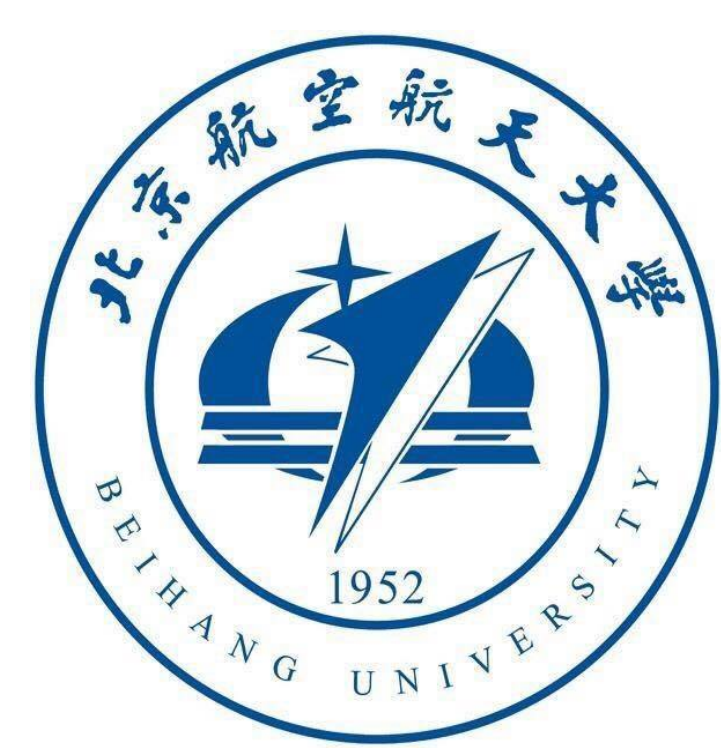




The 8th China LHC Physics Workshop (CLHCP-2022), Nanjing
November 24th, 2022

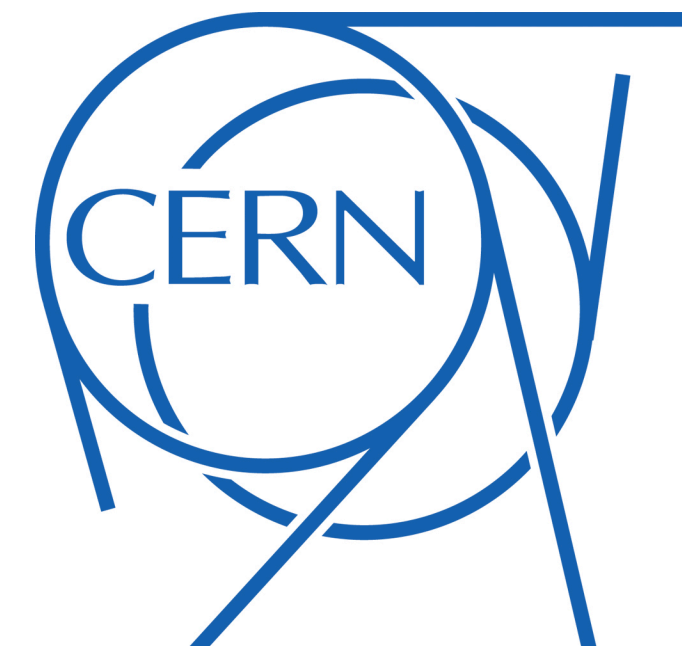


Higgs boson differential cross section measurements in the four-leptons final state



Tahir Javaid
(Beihang University, Beijing)

On behalf of the **CMS** collaboration



CMS PAS HIG-21-009

New analysis whose aim is a **complete characterisation of the Higgs-to-four-lepton channel** using **fiducial** cross section measurements

- *This analysis expands the previous $H \rightarrow ZZ \rightarrow 4\ell$ [\[EPJC81\(2021\)488\]](#) analysis (Run 2)
- *Increase of the number of differential observables (from 4 to 32)
- ***Latest Run 2 CMS objects calibration**
- *Reduction of the experimental systematic uncertainties (*improved* measurements of lepton scale factors)
- ***Interpretation** of the p_T^H spectrum:
 - ◉ Higgs boson trilinear self-coupling (κ_λ)
 - ◉ c/b quark couplings (κ_b κ_c)

Event selection and reconstructions

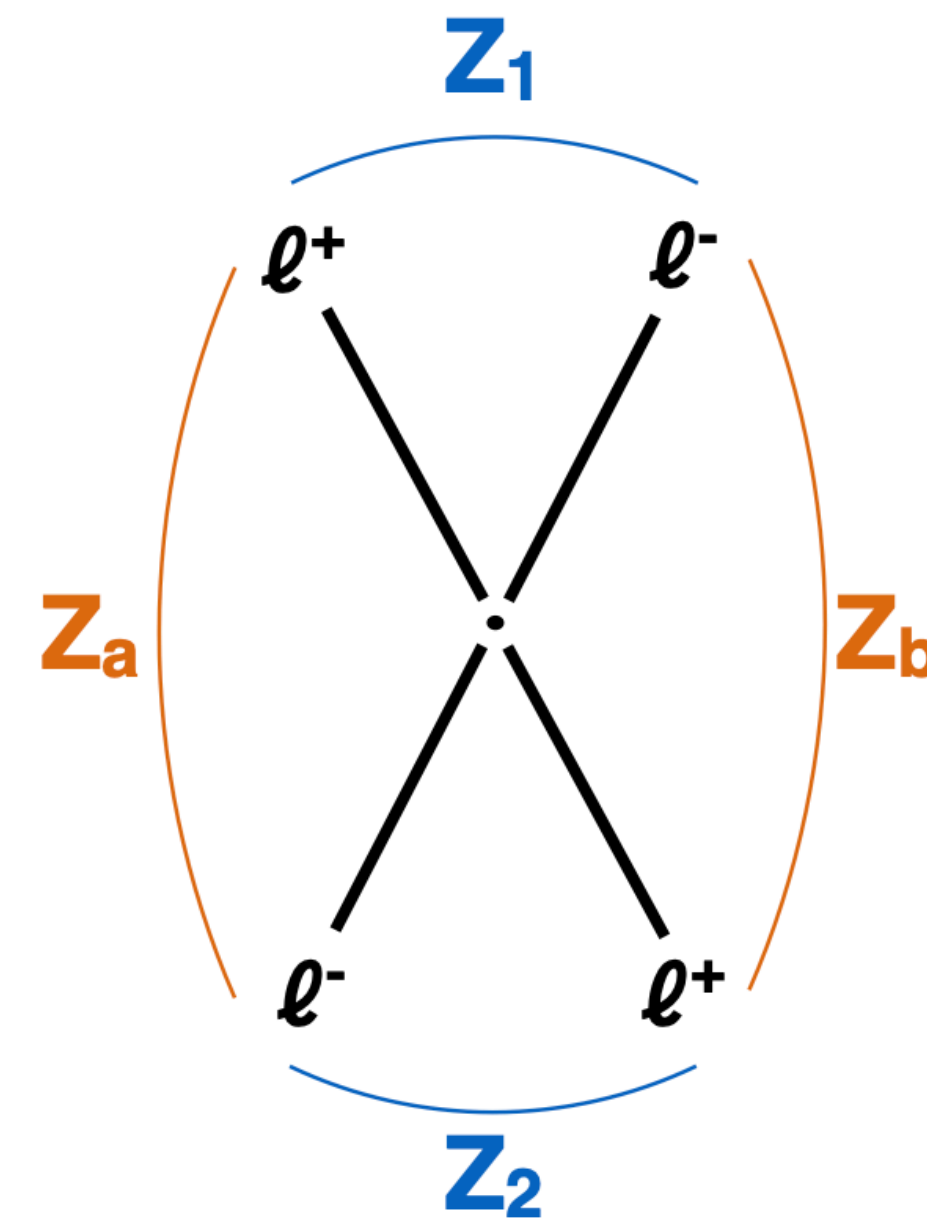
*Z candidate

- Any OS-SF pair that satisfies $12 < m_{ll(\gamma)} < 120$ GeV

*Build all possible ZZ candidates defined as pairs of non-overlapping Z candidate;

define Z_1 candidate with $m_{ll(\gamma)}$ closest to the PDG $m(Z)$ mass

- $m_{Z1} > 40$ GeV; $P_T(l1) > 20$ GeV; $P_T(l2) > 10$ GeV
- $\Delta R > 0.02$ between each of the four leptons
- $m_{ll} > 4$ GeV for OS pairs (regardless of flavor)
- Reject 4μ and $4e$ candidates where the alternative pair $Z_a Z_b$ satisfies
$$\left| m_{Za} - m_Z \right| < \left| m_{Z1} - m_Z \right| \text{ and } m_{Zb} < 12 \text{ GeV}$$
- $m_{4l} > 70$ GeV



*If more than one ZZ candidate is left, take the one with Z_1 mass closest to m_Z and the Z_2 from the candidates whose lepton give higher pT sum.

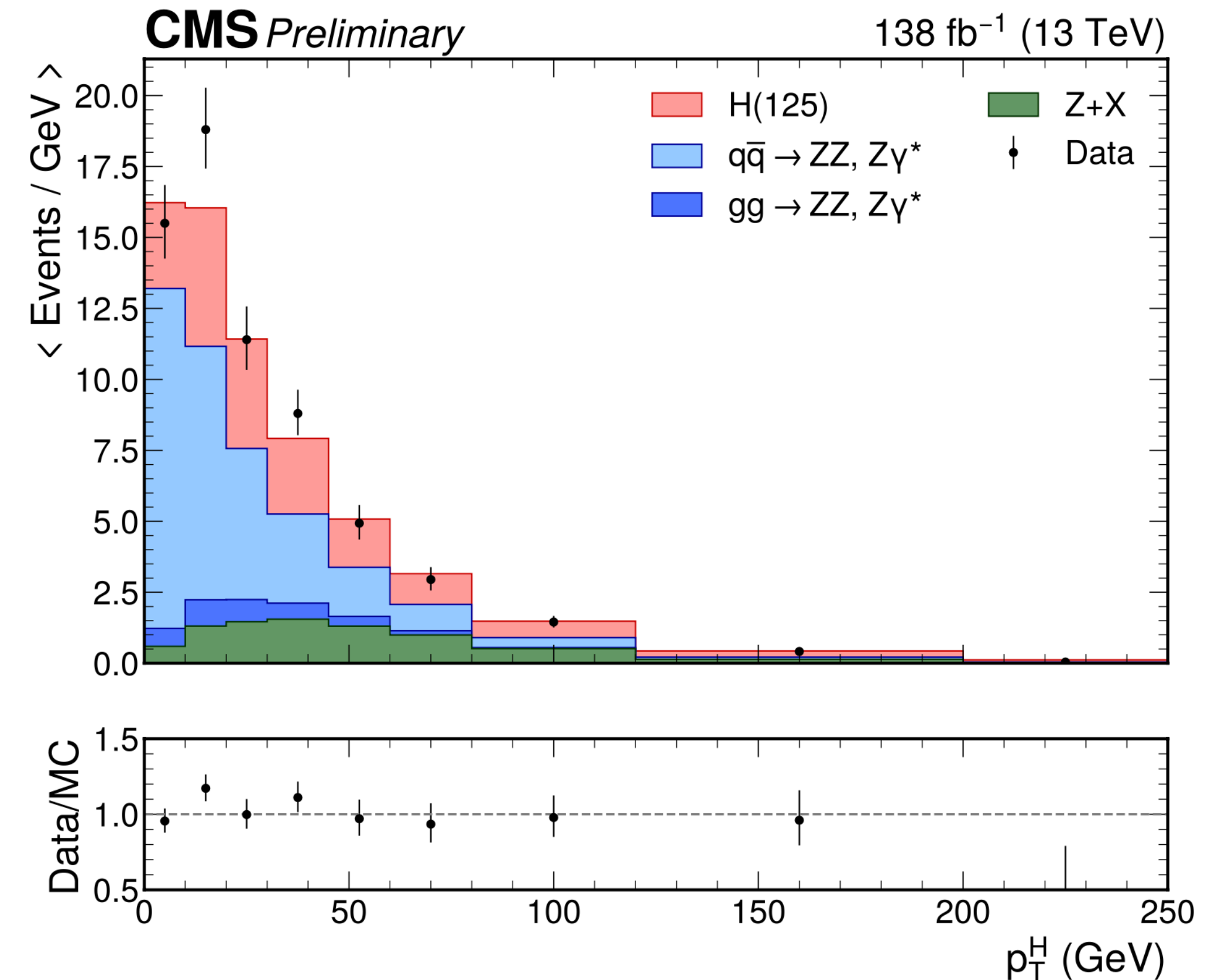
Background Estimation

*Irreducible background

- Production of ZZ via $q\bar{q}$ annihilation or gluon fusion
- Estimated using simulation

*Reducible background

- Light flavor hadrons misidentified as leptons
- Heavy flavor jets produce secondary leptons through the decay of heavy flavor mesons
- Two independent methods used to estimate Z+X background:
OS and SS
 - Fake rates calculated in Z+l control region
 - Z+X yields estimated in orthogonal regions of Z+ll control region
 - Final estimate combination of 2 methods
- Templates are built from the control regions in data



EPJC81(2021)488

Systematic Uncertainties

*Experimental uncertainties

- Integrated luminosity
- Lepton identification and reconstruction efficiency → →
- Reducible background
- Lepton scale and resolution
- Jet energy scale

*Theoretical uncertainties

- QCD uncertainty** from renormalization and factorization scale
- Uncertainty on the Choice of **PDF set** is determined following the PDF4LHC recommendations
- Uncertainty of 2% on $H \rightarrow 4l$ **branching ratio** affects only signal yields

The uncertainties of lepton reconstruction and selection range for

- 4μ channel 0.8 - 1.9%
- $4e$ channel 6.5 - 11%

A reduction of about 5% in the $4e$ uncertainties thanks to a dedicated [RMS method](#).

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Summary of inclusive theory uncertainties	
QCD scale (gg)	$\pm 3.9 \%$
PDF set (gg)	$\pm 3.2 \%$
gg $\rightarrow$ ZZ k-factor (gg)	$\pm 10 \%$
QCD scale ($q\bar{q} \rightarrow ZZ$)	+3.2/-4.2 % %
PDF set ($q\bar{q} \rightarrow ZZ$)	+3.1/-3.4 %
Electroweak corrections ($q\bar{q} \rightarrow ZZ$)	$\pm 0.1 \%$
QCD scale (VBF)	+0.4/-0.3 %
PDF set (VBF)	$\pm 2.1 \%$
QCD scale (WH)	+0.5/-0.7 %
PDF set (WH)	$\pm 1.9 \%$
QCD scale (ZH)	+3.8/-3.1 %
PDF set (ZH)	$\pm 1.6 \%$
QCD scale (t $\bar{t}$ H)	+5.8/-9.2 %
PDF set (t $\bar{t}$ H)	$\pm 3.6 \%$
BR(H $\rightarrow$ ZZ $\rightarrow$ 4 ℓ)	2 %

	Common experimental uncertainties		
	2016	2017	2018
Luminosity uncorrelated	1 %	2 %	1.5 %
Luminosity corr 16 17 18	0.6 %	0.9 %	2 %
Luminosity corr 17 18	-	0.6 %	0.2 %
Lepton id/reco efficiencies	0.7–10 %	0.6 – 8.5 %	0.6 – 9.5 %
	Background related uncertainties		
	25 – 43 %	23 – 36 %	24 –36 %
	Signal related uncertainties		
	0.01%(μ) - 0.06%(e)	0.01%(μ) - 0.06%(e)	0.01%(μ) - 0.06%(e)
Lepton energy resolution	3%(μ) - 10%(e)	3%(μ) - 10%(e)	3%(μ) - 10%(e)

- * Definition of the fiducial phase space of $H \rightarrow ZZ \rightarrow 4l$
- * Number of events of different final state f and different year y in the given bin i are expressed as a function of 4l invariable mass

$$\sigma_i = \frac{N_{reco,i}}{C_i * A_i * L * B} \rightarrow \rightarrow \sigma_{fid,i} * B = \frac{N_{reco,i}}{C_i * L}$$

$$\begin{aligned} N_{obs}^{f,i,y}(m_{4\ell}) &= N_{fid}^{f,i,y}(m_{4\ell}) + N_{nonfid}^{f,i,y}(m_{4\ell}) + N_{nonres}^{f,i,y}(m_{4\ell}) + N_{bkg}^{f,i,y}(m_{4\ell}) \\ &= \sum_j^{genBin} \epsilon_{i,j,y}^{f,y} \cdot (1 + f_{nonfid}^{f,i,y}) \cdot \sigma_{fid}^{f,j,y} \cdot \mathcal{L} \cdot \mathcal{P}_{res}^{f,y}(m_{4\ell}) \\ &\quad + N_{nonres}^{f,i,y} \cdot \mathcal{P}_{nonres}^{f,y}(m_{4\ell}) + N_{bkg}^{f,i,y} \cdot \mathcal{P}_{bkg}^{f,i,y}(m_{4\ell}) \end{aligned}$$

- * Fiducial + non-fiducial resonances signal contribution:
 - Shape is described by double-sided Crystal Ball function.
 - Normalization is proportional to the fiducial cross section.
- * Non-resonant signal contribution
 - Arises from WH, ZH ttH where one of the leptons from Higgs is lost or not selected.
 - Modeled by Landau distribution
 - Treated as background

Requirements for the $H \rightarrow 4\ell$ fiducial phase space	
Lepton kinematics and isolation	
Leading lepton p_T	$p_T > 20 \text{ GeV}$
Sub-leading lepton p_T	$p_T > 10 \text{ GeV}$
Additional electrons (muons) p_T	$p_T > 7(5) \text{ GeV}$
Pseudorapidity of electrons (muons)	$ \eta < 2.5 (2.4)$
Sum of scalar p_T of all stable particles within $\Delta R < 0.3$ from lepton	$< 0.35 p_T$
Event topology	
Existence of at least two same-flavor OS lepton pairs, where leptons satisfy criteria above	
Inv. mass of the Z_1 candidate	$40 < m_{Z_1} < 120 \text{ GeV}$
Inv. mass of the Z_2 candidate	$12 < m_{Z_2} < 120 \text{ GeV}$
Distance between selected four leptons	$\Delta R(\ell_i, \ell_j) > 0.02$ for any $i \neq j$
Inv. mass of any opposite sign lepton pair	$m_{\ell^+ \ell'^-} > 4 \text{ GeV}$
Inv. mass of the selected four leptons	$105 < m_{4\ell} < 160 \text{ GeV}$

Inclusive fiducial cross section

Differential production observables

p_T^H $|y_H|$ p_T^{j1} N_{jets}
 p_T^{Hj} m_{Hjj} p_T^{j2} T_B^{max} T_C^{max}
 p_T^{Hjj} m_{jj} $|\Delta\eta_{jj}|$ $|\Delta\phi_{jj}|$

Differential decay observables

m_{Z1} m_{Z2} Φ Φ_1
 $\cos(\theta_1)$ $\cos(\theta^*)$ $\cos(\theta_2)$
 D_{0-}^{dec} D_{CP}^{dec} D_{0h+}^{dec} $D_{\Lambda 1}^{dec}$ $D_{\Lambda 1}^{Z\gamma,dec}$ D_{int}^{dec}

Double-differential observables

T_C^{max} vs p_T^H m_{Z1} vs m_{Z2}
 N_{jet} vs p_T^H p_T^H vs p_T^{Hj}
 $|y_H|$ vs p_T^H p_T^{j1} vs p_T^{j2}

Interpretations

k_λ, k_c, k_b

Inclusive fiducial cross section

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p_T^H $|y_H|$ p_T^{j1} N_{jets}
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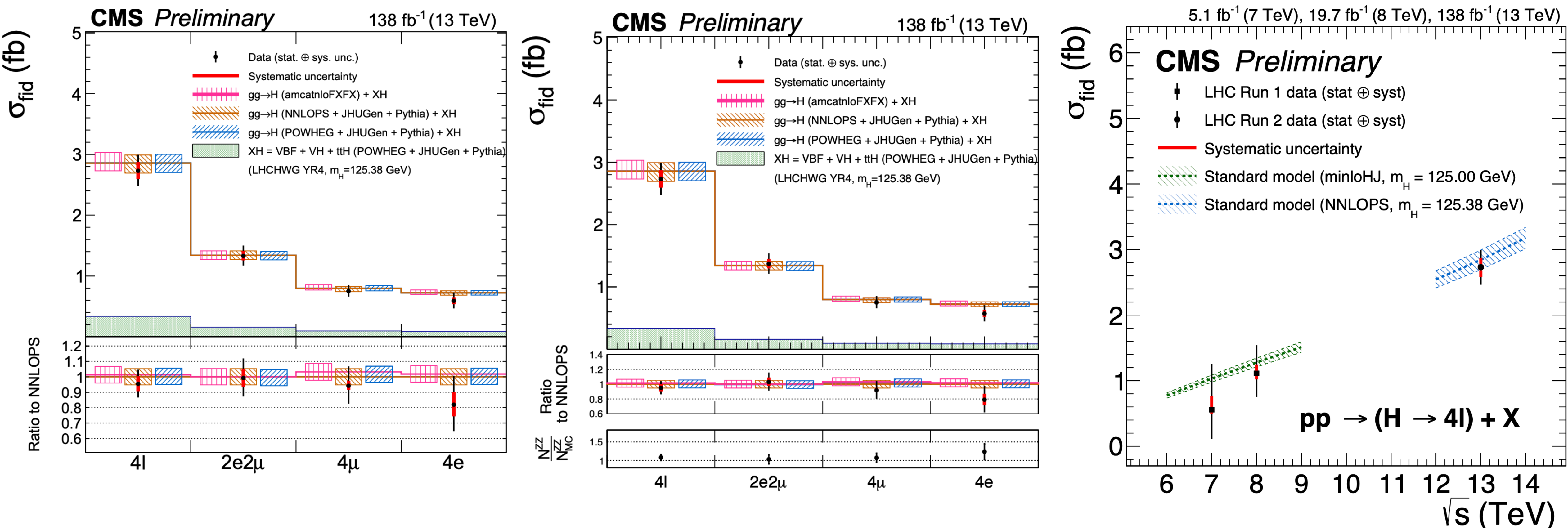
Double-differential observables

