An abstract background graphic featuring a central point from which numerous thin, curved lines in various colors (blue, green, yellow, orange, red, purple) radiate outwards. These lines connect to small clusters of dots of the same color, creating a star-like or network-like pattern. The lines and dots are scattered across the slide, with a higher concentration around the central text.

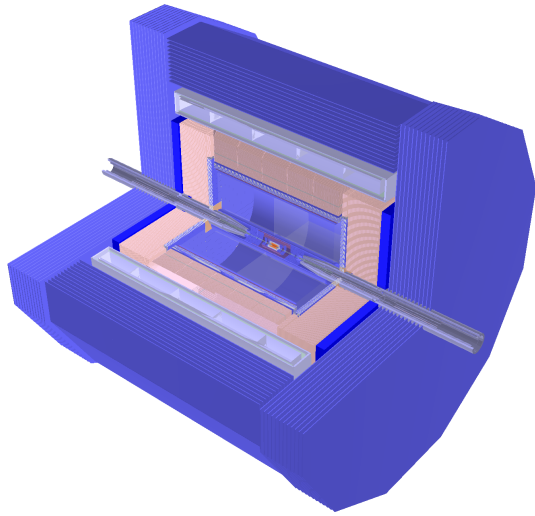
Hadronic system reconstruction at CEPC and searching for New Physics

Manqi Ruan

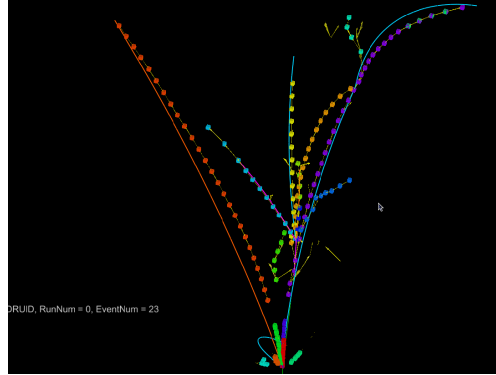
Outline

- Motivation
 - Majority of physics Events & Measurements;
 - Comparative advantage of ee collider @ HEF.
- Boson Mass Resolution (BMR)
- Jet energy response & W mass measurement
- Jet flavor tagging & Higgs→bb, cc, gg and V_{cb} from W decay
- Jet charge measurement
- Summary

BMR @ Baseline



+



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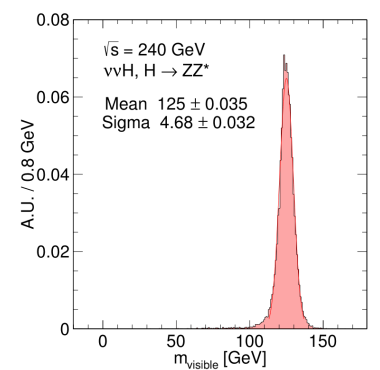
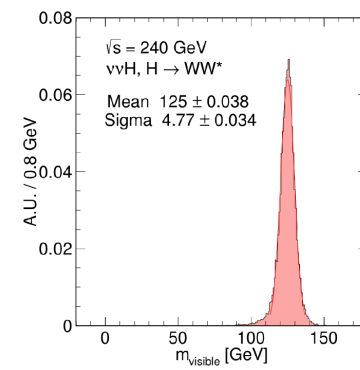
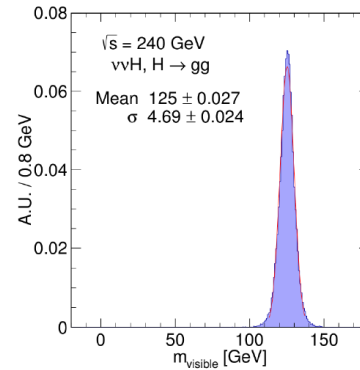
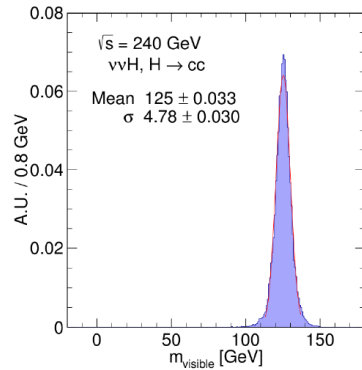
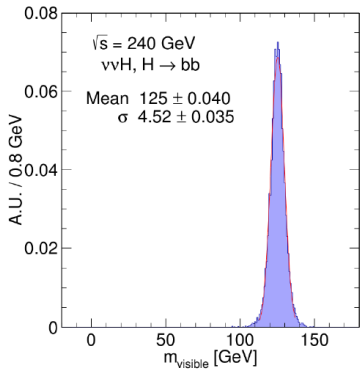
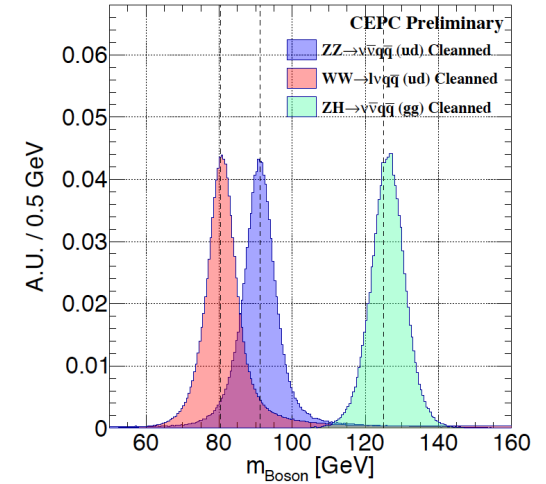
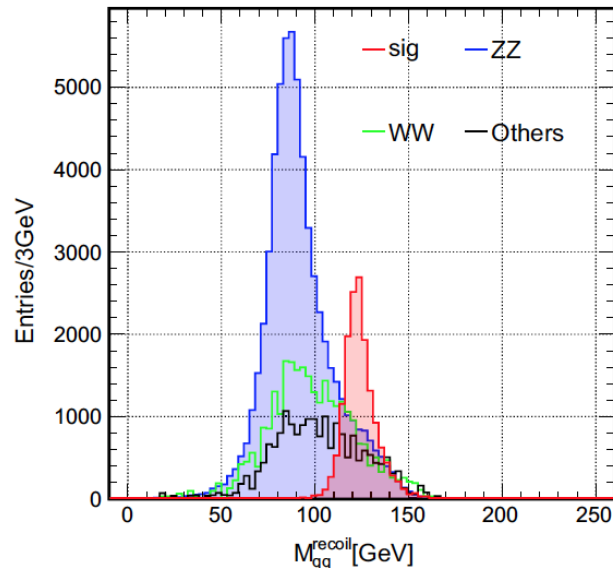
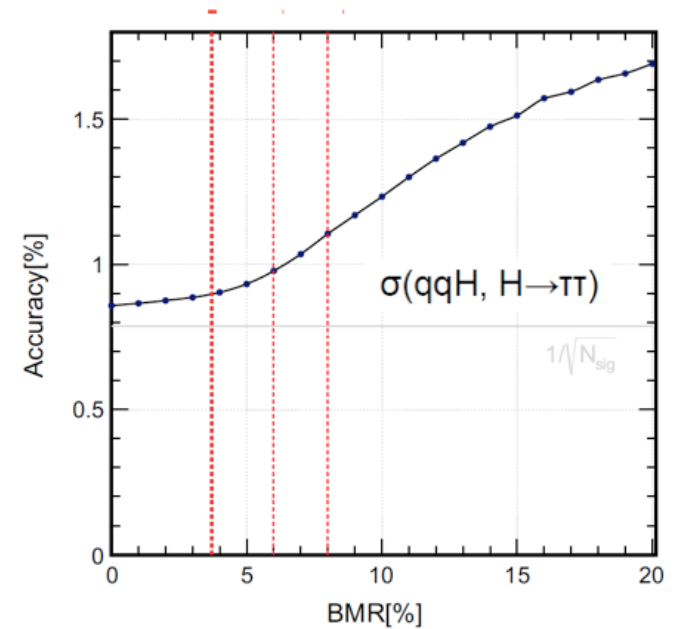
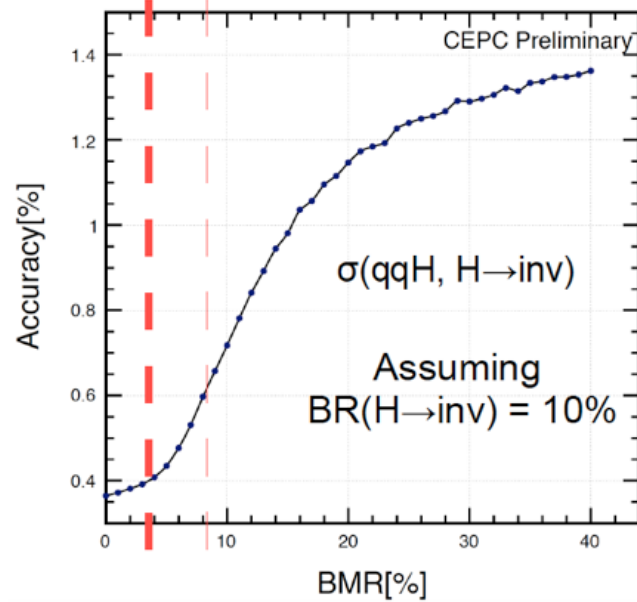
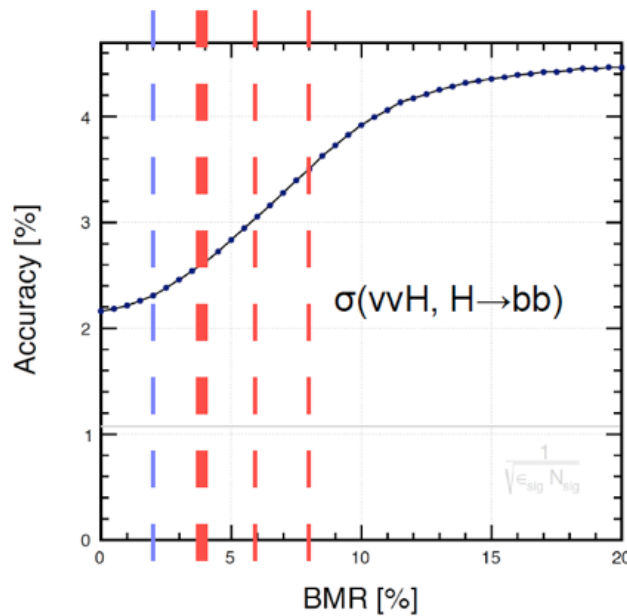


Table 3. Higgs boson mass resolution ($\sigma/Mean$) at different decay modes with jets as final state particles, after the event cleaning.

Higgs \rightarrow bb	Higgs \rightarrow cc	Higgs \rightarrow gg	Higgs \rightarrow WW*	Higgs \rightarrow ZZ*
3.63%	3.82%	3.75%	3.81%	3.74%

BMR Benchmarks

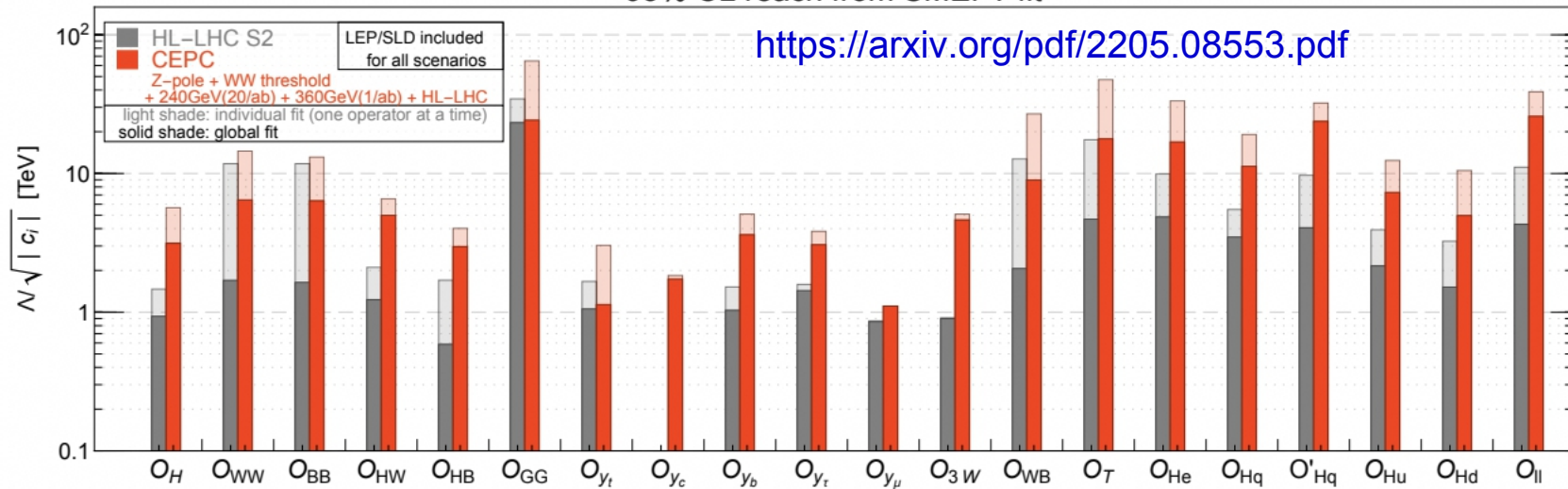


	BMR = 2%	4%	6%	8%
$\sigma(vvH, H \rightarrow bb)$	2.3%	2.6%	3.0%	3.4%
$\sigma(vvH, H \rightarrow inv)$	0.38%	0.4%	0.5%	0.6%
$\sigma(qqH, H \rightarrow \tau\tau)$	0.85%	0.9%	1.0%	1.1%

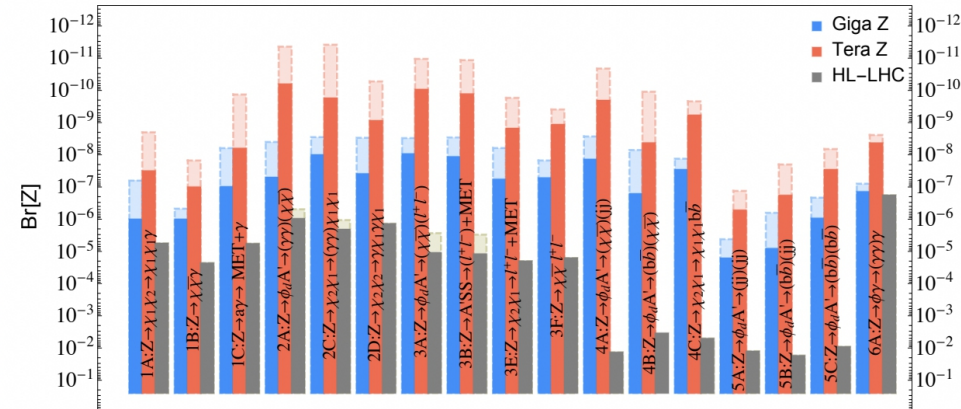
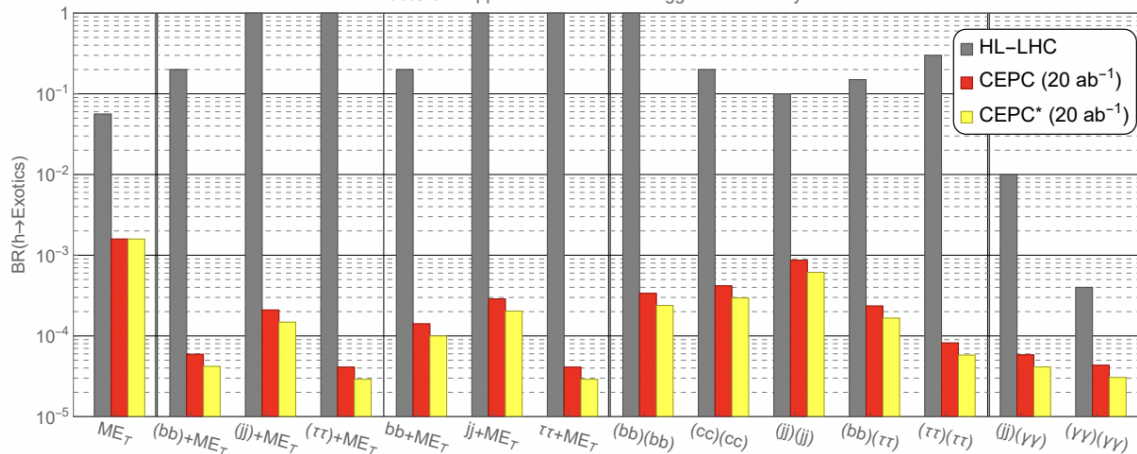
- Relative mass resolution of particles decay into hadronic final state: quantified with $vvH, H \rightarrow gg$
- Higgs measurement require $BMR < 4\%$;
- Flavor & NP much more demanding

Physics reach at CEPC

95% CL reach from SMEFT fit

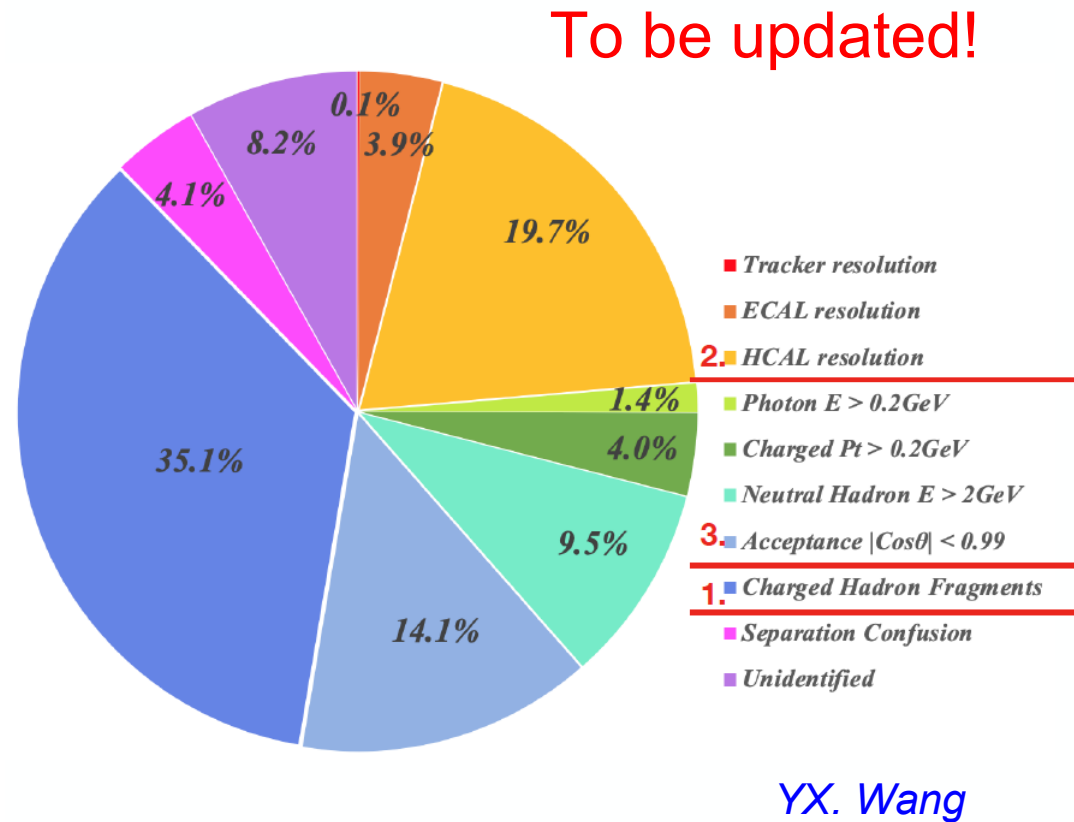
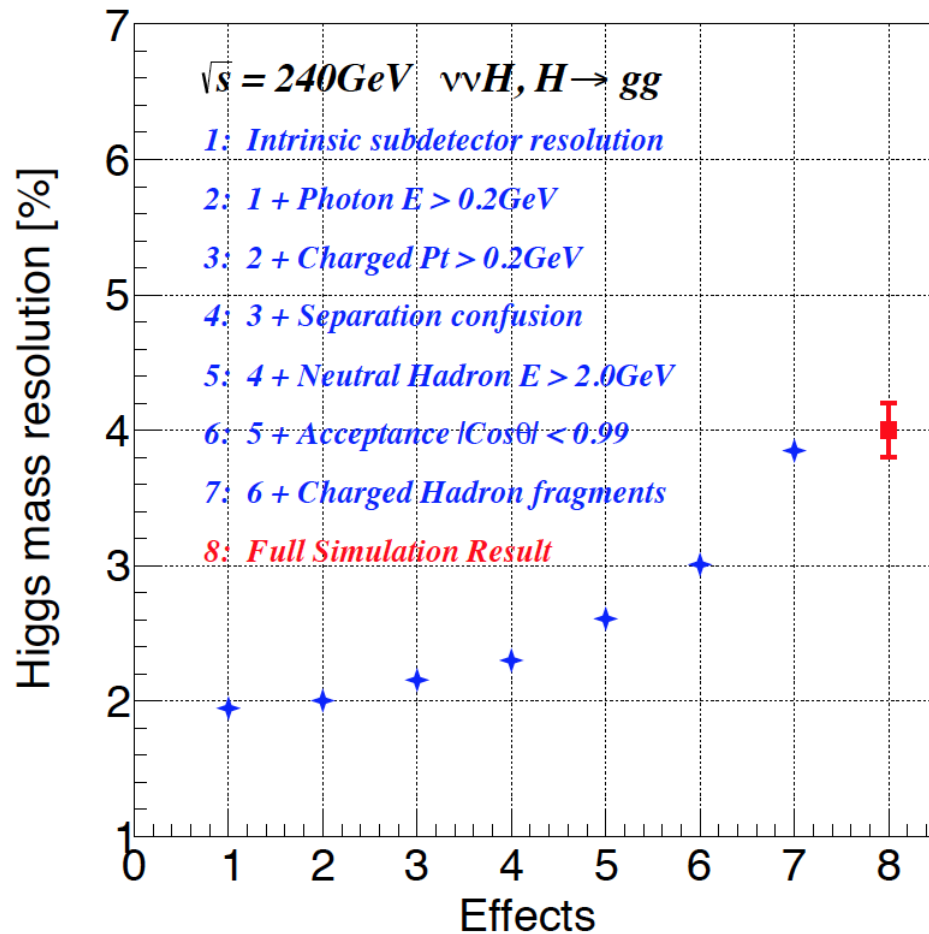


