



中国科学院高能物理研究所
Institute of High Energy Physics
Chinese Academy of Sciences



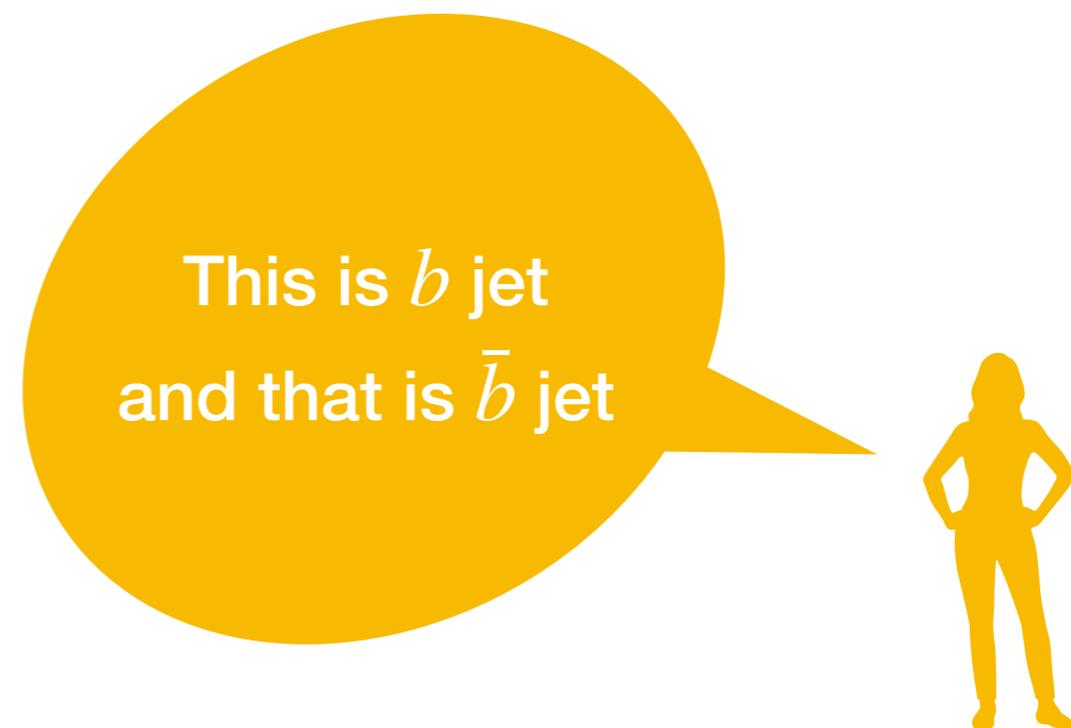
Jet Charge at CEPC

Hanhua Cui
Manqi Ruan
cuihanhua@ihep.ac.cn

CEPC Physics and Detector Plenary Meeting, September 29, 2021

Outline

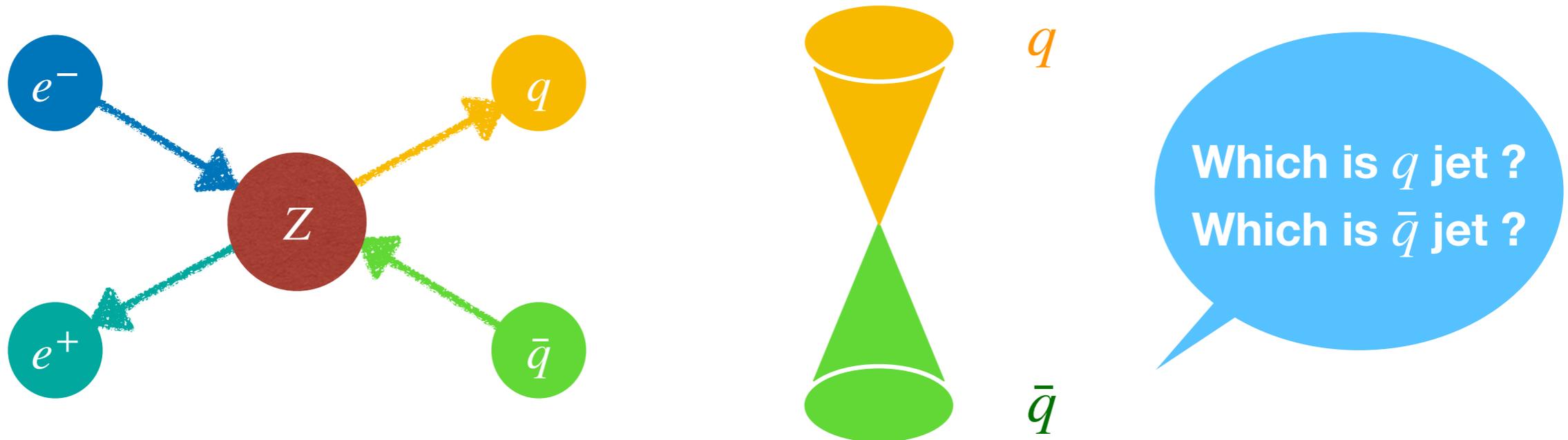
- Introduction
- Samples
- Method
- Results
- Conclusion



Introduction

Introduction of Jet Charge

We already have flavor tagging algorithm, Jet Charge can help find more physics



What is Jet Charge?

- *To determine initial jet charge, namely b quark v.s. \bar{b} quark / c quark v.s. \bar{c} quark*

Application of Jet Charge:

- *The measurements of specific heavy hadrons channel*
- *The electroweak precision measurements*
 - e.g. - A_{FB} (Forward and Backward Asymmetry);
 - $\sin^2 \theta_W$ (electroweak mixing angle);
 - *CP Violation measurement*

- ...

Jet Charge Algorithm

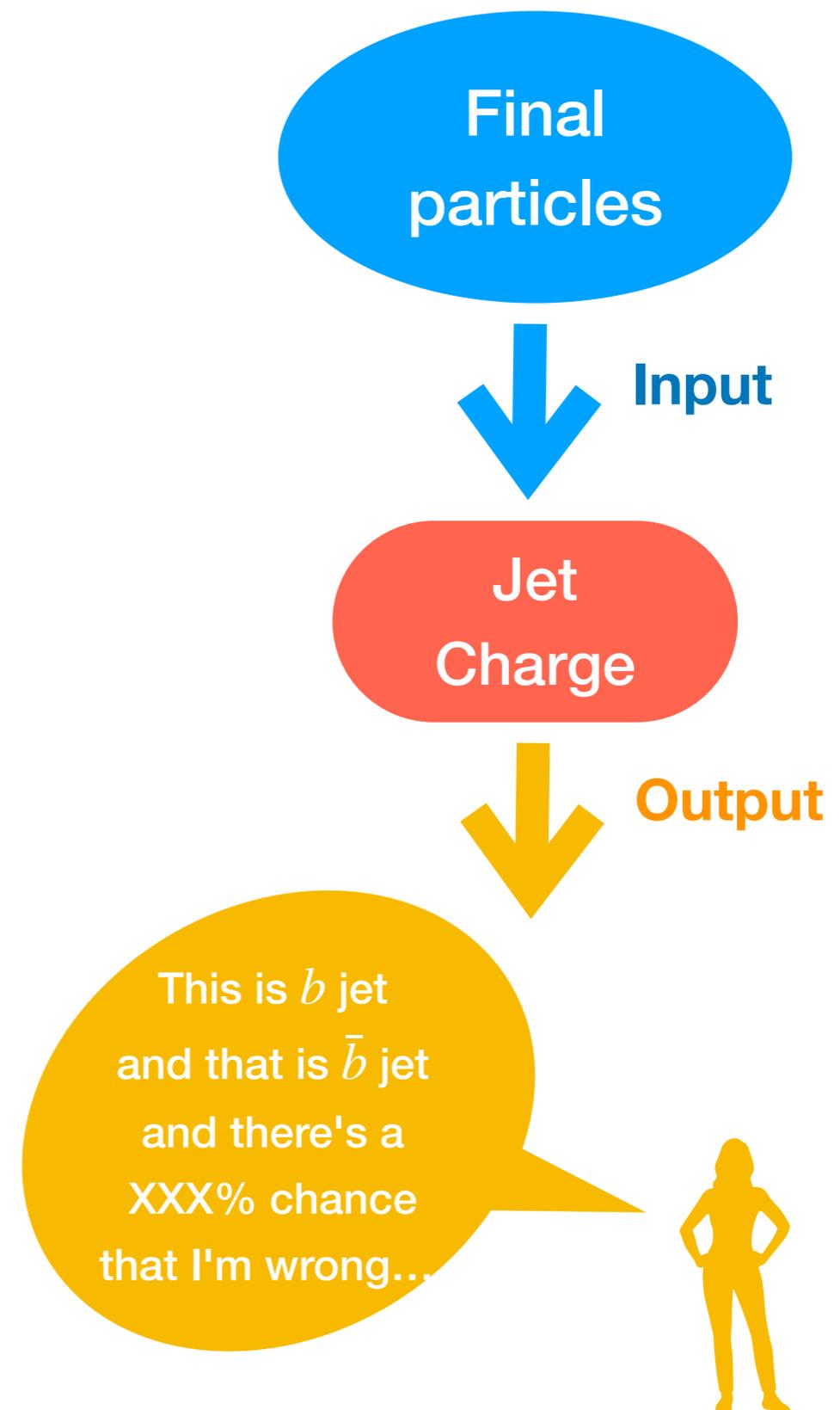
Jet Charge Algorithm at Truth Level:

Input:

- *Information of final particles:*
 - *Charge*
 - *Energy*
 - *Momentum*
 - *...*

Output:

- *Jet charge*
- *Description of Jet Charge*
 - *Misjudgment rate ω*
 - *Effective tagging power*



Jet Charge at CEPC

High productivity

- $3 \times 10^{11} - 10^{12}$ Z bosons in 2 years
- $b\bar{b}$ branching fraction: 15.2%
- $0.152 \times 10^{11} - 10^{12}$ $b\bar{b}$

Good detector system

- Good VTX reconstruction
- Good PID system

Clean environment

Different particle flavors

- $Z \rightarrow b\bar{b}$ events
- $Z \rightarrow c\bar{c}$ events



Why CEPC?

Flavor production at different experiments

Particle	Tera-Z	Belle II	LHCb
b hadrons			
B^+	6×10^{10}	3×10^{10} (50 ab^{-1} on $\Upsilon(4S)$)	3×10^{13}
B^0	6×10^{10}	3×10^{10} (50 ab^{-1} on $\Upsilon(4S)$)	3×10^{13}
B_s	2×10^{10}	3×10^8 (5 ab^{-1} on $\Upsilon(5S)$)	8×10^{12}
b baryons			
Λ_b	1×10^{10}		1×10^{13}
c hadrons			
D^0	2×10^{11}		
D^+	6×10^{10}		
D_s^+	3×10^{10}		
Λ_c^+	2×10^{10}		
τ^+	3×10^{10}	5×10^{10} (50 ab^{-1} on $\Upsilon(4S)$)	

