

The Expected Performance of the High-energy Underwater Neutrino Telescope (HUNT)

Speaker: Tian-Qi Huang^{1,2}

¹ Institute of High Energy Physics, Chinese Academy of Sciences

² Tianfu Cosmic Ray Research Center

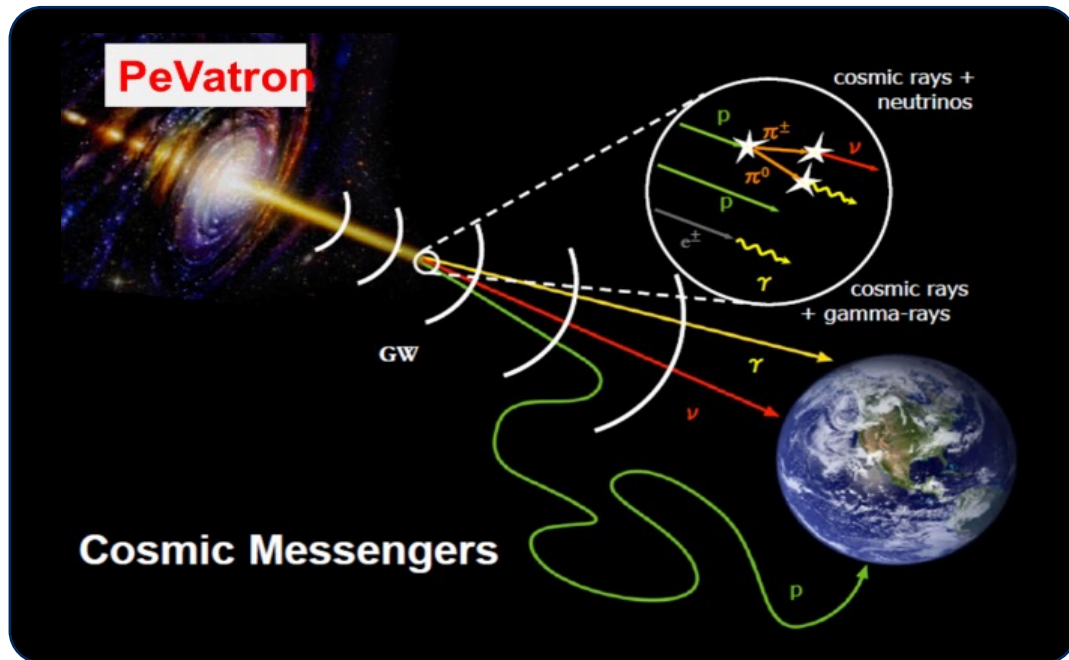


the 14th Workshop of
France China Particle Physics Laboratory
@ SYSU Zhuhai Campus

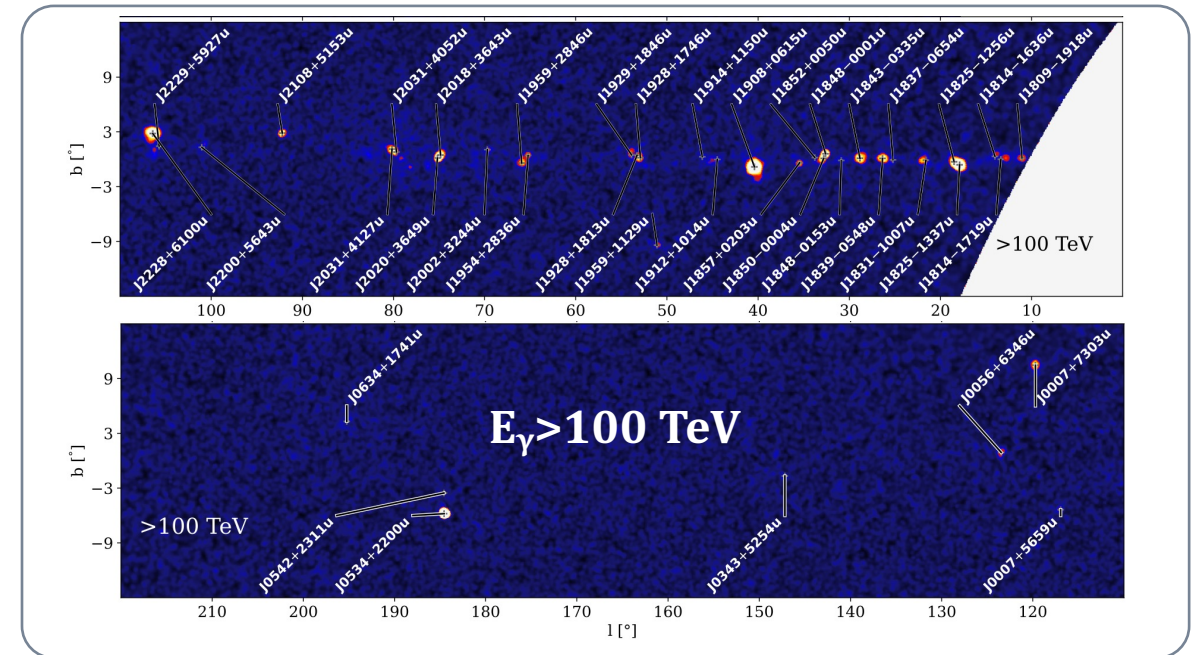
Scientific Goals

High-energy Underwater Neutrino Telescope (HUNT)

- Identifying the **hadronic PeVatrons** in our Galaxy
- Resolving the high energy neutrino sky above 100 TeV
- Understanding the origin, acceleration and propagation of high energy cosmic-rays



PeVatrons: accelerator of PeV cosmic-rays (e.g., electrons, protons)

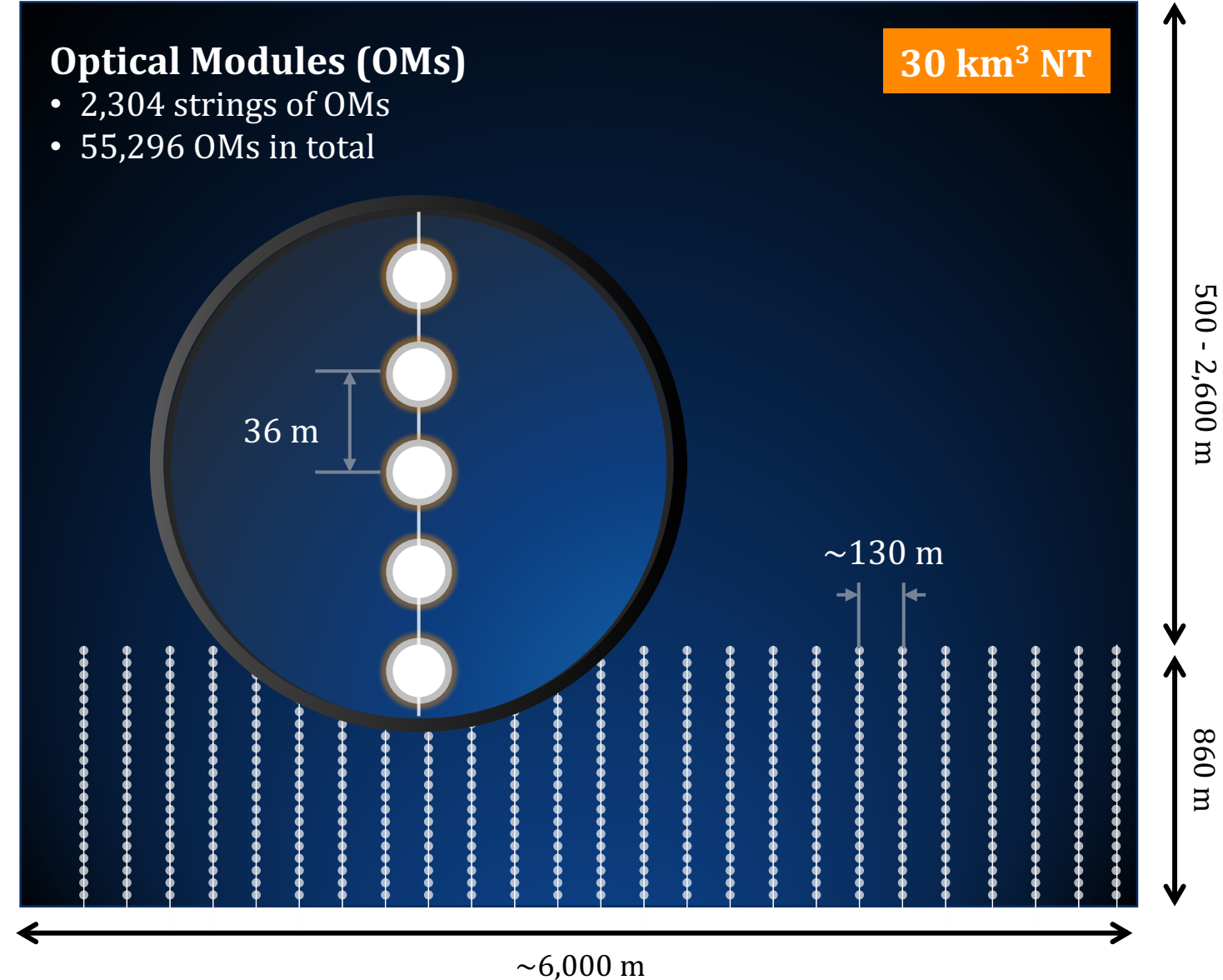


1LHAASO: 43 sources (>4 σ); 22 sources (>7 σ)

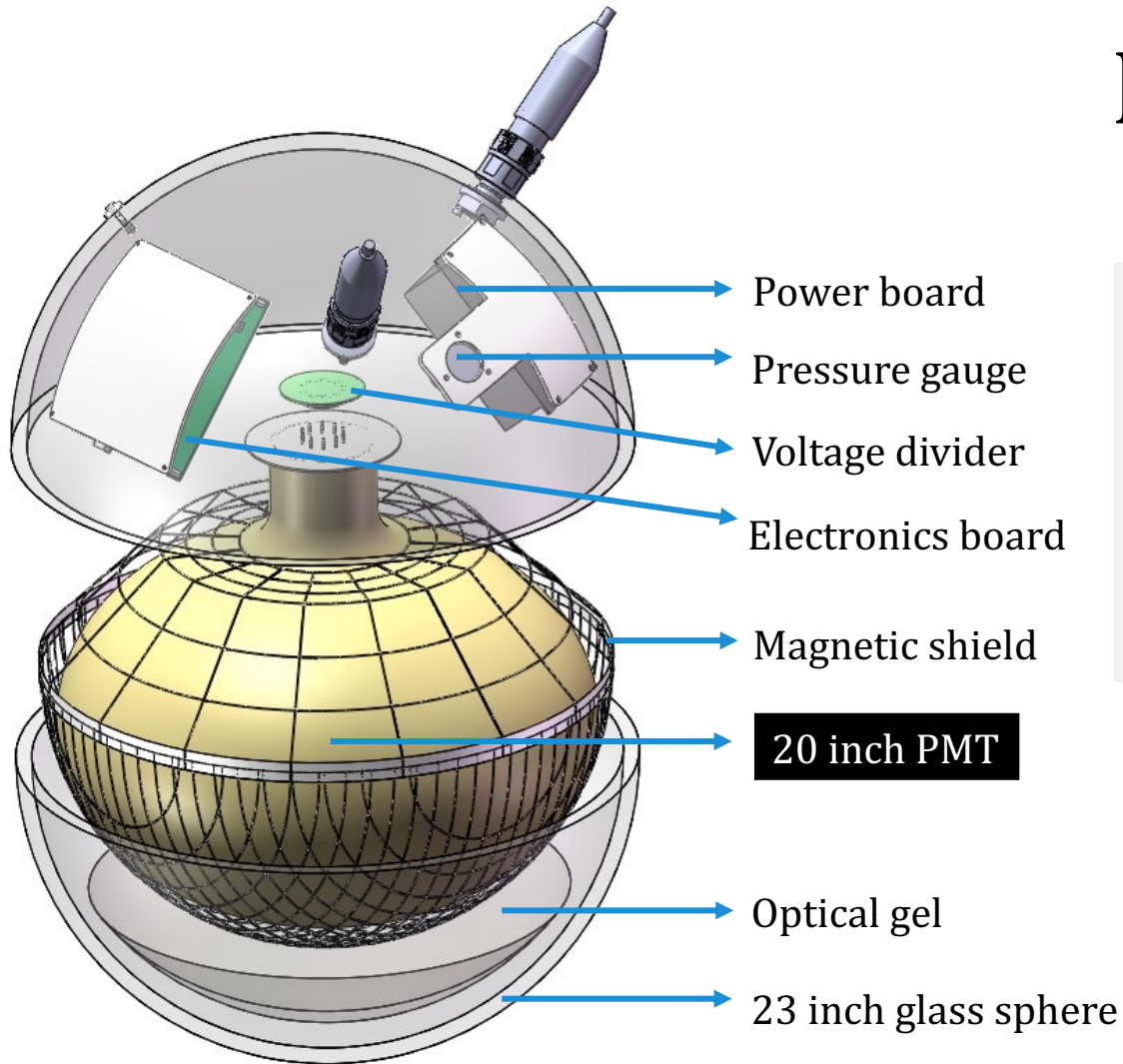
Detector Design

Requirements for HUNT

- Angular resolution: $\sim 0.1^\circ$ (tracks), $< 3^\circ$ (cascades)
- Energy resolution: $\Delta \log E \sim 0.3$ (tracks), $\Delta E \sim 10-30\%$ (cascades)
- Discovering the neutrino sources (> 100 TeV)



