

# Higgs $\rightarrow$ bb/cc/gg measurement at the CEPC and corresponding optimization study

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## Motivation

- The measurement of  $H \rightarrow b\bar{b}/c\bar{c}/gg$  signal strength is important for Higgs coupling studies.
- The flavor tagging performance and color singlet identification has significant impact on the measurement accuracy.

## Contents

- The relative accuracy of signal strength measurement of  $\nu\nu H(H \rightarrow b\bar{b}, c\bar{c}, gg)$ .
  - key performance : flavor tagging
- The relative accuracy of signal strength measurement of  $qqH(H \rightarrow b\bar{b}, c\bar{c}, gg)$ .
  - key performance : flavor tagging
  - key performance : color singlet identification
- summary

## Sample

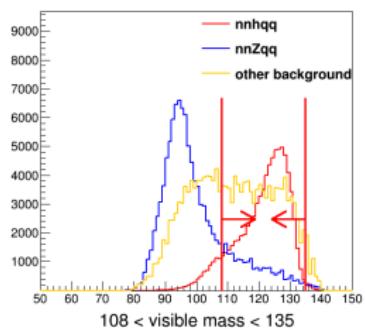
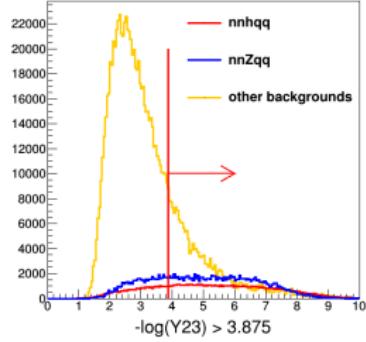
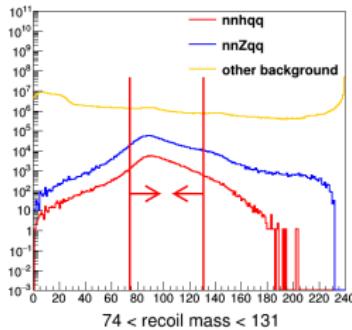
- all SM processes at CEPC ( $\sqrt{s} = 240 \text{ GeV}$ ) with integrated luminosity of  $5600 \text{ fb}^{-1}$

The analysis procedure can be divided into two steps:

- ① select signal events with cut flow
- ② calculate the signal strength accuracy

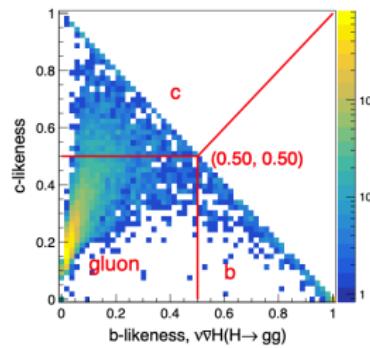
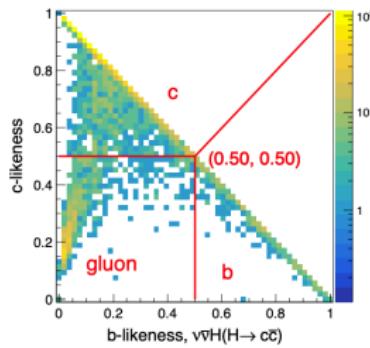
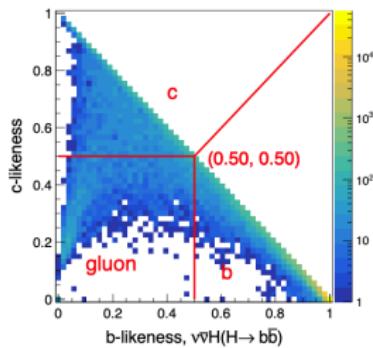
# The analysis process of $\nu\nu H$ channel.

