



# (Selected) phenos of left-right symmetric models

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3rd Neutrino Theories and Phenos in JUNO

# Parity violation



Figure: C. N. Yang, T. D. Lee & C. S. Wu

Left  $\neq$  Right

# Parity restoration?

- Why (only) the weak interaction is left-handed?
- Parity conserved theory?
- GUT?
- Observable at LHC, future 100 TeV collider, or high-intensity experiments?
- very very rich pheno...

## Minimal left-right symmetric model:

Pati & Salam '74; Mohapatra & Pati '75; Senjanović & Mohapatra '75

$$SU(2)_L \times U(1)_Y \Rightarrow \textcolor{blue}{SU(2)_L \times SU(2)_R \times U(1)_{B-L}}$$

# Minimal Left-Right Symmetric Model (LRSM)

- RHNs are added automatically to the SM:

$$Q_L = \begin{pmatrix} u_L \\ d_L \end{pmatrix} \in \left(\mathbf{2}, \mathbf{1}, \frac{1}{3}\right) \xleftrightarrow{\mathcal{P}} Q_R = \begin{pmatrix} u_R \\ d_R \end{pmatrix} \in \left(\mathbf{1}, \mathbf{2}, \frac{1}{3}\right)$$
$$\Psi_L = \begin{pmatrix} \nu_L \\ e_L \end{pmatrix} \in (\mathbf{2}, \mathbf{1}, -1) \xleftrightarrow{\mathcal{P}} \Psi_R = \begin{pmatrix} N_R \\ e_R \end{pmatrix} \in (\mathbf{1}, \mathbf{2}, -1)$$

- Electric charge and the hypercharge

$$Q = I_{3L} + I_{3R} + \frac{1}{2} (B - L)$$

- Tiny neutrino masses via seesaw mechanism(s) & heavy RHNs  $N$

$$m_\nu \simeq -m_D M_N m_D^\top$$

- Heavy gauge bosons  $W_R$  and  $Z_R$  from the  $SU(2)_R \times U(1)_{B-L}$  sector.
- Heavy (and light) beyond SM scalars.

# Minimal scalar sector: canonical case

Pati & Salam '74; Mohapatra & Pati '75; Senjanović & Mohapatra '75

$$SU(2)_L \times SU(2)_R \times U(1)_{B-L}$$

$$\Downarrow \Delta_R (\mathbf{1}, \mathbf{3}, 2)$$

$$SU(2)_L \times U(1)_Y$$

$$\Downarrow \Phi (\mathbf{2}, \mathbf{2}, 0)$$

$$U(1)_{\text{EM}}$$

$$\Delta_R = \begin{pmatrix} \frac{1}{\sqrt{2}}\Delta_R^+ & \Delta_R^{++} \\ \Delta_R^0 & -\frac{1}{\sqrt{2}}\Delta_R^+ \end{pmatrix} \Rightarrow \begin{pmatrix} 0 & 0 \\ \langle \Delta_R^0 \rangle & 0 \end{pmatrix}$$

$$\Rightarrow H_3^0, H_2^{\pm\pm}$$

$$\Phi = \begin{pmatrix} \phi_1^0 & \phi_2^+ \\ \phi_1^- & \phi_2^0 \end{pmatrix} \Rightarrow \begin{pmatrix} \langle \phi_1^0 \rangle & 0 \\ 0 & \langle \phi_2^0 \rangle \end{pmatrix}$$

$$\Rightarrow h, H_1^0, A_1^0, H_1^\pm$$

# Parity- & $SU(2)_R$ -breaking

Chang, Mohapatra & Parida '84, Deshpande, Gunion, Kayser & Olness '91

- Decoupling parity- &  $SU(2)_R$ -breaking scales:  
⇒ left-handed  $\Delta_L$  decoupling from the TeV-scale physics.

$$SU(2)_L \times SU(2)_R \times U(1)_{B-L} \times \mathcal{P} \rightarrow SU(2)_L \times SU(2)_R \times U(1)_{B-L}$$

- $D$ -parity breaking in SO(10) leads to parity nonconservation at low energies in LRSM.
- All Higgs couplings are real:

$$D\text{-parity in SO}(10) = \text{parity in LRSM}$$

# Scalar potential

Most general potential of  $\Phi(\mathbf{2}, \mathbf{2}, 0)$  &  $\Delta_R(\mathbf{1}, \mathbf{3}, 2)$ :

$$\begin{aligned} \mathcal{V} = & -\mu_1^2 \text{Tr}(\Phi^\dagger \Phi) - \mu_2^2 [\text{Tr}(\tilde{\Phi} \Phi^\dagger) + \text{Tr}(\tilde{\Phi}^\dagger \Phi)] - \mu_3^2 \text{Tr}(\Delta_R \Delta_R^\dagger) \\ & + \lambda_1 [\text{Tr}(\Phi^\dagger \Phi)]^2 + \lambda_2 \left\{ [\text{Tr}(\tilde{\Phi} \Phi^\dagger)]^2 + [\text{Tr}(\tilde{\Phi}^\dagger \Phi)]^2 \right\} \\ & + \lambda_3 \text{Tr}(\tilde{\Phi} \Phi^\dagger) \text{Tr}(\tilde{\Phi}^\dagger \Phi) + \lambda_4 \text{Tr}(\Phi^\dagger \Phi) [\text{Tr}(\tilde{\Phi} \Phi^\dagger) + \text{Tr}(\tilde{\Phi}^\dagger \Phi)] \\ & + \rho_1 [\text{Tr}(\Delta_R \Delta_R^\dagger)]^2 + \rho_2 \text{Tr}(\Delta_R \Delta_R) \text{Tr}(\Delta_R^\dagger \Delta_R^\dagger) \\ & + \alpha_1 \text{Tr}(\Phi^\dagger \Phi) \text{Tr}(\Delta_R \Delta_R^\dagger) + [\alpha_2 e^{i\delta_2} \text{Tr}(\tilde{\Phi}^\dagger \Phi) \text{Tr}(\Delta_R \Delta_R^\dagger) + \text{H.c.}] + \alpha_3 \text{Tr}(\Phi^\dagger \Phi \Delta_R \Delta_R^\dagger). \end{aligned}$$

(3 mass parameters) + (9 real quartic couplings) + (CP phase  $\delta_2$ )

Minimization conditions  $\Rightarrow -4$ ; SM Higgs mass  $\Rightarrow -1$ .

small parameters:

$$\xi \equiv \frac{\kappa'}{\kappa} = \frac{\langle \phi_2^0 \rangle}{\langle \phi_1^0 \rangle}, \quad \epsilon \equiv \frac{\kappa}{v_R} \simeq \frac{v_{EW}}{v_R}, \quad \alpha \sim \delta_2$$

# Physical scalars

**Table:** Nomenclature: CP-even scalars  $H_{1,2,3}^0$  predominantly from respectively  $\Phi$  &  $\Delta_{L,R}$ ; CP-odd scalars  $A_{1,2}^0$  ( $H_{1,2}^\pm$ ) from  $\Phi$  &  $\Delta_L$ ; and  $H_{1,2}^{\pm\pm}$  from  $\Delta_{L,R}$ .

