

# Theory Overview: Heavy Flavor Physics

A personal perspective

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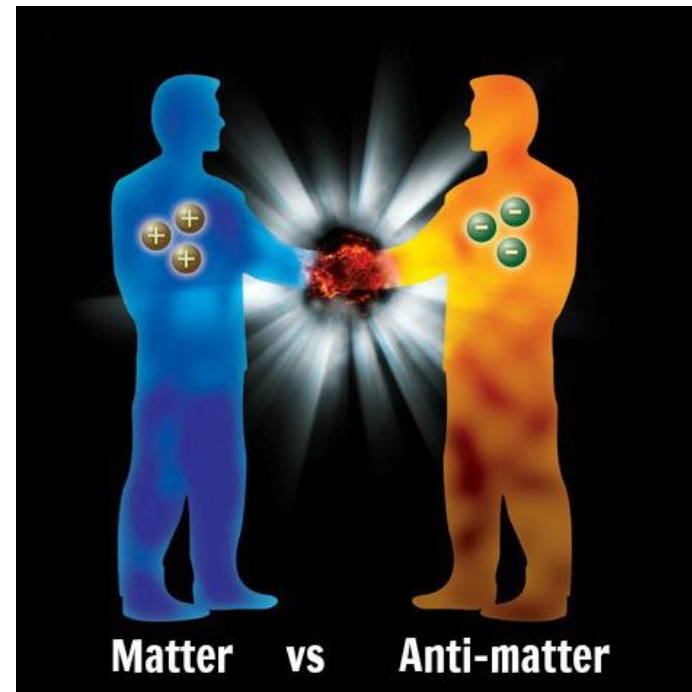
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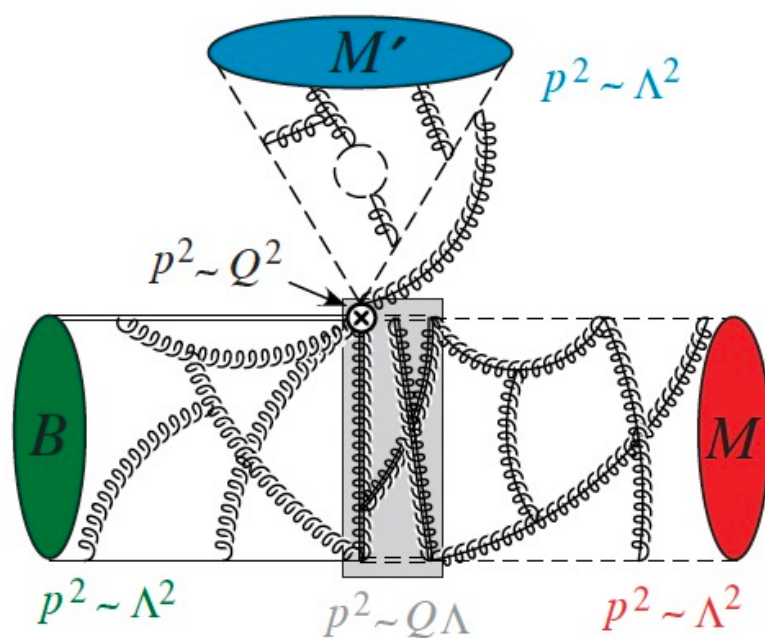


- Recent progress of **CP violation**

Novel observables, complementary to direct CPV

- Recent progress of **QCD factorization**

Singularity & nonperturbative inputs by Lattice



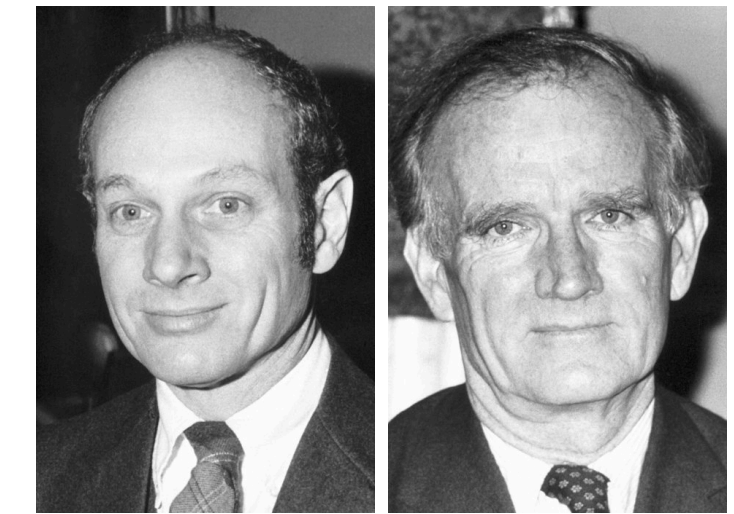
- Other highlights

## Recent Progress of CP violation

# Milestones of CP violation

- Mixing-induced CPV observed in Kaon decays

[Christenson, Cronin, Fitch, Turlay, '64]



Cronin Fitch

[Nobel Prize for Physics in 1980]

- The Kobayashi-Maskawa mechanism

[Kobayashi, Maskawa, '73]



Kobayashi Maskawa

[Nobel Prize for Physics in 2008]

- Direct CPV discovered in B meson decays

[BaBar & Belle, '01]

- Direct CPV confirmed in D meson decays

[LHCb, '19]

- **What's next?** CPV in the baryon sector.





# Experimental opportunities for baryonic CPV

- LHCb is a **baryon factory**!

$$f_{\Lambda_b}/f_{u,d} \sim 0.5$$

Machine	CEPC ( $10^{12}$ Z)	Belle II ( $50 \text{ ab}^{-1}$ + $5 \text{ ab}^{-1}$ at $\Upsilon(5S)$ )	LHCb ( $50 \text{ fb}^{-1}$ )
Data taking	2030-2040	→ 2025	→ 2030
$B^+$	$6 \times 10^{10}$	$3 \times 10^{10}$	$3 \times 10^{13}$
$B^0$	$6 \times 10^{10}$	$3 \times 10^{10}$	$3 \times 10^{13}$
$B_s$	$2 \times 10^{10}$	$3 \times 10^8$	$8 \times 10^{12}$
$B_c$	$6 \times 10^7$	—	$6 \times 10^{10}$
b baryons	$10^{10}$	—	$10^{13}$

- BESIII and Belle II have fruitful results for charmed baryons and hyperons
- First baryonic CPV evidence:  $3.3\sigma$  in  $\Lambda_b^0 \rightarrow p\pi^-\pi^+\pi^-$  [LHCb, Nature Physics 2017]
- Experimental precision reached **1%** [LHCb, PLB 2018]

$$A_{CP}(\Lambda_b^0 \rightarrow p\pi^-) = (-3.5 \pm 1.7 \pm 2.0) \% , \quad A_{CP}(\Lambda_b^0 \rightarrow pK^-) = (-2.0 \pm 1.3 \pm 1.0) \%$$

**Discovery soon?**

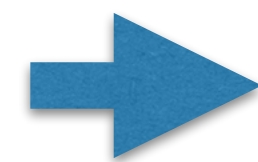
- Direct CPV in some B meson decays can reach 10%.

$$A_{CP}(\bar{B}^0 \rightarrow \pi^+\pi^-) = -0.32 \pm 0.04, \quad A_{CP}(\bar{B}_s^0 \rightarrow K^+\pi^-) = +0.213 \pm 0.017$$

## Theoretical consideration for baryonic CPV

- For baryonic CPV, **what observables** to be measured?
- Is direct CP asymmetry the correct observable?

$$A_{CP} = \frac{|A|^2 - |\bar{A}|^2}{|A|^2 + |\bar{A}|^2}, \quad \begin{aligned} A &= A_1 e^{i\phi_1} e^{i\delta_1} + A_2 e^{i\phi_2} e^{i\delta_2} = A_1 e^{i\phi_1} e^{i\delta_1} (1 + r e^{i\phi} e^{i\delta}) \\ \bar{A} &= A_1 e^{-i\phi_1} e^{i\delta_1} + A_2 e^{-i\phi_2} e^{i\delta_2} = A_1 e^{-i\phi_1} e^{i\delta_1} (1 + r e^{-i\phi} e^{i\delta}) \end{aligned}$$



$$A_{CP} \propto 2r \sin \phi \sin \delta$$

Requirements:

1.  $r$  is large
2. weak phase  $\phi$  is large
3. strong phase  $\delta$  is large

Far beyond control!

- Alternative observables to **relax the requirements**?

