



Review of the last week

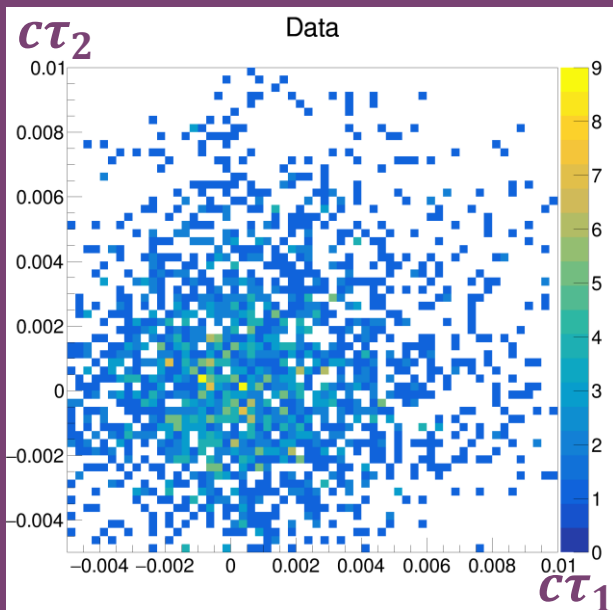
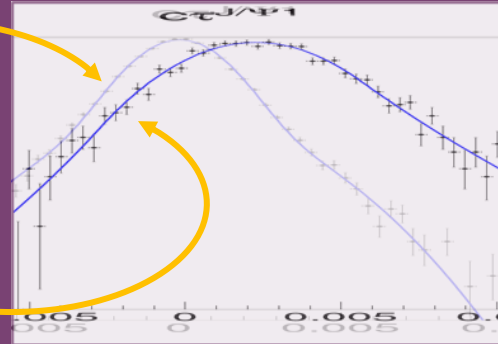
- Discussion about prompt + non-prompt combination
 - Square of the single dimension fraction can only be used when the correlation of two J/ψ is small enough
 - Would check the correlation this week
 - Our function did not fit the greater lifetime variable well
- Lifetime parameters should be totally fixed in the fitting, for both prompt and non-prompt
- The lifetime shape of the combinatorial background would be extracted from the side band dataset
- The fitting to the artificial sample was not good enough



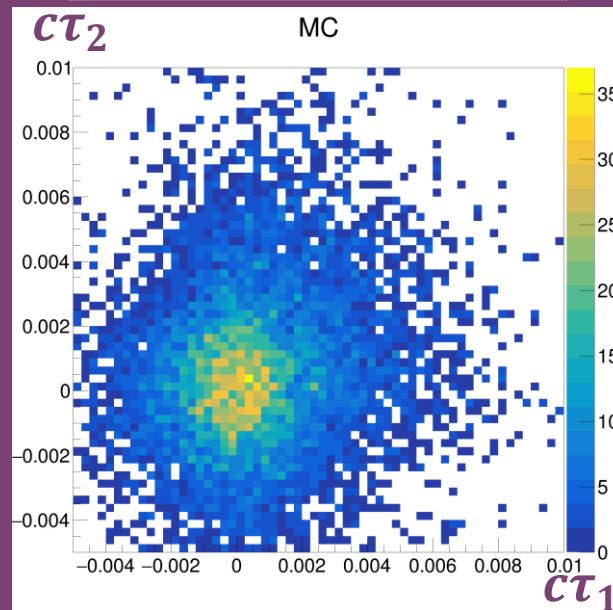
Correlation between J/ψ pair

Prompt

Non-prompt



2016 dataset



A mixing sample

- It's hard to say if there is any correlation between the J/ψ pair just from the scatter plots
- Width (variance) of the distribution is too large
- Distance between two distributions is too small



Correlation between J/ψ pair

- Developed some codes to calculate the correlation coefficient between $c\tau_1$ and $c\tau_2$

$$\rho_{c\tau_1 c\tau_2} = \frac{COV[c\tau_1, c\tau_2]}{\sigma_{c\tau_1} \sigma_{c\tau_2}}$$