Detector Design

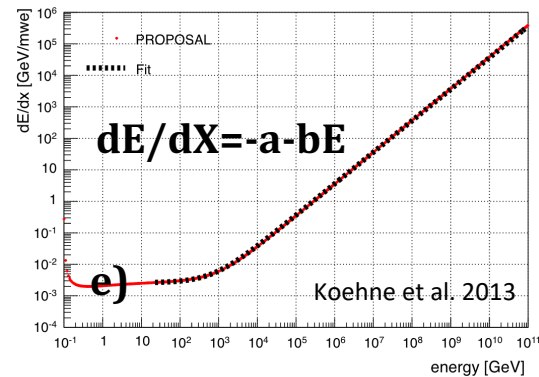
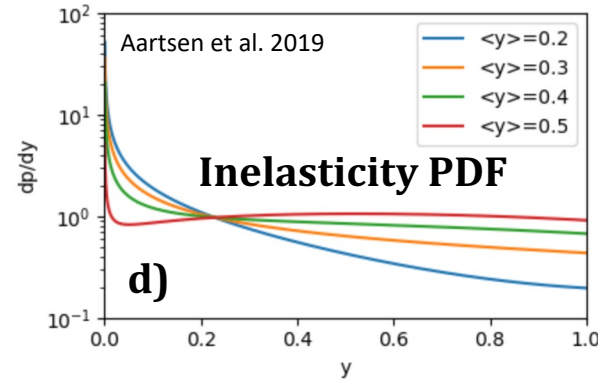
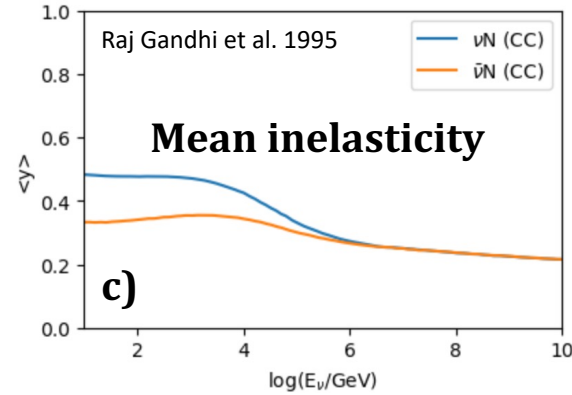
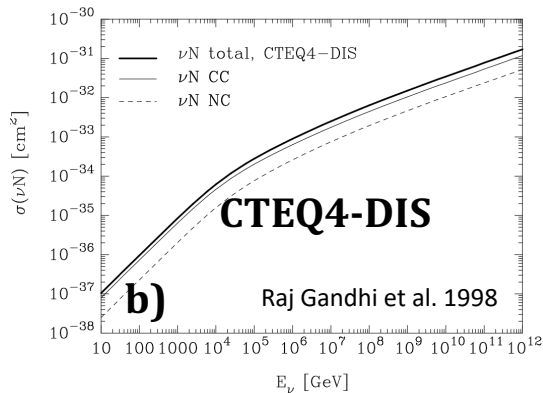
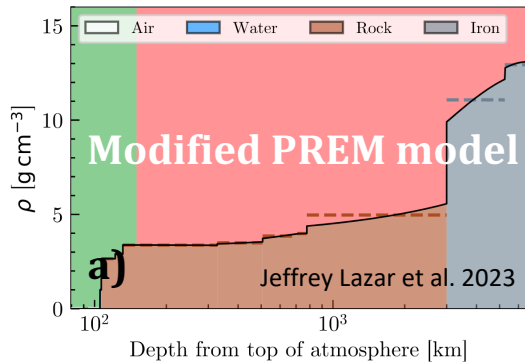


20 inch PMT

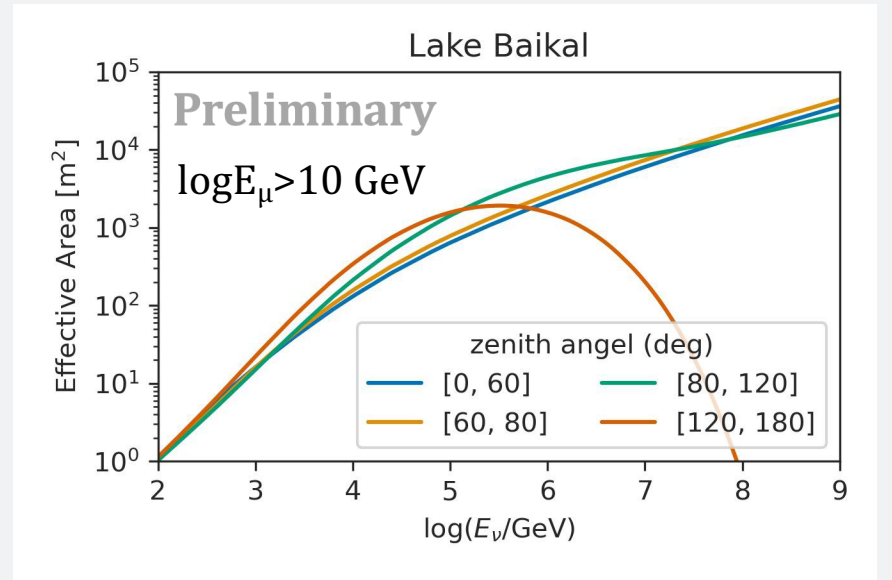
- Large photosensitive area
- Excellent time performance: TTS~7 ns
- High quantum efficiency: QE>30%

Detector Simulation

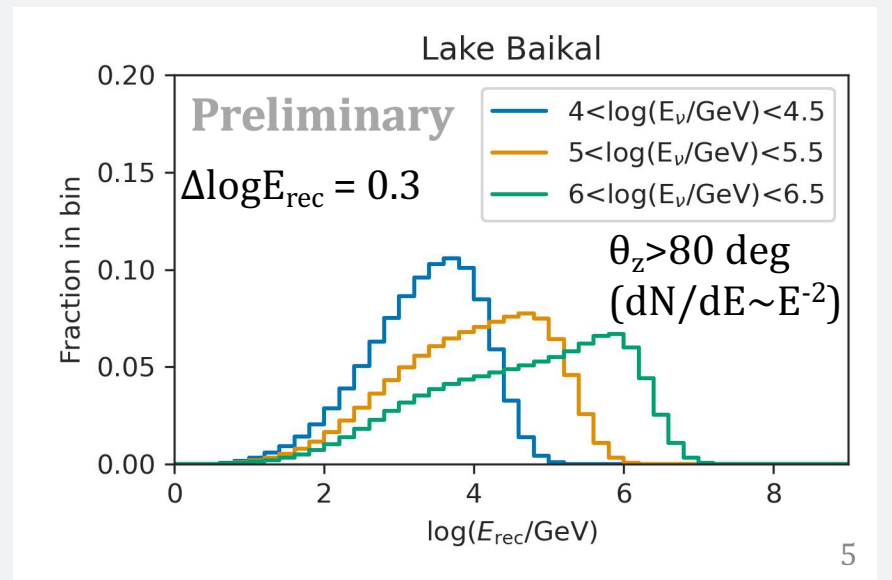
- Cylinder array
 - Lake Baikal
 - South China Sea
- Earth Model (a)
- νN cross section (b)
- Inelasticity (c, d)
- Lepton energy loss (e)



Effective Area (muon neutrino)



Reconstructed Energy (muon track)

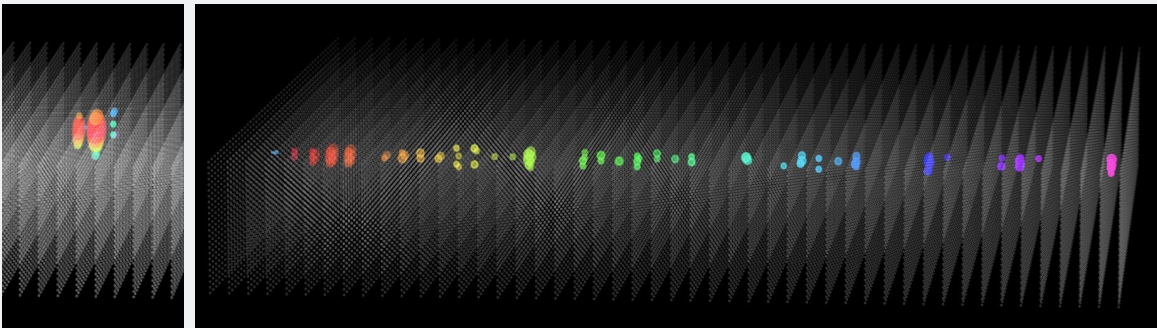


Detector Simulation

Simulation toolkits

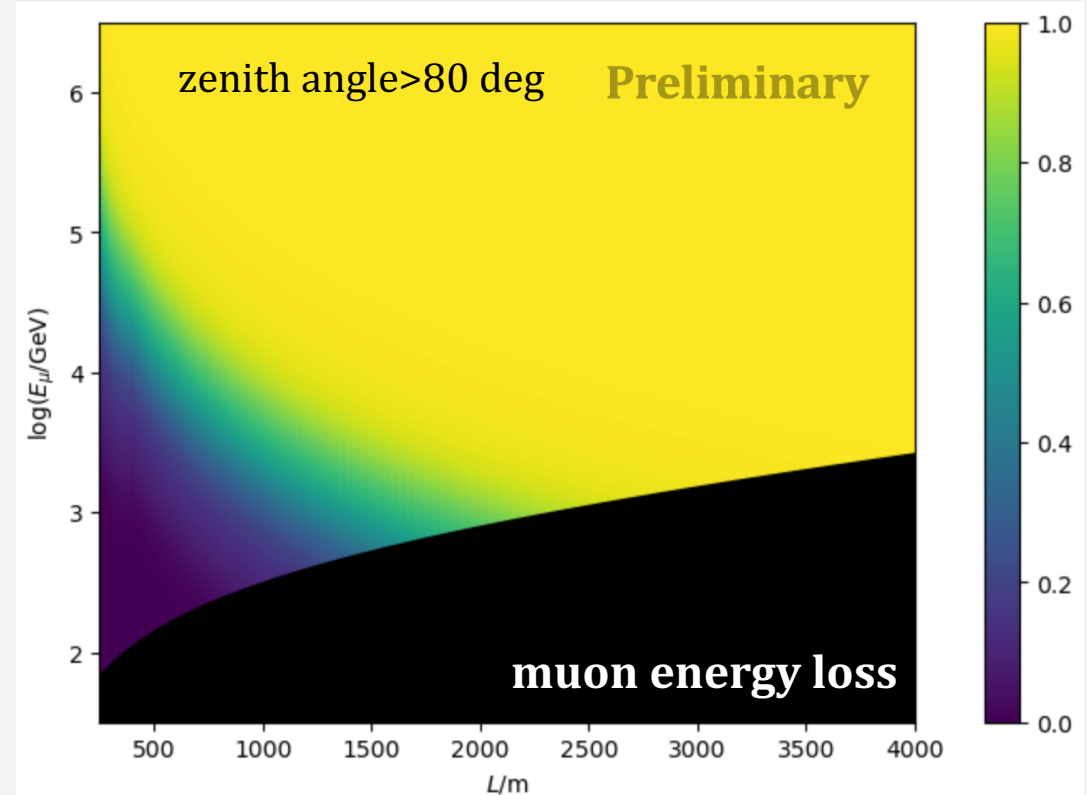
- Geant4: simulating particle interactions inside the array
- Opticks: an open source project that accelerates Geant4 based optical photon simulations
 - at least **11 times** faster than using Geant4 only
- CRMC: hadronic interactions above 100 TeV

| Morphology



Left: Cascade event induced by an 1 PeV electron;
Right: Track event induced by an 100 TeV muon

| Detection Efficiency (muon-tracks)

