New channel to search for dark matter at **Belle II**

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刘佐伟(南京大学)

1 New dark matter channel @ Belle II

3 Sensitivity on invisible dark photon models

in collaboration with Jinhan Liang and Lan Yang [2212.04252]

1 New dark matter channel @ Belle II

Searches for dark matter in particle physics experiments

indirect detection

direct detection

Most studies focus on mono-X channel with SM X produced at the primary vertex

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Different mono-X channels

- mono-photon
- mono-jet
- mono-Higgs
- mono-Z
- mono-top

A pair of SM particles

One SM particle interacts with the detector to produce a pair of DM particles

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A pair of SM particles

fixed target in collider

$$
e^+e^- \rightarrow e^+e^-
$$

• e^- deposit energy in ECL

$$
e^+e^- \to e^+e^-
$$

- e^- deposit energy in ECL
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disappearing positron track

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• CDC: $e^- 8 e^+$

CDC: $\frac{11}{1} \simeq 0.4\%$ for $p_T \simeq 3$ GeV *δpT* p_T $\simeq 0.4\,\%$ for $p_T \simeq 3$ Equal & opposite momenta

for e^- & e^+ in the CM frame

"disappearing positron track" signature

• CDC: e^{-} & e^{+}

$$
\text{CDC: } \frac{\delta p_T}{p_T} \simeq 0.4\% \text{ for } p_T \simeq 3 \text{ GeV}
$$

Equal & opposite momenta
for e^- & e^+ in the CM frame

• ECL: e^{-} & e^{+}

missing energy: <5% e^+ energy in ECL

bremsstrahlung w/ target nucleus

Positron interaction with ECL

annihilation w/ atomic electrons

Use the ECL barrel region as the fixed target

ECL barrel: 32.2[∘] < *θ* < 128.7[∘]

 20° EČL 67(CDC IDS R1145(ARICH) **ARICH** 280 **QC2RP** QCS Better hermiticity (non-projective gaps between ECL crystals)

Less non-instrumented setups (e.g., magnetic wires) between ECL & KLM

More beam BG in Endcaps

Positrons in Bhabha scattering

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14

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- Charged particles (e, μ , π^{\pm}): likely detected by ECL and/or KLM
- Neutral particles (n, γ, ν): more difficult to detect

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- Charged particles (e, μ , π^{\pm}): likely detected by ECL and/or KLM
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Neutrino BG is negligible (xsec is small)

Main BG is due to *n/γ*

 $|14|$

Photon-induced background

Photon energy measured in ECL

ECL = $16-X_0$ CsI crystals, w/ $X_0 = 1.86$ cm

Photon-induced background

Photon energy measured in ECL

ECL = $16-X₀$ CsI crystals, w/ $X₀ = 1.86$ cm

Photon can also be detected by KLM

KLM = alternating sandwich of 4.7-cm iron plates and active detectors

Photon escapes ECL

Photon energy spectrum due to e^+ collision with ECL

$$
\frac{dN_{\gamma}}{dx_{\gamma}}(t, x_{\gamma}) \simeq \frac{1}{x_{\gamma}} \frac{(1 - x_{\gamma})^{(4/3)t} - e^{-(7/9)t}}{(4/3)\ln(1 - x_{\gamma})}
$$

$$
x_{\gamma} = E_{\gamma}/E_{e} \qquad tX_{0} \text{ is the distance}
$$

Photon escapes ECL

Photon energy spectrum due to e^+ collision with ECL

∫ 1 $J(0.95)$ *dx^γ dN^γ dx^γ* $(t = 16, x_{\gamma}) \simeq 4.7 \times 10^{-8}$

 $\sim 2.8 \times 10^4$ *γ*-BG after ECL for 6 $\times 10^{11}$ e^+

$$
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 $x_{\gamma} = E_{\gamma}/E_e$ *EZ*₀ is the distance

KLM veto capability on photon

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IFR @ BaBar, veto eff = 4.5×10^{-4}

13 photon BG (conservative)

Neutron-induced backgrounds: GEANT4 simulations

GEANT4 simulation of $10^9 e^+$ with 4.35 GeV onto a CsI target with $1 X_0$

• Full simulation with $16 X_0$ is timeconsuming

• Neutrons with significant energy are likely to be produced in the 1 st X_0 (confirmed in simulations with $2-X_0$)

Selection in GEANT4 simulations

At least 1 neutron with energy $>$ 3 GeV

Energy deposition in $ECL < 5%$

Veto p/π^\pm with momentum > 0.6 GeV (either deposit energy in ECL or produce tracks in KLM)

Count # of neutrons with $K.E. > 280$ MeV (hadronic shower threshold)

