

# Deep Neural Networks in EXO-200

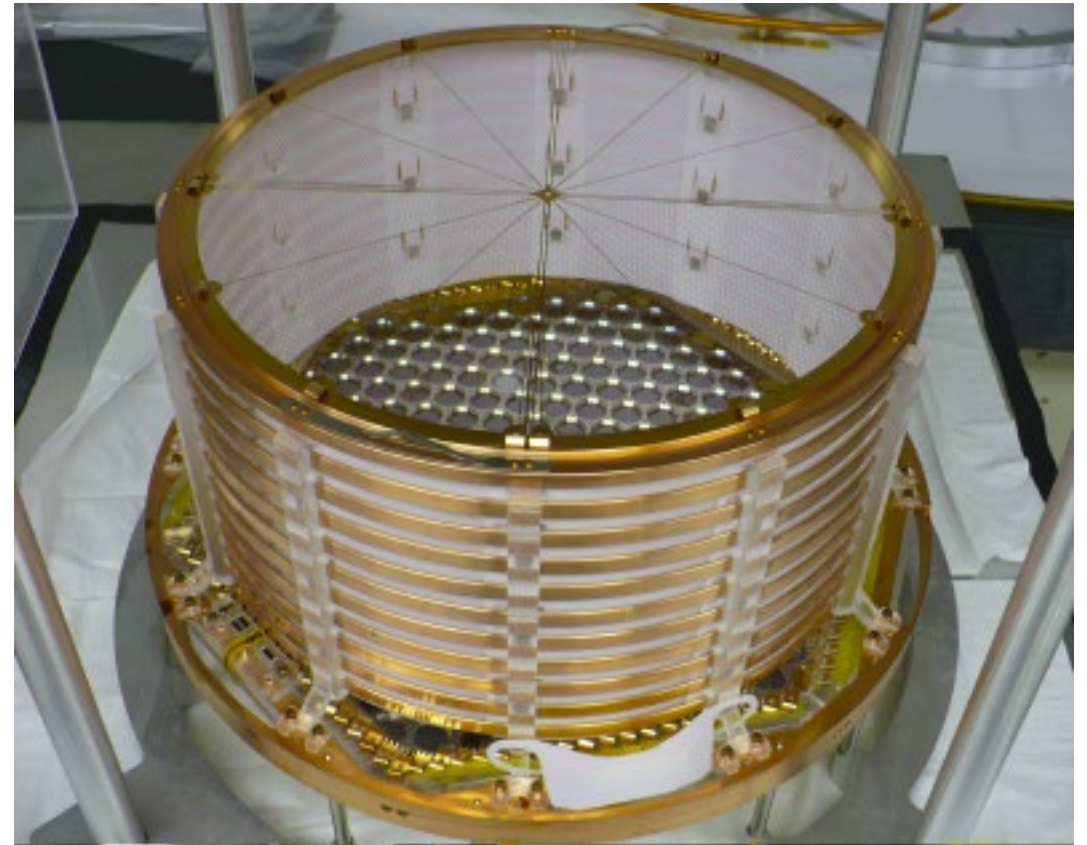
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IHEP EPD Seminar

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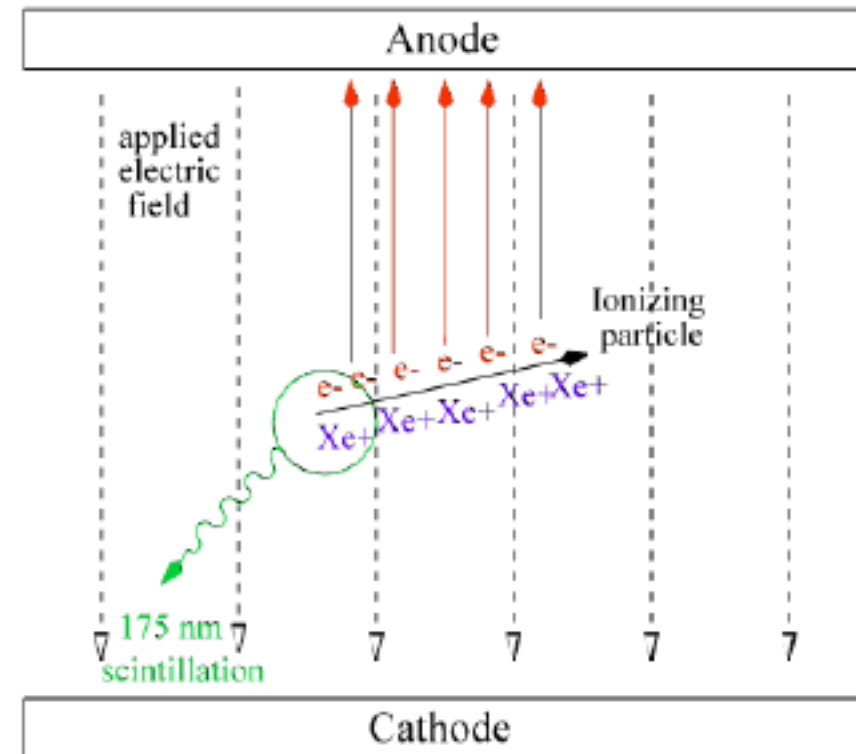
# EXO-200

- Double-sided with shared cathode
  - One side shown
  - -8 kV (-12 kV) on cathode in Phase I (II)
- Single-phase LXe TPC
  - Enriched to 80.6% in  $^{136}\text{Xe}$
  - ~175 kg in liquid phase
  - ~90 kg fiducial mass
- Retired in December 2018



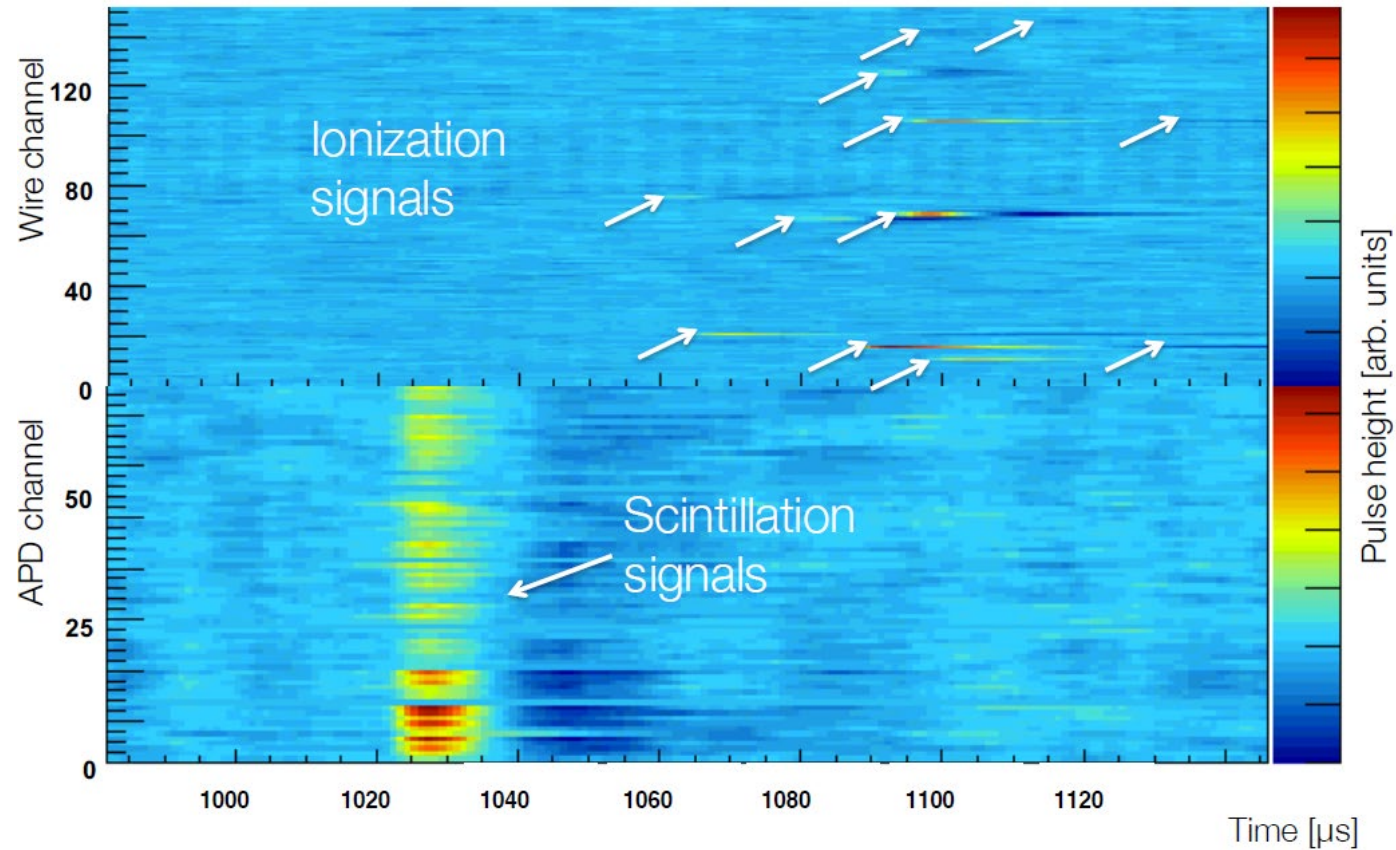
# EXO-200

- Each side detects both charge and light
- 38x2 U-wire channels for charge collection
  - 800 e<sup>-</sup> noise per wire
- 38x2 V-wire channels for charge induction
  - Crossed at 60° with U-wires
- 74x2 APD channels for light
  - Each channel is a chain of 7 LAAPDs
  - Cathode is mostly transparent (mesh)
  - Cylindrical Teflon reflector

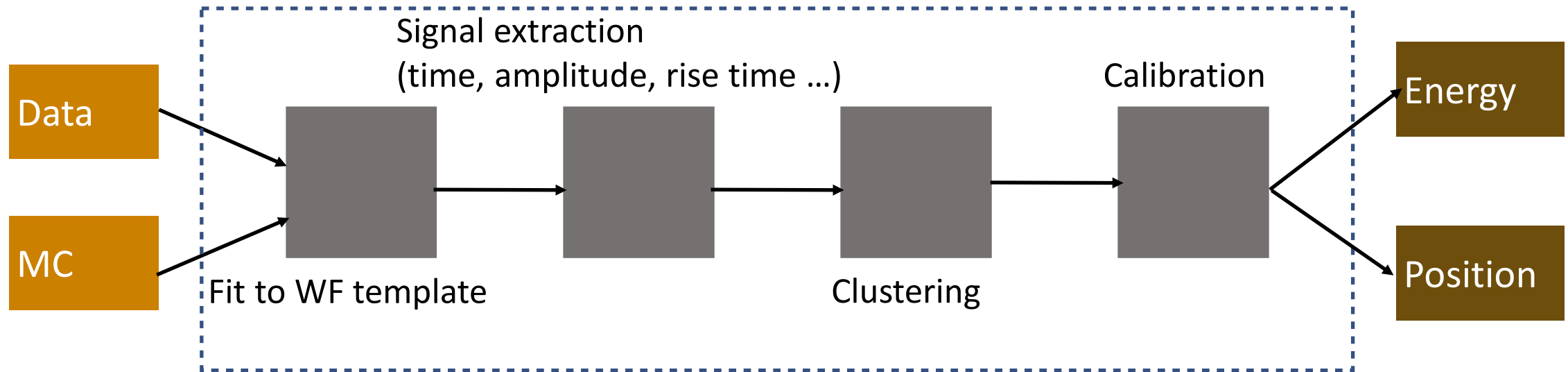


# EXO-200 data

Example multiple-scatter  $\gamma$  event in EXO-200:

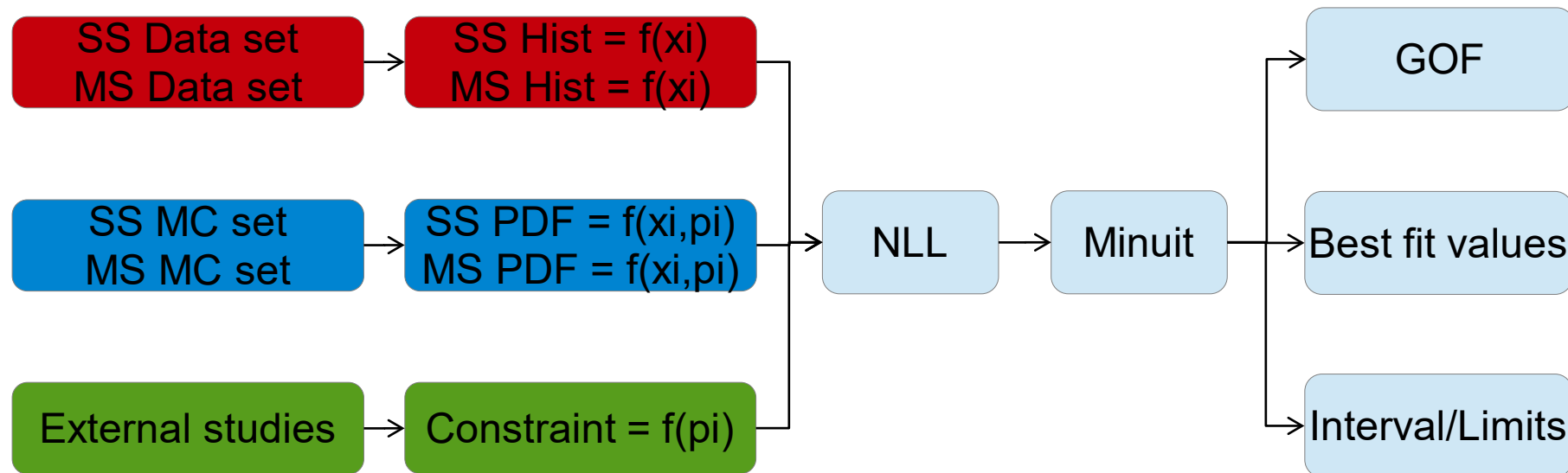


# EXO analysis in broad strokes: reconstruction



- Multiple algorithmic steps
  - Done by different people over the course of several years
  - Imperfections in each step can add systematics
- } “grey” boxes

