



# RCNP theory group



2 staff members

4 postdocs

4 Chinese

5 visiting researchers

More than 10 students

+ IPC course

<http://www.rcnp.osaka-u.ac.jp/~ipc/>



Oct.14-15 2010

Int. Symp. NP in



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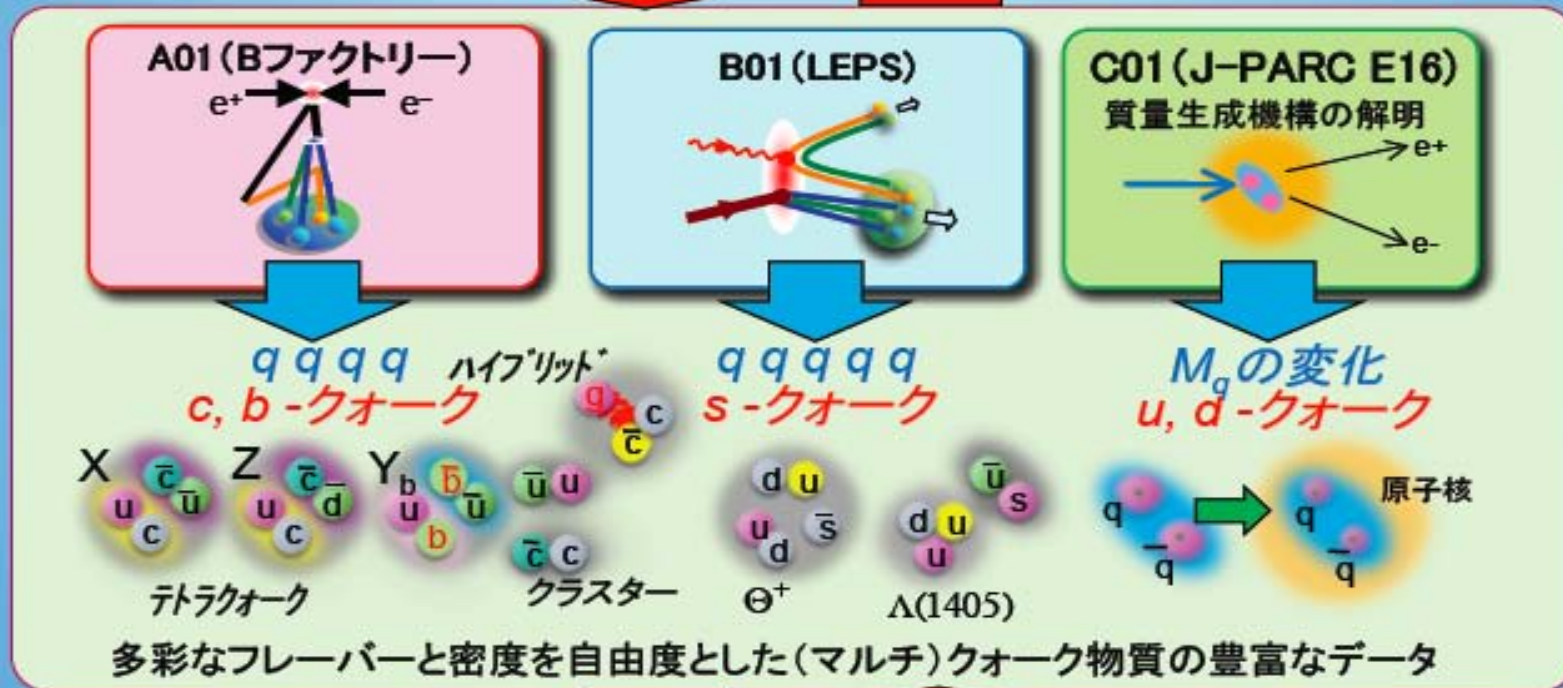
# Elucidation of new hadrons with variety of flavors (2009 - 2013)

## 「多彩なフレーバーでさぐる新しいハドロン存在形態の包括的研究」

世界をリードする素粒子原子核分野の実験・理論研究者が、「ハドロン」という共通のキーワードを得て結集、その境界領域に新しいハドロン物理学を創成する。

E01 (理論研究) QCDに基づく統一的な理解+実験への予言

クォークがどのように質量を獲得し、どのような形態でハドロンに閉じ込められるのかを探る



D01 (検出器開発): 将来の加速器増強に向けて必要となる検出器開発

# Structure of resonances single particle vs collective (cluster)

Atsushi Hosaka 保坂 淳

RCNP, Osaka Univ

Collaborators: T. Hyodo (TITech, Tokyo),  
D. Jido (Yukawa Inst. Kyoto),  
H. Nagahiro (Nara Women's Univ),  
K. Nawa, S. Ozaki (RCNP)

Oct. 14-15

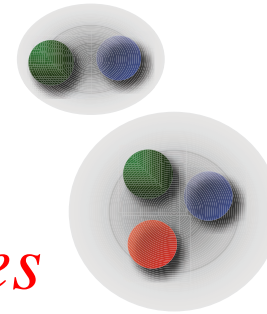
International Symposium on Nuclear Physics in Asia

