



Weak decays of triply heavy baryons in light front approach

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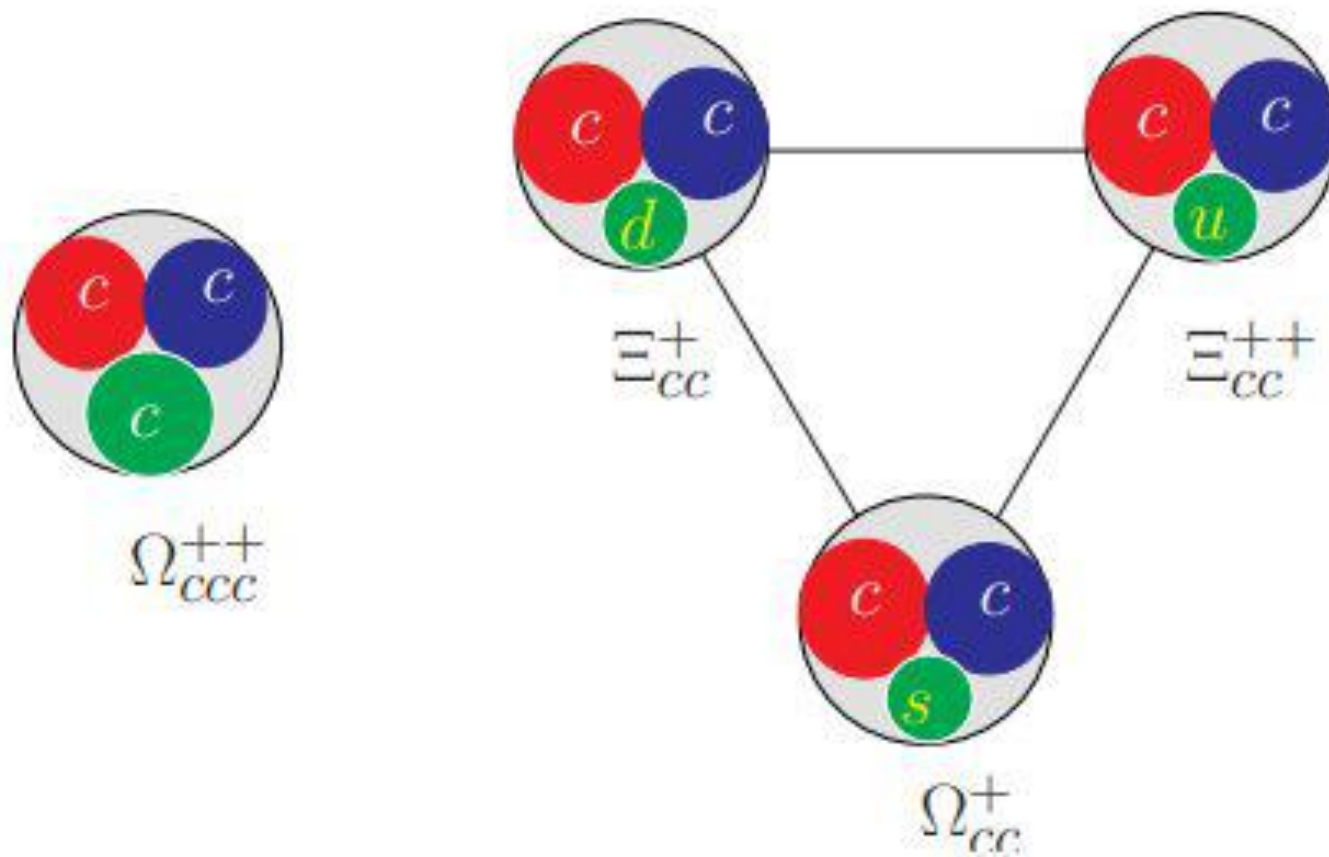
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Introduction





$$c \rightarrow d/s$$
$$\Omega_{ccc}^{+++} \rightarrow \Omega_{cc}^+/\Xi_{cc}^+$$

