

Dynamics of conserved baryon near QCD critical point within QGP profile

Shanjin Wu(吴善进)

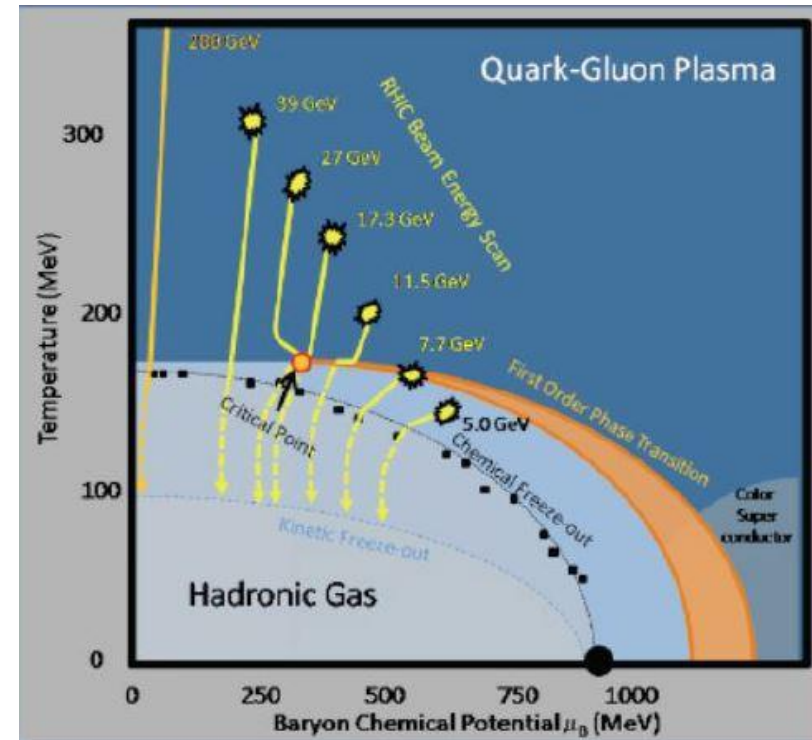


兰州大学
LANZHOU UNIVERSITY

Physics at High Baryon Density (PHD2024), Nov 1-4, 2024@CCNU

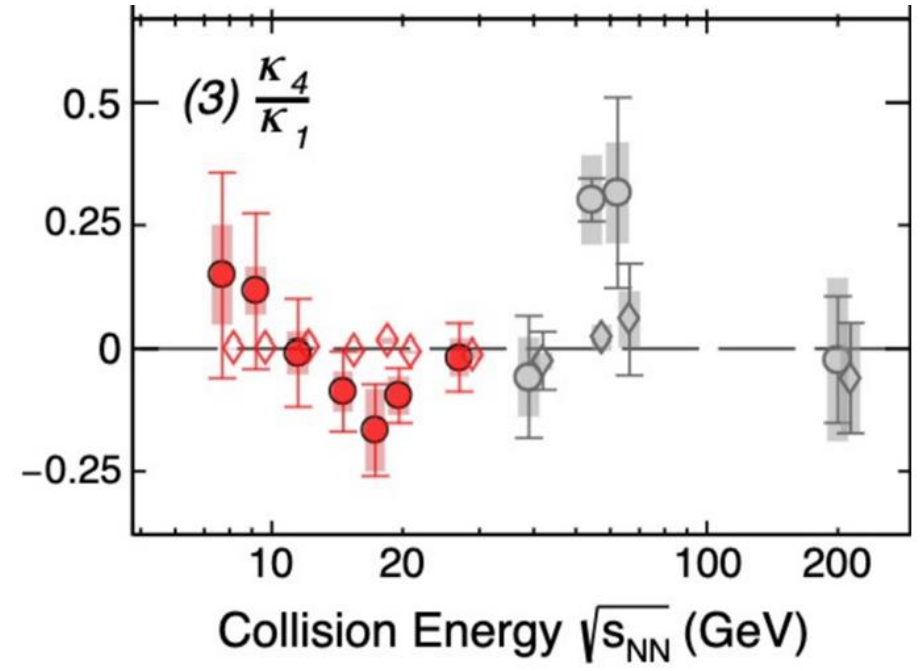
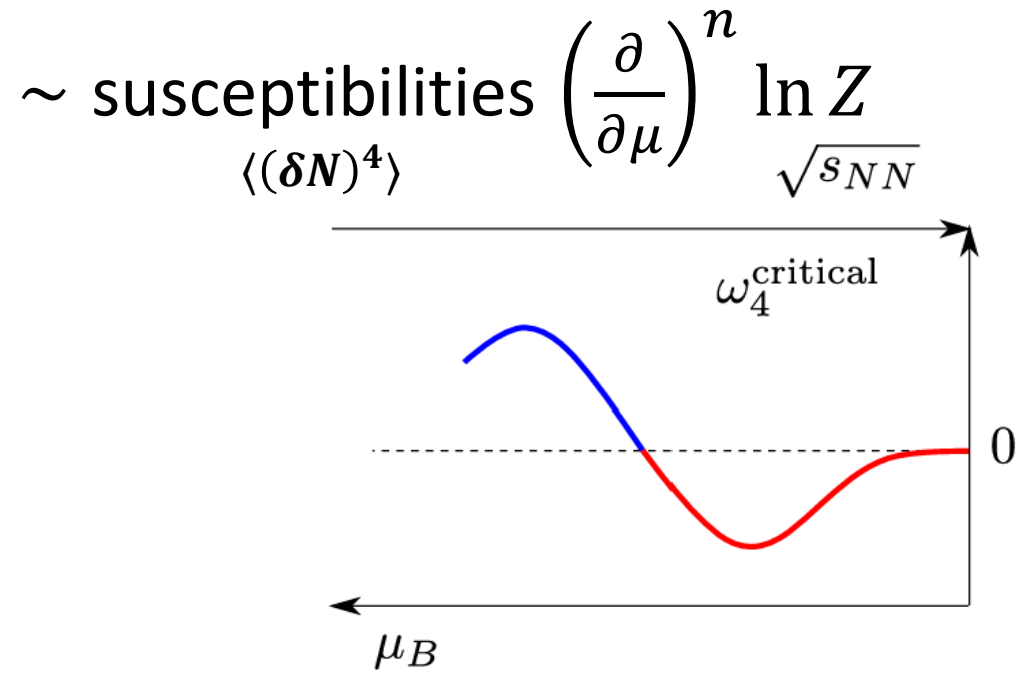
QCD phase diagram

