The Origin and Acceleration of Very- and Ultra-High-Energy Cosmic Rays

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PLASMA

ASTRO

Centaurus A, credit: NASA/CXC

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AGN as UHECR candidates

- Active galactic nuclei (AGN) are known for accelerating particles 90 AGNs (84 blazars, 4 radio galaxies) in TeV catalog
- - Candidate of ultra-high-energy cosmic rays (UHECRs)



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Ultra-high-energy cosmic ray (UHECR)





Significant dipole anisotropy >8 EeV (1e18eV) (significance $>5\sigma$), Cen A as candidate source for dominant contribution

Hotspot at >60EeV points to radio galaxies (significance ~4 σ), especially Cen A region









Centaurus A

- The unique UHECR source candidate: most nearby radio galaxy at D ~ 4Mpc (1' = 1 kpc) and most powerful source in the nearby Universe
- Radio galaxies: diffuse emission along the jet



Hardcastle+, 2003, ApJ



H. E. S. S. Collaboration, 2020, Nature



X-ray: Synchrotron origin

- Synchrotron X-rays requires efficient electron acceleration
- Efficient acceleration for electrons to sub-PeV (PeV = 10^{15} eV): $E_{syn} = 2(E_e/0.1 \text{PeV})^2(B/10\mu\text{G}) \text{ keV}$
- ► Cooling time of sub-PeV electrons: $\tau_c = 10^3 (B/10\mu G)^{-2} (E_e/0.1 \text{PeV})^{-1} \text{ yrs}$ → maximum $c\tau_c = 0.37 \text{ kpc}$
- For X-ray jet length > kpc, particles are efficiently and continuously accelerated along jet









Multi messengers and kpc-scale jets

Is there *a framework* which can explain both the MWL and UHECR observations?



H. E. S. S. Collaboration, 2020, Nature



Observed Excess Map - E > 60 EeV





Continuous particle acceleration

- Continuous particle acceleration offers a natural explanation to diffuse emission
- In turbulent jet flows, continuous acceleration by Fermi II mechanism and shear acceleration
- Shock and magnetic reconnection can produce more localized features (e.g. knots, hotspots) and add to the turbulence development and particle injection







Explanation for MWL spectra

 Solving the Fokker–Planck equation to obtain the particle spectrum: dependence on radial velocity profile

$$n(\gamma) \propto \gamma^{s} F_{-}(\gamma, q) + C\gamma^{s} F_{+}(\gamma, q)$$

$$s_{\pm} = \frac{q-1}{2} \pm \sqrt{\frac{(5-q)^{2}}{4} + w}$$

$$w = \frac{10c^{2}}{\Gamma^{4}(r)R^{2}} \left(\frac{\partial u(r)}{\partial r}\right)^{-2}$$

Analytical modeling to obtain B and u

$$E = \gamma m c^2 \qquad \frac{\partial n(\gamma, t)}{\partial t} = \frac{1}{2} \frac{\partial}{\partial \gamma} \left[\left\langle \frac{\Delta \gamma^2}{\Delta t} \right\rangle \frac{\partial n(\gamma, t)}{\partial \gamma} \right] - \frac{\partial}{\partial \gamma} \left[\left(\left\langle \frac{\Delta \gamma}{\Delta t} \right\rangle \frac{\partial n(\gamma, t)}{\partial \gamma} \right] \right] - \frac{\partial}{\partial \gamma} \left[\left(\left\langle \frac{\Delta \gamma}{\Delta t} \right\rangle \frac{\partial n(\gamma, t)}{\partial \gamma} \right] \right] - \frac{\partial}{\partial \gamma} \left[\left(\left\langle \frac{\Delta \gamma}{\Delta t} \right\rangle \frac{\partial n(\gamma, t)}{\partial \gamma} \right] \right] - \frac{\partial}{\partial \gamma} \left[\left(\left\langle \frac{\Delta \gamma}{\Delta t} \right\rangle \frac{\partial n(\gamma, t)}{\partial \gamma} \right] \right] \right] + \frac{\partial}{\partial \gamma} \left[\left(\left\langle \frac{\Delta \gamma}{\Delta t} 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Wang+, 2021, MNRAS, arXiv:2105.08600



Numerical simulations of acceleration of UHECRs





RMHD Simulations

- Stochastic-shear acceleration depends on turbulence and velocity profile
- Periodic box simulations to study the jet instabilities (e.g. Kelvin-Helmholtz)
- Parameters derived from analytical MWL modeling



Wang+, 2023, MNRAS









Radial profiles and turbulence

- Turbulence (HD/MHD) is close to Kolmogorov





Velocity shearing profile self-generated through Kelvin-Helmholtz instability



Particle trajectories and shear acceleration





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Particle spectra

• Particles efficiently accelerated close to the maximum theoretical limit: $E_{\text{peak}} \gtrsim 0.1 \ E_{\text{max}}$ for different types of jets with different velocity and B







"A" jet origin of UHECR







Jets of AGN and microquasars

Cygnus A: powerful AGN jet





SS 433: microquasar jet





Super Accretor: Super Accelerator

Microquasar jet as PeV-EeV Galactic CR sources?





unit) (arbitrary đ $(E^2 dN/dE)$

Sources of Highest-Energy Galactic CR?



Wang, Reville, Aharonian, 2025, submitted



XRB with super-Eddington flares: $E_{\text{max}} = Ze\beta BR = 1 Z\beta^{1/2}\sigma^{1/2}L_{K41}^{1/2}$ EeV



Summary

- UHECR acceleration (e.g. Cen A) can be explained
 - mechanism in relativistic jets
- Jets as CR sources: Galactic jets \rightarrow VHECRs, Extra-galactic jets \rightarrow UHECRs?



Matter: super solar abundance by AGN activity



In the framework of stochastic-shear acceleration, both MWL observation and

Turbulent-shear acceleration is an unavoidable (KH instability) and efficient







Backup



M87 application







