

Quantum Computing for High-Energy Particle & Nuclear Physics

26th international symposium on spin physics (SPIN2025),
Qingdao, Shandong, September 22-26, 2025

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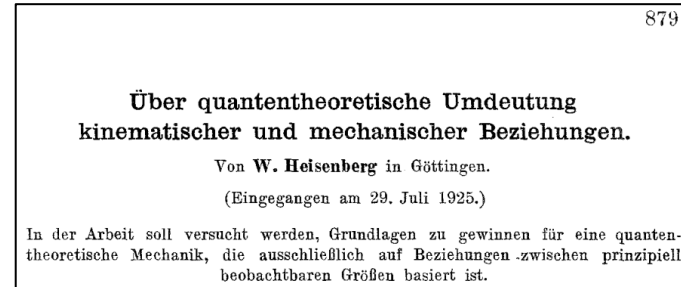
2025: 100th Anniversary of QM & Spin

Werner Heisenberg



©Bundesarchiv, Bild 183-R57262

**“Quantum-mechanical re-interpretation
of kinematic and mechanical relations”**
(translation used in “Sources of Quantum Mechanics,
edited by B. L. van der Waerden (1967))



Z. Physik 33, 879–893 (1925)

<https://www.bnl.gov/centuryofspin/>



- UNESCO proclaims 2025 as the **International Year of Quantum Science and Technology**, celebrating the **100th anniversary of the initial development of quantum mechanics (i.e. Heisenberg's paper accepted on 29 July, 1925)**
- It is also the **100th anniversary of spin introduced by Uhlenbeck and Goudsmit.**

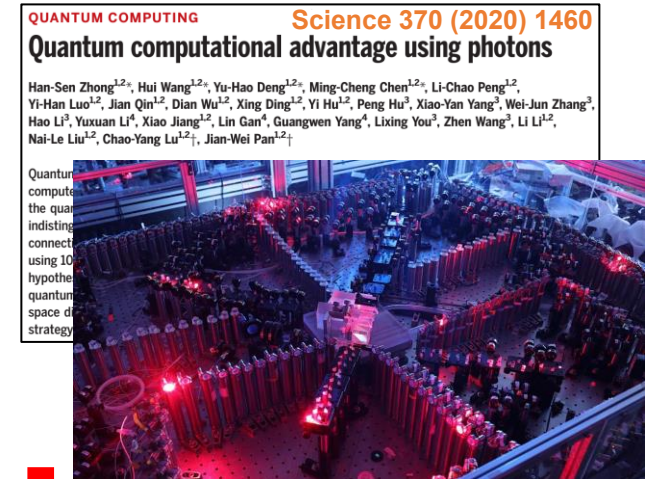
2nd Quantum Revolution: A New Era

- 1st quantum revolution: lasers, transistors, nuclear magnetic resonance, etc.
- **2nd quantum revolution:** Identification and control of a single quantum bit for the first time in human history. Arrival of commercial quantum computers.
 - Quantum supremacy for random number generation in 2019/2020.
 - Recent significant speed-up in Willow/Zuchongzhi-3 & surface code implementation → a milestone towards large-scale quantum computers.

Google (2019)



Jiuzhang (九章) (2020)

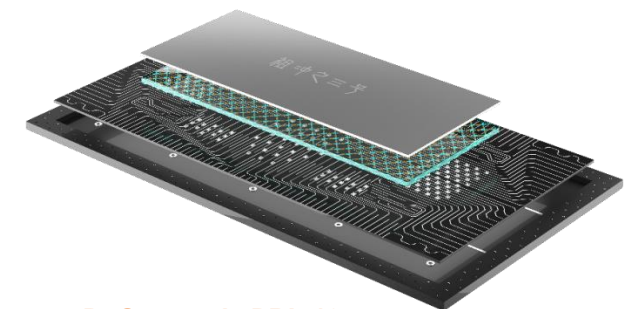


Google (2024)



Google AI & collab., Nature 638 (2025) 920
SPIN 2025

Zuchongzhi-3
(祖冲之3号) (2024)

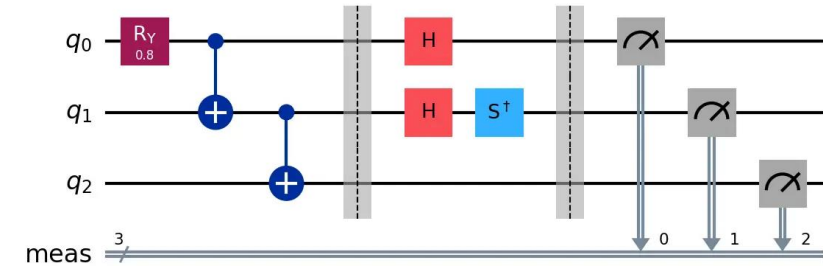


D. Gao et al., PRL 134
(2025) 090601

Quantum Computing Technologies

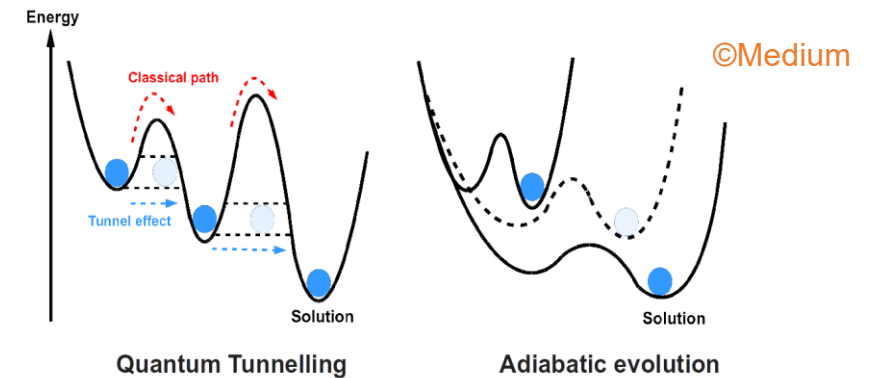
Quantum Gates

- Uses quantum logic gates. Is universal computing.
- **Most quantum computers adopt this approach**



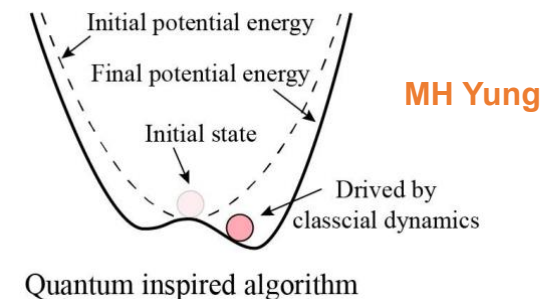
Quantum Annealing

- Uses adiabatic theorem to seek for Hamiltonian ground state.
- Is non-universal, **only applicable to optimization problems.**

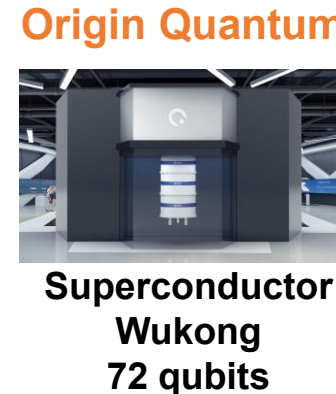
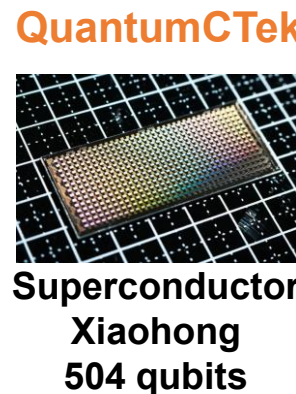
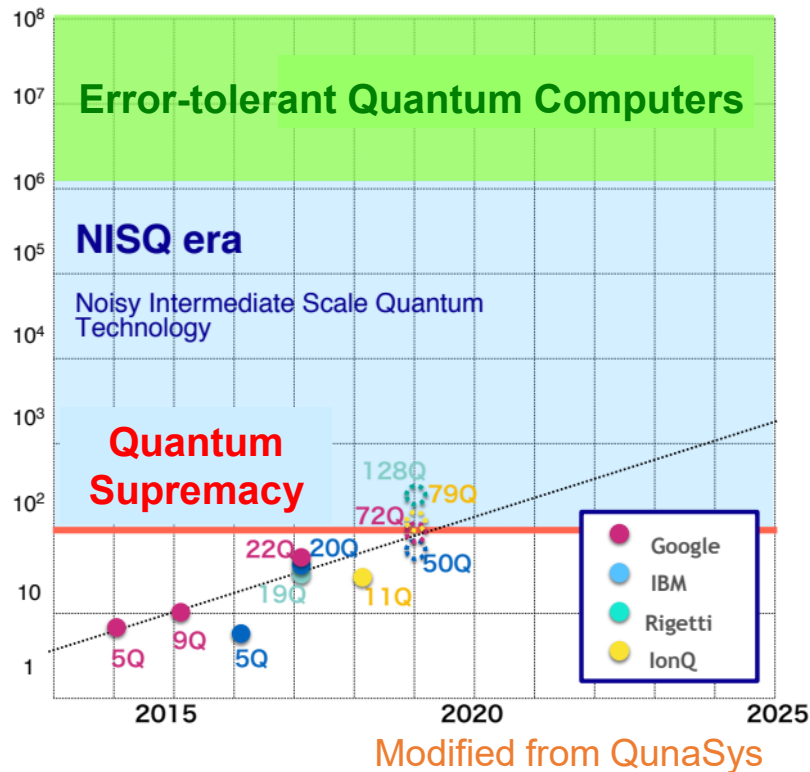


Quantum-inspired

- Classical algorithms: Simulated annealing, simulated coherent Ising machine, simulated bifurcation, tensor network, etc.



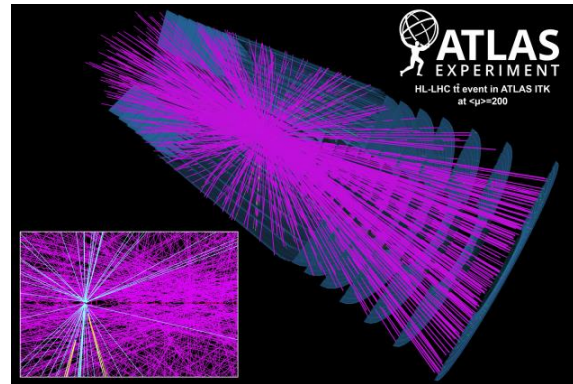
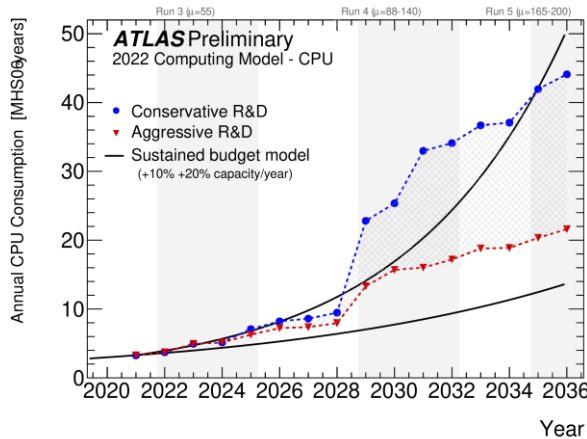
Noisy Intermediate Scale Quantum



- Now is the era of Noisy Intermediate Scale Quantum (NISQ) computers (>~50 qubits).
- **Error mitigation is actively introduced in various hardware. Error-tolerant quantum computers are starting to show up in ion-trap hardware.**

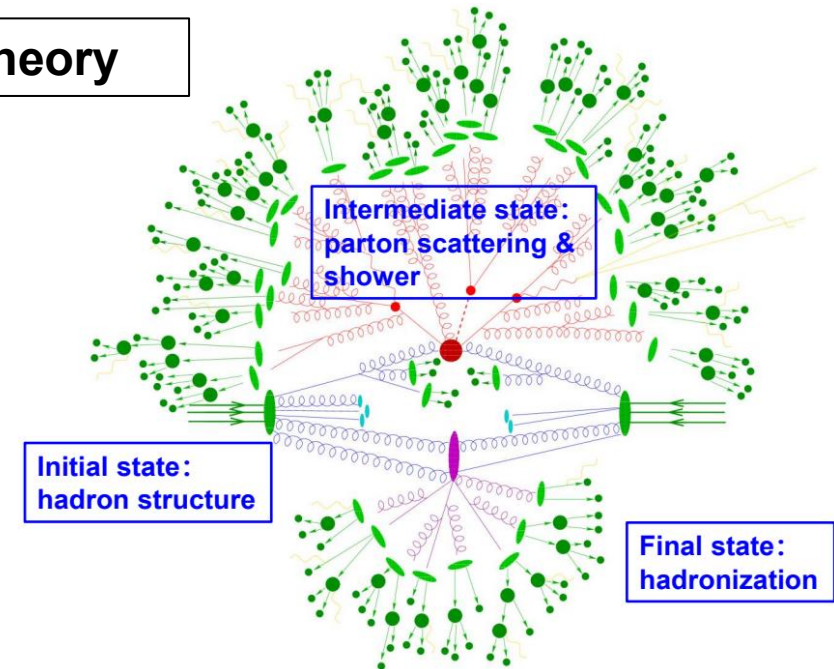
Why Quantum Computing?

Experiments



- Future colliders (e.g. HL-LHC, CEPC, EIC) will enter the **EB era from the current PB-scale operation**.
- At the HL-LHC, annual computing cost will increase by a factor of 10-20. **CEPC Z-pole operation will experience similar challenges.**

Theory

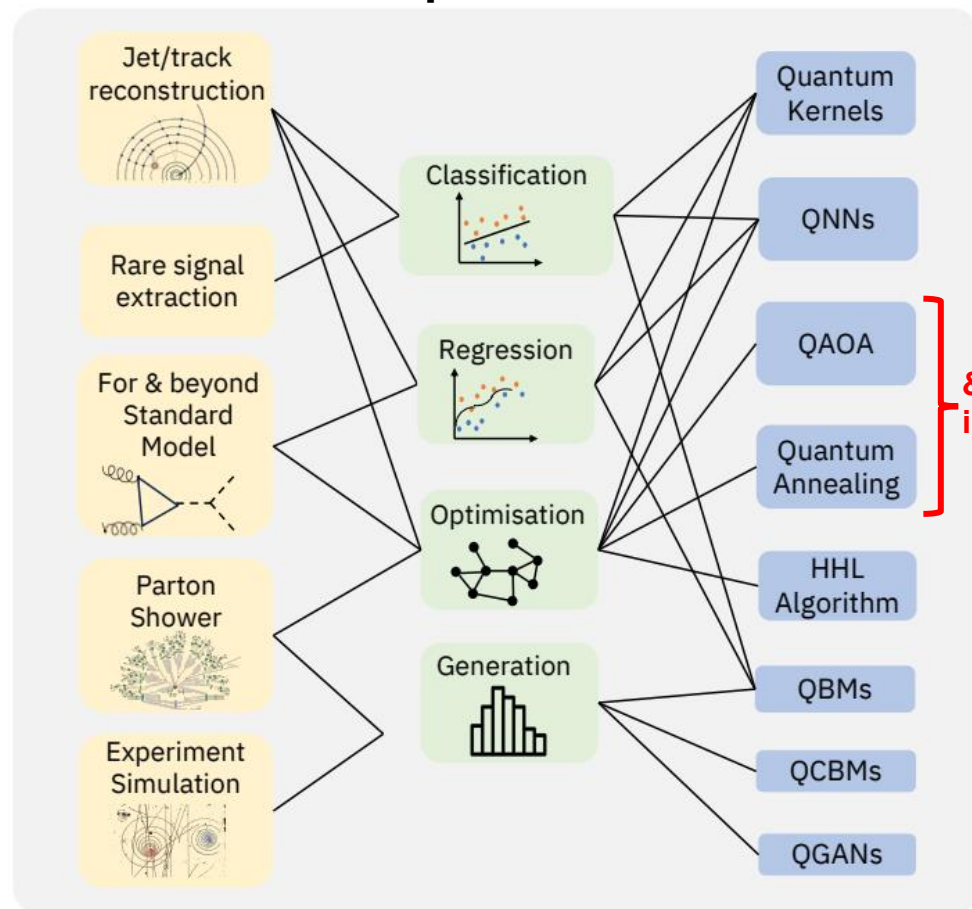


- Strong interaction dynamics is difficult to simulate classically from the first principles.
 - Non-equilibrium, non-perturbative, complexity of many-body quantum systems, quantum interference, sign problem, etc.

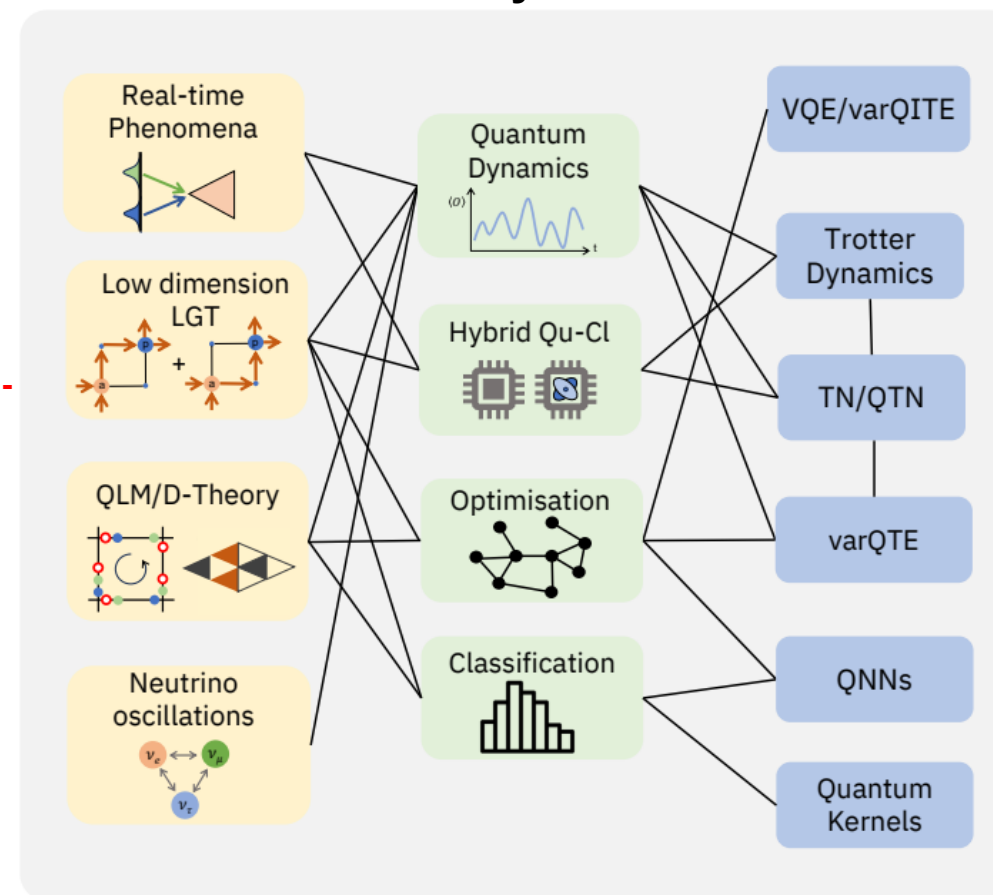
QC Applications in HEP

QC4HEP Whitepaper: A. Di Meglio et al.,
PRX QUANTUM 5, 037001 (2024)