# 1. Introduction

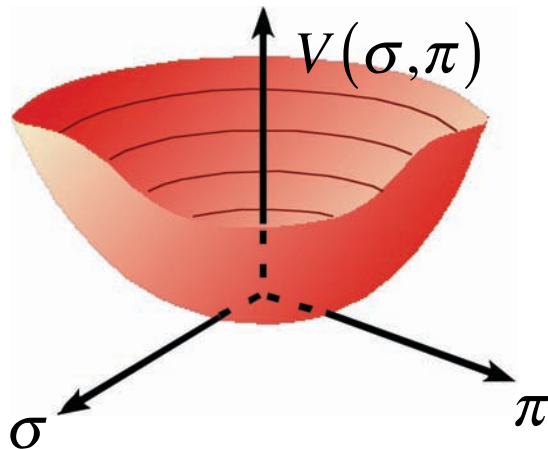
“*Constituent*” quarks

Successful for *ground states*

$q\bar{q}$  and  $qqq$  of *independent particles*



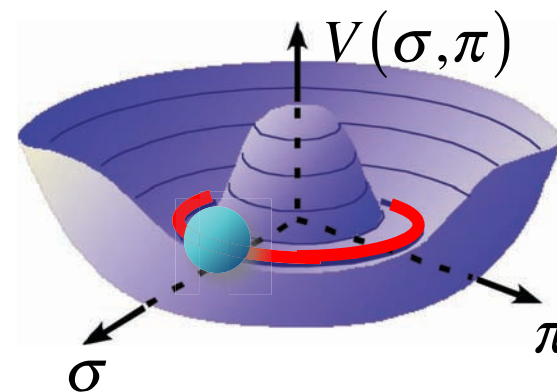
*Light flavor*



$$\langle \sigma \rangle = f_\pi$$



Broken symmetry  
where we are now



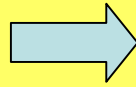
# Observation of exotic hadron resonances

$\Theta^+$ ,  $\Lambda(1405)$ , ...,  $X(3872)$ ,  $Z^+(4430)$ , etc

*Pentaquarks Hadronic molecule Tetraquarks*

Quantum numbers

Matrix elements



Not easy to explain by

the conventional picture

# Observation of exotic hadron resonances

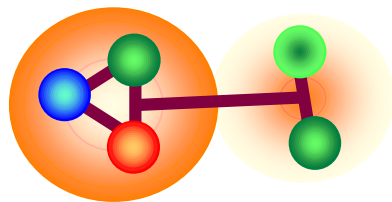
$\Theta^+$ ,  $\Lambda(1405)$ , ...,  $X(3872)$ ,  $Z^+(4430)$ , etc

*Pentaquarks Hadronic molecule Tetraquarks*

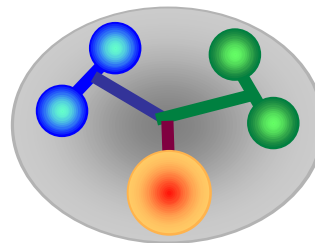
Quantum numbers  
Matrix elements  $\rightarrow$  Not easy to explain by  
the conventional picture

Key question:

What multiquark configurations are possible?