- **Lattice QCD** (small μ_B finite T):
 - Crossover
 - **Effective models** (large μ_B)
 - 1st order phase transition
- **Critical point**
- Lattice QCD: sign problem at large μ_B
 - Effective models: parameters dependent
- **Heavy-ion collisions :**
- tuning $\sqrt{s_{NN}}$, mapping $T - \mu$ phase diagram:
RHIC(BES),NICA,FAIR,J_PARC,HIAF....



Net-proton fluctuations near critical point

- Characteristic feature of critical point:
 - long range correlation
 - large fluctuations
- **Non-monotonicity** of factorial Cumulant

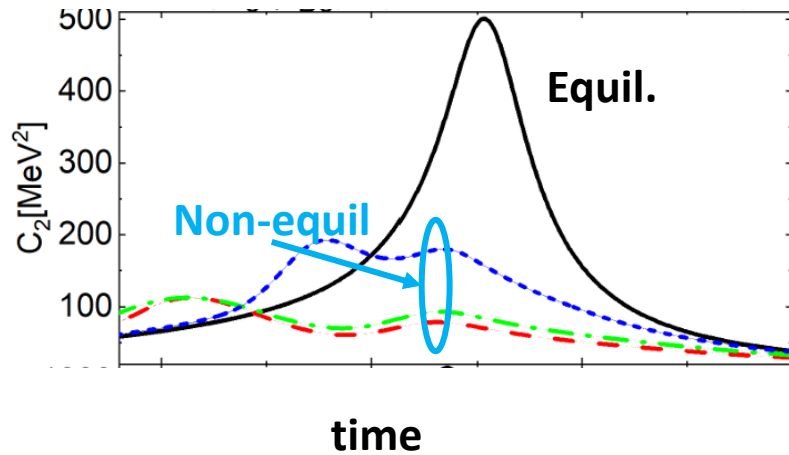


STAR, CPOD 2024

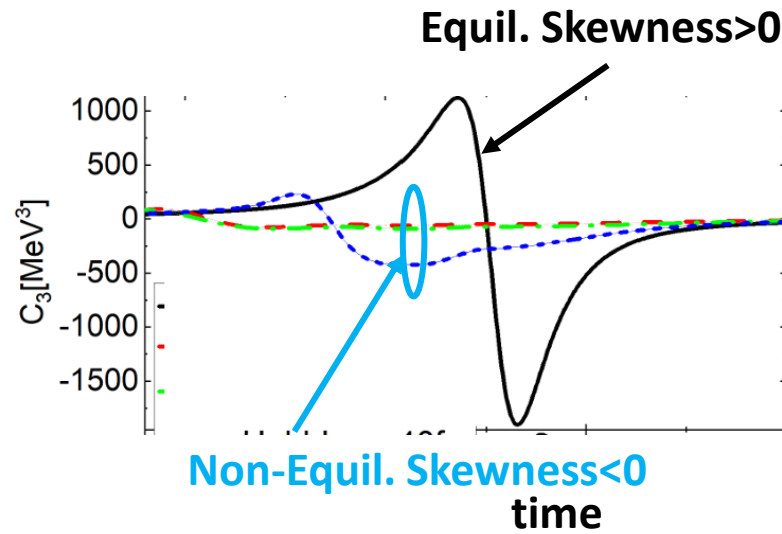
Dynamical effects modifies the critical fluctuations