From CEPC CDR 2018

Samples

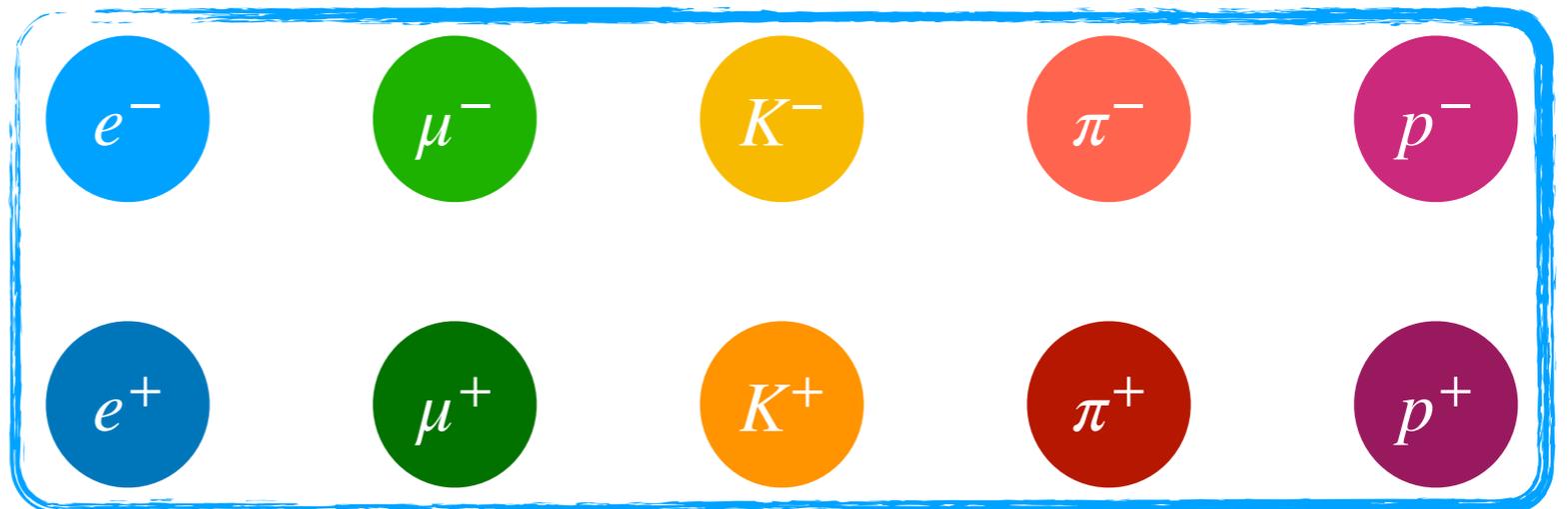
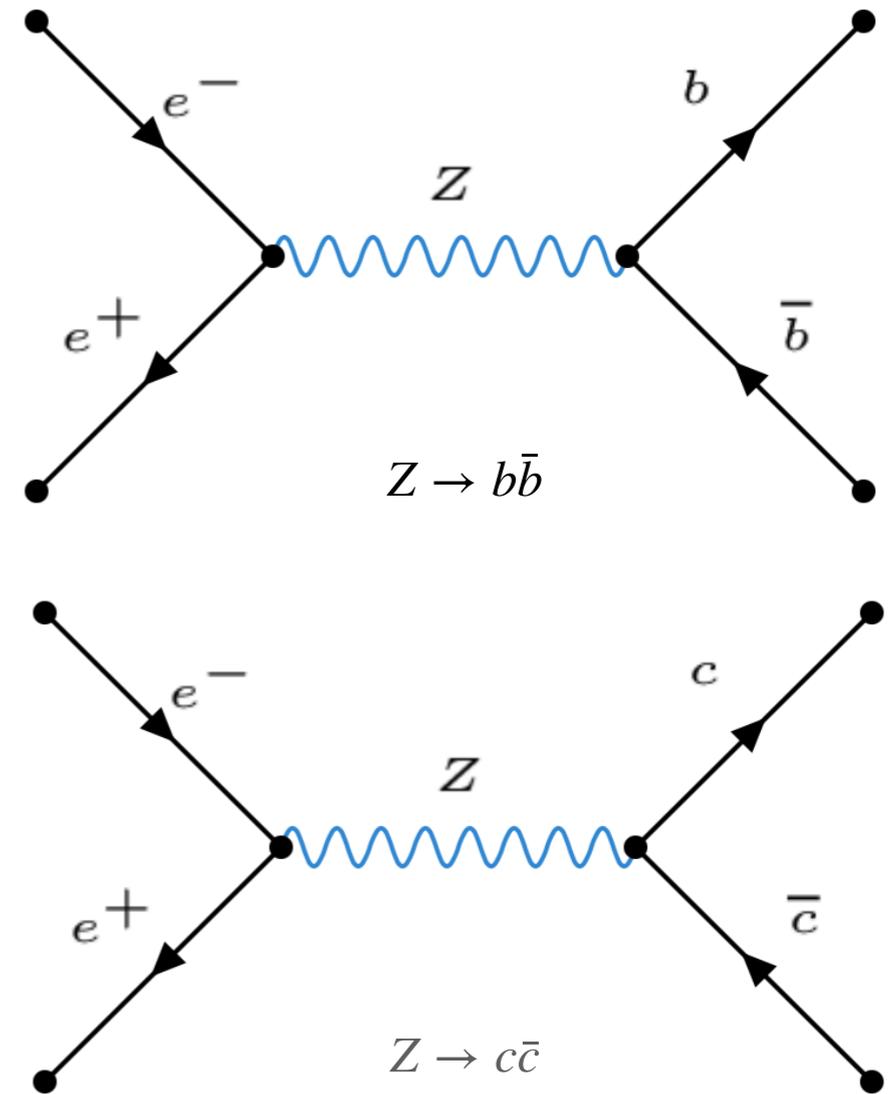
Samples

Samples:

- ▶ **WHIZARD195**
- ▶ **CEPC *Z pole*** (91.2 GeV) at Truth level
 - ▶ 16 million $Z \rightarrow b\bar{b}$ events:
 - easy to select
 - ▶ 16 million $Z \rightarrow c\bar{c}$ events:
 - simpler decay behavior

Final particles we consider:

- leptons: e^+e^- , $\mu^+\mu^-$
- Kaons: K^+K^-
- pions: $\pi^+\pi^-$
- protons: p^+p^-



Method

How to develop Jet Charge?

Jet Charge Algorithm:

- Use Jet Clustering to divide final leading particles into **two jets**
- Find the relationship between **observables(charge, energy)** of final leading particles and jet charge:
 - For $Z \rightarrow b\bar{b}$ samples:
 - $e^-, \mu^-, K^-, \pi^-, p^+$ are closer to b jet
 - $e^+, \mu^+, K^+, \pi^+, p^-$ are closer to \bar{b} jet
 - For $Z \rightarrow c\bar{c}$ samples:
 - $e^+, \mu^+, K^-, \pi^+, p^+$ are closer to c jet
 - $e^-, \mu^-, K^+, \pi^-, p^+$ are closer to \bar{c} jet
 - Combine the information of two jets
- Use those **observables(charge, energy)** to measure jet charge
- Use **Misjudgment rate ω** and **effective tagging power** to describe Jet Charge

How to describe Jet Charge?

Misjudgment rate ω :

- To describe the probability of *misjudging* the jet charge

$$\omega = \frac{\text{Number of selected final particles that incorrectly reflect the charge flow of } b \text{ jet to } \bar{b} \text{ jet}}{\text{Number of selected final particles}}$$

Efficiency:

- To describe the *selection efficiency* of $Z \rightarrow b\bar{b}$ or $Z \rightarrow c\bar{c}$ samples:

$$\text{Efficiency} = \frac{\text{Number of selected final particles}}{\text{Number of all final particles}}$$

Effective tagging power ETP:

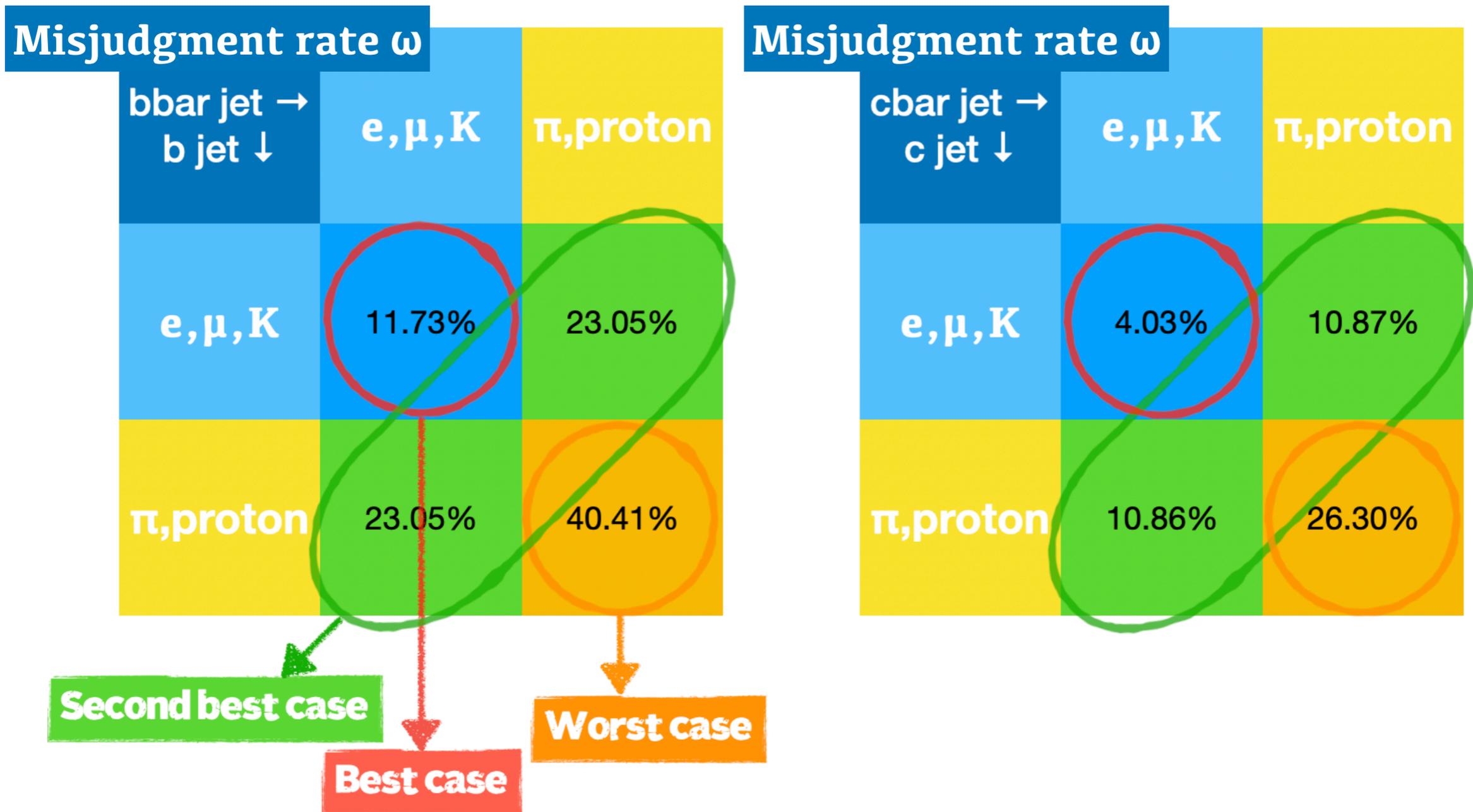
- To consider *both* misjudgment rate ω and efficiency to describe the total performance of Jet Charge

$$\text{Effective tagging power} = \text{Efficiency} * (1 - 2 * \omega)^2$$

Steps of studying Jet Charge

1. Because the lepton and Kaon can deliver better misjudgment rate ω than pion and proton. → Categorize the final leading particles:

(e, μ, K) & $(\pi, proton)$



Steps of studying Jet Charge

1. Because the lepton and Kaon can deliver better misjudgment rate ω than pion and proton. → Categorize the final leading particles:

(e, μ, K) & $(\pi, proton)$

2. Misjudgment rate ω and effective tagging power of each category
3. Impact of energy threshold of the final leading particles
4. Distribution of each B/C hadron
5. Effective tagging power of each B/C hadron
6. The "same charged" samples
7. Samples only decayed to leading particles
8. Typical channels: $B_s, B_c, \Lambda_b, \dots$
9. More information from final particles
10. Different generators (e.g. Evtgen, ...)

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Yangzhou, April

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CEPC flavor, September

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This Report

8. Typical channels: $B_s, B_c, \Lambda_b, \dots$
9. More information from final particles
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Future Plans

Steps of studying Jet Charge

1. Because the lepton and Kaon can deliver better misjudgment rate ω than pion and proton. → Categorize the final leading particles:

$\{e, \mu, K\}$ can deliver better results

Yangzhou, April

$Z \rightarrow b\bar{b}$ Total Effective Tagging Power = 0.127

2. Misjudgment $Z \rightarrow c\bar{c}$ Total Effective Tagging Power = 0.282 each category

3. Impact of energy No energy threshold is the best case particles

4. Distribution of each Symmetric between two jets

5. Effective t High dependence of different hadron combination flavor, September

6. The "same charged" Some small improvements

7. Samples only decayed to leading particles

This Report

8. Typical channels: $B_s, B_c, \Lambda_b, \dots$

9. More information from final particles

Future Plans

10. Different generators (e.g. Evtgen, ...)

Results

**Firstly, we have to understand
the **distribution** of samples**

Multiplicity of B/C hadrons

Num_B bbar jet → b jet ↓	0	1	2	3
0	0.02%	1.25%	0.61%	1E-05
1	1.25%	96.08%	0.03%	0.05%
2	0.61%	0.03%	0.03%	2E-07
3	8E-06	0.05%	3E-07	2E-07

each jet has one B

Num_C cbar jet → c jet ↓	0	1	2	3
0	0.02%	1.24%	0.76%	6E-05
1	1.24%	94.74%	0.03%	0.46%
2	0.75%	0.03%	0.21%	6E-05
3	6E-05	0.46%	5E-05	2E-05

each jet has one C

Multiplicity of B/C hadrons

Num_B bbar jet → b jet ↓	0	1	2	3
0	0.02%	1.25%	0.61%	1E-05
1	1.25%	96.08%	0.03%	0.05%
2	0.61%	0.03%	0.03%	2E-07
3	8E-06	0.05%	3E-07	2E-07

Num_C cbar jet → c jet ↓	0	1	2	3
0	0.02%	1.24%	0.76%	6E-05
1	1.24%	94.74%	0.03%	0.46%
2	0.75%	0.03%	0.21%	6E-05
3	6E-05	0.46%	5E-05	2E-05

82.4% decayed to leading particle

66.2% decayed to leading particle

by WHIZARD195

Multiplicity of B/C hadrons

Num_B bbar jet → b jet ↓	0	1	2	3	Num_C cbar jet → c jet ↓	0	1	2	3
0	0.02%	1.25%	0.61%	1E-05	0	0.02%	1.24%	0.76%	6E-05
1	1.25%	96.08%	0.03%	0.05%	1	1.24%	94.74%	0.03%	0.46%
2	0.61%	0.03%	0.03%	2E-07	2	0.75%	0.03%	0.21%	6E-05
3	8E-06	0.05%	3E-07	2E-07	3	6E-05	0.46%	5E-05	2E-05



Divided into: both all cases & the case only decayed to leading particles

$Z \rightarrow b\bar{b}$

Percent of **B hadrons** of b jet and \bar{b} jet

percent bbar jet → b jet ↓	B^0	B^+	B_s^0	B_c^+	$\Lambda_{b\bar{b}}$	others	all
$B^0\bar{b}$	17.360%	17.350%	3.369%	0.022%	2.759%	0.688%	41.548%
B^-	17.350%	17.359%	3.364%	0.022%	2.765%	0.689%	41.550%
$B_s^0\bar{b}$	3.355%	3.362%	0.652%	0.004%	0.545%	0.144%	8.062%
B_c^-	0.022%	0.022%	0.004%	0.00003%	0.004%	0.001%	0.052%
Λ_b	2.762%	2.762%	0.543%	0.004%	0.451%	0.121%	6.644%
others	0.653%	0.655%	0.136%	0.001%	0.119%	0.579%	2.144%
all	41.503%	41.511%	8.068%	0.053%	6.641%	2.225%	100%



