



Search for new physics at Super Tau-Charm Facility

Yu Zhang (University of South China)

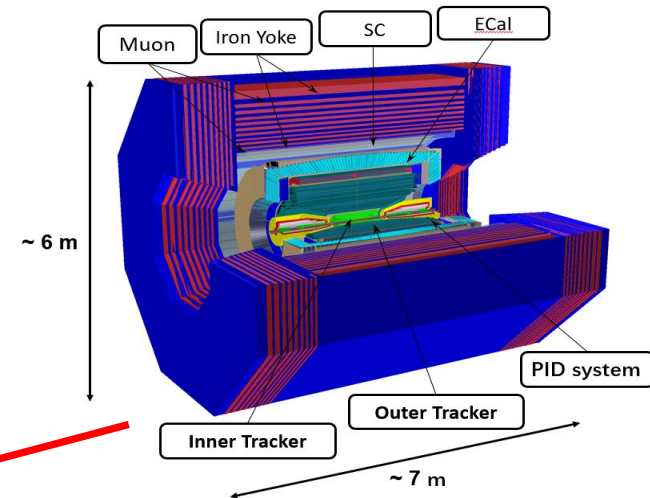
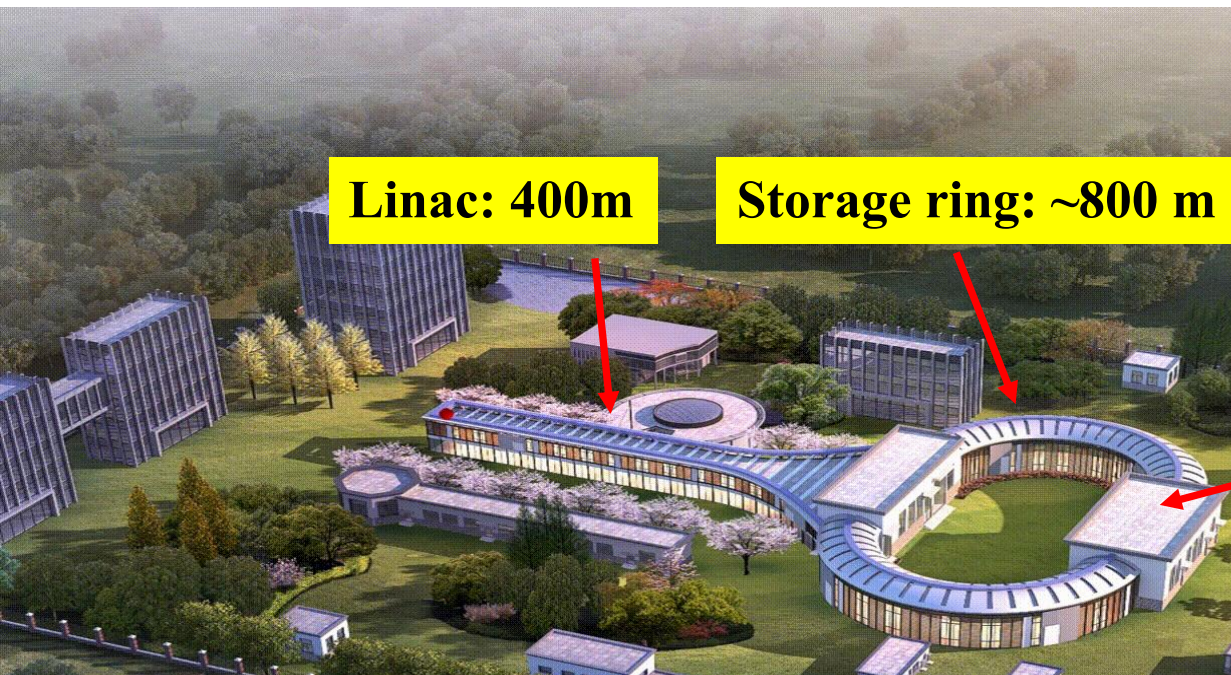
for the STCF working group

NPG Workshop 13/10/2023

Outline

- Introduction
 - Experiment facility
 - Expected data samples
 - Opportunities of (new) physics studies
- Tau LFV studies
- Rare and forbidden decays
- CP violation studies
- Summary and prospects

Super Tau-Charm Facility in China



- Peak luminosity $>0.5 \times 10^{35} \text{ cm}^{-2}\text{s}^{-1}$ at 4 GeV
 - Energy range $E_{\text{cm}} = 2\text{-}7 \text{ GeV}$
 - **Potential** to increase luminosity & realize beam polarization
 - R&D project (0.42B RMB), total cost: 4.5B RMB
-
- 1 ab^{-1} data expected per year
 - **Rich** of physics program, **unique** for physics with **c** quark and τ leptons,
 - Important playground for study of **QCD**, **exotic hadrons**, **flavor physics** and search for **new physics**.

STCF Detector

❑ Inner Tracker (ITK)

- $\sim 0.15\% X_0$ / layer
- $\sigma_{xy} \sim 50 \mu\text{m}$

❑ Out Tracker (MDC)

- $\sigma_{xy} \sim 130 \mu\text{m}$, $\sigma_p/p \sim 0.5\% @ 1 \text{ GeV}/c$
- $dE/dx \sim 6\%$

❑ PID system (RICH)

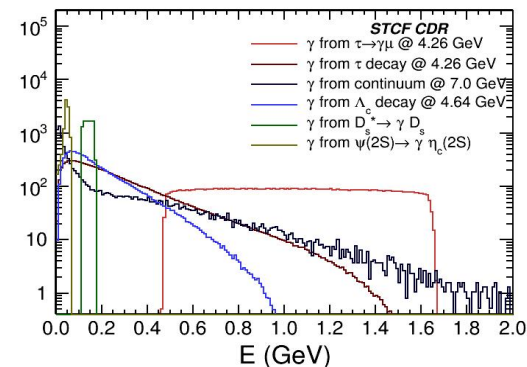
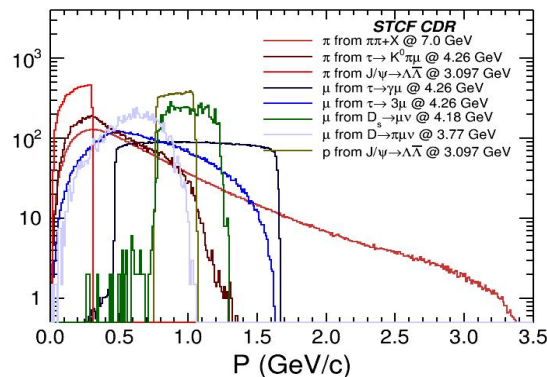
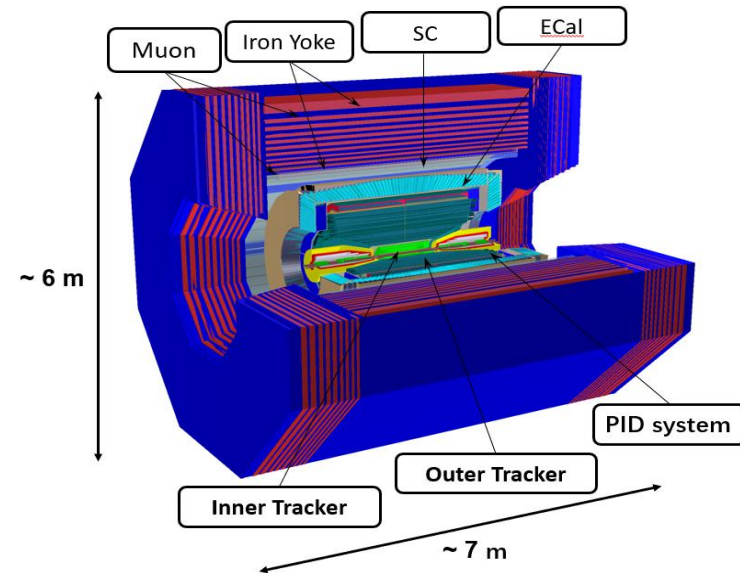
- π/K (K/P) $3\text{-}4\sigma$ separation up to $2 \text{ GeV}/c$