Probability for a neutron to penetrate ECL & KLM

Prob to penetrate a target with length L

$$
P = \exp(-L/\lambda_0)
$$

 λ_0 = hadronic interaction length

KLM has $\sim 3.9 \lambda_0$

ECL has $\sim 0.8 \lambda_0$

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KLM has $\sim 3.9 \lambda_0$

ECL has $\sim 0.8 \lambda_0$

Prob to penetrate ECL & KLM is about 1%

about 81 neutron background in total

Summary on background estimation

BG: e^+ + ECL $\rightarrow \gamma/n$ which escape detection

Use KLM to veto such BG

- photon BG events: ∼ 13
- neutron BG events: ∼ 81

[Liang, ZL, Yang, 2212.04252]

3 Sensitivity on invisible dark photon

Invisible dark photon

dark photon A'_μ *μ*

suppressed coupling ϵ to SM fermion

gauge coupling to hidden fermion $\chi: g_\chi \gg e\epsilon$

 $m_{A'} = 3m_{\chi}$

$$
\mathcal{L}_{int} = A'_{\mu} (e \mathcal{Q}_f \epsilon \bar{f} \gamma^{\mu} f + g_{\chi} \bar{\chi} \gamma^{\mu} \chi)
$$

[Foot & He 1991]

[Kors & Nath 2004]

Annihilation with atomic electrons

 $\overline{\chi}$

 χ

annihilation process:
$$
e^+e_A^- \rightarrow A' \rightarrow \chi \bar{\chi}
$$

\n
$$
\sigma_{\text{ann}}(\sqrt{s}) = \frac{e^2 \varepsilon^2 \alpha_D}{3} \frac{s + 2m_{\chi}^2}{(s - m_{A'}^2)^2 + \Gamma_A^2 m_{A'}^2} \sqrt{1 - \frac{4m_{\chi}^2}{s}}
$$
\n
$$
\alpha_D = g_{\chi}^2 / 4\pi \qquad s = 2m_e E' + 2m_e^2 = 2m_e E_{A'}
$$

Annihilation with atomic electrons (continued)

$$
N_{\rm ann} = \mathcal{L} \int_{E_{\rm min}}^{E_{\rm max}} dE \frac{d\sigma_B}{dE} \int_{0.95E}^{E+m_e} dE_A n_e T_e
$$

$$
\frac{d\sigma_B}{dE}
$$
 is the Bhabha xsec

 n_e is the electron # density

 $T_e(E', E, L_T)$ is the e^+ differential track length

[Tsai & Whi9s 1966] [Bjorken et al, 1988]

 $n_e T_e(E' = E_{A'} - m_e, E, L_T) \sigma_{ann}(E_{A'})$

Bremsstrahlung with target nucleus

dominated by on-shell A' production

 $dE_A n_N T_e(E', E, X_0)$ $d\sigma_{\rm bre}$ *dEA*′

$$
N_{\rm bre} = \mathscr{L} \int_{E_{\rm min}}^{E_{\rm max}} dE \frac{d\sigma_B}{dE} \int_{0.95E}^{E-m_e} dE_A
$$

= xsec of on-shell produced $d\sigma_{\rm bre}$ $dE_{A^{\prime}}$

A′ $N \$ N

[Bjorken et al, 0906.0580] [Gninenko et al, 171205706] [Liu & Miller, 1705.01633]

Belle II sensitivity on invisible dark photon

We propose a new dark matter channel at colliders, where one SM particle interacts with the detector to produce DM particles

The main background at Belle II are due to photon and neutron events that escape detection

the missing momentum search at NA64

We find that this new DM channel at Belle II can probe new parameter space of invisible dark photon, surpassing both the mono-photon channel at Belle II and

backup slides

Track length

For positrons with initial energy E to enter a target with thickness L_T , the differential track-length distribution as a function of the positron energy E' can be computed by [1, 2]

$$
T_e(E',E,L_T)=X_0\int_0^{L_T/X_0}I_e(E',E,t)dt,
$$

[1] 1802.03794 [2] 1807.05884 [3] Tsai & Whitis 1966

where X_0 is the radiation length of the target. Here $I_e(E', E, t)$ is the energy distribution of E' at the depth tX_0 , which can be computed iteratively such that $I_e = \sum_i I_e^{(i)}$ where $I_e^{(i)}$ denotes the *i*-th generation positrons [3]. We adopt the analytical model of Ref. [3] up to second-generation positrons, which are found to be in good agreement with simulations in Ref. $[1]$. The contributions from the first two generations are $[3]$

$$
\begin{aligned} &I_{e}^{(1)}(E',E,t)=\frac{1}{E}\frac{(\ln(1/v))^{b_1t-1}}{\Gamma(b_1t)},\\ &I_{e}^{(2)}(E',E,t)=\frac{2}{E}\int_{v}^{1}\frac{dx}{x^2}\frac{1}{b_2+b_1\ln(1-x)}\left[\frac{(1-x)^{b_1t}-(1-v/x)^{b_1t}}{b_1\ln[(x-x^2)/(x-v)]}+\frac{e^{-b_2t}-(1-v/x)^{b_1t}}{b_2+b_1\ln(1-v/x)}\right], \end{aligned}
$$

where $b_1 = 4/3$, $b_2 = 7/9$, $v = E'/E$.

