



中国科学院高能物理研究所

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# Simulation of Particle Identification with Delphes

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CEPC Tracker Layout Working Hour

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# Outline

- Introduction
- The Delphes
- Simulation setup and algorithm
- Current status
- Summary

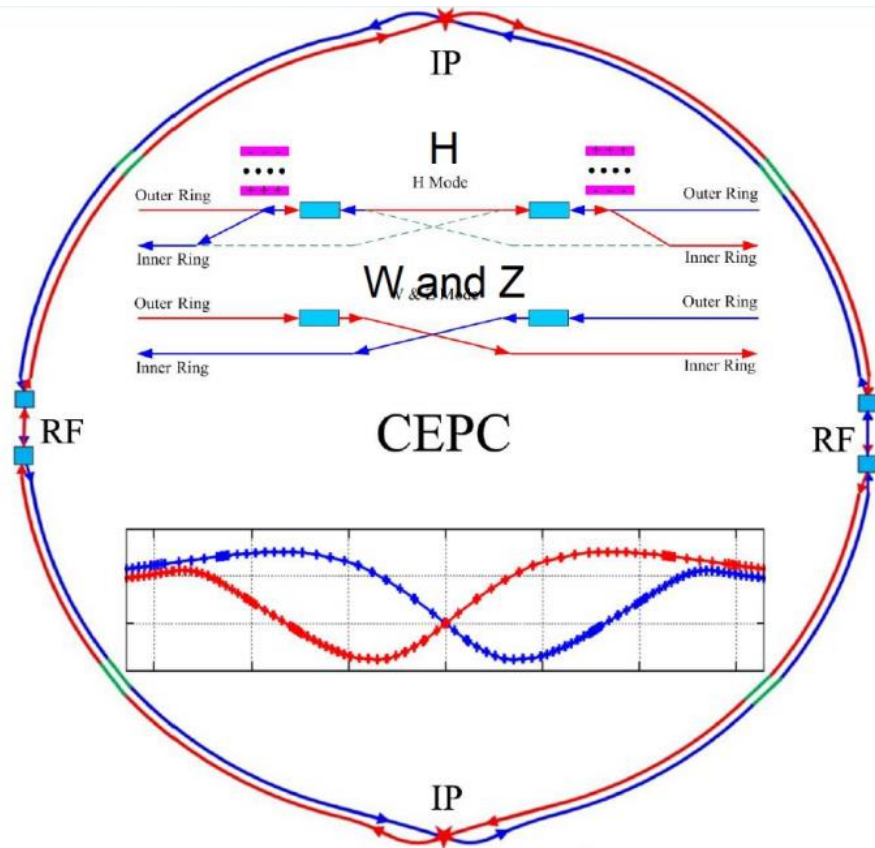
# Physics background

- The Standard Model (SM)
  - It describes the **strong**, **weak** and **electromagnetic** interactions. (under the framework of quantum gauge field theory)
  - The theoretical predictions of SM are in excellent agreement with experimental measurements.
- Higgs boson
  - Helps to our understanding of the origin of mass of subatomic particles.
  - Was discovered as the predicted fundamental particle by the ATLAS and CMS experiments in 2012.
  - Its discovery confirmed the Higgs Mechanism.

# Physics motivation of the CEPC

- To precisely measure Higgs boson and ElectroWeak physics as a tool to probe new physics
  - H, Z, W Factories
- QCD, flavor physics, ...
- Could be upgraded to a proton-proton collider
  - Reach unprecedented high energy and directly search for new physics
- Three different modes
  - H ( $e^+ e^- \rightarrow ZH$ ) (240 GeV)
  - W ( $e^+ e^- \rightarrow W^+ W^-$ ) (160 GeV)
  - Z ( $e^+ e^- \rightarrow Z$ ) (91 GeV)

