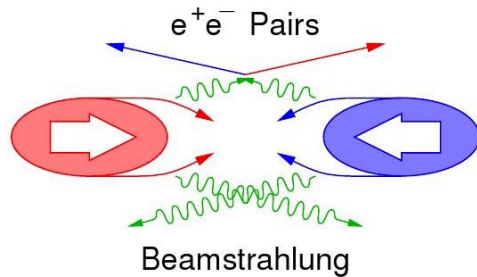
from *Poisson distribution*

$\delta_{cl} = 12.5/cm$  for He/iC<sub>4</sub>H<sub>10</sub>=90/10 and a 2m track give

$$\sigma \approx 2.0\%$$

A small increment of iC<sub>4</sub>H<sub>10</sub> from 10% to 20% ( $\delta_{cl} = 20/cm$ ) improves resolution by 20% ( $\sigma \approx 1.6\%$ ) at only a reasonable cost of multiple scattering contribution to momentum and angular resolutions.

# Expected simulated performance



Background	Average occupancy	
	$\sqrt{s} = 91.2 \text{ GeV}$	$\sqrt{s} = 365 \text{ GeV}$
$e^+e^-$ pair background	1.1%	2.9%
$\gamma\gamma \rightarrow \text{hadrons}$	0.001%	0.035%
Synchrotron radiation	negligible	0.2%