$E[c\tau_1 c\tau_2] - E[c\tau_1]E[c\tau_2]$

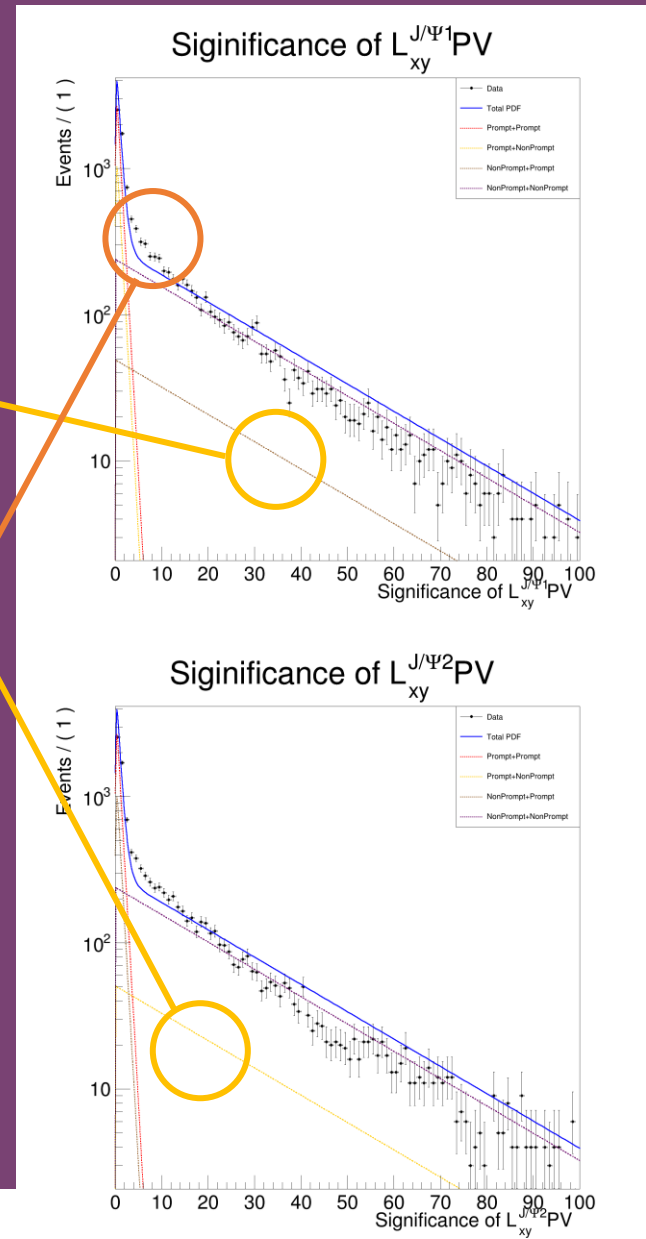
$\sqrt{E[c\tau_1^2] - E^2[c\tau_1]}$

- The expectation value is the average of the variable
- Result:
 - 2016 data: **0.15**
 - The mixing sample: 0.11
- May not be a good variable to clarify the correlation because of the same reason on the last page



A 2D fit to the 2016 dataset

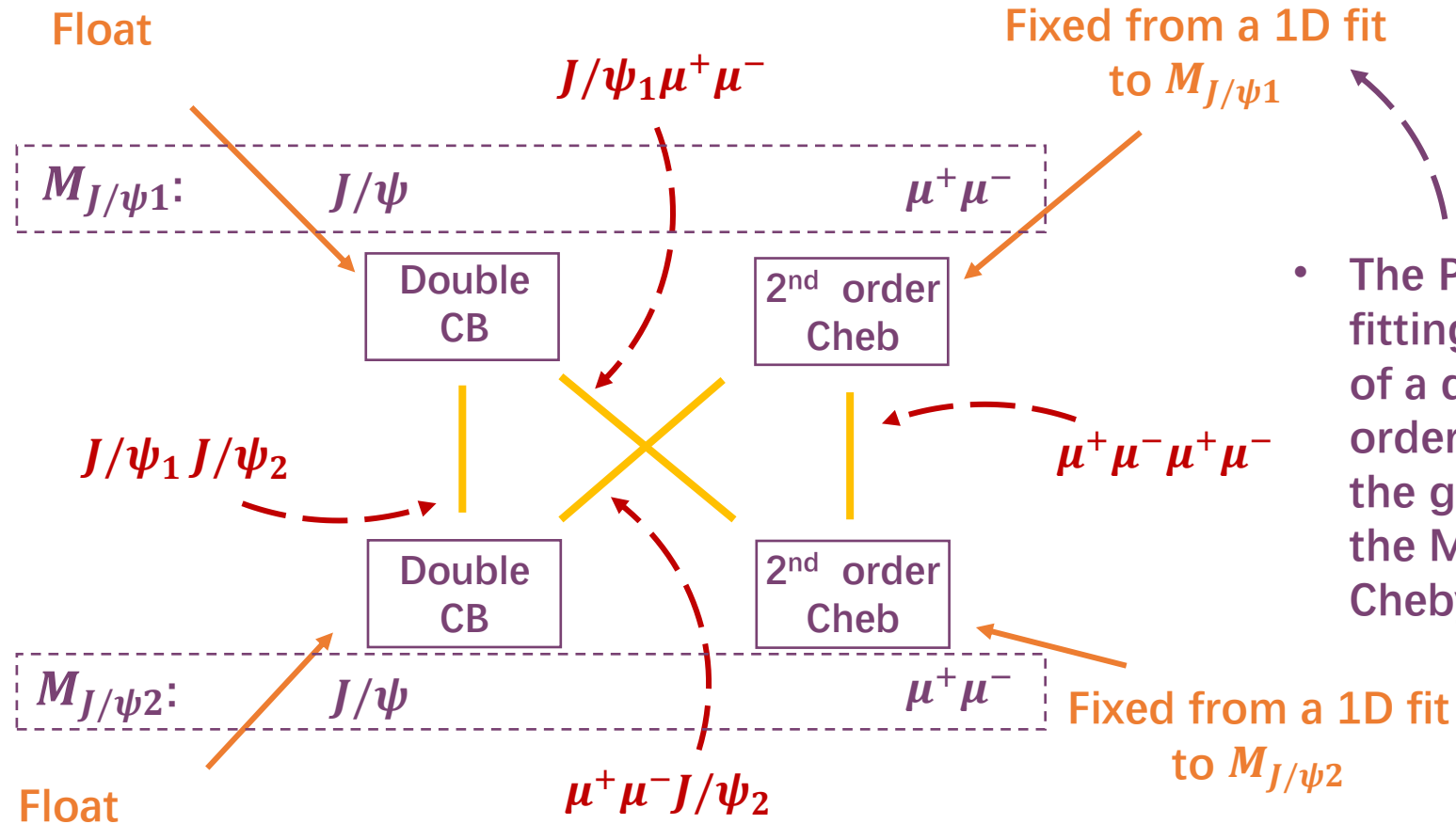
- Some prompt + non-prompt components can be extracted from the fitting, although the fraction is small (PP:NPNP:PNP:NPP ~ 3:5:1:1)
- Little idea about what it will become after the vertex cut
- The fitting is imperfect (maybe because of the improper 1D shape and the combinatorial background), may improve it later