	$\nu\nu Hq\bar{q}/gg$	2f	SW	SZ	WW	ZZ	Mixed	ZH	$\frac{\sqrt{S+B}}{S} (\%)$
total	178890	8.01E8	1.95E7	9.07E6	5.08E7	6.39E6	2.18E7	961606	16.86
recoilMass (GeV) $\in (74, 131)$	157822	5.11E7	2.17E6	1.38E6	4.78E6	1.30E6	1.08E6	74991	4.99
visEn (GeV) $\in (109, 143)$	142918	2.37E7	1.35E6	8.81E5	3.60E6	1.03E6	6.29E5	50989	3.92
leadLepEn (GeV) $\in (0, 42)$	141926	2.08E7	3.65E5	7.24E5	2.81E6	9.72E5	1.34E5	46963	3.59
multiplicity $\in (40, 130)$	139545	1.66E7	2.36E5	5.24E5	2.62E6	9.07E5	4977	42751	3.29
leadNeuEn (GeV) $\in (0, 41)$	138653	1.46E7	2.24E5	4.72E5	2.49E6	8.69E5	4552	42303	3.12
Pt (GeV) $\in (20, 60)$	121212	248715	1.56E5	2.48E5	1.51E6	4.31E5	999	35453	1.37
Pl (GeV) $\in (0, 50)$	118109	52784	1.05E5	74936	7.30E5	1.13E5	847	34279	0.94
-log10(Y23) $\in (3.375, +\infty)$	96156	40861	26088	60349	2.25E5	82560	640	10691	0.76
InvMass (GeV) $\in (116, 134)$	71758	22200	11059	6308	77912	13680	248	6915	0.64
BDT $\in (-0.02, 1)$	60887	9140	266	2521	3761	3916	58	1897	0.47



## Optimized matrix

- ① The b-likeness and c-likeness of two jets can be displaced in 2D graph.
- ② The cut on b-likeness and c-likeness can be find to maximize the value of  $\text{eff}(b \rightarrow b) + \text{eff}(c \rightarrow c) + \text{eff}(udsg \rightarrow udsg)$ , the trace of flavor tagging matrix.

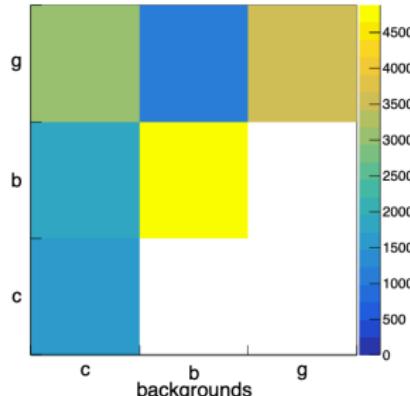
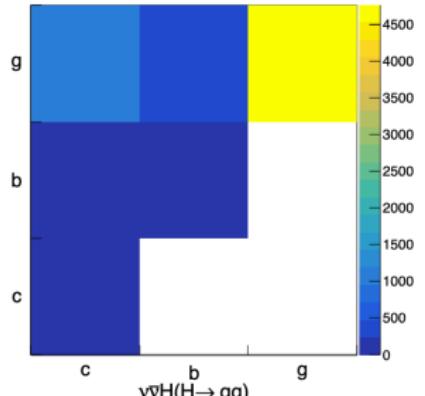
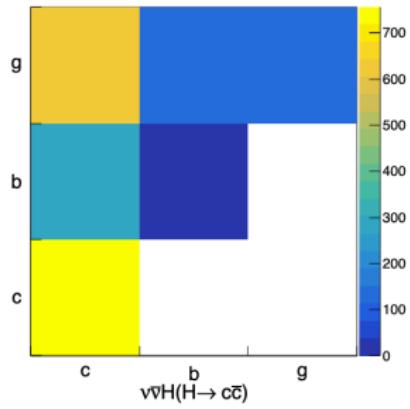
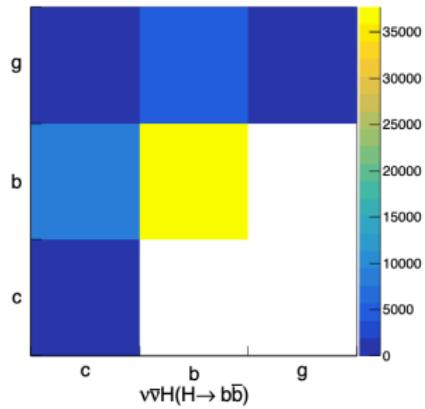


Optimized matrix :

b	<b>0.8675</b>	<b>0.0887</b>	<b>0.0437</b>
c	<b>0.1136</b>	<b>0.6263</b>	<b>0.2601</b>
g	<b>0.0411</b>	<b>0.1007</b>	<b>0.8582</b>

identified as

# events distribution based on optimized matrix :



$$-2 \cdot \log(\ell) = \sum_{i=1}^{j=6} \frac{[S_b \cdot N_{b,i} + S_c \cdot N_{c,i} + S_{light} \cdot N_{light,i} + N_{bkg,i} - N_i]^2}{N_i}$$