Experiment

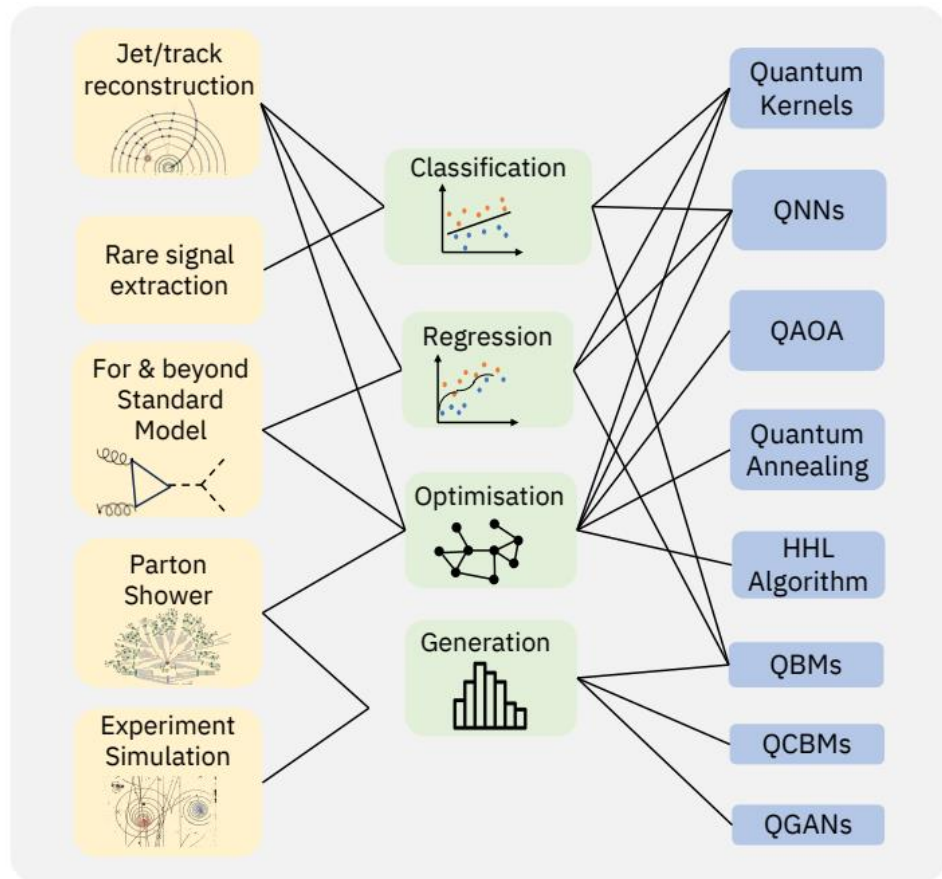


Theory



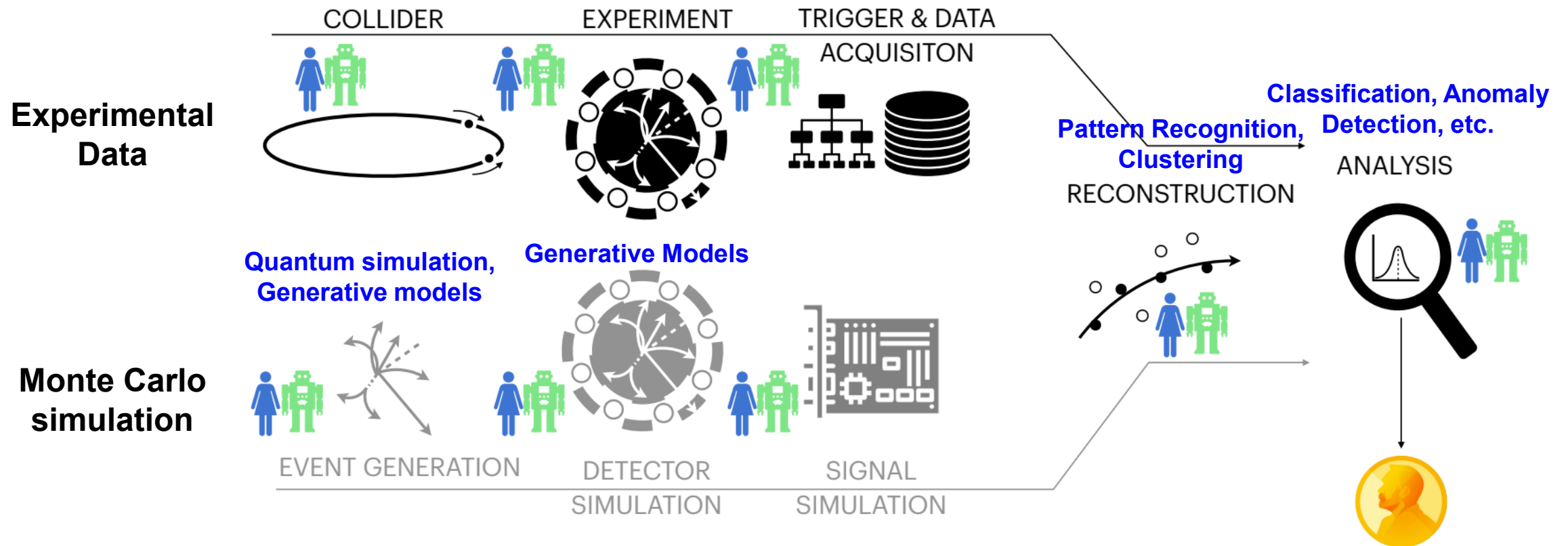
About quantum simulation, see also: C.W. Bauer et al., PRX Quantum 4 (2023) 2, 027001

Experimental Applications



Full Experimental Workflow

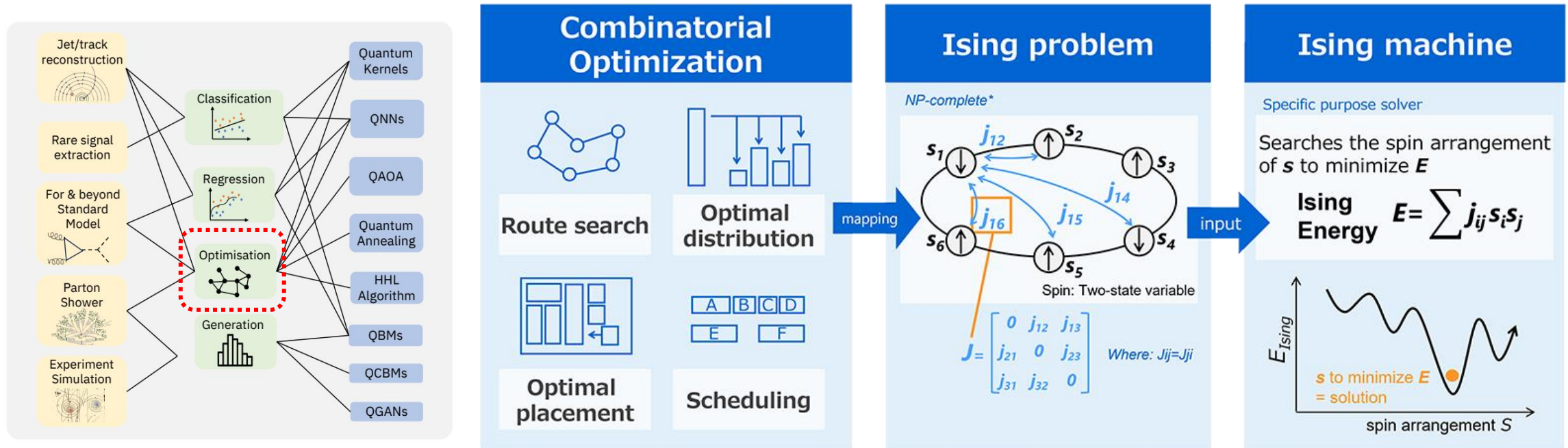
Credits: Andreas Salzburger



- **All steps require a significant amount of computing resources!**
- **State-of-the-art machine learning is currently being introduced/considered at all levels.**
- **Can we introduce quantum computing to these tasks?**

Combinatorial Optimization Problems

©TOSHIBA



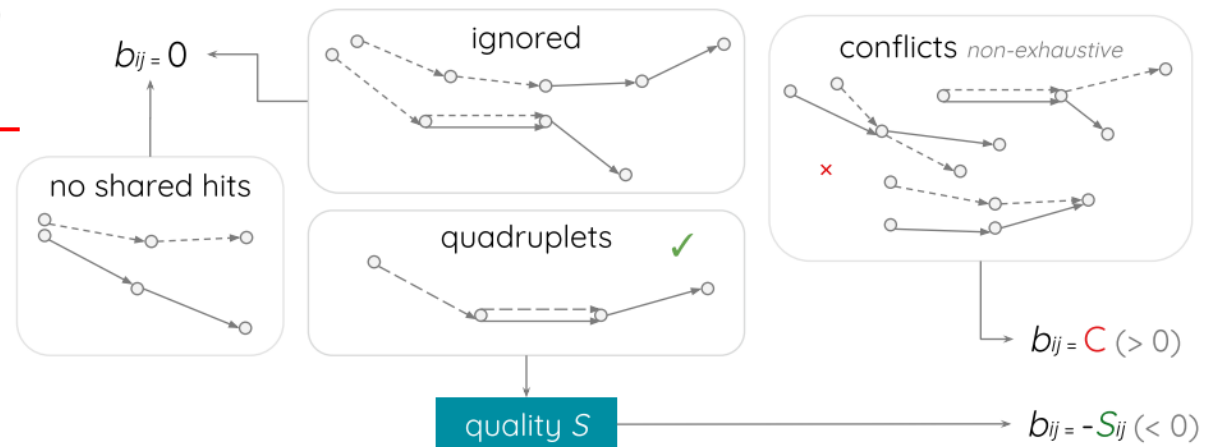
- Practically complicated problems can often be formulated as combinatorial optimization problems/Ising problems → **Ground state of Ising Hamiltonian corresponds to the answer.**
- They are generally NP-complete problem: Non-deterministic Polynomial time no efficient algorithm exists to find the solution.
→ **But quantum approaches can provide quasi-optimal answers!**

Tracking as Optimization Problem

- Tracks are formed by connecting silicon detector hits: e.g. triplets (segments w/ 3 hits).
- Doublets/triplets are connected to reconstruct tracks & it can be regarded as a **quadratic unconstrained binary optimization (QUBO)/Ising** problem.

$$O(a, b, T) = \underbrace{\sum_{i=1}^N a_i T_i}_{\text{Quality of triplets}} + \underbrace{\sum_i \sum_{j < i}^N b_{ij} T_i T_j}_{\text{Compatibility b/w triplet pairs}}$$

F. Bapst et al. *Comp. Soft. Big Sci.* 4 (2019) 1



$$a_i = \alpha \left(1 - e^{\frac{|d_0|}{\gamma}} \right) + \beta \left(1 - e^{\frac{|z_0|}{\lambda}} \right),$$

$$b_{ij} = 0 \text{ (if no shared hit), } 1 \text{ (if conflict)} \\ = -S_{ij} \text{ (if two hits are shared)}$$

$$S_{ij} = \frac{1 - \frac{1}{2}(|\delta(q/p_{Ti}, q/p_{Tj})| + \max(\delta\theta_i, \delta\theta_j))}{(1 + H_i + H_j)^2},$$

Minimizing QUBO is equivalent to searching for the ground state of the Hamiltonian.

Quantum Optimization Solvers

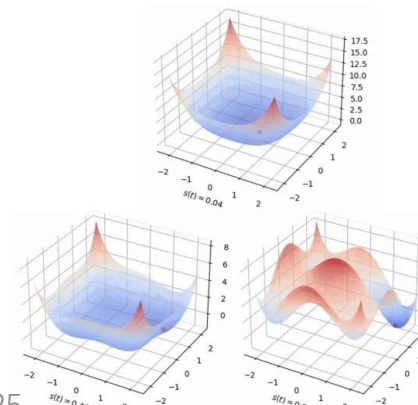
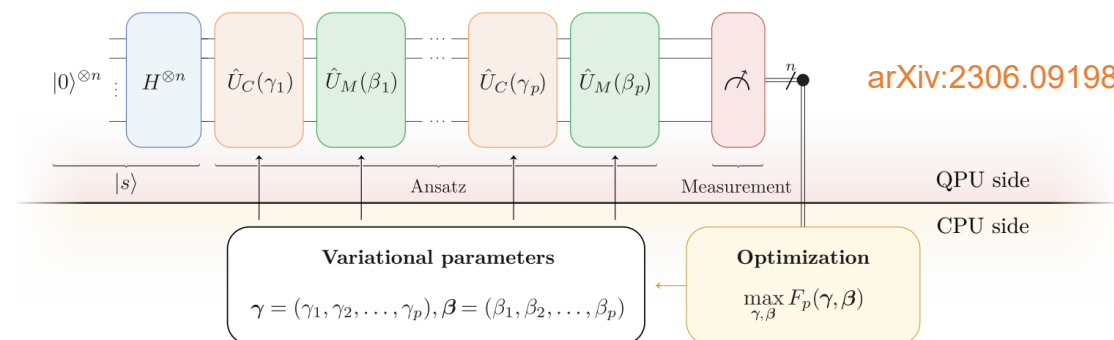
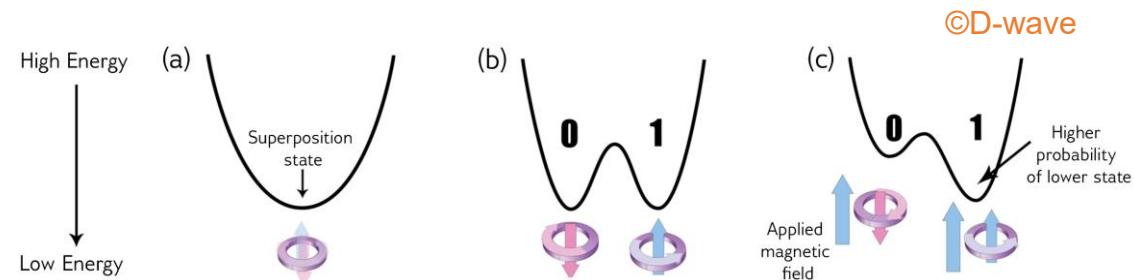
1. Quantum annealer looks for the global minimum based on the quantum adiabatic theorem (+quantum tunneling).

2. Quantum gate machines can also solve Ising problems with variational circuits & Trotterization; it is a hybrid with classical optimizers.

- e.g. Variational Quantum Eigensolver (VQE), Quantum Approximate Optimization Algorithm (QAOA), **imaginary Hamiltonian variational ansatz (iHVA)**, **Imaginary Time Evolution-Mimicking Circuit (ITEMC)**.

3. Quantum-inspired algorithms search for ground state through the “**classical**” time evolution of differential equations.

- e.g. Simulated annealing (SA), **simulated bifurcation (SB)**



$$H_{SB}(\mathbf{x}, \mathbf{y}, t) = \sum_{i=1}^N \frac{\Delta}{2} y_i^2 + \sum_{i=1}^N \left[\frac{K}{4} x_i^4 + \frac{\Delta - p(t)}{2} x_i^2 \right] - \frac{\xi_0}{2} \sum_{i=1}^N \sum_{j=1}^N J_{ij} x_i x_j$$

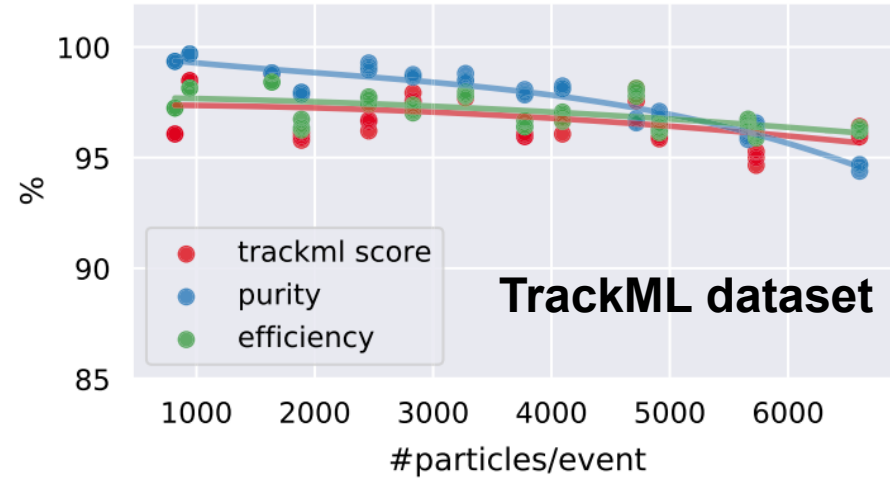
$$\dot{x}_i = \frac{\partial H_{SB}}{\partial y_i} = \Delta y_i$$

$$\dot{y}_i = -\frac{\partial H_{SB}}{\partial x_i} = -[Kx_i^2 - p(t) + \Delta]x_i + \xi_0 \sum_{j=1}^N J_{ij} x_j$$

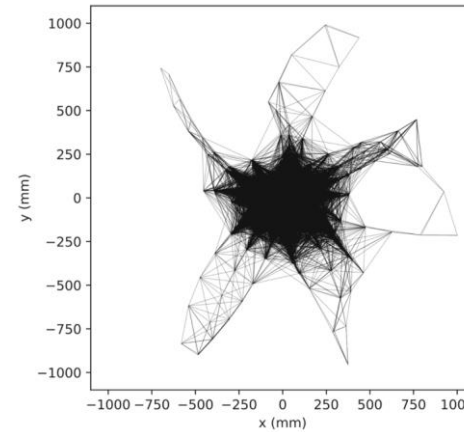
Tracking with Quantum Algorithms

Quantum annealing (w/ triplets)

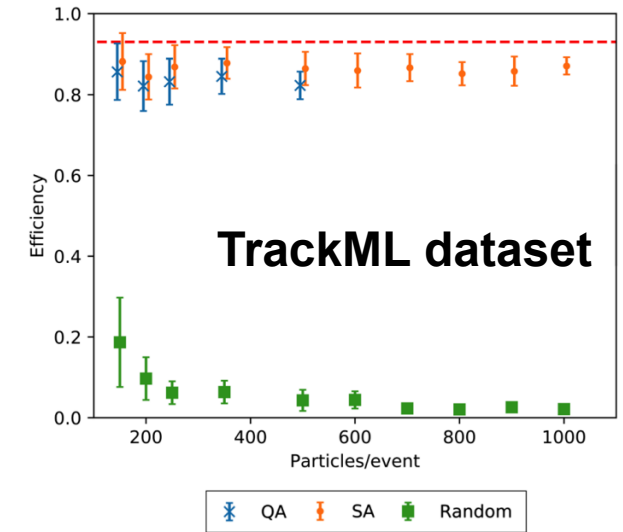
F. Bapst et al. Comp. Soft.
Big Sci. 4 (2019) 1.