LFQM

quark-diquark assumption

$$\Lambda_b \rightarrow \Lambda_c$$
$$\Sigma_b \rightarrow \Sigma_c$$

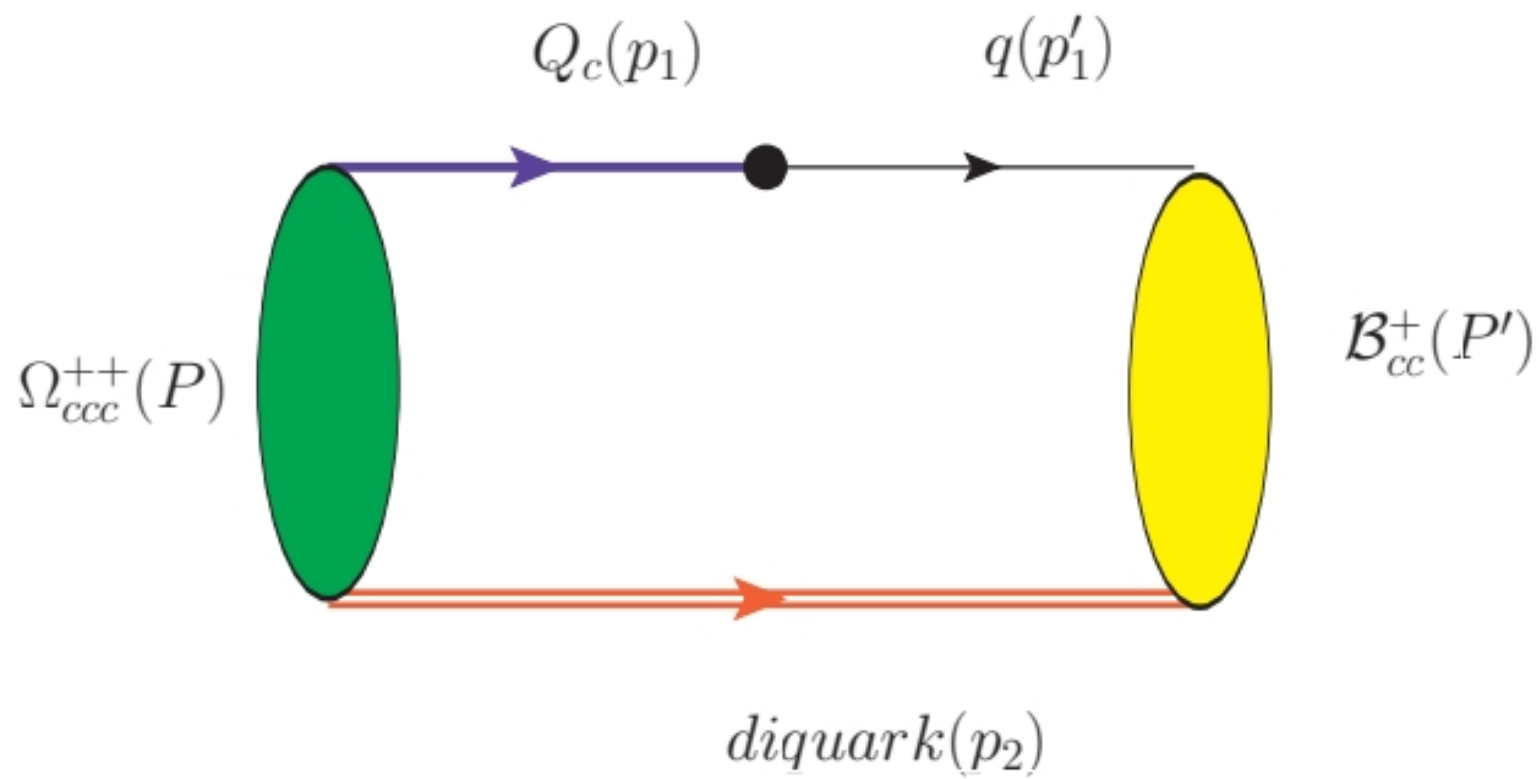


Theoretical framework

$$\mathcal{H}_{\text{eff}}(c \rightarrow d/s \ell^+ \nu_l) = \frac{G_F}{\sqrt{2}} \left(V_{cd}^* [\bar{d} \gamma_\mu (1 - \gamma_5) c] [\bar{\nu}_l \gamma^\mu (1 - \gamma_5) l] + V_{cs}^* [\bar{s} \gamma_\mu (1 - \gamma_5) c] [\bar{\nu}_l \gamma^\mu (1 - \gamma_5) l] \right),$$