T_C^{max} vs p_T^H m_{Z1} vs m_{Z2}
 N_{jet} vs p_T^H p_T^H vs p_T^{Hj}
 $|y_H|$ vs p_T^H p_T^{j1} vs p_T^{j2}

Interpretations

k_λ, k_c, k_b

Results: Inclusive

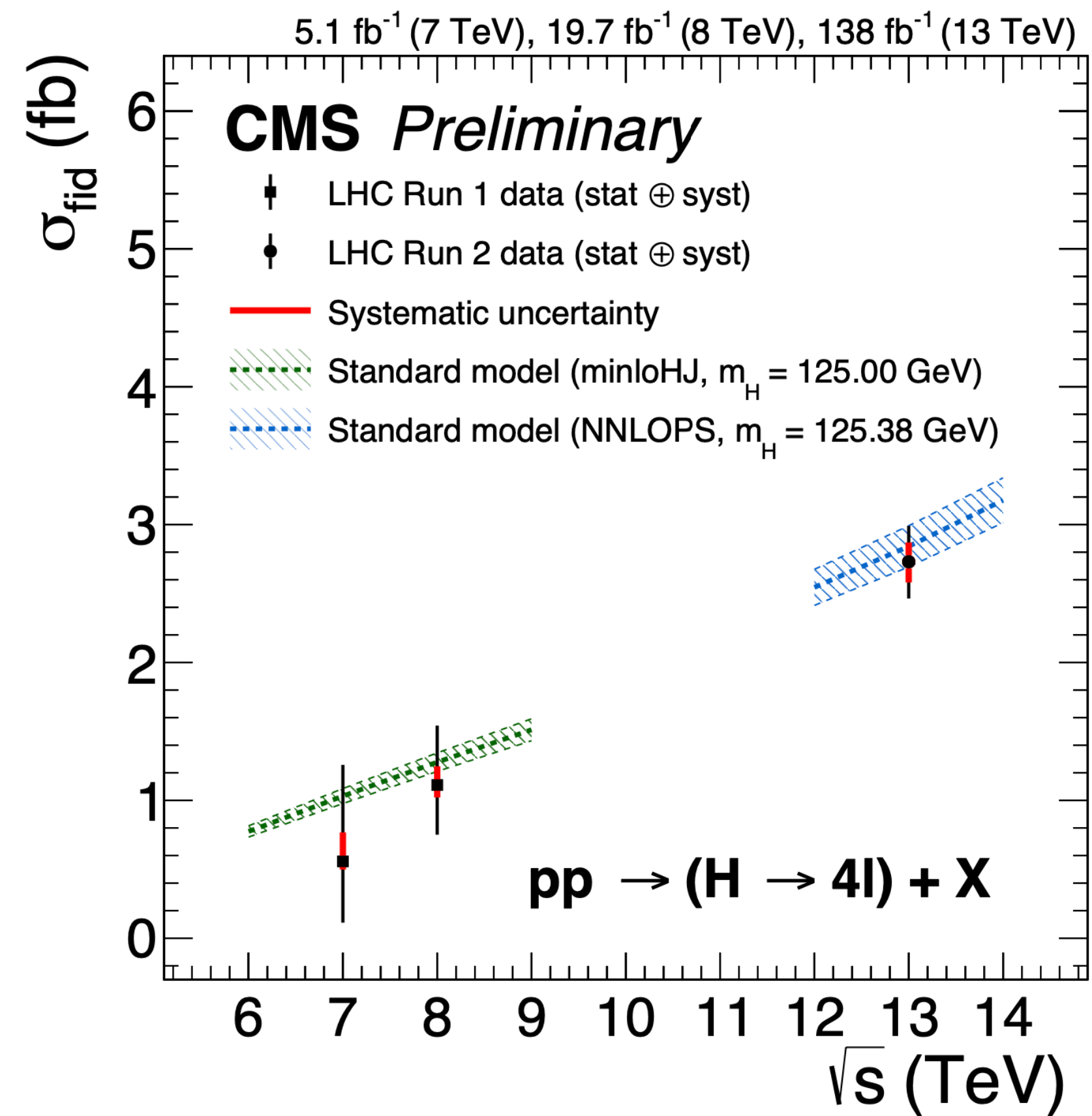
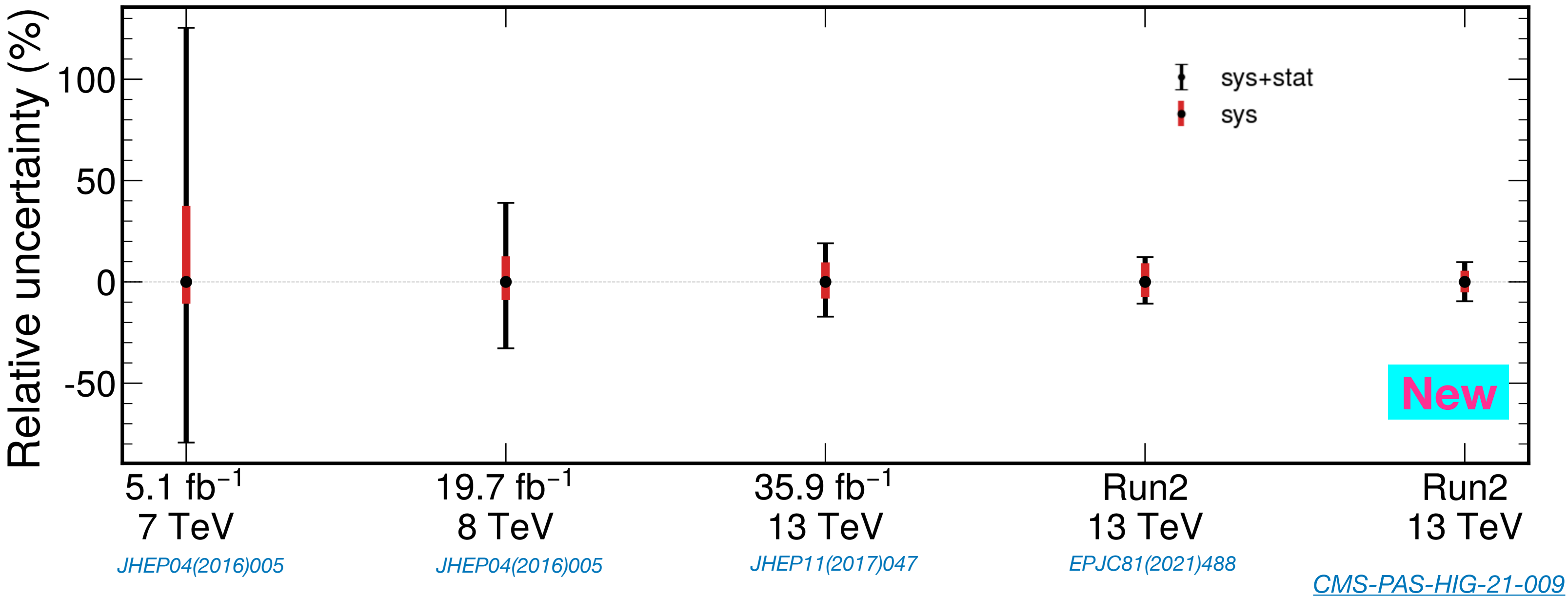


* Standard approach (left): extract both the shape and the normalisation of the ZZ irreducible background from the simulation

* **Alternative strategy (middle): Measuring together the inclusive fiducial cross section and the ZZ normalisation**

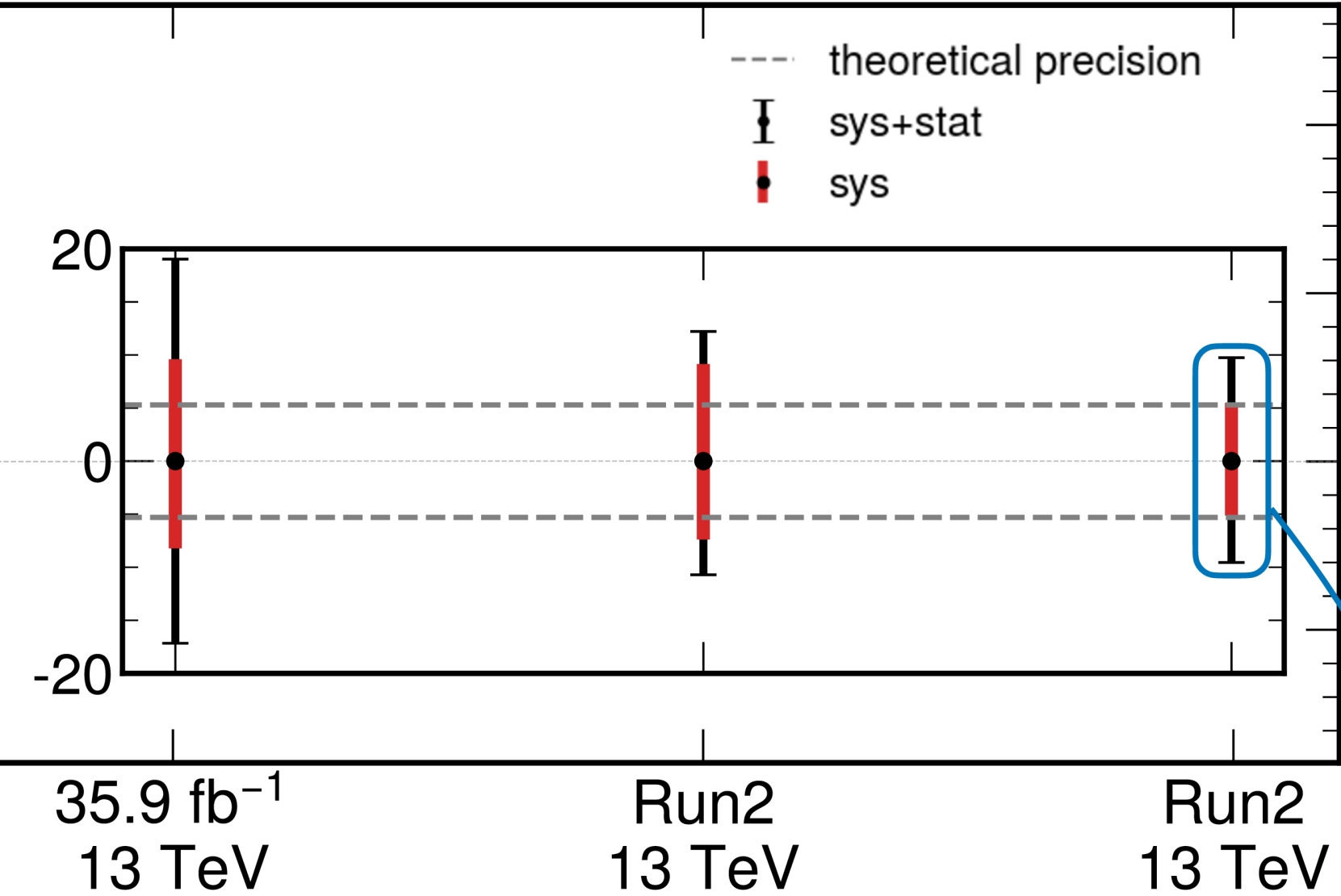
- Remove the impact of nuisances on ZZ normalisation
- Being sensitive to BSM effects in the background
- Reduction of the systematic component on the XS wrt standard approach, but not yet enough number of events to profit from this method for **differential** measurements

Results: Inclusive (all channels)

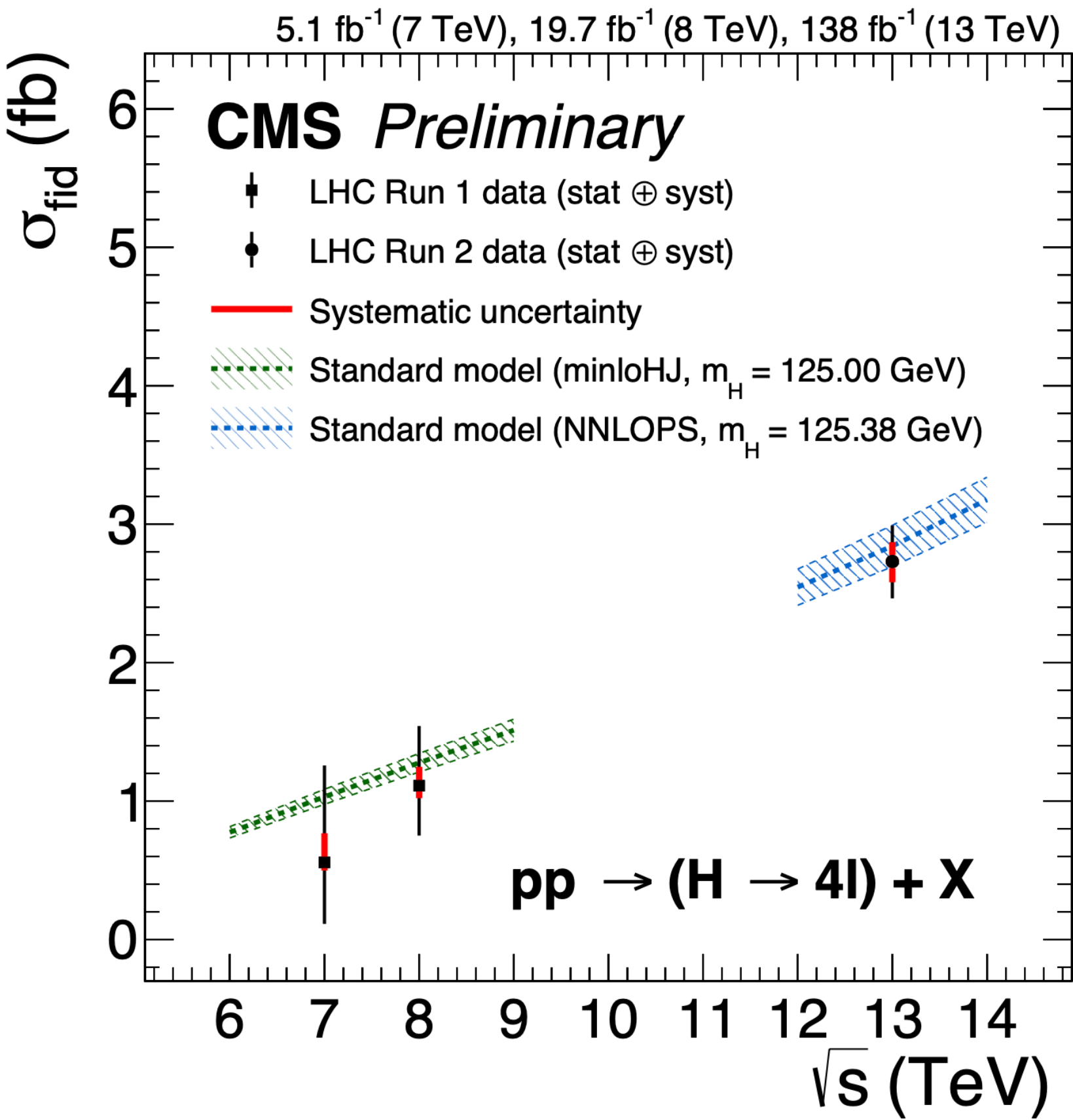


Results: Inclusive (all channels)

- Precision @ **10%**
- **40% decrease of the systematic component** due to the reduction of the main lepton nuisances
- **Electron-related nuisances** are the leading contribution to the systematic uncertainty but their value is halved
- **Systematic component** at the same level of the theoretical precision



$$\sigma^{\text{fid}} = 2.73^{+0.22}_{-0.22} (\text{stat})^{+0.15}_{-0.14} (\text{sys}) = 2.73^{+0.22}_{-0.22} (\text{stat})^{+0.12}_{-0.12} (\text{ele})^{+0.06}_{-0.05} (\text{lumi})^{+0.04}_{-0.04} (\text{bkg})^{+0.03}_{-0.03} (\text{muons})$$



Inclusive fiducial cross section

Differential production observables

$$\begin{array}{ccccc} p_T^H & |y_H| & p_T^{j1} & N_{jets} & \\ p_T^{Hj} & m_{Hjj} & p_T^{j2} & T_B^{max} & T_C^{max} \\ p_T^{Hjj} & m_{jj} & |\Delta\eta_{jj}| & |\Delta\phi_{jj}| & \end{array}$$

Differential decay observables

$$\begin{array}{cccccc} m_{Z1} & m_{Z2} & \Phi & \Phi_1 & & \\ \cos(\theta_1) & & \cos(\theta^*) & & \cos(\theta_2) & \\ D_{0-}^{dec} & D_{CP}^{dec} & D_{0h+}^{dec} & D_{\Lambda 1}^{dec} & D_{\Lambda 1}^{Z\gamma,dec} & D_{int}^{dec} \end{array}$$

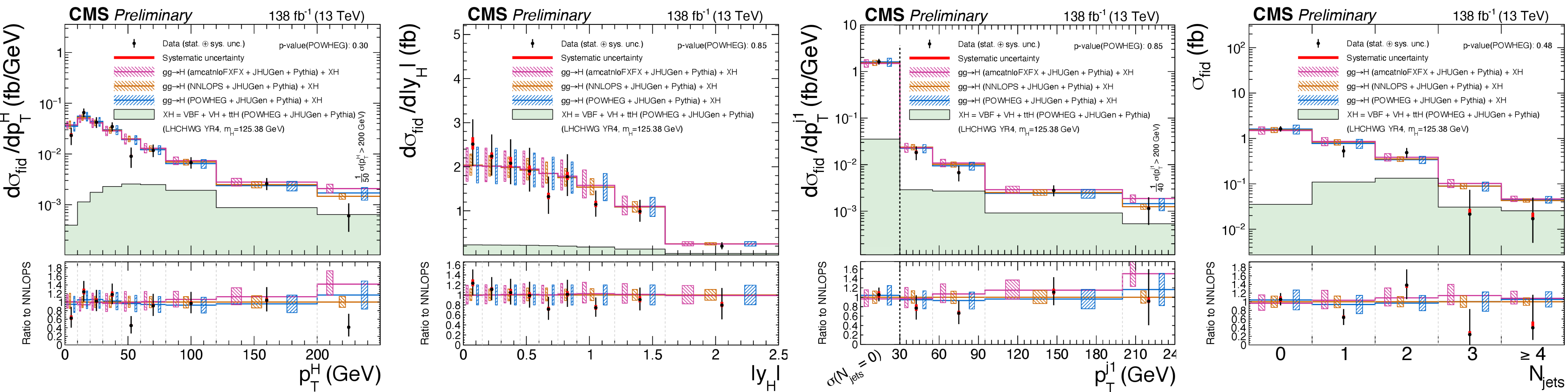
Double-differential observables

$$\begin{array}{ll} T_C^{max} \text{ vs } p_T^H & m_{Z1} \text{ vs } m_{Z2} \\ N_{jet} \text{ vs } p_T^H & p_T^H \text{ vs } p_T^{Hj} \\ |y_H| \text{ vs } p_T^H & p_T^{j1} \text{ vs } p_T^{j2} \end{array}$$

Interpretations

$$k_\lambda, k_c, k_b$$

Results: Differential



* **Revised binning** w.r.t previous analyses

* $p_T(H)$ spectrum measured with an average precision of **35%** (in some bins down to 20%)

