Axion Haloscope Meets the \vec{E} Field

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Outline

- Resonance in 'haloscopes'
- \vec{E} field induced current
- \vec{E} field as conversion medium
- \vec{E} field as the signal

Axion / ALPs as DM

A fast oscillating field at the bottom of a V(ϕ)~($\phi - \phi_0$)² potential behaves on ave. as matter-like: $\rho(z) \sim (1+z)^3$ M. Turner, 83'



➤`Wave-like' DM candidates via misalignment mech.

Nearly monochromatic signal: $\delta f/f \approx 10^{-6}$.

For terrestrial labs, as a coherent wave:

$$a(x,t) \approx a_0 \cos \left[m_a \vec{v}_a \cdot \vec{x} - \left(m_a + \frac{m_a}{2} v_a^2 \right) t \right]$$

Can coherently convert into photon/EM fields via 'axion-like' interaction

$$\mathcal{L}_{a\gamma\gamma} = -g_{a\gamma}a\vec{E}\cdot\vec{B}$$





Cryogenic resonant EM cavity





Cavity frequency tuned to expected axion decay signal frequency

QCD axion DM: emergence of a microwave signal

$$\begin{split} P_{\rm axion} &= 2.2 \cdot 10^{-23} \ {\rm W}(\frac{V}{136 \ {\rm L}}) (\frac{B}{7.6 \ {\rm T}})^2 (\frac{C}{0.4}) \\ & \cdot (\frac{g_{\gamma}}{0.36})^2 (\frac{\rho_a}{0.45 \ {\rm GeV \ cm^{-3}}}) (\frac{f}{740 \ {\rm MHz}}) (\frac{Q}{30000}) \end{split}$$

> single photon level: O(10) photons s⁻¹

5

Cavity Haloscopes: sharpest limits, so far.



ADMX,HAYSTAC: achieved sensitivity to theoretical par. space (DFSZ / KSVZ models)

Recent players: CAPP/IBS (2020) QUAX-aγ (2019) CAST-RADES(2021) TASEH (2022)

*Higher freq. detectors (10 GHz or higher?)

+ many others.

High-Q resonance

> Key to cavity's achievements: *high quality factor*

$$R = g_{a\gamma\gamma}^2 \frac{\rho_a}{m_a^2} B_0^2 C_k V \cdot \boldsymbol{Q}$$

 $Q \sim 10^6$ Provide both resonant $a \rightarrow \gamma$ enhancement & bkg suppression

Thermal noise power:
$$P_{Bkg} \sim 4k_BT rac{m_a}{2\pi \cdot Q}$$

Quantum mechanically, interaction between a cavity-mode $\vec{E}(x)$ and the plane wave:

$$H_{I} = -\int d^{3}x \mathcal{L}_{a\gamma\gamma} \qquad \frac{2201.08291}{m_{a}}$$
$$= \left(g_{a\gamma\gamma} \frac{\sqrt{2\rho_{a}}}{m_{a}} B_{0} \int dx^{3} \hat{z} \cdot \vec{E}\right) \cos(\omega_{a}t)$$

Cavity's $|0\rangle \rightarrow |1\rangle$ rate is enhanced by the incident wave's Q – factor.

$$R = |\int_{0}^{t} \langle 1| H_{I} |0\rangle e^{i(\omega_{k} - \omega_{a})t} dt|^{2}$$

$$= (g_{a\gamma\gamma} \frac{\sqrt{2\rho_{a}}}{m_{a}} B_{0} \int dx^{3} \hat{z} \cdot |\langle 1| \vec{E} |0\rangle |)^{2} \delta(\omega_{k} - \omega_{a})$$

$$= g_{a\gamma\gamma}^{2} \frac{\rho_{a}}{m_{a}^{2}} B_{0}^{2} C_{k} V \sum_{k} \omega_{k} \delta(\omega_{k} - \omega_{a})$$

$$\int d\omega(\omega/d\omega) \delta(\omega - \omega_{a}) \approx Q$$

(for any DM axion wave's $Q_a \leq Q_{\text{cavity}}$)

Cavity's $|0\rangle \rightarrow |1\rangle$ state transition rate is **indeed enhanced** by the **cavity quality factor that matches with the DM wave's**.

(this is consistent with classical oscillation calculations)

For classical, see P. Sikivie, 84'

What about lower/higher m_a?



9

W/O cavity? – `aQED' induction effects

$$\Rightarrow \text{ axion-modified Maxwell equations:} \qquad \text{Effective charge: (suppressed as } v_a \ll 1) \\ \vec{\nabla} \cdot \vec{E} = \rho_e + g\vec{B} \cdot \nabla a \\ \vec{\nabla} \times \vec{B} - \frac{\partial \vec{E}}{\partial t} = g\vec{E} \times \vec{\nabla}a - g\vec{B}\frac{\partial a}{\partial t} + \vec{j}_e \\ \vec{\nabla} \cdot \vec{B} = 0 \\ \vec{\nabla} \times \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \text{LC, Abracadabra, ADMX-SLIC, DM-Radio, etc} \\ \vec{\nabla} \times \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \text{LC, Abracadabra, ADMX-SLIC, DM-Radio, etc} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{\nabla} \cdot \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \text{Axio-magnetic current:} \\ \vec{E} = -\frac{\partial \vec{B}}{\partial t} , \qquad \vec{E} = -\frac{\partial \vec{B}}{\partial t}$$

Axio-electric current $\vec{j}_a = g\vec{E} \times \vec{\nabla} a$

Axion's effective sources:

effective (moving) charge & effective displacement currents

DM axion flow Induces a magnetic signal inside E field: see 2012.13946 (broad-band) & 2204.14033 (narrow-band)

Sketch of axio-electric and axio-magnetic effective currents





 $\vec{E} \times \vec{k}_a$

 j_a under *E* field: Depend on both E field and axion flow directions $\vec{B} \cdot \partial_t a$

*j*_a under *B* field:
 (anti)parallel with
 B field direction

Resonance without a cavity

High quality factor filtering is still essential for noncavity.

$$R = g_{a\gamma\gamma}^2 \frac{\rho_a}{m_a^2} B_0^2 C_k V Q$$

Popular solution: electronic (LC) circuit (P.Sikivie,13') resonance tuned to axion frequency (used in ADMX-SLIC, ABRACADABRA, BASE, etc.)







\vec{E} field or \vec{B} field?

[As the medium]

Both induce effective currents
B field is (by Nature's choice) more effective in conversion rate:

* 1 Tesla ~ 10¹³ V/m
* j_a in *E* has velocity suppression.

- Strong solenoid *B* field: instabilities?
- E field: j_a has directional
 dependance 24 hr modulation
- E field: apparatus orientation dependance – bkg veto
- ➤ E field is cheaply maintained as a static field → less fluctuation

[As the signal]

Both E and B signals can be quite efficiently measured nowadays.
 (down to ~ single photon level)
 Typical E field signal:

- * cavity's resonance modes.
- * voltages differences.

≻Typical B field signal:

* magnetic flux by induction

Pick E or B that easily distinguishes
 from the experimental background.
 (Cavity: *E* signal from solenoid B)

Magnetic signal from B field

➢'LC'-type designs: ADMX-SLIC, Abracadabra, DM-Radio, etc.



Magnetic signal from *E* field (non-Res.)





- Cylindrical capacitor: j_a forms circular alternating currents between plate electrodes.
- > Modern SQUIDS sensitive to $\delta B \sim 10^{-15} \, \mathrm{T}$

Magnetic signal from *E* field (Res.)

2204.14033



Electric sensing in B field (Res.)



New haloscopes: open up $m_a < \mu eV$ range