$Z \rightarrow c\bar{c}$

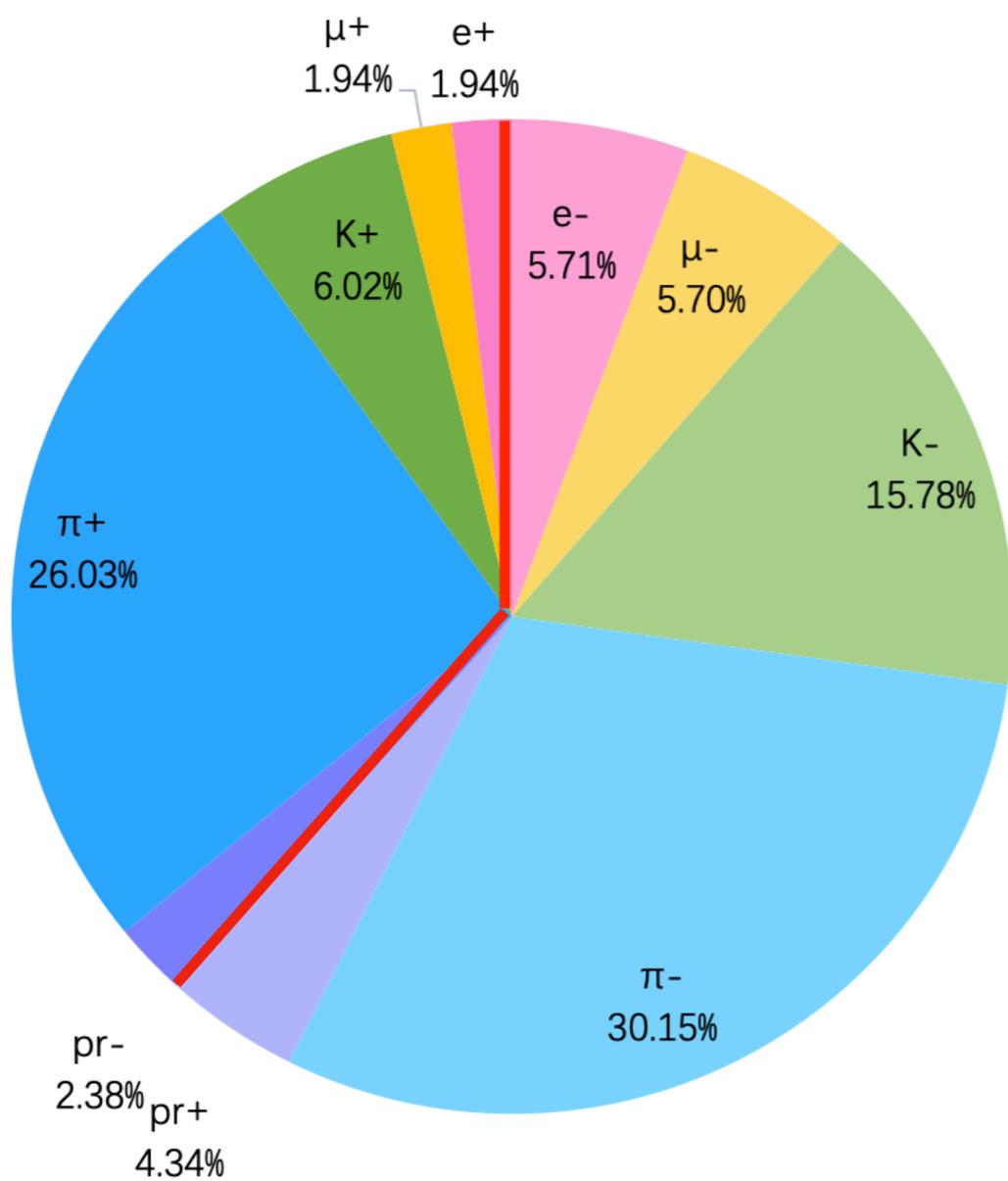
Percent of **C hadrons** of c jet and \bar{c} jet

percent cbar jet → c jet ↓	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ _c ⁻	others	all
D ⁰	4.654%	13.302%	1.717%	1.444%	0.529%	21.532%
D ⁺	13.290%	37.933%	4.887%	4.110%	1.122%	61.342%
D _s ⁰	1.712%	4.894%	0.631%	0.533%	0.159%	7.929%
Λ _c ⁺	1.442%	4.111%	0.533%	0.449%	0.141%	6.676%
others	0.402%	1.066%	0.148%	0.135%	0.656%	2.521%
all	21.500%	61.306%	7.916%	6.671%	2.607%	100%