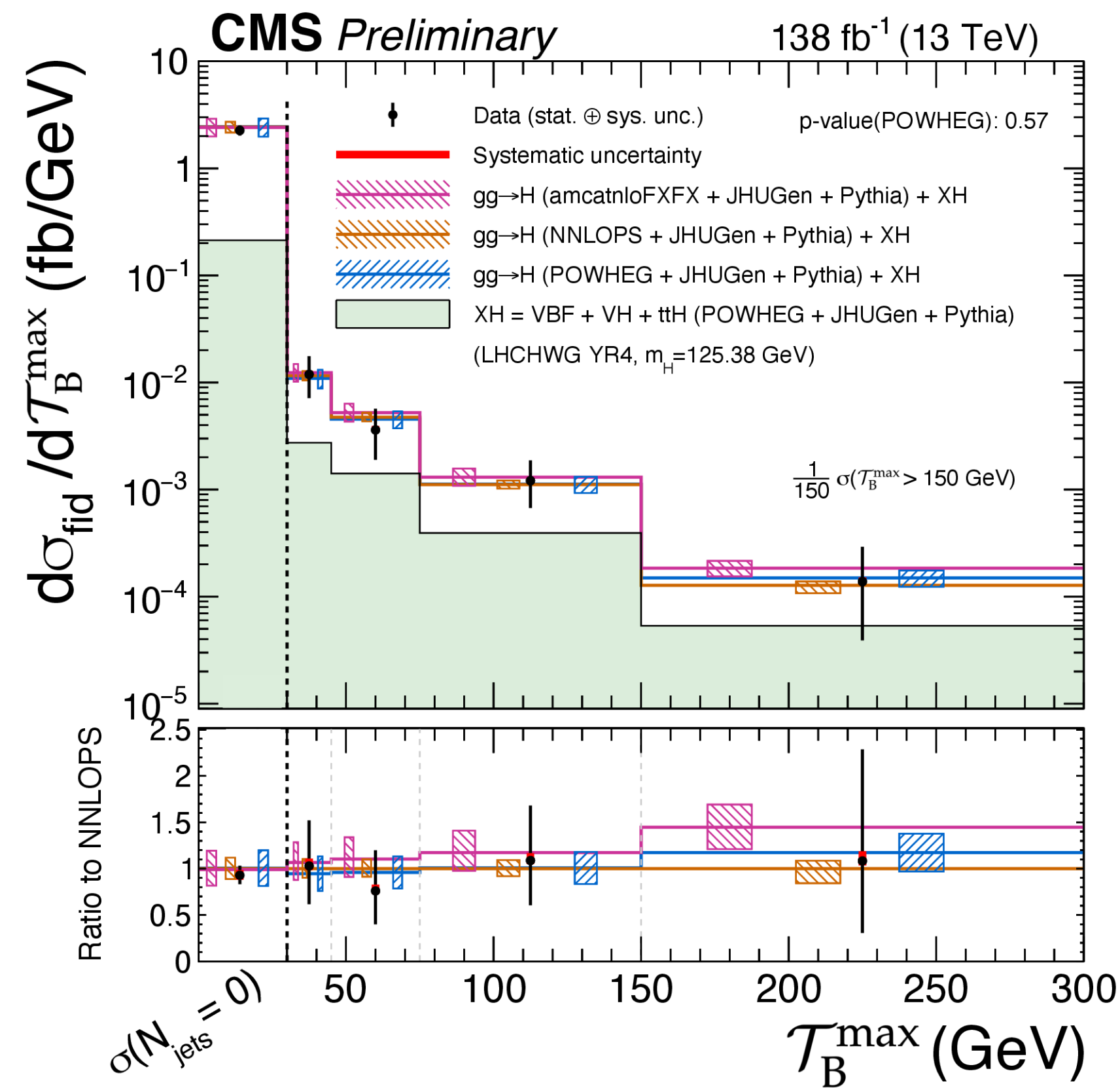
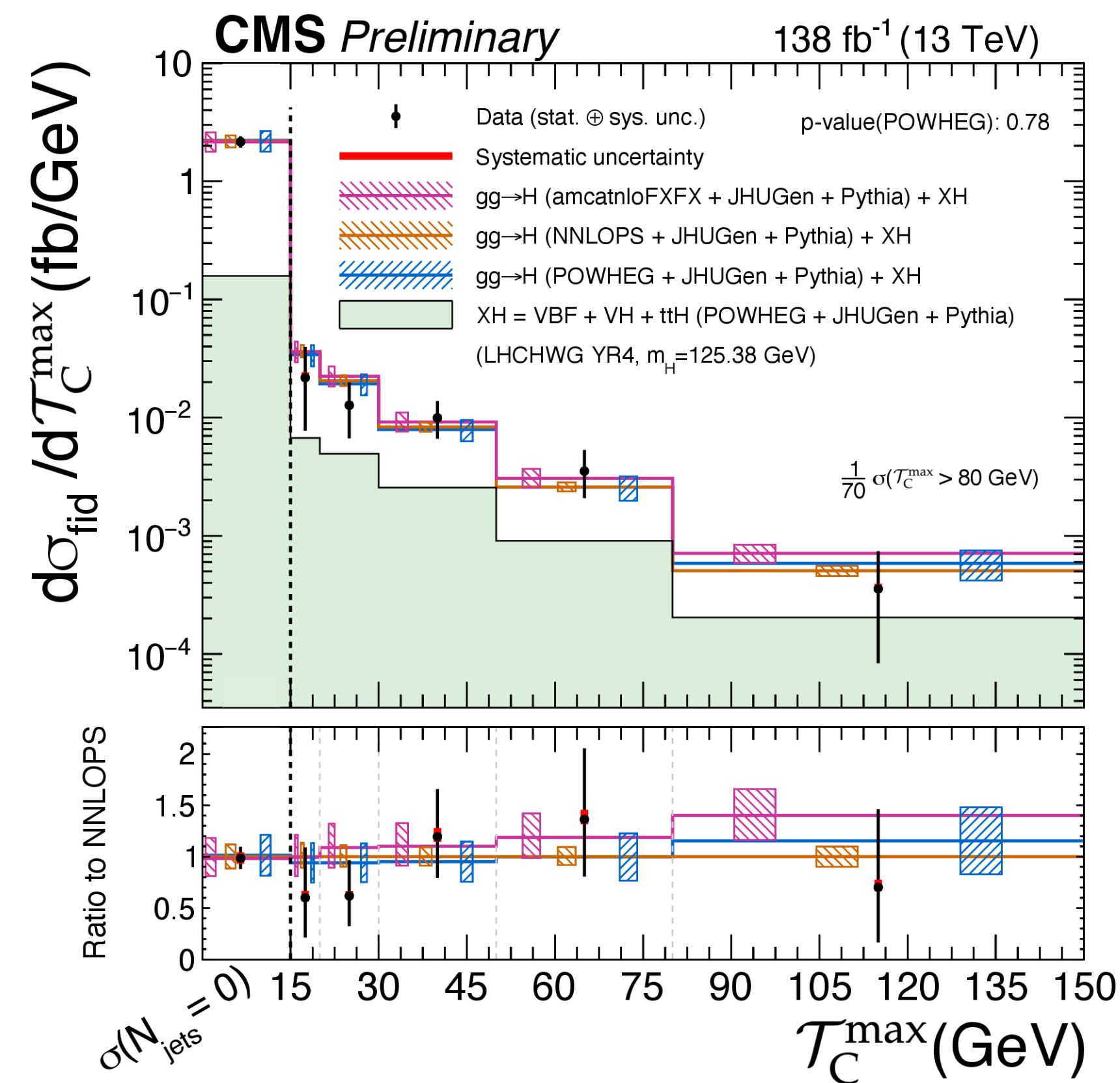
* **Extension of the jet phase space** (from $|\eta_{jet}| < 2.5$ to $|\eta_{jet}| < 4.7$); thanks to the improved CMS jet reconstruction

Results: Differential- Rapidity-weighted jet observables

Observables defined as the **transverse momentum of the jet weighed by a function of its rapidity**. They can be factorised and re-summed allowing for **precise theory predictions** and can be used as a test of **QCD resummation** since their resummation structure is different from $p_T(\text{jet})$.

$$\mathcal{T}_C^j = \frac{m_T^j}{2 \cosh(y_j - Y_H)}$$

$$\mathcal{T}_B^j = m_T^j e^{-|y_j - Y_H|}$$

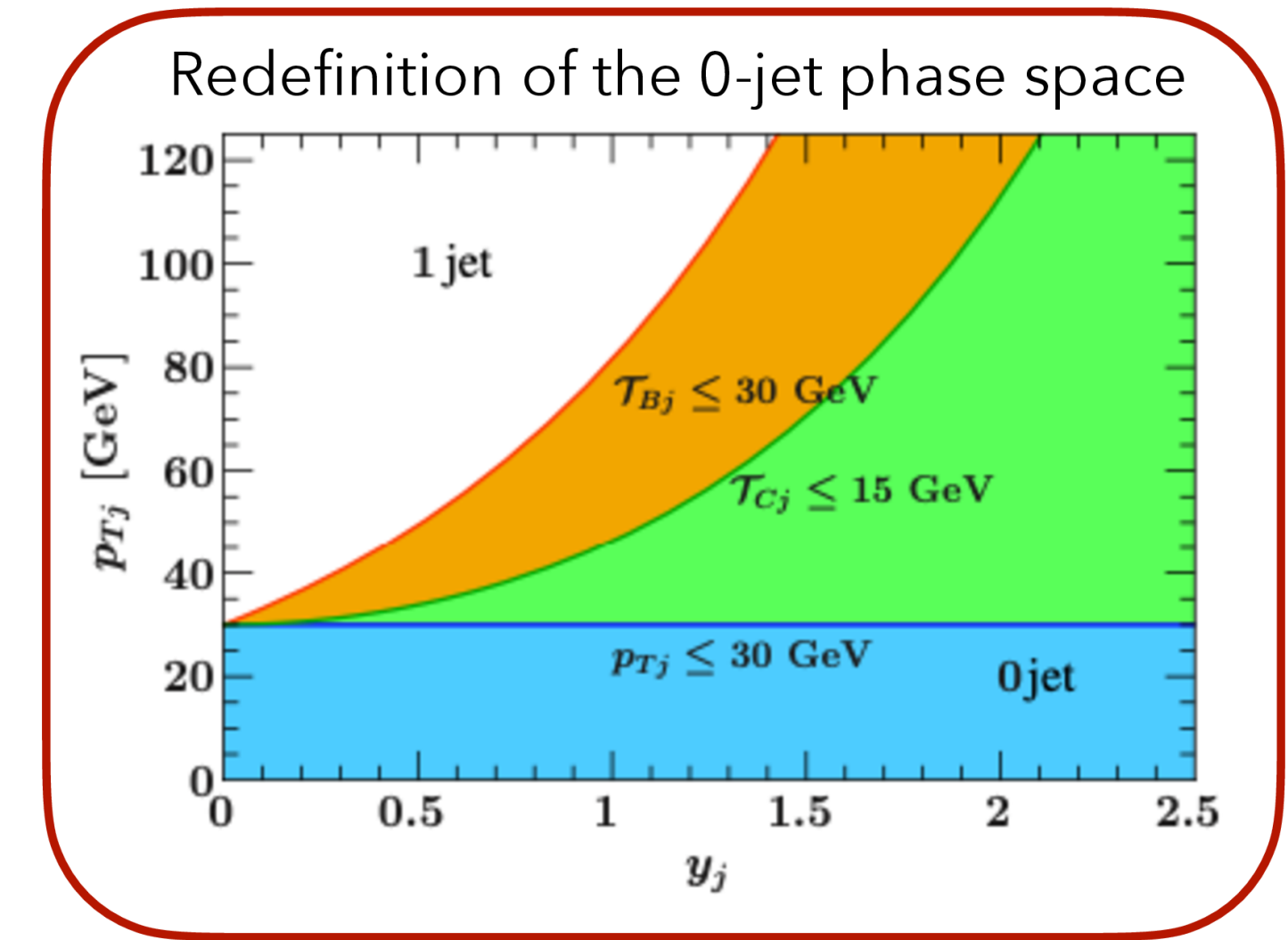
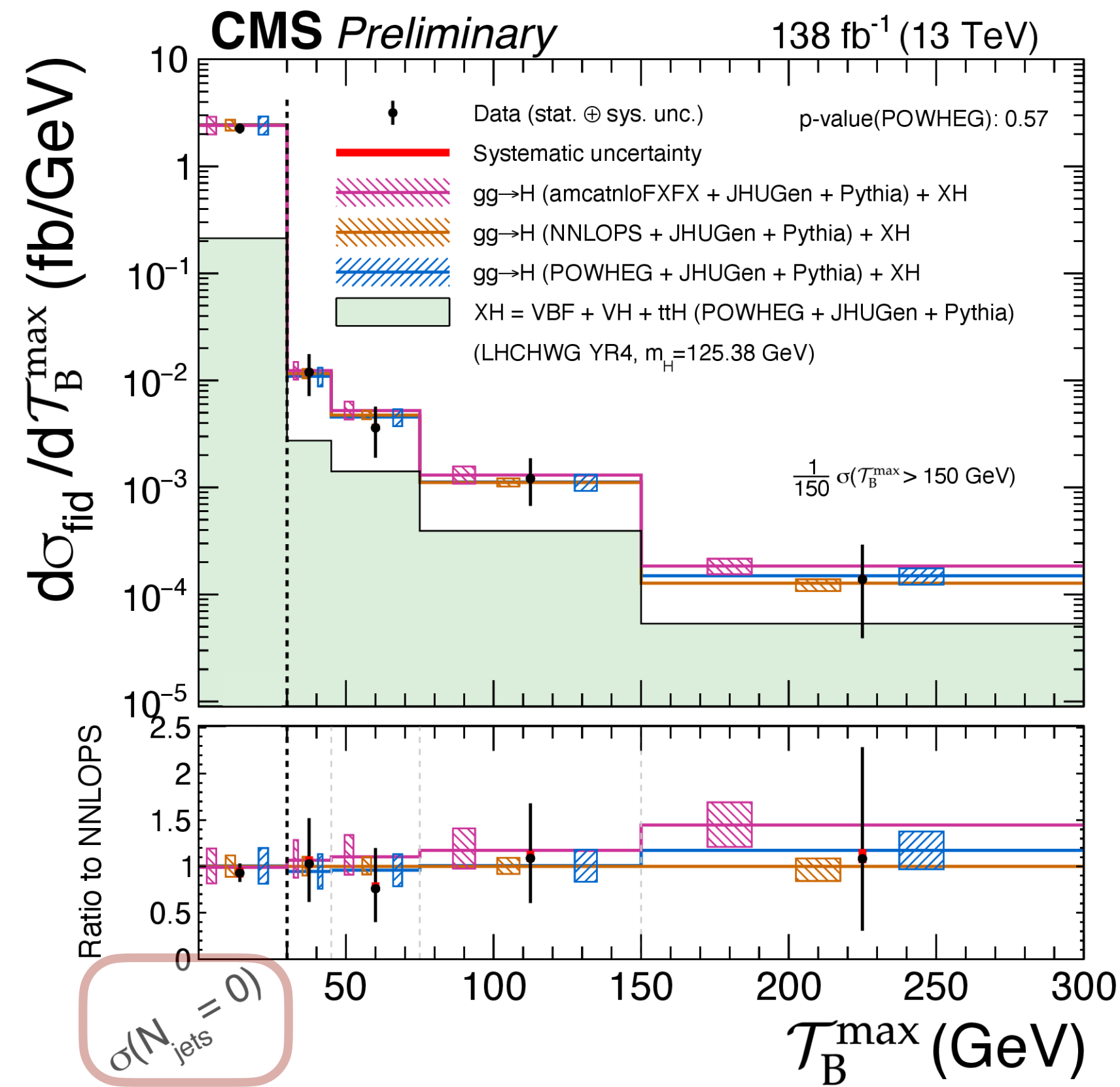
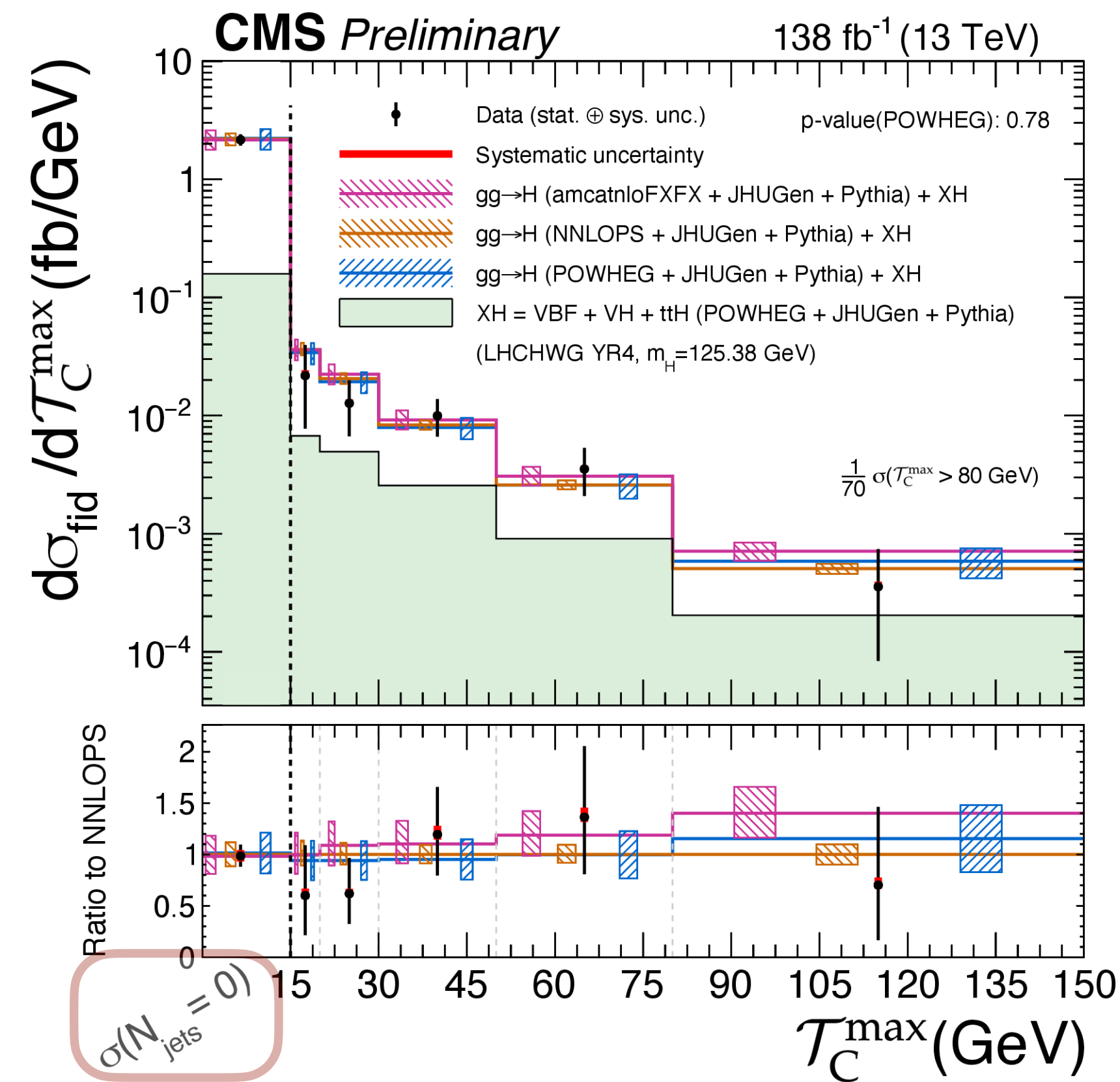


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Inclusive fiducial cross section

Differential production observables

p_T^H $|y_H|$ p_T^{j1} N_{jets}
 p_T^{Hj} m_{Hjj} p_T^{j2} T_B^{max} T_C^{max}
 p_T^{Hjj} m_{jj} $|\Delta\eta_{jj}|$ $|\Delta\phi_{jj}|$

Differential decay observables

m_{Z1} m_{Z2} Φ Φ_1
 $\cos(\theta_1)$ $\cos(\theta^*)$ $\cos(\theta_2)$
 D_{0-}^{dec} D_{CP}^{dec} D_{0h+}^{dec} $D_{\Lambda1}^{dec}$ $D_{\Lambda1}^{Z\gamma,dec}$ D_{int}^{dec}

Double-differential observables

T_C^{max} vs p_T^H m_{Z1} vs m_{Z2}
 N_{jet} vs p_T^H p_T^H vs p_T^{Hj}
 $|y_H|$ vs p_T^H p_T^{j1} vs p_T^{j2}