Quantum annealing (w/ doublets)

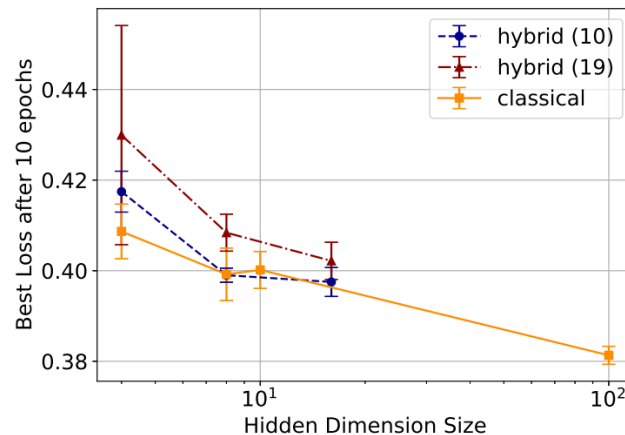


A. Zlokapa et al., Quantum Machine
Intelligence (2021) 3:27



Quantum Gates (QGNN)

C. Tuysuz et al., Quantum
Machine Intelligence (2021) 3:29



Conceptual
stage

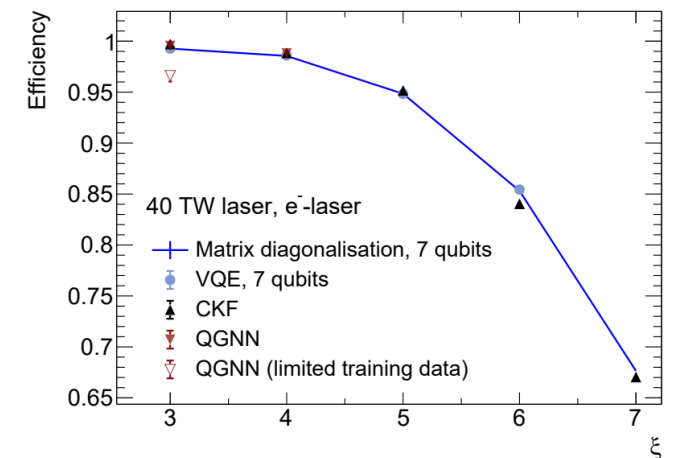
Hideki Okawa

Quantum Gates (VQE w/ triplets, QGNN)

DESY-LUXE
simulation dataset

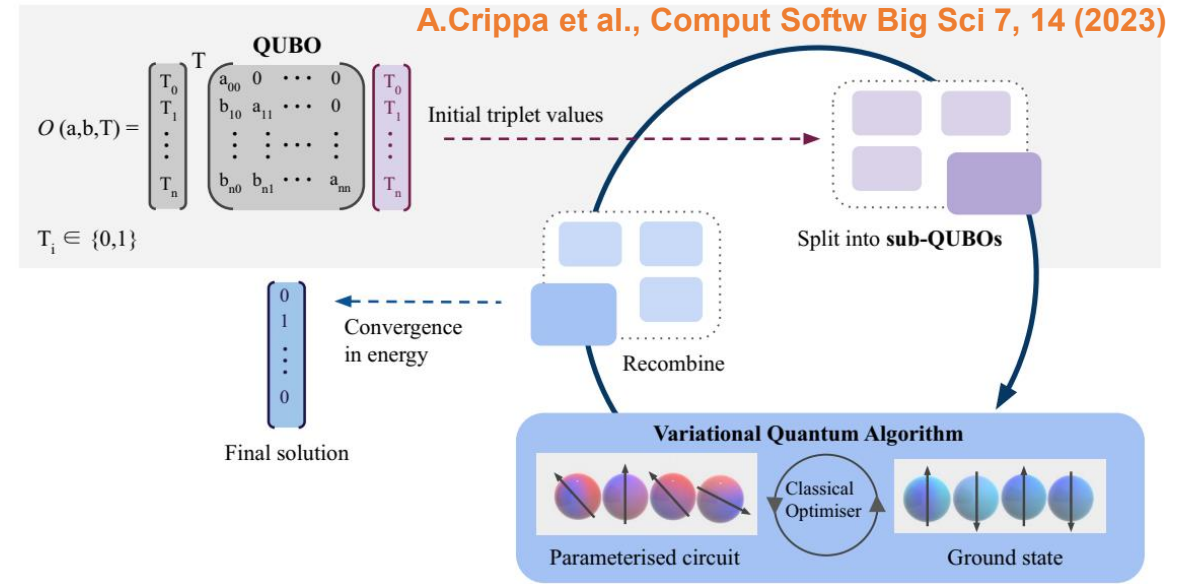
SPIN 2025

Y.C. Yap et al., PoS EPS-
HEP2023 (2024) 562

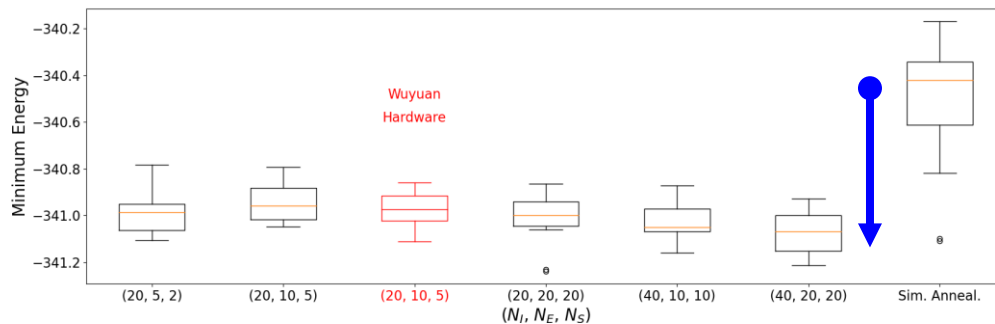


Tracking with Quantum Hardware

- # of triplet candidates determines # of qubits required → HL-LHC conditions (~O(0.1M) qubits) do not fit into the current scale of quantum annealing & gate computers
- **QUBO is split into sub-QUBOs.** There is no visible degradation in Ising solving precision, but the computation speed degrades by a few orders of magnitude.

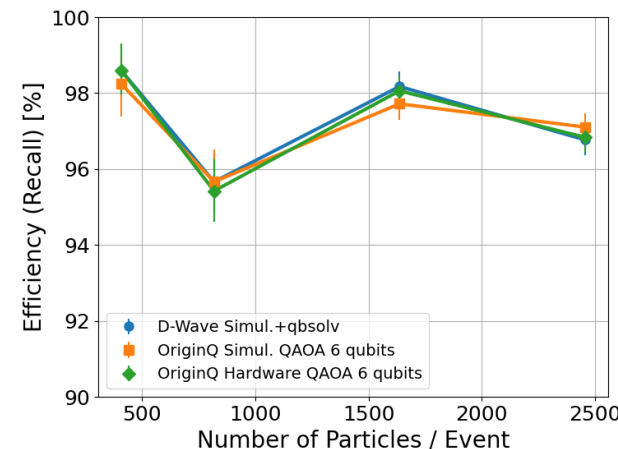


Using theoretically robust sub-QUBO algorithm
(Multiple Solution Instances)

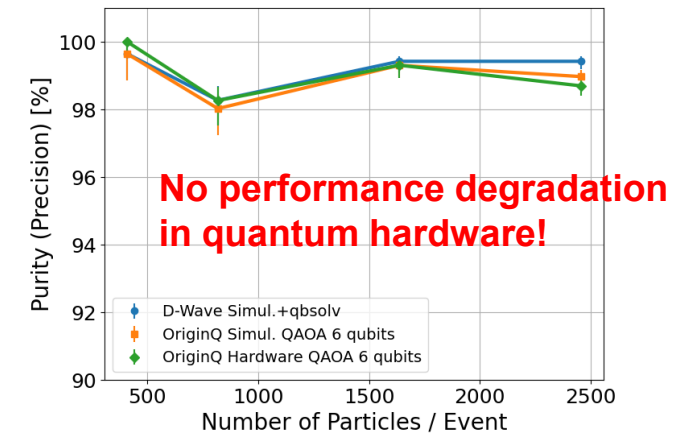


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Track Finding with QAOA

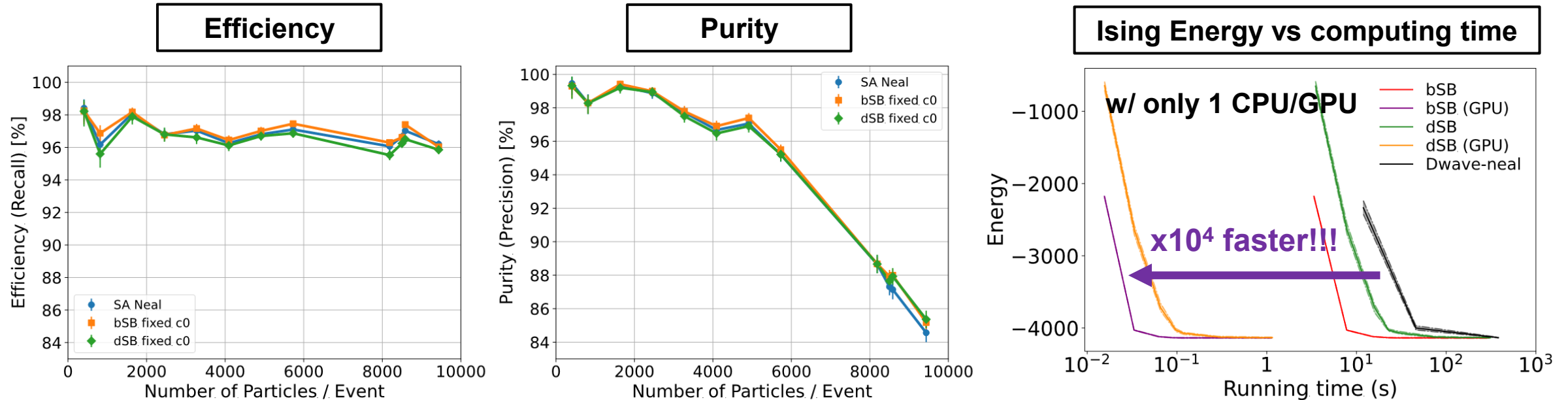


SPIN 2025



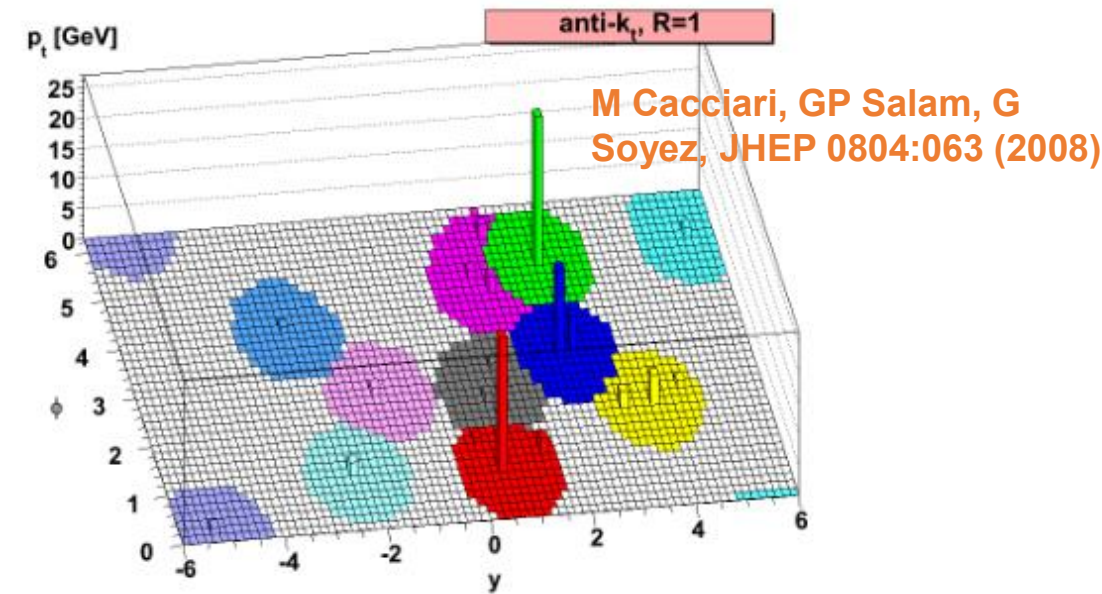
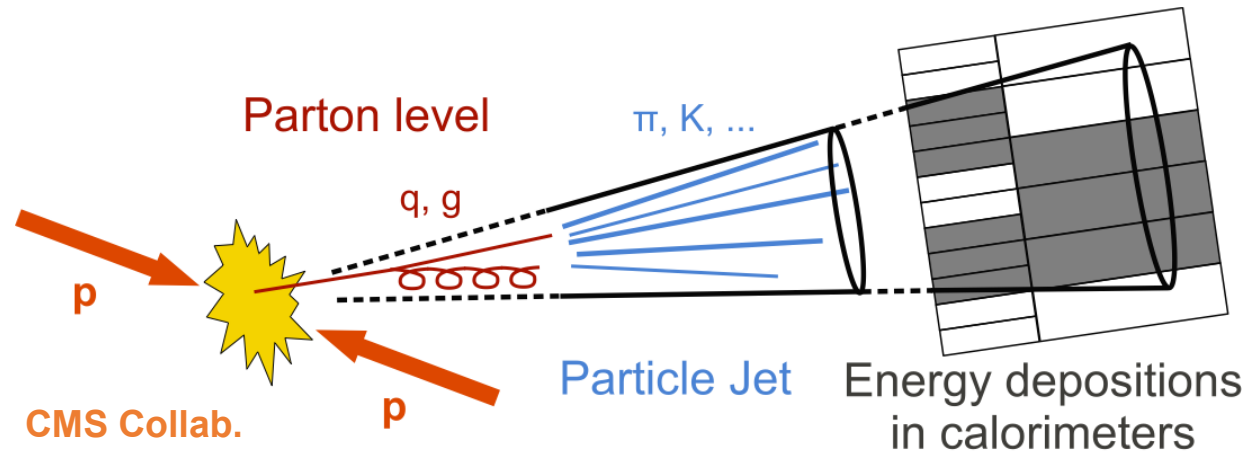
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Quantum-Inspired Track Finding



- **Quantum-annealing-inspired algorithm can DIRECTLY handle the HL-LHC dataset.**
- SB provides comparable or slightly better efficiency & purity than D-Wave Neal SA.
- bSB provides **4 orders of magnitude speed-up (23min → 0.14s) from D-Wave Neal** for HL-LHC data (cf. D-Wave hardware with qbsolv is ~2 orders of magnitude slower than Neal).
- **SB can effectively run w/ multiple processing, GPU & FPGA → Perfect match with HEP!!**

Clustering Jets



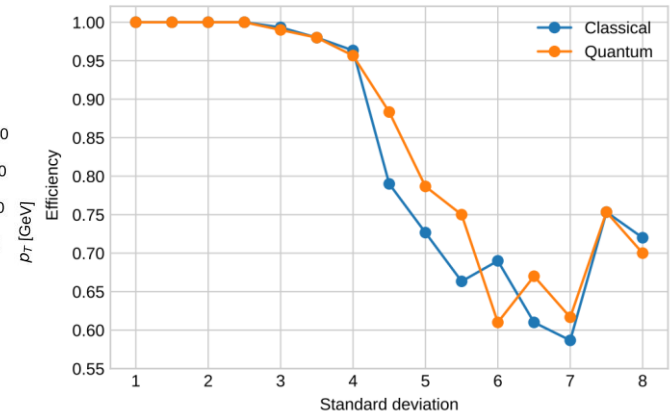
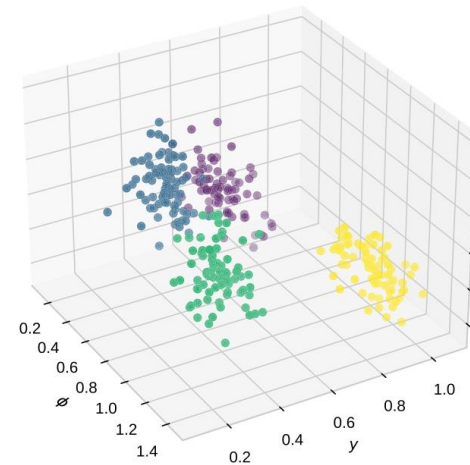
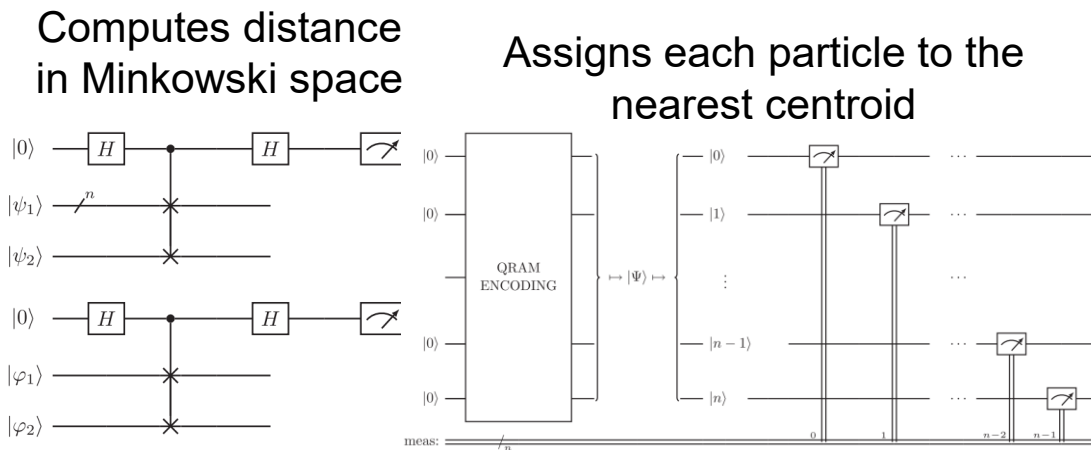
- Due to color confinement, gluons & quarks cannot exist on their own; they spray **collimated arrays of particles**.
- Clustering those particles as jets provides important proxies to understand the original quark/gluon kinematics but is a non-trivial & CPU-consuming task.
- There have been numerous classical algorithms proposed & used for decades.

Quantum Approaches (Iterative)

- Jet reconstruction is a clustering problem. Quantum algorithms may bring in acceleration.
- A few algorithms were considered to replace the traditional iterative calculation. Expected to bring in speed-up, but **still at a conceptual stage**.

Quantum K-means, Quantum Affinity Propagation (AP), Quantum k_t

J.J. Martinez de Lejarza, L. Cieri, G. Rodrigo, PRD 106 036021 (2022)

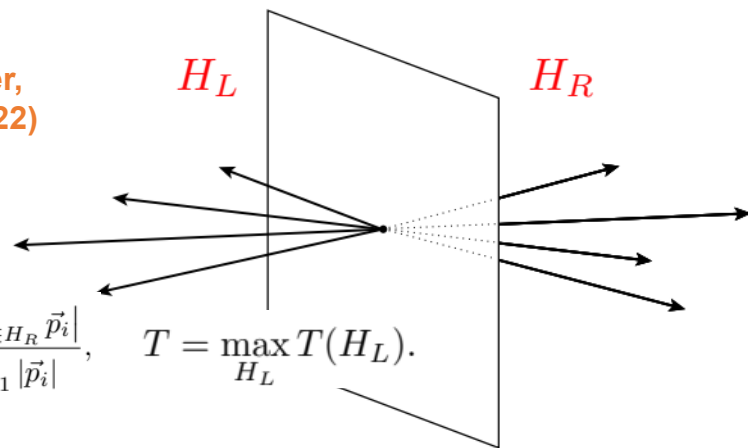


- Similar studies: Grover search A. Wei, P. Naik, A.W. Harrow, J. Thaler, PRD 101, 094015 (2020), quantum K-means D. Pires, P. Bargassa, J. Seixas, Y. Omar, arXiv:2101.05618 (2021).

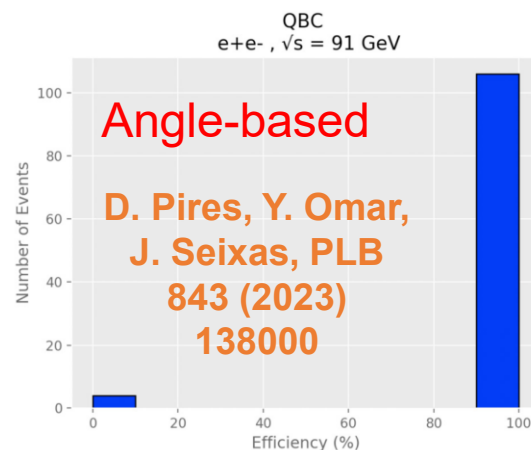
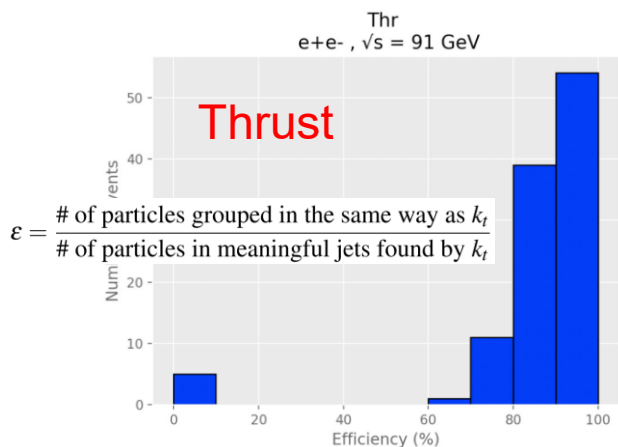
Quantum Approaches (Global)

Quantum Annealing (Thrust or Angle-based)

A. Delgado, J. Thaler,
PRD 106, 094016 (2022)

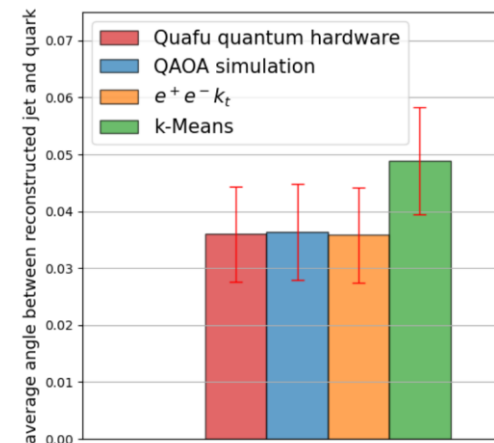
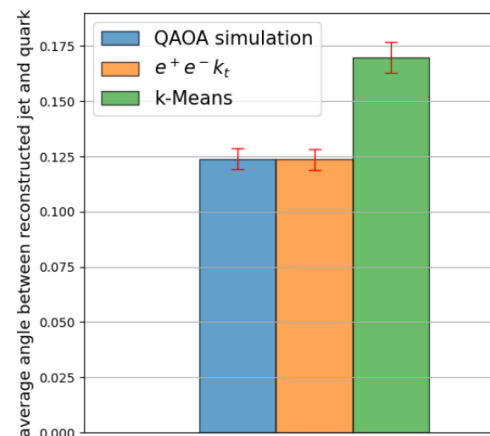


$$T(H_L) = \frac{2 \left| \sum_{i \in H_L} \vec{p}_i \right|}{\sum_{i=1}^N |\vec{p}_i|} = \frac{2 \left| \sum_{i \in H_R} \vec{p}_i \right|}{\sum_{i=1}^N |\vec{p}_i|}, \quad T = \max_{H_L} T(H_L).$$



Quantum Gates (e.g. QAOA) Y. Zhu et al., Sci. Bul. 70 (2025) 460

30-particle data ($e^+e^- \rightarrow ZH \rightarrow \nu\nu ss$) 6-particle data ($e^+e^- \rightarrow ZH \rightarrow \nu\nu ss$)



- Jet reconstruction can also be considered as a QUBO problem.
- D. Pires et al.: Angle-based method has better performance than the Thrust-based method, but degrades in multijet ($N_{jet} > 2$) events.
- Y. Zhu et al.: Used small-size dataset & evaluated average angle w/ QAOA in Quafu (北京量子院夸父).