scalars	components	mass squared
$h$	$\sim \phi_1^0 \text{Re}$	$\left(4\lambda_1 - \frac{\alpha_1^2}{ \rho_1 - \lambda_1 }\right) \kappa^2$
$H_1^0$	$\sim \phi_2^0 \text{Re}$	$\alpha_3(1 + 2\xi^2)v_R^2 + 4\left(2\lambda_2 + \lambda_3 + \frac{4\alpha_2^2}{\alpha_3 - 4\rho_1}\right)\kappa^2$
$A_1^0$	$\sim \phi_2^0 \text{Im}$	$\alpha_3(1 + 2\xi^2)v_R^2 + 4(\lambda_3 - 2\lambda_2)\kappa^2$
$H_1^\pm$	$\sim \phi_2^\pm$	$\alpha_3(1 + 2\xi^2)v_R^2 + \frac{1}{2}\alpha_3\kappa^2$
$H_3^0$	$\sim \Delta_R^0 \text{Re}$	$4\rho_1 v_R^2 + \left(\frac{\alpha_1^2}{\rho_1} - \frac{16\alpha_2^2}{\alpha_3 - 4\rho_1}\right)\kappa^2$
$H_2^{\pm\pm}$	$\sim \Delta_R^{\pm\pm}$	$4\rho_2 v_R^2 + \alpha_3\kappa^2$

## Bidoublet scalars

Almost degenerate masses

## Triplet scalars

Couple to quarks only through mixings:  
*Hadrophobic states*

# Corrections to the SM Higgs

- SM Higgs and cubic scalar coupling

$$\begin{aligned} m_h^2 &\simeq \left( 4\lambda_1 - \frac{\alpha_1^2}{|\rho_1 - \lambda_1|} \right) v_{\text{EW}}^2 \\ \lambda_{hhh} &\simeq \frac{1}{2\sqrt{2}} \left( 4\lambda_1 - \frac{\alpha_1^2}{|\rho_1 - \lambda_1|} \right) v_{\text{EW}} = \frac{m_h^2}{2\sqrt{2} v_{\text{EW}}} \end{aligned}$$

- The  $\alpha_1$  term is from mixing with the neutral component  $H_3$  of  $\Delta_R$ .

$$\alpha_1 \rightarrow 0 \quad \Rightarrow \quad \lambda_1 \rightarrow \lambda_{\text{SM}}$$

The  $h - H_3$  mixing is *naturally* small.

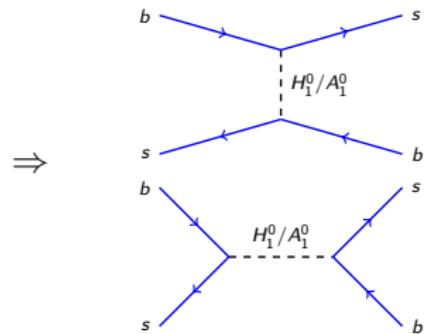
*important to push a light  $H_3$  to be long-lived*

# FCNC limits on the heavy doublet $H_1^0$ , $A_1^0$ & $H_1^\pm$

Flavor-changing neutral currents of  $H_1^0$  and  $A_1^0$  contribute to  $K^0 - \bar{K}^0$  and  $B_{d,s} - \bar{B}_{d,s}$  mixings [Mohapatra, Senjanovic, Tran, '83; Ecker, Grimus, Neufeld, '83; Pospelov, '97; Zhang, An, Ji, Mohapatra, '07; Maiezza, Nemevsek, Nesti, Senjanovic, '10; Chakrabortty, Gluza, Sevillano, Szafron, '12; Bertolini, Maiezza, Nesti, '14]

$$M_{H_1^0, A_1^0, H_1^\pm} \gtrsim 10 \text{ TeV}$$

$$\begin{aligned} -\mathcal{L}_Y &= h_q \bar{Q}_L \Phi Q_R + \tilde{h}_q \bar{Q}_L \tilde{\Phi} Q_R + \text{h.c.} \\ \Rightarrow &\begin{cases} H_1^0 \bar{u}_i u_j : -\sqrt{2}\xi \hat{Y}_U + \frac{1}{\sqrt{2}} \left( \mathbf{V}_L^\dagger \hat{Y}_D \mathbf{V}_R^\dagger \right) \\ H_1^0 \bar{d}_i d_j : \frac{1}{\sqrt{2}} \left( \mathbf{V}_L^\dagger \hat{Y}_D \mathbf{V}_R \right) - \sqrt{2}\xi \hat{Y}_D \end{cases} \end{aligned}$$



# Left-right symmetry

Maiezza, Nemevsek, Nesti & Senjanovic '10

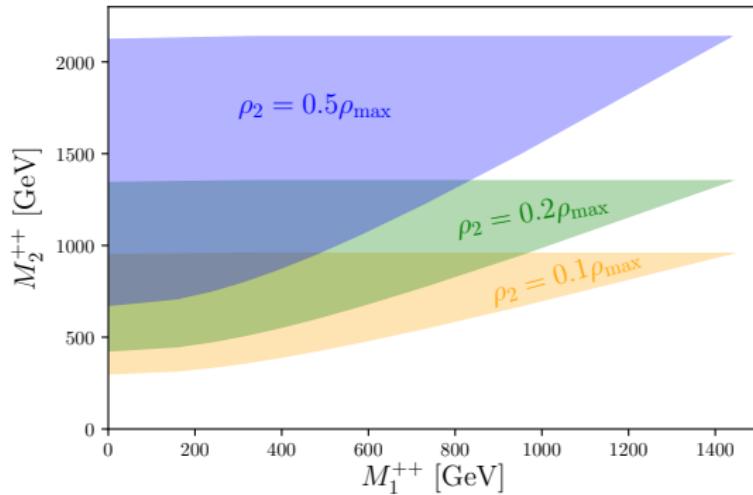
	$\mathcal{P}$	$\mathcal{C}$
quarks	$Q_L \leftrightarrow Q_R$	$Q_L \leftrightarrow Q_R^C$
bidoublet	$\Phi \rightarrow \Phi^\dagger$	$\Phi \rightarrow \Phi^T$
Yukawa couplings	$Y = Y^\dagger$	$Y = Y^T$
RH mixing	$V_R = S_u V_L S_d$	$V_R = K_u V_L^* K_d$

- $S_{u, d}$  are diagonal matrices of signs;
- $K_{u, d}$  are diagonal matrices of phases.
- $\mathcal{C}$  is an automatic gauge symmetry in  $SO(10)$  GUT.

# Vacuum structure

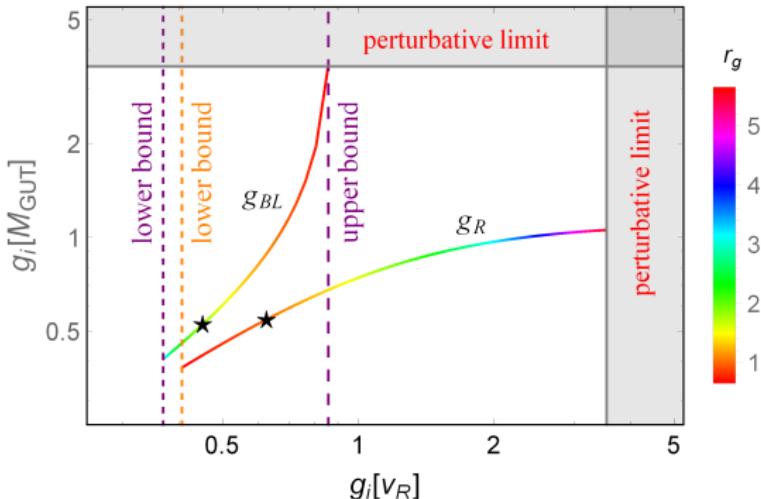
Chauhan '19; Dev, Mohapatra, Rodejohann & Xu '19

- Only a small fraction of parameter space can have good vacua.
- Limits can be set on some scalar masses.