❑ ECal

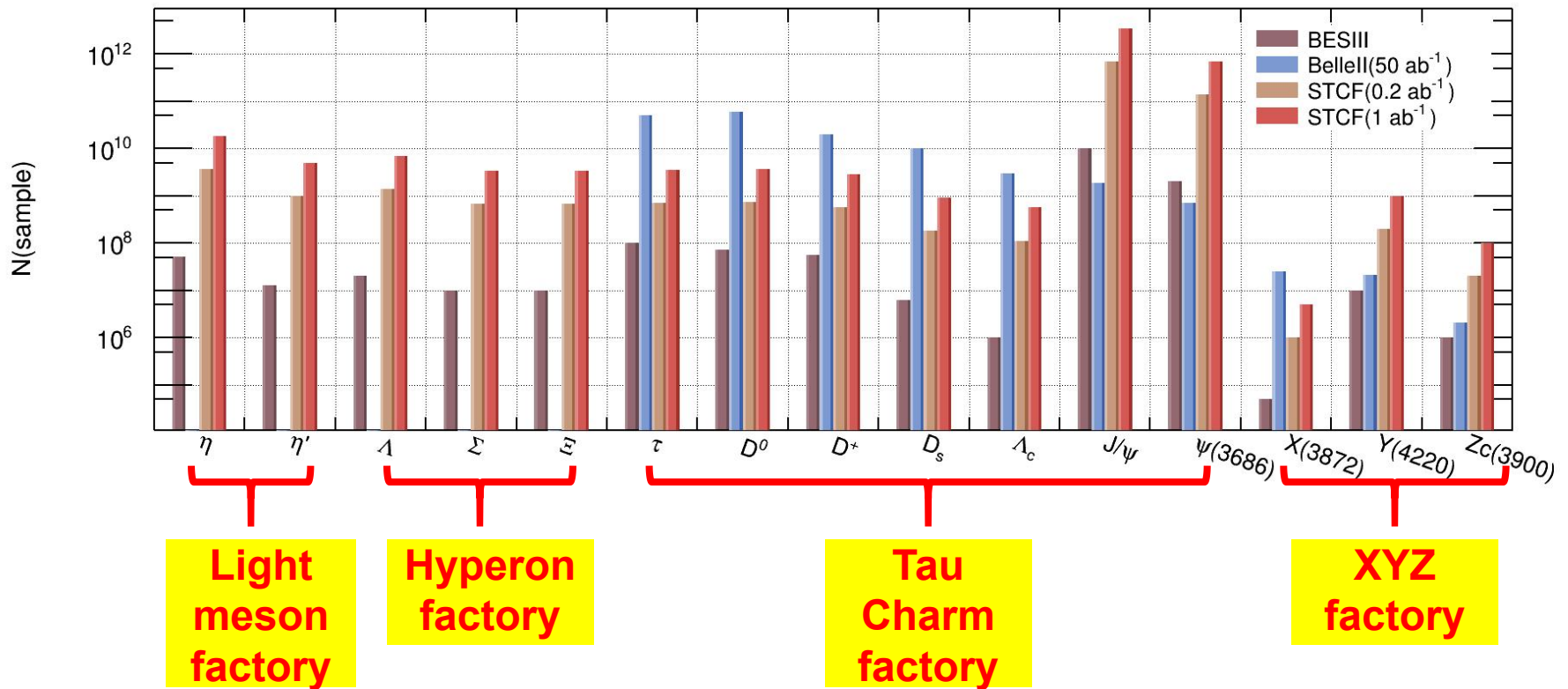
- Range: $0.02 - 3 \text{ GeV}$
- Resolution (1 GeV): 2.5% (barrel) and 4% (endcap)

❑ Muon system

- Pion suppression power: >10 and as low as $0.4 \text{ GeV}/c$



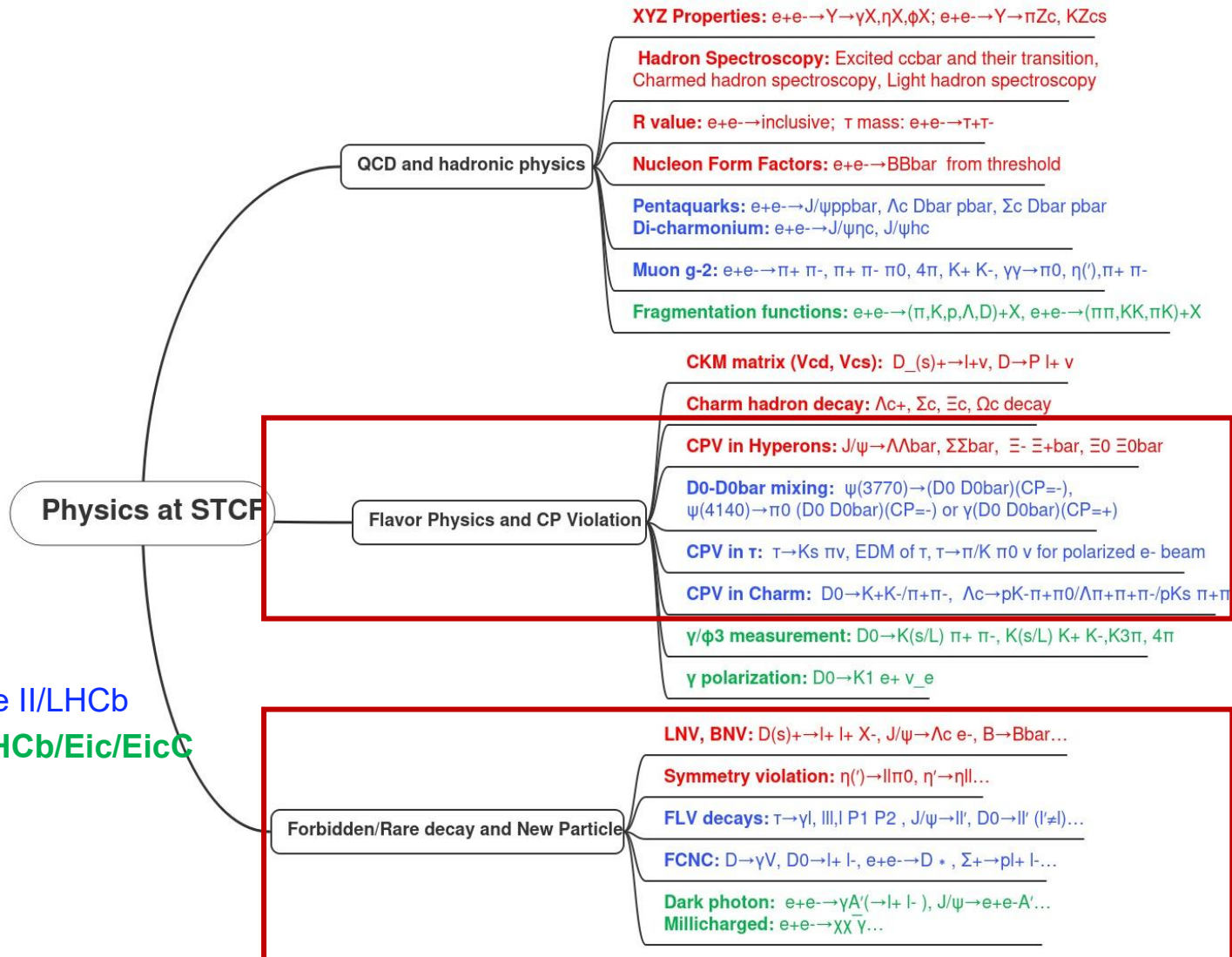
Expected data samples at STCF



- STCF is expected to have higher **detection efficiency** and **low background** with productions near **threshold**
- STCF is designed to have excellent resolution, kinematic constraining
- Opportunities at **5-7 GeV** which is experimentally blank before

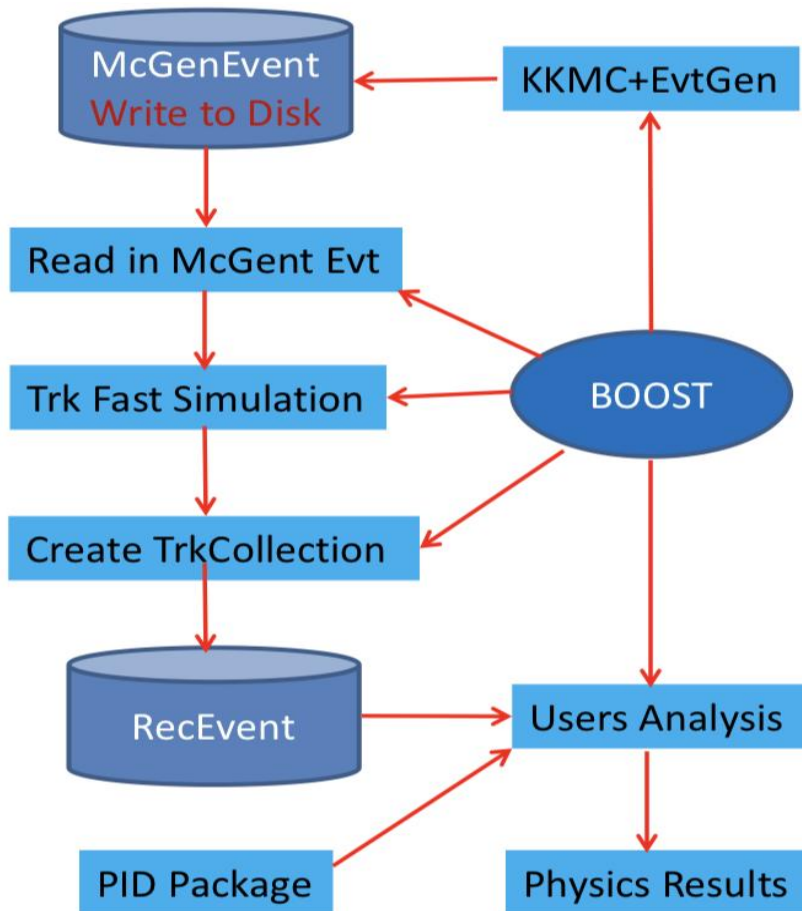
Physics programs of STCF

STCF CDR: Volume 1 -- Physics & Detector [arXiv:2303.15790](https://arxiv.org/abs/2303.15790)



- **Leading role**
- In Competition with Belle II/LHCb
- **Synergy with BelleII/LHCb/EicC**

Fast simulation tools



Studying the physics **sensitivity**, guiding the **optimization of Detector design**

- ❑ Based on **BESIII BOOST** framework, same as BESIII analysis procedures
- ❑ Implementing all the expected **performance** for the STCF detector.
- ❑ The input performances are **flexible and adjustable** for detector optimization
- ❑ Acceptable **CPU and storage** consumption

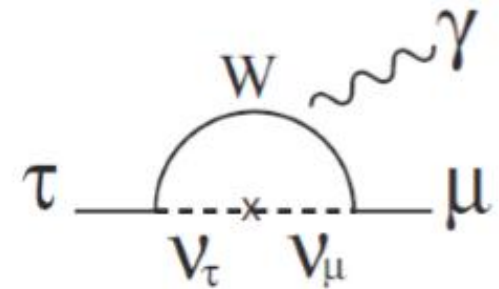
Friendly to BESIII users

Lepton Flavor Conservation

- **In quark sector**: flavor mixing is well established
- **Neutrino mixing**: $\Rightarrow$ lepton flavor symmetry is violated (a sign of LFV beyond the SM!)