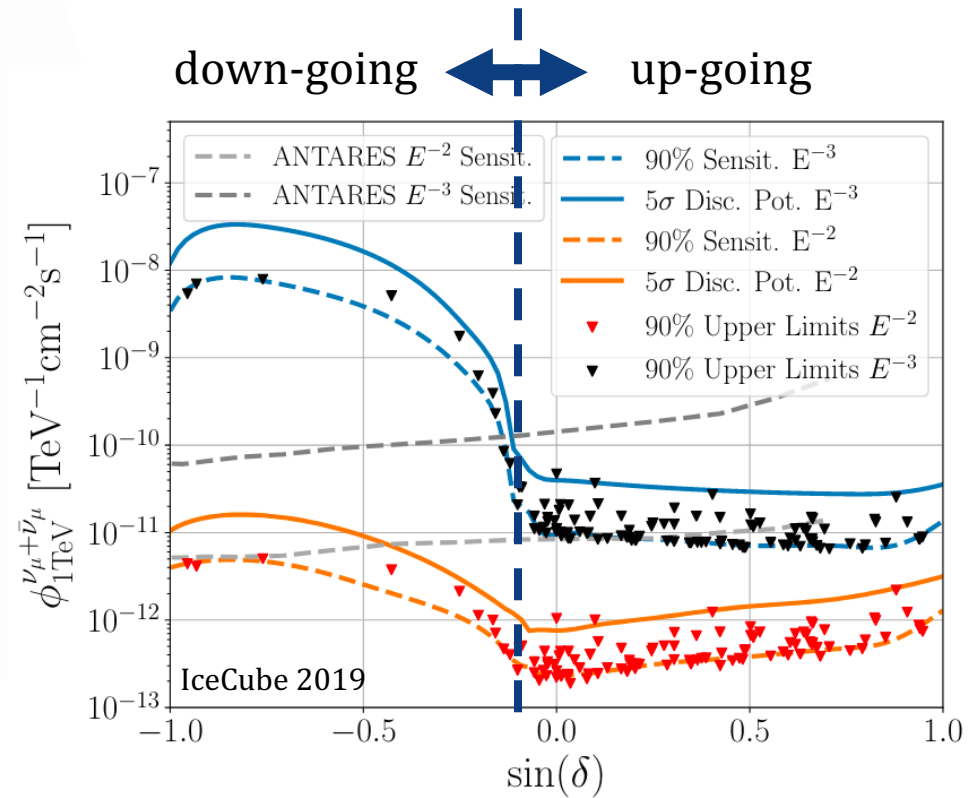
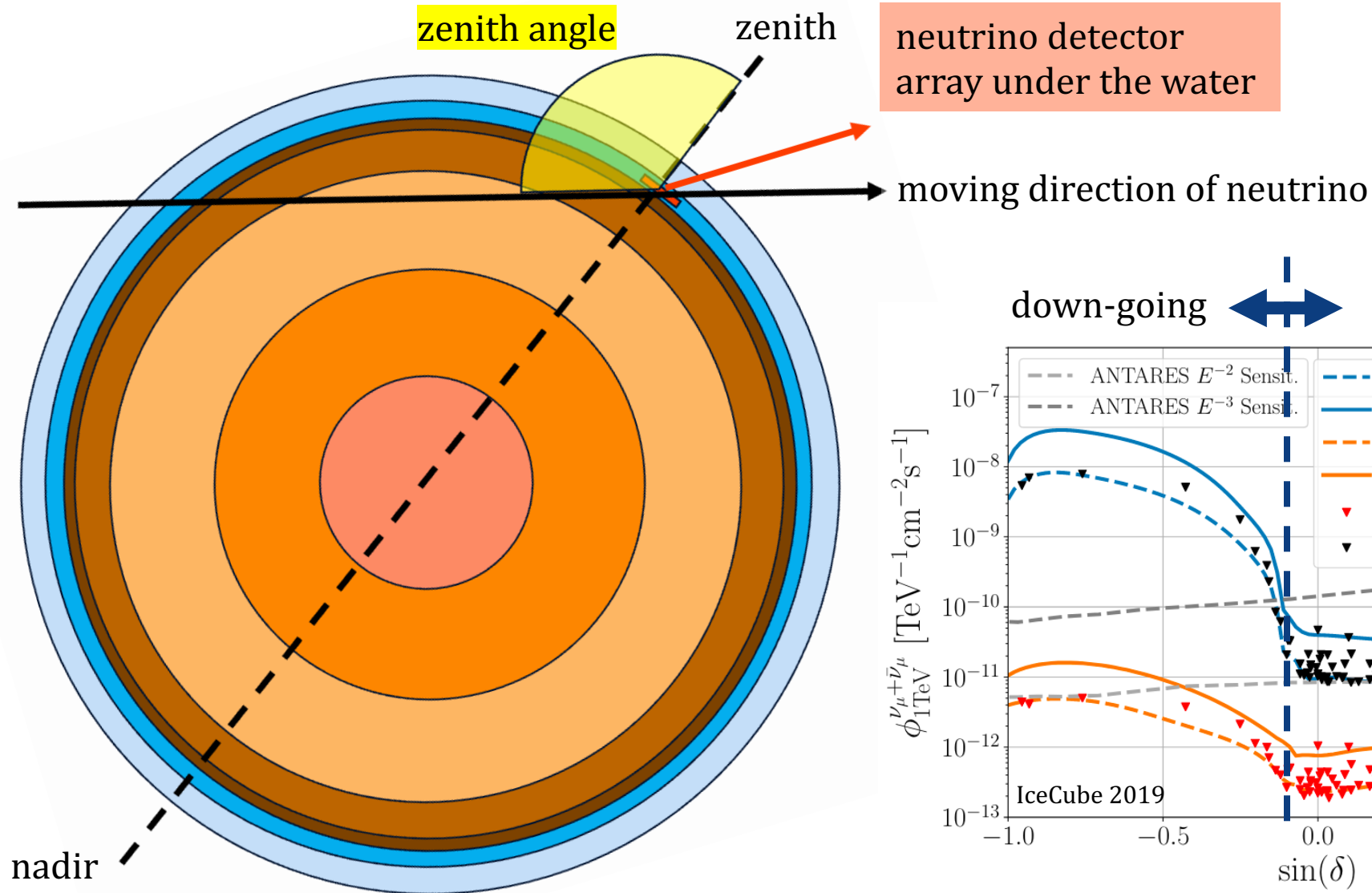


The detection efficiency for up-going muon-tracks.

We adopt the following **event selection criteria**:

- number of PMT hit ($N_{\text{hit}} \geq 7$)
- number of photoelectrons ($N_{\text{PE}} \geq 1$ for each hit)
- total $N_{\text{PE}} \geq 21$
- track length > 250 m

Upgoing Tracks

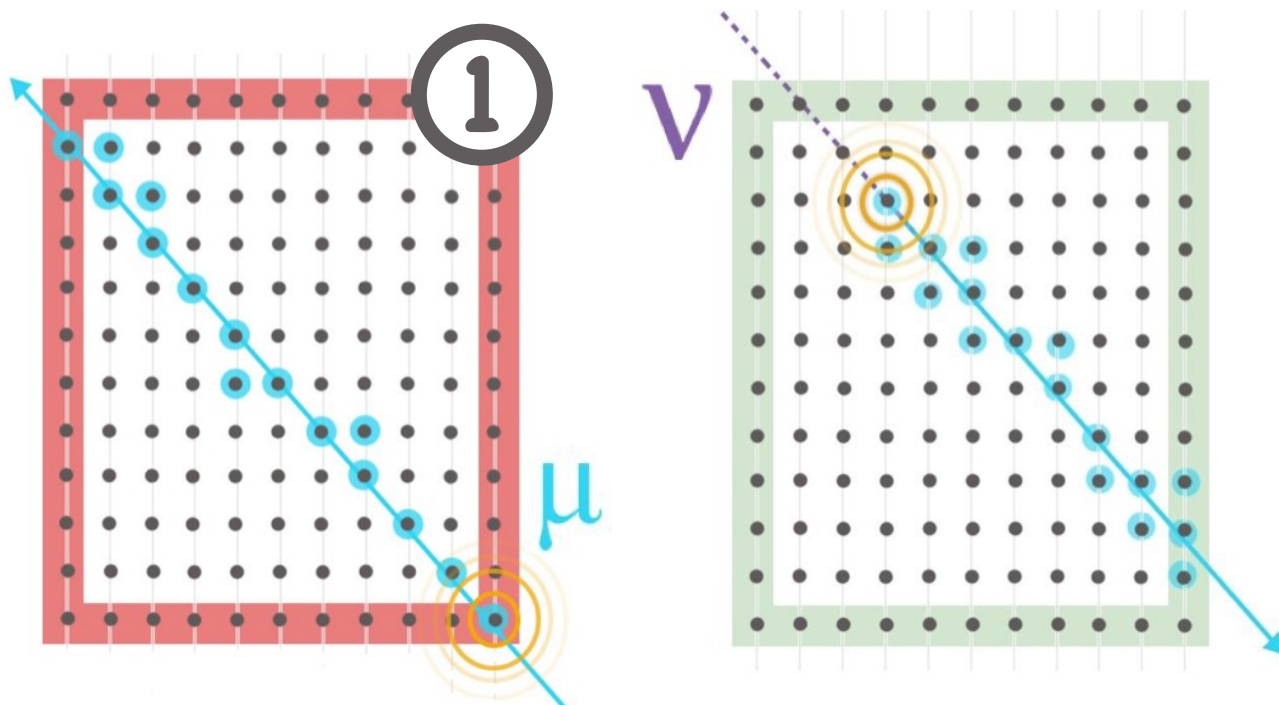


Upgoing Tracks

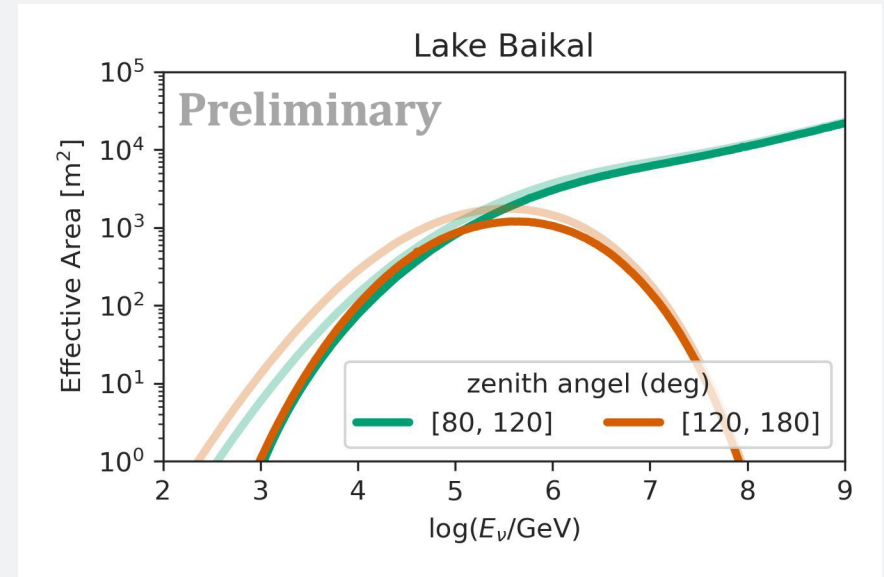
Through-going muon-tracks

Event selection criteria:

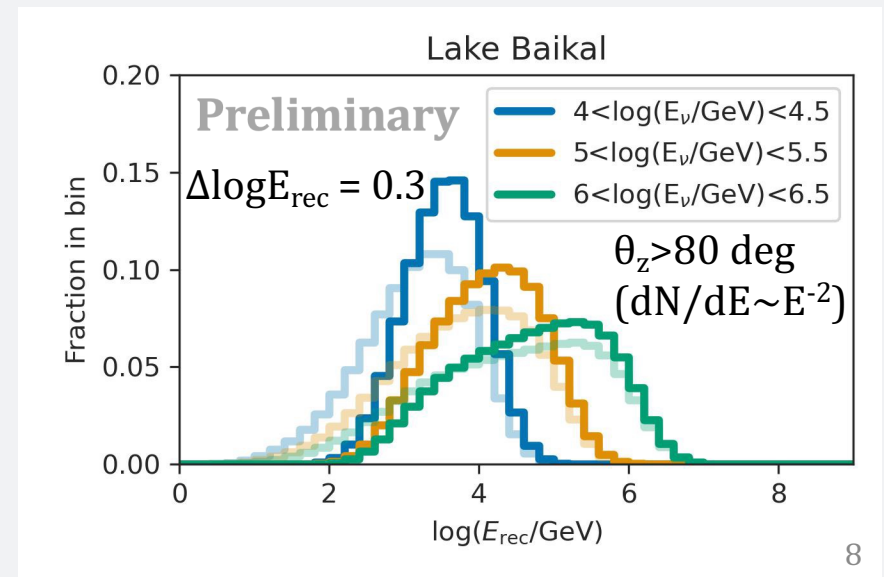
- number of PMT hit (N_{hit}) ≥ 7
- $N_{\text{PE}} \geq 1$ for each hit
- total $N_{\text{PE}} \geq 21$
- zenith > 80 degree
- track length > 250 m



Effective Area



Reconstructed Energy

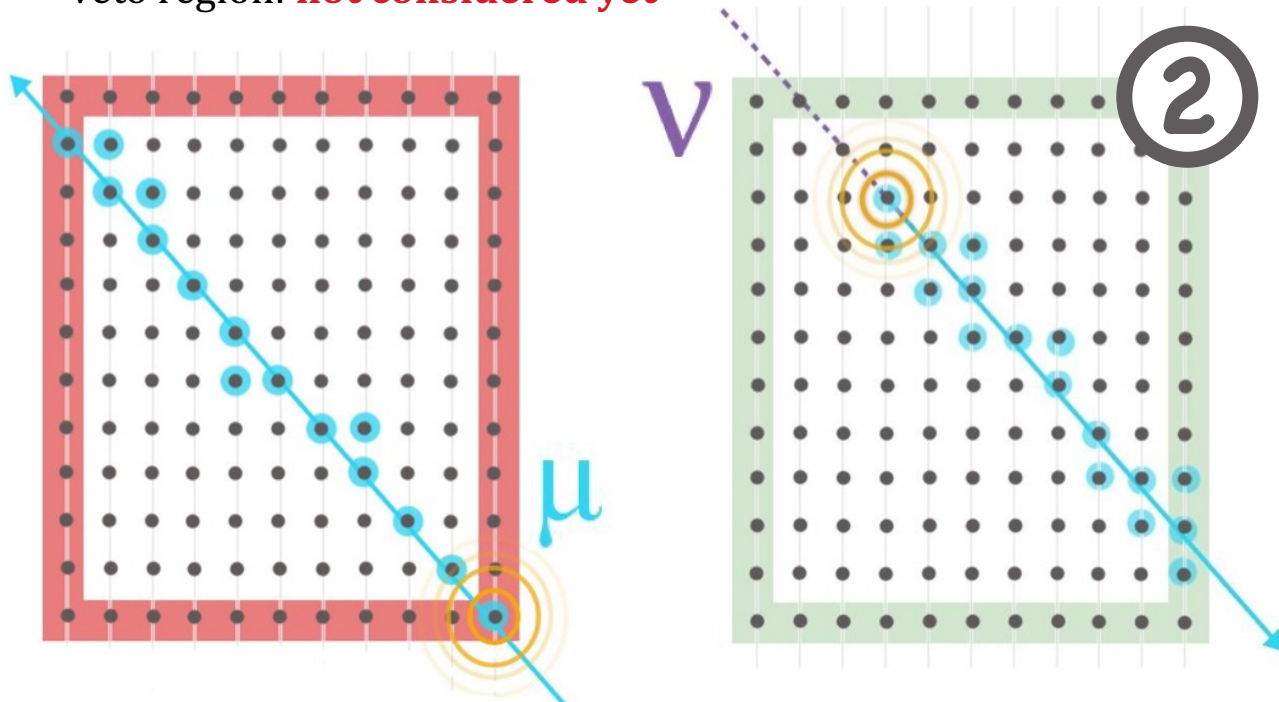


Upgoing Tracks

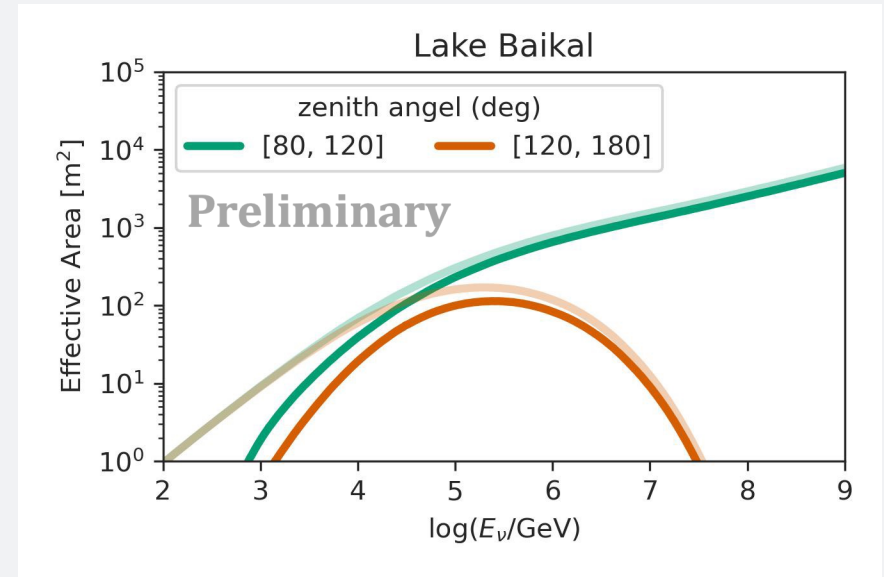
Starting muon-tracks

Event selection criteria:

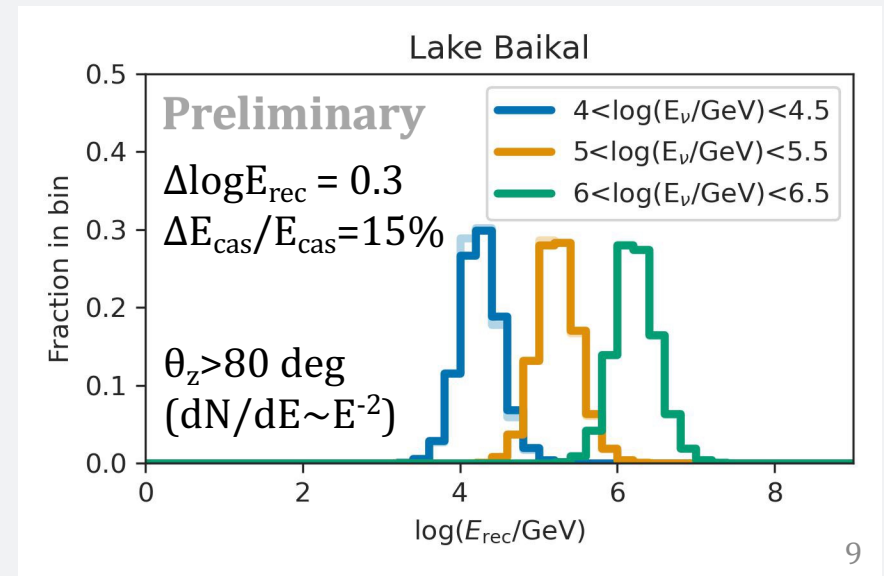
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- $N_{\text{PE}} \geq 1$ for each hit
- total $N_{\text{PE}} \geq 21$
- zenith > 80 degree
- track length > 250 m
- veto region: **not considered yet**



Effective Area



Reconstructed Energy



Lake Baikal vs. South China Sea

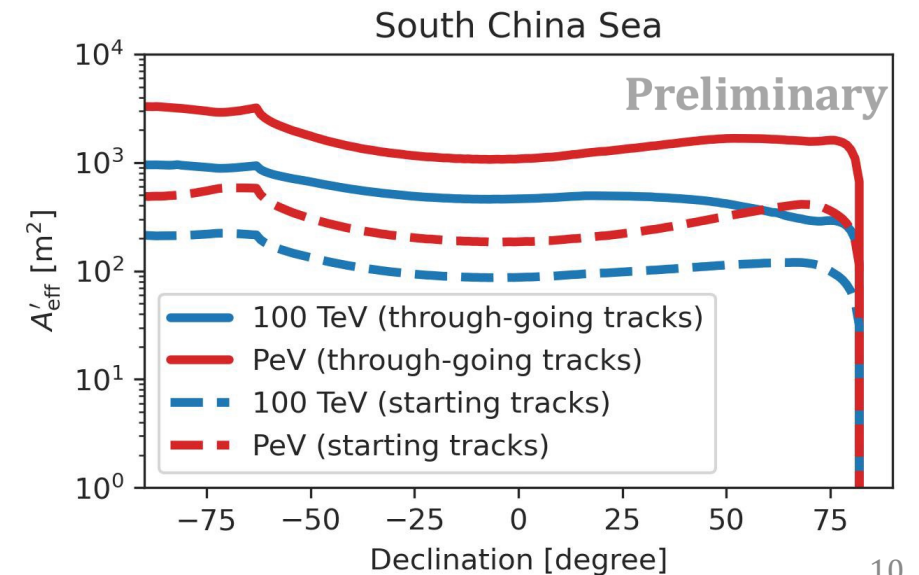
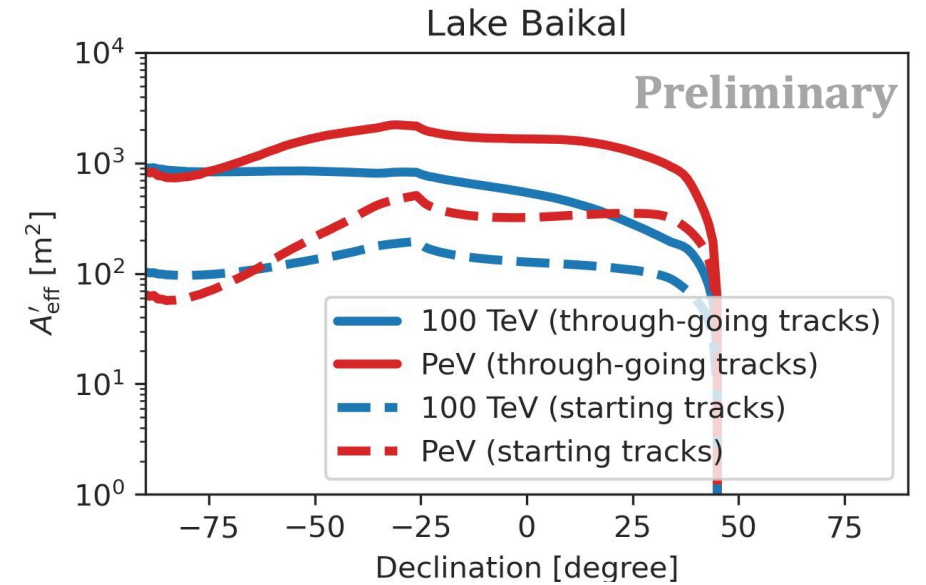
$$A'_{\text{eff}}(E_\nu, \delta_s) = \frac{1}{1 \text{ day}} \int_{\theta_z > 80^\circ} A_{\text{eff}}(E_\nu, \theta_z(\delta_s, t)) dt.$$

Lake Baikal

- Depth: 500-1360 m
- Larger effective area for the sources with declination angles from -50 degree to 5 degree, especially for the Galactic center.

South China Sea

- Depth: 2560-3420 m
- Larger effective area for the sources with declination angles above 20 degree.
- The observable region (for up-going events) covers most of LHAASO field of view.