# EXO analysis in broad strokes: point/interval estimation



- MC based PDFs, binned extended NLL with systematics constraints
- Profile likelihood for interval construction
- Systematics due to recon and MC errors. Measured or estimated using calibration data

# Deep Neural Networks (DNN) in broad strokes

- DNN contains many tunable (trainable) parameters
- Training is done by minimizing discrepancy between truth and network's output
  - E.g., RMS deviation between known and predicted energy
- Minimization is done, essentially, by gradient descent (like MIGRAD), but with some new tricks to efficiently handle the multitude of parameters

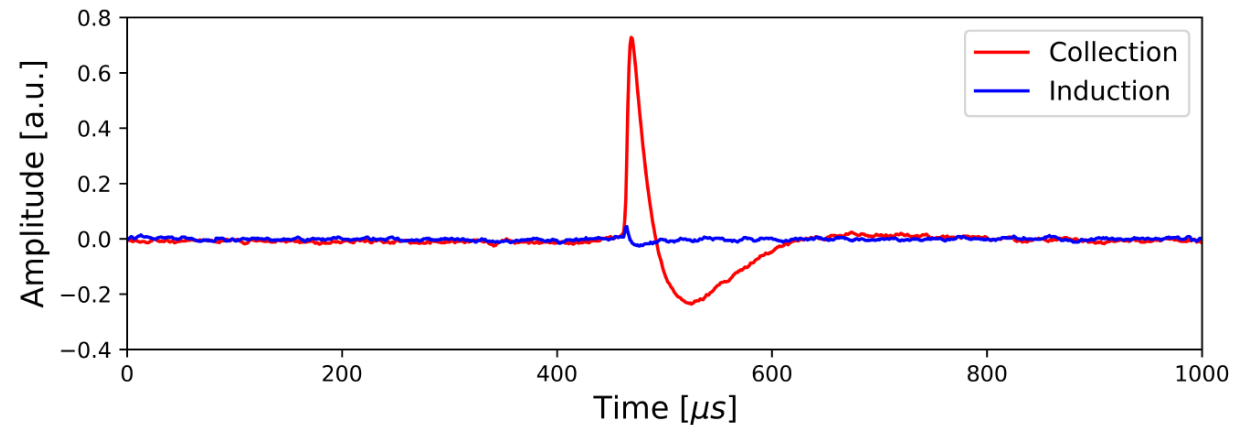
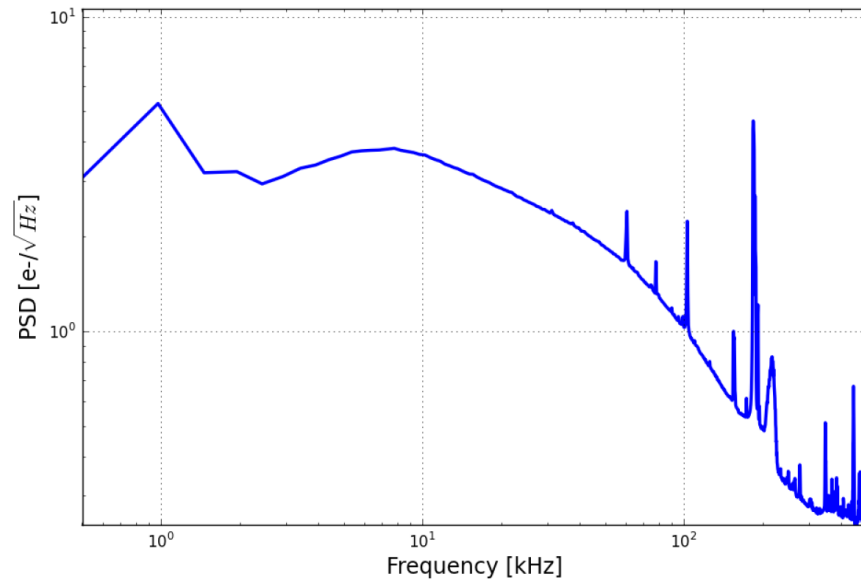
# Deep Neural Networks in EXO

- Can circumvent intermediate steps and extract high level information directly from raw waveforms?
  - **YES**
- Can validate results on real detector data, not just MC?
  - **YES**
- Even then, if using MC truth during training, would be limited by how well MC models data (as some standard analysis steps are). Can reduce reliance on traditional MC?
  - **YES (Sometimes)**
- [JINST 13 P08023 \(2018\)](#), [Phys. Rev. Lett. 123 161802 \(2019\)](#), [JINST 18 P06005 \(2023\)](#)
- Note: not covered in this talk are EXO-200 works that use non-DNN ML or use DNN with high-level info as input



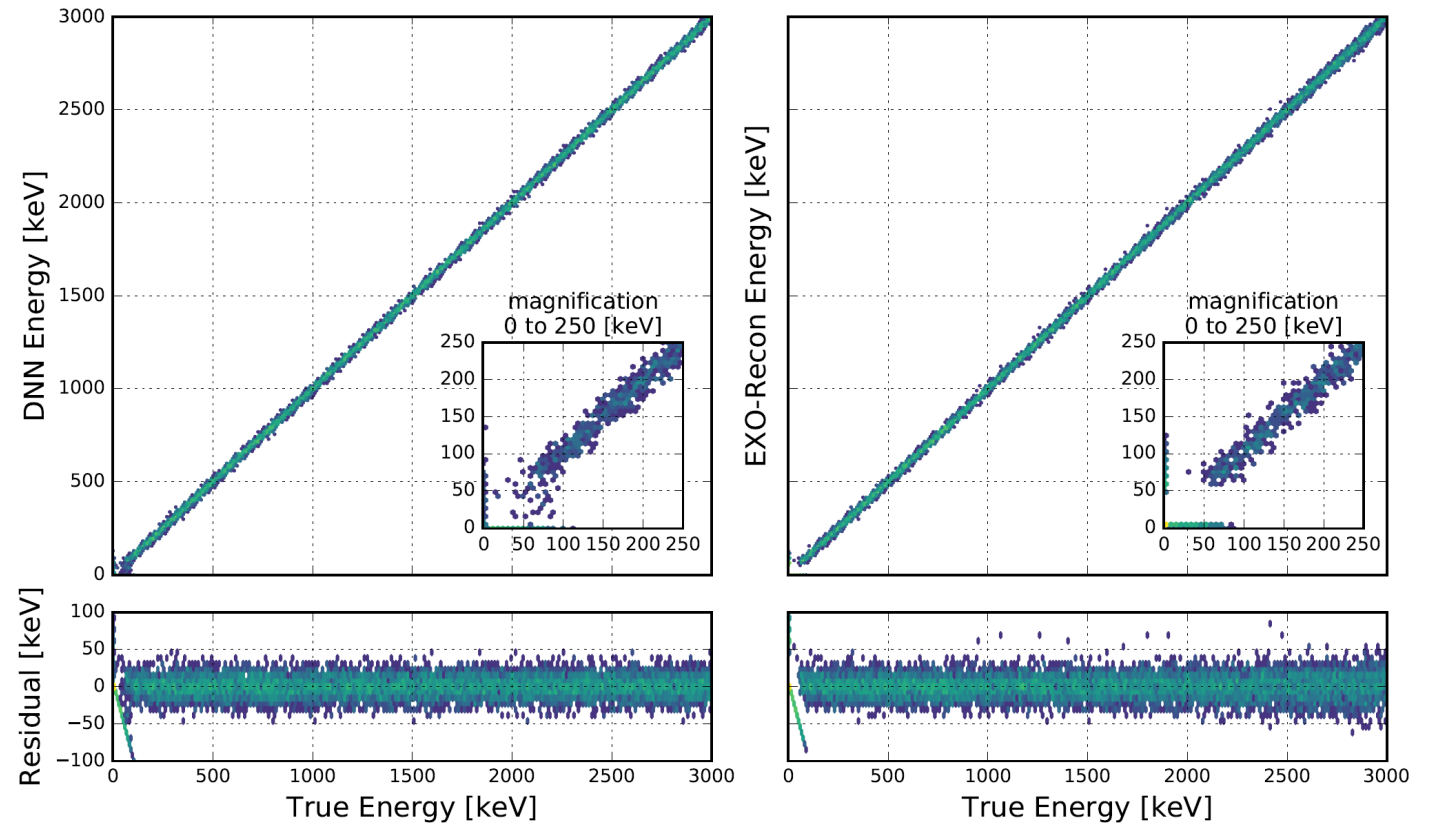
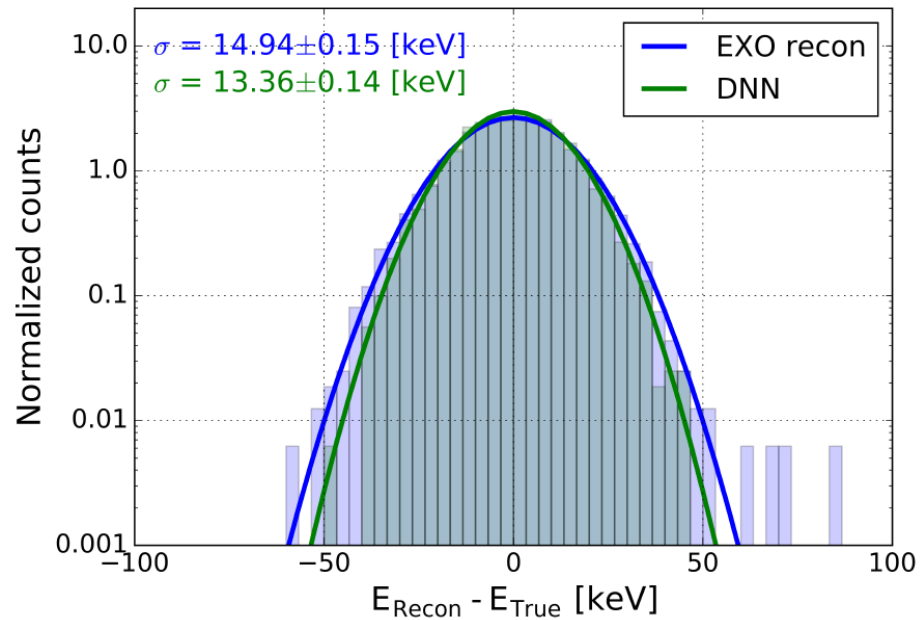
# First application: charge energy reconstruction

- The main challenges of charge reconstruction are nontrivial noise and disentangling U-wire signal into induction and collection



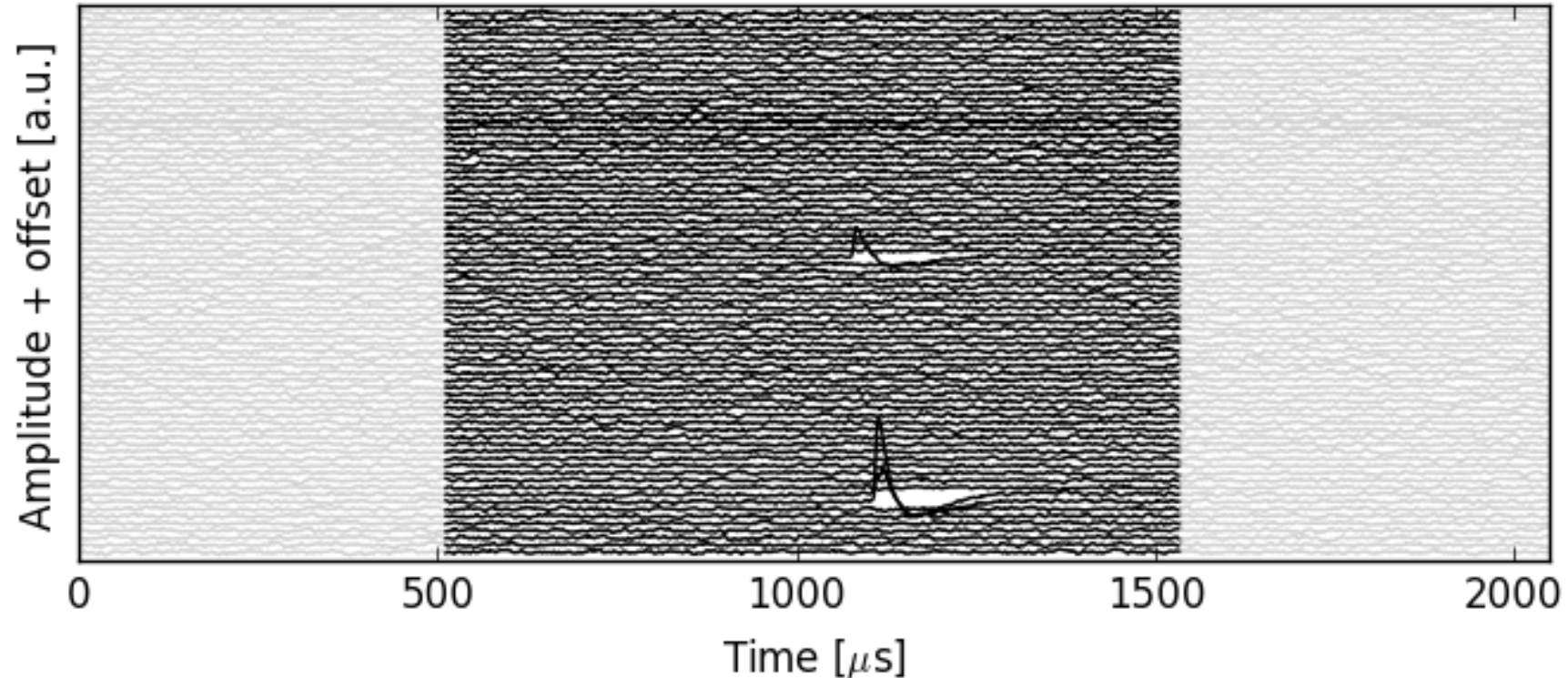
# First application: charge energy reconstruction

