



INDIANA UNIVERSITY BLOOMINGTON

ANNRI Data Analysis and PV Measurements at J-PARC

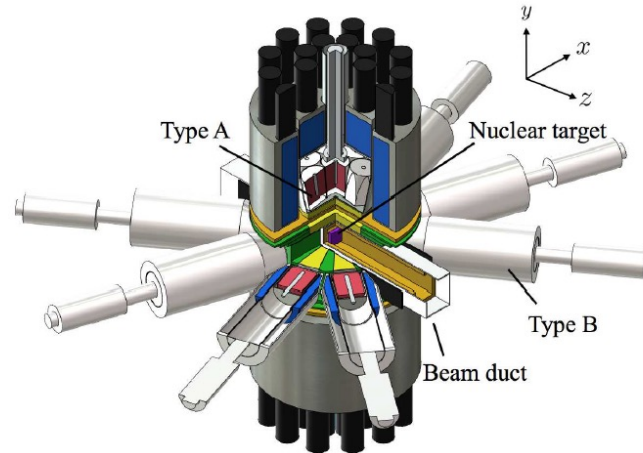
Clayton Auton

NOPTREX China Meeting 2023

Enhancement of T-odd effects

$$\Delta\sigma_{PT} = \frac{4\pi}{k} \text{Im}(f_{\uparrow} - f_{\downarrow})$$
$$\Delta\sigma_P = \frac{4\pi}{k} \text{Im}(f_{-} - f_{+})$$

- Measure $\kappa(J)$ using (n, γ) resonance spectroscopy
- Almost no data on $\kappa(J)$ before NOPTREX
- Ongoing measurements using ANNRI Ge detector array at J-PARC



$$\frac{\Delta\sigma_{PT}}{\Delta\sigma_P} = \boxed{\kappa(J)} \frac{w}{v}$$

$$\langle \phi_s | V_P + W_{PT} | \phi_p \rangle = v + iw$$

$\kappa(J)$ Spin Factor

total angular
momenta

orbit

n spin

nuclear spin

$$J = \ell + s + I$$

n entrance spin

j

S

channel spin



$$J = j + I$$

$$J = \ell + S$$

$$P : |\ell s I\rangle \rightarrow (-1)^\ell |\ell s I\rangle$$

$$\ell = 0, 1$$



P-odd \Rightarrow s-wave and p-wave
interference

$$T : |\ell s I\rangle \rightarrow (-1)^{i\pi S} K |\ell s I\rangle$$

$$S = I \pm 1/2$$

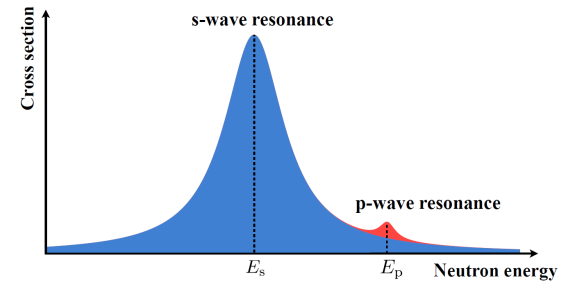
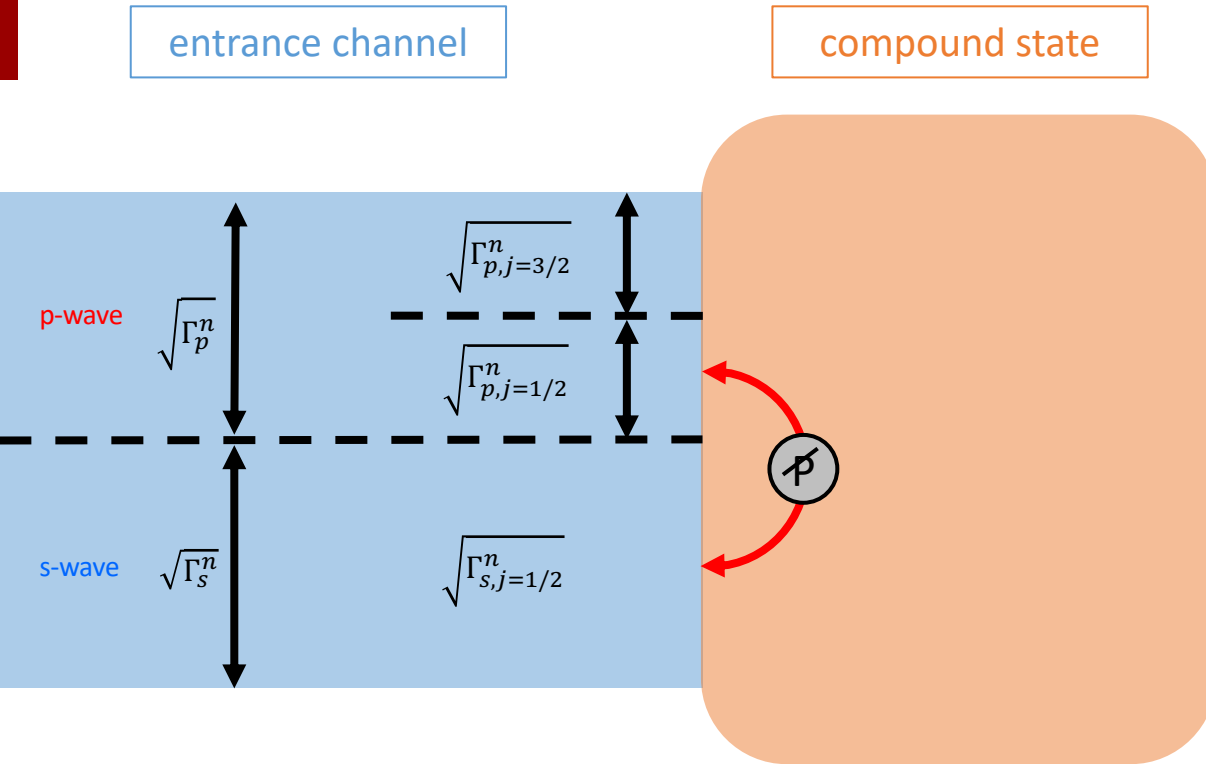


T-odd \Rightarrow channel spin S
interference

P-odd \Rightarrow s-wave and p-wave interference

total angular momenta $J = \underbrace{\ell}_{\text{orbit}} + \underbrace{s}_{\text{n spin}} + \underbrace{I}_{\text{nuclear spin}}$

n entrance spin j S channel spin



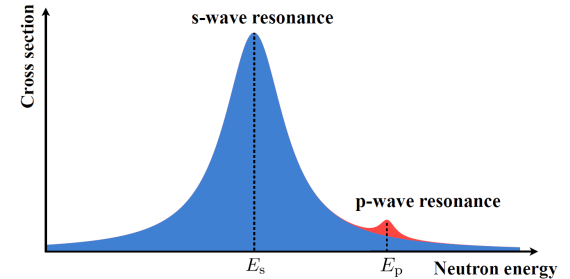
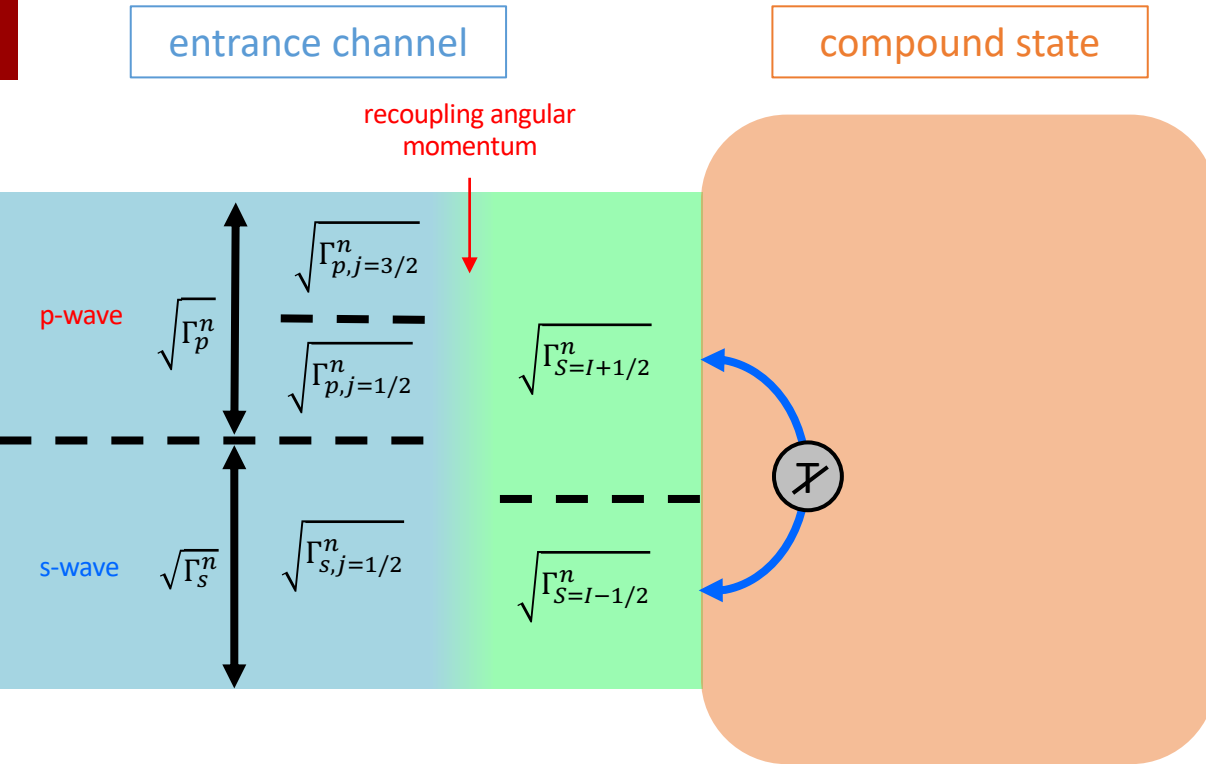
states with different ℓ
but same $J = I + \frac{1}{2}$, $j = 1/2$

T-odd \Rightarrow channel spin S interference

total angular momenta

$$J = \underbrace{\ell}_{\text{orbit}} + \underbrace{s}_{\text{n spin}} + \underbrace{I}_{\text{nuclear spin}}$$

n entrance spin j S channel spin



states with different $S = I \pm 1/2$
but same $J = I + \frac{1}{2}$

$$\Delta\sigma_P = \frac{4\pi}{k} \text{Im}(f_- - f_+)$$

$$\Delta\sigma_{PT} = \frac{4\pi}{k} \text{Im}(f_\uparrow - f_\downarrow)$$

ratio of differences in
total neutron cross section

$$\frac{\Delta\sigma_{PT}}{\Delta\sigma_P} = \kappa(J) \frac{w}{v}$$

with

$$\langle \phi_s | V_P + W_{PT} | \phi_p \rangle = v + iw$$

$$\left\{ \begin{array}{l} \kappa(J = I + 1/2) = \left[\frac{\sqrt{I}}{2(I+1)} \right] \left(-2\sqrt{I} + \sqrt{2I+3} \frac{y}{x} \right) \\ \kappa(J = I - 1/2) = \left[\frac{1}{2\sqrt{I+1}} \right] \left(2\sqrt{I+1} + \sqrt{2I-1} \frac{y}{x} \right) \end{array} \right.$$

$$\begin{cases} \kappa(J = I + 1/2) = \left[\frac{\sqrt{I}}{2(I+1)} \right] \left(-2\sqrt{I} + \sqrt{2I+3} \frac{y}{x} \right) \\ \kappa(J = I - 1/2) = \left[\frac{1}{2\sqrt{I+1}} \right] \left(2\sqrt{I+1} + \sqrt{2I-1} \frac{y}{x} \right) \end{cases}$$

$J = I + 1/2$ corresponds to the p-wave resonance

$$x \equiv \sqrt{\frac{\Gamma_{p,j=1/2}^n}{\Gamma_p^n}}$$

$$y \equiv \sqrt{\frac{\Gamma_{p,j=3/2}^n}{\Gamma_p^n}}$$

can reparametrize in terms of $j=1/2, 3/2$ mixing angle

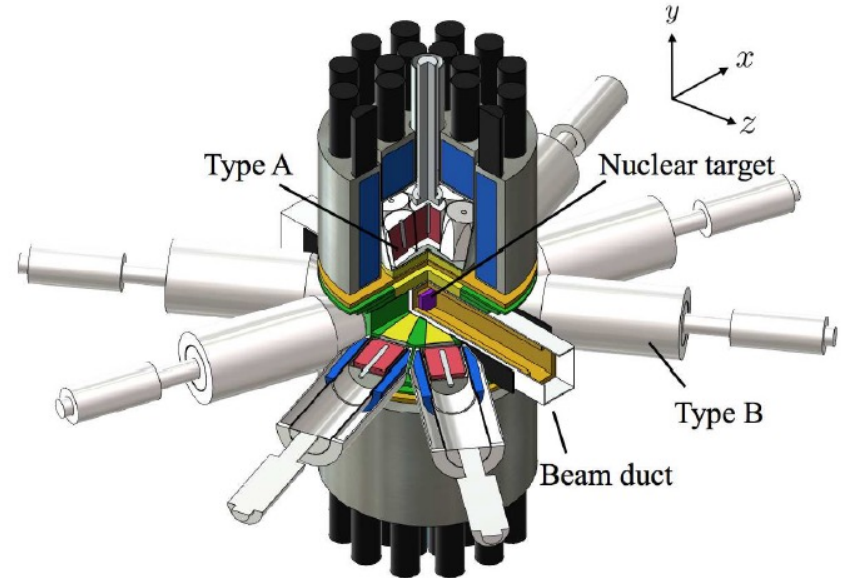
$$x^2 + y^2 = 1 \implies \begin{cases} x = \cos \phi \\ y = \sin \phi \end{cases}$$

can be measured in (n, γ)

ANNRI Data

ANNRI Detector at JPARC

- High-Purity Germanium Detectors (HPGE)
 - 14 vertical detectors (Type-A)
 - 8 horizontal detectors (Type-B)
- Bismuth Germinate (BGO)
 - 20 crystals surrounding HPGE detectors
 - Summed into 4 channels
- Increased JPARC power to 830 kW



Raw HPGE Data

- CAEN v1724 100-MHz 14-bit ADC
- Gamma ray events are converted from pulse shape to
 - Pulse height
 - Time-of-flight
- Overlapping event are flagged as pile-up events
- Coincidence, timestamp, and trigger number also recorded

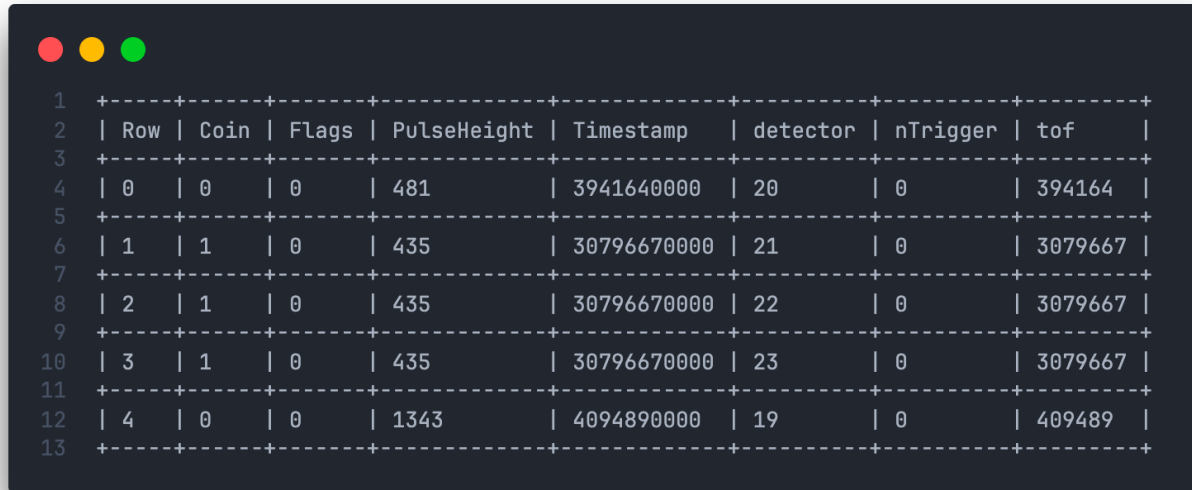


```
1 Column      Type
2 -----
3 Flags       UInt_t
4 PulseHeight UShort_t
5 Timestamp   ULong64_t
6 Coin        UInt_t
7 detector    Int_t
8 nTrigger    ULong64_t
9 tof         ULong64_t
```