Fitting to the artificial sample

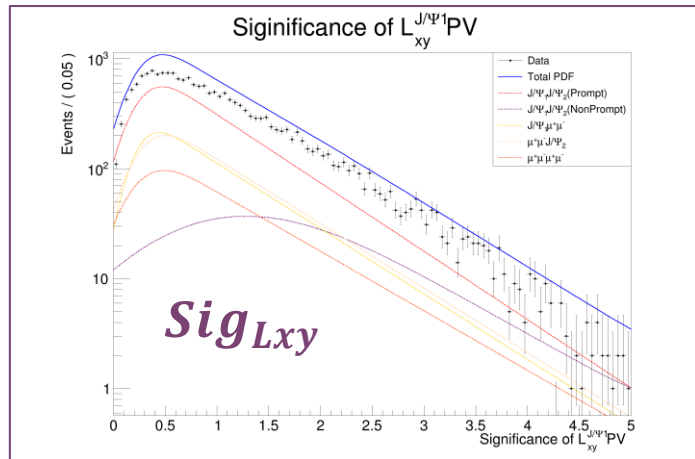
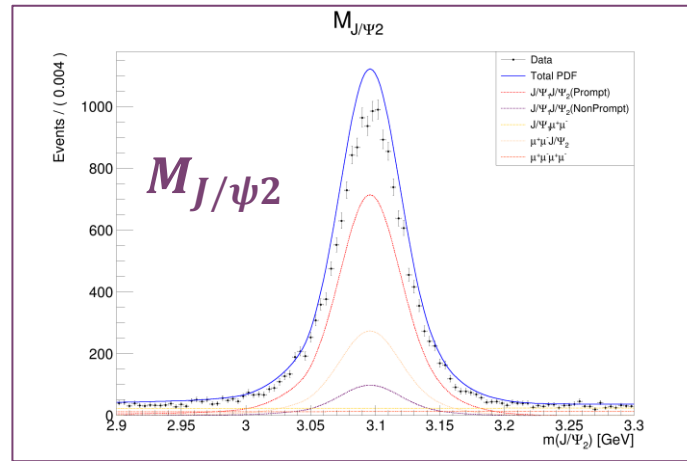
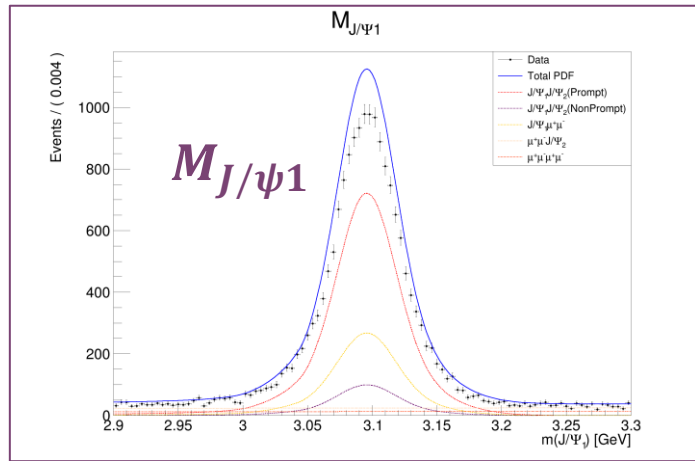
- Float all the parameters in the mass dimensions did not work well
- Try thesis style fitting



- The PDF used in this fitting is a combination of a double CB and a 2nd order Chebyshev, where the gaussian is fixed by the MC and the Chebyshev is float



Fitting to the artificial sample



Previous result

		Prompt	Non-prompt
11. 10	Cheb fixed from side band	17300 ± 300	1800 ± 300
11. 17	Float	12000 ± 200	1630 ± 140

- Fitting quality is even worse than the last week
- Estimation:
 - prompt: 12600 ± 200 (compare to 12K)
 - Non-prompt: 1700 ± 140 (compare to 2K)
- Prompt estimation is worse, but the non-prompt one is slightly better