## Partial wave CP asymmetry

- In multi-body ( $n \geq 3$ ) decays  $H \rightarrow R \dots \rightarrow h_1 h_2 \dots$ , decay width can be expanded with the Legendre's polynomials, and the partial wave CP asymmetry is hereby defined

$$|\overline{\mathcal{M}}|^2 \propto \sum_{j=0}^{\infty} w^{(j)} P_j(c\theta_1^*), \quad \Rightarrow \quad A_{CP}^{(j)} \equiv \frac{w^{(j)} - \bar{w}^{(j)}}{w^{(j)} + \bar{w}^{(j)}}$$

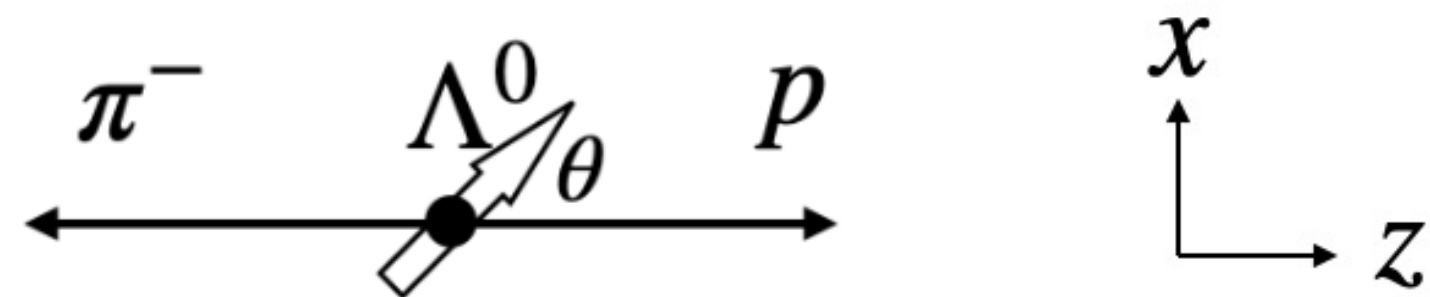
$\theta_1^*$  : angle between  $h_1$  and  $H$  in the  $h_1 h_2$  rest frame

- It has at least the following advantages:
  1. Combine information in each bins in Dalitz plots
  2. Different resonances  $R$  may induce interferences with large relative strong phases

[Zhang, Guo, et al, 2103.11335, 2208.13411, 2209.13196]

## Polarization induced observables

- **Polarizations/helicities** of baryons provide fruitful observables.
- Lee-Yang parameters:  $\alpha, \beta, \gamma$



$$A(\Lambda^0 \rightarrow p\pi) = \bar{u}_p(S + P\gamma_5)u_\Lambda$$

General Partial Wave Analysis of the  
Decay of a Hyperon of Spin  $\frac{1}{2}$

T. D. LEE\* AND C. N. YANG

*Institute for Advanced Study, Princeton, New Jersey*

(Received October 22, 1957)

Theoretically, they are expressed by partial wave amplitudes (helicity amplitudes  $h_{\pm} = S \pm P$ ) as:

$$\alpha = \frac{2\text{Re}(S^*P)}{|S|^2 + |P|^2}, \quad \beta = \frac{2\text{Im}(S^*P)}{|S|^2 + |P|^2}, \quad \gamma = \frac{|S|^2 - |P|^2}{|S|^2 + |P|^2}$$

$$\frac{d\Gamma}{d\cos\theta} \propto 1 + \alpha \cos\theta$$

Experimentally, they are measured by proton polarizations:

$$P_p = \frac{(\alpha + \cos\theta)\hat{p} + \beta\hat{p} \times \hat{s} + \gamma(\hat{p} \times \hat{s}) \times \hat{p}}{1 + \alpha \cos\theta}$$

**Spin measurements are difficult!**



## Polarization induced observables

$$\frac{d\Gamma}{d\cos\theta} \propto 1 + \alpha \cos\theta$$

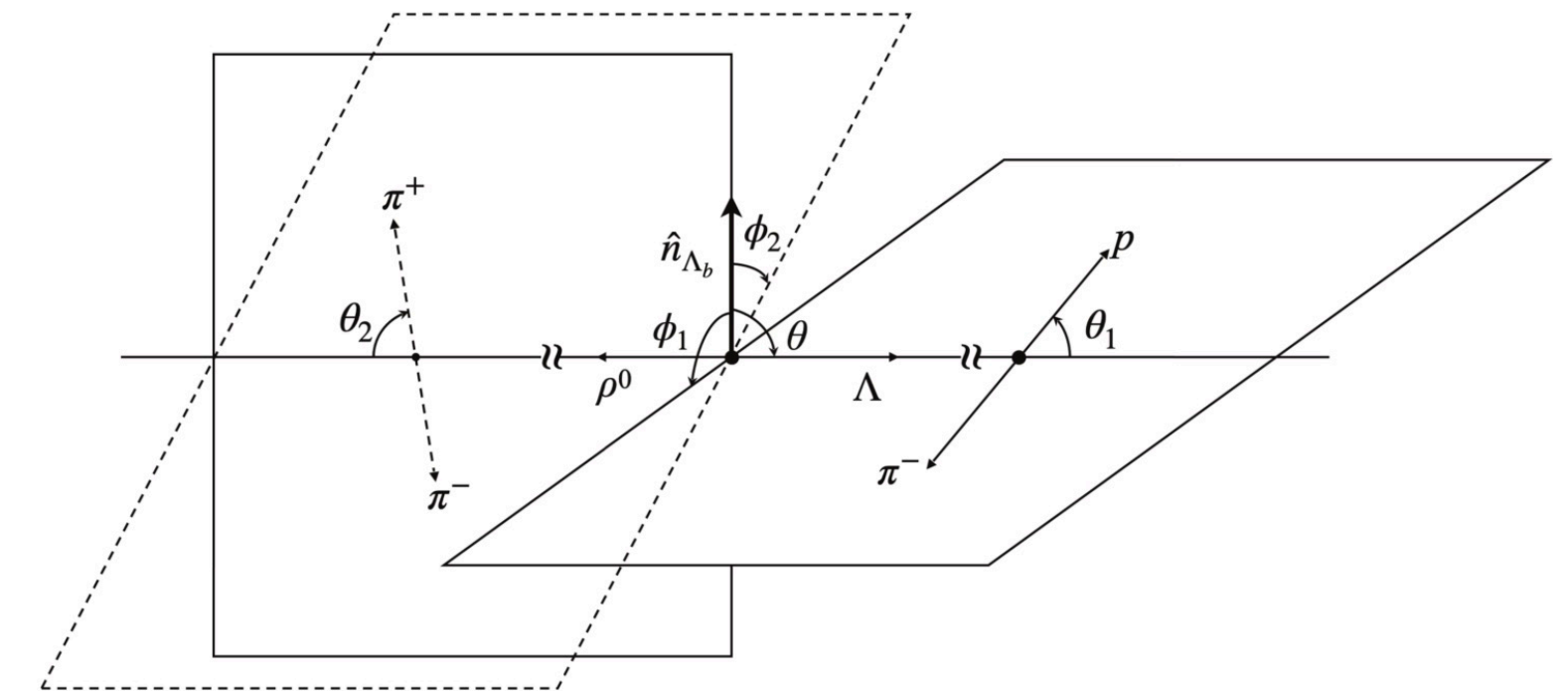
- **Key point:** particle spins are encoded in their decay products.
- With entangled  $\Xi^- \bar{\Xi}^+$  and  $\Xi^- \rightarrow \Lambda \pi^- \rightarrow p 2\pi^-$ , BESIII measure the Lee-Yang parameters and their induced CPV  
[BESIII, Nature 2022]

**Strong phase independent!**  $\leftarrow \Delta\phi_{\text{CP}} \approx \frac{\langle\alpha\rangle}{\sqrt{1 - \langle\alpha\rangle^2}} \left( \frac{\beta + \bar{\beta}}{\alpha - \bar{\alpha}} \right)_{\Xi} = (-5 \pm 15) \times 10^{-3}$

- Application to more channels with Cascade decays (e.g.  $\Lambda_b \rightarrow \Lambda V$ )