# Running of gauge couplings up to GUT scale

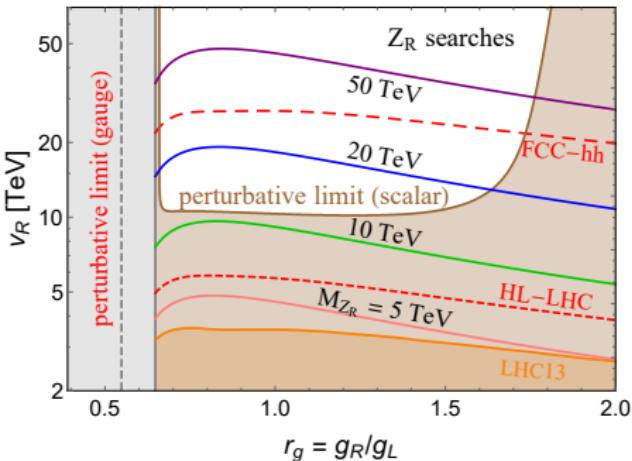
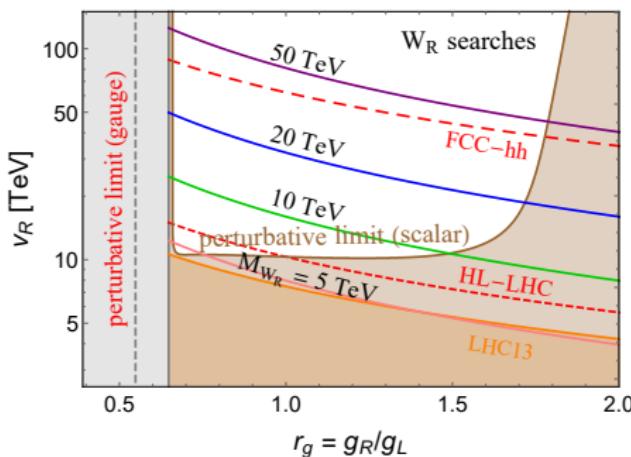
Chauhan, Dev, Mohapatra & YCZ '18



- gauge coupling ratio  $r_g \equiv g_R/g_L$ ;
- perturbativity limit  $g_i < \sqrt{4\pi}$ ;
- $v_R = 10$  TeV;
- stars  $g_L = g_R$  in the figure.

# Perturbativity limits

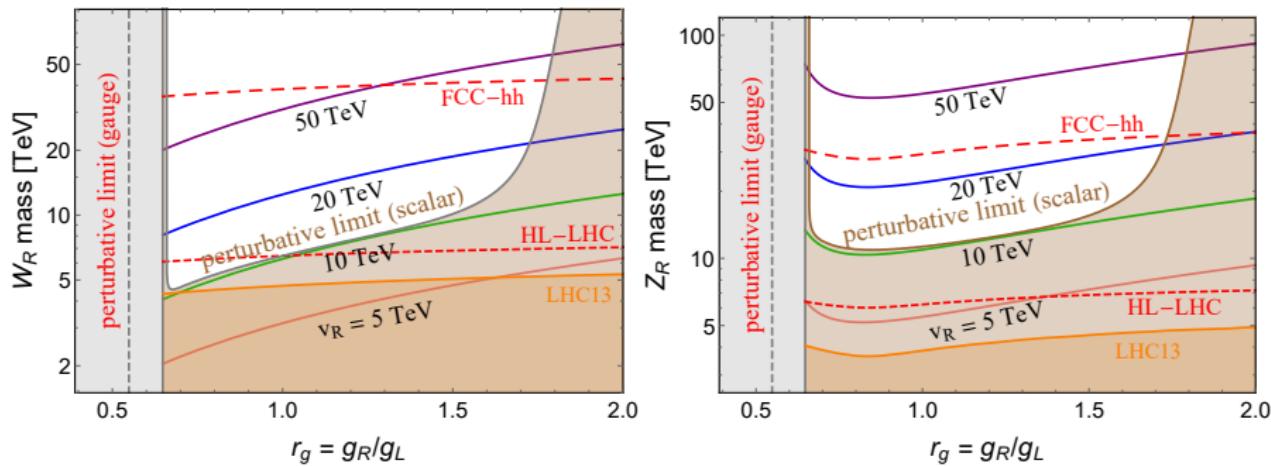
Chauhan, Dev, Mohapatra & YCZ '18



- masses we take:  $m_{H_1, A_1, H_1^\pm} = 10$  TeV,  $m_{H_3} = 100$  GeV,  $m_{H_1^{\pm\pm}} = 1$  TeV;
- $\lambda_{2,3,4}, \alpha_{1,2} = 0$  at  $v_R$  scale.

# Heavy gauge boson prospects

Chauhan, Dev, Mohapatra & YCZ '18



- masses we take:  $m_{H_1, A_1, H_1^\pm} = 10$  TeV,  $m_{H_3} = 100$  GeV,  $m_{H_1^{\pm\pm}} = 1$  TeV;
- $\lambda_{2,3,4}, \alpha_{1,2} = 0$  at  $v_R$  scale.

# $SU(2)_R$ -breaking scalar $H_3$

Almost no limit on the neutral singlet-like scalar  $H_3$ .

[Nemevsek, Senjanovic, Yue Zhang, '12; Maiezza, Nemevsek, Nesti, '16; Nemevsek Nesti, Vasquez, '16]

**$H_3$  could be very light**

# Mixing with $h$ & $H_1$

Dev, Mahapatra & YCZ '16; '17

- Mixing with the SM Higgs [inverse dependence on the VEV ratio]

$$\begin{pmatrix} 4\lambda_1\epsilon^2 & 2\alpha_1\epsilon \\ 2\alpha_1\epsilon & 4\rho_1 \end{pmatrix} v_R^2 \implies \sin \theta_1 \simeq \frac{\alpha_1}{2\lambda_1} \frac{v_R}{v_{EW}}$$

- Mixing with the heavy doublet scalar  $H_1$  [inducing FCNC couplings]

$$\sin \theta_2 \simeq \frac{4\alpha_2}{\alpha_3} \frac{v_{EW}}{v_R}$$

- $H_3$  couples to the SM particles through:

- ▶ the mixing angles  $\sin \theta_{1,2}$ : hadrons,  $\ell^+ \ell^-$ ,  $\gamma\gamma$ ;

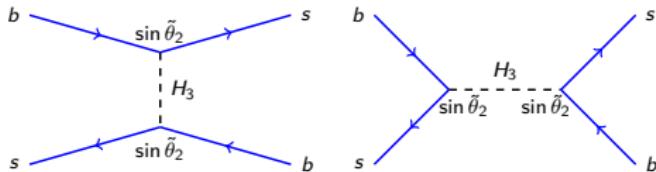
All the couplings to SM quarks and leptons are proportional to the linear combinations of  $\sin \theta_{1,2}$ .

- ▶ RH gauge coupling:  $\gamma\gamma$ , through the  $W_R$  (&  $H_1^\pm$ ,  $H_2^{\pm\pm}$ ) loop.

Heavy particle loops for  $H_3 \rightarrow \gamma\gamma$  suppressed by  $v_{EW}/v_R$ .