How about charged lepton sector??

- The charged LFV processes can occur through **oscillations in loops**
- **Immeasurable** small rates (10^{-54} - 10^{-49}) for all the LFV μ and τ decays



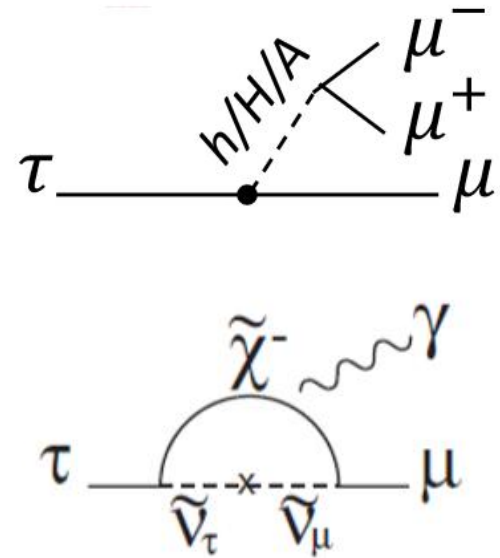
$$\mathcal{B}(l_1 \rightarrow l_2 \gamma) \propto \alpha \left(\frac{\Delta m^2}{m_W^2} \right)^2$$

Any observation of LFV in charged lepton
will be a signature of NP !

LFV: a gateway to BSM

- Many extensions of SM naturally introduces cLFV at order $\sim \mathbf{10^{-7} - 10^{-10}}$ (an crucial place to test BSM)

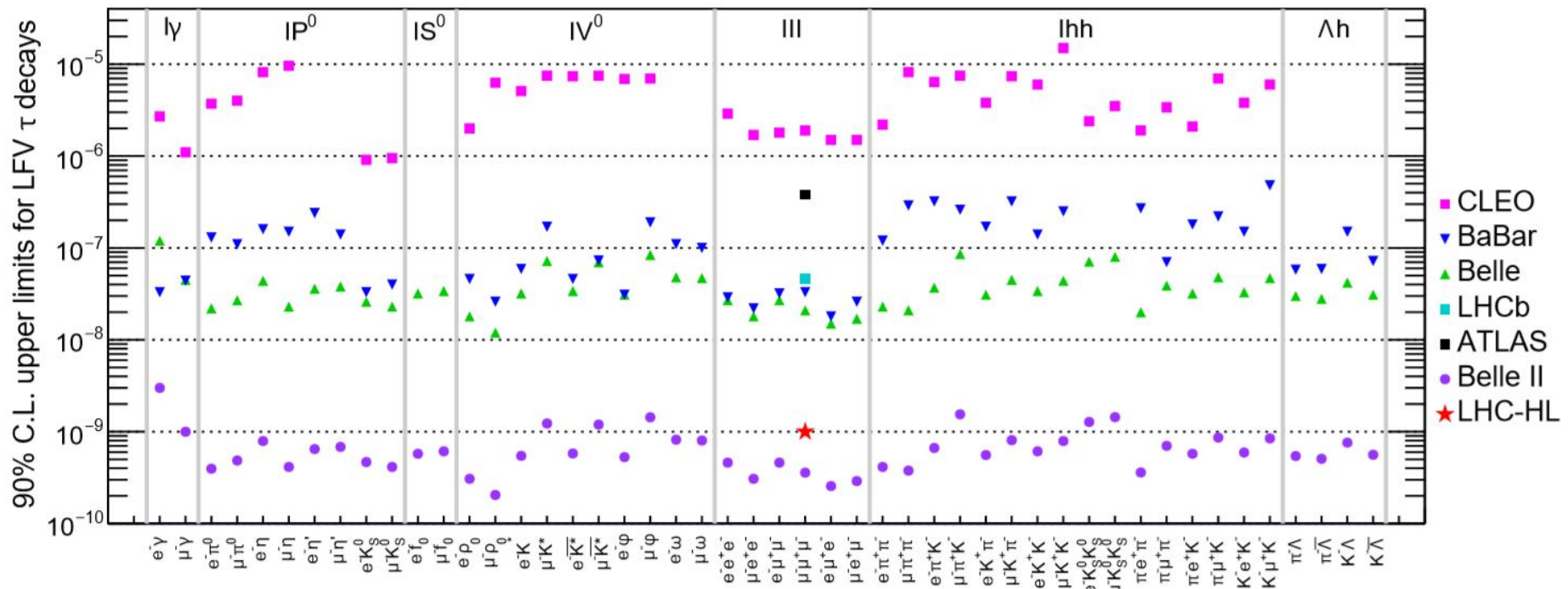
Model	Ref.	$\tau \rightarrow \mu \gamma$	$\tau \rightarrow \mu \mu \mu$
SM + heavy majorana	PRD 66.034008	10^{-9}	10^{-10}
Non-universal Z'	PLB 547(3)252	10^{-9}	10^{-8}
SUSY + seesaw	PRL 89:241802	10^{-10}	10^{-7}
SM + 4 th generation	arXiv.1006.5306	10^{-8}	10^{-8}



- Different cLFV experiments are necessary (as a part of ‘global’ programme): $l_i \rightarrow l_j \gamma$, $l_i \rightarrow l_j l_k l_k$, $\tau \rightarrow l h \dots$

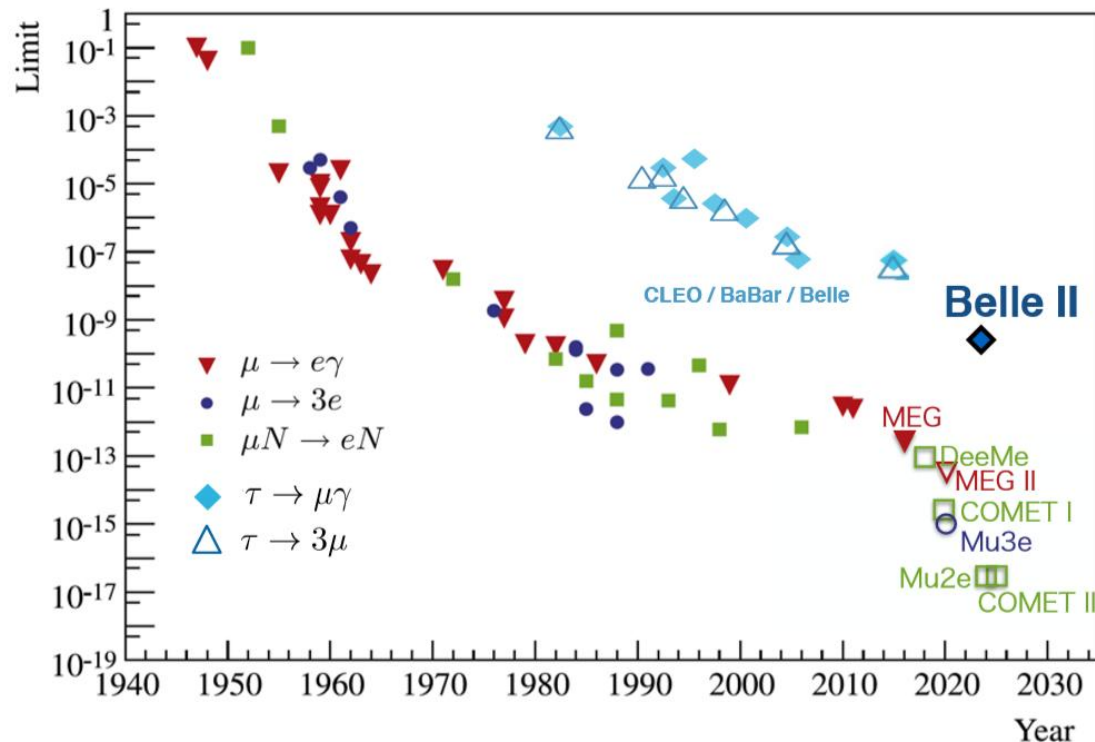
τ LFV searches

- τ —the heaviest charged lepton:
 - Various decay modes for LFV search, include decay to hadron
 - Strength of interaction relate to new physics is naively expected to be mass-dependent
 - $\tau \rightarrow l\gamma$ and $\tau \rightarrow lll$ are golden mode, which are expected to have largest branching fraction