Shian Tang, Shanjin Wu, Huichao Song, PRC(202

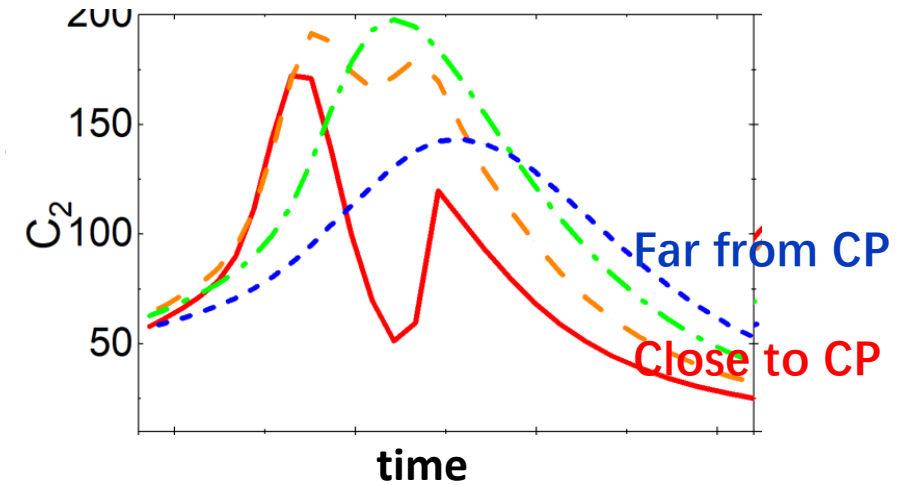
- Expanding QGP fireball => Critical Slowing down => modified critical fluctuations