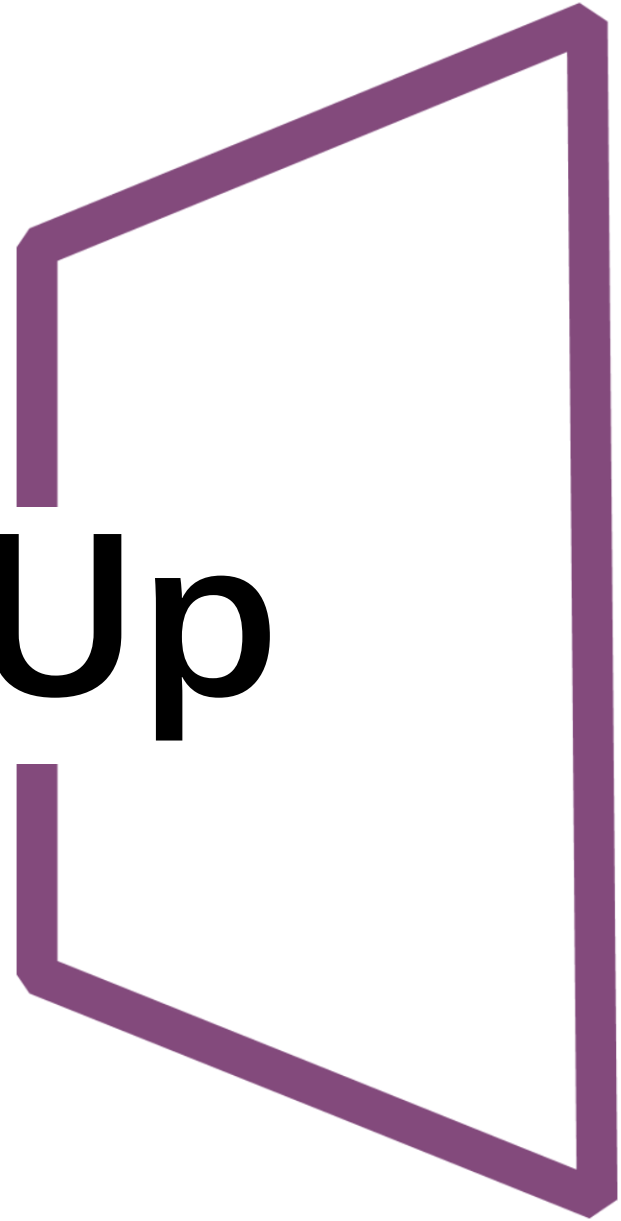


Summary

- **Correlation between the J/ψ pair**
 - Hard to pronounce if there is any correlation between two J/ψ or any prompt + non-prompt components just from the scatter plot
 - The correlation coefficient has been calculated, but it may be a good variable to measure the correlation in our case
- **A preliminary 2D fit has been applied on the 2016 dataset**
 - Some prompt + non-prompt components can be noticed
 - The fitting need to be improved
- **Continue to fit to the artificial sample**
 - Result is still unsatisfying



Back Up





Prompt + non-prompt components

—square of 1D fraction?

	J/ψ_2	f	$1-f$
J/ψ_1	f	P + P	P + NP
$1-f$	$1-f$	NP + P	NP + NP

- $p+p/_{All} = f^2$
- A fatal assumption: J/ψ_1 and J/ψ_2 are not related to each other

Non-prompt:
202

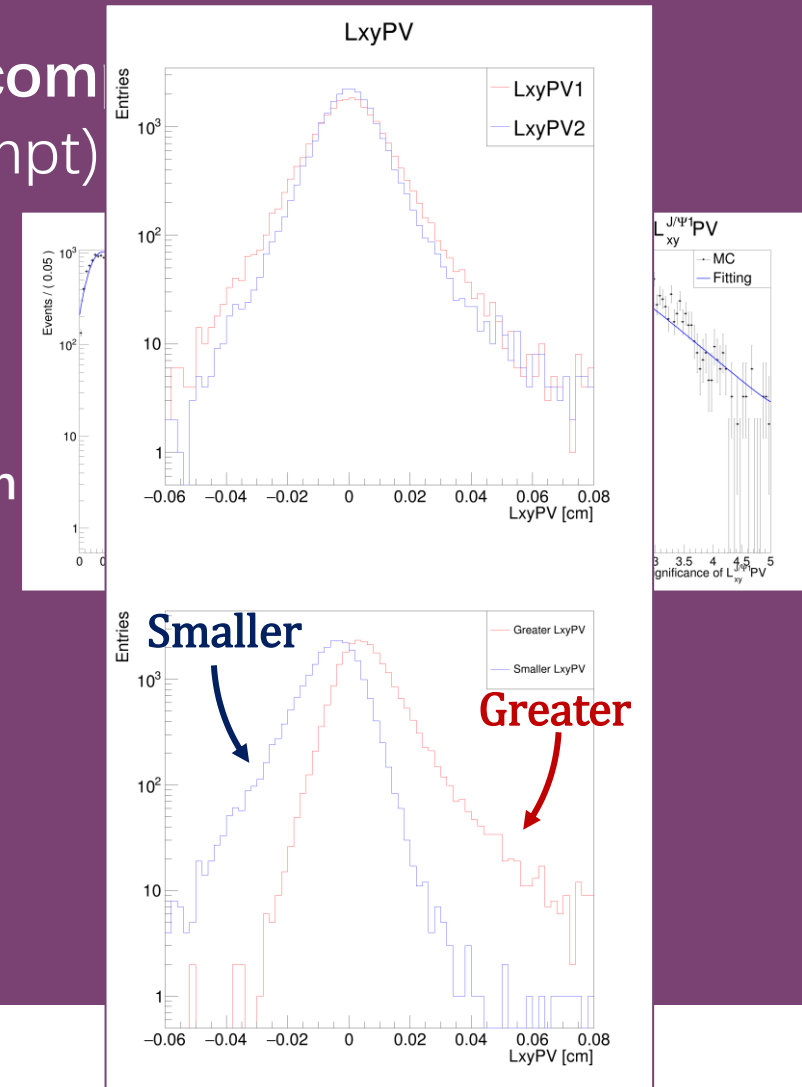
	1002	202
Prompt: 1002	P + P 1000	2 P + NP
	2 NP + P	NP + NP 200

- True value: $p+p/_{All} = 1000 / (1000+2+2+200) = 83\%$
- f acquired from 1D: $f = 1002 / (1002+202) = 83\%$
- $f^2 = 0.83^2 = 69\%$

◻ Prompt + non-prompt components

—using the greater lifetime variable?

- Advantage: we can keep the 3D fit and no additional components will be added (P+NP, NP+P, NP+NP will all be non-prompt)
- Issues need to be solved:
 - We have reached an agreement on the Sig_{Lxy} , but there may be no significant rank between prompt and non-prompt J/ψ
 - We may need to change the distinguishment variable
 - Non-prompt lifetime variable (e.g. $L_{xy}PV$) is not certainly larger than the prompt one
 - May regard it as an error
 - 4D fit may help
 - The sorting may change the shape of the distribution
 - We need to redo all the 1D fit
 - We have no idea what will be the shape of the prompt + non-prompt components after the sorting
 - We can not validate this method