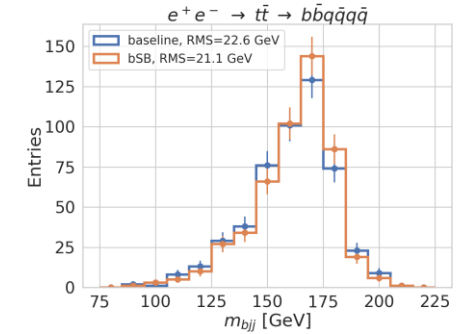
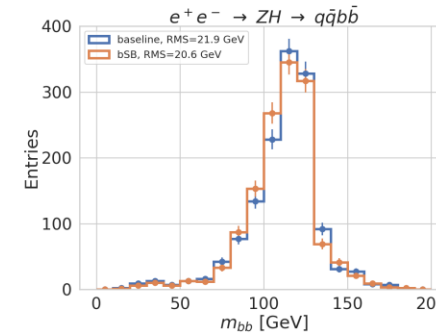
Quantum-inspired multijet clustering

QUBO Formulation

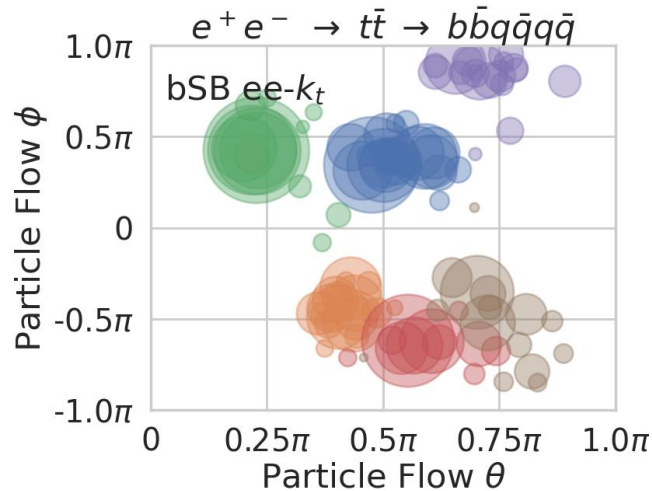
$$O_{\text{QUBO}}^{\text{multijet}}(x_i) = \underbrace{\sum_{n=1}^{n_{\text{jet}}} \sum_{i,j=1}^{N_{\text{input}}} Q_{ij} x_i^{(n)} x_j^{(n)}}_{\text{Defines distances b/w particle flow candidates}} + \lambda \underbrace{\sum_{i=1}^{N_{\text{input}}} \left(1 - \sum_{n=1}^{n_{\text{jet}}} x_i^{(n)} \right)^2}_{\text{Avoids double/none-assignment of particle flow candidates}},$$

Defines distances b/w
particle flow candidates

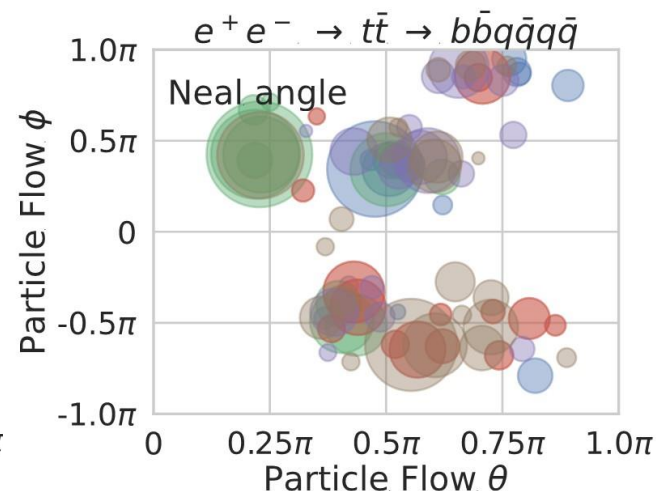
Avoids double/none-assignment
of particle flow candidates



This work

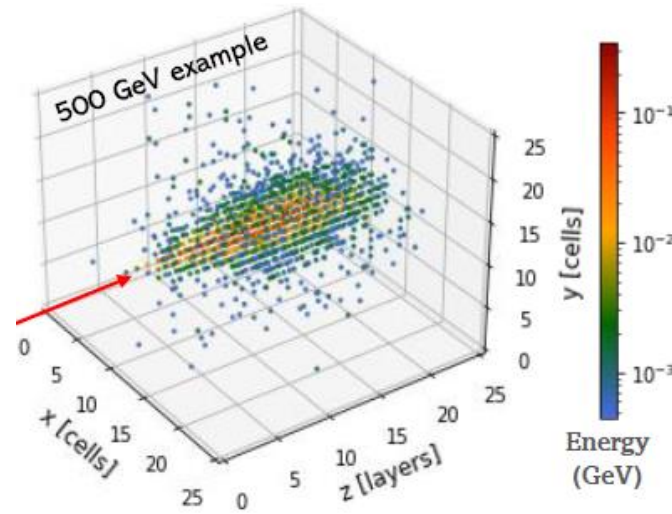
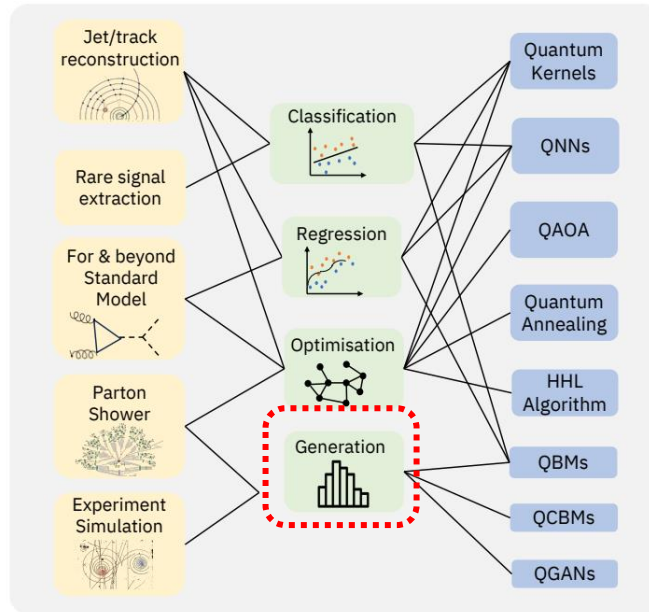


Previous method

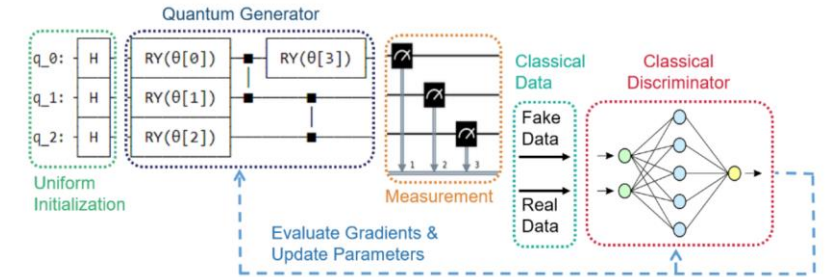


- QUBO matrices for jet reconstruction are **fully connected** unlike the track reconstruction, exceedingly difficult to solve.
- **1st successful global multijet clustering w/ bSB quantum-inspired algorithm.**
- **Invariant mass resolution improves by 6~7% for Higgs bosons/top-quarks.**

Generative Models

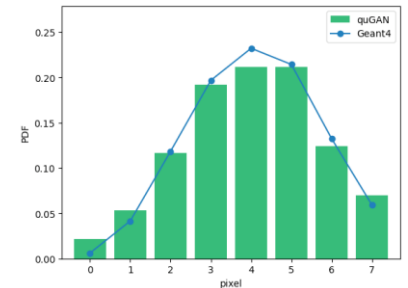
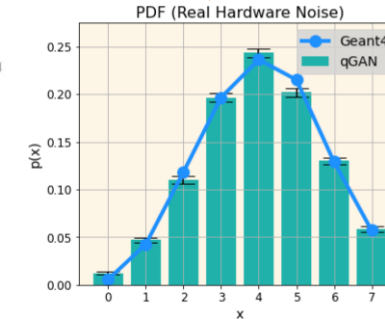


Quantum-classical hybrid GAN (difficult to proceed beyond a simple generation from PDF)



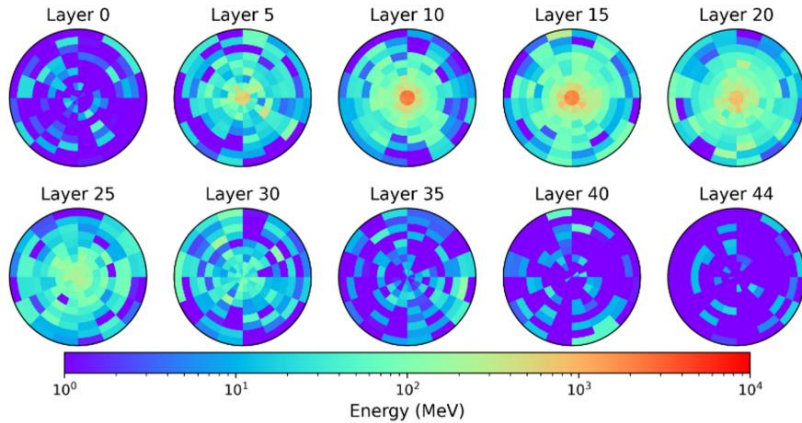
IBM (F. Rehm, S. Vallecorsa,
K. Borras, D. Krücker)

QuantumCTek (国盾)
hardware (XZ Huang, WD Li)



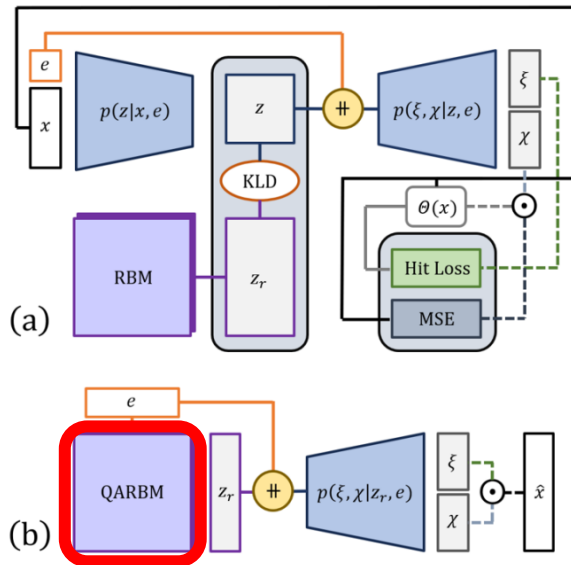
- **Simulating particle shower development in calorimeter is very CPU-consuming.** Classical generative AI has been intensively introduced (GAN, VAE, diffusion etc.)
- Quantum AI may bring in training speed-up & performance improvement.
- Two strategies: (1) quantum-classical hybrid / quantum-assisted, (2) fully quantum.

Hybrid: Quantum-Annealing-Assisted VAE



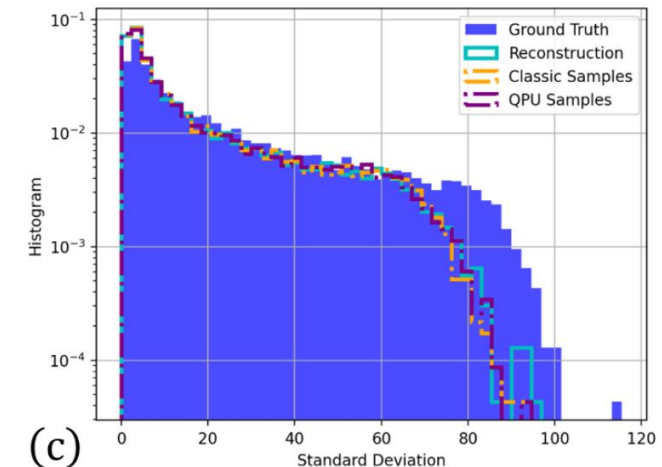
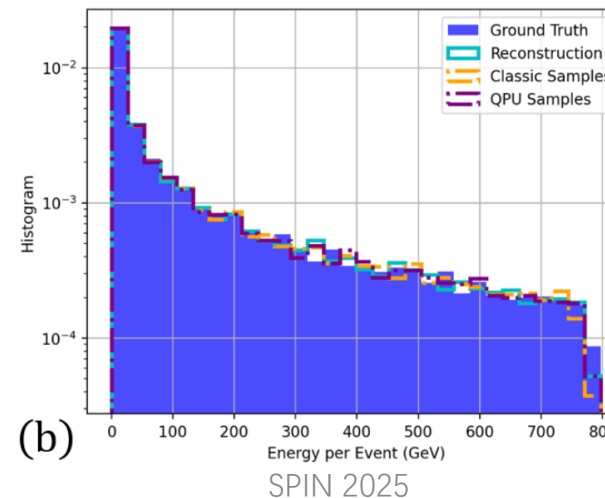
Quantum-assisted workflow:

1. **[Classical]** Conditioned Restricted Boltzmann Machine (RBM) is trained to learn the representations compressed by the encoder.
2. **[Quantum]** Classically trained RBM is loaded onto D-Wave Advantage quantum annealer.
3. **[Classical]** Decoder generates events from quantum-annealing RBM sampling.



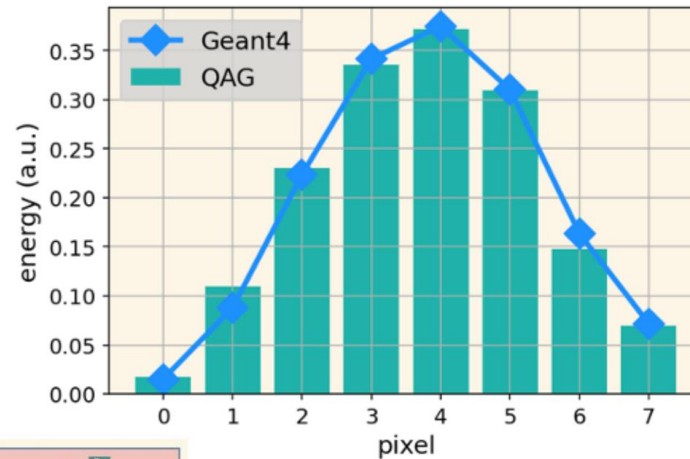
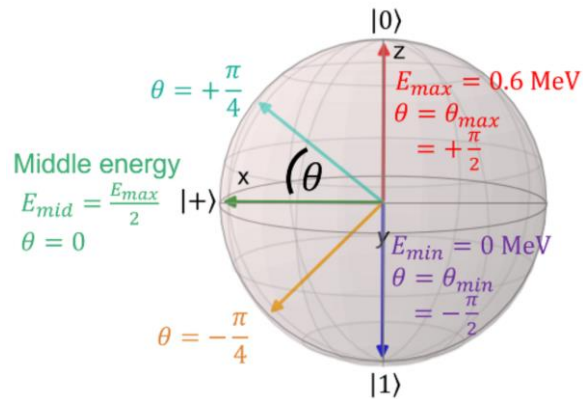
Quantum Annealing

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Full Quantum: QAG (Quantum Angle Generator)

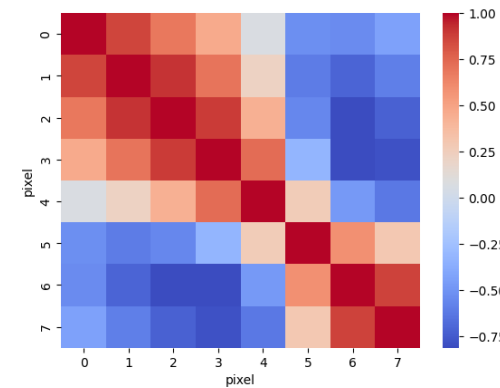
F Rehm et al., Quantum Sci. Technol. 9 015009 (2023)



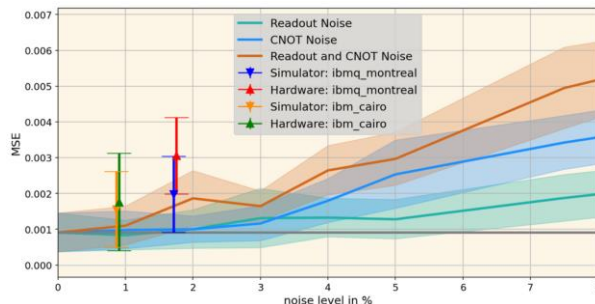
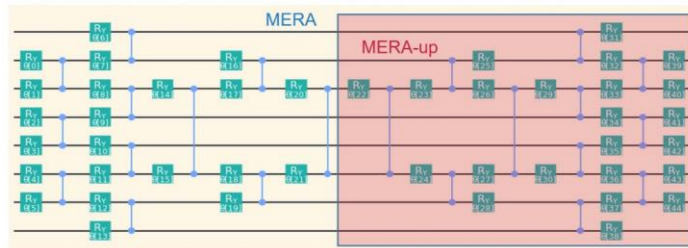
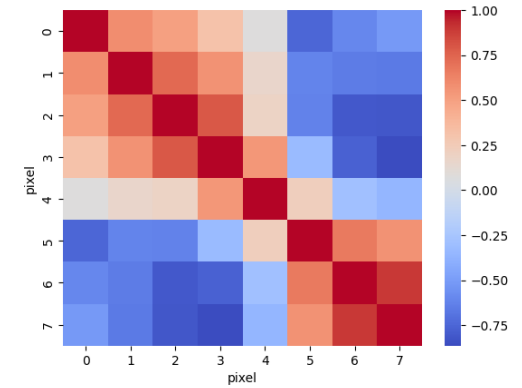
Inter-pixel correlations

XZ Huang, WD Li

Geant4

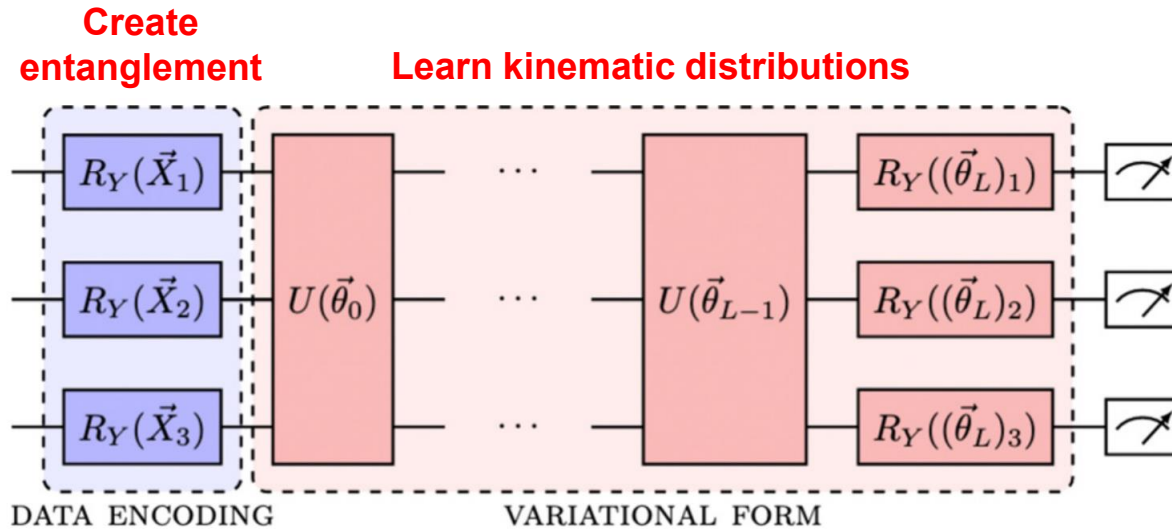


QAG

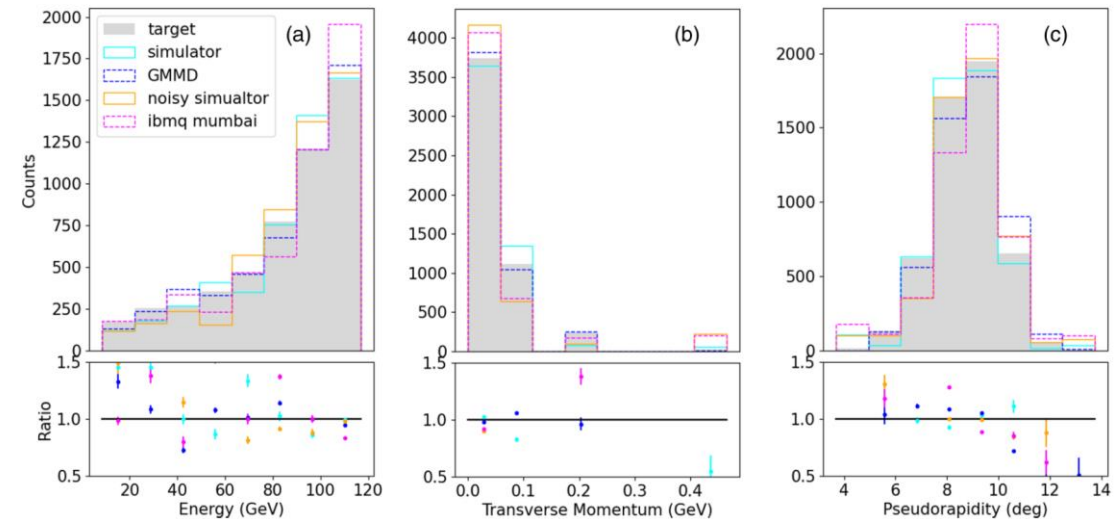


- Event-by-event generation is not straightforward with hybrid methods & performance is degraded. [Dual-PQC GAN: S.Y. Chang et al., J. Phys. Conf. Ser. 2438 \(2023\) 1, 012062](#)
- Angle encoding with full quantum implementation overcomes the challenge. Using two loss functions for event-wise generation & reproducing pixel correlation.
- The model can also learn noise & recover performance.
- XZ Huang & WD Li succeeded in improving the algorithm.