- $S_b$ : the signal strength of  $\nu\nu H b\bar{b}$
- $N_{b,i}$ : the event number of  $\nu\nu H b\bar{b}$  in  $i$ th bin
- $N_i$ : the total event number in  $i$ 'th bin of  $\nu\nu H b\bar{b}$ ,  $\nu\nu H/c\bar{c}$ ,  $\nu\nu H gg$  and backgrounds
- $N_{bkg,i}$  is the expected event number in  $i$ th bin of backgrounds,
- similar for  $S_c$ ,  $S_{light}$ ,  $N_{c,i}$ , and  $N_{light,i}$

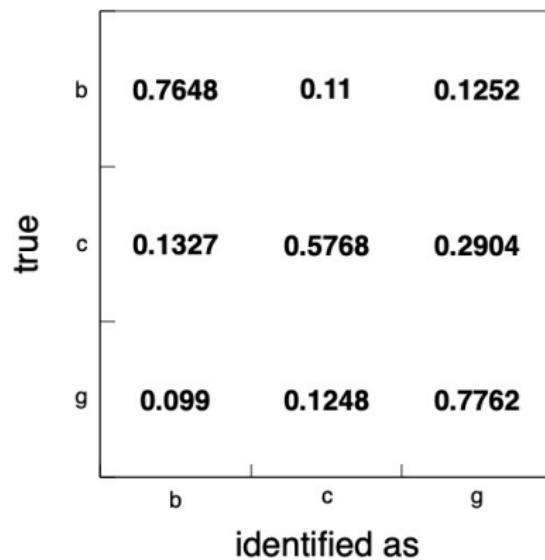
hessian matrix = 
$$\begin{bmatrix} \frac{\partial^2 \log(\ell)}{\partial S_g \partial S_c} & \frac{\partial^2 \log(\ell)}{\partial S_g \partial S_b} & \frac{\partial^2 \log(\ell)}{\partial S_g \partial S_g} \\ \frac{\partial^2 \log(\ell)}{\partial S_b \partial S_c} & \frac{\partial^2 \log(\ell)}{\partial S_b \partial S_b} & \frac{\partial^2 \log(\ell)}{\partial S_b \partial S_g} \\ \frac{\partial^2 \log(\ell)}{\partial S_c \partial S_c} & \frac{\partial^2 \log(\ell)}{\partial S_c \partial S_b} & \frac{\partial^2 \log(\ell)}{\partial S_c \partial S_g} \end{bmatrix}$$

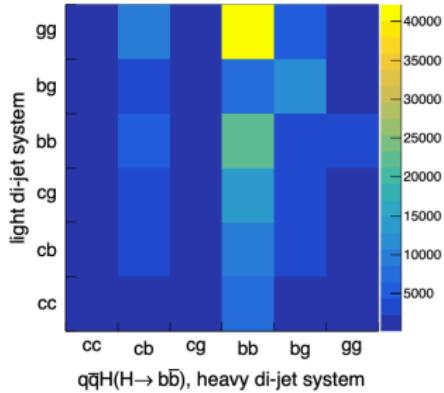
- The error covariance is obtained from the hessian matrix.
- The relative accuracy of signal strength is the square roots of the diagonal elements of the covariance matrix, it is **0.49%/5.75%/1.82%** for  $\nu\nu H b\bar{b}/c\bar{c}/gg$ .