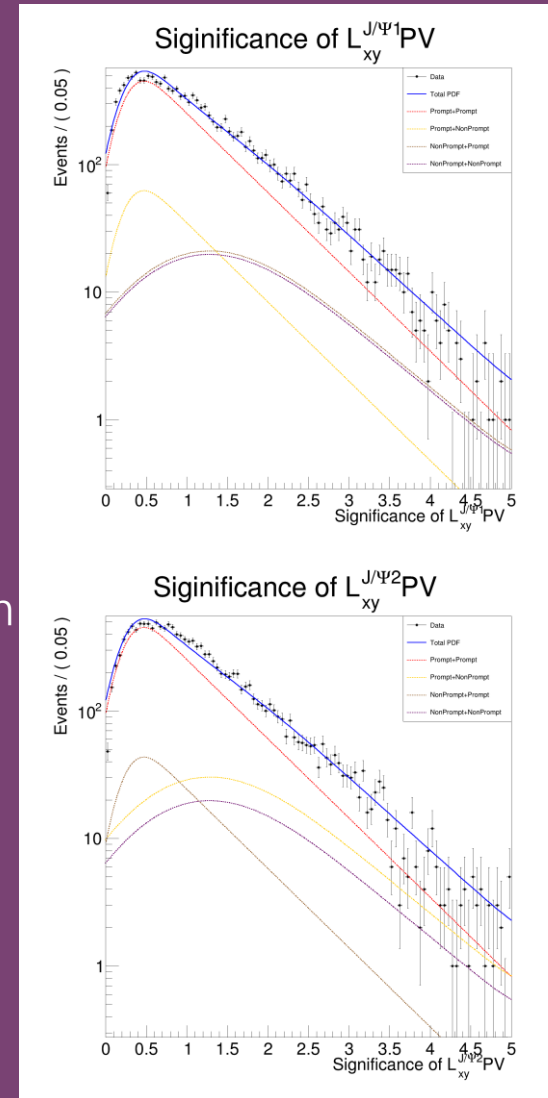
$L_{xy}PV$ distribution



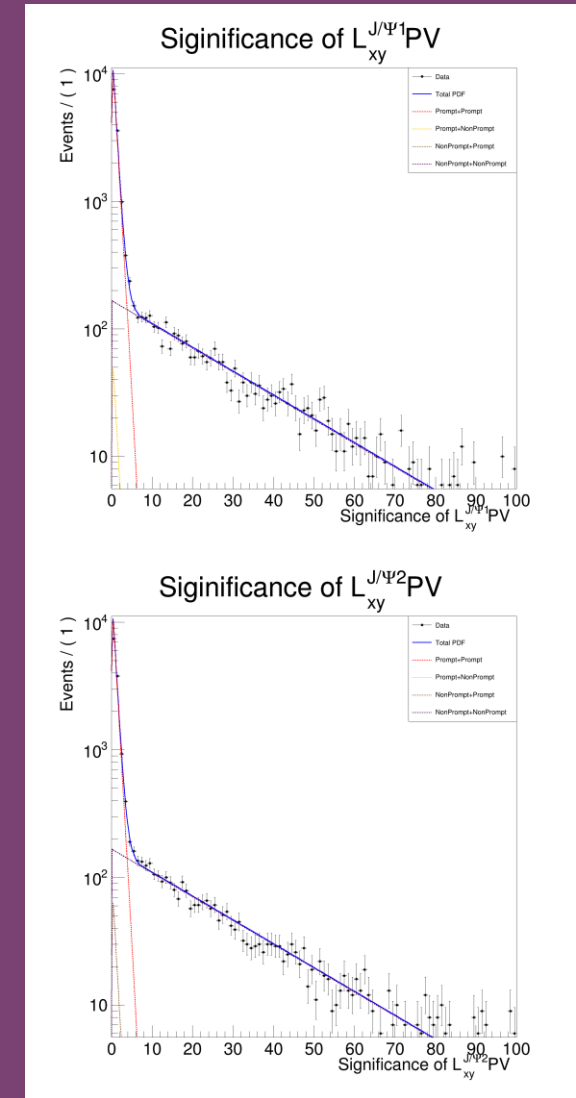
Prompt + non-prompt components

—4D fit?

- May be the only available method as for now
- Issue need to be considered:
 - The shape of the prompt and non-prompt is similar after the vertex cut, which may cause big uncertainty in the fitting
- We may need to take a step back and do the fit without the vertex cut

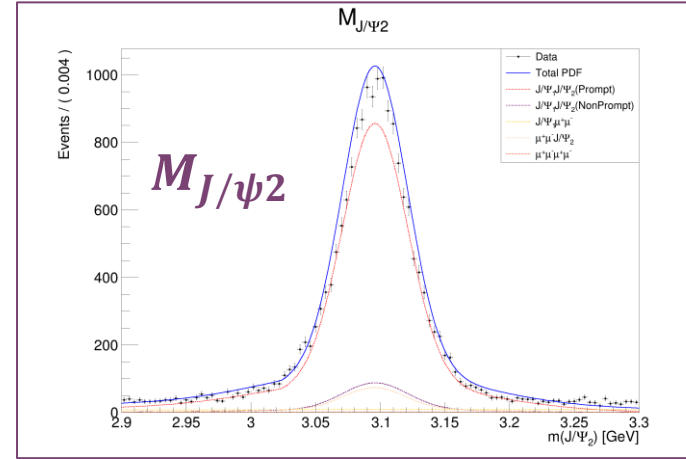
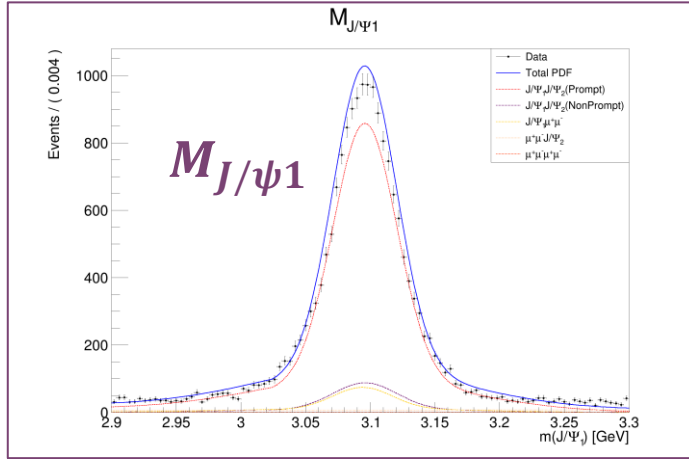
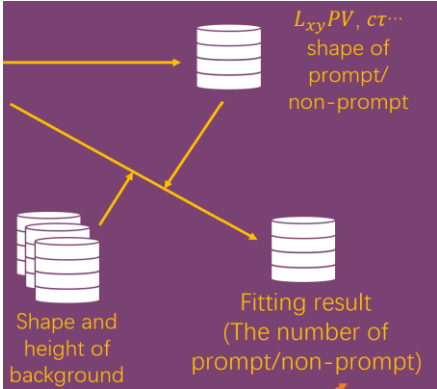