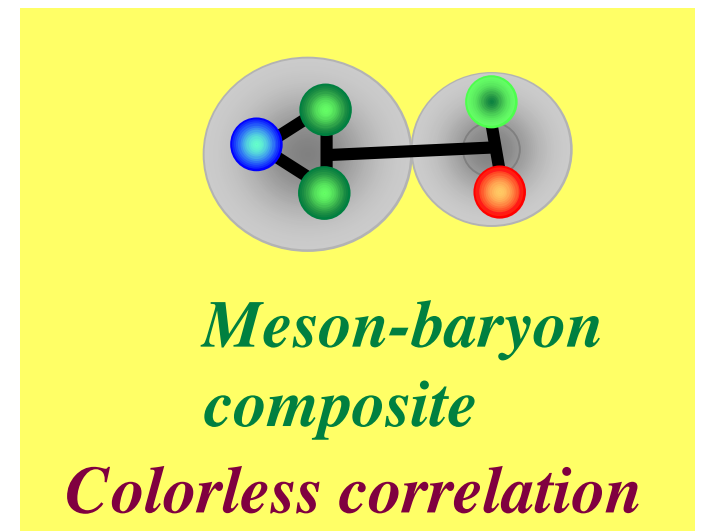
*Triquark*



*Diquark*



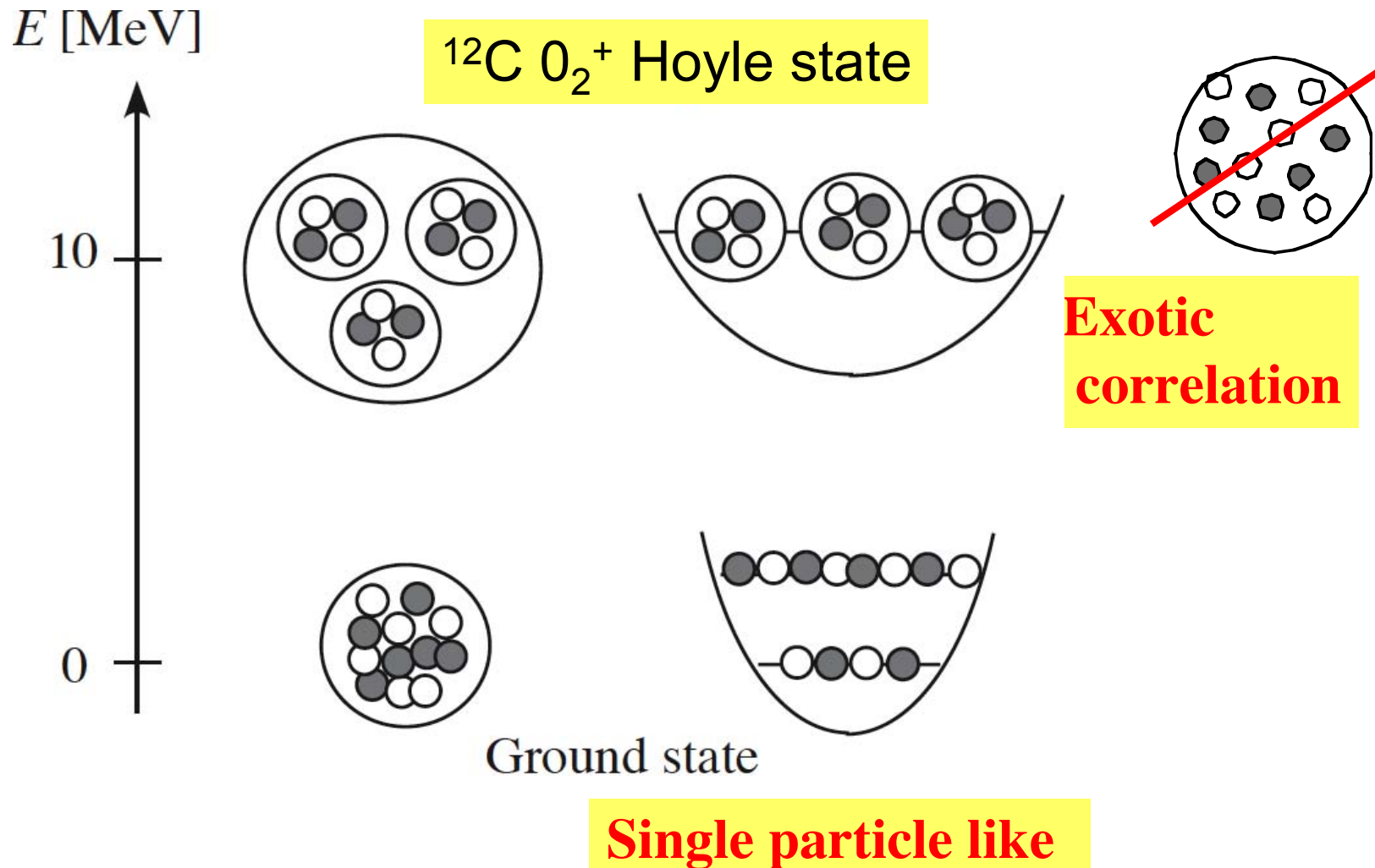
*Colored correlation*



*Meson-baryon  
composite*

*Colorless correlation*

# Example in Nuclear Physics





# 2. Coexistence of different structures

Hideko Nagahiro<sup>1)</sup>, Kanabu Nawa<sup>2)</sup>,  
Sho Ozaki<sup>2)</sup>, Daisuke Jido<sup>3)</sup>, and Atsushi Hosaka<sup>2)</sup>

<sup>1)</sup> Department of Physics, Nara Women's University,

<sup>2)</sup> RCNP, Osaka University,

<sup>3)</sup> YITP, Kyoto University

**Bare  $q\bar{q}$  or Hadronic  $\pi\rho$  composite for  $a_1$**

$$|a_1\rangle_{\text{phys}} = z_1 | \text{● } a_1 \rangle_{\text{bare}} + z_2 | \text{● } \rho \text{● } \pi \rangle_{\text{composite}} + \dots$$

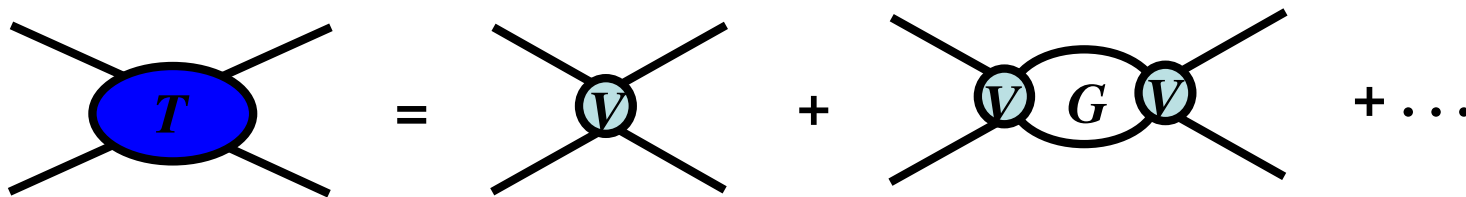
# A problem of chiral theory

$$L_{WT} = \frac{1}{4f_\pi^2} \text{tr} \bar{B} i \gamma^\mu [\phi \partial_\mu \phi - \partial_\mu \phi \phi, B] \sim \frac{\sqrt{s} - M}{2f_\pi^2} \bar{B} B \phi \phi$$

# A problem of chiral theory

$$L_{WT} = \frac{1}{4f_\pi^2} \text{tr} \bar{B} i \gamma^\mu [\phi \partial_\mu \phi - \partial_\mu \phi \phi, B] \sim \frac{\sqrt{s} - M}{2f_\pi^2} \bar{B} B \phi \phi$$