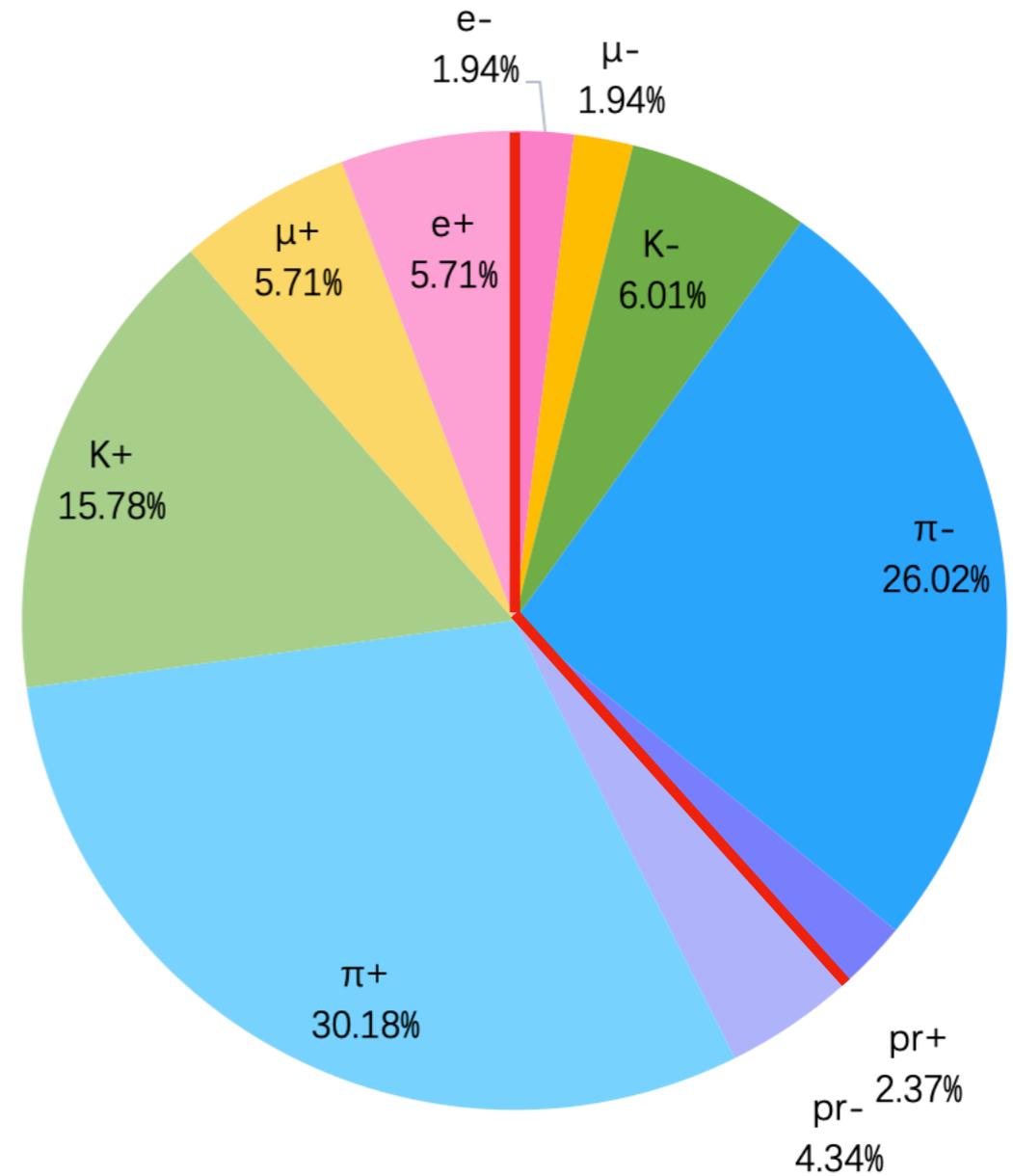


$Z \rightarrow b\bar{b}$

Percent of final charged leading particles of b jet and \bar{b} jet



b jet



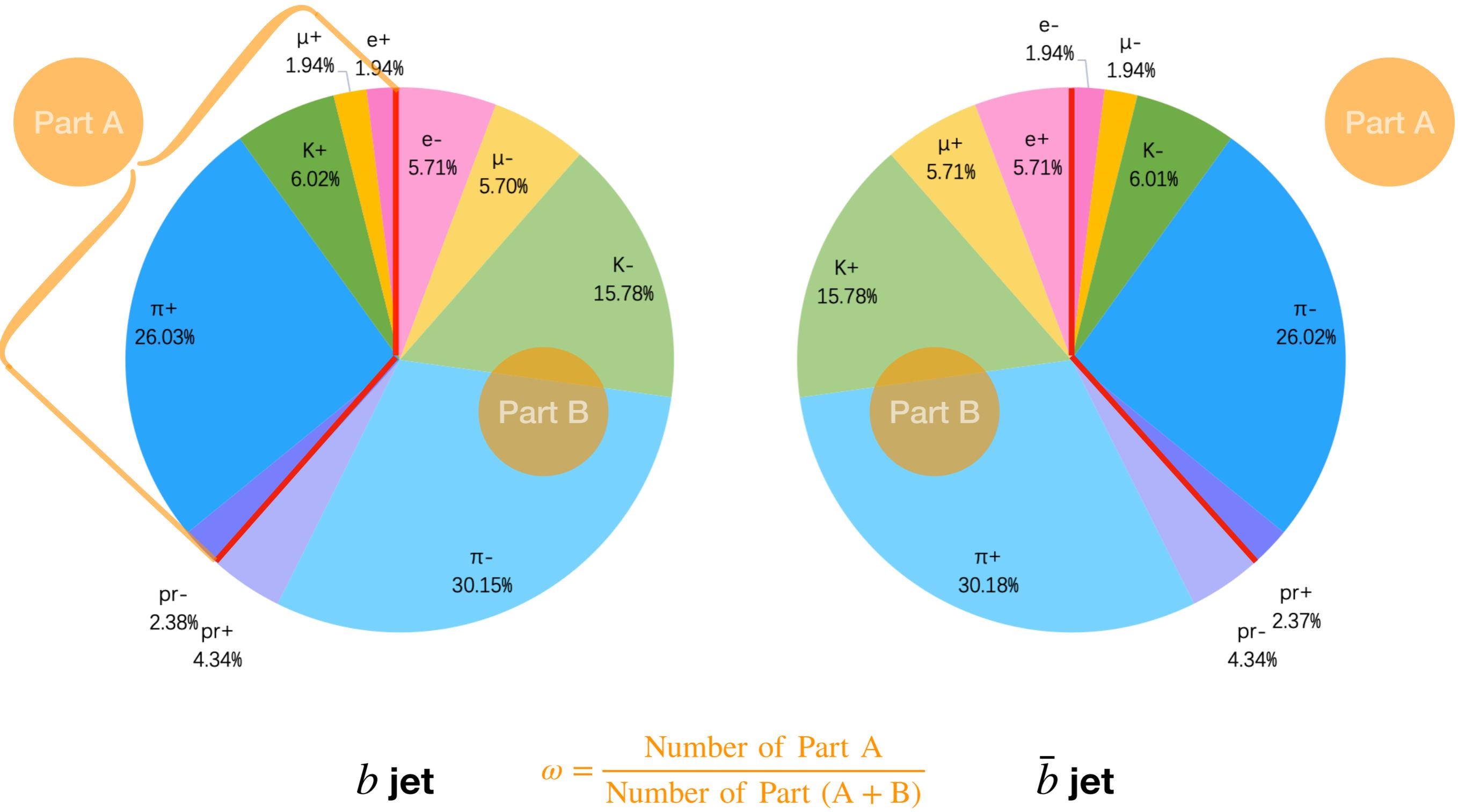
\bar{b} jet

☞ The distribution of each charged particle of two jets is *asymmetry*

**Secondly, let us explore
the misjudgment rate ω**

$Z \rightarrow b\bar{b}$

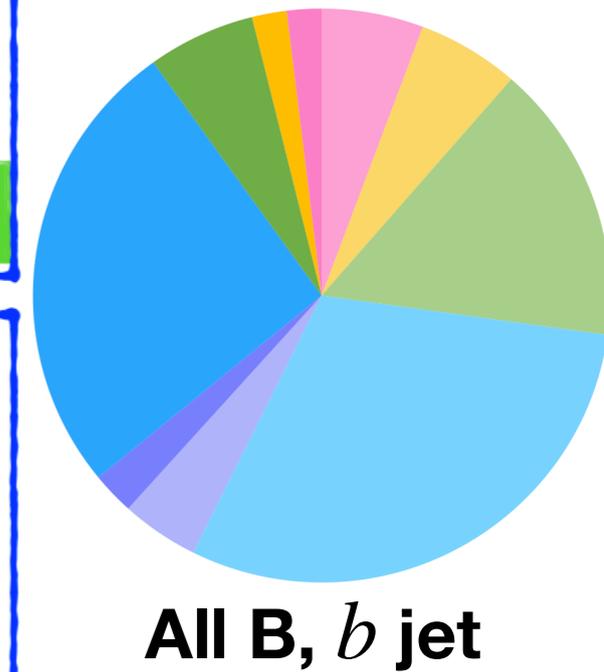
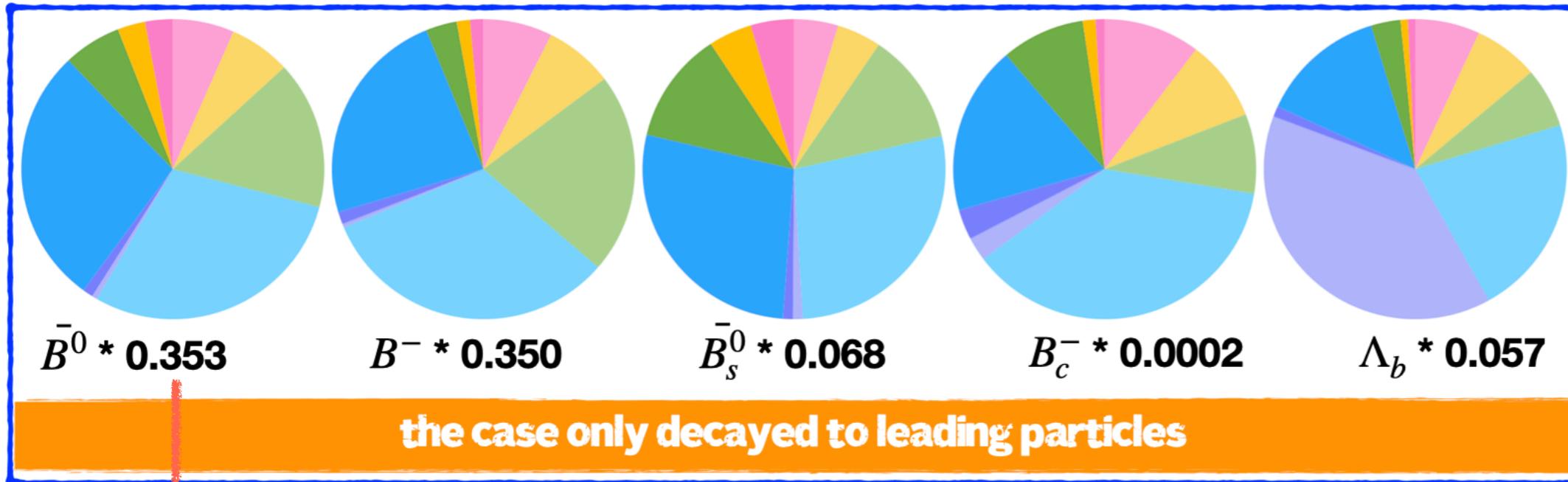
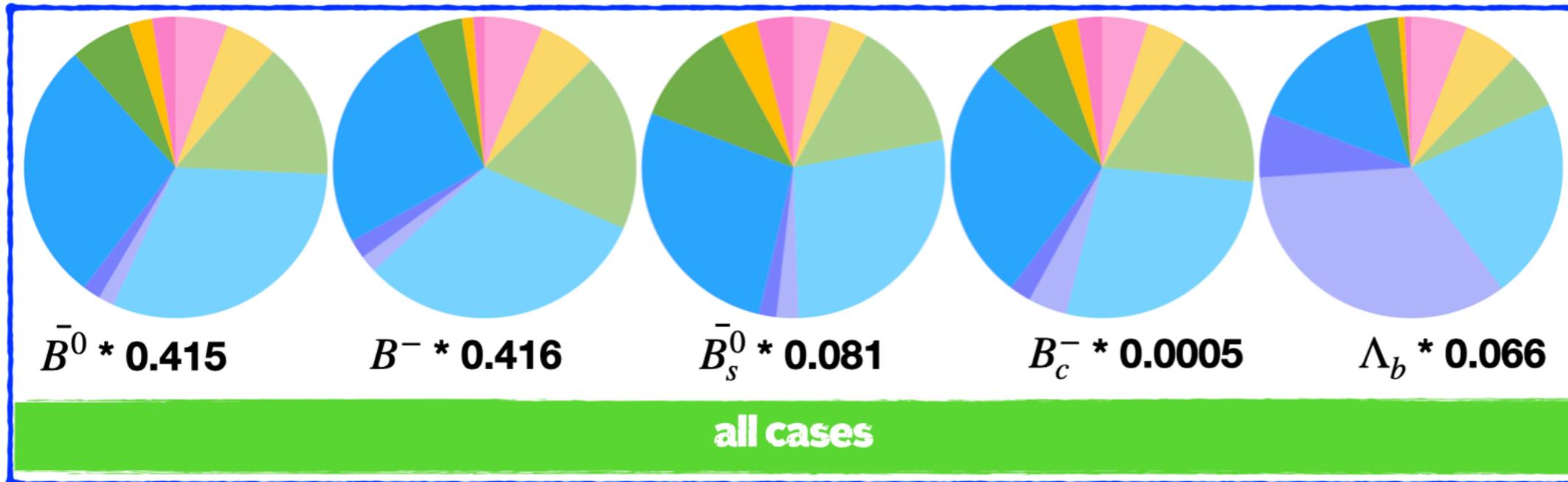
Percent of final charged leading particles of b jet and \bar{b} jet



👉 The distribution of each charged particle of two jets is asymmetry

$Z \rightarrow b\bar{b}$

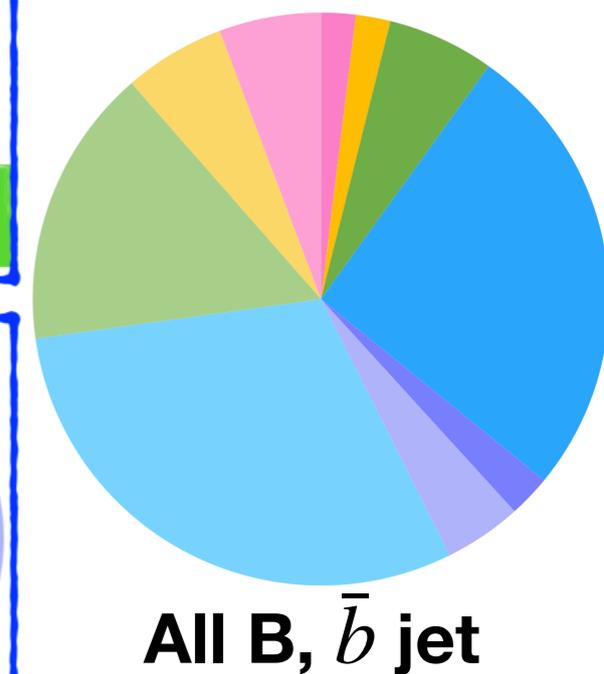
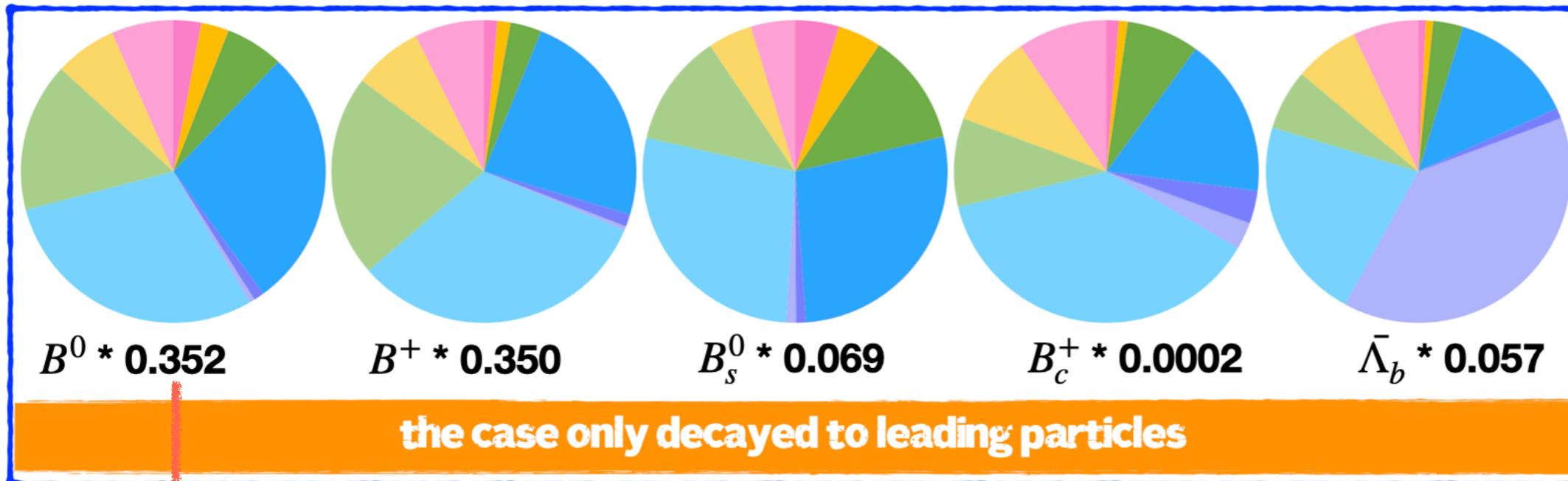
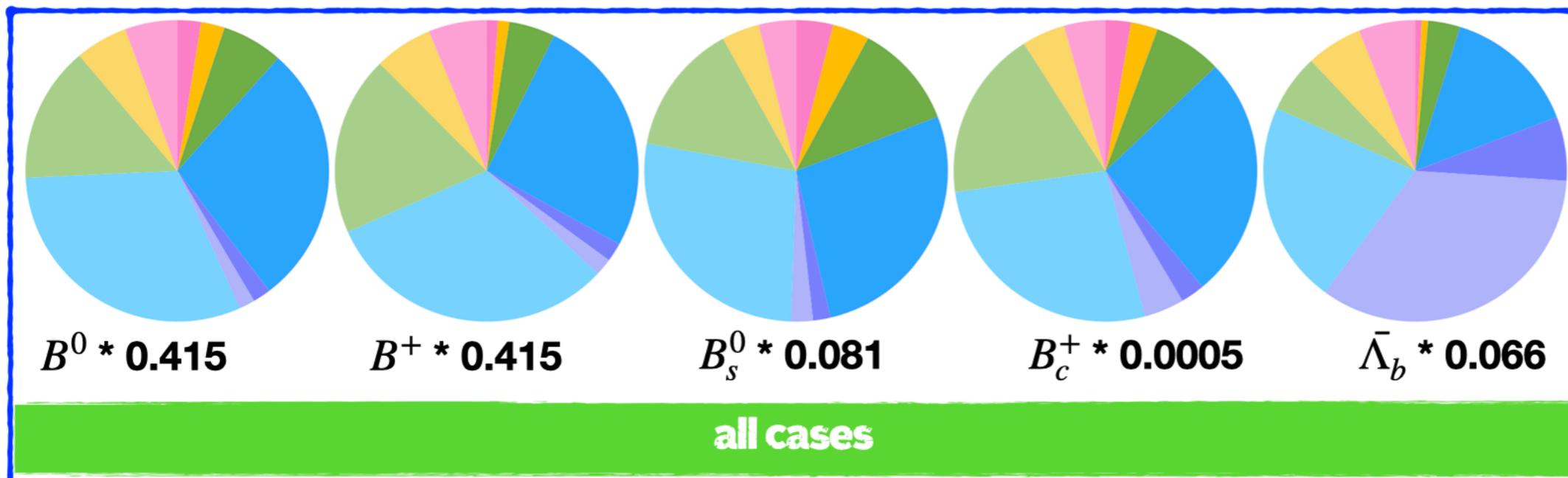
Percent of leading particles of each B hadron of b jet



Percent of All B hadrons

$Z \rightarrow b\bar{b}$

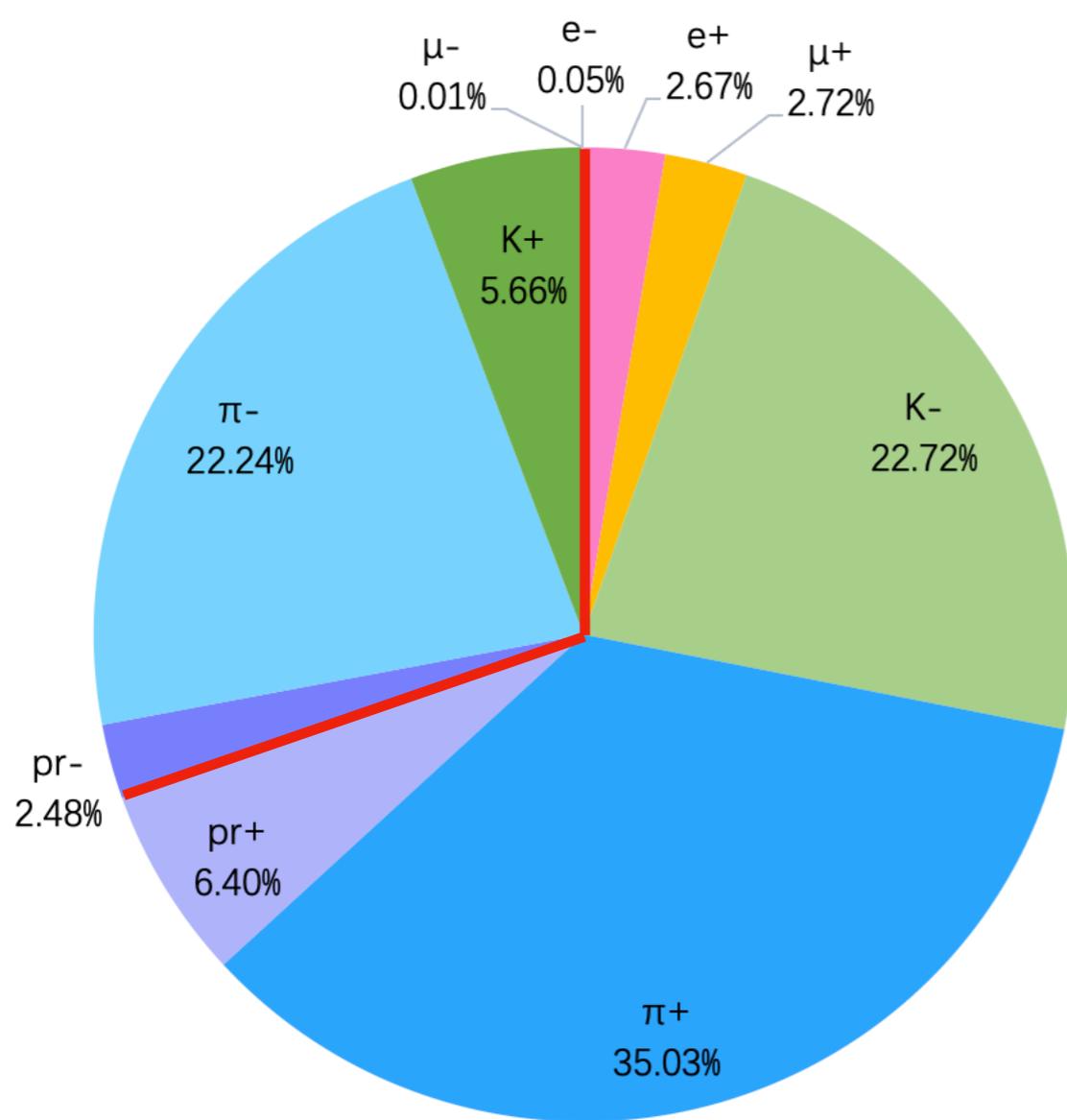
Percent of leading particles of each B hadron of \bar{b} jet