$$\mathcal{H}_{\text{eff}}(c \rightarrow d\bar{s}u/s\bar{d}u) = \sum_{i=1,2} \frac{G_F}{\sqrt{2}} C_i (V_{cs} V_{ud}^* O_i^{s\bar{d}u} + V_{cd} V_{us}^* O_i^{d\bar{s}u} + V_{cs} V_{us}^* O_i^{s\bar{s}u} + V_{cd} V_{ud}^* O_i^{d\bar{d}u}) + h.c.,$$

$$i\mathcal{M}(\Omega_{ccc}^{++} \rightarrow \mathcal{B}_{cc}^+ \ell^+ \nu_l) = \frac{G_F}{\sqrt{2}} V_{cq}^* \langle \mathcal{B}_{cc}^+ | \bar{q} \gamma_\mu (1 - \gamma_5) c | \Omega_{ccc}^{++} \rangle \bar{\nu}_l \gamma^\mu (1 - \gamma_5) l, \quad \mathcal{B}_{cc}^+ = \Xi_{cc}^+ / \Omega_{cc}^+, \quad q = d/s.$$





$$\Psi^{SS_z}(\tilde{p}_1, \tilde{p}_2, \lambda_1, \lambda_2) = \frac{1}{\sqrt{2(p_1 \cdot \bar{P} + m_1 M_0)}} \bar{u}(p_1, \lambda_1) \Gamma_A^\alpha(p_2, \lambda_2) u_\alpha(\bar{P}, S_z) \phi(x, k_\perp),$$

$$\begin{aligned} & \langle \mathcal{B}_{cc}^+(P', S' = \frac{1}{2}, S'_z) | \bar{q} \gamma^\mu (1 - \gamma_5) Q_c | \Omega_{ccc}^{++}(P, S = \frac{3}{2}, S_z) \rangle \\ &= \int \{d^3 p_2\} \frac{\phi'(x', k'_\perp) \phi(x, k_\perp)}{2 \sqrt{p_1^+ p_1'^+ (p_1 \cdot \bar{P} + m_1 M_0) (p_1' \cdot \bar{P}' + m_1' M_0')}} \\ & \times \sum_{\lambda_2} \bar{u}(\bar{P}', S'_z) \left[\bar{\Gamma}'_A (\not{p}'_1 + m_1') \gamma^\mu (1 - \gamma_5) (\not{p}_1 + m_1) \Gamma_A^\alpha \right] u_\alpha(\bar{P}, S_z), \end{aligned}$$



$$\begin{aligned}f_1(q^2) &= \frac{-M^2}{2s_-^2 s_+^2} \{4M[H_1 s_- - H_2 M] - 2H_3(s_- - 2MM') + H_4(s_- s_+)\}, \\f_2(q^2) &= \frac{-M\bar{M}}{s_-^3 s_+^2} \{s_- [H_1 M(s_- - 2MM') + H_4(s_- + MM')s_+] + 4H_2 M^2(2s_+ - 3MM') \\&\quad - 2H_3[M^4 - 2M^3 M' + 2M^2(6M'^2 - q^2) + 2MM'(q^2 - M'^2) + (M'^2 - q^2)^2]\}, \\f_3(q^2) &= \frac{M^3 \bar{M}}{s_-^3 s_+^2} \{s_- (H_4 s_+ - 2H_1 M) + 20H_2 M^2 - 4H_3(2s_+ - 3MM')\}, \\f_4(q^2) &= \frac{1}{2s_-^2 s_+} \{s_- [H_1 M + H_4 s_+] + 2H_2 M^2 - 2H_3[s_- + MM']\},\end{aligned}$$

$$\begin{aligned}g_1(q^2) &= \frac{-M^2}{2s_-^2 s_+^2} \{4M[H_1 s_+ - H_2 M] - 2H_3(s_+ + 2MM') + H_4(s_- s_+)\}, \\g_2(q^2) &= \frac{M\bar{M}}{s_+^3 s_-^2} \{s_+ [H_1 M(s_+ + 2MM') + H_4(s_+ - MM')s_+] + 4H_2 M^2(2s_- + 3MM') \\&\quad - 2H_3[M^4 + 2M^3 M' + 2M^2(6M'^2 - q^2) - 2MM'(q^2 - M'^2) + (M'^2 - q^2)^2]\}, \\g_3(q^2) &= \frac{-M^3 \bar{M}}{s_+^3 s_-^2} \{s_+ (H_4 s_- - 2H_1 M) + 20H_2 M^2 - 4H_3(2s_- + 3MM')\}, \\g_4(q^2) &= \frac{1}{2s_+^2 s_-} \{s_+ [H_1 M + H_4 s_-] + 2H_2 M^2 - 2H_3[s_+ - MM']\},\end{aligned}$$