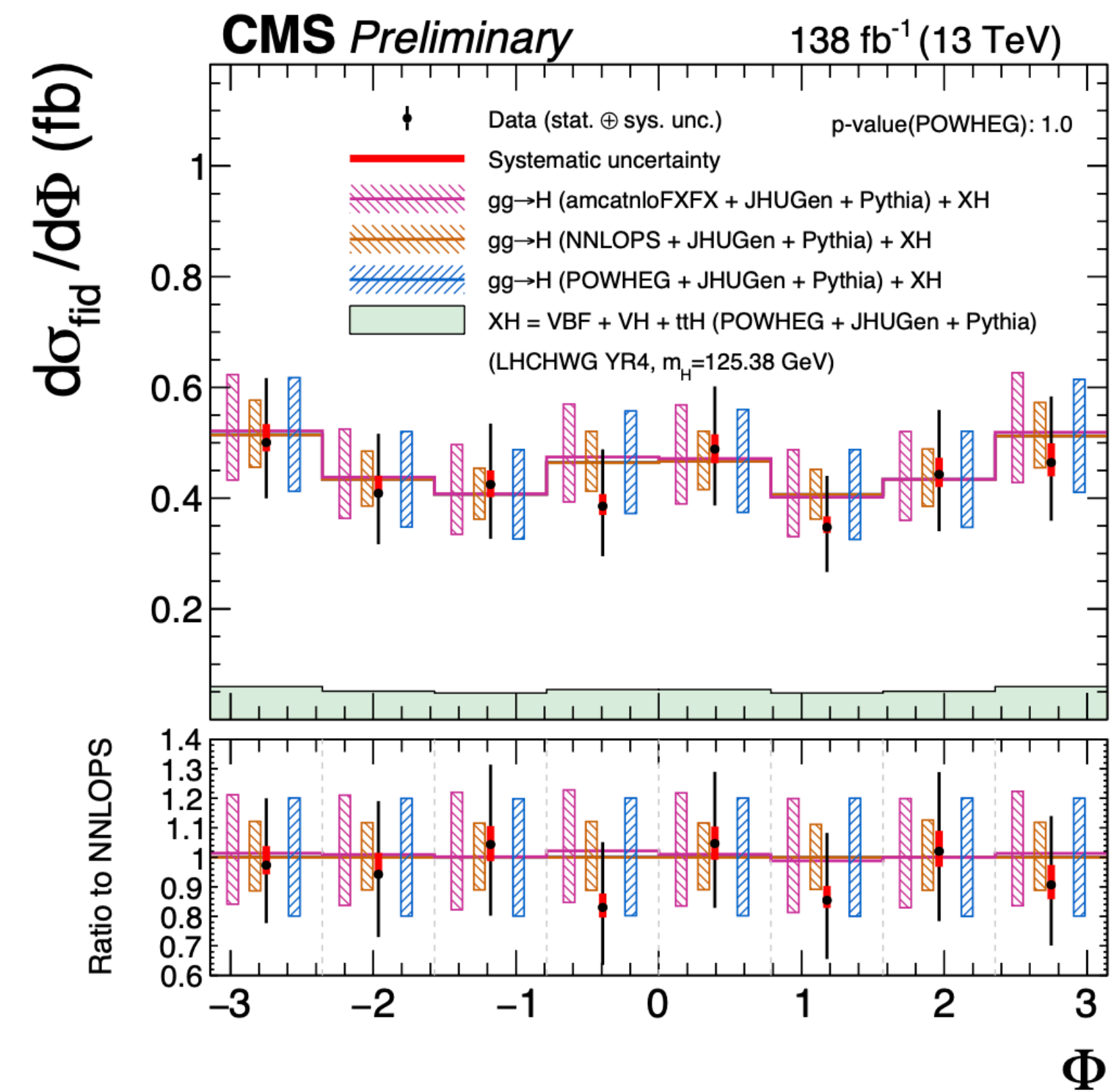
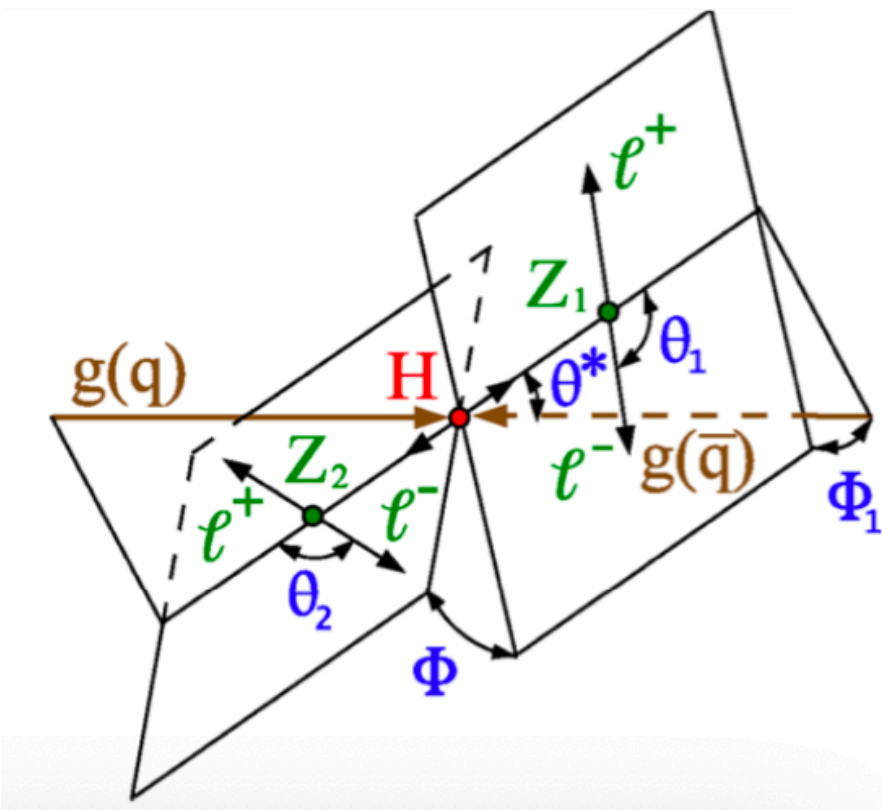
Interpretations

k_λ, k_c, k_b

Results: Differential- Decay observables

The kinematics of the decay of the H boson in 4 leptons is fully described by the Higgs boson's mass and 7 parameters:

- *The two **Z masses** (**Z1** and **Z2**)
- ***Three angles** describing the **fermion kinematics** (Φ , $\cos \theta_2$, $\cos \theta_1$)
- ***Two angles** connecting **production to decay** (Φ_1 , $\cos \theta^*$)



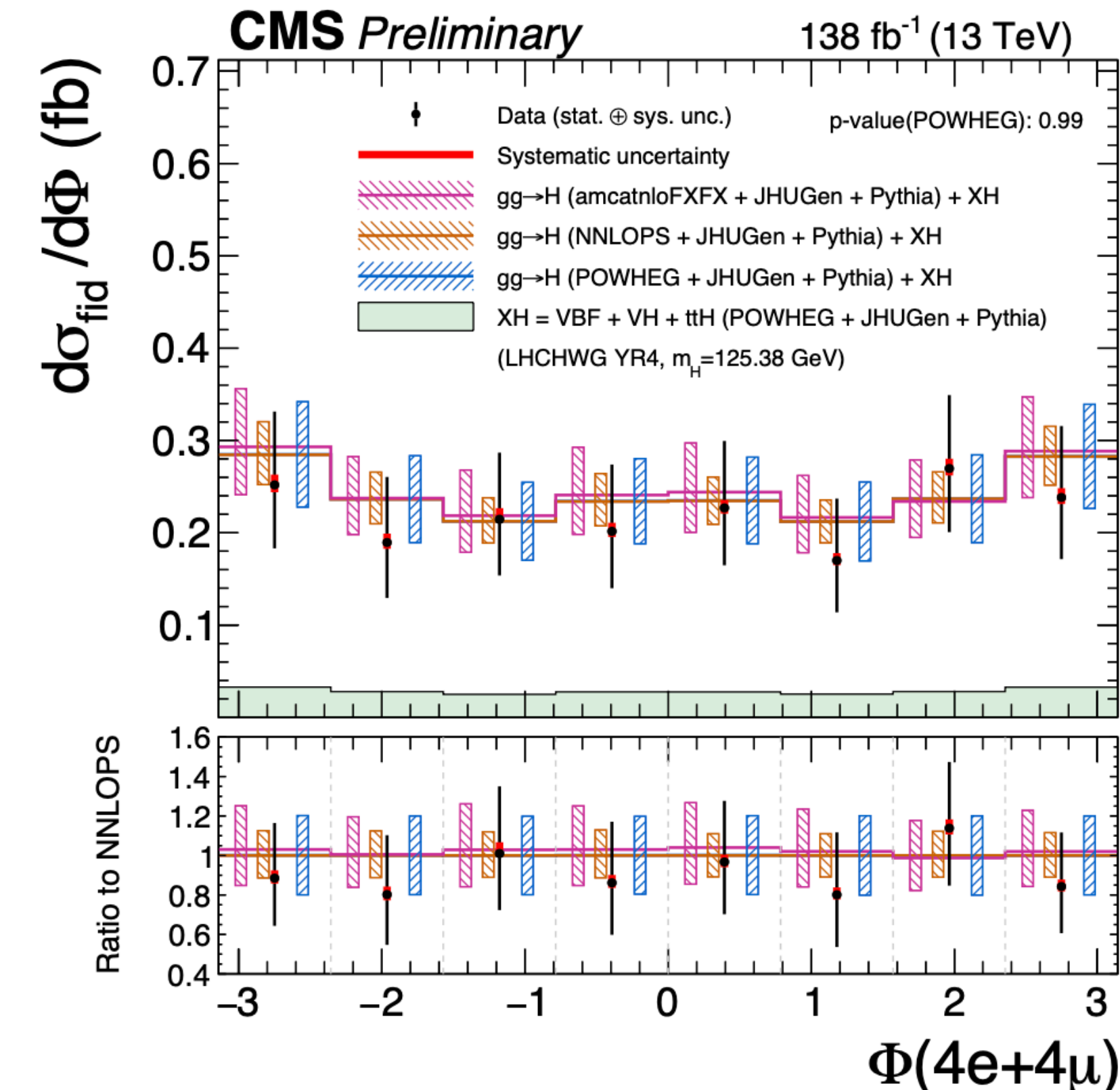
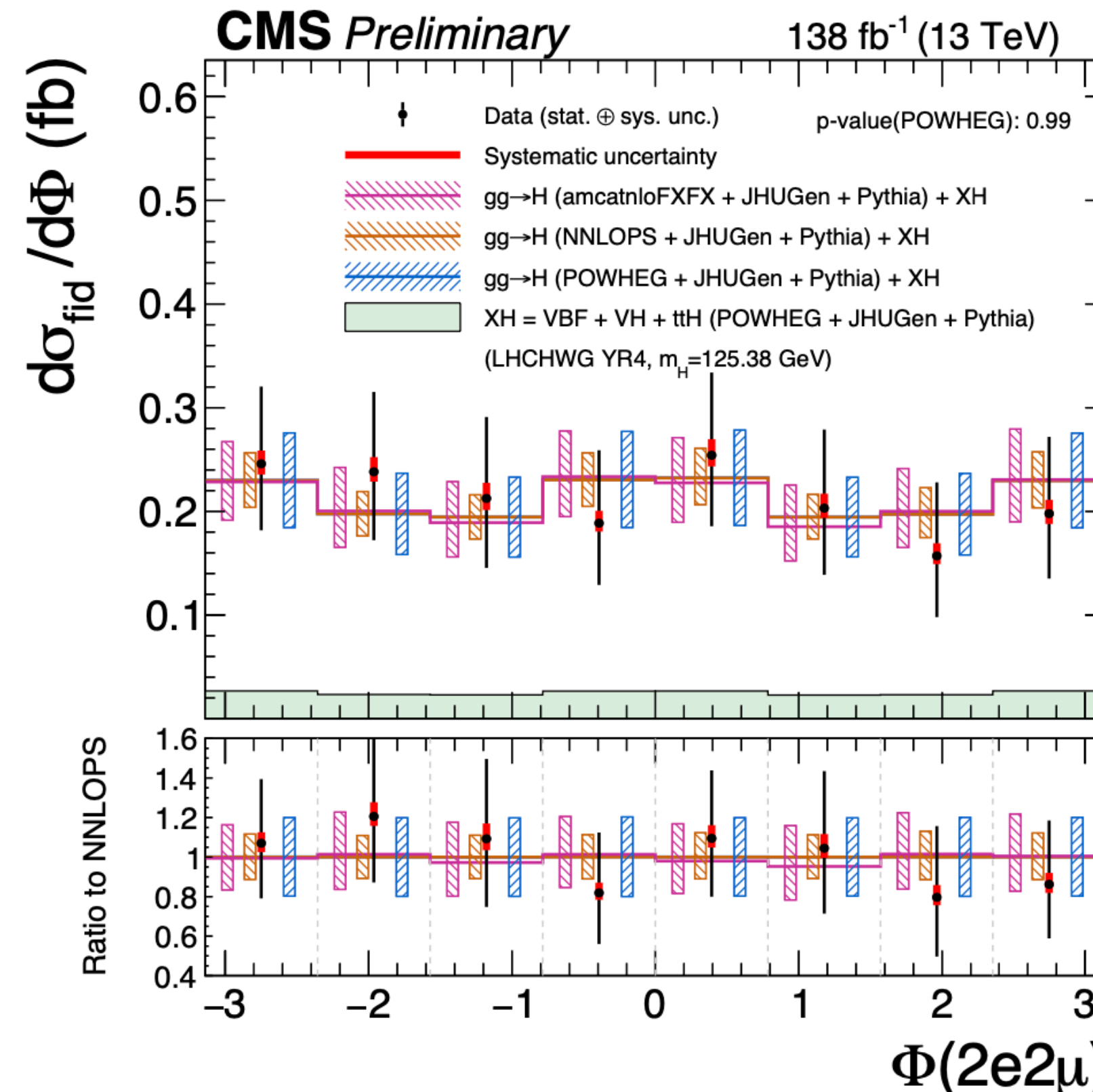
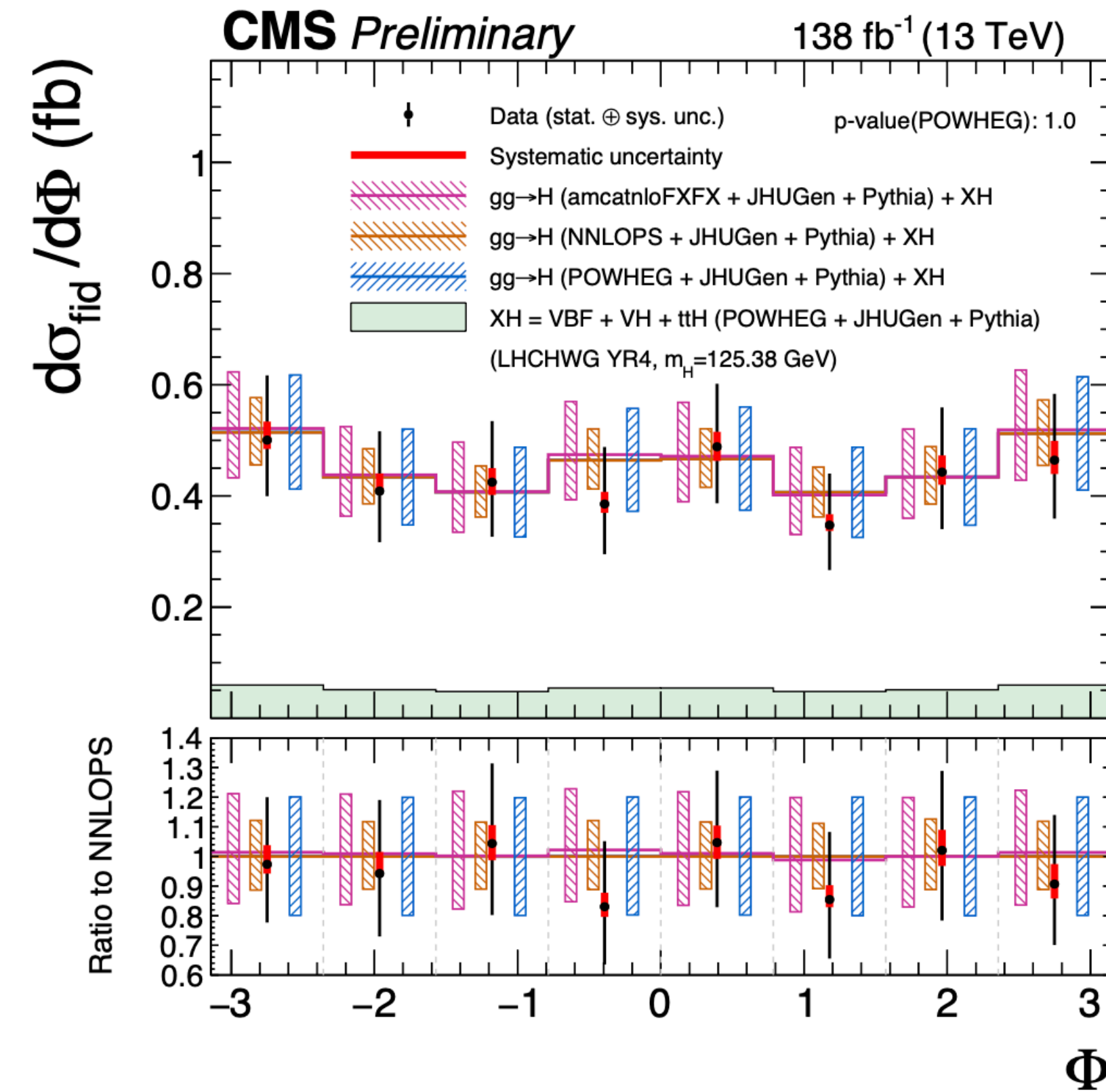
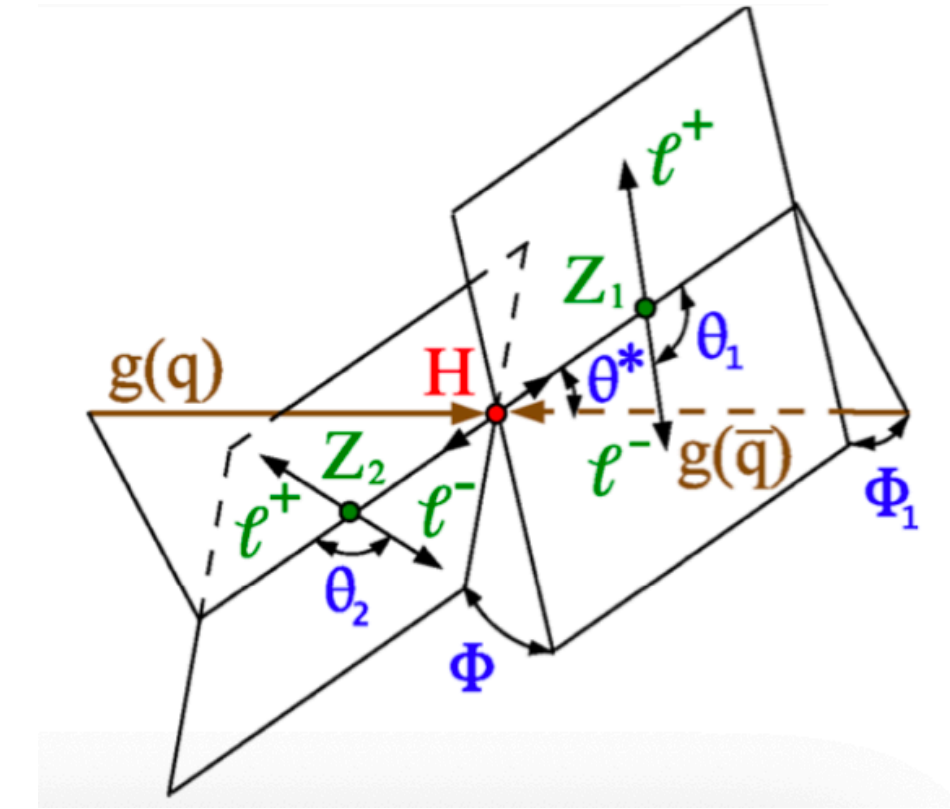
Results for decay observables are presented in **2e2mu** and **4e+4mu** final states as well.