Suppression of the fluctuations



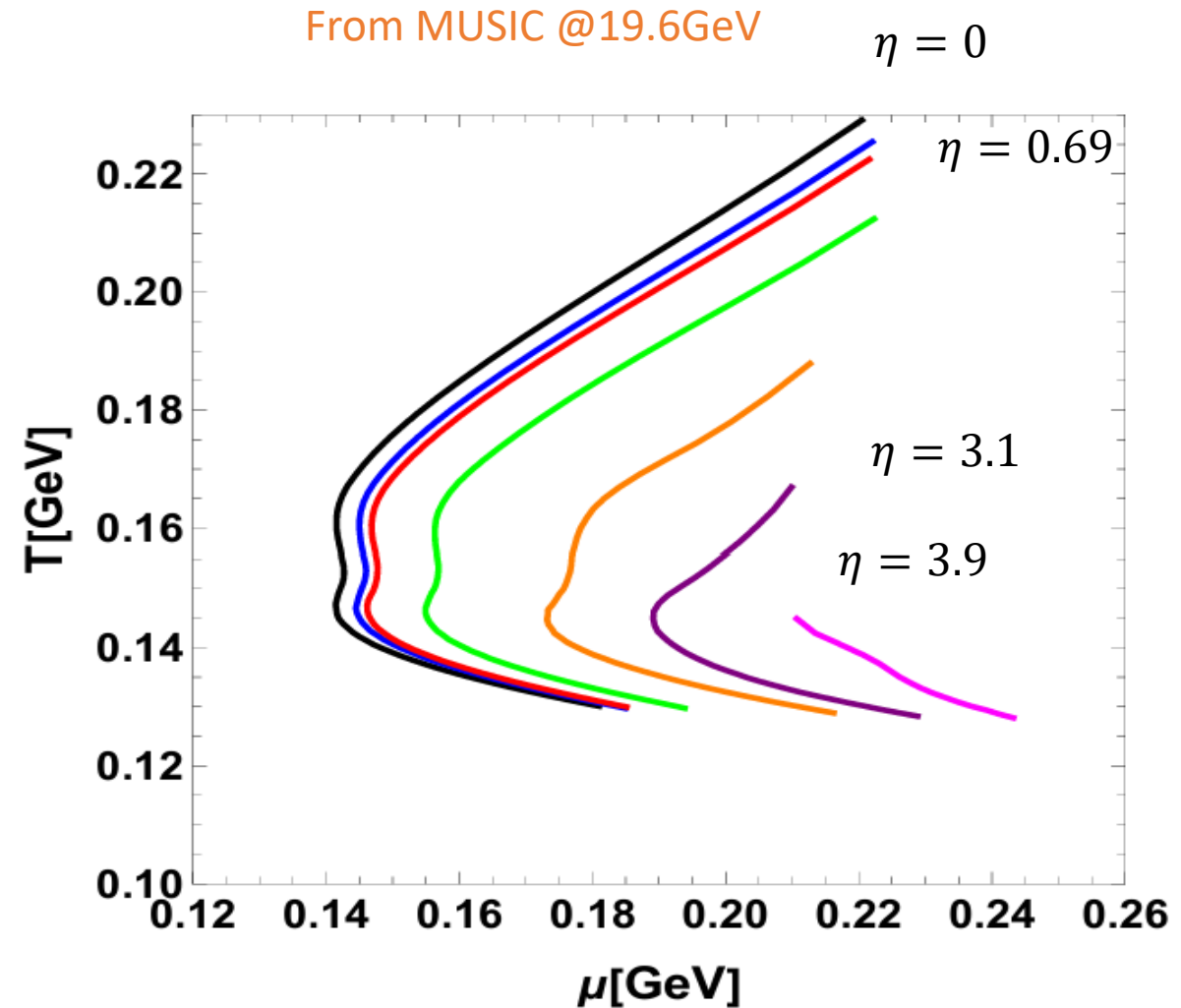
Reverse the sign of skewness



Largest $C_2 \neq$ closet to CP

Inhomogeneous QGP profile

- Different rapidity
- \sim different trajectories
- \sim detect different region of phase diagram
- \sim different critical behavior

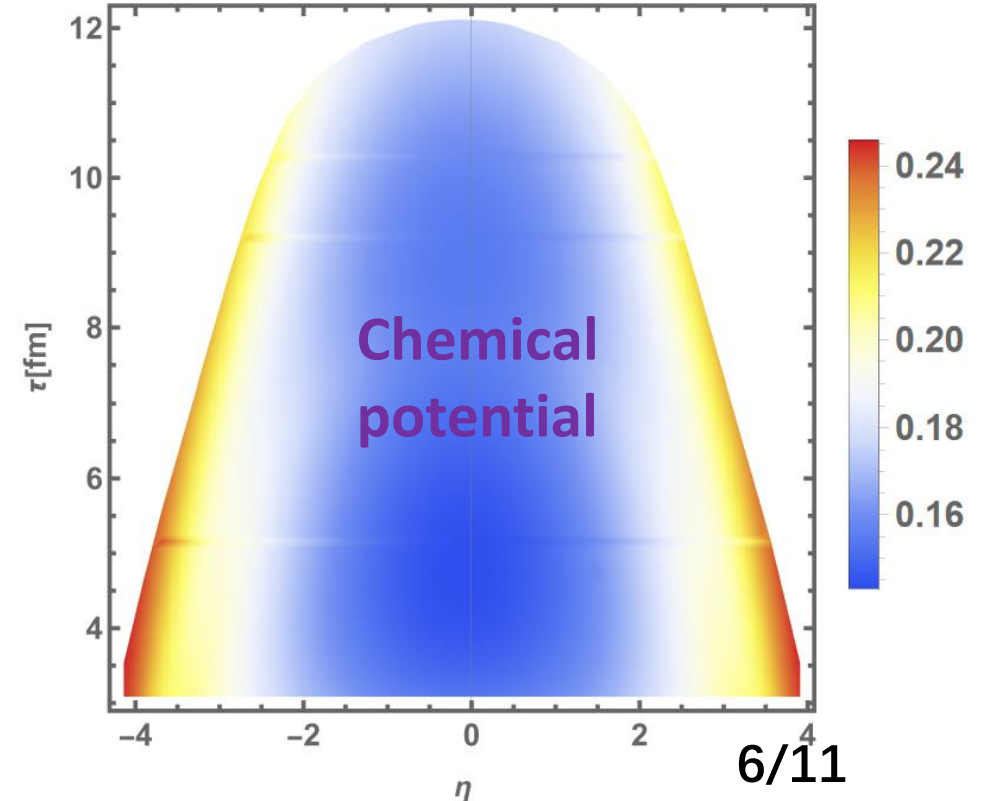
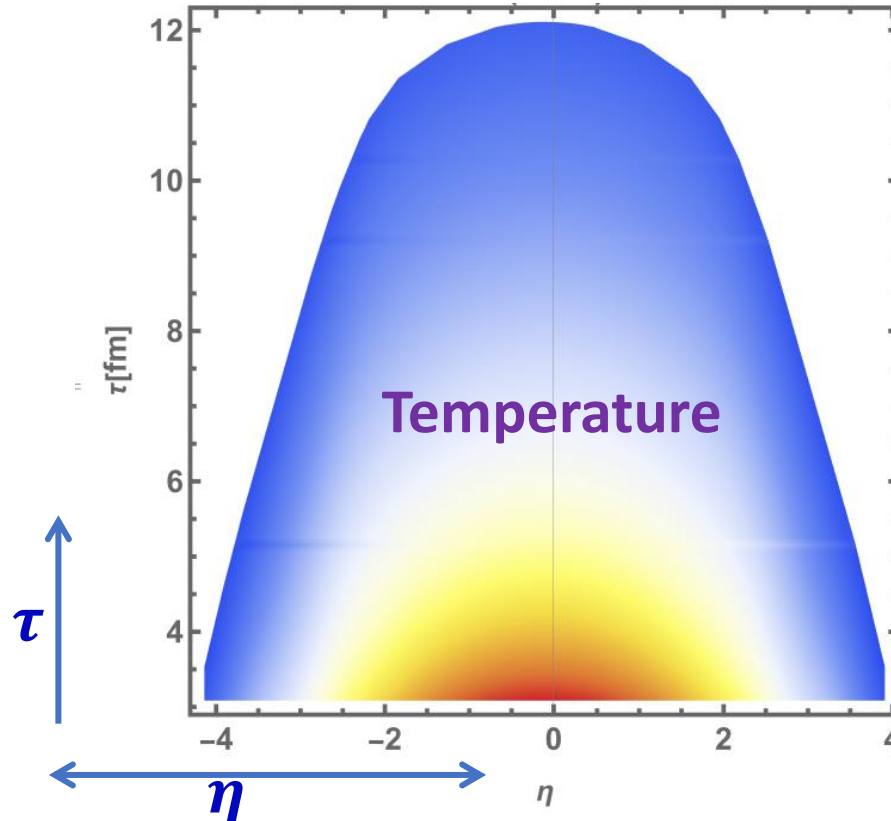