# $H_3$ induced meson mixings

Dev, Mahapatra & YCZ '16; '17



$$\begin{aligned} \mathcal{L}_{H_3} = & \frac{G_F}{4\sqrt{2}} \frac{\sin^2 \tilde{\theta}_2}{m_K^2 - m_{H_3}^2 + im_{H_3}\Gamma_{H_3}} \\ & \times \left[ \left( \sum_i m_i \lambda_i^{RL} \right)^2 \mathcal{O}_2 + \left( \sum_i m_i \lambda_i^{LR} \right)^2 \tilde{\mathcal{O}}_2 + 2 \left( \sum_i m_i \lambda_i^{LR} \right) \left( \sum_i m_i \lambda_i^{RL} \right) \mathcal{O}_4 \right] \end{aligned}$$

$$\sin \tilde{\theta}_2 \equiv \sin \theta_2 + \xi \sin \theta_1, \quad [\xi = \langle \phi_2^0 \rangle / \langle \phi_1^0 \rangle, \quad h - H_1 \text{ mixing}]$$

$$\mathcal{O}_2 = [\bar{s}(1 - \gamma_5)d][\bar{s}(1 - \gamma_5)d],$$

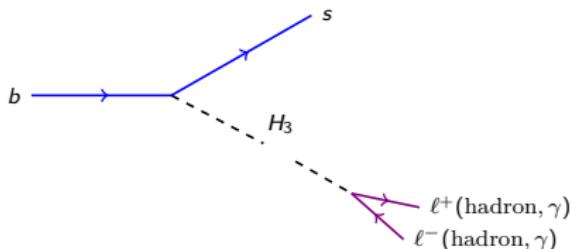
$$\tilde{\mathcal{O}}_2 = [\bar{s}(1 + \gamma_5)d][\bar{s}(1 + \gamma_5)d],$$

$$\mathcal{O}_4 = [\bar{s}(1 - \gamma_5)d][\bar{s}(1 + \gamma_5)d].$$

$$m_i = \{m_u, m_c, m_t\}, \quad \lambda_i^{LR} = V_{L,i2}^* V_{R,i1}, \quad \lambda_i^{RL} = V_{R,i2}^* V_{L,i1}$$

# Flavor-changing meson decay

Dev, Mahapatra & YCZ '16; '17



- Stringent limits from the down-type quark sector

$$K \rightarrow \pi \chi \chi, \quad B \rightarrow K \chi \chi, \quad [\chi = \text{hadron, } \ell, \gamma]$$

- “Visible decays”:  $H_3$  decaying **inside detector spatial resolution**

$$d_j \rightarrow d_i H_3, \quad H_3 \rightarrow \chi \chi$$

- “Invisible decays”:  $H_3$  decaying **outside detector size**

$$d_j \rightarrow d_i H_3, \quad H_3 \rightarrow \text{any} \quad (L_{H_3} > R_{\text{detector}})$$

# List of meson decay limits

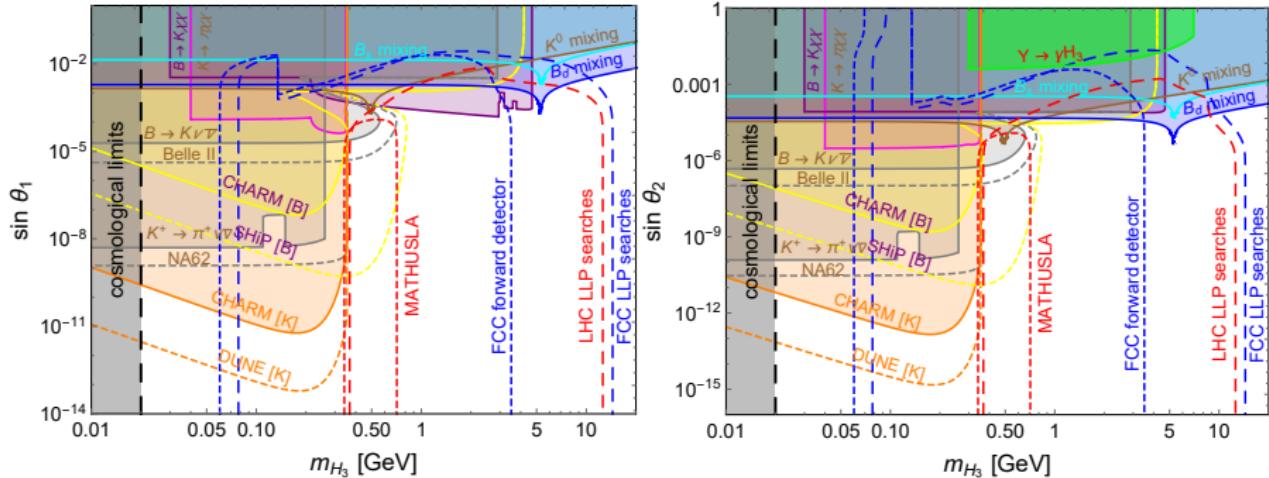
Expt.	meson decay	$H_3$ decay	$E_{H_3}$	$L_{H_3}$	$\text{BR}/N_{\text{event}}$
NA48/2 ['09]	$K^+ \rightarrow \pi^+ H_3$	$H_3 \rightarrow e^+ e^-$	$\sim 30 \text{ GeV}$	$< 0.1 \text{ mm}$	$2.63 \times 10^{-7}$
NA48/2 ['11]	$K^+ \rightarrow \pi^+ H_3$	$H_3 \rightarrow \mu^+ \mu^-$	$\sim 30 \text{ GeV}$	$< 0.1 \text{ mm}$	$8.88 \times 10^{-8}$
NA62 ['14]	$K^+ \rightarrow \pi^+ H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 37 \text{ GeV}$	$< 0.1 \text{ mm}$	$4.70 \times 10^{-7}$
E949 ['09]	$K^+ \rightarrow \pi^+ H_3$	any (inv.)	$\sim 355 \text{ MeV}$	$> 4 \text{ m}$	$4 \times 10^{-10}$
* NA62 ['05]	$K^+ \rightarrow \pi^+ H_3$	any (inv.)	$\sim 37.5 \text{ GeV}$	$> 2 \text{ m}$	$2.4 \times 10^{-11}$
KTeV ['03]	$K_L \rightarrow \pi^0 H_3$	$H_3 \rightarrow e^+ e^-$	$\sim 30 \text{ GeV}$	$< 0.1 \text{ mm}$	$2.8 \times 10^{-10}$
KTeV ['00]	$K_L \rightarrow \pi^0 H_3$	$H_3 \rightarrow \mu^+ \mu^-$	$\sim 30 \text{ GeV}$	$< 0.1 \text{ mm}$	$4 \times 10^{-10}$
KTeV ['08]	$K_L \rightarrow \pi^0 H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 40 \text{ GeV}$	$< 0.1 \text{ mm}$	$3.71 \times 10^{-7}$
BaBar ['03]	$B \rightarrow KH_3$	$H_3 \rightarrow \ell^+ \ell^-$	$\sim m_B/2$	$< 0.1 \text{ mm}$	$7.91 \times 10^{-7}$
Belle ['09]	$B \rightarrow KH_3$	$H_3 \rightarrow \ell^+ \ell^-$	$\sim m_B/2$	$< 0.1 \text{ mm}$	$4.87 \times 10^{-7}$
LHCb ['12]	$B^+ \rightarrow K^+ H_3$	$H_3 \rightarrow \mu^+ \mu^-$	$\sim 150 \text{ GeV}$	$< 0.1 \text{ mm}$	$4.61 \times 10^{-7}$
BaBar ['13]	$B \rightarrow KH_3$	any (inv.)	$\sim m_B/2$	$> 3.5 \text{ m}$	$3.2 \times 10^{-5}$
* Belle II ['10]	$B \rightarrow KH_3$	any (inv.)	$\sim m_B/2$	$> 3 \text{ m}$	$4.1 \times 10^{-6}$
LHCb ['17]	$B_s \rightarrow \mu\mu$	—	—	—	$2.51 \times 10^{-9}$
BaBar ['10]	$B_d \rightarrow \gamma\gamma$	—	—	—	$3.3 \times 10^{-7}$
Belle ['14]	$B_s \rightarrow \gamma\gamma$	—	—	—	$3.1 \times 10^{-6}$
† BaBar ['11]	$\Upsilon \rightarrow \gamma H_3$	$H_3 \rightarrow qq, gg$	$\sim m_\Upsilon/2$	$< 3.5 \text{ m}$	$[1, 80] \times 10^{-6}$
CHARM ['85]	$K \rightarrow \pi H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 10 \text{ GeV}$	$[480, 515] \text{ m}$	$< 2.3$
CHARM ['85]	$B \rightarrow X_s H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 10 \text{ GeV}$	$[480, 515] \text{ m}$	$< 2.3$
* SHiP ['15]	$K \rightarrow \pi H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 25 \text{ GeV}$	$[70, 125] \text{ m}$	$< 3$
* SHiP ['15]	$B \rightarrow X_s H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 25 \text{ GeV}$	$[70, 125] \text{ m}$	$< 3$
* DUNE ['13]	$K \rightarrow \pi H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 12 \text{ GeV}$	$[500, 507] \text{ m}$	$< 3$
* DUNE ['13]	$B \rightarrow X_s H_3$	$H_3 \rightarrow \gamma\gamma$	$\sim 12 \text{ GeV}$	$[500, 507] \text{ m}$	$< 3$