- Starting with single wire



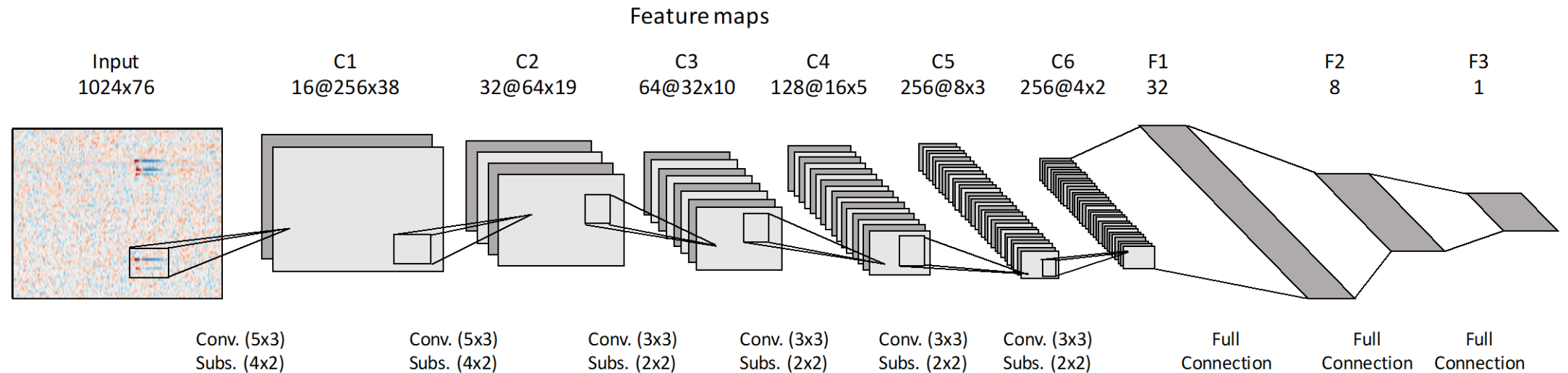
# First application: charge energy reconstruction

- Now full events – all 76 U-wire waveforms (1024 time samples)
- Minimal Preprocessing: correct channel gains + crop waveforms



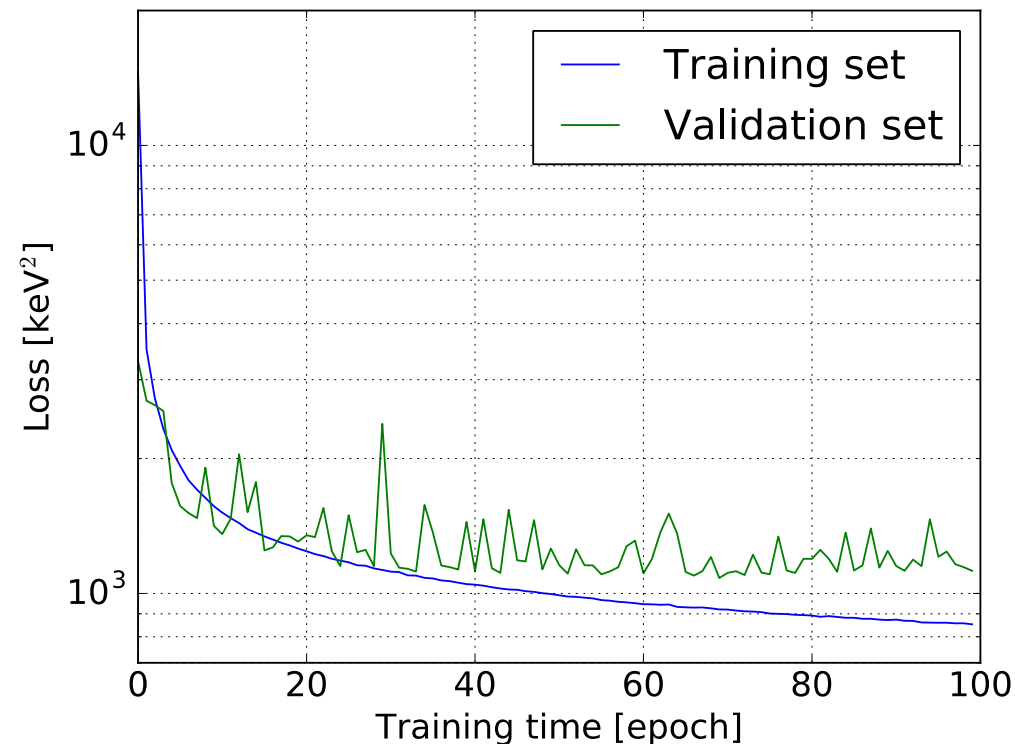
# First application: charge energy reconstruction

- Input waveform image
- Convolutional part extracts features from image
- Dense part extracts target variable(s) from features



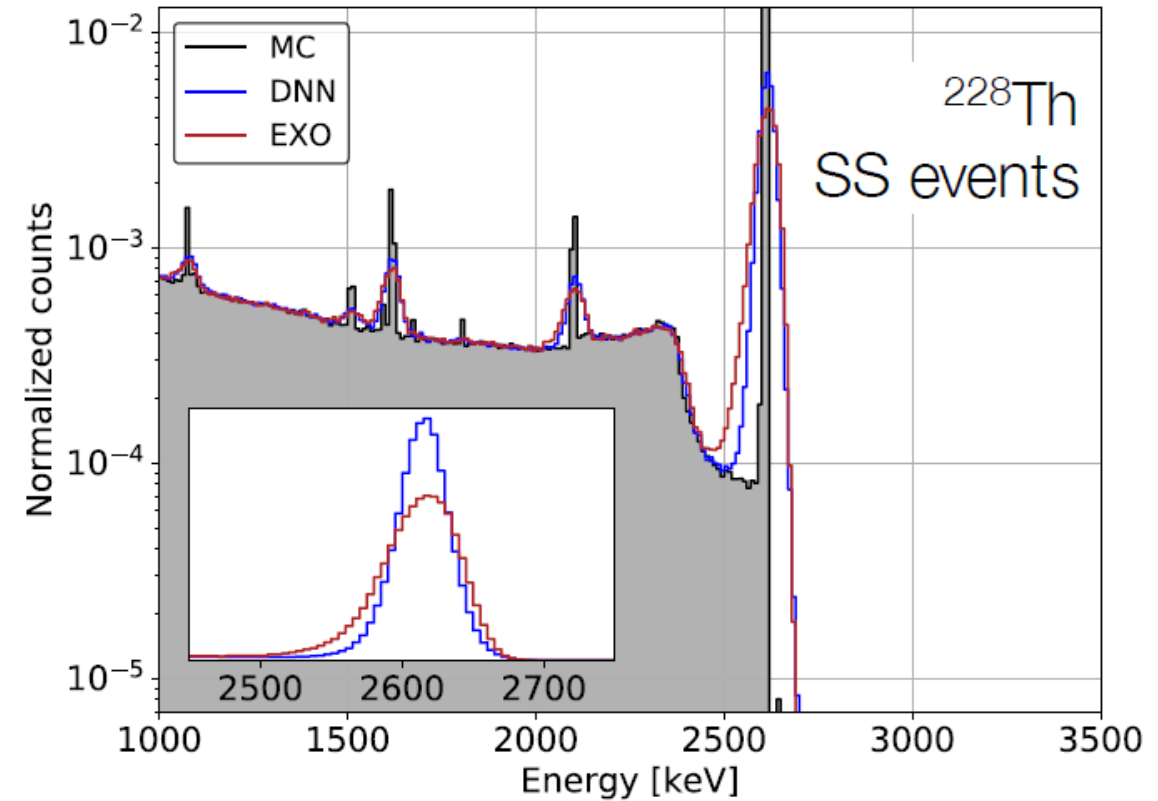
# Charge reconstruction training details

- Training data:
  - Simulated events
  - Gamma ray source
  - Detector response uniform in energy
- Training:
  - 720 000 training events
  - 100 epochs
- Technical details:
  - Adam optimizer
  - Minimize mean square error
  - L2 regularization
  - ReLU activation
  - Uniform Glorot initialization



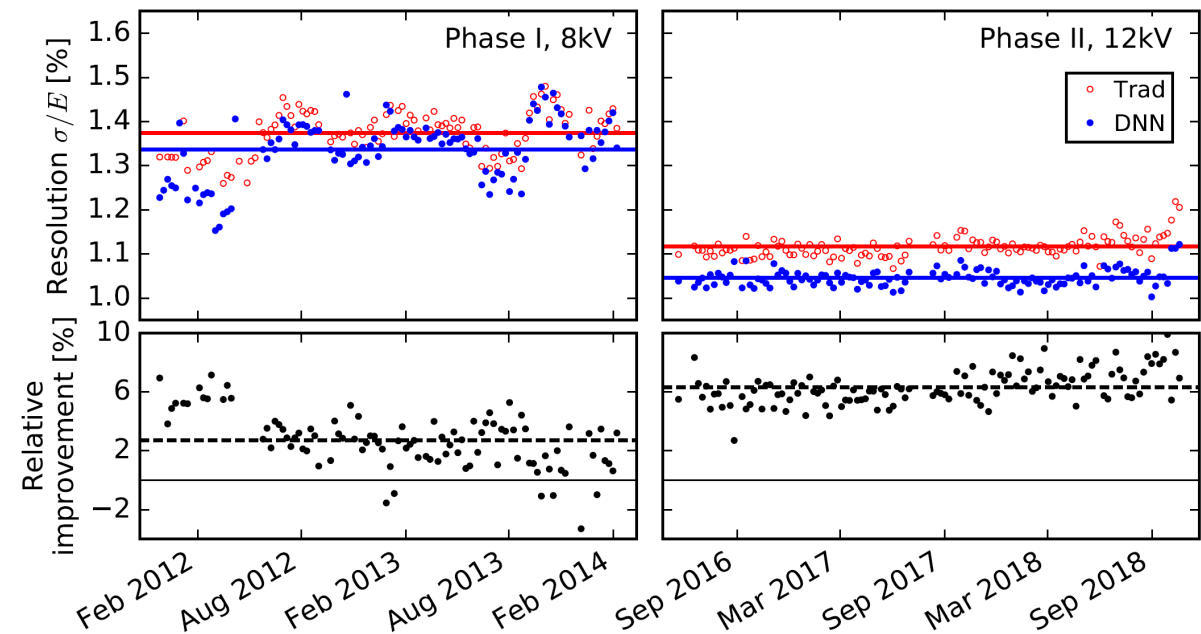
# First application: charge energy reconstruction

- Reconstruction works on MC over the energy range under study
- Resolution ( $\sigma$ ) at the  $^{208}\text{Tl}$  full absorption peak (2615 keV):
  - **DNN: 1.21% (SS: 0.73%)**
  - **EXO Recon: 1.35% (SS: 0.93%)**
- Network outperforms in disentangling mixed induction and collection signals
  - See valley before  $^{208}\text{Tl}$  peak, right in  $0\nu\beta\beta$  ROI!



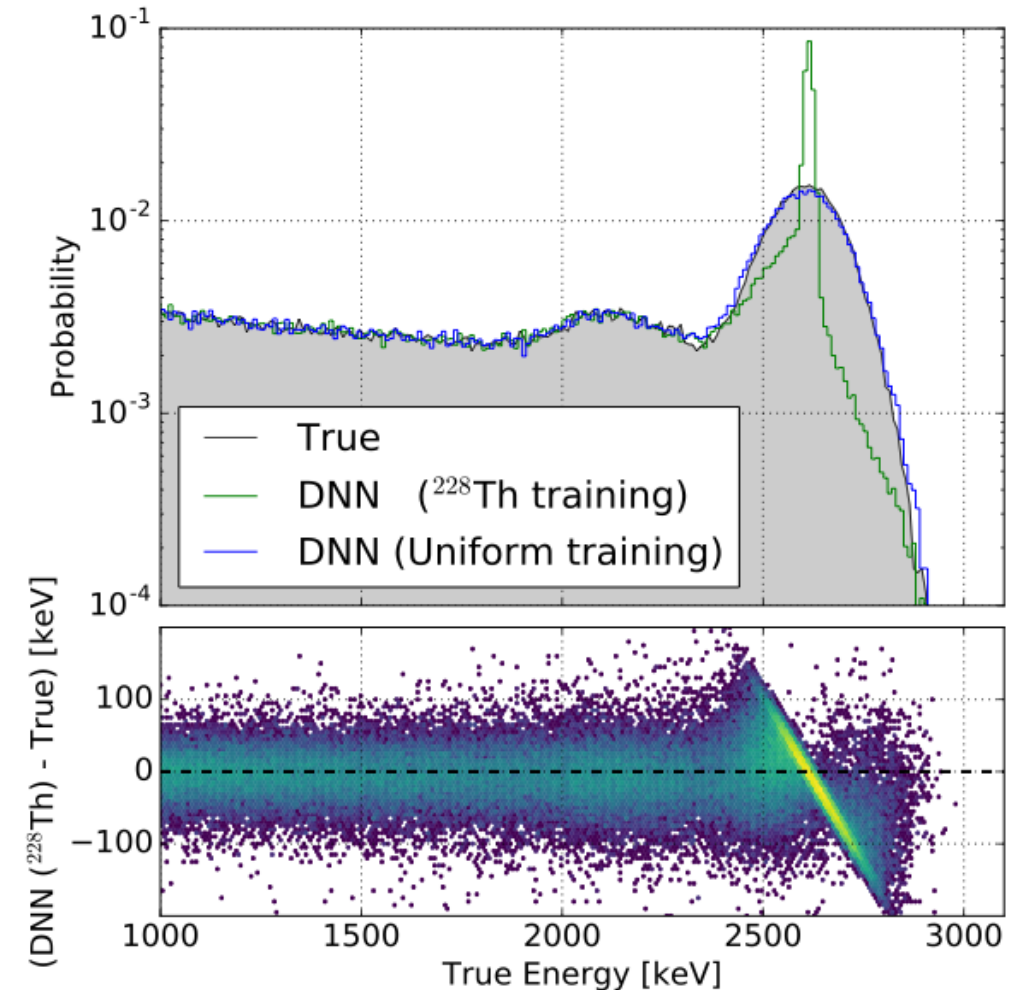
# First application: charge energy reconstruction

- Applied to data and anti-correlated with scintillation, the DNN based „rotated“ resolution outperforms EXO by 2-6%, depending on the week
- The better performance of the DNN alerted that something was lacking in the traditional approach and triggered improvements in EXO-recon
- While the cause is now largely understood (handling of mixed induction and collection signals), the developed traditional solution in EXO-recon is still outperformed by the DNN