Raw Data Example

- Rows are single detector events



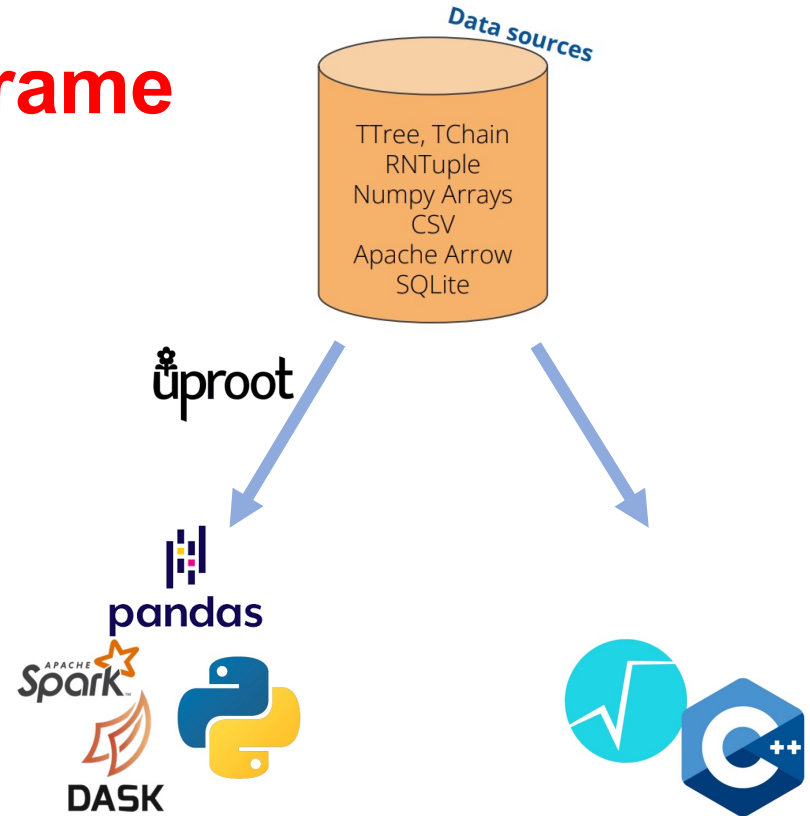
```
1 +-----+-----+-----+-----+-----+-----+-----+-----+
2 | Row | Coin | Flags | PulseHeight | Timestamp | detector | nTrigger | tof |
3 +-----+-----+-----+-----+-----+-----+-----+-----+
4 | 0 | 0 | 0 | 481 | 3941640000 | 20 | 0 | 394164 |
5 +-----+-----+-----+-----+-----+-----+-----+-----+
6 | 1 | 1 | 0 | 435 | 30796670000 | 21 | 0 | 3079667 |
7 +-----+-----+-----+-----+-----+-----+-----+-----+
8 | 2 | 1 | 0 | 435 | 30796670000 | 22 | 0 | 3079667 |
9 +-----+-----+-----+-----+-----+-----+-----+-----+
10 | 3 | 1 | 0 | 435 | 30796670000 | 23 | 0 | 3079667 |
11 +-----+-----+-----+-----+-----+-----+-----+-----+
12 | 4 | 0 | 0 | 1343 | 4094890000 | 19 | 0 | 409489 |
13 +-----+-----+-----+-----+-----+-----+-----+-----+
```

Row	Coin	Flags	PulseHeight	Timestamp	detector	nTrigger	tof
0	0	0	481	3941640000	20	0	394164
1	1	0	435	30796670000	21	0	3079667
2	1	0	435	30796670000	22	0	3079667
3	1	0	435	30796670000	23	0	3079667
4	0	0	1343	4094890000	19	0	409489



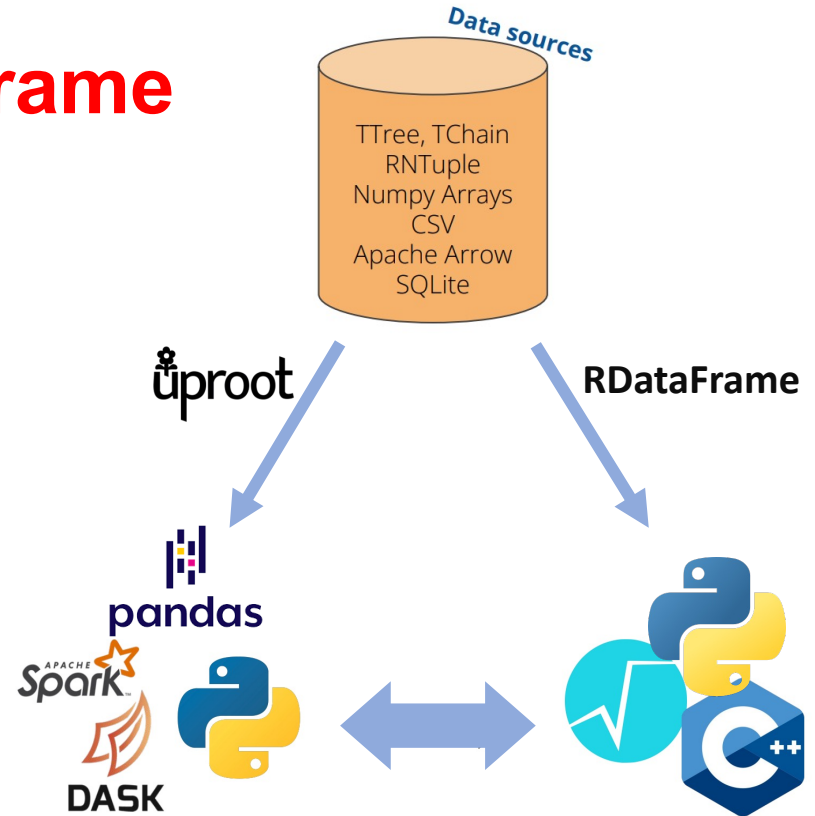
Analysis Using RDataFrame

- Similar to popular frameworks like **Pandas/Dask**
- Can work with data sets **larger than memory**
- Allows **multi-threading**
- **Lazy actions** reduce number of event loops in computation graph
- JIT compiled C++ in **PyROOT**



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- JIT compiled C++ in **PyROOT**



RDataFrame Example

```
1 import ROOT
2
3 # enable multi-thread event loop
4 ROOT.EnableImplicitMT()
5
6 # read in the TTree
7 df = ROOT.RDataFrame(tree_name, file_name)
8
9 # add a user defined column and filter
10 df = df.Define("En", "pow((72.3*21.5/(tof/100.0)),2)").Filter("detector == 1")
11
12 # create a histogram and draw
13 hist = df.Histo1D(("hEn_d1", "hEn_d1; En [eV]; Counts", 1000, 0, 100), "En")
14
15 hist.Draw()
```

RDataFrame Example

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```

using PyROOT

easy parallelism

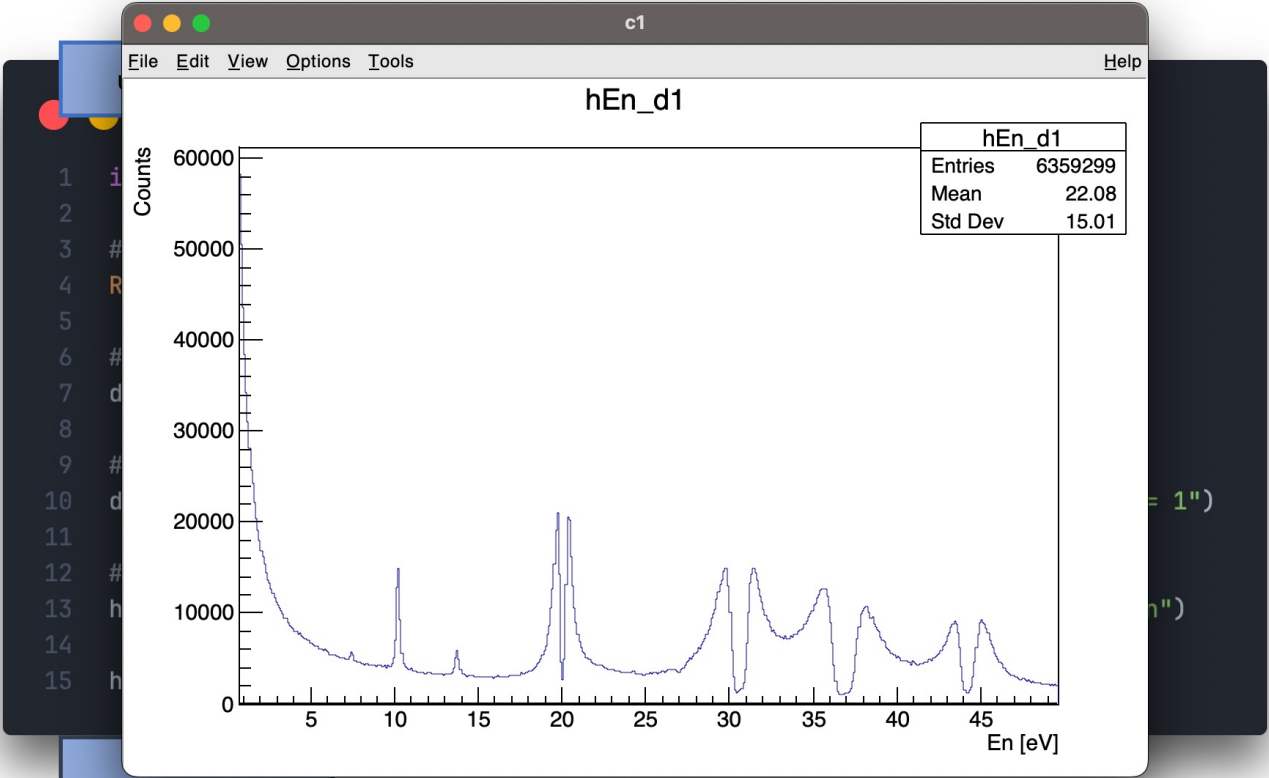
JIT compiled C++ expression

define and Filter are lazy actions

fill histogram with given column (lazy)

event loop is executed here

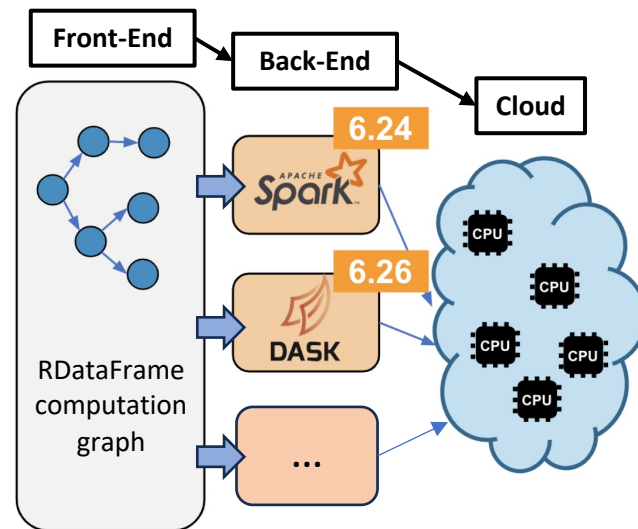
RDataFrame Example



executed here

Why RDataFrame?

- Enables **interactive** and **idiomatic** large-scale distributed data analysis
- Python API (**PyROOT**) with C++ event loop
- Short learning-curve:
 - No TTreeReader + explicit event loop
 - No TTree::Draw()
- **Native multi-threading**
- **Scalable** with cluster backends such as Spark, Dask, ...

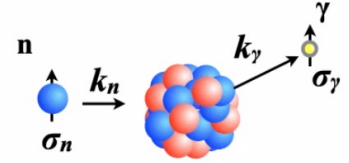


$\kappa(J)$ Measurement & Analysis Method

Angular distribution of (n,γ) reactions

V. V. Flambaum et al, Nuclear Physics A, vol. 435, no. 2, pp. 352 – 380, 1985.

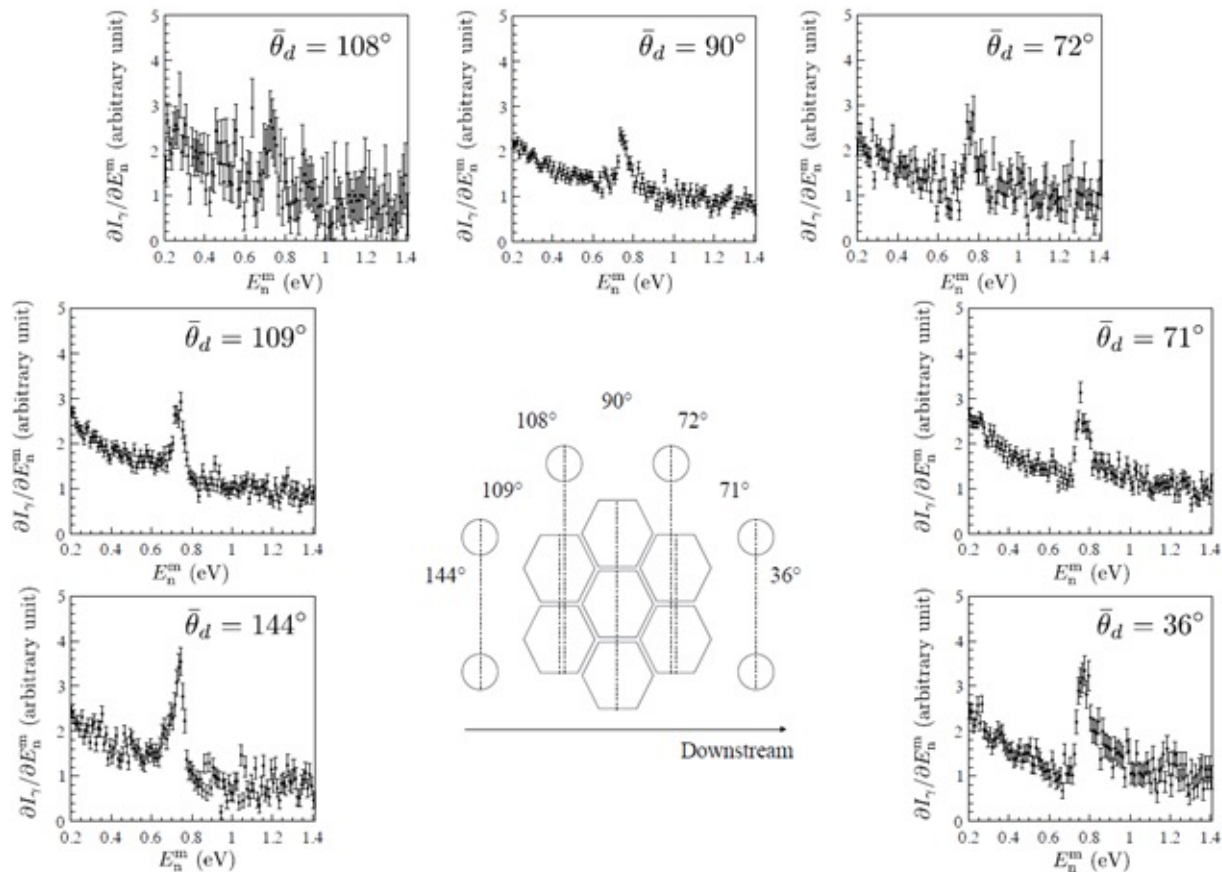
$$\begin{aligned} \frac{d\sigma_{n\gamma f}}{d\Omega_\gamma} = & \frac{1}{2} \left(a_0 + a_1 \hat{k}_n \cdot \hat{k}_\gamma + a_2 \sigma_n \cdot (\hat{k}_n \times \hat{k}_\gamma) + a_3 \left((\hat{k}_n \cdot \hat{k}_\gamma)^2 - \frac{1}{3} \right) \right. \\ & + a_4 (\hat{k}_n \cdot \hat{k}_\gamma) (\sigma_n \cdot (\hat{k}_n \times \hat{k}_\gamma)) + a_5 (\sigma_\gamma \cdot \hat{k}_\gamma) (\sigma_n \cdot \hat{k}_\gamma) \\ & + a_6 (\sigma_\gamma \cdot \hat{k}_\gamma) (\sigma_n \cdot \hat{k}_n) + a_7 (\sigma_\gamma \cdot \hat{k}_\gamma) \left((\sigma_n \cdot \hat{k}_\gamma) (\hat{k}_\gamma \cdot \hat{k}_n) - \frac{1}{3} \sigma_n \cdot \hat{k}_n \right) \\ & + a_8 (\sigma_\gamma \cdot \hat{k}_\gamma) \left((\sigma_n \cdot \hat{k}_n) (\hat{k}_n \cdot \hat{k}_\gamma) - \frac{1}{3} \sigma_n \cdot \hat{k}_\gamma \right) \\ & + a_9 \sigma_n \cdot \hat{k}_\gamma + a_{10} \sigma_n \cdot \hat{k}_n + a_{11} \left((\sigma_n \cdot \hat{k}_\gamma) (\hat{k}_\gamma \cdot \hat{k}_n) - \frac{1}{3} (\sigma_n \cdot \hat{k}_n) \right) \\ & + a_{12} (\sigma_n \cdot \hat{k}_n) \left((\hat{k}_n \cdot \hat{k}_\gamma) - \frac{1}{3} (\sigma_n \cdot \hat{k}_\gamma) \right) \\ & + a_{13} \sigma_\gamma \cdot \hat{k}_\gamma + a_{14} (\sigma_\gamma \cdot \hat{k}_\gamma) (\hat{k}_n \cdot \hat{k}_\gamma) \\ & + a_{15} (\sigma_\gamma \cdot \hat{k}_\gamma) \sigma_n \cdot (\hat{k}_n \times \hat{k}_\gamma) + a_{16} (\sigma_\gamma \cdot \hat{k}_\gamma) \left((\hat{k}_n \cdot \hat{k}_\gamma)^2 - \frac{1}{3} \right) \\ & \left. + a_{17} (\sigma_\gamma \cdot \hat{k}_\gamma) (\hat{k}_n \cdot \hat{k}_\gamma) (\sigma_n \cdot (\hat{k}_n \times \hat{k}_\gamma)) \right), \end{aligned}$$