The **same-flavour lepton interference** makes the shapes in 2e2mu and 4e/4mu final states different

Results: Differential- Decay observables

The kinematics of the decay of the H boson in 4 leptons is fully described by the Higgs boson's mass and 7 parameters:

- * The two **Z** masses (**Z1** and **Z2**)
- * **Three angles** describing the **fermion kinematics** (Φ , $\cos \theta_2$, $\cos \theta_1$)
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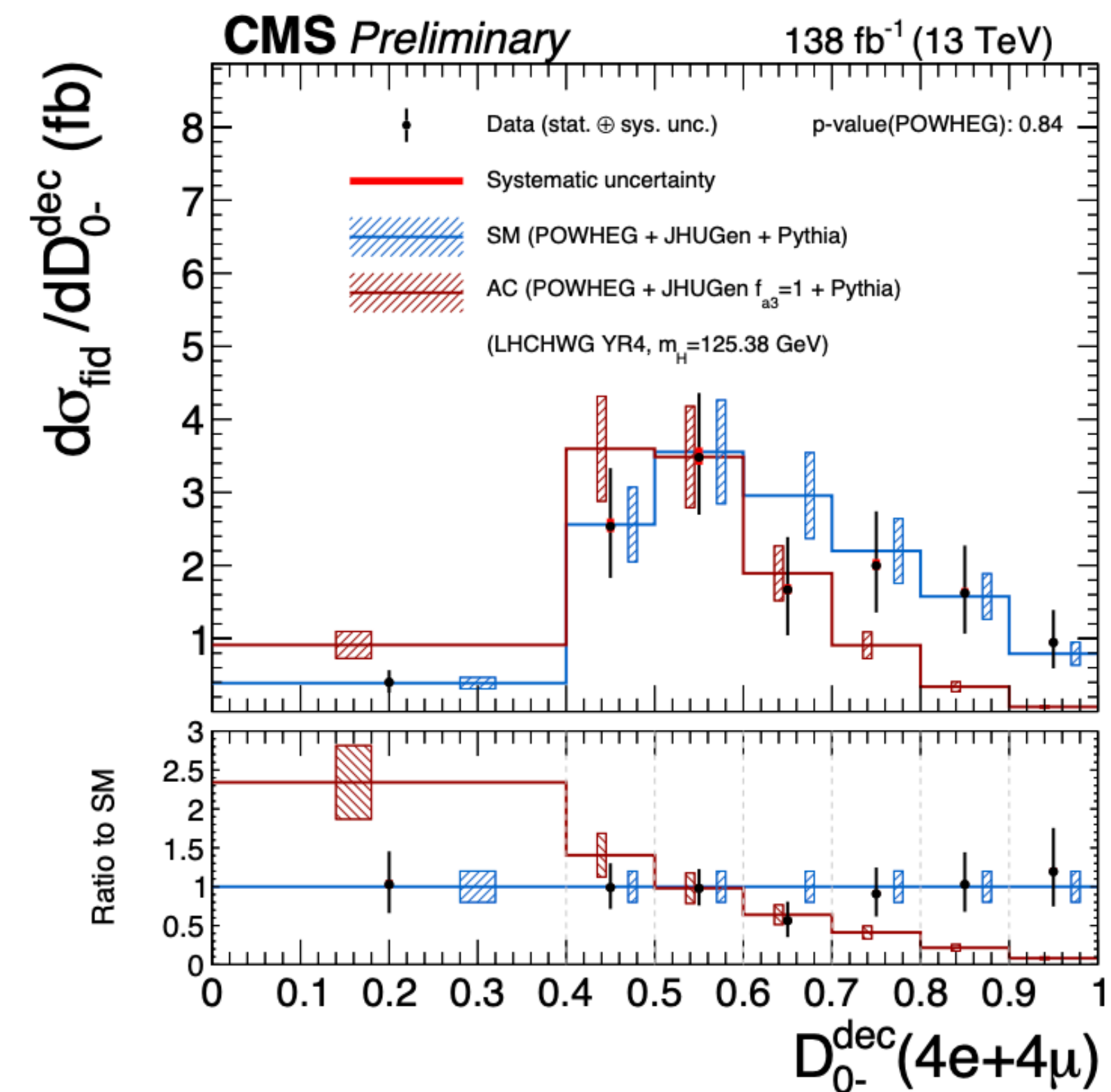
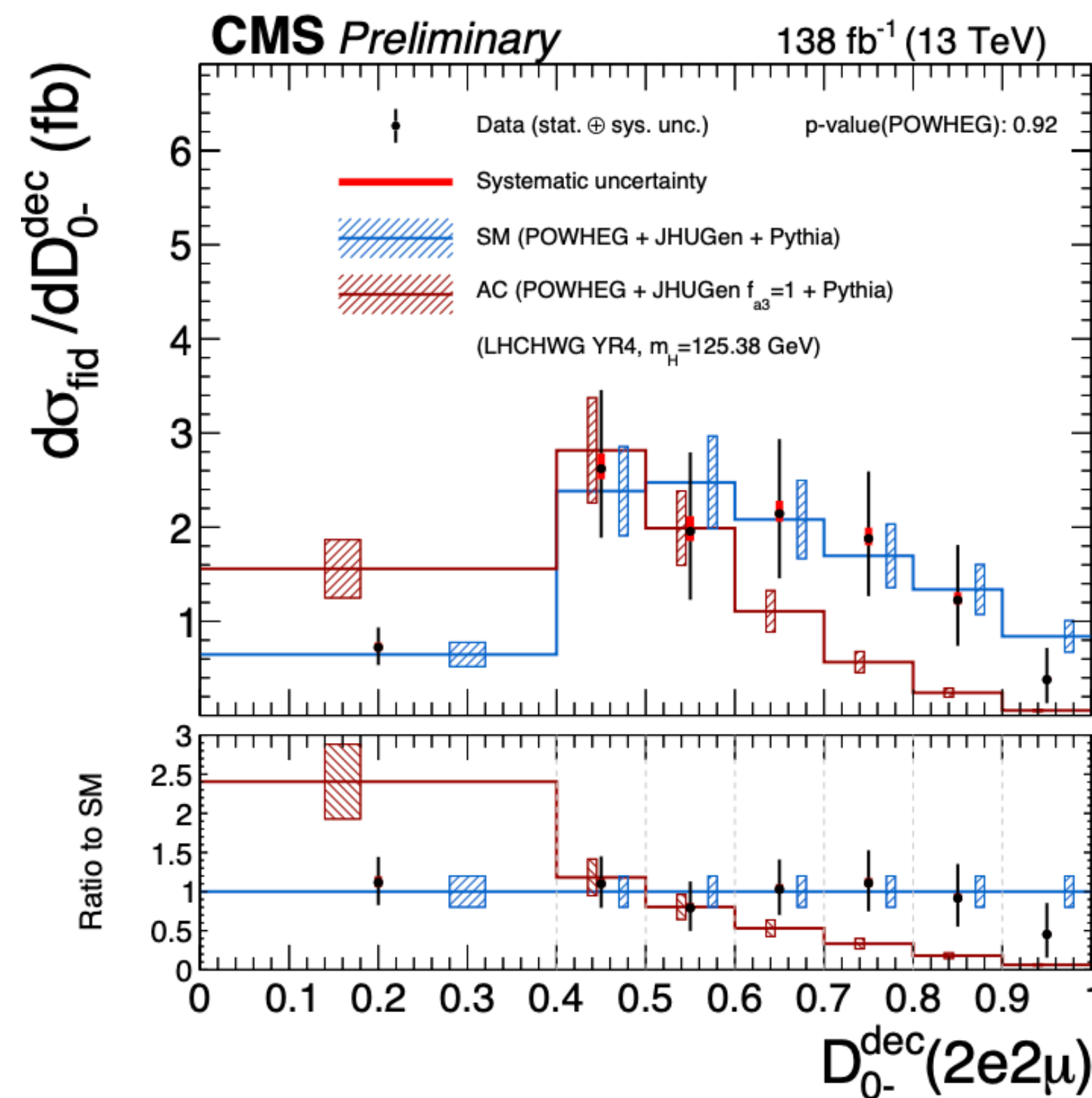
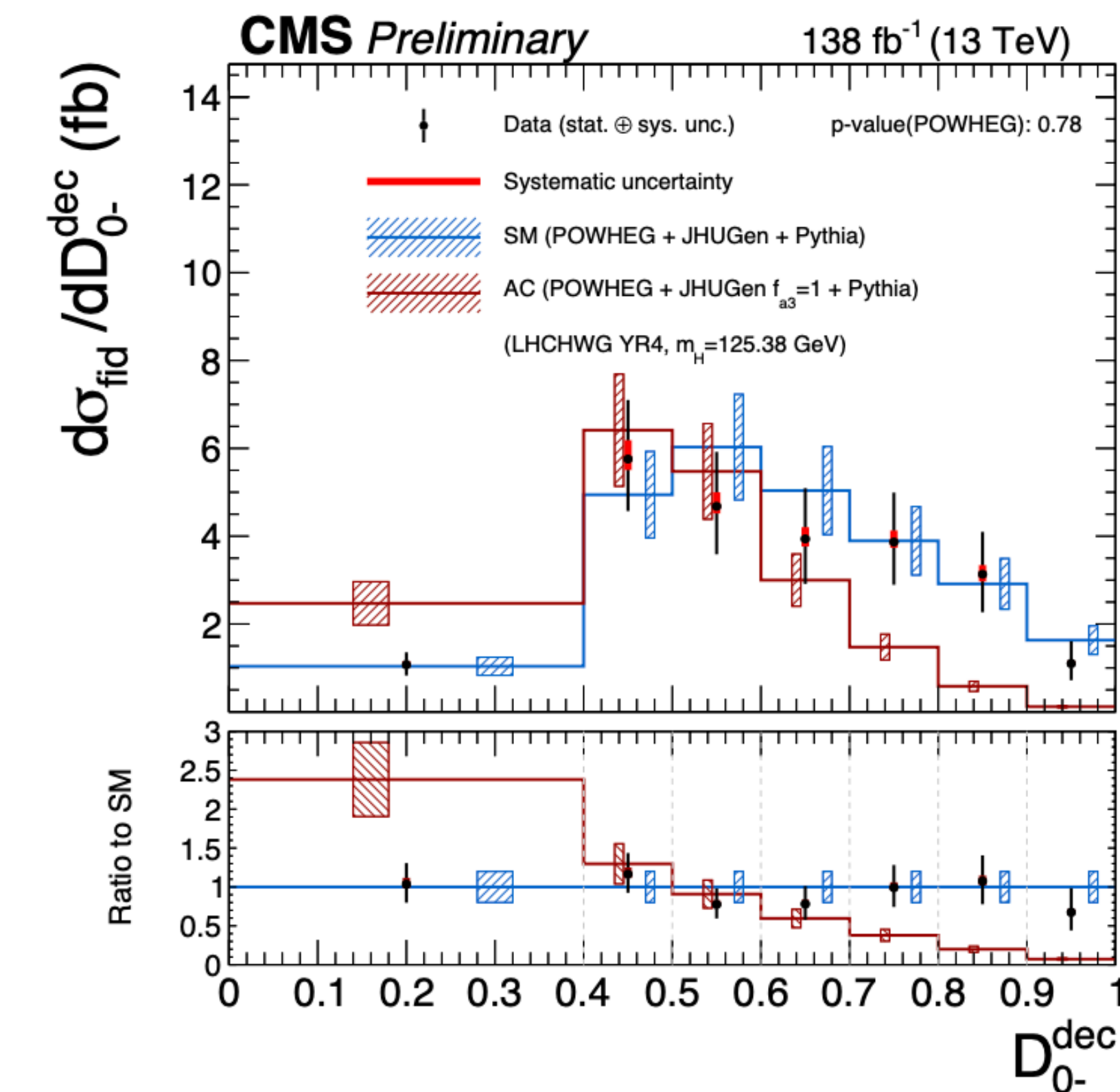
Results: Differential- Matrix Elements Discriminants

Probe **HZZ** vertex via **Matrix-Element discriminants** sensitive to BSM physics

$$A(HV_1V_2) = \frac{1}{v} \left\{ M_{V_1}^2 \left(\boxed{g_1^{VV}} + \frac{\kappa_1^{VV} q_1^2 + \kappa_2^{VV} q_2^2}{(\Lambda_1^{VV})^2} + \frac{\kappa_3^{VV} (q_1 + q_2)^2}{(\Lambda_Q^{VV})^2} + \frac{2q_1 \cdot q_2}{M_{V_1}^2} g_2^{VV} \right) (\varepsilon_1 \cdot \varepsilon_2) \right. \\ \left. - 2g_2^{VV} (\varepsilon_1 \cdot q_2)(\varepsilon_2 \cdot q_1) - 2g_4^{VV} \varepsilon_{\varepsilon_1 \varepsilon_2 q_1 q_2} \right\}$$

Tree-level SM
 $g_1^{ZZ} = g_1^{WW} = 2$

Coupling	g_4^{ZZ}	g_2^{ZZ}	k_1^{ZZ}	$k_2^{Z\gamma}$
Discriminants to separate hypothesis	$\mathcal{D}_{0-}^{dec}$	$\mathcal{D}_{0h+}^{dec}$	$\mathcal{D}_{\Lambda 1}^{dec}$	$\mathcal{D}_{\Lambda 1}^{Z\gamma, dec}$
Interference discriminants	$\mathcal{D}_{CP}^{dec}$	$\mathcal{D}_{int}^{dec}$	-	-



Inclusive fiducial cross section

Differential production observables

p_T^H $|y_H|$ p_T^{j1} N_{jets}
 p_T^{Hj} m_{Hjj} p_T^{j2} T_B^{max} T_C^{max}
 p_T^{Hjj} m_{jj} $|\Delta\eta_{jj}|$ $|\Delta\phi_{jj}|$

Differential decay observables

m_{Z1} m_{Z2} Φ Φ_1
 $\cos(\theta_1)$ $\cos(\theta^*)$ $\cos(\theta_2)$
 D_{0-}^{dec} D_{CP}^{dec} D_{0h+}^{dec} $D_{\Lambda 1}^{dec}$ $D_{\Lambda 1}^{Z\gamma,dec}$ D_{int}^{dec}

Double-differential observables

T_C^{max} vs p_T^H m_{Z1} vs m_{Z2}
 N_{jet} vs p_T^H p_T^H vs p_T^{Hj}
 $|y_H|$ vs p_T^H p_T^{j1} vs p_T^{j2}

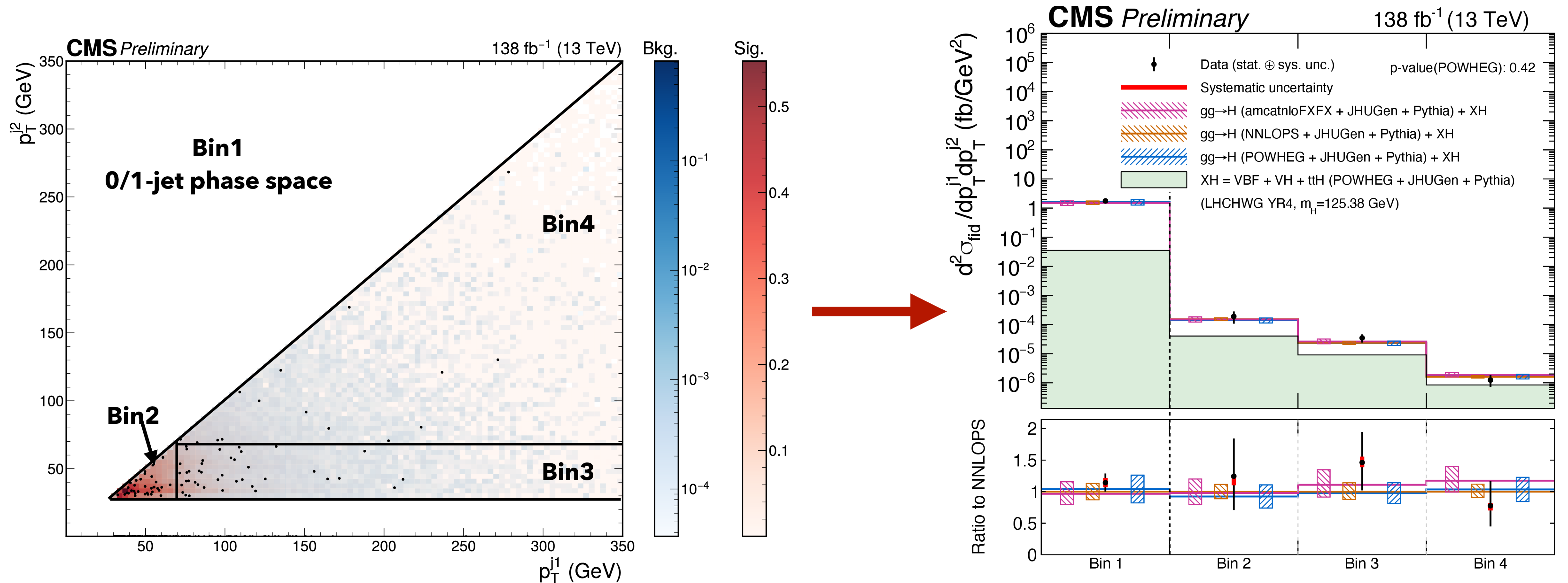
Interpretations

k_λ, k_c, k_b

Results: Differential- Decay observables

An extensive set of **double** differential observables to probe specific phase space regions

- (i) $\tau_C^{\max}$ vs p_T^H (ii) m_{Z1} vs m_{Z2} (iii) N_{jet} vs p_T^H (iv) p_T^H vs p_T^{Hj} (v) $|y_H|$ vs p_T^H (vi) $\underline{p_T^{j1}}$ vs $\underline{p_T^{j2}}$



Inclusive fiducial cross section

Differential production observables

p_T^H $|y_H|$ p_T^{j1} N_{jets}
 p_T^{Hj} m_{Hjj} p_T^{j2} T_B^{max} T_C^{max}
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Double-differential observables

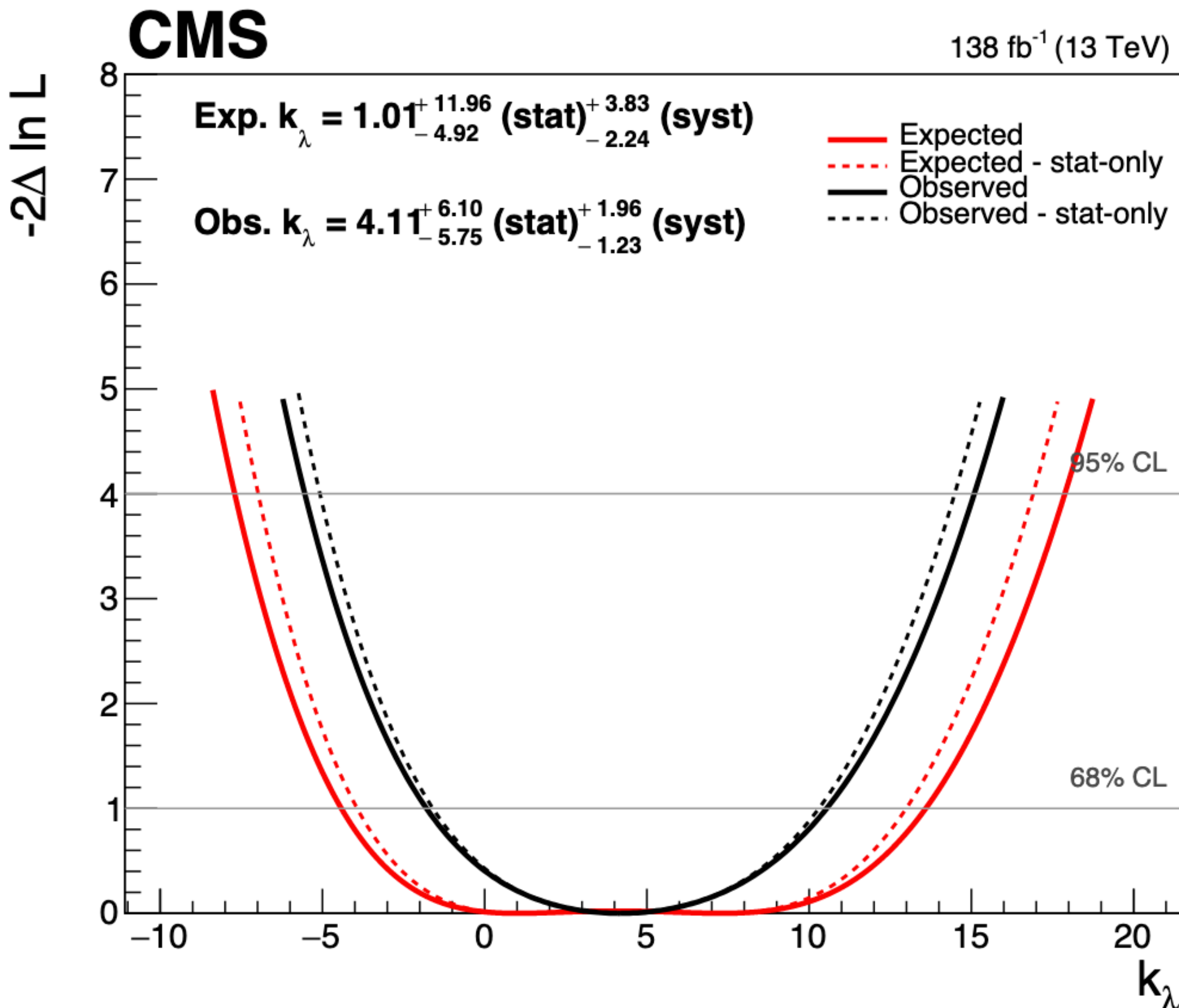
T_C^{max} vs p_T^H m_{Z1} vs m_{Z2}
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 $|y_H|$ vs p_T^H p_T^{j1} vs p_T^{j2}

Interpretations

k_λ, k_c, k_b

Results: Higgs boson self-coupling κ_λ

The **transverse momentum** is used to set constraint on κ_λ since it is the most sensitive observable to probe the H boson self-coupling via single Higgs production that is sensitive to κ_λ at NLO EW



Observed (expected) excluded κ_λ range from @ 95% CL:

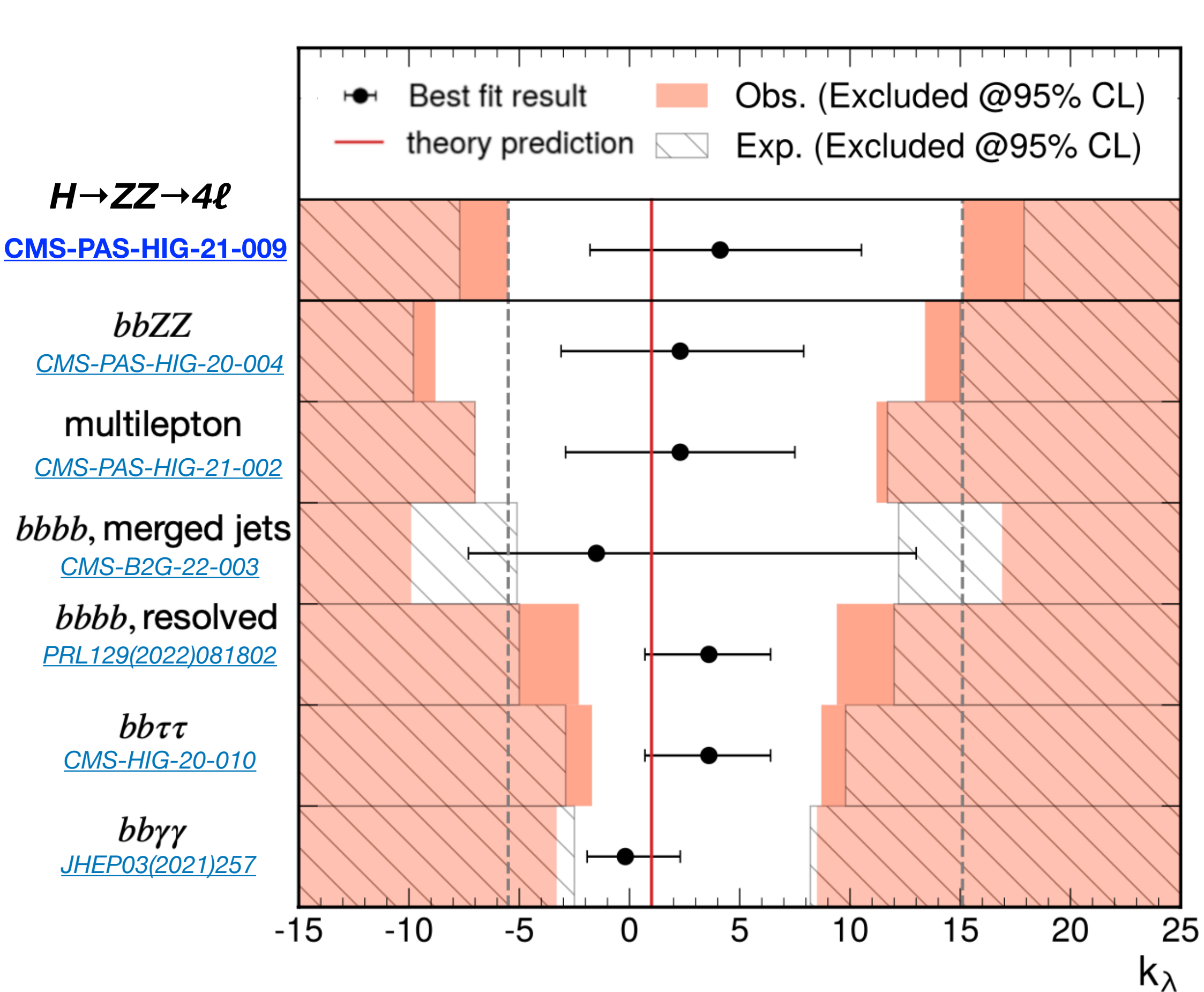
$$-5.5 \text{ } (-7.7) < \kappa_\lambda < 15.1 \text{ } (17.9)$$