# The analysis process of $q\bar{q}H$ channel.

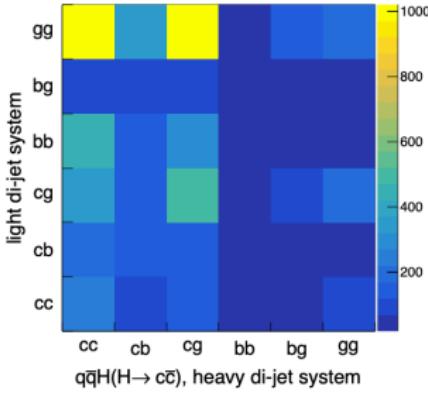
	qqHqq/gg	2f	SW	SZ	WW	ZZ	Mixed	ZH	$\frac{\sqrt{S+B}}{S} (%)$
total	527488	$8.01E8$	$1.95E7$	$9.07E6$	$5.08E7$	$6.39E6$	$2.18E7$	613008	5.71
multiplicity $\in (27, +\infty)$	527488	$3.04E8$	$1.46E7$	$3.37E6$	$4.85E7$	$6.00E6$	$1.81E7$	577930	3.77
$leadLepEn$ $\in (0, 59)$	527036	$2.98E8$	$6.76E6$	$2.44E6$	$3.93E7$	$5.40E6$	$1.79E7$	531411	3.65
$visEn$ $\in (199, 278)$	510731	$1.21E8$	$1.29E6$	551105	$2.14E7$	$3.06E6$	$1.71E7$	180571	2.52
$leadNeuEn$ $\in (0, 57)$	509623	$5.68E7$	716161	168030	$2.04E7$	$2.93E6$	$1.65E7$	176387	1.94
$thrust$ $\in (0, 0.86)$	460535	$7.81E6$	473732	132126	$1.88E7$	$2.60E6$	$1.54E7$	167863	1.47
$-\log(Y_{34})$ $\in (0, 5.8875)$	451468	$4.90E6$	181432	119836	$1.74E7$	$2.40E6$	$1.45E7$	165961	1.40
$HiggsjetsA$ $\in (2.18, 2\pi)$	326207	$2.83E6$	110156	58613	$4.54E6$	870276	$3.74E6$	96560	1.08
$ZjetsA$ $\in (1.97, 2\pi)$	279030	$1.37E6$	33491	37101	$2.39E6$	496611	$2.00E6$	74005	0.93
$ZHiggsA$ $\in (2.32, 2\pi)$	274530	$1.32E6$	17026	33847	$2.28E6$	468340	$1.91E6$	69620	0.92
$circle$ BDT	268271	$1.20E6$	10193	31567	$2.13E6$	424514	$1.79E6$	65434	0.90
$\epsilon (0.02, 1)$	192278	378300	40	307	271436	141446	244126	30022	0.57

## optimized matrix

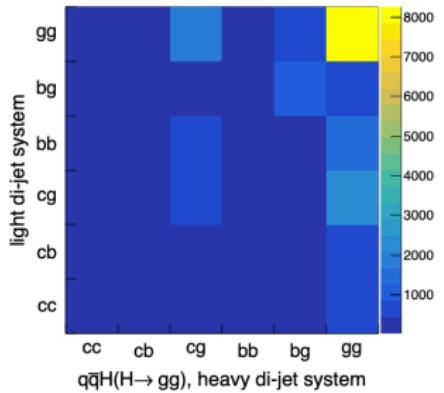




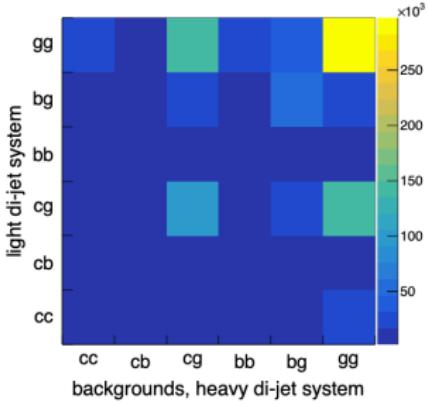
$q\bar{q}H(H \rightarrow b\bar{b})$ , heavy di-jet system



$q\bar{q}H(H \rightarrow c\bar{c})$ , heavy di-jet system



$q\bar{q}H(H \rightarrow gg)$ , heavy di-jet system



backgrounds, heavy di-jet system

The signal strength accuracy is 0.35%/7.74%/3.96% for  $q\bar{q}Hb\bar{b}/c\bar{c}/gg$ .



Z decay mode	$H \rightarrow b\bar{b}$	$H \rightarrow c\bar{c}$	$H \rightarrow gg$
$Z \rightarrow e^+e^-$	1.57%	14.43%	10.31%
$Z \rightarrow \mu^+\mu^-$	1.06%	10.16%	5.23%
$Z \rightarrow q\bar{q}$	0.35%	7.74%	3.96%
$Z \rightarrow \nu\bar{\nu}$	0.49%	5.35%	1.77%
combination	0.27%	4.03%	1.56%

# key performance : flavor tagging

$$M_{mig} = \frac{Tr_{mig} - Tr_{opt}}{Tr_I - Tr_{opt}} \cdot (M_I - M_{opt}) + M_{opt}, Tr_{mig} \geq Tr_{opt}$$

$$M_{mig} = \frac{Tr_{mig} - Tr_{opt}}{Tr_{1/3} - Tr_{opt}} \cdot (M_{1/3} - M_{opt}) + M_{opt}, Tr_{mig} < Tr_{opt}$$