\* future prospects,

† flavor-conserving couplings only

# High-intensity Constraints

Dev, Mahapatra & YCZ '16; '17



The LLP searches at LHC and **MATHUSLA** (and future 100 TeV collider FCC-hh) are largely complementary to the meson limits

- $H_3$  mass ranges complementary.
- Mixing angles  $\sin \theta_{1,2}$  complementary.  
( $H_3 \rightarrow \gamma\gamma$  does not depend on  $\sin \theta_{1,2}$ )

# Probable $m_{H_3} - M_{W_R}$ regions

Dev, Mahapatra & YCZ '16; '17

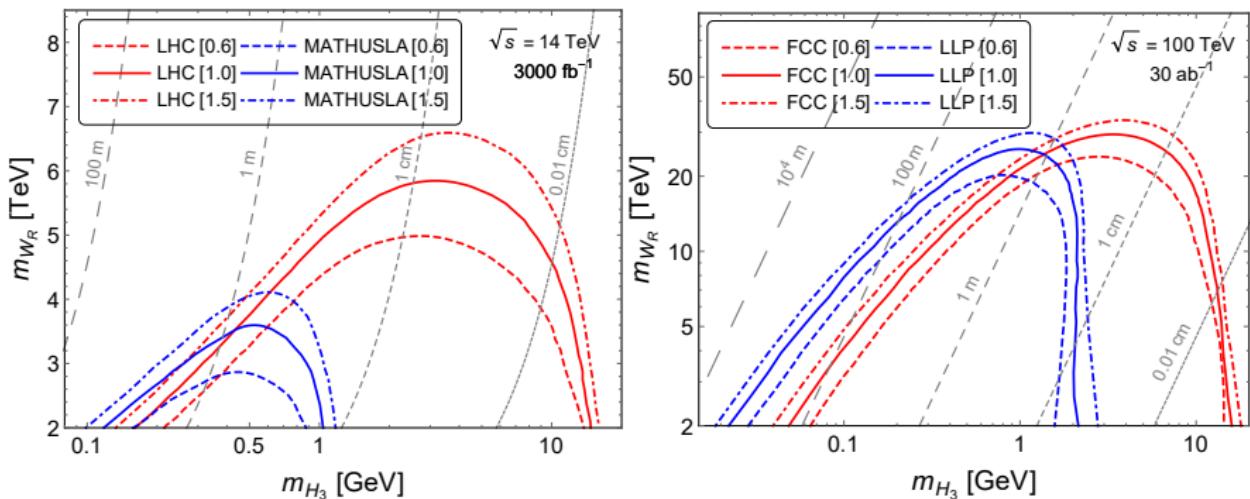


Figure: The grey contours indicate the proper lifetime of  $H_3$  with  $g_R = g_L$ ; for  $g_R \neq g_L$ , the lifetime has to be rescaled by the factor of  $(g_R/g_L)^{-2}$ .

# BPs for GW signals in LRSM

Brdar, Graf, Helmboldt & Xu '19; Li, Yan, YCZ & Zhao '21

	BP1	BP2	BP3	BP4
$v/\text{GeV}$	246	246	246	246
$v_R/\text{GeV}$	$10^4$	$10^6$	$10^4$	$5 \times 10^4$
$\tan \beta$	$10^{-3}$	$10^{-3}$	0	0
$\lambda_1$	0.13	0.13	0.13	0.13
$\lambda_2$	0	0	0	0
$\lambda_3$	1.2040	0.88814	0.6	0.6
$\lambda_4$	0	0	0	0
$\rho_1$	0.13414	0.11146	0.001	0.002
$\rho_2$	1.2613	1.4109	0.900218	0.401126
$\rho_3$	1.5140	1.5489	0.900215	0.401126
$\rho_4$	0	0	0	0.040113
$\alpha_1$	0	0	0	0
$\alpha_2$	0.30246	0.15557	0	0
$\alpha_3$	0.10765	0.11185	1.14815	0.378138
$\beta_{1, 2, 3}$	0	0	0	0
$g$	0.65	0.65	0.65	0.65
$g_{B-L}$	0.4324	0.4324	0.4324	0.4324
$y_t$	0.95	0.95	0.95	0.95
$y_M$	1	1	0.78595	0.52404

# GW signals in LRSM

Brdar, Graf, Helmboldt & Xu '19; Li, Yan, YCZ & Zhao '21

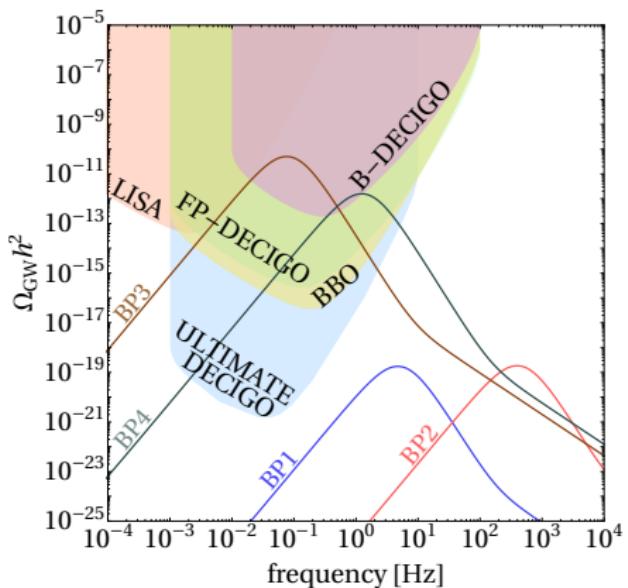


Figure: GW spectra for BPs in the LRSM

# Alternative symmetry breaking pattern

Alternative way to break the gauge symmetry:

$$\begin{array}{c} SU(2)_L \times SU(2)_R \times U(1)_{B-L} \\ \Downarrow \chi_R (\mathbf{1}, \mathbf{2}, 1) \\ SU(2)_L \times U(1)_Y \\ \Downarrow \chi_L (\mathbf{2}, \mathbf{1}, 1) \\ U(1)_{\text{EM}} \end{array}$$

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- The Higgs pheno in these two classes of LR models are completely different.  
numbers of d.o.f, couplings, constraints, production & decay

# Framework

Berezhiani, PLB129(1983)99; Rajpoot, MPLA2(1987)307;

Davidson & Wali, PRL59(1987)393; Babu & Mohapatra, PRL62(1989)1079; PRD41(1990)1286