Full Quantum: QCBM (Quantum Conditional Born Machine)

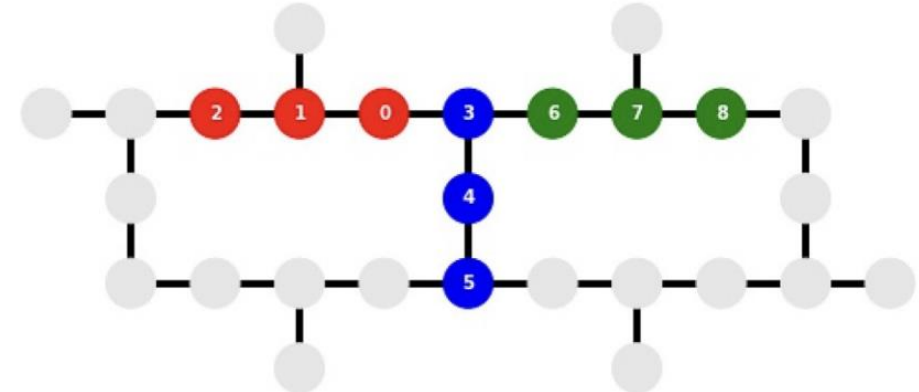


Muon Force Carrier (MFC) BSM simulation

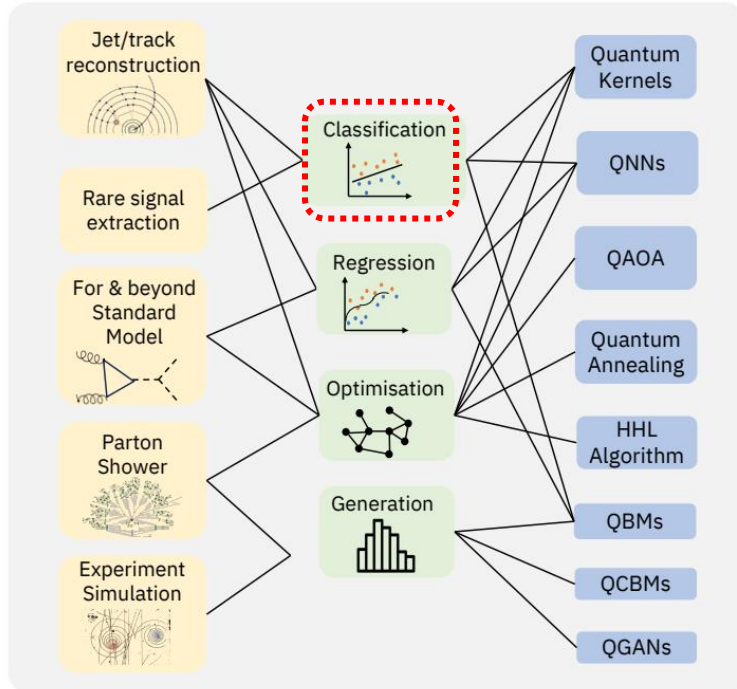


- A fully quantum algorithm that can generate event-by-event with correlations. Learnability of hardware noise.
- Does not yet exceed classical algorithms, but **is more expressive**, considering its simple circuit design with very few parameters.

27-qubit IBM quantum chip (IBMQ Montreal & Mumbai)



Classification

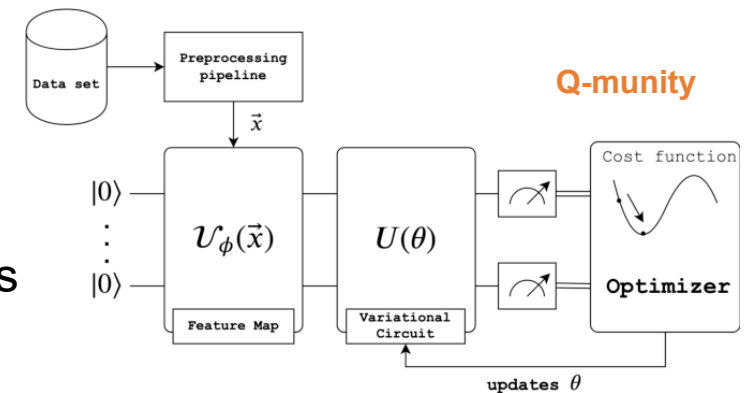


Quantum annealing

- Map machine learning into optimization problems (QBoost, QAML, QAML-Z etc.)

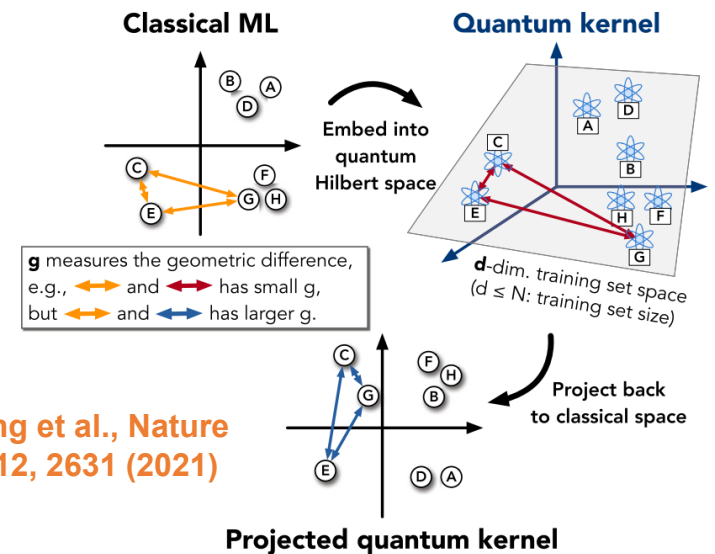
Variational quantum algorithms (hybrid)

- Use variational quantum circuit, but update parameters with a classical optimizer.



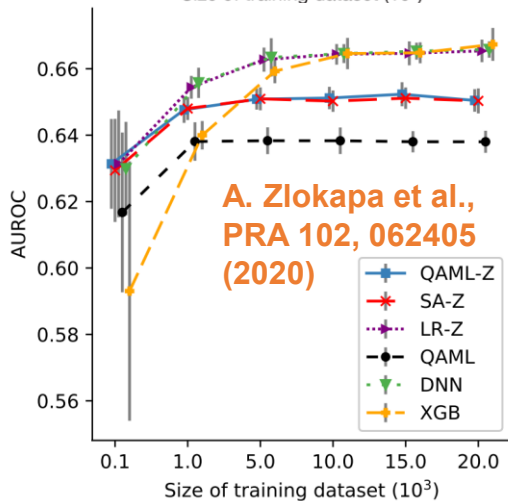
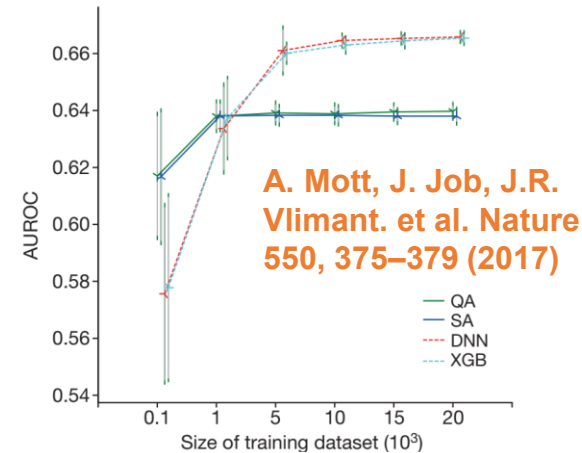
Quantum kernel methods

- Embed feature map into quantum kernel \rightarrow using rich Hilbert space



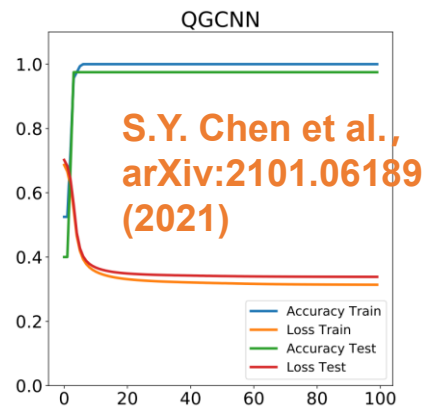
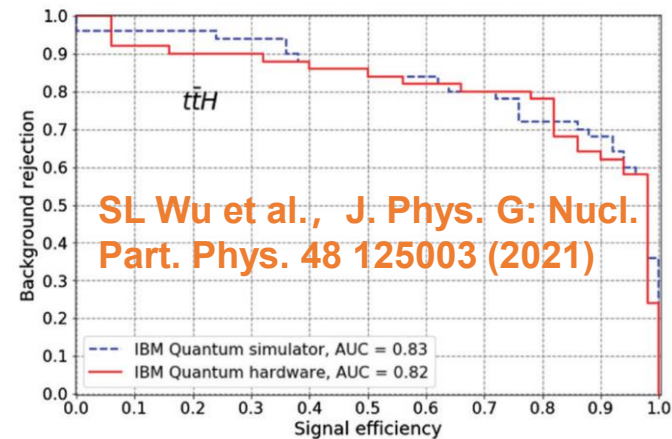
Classification

Quantum Annealing



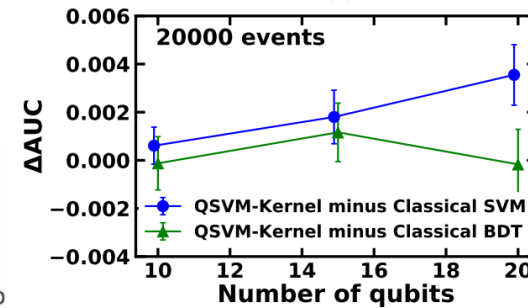
Hideki Okawa

Quantum Gates (Variational quantum algorithms)

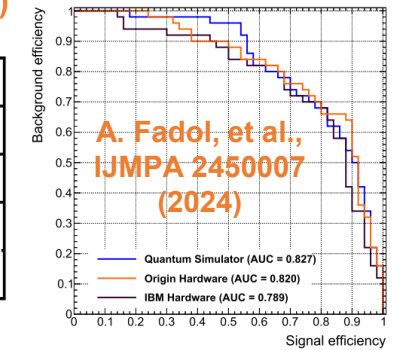


Quantum Gates (Quantum Kernel methods)

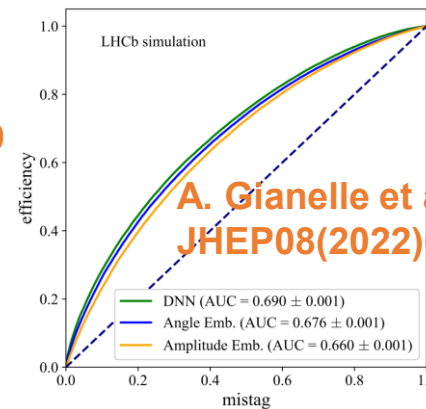
SL Wu et al., Phys. Rev. Research 3, 033221 (2021)



CEPC event classification



LHCb b-tag (VQC)



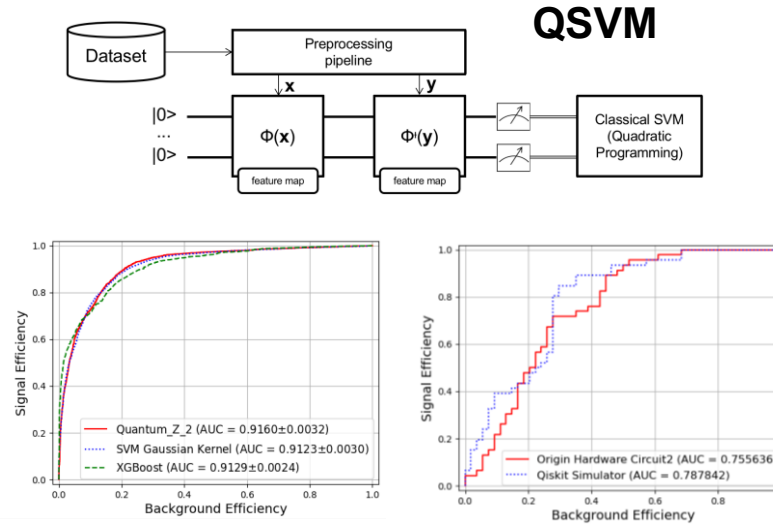
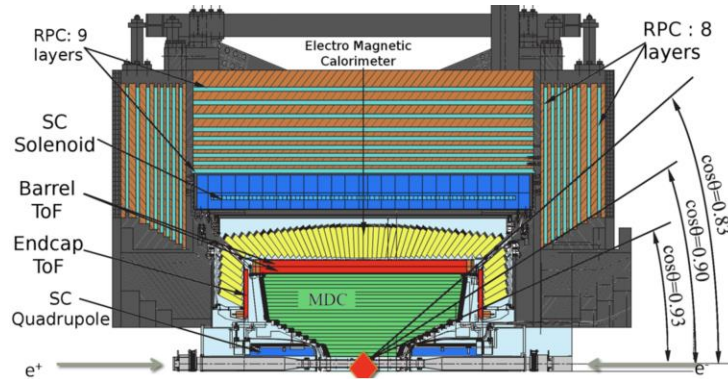
- A. Mott et al.: First QML applications in HEP using quantum annealing.
- Various QML algorithms are actively tested.

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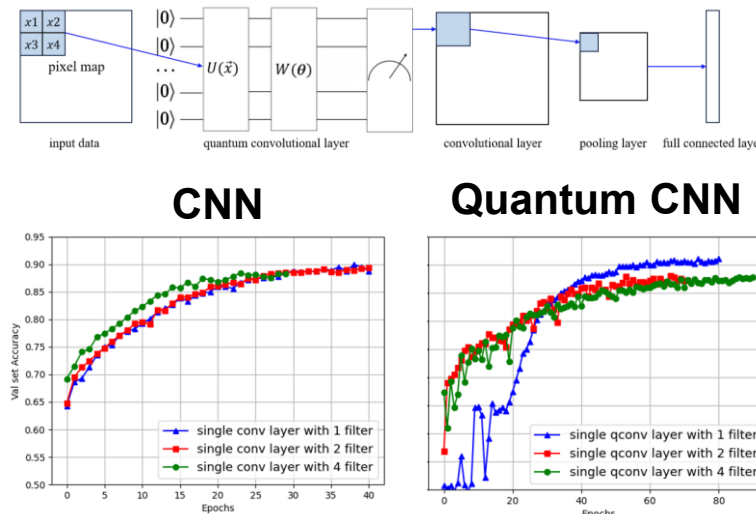
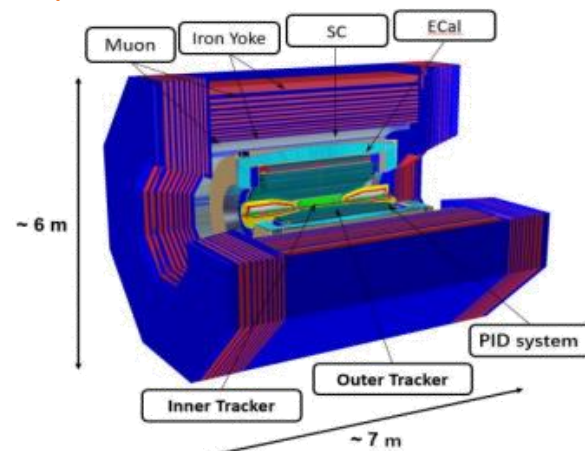
Classification (Particle ID)

Z.P. Yao et al., EPJ Plus (2024) 139:356,
T. Li et al., J. Phys. Conf. Ser. 2438 (2023) 1, 012071



- QSVM & VQC for μ/π ID in BES3.
- Comparable QSVM performance in Origin Quantum (本源) hardware & simulator.