Point like  *$\delta$ -function* attraction  $\Rightarrow$  *Ill defined*



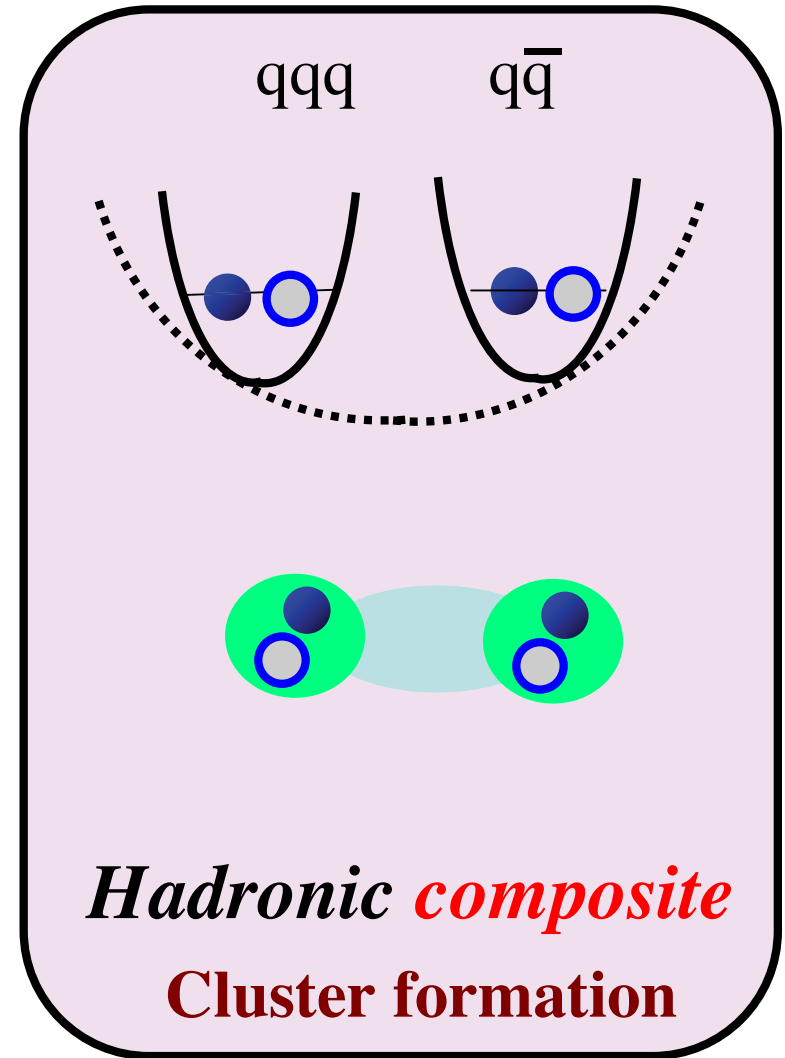
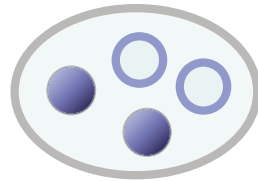
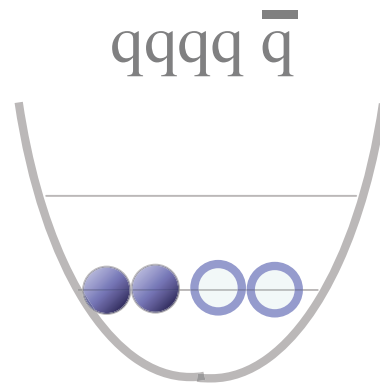
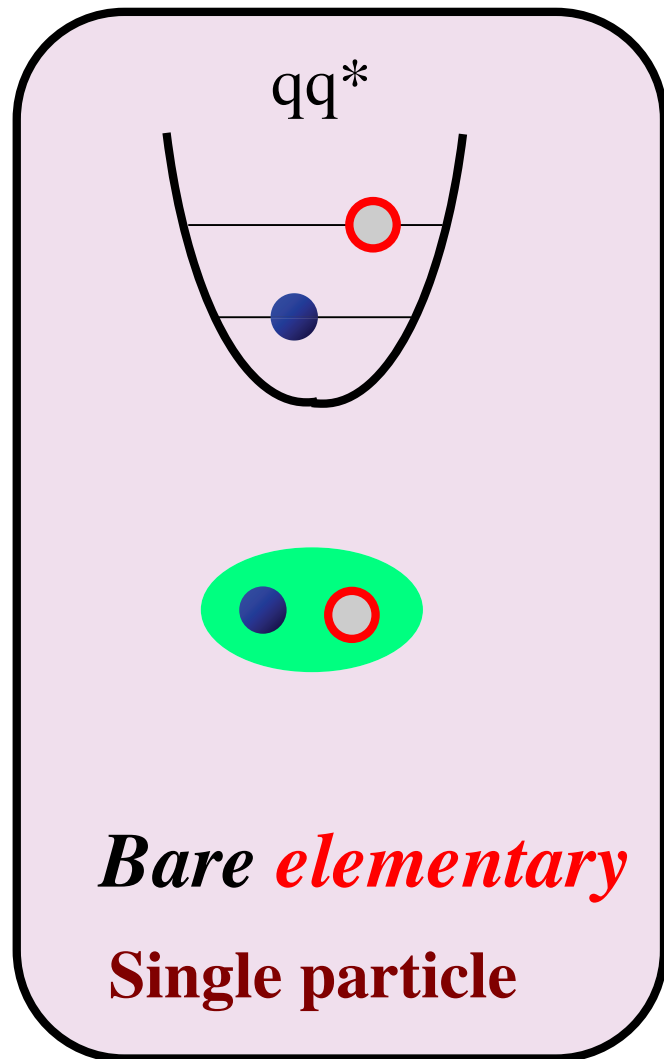
*Divergent* loop function needs *regularization*

$\Rightarrow$  We can make a model *as we want*

*Natural scheme* for *compositeness* condition

Hyodo-Jido-Hosaka, PRC78:025203,2008

# Coexistence of different structure



# A model for $\pi$ , $\rho$ and $a_1$

## Hidden Local Symmetry or Holographic model

Bando-Kugo-Yamawaki

Phys. Rept., 164 (1988) 217

Sakai-Sugimoto

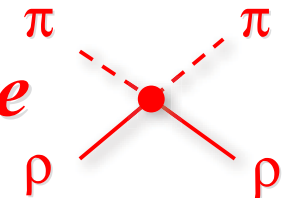
PTP113(05)843; PTP114(05)1083

Nawa, Suganuma, Kojo,  
PRD75(07)086003 etc

$$\mathcal{L}_{\text{WT}} = -\frac{g_4}{4f_\pi^2} \text{tr}([\rho^\mu, \partial^\nu \rho_\mu][\pi, \partial_\nu \pi])$$