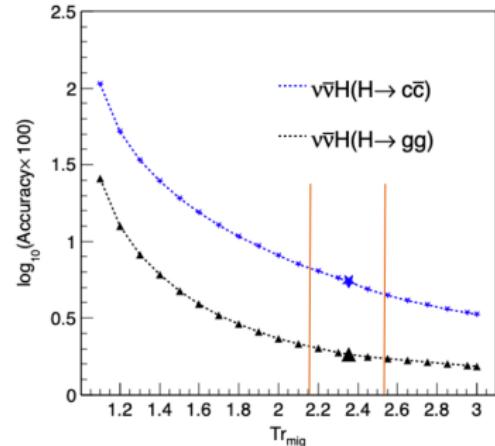
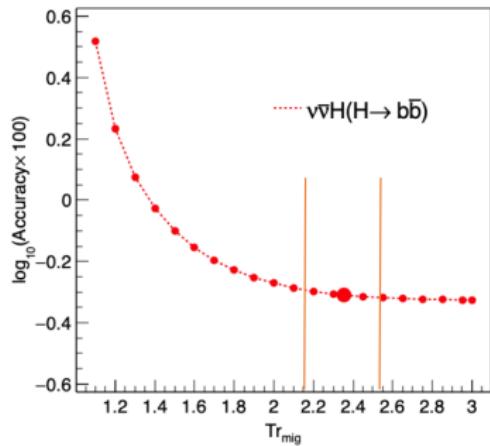
	b	c	g
b	1	0	0
c	0	1	0
g	0	0	1

identified as  
perfect

	b	c	g
b	1/3	1/3	1/3
c	1/3	1/3	1/3
g	1/3	1/3	1/3

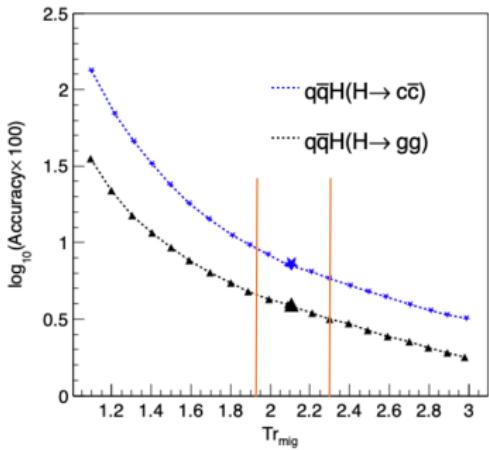
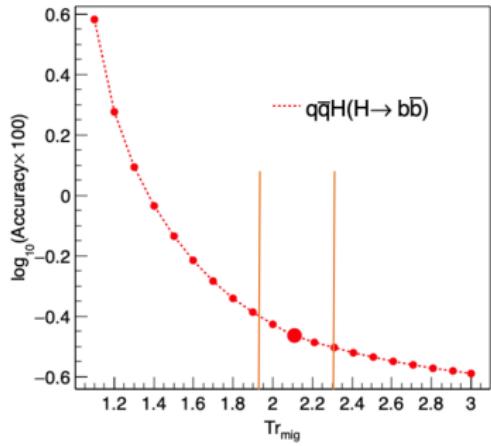
identified as  
none

# $\nu\bar{\nu}H$



- The perfect flavor tagging performance can improve the  $\nu\bar{\nu}H(H \rightarrow b\bar{b}/c\bar{c}/gg)$  signal strength accuracy by 2%/63%/13%.
- If the values of vertex detector parameters, including material budget, inner radius, and spatial resolution, is 0.5/2 times compared to the CEPC baseline, the  $Tr_{mig}$  will changes from 2.35 to 2.54/2.16 accordingly. The detail can be found in the following pages.