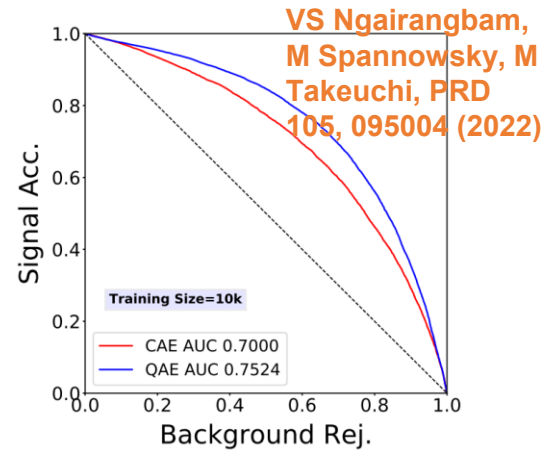
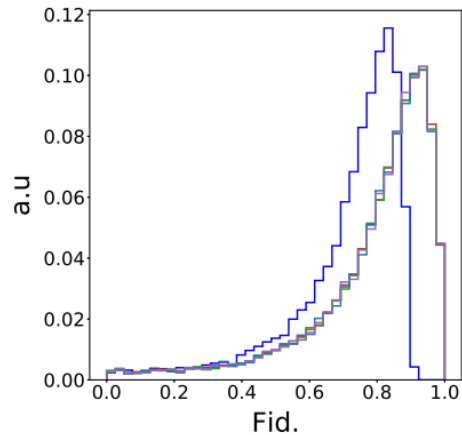
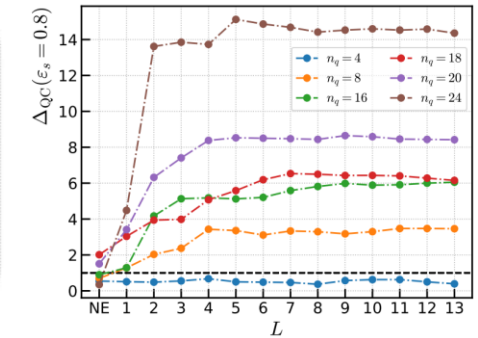
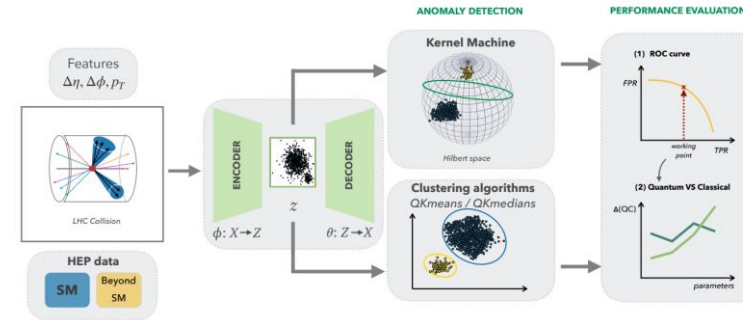
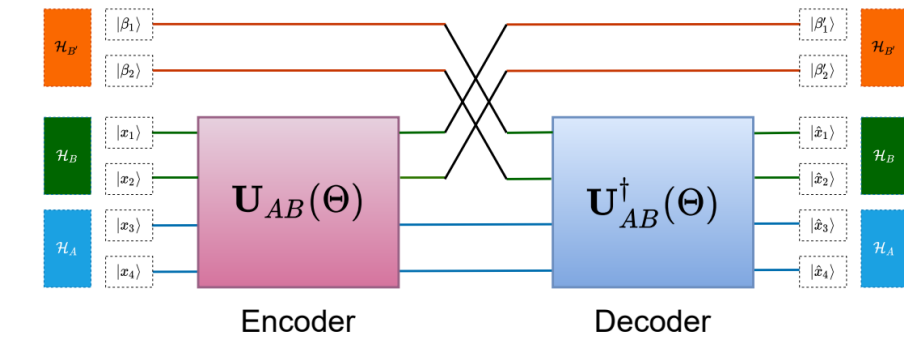
Z.P. Yao, T. Li, X.T. Huang, EPJ Web Conf. 295 (2024) 09030



- π/K ID with QCNN in Super Tau Charm Factory (STCF) simulation.
- QCNN provides comparable performance to CNN in feature extraction and learning ability.

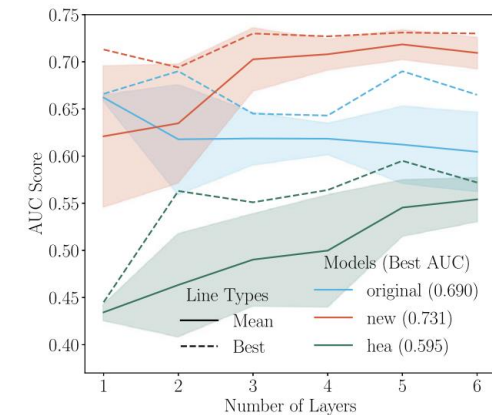
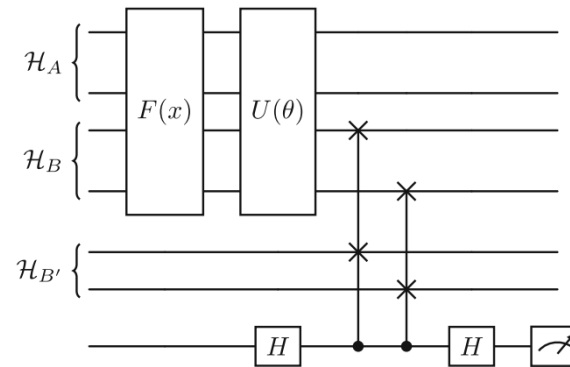
Anomaly Detection

V. Belis et al., Comm. Phys. 7, 334 (2024)



VS Ngairangbam,
M Spannowsky, M
Takeuchi, PRD
105, 095004 (2022)

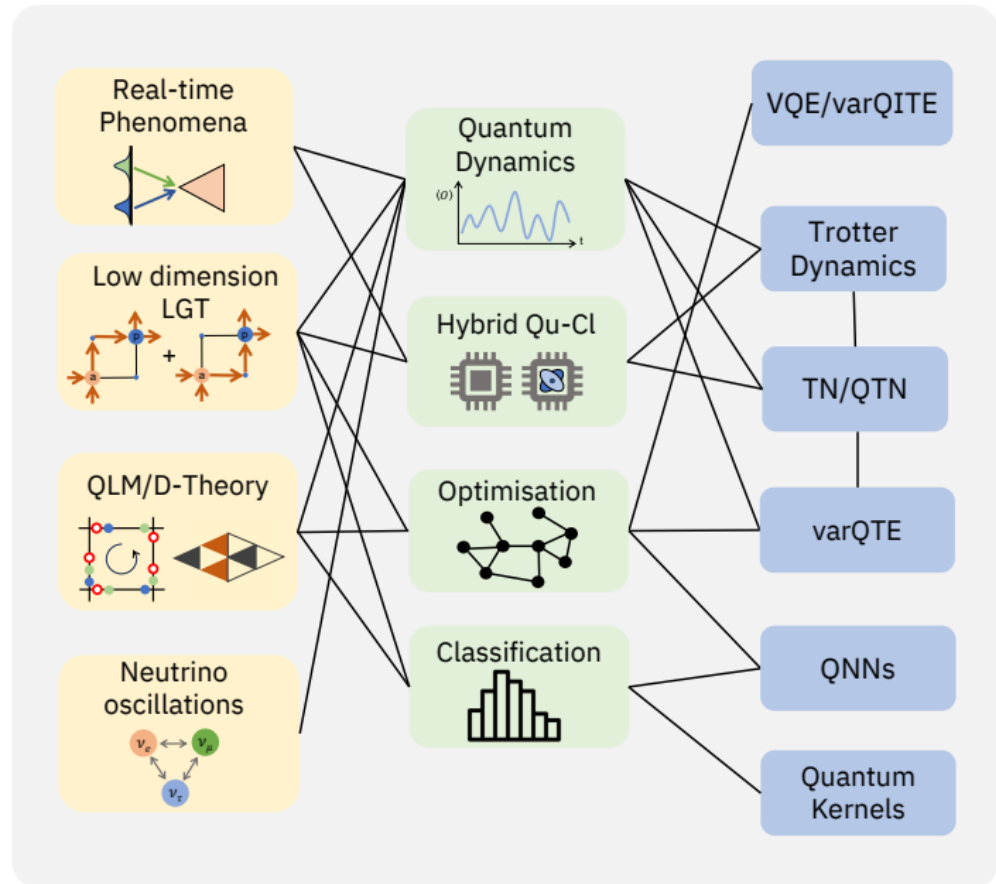
C. Duffy, et al. Quantum Mach. Intell. (2025) 7:41



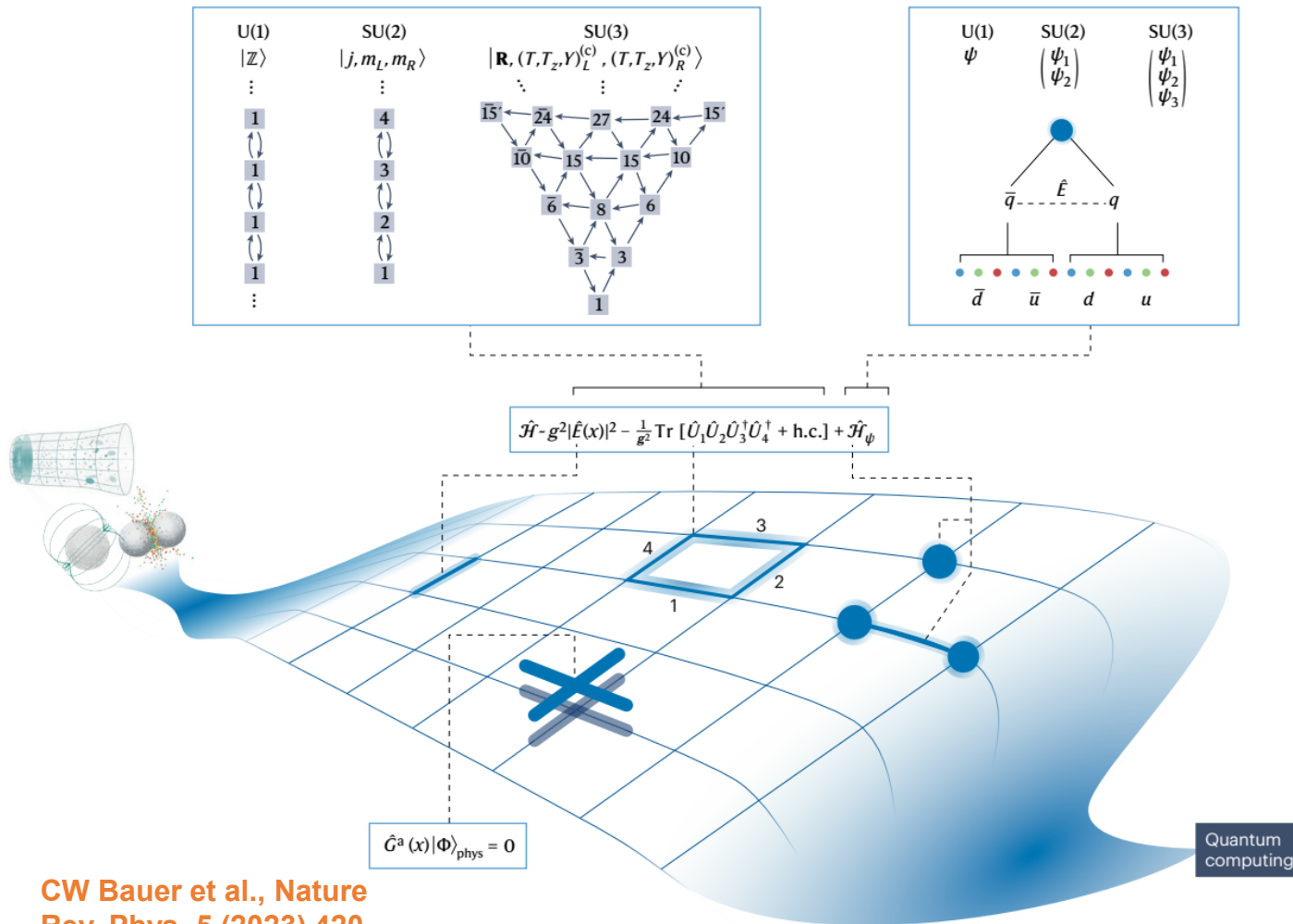
- V.S. Ngairangbam et al.: Quantum algorithm maintains performance with small datasets.
- V. Belis et al.: Performance enhances with more features & entanglement.
- C. Duffy et al.: Proposed scalable quantum circuit ansatz & demonstrated impact of ansatz design.

Theoretical Applications

See also parallel talks by Tianyin Li,
Guofeng Zhang & Dairui Zou



Mapping Lattice Field Theory to QC



CW Bauer et al., Nature Rev. Phys. 5 (2023) 420

What we calculate

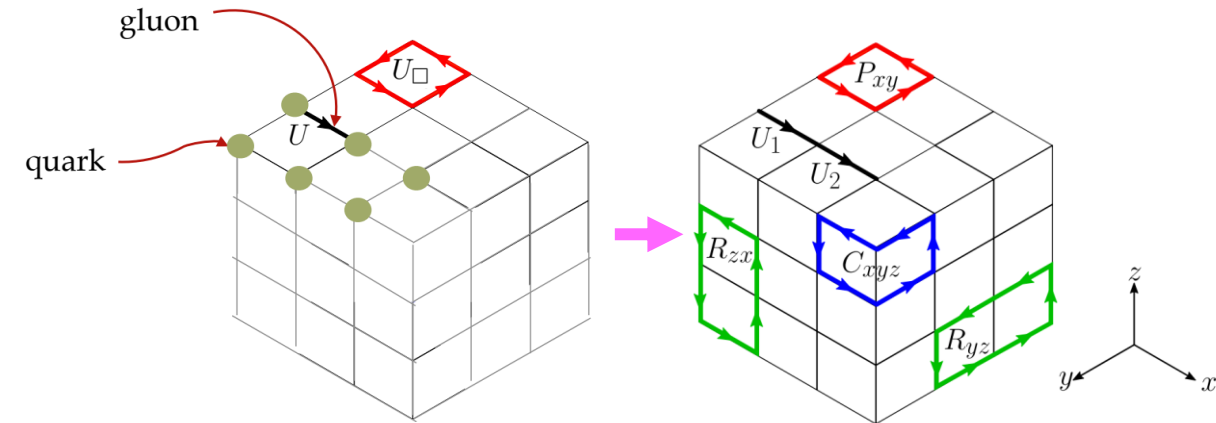
CW Bauer

$$\left| \langle X(T) | U(T, -T) | pp(-T) \rangle \right|^2$$

Measurement **Time evolution** **Initial state vector**

- Lattice field theory allows us to compute non-perturbative phenomena by discretizing space-time.
- # of qubits required depends on the maximum & minimum energy scales of the problem under consideration.

Hamiltonian Formulation



KS Hamiltonian [PRD 11, 395 \(1975\)](#) \rightarrow Improved Hamiltonian

$$H_I = \sum \left(\begin{array}{c} \text{arrow} \\ K_L \end{array} + \begin{array}{c} \text{double arrow} \\ K_{2L} \end{array} + \begin{array}{c} \text{red square} \\ U_{\square} \end{array} + \begin{array}{c} \text{green square} \\ R_{\square} \end{array} + \begin{array}{c} \text{green rectangle} \\ R_{\square} \end{array} \right)$$

- This new Hamiltonian more efficiently uses quantum computing resources, and bring smaller discretization errors :

$$n_{\text{qubits}} \sim 1000 n_{g+q} \rightarrow 125 n_{g+q} \quad (E \sim 100-1000 \text{ MeV})$$

$$|U_1\rangle = \mathcal{U}_F^\dagger \mathcal{U}_{\text{phase}} \mathcal{U}_F =$$

$$\begin{array}{l} |U_1\rangle = \mathcal{U}_F^\dagger \mathcal{U}_{\text{phase}} \mathcal{U}_F \mathcal{U}_{-1} \\ |U_2\rangle = \mathcal{U}_X^L \mathcal{U}_{-1} \end{array}$$

$$\begin{array}{l} |U_1\rangle = \mathcal{U}_{-1} \mathcal{U}_{-1} \\ |U_2\rangle = \mathcal{U}_X^L \mathcal{U}_{-1} \mathcal{U}_X^L \\ |U_3\rangle = \mathcal{U}_{-1} \mathcal{U}_X^L \mathcal{U}_{-1} \mathcal{U}_X^R \\ |U_4\rangle = \mathcal{U}_{-1} \mathcal{U}_X^L \mathcal{U}_{\text{Tr}} \mathcal{U}_X^L \mathcal{U}_{-1} \end{array}$$

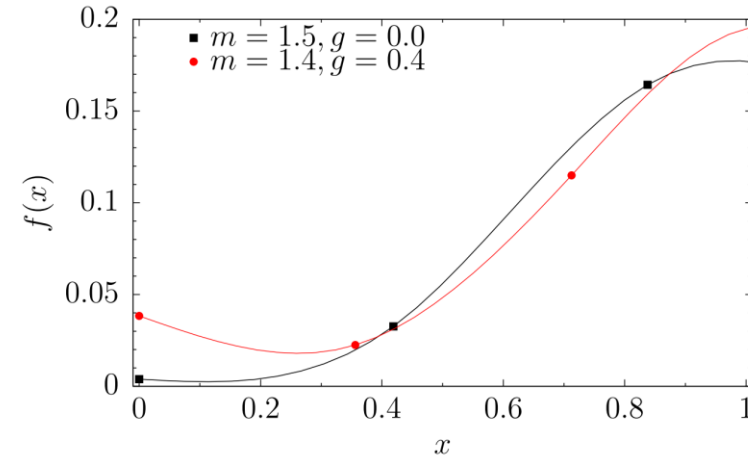
$$\begin{array}{l} |U_1\rangle = \mathcal{U}_{-1} \mathcal{U}_{-1} \\ |U_2\rangle = \mathcal{U}_X^L \mathcal{U}_{-1} \mathcal{U}_X^R \mathcal{U}_{-1} \\ |U_3\rangle = \mathcal{U}_X^L \mathcal{U}_{-1} \mathcal{U}_X^L \\ |U_4\rangle = \mathcal{U}_{-1} \mathcal{U}_X^L \mathcal{U}_{-1} \mathcal{U}_X^R \\ |U_5\rangle = \mathcal{U}_{-1} \mathcal{U}_X^L \mathcal{U}_{-1} \mathcal{U}_X^L \\ |U_6\rangle = \mathcal{U}_{-1} \mathcal{U}_X^L \mathcal{U}_{\text{Tr}} \mathcal{U}_{-1} \mathcal{U}_X^R \end{array}$$

Initial State: Parton Distribution Function

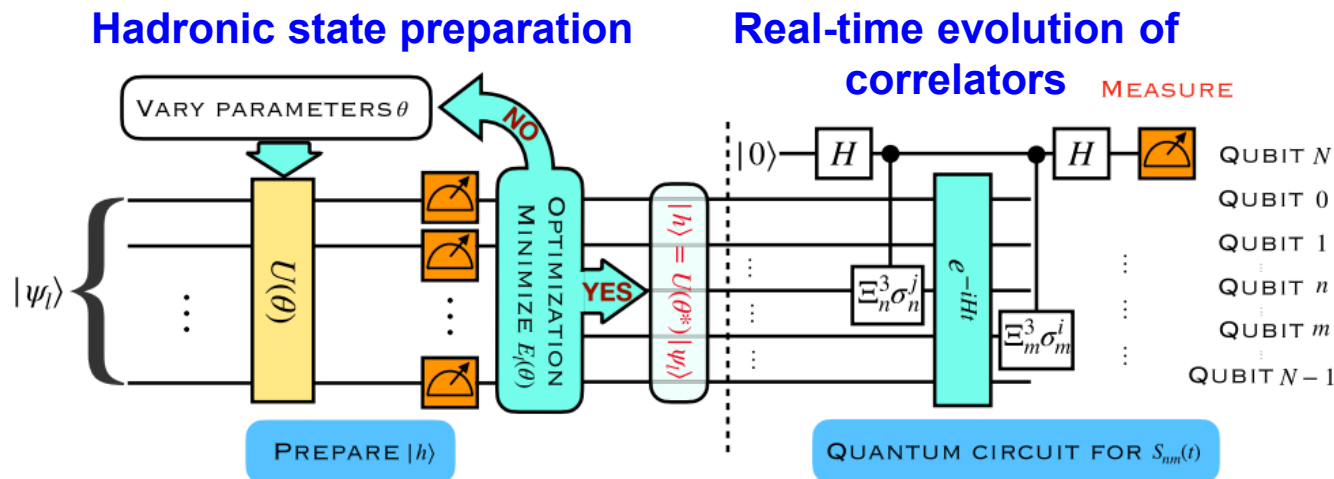
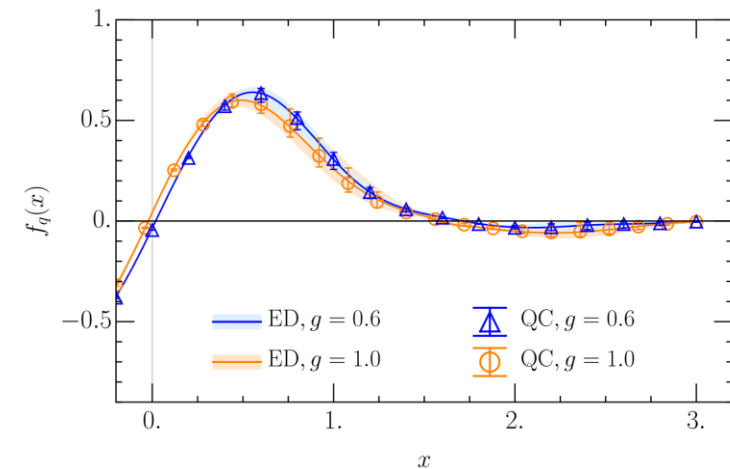
- **H. Lamm et al.:** Predicted PDF & hadronic tensor w/ (1+1)D Thirring Model. PDF best obtained by fitting hadronic tensor.
- **T. Li et al.:** Predicted quark PDF in π^0 w/ (1+1)D Nambu-Jona-Lasinio model. Consistent results b/w quantum simulation and classical method (exact diagonalization [ED]).
- Related studies: global fit w/ QC (not quantum simulation)