- $\kappa(J)$ related to a_1 via ϕ
- Measured using unpolarized neutrons and target

a term can be written by Φ parameter

$^{139}\text{La}(n, \gamma)$ data example



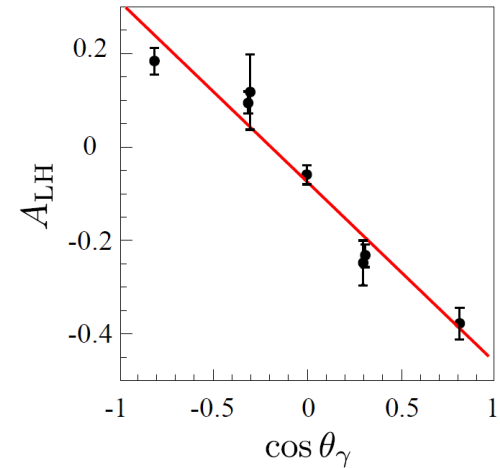
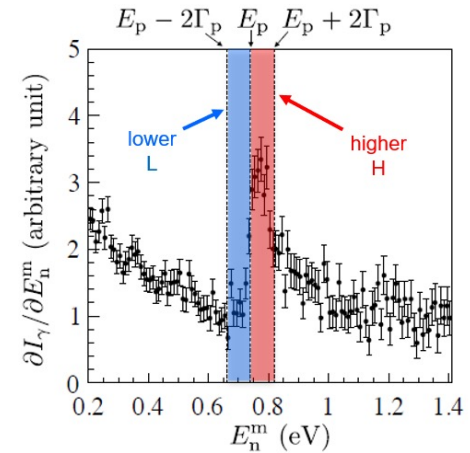
Measure a lower/higher asymmetry on p-wave resonance

$$A_{LH} \equiv \frac{N_L - N_H}{N_L + N_H}$$

A_{LH} has correlation with $\cos \theta_\gamma$

$$A_{LH}(\theta_\gamma) = A \cos \theta_\gamma + B$$

Can extract values for A, B from fit



$$A_{LH}(\theta_\gamma) = A \cos \theta_\gamma + B$$

can show

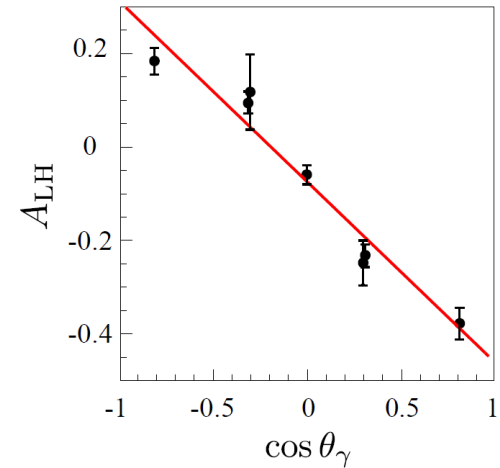
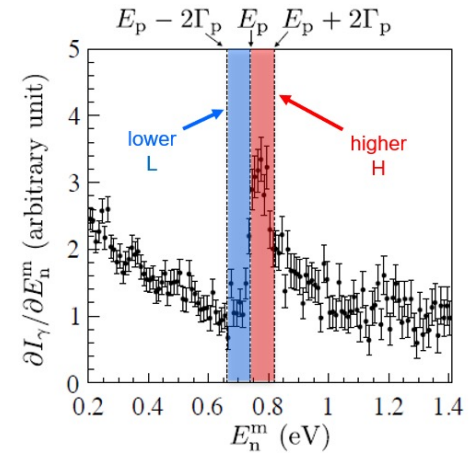
$$A = Cx + Dy$$

↑ from fit
↑ from resonance parameters

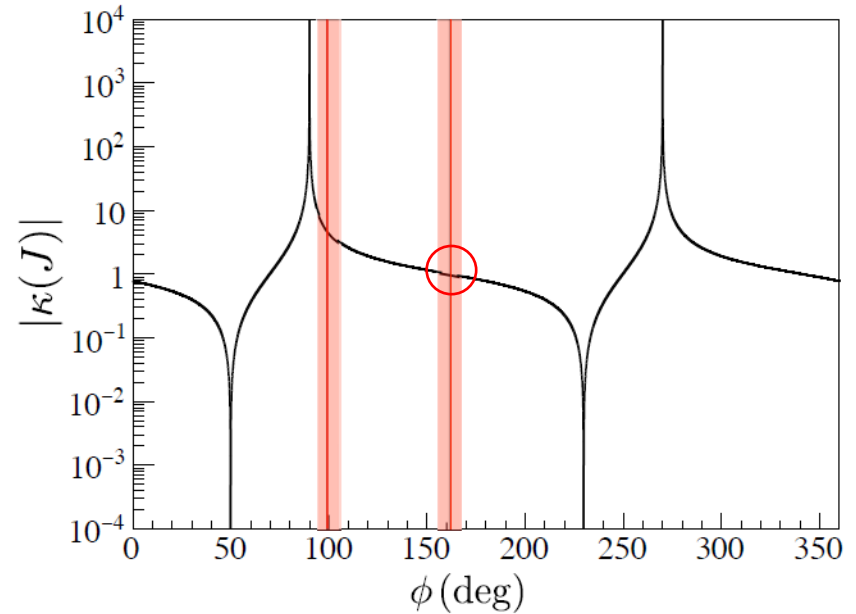
$$x \equiv \sqrt{\frac{\Gamma_{p,j=1/2}^n}{\Gamma_p^n}}$$

$$y \equiv \sqrt{\frac{\Gamma_{p,j=3/2}^n}{\Gamma_p^n}}$$

can solve for x and y
giving two solutions!



- Measured in ^{139}La 0.73 eV p-wave
 - $\kappa(J) \sim 0.53$
 - The first measurement of $\kappa(J)$ ever



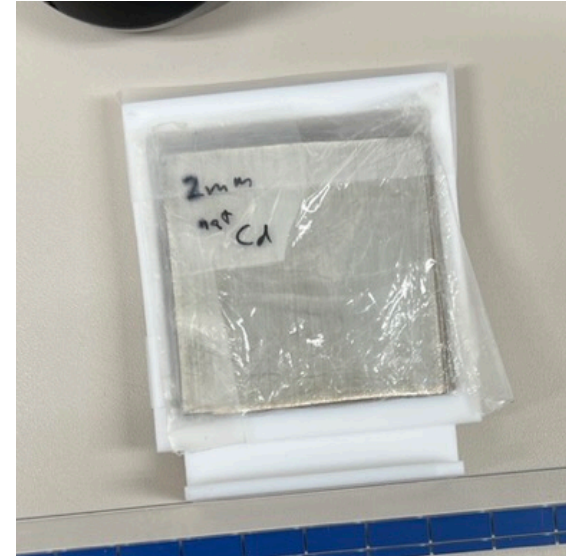
$$x = \cos\phi, y = \sin\phi$$

^{127}I and ^{111}Cd a_1 measurements

Targets



- NaI
- 10 mmt, 24 mm ϕ
- 20 mmt self-filter



- natCd
- 2 mmt
- 4 mmt self-filter

^{127}I resonances

210

G.E. Mitchell et al. / Physics Reports 354 (2001) 157–241

Table 16

Resonance parameters and PNC asymmetries p for ^{127}I . Parameters A_J are in units eV^{-1}

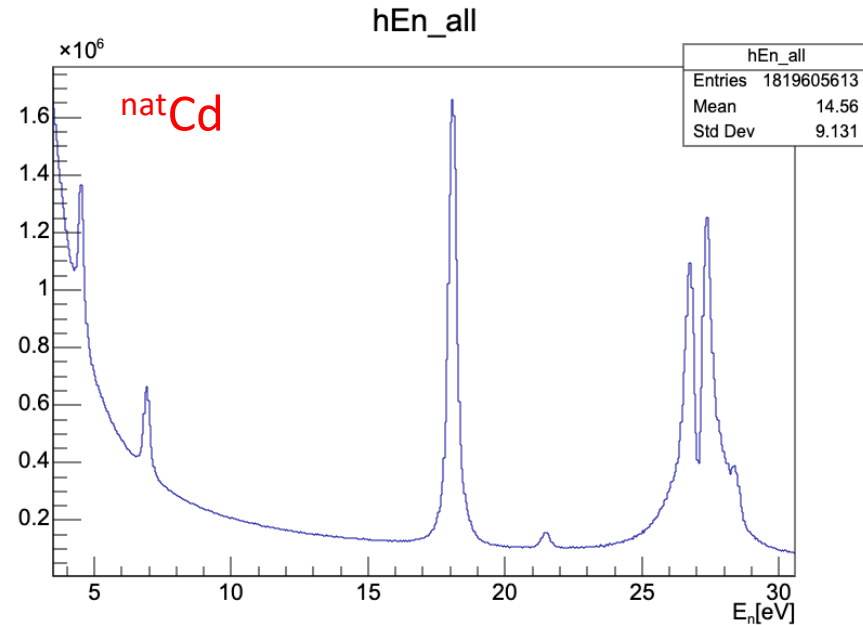
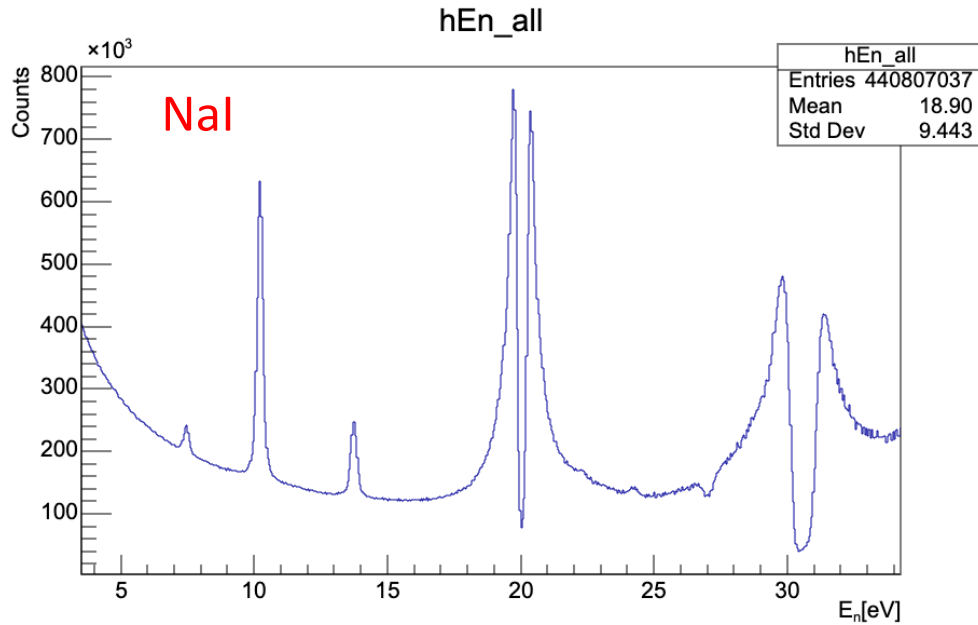
E (eV)	ℓ	J^a	$g\Gamma_n$ (meV)	A_2^b	A_3^b	p (%)	$ p /\Delta p$
-57.7^a	0	2					
-52.3^a	0	3					
7.51^c	1		0.00012 ± 0.0001	37.6	22.5	0.13 ± 0.14	0.9
10.34^c	1		0.0028 ± 0.0003	9.0	5.2	-0.005 ± 0.03	0.2
13.93^c	1		0.0014 ± 0.0001	15.3	9.0	0.01 ± 0.04	0.3
20.43^a	0	3	0.68 ± 0.05				
24.63^c	1		0.00064 ± 0.0006	51.7	19.3	1.65 ± 0.16	10.3
31.24^a	0	2	13.0 ± 1.5				
37.74^a	0	2	26.0 ± 2.5				
45.39^a	0	2	11.5 ± 2.0				
52.20^c	1		0.00085 ± 0.0008	47.8	13.1	0.10 ± 0.18	0.5
53.82	1		0.019 ± 0.002	8.8	2.9	0.24 ± 0.02	12.0
64.04	1		0.008 ± 0.001	13.5	6.8	0.06 ± 0.02	3.0
65.93^a	0	2	0.80 ± 0.15				
78.53^a	0		15.5 ± 2.0				
85.84	1		0.0174 ± 0.002	4.7	13.6	0.24 ± 0.02	11.0
90.38^a	0	3	10.4 ± 1.5				

largest PV
asymmetry



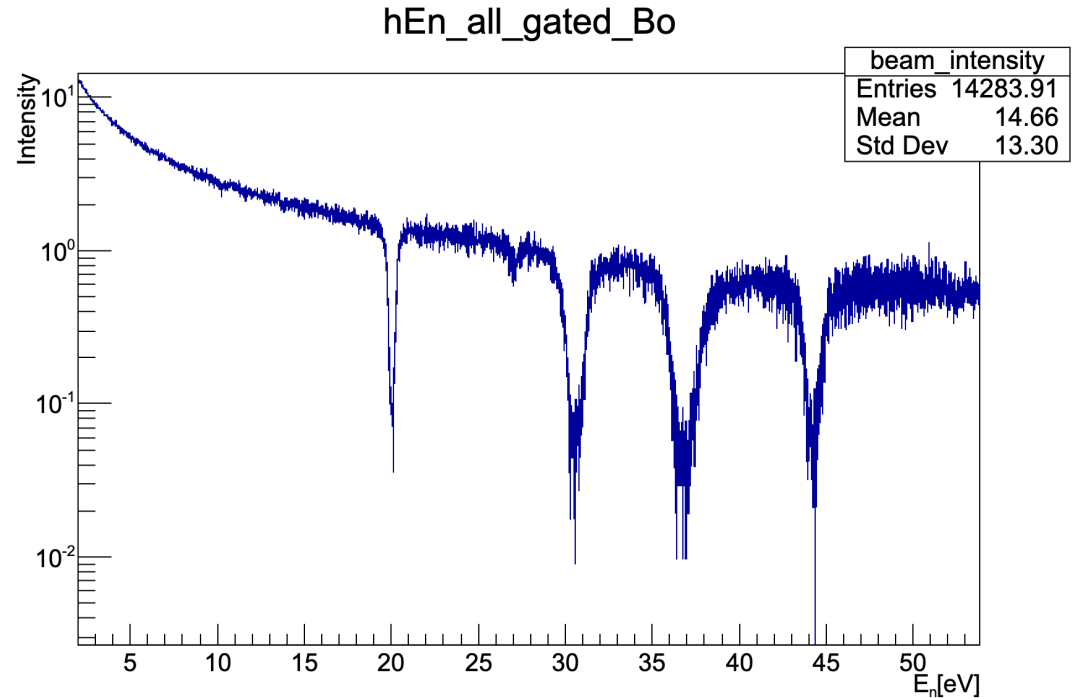
Self-Filter

- used upstream self-filters to reduce pileup from nearby s-waves

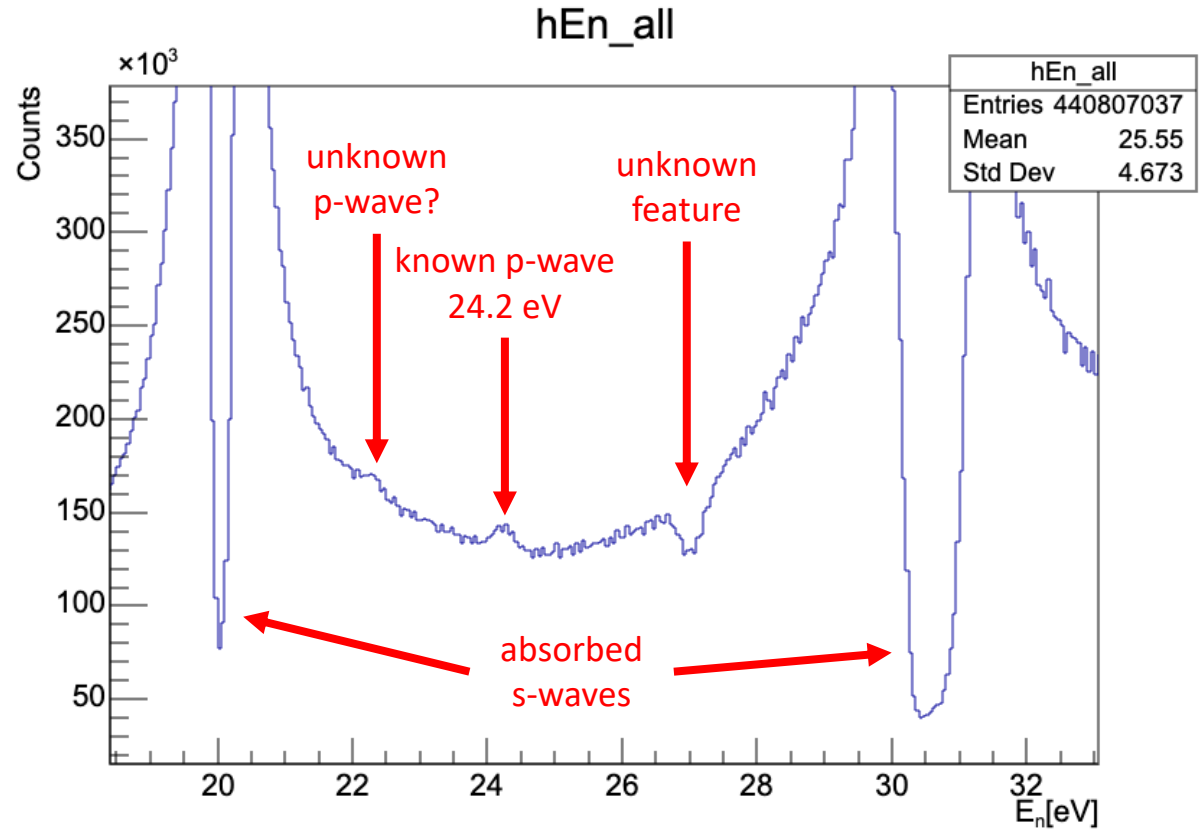


^{127}I Beam Intensity with Self-Filter

- Measure beam intensity using ^{nat}Bo target
- Can clearly see drop in intensity from self-filter



NaI Interesting Features



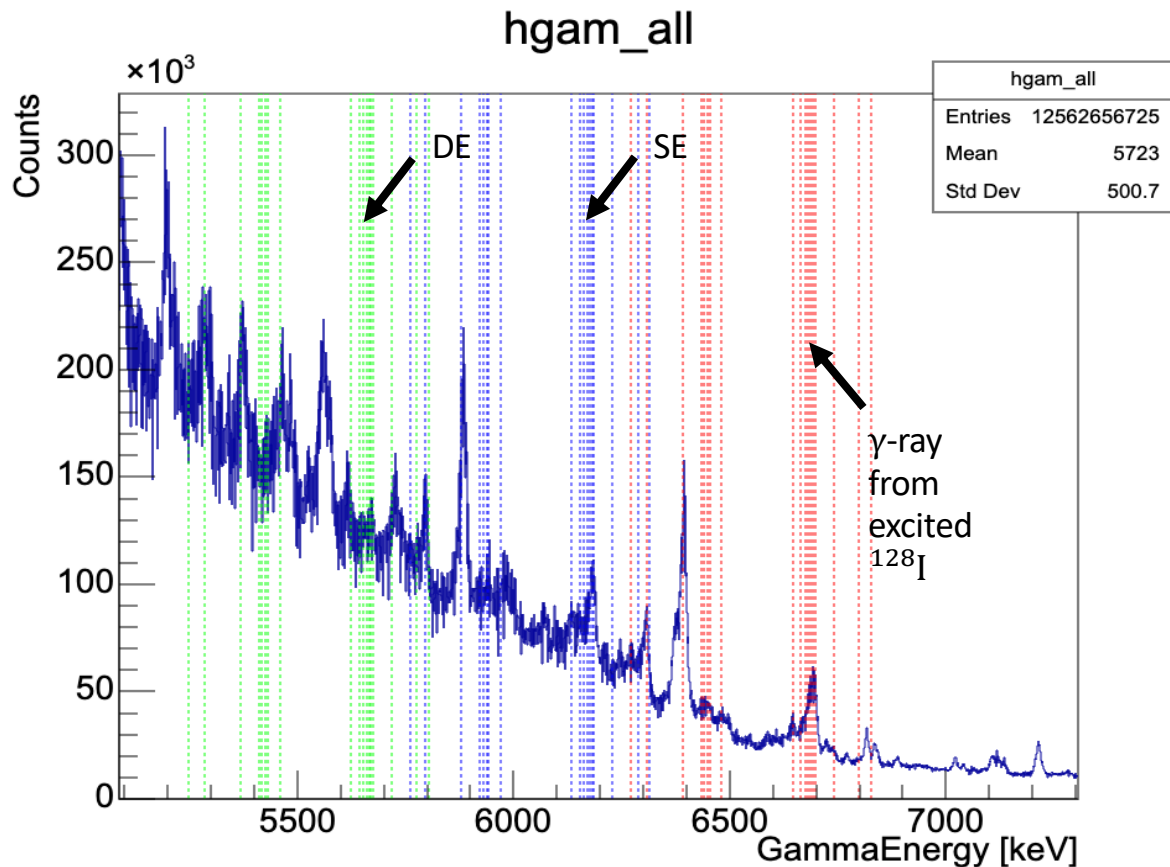
Discovery still possible!