95% C.L. upper limit on selected Higgs Exotic Decay BR



CEPC* scenario further utilizes the hadronically decaying Z boson

PFA Fast simulation



Fast simulation reproduces the full simulation results, factorize/quantifies different impacts

V.S. Acceptance

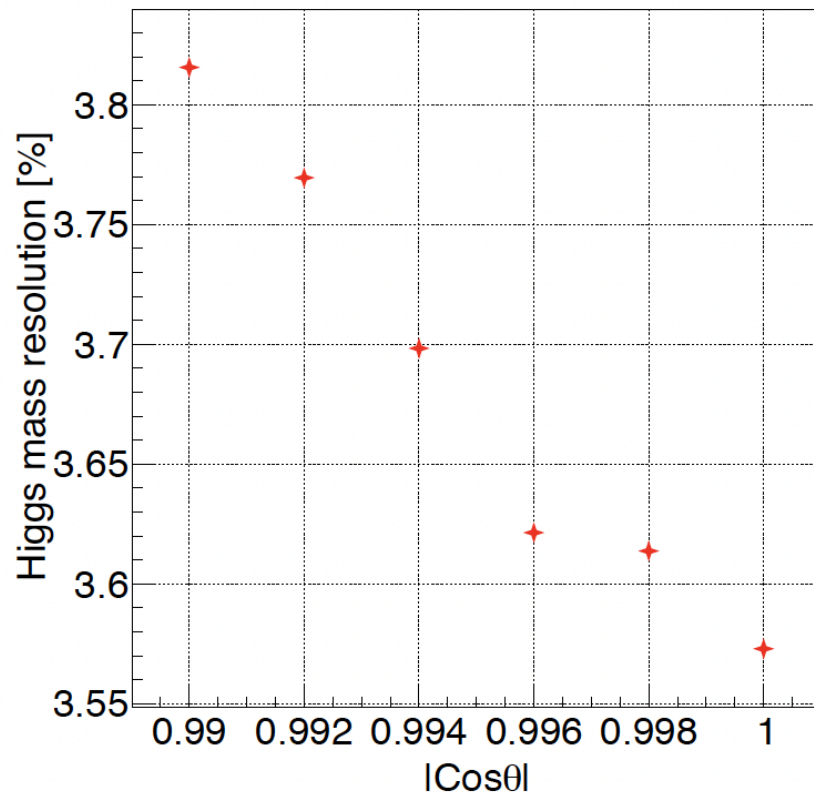
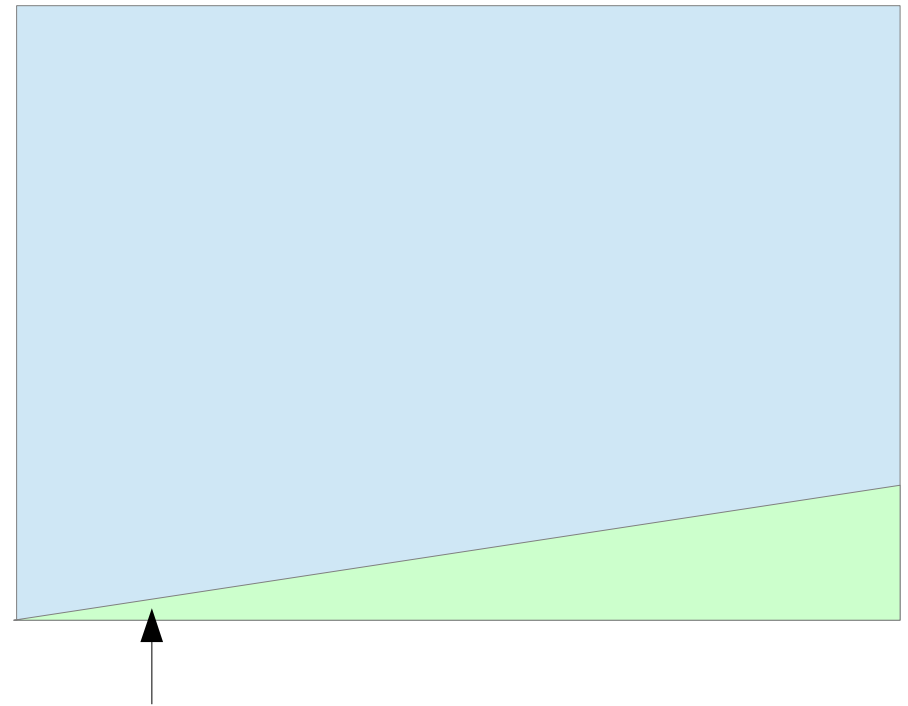
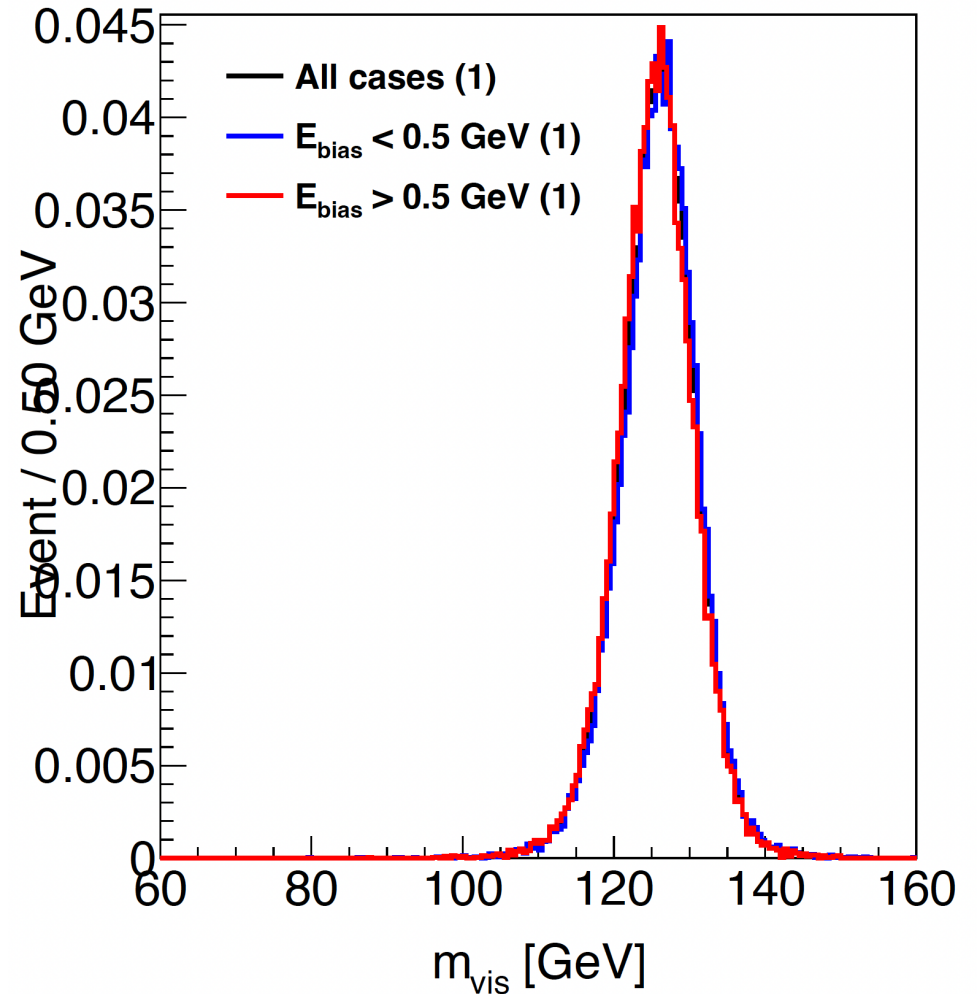
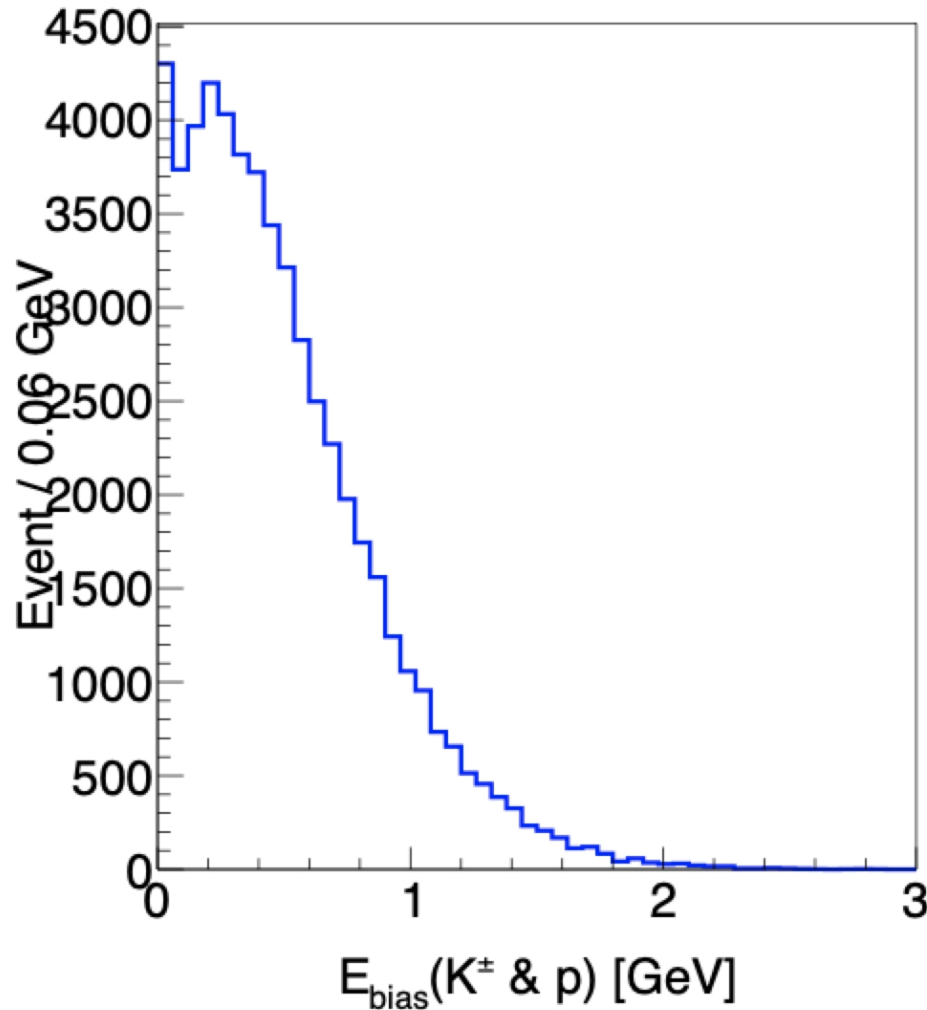


图 4-10 BMR 随探测器接收度的变化。



- 8.1 Degree ~ 0.14 rad
- Radius at endcap: 0.34 m

Update: impact of Pid



- $E_{\text{bias}} = E_{\text{truth}} - E_{\text{reco}}$
- CEPC day Perfect Pid will improve BMR by 1-2%

Individual Jet

Remark - BMR doesn't depend on Jet

Individual jet: jet clustering - matching

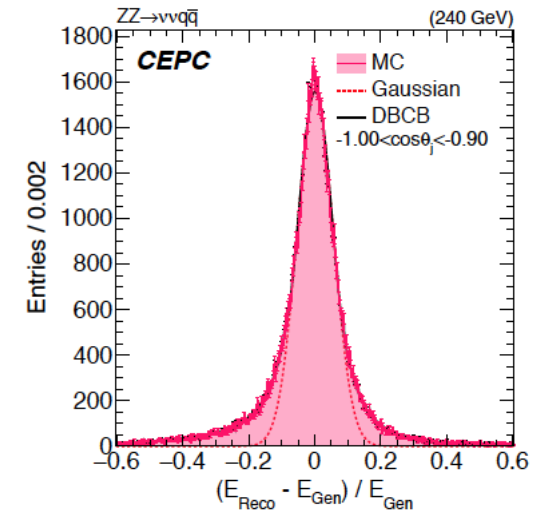
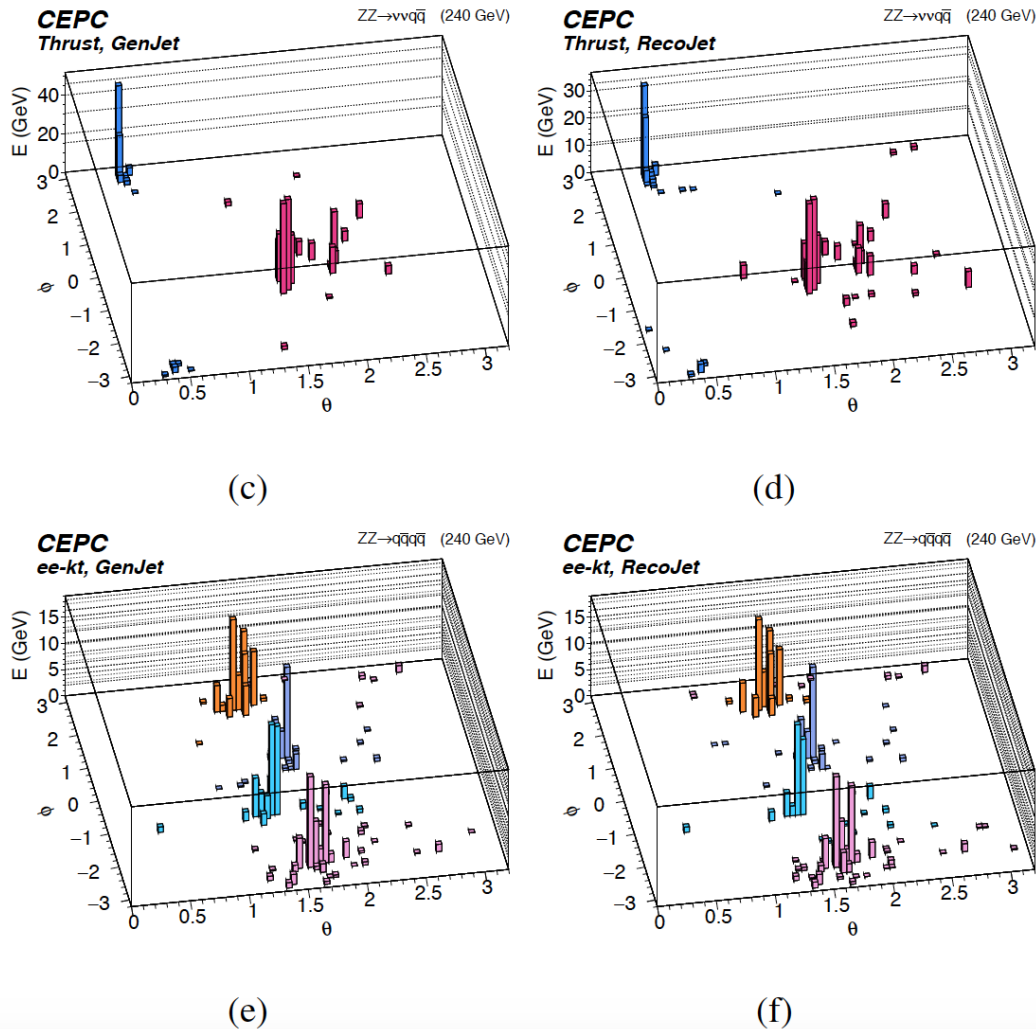
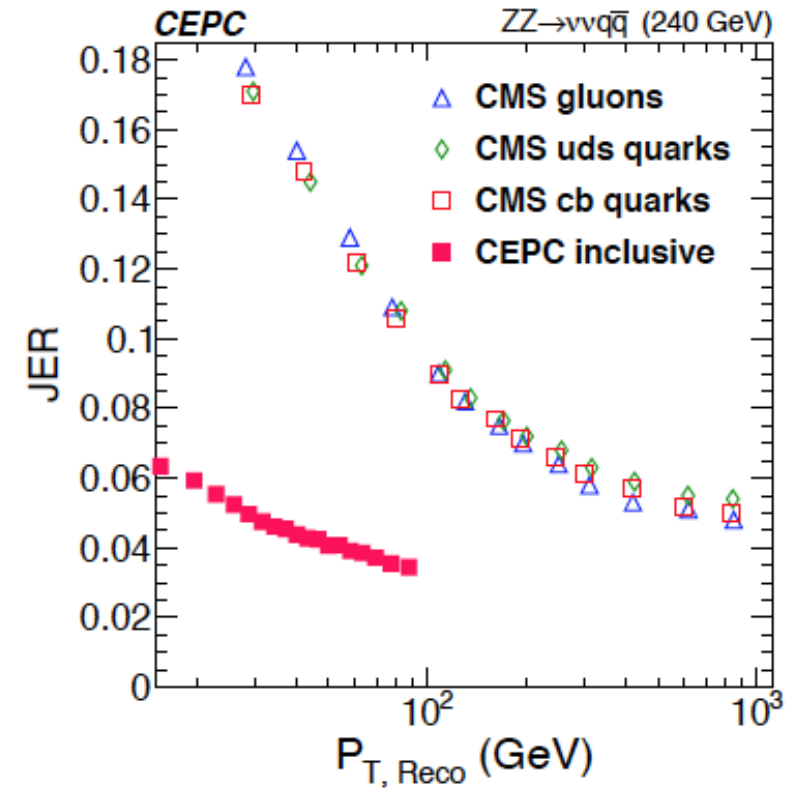
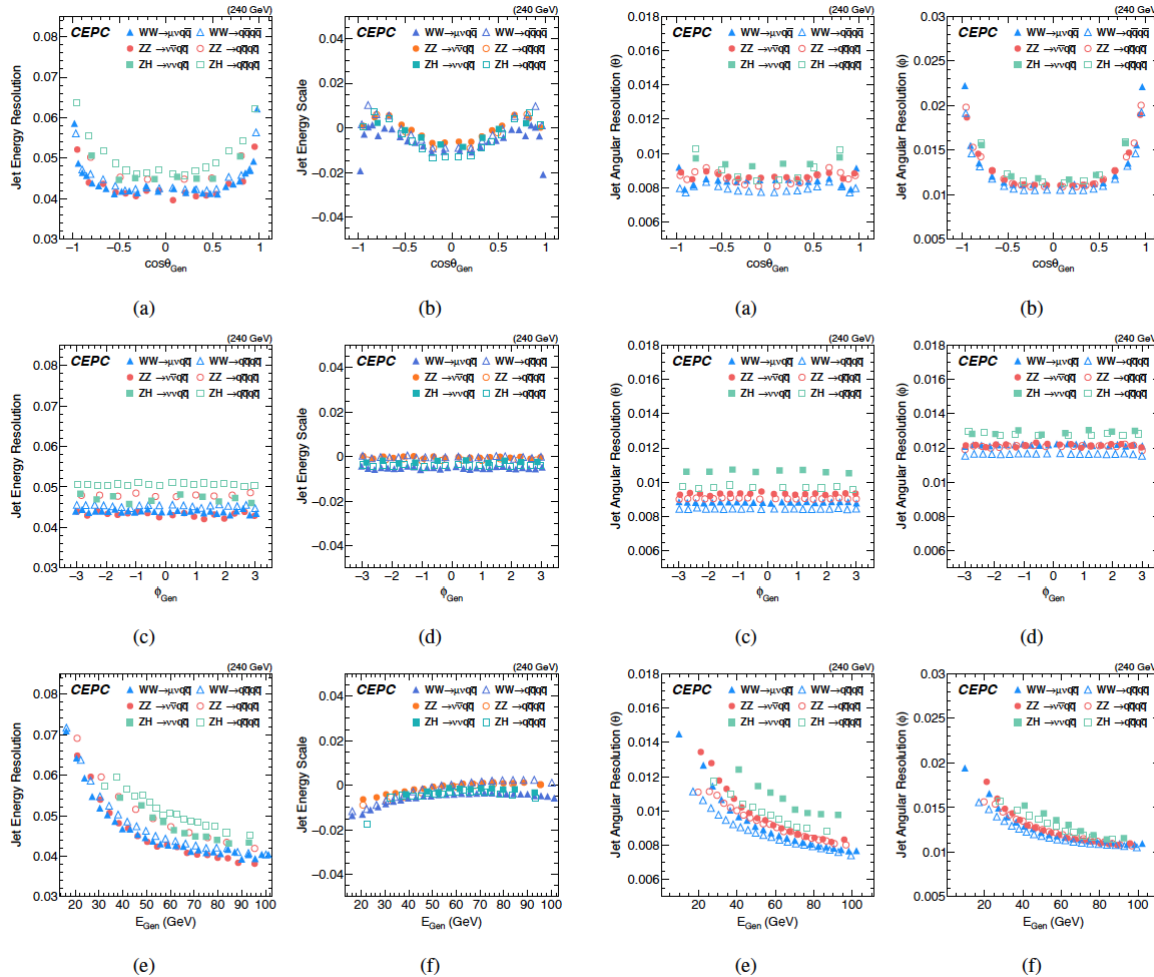


Fig. 7: σ and \bar{x} from the core of the DBCB fit to R are defined as JER/S, respectively. The $\cos\theta_j$ indicates the specific polar angle of the jets.