- Only two doublets to break gauge symmetry

$$\chi_L = \begin{pmatrix} \chi_L^+ \\ \chi_L^0 \end{pmatrix} \in (2, 1, 1), \quad \chi_R = \begin{pmatrix} \chi_R^+ \\ \chi_R^0 \end{pmatrix} \in (1, 2, 1)$$

- Doublets  $\chi_{L,R}$  can not connect directly the LH and RH components of SM quark and lepton fermions.
- Three generations of heavy vector-like fermions  $P$ ,  $N$  and  $E$  are introduced to generate SM fermion masses via generalized seesaw mechanism, alleviating the large hierarchy of SM Yukawa couplings:<sup>\*</sup>

$$Q_L \in (2, 1, 1/3), \quad Q_R \in (1, 2, 1/3),$$

$$\Psi_L \in (2, 1, -1), \quad \Psi_R \in (1, 2, -1),$$

$$P_{L,R} \in (1, 1, 4/3), \quad N_{L,R} \in (1, 1, -2/3), \quad E_{L,R} \in (1, 1, -2)$$

---

\*The neutrino partners  $\mathcal{N}$  are not necessary; without them active neutrino masses can be generated at 2-loop level via  $W - W_R$  mixing [Chang & Mohapatra, '87; Babu & He, '89].

# Universal seesaw mechanism

- Yukawa couplings:

$$\begin{aligned}-\mathcal{L}_Y = & \bar{Q}_L Y_u \tilde{\chi}_L P_R + \bar{Q}_L Y_d \chi_L N_R + \bar{\Psi}_L Y_e \chi_L E_R + (L \leftrightarrow R) \\ & + \bar{P}_L M_P P_R + \bar{N}_L M_N N_R + \bar{E}_L M_E E_R + \text{h.c.}\end{aligned}$$

- SM quarks and charged leptons [all flavor information from  $Y_f$ ],

$$\begin{pmatrix} 0 & \frac{1}{\sqrt{2}} Y_f v_L \\ \frac{1}{\sqrt{2}} Y_f v_R & M_F \end{pmatrix} \implies m_f \simeq \frac{Y_f^2 v_L v_R}{2M_F}$$

- Due to the large Yukawa coupling, the RH  $t - T$  mixing ( $\simeq y_t v_R / \sqrt{2} M_F$ ) is potentially large:
  - Important for determination of  $y_t$  in LR model and vacuum stability problem.
  - Important for constraints on  $T$  mass.
  - Important for production of  $H$  via  $T$  loop and decaying into  $t\bar{t}$ .

# Physical scalars

- Simple scalar potential with soft parity breaking terms  $\mu_{L,R}^2$ :

$$\begin{aligned}\mathcal{V} = & -\mu_L^2 \chi_L^\dagger \chi_L - \mu_R^2 \chi_R^\dagger \chi_R \\ & + \lambda_1 [(\chi_L^\dagger \chi_L)^2 + (\chi_R^\dagger \chi_R)^2] + \lambda_2 (\chi_L^\dagger \chi_L)(\chi_R^\dagger \chi_R)\end{aligned}$$

- In the limit of exact parity symmetry, at tree level  $v_L = 0$  [original; Kobakhidze & Spencer-Smith, JHEP08(2013)036];
- One has to add radiative corrections or soft breaking terms.

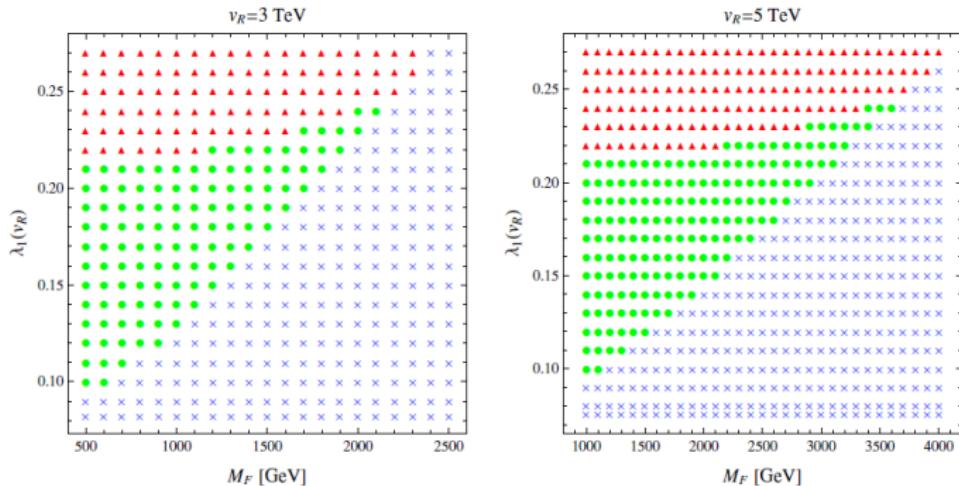
$$\chi_L = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v_L \end{pmatrix}, \quad \chi_R = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v_R \end{pmatrix}$$

- Only two physical scalars [ $v_L = v_{EW}$ ]:

$$\begin{pmatrix} 2\lambda_1 v_L^2 & \lambda_2 v_L v_R \\ \lambda_2 v_L v_R & 2\lambda_1 v_R^2 \end{pmatrix} \implies \begin{cases} M_h^2 = 2\lambda_1 \left(1 - \frac{\lambda_2^2}{4\lambda_1^2}\right) v_L^2 \\ M_H^2 = 2\lambda_1 v_R^2 \end{cases}$$

# Parameter space scan

Mahapatra & YCZ '14

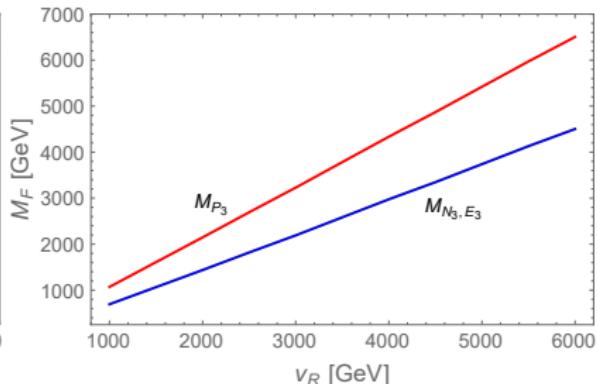
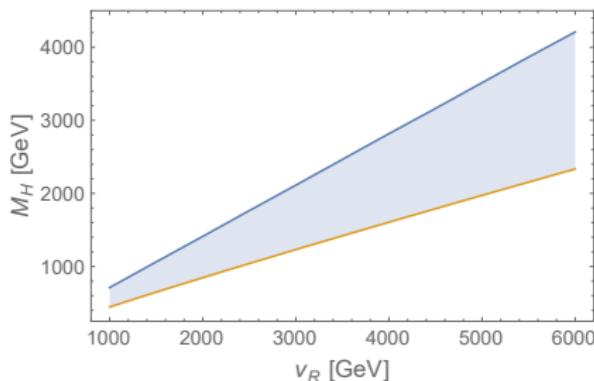


**Figure 3.** Scanning the parameter space of SLRM with  $v_R = 3 \text{ TeV}$  (left) and  $5 \text{ TeV}$  (right). The green circles denote the allowed points in the parameter space, blue crosses are excluded by vacuum stability and red triangles excluded by the requirement of perturbativity.

# Heavy Higgs & fermions @ TeV scale

Mahapatra & YCZ '14

- TeV scale Higgs:
  - Lower bound from vacuum stability: the coupling  $\lambda_1 > \lambda^{\text{SM}}$
  - Upper bound from perturbativity: the coupling  $\lambda_1 \lesssim 0.25$
- TeV scale vector-like fermions (3<sup>rd</sup> generation)
  - Upper bound from vacuum stability:  $M_F < v_R$
  - Large  $y_t$  contributes significantly to  $M_T$ .