# Plan of CEPC



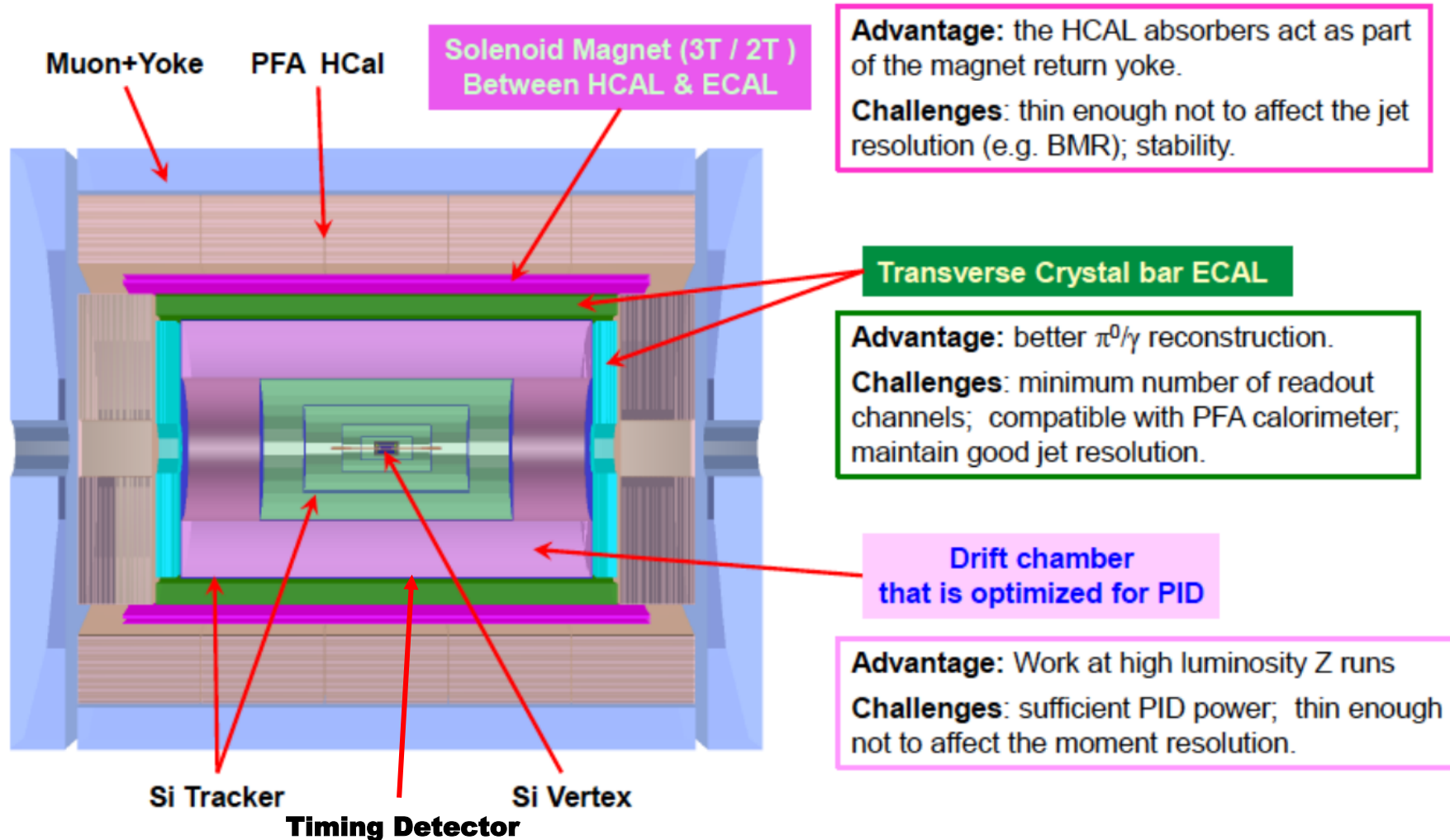
CEPC collider ring (100km)

## CEPC event generate

- **H** ( $e^+ e^- \rightarrow ZH$ ) (240 GeV)
- **W** ( $e^+ e^- \rightarrow W^+ W^-$ ) (160 GeV)
- **Z** ( $e^+ e^- \rightarrow Z$ ) (91 GeV)

Operation mode	Z factory	W threshold scan	Higgs factory
Ecm (GeV)	~91.2	158 - 172	240
$L(10^{34} \text{cm}^{-2} \text{s}^{-1})$	17 - 32	10	3
Running time (years)	2	1	7
Integrated luminosity ( $\text{ab}^{-1}$ )	8 - 16	2.6	5.6
Higgs yield	-	-	$10^6$
W yield	-	$10^7$	$10^8$
Z yield	$10^{11-12}$	$10^9$	$10^9$

# The 4<sup>th</sup> conceptual detector design



From center away:

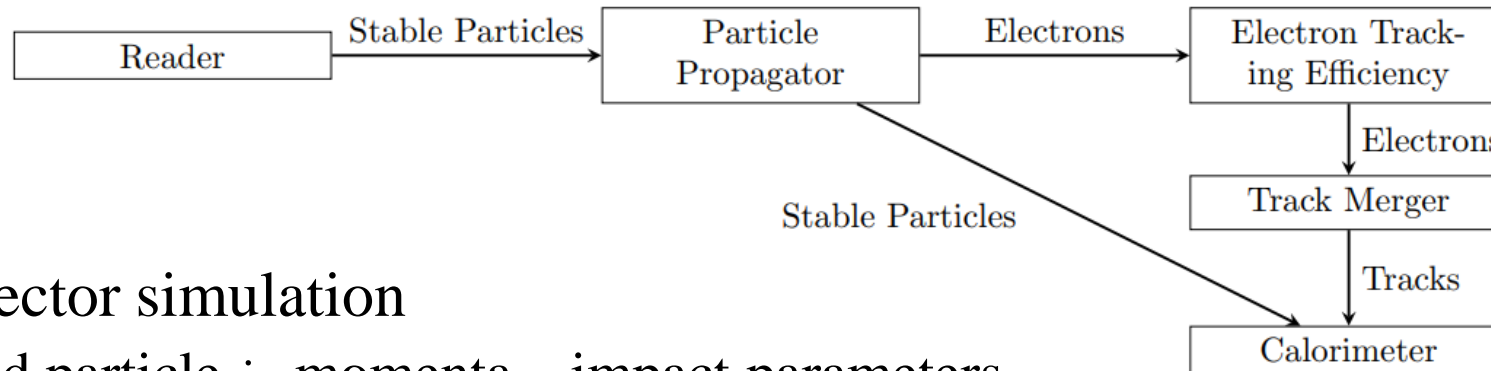
- Vertex Detector
- Silicon Tracker
- **Drift Chamber**
- **Timing Detector**
- Calorimeter
- Superconducting magnets
- Muon Detector

# The Delphes

- Delphes (a detector response simulation framework)
  - Delphes is based on a **modular system**, whereby the input file is read and the information within is passed through a series of modules which make alterations to the passing data. The data is passed between modules in the form of an array of ‘candidates’ (a Delphes class type).
  - Input
    - A monte-carlo event file
    - A configuration card (.tcl)
  - Output
    - A root file

# The Delphes

- An example of delphes:



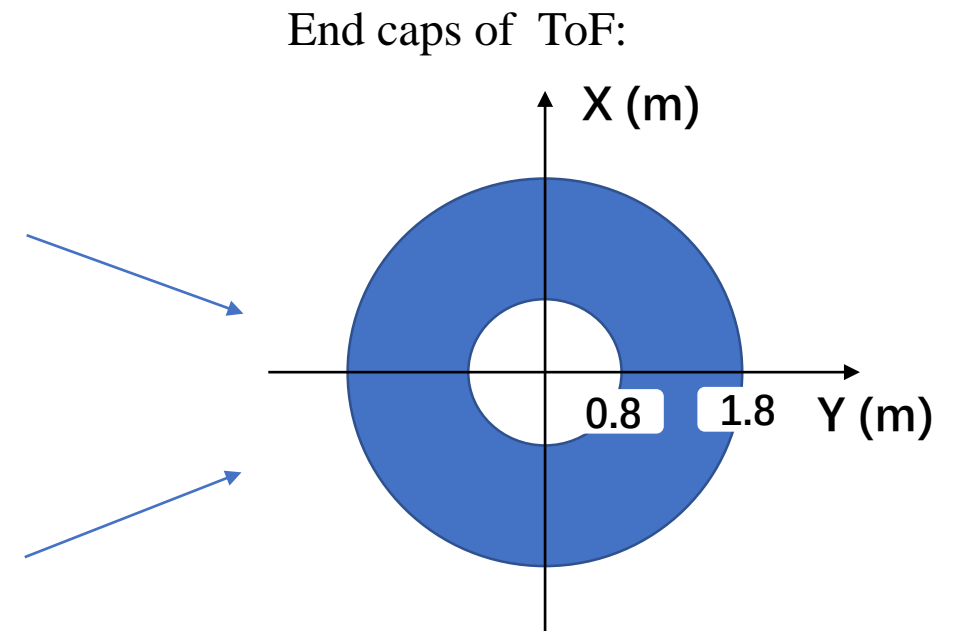
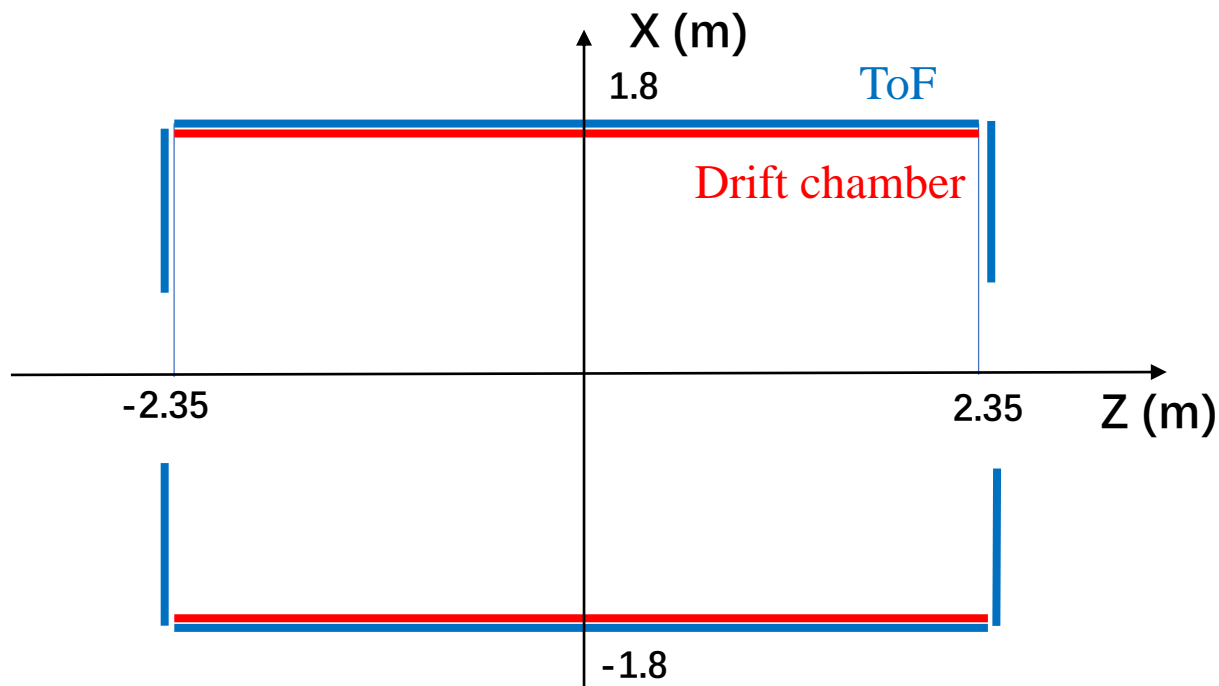
- CEPC detector simulation
  - Charged particle : momenta, impact parameters
  - Neutral particle: energy
  - Jet: perform jet-clustering with the charged and neutral particle as input
  - But PID ability needs more tuning
- This work is to realize PID in the Delphes by combining  $dN/dx$  and ToF.