Jet Clustering & Matching is critical:
ee-kt is used as CEPC baseline

Relative difference between Gen/Recojet
is define to be the detector jet response

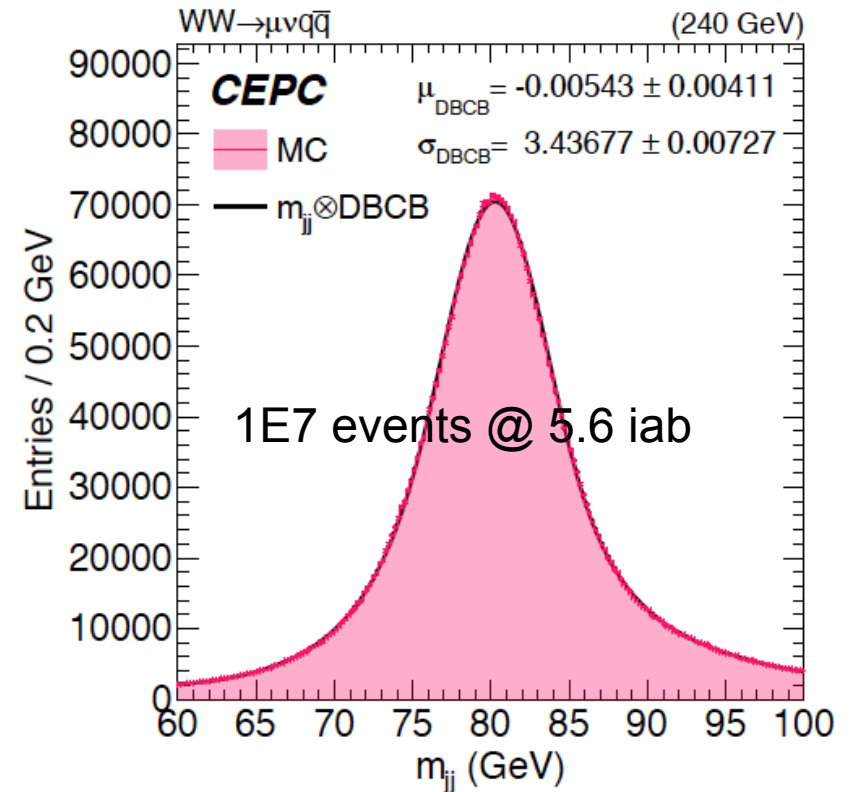
Energy response



Jet Energy Response: 2.5 – 4 times better than LHC in the same P_T range,
 Jet Energy Scale: 3 times better before sophisticated calibration

W-mass direct reconstruction at 240 GeV. Challenge & interesting

- W mass measurement at 240 GeV:
 - Statistic uncertainty @ 20 iab~
 - *0.3 MeV using only $\mu\nu qq$ final state*
 - *Bias ~ 2.5 MeV once Z mass calibrated to known value*
 - Ultimate accuracy?
 - *Can we better control the systematic using the differential information?*
 - *Control the jet confusion?...*
 - *Identify & tame ISR?*
 - *Better calibrate?*
 - *Can we maintain sufficient stability over 7/10 years? ...*



Quasi analysis: JES calibrated to pure ISR return qq sample

Jet Flavor

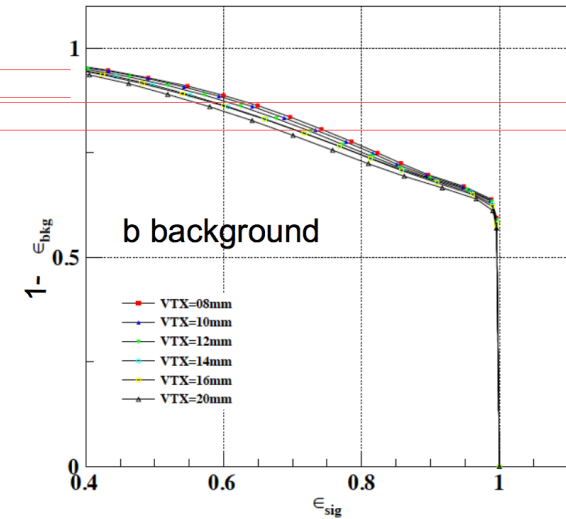
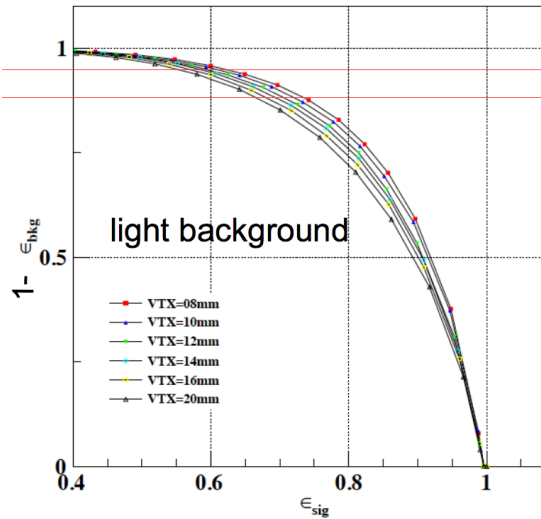
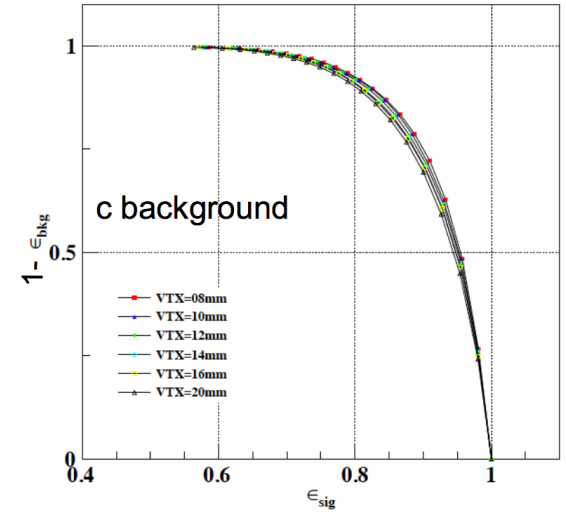
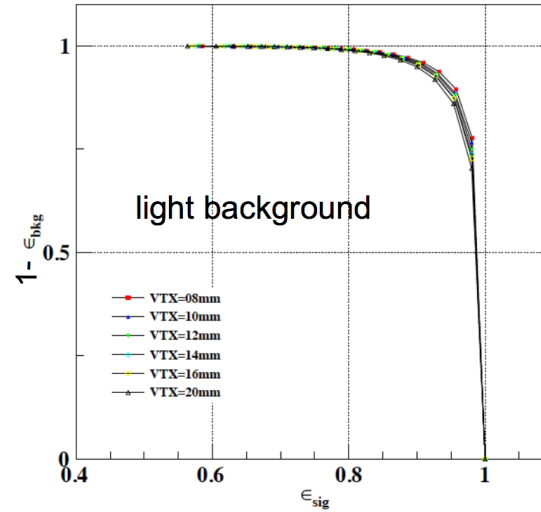
Is a jet fragmented from

$b, c, \text{light (gluon or } uds)$ \rightarrow

$b, c, \text{light, gluon, } s?$

Flavor Tagging

- LCFIPlus Package
- Typical Performance at Z pole sample:
 - *B*-tagging:
eff/purity = 80%/90%
 - *C*-tagging:
eff/purity = 60%/60%
- Geometry Dependence of the Performance evaluated



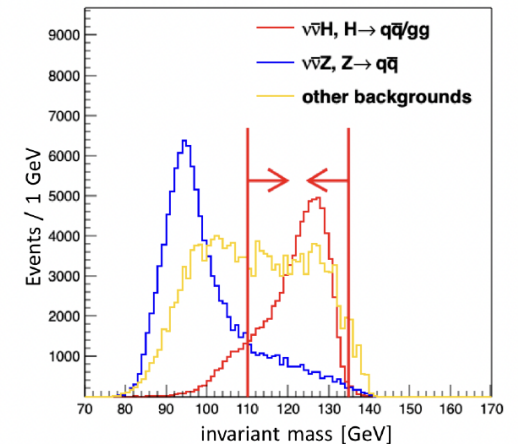
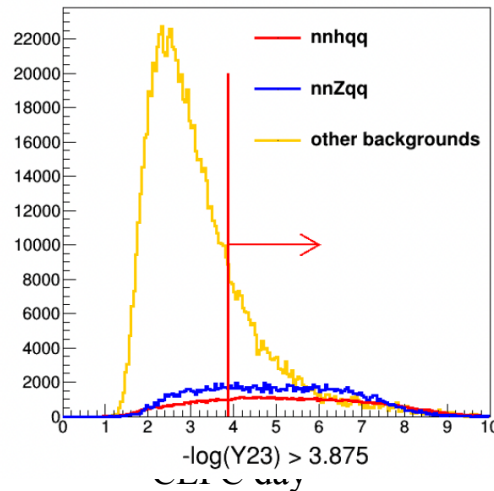
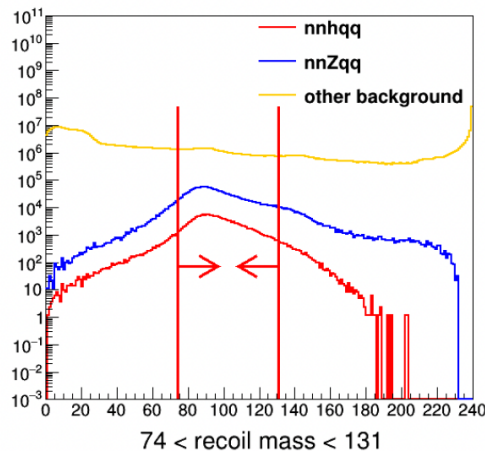
<https://agenda.linearcollider.org/event/7645/contributions/40124/>

$H \rightarrow bb, cc, gg$

- Core physics measurements, excellent benchmarks for BMR, Flavor Tagging & CSI
- Tactic
 - Analysis
 - Concentrate Higgs to di jet event using Cut Chain + BDT
 - Using Flavor Tagging to disentangle different decay modes, and extract/resolve the relevant signal strengths
 - Optimization
 - Modelling the different Flavor tagging performance using interpolation method, and resolve the corresponding accuracies

$\nu\nu H, H \rightarrow bb, cc, gg$

	$\nu\nu H q\bar{q}/gg$	2f	SW	SZ	WW	ZZ	Mixed	ZH	$\frac{\sqrt{S+B}}{S} (\%)$
total	178890	8.01E8	1.95E7	9.07E6	5.08E7	6.39E6	2.18E7	961606	16.86
recoilMass (GeV) $\in (74, 131)$	157822	5.11E7	2.17E6	1.38E6	4.78E6	1.30E6	1.08E6	74991	4.99
visEn (GeV) $\in (109, 143)$	142918	2.37E7	1.35E6	8.81E5	3.60E6	1.03E6	6.29E5	50989	3.92
leadLepEn (GeV) $\in (0, 42)$	141926	2.08E7	3.65E5	7.24E5	2.81E6	9.72E5	1.34E5	46963	3.59
multiplicity $\in (40, 130)$	139545	1.66E7	2.36E5	5.24E5	2.62E6	9.07E5	4977	42751	3.29
leadNeuEn (GeV) $\in (0, 41)$	138653	1.46E7	2.24E5	4.72E5	2.49E6	8.69E5	4552	42303	3.12
Pt (GeV) $\in (20, 60)$	121212	248715	1.56E5	2.48E5	1.51E6	4.31E5	999	35453	1.37
PI (GeV) $\in (0, 50)$	118109	52784	1.05E5	74936	7.30E5	1.13E5	847	34279	0.94
$-\log_{10}(Y23)$ $\in (3.375, +\infty)$	96156	40861	26088	60349	2.25E5	82560	640	10691	0.76
InvMass (GeV) $\in (116, 134)$	71758	22200	11059	6308	77912	13680	248	6915	0.64
BDT $\in (-0.02, 1)$	60887	9140	266	2521	3761	3916	58	1897	0.47

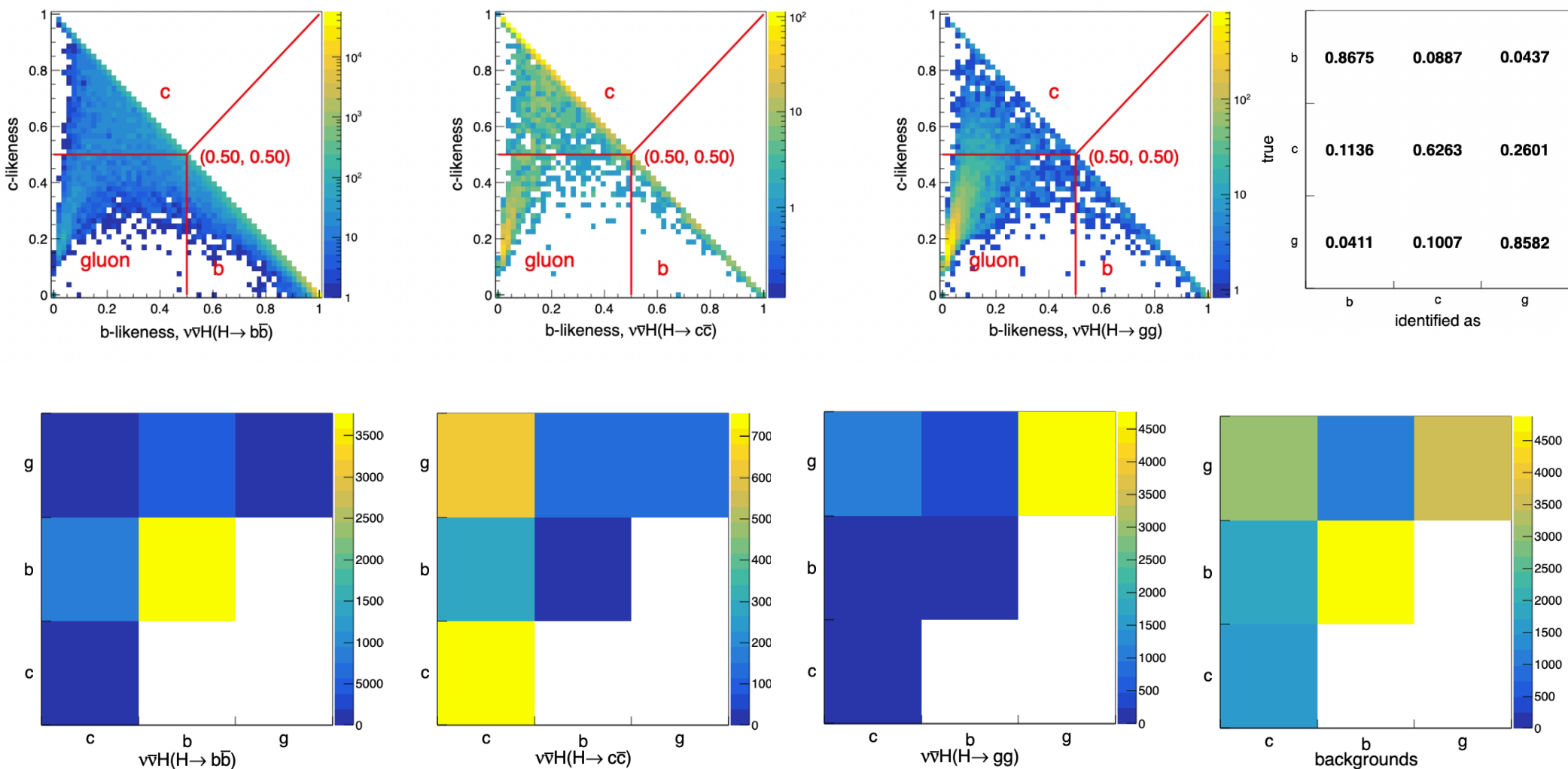


19/12, 2022

Thanks to BMR ~ 3.8%!

10

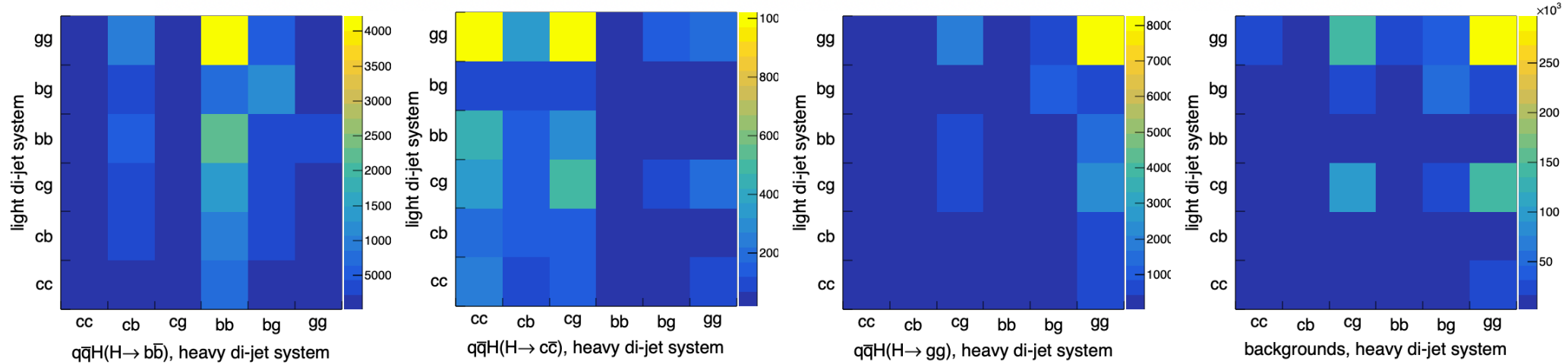
Flavor tagging @ $\nu\nu H$



Relative accuracies on signal strength: 0.5%/5.8%/1.8%, for $\nu\nu H$, H to $b\bar{b}/c\bar{c}/g\bar{g}$ respectively.

qqH, $H \rightarrow bb, cc, gg$

	qqHqq	2f	SW	SZ	WW	ZZ	Mixed	ZH	$\frac{\sqrt{S+B}}{S} (\%)$
total	527488	8.01E8	1.95E7	9.07E6	5.08E7	6.39E6	2.18E7	613008	5.71
multiplicity $\in (27, +\infty)$	527488	3.04E8	1.46E7	3.37E6	4.85E7	6.00E6	1.81E7	577930	3.77
leadLepEn $\in (0, 59)$	527036	2,98E8	6.76E6	2.44E6	3.93E7	5.40E6	1.79E7	531411	3.65
visEn $\in (199, 278)$	510731	1.21E8	1.29E6	551105	2.14E7	3.06E6	1.71E7	180571	2.52
leadNeuEn $\in (0, 57)$	509623	5.68E7	716161	168030	2.04E7	2.93E6	1.65E7	176387	1.94
thrust $\in (0, 0.86)$	460535	7.81E6	473732	132126	1.88E7	2.60E6	1.54E7	167863	1.47
$-\log(Y_{34})$ $\in (0, 5.8875)$	451468	4.90E6	181432	119836	1.74E7	2.40E6	1.45E7	165961	1.40
HiggsjetsA $\in (2.18, 2\pi)$	326207	2.83E6	110156	58613	4.54E6	870276	3.74E6	96560	1.08
ZjetsA $\in (1.97, 2\pi)$	279030	1.37E6	33491	37101	2.39E6	496611	2.00E6	74005	0.93
ZHiggsA $\in (2.32, 2\pi)$	274530	1.32E6	17026	33847	2.28E6	468340	1.91E6	69620	0.92
circle	268271	1.20E6	10193	31567	2.13E6	424514	1.79E6	65434	0.90
BDT $\in (0.02, 1)$	192278	378300	40	307	271436	141446	244126	30022	0.57



Relative accuracies on signal strength: 0.35%/7.7%/4.0%, for bb/cc/gg respectively.

Interpolation

$$M_{mig} = \frac{Tr_{mig} - Tr_{opt}}{Tr_I - Tr_{opt}} \cdot (M_I - M_{opt}) + M_{opt}$$

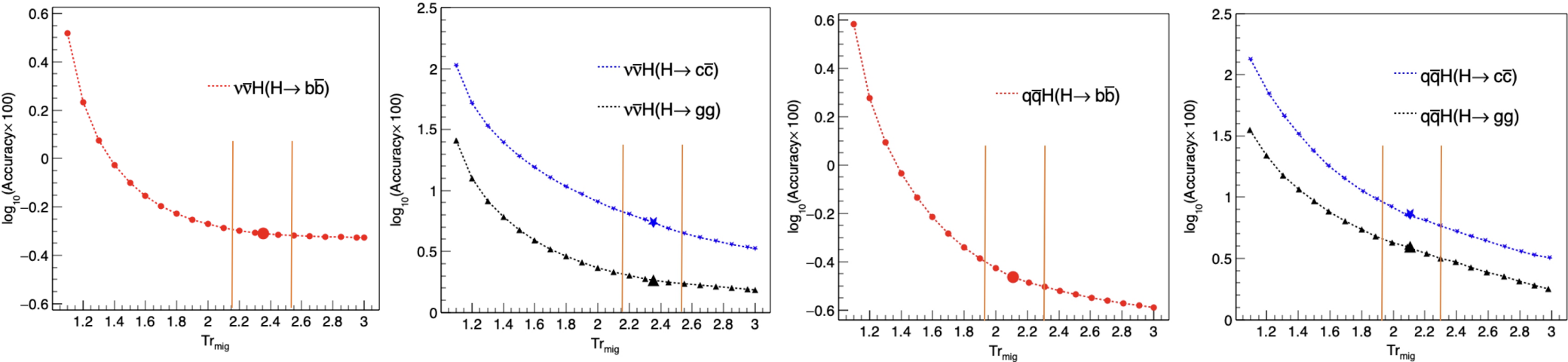
$$M_{mig} = \frac{Tr_{mig} - Tr_{opt}}{Tr_{1/3} - Tr_{opt}} \cdot (M_{1/3} - M_{opt}) + M_{opt}$$

Perfect

true	identified as		
	b	c	g
	b	1	0
	c	0	1

Worst

true	identified as		
	b	c	g
	b	1/3	1/3
	c	1/3	1/3



- Compared to baseline, perfect Flavor tagging improves the accuracy by 2%/63%/13% for $v\bar{v}H$ and 35%/120%/180% for $q\bar{q}H$ channels (bb , cc , gg)

Vcb from W decay

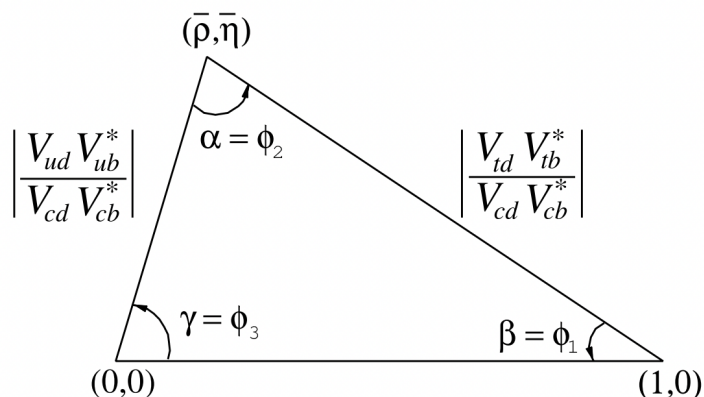
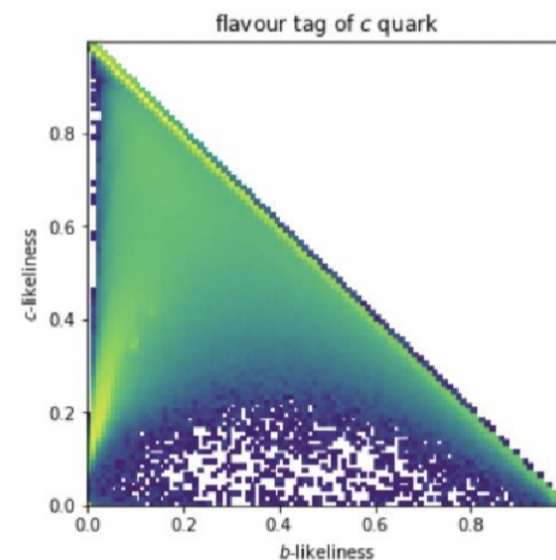
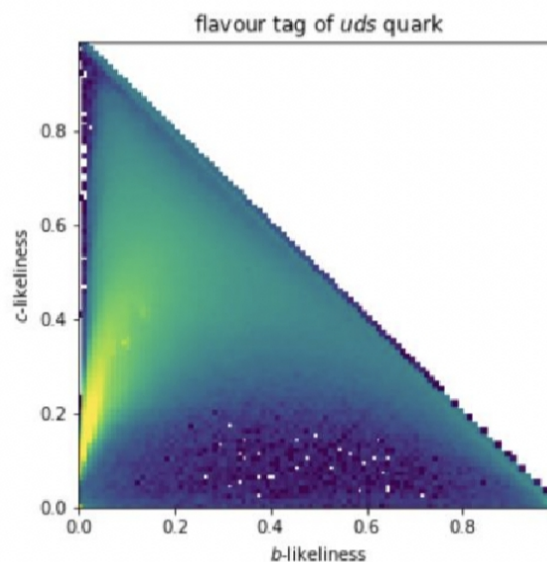
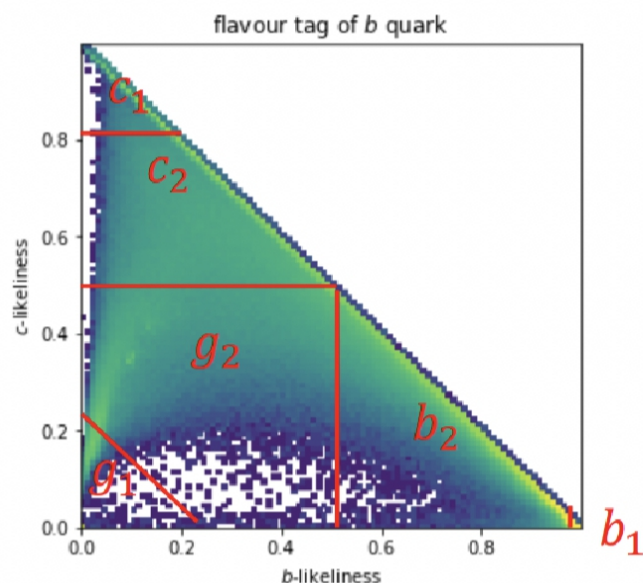


Figure 12.1: Sketch of the unitarity triangle.