Different η in one QGP profile

Inhomogeneous T and μ profile from hydro simulation

- This talk aims to study the inhomogeneous QGP profile effects on the diffusion of net-baryon
- Hydro simulation: AMPT+MUSIC@19.6GeV

Shanjin Wu 2406.12325



Conserved net-baryon with inhomogeneous T and μ profile

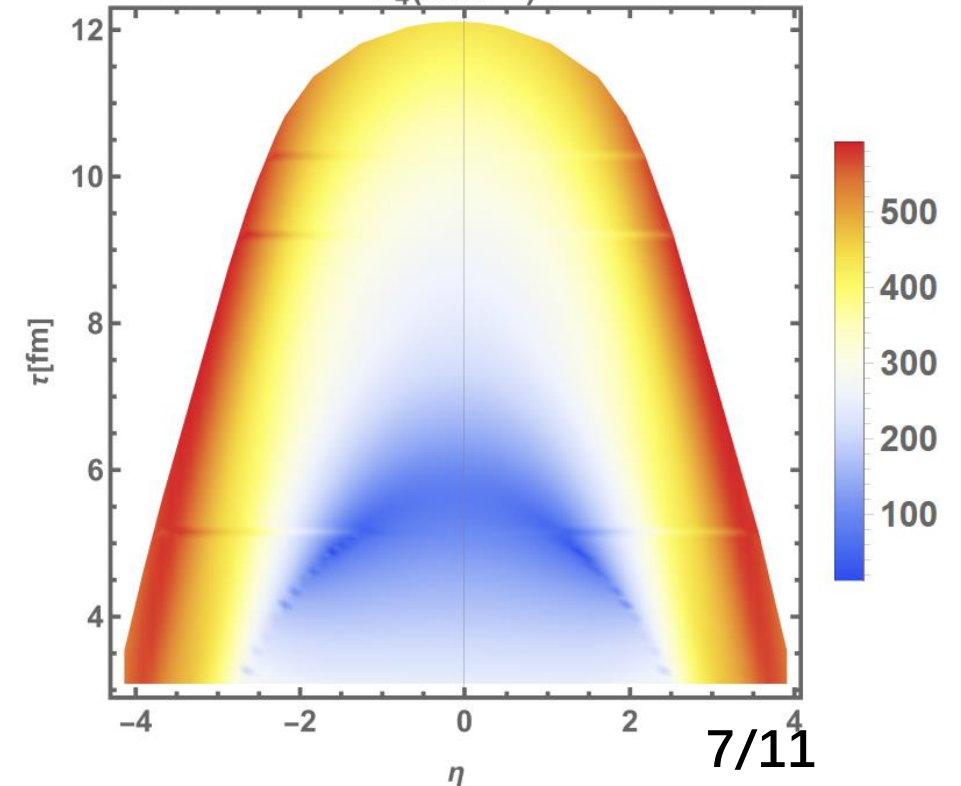
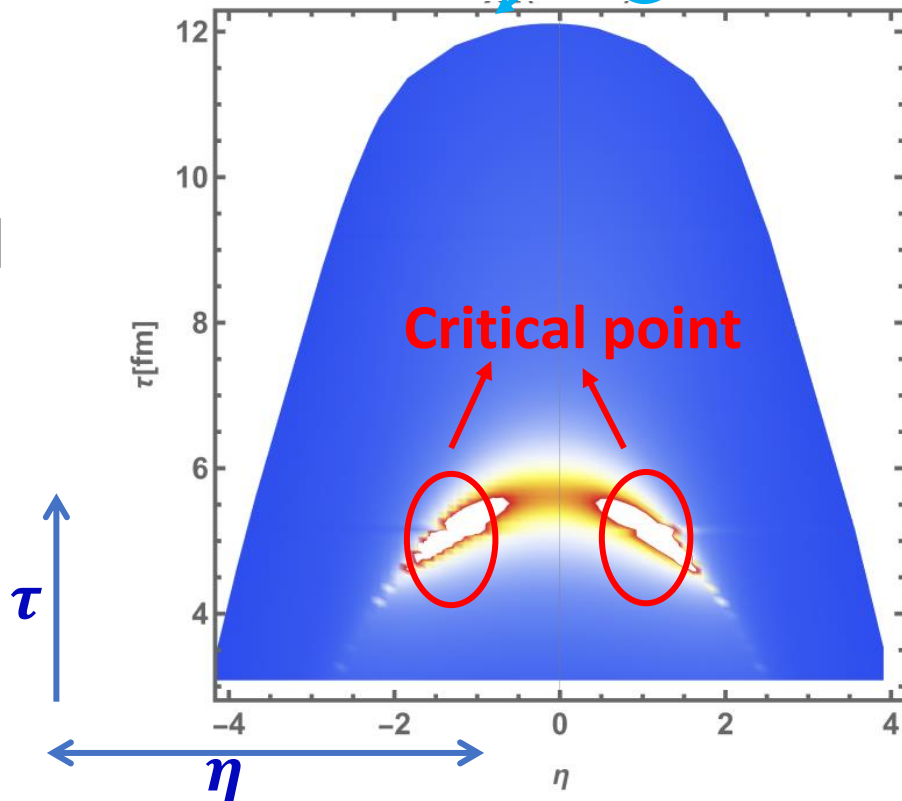
- Diffusion of conserved baryon near critical point: [Shanjin Wu 2406.12325](#)