Lake Baikal vs. South China Sea

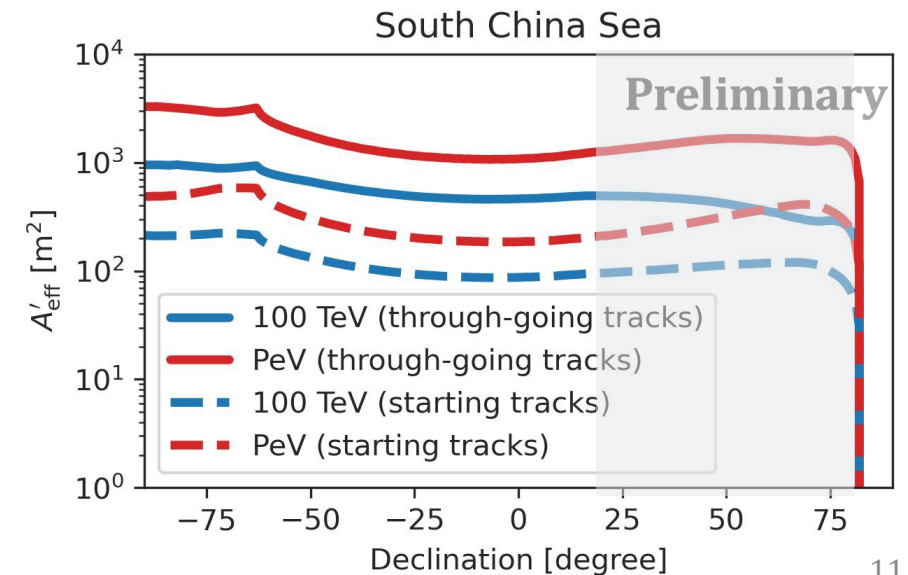
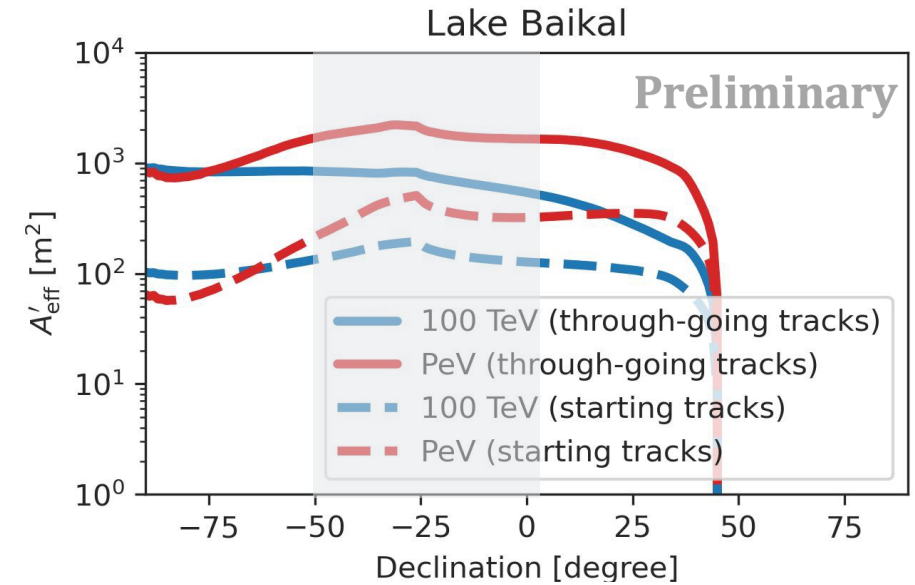
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Prospects for Detecting Diffuse Neutrinos

Background

- Atmospheric muon neutrinos (MCEq)

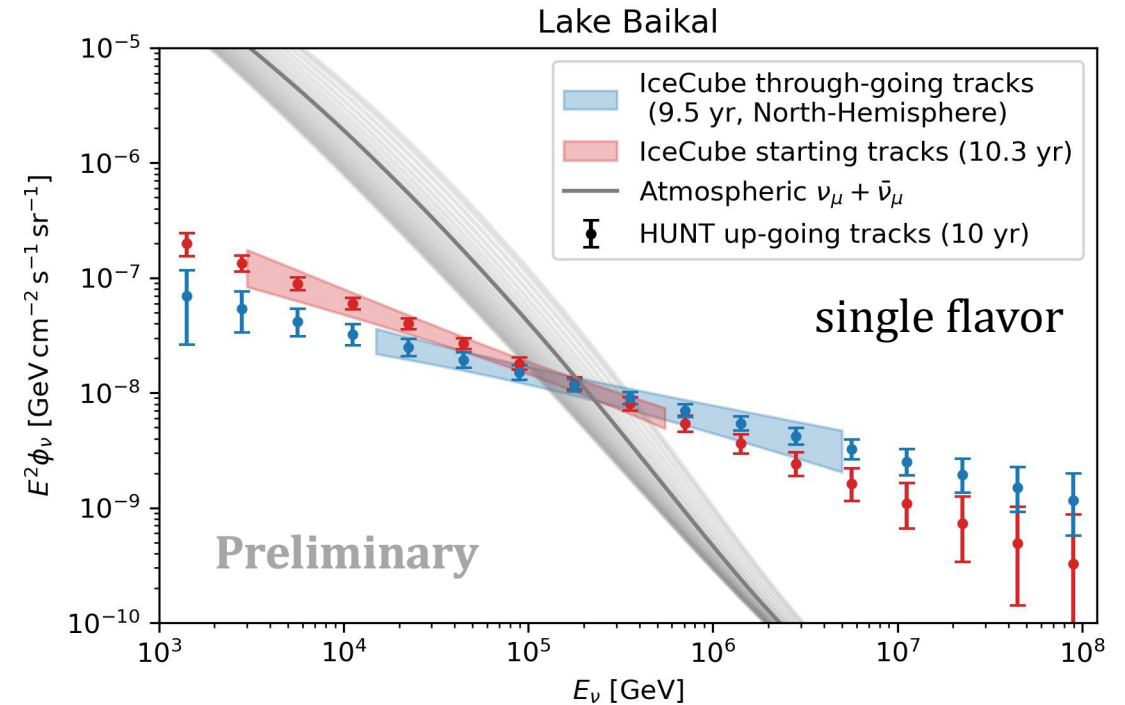
Signal

- Diffuse astrophysical muon neutrinos

Binned Likelihood

- $L = \prod e^{-n_s S_i - n_b B_i} (n_s S_i + n_b B_i)^{n_i} / n_i!$
- We approximate the median significance by replacing the data by the corresponding expectation values.

We anticipate detecting the diffuse neutrino flux above 100 TeV at 5σ level in **3 months**.



Prospects for Detecting Galactic Sources

Background

- Atmospheric muon neutrinos (MCEq)
- Diffuse astrophysical muon neutrinos (9.5 yr, tracks)

Signal (HESS J1702-420A)

- Neutrino energy 50 TeV – 2 PeV
- 2d Gaussian distribution $\sigma = (\sigma_s^2 + \sigma_d^2)^{0.5}$
- Intrinsic extension $\sigma_s = 0.06$ deg

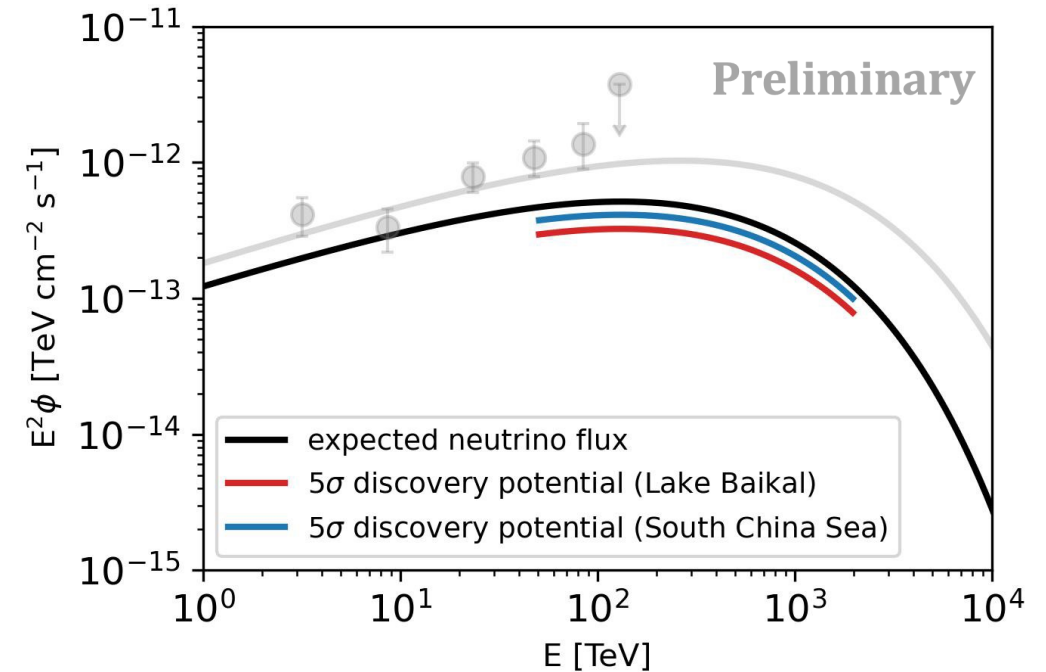
We anticipate detecting the neutrinos (50 TeV - 2 PeV) from HESS J1702-420A at 5σ level with 10 years of operation at

Lake Baikal

- if **63%** of gamma-rays (> 100 TeV) are from π^0 decay

South China Sea

- if **80%** of gamma-rays (> 100 TeV) are from π^0 decay



Detector angular resolution σ_d is assumed to be

- 0.2 deg for through-going tracks
- 0.4 deg for starting tracks

Pathfinder Experiment

Experimental Site

- The water of Xisha Islands in South China Sea

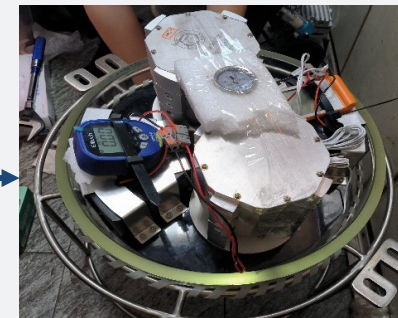
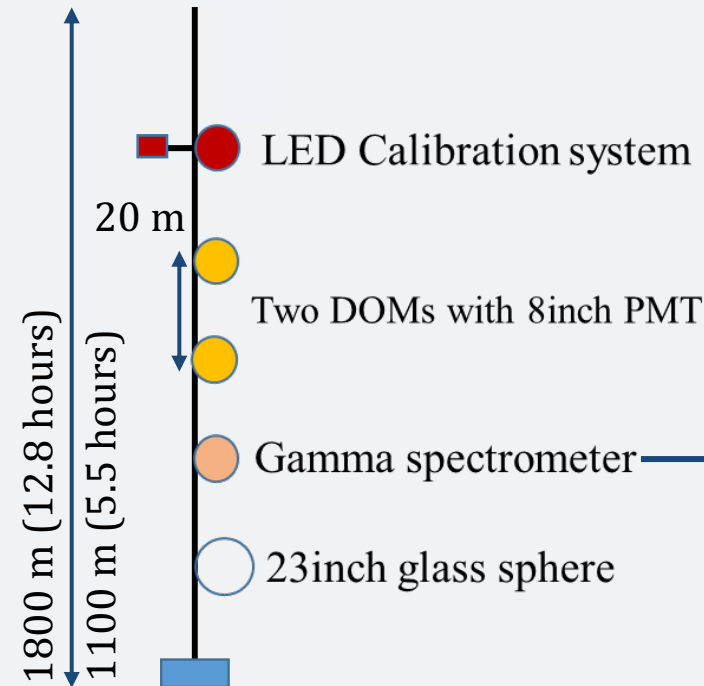
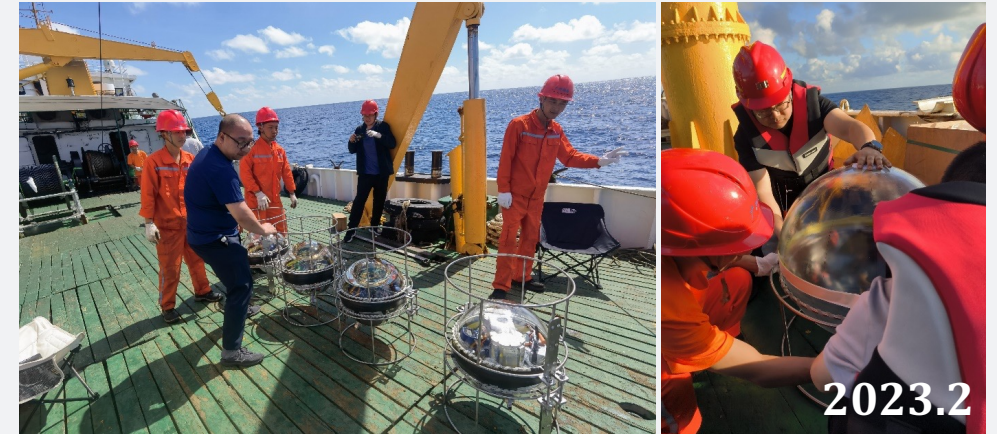
Experimental Objectives