1. Angular distribution reflects the **helicity amplitudes**
2. They induce CPVs with **different strong phase dependences**

$$\sin\delta_s \text{ vs } \cos\delta_s$$

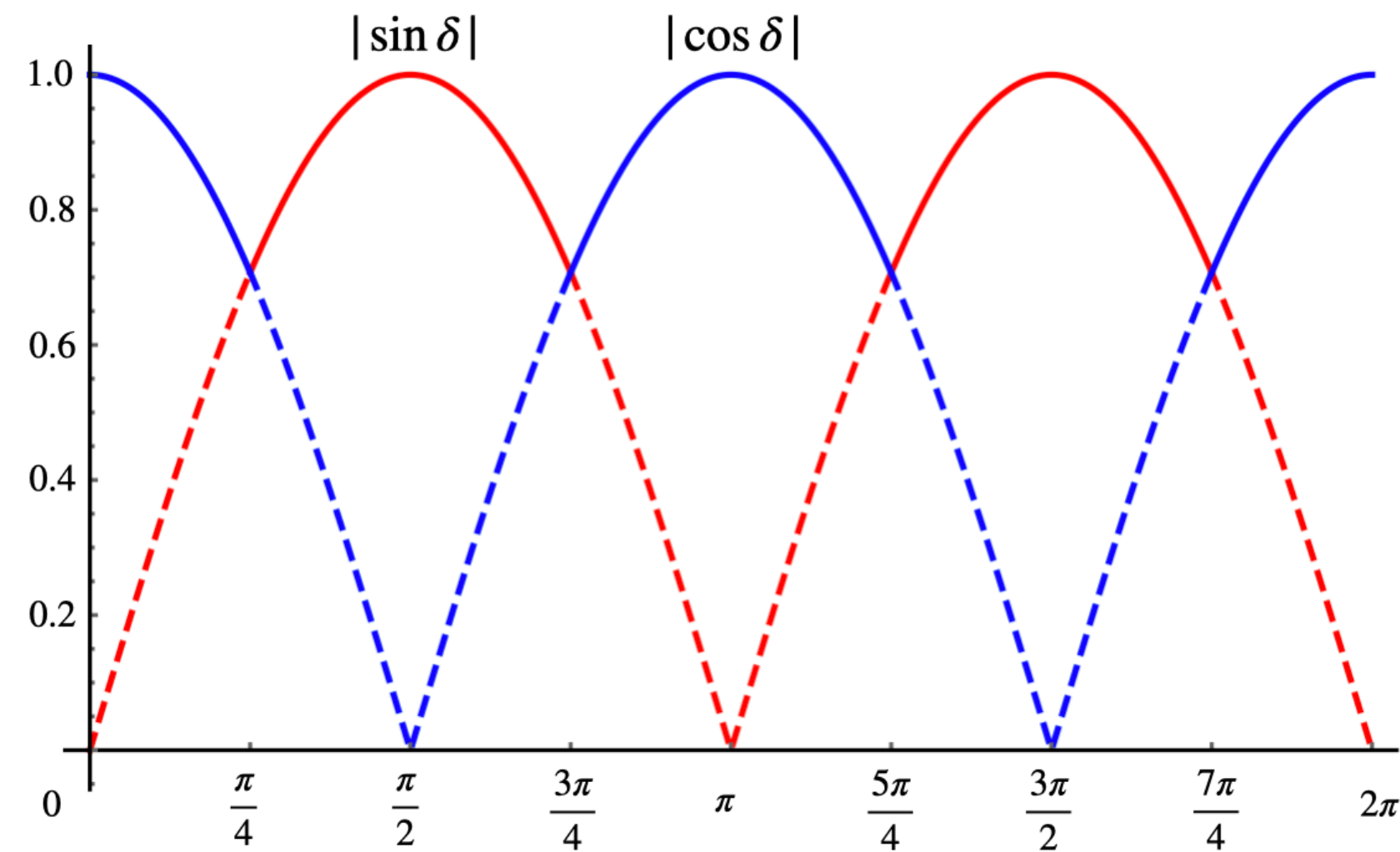


[Geng, Liu, et al, 2106.10628,2109.09524,2206.00348]

[Zhou, et al, 2210.15357]

## Polarization induced observables

- **Strong phase dependence:**  $\sin \delta_s$  vs  $\cos \delta_s$



Whatever the strong phase is, either  $|\sin \delta|$  or  $|\cos \delta|$  would be larger than 0.7.

- **Question:** does this complementarity generally exist?
- **Question:** if yes, how to find them systematically?

## T-odd correlation induced CP asymmetry

- T-odd correlation  $Q_-$  induced CPV have cosine dependence on strong phases

$$TQ_- = -Q_-T, \quad A_{CP}^{Q_-} \equiv \frac{\langle Q_- \rangle - \langle \bar{Q}_- \rangle}{\langle Q_- \rangle + \langle \bar{Q}_- \rangle} \propto \cos \delta_s$$

if it satisfies two conditions: (i) for the final-state basis  $\{|\psi_n\rangle, n=1,2,\dots\}$ , there is a unitary transformation  $U$ , s.t.  $UT|\psi_n\rangle = e^{-i\alpha}|\psi_n\rangle$ ; (2)  $UQ_-U^\dagger = Q_-$ .

### Proof:

$$\begin{aligned} \langle f|Q_-|f\rangle &= \langle i|S^\dagger Q_- S|i\rangle \\ &= \sum_{m,n} \langle \psi_i|S^\dagger|\psi_m\rangle \langle \psi_m|Q_-|\psi_n\rangle \langle \psi_n|S|\psi_i\rangle \\ &= \sum_{m,n} A_m^* A_n \langle \psi_m|Q_-|\psi_n\rangle. \end{aligned}$$

$$\begin{aligned} \langle \psi_m|Q_-|\psi_n\rangle &= \langle \psi_m|\mathcal{T}^\dagger \mathcal{T} Q_-|\psi_n\rangle^* \\ &= -\langle \psi_m|\mathcal{T}^\dagger Q_- \mathcal{T}|\psi_n\rangle^* \\ &= -\langle \psi_m|\mathcal{T}^\dagger U^\dagger U Q_- U^\dagger U \mathcal{T}|\psi_n\rangle^* \\ &= -\langle \psi_m|\mathcal{T}^\dagger U^\dagger Q_- U \mathcal{T}|\psi_n\rangle^* \\ &= -\langle \psi_m|Q_-|\psi_n\rangle^*, \end{aligned}$$

$$\longrightarrow \langle f|Q_-|f\rangle \ni \text{Im}(A_m^* A_n) \longrightarrow A_{CP}^{Q_-} \propto \sin \delta_w \cos \delta_s$$

## T-odd correlation induced CP asymmetry

- Example 1. Triple product  $Q_1 \equiv (\vec{s}_1 \times \vec{s}_2) \cdot \hat{p}$  in  $P \rightarrow P_1 P_2$

$$T : \vec{p} \rightarrow -\vec{p}, h \rightarrow h; \quad U = R(\pi) : -\vec{p} \rightarrow \vec{p}, h \rightarrow h \quad \longrightarrow \quad \text{condition (i)}$$

$$T : Q_1 \rightarrow -Q_1; \quad U = R(\pi) : Q_1 \rightarrow Q_1 \quad \longrightarrow \quad \text{condition (ii)}$$



- Example 2. Triple product  $Q_p \equiv (\hat{p}_1 \times \hat{p}_2) \cdot \hat{p}_3$  in  $P \rightarrow P_1 P_2 P_3 P_4$

$$T : \vec{p} \rightarrow -\vec{p}; \quad U = P : -\vec{p} \rightarrow \vec{p} \quad \longrightarrow \quad \text{condition (i)}$$

$$T : Q_p \rightarrow -Q_p; \quad U = P : Q_p \rightarrow -Q_p \quad \not\longrightarrow \quad \text{condition (ii)}$$



[Wang, QQ, Yu, 2211.07332]

## T-odd correlation induced CP asymmetry

- For the decay  $\Lambda_b \rightarrow N^*(1520)K^*$ , three such T-odd correlations

$$Q_1 \equiv (\vec{s}_1 \times \vec{s}_2) \cdot \hat{p} = \frac{i}{2}(s_1^+ s_2^- - s_1^- s_2^+)$$

$$Q_2 \equiv (\vec{s}_1 \cdot \hat{p})(\vec{s}_2 \cdot \hat{p})Q_1 + Q_1(\vec{s}_1 \cdot \hat{p})(\vec{s}_2 \cdot \hat{p}) = \frac{i}{2}s_1^z s_2^z (s_1^+ s_2^- - s_1^- s_2^+) + \frac{i}{2}(s_1^+ s_2^- - s_1^- s_2^+)s_1^z s_2^z$$

$$Q_3 \equiv (\vec{s}_1 \cdot \vec{s}_2)Q_1 + Q_1(\vec{s}_1 \cdot \vec{s}_2) - Q_2 = \frac{i}{2}(s_1^+ s_1^+ s_2^- s_2^- - s_1^- s_1^- s_2^+ s_2^+)$$

- Their expectations are imaginary helicity amplitude interferences

$$\langle Q_3 \rangle = 2\sqrt{3} \operatorname{Im} (H_{+1,+\frac{3}{2}} H_{-1,-\frac{1}{2}}^* + H_{-1,-\frac{3}{2}}^* H_{+1,+\frac{1}{2}})$$

- Moreover, complementary T-even correlations are found

$$P_1 \equiv \vec{s}_1 \cdot \vec{s}_2 - (\vec{s}_1 \cdot \hat{p})(\vec{s}_2 \cdot \hat{p}), P_2 \equiv (\vec{s}_1 \cdot \hat{p})(\vec{s}_2 \cdot \hat{p})P_1 + P_1(\vec{s}_1 \cdot \hat{p})(\vec{s}_2 \cdot \hat{p}),$$

