The weak magnetic effect: direct photon v_2 and Λ/Λ local polarization

Jing-An Sun; Li Yan Fudan University jasun22@m.fudan.edu.cn

arXiv: 2302.07696

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OThe large v_2 of the direct photon OThe weak magnetic emission $OP^{z}(\phi)$ under a weak magnetic field



- OThe local spin polarization: sign and centrality dependence



direct photon puzzle

No theory predict the observation of large yields and large v_2 for direct photons!



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The weak magnetic effect





• Scales of magnetic field

 $eB \gg g^2 T^2$ $T^2 \gg eB \gg T\nabla$ $eB \ll T \nabla \sim m_{\pi}^2$

The quantization of Landau level.

Magnetohydrodynamics (MHD).

Weak magnetic non-equilibrium correction.

$$f_{\mathrm{EM}} = rac{c}{8lpha_{\mathrm{EM}}} rac{\sigma_{\mathrm{el}} n_{\mathrm{e}}}{7}$$

Weak magnetic field

Ayala et al, 1704.02433, X. Wang, Meihuang et al, 2006.16254 K. Tuchin, PRC 91,1406.5097

G. Basar, et.al, PRL, 1206.1334.

$$f_q = n_q + \delta f + f_q$$

 $rac{1}{T^3 p \cdot u} eQ_f F^{\mu
u} p_\mu u_
u$









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$$f_q = n_q + \delta f + f$$

 $[...\cos\phi + ...\cos 2\phi + ...]\cos\phi$ _{v1}hadron
_{v2}hadron A new $\cos(2\phi)$ term v_2^{EM} ! ~ 0.5

The weak magnetic effect







The weak magnetic effect: photon v_2

A Rapidity-odd directed flow for background medium is required !



[STAR collaboration, PRL 101, 252301 (2008)]

Negative v_1 slope for positive charges, **Positive** v_1 slope for negative charges.



Gursoy, Dima Kharzeev and Rajagopal, PRC (2014)

Why quark/anti-quark contributions are not canceled!

Aihong Tang. Directed flow splitting and EM field effects. 7.16 8.30am

The weak magnetic effect







The weak magnetic effect: photon v_2

A Rapidity-odd directed flow for background medium is required !



[STAR collaboration, PRL 101, 252301 (2008)] **O**Hydrodynamic simulation

Trento3D + MUSIC : event-by-event simulation 0

OMagnetic field profile

- o Electrical conductivity: LO pQCD evaluation (AMY).

Negative v_1 slope for positive charges, **Positive** v_1 slope for negative charges.



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JETSCAPE framework, arxiv 1903.07706

PRC 92 011901, PRC 96 044912.

o η_s dependence is retained as in vacuum and the time averaged B field eB is extracted.^{K. Hattori and X. Huang, 1609.00747}

The weak magnetic effect









Results: photon v_2 with B



AuAu@200GeV

- The experimental data are reproduced excellently for all centralities.
- The used time averaged field strength is under weak magnetic assumption.
- o The B field magnitude grows as centrality increases: correct trend.

llently for all centralities.
r weak magnetic assumption.
reases: correct trend.

The weak magnetic effect



OEstimated time-averaged B field at $\eta = 0$ based on event-by-event simulations



• The error-bar contains: theoretical + experimental $\frac{1}{T} \in [0.2,2]$ Cover the experimental elliptic flow data F.Stefan arxiv: 2112.12497

Jing-An Sun:

A. Huang et.al (2022),2212.08579. J.-J. Zhang, et.al, Phys. Rev. Res. 4, 033138 (2022)

The weak magnetic effect





Results: photon v_3 with B

AuAu@200GeV



• The weak magnetic photon emission also has significant effect on the triangle flow. Non-trivial coupling effect: weak magnetic field + longitudinal dynamics!

Jing-An Sun:

The weak magnetic effect





Hyperon Local polarization: sign puzzle



F Becattini. Spin polarization and thermal shear effect. 7.15 2:00pm Baochi Fu Local Spin polarization. 7.15 2:30pm



Opposite sign of the $P^{z}(\phi)$ Opposite trend on the **centrality dependence** • With SIP term, the sign can be flipped but the magnitude is almost centrality-independent.

Jing-An Sun:



STAR arxiv: 2303.09074 STAR arxiv: 1905.11917 Becattini, Karpenko, PRL 120 (2018) 012302 Karpenko, Becattini, EPJC 77 (2017) 4, 213 Baochi Fu et al PRC 103 (2021) 2 Baochi Fu et al PRL 127(2021) 14

The weak magnetic effect





The weak magnetic effect: $P^{Z}(\phi)$

ODrag to non-eq on the hyper-surface.

Boltzmann-Vlasov

Only thermal vorticity!

Trento3D is used to generate the smooth initial conditions: **Rapidity-odd** $v_1(\eta)$ • S-quark memory: $P_{\Lambda}^{z} = P_{s}^{z}$ Constant eB

Baochi Fu et al PRL 127(2021) 14

More careful analysis is needed!



$(n_{\rm eq} + f_{EM}) \otimes {\rm spin}$



The weak magnetic effect





Only thermal vorticity!

Preliminary



Results: $P^{Z}(\phi)$ with B

The weak magnetic effect



Non-trivial coupling effect between the weak magnetic field and the longitudinal dynamics of the fireball!

- OThe elliptic and triangle flow of direct photon both get significant increments, which confronts the experimental data. The sign of $P_{\Lambda}^{z}(\phi)$ is flipped and the centrality dependence are reproduced. OThe sin(4 ϕ) structure in $P^{z}(\phi)$ is expected. OThe event-by-event simulations for $P^{z}(\phi)$ is undergoing.
- **O** Possible observables witnessing the novel effect:
 - The polarization of di-leptons? The v_1 splitting of mesons and baryons?.....