# Solution to strong CP problem

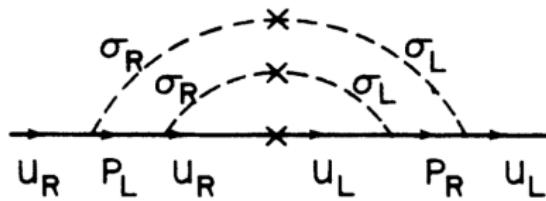
Babu & Mohapatra, PRL62(1989)1079; PRD41(1990)1286

- Strong CP parameter:

$$\bar{\theta} = \theta + \arg \det(M_u M_d)$$

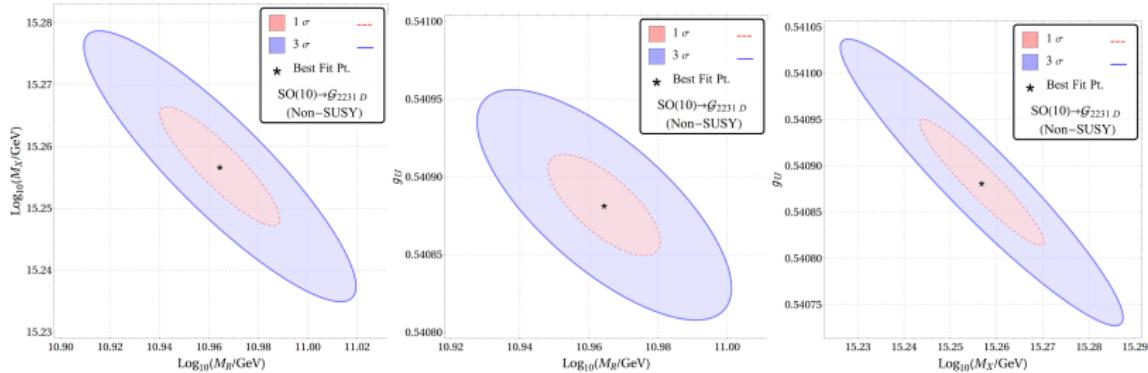
- Contribution from 2-loop diagram below:  
( $\sin \theta$  being typical mixing involving 3rd generation)

$$\bar{\theta} \simeq \left( \frac{y_t^2}{16\pi^2} \right)^2 \left( \frac{\lambda_2 v_L}{v_R} \right)^2 \sin^2 \theta$$



# Embedding in GUTs

Deppisch, Gonzalo & Graf '17; Chakrabortty, Maji, Patra & Srivastava '17;



**Figure:** Correlations among intermediate scale  $M_R$ , unification scale  $M_X$  and the unified coupling  $g_U$  in the gauge breaking pattern  $SO(10) \rightarrow G_{2231}$  for  $D$ -parity conserved case.

# Topological effects

Deppisch, Gonzalo & Graf '17; Chakrabortty, Maji, Patra & Srivastava '17;

Intermediate Symmetry		Topological defects
$\mathcal{G}_{224}$	D-broken	monopoles
	D-conserved	domain wall + monopoles + $Z_2$ -strings
$\mathcal{G}_{2231}$	D-broken	monopoles + embedded strings
	D-conserved	domain wall + monopoles + embedded strings
$\mathcal{G}_{2241}$	D-broken	monopoles + embedded strings
	D-conserved	domain walls + monopoles + embedded strings
$\mathcal{G}_{333}$	D-broken	textures
	D-conserved	domain walls + textures

# Proton decay and cosmological constraints

Deppisch, Gonzalo & Graf '17; Chakrabortty, Maji, Patra & Srivastava '17;

Intermediate Symmetry (Non-SUSY)		Topological defects $M_R \gtrsim 10^{12}$ GeV		Proton life time $M_X \gtrsim 10^{16}$ GeV	
		No dim-5	dim-5	No dim-5	dim-5
$\mathcal{G}_{224}$	D-conserved	✓	✓	✗	✓
	D-broken	✗	✗	✗	✓
$\mathcal{G}_{2231}$	D-conserved	✗	✗	✗	✓
	D-broken	✗	✗	✓	✓
$\mathcal{G}_{2241}$	D-conserved	✓	✓	✗	✓
	D-broken	✓	✓	✓	✓
$\mathcal{G}_{333}$	D-conserved	—	✓	—	✓
	D-broken	—	✓	—	✓

The proton decay limit can be used to constrain the lower limit of the unification scale.

# More topics (& some refs)

- probing seesaw mechanism in LRSM:  
Nemevsek, Senjanovic & Tello '13
- matching to low-energy SMEFT:  
Dekens, Andreoli, de Vries, Mereghetti & Oosterhof '21
- $0\nu\beta\beta$  in LRSM:  
Tello, Nemevsek, Nesti, Senjanovic & Vissani '10; Li, Ramsey-Musolf & Vasquez '20
- pheno of doubly-charged scalars in LRSM:  
Dev, Ramsey-Musolf & Dev '18; Dev & YCZ '18
- LNV & LFV signals in LRSM  
Awasthi, Parida, Patra '13; Deppisch, Gonzalo, Patra, Sahu, Sarkar '14;  
Mandal, Mitra & Sinha '17
- cold DM in extended LRSM  
Heeck & Patra '15; Garcia-Cely & Heeck '16
- warm DM in LRSM  
Nemevsek, Senjanovic & Zhang '12
- EDM in LRSM  
Frere, Galand, Le Yaouanc, Oliver, Pene & Raynal '90, '92, '92;  
Haba, Umeeda & Yamada '18; Bertolini, Maiezza & Nesti '18;  
Nieves, Chang & Pal '86; Laboura '03
- leptogenesis  
Frere, Hambye & Vertongen '08
- .....

# Conclusion

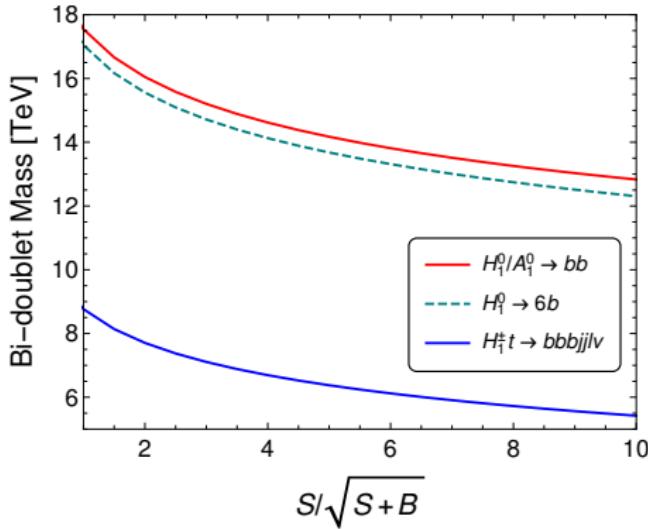
- LRSMs can have different variants.
- LRSMs are closely related to GUTs.
- The phenos of LRSM are very very... rich.