$$S(n) = 6826.13 \text{ keV } 5$$

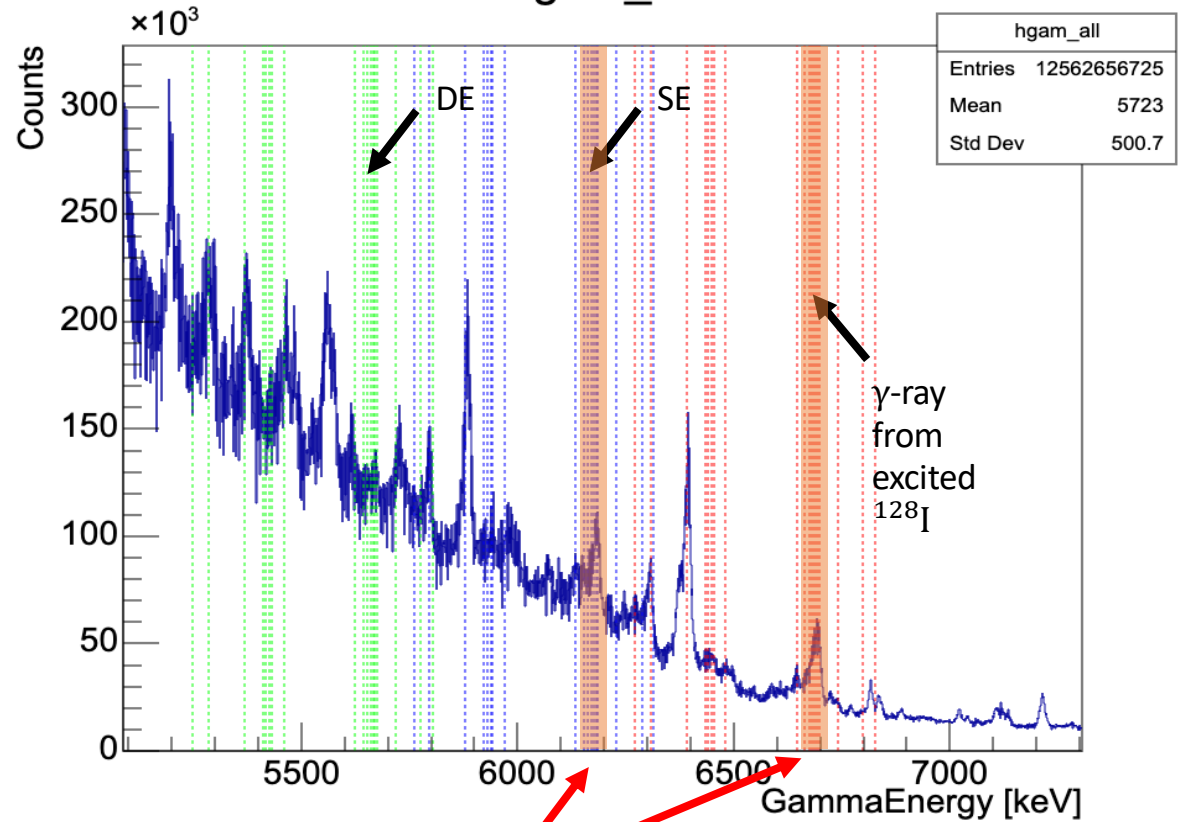
highest energy decays with known final state spins F

Difficult to isolate decays from single p-wave resonance

E_γ †	I_γ ‡#	$E_i(\text{level})$	J_i^π	E_f	J_f^π		
6645.61	2	185	8	(6826.20)	$2^+, 3^+$	180.40	$(3)^+$
6665.24	5	53	3	(6826.20)	$2^+, 3^+$	160.77	$1^+, 2^+$
6674.53	9	25	1	(6826.20)	$2^+, 3^+$	151.48	$(3)^+$
6681.98	2	227	9	(6826.20)	$2^+, 3^+$	144.03	$(3)^-$
6688.05	4	107	5	(6826.20)	$2^+, 3^+$	137.96	4^-
6692.36	2	507	21	(6826.20)	$2^+, 3^+$	133.65	2^-
6697.73	4	126	5	(6826.20)	$2^+, 3^+$	128.28	$(4)^+$
6740.46	5	72	8	(6826.20)	$2^+, 3^+$	85.54	3^+
6798.68	6	38	2	(6826.20)	$2^+, 3^+$	27.32	2^+
6826.00	9	21	2	(6826.20)	$2^+, 3^+$	0.0	1^+



hgam_all

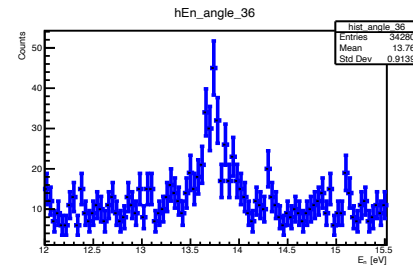
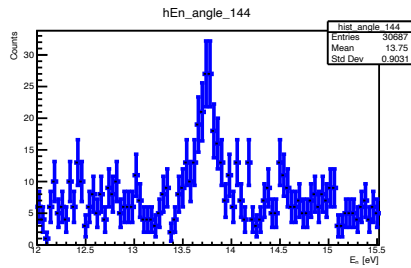
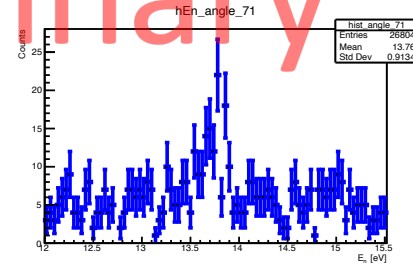
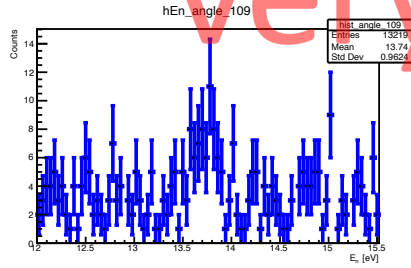
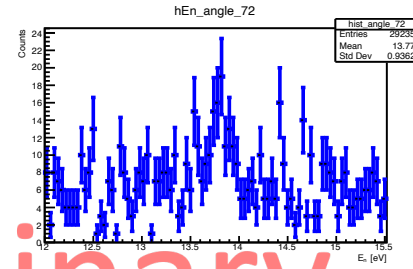
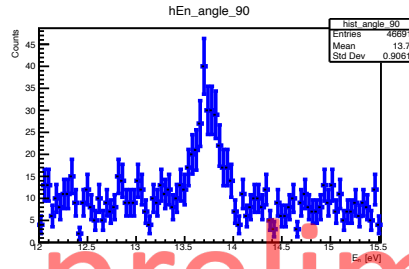
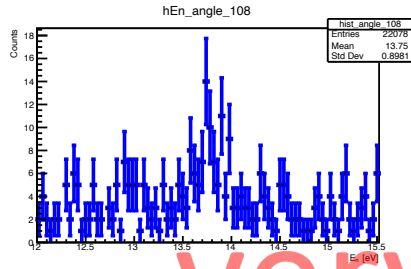


Gate on suspected full absorption and single escape peaks for A_{LH} analysis

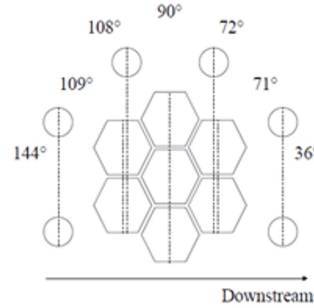
Gate is wide to capture γ -rays responsible

gate on suspected γ -rays from p-wave

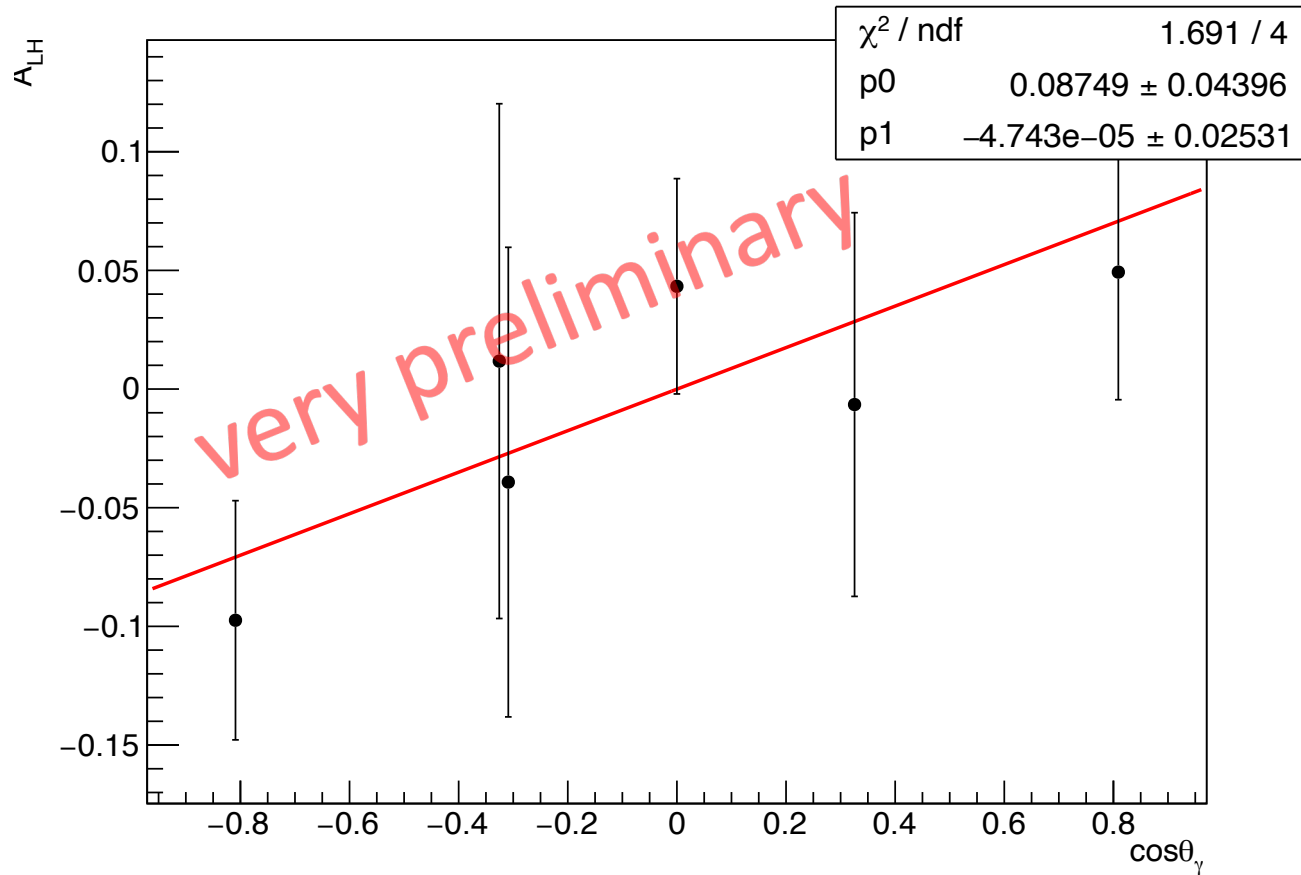
^{127}I 13.6 eV p-wave



very preliminary



^{127}I 13.6 eV p-wave



A_{LH} Summary

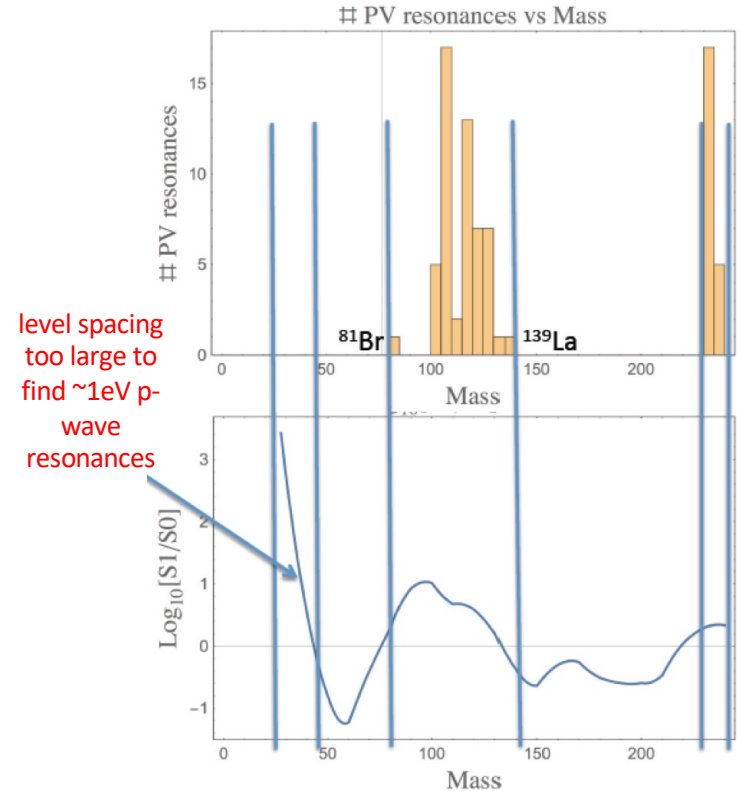
nuclei	Resonance energy (eV)	A_{LH} slope	A_L (%)
^{111}Cd	4.5	0.04627 ± 0.07446	1.3 ± 0.4
^{117}I	7.4	0.02724 ± 0.05476	0.13 ± 0.14
^{117}I	10.35	0.02845 ± 0.02671	-0.005 ± 0.003
^{117}I	13.6	0.08749 ± 0.04396	0.01 ± 0.04
^{117}I	22.2	0.11350 ± 0.05768	unmeasured
^{117}I	24.2	0.07808 ± 0.05999	1.65 ± 0.16

PV-Search at JPARC

Search for Parity Violation in Unmeasured Heavy Nuclei

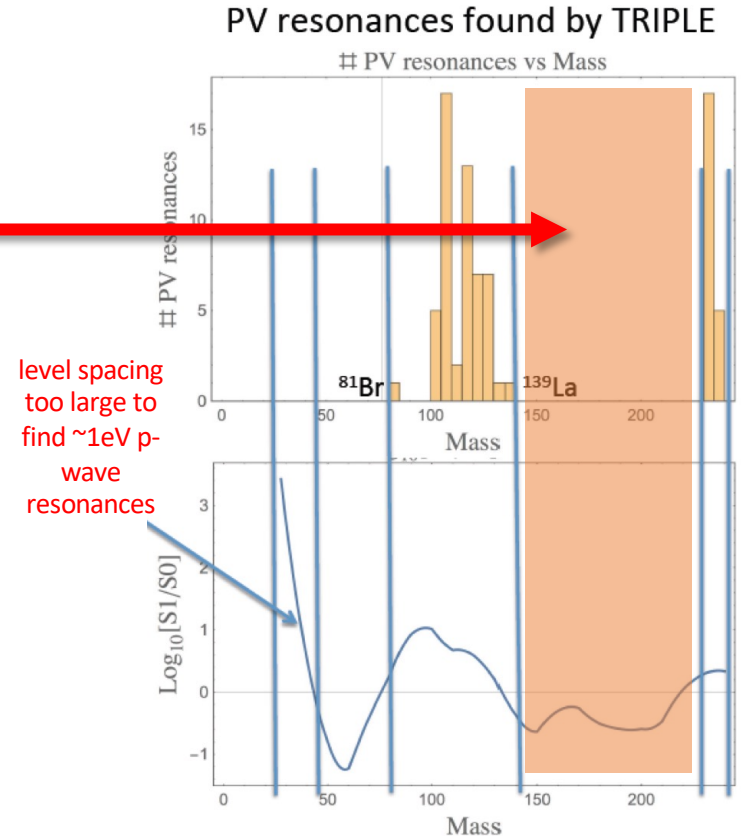
- Unmeasured range $140 < A < 180$ with nonzero spin
 - ^{169}Tm , $I=1/2$ (100%), DNP possible in a diamagnetic salt
 - ^{171}Yb , $I=1/2$ (14.1%), has been hyperpolarized
 - ^{149}Sm , ^{151}Eu , ^{167}Er , and ^{165}Ho polarizable
- Many unmeasured nuclei \rightarrow just one discovery is meaningful!