Summary and Outlook



11



$$v_0^{\gamma} = \bar{v}_0 + v_0^{\text{EM}}, \quad v_2^{\gamma} = \frac{\bar{v}_2 \bar{v}_0 + v_2^{\text{EM}} v_0^{\text{EM}}}{\bar{v}_0 + v_0^{\text{EM}}}$$

OBjorken analysis for illustration

For background medium: $n_{eq} = A_0(\tau, \eta_s, p_T, Y)$

$$f_{\rm EM} \propto Q B_y \frac{\tau_R}{T} \frac{\sinh \eta_s}{\cosh(y - \eta_s)} (A_0 + A_1 \cos \phi_p) \cos \phi_p$$
$$= Q B_y \frac{\tau_R}{T} \frac{\sinh \eta_s}{\cosh(y - \eta_s)} \left[\frac{A_1}{2} + A_0 \cos \phi + \frac{A_1}{2} \cos 2\phi \right]$$

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$$+A_1(au,\eta_s,p_T,Y)\cos\phi_p$$

The weak magnetic effect



$$v_0^{\gamma} = \bar{v}_0 + v_0^{\text{EM}}, \quad v_2^{\gamma} = \frac{\bar{v}_2 \bar{v}_0 + v_2^{\text{EM}} v_0^{\text{EM}}}{\bar{v}_0 + v_0^{\text{EM}}}$$

OBjorken analysis for illustration

For background medium: $n_{eq} = A_0(\tau, \eta_s, p_T, Y) + A_1(\tau, \eta_s, p_T, Y) \cos \phi_p$

$$f_{\rm EM} \propto QB_y \frac{\tau_R}{T} \frac{\sinh \eta_s}{\cosh(y - \eta_s)} (A_0 + A_1 \cos \phi_p) \cos \phi$$
$$= QB_y \frac{\tau_R}{T} \frac{\sinh \eta_s}{\cosh(y - \eta_s)} \left[\frac{A_1}{2} + A_0 \cos \phi + \frac{A_1}{2} \right]$$
Rapidity-odd! Must be Rap

Back up



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• v_2 increments are large at low p_T region because the yield increments are large at low p_T region

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Average increment ~10 % v_2^{EM} ~ 0.5

The weak magnetic effect



PbPb@2760GeV



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The weak magnetic effect

Gursoy, Kharzeev and Rajagopal, PRC 89 054905 (2014)

v_1 of the quark



Negative v_1 slope for positive charges, and Positive v_1 slope for negative charges.

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Aihong Tang. Directed flow splitting and EM field effects. 7.16 8.30am

The weak magnetic effect



$$(A_0 + A_1 \cos \phi + A_2 \cos 2\phi)(w_0 + w_1 \sin \phi + \frac{1}{2} \left(2A_0 w_0 + 2A_2 w_0 \cos 2\phi + (A_1 w_1 + 2\phi) \right) \\ B \cos \phi (A_0 + A_1 \cos \phi + A_2 \cos 2\phi)(w_0 + w_1) \\ \sim \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 B w_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 W_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 W_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 W_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_0 B + 2A_1 W_0 \cos 2\phi + (2A_0 B + 2\phi) \right) \\ C = \frac{1}{4} \left(2A_1 w_$$



FIG. 7. The distribution of P_y and P_z at mid-rapidity in transverse p_x - p_y plane in 19.6 A GeV Au + Au collisions, calculated from AMPT+MUSIC with and without initial flow.

developed during the hydrodynamic evolution.

Back up

 $w_2 \sin 2\phi$)

 $2A_0w_2)\sin 2\phi + A_2w_2\sin 4\phi$

 $\sin\phi + w_2\sin 2\phi)$

 $Bw_1+2A_1Bw_2)\sin 2\phi+(A_2Bw_1+A_1Bw_2)\sin 4\phi\Big)$

It is generally believed that the longitudinal polarization P_z is directly associated with the anisotropic transverse expansion of the systems but insensitive to the initial angular momentum [26]. This is confirmed by our AMPT+MUSIC calculations with and without initial flow, which demonstrate that P_z has similar structure in these two comparison runs, as shown by the lower panels of Fig. 7. This also means that the longitudinal vorticity P_z mainly probes the vortical structure

arxiv:2011.03740



$$P_{z}^{\text{bare}} = \frac{\int d\Sigma dy p_{T} dp_{T} f \omega^{\text{th}}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad P_{z}^{\text{tot.}} = \frac{\int d\Sigma dy p_{T} dp_{T} (f + f^{EM}) \omega^{\text{th}}}{\int d\Sigma dy p_{T} dp_{T} (f + f^{EM})} = \frac{P_{z}^{\text{bare}} + AP_{z}^{EM}}{1 + A} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp_{T} f} \qquad A = \frac{\int d\Sigma dy p_{T} dp_{T} f^{EM}}{\int d\Sigma dy p_{T} dp$$

$$\langle P_z^{\rm tot} \sin 2\phi \rangle \sim \frac{1}{4} \frac{w_1}{w_0} \left(\frac{A_1}{A_0} + A \frac{A_0}{A_1} \right) + \frac{1}{2} \frac{w_2}{w_0} \left(1 + \frac{1}{2} A \right)$$

Back up

$$P_z^{\rm EM} = \frac{\int d\Sigma dy p_T dp_T f^{EM}}{\int d\Sigma dy p_T dp_T f^E}$$

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 $^{\circ}M$