xsec of on-shell dark photon

where n_N is the number density of I (or Cs). Here $d\sigma_{\rm bre}/dE_{A'}$ is the differential cross section of the on-shell produced A' [71–73],

$$
\frac{d\sigma_{\text{bre}}}{dE_{A'}} = (\phi_I + \phi_{\text{Cs}}) \frac{4\alpha^3 \epsilon^2}{E'} \frac{x(1 - x + x^2/3)}{m_{A'}^2 (1 - x) + m_e^2 x^2},\tag{13}
$$

where $x \equiv E_{A'}/E'$, and ϕ_N denotes the effective flux of photons from nucleus N [71]:

$$
\phi_N = \int_{t_{\min}}^{t_{\max}} dt \, \frac{t - t_{\min}}{t^2} \left[\frac{Z a^2 t}{(1 + a^2 t)(1 + t/d)} \right]^2, \quad (14)
$$

with $t_{\min} = (m_{A'}^2/2E')^2$, $t_{\max} = m_{A'}^2 + m_e^2$, $a = 111m_e^{-1}Z^{-1/3}$, and $d = 0.164A^{-2/3}$ GeV². We use $Z = 53(55)$ and $A = 127(133)$ for I (Cs). Here we only consider the dominant elastic form factor.

[71] Bjorken et al, 0906.0580 [72] Gninenko et al, 171205706 [73] Liu & Miller, 1705.01633

dark sector

Hypercharge portal models \implies dark photon

[Holdom 1986] [Foot & He 1991] [Kors & Nath 2004] [Feldman, ZL, Nath, [hep-ph/0702123](https://arxiv.org/abs/hep-ph/0702123), 373 cites]

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$SU(3)$ ^{*c*} \times $SU(2)$ ^{*I*} \times $U(1)$ _{*Y*} \times $U(1)$ _{*X*}

 $\mathcal{L} = -\frac{1}{4}$ 4 $B_{\mu\nu}B^{\mu\nu} - \frac{1}{4}$ 4 $X_{\mu\nu}X^{\mu\nu} + g_D X_{\mu}\bar{\chi}\gamma^{\mu}\chi-\frac{\delta}{2}$ $\widetilde{\bm{\mathcal{S}}}$ 2 $B_{\mu\nu} X^{\mu\nu} - \frac{M_1^2}{2}$ 1 $\frac{1}{2}$ $(\partial_{\mu}\sigma + X_{\mu} + \tilde{\epsilon} B_{\mu})$

$SU(3)$ ^{*c*} \times $SU(2)$ ^{*l*} \times $U(1)$ _{*Y*} \times $U(1)$ _{*X*} $\mathcal{L} = -\frac{1}{4}$ 4 $B_{\mu\nu}B^{\mu\nu} - \frac{1}{4}$ 4

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$\widetilde{\bm{\mathcal{S}}}$

kinetic mixing δ & mass mixing $\tilde e$ are degenerate (w/o χ): only $\epsilon \sim (\tilde e \!-\! \delta)$ is physical \tilde{e} are degenerate (w/o χ): only $\epsilon \sim (\tilde{e}-\delta)$ $\widetilde{\bm{\mathcal{S}}}$)

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[see also Fabbrichesi+, 2005.01515, Dark Photon Review] 34 **[Feldman, ZL, Nath, [hep-ph/0702123,](https://arxiv.org/abs/hep-ph/0702123) 373 cites]**

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$$

 \bullet $X_{\mu} \Longrightarrow A'_{\mu}$ (dark photon), if $M_1 \ll M_Z$ $\epsilon eQ_fA'_\mu \bar{f}\gamma^\mu f$ (SM sector) and $g_DA'_\mu \bar{\chi}\gamma^\mu \chi$ (dark sector)

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- $X_{\mu} \Longrightarrow Z_{\mu}'$ (hypercharge-like), if $M_1 \gg M_Z$

$$
\ll M_Z
$$

[Feldman, ZL, Nath, [hep-ph/0702123,](https://arxiv.org/abs/hep-ph/0702123) 373 cites]

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- $X_{\mu} \Longrightarrow Z_{\mu}'$ (hypercharge-like), if $M_1 \gg M_Z$

If A'_μ or Z'_μ is massive, χ is millicharged ($e e A_\mu \bar{\chi} \gamma^\mu \chi$) only when \tilde{e}

$$
\ll M_Z
$$

$\tilde{\epsilon}\neq 0$

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