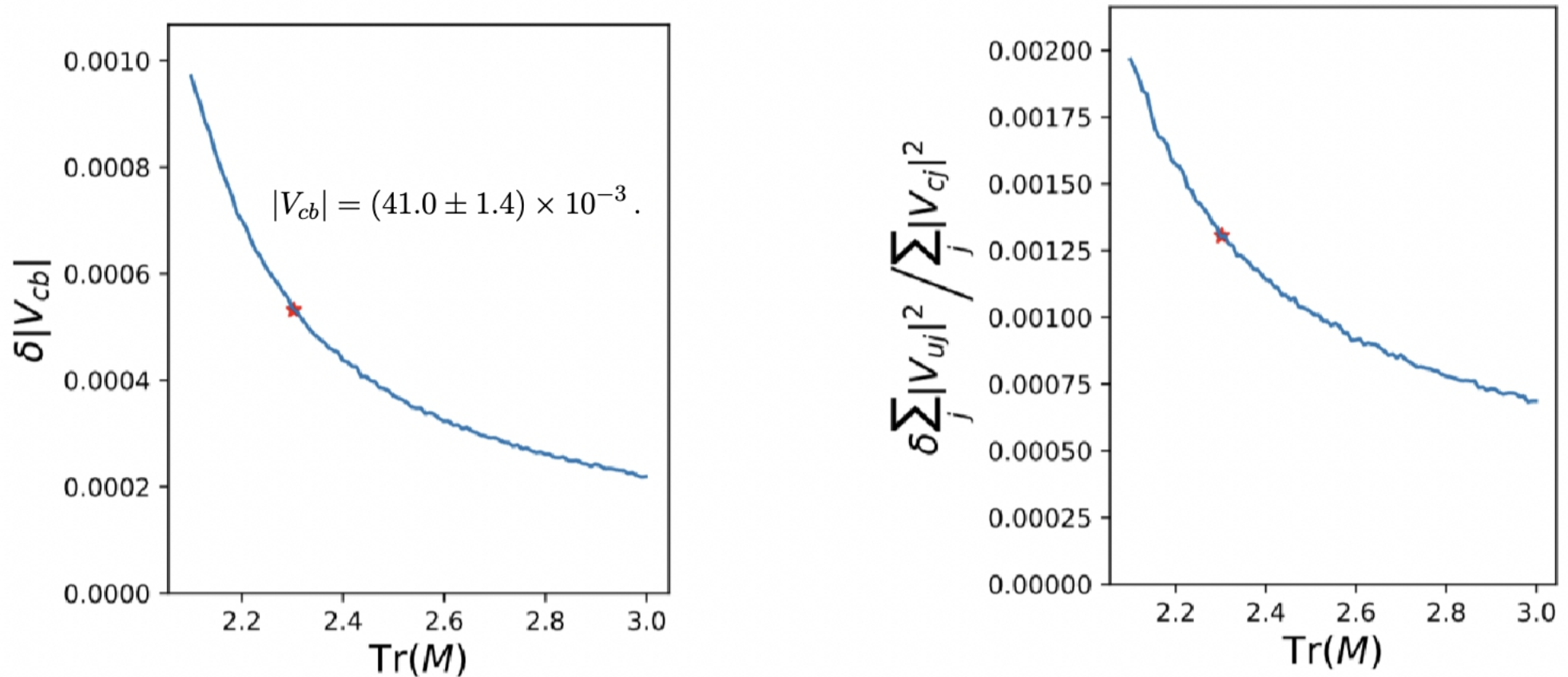
$$|V_{cb}| = (41.0 \pm 1.4) \times 10^{-3}.$$

	b1	b2	c1	c2	g1	g2
$M = \begin{matrix} b \\ d \\ uds \end{matrix}$	0.47	0.378	0.0197	0.0965	0.00397	0.0315
	0.00042	0.078	0.298	0.373	0.0682	0.182
	0.000104	0.00477	0.00145	0.054	0.538	0.401

Flavour tagging at Z-pole

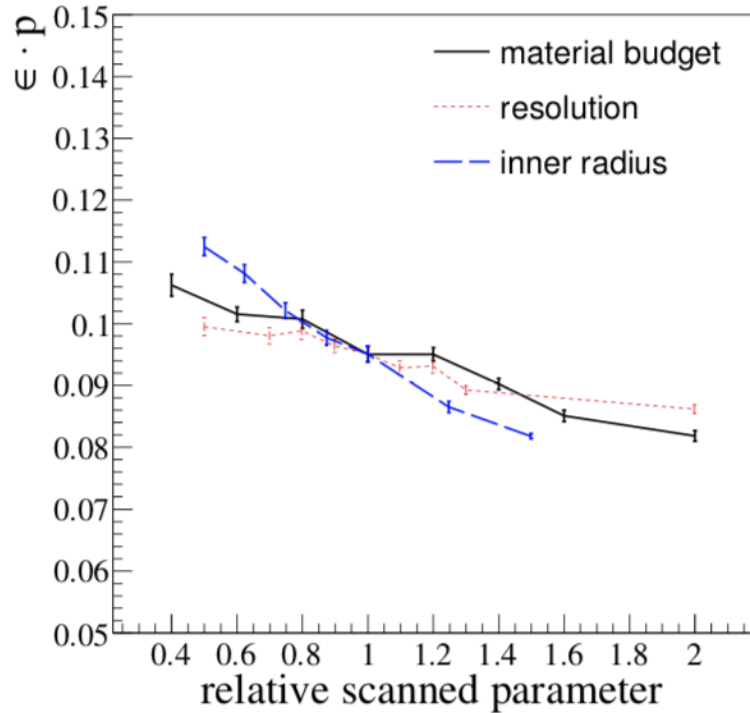


At changing Flavor tagging performance



- Percentage level accuracy on V_{cb} anticipated; using only $\mu\nu q\bar{q}$ events at 5.6 iab. Can be improved by 3-4 times... if using 20 iab and all leptonic channels, plus better analysis method
- Compared to baseline... ideal FT improves the accuracy by 2.5 times

Flavor tagging V.S VTX geometry



$$\epsilon \cdot p = 0.095(1 - 0.14 \frac{\Delta x_{\text{material}}}{x_{\text{material}}})(1 - 0.09 \frac{\Delta x_{\text{resolution}}}{x_{\text{resolution}}})(1 - 0.23 \frac{\Delta x_{\text{radius}}}{x_{\text{radius}}})$$

Table 2. Reference geometries.

	Scenario A (Aggressive)	Scenario B (Baseline)	Scenario C (Conservative)
Material per layer/ X_0	0.075	0.15	0.3
Spatial resolution/ μm	1.4 - 3	2.8 - 6	5 - 10.7
R_{in}/mm	8	16	23

trace

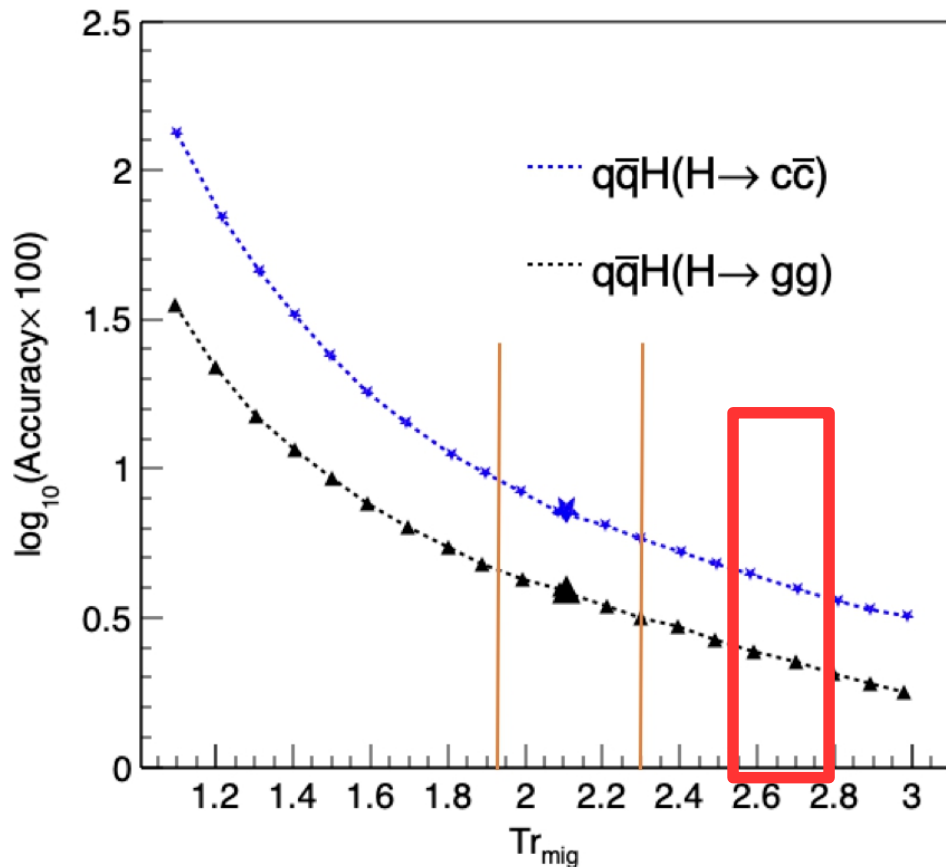
2.3

2.1

1.9

$$Tr_{mig} = 2.118 + 0.054 \cdot \log_2 \frac{R_{\text{material}}^0}{R_{\text{material}}} + 0.040 \cdot \log_2 \frac{R_{\text{resolution}}^0}{R_{\text{resolution}}} + 0.098 \cdot \log_2 \frac{R_{\text{radius}}^0}{R_{\text{radius}}}$$

Perspective to the far future



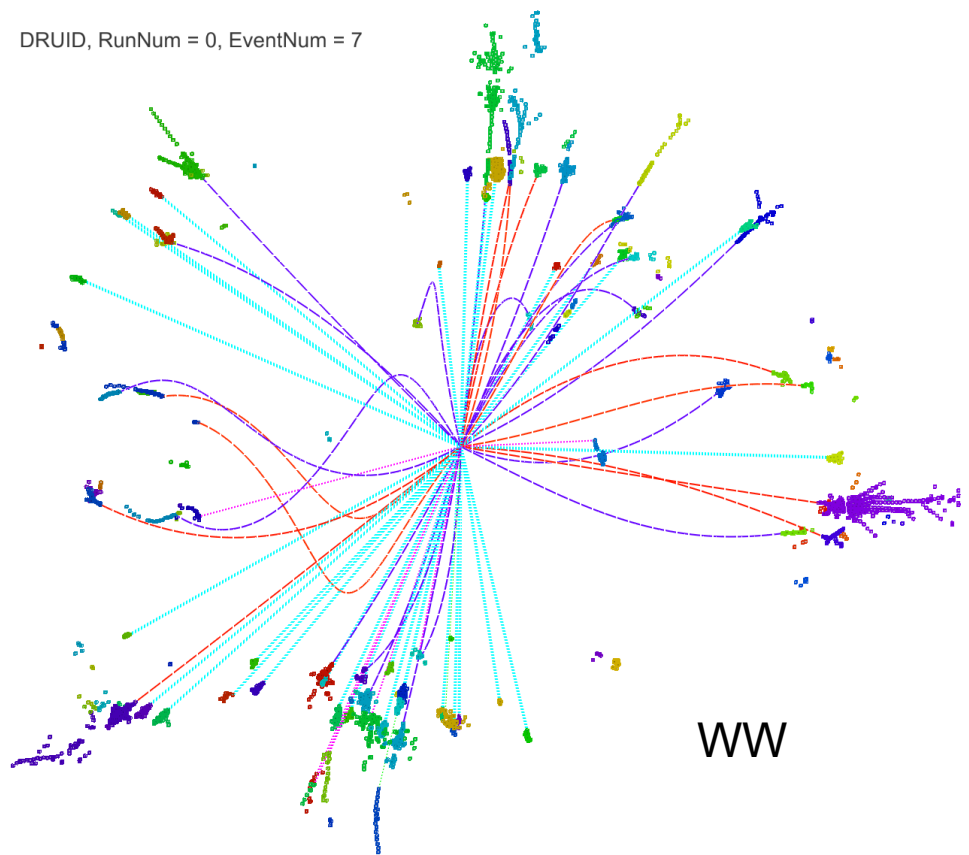
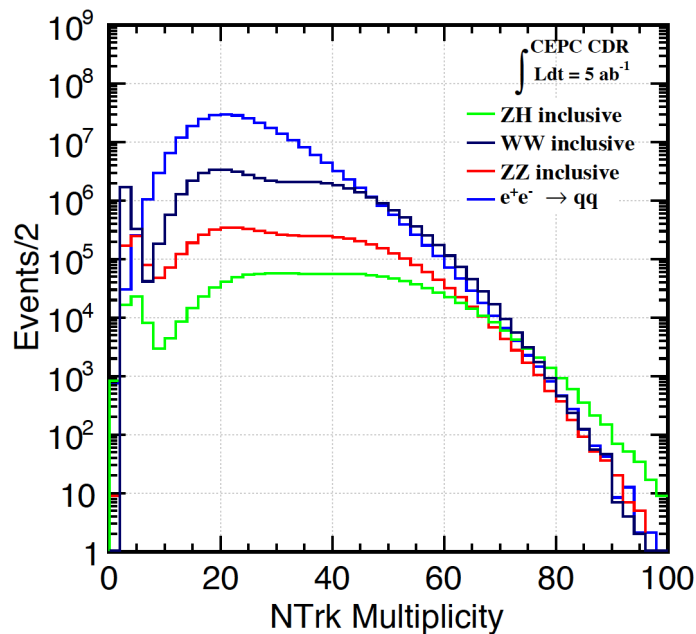
- If we put the VTX inside the beam pipe:
 - the material & radius halves from Aggressive scenario...
 - a much better polar angle coverage...
- Much intelligent algorithm...

CSI

*How to find all the final state particles generated
from one boson decay, in a full hadronic
WW/ZZ/ZH events?*

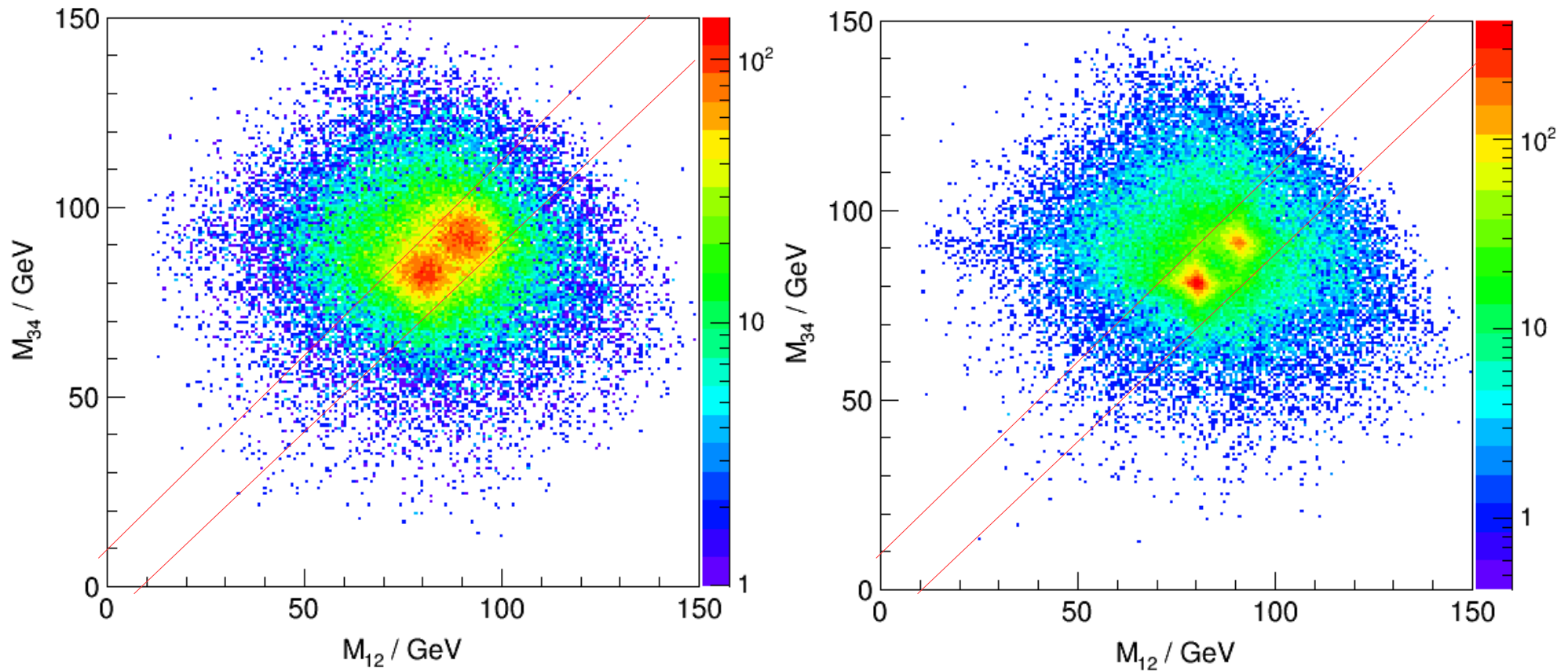
Jet clustering + matching, or goes beyond?