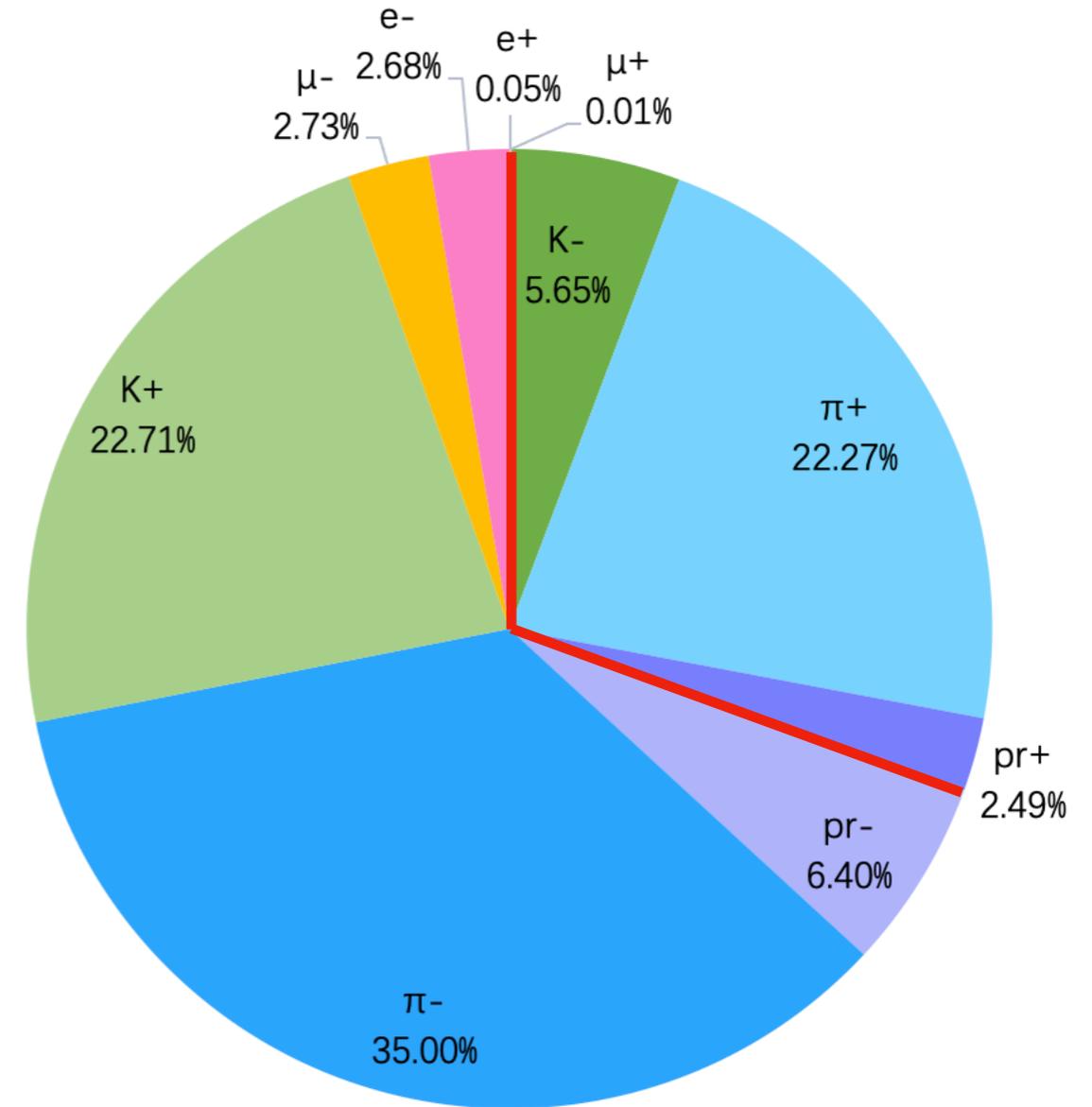
Percent of All B hadrons

$Z \rightarrow c\bar{c}$

Percent of final charged leading particles of c jet and \bar{c} jet



c jet

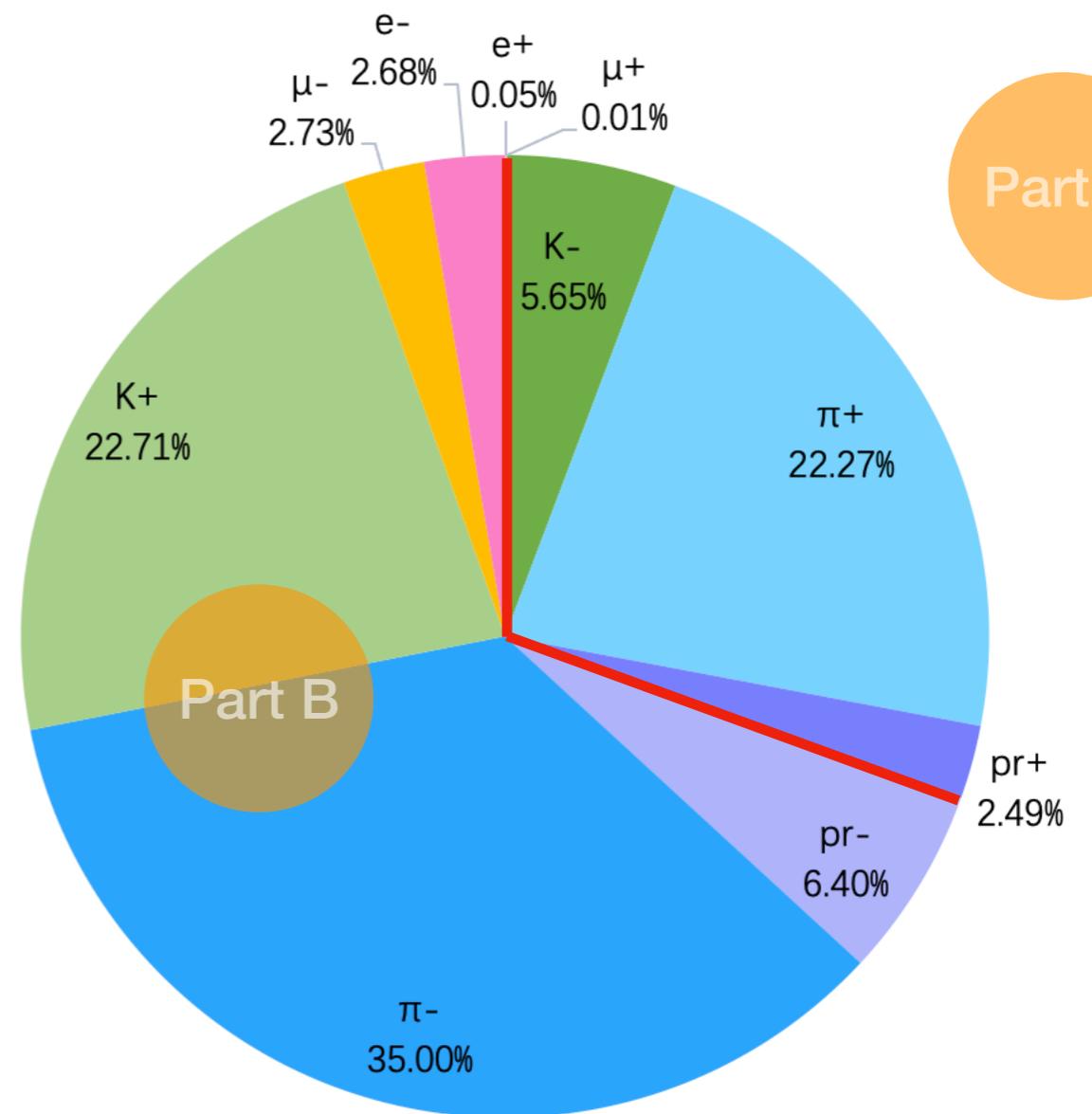
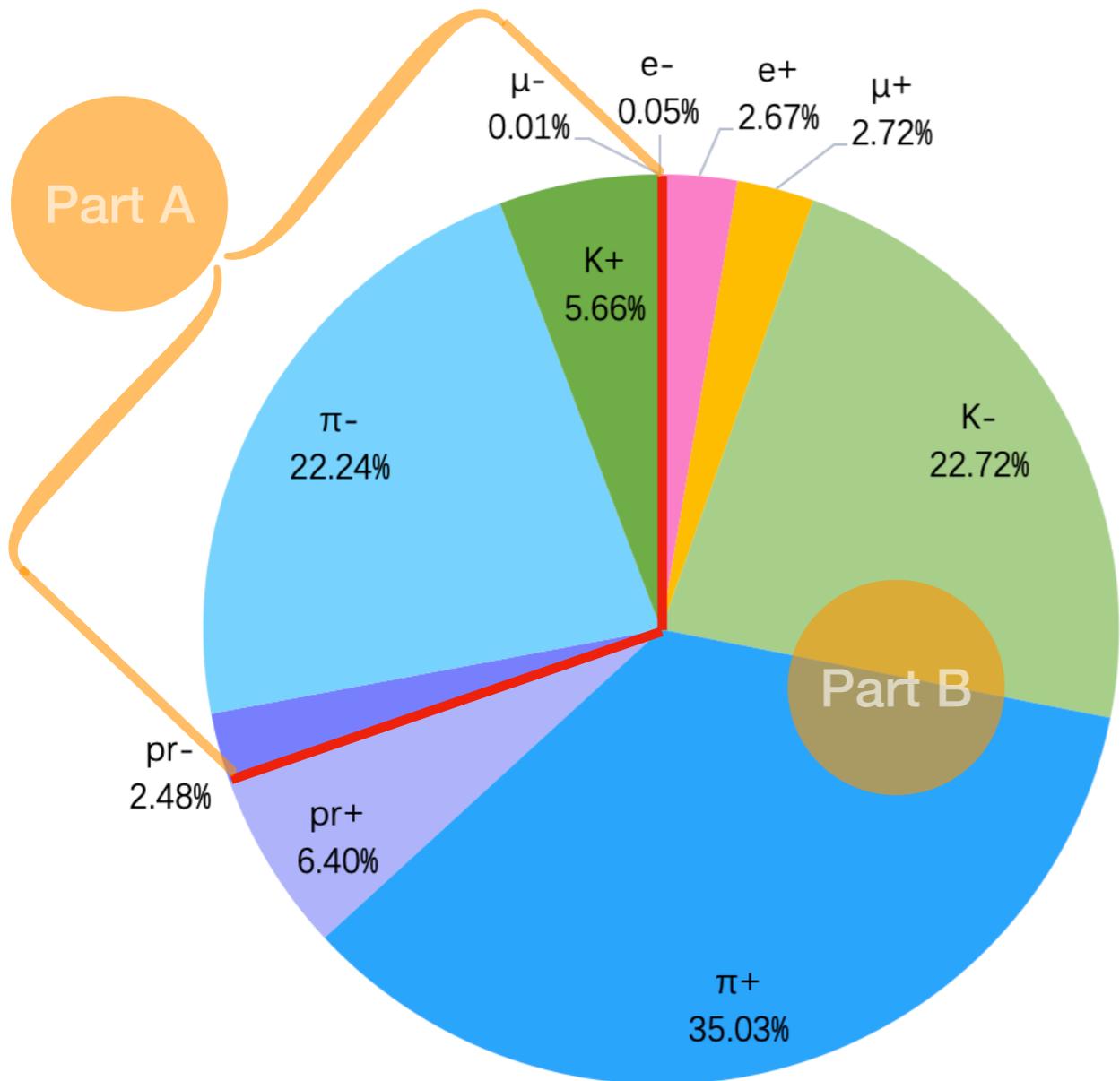