G.Pihan et al.,
PRC.107.014908(2022)

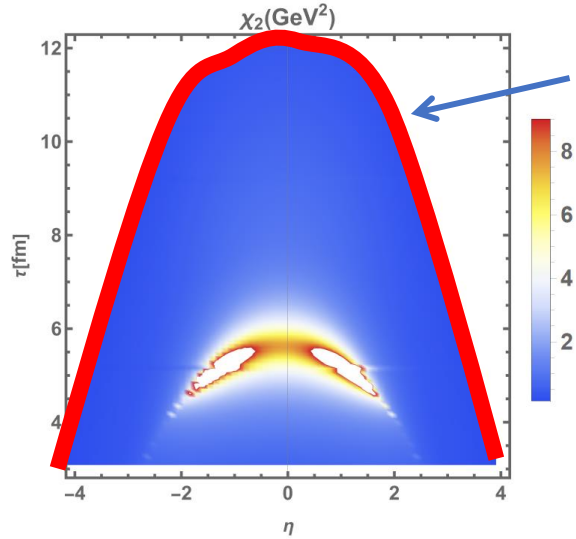
Sakaida et al, PRC.95.064905(2017)

$$\partial_\tau n = \nabla^2 \left(\frac{n}{\chi_2} + \lambda_3 n^2 + \lambda_4 n^3 \right) + \text{noise}$$

χ_2, λ_4 from
Ising model
(EoS)



Conserved net-baryon fluctuations at freeze-out surface



Freeze-out surface

Net-baryon number at freeze-out surface

$$N_B = g \int \frac{d^3p}{(2\pi)^3} \frac{1}{p^0} \int d\sigma_\mu p^\mu f(\mathbf{x}, \mathbf{p})$$

Net-baryon fluctuations at freeze-out surface:

$$\delta N_B \sim \int \exp\left(\frac{\mu}{T}\right) \delta\mu \sim \int \exp\left(\frac{\mu}{T}\right) \delta n_B / \chi_2$$