Full hadronic WW-ZZ separation



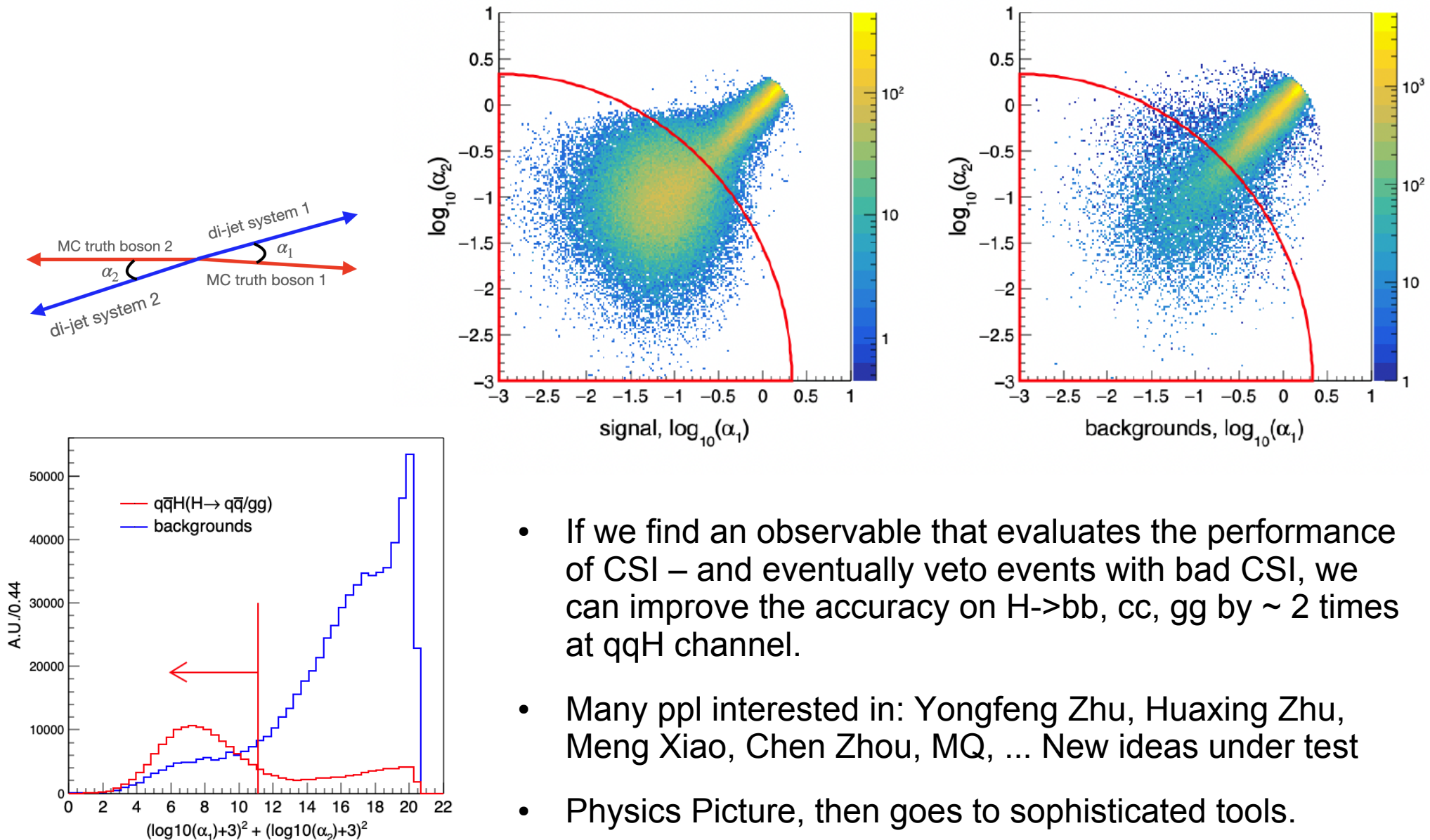
- Low energy jets! (20 – 120 GeV)
- Typical multiplicity $\sim \mathcal{O}(100)$
- WW-ZZ Separation: determined by
 - Intrinsic boson mass/width
 - Jet confusion from color single reconstruction – jet clustering & pairing
 - Detector response

Reconstructed mass of the two di-jet system



Equal mass condition $|M_{12} - M_{34}| < 10 \text{ GeV}$: At the cost of half the statistic, the overlapping ratio can be reduced from 58%/53% to 40%/27% for the Reco/Genjet

CSI: impact on $H \rightarrow bb, cc, qq$



- If we find an observable that evaluates the performance of CSI – and eventually veto events with bad CSI, we can improve the accuracy on $H \rightarrow bb, cc, gg$ by ~ 2 times at qqH channel.
- Many ppl interested in: Yongfeng Zhu, Huaxing Zhu, Meng Xiao, Chen Zhou, MQ, ... New ideas under test
- Physics Picture, then goes to sophisticated tools.

Jet Charge

Given b or c : b or b -bar? c or c -bar?

Essential for CKM measurements with neutral hadron oscillations.

Afb_b, Afb_c measurement

enable differential measurements that depends on quark charge

Far future: might be well extended & combine with Jet Flavor tagging → to identify the species & charge of quark/gluon that induces a jet

Effective tagging power

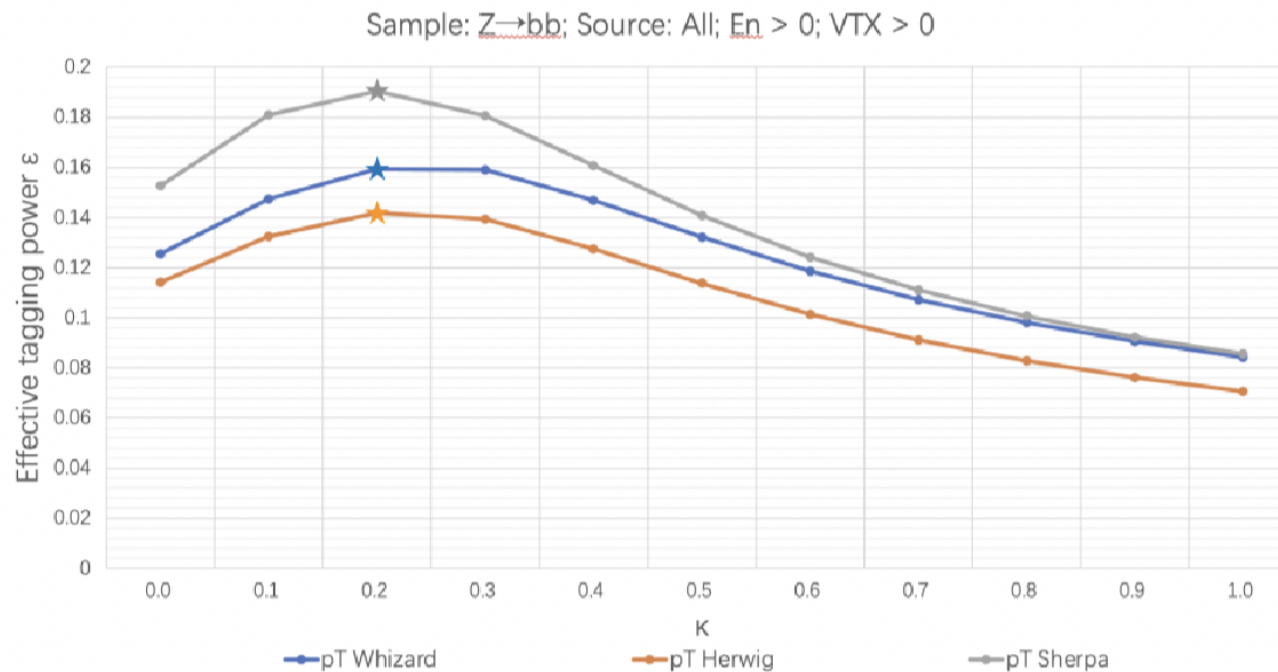
- Tagging power = efficiency * $(1 - 2 \cdot \omega)^2$
- ω ~ chance of mis-id, value between 0 – 0.5.
- To 1st order, accuracy ~ $1/\sqrt{N \cdot \text{tagging power}}$.
- Tagging power highly sensitive to mis-id chance.
- Many method to measure Jet Charge: VTX charge, weighted sum, jet lepton/kaon, 2nd leading kaon, ...

Weighted charge method (WCJC)

Method:

- Use the charge and momentum of all final charged particles in a jet with a weight parameter κ to calculate Q_{jet}^κ .
- the weight parameter κ is optimized for different decay modes.
- if $Q_{jet}^\kappa < 0$, we consider this is a b quark, and vice versa.

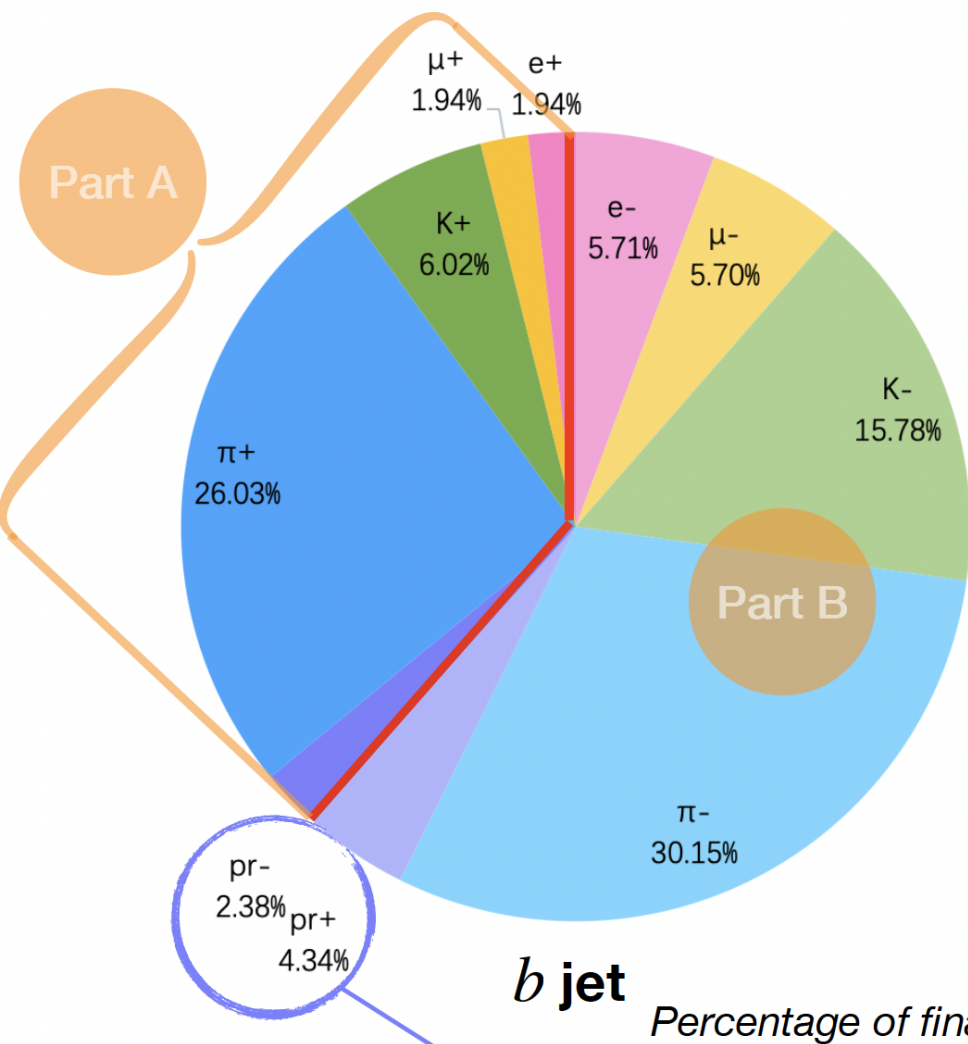
$$Q_{jet}^\kappa = \frac{\sum_i (E_i)^\kappa Q_i}{\sum_i (E_i)^\kappa}$$



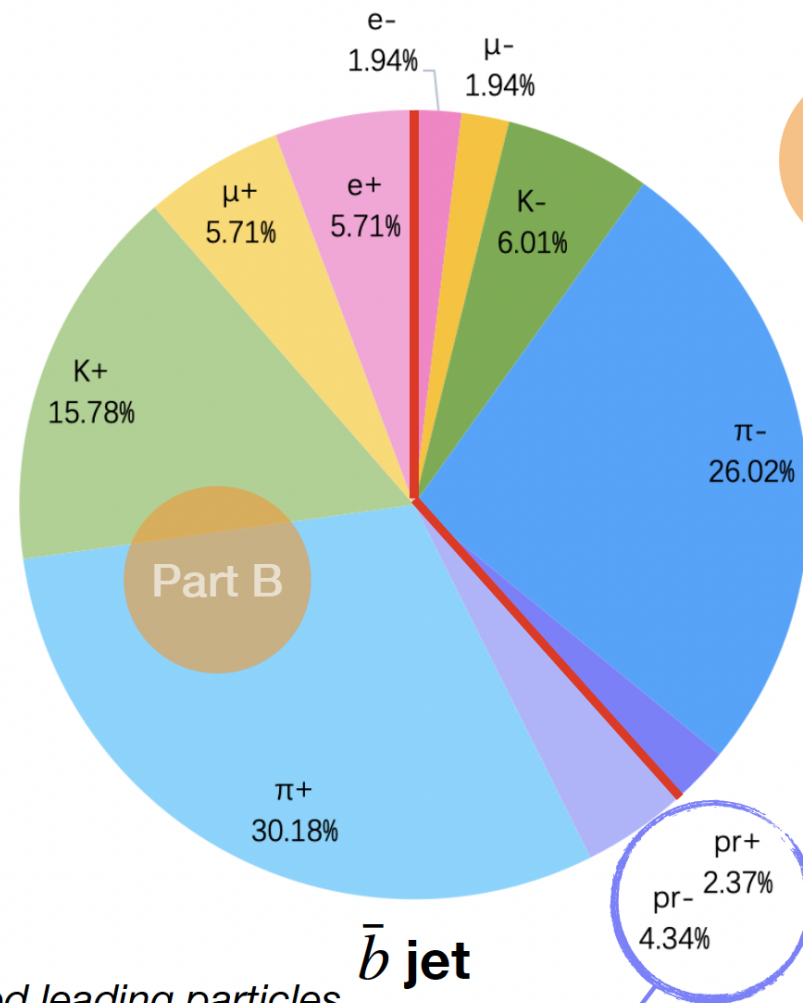
Methods	Optimized κ					
	Whizard		Herwig		Sherpa	
Generat or						
source	all	from B/D	all	from B/D	all	from B/D
All b hadrons	($\kappa=0.2$)	($\kappa=0$)	($\kappa=0.2$)	($\kappa=0$)	($\kappa=0.2$)	($\kappa=0$)
B0/B0bar	($\kappa=0.2$)	($\kappa=0.6$)	($\kappa=0.2$)	($\kappa=0.6$)	($\kappa=0.3$)	($\kappa=0.6$)
B+/B-	($\kappa=0.3$)	($\kappa=0$)	($\kappa=0.4$)	($\kappa=0$)	($\kappa=0.3$)	($\kappa=0$)
Bs/Bsbar	($\kappa=0$)	($\kappa=0$)	($\kappa=0$)	($\kappa=0$)	($\kappa=0.2$)	($\kappa=1.0$)
Bc+/Bc-	($\kappa=0.2$)	($\kappa=0$)	($\kappa=0.7$)	($\kappa=0$)	($\kappa=0.6$)	($\kappa=0$)
Λ_b/Λ_b bar	($\kappa=0$)	($\kappa=1.0$)	($\kappa=0$)	($\kappa=0.9$)	($\kappa=0$)	($\kappa=0$)

$$Z \rightarrow b\bar{b}$$

Dependence on leading particle type



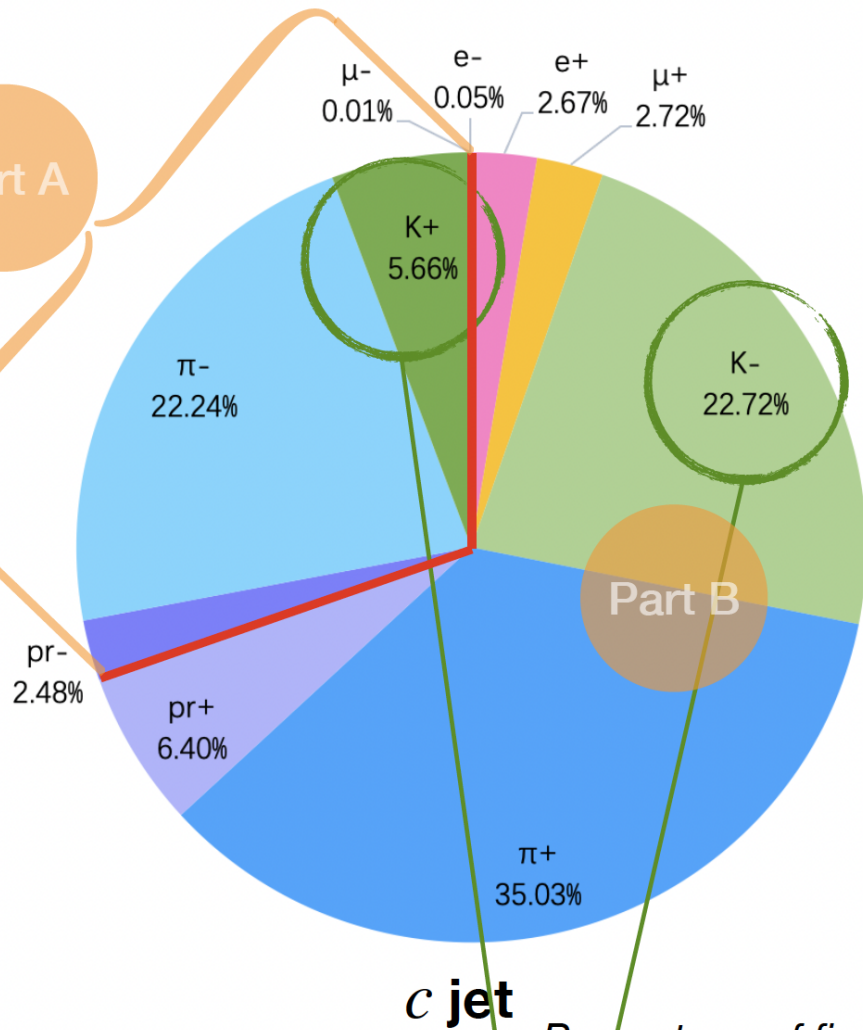
$\omega(\text{using only charge}) = 0.403$
 $\omega(\text{using charge \& PID}) = 0.383$



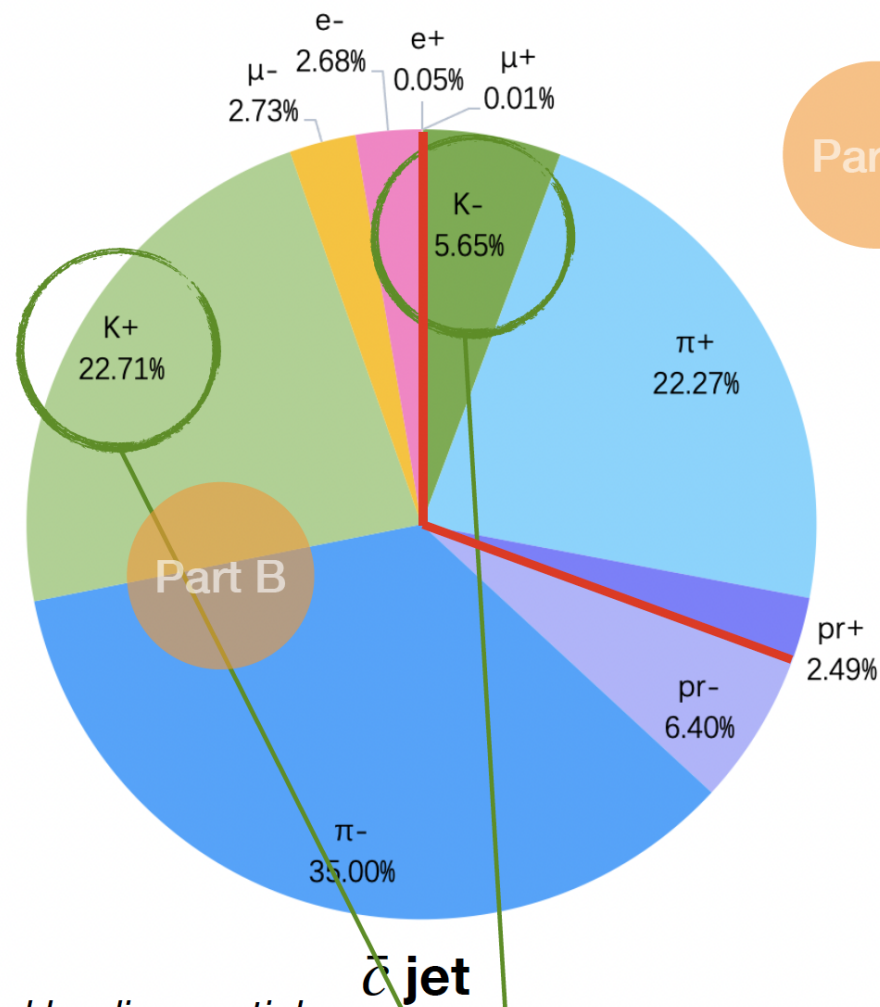
$\omega(\text{using only charge}) = 0.402$
 $\omega(\text{using charge \& PID}) = 0.383$

$Z \rightarrow c\bar{c}$

Dependence on leading particle type



$\omega(\text{using only charge}) = 0.473$
 $\omega(\text{using charge \& PID}) = 0.304$

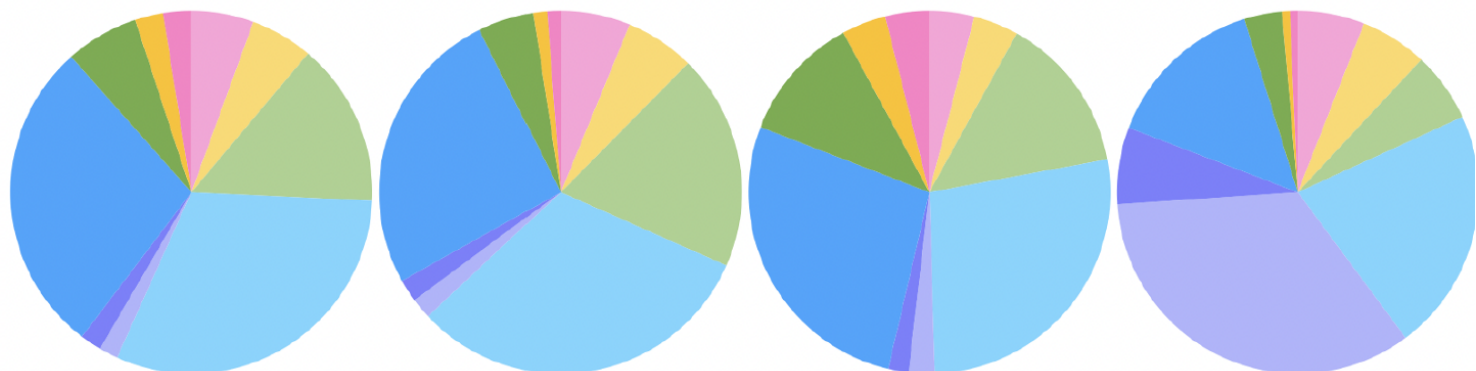


$\omega(\text{using only charge}) = 0.475$
 $\omega(\text{using charge \& PID}) = 0.305$

$$Z \rightarrow b\bar{b}$$

Percentage of leading particles (*b* jet, Whizard195)