*composite*



$$\mathcal{L}_{a_1\pi\rho} = -g_{a_1\pi\rho} \frac{\sqrt{2}}{f_\pi} \left\{ \text{tr}[(\partial_\mu a_{1\nu} - \partial_\nu a_{1\mu})[\partial^\mu \pi, \rho^\nu]] + \text{tr}[(\partial_\mu \rho_\nu - \partial_\nu \rho_\mu)[\partial^\mu \pi, a_1^\nu]] \right\}$$

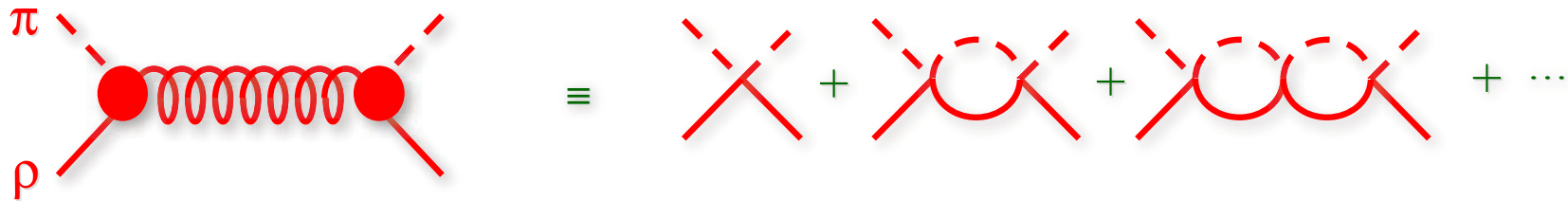


*bare*  
 $\bar{q}q$



# Solving the problem

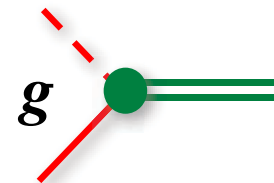