# Geometry of the detectors

**Drift chamber** : only barrel

**ToF** : barrel + end caps



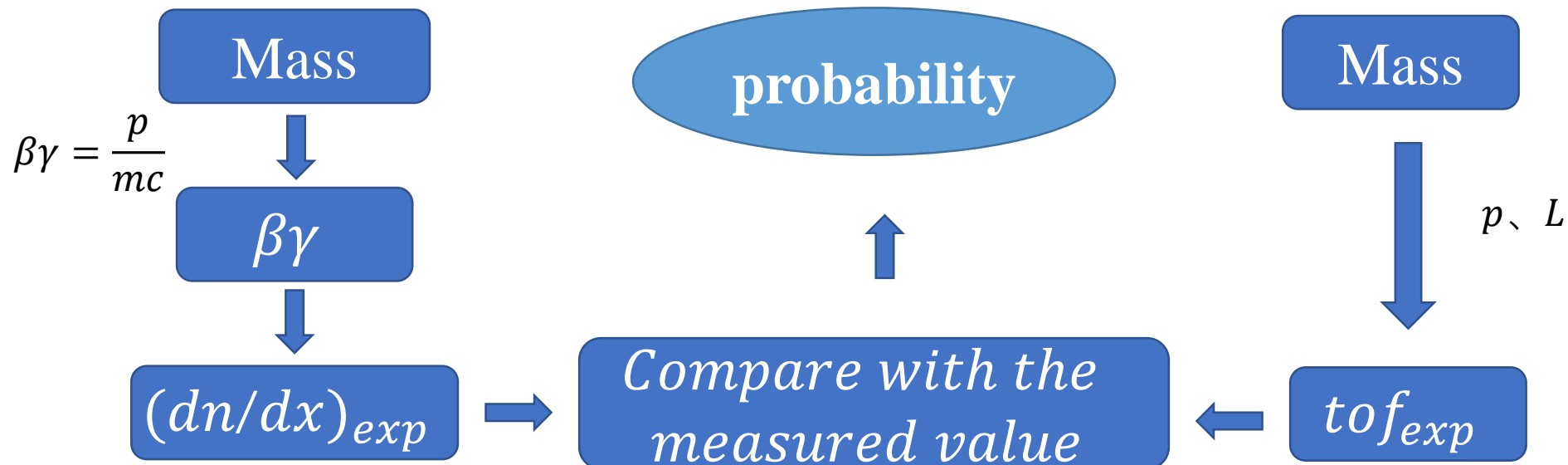
- The current geometry is not the final, which was put temporarily to test the simulation.