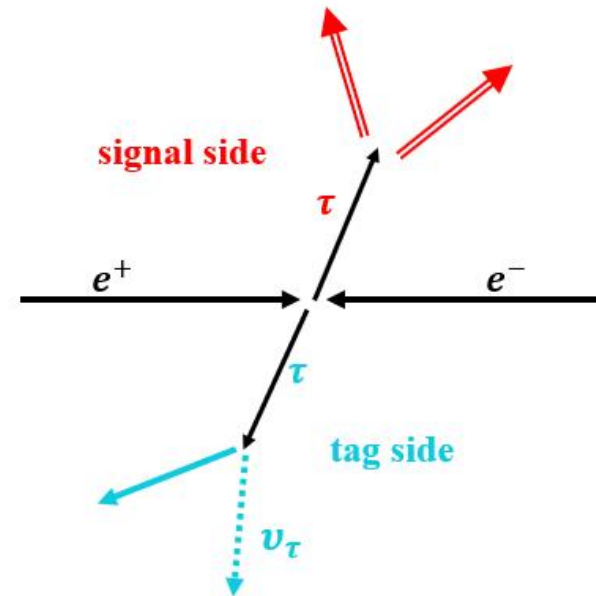
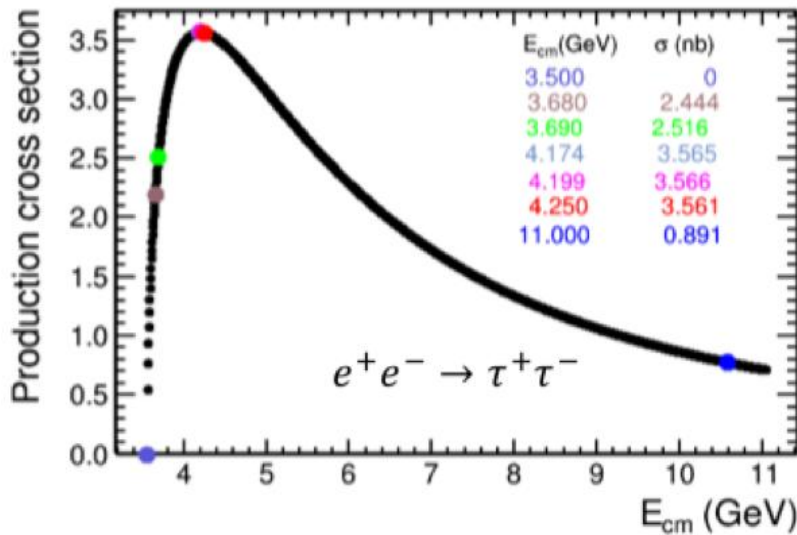
Evolution of limits

- Very **rich experimental programme** with substantial improvements expected in near future.
- Remarkable progress expected on Muon **LFV searches**.
- **B factories** expected to be the most powerful for **tau LFV**.



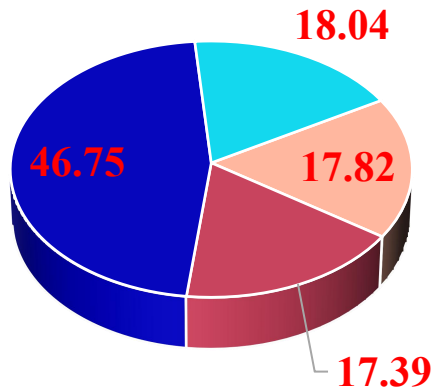
How about LFV at Super tau-charm factory?

τ lepton studies at STCF



3.5×10^9 τ lepton pairs /ab at 4.26 GeV

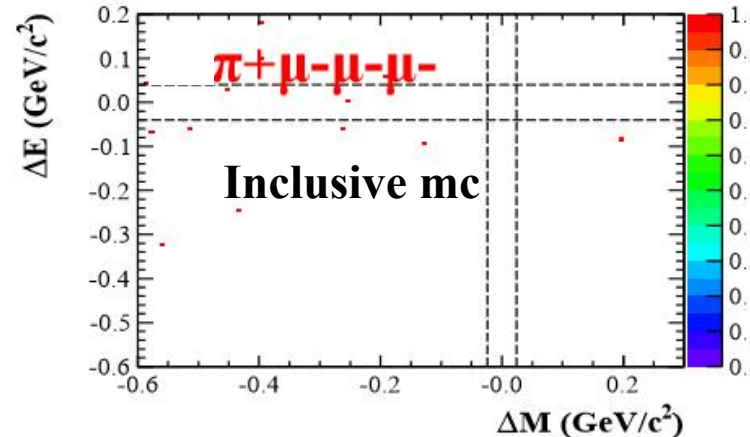
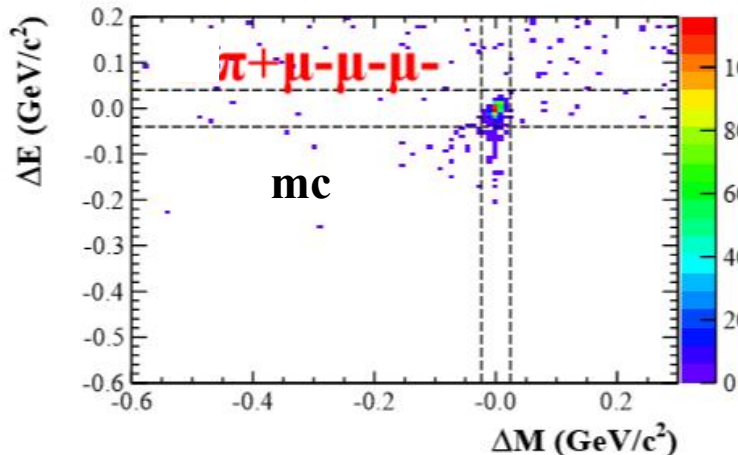
■ electronic ■ muonic ■ pionic 1-prong ■ others



- Double tag method
- Signal side: full reconstruction
- Tag side: decays with neutrino(s)
 $\tau \rightarrow e\nu\bar{\nu}, \mu\nu\bar{\nu}, \pi\nu + n\pi^0$ (total branching fraction $\approx 82\%$)

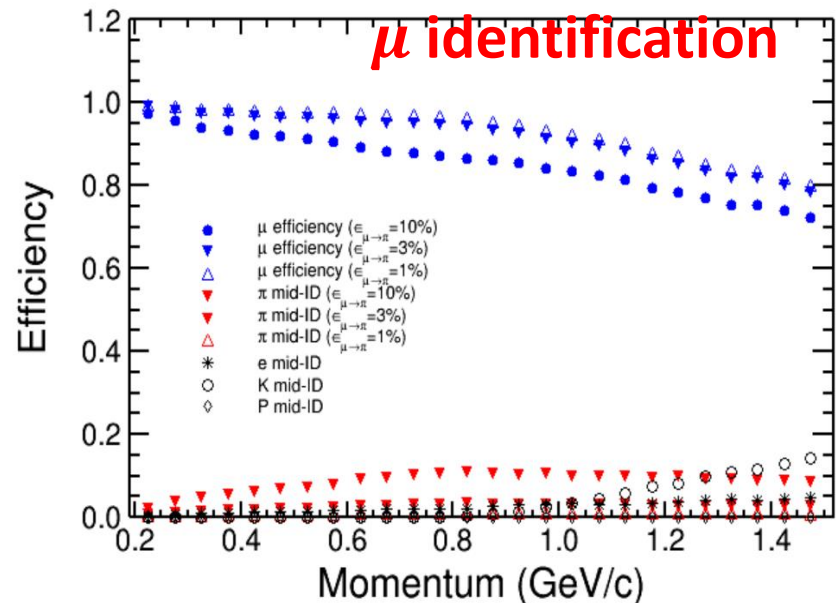
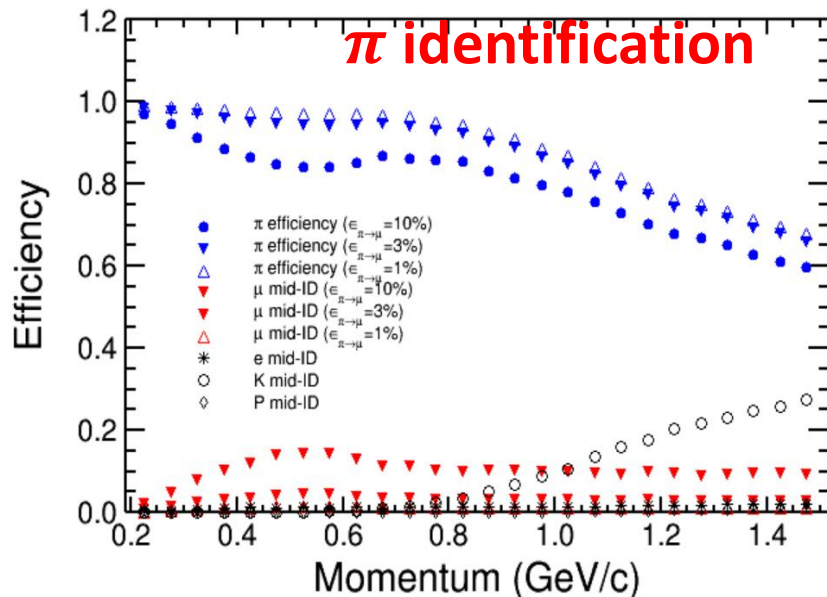
$\tau \rightarrow 3l$ decays