\bar{c} jet

👉 The distribution of each charged particle of two jets is *asymmetry*

$Z \rightarrow c\bar{c}$

Percent of final charged leading particles of c jet and \bar{c} jet



c jet

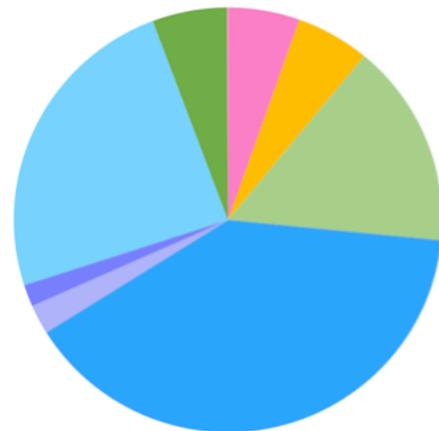
\bar{c} jet

$$\omega = \frac{\text{Number of Part A}}{\text{Number of Part (A + B)}}$$

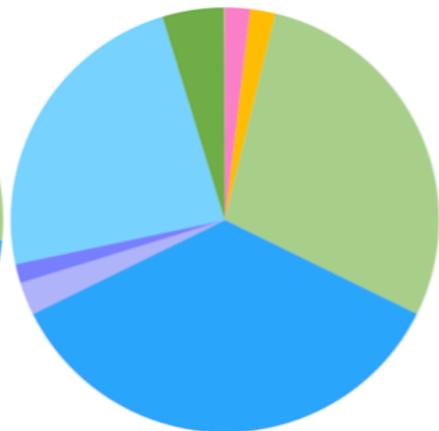
👉 The distribution of each charged particle of two jets is asymmetry

$Z \rightarrow c\bar{c}$

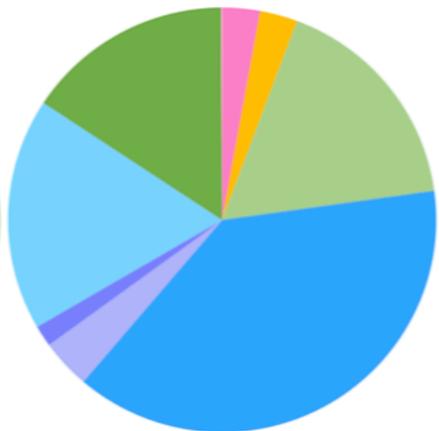
Percent of leading particles of each C hadron of c jet



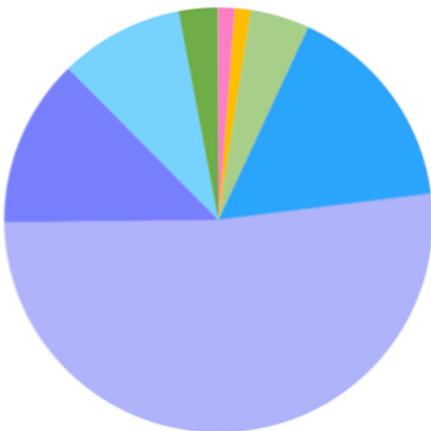
$D^0 * 0.215$



$D^+ * 0.613$

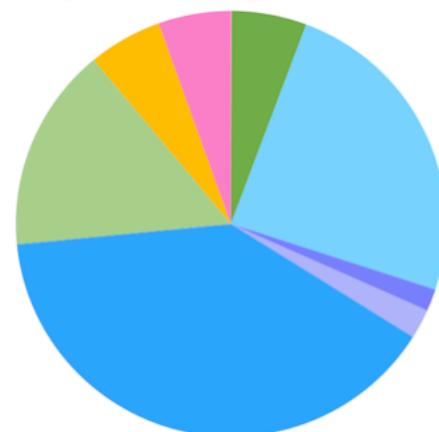


$D_s^0 * 0.079$

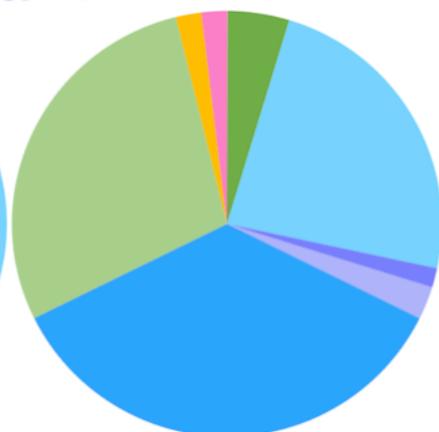


$\Lambda_c^+ * 0.067$

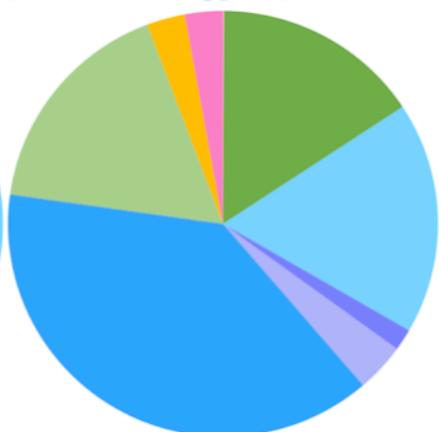
all cases



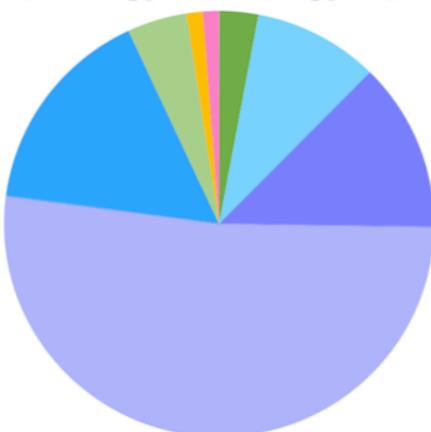
$D^0 * 0.142$



$D^+ * 0.426$



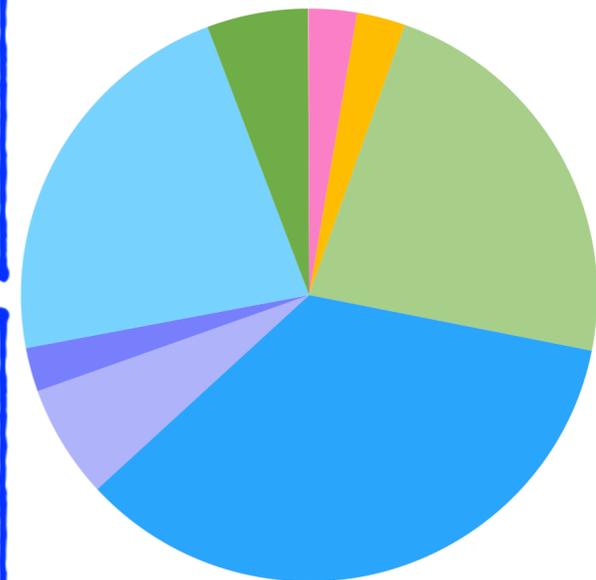
$D_s^0 * 0.054$



$\Lambda_c^+ * 0.049$

the case only decayed to leading particles

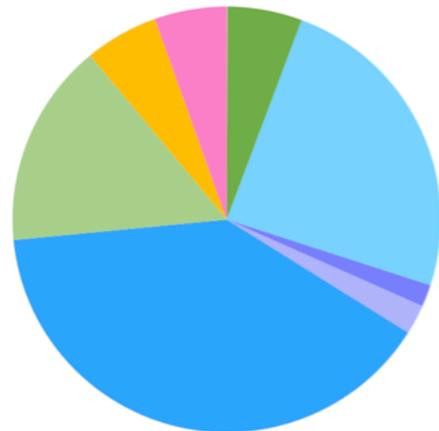
Percent of All C hadrons



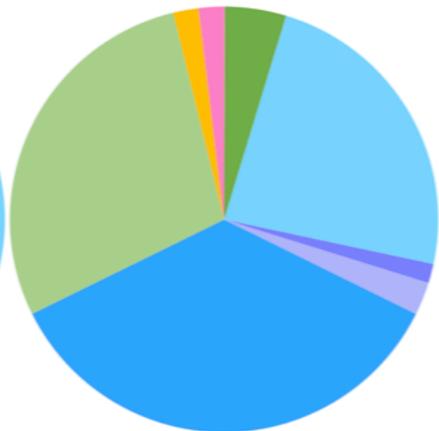
All C, c jet

$Z \rightarrow c\bar{c}$

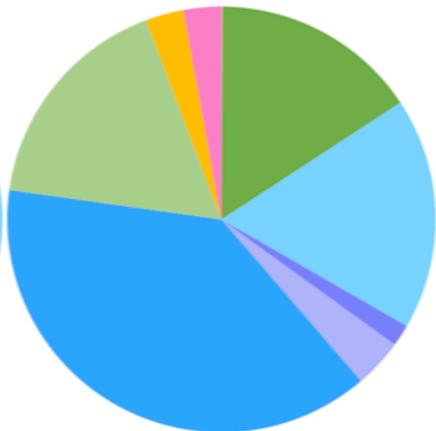
Percent of leading particles of each C hadron of \bar{c} jet



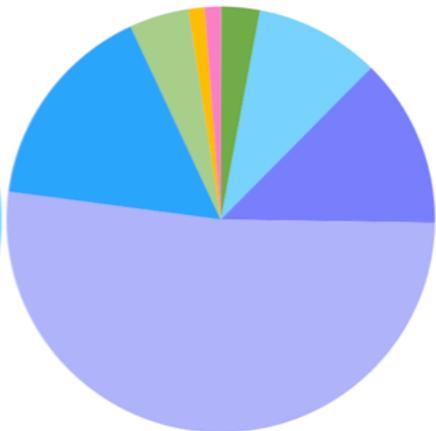
$\bar{D}^0 * 0.215$



$D^- * 0.613$

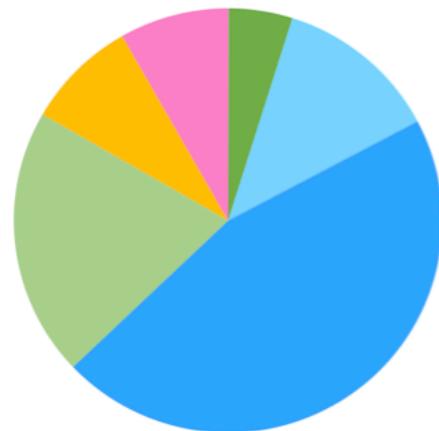


$\bar{D}_s^0 * 0.079$

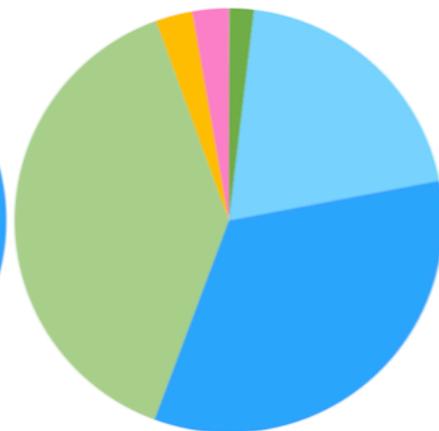


$\Lambda_c^- * 0.067$

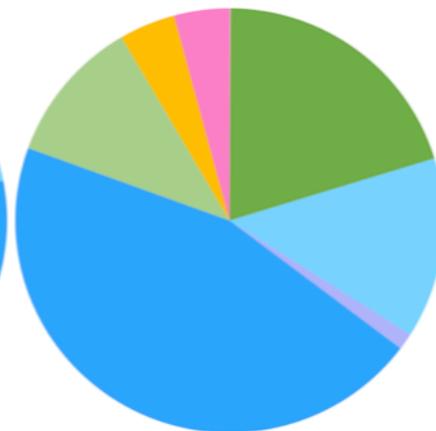
all cases



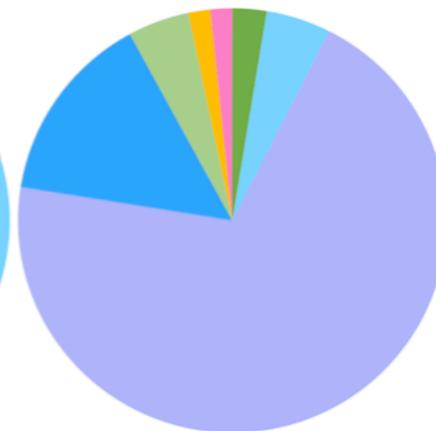
$\bar{D}^0 * 0.142$



$D^- * 0.426$



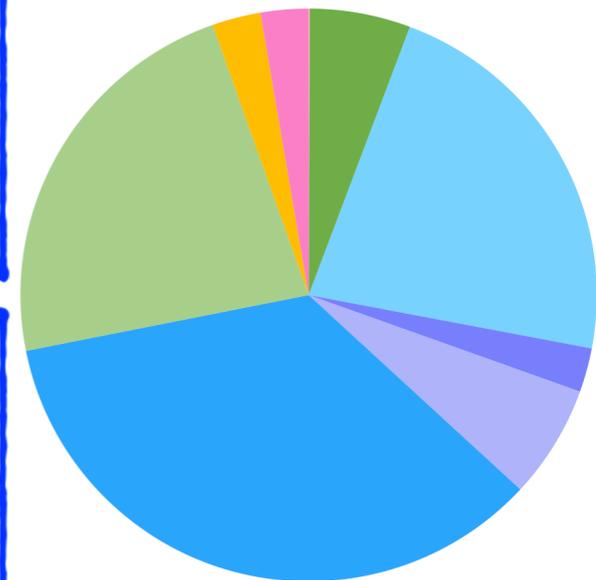
$\bar{D}_s^0 * 0.054$



$\Lambda_c^- * 0.049$

the case only decayed to leading particles

Percent of All C hadrons



All C, \bar{c} jet

$Z \rightarrow b\bar{b}$

Misjudgment rate ω of $\{e, \mu, K\}\{e, \mu, K\}$

Total Misjudgment rate $\omega = 11.73\%$

Total Misjudgment rate $\omega = 9.20\%$

% bbar jet \rightarrow b jet \downarrow	B^0	B^+	B_s^0	B_c^+	$\Lambda_b\text{bar}$
$B^0\text{bar}$	16.73	9.42	27.80	12.80	10.51
B^-	9.51	5.09	17.08	9.55	5.78
$B_s^0\text{bar}$	28.07	16.59	43.62	36.21	19.09
B_c^-	19.74	7.30	46.81	-	11.43
Λ_b	10.63	5.52	19.20	3.85	6.11