## (a) Composite, dynamically generated



## (b) Bare, $\bar{q}q$



mixing with  
the strength  $\mathcal{X}$

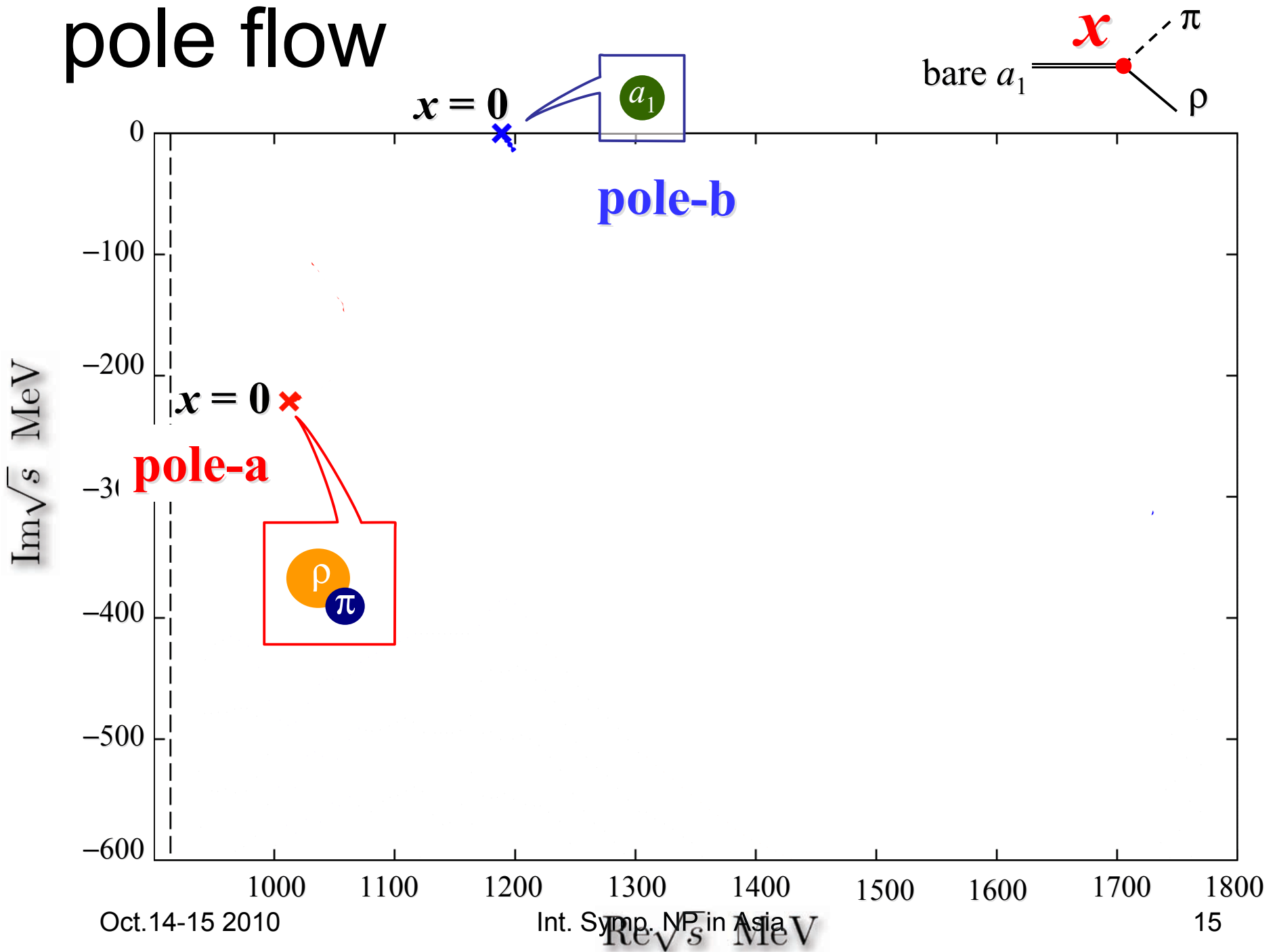


*Hamiltonian*

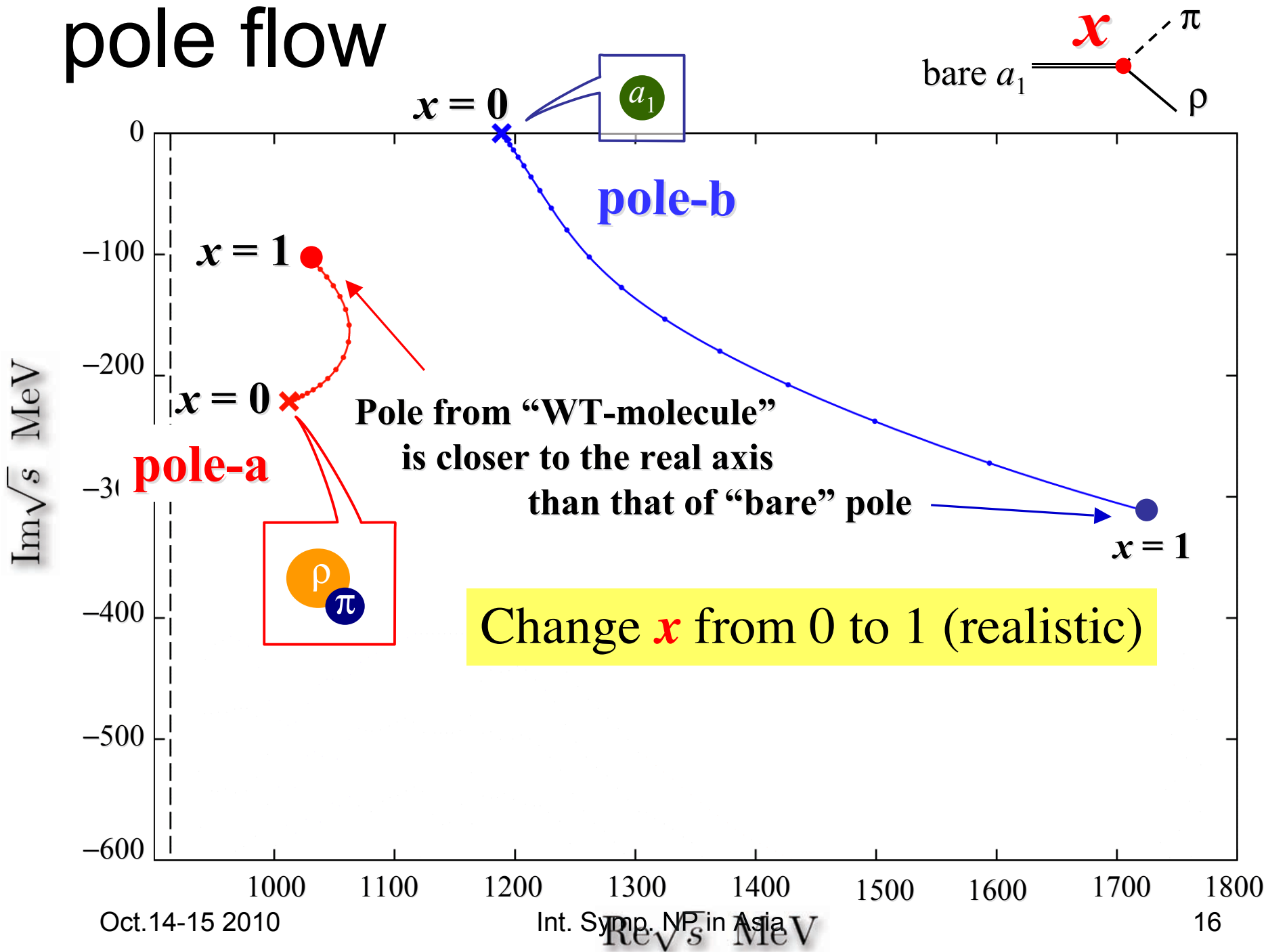
*T-matrix*

$$H = \begin{pmatrix} H_{\pi\rho} + v_{WT} & g \\ g & H_{a_1} \end{pmatrix} \xrightarrow{\text{LS-equation}} T = \begin{pmatrix} T_{\pi\rho \rightarrow \pi\rho} & T_{\pi\rho \rightarrow a_1} \\ T_{a_1 \rightarrow \pi\rho} & T_{a_1 \rightarrow a_1} \end{pmatrix}$$