PV resonances found by TRIPLE



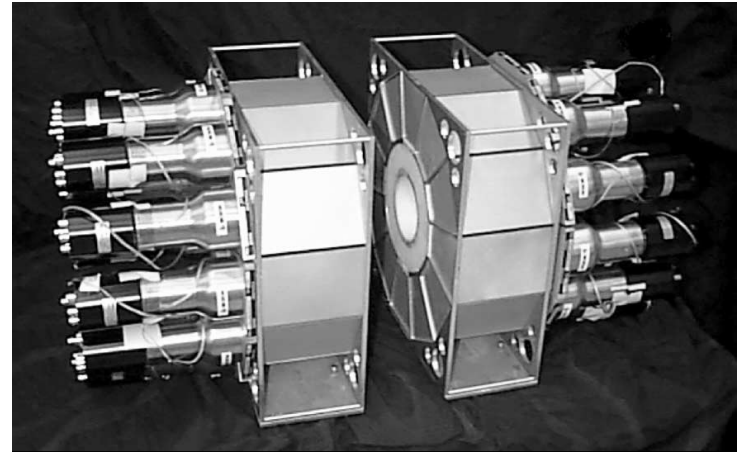
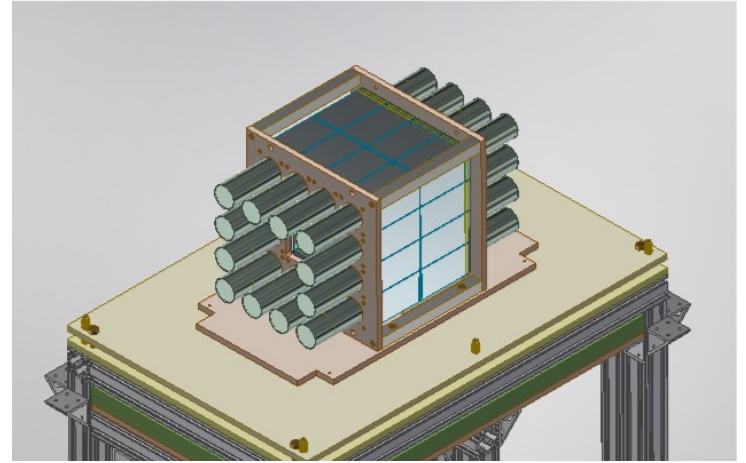
Search for Parity Violation in Unmeasured Heavy Nuclei

- Unmeasured range $140 < A < 180$ with nonzero spin
 - ^{169}Tm , $I=1/2$ (100%), DNP possible in a diamagnetic salt
 - ^{171}Yb , $I=1/2$ (14.1%), has been hyperpolarized
 - ^{149}Sm , ^{151}Eu , ^{167}Er , and ^{165}Ho polarizable
- Many unmeasured nuclei \rightarrow just one discovery is meaningful!



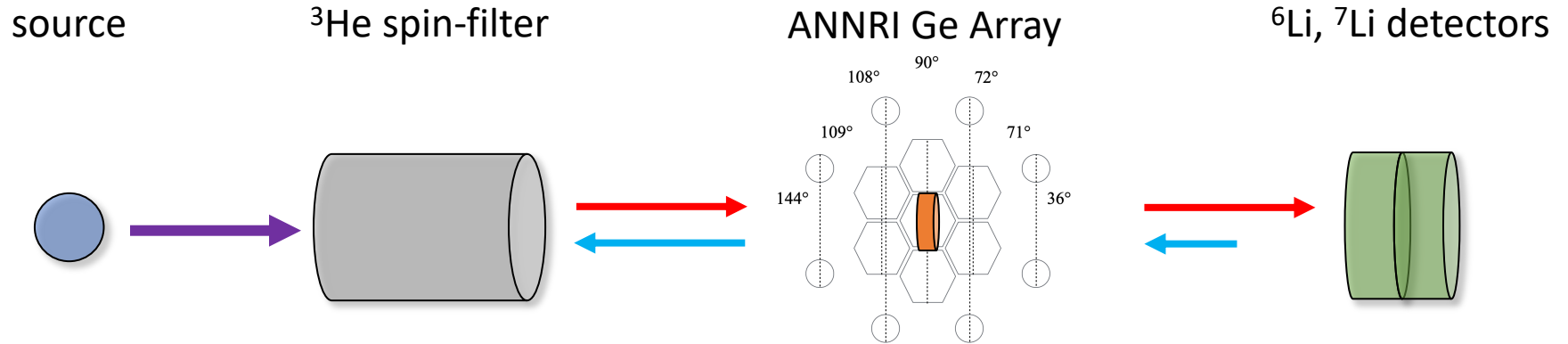
Original Plan

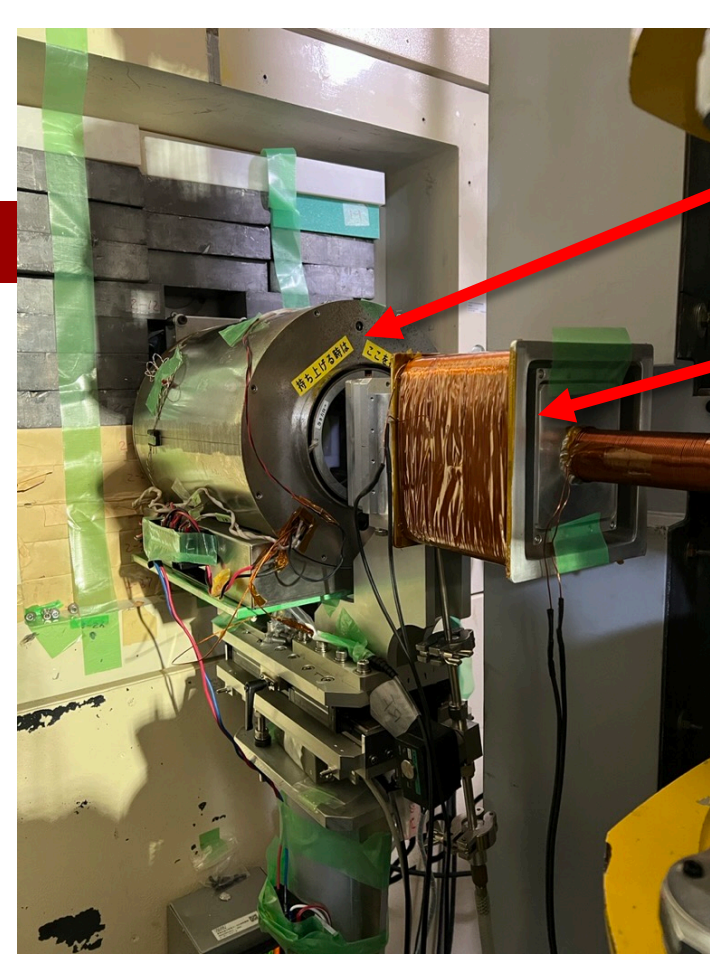
- Original plan was to use NaI array or pure CsI in current mode on BL04
- Could not use too space constrains and necessity for large spin-transport coils
- Decided to use existing HPGe array instead



PV Search Experiential Setup

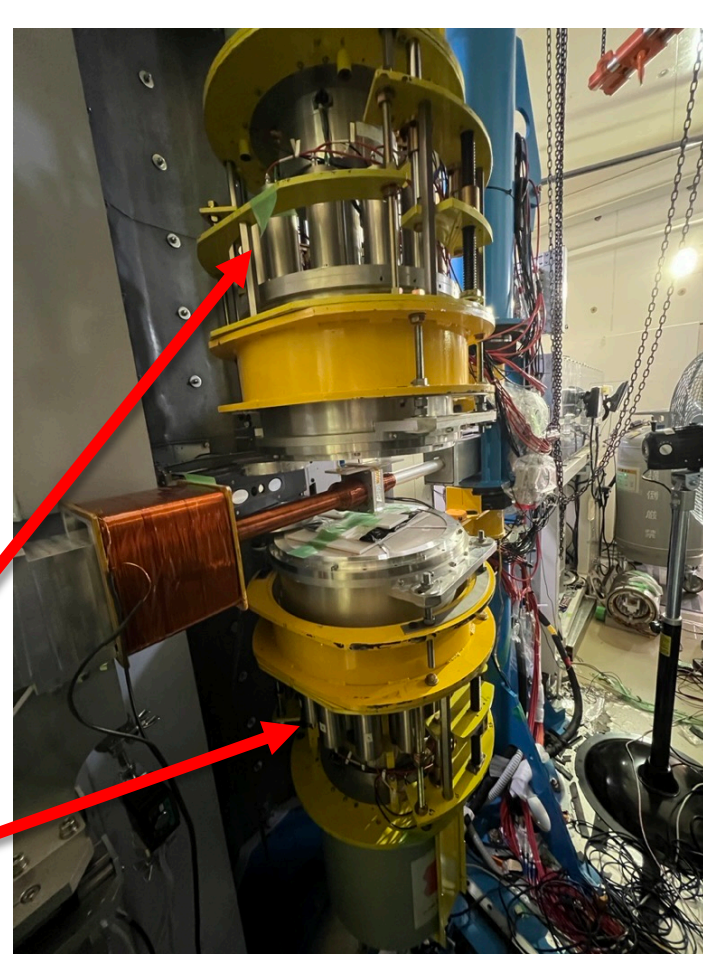
- ^3He spin-filter gives net longitudinal polarization of neutrons
- Measure gammas and transmission through target
- Can also easily measure a_1





^3He spin-filter

spin-transport



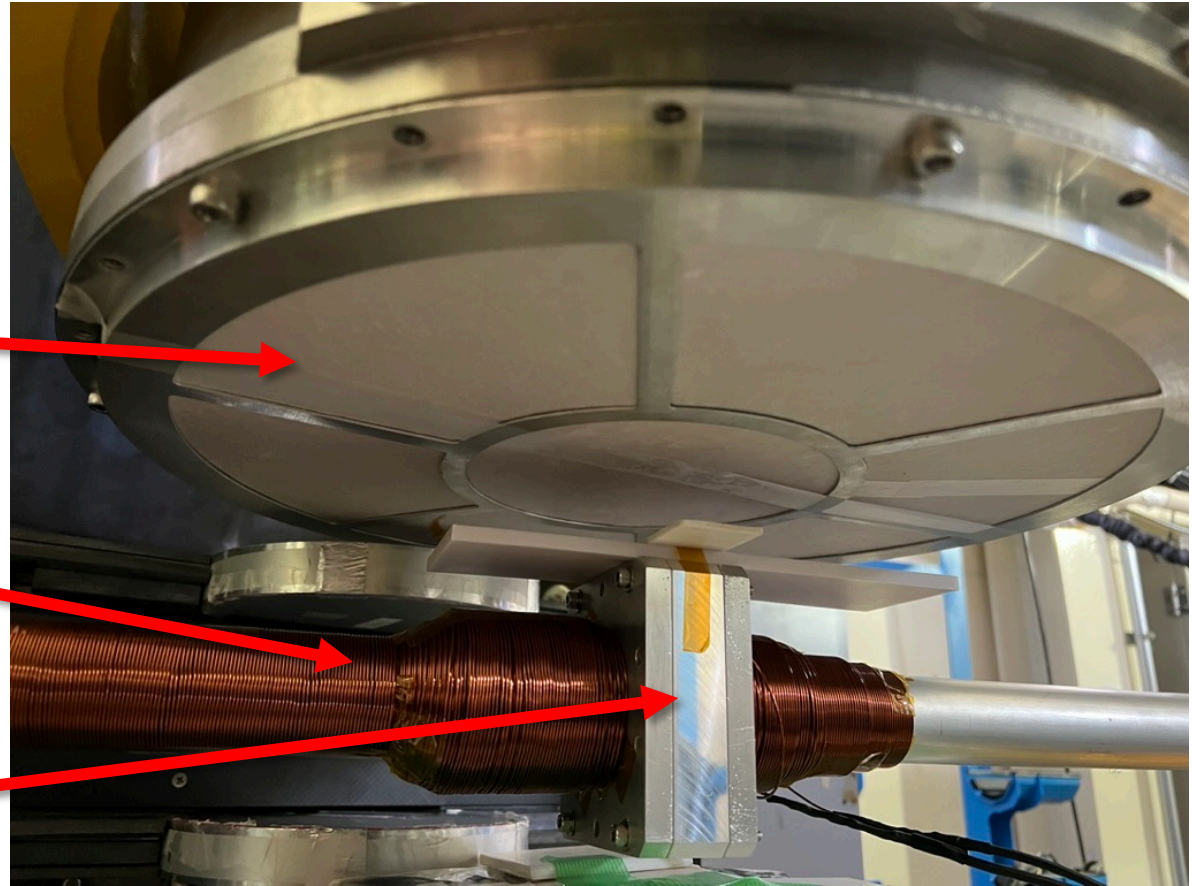
upper cluster

lower cluster

neutron shielding

Spin-transport

target location

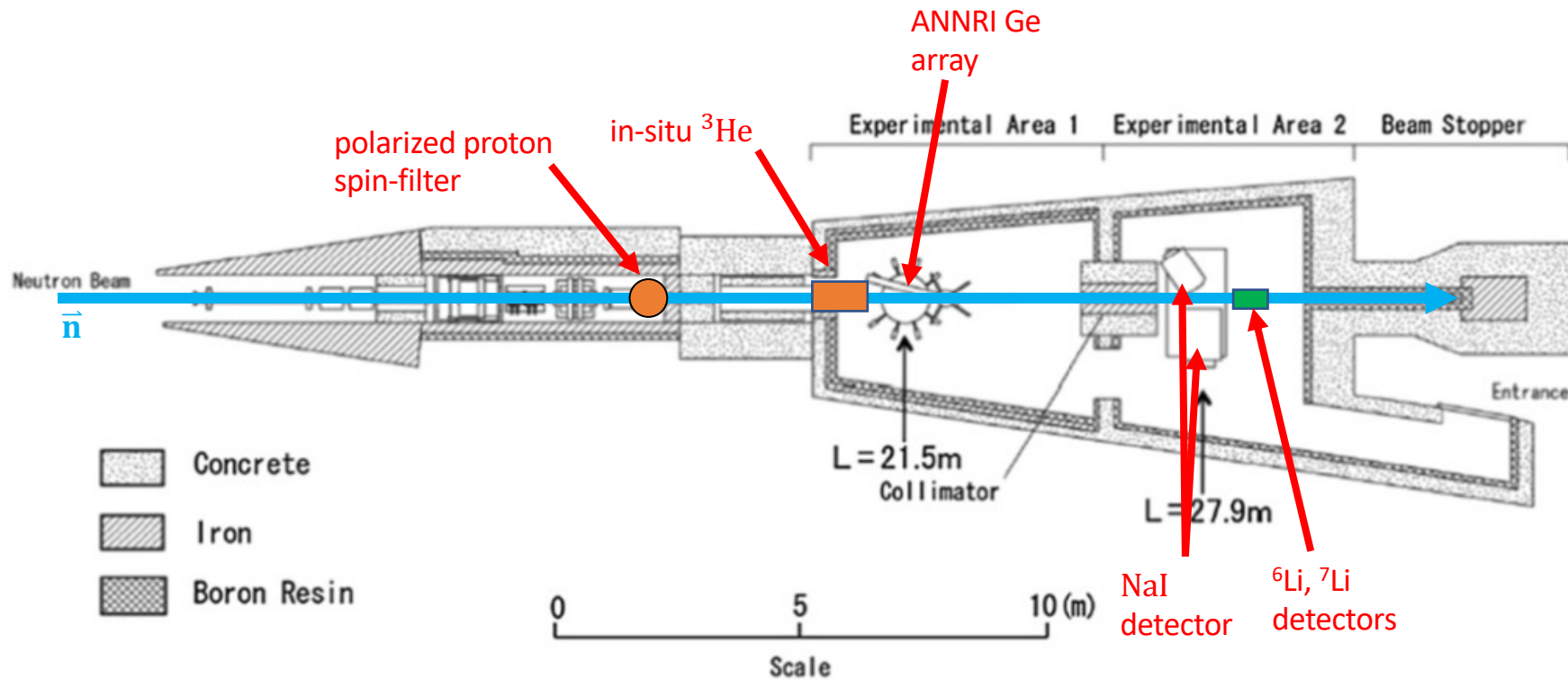


Thank you!