2D fit with the vertex cut

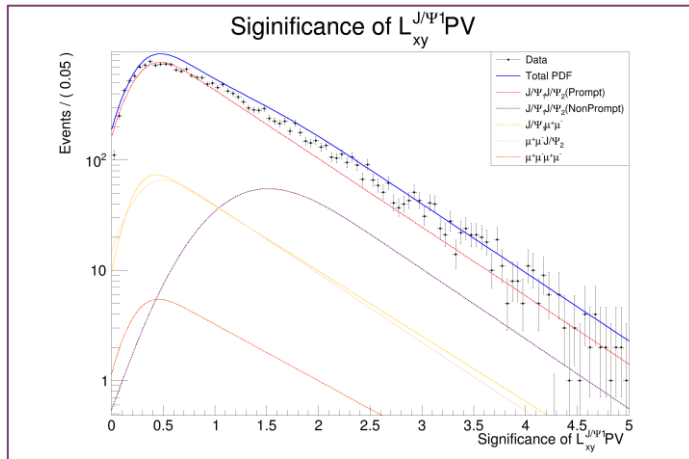


2D fit without the vertex cut

Study of the combinatorial background



11.10



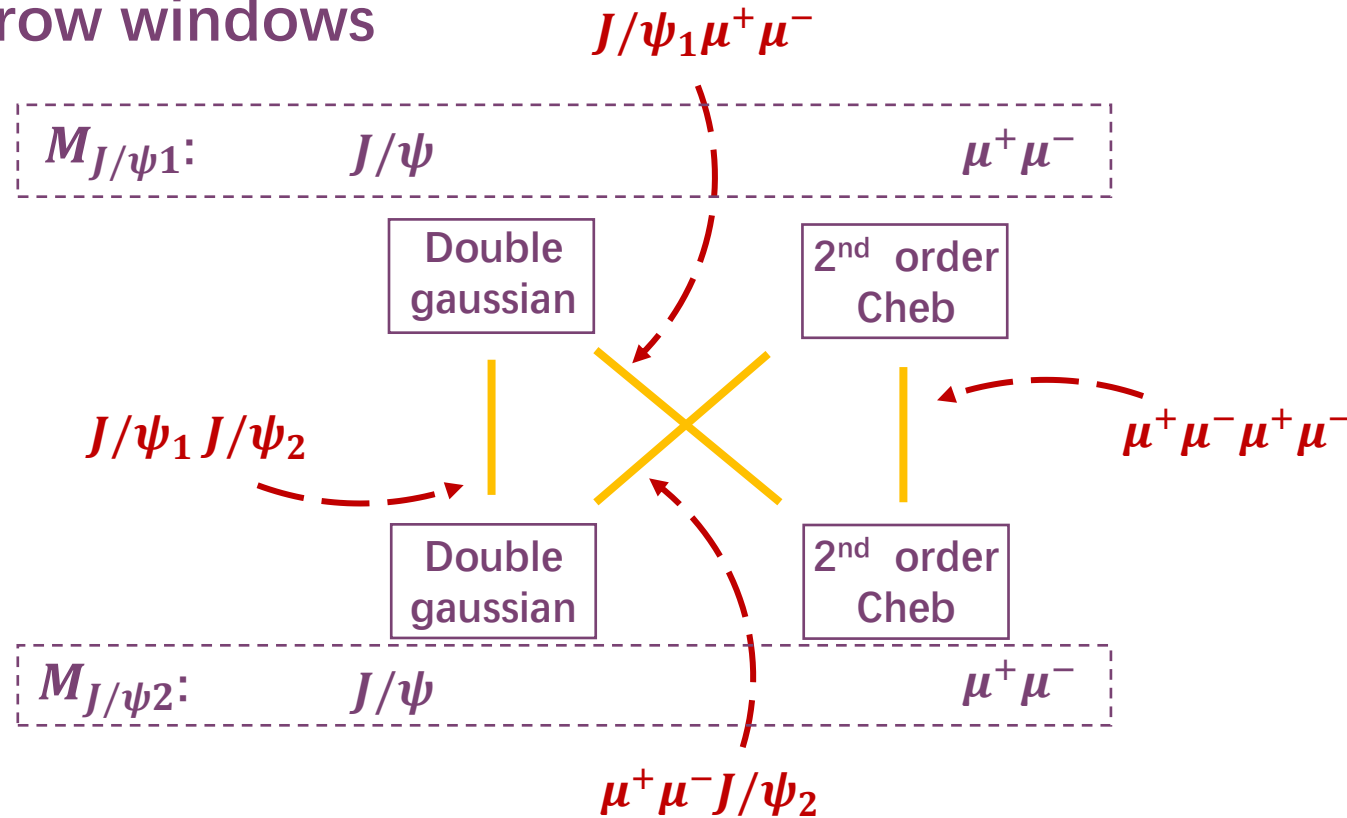
$Sig_{L_{xy}}$

- Fitting quality is not good
- Estimation:
 - prompt: 17300 ± 300 (compare to 12K)
 - Non-prompt: 1800 ± 300 (compare to 2K)
- To improve or to abandon?