A. Salinas, J. Cruz-Martinez, A.A. Alhajri, S. Carrazza, PRD 103, 034027 (2021)

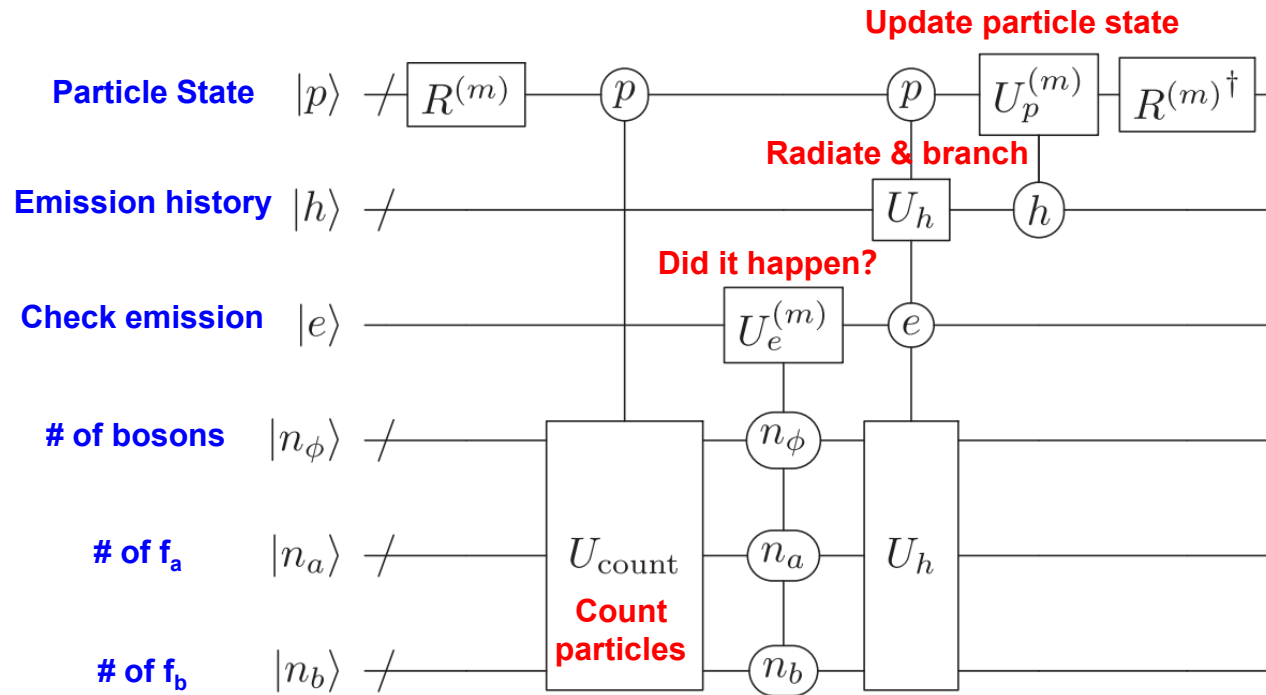
H. Lamm, S. Lawrence, Y. Yamauchi (NuQS Collaboration)
PR Research 2, 013272 (2020)



T. Li et al. (QuNu Collab.), PRD105 L111502 (2022)

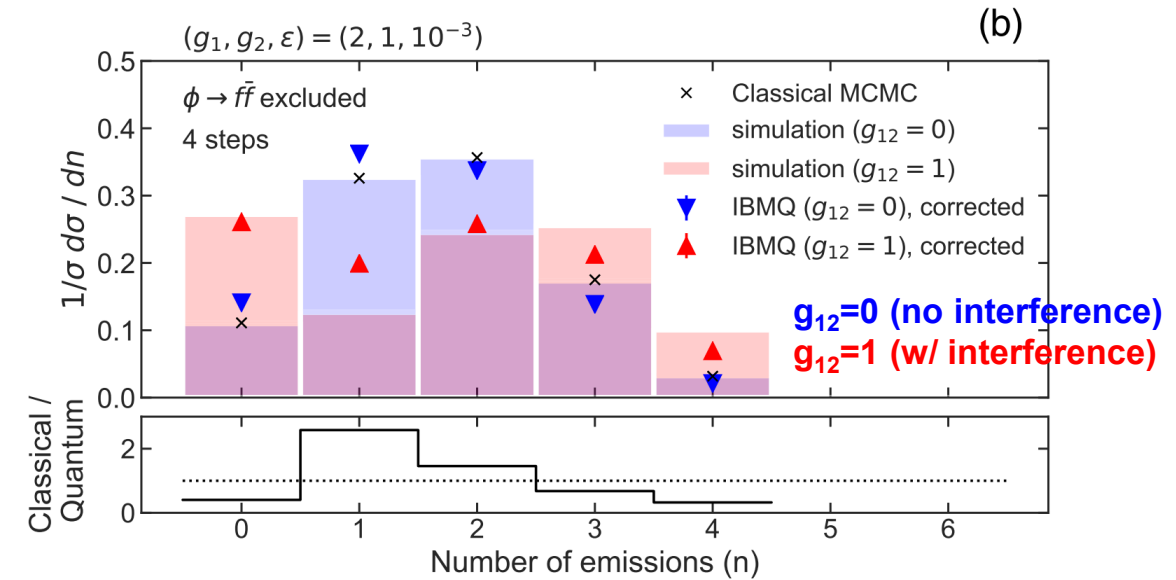


Intermediate State: Parton Shower



Simplified Lagrangian (2 fermions, 1 gauge boson, 2D radiation)

$$\mathcal{L} = \bar{f}_1(i\partial + m_1)f_1 + \bar{f}_2(i\partial + m_2)f_2 + (\partial_\mu\phi)^2 + g_1\bar{f}_1f_1\phi + g_2\bar{f}_2f_2\phi + g_{12}[\bar{f}_1f_2 + \bar{f}_2f_1]\phi.$$

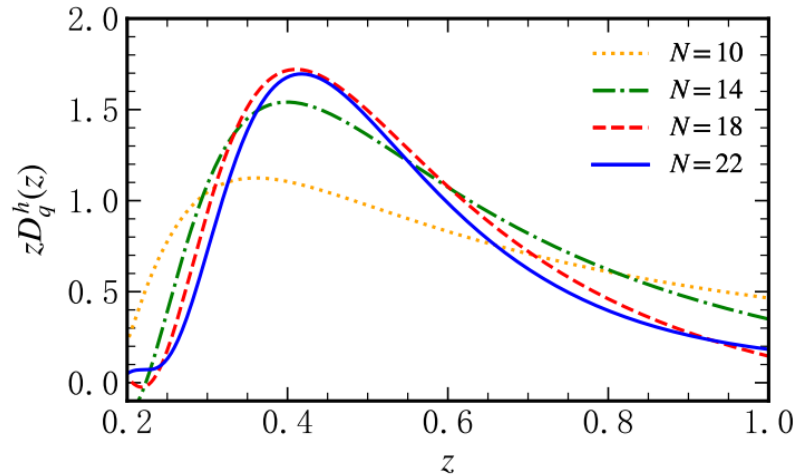


- Simulated parton shower from a simplified Lagrangian.
- QC can calculate particle interference in a polynomial time.** Expects quantum advantage for # of emission $> O(10)$.
- Related studies using quantum walk: G. Gustafson, S. Prestel, M. Spannowsky, S. Williams, JHEP11(2022)035; K. Bepari, S. Malik, M. Spannowsky, S. Williams, PRD 103 (2021) 076020 & PRD 106 (2022) 056002

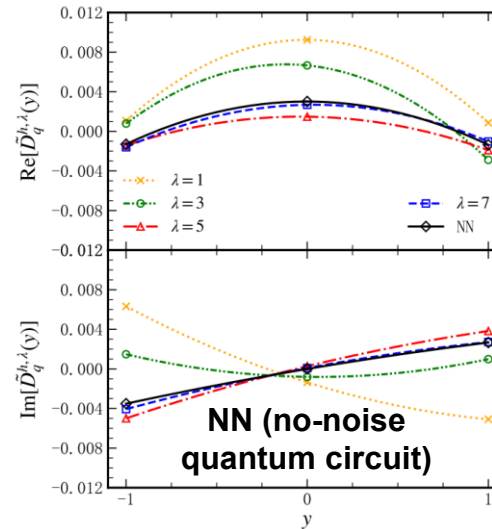
Final State: Fragmentation, Hadronization

T. Li et al., (QuNu), arXiv:2406.05683

Quark Fragmentation



Impact of error mitigation

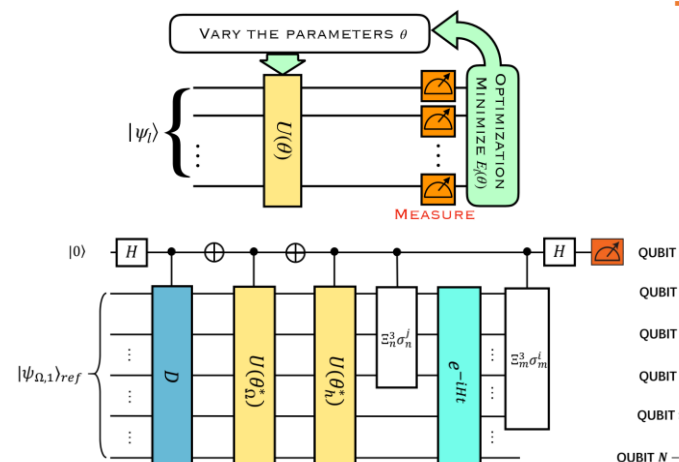


- Directly calculated fragmentation function (FF) with a quantum algorithm based on (1+1)D Nambu-Jona-Lasinio model.
- Qualitative agreement with classical extraction of FF.
- Also demonstrated that error mitigation is crucial for hardware.

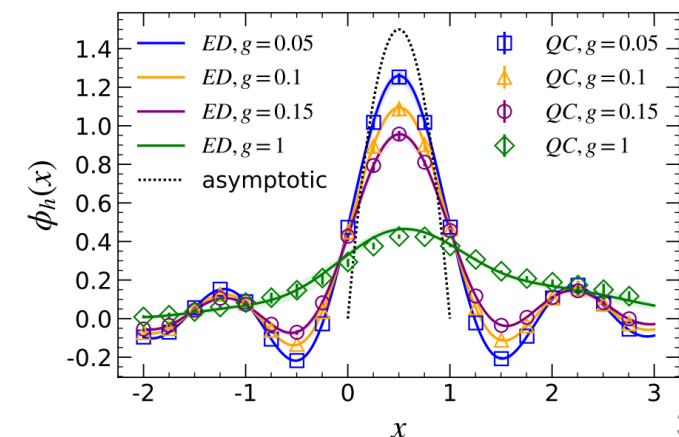
Hadronization

- Light-cone distribution amplitudes (LCDAs) describe non-perturbative aspects of bound states.
- Developed a quantum algorithm to simulate LCDA. **Very good agreement with classical prediction.**

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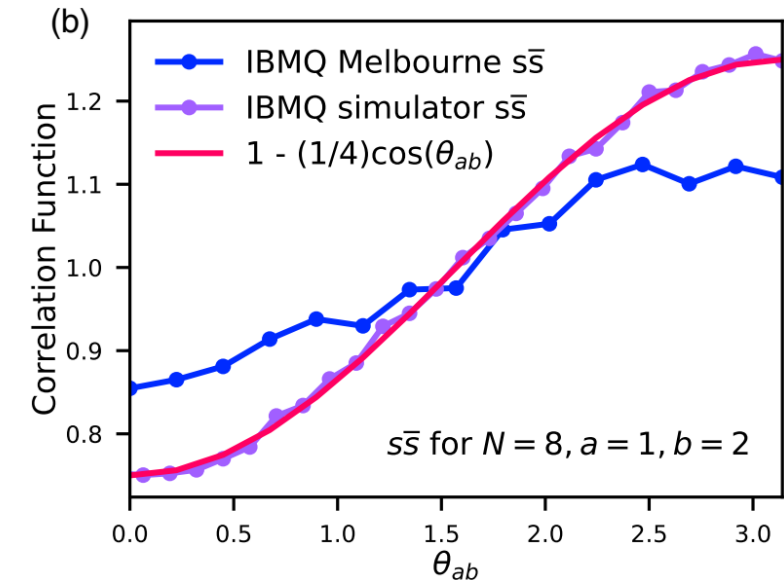
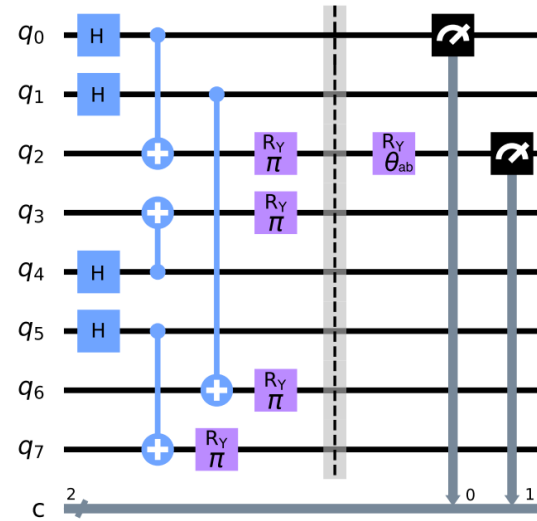
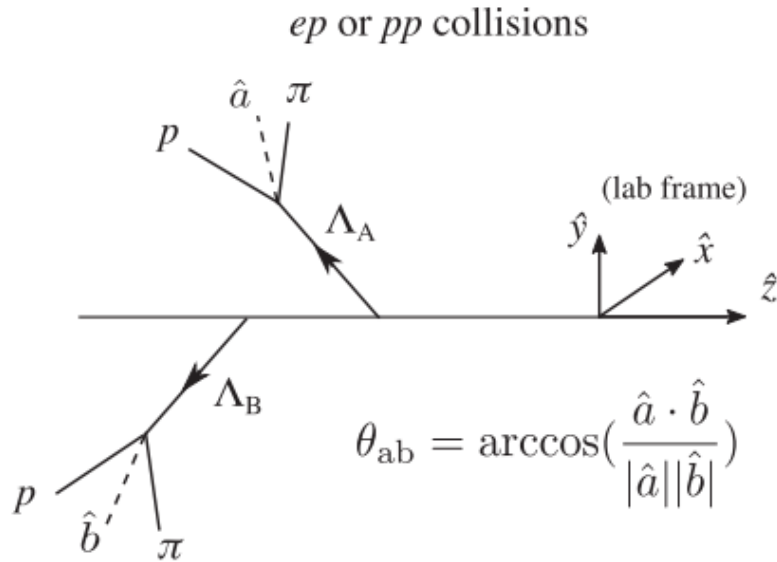


T. Li et al (QuNu), SCPMA 66 (2023) 8, 281011



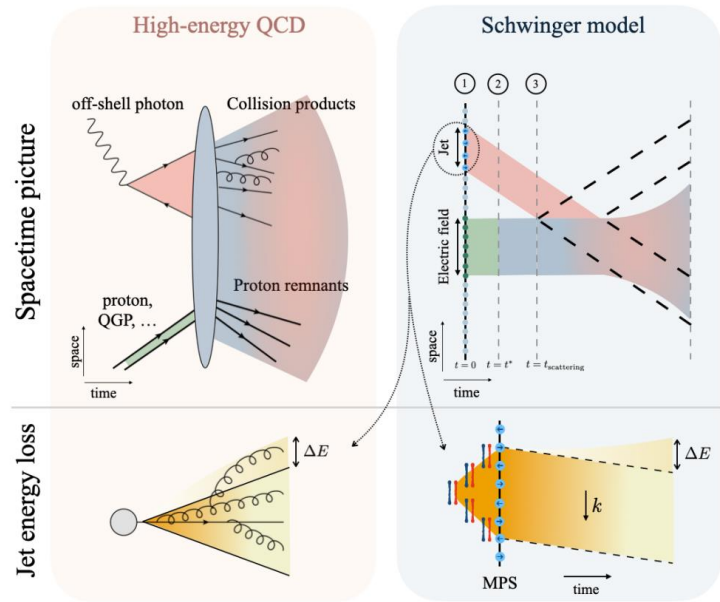
Final State: $\Lambda\bar{\Lambda}$ Spin Correlation

W Gong, G Parida, Z Tu, R Venugopalan, PRD 106 (2022) L031501



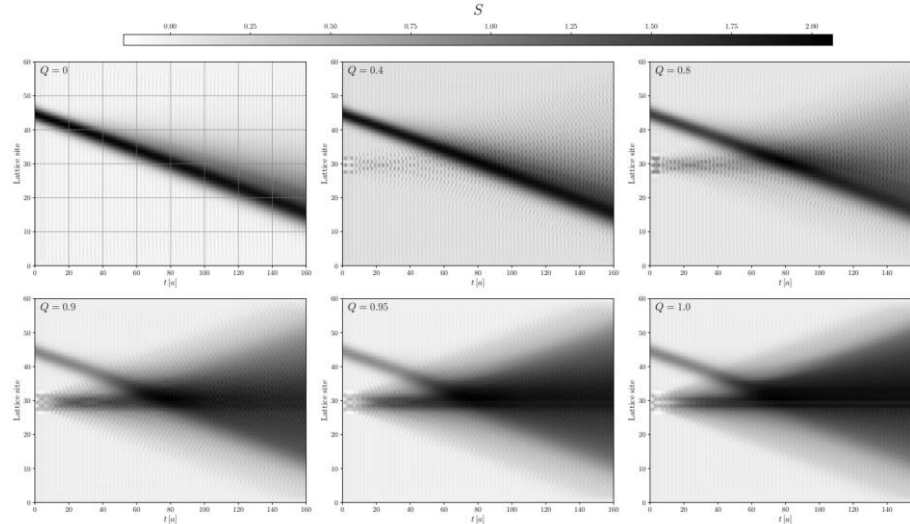
- Simulated a QCD string model with singlets of two fermion flavors. IBMQ circuit simulator reproduces the $s\bar{s}$ correlation function very well.
- Results from quantum hardware deviates from the circuit simulator and classical predictions due to noise.
→ **error mitigation is crucial**
- 4-flavor Schwinger model (1+1D QED) has been studied with TN. Quantum hardware may allow us to scale the computation to larger lattices. (J. Barata, W. Gong, R. Venugopalan, PRD 109 (2024) 116003)

Final State: Jet Dynamics



J Barata, E Rico, arXiv:2502.17558 (2025)

Entropy evolution



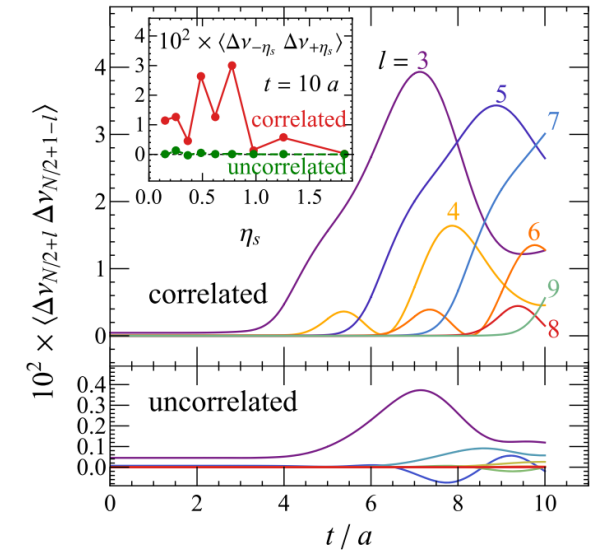
- First QC calculation of quenching parameter pursued in J. Barata et al., PRD 106, 074013 (2022).
- Real-time non-perturbative dynamics (quantum entanglement between fragmenting jets & medium interaction) has been investigated with Schwinger model.
- A 3+1D scalable approach with non-perturbative light-front Hamiltonian is also proposed and evaluated transverse momentum broadening of quark and gluon jets in medium.