# First application: Pitfalls of DNNs

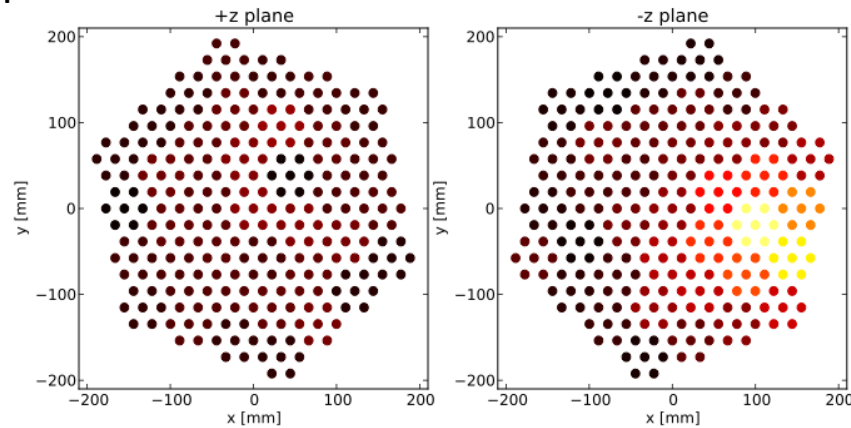
- Potential danger of DNN is that they learn to reproduce the training data well but perform poorly on real data.
  - **Validation on real data is critical**
- We saw this in EXO-200:
  - DNN over-trains on sharp MC training peaks and shuffles independent validation events towards the sharp peaks → resolution too good to be true
  - Mitigated by using training events with uniform energy distribution





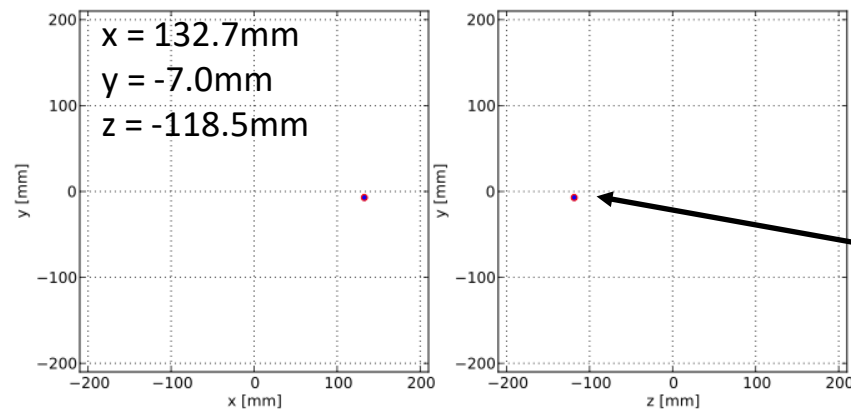
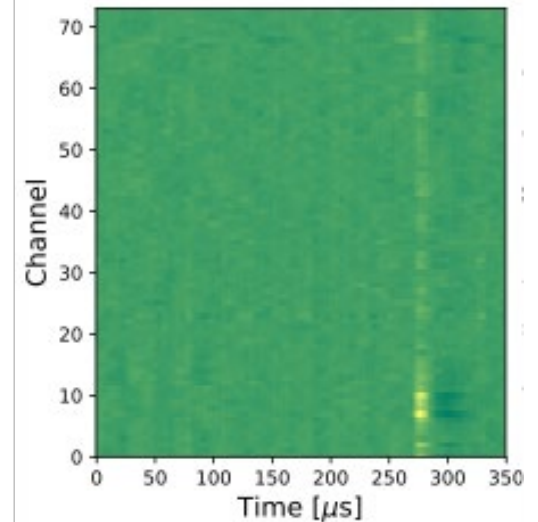
# Second application: light position reconstruction

- Event position reconstruction from scintillation light
  - Truth label provided by ionization information of real data
  - Input are all 74 raw APD **real data** waveforms cropped to 350  $\mu\text{s}$



Event position is encoded  
in APD pattern

The time dimension adds  
information on waveform  
shape and noise



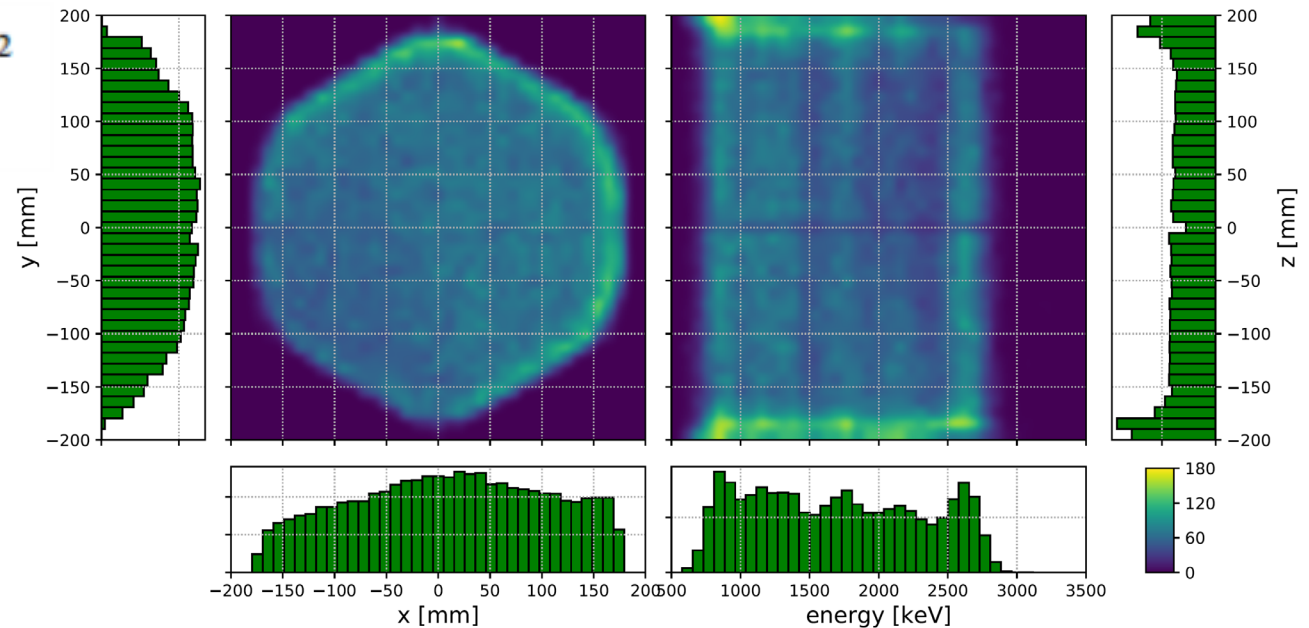
Truth information  
extracted from  
ionization  
signal

# Light reconstruction details

- Waveform image is fed to CNN consisting of 4 convolutional and 3 fully connected layers
- Output has three units corresponding to event x-, y-, z-coordinates
- Loss function is Euclidean loss with L2 regularization

$$L = C + \lambda \cdot R \quad \text{where} \quad C = \frac{1}{3m} \sum_{i=1}^m \sum_{k=1}^3 (y_i^k - \hat{y}_i^k)^2$$

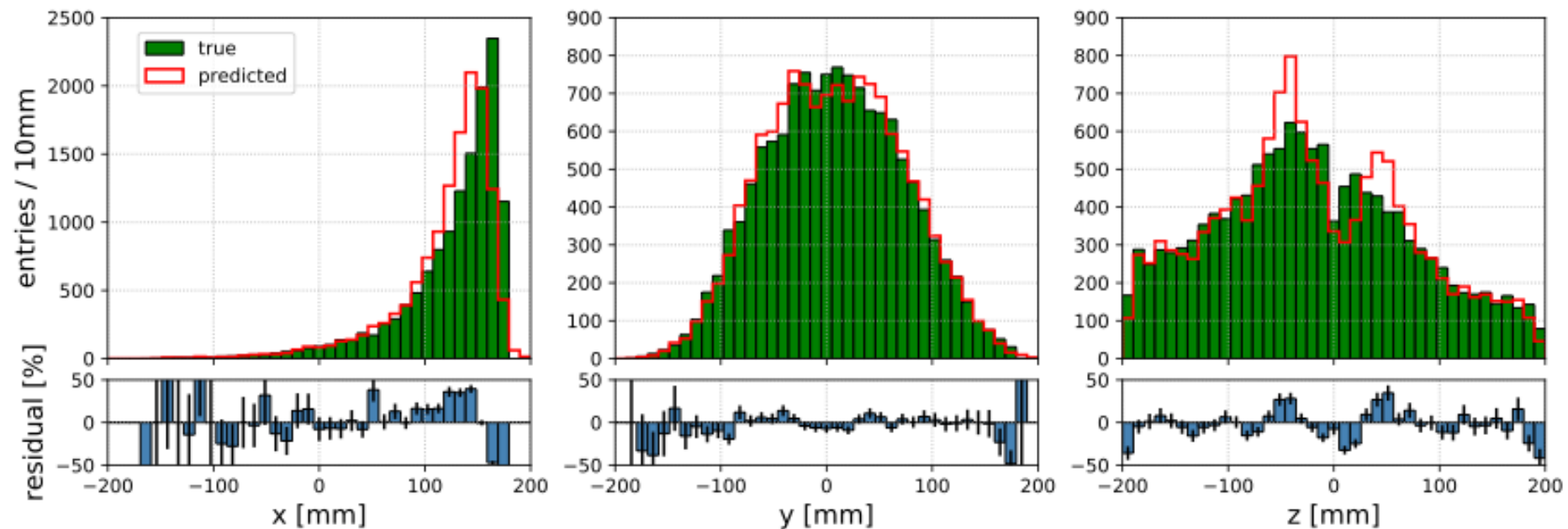
- Training is done on **real** calibration data with uniform distribution in space and energy



# Second application: light position reconstruction

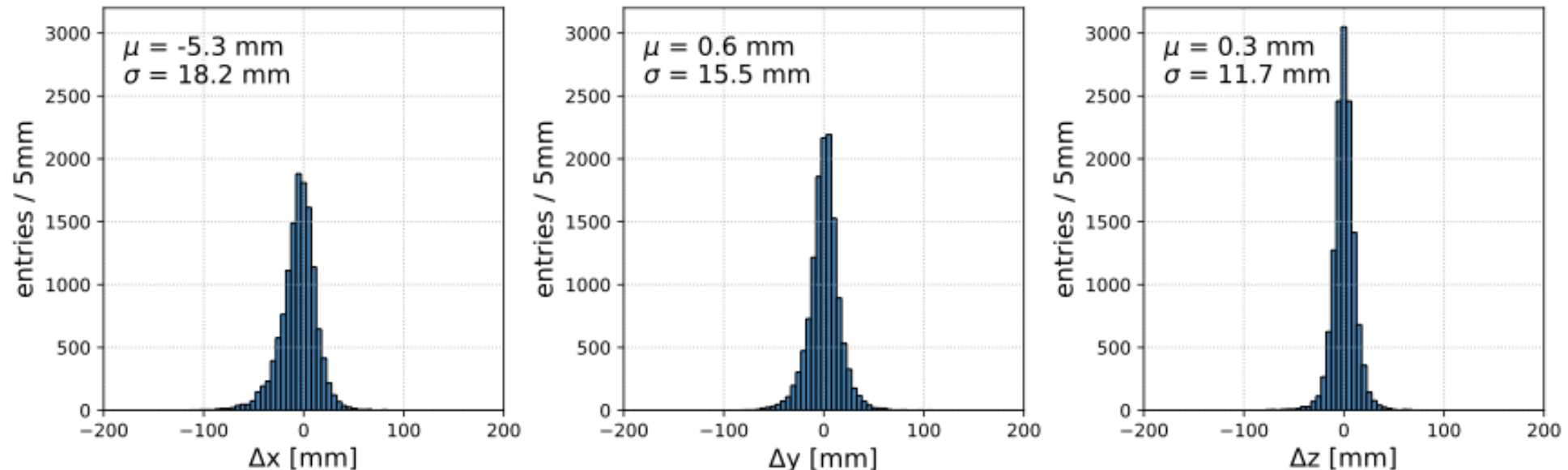
- Loss function reaches  $200 \text{ mm}^2$  after training the DNN for 200 epochs
- The corresponding resolution in 3D is 25 mm
- The model is tested on different types of source data at different locations
- No alternative light position reconstruction in standard analysis, so uncontested

Accuracy: 22.5mm ( $d_x = 13.6\text{mm}$ ,  $d_y = 11.3\text{mm}$ ,  $d_z = 8.1\text{mm}$ ) corresponding to  $R^2 = 0.99$