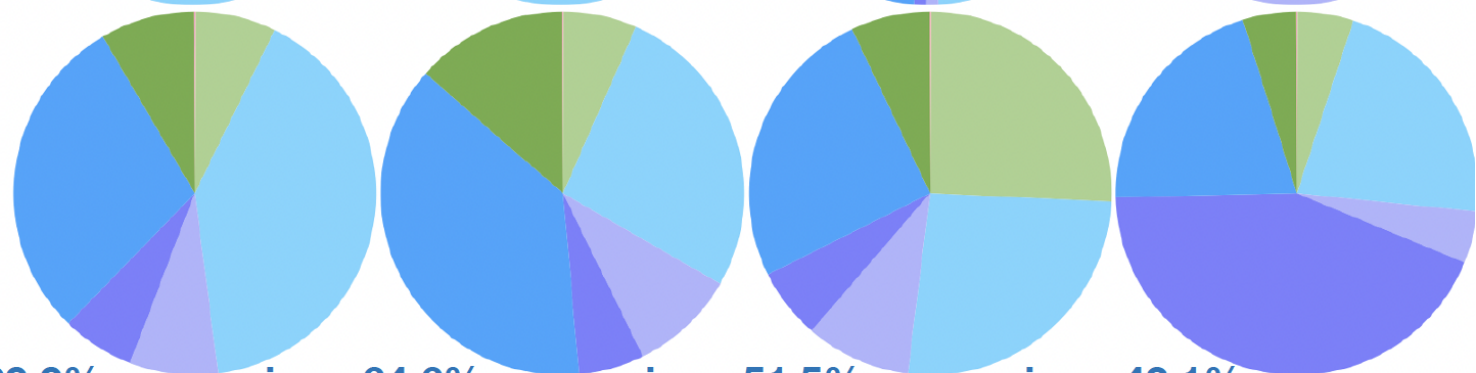
All leading particles



Leading particles
from leading hadron
~83.1%



Leading particles
from QCD
~16.9%



pion ~69.9%

Kaon ~15.6%

proton ~14.3%

\bar{B}^0

pion ~64.6%

Kaon ~20.0%

proton ~15.3%

B^-

pion ~51.5%

Kaon ~32.7%

proton ~15.7%

\bar{B}_s^0

pion ~42.1%

Kaon ~9.7%

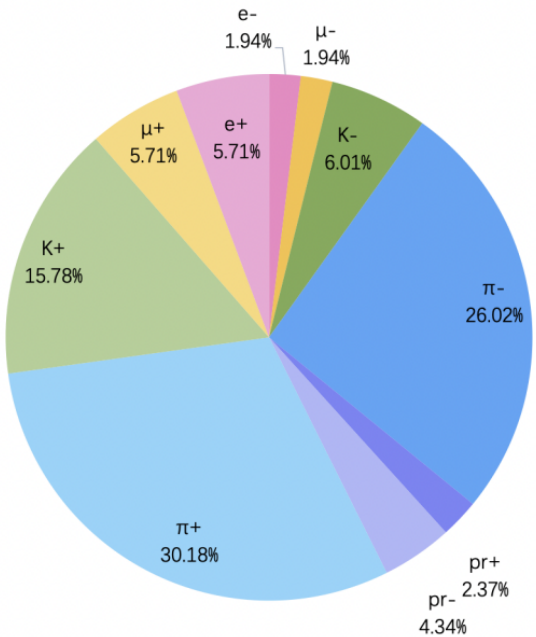
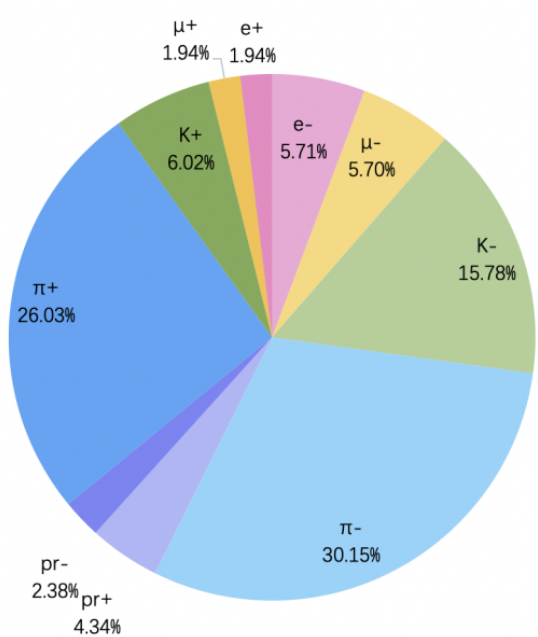
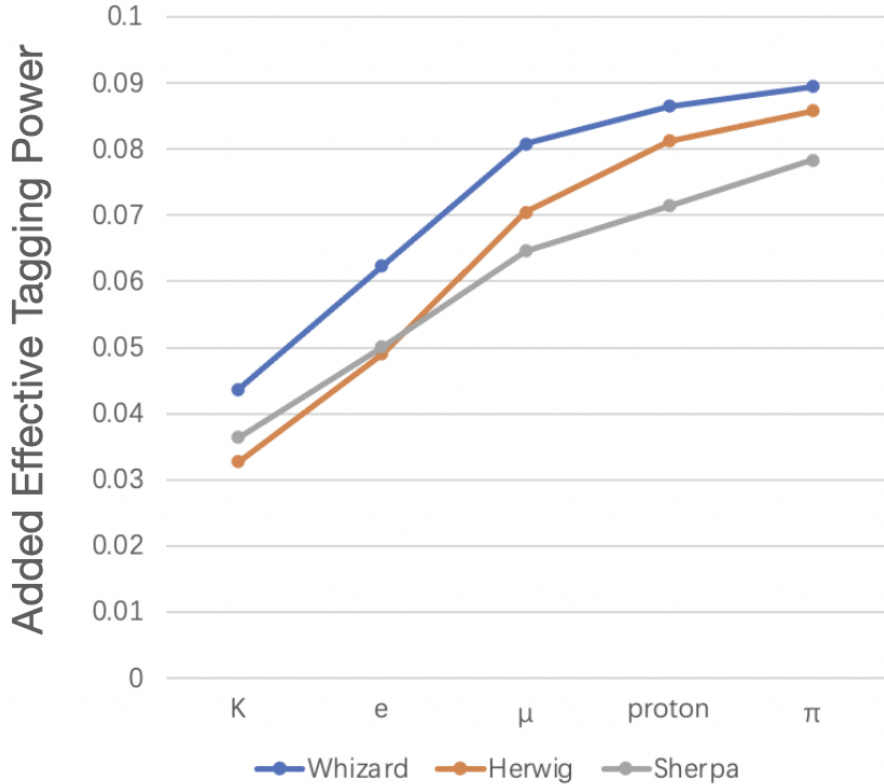
proton ~48.0%

Λ_b

by WHIZARD195

Leading particle method (LPJC)

LP	Whizard	Herwig	Sherpa
e	0.019	0.018	0.015
μ	0.018	0.021	0.015
K	0.045	0.033	0.036
π	0.003	0.005	0.006
p	0.005	0.007	0.006
Tot	0.089	0.084	0.078



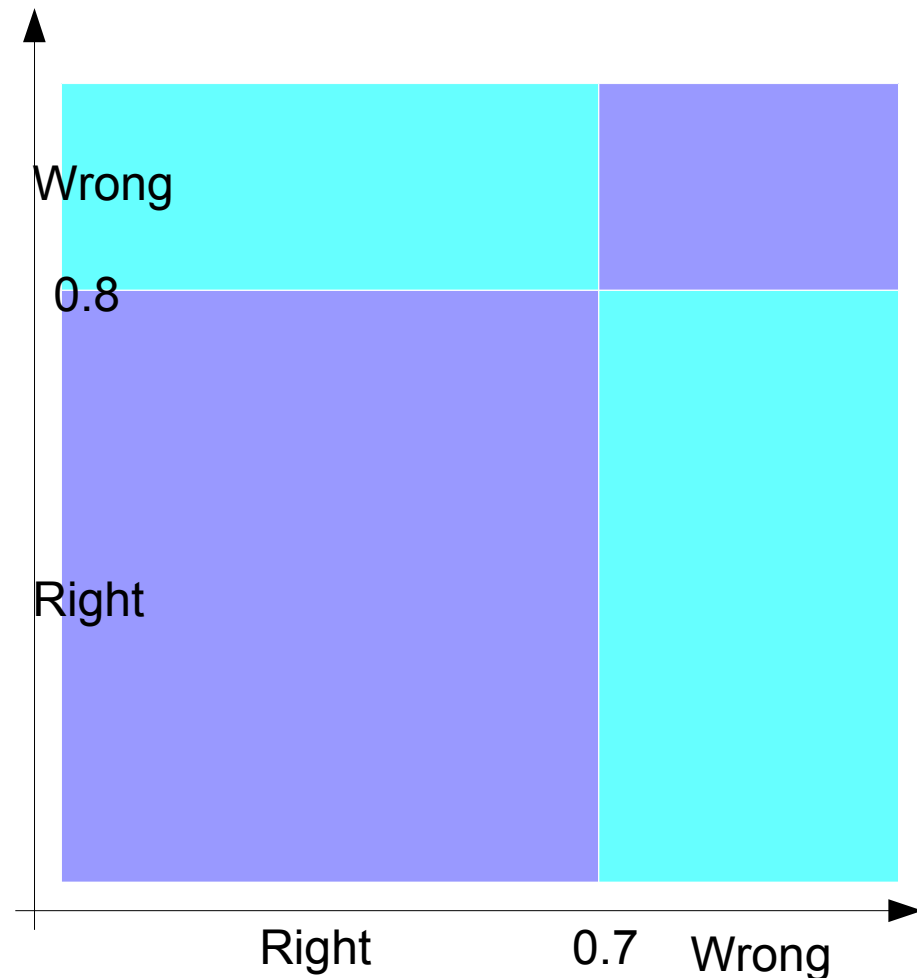
Dependence on leading particle type

Dependence on b/c hadron type

Dependence on decay source of leading particle: hadron or QCD.

Combine...

- Naive case: non correlated two observer
 - O1, $\omega = 0.3$, $\text{eff} = 1$, Tagging Power $\sim 16\%$
 - O2, $\omega = 0.2$, $\text{eff} = 1$, Tagging Power $\sim 36\%$
- Since Tagging power depends stronger on ω rather than efficiency, we can select only event with consistent O1 & O2
 - Efficiency drops to
 - $0.7 \cdot 0.8 + 0.2 \cdot 0.3 = 62\%$
 - Omega:
 - $0.2 \cdot 0.3 / (0.7 \cdot 0.8 + 0.2 \cdot 0.3) = 6/62$
 - Tagging Power $\sim 40.3\%$



Result @ Truth level

two combination methods combination

			ϵ_{eff}
b jet	e	Decision Level	0.025
	μ	Decision Level	0.025
	K	Decision Level	0.060
	π	Tagger Level	0.076
	p	Decision Level	0.012
	Total		0.198
c jet	e	Tagger Level	0.025
	μ	Tagger Level	0.027
	K	Decision Level	0.137
	π	Tagger Level	0.186
	p	Decision Level	0.029
	Total		0.404

Analysis of jet charge performance for single jet at CEPC Z pole:

★ **Effective tagging power:**

★ **LPJC method:** 0.089 / 0.203

★ **WCJC method:** 0.159 / 0.258

★ **Decision level combination:** 0.165 / 0.342 (improve 3.8% / 32.6%)

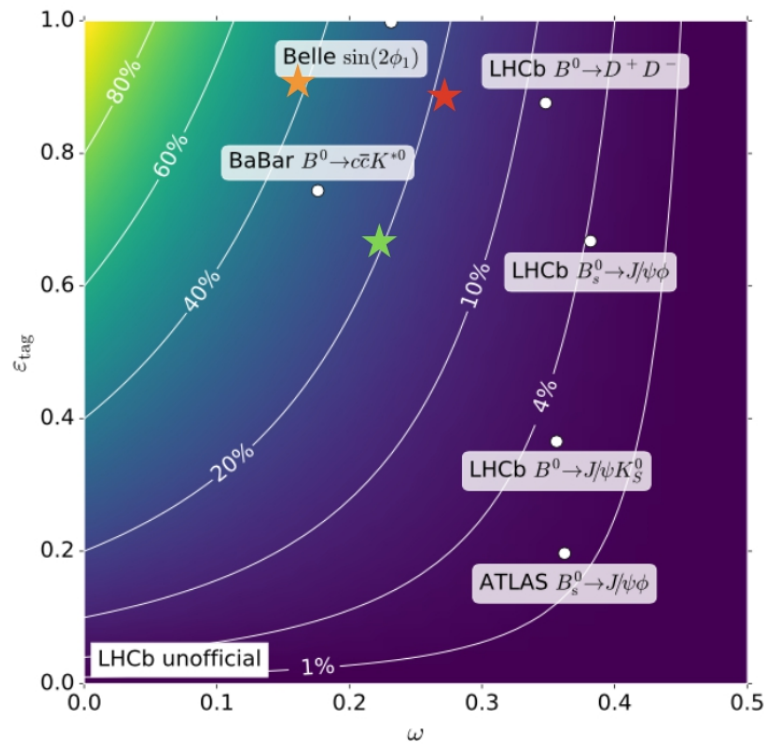
★ **Tagger level combination:** 0.182 / 0.372 (improve 14.5% / 44.2%)

★ **Total combination:** 0.198 / 0.404 (improve 24.5% / 56.6%)

★ **Dependences:**

- High dependence on leading particle type.
- High dependence on b/c hadrons type, especially for B_s (Mingrui), Λ_b , Λ_c , ...
- High dependence on the decay source of leading particle.

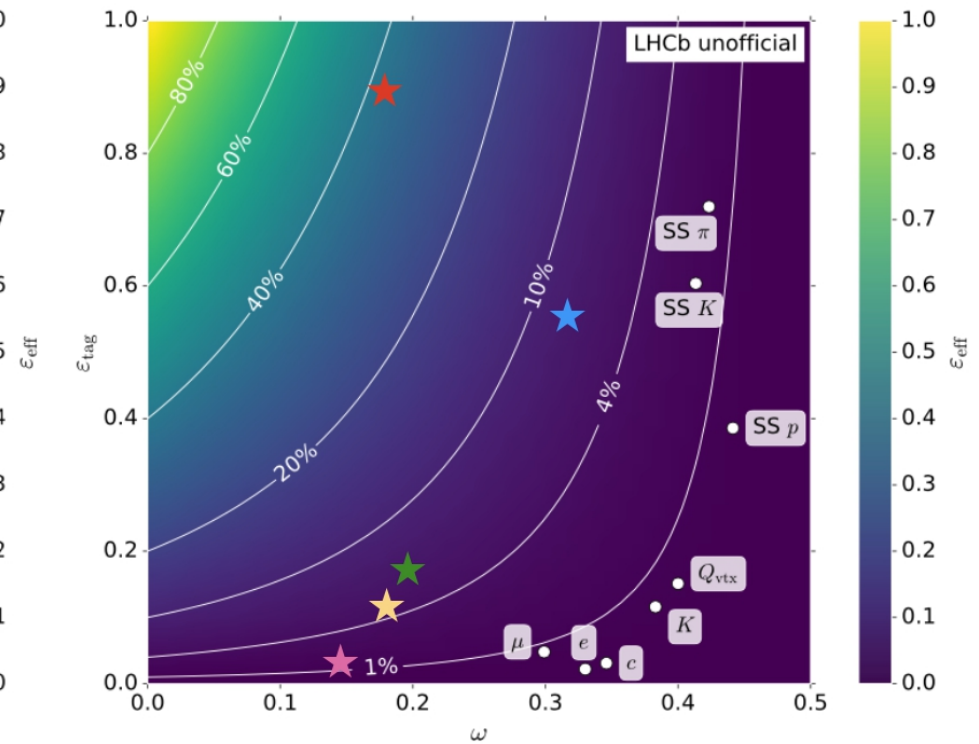
Jet Charge: comparison to other



CEPC b jet (inclusive) 19.8%

CEPC c jet (inclusive) 40.4%

CEPC $B_s \rightarrow J/\psi\phi$ 20.2% (by Mingrui)



CEPC b jet (inclusive) 19.8%

CEPC b quark \rightarrow lepton 5.0%

CEPC b quark \rightarrow Kaon 6.0%

CEPC b quark \rightarrow pion 7.6%

CEPC b quark \rightarrow proton 1.2%

Discussion on Jet charge

- We propose LPJC, a robust method that
 - Provide slightly worse tagging power compared to WCJC (reference method)
 - Significantly enhance the performance once combined with WCJC
 - c-jet with Eff. Tagging power $\sim 40\%$, significantly better than references.
- LPJC, Preserve the physics information – strongly depends on the
 - Hadron species that quark fragmented into
 - Final state that Heavy Hadron decays into
 - Num. results depends slightly on fragmentation models (Generator type)
- Dependency to the detector performance yet to be quantified. LPJC & WCJC relies on different performance & highly complementary
 - Both need good acceptance & resolution.
 - LPJC: Pid!!!
 - WCJC: Momentum threshold
- Plan to submit soon.

Summary

- Hadronic system is key to the success of e-e⁺ Higgs factory, ... has huge impact on the physics reach/NP sensitivity
- At CEPC: comprehensive understanding towards the requirement & performance, via simulation/detector R&D studies.
- BMR
 - 3.8% achieved at baseline + Arbor [Manqi, Eur. Phys. J. C \(2018\) 78:426](#)
 - Informative decomposition ([Yuexin, thesis](#)) + update ([Yuexin, to be submit](#))
- Jet, an conventional, but not perfect method to describe hadronic event...
 - Energy Scale & resolution: ~3 times better than LHC, differential relationship quantified, W boson mass ~ 1 MeV [Peizhu, 2021 JINST 16 P07037](#)
 - Charge: Innovative method developed, achieves decent, possibly the best effective tagging power (~20%/40% for b/c-jets) ([Hanhua, to be submit](#))
 - Flavor tagging:
 - Dependence on VTX geometry [Zhigang, 2018 JINST 13 T09002](#)

Summary

- CSI: bottleneck for physics measurement with full hadronic final state
 - Concept arises: *Yongfeng, Eur. Phys. J. C (2019) 79:274*
- Physics benchmarks
 - Vcb measurement: *Flavor tagging, to be submit*
 - $H \rightarrow bb, cc, gg$: BMR + *Flavor Tagging + CSI*, *Yongfeng, JHEP11(2022)100*
 - $B_s \rightarrow \Phi \nu \nu$: *BMR + Pid*, *Yudong, Phys.Rev.D 105 (2022) 11*
 - $H \rightarrow \tau\tau$: *BMR*, *Dan. Eur. Phys. J. C (2020) 80:7*
 - $H \rightarrow \text{invisible}$: *BMR*, *Yuhang. CPC Vol. 44, No. 12 (2020) 123001*
 - Higgs white paper: *Everything*, *CPC Vol. 43, No. 4 (2019) 043002*
 - Higgs Snowmass whitepaper, <https://arxiv.org/abs/2205.08553>

Summary

- Long term Vision
 - BMR ~ **3%**: Arbor upgrade + Detector Design/Optimization
 - Flavor tagging: **Tri_M from ~2.2 → 2.4**
 - Algorithm
 - Physics
 - VTX optimization + New tech. Development
 - Jet Charge:
 - Secure b/c tagging power **20%/40%**
 - Detector has sufficient Pid & Low enough threshold
 - CSI:
 - Enhance qqH signal strength accuracy by ~ **50%**
 - Iterate with QCD studies, To collaborate closely with QCD community... especially on the understanding of fragmentation & event topology description, etc

Backup

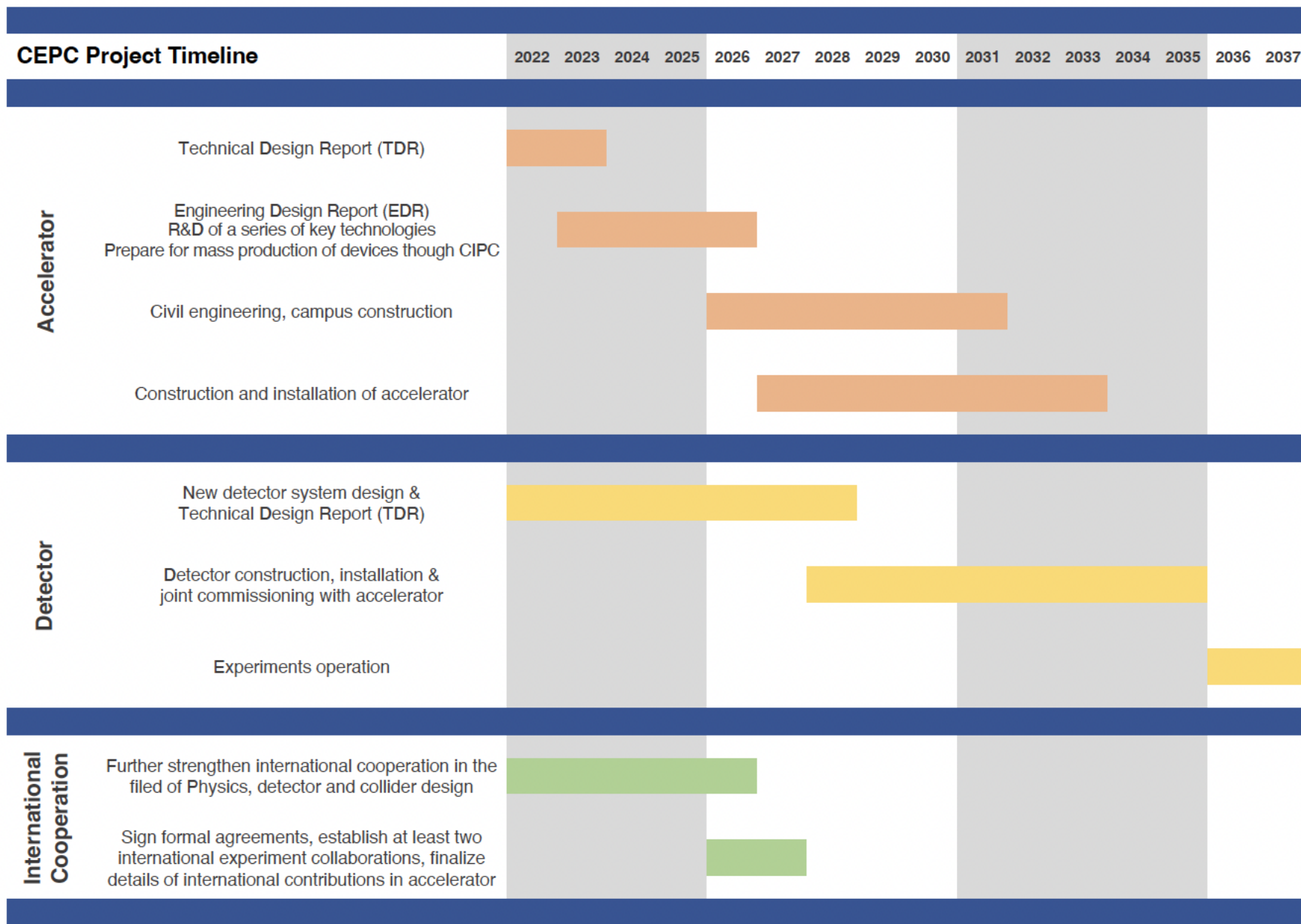
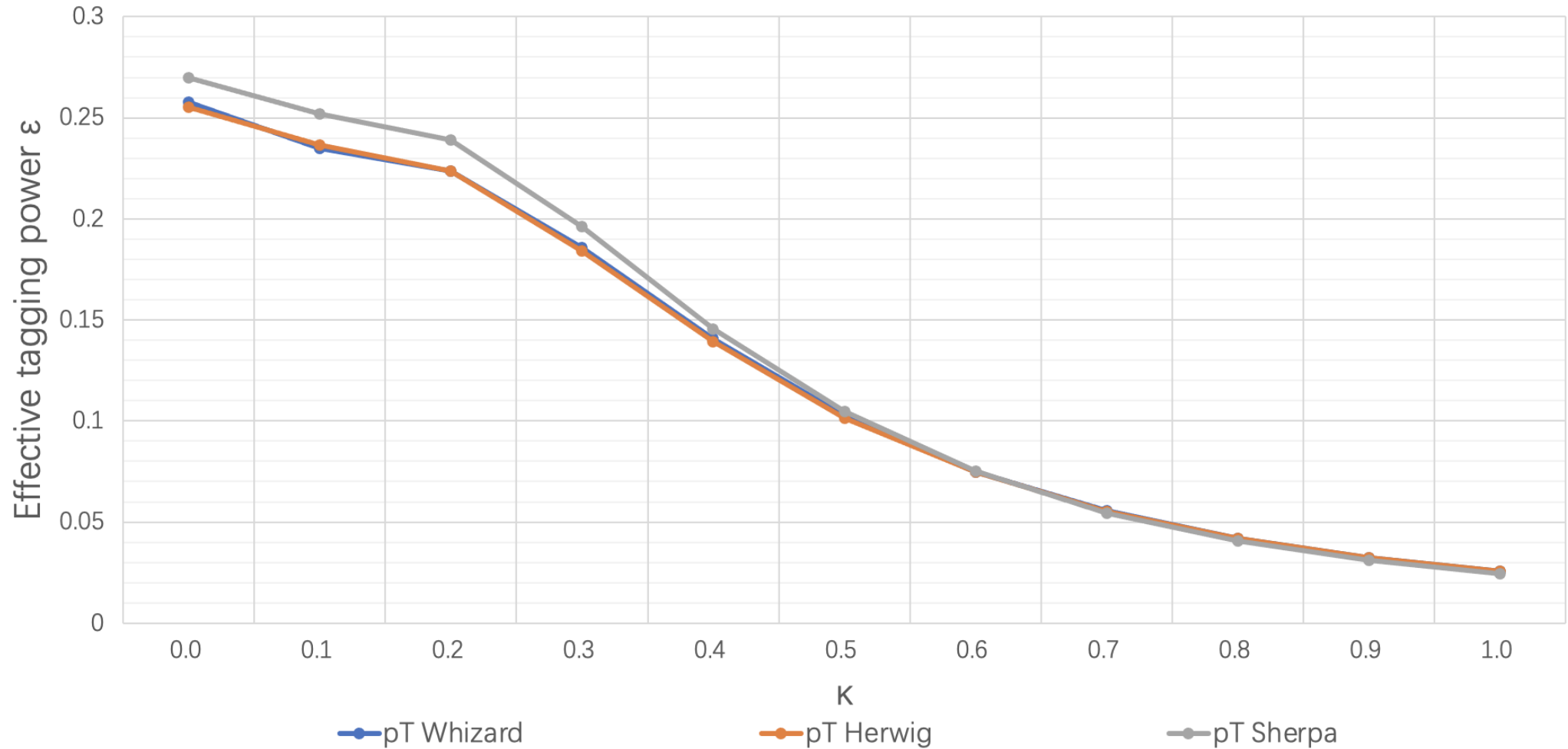