# Charged Particle Identification

- **In the identification of charged particles, the difference among different particles is mainly the mass.**
  - **Calorimeter**
    - Identification of electron ( $0.000511\text{GeV}$ )
    - Identification of muon ( $0.106\text{GeV}$ )
  - **Muon Detector**
    - Identification of muon ( $0.106\text{GeV}$ )
  - **ToF + Drift chamber**
    - Identification of pion ( $0.140\text{GeV}$ )
    - Identification of kaon ( $0.494\text{GeV}$ )
    - Identification of proton ( $0.938\text{GeV}$ )
- ◆ The special detectors are used to identify e and  $\mu$ .
  - ◆ The mass of proton is much greater than pion's and kaon's.
  - ◆ **Pion and kaon identification is always the hardest.**

# Charged Particle Identification

- Using  $dN/dx$  and ToF
  - Calculate the probabilities of particles by assuming their masses
    - $e, \mu, \pi, K, p$
- **The most likely assumption is taken**



# The calculation of the probability

Define chi-square:

$$\chi^2 = \chi_1^2 + \chi_2^2 \quad (\text{It follows a Chi-square distribution of 2 degrees of freedom})$$



Calculate 5 chi-squares for different assumptions



Integrate for the probabilities (integral)



Compare the probabilities **The most likely assumption is taken**

$$\chi_1 = \frac{(dN/dx)_{meas} - (dN/dx)_{exp}}{(\sigma)_{dN/dx}}$$

$$\chi_2 = \frac{(tof)_{meas} - (tof)_{exp}}{(\sigma)_{tof}}$$

# The calculation of $\chi$

● **dN/dx** 
$$\chi_1 = \frac{(dN/dx)_{meas} - (dN/dx)_{exp}}{(\sigma)_{dN/dx}}$$

◆ dN/dx and  $(\sigma)_{dN/dx}$  are functions of  $\beta\gamma$

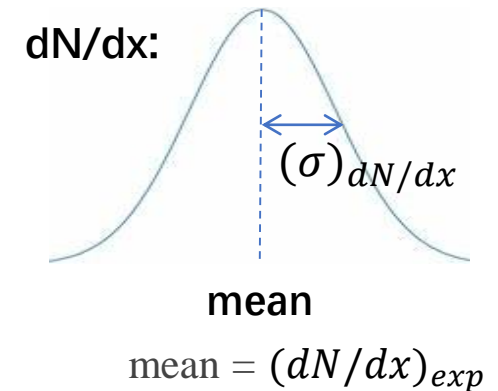
◆  $dN/dx = f(\beta\gamma)$  (f is the theoretical function that only depends on  $\beta\gamma$ )

◆  $(\sigma)_{dN/dx} = \sqrt{f(\beta\gamma)}$

◆ In the formula:

◆  $(dN/dx)_{exp}$  and  $(\sigma)_{dN/dx}$  are calculated with  $\beta\gamma$ 's for 5 particle hypotheses

◆  $(dN/dx)_{meas}$  follows a Poisson distribution with mean and sigma calculated with the truth  $\beta\gamma$



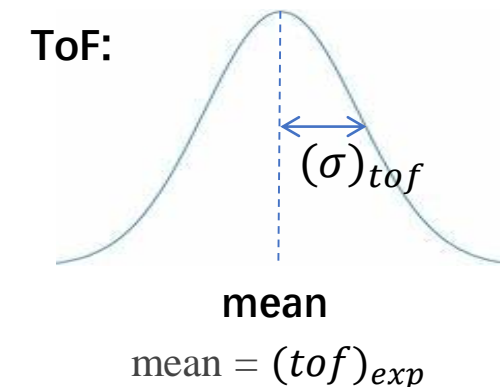
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● **ToF** 
$$\chi_2 = \frac{(tof)_{meas} - (tof)_{exp}}{(\sigma)_{tof}}$$

◆  $(tof)_{exp} = \frac{L}{v} = \frac{L}{\beta c}$        $\beta = \frac{p}{\sqrt{p^2 + m^2}}$

◆  $(tof)_{meas}$ : follows a Gaussian distribution with mean =  $(tof)_{exp}$  and  $(\sigma)_{tof}$