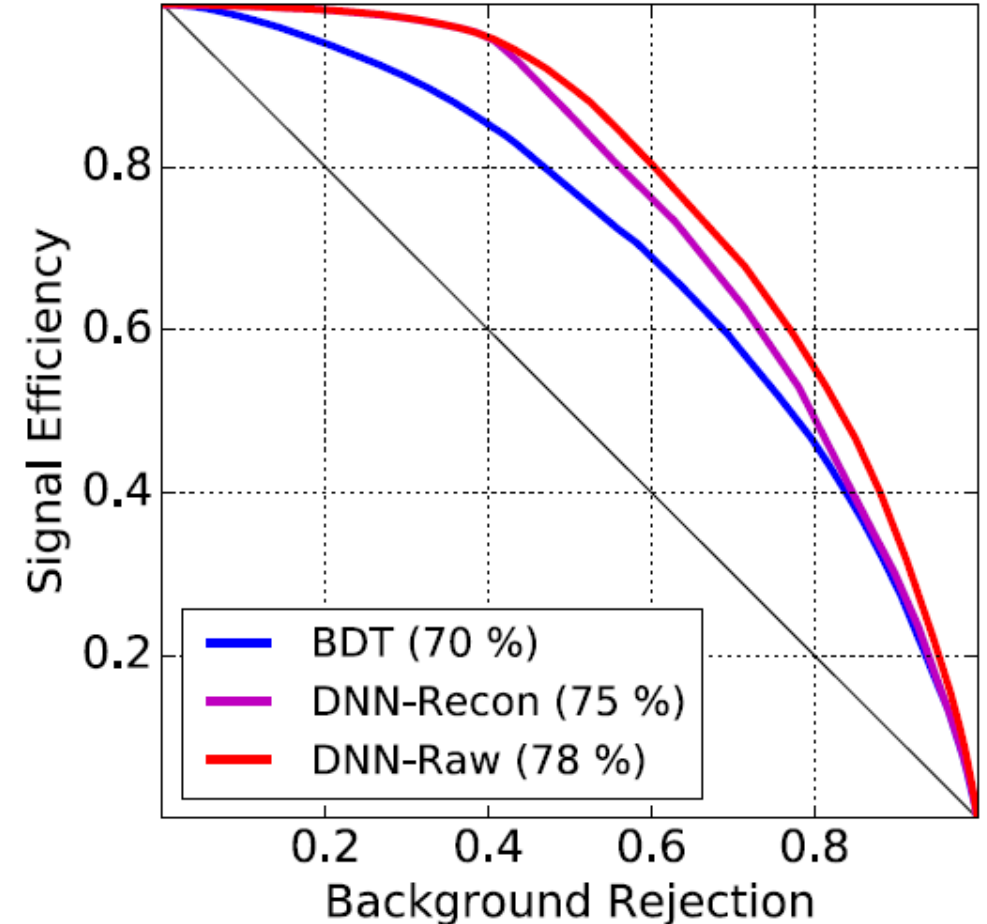
# Second application: light position reconstruction

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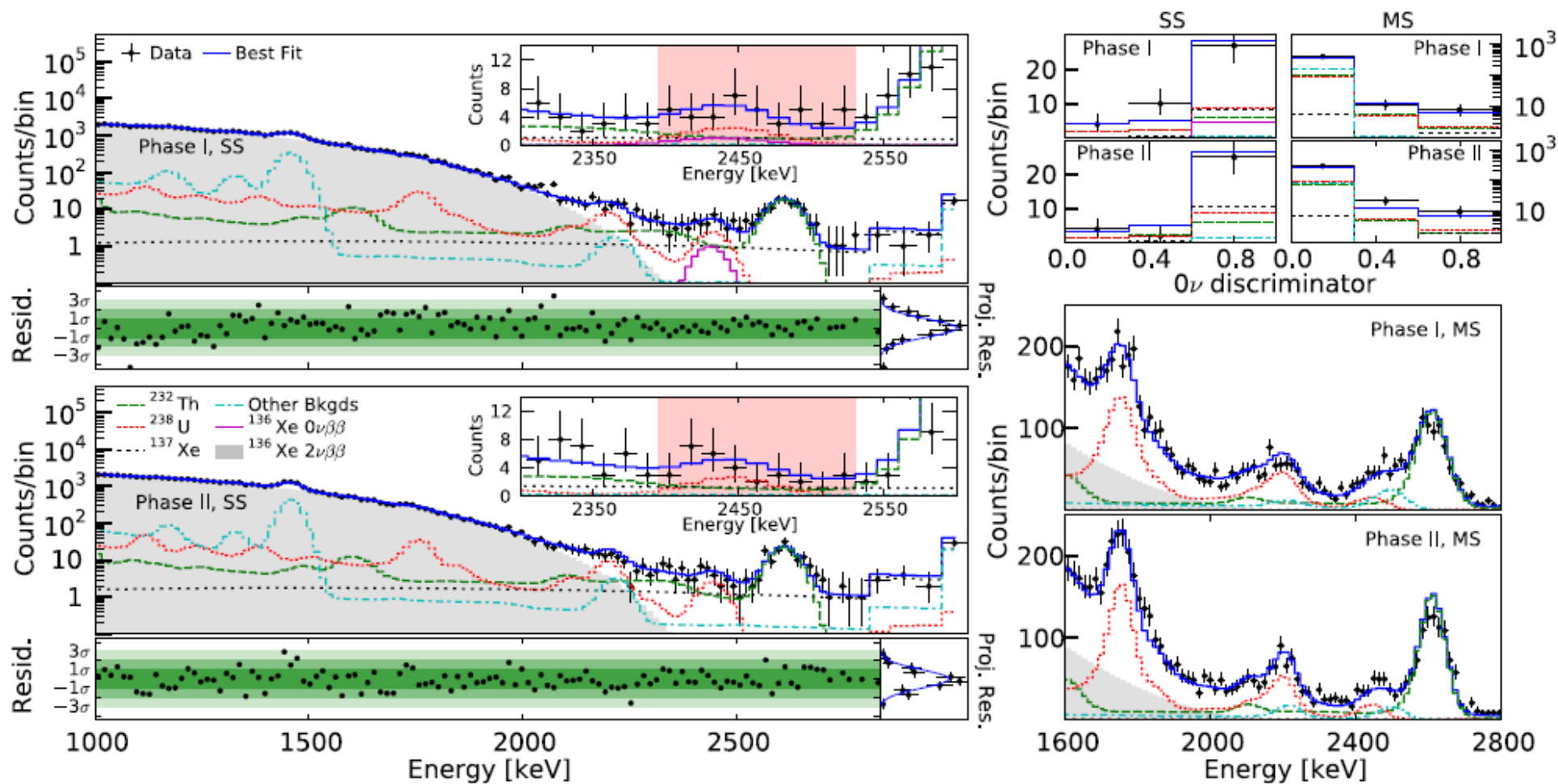


# Third application: Signal/Background Discrimination

- Binary ( $\beta\beta$  vs  $\gamma$ ) DNN based discriminator as an additional variable to the “traditional” ML fit
- DNN trained on waveforms re-generated from EXO recon’d signals (not on raw waveforms)
- DNN outperforms previously used BDT discriminator
- Overall, a 25% sensitivity improvement, compared to non-ML based analysis
  - [Phys. Rev. Lett. 123, 2019, 161802](#)
  - Kudos to grad. students who made this happen (Tobias Ziegler & Mike Jewel most of all)

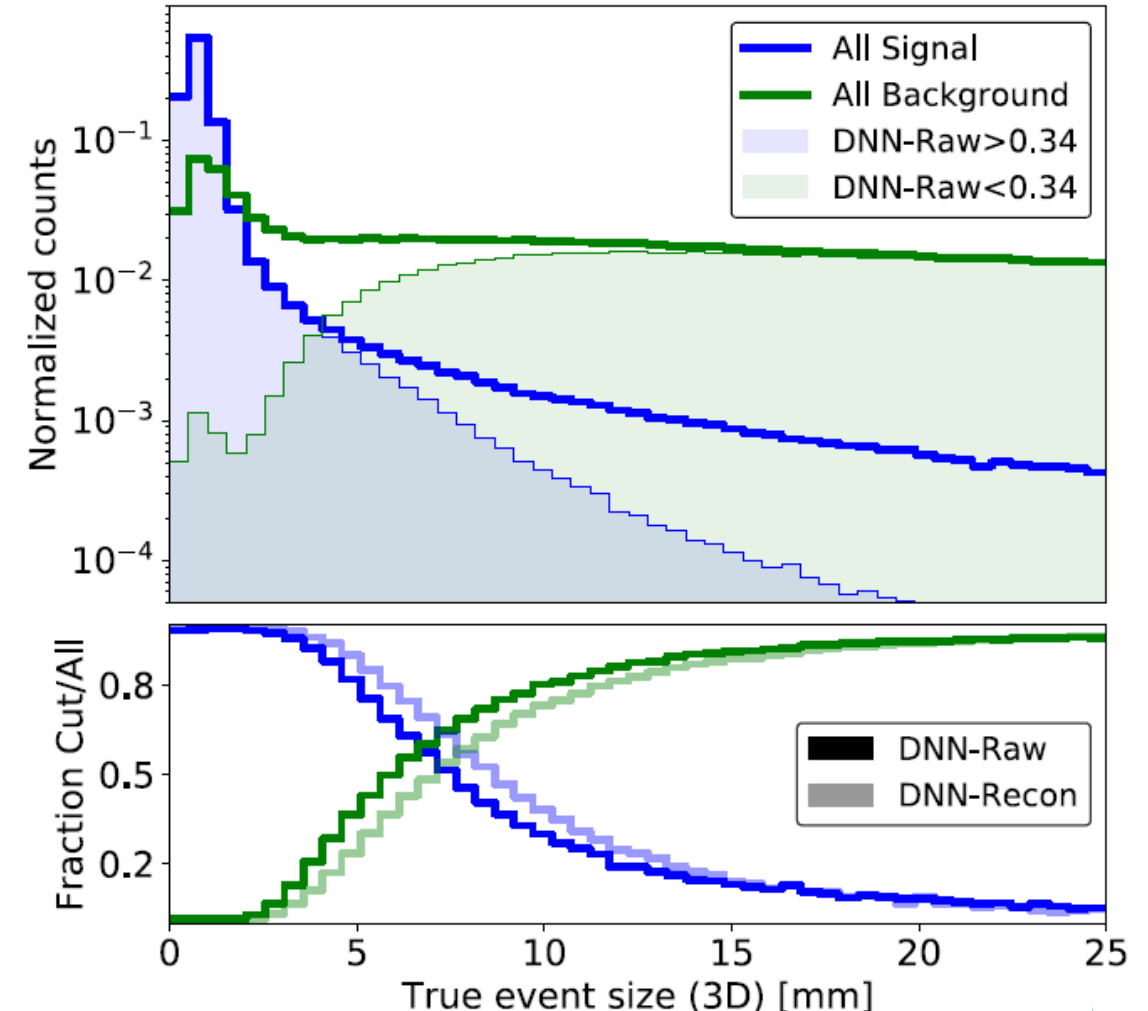


- Energy spectra: SS (left) and MS (bottom right)
- DNN spectra: SS/MS (top right) of projected for ROI events



# Third application: Signal/Background Discrimination

- $\beta\beta$  events are more localized than  $\gamma$
- DNN efficiency demonstrates correlation with the true event size in the MC
- Indicates that the DNN picks up correct features of the waveform when reconstructing events
- Data/MC agreement of the “DNN variable” validated with real calibration data
  - Agreement not perfect, but comparable to other “shape” errors.



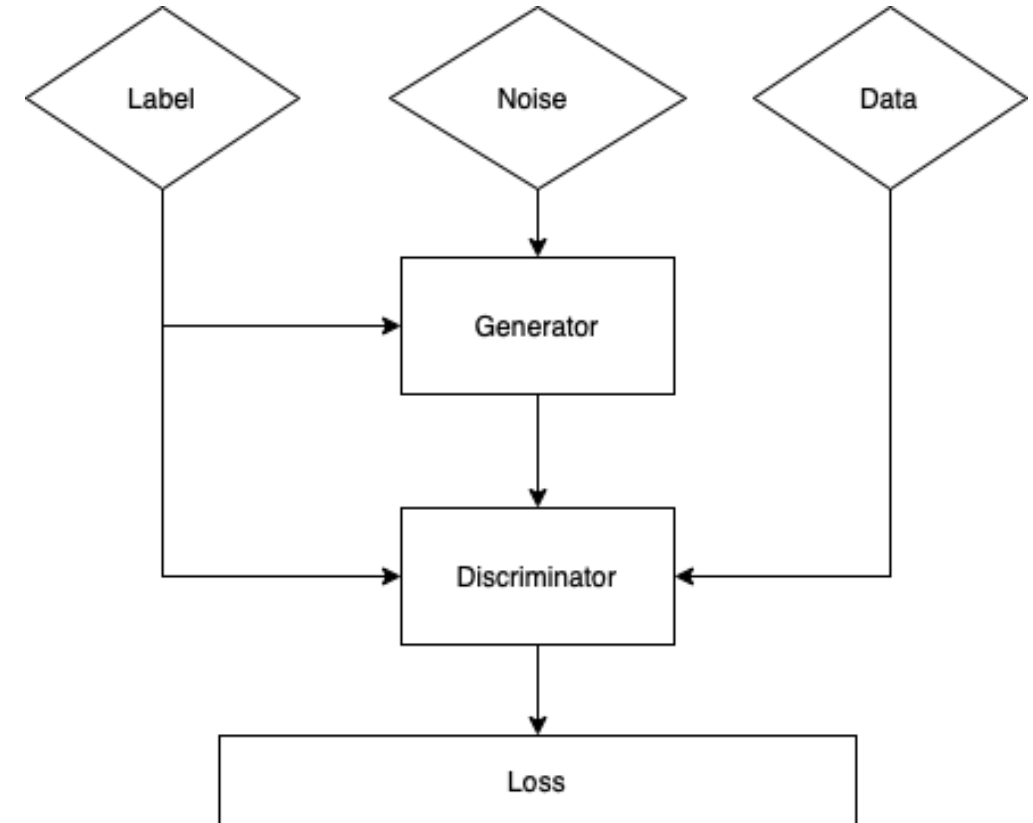
# Most recent: MC with GANs

- EXO-200's earlier attempts to develop a detailed photon-tracking MC did not succeed
  - Poor agreement with data, possibly due to imperfect knowledge of optical properties or shortcuts in geometry implementation
  - It was also very resource-consuming to track photons
  - A simple parametric simulation of the overall light yield per one array of APDs was used instead, only for limited purposes
- We showed that one can train a GAN network directly with waveforms from calibration data, bypassing the needs for detailed knowledge of optical properties and detector geometry
  - *Importantly, we compared the output at all levels – from raw waveforms to signal amplitude and its position dependency, to reconstructed energy spectra*
  - [JINST 18 P06005 \(2023\)](#)