Figure 8.1 The CEPC timeline from the 14th to the 16th Five-Year plan

WCJC @ c jet

Sample: $Z \rightarrow c\bar{c}$; Source: All; $E_n > 0$; $V_{TX} > 0$



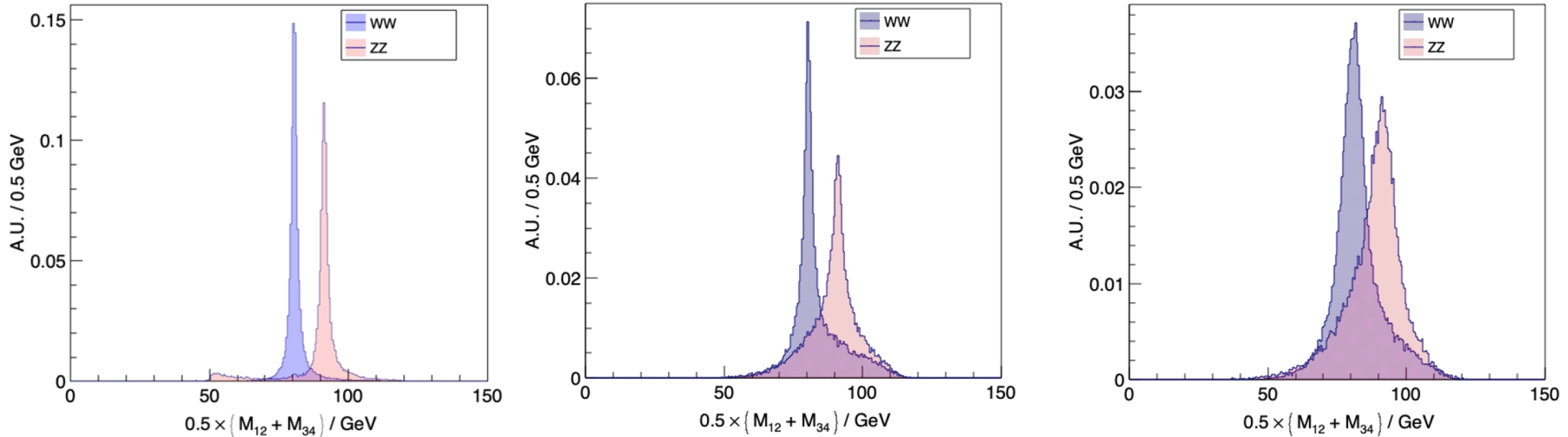
$$-2 \cdot \log(\ell) = \sum_{i=1}^{i=6} \frac{[S_b \cdot N_{b,i} + S_c \cdot N_{c,i} + S_{light} \cdot N_{light,i} + N_{bkg,i} - N_i]^2}{N_i}$$

- S_b : the signal strength of $\nu\nu H b \bar{b}$
- $N_{b,i}$: the event number of $\nu\nu H b \bar{b}$ in i th bin
- N_i : the total event number in i 'th bin of $\nu\nu H b \bar{b}$, $\nu\nu H / c \bar{c}$, $\nu\nu H g g$ and backgrounds
- $N_{bkg,i}$ is the expected event number in i th bin of backgrounds,
- similar for S_c , S_{light} , $N_{c,i}$, and $N_{light,i}$

$$hessian\ matrix = \begin{bmatrix} \frac{\partial^2 \log(\ell)}{\partial S_g \partial S_c} & \frac{\partial^2 \log(\ell)}{\partial S_g \partial S_b} & \frac{\partial^2 \log(\ell)}{\partial S_g \partial S_g} \\ \frac{\partial^2 \log(\ell)}{\partial S_b \partial S_c} & \frac{\partial^2 \log(\ell)}{\partial S_b \partial S_b} & \frac{\partial^2 \log(\ell)}{\partial S_b \partial S_g} \\ \frac{\partial^2 \log(\ell)}{\partial S_c \partial S_c} & \frac{\partial^2 \log(\ell)}{\partial S_c \partial S_b} & \frac{\partial^2 \log(\ell)}{\partial S_c \partial S_g} \end{bmatrix}$$

- The error covariance is obtained from the hessian matrix.
- The relative accuracy of signal strength is the square roots of the diagonal elements of the covariance matrix, it is 0.49%/5.75%/1.82% for $\nu\nu H b \bar{b} / c \bar{c} / g g$.

Jet confusion: the leading term



- Separation be characterized by
- Final state/MC particles are clustered into Reco/Genjet with ee-kt, and paired according to chi2
- WW-ZZ Separation at the inclusive sample:
 - Intrinsic boson mass/width - lower limit:
 - + Jet confusion – Genjet:
 - + Detector response – Recojet:

$$\text{overlapping ratio} = \sum_{\text{bins}} \min(a_i, b_i)$$

$$\chi^2 = \frac{(M_{12} - M_B)^2 + (M_{34} - M_B)^2}{\sigma_B^2}$$

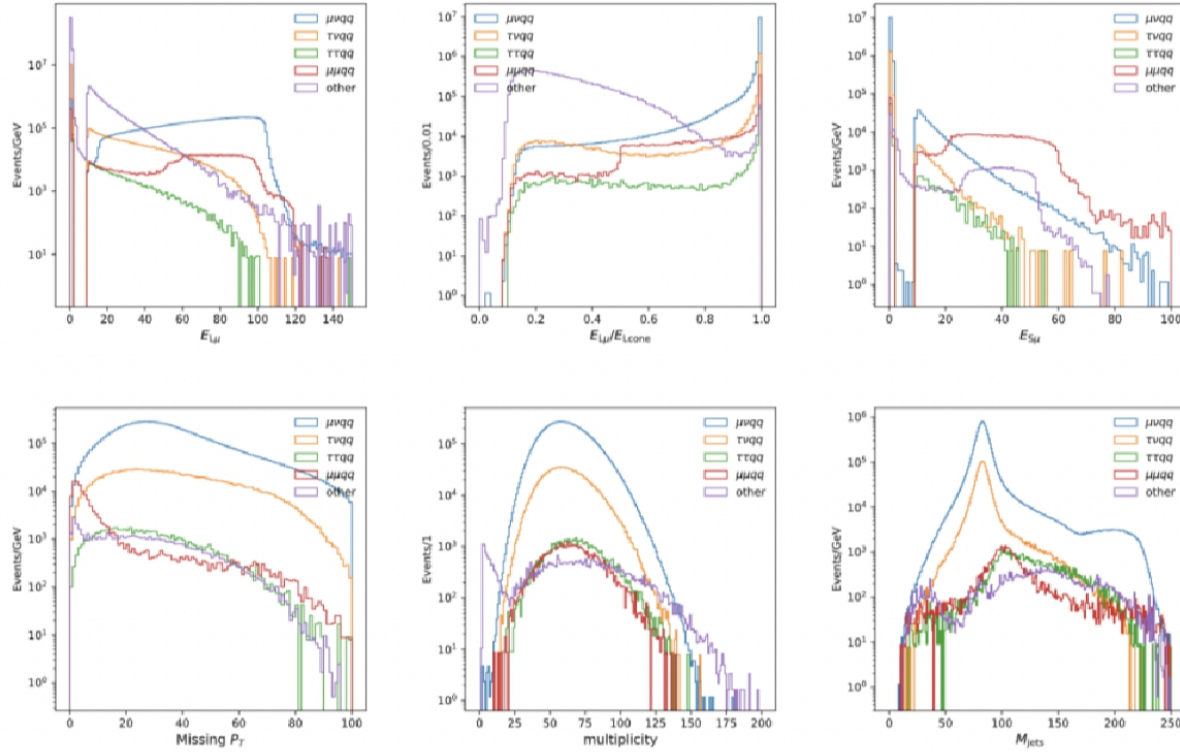
Overlapping ratio of 13%

Overlapping ratio of **53%**

Overlapping ratio of 58%

Event selections

- Selection criteria are optimized for statistical uncertainty for $\text{Br}(W \rightarrow cb)$



	$\mu\nu cb$	$\mu\nu ub$	$\mu\nu c(d/s)$	$\mu\nu u(d/s)$	$\mu 3\nu cb$	$\mu 3\nu c(d/s)$	$\mu 3\nu u(d/s)$
w.o. selections	11.3k	102	6.78M	6.78M	2.23k	1.18M	1.18M
$E_{L\mu} > 12\text{GeV}$	10.6k	94	6.32M	6.32M	1.5k	834k	829k
$R_{L\mu} > 0.95$	9.23k	78	5.52M	5.53M	1.21k	710k	710k
$\cos(\theta_{L\mu})$	9.23k	78	5.52M	5.53M	1.21k	710k	710k
Second isolation muon veto	9.1k	77	5.5M	5.52M	1.2k	709k	710k
Missing P_T	8.92k	74	5.38M	5.41M	1.13k	685k	686k
multiplicity > 27	8.92k	74	5.37M	5.37M	1.13k	683k	681k
$M_{\text{jets}} > 50\text{GeV}$	8.86k	74	5.34M	5.35M	1.13k	679k	679k
$M_{\text{jets}} < 95\text{GeV}$	7.92k	70	4.79M	4.79M	1.05k	616k	613k
efficiency.	0.701(08)	0.682(88)	0.707	0.707	0.470(40)	0.524(02)	0.520(02)

Table 2: Event selections for signals. The number in the parenthesis are the uncertainties of the last two digits of the efficiencies arise from the statistics of Monte Carlo sample.

	$c3\nu qq$	$\tau_{\text{had.}}3\nu qq$	$\tau\tau qq$	$\mu\mu qq$	other
w.o. selections	2.43M	8.79M	609k	1.25M	364.9M
$E_{L\mu} > 12\text{GeV}$	37.3k	190k	118k	790k	13.6M
$R_{L\mu} > 0.95$	357	9.93k	65.4k	413k	85.1k
Second isolation muon veto	357	9.89k	64.1k	125k	57.9k
Missing P_T	349	9.59k	60.0k	47.7k	46.7k
multiplicity > 27	341	9.51k	59.6k	47.2k	38.0k
$M_{\text{jets}} > 50\text{GeV}$	318	9.41k	58.8k	45.7k	35.0k
$M_{\text{jets}} < 95\text{GeV}$	302	8.47k	6.72k	10.7k	4.02k
Eff.	0.000125	0.000964	0.011	0.00854	1.1e-05

Table 3: Event selections for backgrounds.

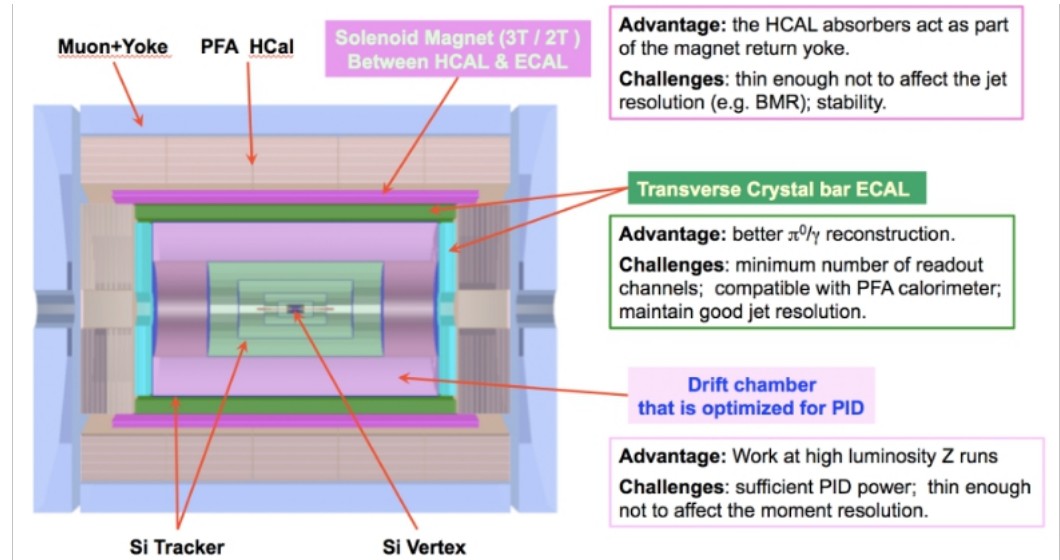
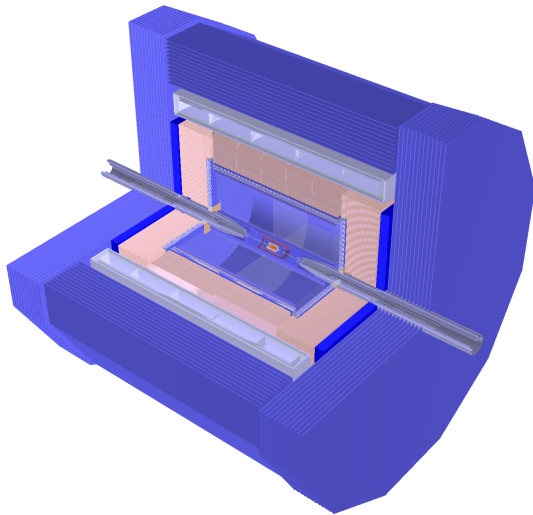
Tagger level combination of two methods

Method	Tagger	κ	$\epsilon_{\text{tag}}=N_{\text{tag}}/N$	$\omega_i=N_w/N_{\text{tag}}$	$\bar{\omega}$	r^2	ϵ_{eff}
LPJC	e		7.70%	25.45%		0.241	0.019
	μ		7.70%	25.53%		0.239	0.018
	K		21.97%	27.45%		0.203	0.045
	π		56.33%	46.34%		0.005	0.003
	p		6.30%	36.45%		0.073	0.005
	Total		100.00%	38.35%	35.06%	0.089	0.089
WCJC	All	2	100.00%	30.04%		0.159	0.159
WCJC combined with LP PID	e	4	7.70%	22.36%		0.306	0.024
	μ	4	7.70%	22.35%		0.306	0.024
	K	4	21.97%	26.32%		0.224	0.049
	π	2	56.33%	31.61%		0.135	0.076
	p	0	3.92%	27.94%		0.195	0.008
	Total		97.62%	28.13%	28.52%	0.185	0.180
Total Combined	e		7.65%	22.33%	22.36%	0.306	0.023
	μ		7.65%	22.31%	22.35%	0.306	0.023
	K		21.81%	26.46%	26.32%	0.224	0.049
	π		56.18%	31.72%	31.61%	0.135	0.076
	p		6.72%	30.40%	30.57%	0.151	0.010
	Total		100.00%	29.05%	28.68%	0.182	0.182

Tagger level combination of two methods

Method	Tagger	κ	$\epsilon_{\text{tag}}=N_{\text{tag}}/N$	$\omega_i=N_w/N_{\text{tag}}$		r^2	ϵ_{eff}
LPJC	e		2.75%	1.90%		0.926	0.025
	μ		2.76%	0.47%		0.981	0.027
	K		28.70%	19.73%		0.367	0.105
	π		57.56%	38.79%		0.050	0.029
	ρ		8.22%	28.00%		0.194	0.016
	Total		100.00%	30.36%	27.49%	0.203	0.203
WCJC	All	0	67.39%	19.07%		0.383	0.258
WCJC combined with LP PID	e	10	2.75%	7.89%		0.709	0.020
	μ	10	2.76%	6.84%		0.745	0.021
	K	0	19.36%	18.99%		0.385	0.074
	π	0	38.80%	19.11%		0.382	0.148
	ρ	3	8.22%	22.77%		0.297	0.024
	Total		71.89%	13.37%	18.41%	0.399	0.287
Total Combined	e		2.72%	1.91%	1.90%	0.926	0.025
	μ		2.73%	0.46%	0.47%	0.981	0.027
	K		28.38%	19.32%	19.18%	0.380	0.108
	π		57.28%	25.77%	21.49%	0.325	0.186
	ρ		8.88%	22.78%	22.77%	0.297	0.026
	Total		100.00%	22.33%	19.49%	0.372	0.372