Signal side	Tag side
6 decays $\mu^+\mu^-\mu^-$, $e^+e^-e^-$, $e^+e^-\mu^-$, $\mu^+\mu^-e^-$, $\mu^+e^-e^-$, $e^+\mu^-\mu^-$	1-prong ($\pi/e/\mu$ +neutrals+neutrinos) (82% of total BF)
γ -conversion background $\langle e^+e^- \rangle > 5$ degrees, $M_{ee} > 0.5 \text{ GeV}/c^2$	Hadronic mode $M_{\text{miss}}^2 < 0.2 \text{ GeV}^2/c^4$
Multiple candidates smallest $\chi_{\tau \text{ mass}}^2 + \chi_{\Delta E}^2$	Hadronic mode $M_{\text{miss}}^2 < 2 \text{ GeV}^2/c^4$
Signal Extraction Beam energy and mass difference	Total momentum of the 1-prong side larger than $0.4 \text{ GeV}/c$
Angle between the 1 prong and 3 prong decay less than 175 degrees	



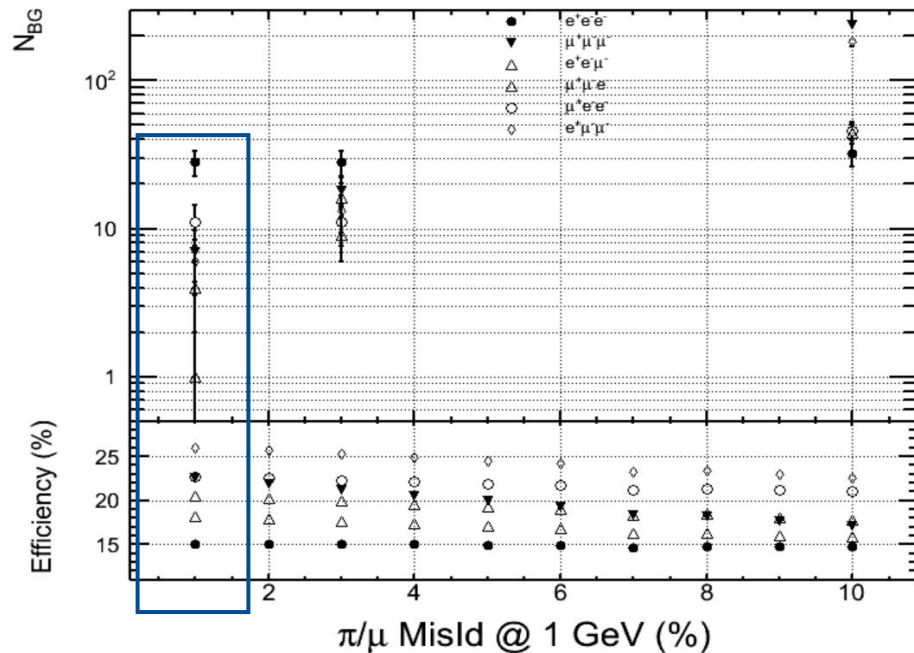
$\tau \rightarrow 3l$ decays

- The **PID efficiency** in fast simulation is obtained from BESIII, using **dE/dx and TOF** information. (The mis-ID rate of π/μ can be as large as 30%).
- By **scaling the π/μ mis-ID rate to 10%, 3%, 1%** at 1GeV, different π/μ PID efficiencies are used.
- Following are the distributions of π/μ PID efficiencies and their mis-ID rates (the mis-ID rates to e, K, P are not changed in this analysis).



$\tau \rightarrow 3l$ decays

- The number of survived events N_{BG} using 1 ab^{-1} simulated sample @ 4.26 GeV are obtained for the six decay modes of $\tau \rightarrow 3l$, with scaling π/μ mis-ID rate to 10%, 3%, 1%.
- The MC selection efficiency are also obtained by varying π/μ mis-ID rate from 10% to 1%.



- At STCF, 3.5×10^9 tau pairs @ 4.26 GeV per year. If π/μ mis-ID rate is 1% at 1 GeV, the upper limit is predicted to be:

$$\mathcal{B}_{UL}^{90}(\tau \rightarrow 3l) < \frac{N_{UL}^{90}}{2\epsilon N_{\tau\tau}} \sim 1.4 \times 10^{-8}$$

- If taken 10 years data, the best upper limit for $\tau \rightarrow 3l$ will reach 10^{-9} level
- $\tau \rightarrow \mu\mu\mu$ is the most sensitive decay

$\tau \rightarrow \gamma\mu$ decay

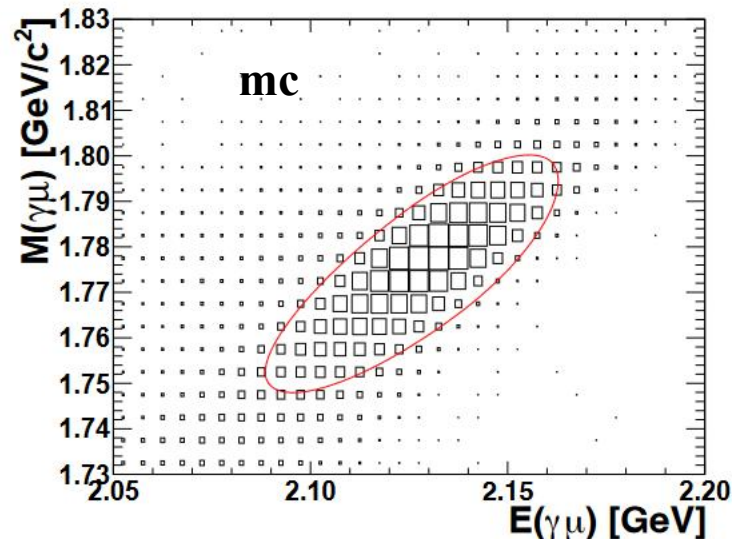
tag mode	selection criteria	$N_{\text{bkg}} (\epsilon)$ before	$N_{\text{bkg}} (\epsilon)$ after
$e^+ \nu_e \bar{\nu}_\tau$	$\cos \theta_{\text{sig}_\gamma, \text{tag_charged}} < -0.2$ $p_{\text{tag_charged}} > 0.5 \text{ GeV}/c$ $E_{\text{miss}} < 1.7 \text{ GeV}$	1.5×10^2 (2.6 %)	0 (1.1 %)
$\pi^+ \bar{\nu}_\tau$	$E_{\text{miss}} > 0.7 \text{ GeV}$ $ \cos \theta_{\text{miss}} < 0.6$ $E_{\text{sig}_\gamma} > 0.8 \text{ GeV}$ $M_{\text{miss}}^2 < 0.050 \text{ GeV}^2/c^4$	1.4×10^4 (4.0 %)	0.3 (0.5 %)
$\pi^+ \pi^0 \bar{\nu}_\tau$	$M_{\text{miss}}^2 < 0.075 \text{ GeV}^2/c^4$ $\cos \theta_{\text{sig}_\mu \text{ in } \tau, \tau \text{ in cm}} < 0.8$ $ \cos \theta_{\text{miss}} < 0.9$	1.2×10^3 (2.6 %)	1.2 (1.5 %)
total		1.6×10^4 (9.2 %)	1.5 (3.1 %)

Tag 54% of total tau decay BF

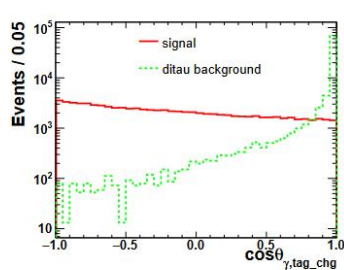
arXiv:2305.00483

Not using decays with muons to avoid huge di-muon background

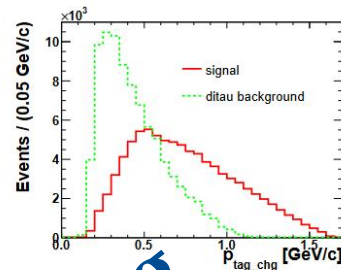
Not using decays with multiple π^0 s due to low efficiency and large combinatorial background



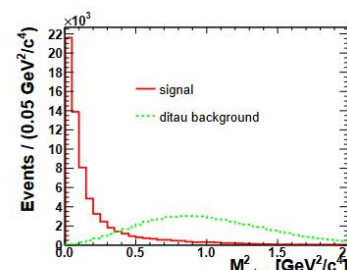
$\tau \rightarrow \gamma \mu$ decay



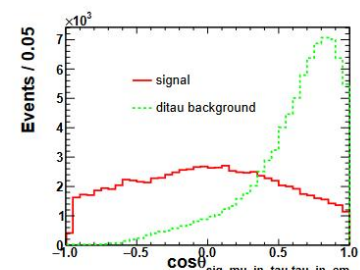
(a)