BL04 Long-Term Plans

BL04 Layout

Hope to install various upstream spin-filters to cover large energy range

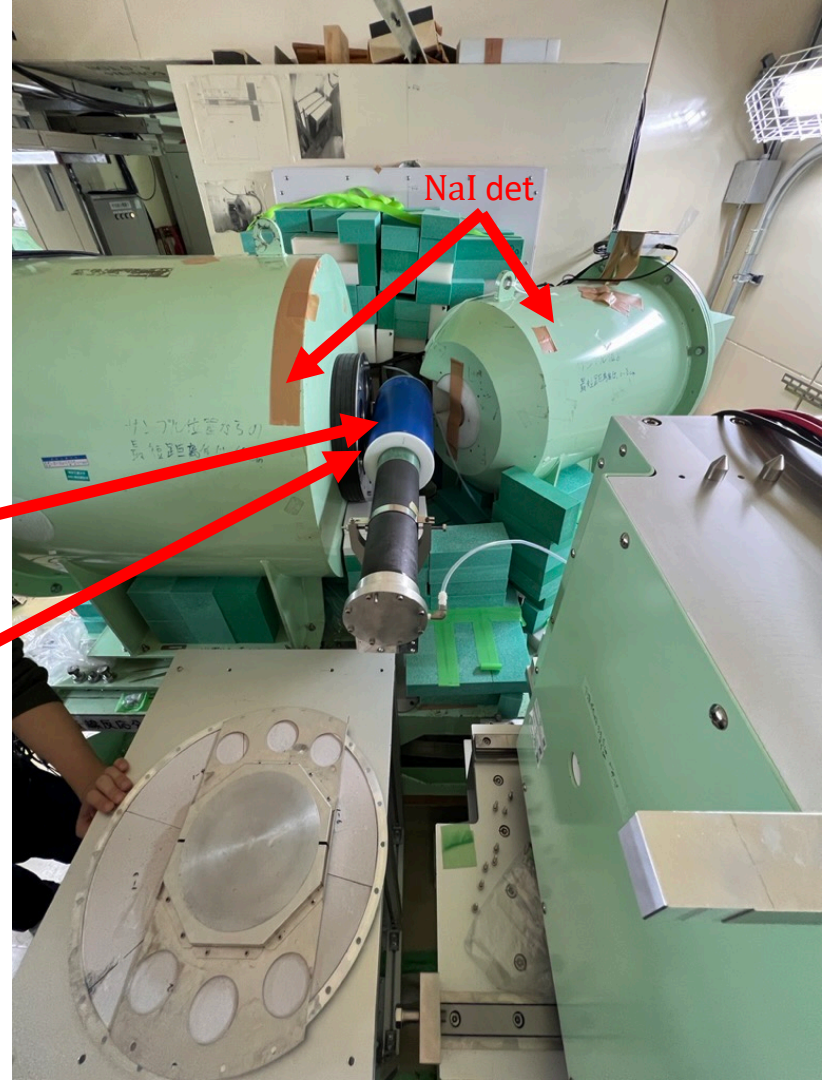


BL04 Experimental Area 2 (downstream)

Large sized NaI detectors for higher
energy cross-section measurements

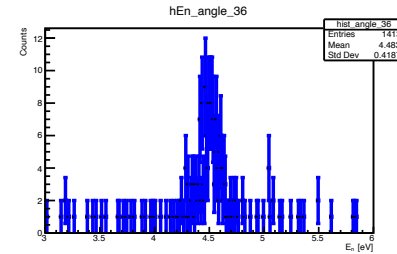
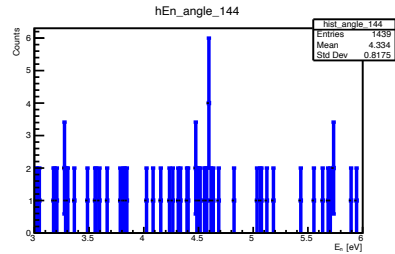
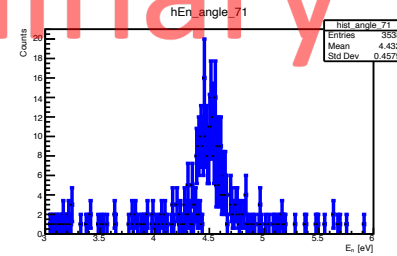
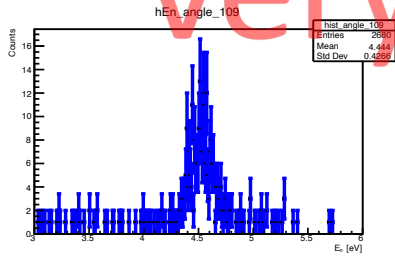
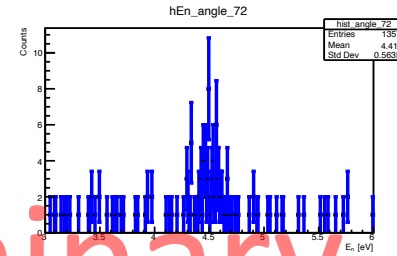
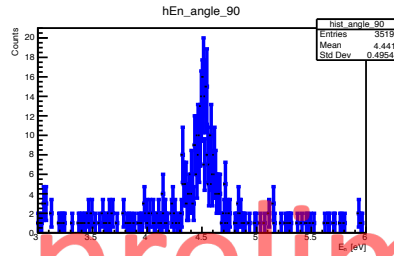
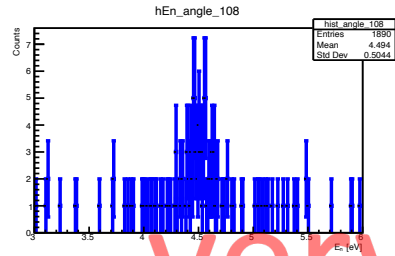
Target
location

Neutron
shielding

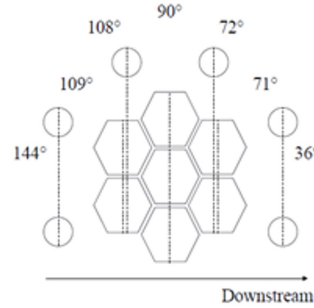


Backup Slides

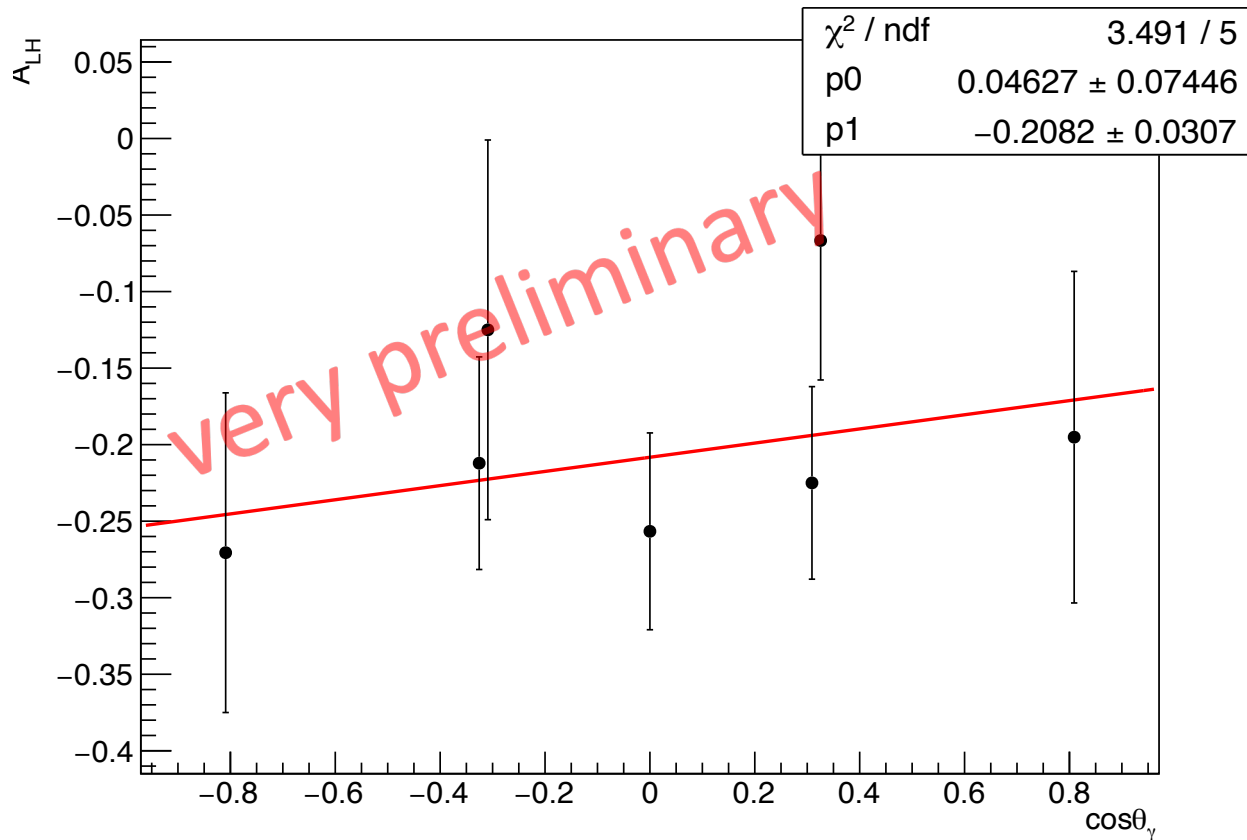
^{111}Cd 4.5 eV p-wave



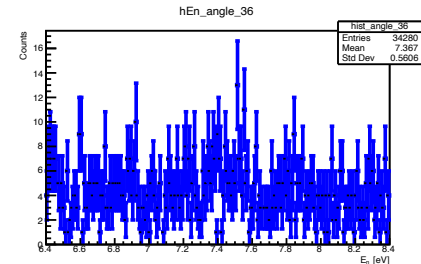
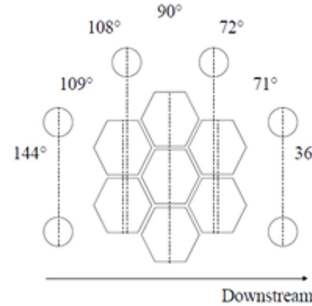
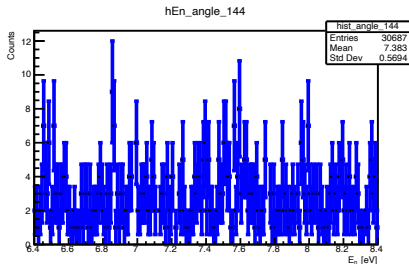
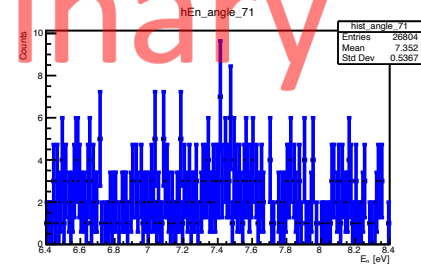
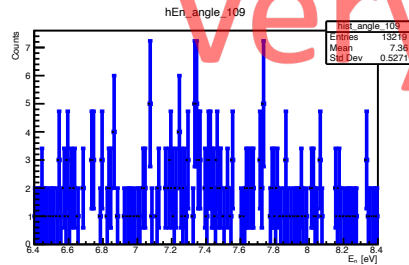
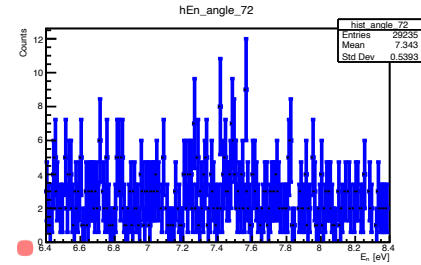
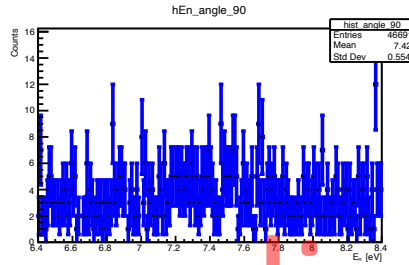
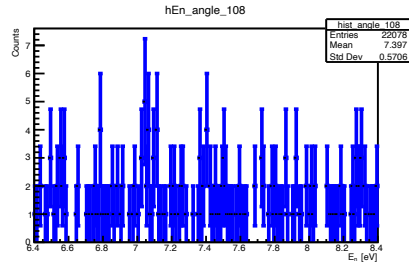
very preliminary



^{111}Cd 4.5 eV p-wave

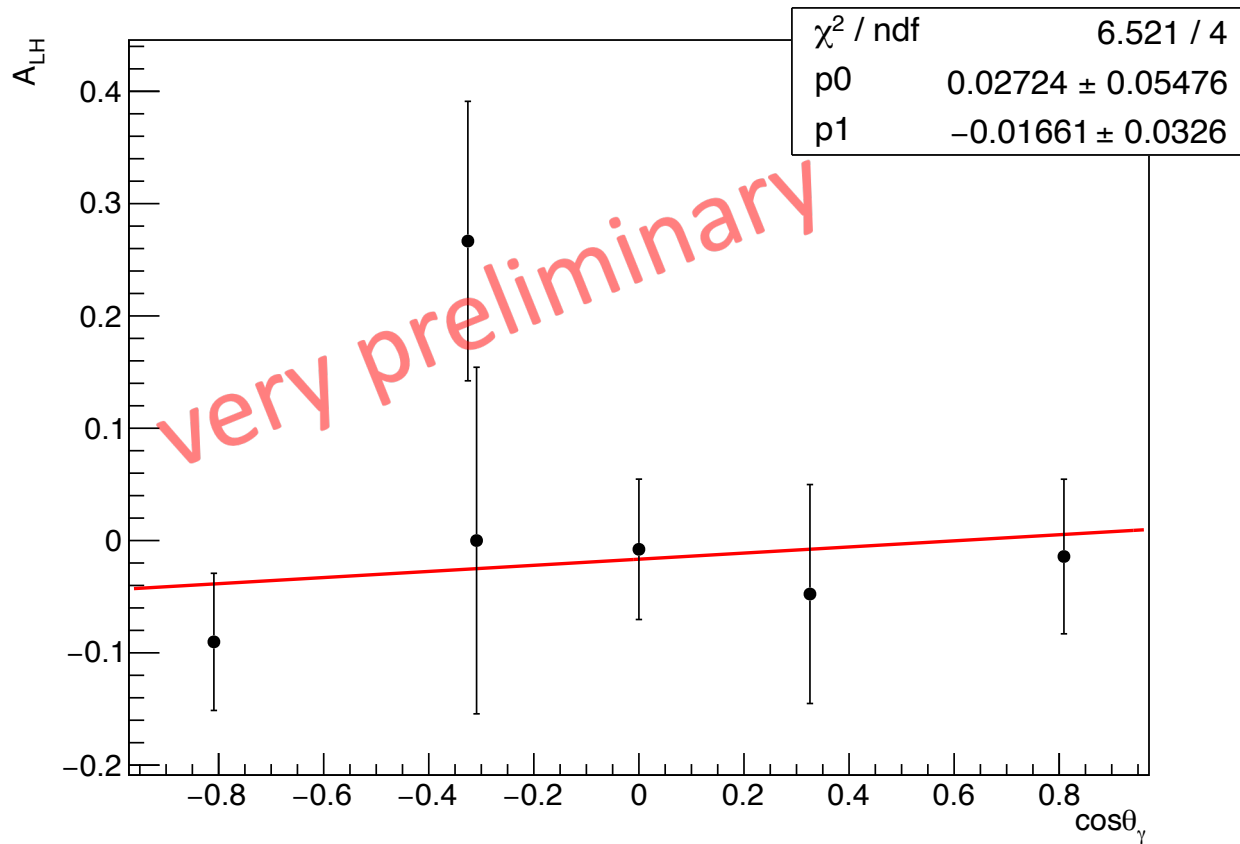


^{127}I 7.4 eV p-wave

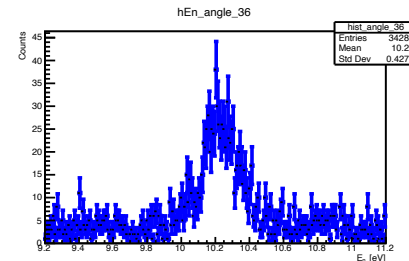
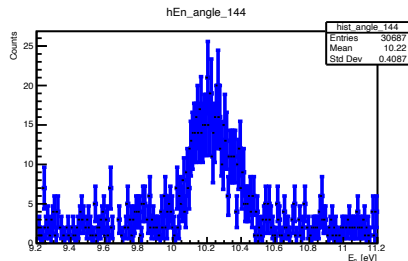
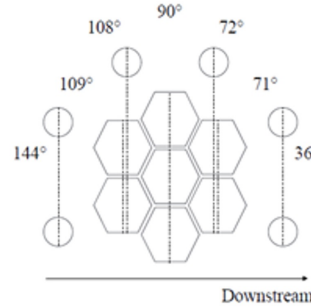
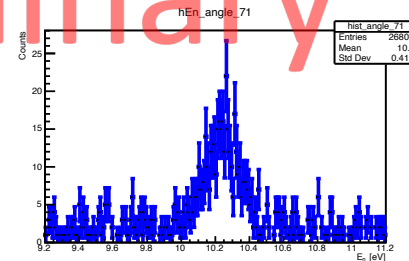
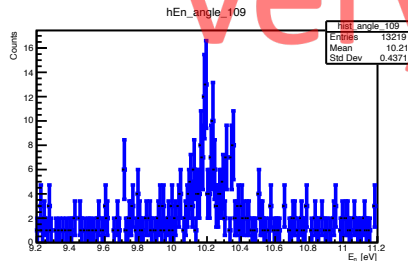
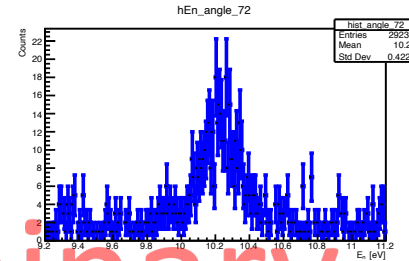
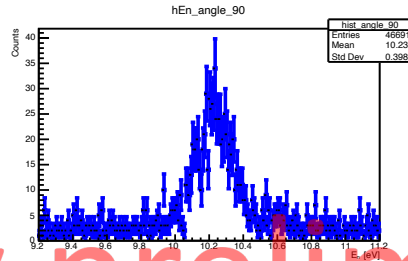
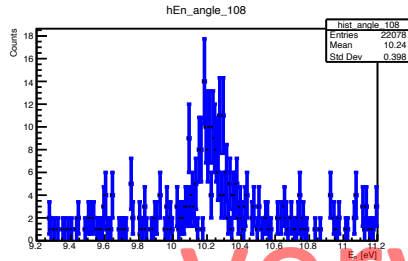