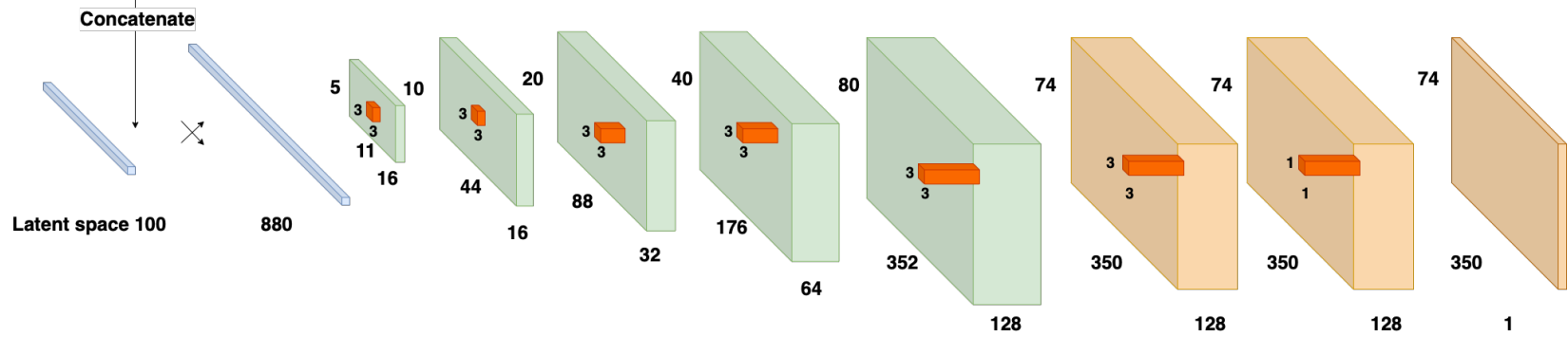
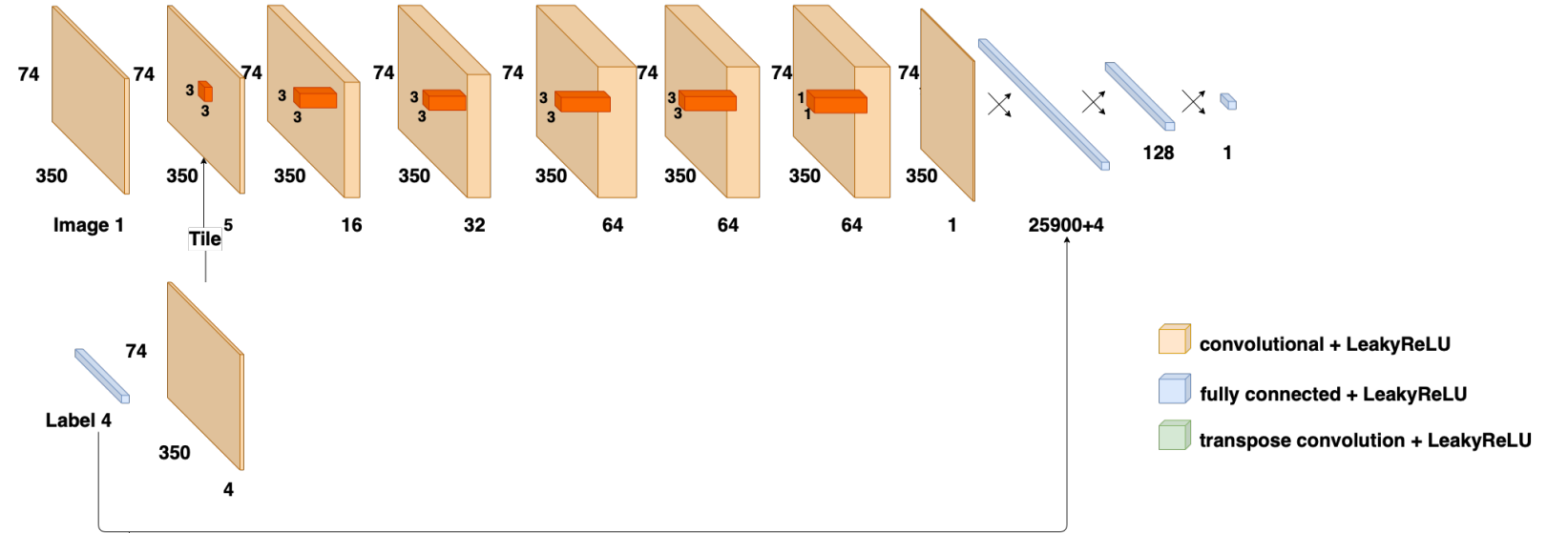


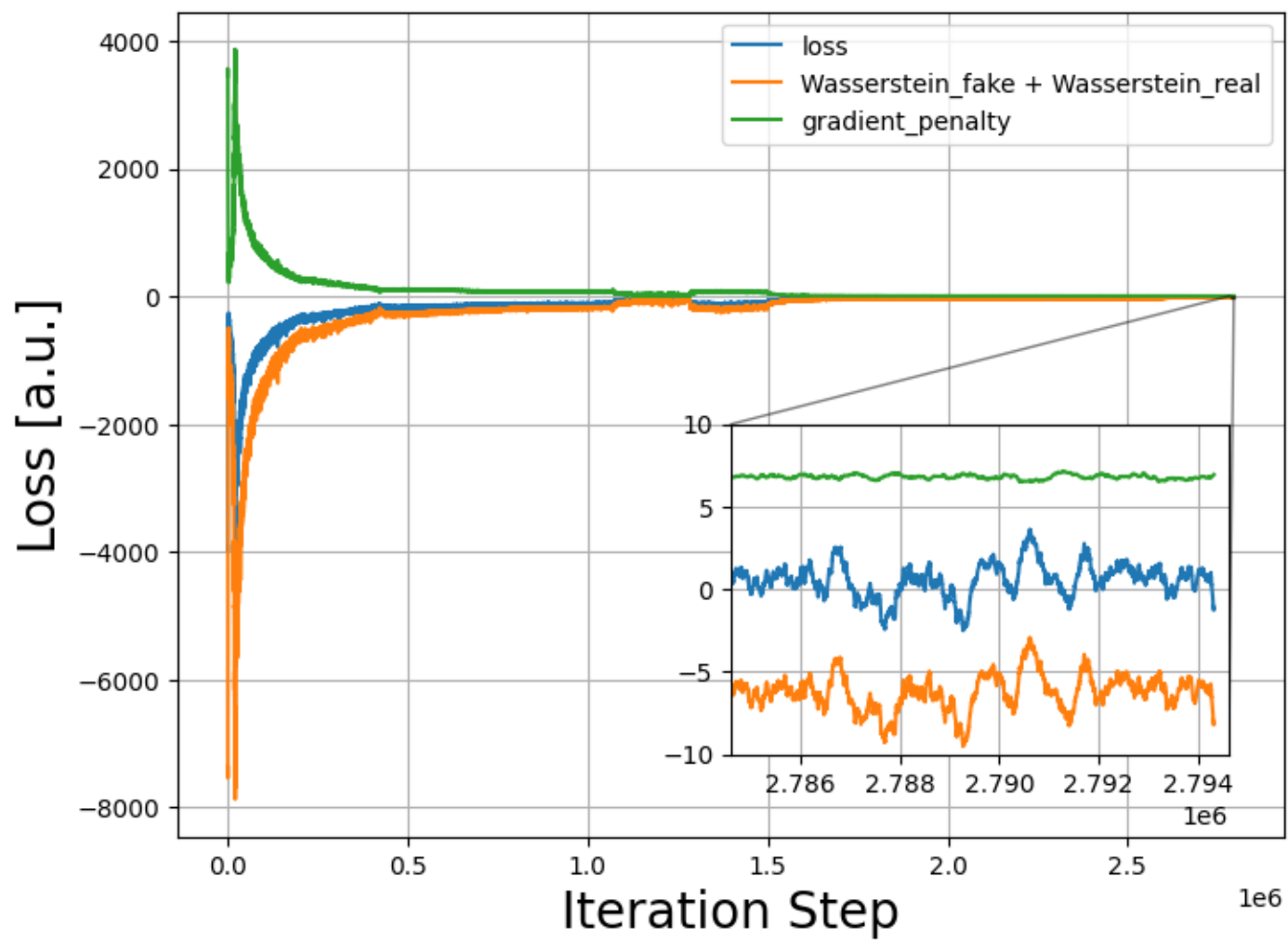
# Most recent: MC with GANs

- Generator starts from white noise and label with requested position, energy
- Critic (discriminator) compares the generated waveform to data sample
- Wasserstein (Васерштейн) distance, aka Kantorovich distance, as a metric for comparison (more stable than standard GAN)
- Constrainer: supervises training and ensures the generated waveform conforms to the requested label



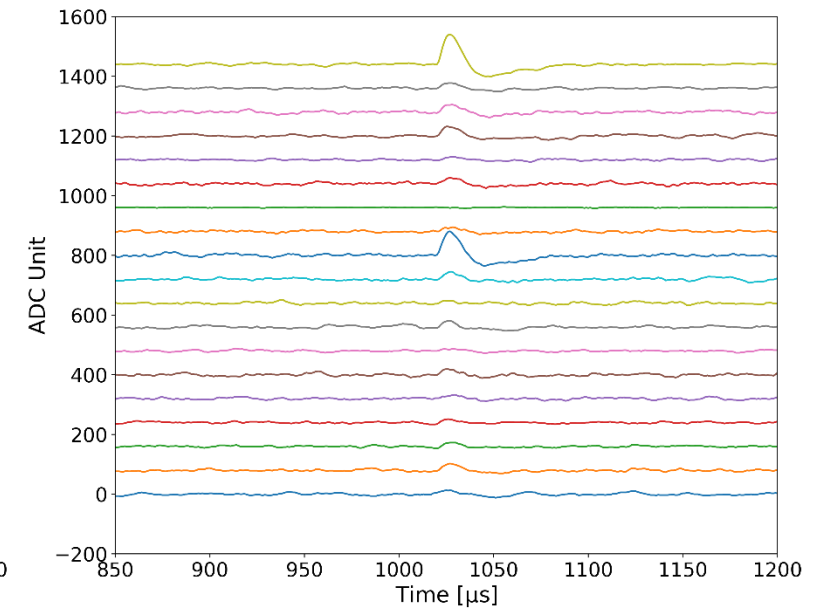
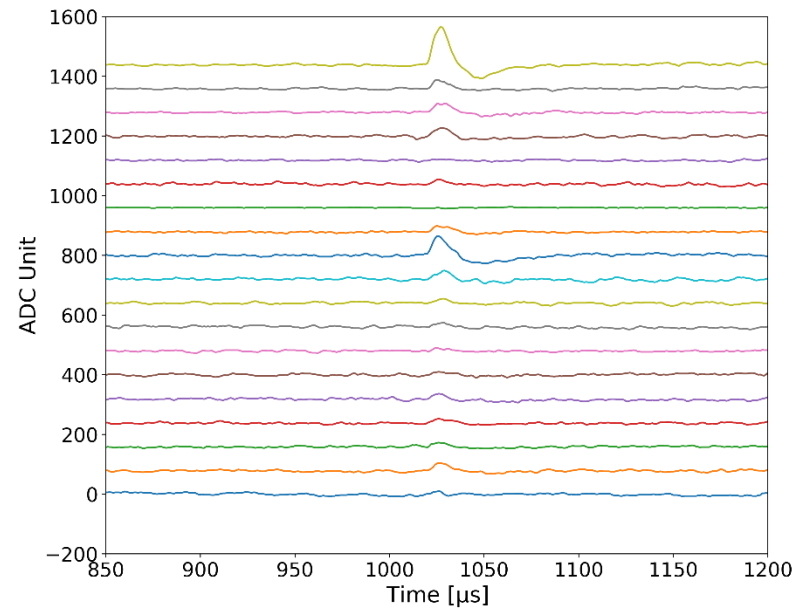
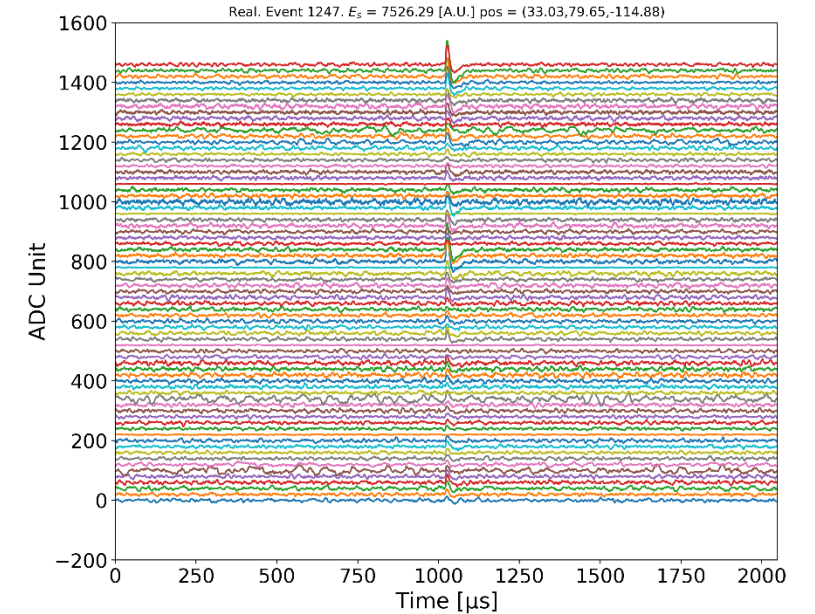
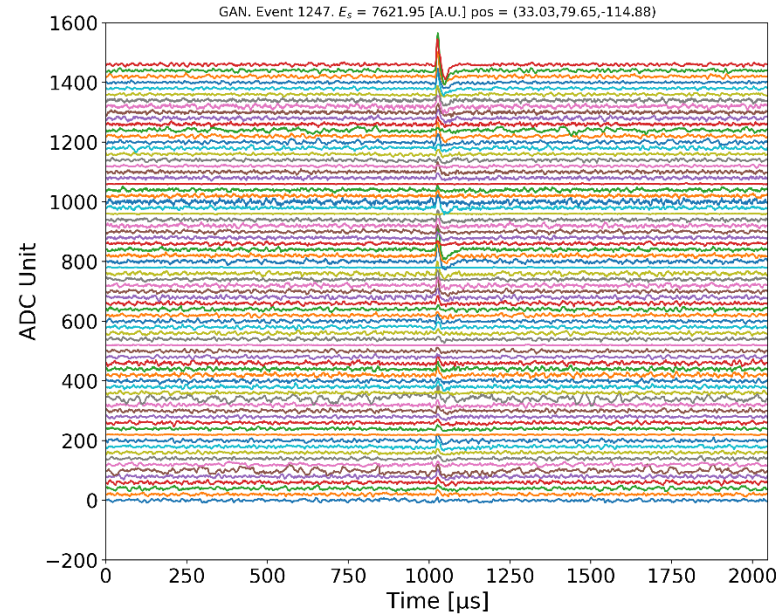
## Discriminator