# pole flow



# pole flow





# To know better the nature of the poles

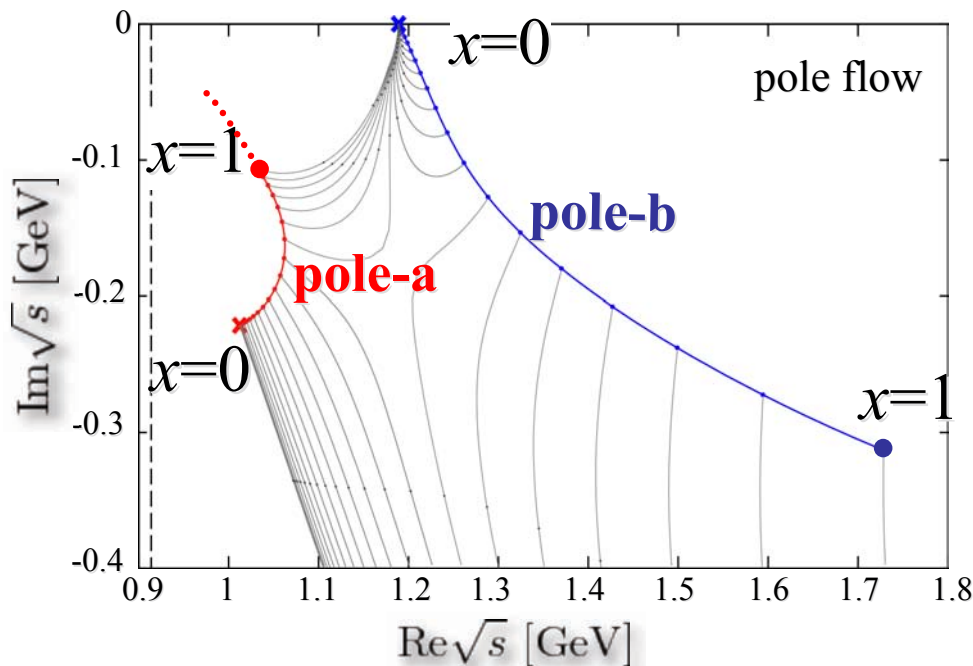
Extract two one-particle propagators in the T matrix

$$T_{\pi\rho \rightarrow \pi\rho} = \begin{array}{c} \text{[Red wavy line with red vertices]} + \text{[Green double line with green vertices]} \\ + \text{[Red wavy line with red and blue vertices]} + \text{[Green double line with green and blue vertices]} + \dots \end{array}$$

$$\begin{aligned} [\hat{G}_{\text{full}}]^{11} &= \frac{z_a^{11}}{E - E_a} + \frac{z_b^{11}}{E - E_b} \\ [\hat{G}_{\text{full}}]^{22} &= \frac{z_a^{22}}{E - E_a} + \frac{z_b^{22}}{E - E_b} \end{aligned}$$

*Full solution -> Two level problem*

# mixing properties



$$[\hat{G}_{\text{full}}]^{11} = \frac{z_a^{11}}{E - E_a} + \frac{z_b^{11}}{E - E_b}$$

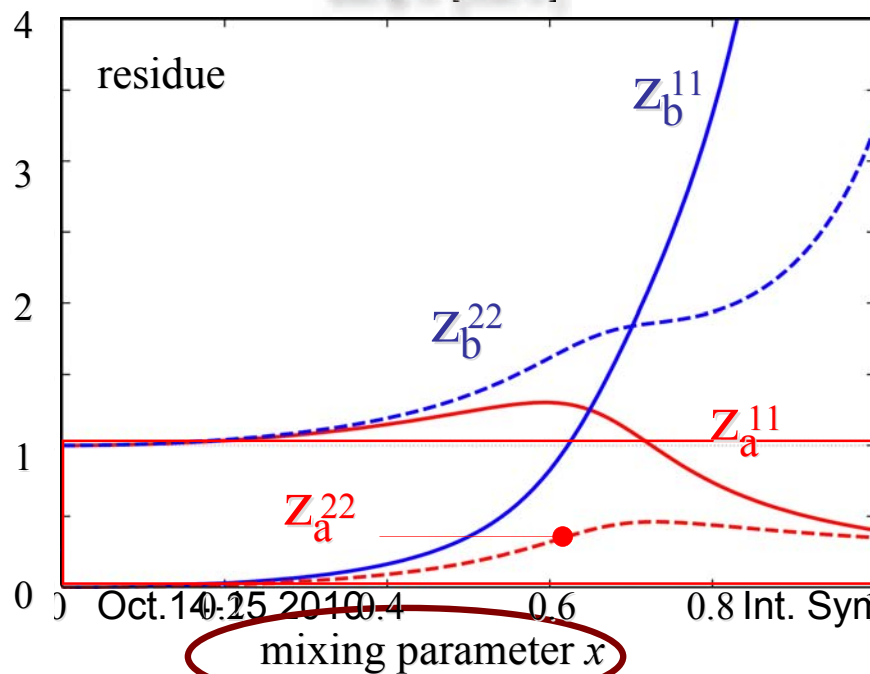
$$[\hat{G}_{\text{full}}]^{22} = \frac{z_a^{22}}{E - E_a} + \frac{z_b^{22}}{E - E_b}$$