very preliminary

^{127}I 7.4 eV p-wave

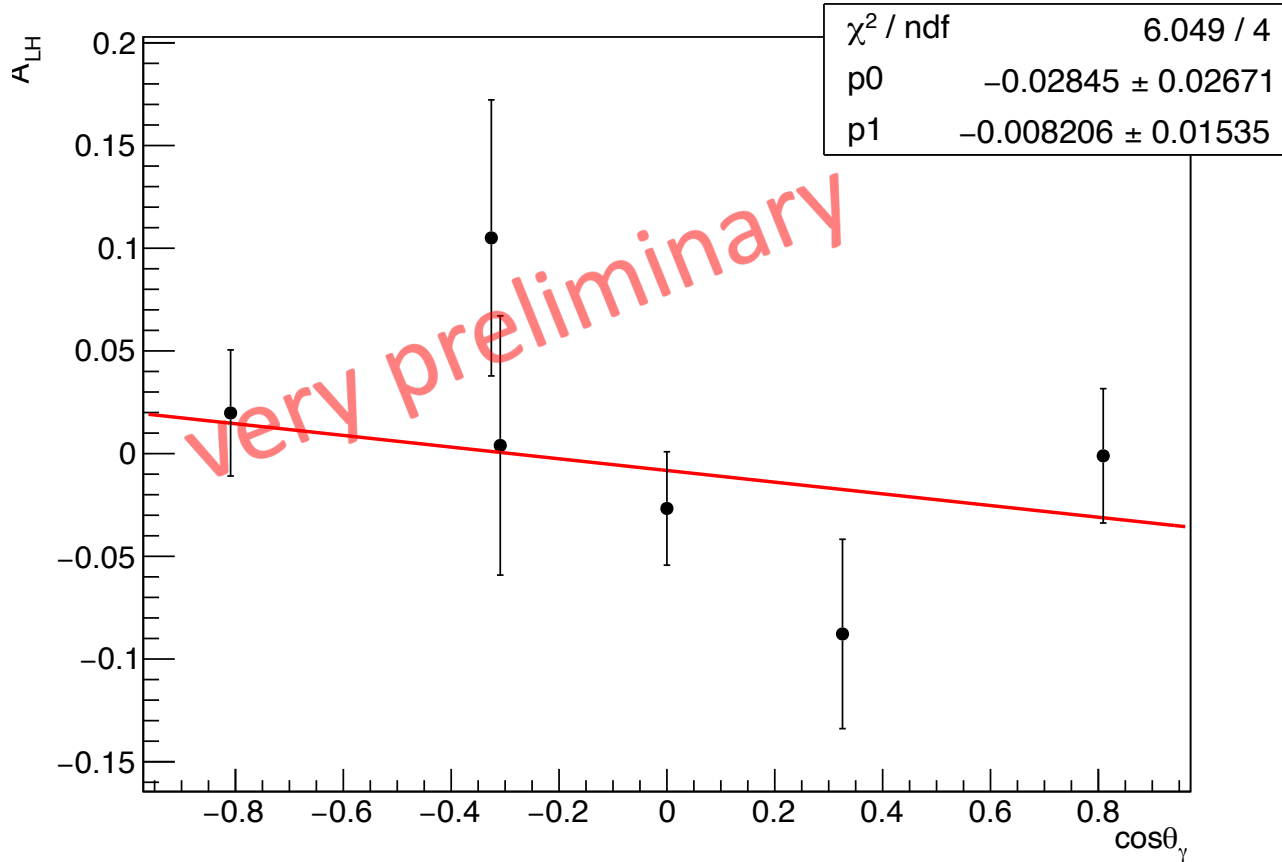


^{127}I 10.35 eV p-wave

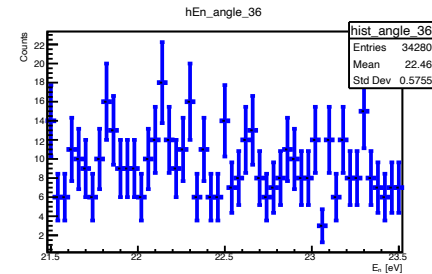
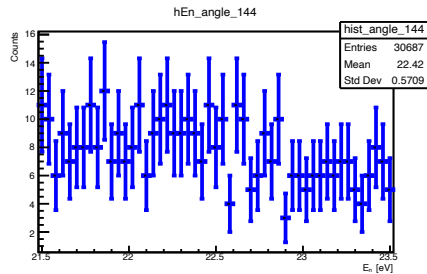
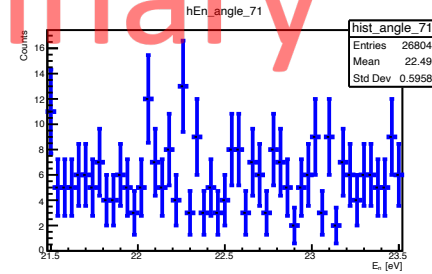
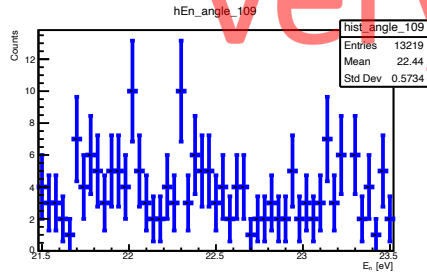
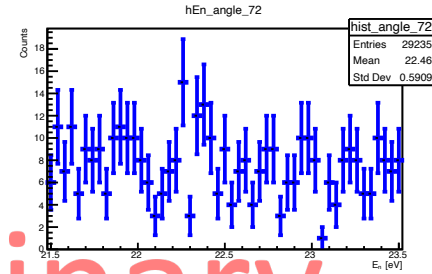
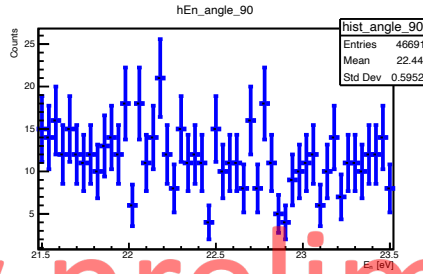
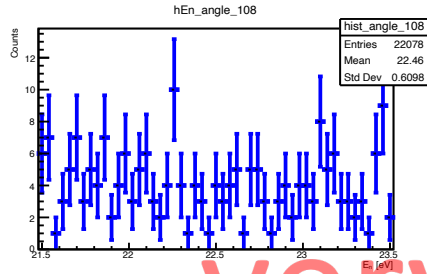


very preliminary

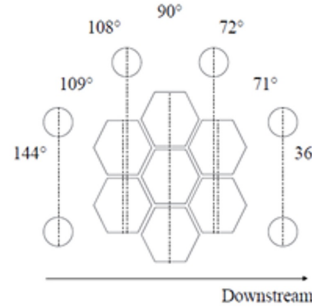
^{127}I 10.35 eV p-wave



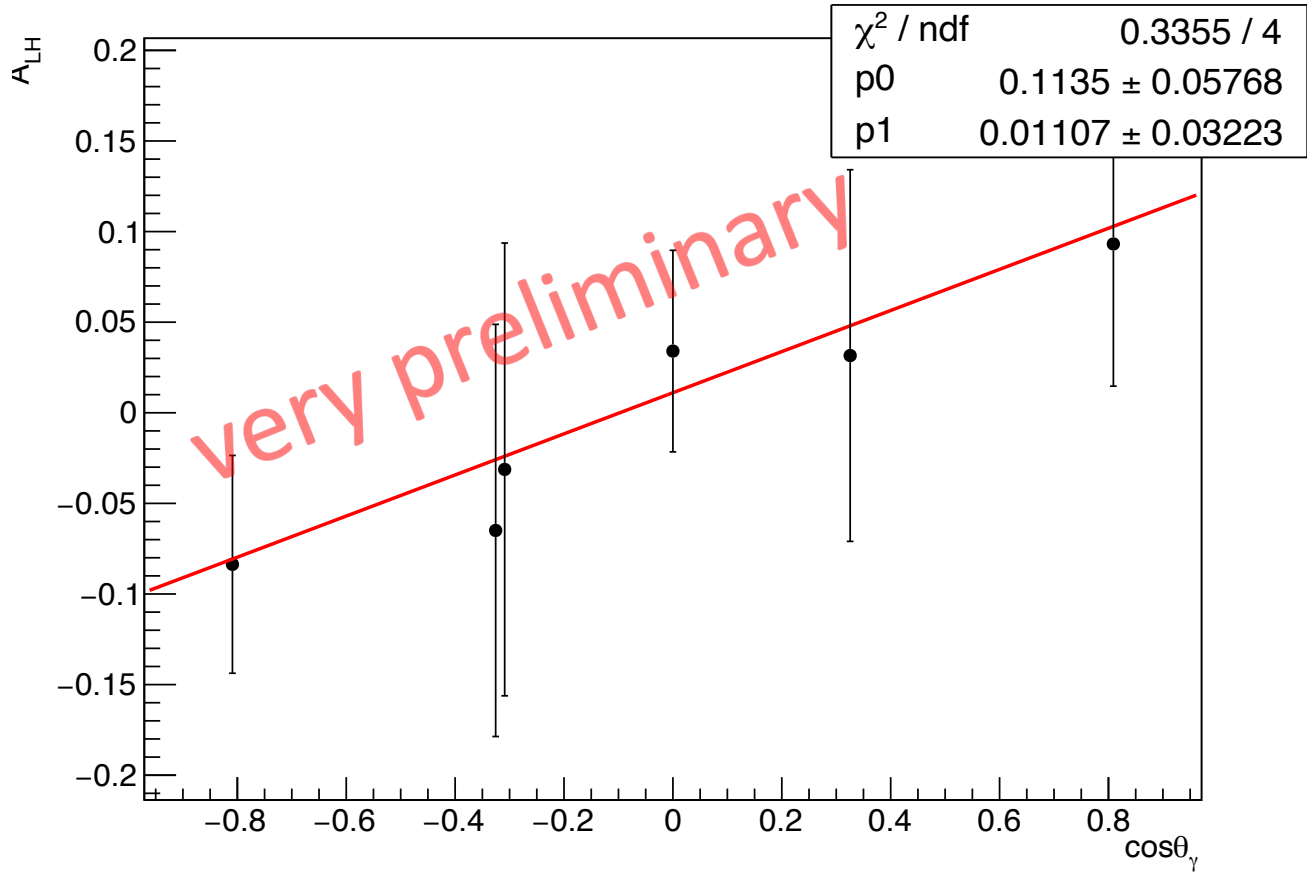
^{127}I 22.2 eV p-wave



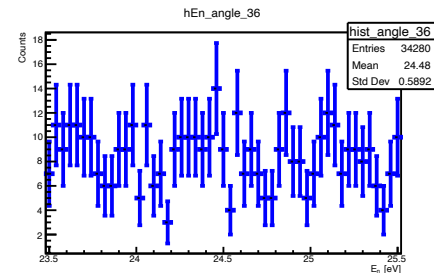
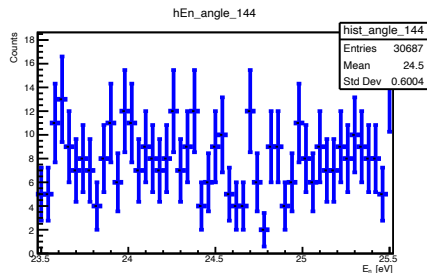
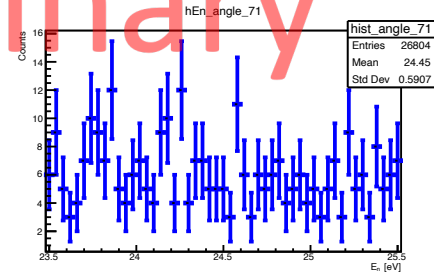
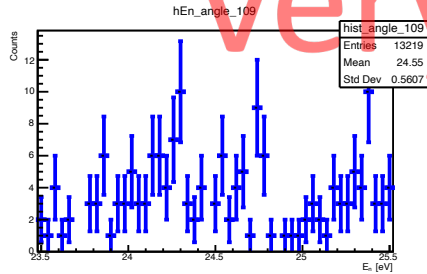
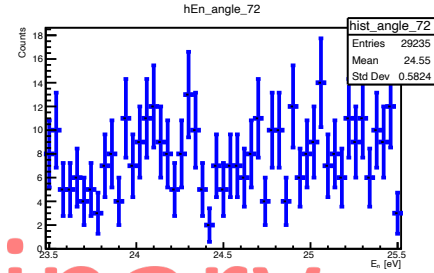
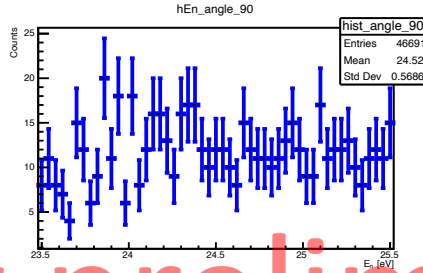
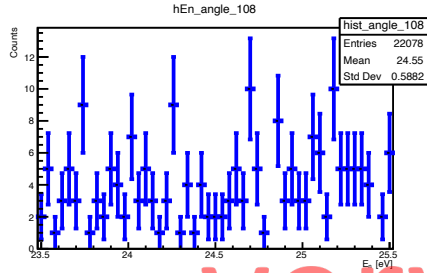
very preliminary