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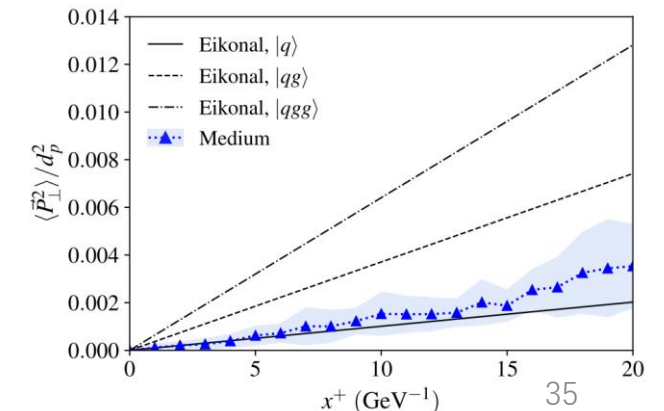
A Florio et al., PRL 131, 021902 (2023)

Quantum entanglement of fragmenting jets



W Qian, M Li, CA Salgado, M Kreshchuk, PRD 111, 096001 (2025)

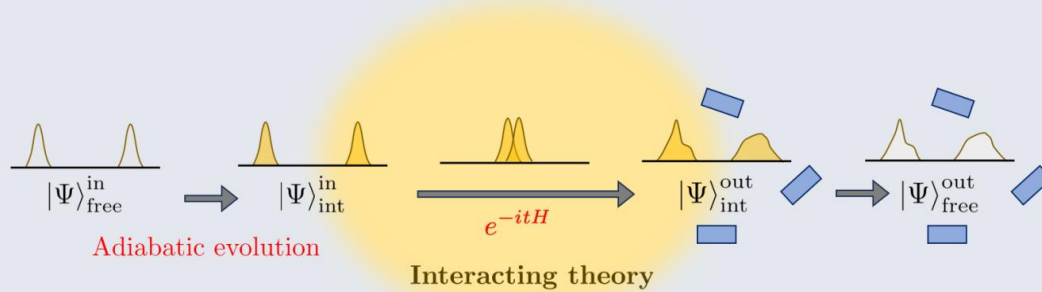
Transverse momentum broadening of quark jets in medium



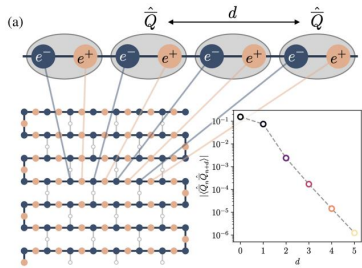
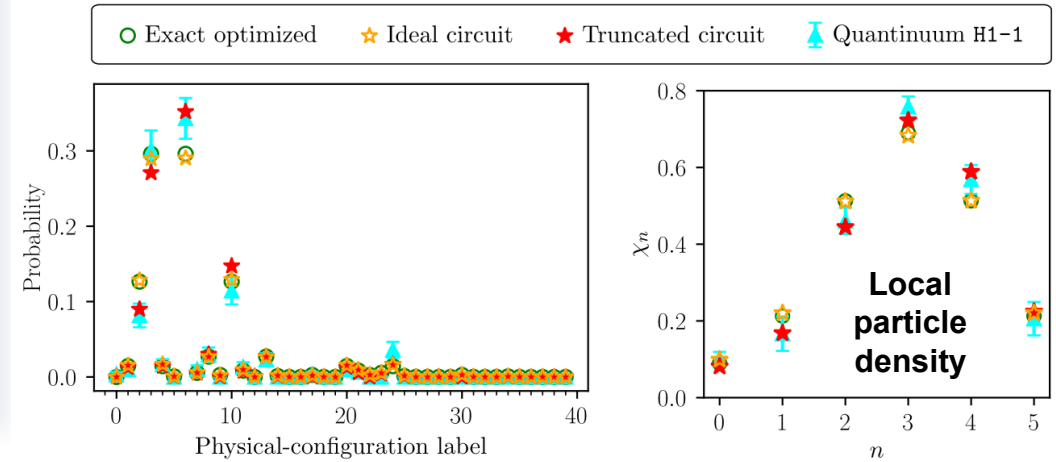
Towards Collision Dynamics

Wave-packet evolution

1. State (wave-packet) preparation 2. Time evolution: scattering 3. Measurement of the final state

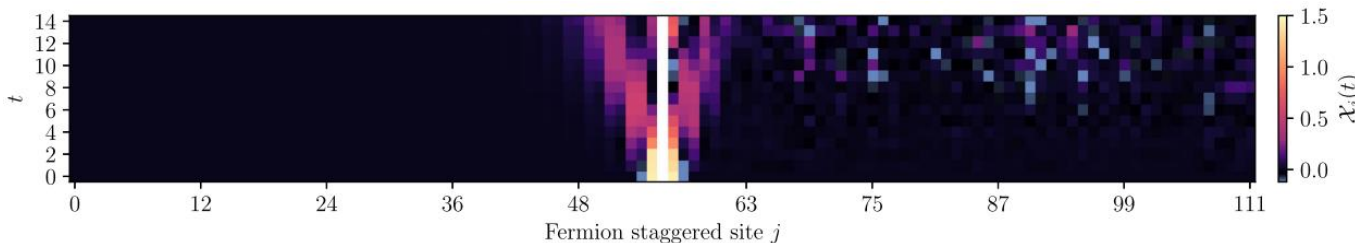


Z Davoudi, CC Hsieh, SV Kadam, Quantum 8 (2024) 1502



R.C. Farrell et al., PRD 109, 114510 (2024)

Related work: A.N. Ciavarella, C.W. Bauer, PRL 133, 111901 (2024)



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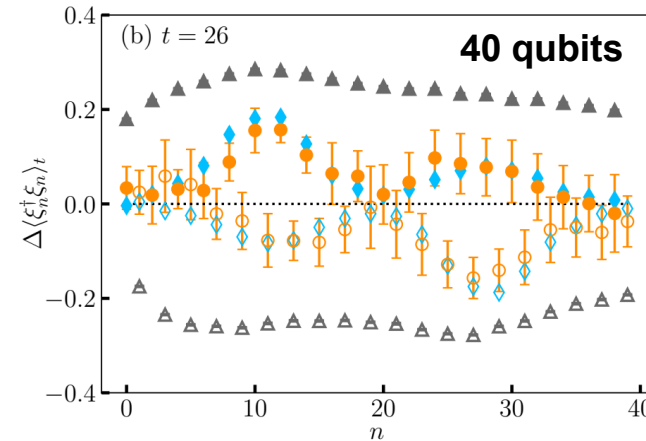
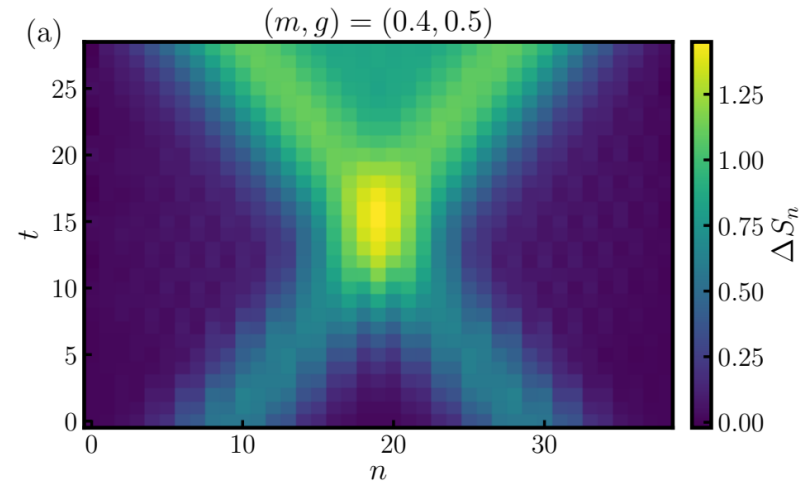
- Meson wave packets in Z_2 gauge theory are simulated with Quantinuum Ion-trap hardware (13 qubits).
- Similarly, meson wave packets with Schwinger model are evolved in **IBM superconducting hardware (112 qubits)**.
- Results match well with the exact prediction or TN. **Error mitigation is particularly crucial for the 112-qubit machine.**

Towards Collision Dynamics Scattering

Fermion-antifermion wave-packet scattering

Y. Chai et al., arXiv:2507.17832;

related work: Y. Chai et al. Quantum 9 (2025) 1638

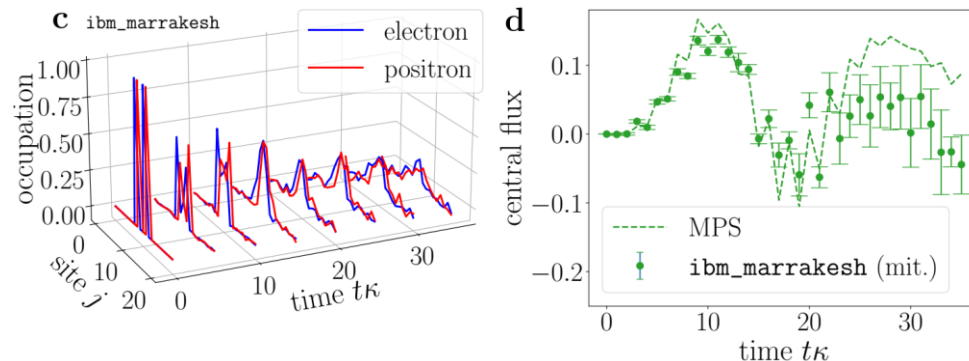


- Simulated (1+1)D Thirring model with 40 and 80 qubits on IBM hardware.
- Consistent with TN predictions after error mitigation.

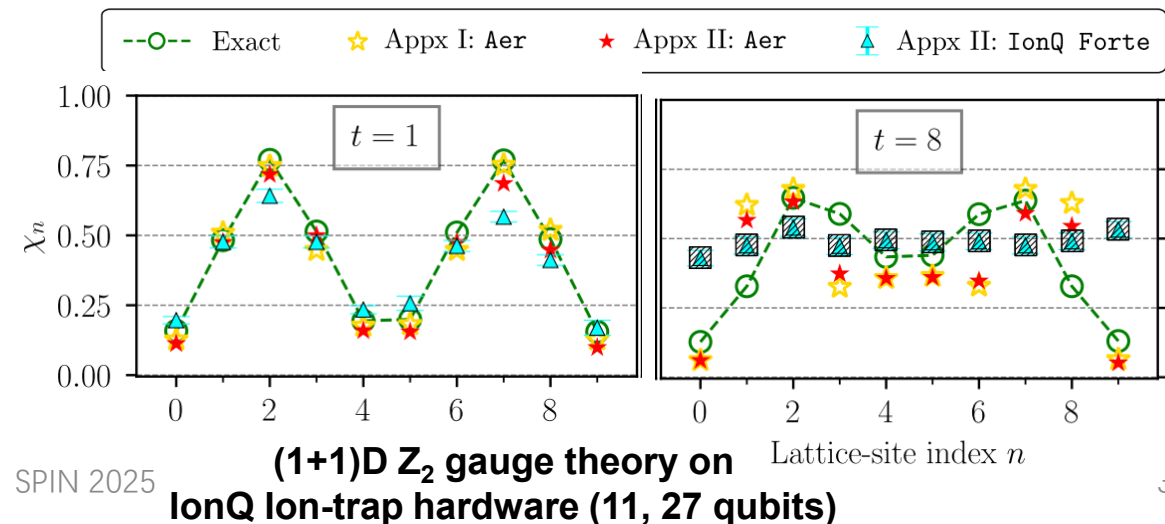
Meson wave-packet scattering

J. Schuhmacher et al.,
arXiv:2505.20387

Z. Davoudi, CC Hsieh, SV Kadam, arXiv:2505.20408

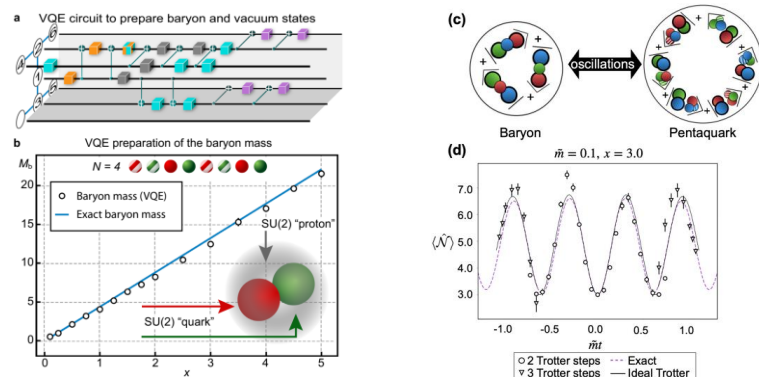


(1+1)D U(1) on
IBM hardware (45 qubits)



Other Highlights

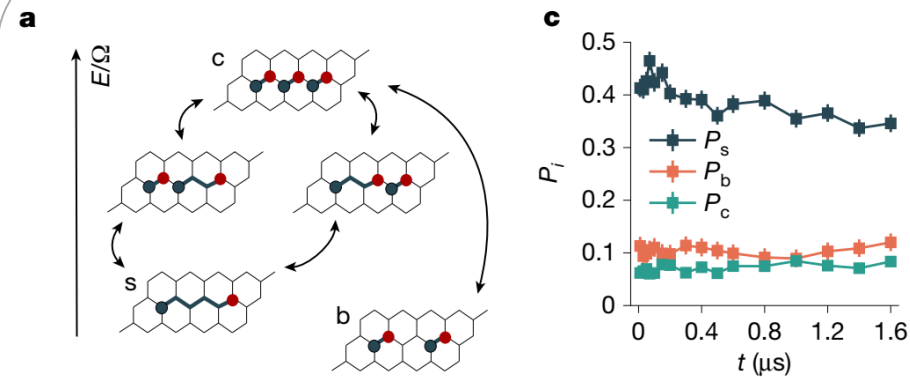
Hadron mass spectrum in (1+1)D



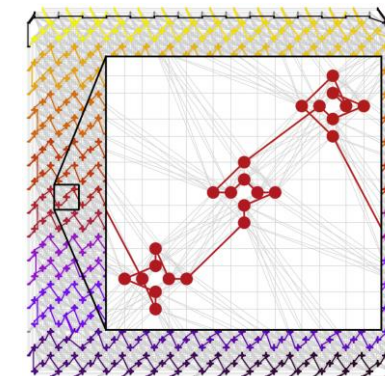
YY Atas et al., Nat Commun
12, 6499 (2021)

YY Atas et al., PR
RESEARCH 5, 033184 (2023)

String breaking

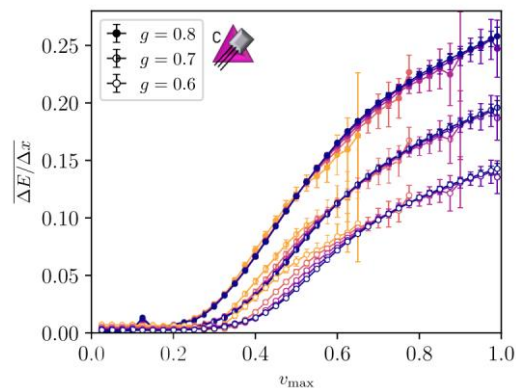


D González-Cuadra et al., Nature 642, 321 (2025)



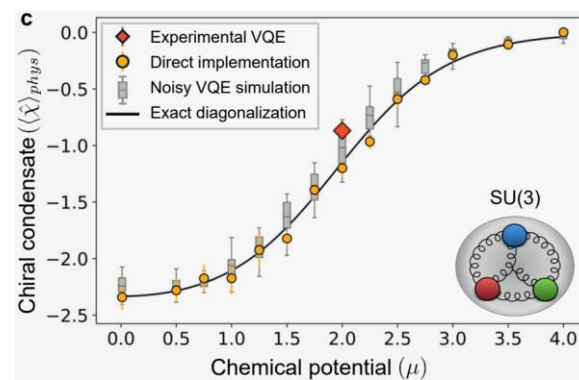
J Vodeb et al., Nature
Physics 21, 386 (2025)

Heavy quark energy loss in medium



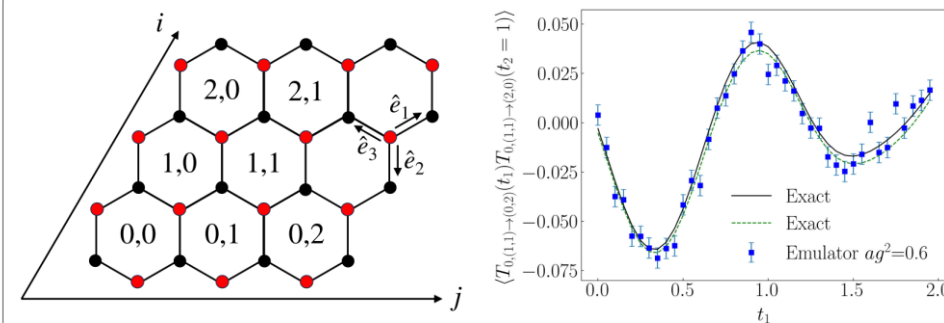
RC Farrell, M Illa, MJ Savage,
PRC 111 (2025) 1, 015202

QCD phase diagram in (1+1)D



AT Than et al., arXiv:2501.00579

Energy-energy correlator in (2+1)D SU(2)



K Lee, F Turro, X Yao, PRD 111 (2025) 054514

Prospects

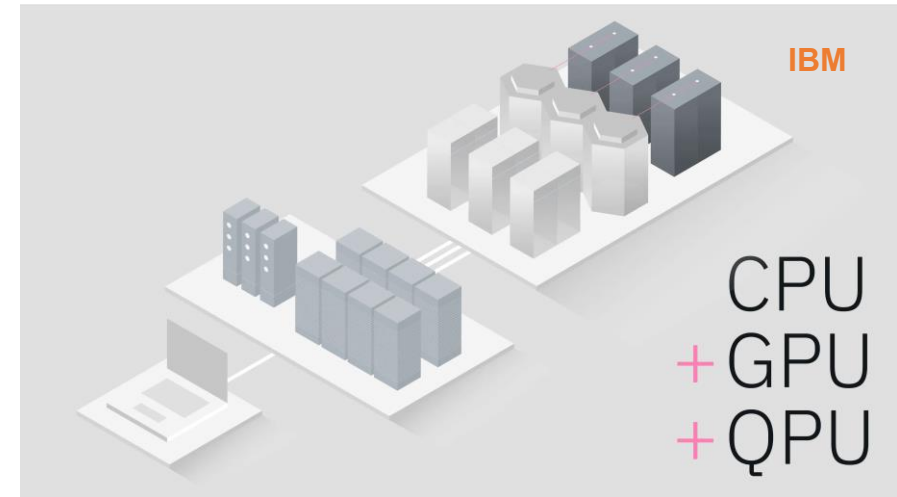


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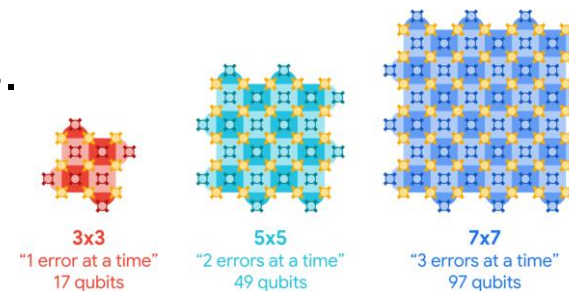
Towards Practical Applications

- Quantum computing combined with High Performance Computing has started to operate (Quantum-centric supercomputing).
- $O(\sim 100)$ -qubit level error-tolerant quantum computers will likely show up around 2030.
 - IBM aims for error-tolerant quantum computers by 2029 (100M gates, 200 logical qubits)
- In any case, some components of HEP experimental workflow require $O(10^6)$ qubits.
- Quantum-inspired techniques are also likely to stay valuable.

Quantum-centric supercomputing



Surface code logical qubits



Google Quantum AI



QuantumCtek (国盾量子)

Summary

- Quantum computing applications are an emerging field in high energy particle and nuclear physics.
- Quantum machine learning and quantum simulation are actively investigated for experimental tasks and theoretical calculations.
- Three quantum technologies exist: (1) universal quantum gate machines, (2) quantum annealing & (3) quantum-inspired algorithms.
- Each approach has its pros/cons and appropriate use cases.
- With the rapid development of quantum hardware and quantum-inspired algorithms, **it would be really exciting to see how all of our efforts converge in the end & understand how practical quantum advantages can be realized.**



Thank you for listening!