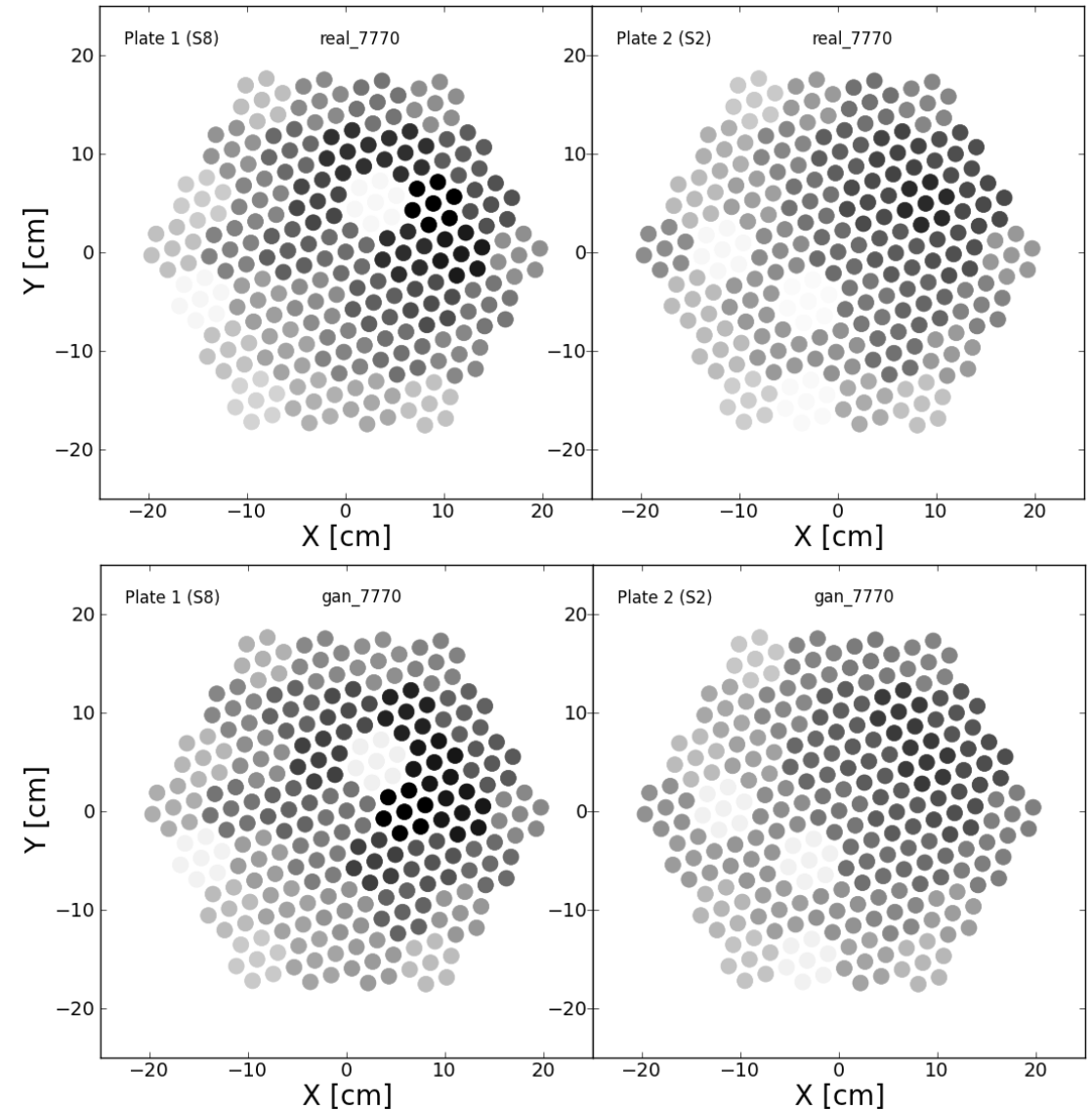
# Most recent: MC with GANs

- Raw waveform comparison
- GAN generates waveforms more than an order of magnitude faster than the standard EXO approach
  - that does not even include photon tracking



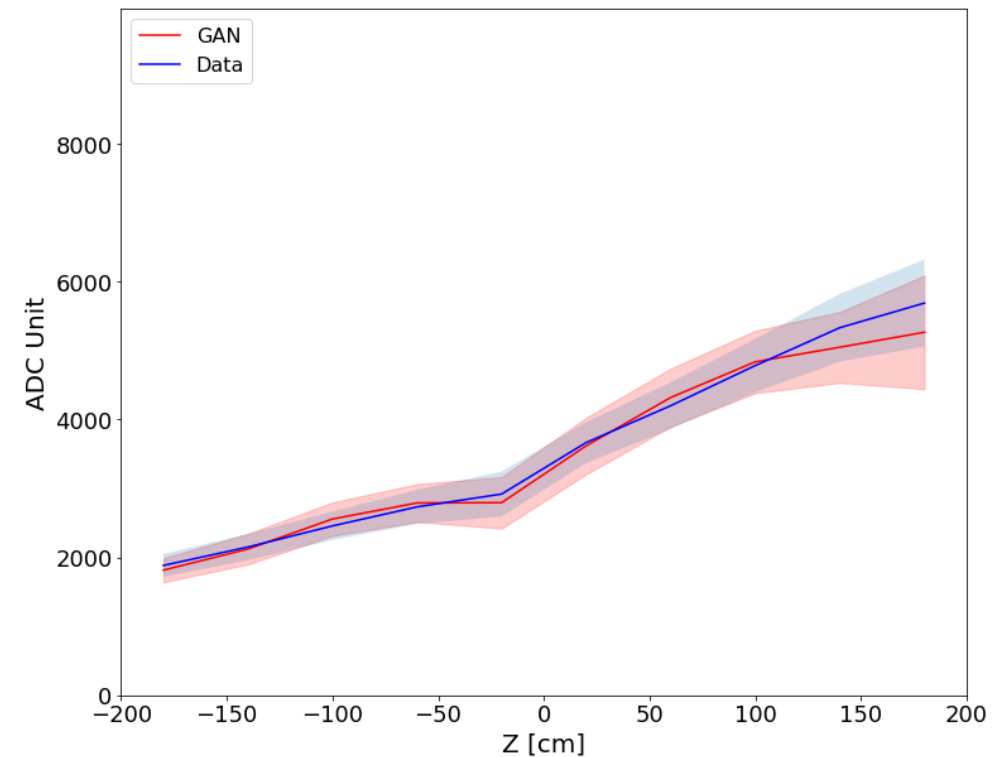
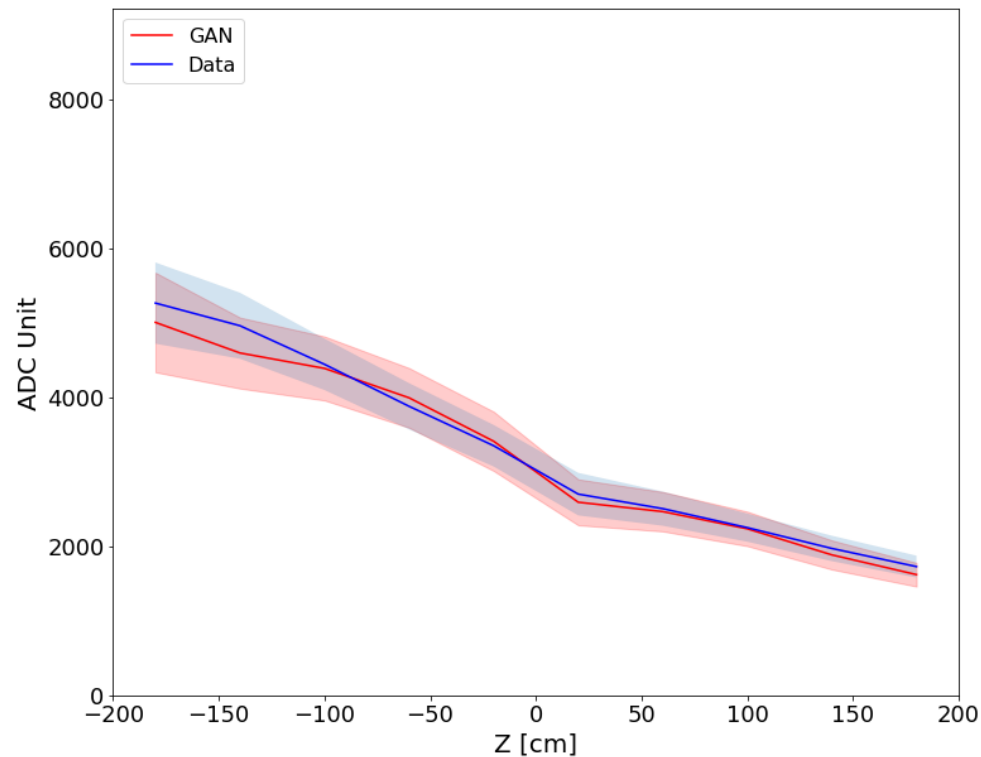
# Most recent: MC with GANs

- Summed amplitude per APD gang
  - GAN reproduces the dead channels



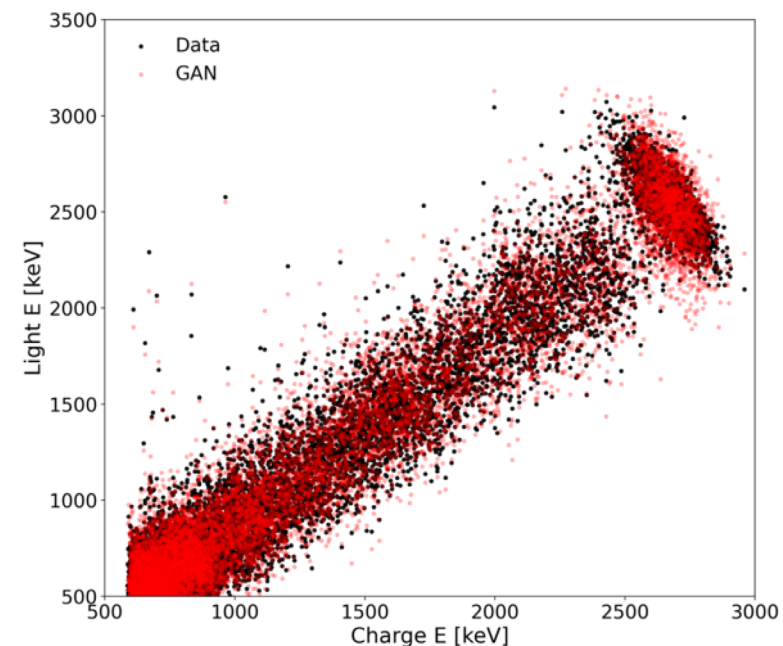
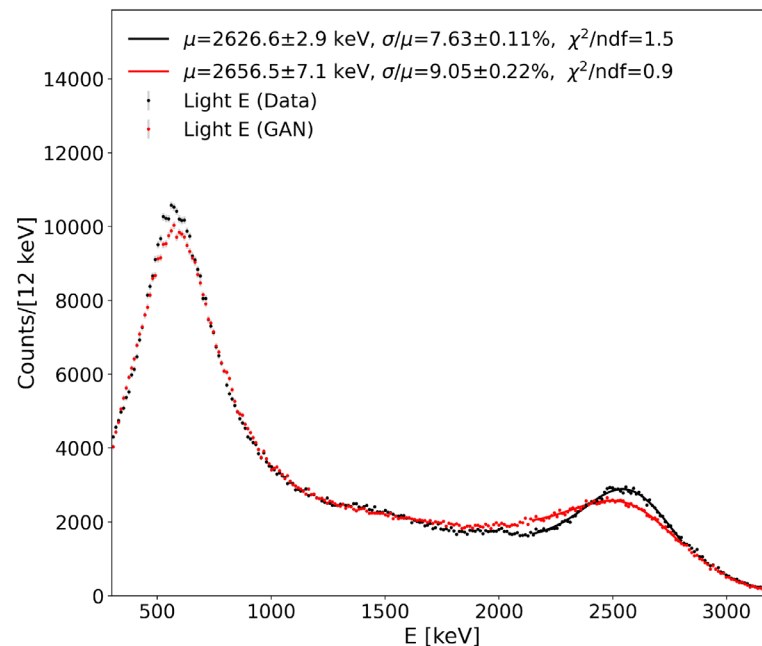
# Most recent: MC with GANs

