

Second LHAASO Symposium, Hong Kong, 2025

**The displaced TeV signal
of Terzan 5 and
implications for CR
transport**

Roland Crocker

Australian National University

Co-authors + publication details

*Teraelectronvolt gamma-ray emission near globular cluster
Terzan 5 as a probe of cosmic ray transport*

**Krumholz, Crocker, Bahramian & Bordas, Nature
Astronomy 8, 1284–1293 (2024)**

Nomenclature

- ❖ “Ter 5” = Terzan 5
- ❖ “GC” = Globular Cluster
- ❖ “MSP” = millisecond pulsar

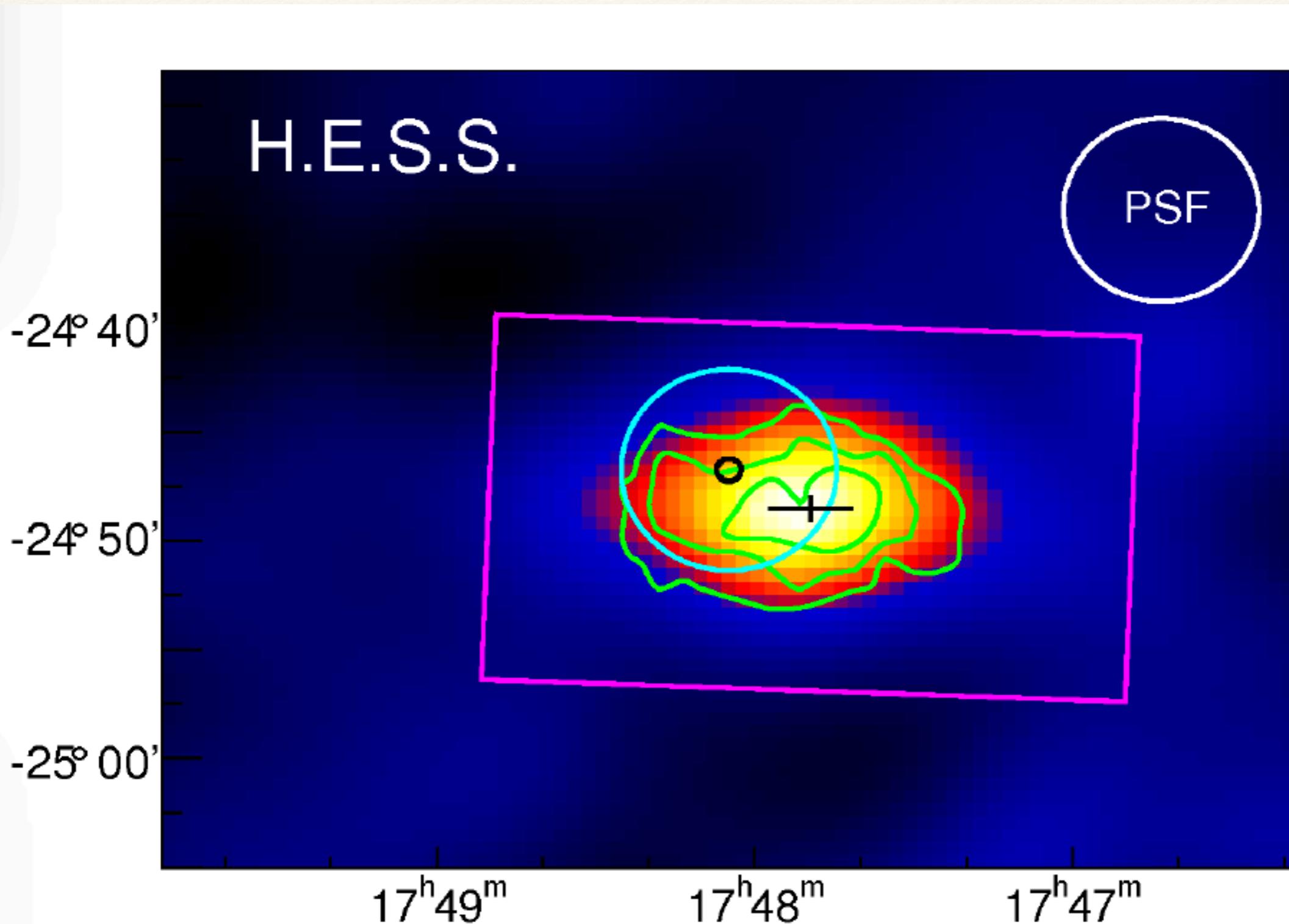
Terzan 5 Globular Cluster

- ❖ One of the Milky Way's most massive GCs
- ❖ Largest (radio identified) MSP population of any GC
- ❖ Brightest gamma-ray (GeV band) GC
- ❖ Located in the inner Galaxy, only 200 pc above plane; one of the Galactic bulge GCs