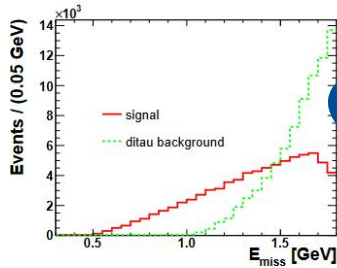
(b)



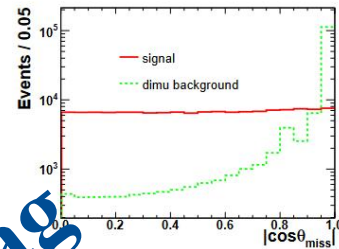
(a)



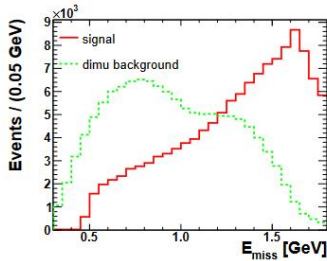
(b)



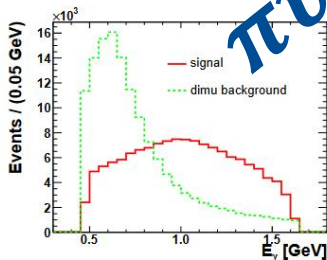
(a)



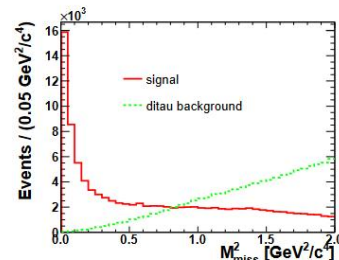
(b)



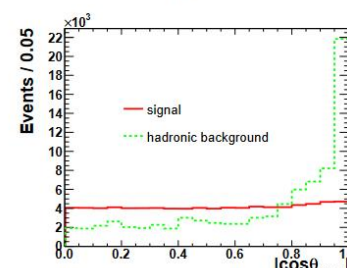
(a)



(a)



(b)



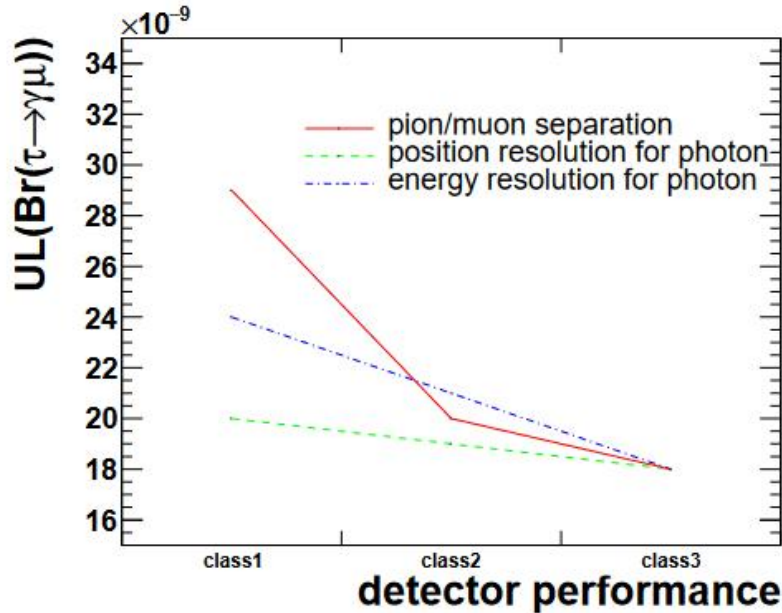
(c)

$\pi\pi^0\nu$ tag

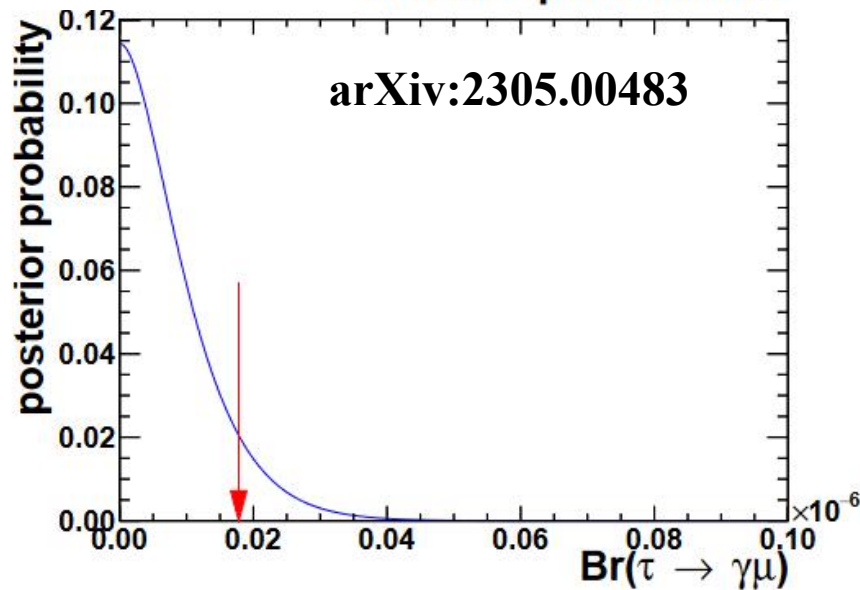
arXiv:2305.00483

- Optimized with the Punzi FOM
- Bkg suppressed to only a few, with $\sim 3\%$ signal efficiency
- $e\nu\bar{\nu}$ tag bkg: SM muonic decays and randomly chosen photon
- $\pi(\pi^0)\nu$ tag bkg: 1/2-prong with multiple π^0 s and μ/π misID

$\tau \rightarrow \gamma\mu$ decay



π/μ mis-ID rate: 3%, 1.7%, 1% at 1 GeV
 photon position resolution: 6mm, 4.2mm, 3mm
 photon energy resolution: 2.5%, 2.25%, 2%

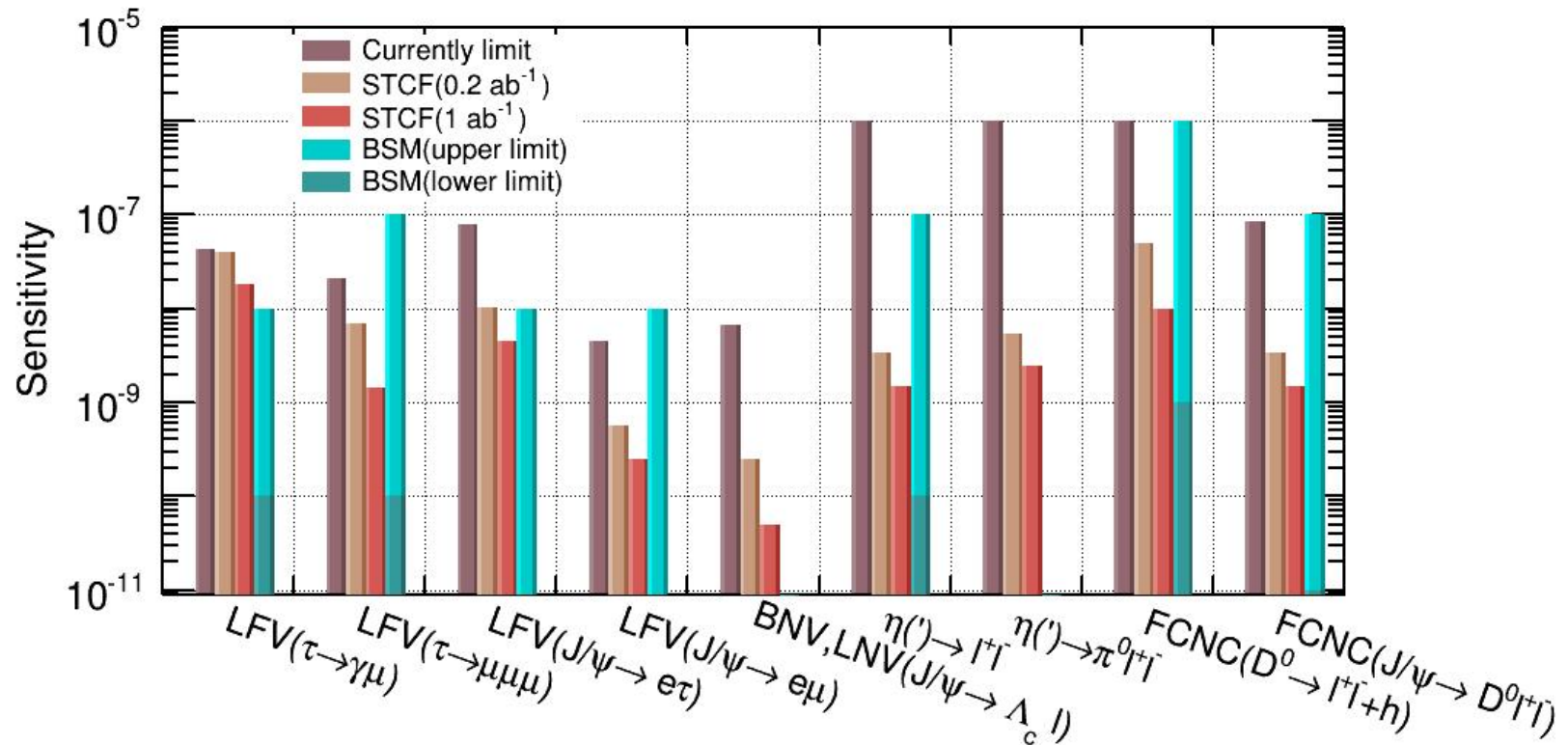


- 3.5×10^9 tau pairs @ 4.26 GeV per year
- π/μ mis-ID rate is 1% at 1 GeV
- 3 mm and 2% for photon position and energy resolutions
- The upper limit is predicted to be:

$$\mathcal{B}_{UL}^{90}(\tau \rightarrow \gamma\mu) < 1.8 \times 10^{-8}$$

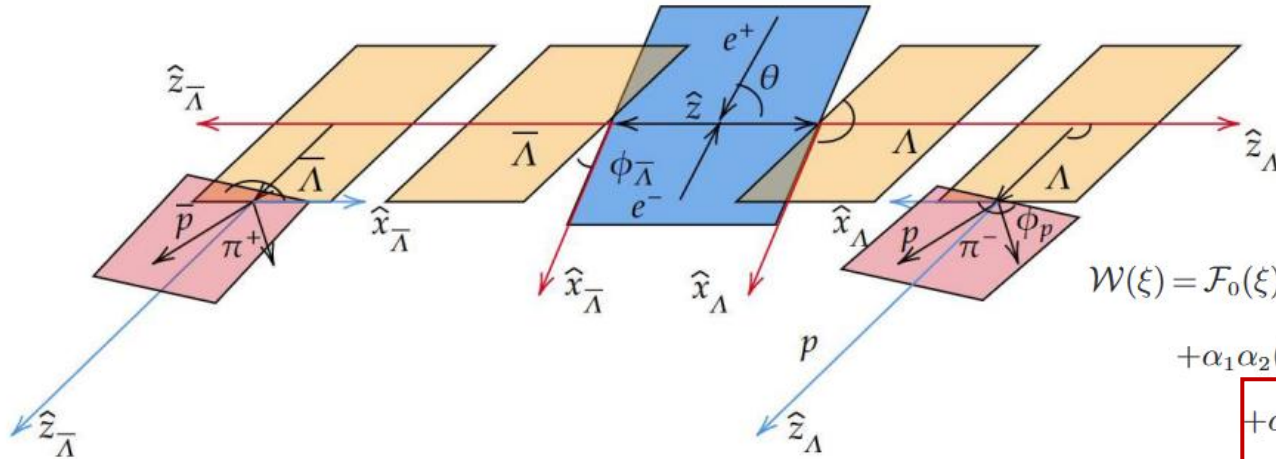
5.7×10^{-9} for ten-year data taking

Sensitivity of rare/forbidden decays



- Sensitivity of **rare/forbidden decays** from STCF measurements would be able to verify various **beyond SM model predictions**.

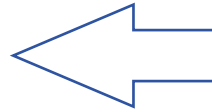
CPV in Λ decay with polarized electron beam



$$\begin{aligned} \mathcal{W}(\xi) = & \mathcal{F}_0(\xi) + \sqrt{1 - \alpha_\psi^2} \sin(\Delta\Phi) (\alpha_2 \cdot \mathcal{F}_3 - \alpha_1 \cdot \mathcal{F}_4) \\ & + \alpha_1 \alpha_2 (\mathcal{F}_1 + \sqrt{1 - \alpha_\psi^2} \cos(\Delta\Phi) \cdot \mathcal{F}_2 + \alpha_\psi \cdot \mathcal{F}_5) \\ & + \alpha_1 \cdot \mathcal{F}_6 + \alpha_2 \cdot \mathcal{F}_7 - \alpha_1 \alpha_2 \cdot \mathcal{F}_8, \end{aligned}$$

$\alpha_{1,2}$: decay parameters of $\Lambda/\bar{\Lambda}$ decays

$$A_{CP} = \frac{\alpha_1 + \alpha_2}{\alpha_1 - \alpha_2} \stackrel{?}{=} 0$$



$$-\ln \mathcal{L} = - \sum_{i=1}^N \ln C \mathcal{W}(\xi^i, \alpha_\psi, \alpha_1, \alpha_2, \Delta\Phi) \epsilon(\xi^i).$$

$$\begin{aligned} \mathcal{F}_0(\xi) &= 1 + \alpha_\psi \cos^2 \theta, \\ \mathcal{F}_1(\xi) &= \sin^2 \theta \sin \theta_1 \cos \varphi_1 \sin \theta_2 \cos \varphi_2 - \cos \theta^2 \cos \theta_1 \cos \theta_2, \\ \mathcal{F}_2(\xi) &= \sin \theta \cos \theta (\sin \theta_1 \cos \theta_2 \cos \varphi_1 - \cos \theta_1 \sin \theta_2 \cos \varphi_2), \\ \mathcal{F}_3(\xi) &= \sin \theta \cos \theta \sin \theta_2 \sin \varphi_2, \\ \mathcal{F}_4(\xi) &= \sin \theta \cos \theta \sin \theta_1 \sin \varphi_1, \\ \mathcal{F}_5(\xi) &= \sin^2 \theta \sin \theta_1 \sin \varphi_1 \sin \theta_2 \sin \varphi_2 - \cos \theta_1 \cos \theta_2, \\ \mathcal{F}_6(\xi) &= P_e (\gamma_\varphi \sin \theta \sin \theta_1 \cos \varphi_1 - (1 + \alpha_\psi) \cos \theta \cos \theta_1), \\ \mathcal{F}_7(\xi) &= P_e (\gamma_\varphi \sin \theta \sin \theta_2 \cos \varphi_2 + (1 + \alpha_\psi) \cos \theta \cos \theta_2), \\ \mathcal{F}_8(\xi) &= P_e \beta_\varphi \sin \theta (\cos \theta_1 \sin \theta_2 \sin \varphi_2 + \sin \theta_1 \sin \varphi_1 \cos \theta_2). \end{aligned}$$

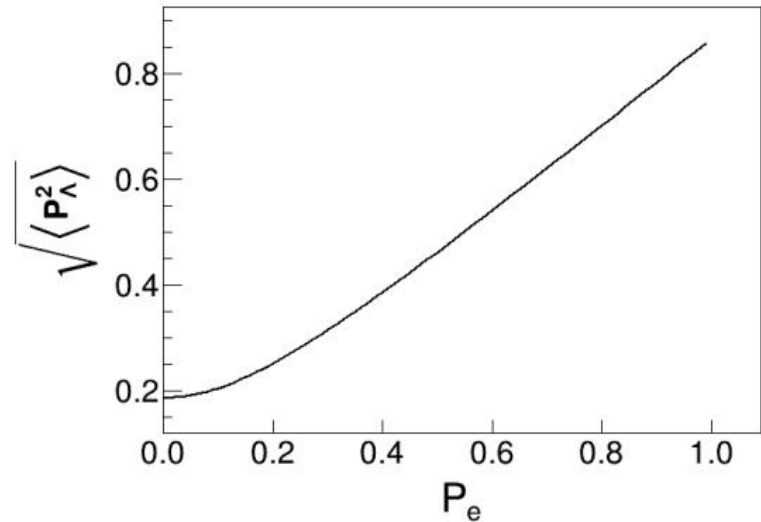
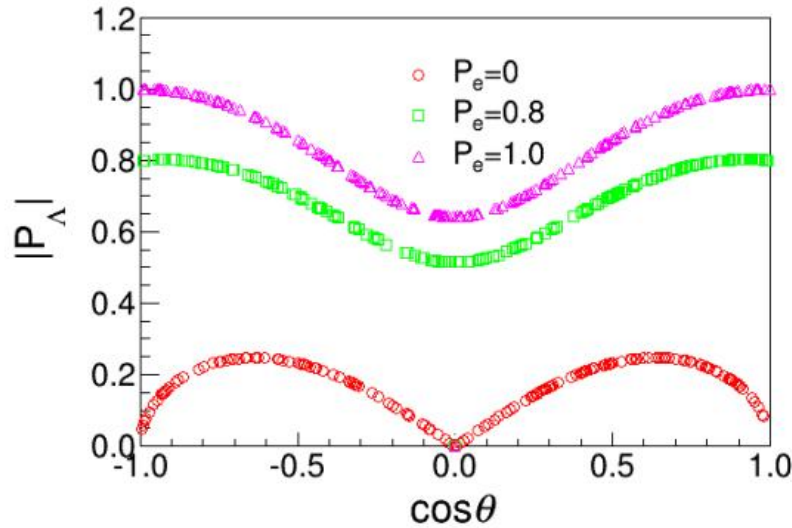
**Electron beam polarization
provide additional observables**

BESIII: $-0.0025 \pm 0.0046 \pm 0.0012$

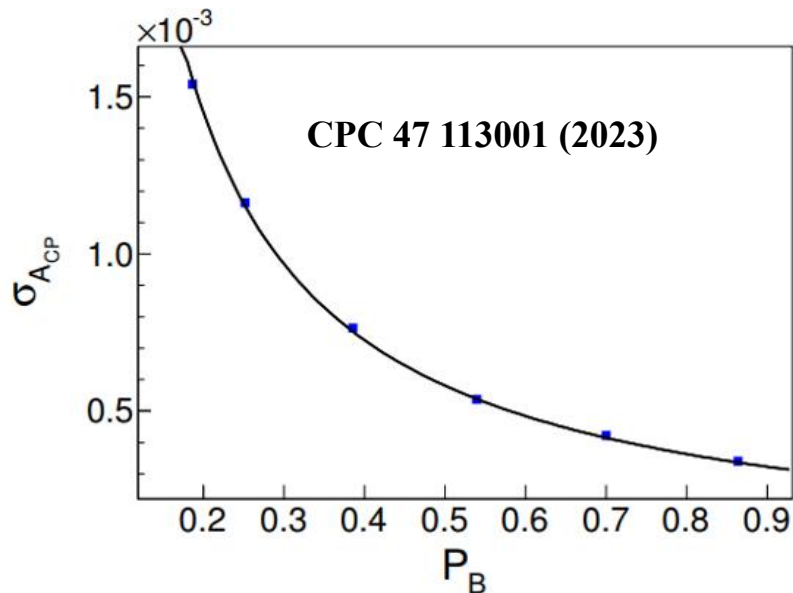
SM: 10^{-5}

STCF: ?