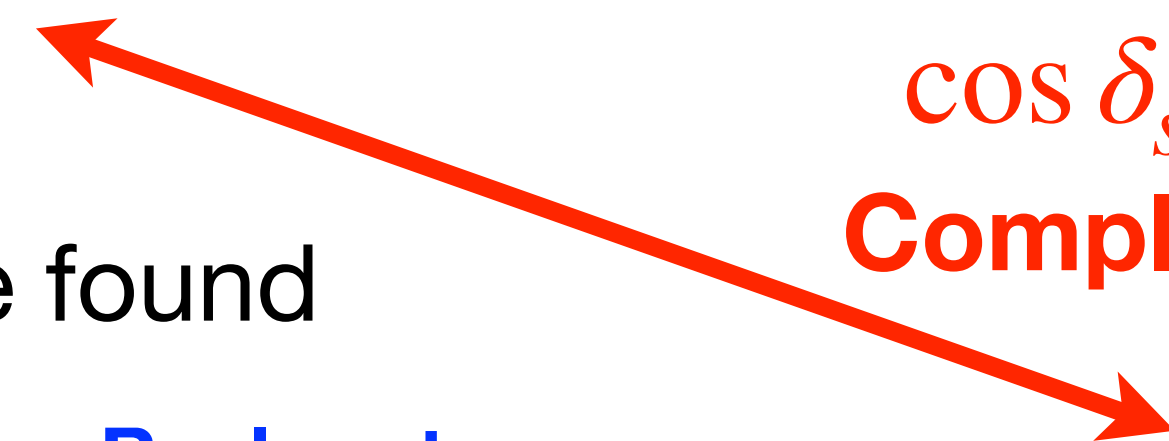
$$P_3 \equiv P_1^2 - [\vec{s}_1^2 - (\vec{s}_1 \cdot \hat{p})^2][\vec{s}_2^2 - (\vec{s}_2 \cdot \hat{p})^2] - [(\vec{s}_1 \times \vec{s}_1) \cdot \hat{p}][(\vec{s}_2 \times \vec{s}_2) \cdot \hat{p}]$$

Real part



$$\langle P_3 \rangle \propto \operatorname{Re} (H_{+1,+\frac{3}{2}} H_{-1,-\frac{1}{2}}^* + H_{-1,-\frac{3}{2}}^* H_{+1,+\frac{1}{2}})$$

$\cos \delta_s$  vs  $\sin \delta_s$   
Complementary!

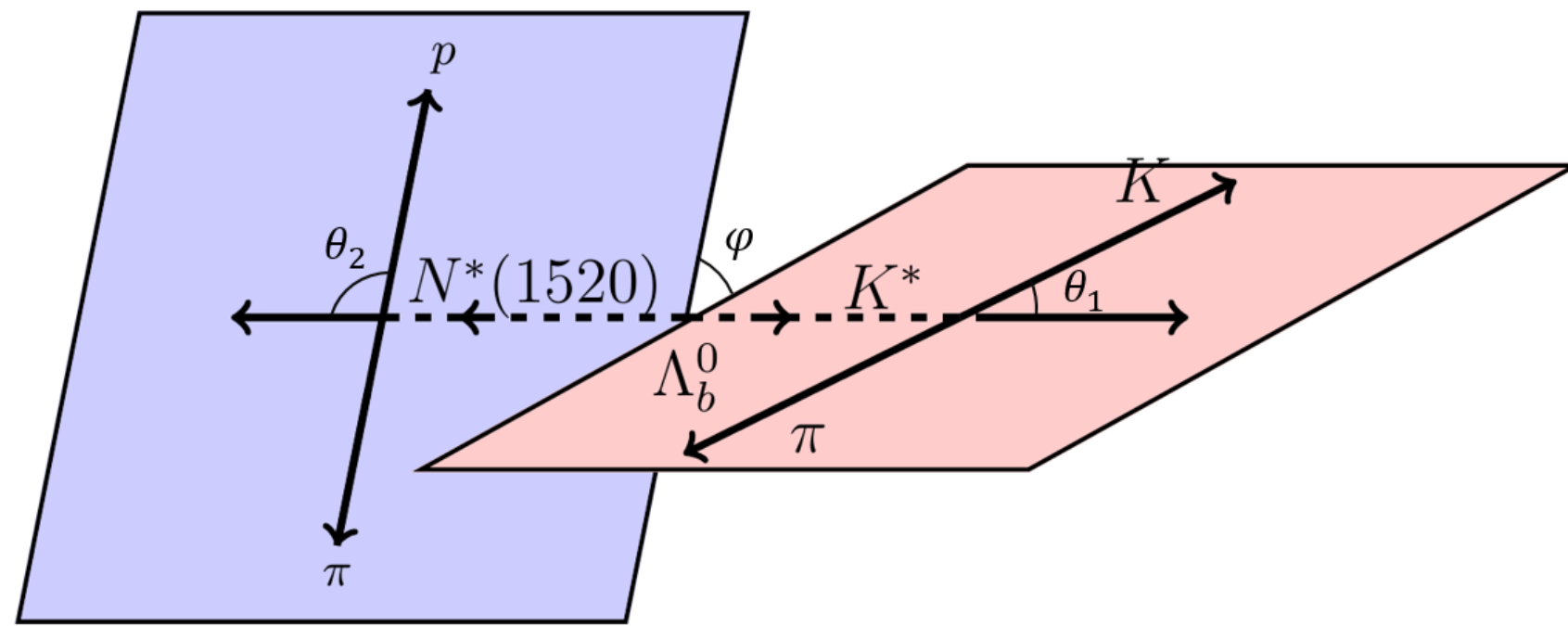


[Wang, QQ, Yu, 2211.07332]



## T-odd correlation induced CP asymmetry

- The expectations of the complementary T-odd and T-even correlations are both encoded in **angular distribution** of secondary decays of  $N^*(1520)K^*$



- Complementary CP asymmetries can thereby be measured, which depend on  **$\cos \delta_s$  &  $\sin \delta_s$** .