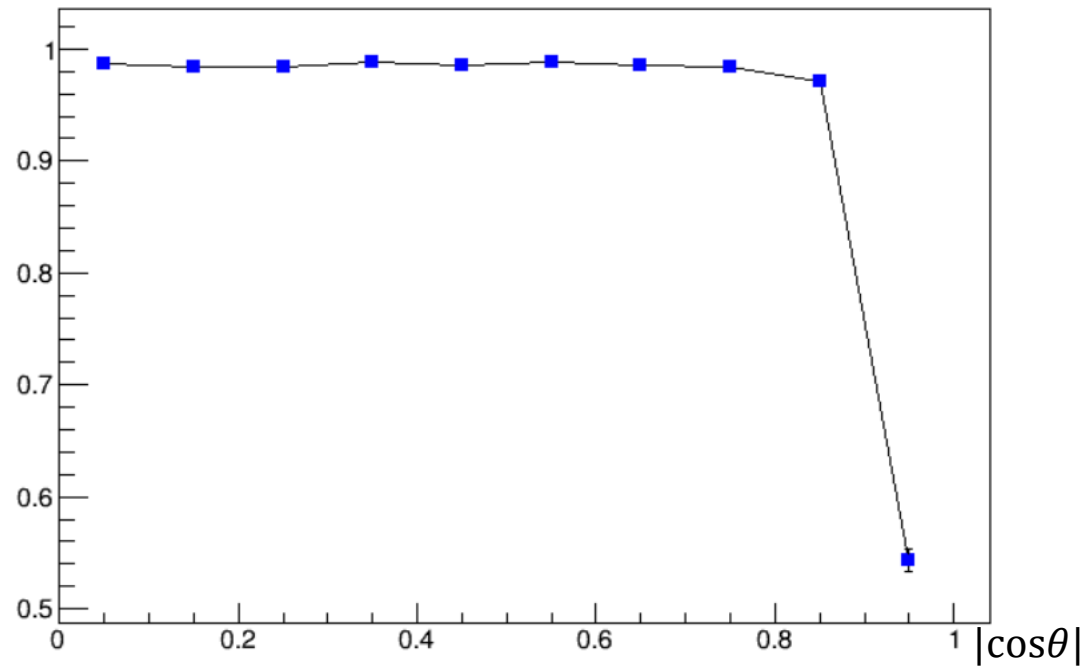
◆  $(\sigma)_{tof} = 30ps$



# The $|\cos\theta|$ and momentum dependence

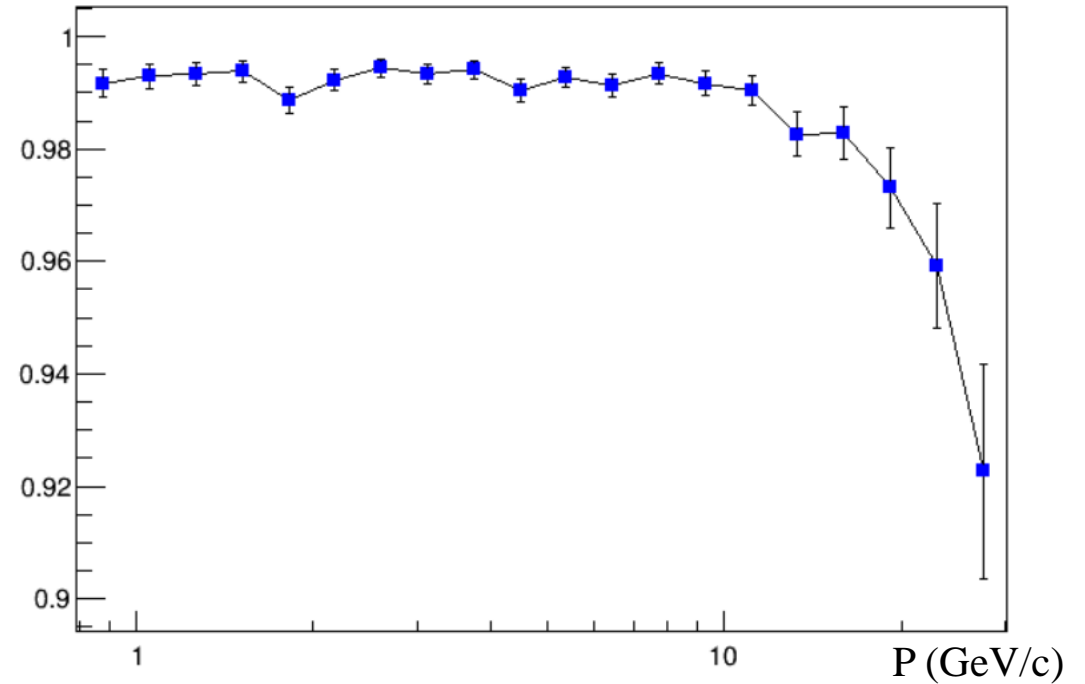
Only considering  $\pi$  and  $K$ :

Kaon PID efficiency



- When  $|\cos\theta| < 0.85$ ,  
The PID performance is better.