Fitting to the artificial sample

- The side band can be noticed in the “narrow” mass windows: directly fit in the narrow windows

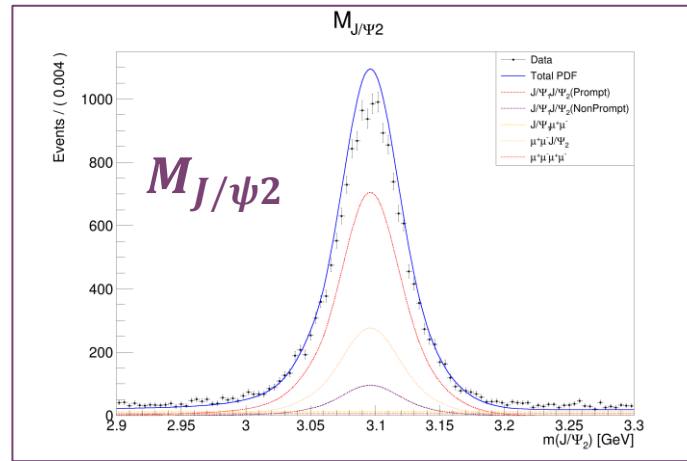
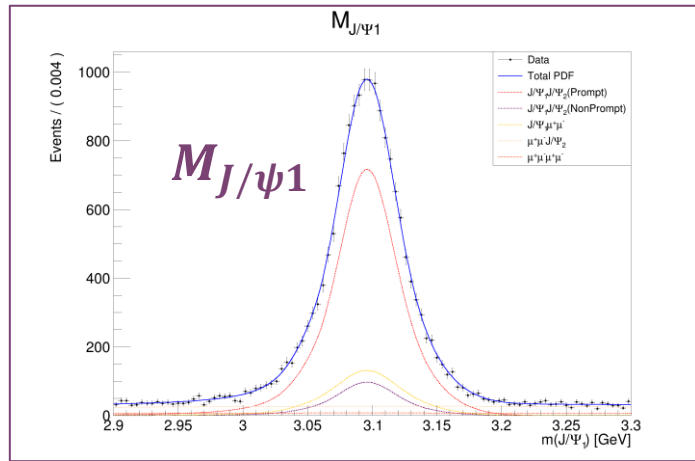


11.17

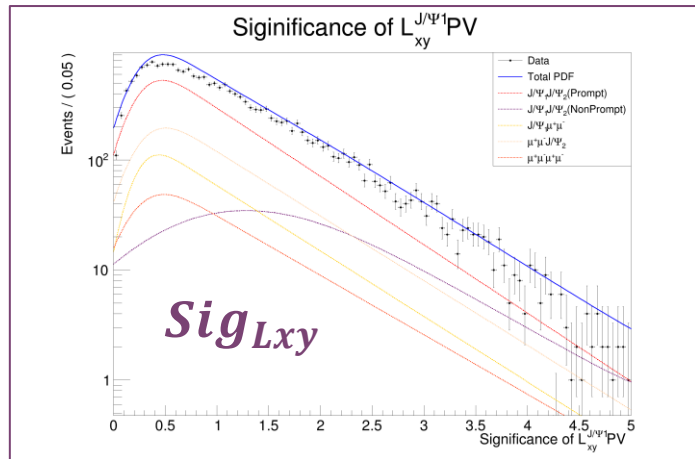
- The shape parameters of mass dimensions are left to float
- The distributions of lifetime dimensions of the combinatorial background are determined by the sub-range dataset



Fitting to the artificial sample



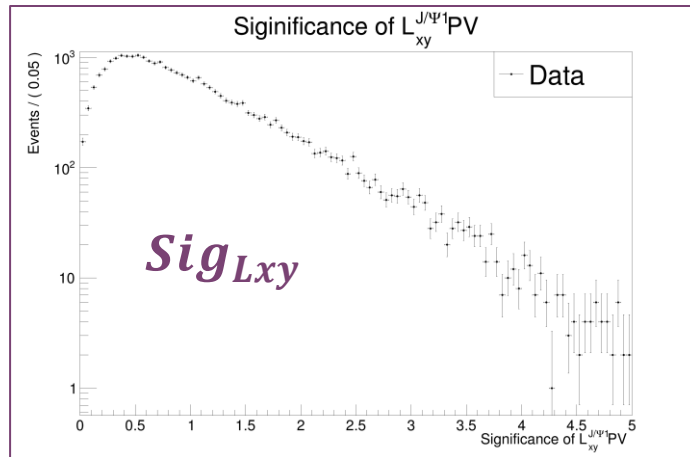
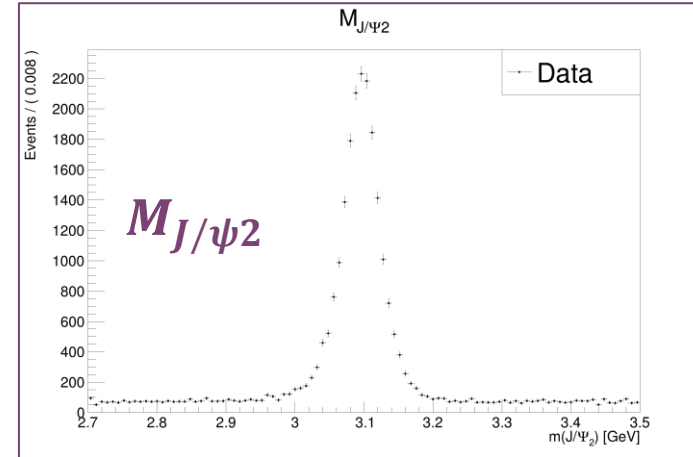
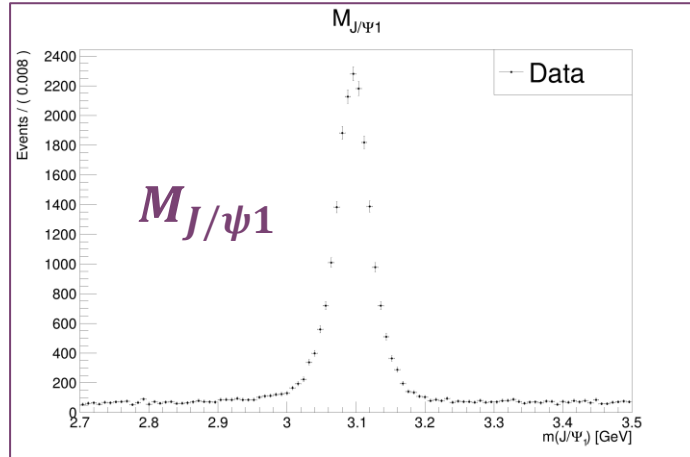
11.17