# $q\bar{q}H$

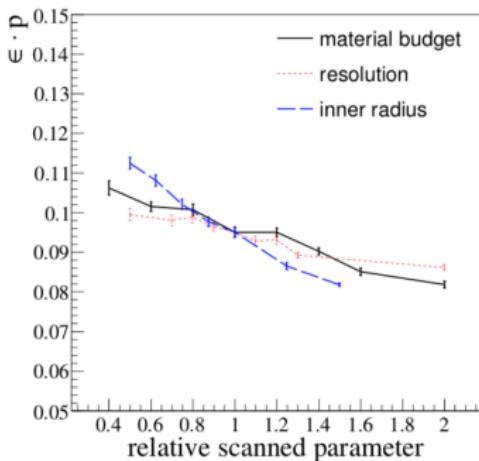


- The perfect flavor tagging performance can improve the  $\nu\bar{\nu}H(H \rightarrow b\bar{b}/c\bar{c}/gg)$  signal strength accuracy by 35%/122%/181%.
- If the values of vertex detector parameters is 0.5/2 times compared to the CEPC baseline, the  $Tr_{mig}$  will changes from 2.12 to 2.31/1.93 accordingly.

# The dependency of flavor tagging performance on vertex detector design.

**Table 1.** The baseline design parameters of the CEPC vertex system.

	R(mm)	Z(mm)	single-point resolution( $\mu m$ )	material budget
Layer 1	16	62.5	2.8	0.15%/ $X_0$
Layer 2	18	62.5	6	0.15%/ $X_0$
Layer 3	37	125.0	4	0.15%/ $X_0$
Layer 4	39	125.0	4	0.15%/ $X_0$
Layer 5	58	125.0	4	0.15%/ $X_0$
Layer 6	60	125.0	4	0.15%/ $X_0$



the right plot : the correlation between c-tagging efficiency times purity and vertex detector parameters

## The dependency of $Tr_{mig}$ on vertex detector parameters.

In  $\nu\bar{\nu}H$  channel,

$$Tr_{mig} = 2.35 + 0.05 \cdot \log_2 \frac{R_{material}^0}{R_{material}} + 0.04 \cdot \log_2 \frac{R_{resolution}^0}{R_{resolution}} + 0.10 \cdot \log_2 \frac{R_{radius}^0}{R_{radius}}.$$

$R_{material}^0$  : the default material budget     $R_{material}$  : the modified material budget

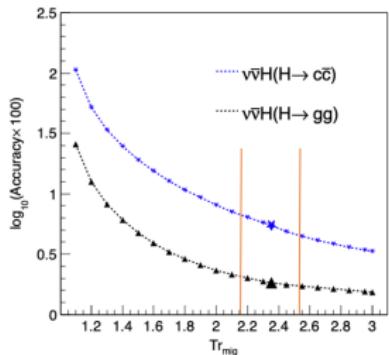
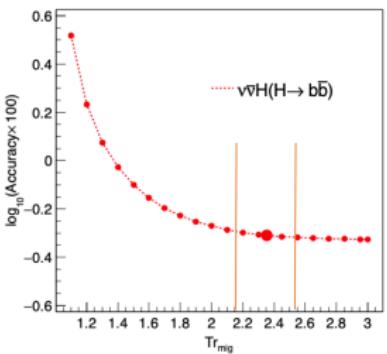
In  $q\bar{q}H$  channel,

$$Tr_{mig} = 2.12 + 0.05 \cdot \log_2 \frac{R_{material}^0}{R_{material}} + 0.04 \cdot \log_2 \frac{R_{resolution}^0}{R_{resolution}} + 0.10 \cdot \log_2 \frac{R_{radius}^0}{R_{radius}}.$$

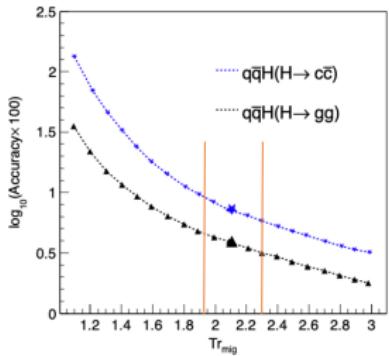
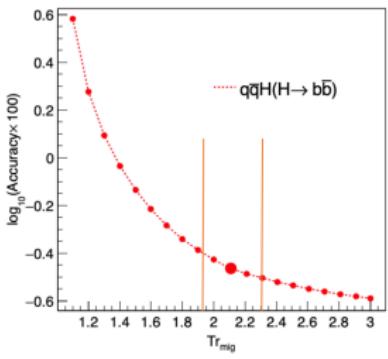
**Table 2.** Reference geometries.