Kaon PID efficiency ( $|\cos\theta| < 0.854$ )



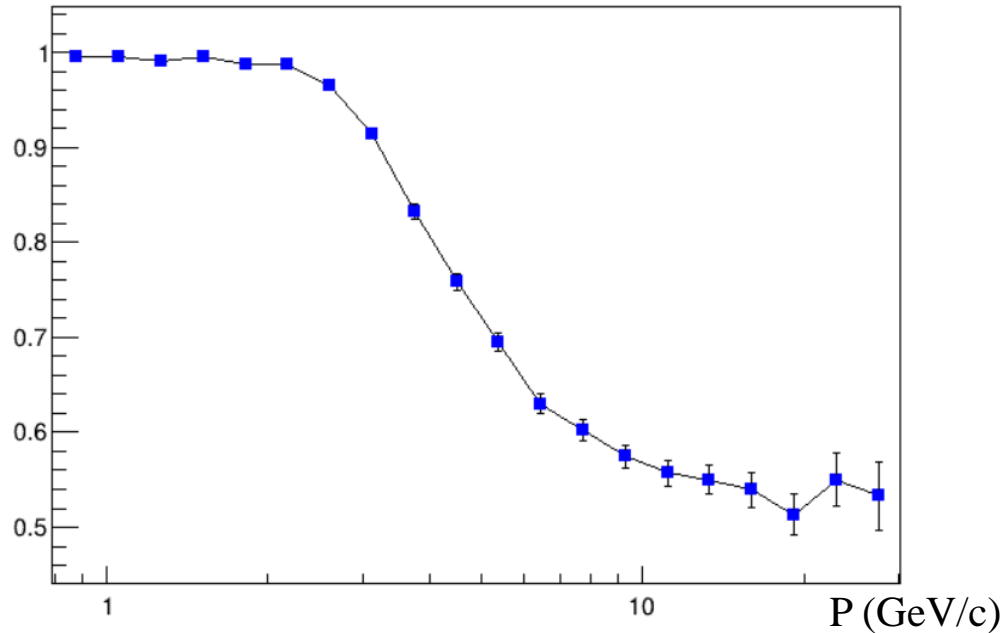
- As momentum increases,  
efficiency decreases.

# The effects of dN/dx and tof

$\pi / K$  separation only

ToF only

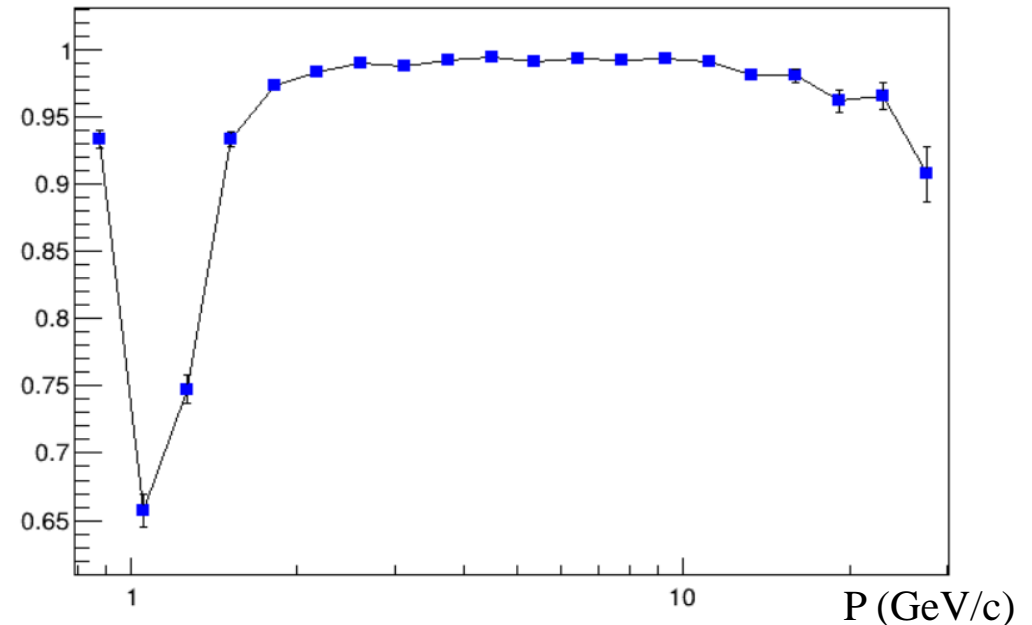
Kaon PID efficiency ( $|\cos\theta| < 0.854$ )