From Baseline to 4th



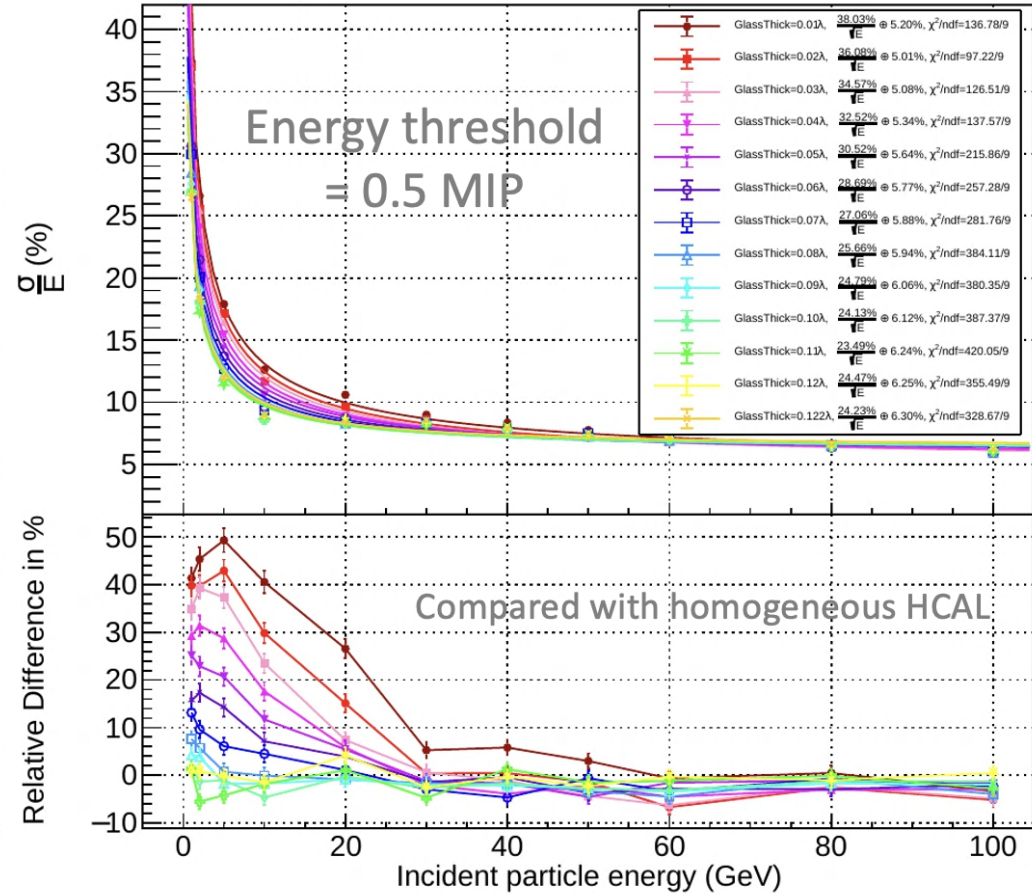
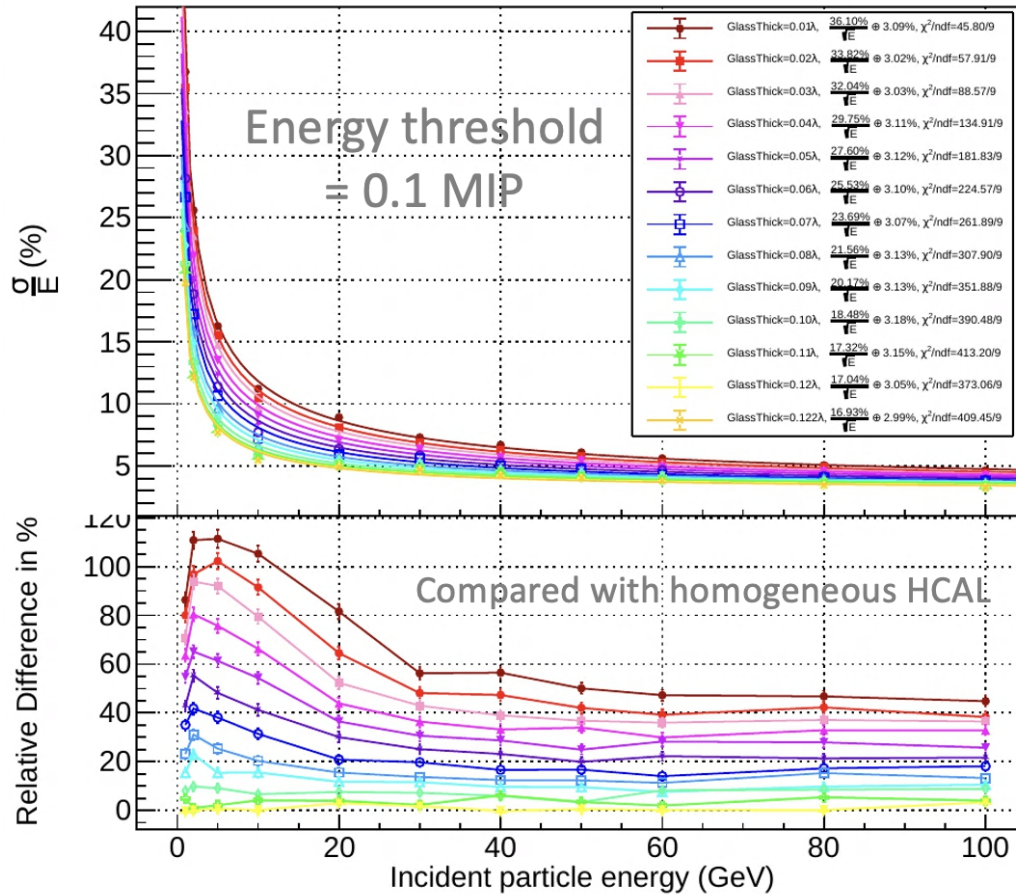
- Tracker: TPC + Silicon → Drift Chamber + Silicon
- ECAL: Si+W → Xstal
- HCal: GRPC + Iron → Glass + Iron
- Solenoid: Outside HCal → Between ECAL & HCal

HCAL

D. Du

Energy Resolution

Energy Resolution

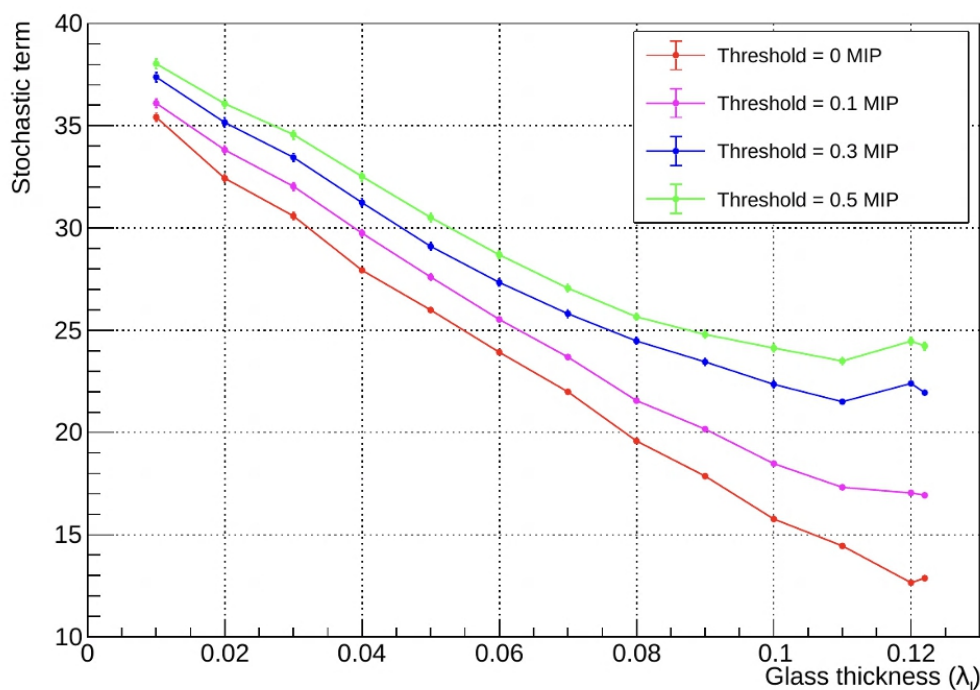


- In an ideal case - ideal Geometry ~ semi infinite...
- HCAL resolution significantly w.r.t. Baseline, at single particle level

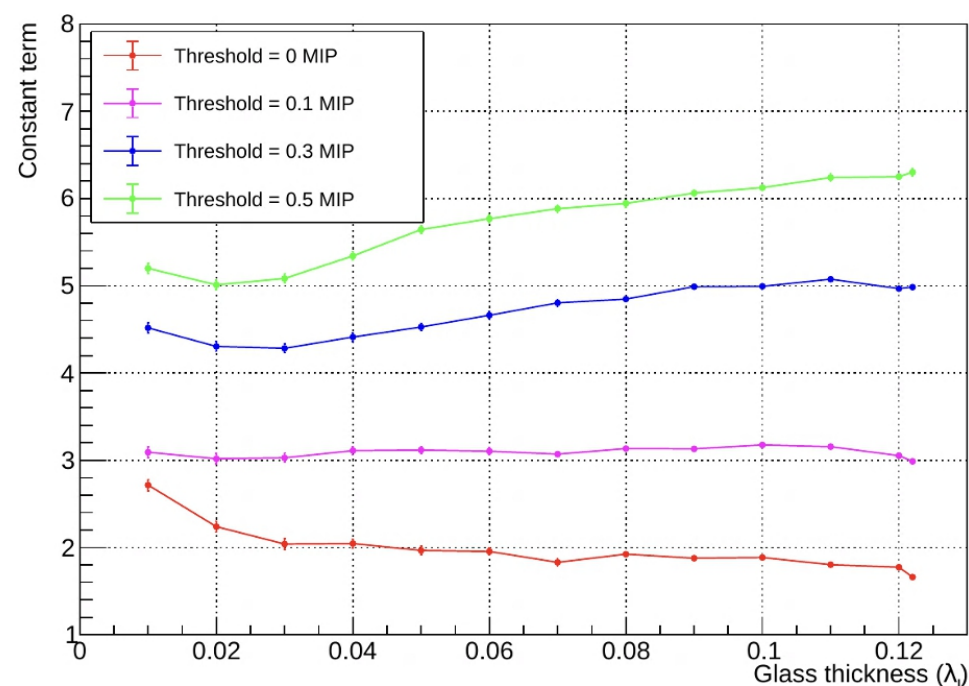
Single Particle @ GS HCAL

D. Du

Stochastic term vs. Glass thickness



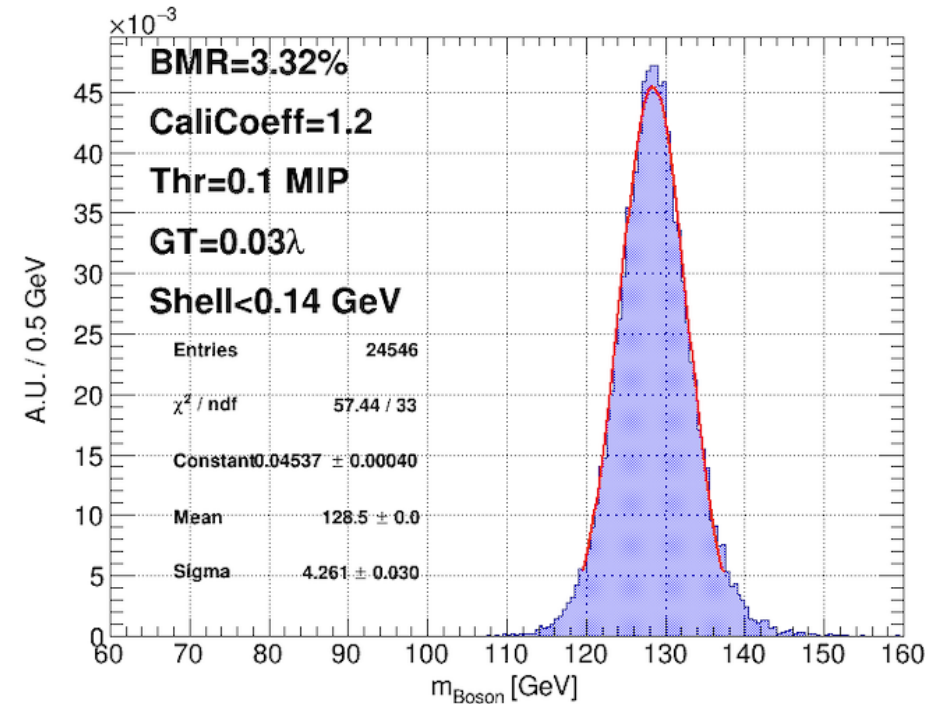
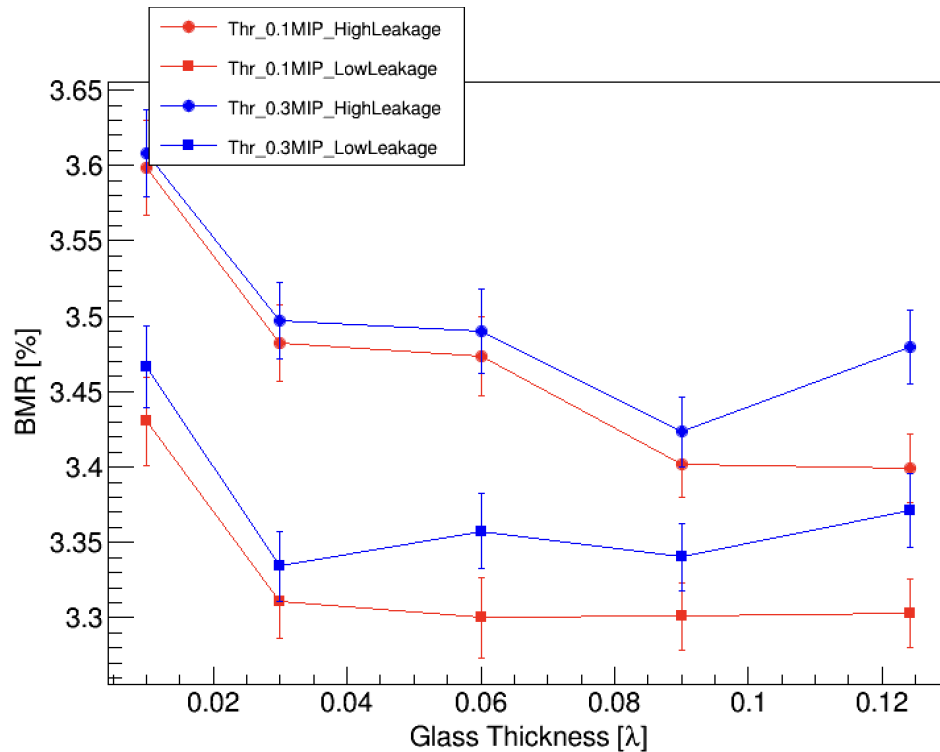
Constant term vs. Glass thickness



- Performance improves almost linearly at lower energy threshold, and larger sampling fraction

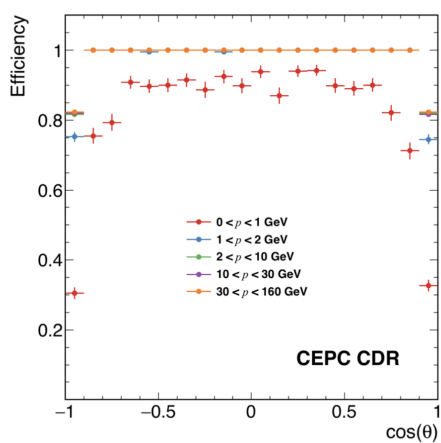
HCAL @ BMR

P. Hu & YX. Wang

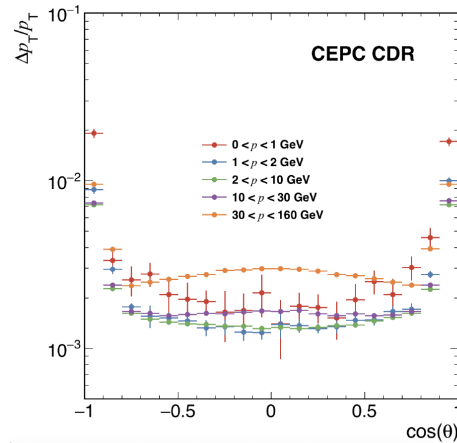


- Fits well with the model...
- Yet, a lot more to be understood

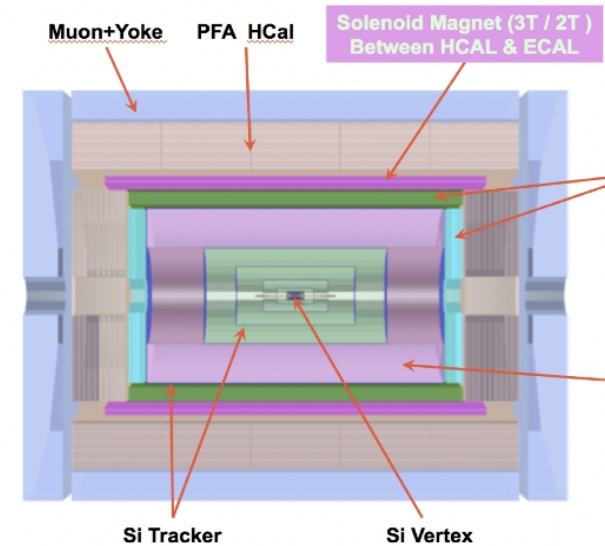
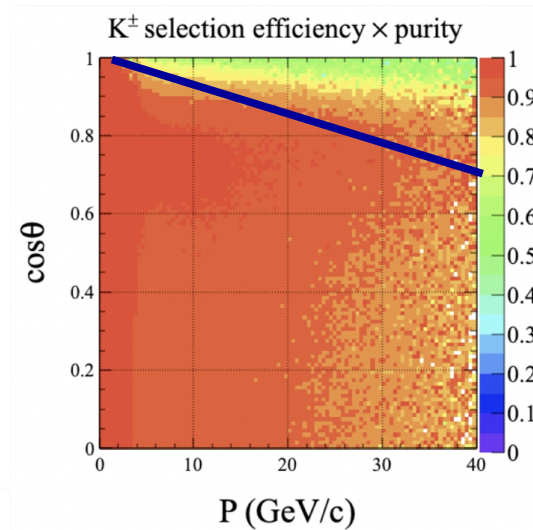
Tracker: tracking & Pid



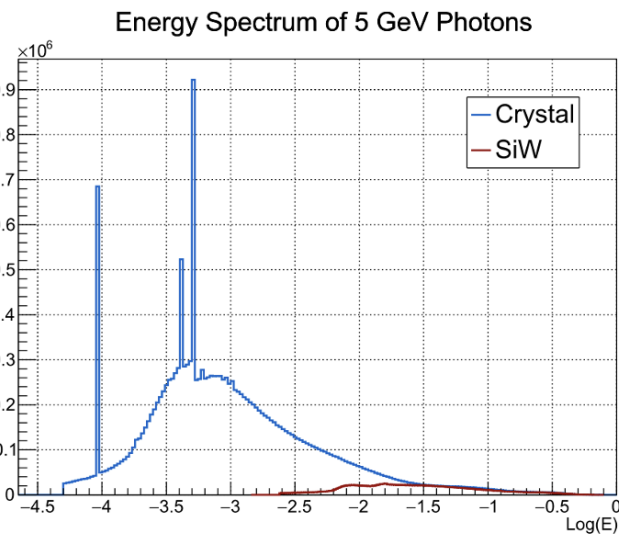
(a)



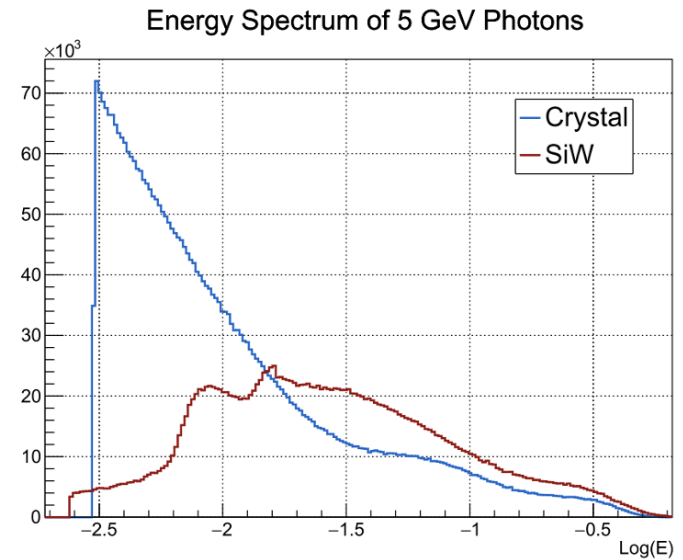
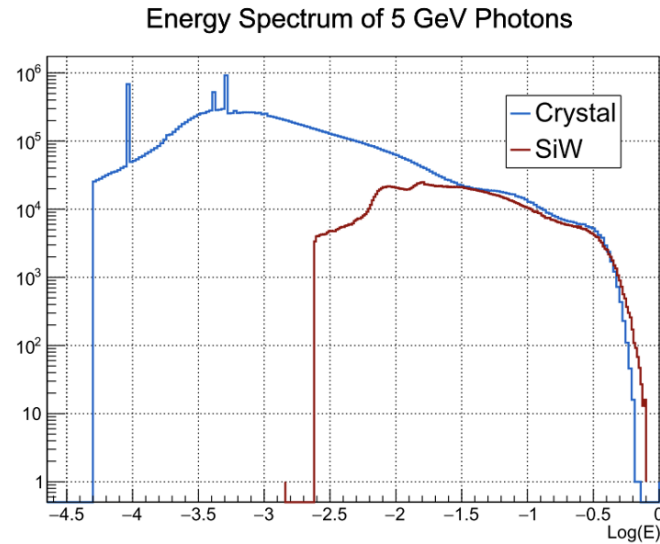
(b)



- BMR insensitive to Tracker unless tracker is bad
 - Pid & Lower the threshold shall leads to small improve, by correcting hadron mass
- Baseline set a good reference. Move toward better realizability & performance
- Performance – show the differential one!
 - Momentum resolution $\sim 0.1\%$
 - Threshold ~ 0.1 MeV or lower & Larger Solid Angle Coverage!
 - dEdx or dNdx, if provided, better than 3% in barrel region for GeV level hadron (PS, very doubt for an DC inner radius of 600 mm... or larger)



- Original energy spectrum, 10k events, threshold 50 keV
- A large number of low energy hits in crystal ECAL



- Threshold (0.3 MIP): SiW 50 keV, crystal 3 MeV



二、粒子流重建算法中误差源的拆解分析与模型构建

➤ 依赖关系分析——临近粒子分离能力

➤ 分离能力越差，BMR 越大，最终趋于强子能量分辨

➤ 左侧拐点

➤ 电磁簇射 $< 20\text{mm}$

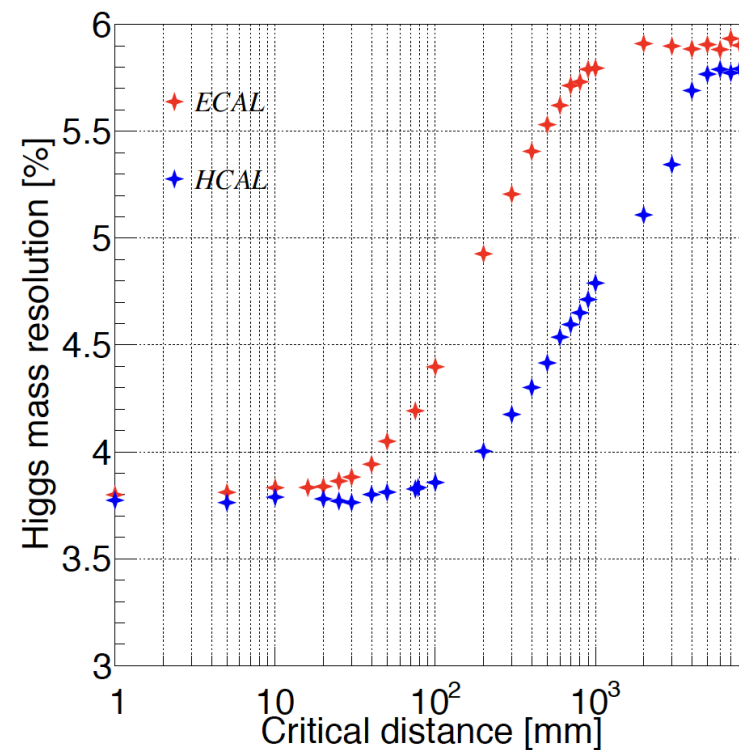
➤ 强子簇射 $< 100\text{mm}$

➤ 基线临界分离距离

➤ 电磁簇射 $\sim 16\text{mm}$

➤ 强子簇射 $\sim 78\text{mm}$

➤ 基本满足需求





二、粒子流重建算法中误差源的拆解分析与模型构建

➤ 依赖关系分析——带电强子碎裂簇团

- 对 BMR 的影响最显著
- 若能完全消除：BMR $\sim 3.8\% \rightarrow 3\%$
- 消除一半：BMR $\sim 3.8\% \rightarrow 3.5\%$