Thank you for your attention!

backup slides

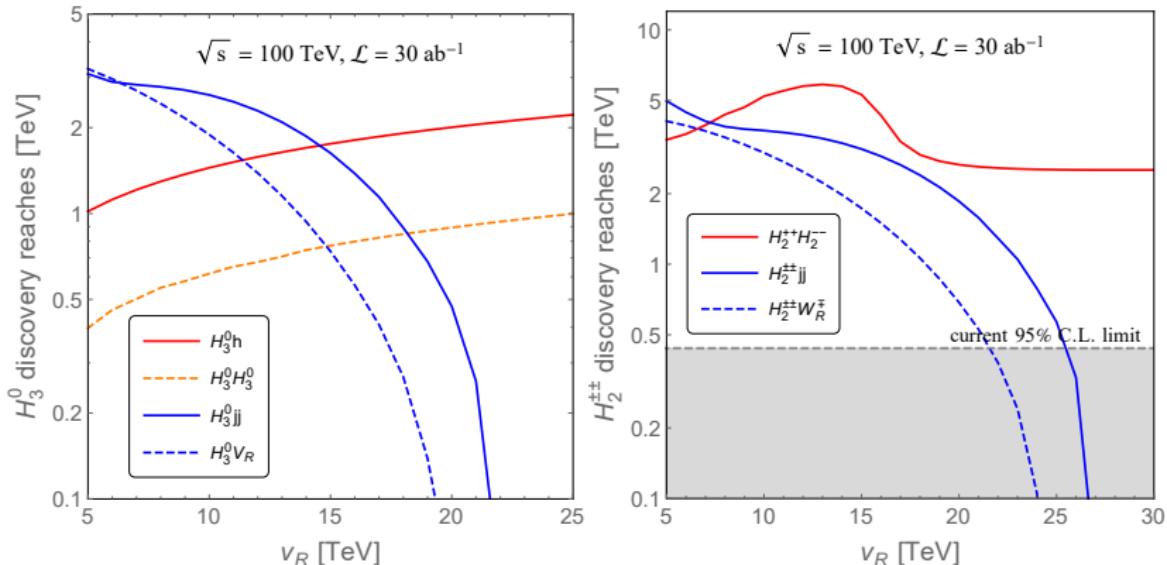
# Sensitivity of heavy bidoublet scalars @ FCC-hh

$\sqrt{s} = 100 \text{ TeV}, \mathcal{L} = 30 \text{ ab}^{-1}$



$3\sigma$  sensitivities:  $\{15.2 \text{ TeV}, 14.7 \text{ TeV}, 7.1 \text{ TeV}\}$

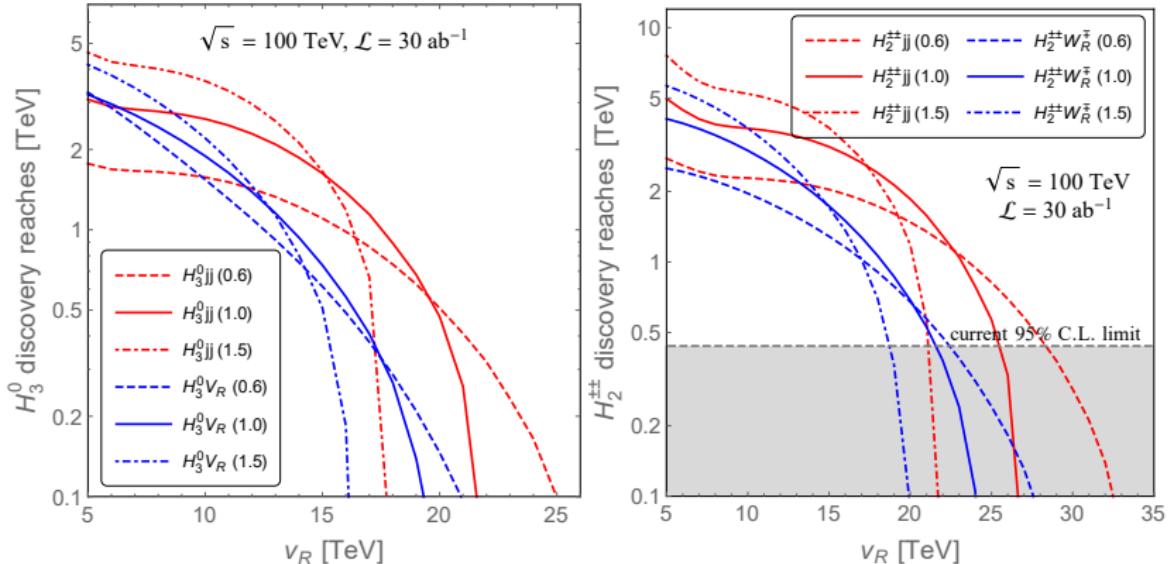
# Hadrophobic scalar sensitivity @ FCC-hh



- Probable at the few-TeV scale, depending on the RH scale  $v_R$ .
- The SM Higgs portal production of  $H_3^0$  depends also on the quartic couplings  $\alpha_1$  (&  $\alpha_2$  etc).
- “Bump”-structure in the right panel:  $\Rightarrow Z_R$  resonance
- Associate production with heavy gauge boson are promising search channels at future 100 TeV collider

ATLAS, JHEP03(2015)041 for the 95% C.L. limit

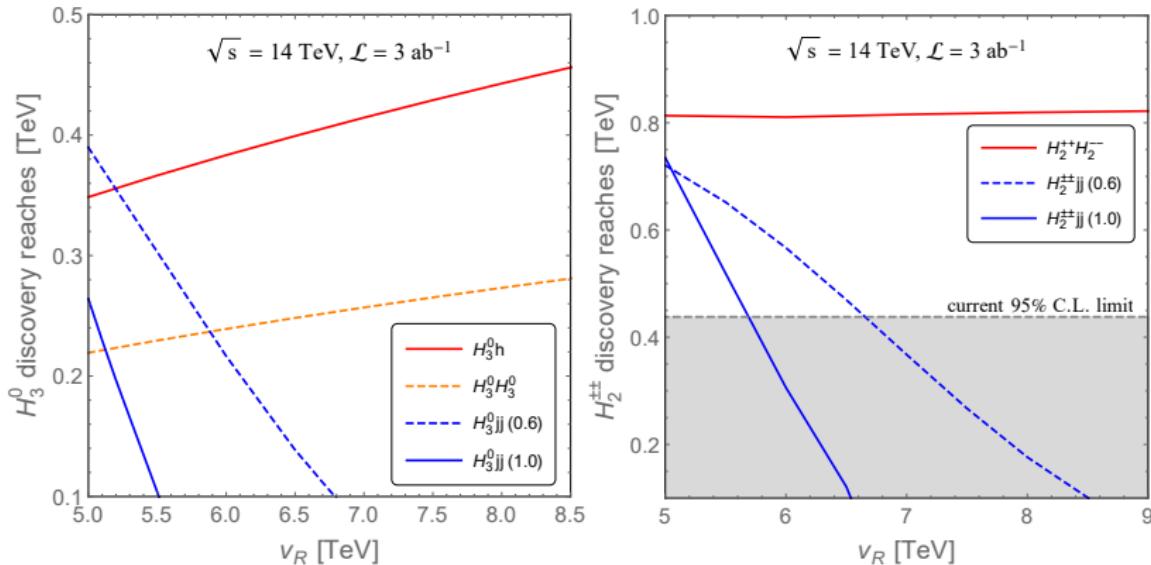
# Hadrophobic scalar sensitivity @ FCC-hh, $g_R$ effects



- Suppressed by the heavy gauge boson masses, the associate production modes are subdominant.
- When  $v_R$  small, the sensitivities benefit from larger  $g_R$  (**large gauge coupling**); When  $v_R$  large, benefit from small  $g_R$  (**lighter  $V_R$** ).

What realistic LR models accommodating  $g_R > g_L$ ???

# Hadrophobic scalar sensitivity @ LHC



- Only probable below the TeV scale.
- Rather sensitive to  $g_R$  at LHC in the VBF mode.
- Subleading contribution from associate production with  $V_R$ .