- Test of long-distance LED calibration system
 - ✓ Time resolution 0.4 ns for bright pulses
- Pressure resistance test of 23-inch glass sphere
- In-situ measurement of gamma ray background
 - ✓ The radioactivity for ^{40}K and ^{212}Pb

Scintillation Crystal Gamma Spectrometer			
Depth [m]	Radionuclide	Channel 0 [Bq/L]	Channel 6 [Bq/L]
1800	^{40}K (1460 keV)	15.1 ± 1.3	17.1 ± 0.1
1100		14.8 ± 2.8	19.4 ± 2.3

CZT Gamma-ray Spectrometer			
Depth [m]	Radionuclide	Channel 0 [Bq/L]	Channel 2 [Bq/L]
1800	^{212}Pb (238.6 keV)	1.2 ± 0.2	0.9 ± 0.2
1100		0.97 ± 0.4	1.02 ± 0.3

Pathfinder Experiment Apparatus



Summary

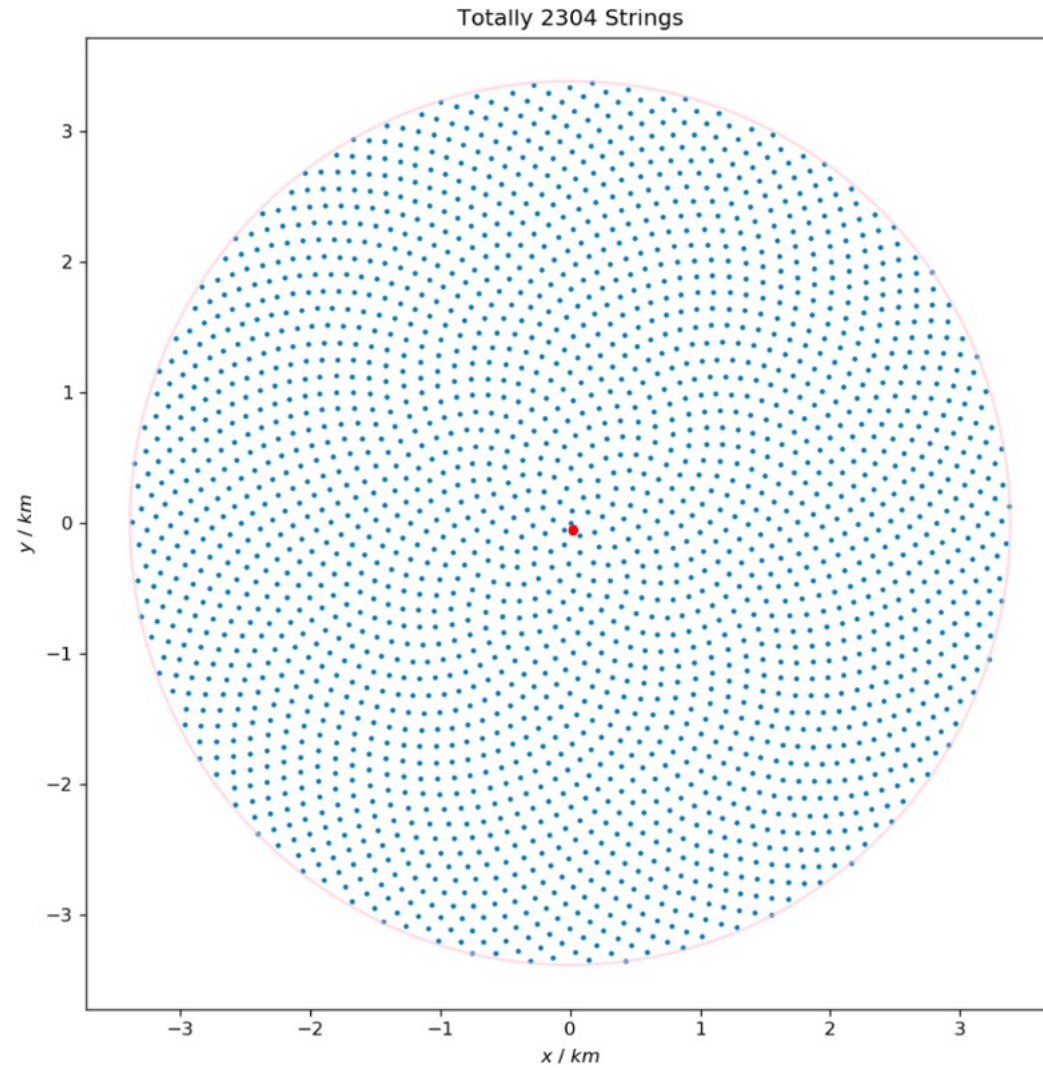
- LHAASO has discovered tens of PeVatron candidates **waiting for the identification by high energy neutrino observations.**
- **HUNT** will realize unprecedented potential in discovering single neutrino sources and precise measurement of the spectrum of the diffuse flux of astrophysical neutrinos.
- In the upcoming research, we will consider more details (e.g., noises) in the simulation and optimize the reconstruction algorithm for better performance (e.g., angular resolution).
- In the upcoming phase of the experiment, we will deploy a prototype string into the array of Baikal-GVD.



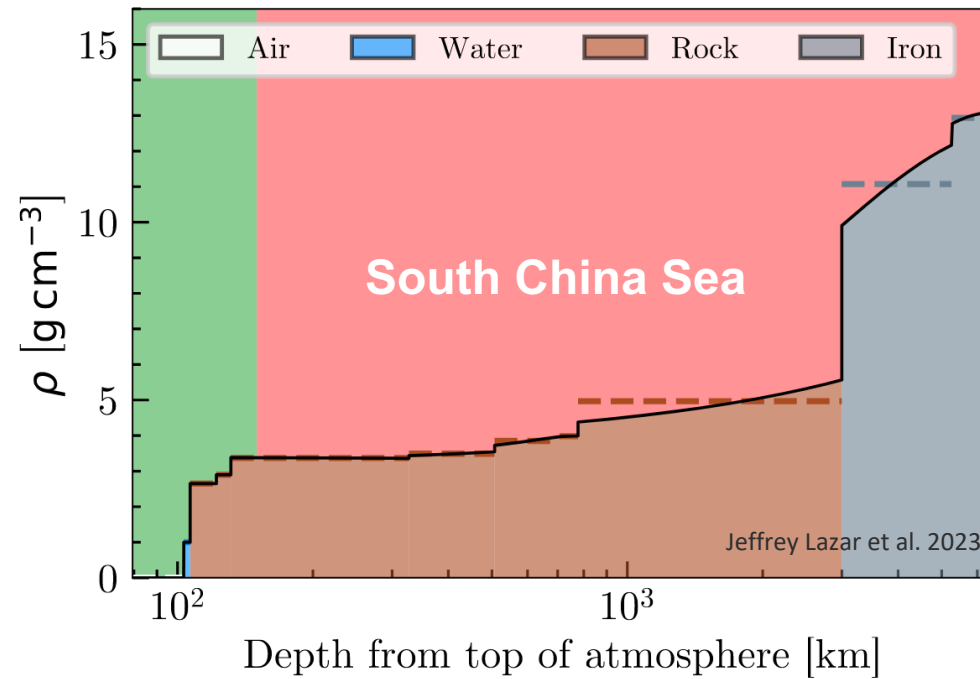
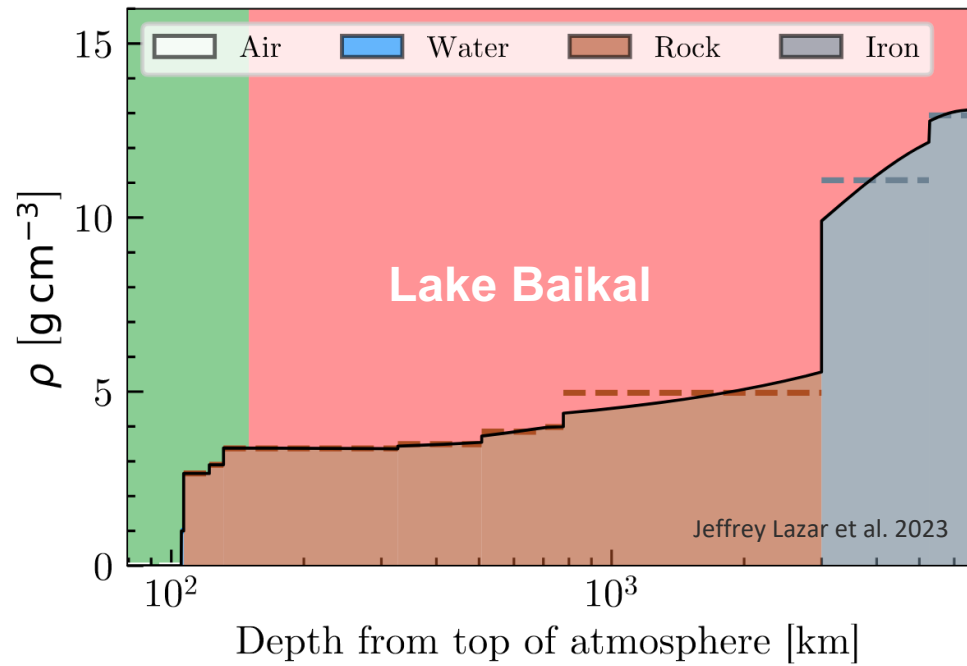
Welcome to join our simulation and hardware groups!
huangtq@ihep.ac.cn

postdoc_HUNT.d
ocx

Back Up



Strings uniformly distribute on the Fibonacci lattices in a circular area (36 km²).



Muon energy loss

Medium	α , [10^{-3} GeV cm ² g ⁻¹]	β , [10^{-6} cm ² g ⁻¹]
Air	2.81	3.58
Water	2.49	4.22
Rock	2.21	5.31

Table 1: The parameters for muon energy loss in different media.