- Fitting quality is still not satisfying
- Estimation:
 - prompt: 12000 ± 200 (compare to 12K)
 - Non-prompt: 1630 ± 140 (compare to 2K)
- Prompt estimation is much better, but the non-prompt one is worse



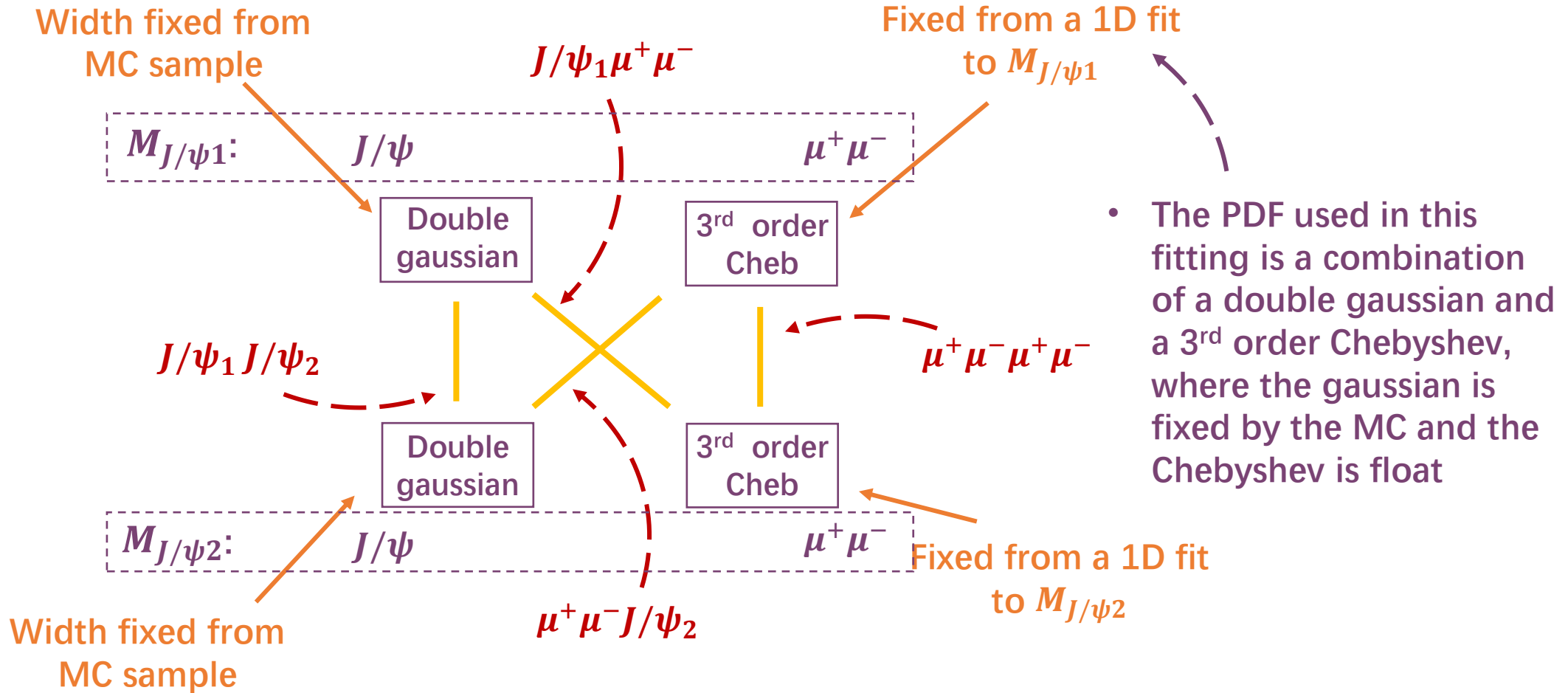
Artificial sample



- 8K SPS+4K DPS+2K B decay (mixing of MC sample)
- 5K $J\mu\mu$ +5K $\mu\mu J$ +2K $\mu\mu\mu\mu$ (generated dataset)



Combinatorial background determination in the thesis



- The distributions of lifetime dimensions of the combinatorial background are determined by the sub-range dataset