	Scenario A (Aggressive)	Scenario B (Baseline)	Scenario C (Conservative)
Material per layer/ $X_0$	0.075	0.15	0.3
Spatial resolution/ $\mu\text{m}$	1.4 - 3	2.8 - 6	5 - 10.7
$R_{in}/\text{mm}$	8	16	23
$Tr_{mig}$ for $q\bar{q}H$	2.31	2.12	1.93
$Tr_{mig}$ for $\nu\bar{\nu}H$	2.54	2.35	2.16

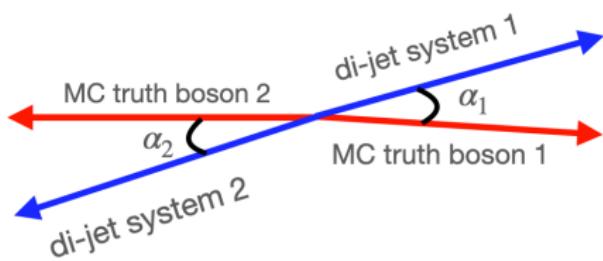
$\nu\bar{\nu}H$



$qqH$

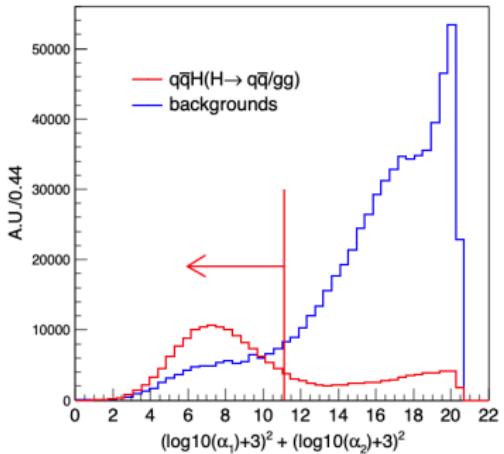


key performance : color singlet identification  
(i.e. jet clustering and jet matching)



We use the angle between reconstructed boson and MC truth boson  
to evaluate the CSI performance.

note : The CSI evaluator in this report is just a demonstrator.



	$qqHb\bar{b}$	$qqHc\bar{c}$	$qqHgg$
w.o. alpha cut	0.35%	7.74%	3.96%
w.i. alpha cut	0.33%	4.37%	2.08%
improved by	6%	77%	90%

## Summary :

- The total signal strength of  $H \rightarrow b\bar{b}, c\bar{c}, gg$  can be measured to a relative accuracy of 0.27%/4.03%/1.56%, combining all four different channels of  $\mu\mu H, eeH, \nu\nu H$  and  $qqH$ .

Z decay mode	$H \rightarrow bb$	$H \rightarrow c\bar{c}$	$H \rightarrow gg$
$Z \rightarrow e^+e^-$	1.57%	14.43%	10.31%
$Z \rightarrow \mu^+\mu^-$	1.06%	10.16%	5.23%
$Z \rightarrow q\bar{q}$	0.35%	7.74%	3.96%
$Z \rightarrow \nu\bar{\nu}$	0.49%	5.35%	1.77%
combination	0.27%	4.03%	1.56%

- The flavor tagging and color singlet identification (CSI) are the critical performances for these benchmarks. Their impact on the anticipated physics reach is evaluated.
  - for  $\nu\nu H$  channel
    - The flavor tagging is critical for the  $\nu\nu H(H \rightarrow b\bar{b}/c\bar{c}/gg)$  measurement. Using an ideal flavor tagging, the anticipated accuracy could be improved by 2%/63%/13%.
  - for  $qqH$  channel
    - With perfect flavor tagging, the anticipated accuracy of  $q\bar{q}H(H \rightarrow b\bar{b}/c\bar{c}/gg)$  could be improved by 35%/122%/181%.
    - If we can quantify the CSI performance and select the events with good CSI performance, the  $q\bar{q}H(H \rightarrow b\bar{b}/c\bar{c}/gg)$  accuracy can be improved by 6%/77%/90%.
- A good color singlet identification, or even a reliable color singlet identification performance evaluator at reconstruction level, is highly appreciated.

<https://arxiv.org/abs/2203.01469>

# Many thanks !

# Back Up

# systematic uncertainties

We categorize the leading systematic uncertainties into three groups:

- The first group includes the reconstructed energy/momentum scale of the physics objects, which are significantly smaller than the statistical uncertainties.
- The second group are those comparable to the statistical uncertainty, especially the integrated luminosity.
- The third group are those that can be significantly larger than the statistical uncertainty, including CSI and the jet configuration.

The detailed discussion can be found in  
<https://arxiv.org/abs/2203.01469>.