Differential theoretical predictions are available for VBF, VH, and ttH; the inclusive parametrisation is used for ggH

First time the result is presented in a **fiducial** analysis of **single-Higgs** production

Results: Higgs boson self-coupling κ_λ

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$$-5.5 \text{ } (-7.7) < \kappa_\lambda < 15.1 \text{ } (17.9)$$

Differential theoretical predictions are available for VBF, VH, and ttH; the inclusive parametrisation is used for ggH

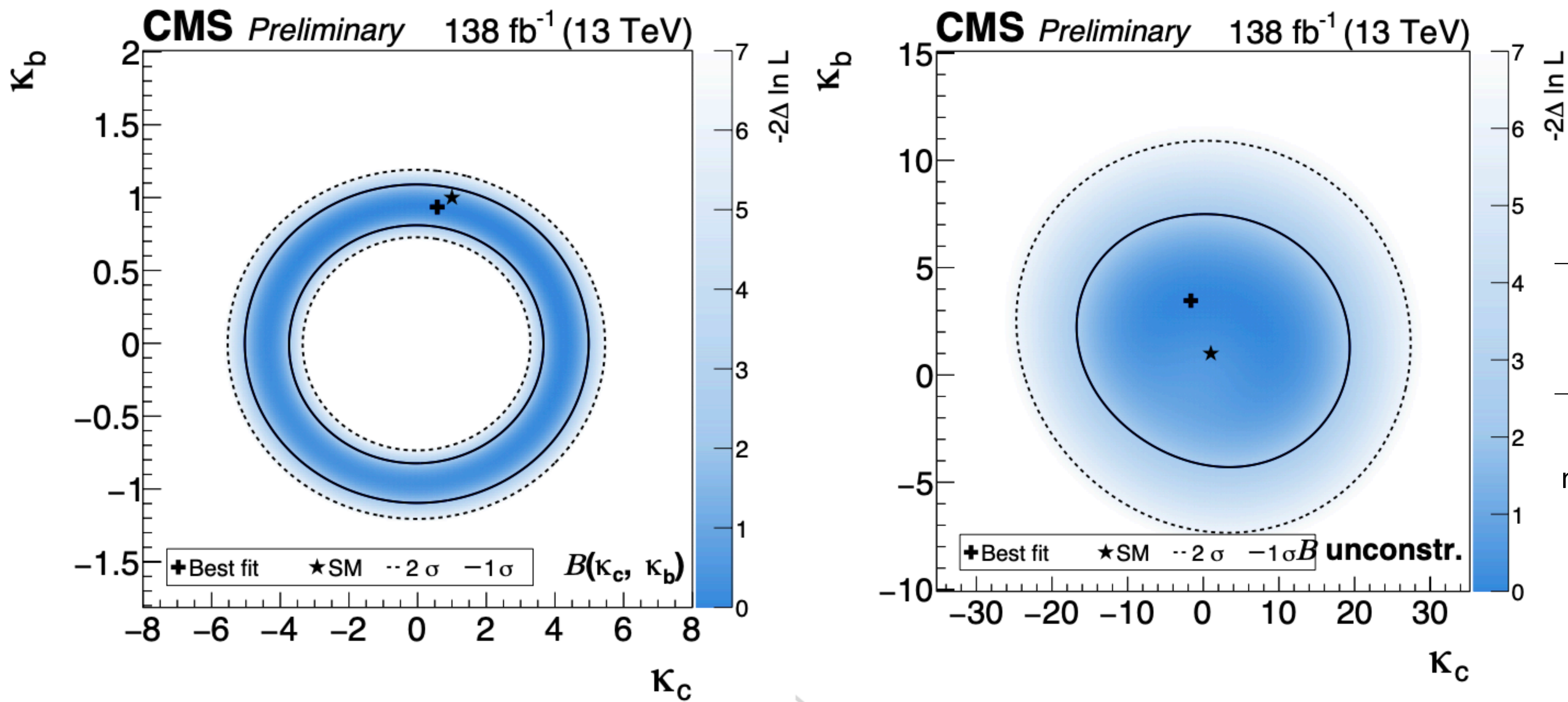
First time the result is presented in a **fiducial** analysis of **single-Higgs** production

Competitive with many HH analyses (direct search), i.e. **$bbZZ$, $bbbb$ merged, and multi-lepton**

Results: Higgs boson coupling to b/c quarks (κ_b, κ_c)

Previously at 35.9 fb⁻¹
Phys.Lett.B 792 (2019) 369-396

The **ggH transverse momentum** is used to set constraints on κ_c/κ_b by using information from both the **shape** and the variation of the **normalisation**



		Observed 95% confidence interval	Expected 95% confidence interval
Shape-Only	κ_b	[-5.6, 8.9]	[-5.5, 7.4]
	κ_c	[-20, 23]	[-19, 20]
Shape+ normalization	κ_b	[-1.1, 1.1]	[-1.3, 1.2]
	κ_c	[-5.3, 5.2]	[-5.7, 5.7]

- *Simultaneous fit for coupling modifier κ_b, κ_c assuming (strongly depending on the *assumption* of the branching ratios)
 - ◉(left) coupling dependence of the branching fractions (*shape+normalization*)
 - ◉(right) branching fractions implemented as nuisance parameters with no prior constraint (*shape-only*)
- *Observed and expected 95% confidence intervals for the Yukawa coupling modifiers

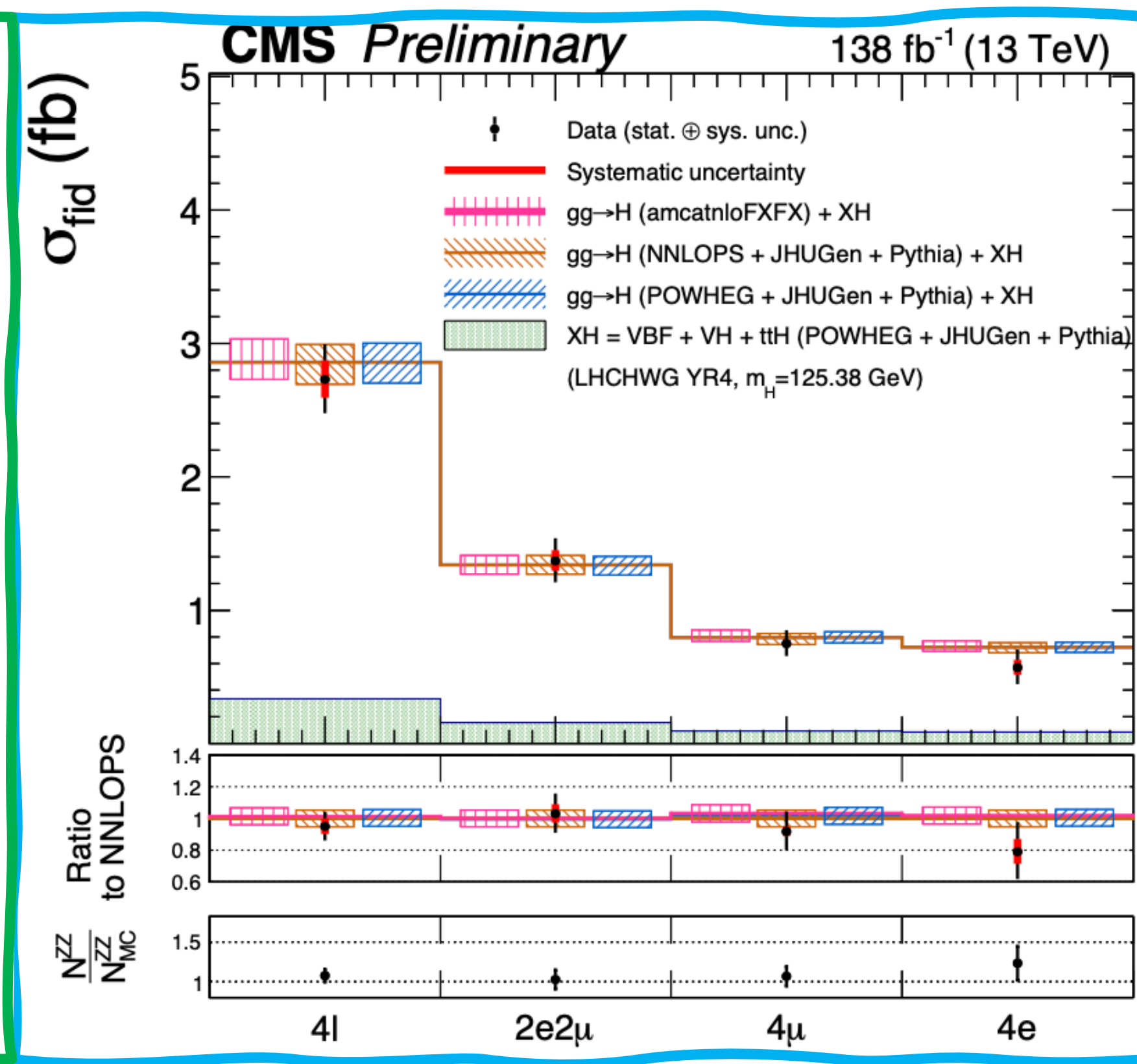
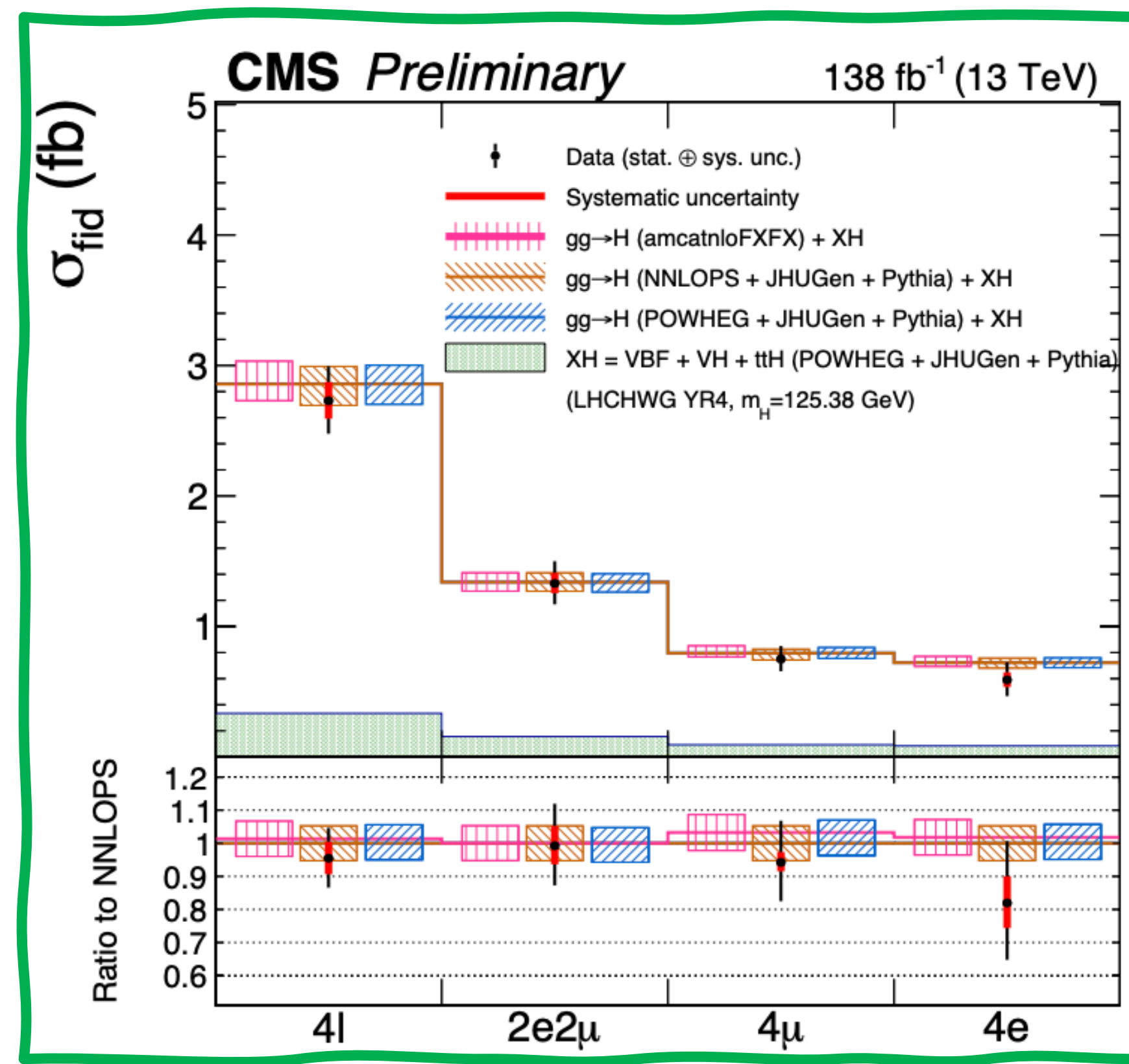
- * The analysis provides a **comprehensive characterisation of the Higgs-to-four-lepton channel** using differential and fiducial **cross section measurements** and **interpretations**
- * All results show an overall good agreement with the SM
- * **60 fiducial XS results, 33 observables** (28 of them are new!), and 3 interpretations make this paper one of the most extensive fiducial analysis ever performed (today shown only a small subset of the results)
- * **Better CMS objects calibration** and **improvements in the analysis strategy** led to very **precise measurements** (less than 10% inclusively)
- * We are on the verge of probing the scalar sector with very high precision

Thank
you



BACKUP SLIDES

Inclusive cross section measurement comparison



* Measured inclusive fiducial cross section of two methods

$$\sigma^{\text{fid}} = 2.73^{+0.22}_{-0.22}(\text{stat})^{+0.15}_{-0.14}(\text{sys})\text{fb}$$

$$\sigma^{\text{fid}} = 2.74^{+0.24}_{-0.23}(\text{stat})^{+0.14}_{-0.11}(\text{sys})\text{fb}$$

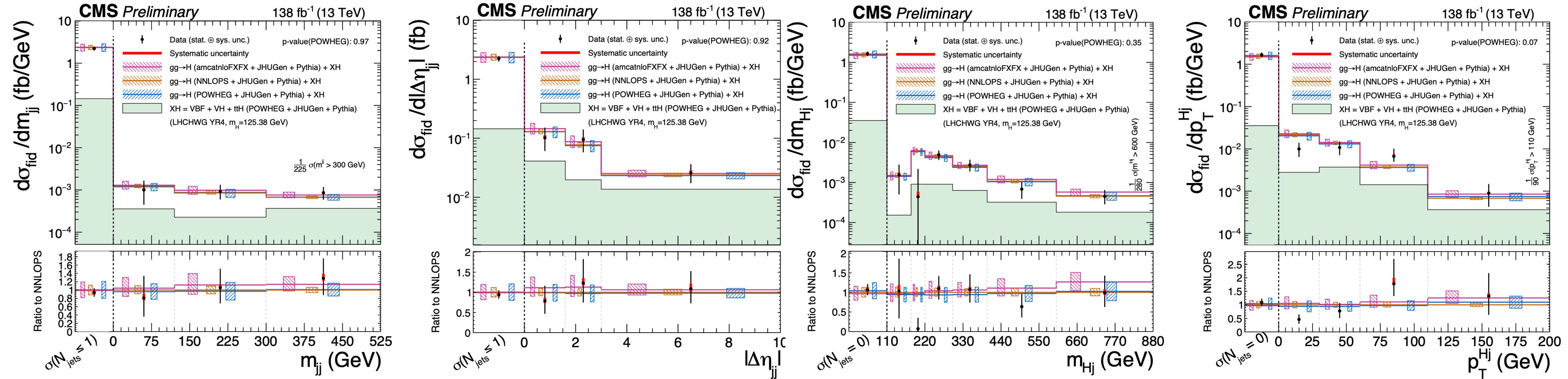
* The measured inclusive fiducial cross section of

● (left) *Different final states* with the irreducible background normalization taken from MC simulation

● (right) *Different final states* with the irreducible backgrounds normalization ZZ floating in the fit

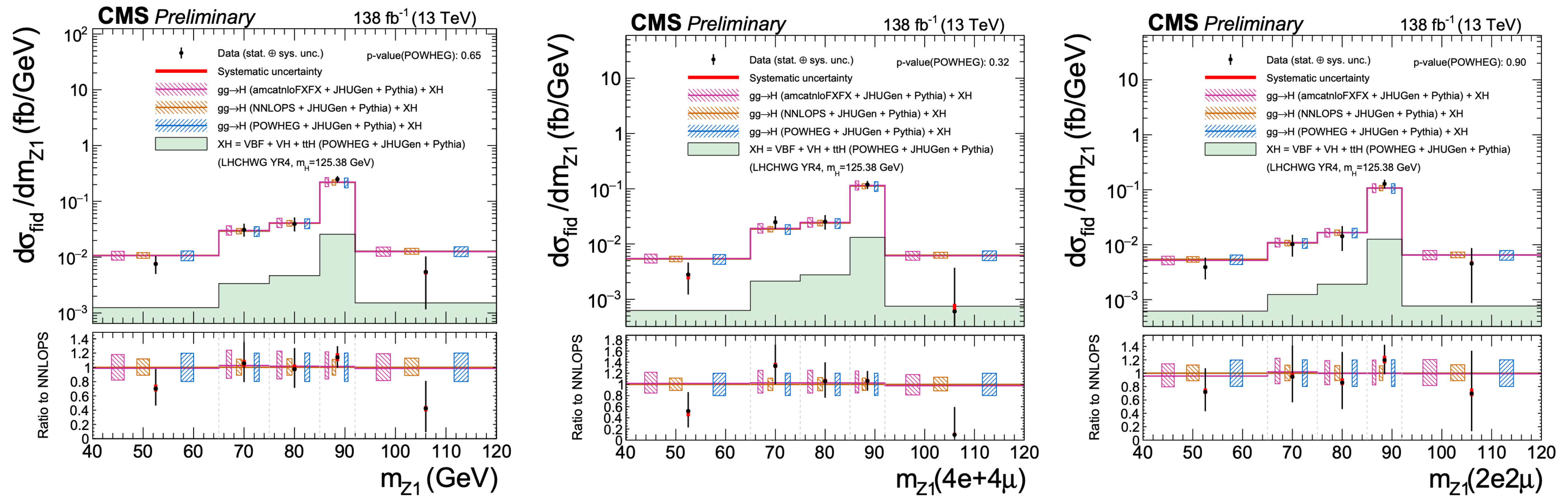
- Bottom panel shows ration between measured ZZ normalization and prediction from MC.