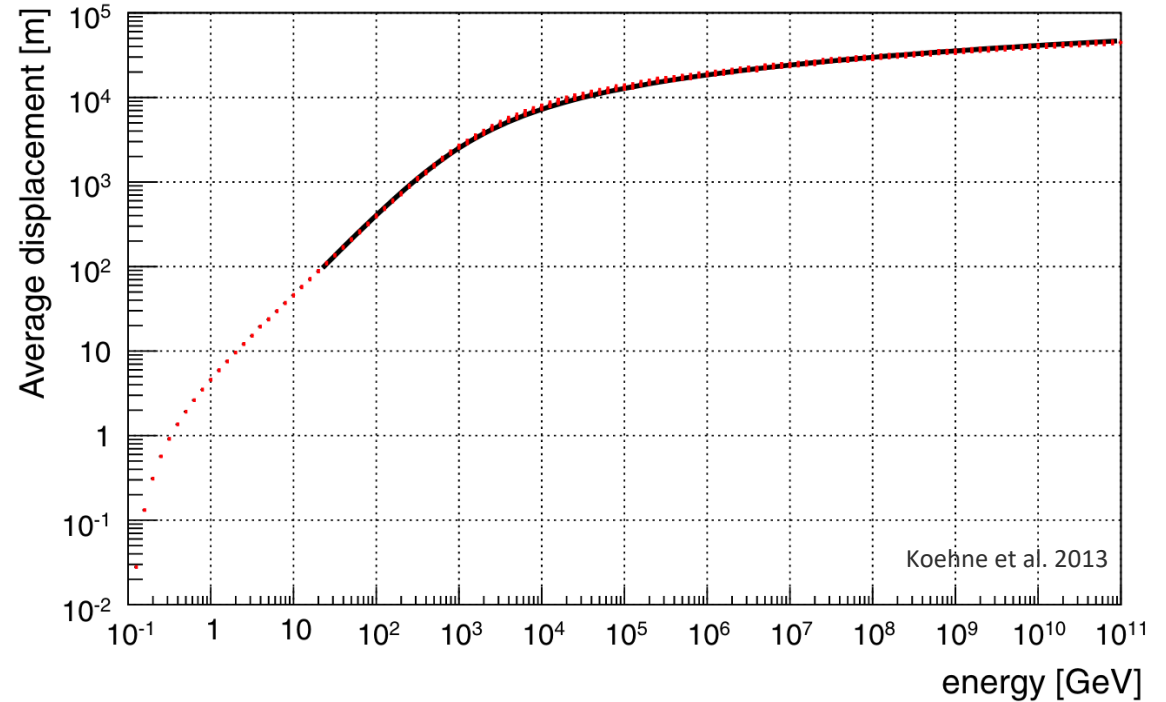
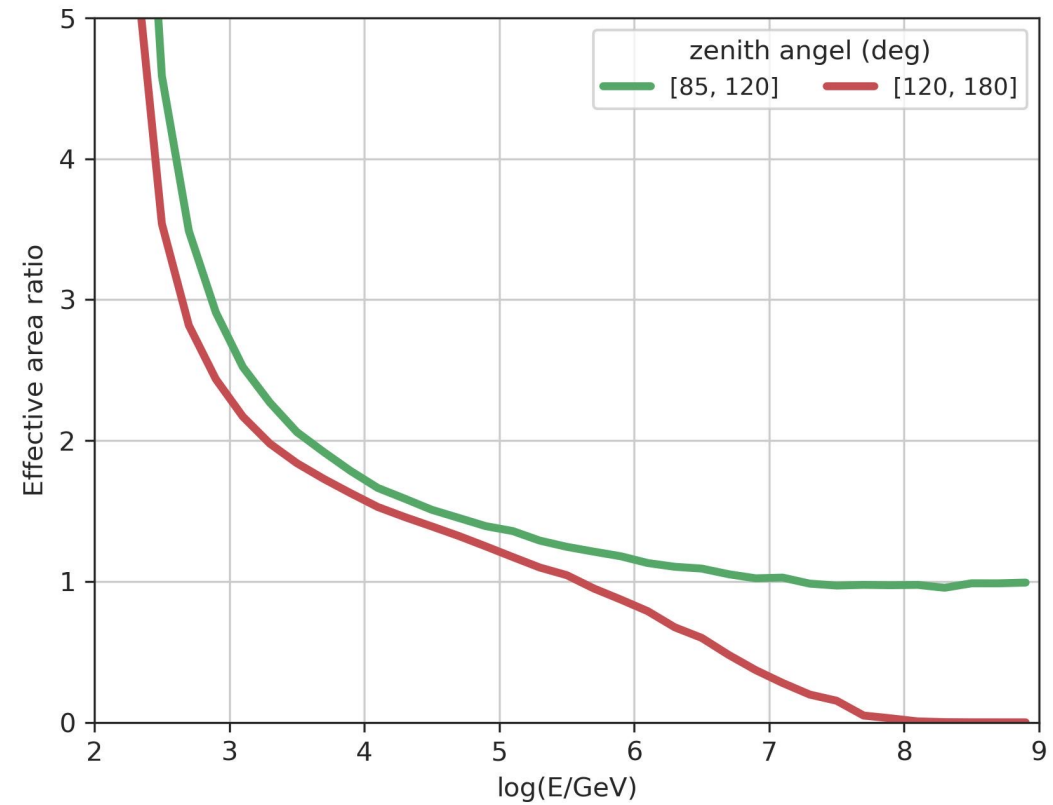
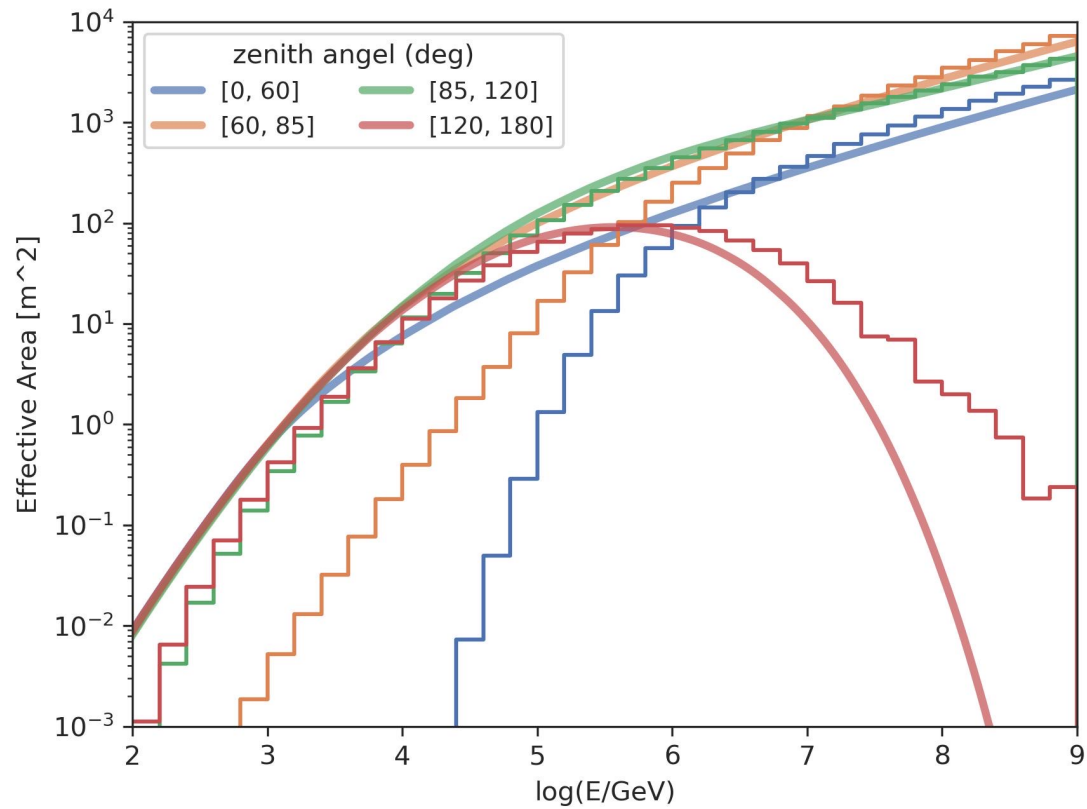


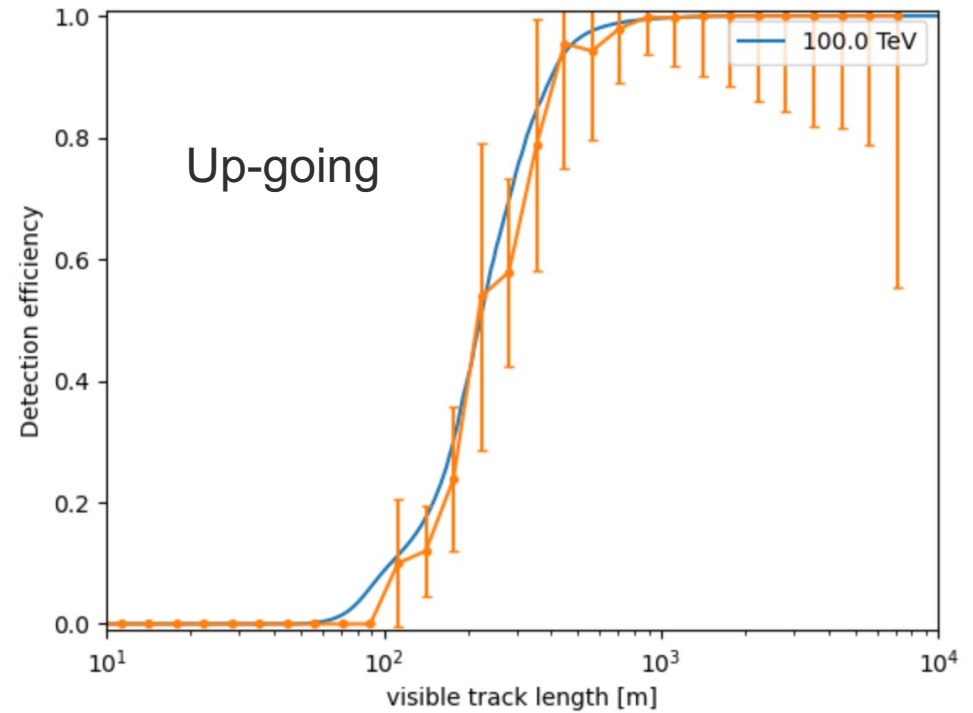
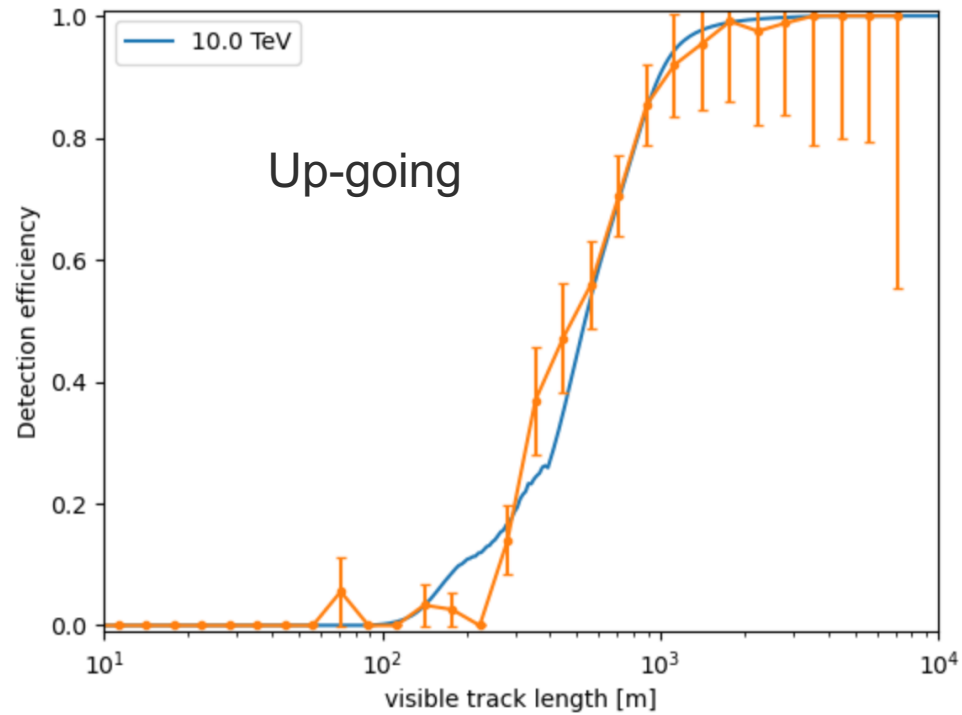
Fig. 40. Fit to the average range of a muon in ice. The range is calculated with PROPOSAL with the initial energy of the particle between 10⁻¹ GeV and 10¹¹ GeV.

Effective area

- Simulate IceCbe effective area for through-going track events
- 100% trigger rate

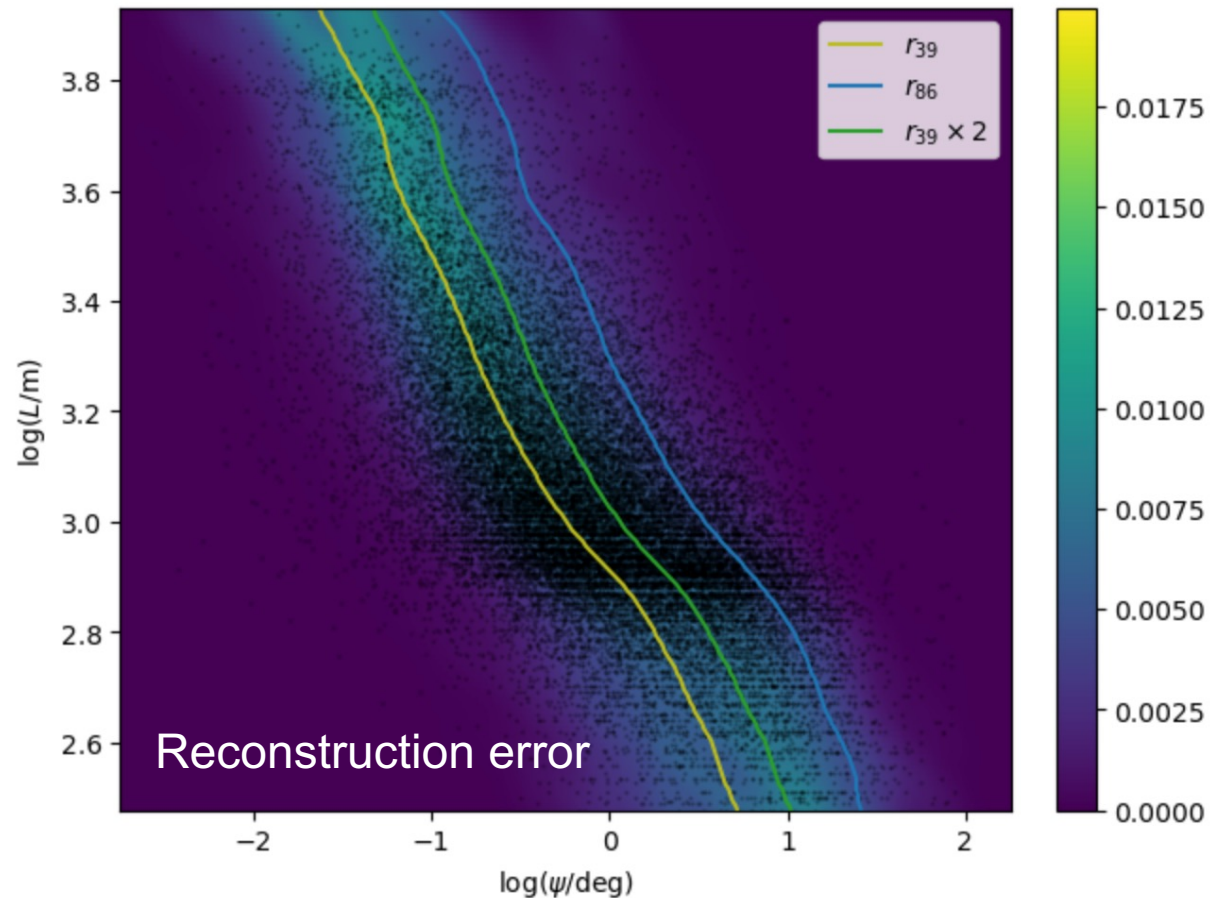


Detection efficiency



Reconstruction

Through-going track events ($\theta > 80$ deg)