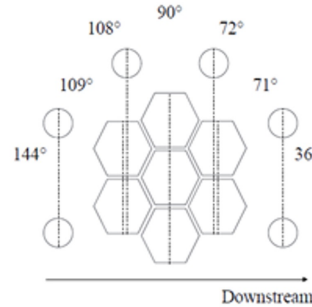
^{127}I 22.20 eV p-wave



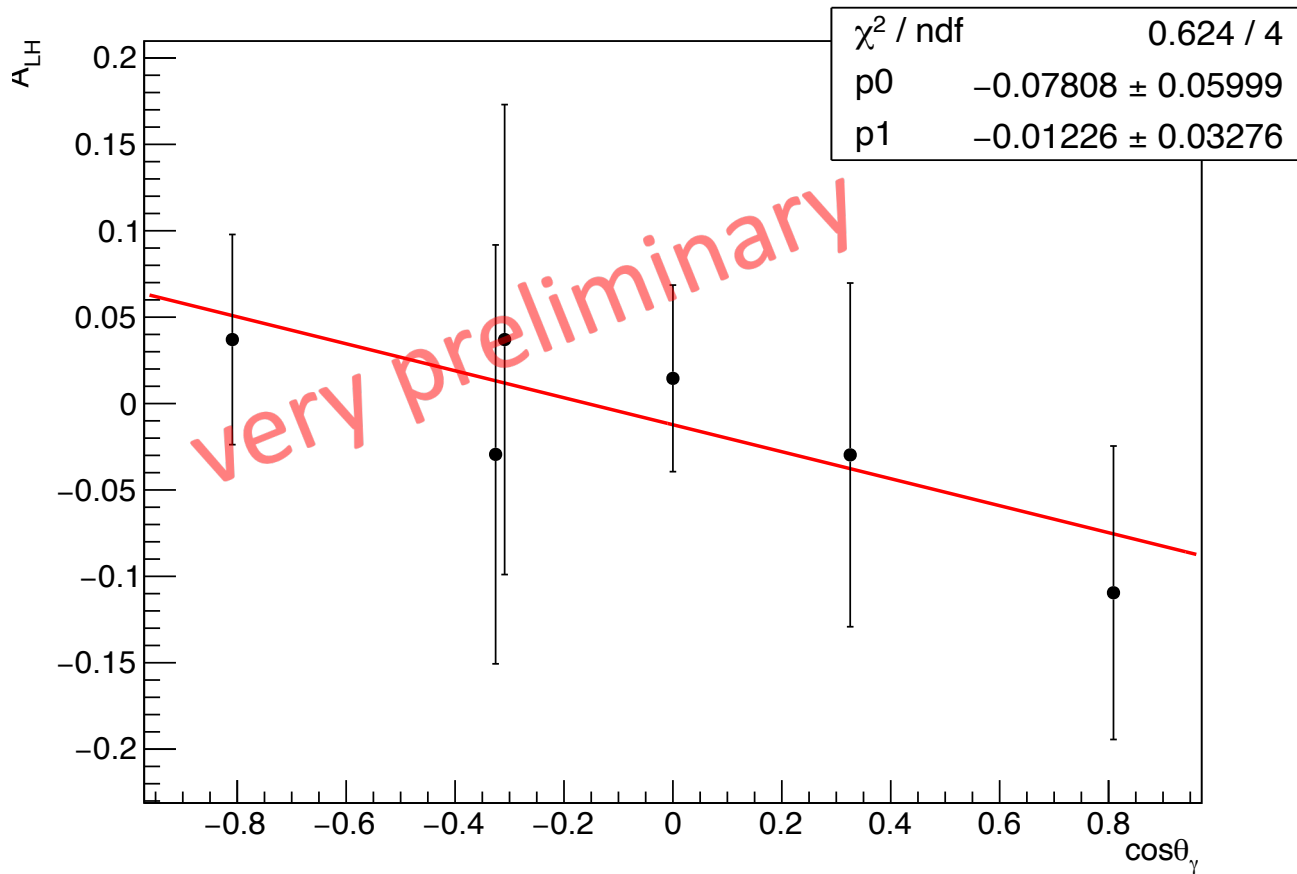
^{127}I 24.2 eV p-wave



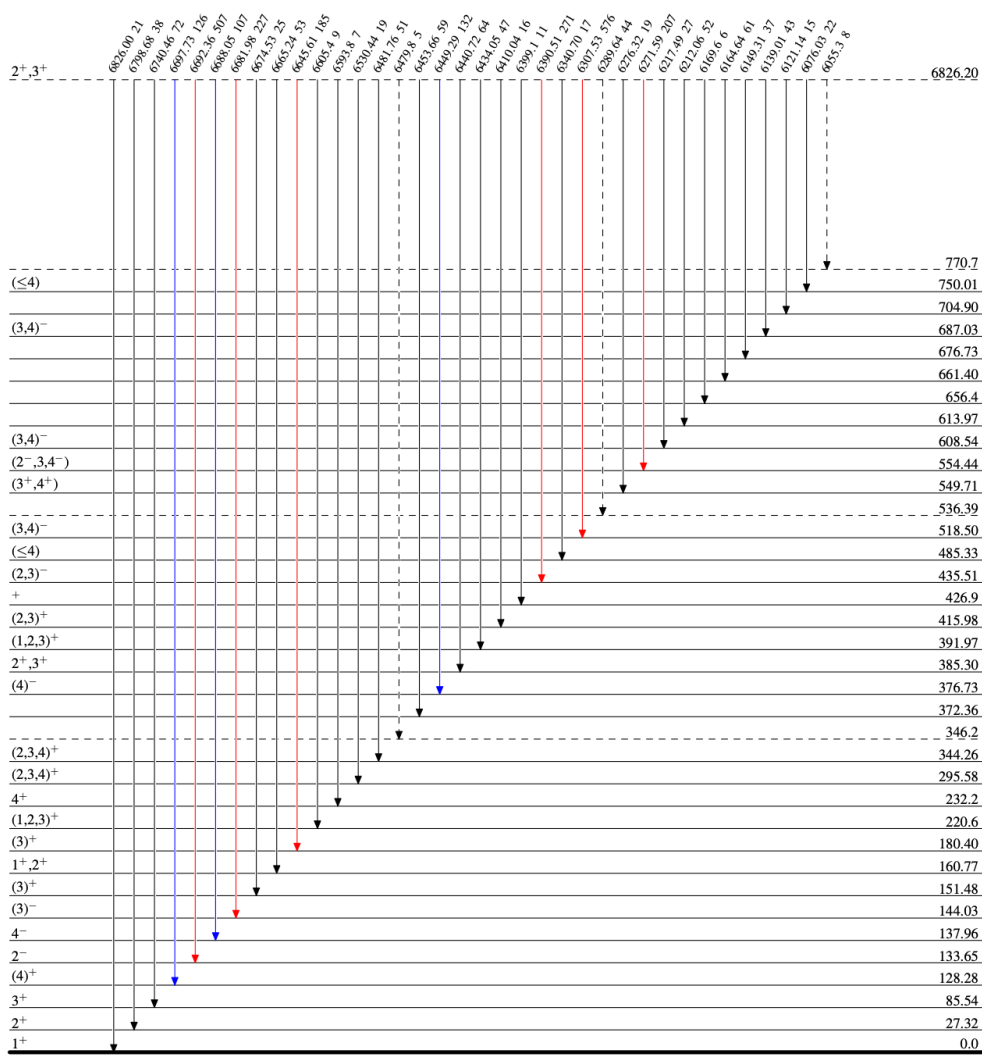
very preliminary



^{127}I 24.20 eV p-wave

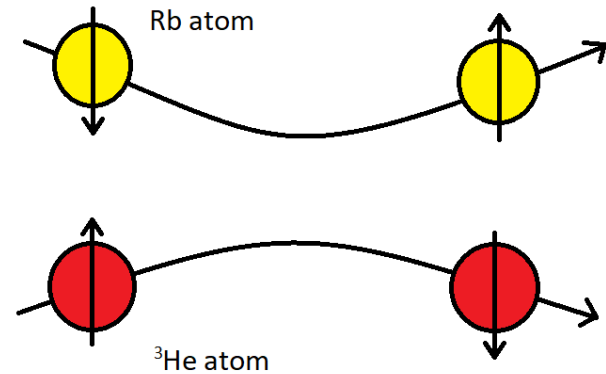
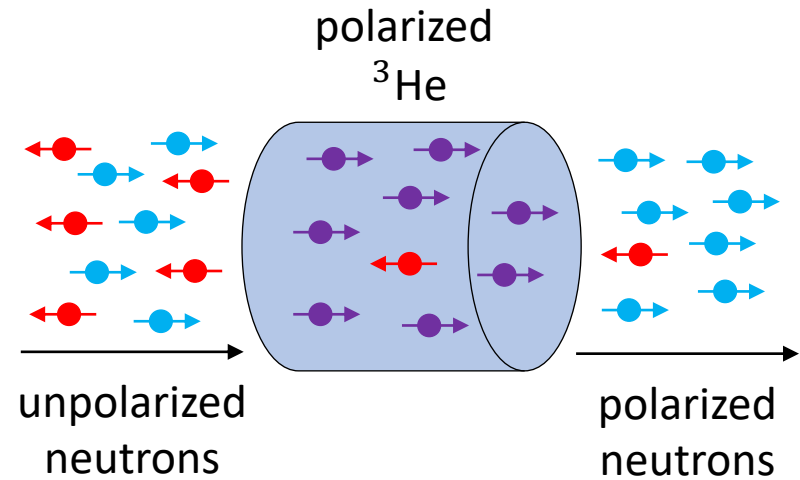


E_γ^\dagger	I_γ^\ddagger	$E_i(\text{level})$	J_i^\ddagger	E_f	J_f^\ddagger
5962.15 @ 10	31 2	(6826.20)	$2^+, 3^+$	863.90?	
5976.71 5	73 4	(6826.20)	$2^+, 3^+$	849.34	(≤ 4)
5982.53 8	59 3	(6826.20)	$2^+, 3^+$	843.52	
5986.00 4	128 5	(6826.20)	$2^+, 3^+$	840.04	($1^-, 2, 3^+$)
5997.70 4	105 5	(6826.20)	$2^+, 3^+$	828.34	
6004.60 @ 6	58 3	(6826.20)	$2^+, 3^+$	821.44?	
6030.42 19	13 1	(6826.20)	$2^+, 3^+$	795.62	
6034.1 @ 5	4 1	(6826.20)	$2^+, 3^+$	791.9?	
6038.05 17	13 2	(6826.20)	$2^+, 3^+$	787.99	
6055.3 @ 4	8 1	(6826.20)	$2^+, 3^+$	770.7?	
6076.03 13	22 1	(6826.20)	$2^+, 3^+$	750.01	(≤ 4)
6121.14 17	15 1	(6826.20)	$2^+, 3^+$	704.90	
6139.01 8	43 3	(6826.20)	$2^+, 3^+$	687.03	($3, 4$) ⁻
6149.31 9	37 2	(6826.20)	$2^+, 3^+$	676.73	
6164.64 6	61 3	(6826.20)	$2^+, 3^+$	661.40	
6169.6 4	6 1	(6826.20)	$2^+, 3^+$	656.4	
6212.06 6	52 3	(6826.20)	$2^+, 3^+$	613.97	
6217.49 12	27 2	(6826.20)	$2^+, 3^+$	608.54	($3, 4$) ⁻
6271.59 2	207 9	(6826.20)	$2^+, 3^+$	554.44	($2^-, 3, 4^+$) ⁻
6276.32 19	19 2	(6826.20)	$2^+, 3^+$	549.71	($3^+, 4^+$)
6289.64 @ 8	44 2	(6826.20)	$2^+, 3^+$	536.39?	($3, 4$) ⁻
6307.53 2	576 23	(6826.20)	$2^+, 3^+$	518.50	($3, 4$) ⁻
6340.70 17	17 1	(6826.20)	$2^+, 3^+$	485.33	(≤ 4)
6390.51 2	271 11	(6826.20)	$2^+, 3^+$	435.51	($2, 3$) ⁻
6399.1 3	11 1	(6826.20)	$2^+, 3^+$	426.9	+
6410.04 16	16 1	(6826.20)	$2^+, 3^+$	415.98	($2, 3$) ⁺
6434.05 6	47 2	(6826.20)	$2^+, 3^+$	391.97	($1, 2, 3$) ⁺
6440.72 6	64 3	(6826.20)	$2^+, 3^+$	385.30	$2^+, 3^+$
6449.29 3	132 6	(6826.20)	$2^+, 3^+$	376.73	(4) ⁻
6453.66 6	59 3	(6826.20)	$2^+, 3^+$	372.36	
6479.8 @ 8	5 1	(6826.20)	$2^+, 3^+$	346.2?	
6481.76 19	51 4	(6826.20)	$2^+, 3^+$	344.26	($2, 3, 4$) ⁺
6530.44 14	19 1	(6826.20)	$2^+, 3^+$	295.58	($2, 3, 4$) ⁺
6593.8 4	7 1	(6826.20)	$2^+, 3^+$	232.2	4^+
6605.4 4	9 1	(6826.20)	$2^+, 3^+$	220.6	($1, 2, 3$) ⁺
6645 61 2	185 8	(6826.20)	$2^+, 3^+$	180.40	(3) ⁺
6665.24 5	53 3	(6826.20)	$2^+, 3^+$	160.77	$1^+, 2^+$
6674.53 9	25 1	(6826.20)	$2^+, 3^+$	151.48	(3) ⁺
6681.98 2	227 9	(6826.20)	$2^+, 3^+$	144.03	(3) ⁻
6688.05 4	107 5	(6826.20)	$2^+, 3^+$	137.96	4^-
6692.36 2	507 21	(6826.20)	$2^+, 3^+$	133.65	2^-
6697.73 4	126 5	(6826.20)	$2^+, 3^+$	128.28	(4) ⁺
6740.46 5	72 8	(6826.20)	$2^+, 3^+$	85.54	3^+
6798.68 6	38 2	(6826.20)	$2^+, 3^+$	27.32	2^+
6826.00 9	21 2	(6826.20)	$2^+, 3^+$	0.0	1^+



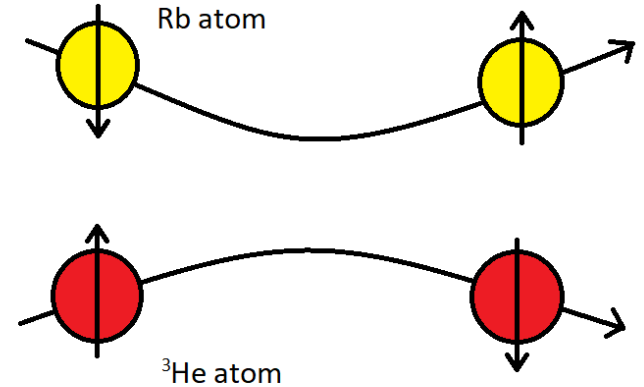
^3He Spin-Filter

- Polarized ^3He has a large spin dependent cross-section
- Effective for meV to eV neutron energies
- Polarize ^3He with Spin Exchange Optical Pumping

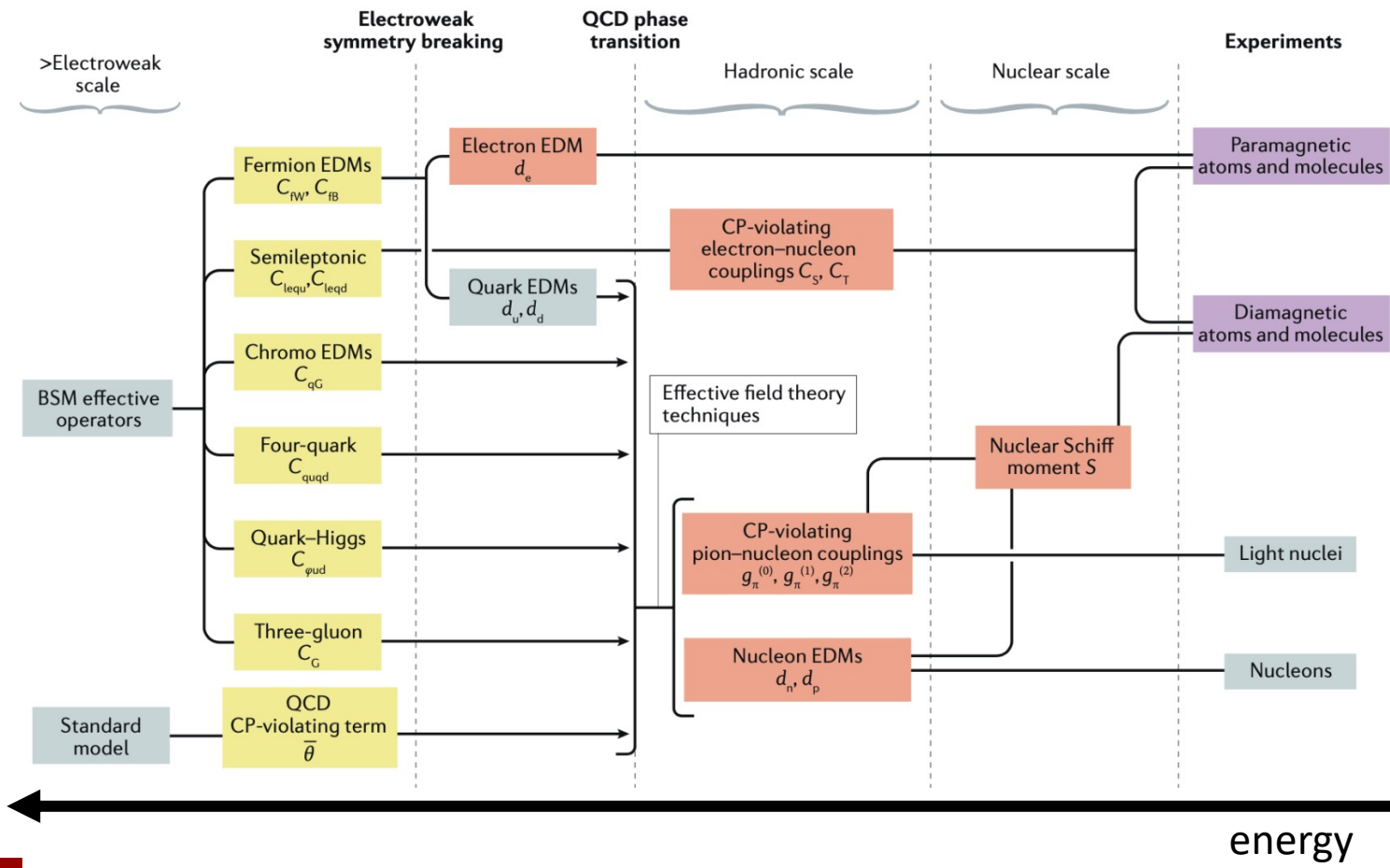


Spin Exchange Optical Pumping

- Use SEOP to polarize ^3He gas cell
- Optically pump Rb vapor with 795 nm laser
 - Uniform holding field \vec{B}_0
 - Photons with **circular polarization** transfer spin angular momentum to Rb electrons
- Rb electrons exchange spin with ^3He atoms upon collision



(T.R. Gentile et al. 2017)



$\kappa(J)$ Measurement & Analysis cont.

rotationally invariant and independent terms in (n, γ) differential cross section for unpolarized neutrons

$$\longrightarrow \frac{d\sigma_{n\gamma f}}{d\Omega_\gamma} = \frac{1}{2} \left(a_0 + a_1 \cos \theta_\gamma + a_3 \left(\cos^2 \theta_\gamma - \frac{1}{3} \right) \right)$$

a_1, a_3 can be decomposed into functions of x and y with $a_{0,1} \gg a_3$

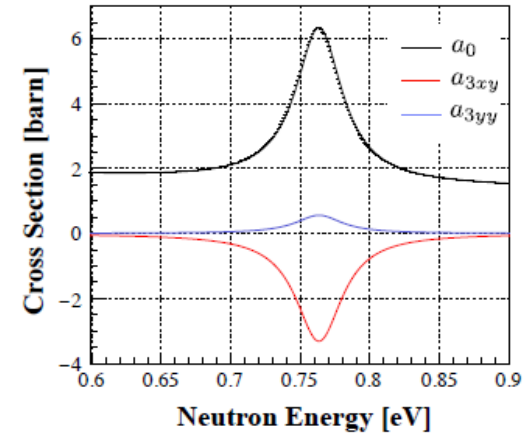
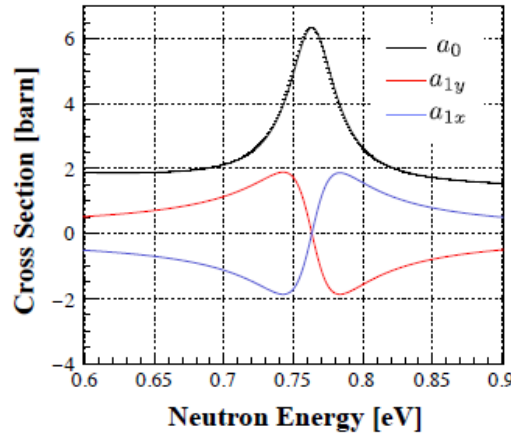
$$\longrightarrow \begin{aligned} a_1 &= a_{1x}x + a_{1y}y \\ a_3 &= a_{3xy}xy + a_{3yy}y^2 \end{aligned}$$

$$\begin{aligned} x &\equiv \sqrt{\frac{\Gamma_{p,j=1/2}^n}{\Gamma_p^n}} \\ y &\equiv \sqrt{\frac{\Gamma_{p,j=3/2}^n}{\Gamma_p^n}} \end{aligned}$$

$$a_1 = a_{1x}x + a_{1y}y$$

$$a_3 = a_{3xy}xy + a_{3yy}y^2$$

dispersive shape as a function of neutron energy near the p-wave resonance



define $(\bar{a}_{0,1,3})_{L,H}$ the weighted average for lower and higher sides of the resonance

$$(\bar{a}_{0,1,3})_L = \int_{E_p - 2\Gamma_p}^{E_p} dE' \int d^3 p_A a_{0,1,3}(E') \Phi(t^m, E', p_A)$$

$$(\bar{a}_{0,1,3})_H = \int_{E_p}^{E_p + 2\Gamma_p} dE' \int d^3 p_A a_{0,1,3}(E') \Phi(t^m, E', p_A)$$

$$(I_{\gamma,d})_{L,H} = \frac{I_0}{2} [(\bar{a}_0)_{L,H} \bar{P}_{d0} + (\bar{a}_1)_{L,H} \bar{P}_{d1}]$$

Lower and higher γ -ray count in d^{th} detector

$$\begin{aligned} (A_{LH})_d &= \frac{(I_{\gamma,d})_L - (I_{\gamma,d})_H}{(I_{\gamma,d})_L + (I_{\gamma,d})_H} \\ &= \frac{[(\bar{a}_0)_L - (\bar{a}_0)_H] + [(\bar{a}_1)_L - (\bar{a}_1)_H] \frac{\bar{P}_{d1}}{\bar{P}_{d0}}}{[(\bar{a}_0)_L + (\bar{a}_0)_H] + [(\bar{a}_1)_L + (\bar{a}_1)_H] \frac{\bar{P}_{d1}}{\bar{P}_{d0}}} \\ &= \frac{[(\bar{a}_1)_L - (\bar{a}_1)_H]}{[(\bar{a}_0)_L + (\bar{a}_0)_H]} \cos \bar{\theta}_\gamma + \frac{[(\bar{a}_1)_L - (\bar{a}_1)_H]}{[(\bar{a}_1)_L + (\bar{a}_1)_H]} \end{aligned}$$

$$P_n(\cos \bar{\theta}_\gamma) = \bar{P}_{dn} / \bar{P}_{d0}$$

ignoring a_3 , lower higher asymmetry for the d^{th} detector can be written as

$$\longrightarrow (A_{LH})_d = \frac{[(\bar{a}_1)_L - (\bar{a}_1)_H]}{[(\bar{a}_0)_L + (\bar{a}_0)_H]} \cos \bar{\theta}_\gamma + \frac{[(\bar{a}_1)_L - (\bar{a}_1)_H]}{[(\bar{a}_1)_L + (\bar{a}_1)_H]}$$

comparing to measured A_{LH}

$$\longrightarrow A_{LH}(\theta_\gamma) = \underline{A} \cos \theta_\gamma + B$$

from A_{LH} vs. $\cos(\theta_\gamma)$ fit

$$A = \frac{[(\bar{a}_1)_L - (\bar{a}_1)_H]}{[(\bar{a}_0)_L + (\bar{a}_0)_H]} = Cx + Dy$$

$(\bar{a}_1)_{L,H}$ are linear combinations of x and y

from resonance parameters

Can solve for x and y (or ϕ) giving two solutions!