



- A selection is omitted in the previous closure test
- The ϵ_{evt} is calculated with a selection:

```
cut reco evt = "Trigger Matched == 1 && fourMuFit Mass[0]>0 &&  
fourMuFit_ups1_VtxProb[0]>0.005 && fourMuFit_ups2_VtxProb[0]>0.005  
&& !((trigger&8)==0)"
```

- The $\mu^+ \mu^-$ vertex selection is regarded as a duplicate and gets omitted in the closure test
- But it is found a lot of events fail in this selection



New efficiency

$$\epsilon_1^i(J/\psi_1) = \frac{N[\text{cut}_1(J/\psi_1) \&\& \text{Fid}^i(J/\psi_1)]}{2N[\text{Fid}^i(J/\psi_1)]}$$

...

$$\epsilon_n^i(J/\psi_1) = \frac{N[\text{cut}_1(J/\psi_1) \dots \text{cut}_{n-1}(J/\psi_1) \&\& \text{cut}_n(J/\psi_1) \&\& \text{Fid}^i(J/\psi_1)]}{2N[\text{cut}_1(J/\psi_1) \dots \text{cut}_{n-1}(J/\psi_1) \&\& \text{Fid}^i(J/\psi_1)]}$$



$$\epsilon_1^i(J/\psi_1) = \frac{N[(\text{cut}_1(J/\psi_1) + \text{cut}_1(J/\psi_2)) \&\& \text{Fid}^i(J/\psi_1)]}{2N[\text{Fid}^i(J/\psi_1)]}$$

...

$$\epsilon_n^i(J/\psi_1) = \frac{N[\text{cut}_1(J/\psi_1) \&\& \text{cut}_1(J/\psi_2) \dots \text{cut}_{n-1}(J/\psi_1) \&\& \text{cut}_{n-1}(J/\psi_2) \&\& (\text{cut}_n(J/\psi_1) + \text{cut}_n(J/\psi_2)) \&\& \text{Fid}^i(J/\psi_1)]}{2N[\text{cut}_1(J/\psi_1) \&\& \text{cut}_1(J/\psi_2) \dots \text{cut}_{n-1}(J/\psi_1) \&\& \text{cut}_{n-1}(J/\psi_2) \&\& \text{Fid}^i(J/\psi_1)]}$$



New efficiency

Old

	N^{obs}	N^{Corr}_{SPS}	N^{Corr}_{DPS}	N^{Corr}_{37Mix}	N^{Corr}_{82Mix}
<i>Total</i>	13140	13909	10220	12485	13388
<i>RECO</i>	13140	13325	9869	11980	12856
<i>id(μ)</i>	12410	12563	9382	11278	12097
<i>vtx($\mu^+\mu^-$)</i>	11379	11407	8893	10376	11037
<i>HLT</i>	8337	8355	7970	8243	8302
<i>evt</i>	7306				

New

	N^{obs}	N^{Corr}_{SPS}	N^{Corr}_{DPS}	N^{Corr}_{37Mix}	N^{Corr}_{82Mix}
<i>Total</i>	13140	14959	10994	13582	14442
<i>RECO</i>	13140	14308	10433	12856	13765
<i>id(μ)</i>	12410	13085	9684	11758	11592
<i>vtx($\mu^+\mu^-$)</i>	11379	11407	8893	10376	11037
<i>HLT</i>	8337	8355	7970	8243	8302
<i>evt</i>	7306				



$$\epsilon_1^i(J/\psi_1) = \frac{N[(cut_1(J/\psi_1) + cut_1(J/\psi_2)) \&\& Fid^i(J/\psi_1)]}{2N[Fid^i(J/\psi_1)]}$$

...

$$\begin{aligned} & \epsilon_n^i(J/\psi_1) \\ &= \frac{N[(cut_1(J/\psi_1) \dots cut_{n-1}(J/\psi_1) \&\& cut_n(J/\psi_1)) + (cut_1(J/\psi_2) \dots cut_{n-1}(J/\psi_2) \&\& cut_n(J/\psi_2))] \&\& Fid^i(J/\psi_1)]}{2N[(cut_1(J/\psi_1) \dots cut_{n-1}(J/\psi_1)) + (cut_1(J/\psi_2) \dots cut_{n-1}(J/\psi_2))] \&\& Fid^i(J/\psi_1)]} \end{aligned}$$



	N^{obs}	N^{Corr}_{SPS}	N^{Corr}_{DPS}	N^{Corr}_{37Mix}	N^{Corr}_{82Mix}
<i>Total</i>	13140	15380	11163	13833	14808
<i>RECO</i>	13140	14239	10348	12746	13691
<i>id(μ)</i>	12410	13031	9614	11663	12531
<i>vtx($\mu^+\mu^-$)</i>	11379	11406	8893	10376	11037
<i>HLT</i>	8337	9355	7970	8243	8302
<i>evt</i>	8160				