Results of 1D Differential Cross Section



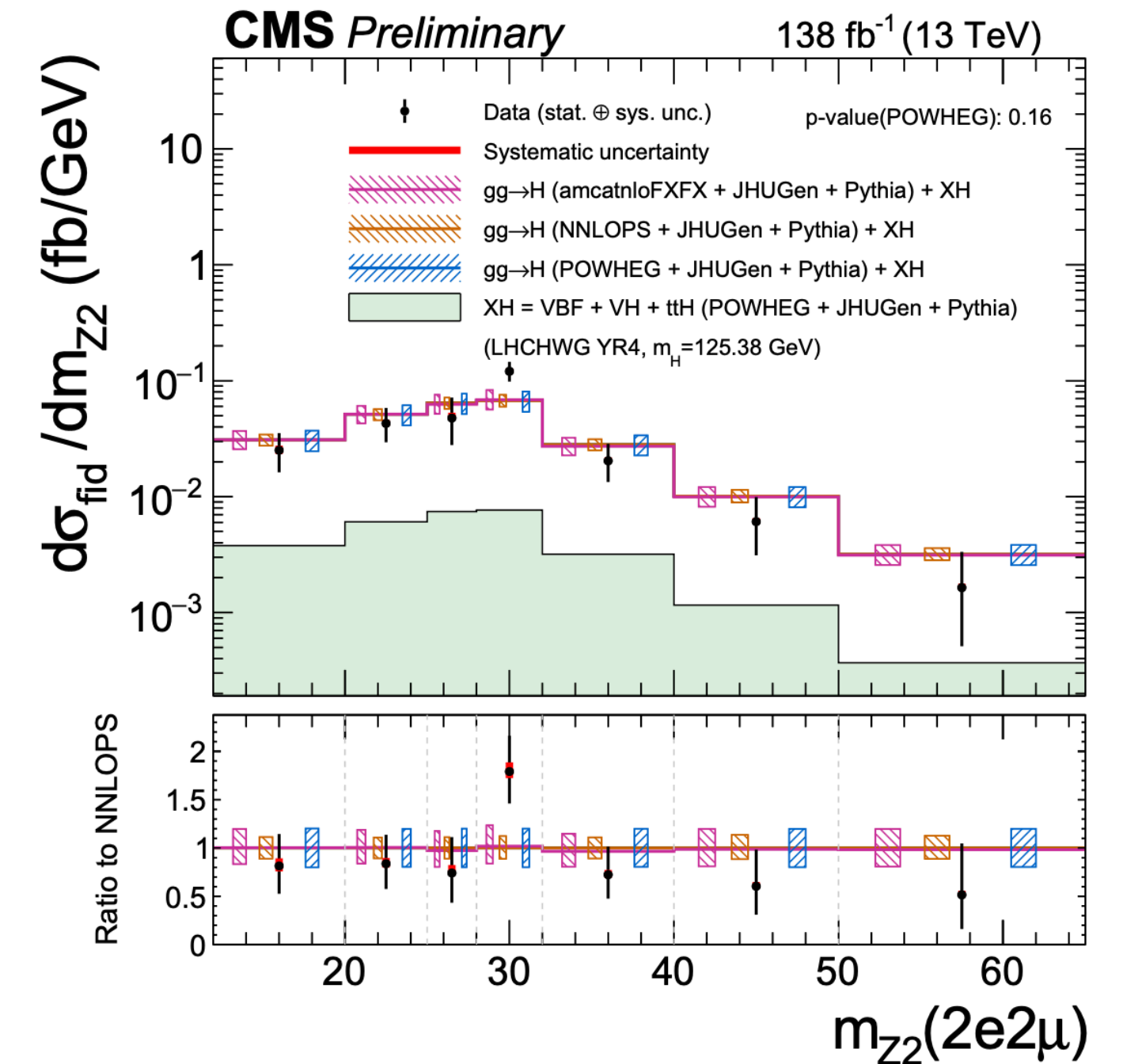
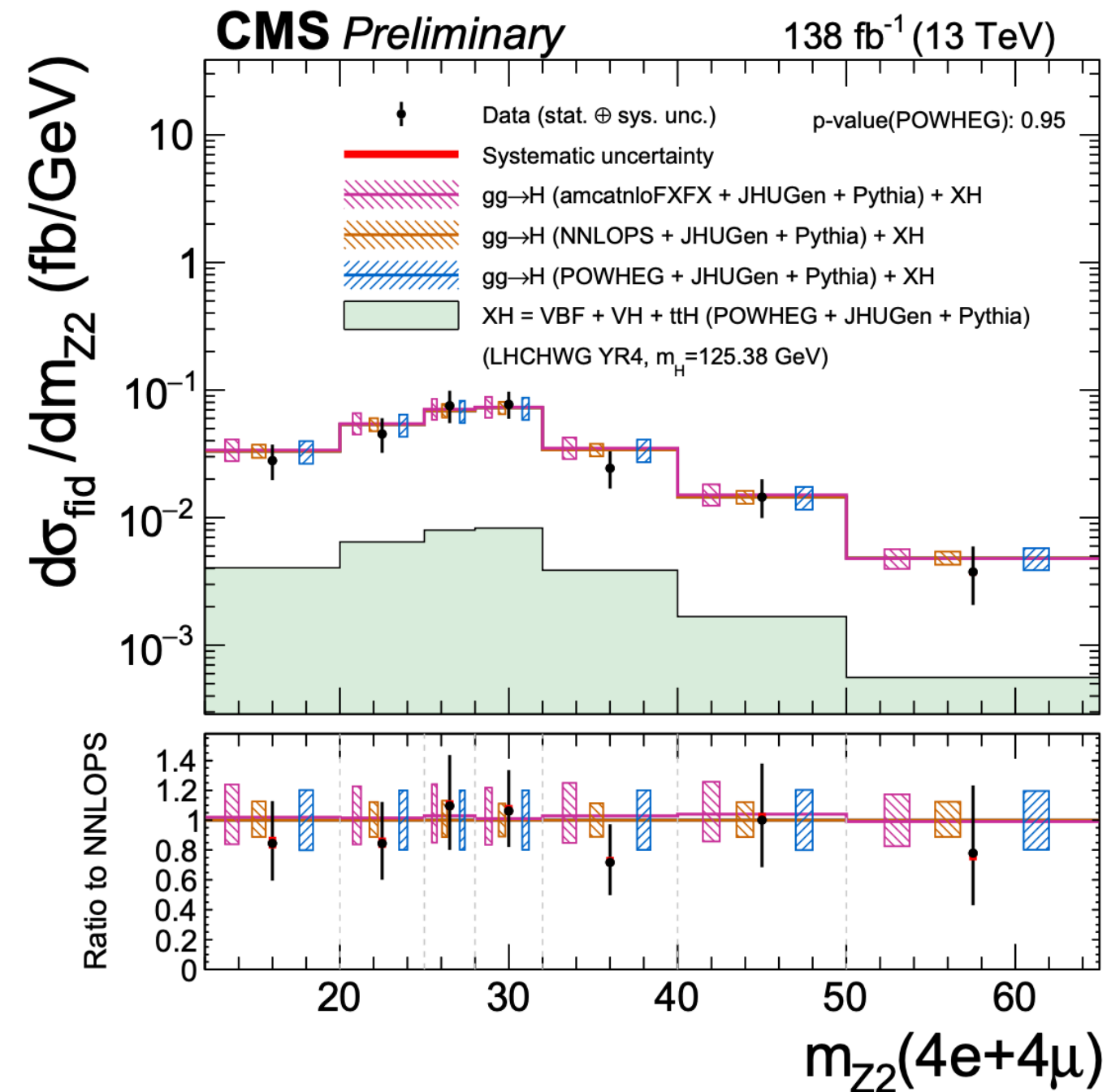
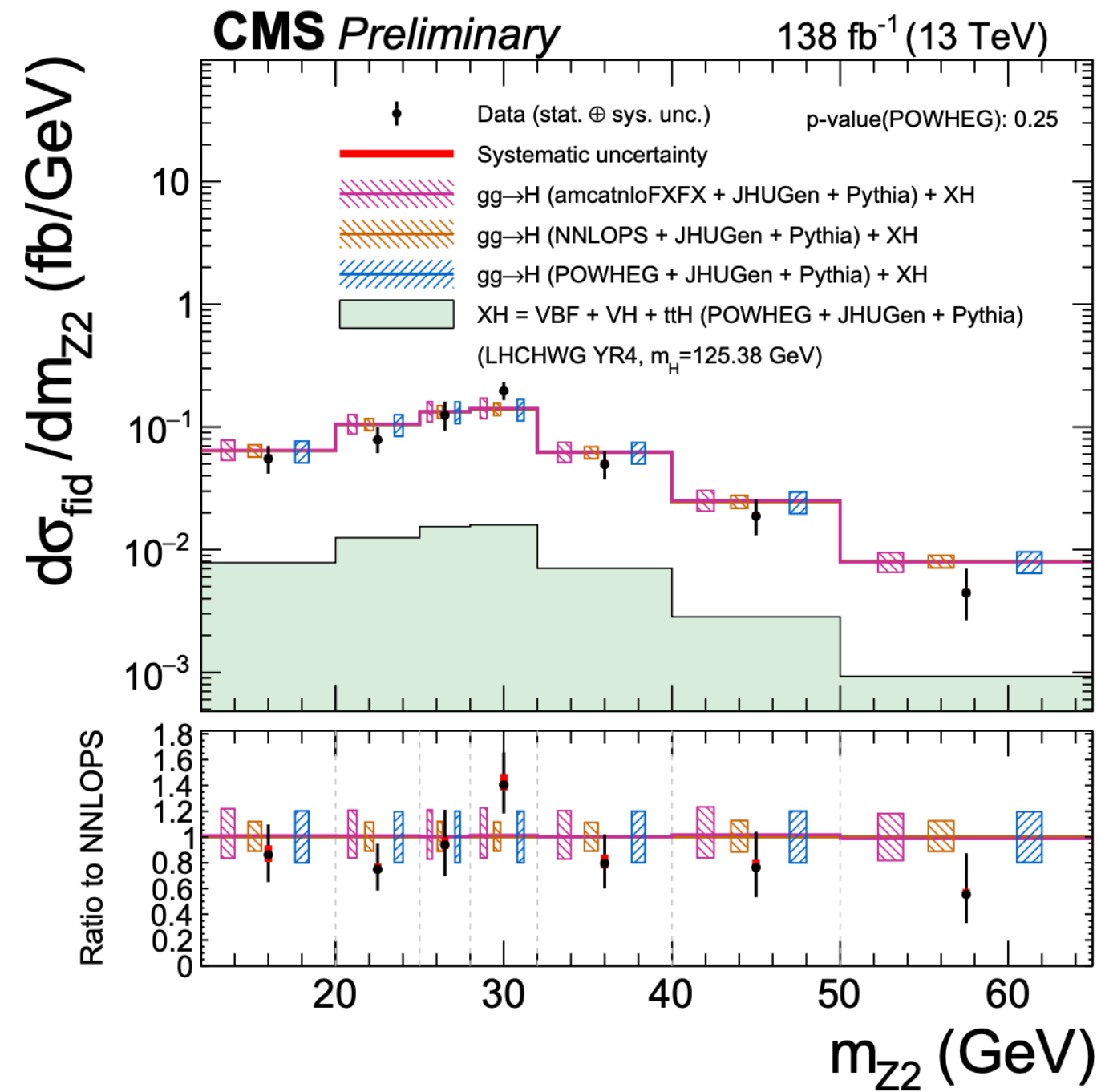
- * Differential cross sections for observables of **Higgs boson and jet system**
- * The acceptance and theoretical uncertainties in the differential bins are calculated using the POWHEG (blue), NNLOPS (orange), and MadGraph aMC@NLO (pink) generators.
- * The sub-dominant component of the the signal (VBF + VH + ttH) is denoted as XH.

Results of 1D Differential Cross Section



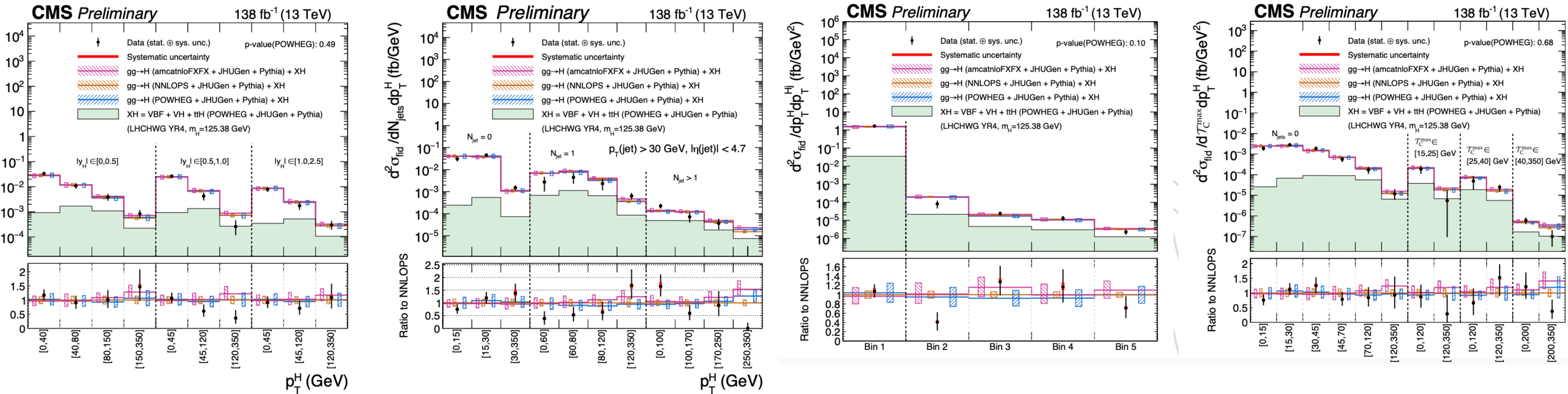
- * Differential cross section as function of m_{Z1}
- * The acceptance and theoretical uncertainties in the differential bins are calculated using the POWHEG (blue), NNLOPS (orange), and MadGraph aMC@NLO (pink) generators.
- * The sub-dominant component of the the signal (VBF + VH + ttH) is denoted as XH.

Results of 1D Differential Cross Section



- * Differential cross section as function of m_{Z2}
- * The acceptance and theoretical uncertainties in the differential bins are calculated using the POWHEG (blue), NNLOPS (orange), and MadGraph aMC@NLO (pink) generators.
- * The sub-dominant component of the the signal (VBF + VH + ttH) is denoted as XH.

Results of 2D Differential Cross Section measurements



✱ Double Differential cross sections results

✱ The acceptance and theoretical uncertainties in the differential bins are calculated using the POWHEG (blue), NNLOPS (orange), and MadGraph aMC@NLO (pink) generators.

✱ The sub-dominant component of the the signal (VBF + VH + ttH) is denoted as XH.

Matrix Element Discriminants

*HVV scattering amplitude of a spin-0 boson H and two spin-one gauge bosons

$$A(HV_1V_2) = \frac{1}{v} \left[a_1^{VV} + \frac{k_1^{VV} q_{V1}^{VV} + k_2^{VV} q_{V2}^2}{(\Lambda_1^{VV})^2} + \frac{k_3^{VV} (q_{V1} + q_{V2})^2}{(\Lambda_Q^{VV})^2} \right] m_{V1}^2 \epsilon_{V1}^* \epsilon_{V2}^* \\ + a_2^{VV} f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu} + a_3^{VV} \bar{f}_{\mu\nu}^{*(1)} \bar{f}^{*(2),\mu\nu}$$

*Observables sensitive to HVV anomalous couplings using kinematics of leptons in decay

$$\mathcal{D}_{\text{alt}} = \frac{\mathcal{P}_{\text{sig}}(\vec{\Omega})}{\mathcal{P}_{\text{sig}}(\vec{\Omega}) + \mathcal{P}_{\text{alt}}(\vec{\Omega})} \quad \mathcal{D}_{\text{int}} = \frac{\mathcal{P}_{\text{int}}(\vec{\Omega})}{2 \cdot \sqrt{\mathcal{P}_{\text{sig}}(\vec{\Omega}) \cdot \mathcal{P}_{\text{alt}}(\vec{\Omega})}},$$

*Six discriminants implemented in the MELA package to completely characterize the HZZ4l decay

	$\mathcal{D}_{\text{alt}}$				$\mathcal{D}_{\text{int}}$	
	Coupling					
	$\mathbf{a}_3$	$\mathbf{a}_2$	κ_1	$\kappa_2^{\text{Z},\gamma}$	$\mathbf{a}_3$	$\mathbf{a}_2$
Discriminant	$\mathcal{D}_{0-}$	$\mathcal{D}_{0\text{h}+}$	$\mathcal{D}_{\Lambda 1}$	$\mathcal{D}_{\Lambda 1}^{\text{Z},\gamma}$	$\mathcal{D}_{\text{CP}}$	$\mathcal{D}_{\text{int}}$

CP even

- SM-like spin-zero 0^+ : $a_1^{ZZ}=a_1^{WW}=2$
- Higher order spin-zero 0_h^+ : a_2

CP odd

- Pseudoscalar spin-zero 0^- : a_3

Interpretations -- Constraints on the H boson self-coupling

Probing k_λ via single-Higgs decay

* Differential XS measurement as a function of $p_T^H \Rightarrow$ extract limits on H boson self coupling.

$$\mu_i^f = \mu_i \times \mu^f = \frac{\sigma^{NLO}}{\sigma_{SM}^{NLO}} \frac{BR(H \rightarrow ZZ)}{BR^{SM}(H \rightarrow ZZ)} = \underbrace{\frac{1 + k_\lambda C_{1,i} + \delta Z_H}{(1 - (k_\lambda^2 - 1)\delta Z_H)(1 + C_{1,i} + \delta Z_H)}}_{\text{production}} \times \underbrace{\left[1 + \frac{(k_\lambda - 1)(C_1^{\Gamma_{ZZ}} - C_1^{\Gamma_{tot}})}{1 + (k_\lambda - 1)C_1^{\Gamma_{tot}}} \right]}_{\text{decay}}$$

* The cross sections of the different production mechanisms of the H boson

- Parameterized as a function of $k_\lambda = \lambda_3/\lambda_{SM}$,
- To account for NLO terms arising from the H boson trilinear self-coupling
- Where $\delta Z_H = -1.536 \times 10^{-3}$ is a universal quantity, $C_1(p_n)$ is dependent on H production model and kinematics;
- $C_1^{\Gamma_{ZZ}} = 0.0082$ and $C_1^{\Gamma_{tot}} = 2.5 \times 10^{-3}$

Constraints on H boson self-coupling -- C1 coefficients

- * In order to compute the scaling functions, $\mu_{i,j}(k_\lambda)$
 - Madgraph5 dedicated hhh-model and reweight tool
 - Generate LO events for each production models
 - Reweigh to take into account NLO EW corrections

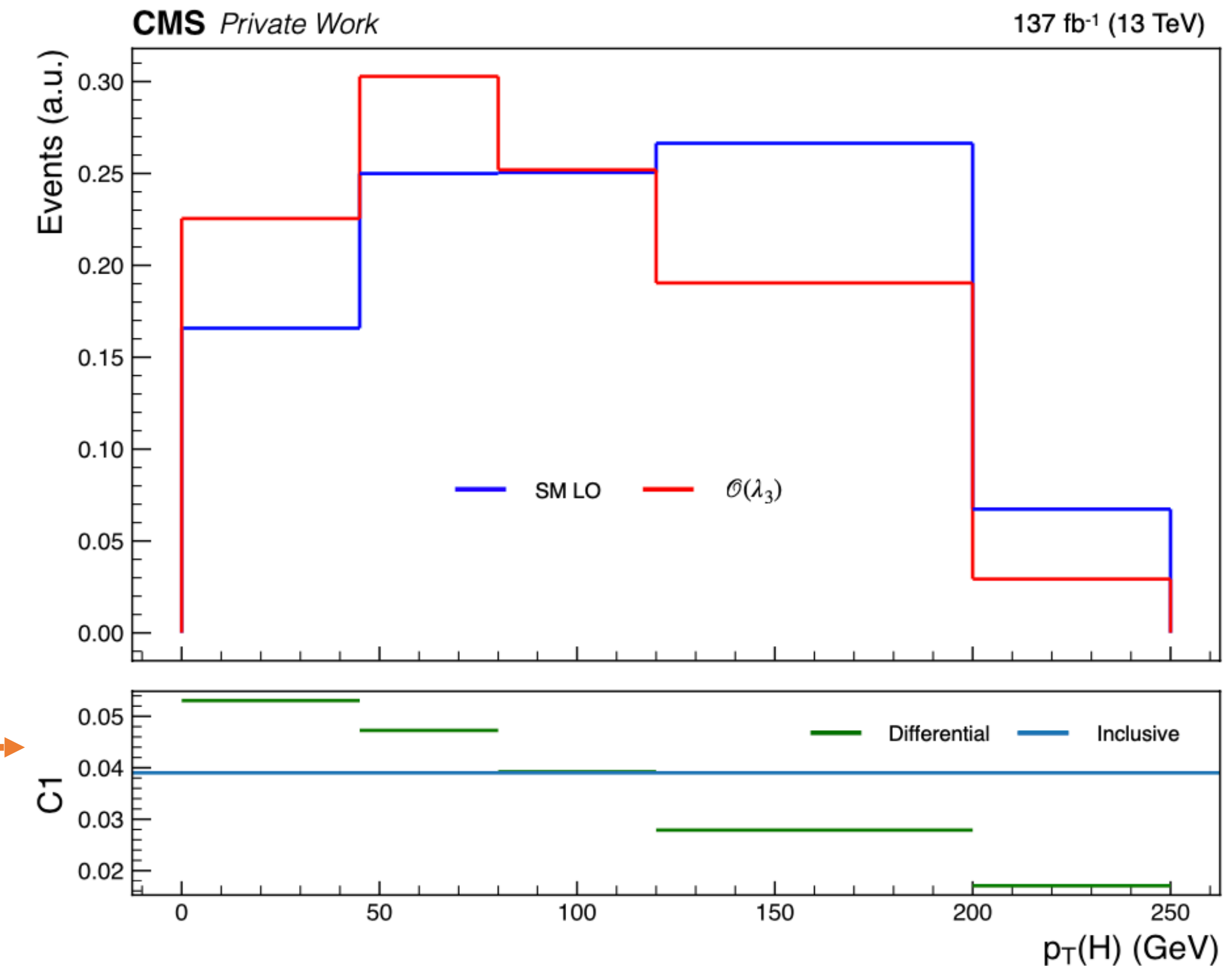
- Extracted on an event-by-event basis:

$$C_1 = xsec_{\mathcal{O}(\lambda_3)} / xsec_{LO}$$

- As input for $\mu_{i,j}(k_\lambda)$

$$\mu_i^f = \frac{1 + k_\lambda C_{1,i} + \delta Z_H}{(1 - (k_\lambda^2 - 1)\delta Z_H)(1 + C_{1,i} + \delta Z_H)} \times \left[1 + \frac{(k_\lambda - 1)(C_1^{\Gamma_{ZZ}} - C_1^{\Gamma_{tot}})}{1 + (k_\lambda - 1)C_1^{\Gamma_{tot}}} \right]$$