Numerical results

TABLE I: Numerical results for form factors at $q^2 = 0$ in Ω_{ccc}^{++} decays.

channel	$f_1(0)$	$f_2(0)$	$f_3(0)$	$f_4(0)$	$g_1(0)$	$g_2(0)$	$g_3(0)$	$g_4(0)$
$\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^+$	0.869	-7.183	8.996	0.373	-2.739	6.525	-7.626	-0.942
$\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^+$	1.113	-11.995	14.628	0.739	-9.221	12.362	-13.067	-1.557



TABLE II: Numerical results of decay width and branching fraction in Ω_{ccc}^{++} semi-leptonic decays.

channel	$\Gamma(\times 10^{-14}\text{GeV})$	$\Gamma_T(\times 10^{-14}\text{GeV})$	$\Gamma_L(\times 10^{-14}\text{GeV})$	Γ_L/Γ_T	Branching fraction (%) [52]
$\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^+ e^+ \nu_e$	0.28	0.23	0.053	0.24	0.069
$\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^+ \mu^+ \nu_\mu$	0.27	0.22	0.048	0.22	0.067
$\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^+ e^+ \nu_e$	7.78	6.33	1.45	0.23	1.93
$\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^+ \mu^+ \nu_\mu$	7.43	6.08	1.30	0.21	1.84

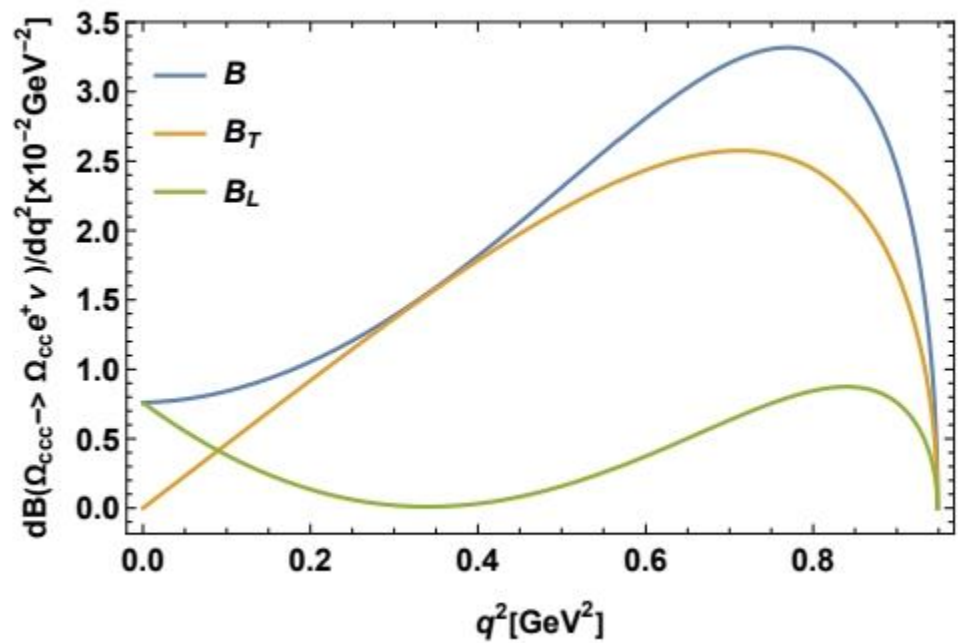
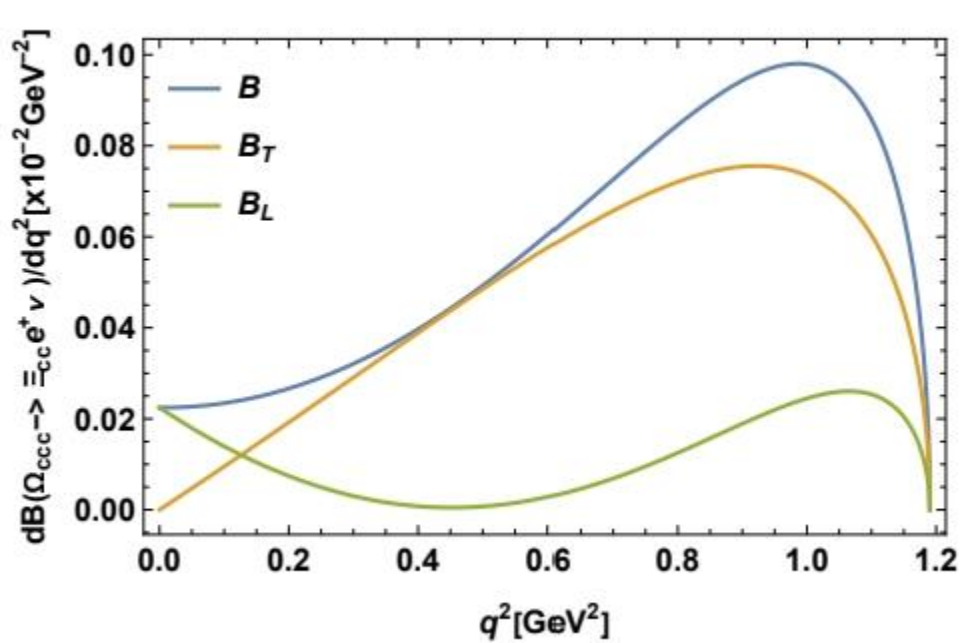