dominant in the low momentum range

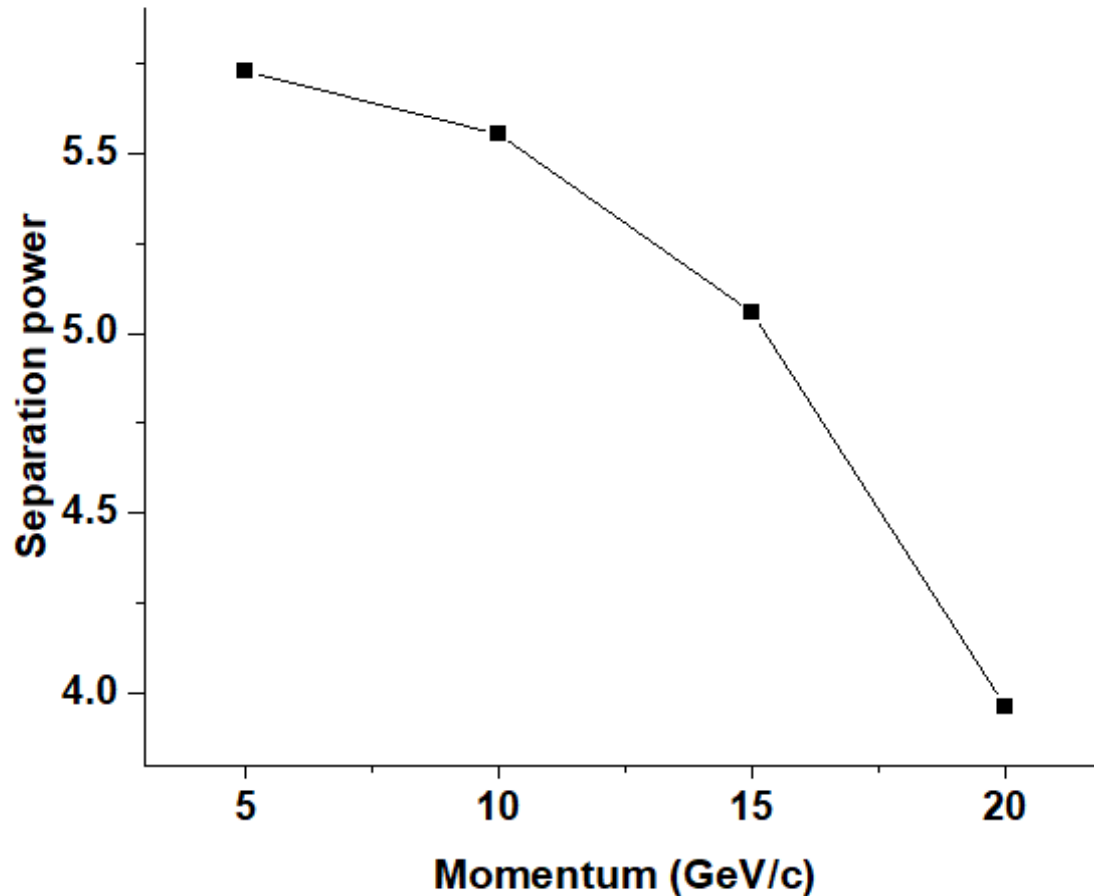
dN/dx only

Kaon PID efficiency ( $|\cos\theta| < 0.854$ )



dominant in the high momentum range

# K/pi Separation Power



Separation power

$$\frac{\left| \left( \frac{dN}{dx} \right)_{\pi} - \left( \frac{dN}{dx} \right)_{K} \right|}{(\sigma_{\pi} + \sigma_K)/2}$$

- 3.5  $\sigma$  K/pi separation power up to 20 GeV/c



# Summary and plan

- **Summary**

- With lots of work, the framework of PID part is in place.
- But there are still many details that need to be revised
  - Criterion for the identification of particles.
  - More realistic simulation of  $dN/dx$
  - Resolutions of  $dN/dx$  and ToF
  - ...

- **Next to do**

- More validations
- Update the parameters of detectors and the resolution of  $dN/dx$ .
- Detector optimizations
- Demonstrate the significance of PID on physics studies.

**Thanks!**