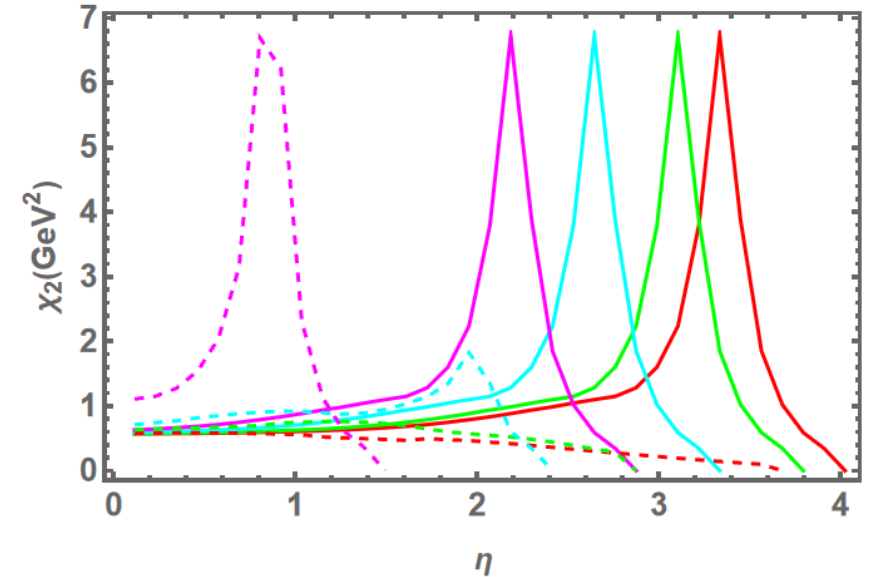
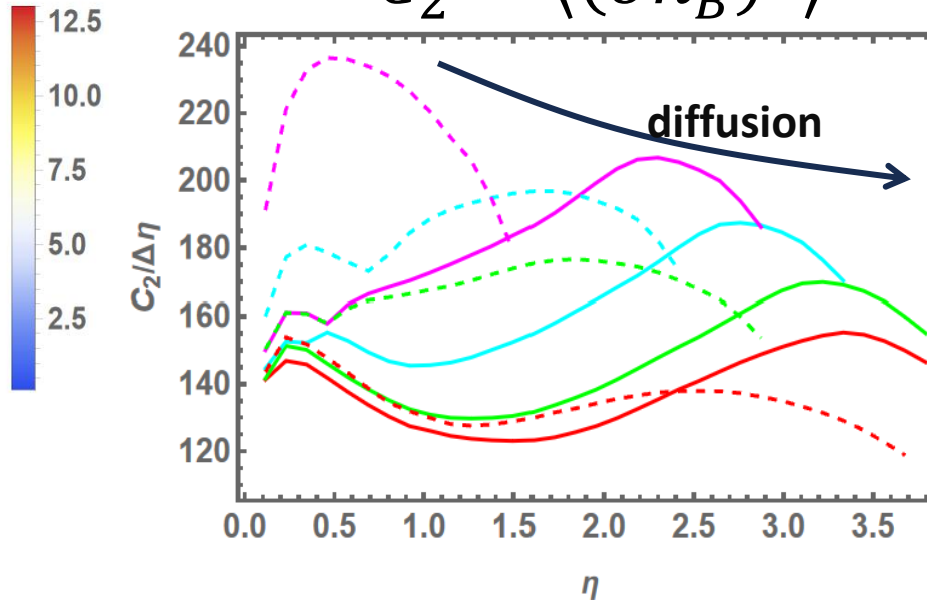
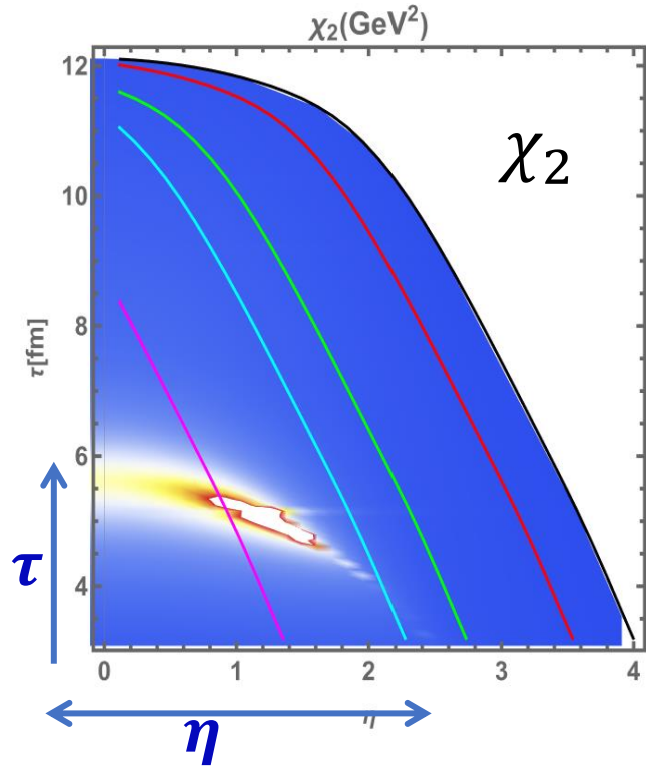
Conserved net-baryon fluctuations at freeze-out surface

Shanjin Wu 2406.12325

$$\delta N_B \sim \int \exp\left(\frac{\mu}{T}\right) \delta\mu \sim \int \exp\left(\frac{\mu}{T}\right) \delta n_B / \chi_2 \quad \partial_\tau n \sim \frac{1}{\tau_{relax}} \nabla^2 \frac{n}{\chi_2} + \text{noise}$$

Critical slowing down: evolution of δn_B slower than χ_2

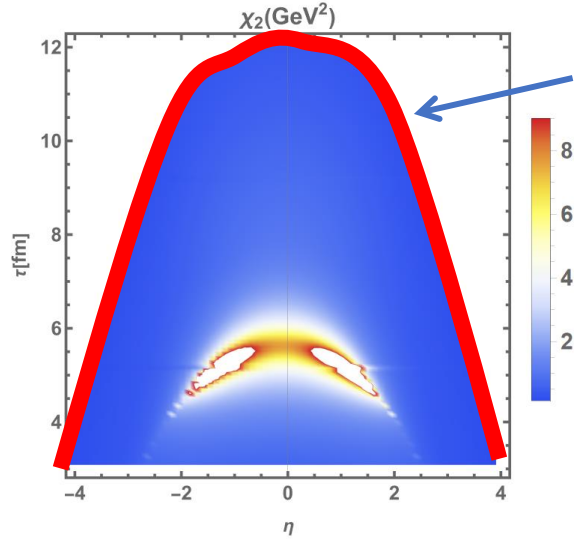
$$C_2 = \langle (\delta n_B)^2 \rangle$$