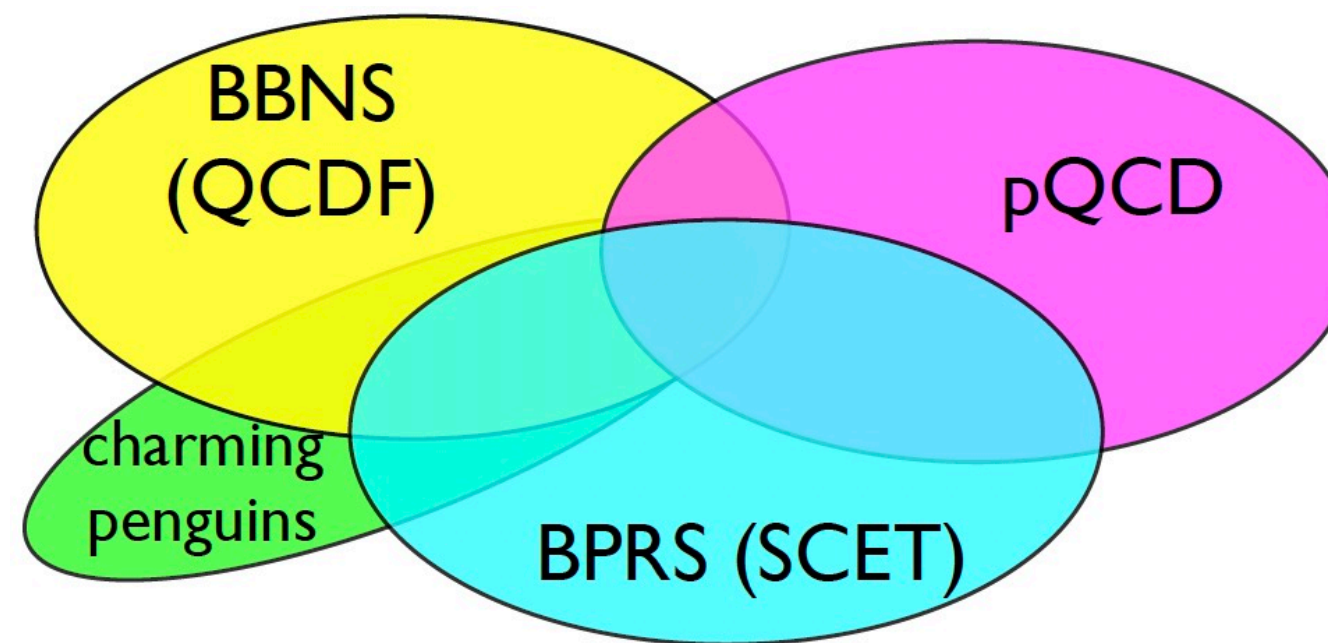
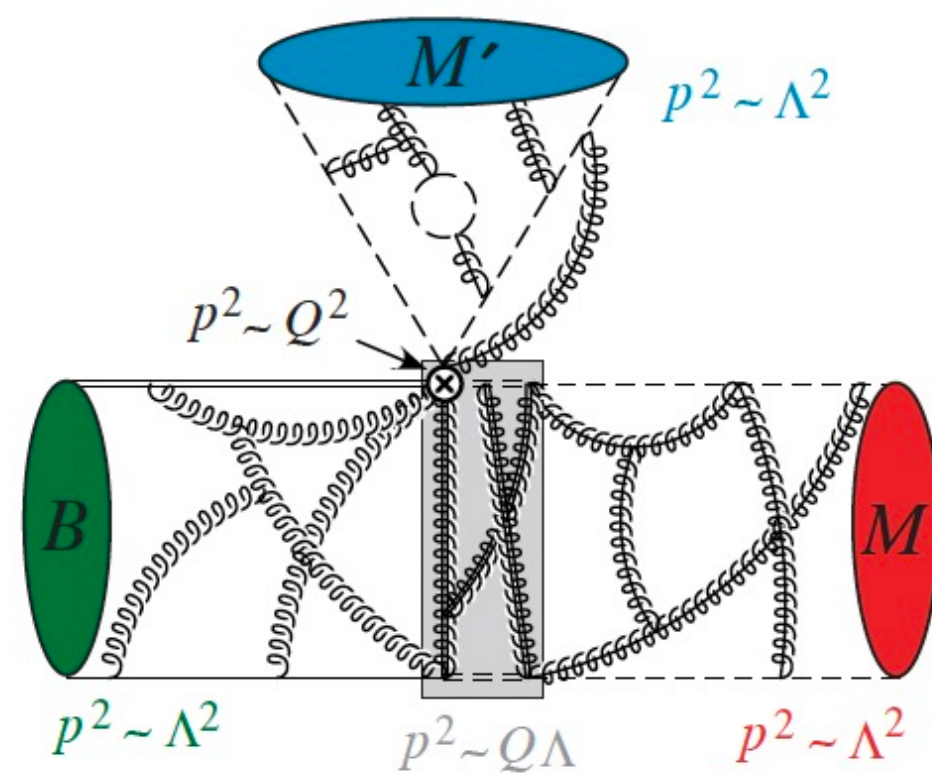
$$\begin{aligned}
 \frac{d\Gamma}{dc_1 dc_2 d\varphi} &\propto s_1^2 s_2^2 \left( \left| \mathcal{H}_{+1,+\frac{3}{2}} \right|^2 + \left| \mathcal{H}_{-1,-\frac{3}{2}} \right|^2 \right) \\
 &+ s_1^2 \left( \frac{1}{3} + c_2^2 \right) \left( \left| \mathcal{H}_{+1,+\frac{1}{2}} \right|^2 + \left| \mathcal{H}_{-1,-\frac{1}{2}} \right|^2 \right) \\
 &+ 2c_1^2 \left( \frac{1}{3} + c_2^2 \right) \left( \left| \mathcal{H}_{0,-\frac{1}{2}} \right|^2 + \left| \mathcal{H}_{0,+\frac{1}{2}} \right|^2 \right) \\
 &- \frac{s_1^2 s_2^2}{\sqrt{3}} \text{Im} \left( \mathcal{H}_{+1,+\frac{3}{2}} \mathcal{H}_{-1,-\frac{1}{2}}^* + \mathcal{H}_{+1,+\frac{1}{2}} \mathcal{H}_{-1,-\frac{3}{2}}^* \right) \sin 2\varphi \quad \langle Q_3 \rangle \\
 &+ \frac{s_1^2 s_2^2}{\sqrt{3}} \text{Re} \left( \mathcal{H}_{+1,+\frac{3}{2}} \mathcal{H}_{-1,-\frac{1}{2}}^* + \mathcal{H}_{+1,+\frac{1}{2}} \mathcal{H}_{-1,-\frac{3}{2}}^* \right) \cos 2\varphi \quad \langle P_3 \rangle \\
 &- \frac{4s_1 c_1 s_2 c_2}{\sqrt{6}} \text{Im} \left( \mathcal{H}_{+1,+\frac{3}{2}} \mathcal{H}_{0,+\frac{1}{2}}^* + \mathcal{H}_{0,-\frac{1}{2}} \mathcal{H}_{-1,-\frac{3}{2}}^* \right) \sin \varphi \quad \langle Q_1 + 2Q_2 \rangle \\
 &+ \frac{4s_1 c_1 s_2 c_2}{\sqrt{6}} \text{Re} \left( \mathcal{H}_{+1,+\frac{3}{2}} \mathcal{H}_{0,+\frac{1}{2}}^* + \mathcal{H}_{0,-\frac{1}{2}} \mathcal{H}_{-1,-\frac{3}{2}}^* \right) \cos \varphi \quad \langle P_1 + 2P_2 \rangle
 \end{aligned}$$

[Wang, QQ, Yu, 2211.07332]

## Recent progress of QCD Factorization

# QCD Factorization

- Factorization makes **hadron** involved physical processes **calculable**
  - ➔ **Short-distance** dynamics: perturbatively calculable
  - ➔ **Long-distance** dynamics: universal inputs, e.g., form factors, **LCDAs**



[Beneke, Buchalla, Neubert, Sachradja, BBNS]

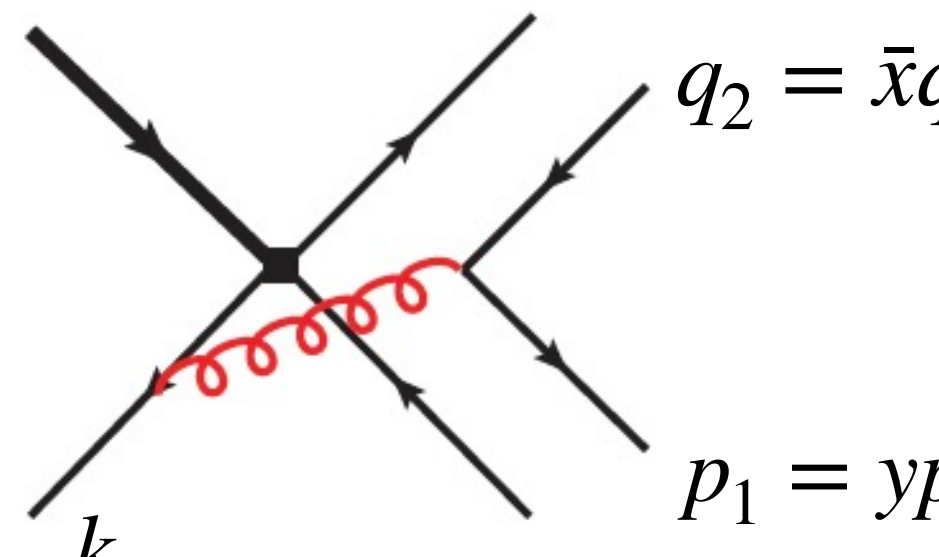
[Keum, Li, Lu, Sanda, Xiao, PQCD]

[Bauer, Pirjol, Rothstein, Stewart, SCET]

- Crucial to SM predictions for two-body B decays, especially CP violation
- Data + short-distance dynamics  $\Rightarrow$  nonperturbative QCD

# Annihilation amplitude

- BBNS suffers from endpoint singularities in annihilation diagrams



$$\frac{1}{\underbrace{[(p_1 + q_2 + k)^2 + i\epsilon]}_{\text{Quark propagator}} \underbrace{[(p_1 + q_2)^2 + i\epsilon]}_{\text{Gluon propagator}}} \xrightarrow[\text{Soft } k \sim \Lambda_{\text{QCD}} \rightarrow 0]{(p_1 + q_2)^2 \sim m_b^2} \int_0^\infty d\omega \phi_B^+(\omega) \int_0^1 dx \phi_{M_2}(x) \int_0^1 dy \phi_{M_1}(y) \frac{1}{\bar{x}^2 y}$$

$\phi_P(x) = 6x(1-x)$   
**Divergence!**

- Parametrization of the logarithmic divergence by BBNS

$$\int_0^1 dx \frac{\phi_M(x, \mu)}{\bar{x}^2} = \left( \lim_{u \rightarrow 1} \frac{\phi_M(u, \mu)}{\bar{u}} \right) \underbrace{\int_0^1 \frac{dx}{\bar{x}}}_{X_A^M = (1 + \rho_A e^{i\phi_A}) \ln \frac{m_B}{\Lambda_h}} + \underbrace{\int_0^1 \frac{dx}{\bar{x}} \left[ \frac{\phi_M(x, \mu)}{\bar{x}} - \left( \lim_{u \rightarrow 1} \frac{\phi_M(u, \mu)}{\bar{u}} \right) \right]}_{\text{finite}}$$