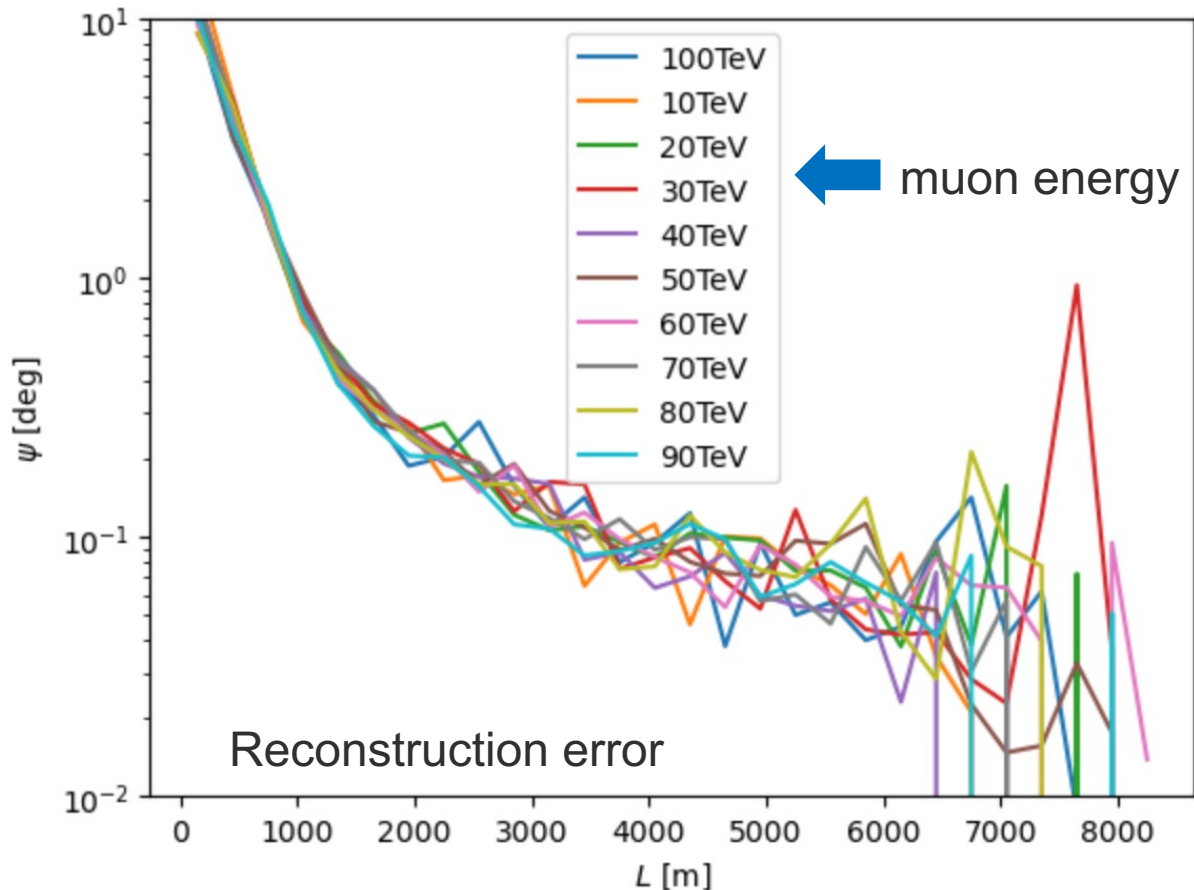
Weighted time-residual method.

$$\chi_{\text{WTR}}^2 = \sum_i^N w_i \left(\frac{t_i(X, \theta) - T_i}{\sigma_i} \right)^2$$

- σ_i is the time detection error of the i -th OM;
- $w_i = q_i / \sum q_j$ is the fraction of charge number in the i -th OM;
- $t_i - T_i$ is the time residual between the theoretical expectation and the detection.

Reconstruction

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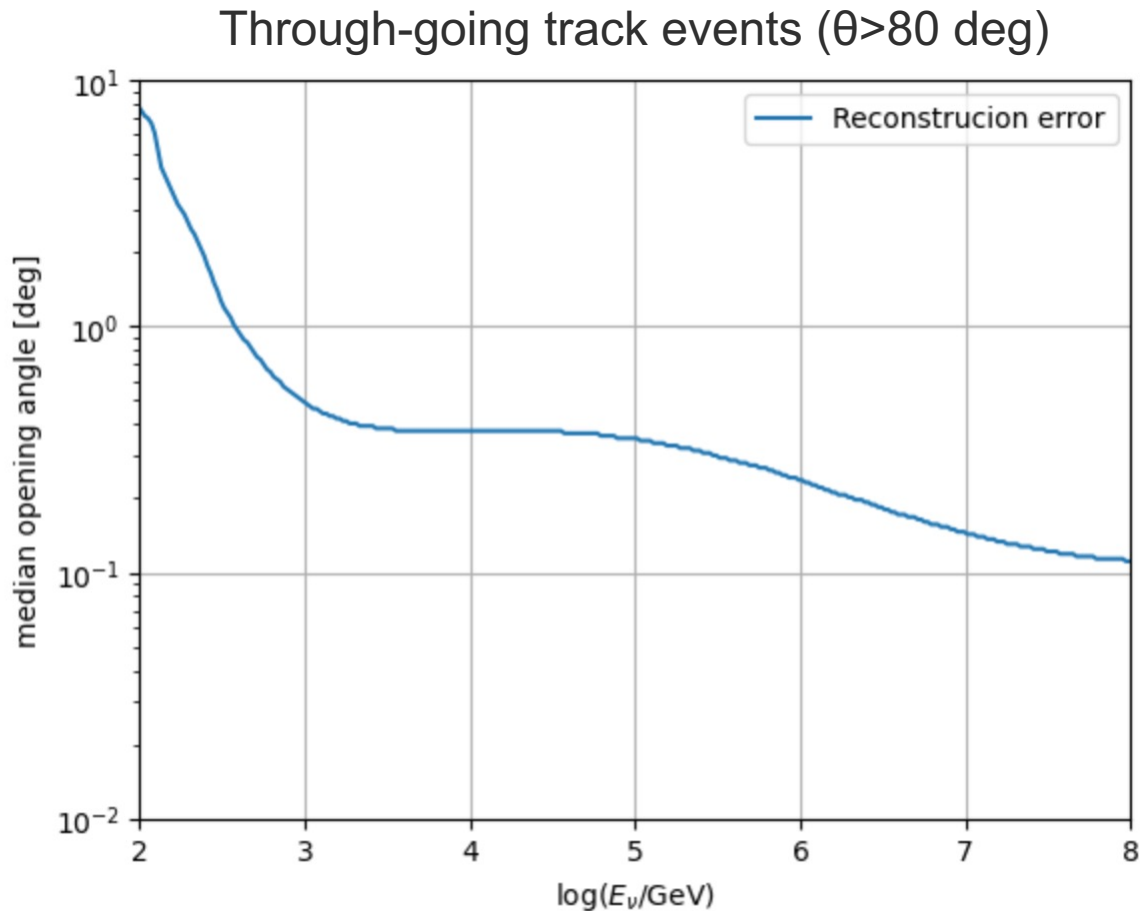


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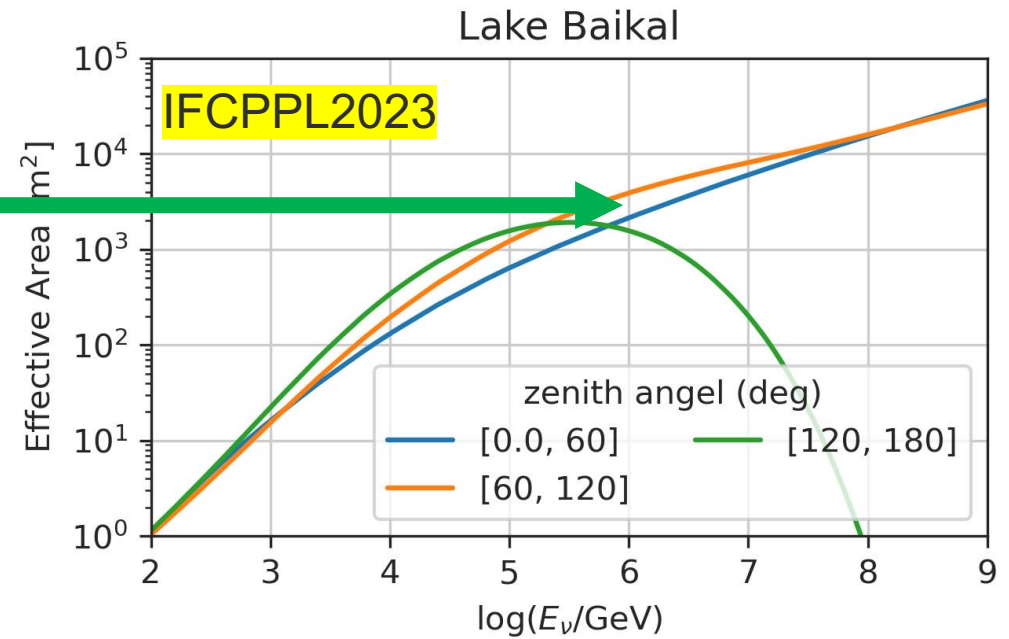
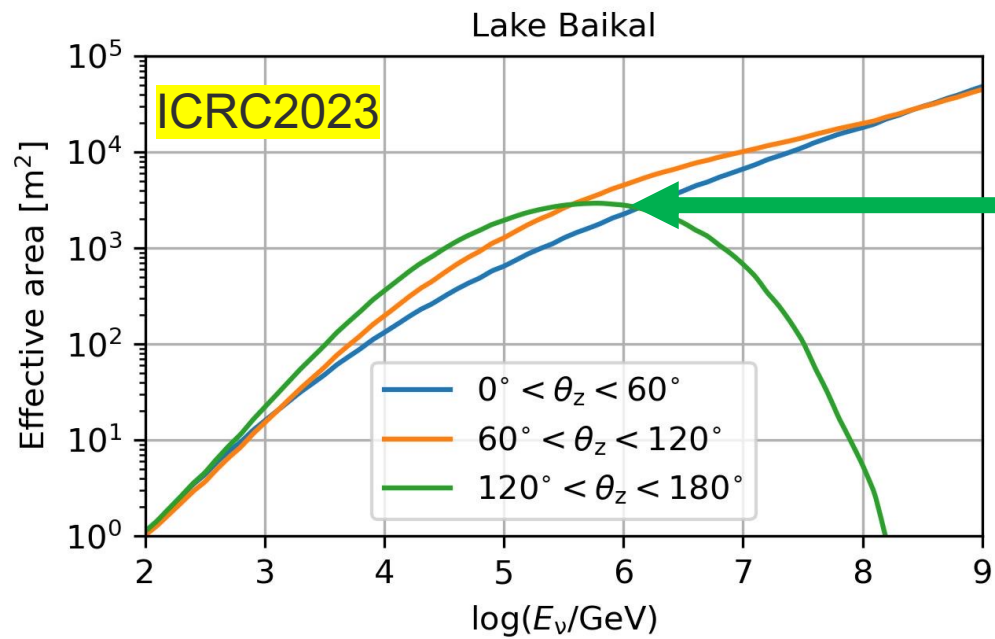


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Previous results



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