All B hadrons

% bbar jet \rightarrow b jet \downarrow	B^0	B^+	B_s^0	B_c^+	$\Lambda_b\text{bar}$
$B^0\text{bar}$	14.74	6.55	29.20	7.22	8.67
B^-	6.62	2.74	14.74	3.77	3.89
$B_s^0\text{bar}$	29.29	14.41	50.47	27.27	19.61
B_c^-	14.56	4.63	50.00	-	18.18
Λ_b	8.99	3.59	19.80	0	4.80

**B hadrons that
decayed to leading particles**

$Z \rightarrow c\bar{c}$

Misjudgment rate ω of $\{e, \mu, K\}\{e, \mu, K\}$

Total Misjudgment rate $\omega = 4.03\%$

Total Misjudgment rate $\omega = 1.11\%$

% cbar jet \rightarrow c jet \downarrow	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ_{c^-}
D ⁰	4.53	2.98	12.90	8.50
D ⁺	3.03	2.05	8.80	6.29
D _s ⁰	12.64	9.13	31.45	21.65
Λ_{c^+}	8.32	5.96	23.37	15.07

All C hadrons

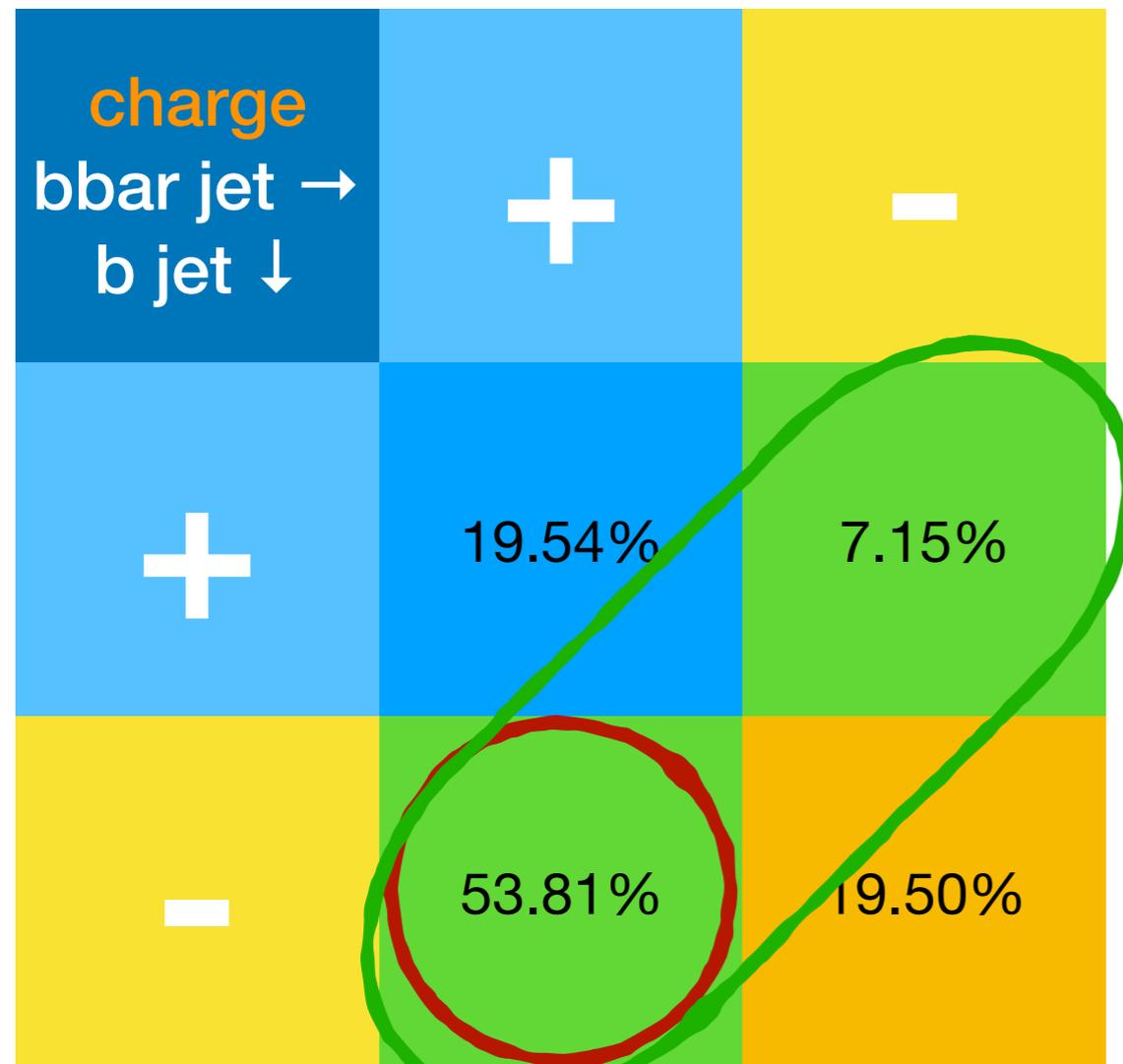
% cbar jet \rightarrow c jet \downarrow	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ_{c^-}
D ⁰	1.80	0.55	11.78	4.16
D ⁺	0.57	0.17	4.08	1.26
D _s ⁰	11.87	4.32	51.86	25.84
Λ_{c^+}	4.27	1.37	26.06	10.57

**C hadrons that
decayed to leading particles**

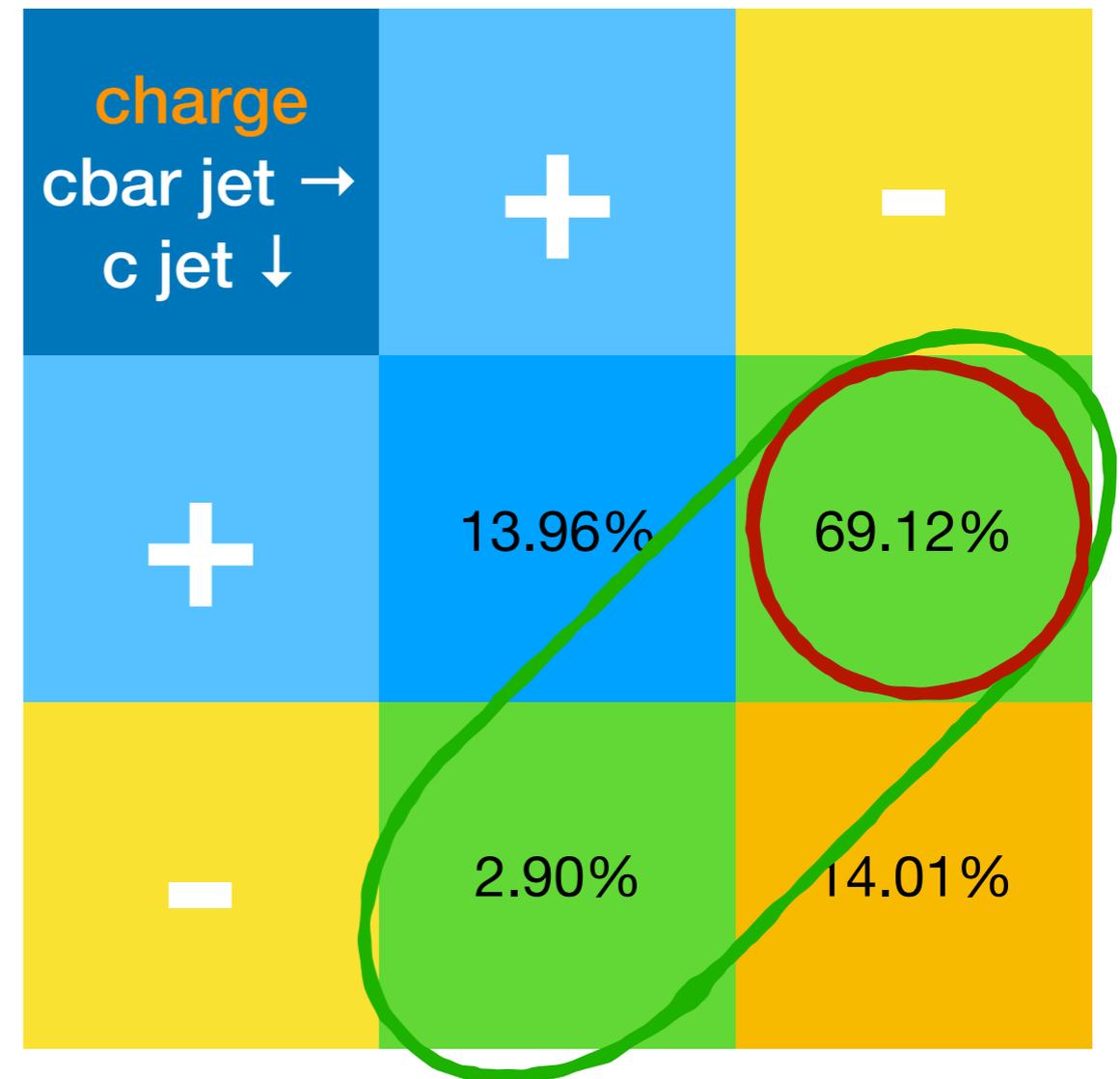
**Besides, add energy information
of same charged samples**

Charge verse, Charge same, Charge correct

For leading e, μ, K of b jet and \bar{b} jet



For leading e, μ, K of c jet and \bar{c} jet



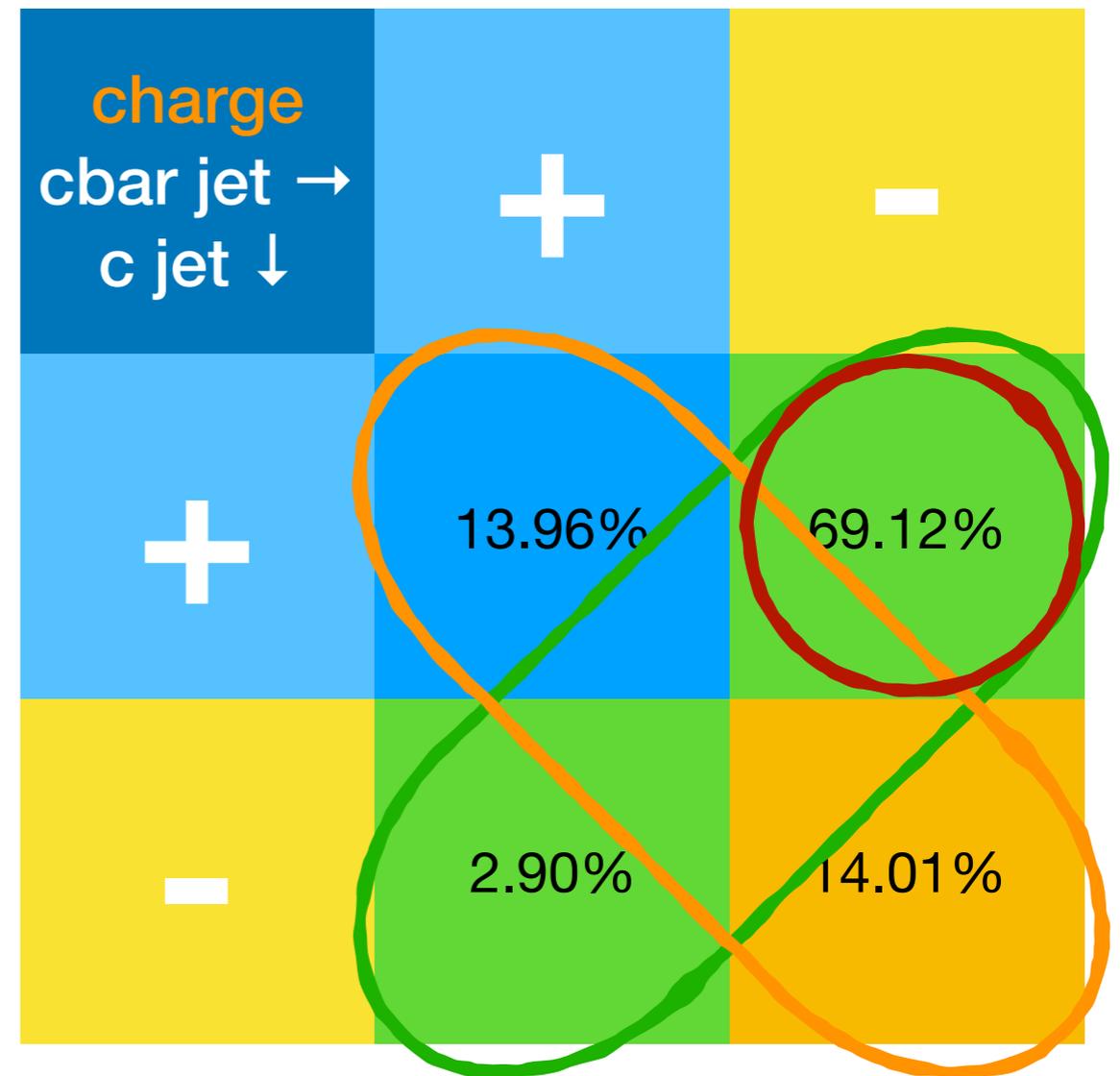
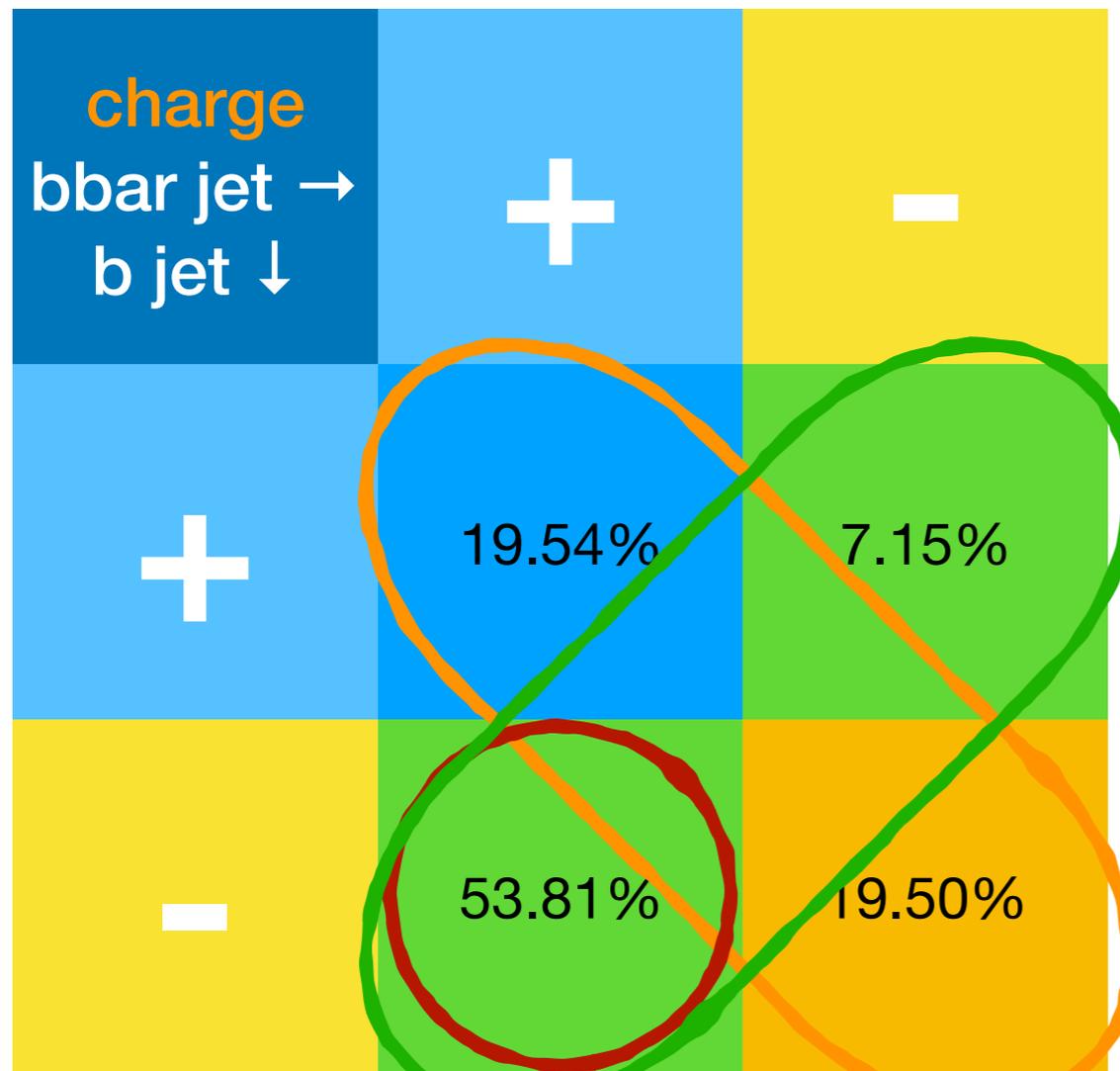
Charge verse