[BBNS, '01]

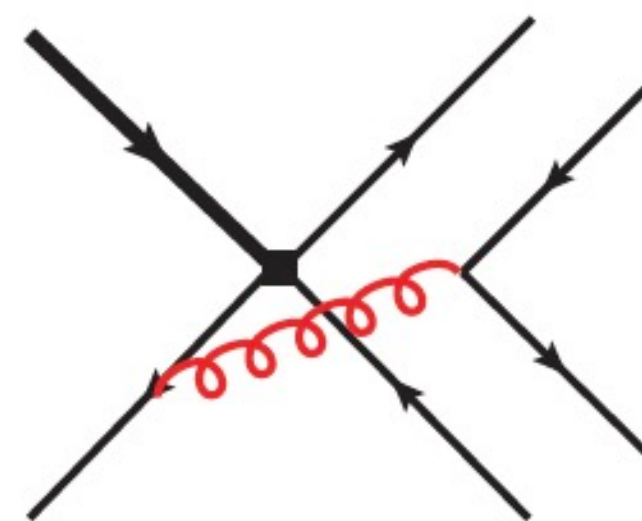
- Make BBNS **much less predictive**
  - ➡ for pure annihilation channels
  - ➡ for CP violation, which is sensitive to strong phase



# Annihilation amplitude

- The fact: **no divergence here!** The power counting **Soft**  $k \sim \Lambda_{\text{QCD}} \rightarrow 0$  **is wrong.**

- The key: **pick up the missing piece!**



Hard gluon contribution

$$(p_1 + q_2)^2 \sim m_b^2$$

$\sim$

The missing piece

Hard-collinear gluon contribution

$$(p_1 + q_2)^2 \sim m_b \Lambda_{\text{QCD}}$$

Both leading power!

- The complete formulation (keep  $p_1 \cdot k$ ):

$$\int_0^\infty d\omega \phi_B^+(\omega) \int_0^1 dx \phi_{M_2}(x) \int_0^1 dy \phi_{M_1}(y) \frac{1}{\bar{x}y(\bar{x} - \omega/m_B + i\epsilon)} \approx 18 \left[ \left( \ln(m_B/\lambda_B) + \gamma_E + 2 \right) - i\pi \right]$$

From hard-collinear  
gluon exchange

- The annihilation diagram is **calculable, finite**, and contains **strong phase!**

[Lu, Shen, Wang, Wang, 2202.08073]



## Annihilation amplitude

- It **corrects the BBNS factorization** of the annihilation diagram!
- It makes the BBNS formalism **more predictive!**
- It is important to phenomenology, especially to CPV!

	$\mathcal{A}_{\text{CP}}^{\text{dir}}$	$\mathcal{A}_{\text{CP}}^{\text{mix}}$
$\bar{B}_s \rightarrow \pi^+ \pi^-, \pi^0 \pi^0$	$-36.3^{+8.2}_{-1.3} (0.0 \pm 0.0)$	$-4.2^{+21.4}_{-9.0} (35.9^{+15.6}_{-11.2})$
$\bar{B}_s \rightarrow \rho_L^+ \rho_L^-, \rho_L^0 \rho_L^0$	$-36.3^{+8.3}_{-1.8} (0.0 \pm 0.0)$	$-4.3^{+21.5}_{-9.0} (35.9^{+15.6}_{-11.2})$
$\bar{B}_s \rightarrow \omega_L \omega_L$	$-36.3^{+8.3}_{-3.1} (0.0 \pm 0.0)$	$-3.8^{+21.8}_{-9.7} (35.9^{+15.6}_{-11.2})$
$\bar{B}_s \rightarrow \rho_L \omega_L$	$0.0 \pm 0.0 (0.0 \pm 0.0)$	$-71.0^{+6.3}_{-5.4} (-71.0^{+6.3}_{-5.4})$
$\bar{B}_d \rightarrow K^+ K^-$	$39.0^{+3.2}_{-5.6} (0.0 \pm 0.0)$	$-2.2^{+19.1}_{-26.4} (-47.0^{+15.7}_{-18.8})$
$\bar{B}_d \rightarrow K_L^{*+} K_L^{*-}$	$39.6^{+4.9}_{-6.7} (0.0 \pm 0.0)$	$-1.4^{+19.7}_{-26.9} (-47.0^{+15.7}_{-18.8})$
$\bar{B}_d \rightarrow \phi_L \phi_L$	$38.3^{+11.4}_{-15.8} (0.0 \pm 0.0)$	$27.8^{+5.7}_{-25.9} (0.0 \pm 0.0)$

[Lu, Shen, Wang, Wang, 2202.08073]

# Light-cone Distribution Amplitudes

- LCDA: parton momentum fraction distribution in the light-cone direction

$$\int \frac{d\xi^-}{2\pi} e^{ixp^+\xi^-} \langle 0 | \bar{\psi}_1(0) n \cdot \gamma \gamma_5 U(0, \xi^-) \psi_2(\xi^-) | \pi(p) \rangle = i f_\pi \Phi_\pi(x)$$

- Critical nonperturbative inputs to factorization calculation

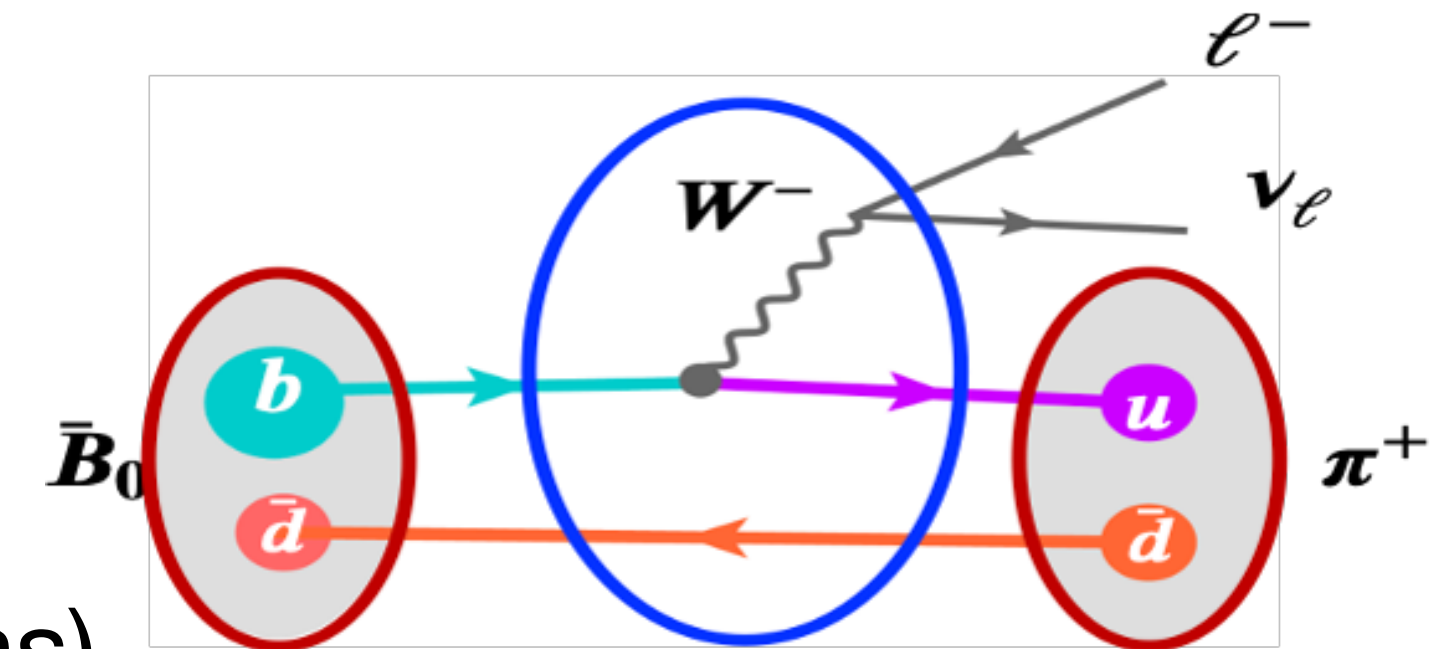
➡ Extracted from data (suffer pollution from power corrections)

➡ Calculated by nonperturbative methods, e.g., Sum Rules, Dyson-Schwinger equation, inverse problem, ...