- Position dependence of light response reproduced



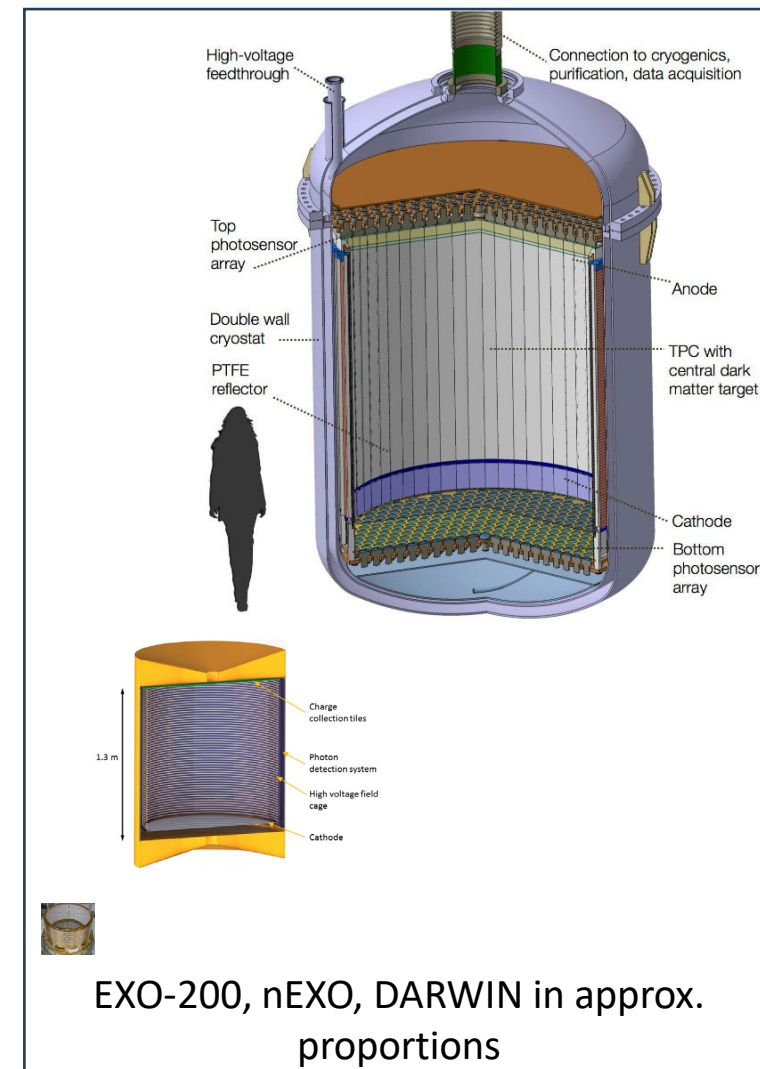
# Most recent: MC with GANs

- Anti-correlation between charge and light signals reproduced
  - optimal angle is slightly different
- Light-only energy spectrum looks good but does not reproduce the resolution exactly
  - Consistent with the extra uncertainty added by imperfect truth labels. Experiments that could train on calibration data with more precise labels can do better



# Towards next-generation LXe TPC experiments

- DNNs are being used to help guide design
  - See, e.g., [D.Bajpai's talk](#) at APS April Meeting
  - Naturally, limited to MC so far, so not particularly interesting in the context of this talk
- A couple of general notes:
  - Should be careful with treating DNNs as Deus Ex Machina to justify nonideal design choices (à la “who needs Frisch grids, can overcome long induction tails with DNN magic”)
  - If want waveforms as input, scaling up to DARWIN, nEXO may be difficult
    - In EXO-200, 0.5M training events are 0.25 TB full (ROOT), but this gets down to 25 GB when cropped and pre-selected (hdf5)
    - Long-baseline LAr TPC are bigger, so are dealing with this issue already (sparse networks, reducing resolution of non-critical input, etc.)



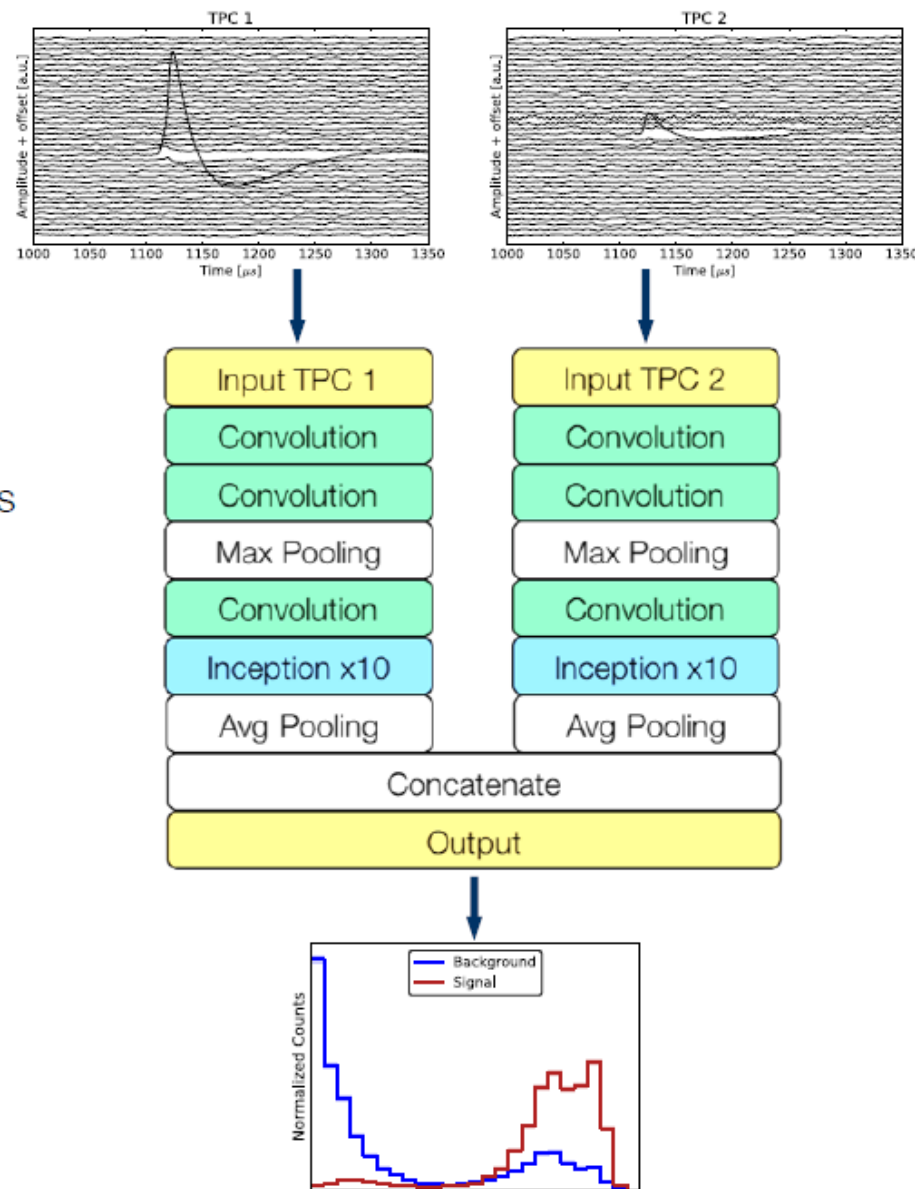


# Summary

- EXO-200 has demonstrated the potential of deep neural networks for the data analysis of a  $0\nu$  experiment directly from raw data
  - Improved energy resolution compared to standard approach
  - Improved sensitivity to neutrinoless double beta decay
  - Reconstructed position using scintillation light without using MC
  - Data-driven MC of signal waveforms, faster than traditional approach
  - Validated on real detector data
- DNNs are revolutionizing the way we do analysis
  - While the field is somewhat overhyped currently, there is no doubt that once the dust settles the CNNs will stay as a new staple tool in physicist's arsenal. Like the BDT was during the past several decades. The jury is still out for GANs, GNNs and other advanced tools
  - Can go from waveforms directly to the physics result? Still an open question. If 'yes', then could reduce the need for the dedicated experiment-specific (or even field-specific) software frameworks. The advantage is less overhead for doing physics

# Backup slides

- Binary discriminator for  $\beta\beta$  vs  $\gamma$  events
- Training data is identical to energy DNN
  - 50%  $\beta\beta$  signal, 50%  $\gamma$  background
- MC event distributions uniform in detector volume
  - Topological discrimination only
  - No assumption on spatial distributions
- MC event distribution uniform in energy
  - validation on  $2\nu\beta\beta$  data possible
- DNN architecture inspired by the Inception architecture
- Shared weights in TPC branches



- Blinded analysis performed
- SS/MS classification
- 3-dimension fit in both SS and MS events:  
Energy + DNN (topology) + Standoff distance (spatial)
  - Make the most use of multi-parameters for background rejection
  - SS, MS relative contributions constrained by SS fraction
  - Fit Phase-1 and Phase-2 separately
- Improvement of  $\sim 25\%$  in  $0\nu\beta\beta$  half-life sensitivity compared to using energy spectra + SS/MS alone

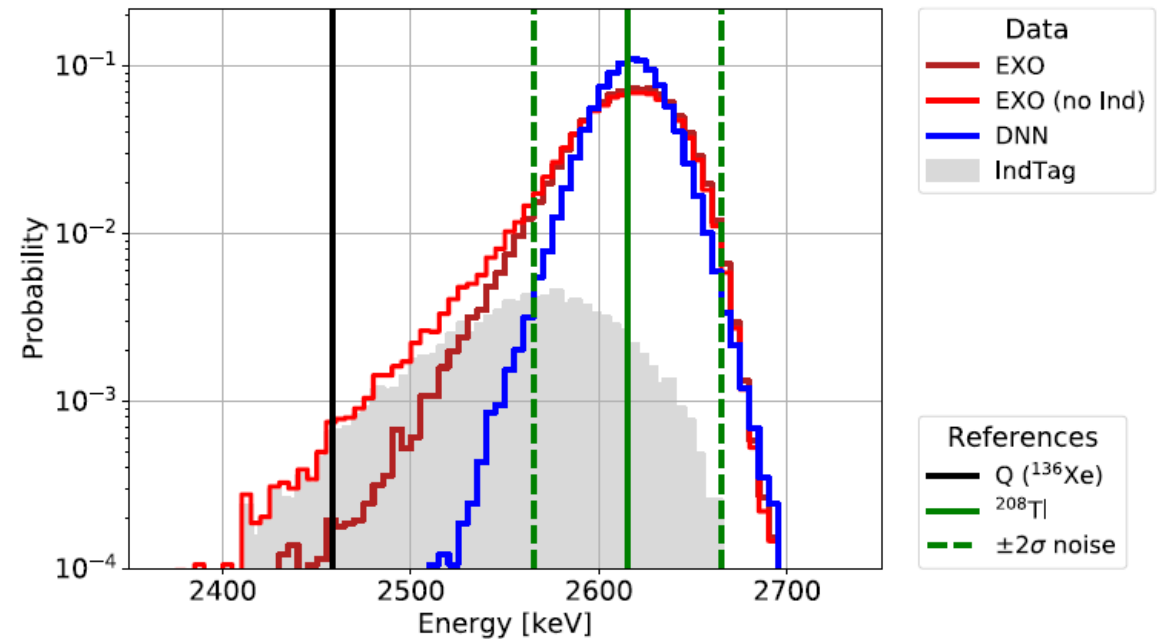


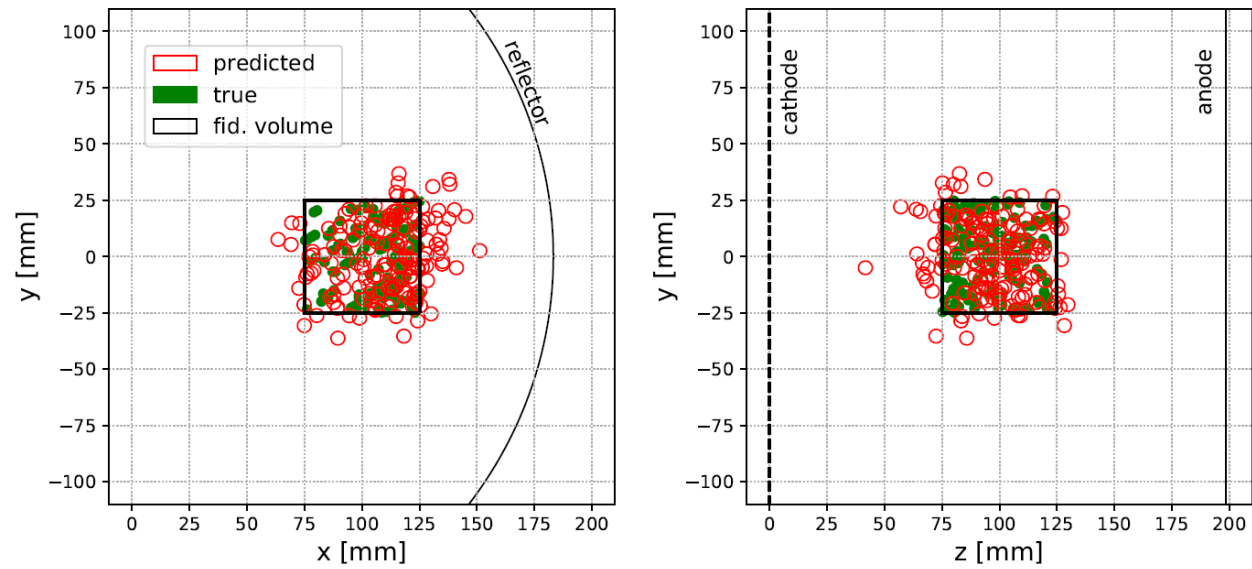
$$L = \underbrace{\mathbb{E}_{\tilde{x} \sim P_g} [D(\tilde{x})] - \mathbb{E}_{x \sim P_r} [D(x)]}_{\text{Wasserstein distance}} + \lambda \underbrace{\mathbb{E}_{\hat{x} \sim P_{\hat{x}}} [(\|\nabla D(\hat{x})\|_2 - 1)^2]}_{\text{gradient penalty}} \quad (3.1)$$

where  $D$  is the discriminator,  $\hat{x} = \epsilon x + (1 - \epsilon)\tilde{x}$ ,  $\epsilon \in U(0, 1)$ ,  $\lambda$  is the gradient penalty's weighting coefficient, and  $\|\cdot\|_2$  denotes the Euclidean norm. The gradient penalty term,  $(\|\nabla D(\hat{x})\|_2 - 1)^2$ , encourages the norm of the gradient to go towards 1. The point  $x$  used to calculate the gradient norm is any point sampled between the GAN-generated distribution,  $P_g$ , and real data distribution,  $P_r$ . A gradient penalty is a soft version of the Lipschitz constraint that removes the undesirable behaviour of gradient explosion/vanishing when the weight clipping parameter is not carefully tuned in the earlier Wasserstein GAN design.

# First application: A note on the “Black box”

- The better performance of the DNN alerted that something was lacking in the “traditional” approach and triggered improvements in EXO recon
- While the cause is now largely understood (handling of mixed induction and collection signals), the developed “traditional” solution is still outperformed by the DNN





**Figure 28.** Evaluation of the trained model on an independent set of test data. The events are selected to be in a tight fiducial volume of  $50 \text{ mm} \times 50 \text{ mm} \times 50 \text{ mm}$  at position  $x = 100 \text{ mm}$ ,  $y = 0 \text{ mm}$  and  $z = 100 \text{ mm}$  and have energies above  $2400 \text{ keV}$ .