Charge correct

Charge verse, Charge same, Charge correct

For leading e, μ, K of b jet and \bar{b} jet

For leading e, μ, K of c jet and \bar{c} jet



Charge verse

Charge correct

Charge same

Two methods of using **same charge** samples

About 7.9% and 6.7% improvement for $Z \rightarrow b\bar{b}$ & $Z \rightarrow c\bar{c}$ samples

1. For the two leading particles of two jets, measure jet charge by the charge of the **leading particle with higher energy**.

For $Z \rightarrow b\bar{b}$: Improve Effective Tagging Power from **0.127** to **0.137**

For $Z \rightarrow c\bar{c}$: Improve Effective Tagging Power from **0.127** to **0.136**

2. For the two leading particles and two sub-leading particles of two jets, measure jet charge by the charge of the **leading particle which has higher energy difference with the sub-leading particle**.

For $Z \rightarrow b\bar{b}$: Improve Effective Tagging Power from **0.282** to **0.301**

For $Z \rightarrow c\bar{c}$: Improve Effective Tagging Power from **0.282** to **0.294**

Two methods of using **same charge** samples

The first method is better

1. For the two leading particles of two jets, measure jet charge by the charge of the **leading particle with higher energy**.

For $Z \rightarrow b\bar{b}$: Improve Effective Tagging Power from 0.127 to 0.137

For $Z \rightarrow c\bar{c}$: Improve Effective Tagging Power from 0.127 to 0.136

2. For the two leading particles and two sub-leading particles of two jets, measure jet charge by the charge of the **leading particle which has higher energy difference with the sub-leading particle**.

For $Z \rightarrow b\bar{b}$: Improve Effective Tagging Power from 0.282 to 0.301

For $Z \rightarrow c\bar{c}$: Improve Effective Tagging Power from 0.282 to 0.294

The effective tagging power

$Z \rightarrow b\bar{b}$

Effective Tagging Power of B Hadrons

Total Effective Tagging Power = 12.736%

Total Effective Tagging Power = 13.716%

% bbar jet → b jet ↓	B ⁰	B ⁺	B _s ⁰	B _c ⁺	Λ _b bar
B ⁰ bar	7.792	14.044	3.491	8.346	20.179
B ⁻	13.965	20.604	8.734	14.568	27.854
B _s ⁰ bar	3.486	8.882	0.363	3.046	13.346
B _c ⁻	7.820	14.426	0.774	-	23.294
Λ _b	20.268	27.788	13.064	22.841	37.460

charge verse

% bbar jet → b jet ↓	B ⁰	B ⁺	B _s ⁰	B _c ⁺	Λ _b bar
B ⁰ bar	8.403	15.213	3.775	8.961	22.144
B ⁻	15.137	22.434	9.500	16.784	30.450
B _s ⁰ bar	3.730	9.673	0.382	3.406	14.756
B _c ⁻	8.639	15.817	1.061	-	25.021
Λ _b	22.224	30.313	14.518	26.729	40.840

charge verse & same

$Z \rightarrow b\bar{b}$

Weighted Effective Tagging Power of B Hadrons

Total Effective Tagging Power = 12.736%

Total Effective Tagging Power = 13.716%

% bbar jet → b jet ↓	B ⁰	B ⁺	B _s ⁰	B _c ⁺	Λ _b bar
B ⁰ bar	1.353	2.437	0.118	0.002	0.557
B ⁻	2.423	3.577	0.294	0.003	0.770
B _s ⁰ bar	0.117	0.299	0.002	0.0001	0.073
B _c ⁻	0.002	0.003	0.00003	-	0.0008
Λ _b	0.560	0.768	0.071	0.0008	0.169

charge verse

% bbar jet → b jet ↓	B ⁰	B ⁺	B _s ⁰	B _c ⁺	Λ _b bar
B ⁰ bar	1.459	2.640	0.127	0.002	0.611
B ⁻	2.627	3.895	0.320	0.004	0.842
B _s ⁰ bar	0.125	0.325	0.003	0.0001	0.080
B _c ⁻	0.002	0.003	0.00005	-	0.0009
Λ _b	0.614	0.837	0.079	0.001	0.184

charge verse & same

$Z \rightarrow c\bar{c}$

Effective Tagging Power of C Hadrons

Total Effective Tagging Power = 28.214%

Total Effective Tagging Power = 30.116%

$\%$ cbar jet \rightarrow c jet \downarrow	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ_c^-	$\%$ cbar jet \rightarrow c jet \downarrow	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ_c^-
D ⁰	25.605	28.561	21.514	32.280	D ⁰	27.184	30.702	22.353	35.202
D ⁺	28.544	31.285	24.395	34.759	D ⁺	30.644	33.779	25.816	37.813
D _s ⁰	21.452	24.252	17.423	28.135	D _s ⁰	22.287	25.670	18.006	30.236
Λ_c^+	32.148	34.849	27.635	39.511	Λ_c^+	35.135	37.930	29.543	42.924

charge verse

charge verse & same

$Z \rightarrow c\bar{c}$

Weighted Effective Tagging Power of C Hadrons

Total Effective Tagging Power = 28.214%

Total Effective Tagging Power = 30.116%

$\%$ cbar jet \rightarrow c jet \downarrow	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ_{c^-}	$\%$ cbar jet \rightarrow c jet \downarrow	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ_{c^-}
D ⁰	1.192	3.800	0.370	0.466	D ⁰	1.265	4.085	0.384	0.508
D ⁺	3.794	11.870	1.1925	1.429	D ⁺	4.074	12.817	1.262	1.554
D _s ⁰	0.367	1.187	0.110	0.150	D _s ⁰	0.382	1.257	0.114	0.161
Λ_{c^+}	0.464	1.433	0.147	0.177	Λ_{c^+}	0.507	1.560	0.157	0.193

charge verse

charge verse & same

Conclusion

Main results:

For $Z \rightarrow b\bar{b}$ & $Z \rightarrow c\bar{c}$ samples at CEPC Z pole:

★ Distribution

- Percent & Multiplicity of B/C hadrons

★ Misjudgment rate ω

- *Distribution of final charged leading particles*
- *Distribution of final charged leading particles of each B/C hadrons*
- *All Hadrons v.s. Hadrons that decayed to leading particles*

★ Effective tagging power

- *High dependence between different hadron channels*
- *Potential of typical B/C hadrons(See Next...)*

★ Charge verse + Charge same

- For $Z \rightarrow b\bar{b}$ at Truth level:
 - Using only charge verse: effective tagging power = **0.127**
 - Using also charge same: effective tagging power = **0.137**
- For $Z \rightarrow c\bar{c}$ at Truth level:
 - Using only charge verse: effective tagging power = **0.282**
 - Using also charge same: effective tagging power = **0.301**

Next...

👉 *Jet Charge in typical channels*

- ▶ *B_s hadrons: prompt Kaon*
- ▶ *B_c hadrons: prompt D meson*
- ▶ *Λ_b hadrons: prompt proton*
- ▶ *...*

👉 *More information from final particles*

- ▶ *from primary vertex / secondary vertex*
- ▶ *each flavor select one leading particle*
- ▶ *leading particles + sub-leading particles*
- ▶ *charged particles + neutral particles(e.g. K_S , K_L , ...)*

👉 *Model cross checking*

- ▶ *Using different generators (e.g. Evtgen, ...)*

👉 *ML(BDT) to train input informations*

👉 *Event level → Jet level*

👉 *Truth level → Full simulated level*

- ▶ *CEPC detector performance*

Thanks!

Back Up

$Z \rightarrow b\bar{b}$

Effective Tagging Power with Uncertainty

Total Effective Tagging Power = $(13.716 \pm 0.014)\%$

$\%$ bbar jet \rightarrow b jet \downarrow	B^0	B^+	B_s^0	B_c^+	Λ_{bbar}
B^0bar	8.403 ± 0.026	15.213 ± 0.037	3.775 ± 0.037	8.961 ± 0.768	22.144 ± 0.110
B^-	15.137 ± 0.047	22.434 ± 0.062	9.500 ± 0.063	16.784 ± 1.071	30.450 ± 0.134
B_s^0bar	3.730 ± 0.037	9.673 ± 0.063	0.382 ± 0.024	3.406 ± 0.954	14.756 ± 0.187
B_c^-	8.639 ± 0.732	15.817 ± 1.063	1.061 ± 0.495	-	25.021 ± 3.309
Λ_b	22.224 ± 0.110	30.313 ± 0.134	14.518 ± 0.186	26.729 ± 3.322	40.840 ± 0.3915

charge verse & same

$Z \rightarrow c\bar{c}$

Effective Tagging Power with Uncertainty

Total Effective Tagging Power = $(30.116 \pm 0.022)\%$

$\%$ cbar jet \rightarrow c jet \downarrow	D ⁰ bar	D ⁻	D _s ⁰ bar	Λ_{c^-}
D ⁰	27.184 ± 0.098	30.702 ± 0.062	22.353 ± 0.144	35.202 ± 0.200
D ⁺	30.644 ± 0.062	33.779 ± 0.039	25.816 ± 0.093	37.813 ± 0.124
D _s ⁰	22.287 ± 0.144	25.670 ± 0.093	18.006 ± 0.204	30.236 ± 0.298
Λ_{c^+}	35.135 ± 0.200	37.930 ± 0.124	29.543 ± 0.295	42.924 ± 0.395

charge verse & same

Correlation of b jet and \bar{b} jet

σ bbar jet \rightarrow b jet \downarrow	B^0	B^+	B_s^0	B_c^+	Λ_{bbar}
B^0bar	12.475	11.195	4.459	0.612	0.069
B^-	11.216	11.930	3.359	0.670	1.456
B_s^0bar	1.424	2.830	0.749	-0.185	4.988
B_c^-	-0.658	-0.598	-0.181	0.200	0.537
Λ_b	0.848	0.829	3.774	0.537	5.644

$$\sigma = \frac{\text{Residual}}{\text{Uncertainty}}$$