$z_a^{11}$  ... molecular

$z_a^{22}$  ... bare

$z_b^{11}$  ... molecular

$z_b^{22}$  ... bare



## at physical point ( $x=1$ )

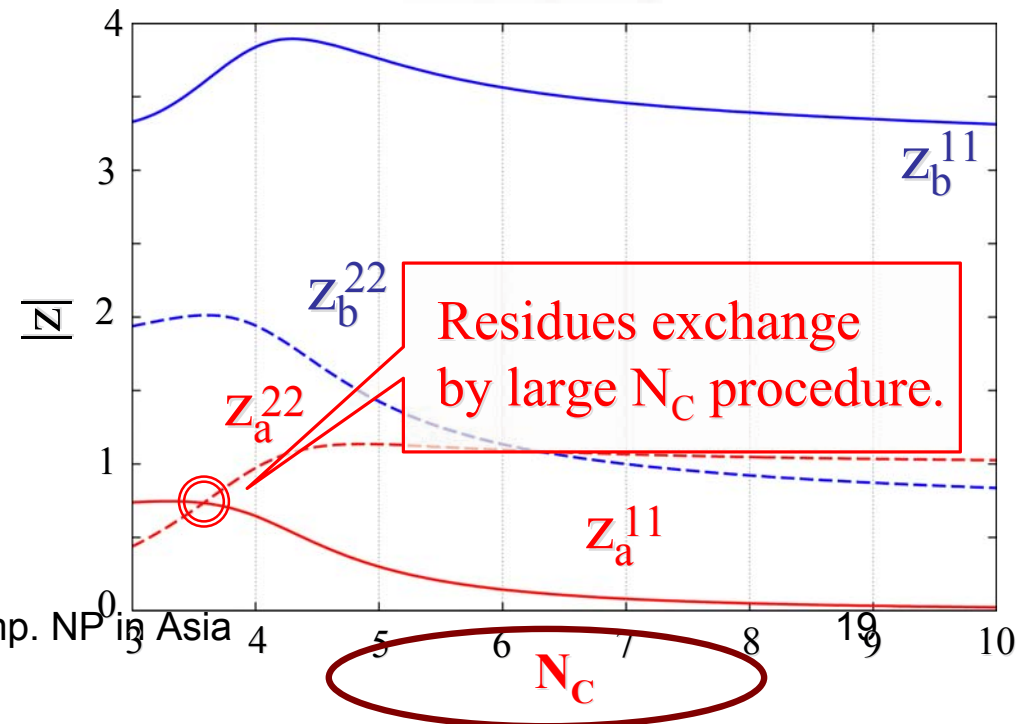
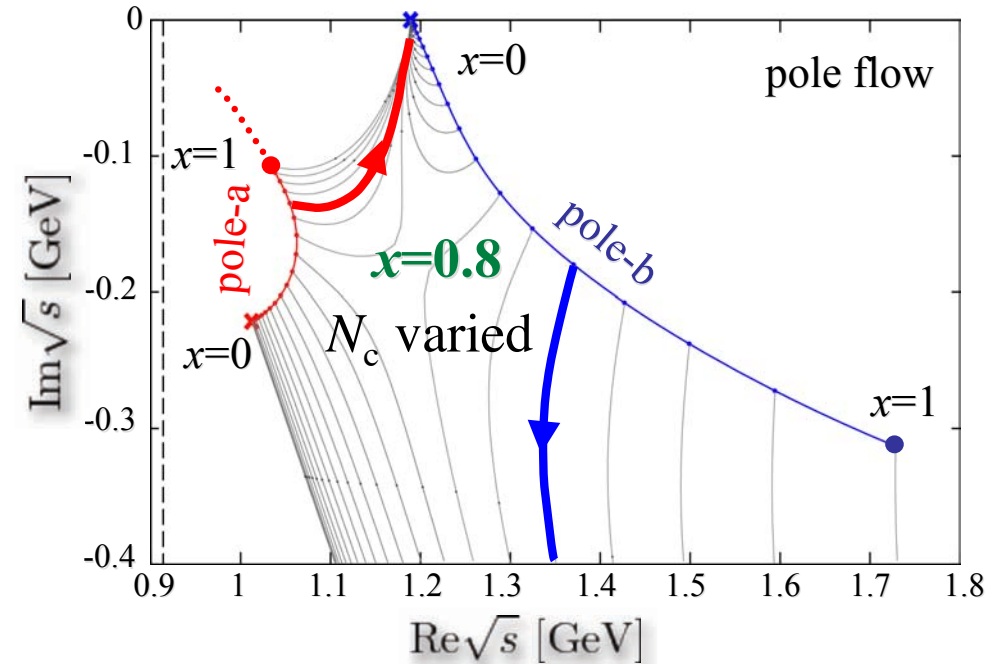
- pole-a remains as a “molecule”  
(bare comp.  $\delta$  molecule comp.)
- pole-b changes into a “molecule”  
→ both poles have molecule comp.

# large $N_C$

$\propto 1/N_C$        $\propto 1/N_C^{1/2}$

Large  $N_C$  procedure itself changes the ratio of 4- and 3-point vertices.

For realistic mixing  
 pole-b stays similar  
 pole-a changes its nature  
 molecule  $\rightarrow$  bare



# Summary for dynamical generation

- Exotics may have *correlations*

$$q\bar{q}, qq, qqq$$

Question; how are they realized and observed

- For hadronic composite,  $a_{\text{natural}}$  has been defined  
Difference  $a_{\text{pheno}} - a_{\text{natural}}$  is interpreted as *bare* states
- We have studied a system of *composite + bare  $a_1$*

$$|\mathbf{a}_1\rangle_{\text{phys}} = z_1 | \underset{\text{bare}}{\overset{\text{a}}{\circ}} \rangle + z_2 | \overset{\text{p}}{\circ} \underset{\text{composite}}{\circ} \rangle + \dots$$

Two channel treatment is now being completed  
Large- $N_c$  behavior is well studied.

International conference on the structure of baryons

# BARYONS'10

Dec. 7-11, 2010, Osaka, Japan

<http://www.rcnp.osaka-u.ac.jp/~baryons>

[baryons@rcnp.osaka-u.ac.jp](mailto:baryons@rcnp.osaka-u.ac.jp)



## 2. Topics

- **Spectroscopy**

Light/heavy flavor hadrons, Resonances, Exotics, Pentaquarks, Tetraquarks, Hadronic molecules, etc

- **Hadron Interactions**

Meson-meson, meson-baryon and baryon-baryon interactions, Anti-proton interactions, etc

- **Electromagnetic and weak interactions**

Photo and electro productions of hadrons, P and CP-violating processes in nucleons and nuclei, etc

- **Hadrons at finite density and temperature**

The QCD vacuum, Chiral symmetry, Hadron properties, QGP, Heavy ion collisions, etc

- **Structure of hadrons**

Form Factors, Structure Functions, Generalized Parton Distributions, Fragmentation functions, etc

- **Recent Approaches to non-perturbative QCD**

AdS/CFT correspondence, Lattice gauge theory, Effective field theories, etc

- **New Facilities**

- **Other related topics**