[Ball,'07; Cheng,'20; Chang,Roberts,...,'13; H.n.Li, 2205.06746]

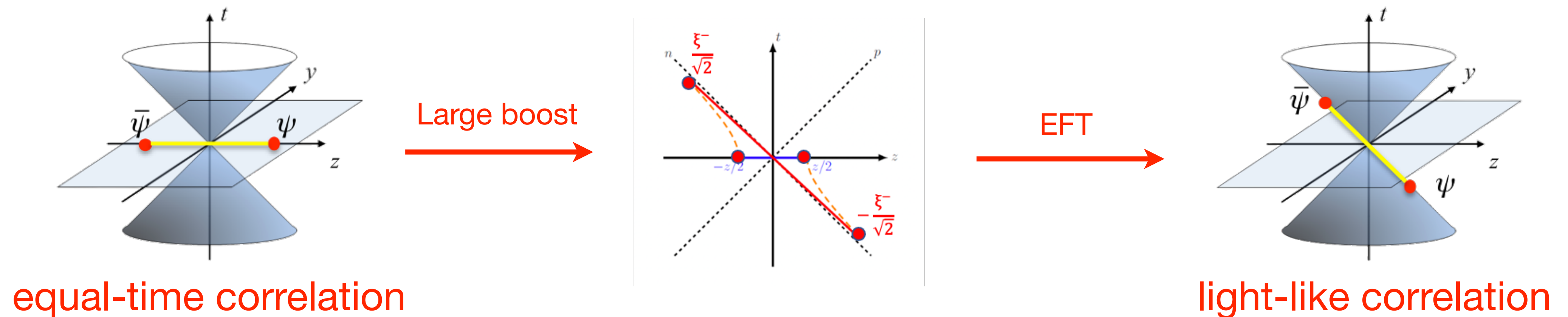
- A **first-principle lattice QCD calculation** is available.

[Lattice Parton Collaboration, J.Hua et al,  
*Phys.Rev.Lett.*129 (2022) 132001;  
*Phys.Rev.Lett.*127 (2021) 062002]



# Light-cone Distribution Amplitudes

- LCDA is a **light-like correlation**. Cannot be directly calculated by lattice.
- Instead, a **quasi-DA** can be calculated



- Large momentum effective theory (LaMET): extract LCDA from quasi-DA

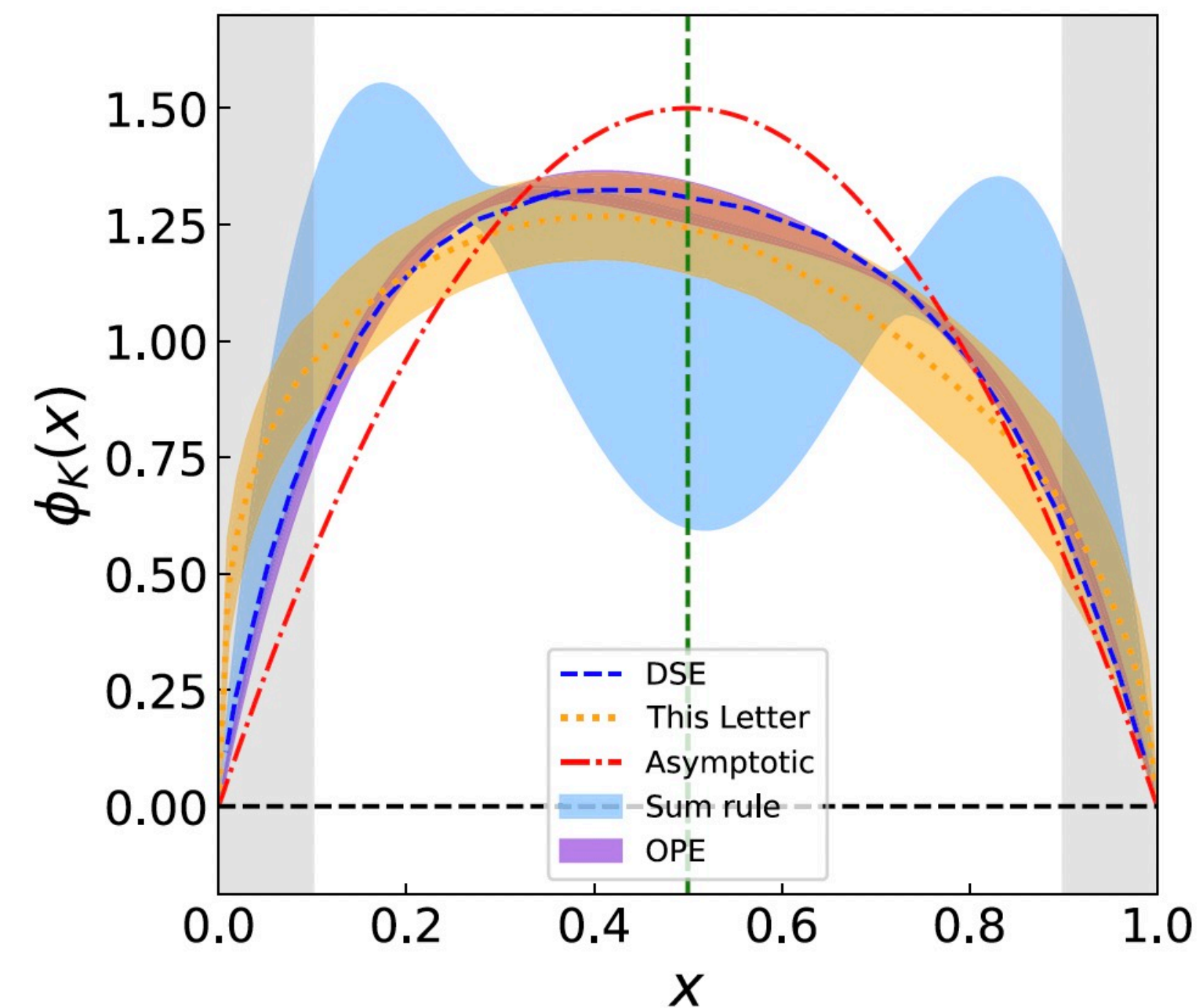
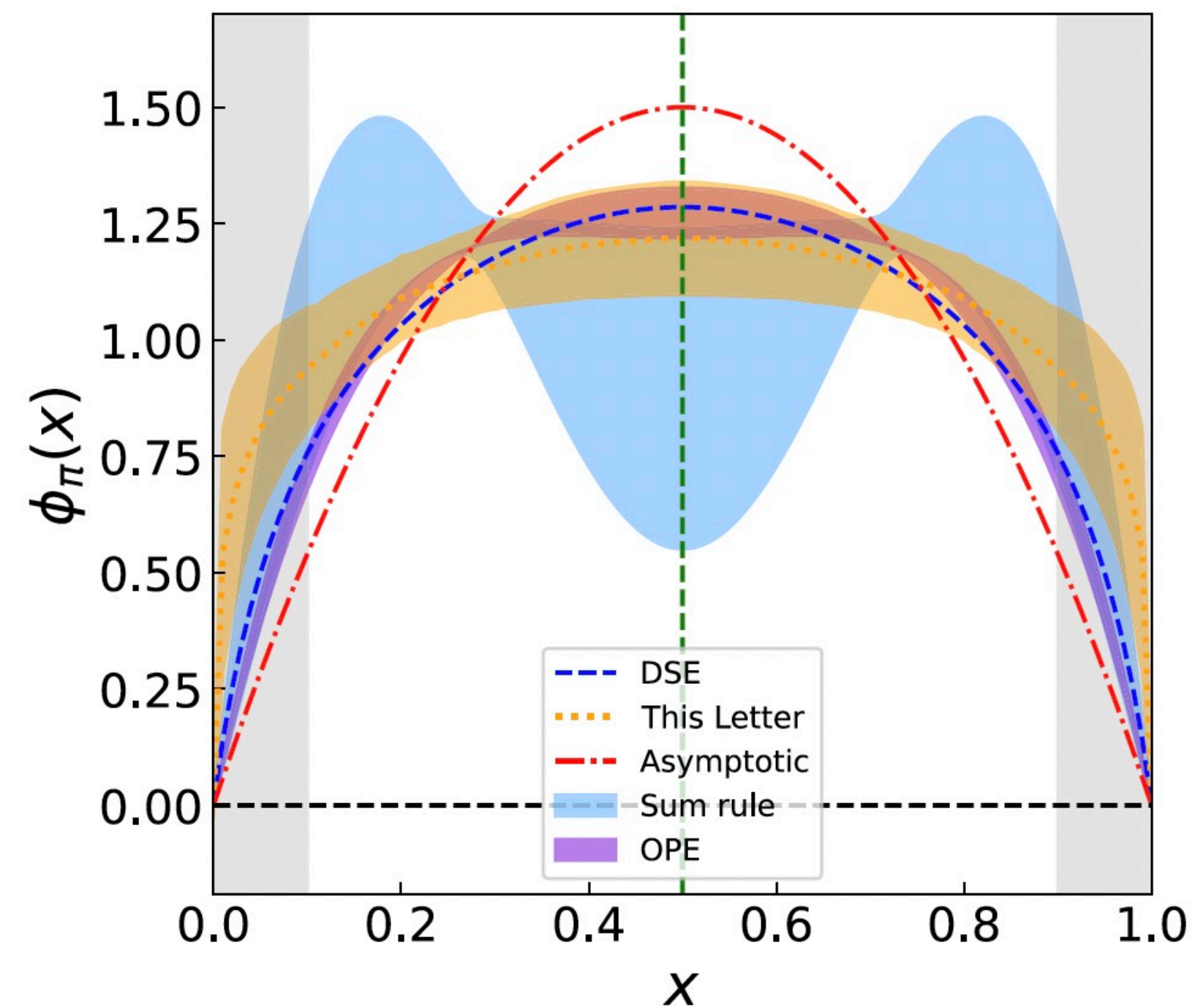
[Xi,...,'13,'21]