Solid: uniform profile; Dashed: inhomogeneous profile

Conserved net-baryon fluctuations at freeze-out surface

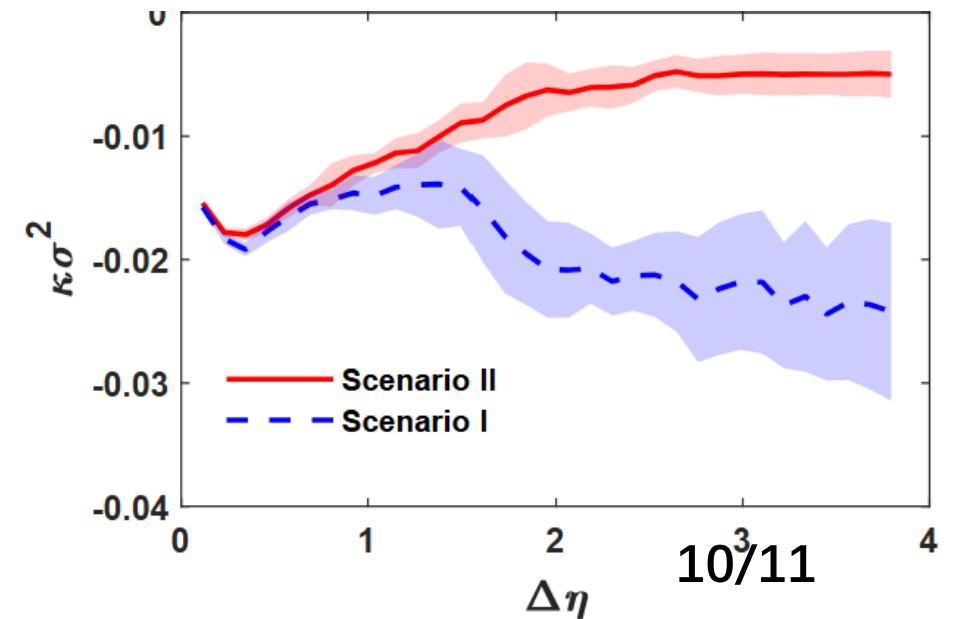
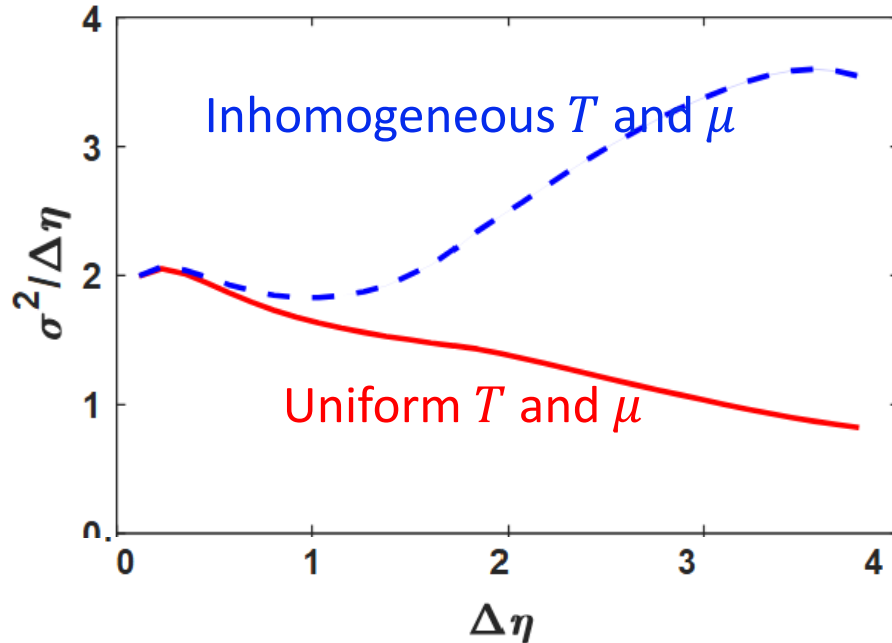
Shanjin Wu 2406.12325



Freeze-out surface

Critical slowing down effects:

cumulants at large rapidity preserves the larger fluctuations (critical effects) at early evolution history



Summary

- Dynamical modeling the QGP evolution near the QCD critical point is essential for the study of fluctuations in heavy-ion experiments;
- The diffusion of conserved net-baryon density preserves the early evolution history and behaves non-monotonically with increasing rapidity;
- Considering the inhomogeneous T and μ profile has significant effects at large rapidity.
- Non-boost invariant

Thank you!