TABLE III: Numerical results of decay width and branching fraction in Ω_{ccc}^{++} nonleptonic decays.

channel	$\Gamma(\text{GeV})$	Branching fraction (%)	Branching fraction ($N_c = 2$)(%)	Branching fraction ($N_c = \infty$)(%)
$\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^+ K^+$	1.613×10^{-17}	4.00×10^{-6}	3.42×10^{-6}	5.31×10^{-6}
$\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^+ K^+$	9.152×10^{-16}	2.27×10^{-4}	1.94×10^{-4}	3.01×10^{-4}
$\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^+ \pi^+)$	9.202×10^{-16}	2.28×10^{-4}	1.95×10^{-4}	3.03×10^{-4}
$\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^+ \pi^+$	5.522×10^{-14}	1.370%	1.17%	1.82%



$$\left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+})} \right)_{SU(3)} = \frac{|V_{cd} V_{us}|^2}{|V_{cs} V_{ud}|^2} = 0.0026,$$

$$\left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} K^{+})} \right)_{SU(3)} = \left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} \pi^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+})} \right)_{SU(3)} = \frac{|V_{cd}|^2}{|V_{cs}|^2} = 0.050,$$

$$\left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} \pi^{+})} \right)_{SU(3)} = \left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+})} \right)_{SU(3)} = \frac{|V_{us}|^2}{|V_{ud}|^2} = 0.053,$$

$$\left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} \ell^{+} \nu_{\ell})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \ell^{+} \nu_{\ell})} \right)_{LFQM} = 0.036, \quad \left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+})} \right)_{LFQM} = 0.00029,$$

$$\left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} K^{+})} \right)_{LFQM} = 0.018, \quad \left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} \pi^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+})} \right)_{LFQM} = 0.018,$$

$$\left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} \pi^{+})} \right)_{LFQM} = 0.017, \quad \left(\frac{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} K^{+})}{\Gamma(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+})} \right)_{LFQM} = 0.017.$$



Summary

- ◆ 借助螺旋度振幅，计算了衰变宽度。
- ◆ 预测了半轻衰变的分支比： $B(\Omega_{ccc}^{++} \rightarrow \Xi_{cc}^{+} e^{+} \nu_e) = 0.069\%$, $B(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} e^{+} \nu_e) = 1.93\%$ 。
- ◆ 在非轻衰变过程中存在着相当大的SU(3)对称性破缺效应，其主要来源于末态重子和介子的质量差。
- ◆ 我们发现 $\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+}$ 有一个相当大的分支分数： $B(\Omega_{ccc}^{++} \rightarrow \Omega_{cc}^{+} \pi^{+}) = 1.37\%$ 。



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谢谢聆听!

请各位老师和同学批评指正!