$$\underbrace{\tilde{q}(x, P^z, \mu)}_{\text{Quasi-DA}} = \int \frac{dy}{|y|} \underbrace{C(x, y, P^z, \mu)}_{\text{Matching kernel}} \underbrace{q(y, \mu)}_{\text{LCDA}} + \underbrace{\mathcal{O}\left(\frac{\Lambda^2, M^2}{(P^z)^2}\right)}_{\text{Power suppressed}}$$



# Light-cone Distribution Amplitudes

- Lattice results for leading-twist pion and kaon LCDAs



## Other Highlights



## Other highlights

### New mechanism

- The long-distance penguin contribution to  $\bar{B} \rightarrow \gamma\gamma$ , a novel B meson DA [QQ, Y.L.Shen, C.Wang, Y.M.Wang, 2207.02691]
- Modified PQCD and its application in  $B \rightarrow \pi\pi$  decays [S.Lü, M.Z.Yang, 2211.10917]

### New Calculation

- PQCD calculation of baryon decays [J.J.Han, Y.Li, H.n.Li, Y.L.Shen, Z.J.Xiao, F.S.Yu, 2202.04804; C.Q.Zhang, J.M.Li, M.K.Jia, Zhou Rui, 2202.09181, 2206.04501, 2210.15357]
- Sum Rule calculation of baryon decays [Yan Miao, Hui Deng, Ke-Sheng Huang, Jing Gao, Yue-Long Shen, 2206.12189; K.S.Huang, W.Liu, Y.L.Shen, F.S.Yu, 2205.06095]

### New correction

- NLO QCD corrections to inclusive  $b \rightarrow c\ell\bar{\nu}$  decay spectra up to  $1/m_Q^3$  [T.Mannel, D.Moreno, A.A.Pivovarov, 2111.06418]
- A Reappraisal of  $B \rightarrow \gamma\ell\bar{\nu}$ : Factorization and Sudakov Resummation [A.M.Galda, M.Neubert, X.Wang, 2203.08202]
- Strange quark mass effect in  $B_s \rightarrow \gamma\gamma, \gamma\ell\bar{\ell}$  decays [D.H.Li, L.Y.Li, C.D.Lü, Y.L.Shen, 2205.05528]

# Other highlights

## New channels

- Weak decays of excited-state mesons, e.g.  $D_{(s)}^*, B_c^*$   
See S. Cheng's talk  
[S.Cheng, Y.H.Ju, QQ, F.S.Yu, 2203.06797; J.H.Sheng, Q.Y.Hu, R.M.Wang, EPJC'22;  
Y.L.Yang, L.T. Wang, K.Li, L.T.Li, J.S.Huang, Q.Chang, J.F.Sun, 2207.10277, 2208.02396]
- Inclusive weak-annihilation decays and lifetimes of  $\Xi_{bc}$   
[G.H.Yang, E.P.Liang, QQ, K.K.Shao, 2208.06834]
- PQCD calculation of four-body non-leptonic B decays  
[Y.Li, D.C.Yan, R.Zhou, Z.J.Xiao, 2204.01092, 2208.06834  
C.Q.Zhang, J.M.Li, M.K.Jia, Y.Li, R.Zhou, 2112.10939]

## New observables

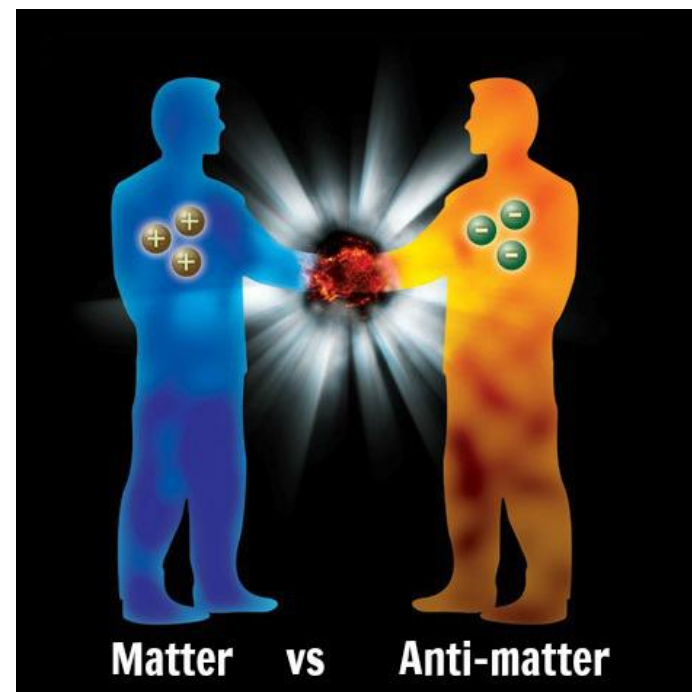
- Probing hyperon CP violation from charmed baryon decays  
[J.P.Wang, F.S.Yu, 2208.01589]
- Angular distributions for  $\Lambda_b \rightarrow \Lambda_j^*(pK^-)J/\psi$  Decays  
See F. Huang's talk  
[Zhi-Peng Xing, Fei Huang, Wei Wang, 2203.13524]

## New Physics

- Scrutinizing new physics in semi-leptonic  $B_c \rightarrow J/\psi \tau \nu$  decay  
[R.Y.Tang, Z.R.Huang, C.D.Lü, R.L.Zhu, 2204.04357]
- Linking  $R_{K^{(*)}}$  anomalies to  $H_0$  tension via Dirac neutrino  
[W.F.Duan, S.P.Li, X.Q.Li, Y.D.Yang, 2111.05178]

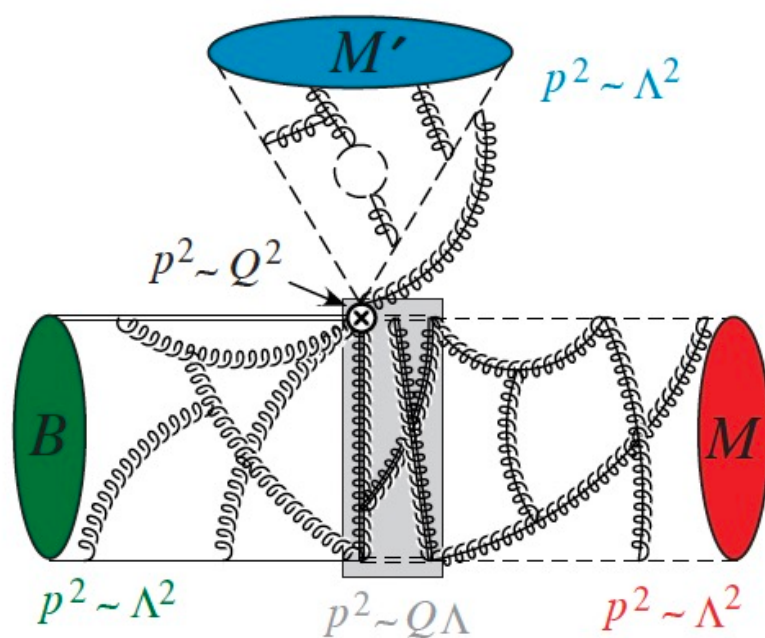
# Summary

# Summary



- **Novel CPV observables** are proposed, including those **complementary** to each other, which would help discover **baryonic CPV**.

- QCD factorization has been reanalyzed with **endpoint singularities** “disappearing” in annihilation amplitudes, and it become more predictive with **lattice calculation of LCDAs**.



- There are many other beautiful works in flavor physics in the past year, including progresses of **new mechanisms, new calculations, new corrections, new channels, new observables** and **new physics**.

**Thank you!**