CPV in Λ decay with polarized electron beam



$$P_\Lambda = \frac{\gamma_\psi P_e \sin\theta \hat{x}_1 - \beta_\psi \sin\theta \cos\theta \hat{y}_1 - (1 + \alpha_\psi) P_e \cos\theta \hat{z}_1}{1 + \alpha_\psi \cos^2\theta}.$$



The sensitivity of CPV follows :

$$\sigma_{ACP} \approx \sqrt{\frac{3}{2}} \frac{1}{\alpha_1 \sqrt{N_{sig}} \sqrt{\langle P_B^2 \rangle}}.$$

$$\xrightarrow{1 \times 10^9 \Lambda \bar{\Lambda}, \langle P_B^2 \rangle = 0.1} \sigma_{ACP} \sim 1.4 \times 10^{-4}$$

$$\xrightarrow{1 \times 10^9 \Lambda \bar{\Lambda}, \langle P_B^2 \rangle = 0.8} \sigma_{ACP} \sim \mathbf{0.5 \times 10^{-5}}$$

Probe CP violation at tau-charm factory

Billions hyperon pairs from J/ψ decay,
clean topology, background free
Transversely **polarized, spin correlation**
Sensitivity: **$A_{CP} \sim 10^{-4}$, $\xi \sim 0.05^\circ$**

**CP in hyperon
decay**

Peak cross section in $\sqrt{s} = 4\text{-}5$ GeV,
 $\sigma_{\tau\tau} \approx 3.5$ nb, **10 ab^{-1}** data in total
Sensitivity of τ decay with 1 ab^{-1} @
4.26 GeV **$\sim 9.7 \times 10^{-4}$**

**CP in tau
decay/production**

**CP in charm
mixing**

Billions $D^0/\bar{D}^0$, **threshold production,**
quantum coherence with $(D^0\bar{D}^0)_{CP=-}$ or
 $(D^0\bar{D}^0)_{CP=+}$
Sensitivity: $x \sim 0.035\%$, $y \sim 0.023\%$,
 $r_{CP} \sim 0.017$, $\alpha_{CP} \sim 1.3^\circ$

**CPT in kaon
mixing**

CP tagging and flavor tagging of $K^0/\bar{K}^0$
available from J/ψ decay
CP variables determined with **time-**
dependent decay rate
CPT Sensitivity: **$\eta_{\pm} \sim 10^{-3}$, $\Delta\phi_{\pm} \sim 0.05^\circ$**

More sensitivity studies are ongoing

Summary

- **STCF** is the next generation tau-charm factory, one of the crucial **precision frontiers** aiming for understanding **QCD**, testing **EW models** and probing **new physics**.
- Many activities of sensitivity studies are going on.
- Physics reaches are still highly extendable, including probing new physics.

Tentative plan	2018	2019	2020	2021	2022	2023	2024	2025	2026	2027	2028	2029	2030	2031	2032-2042	2043-2046
Form collaboration																
Conception design CDR																
R&D (TDR)																
Construction																
Operation																
Upgrade																

Backups

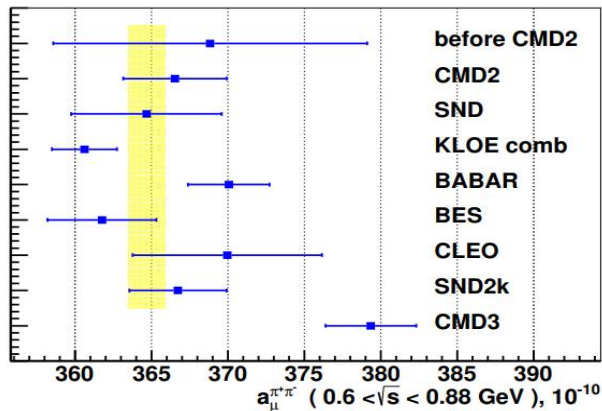
Muon g-2: HVP contribution

- SM prediction: $a_\mu^{SM} = a_\mu^{QED} + a_\mu^{Weak} + a_\mu^{Had}$
- The $\pi^+\pi^-$ channel accounts for 75% of the full a_μ^{Had}

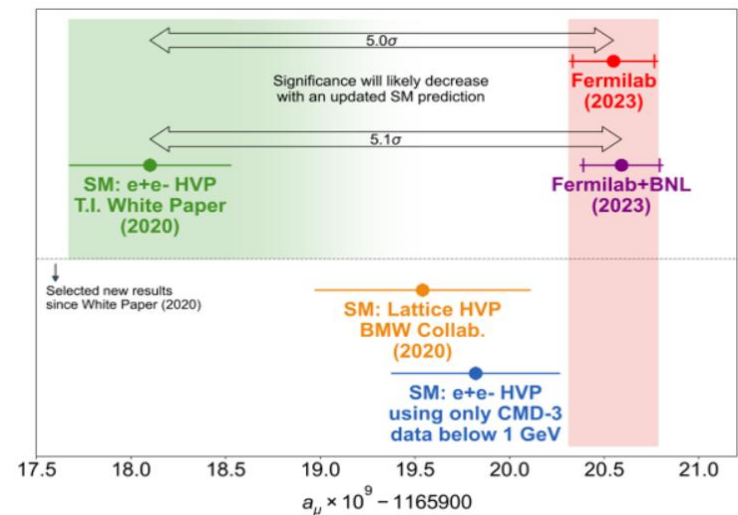
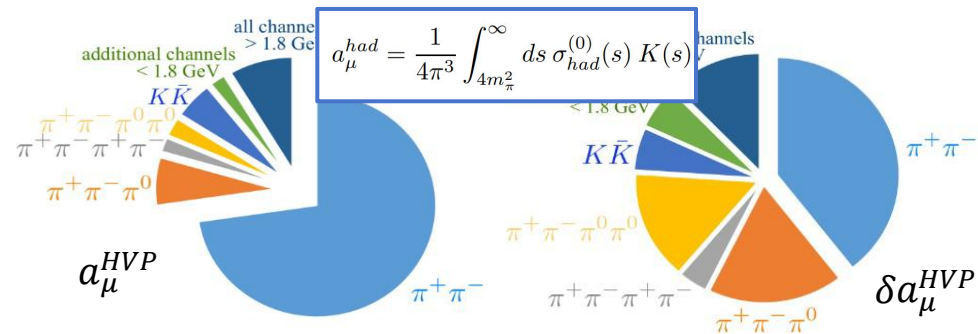
- Typical uncertainty around 0.6%-1.0%

$$\sigma_{\pi\pi(\gamma_{\text{FSR}})}^{\text{bare}} = \frac{N_{\pi\pi\gamma} \cdot (1 + \delta_{\text{FSR}}^{\pi\pi})}{\mathcal{L} \cdot \epsilon_{\text{global}}^{\pi\pi\gamma} \cdot H(s) \cdot \delta_{\text{vac}}}$$

arXiv:2302.08834



Discrepancies between experiments now over $(3-5)\sigma$ need to be understood/resolved!



Muon g-2: Lattice HVP

- Programs to be improved on α_{μ}^{Had} by 2025: refer to Aida X. El-Khadra
 - Data-driven HVP: $\sim 0.3\%$
 - Lattice HVP: $\sim 0.5\%$
 - Dispersive HLbL: $\sim 10\%$
 - Lattice HLbL: $\sim 10\%$
- At STCF, 1 ab $^{-1}$ $\psi(3770)$ data, by the ratio method
 - The statistical uncertainty would be negligible
 - Systematic uncertainties due to the luminosity, radiator function, and VP are canceled
 - The systematic uncertainty due to the track reconstruction and particle identification need to be carefully studies

$$\sigma_{\pi\pi(\gamma_{FSR})}^{bare} = \frac{N_{\pi\pi\gamma}}{N_{\mu\mu\gamma}} \cdot \frac{\epsilon_{global}^{\mu\mu\gamma}}{\epsilon_{global}^{\pi\pi\gamma}} \cdot \frac{1 + \delta_{FSR}^{\mu\mu}}{1 + \delta_{FSR}^{\pi\pi}} \cdot \sigma_{\mu\mu}^{bare}$$