- Differential predictions are available
only for VBF, VH, and ttH
- Inclusive value for the parametrization
of the H boson cross section for ggH process

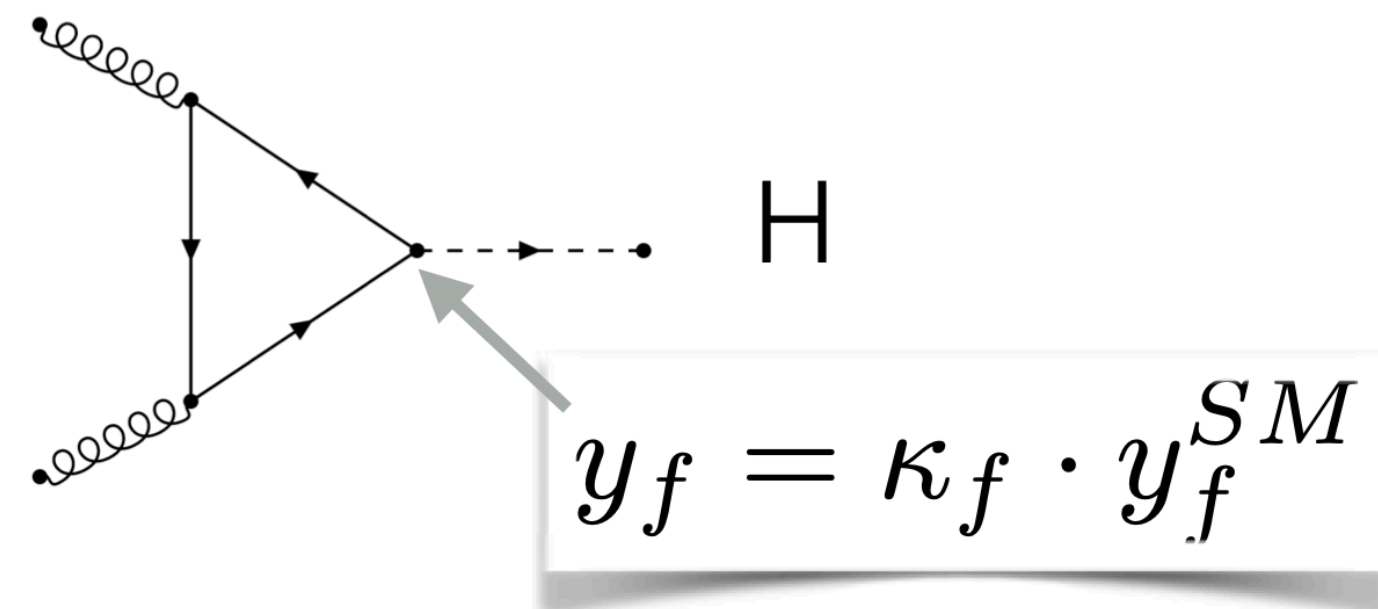


Constraints on Higgs boson couplings modifier

* The **transverse momentum spectrum of Higgs boson**

◉ provides a novel approach to constrain the Higgs boson couplings to bottom, and charm quarks.

* The coupling modifiers are described in the context of the κ -framework.



* Interpreting the P_H^T spectrum for **gluon fusion** in terms of modifications of the couplings of the Higgs boson of the combination of two models:

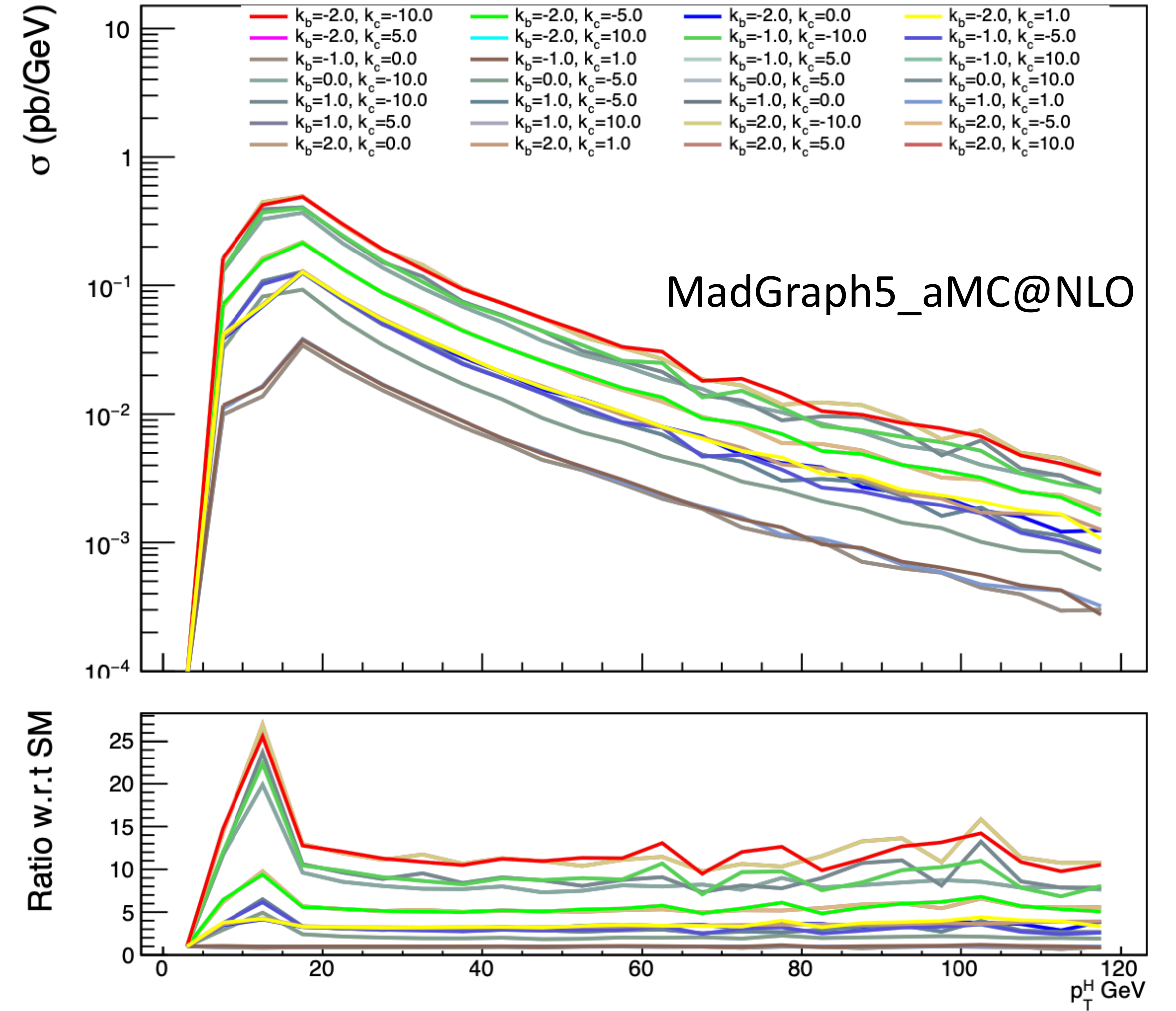
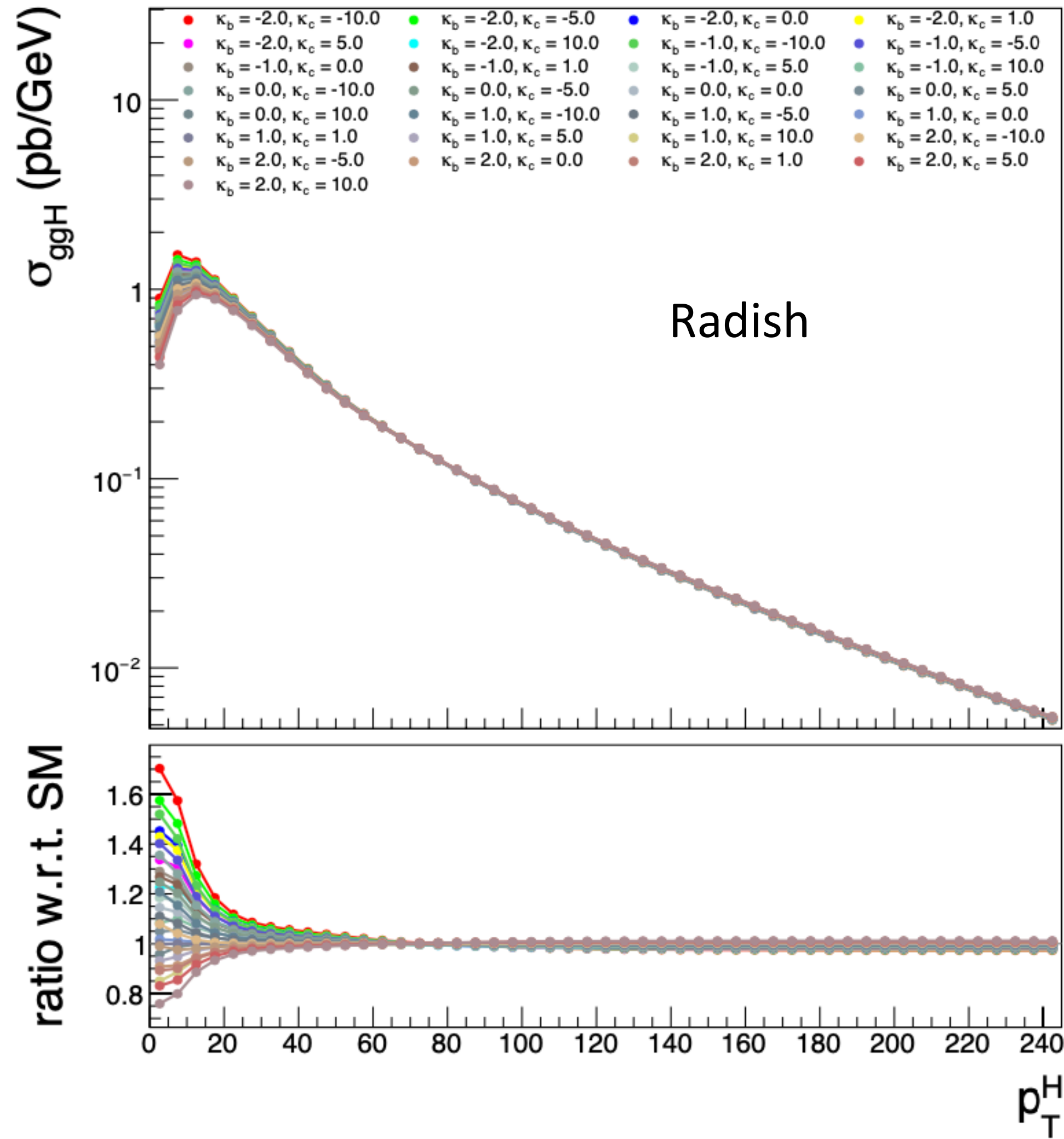
◉ **Radish:** contributions of b and c quarks to the loop-induced ggF production

- Sensitive to the low pT region

◉ **MadGraph5_aMC@NLO:** the quark-initiated production of the Higgs boson.

- Sensitive to the High pT region

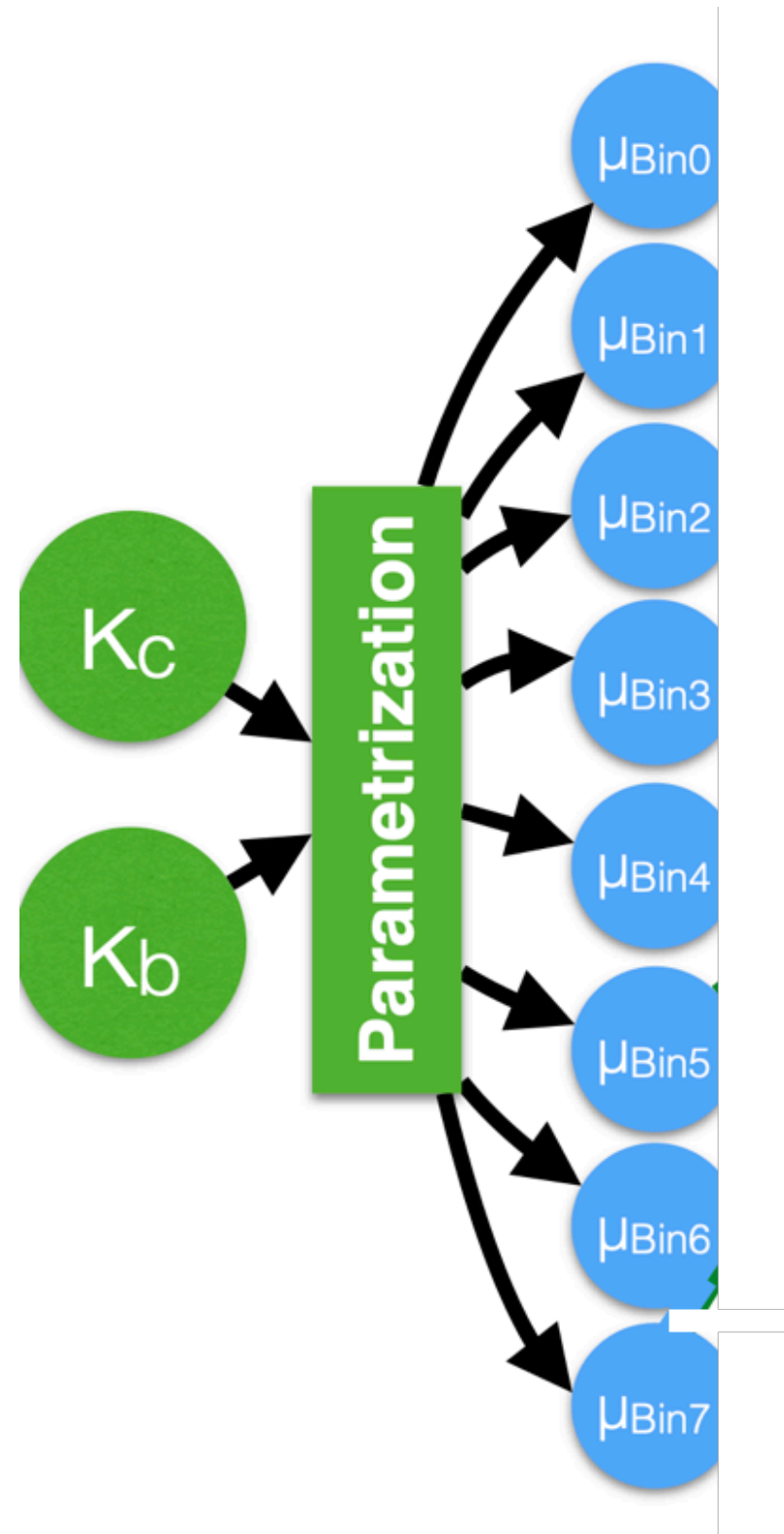
Interpretation by kappa framework via P_H^T spectrum



*The cross section value varies following the P_H^T of different κ_b , κ_c parameter values.

*The high p_T region has been improved by newly running with new setting and high statistics of MadGraph5_aMC.

Parameterization of k_b, k_c



- * Obtain 2D likelihood by varying k_c and k_b : $\vec{\Delta\sigma} \rightarrow \vec{\Delta\sigma}(k_b, k_c)$
- * Signal model split into ggH and xH processes and the contributions from xH (not ggH) are set to SM
- * We assume a parabolic function for the cross section

$$\sigma_{ggH} = \left| \sum_i A_i k_i \right|^2 = Ak_b^2 + Bk_c^2 + Ck_t^2 + Dk_b k_c + Ek_b k_t + Fk_c k_t$$

- * Find the cross section for any set of the k 's if we know the coefficients A, ..., F
- * Use 6 known points: $\sigma_1(\vec{k}_1), \sigma_6(\vec{k}_6), \sigma_5(\vec{k}_5), \sigma_4(\vec{k}_4), \sigma_3(\vec{k}_3), \sigma_2(\vec{k}_2)$,
- * Find values of the coefficients by simple matrix inversion
- * k_t set to 1.0 (SM) for the k_b, k_c analysis

$$\begin{bmatrix} \sigma_1 \\ \sigma_2 \\ \sigma_3 \\ \sigma_4 \\ \sigma_5 \\ \sigma_6 \end{bmatrix} = \begin{bmatrix} \kappa_{b,1}^2 & \kappa_{c,1}^2 & \kappa_{t,1}^2 & \kappa_{b,1}\kappa_{c,1} & \kappa_{b,1}\kappa_{t,1} & \kappa_{c,1}\kappa_{t,1} \\ \kappa_{b,2}^2 & \kappa_{c,2}^2 & \kappa_{t,2}^2 & \kappa_{b,2}\kappa_{c,2} & \kappa_{b,2}\kappa_{t,2} & \kappa_{c,2}\kappa_{t,2} \\ \kappa_{b,3}^2 & \kappa_{c,3}^2 & \kappa_{t,3}^2 & \kappa_{b,3}\kappa_{c,3} & \kappa_{b,3}\kappa_{t,3} & \kappa_{c,3}\kappa_{t,3} \\ \kappa_{b,4}^2 & \kappa_{c,4}^2 & \kappa_{t,4}^2 & \kappa_{b,4}\kappa_{c,4} & \kappa_{b,4}\kappa_{t,4} & \kappa_{c,4}\kappa_{t,4} \\ \kappa_{b,5}^2 & \kappa_{c,5}^2 & \kappa_{t,5}^2 & \kappa_{b,5}\kappa_{c,5} & \kappa_{b,5}\kappa_{t,5} & \kappa_{c,5}\kappa_{t,5} \\ \kappa_{b,6}^2 & \kappa_{c,6}^2 & \kappa_{t,6}^2 & \kappa_{b,6}\kappa_{c,6} & \kappa_{b,6}\kappa_{t,6} & \kappa_{c,6}\kappa_{t,6} \end{bmatrix} \begin{bmatrix} A \\ B \\ C \\ D \\ E \\ F \end{bmatrix}$$

Statistical analysis of k_b, k_c

* An extended likelihood function is reconstructed by

$$\mathcal{L}(\vec{\Delta\sigma} | \vec{\theta}) = \prod_{i=1}^{n_{bins}^{reco}} \prod_{k=1}^{n_{cat}} \prod_{l=1}^{n_{\mathcal{O}}} (pdf_i^k(\mathcal{O}_l | \vec{\Delta\sigma}, \vec{\theta}))^{N_{obs}^{ikl}} \times Poisson(N_{obs}^{ik} | n_i^{sig,k}(\vec{\Delta\sigma} | \vec{\theta}) + n_i^{bkg,k}(\vec{\theta})) \times pdf(\vec{\theta})$$

* n_{bins}^{reco} is the number of reconstructed bins, n_{cat} is the number of categories for the decay channel, and $n_{\mathcal{O}}$ is the number of bins for observable $\mathcal{O}$.

* $pdf_i^k(\mathcal{O}_l | \vec{\Delta\sigma}, \vec{\theta})$ describes the probability to find an event measuring observable $\mathcal{O}$ in reconstructed bin i.

* An overall probability distribution function for the observable $\mathcal{O}$ is constructed by summation of the signal and background distributions of the observable.

* In the case of fitting k's, parameter cross section in terms of k's

* $\vec{\Delta\sigma} \rightarrow \vec{\Delta\sigma}(k_b, k_c)$

Two methods applied in the constrain of k_b k_c

- * The obtained results vary strongly depending on the assumption of the branching ratios.
- * The **overall discrimination** power is from both the **shape and normalization** of the theory coupling variations.
- * ***The branching ratios depend on the couplings***
 - ◎ Results obtained this way show the **maximum amount of discrimination** power including the Impact on the overall expected normalization, through modifications of **branching ratios** scaled with coupling modifications and also the constrain by the **Higgs decay width**.
- * ***Freely floating branching ratios***
 - ◎ The normalization of the parametrization and coupling dependence of BRs are eliminated, and what remains is **purely the constraints from only the shape**.

New method to compute uncertainties from T&P measurements for electrons based on RMS

- Scale factors and corresponding uncertainties enter the final result with the power of four → **Electron reconstruction and selection efficiency** is by far the **leading nuisance** in $H \rightarrow ZZ \rightarrow 4\ell$
- Computation done with **Tag-and-Probe** (TnP) method
- Challenge: **low-pT electron region** (7-20 GeV) where it is hard to distinguish signal from QCD background → Large systematic uncertainty from this region
- **Current method for sys unc**: Summing in quadrature four variations of the nominal setting
 - Very sensitive to outliers
 - Adding more variations lead to bigger uncertainty
 - Correlations not taken into account
- **New method for sys unc**: Combining the four variations by using the **RMS**
 - Less sensitive to outliers
 - Adding more variations does not lead to bigger uncertainty
 - Reduced uncertainty in the low-pT region (~40% improvement in the precision)