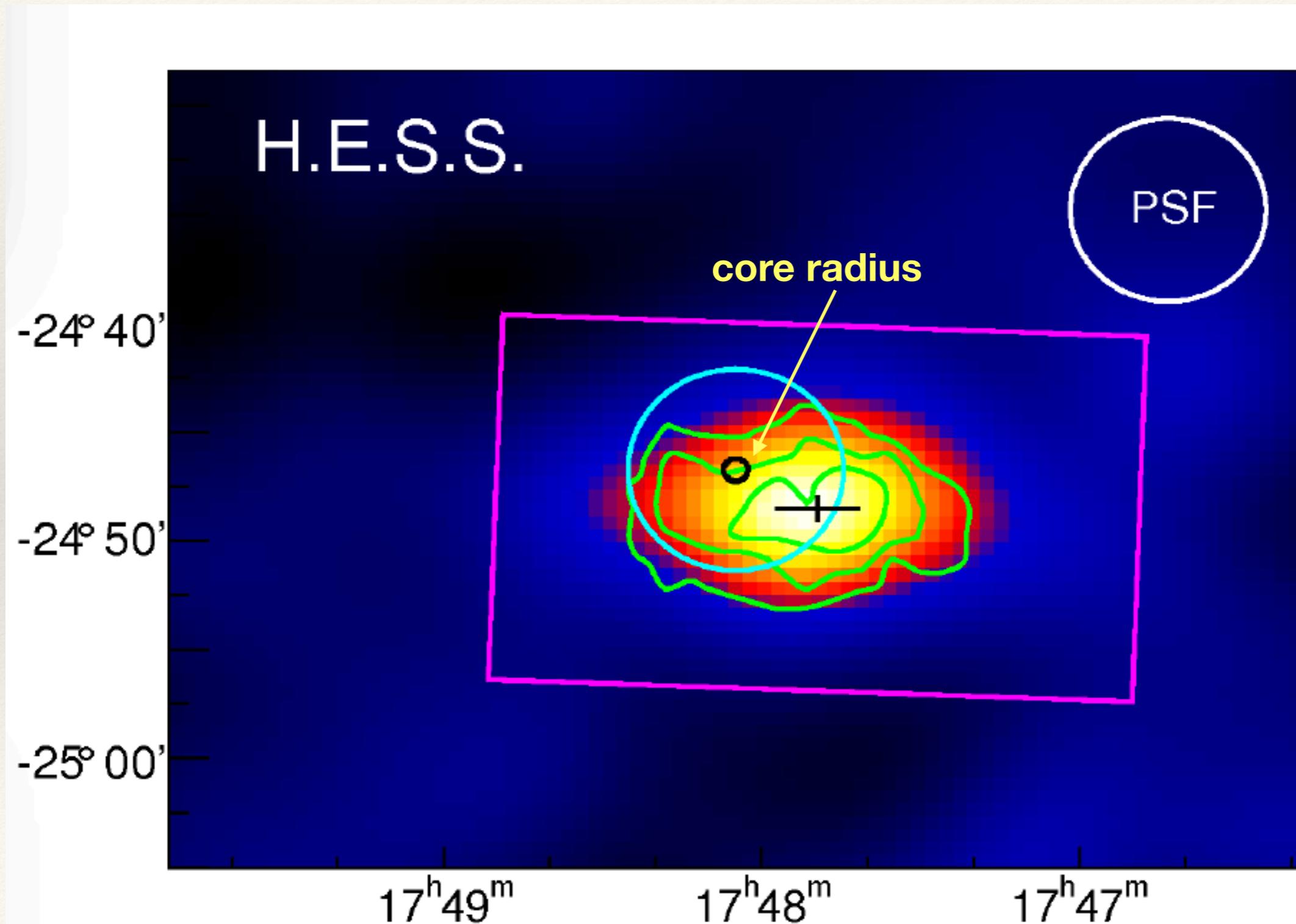
Terzan 5 as high energy source

- ❖ About 30 Galactic MSPs detected in \sim GeV band with *Fermi* data
- ❖ Terzan 5, *uniquely amongst GCs*, detected in the **TeV** band by HESS (Abramowski+2011)
- ❖ The Terzan 5 associated TeV source is semi-resolved and extended
- ❖ BUT the **centroid** of the extended TeV emission is **displaced** off GC centre (where the MSPs concentrate) by ~ 8 pc

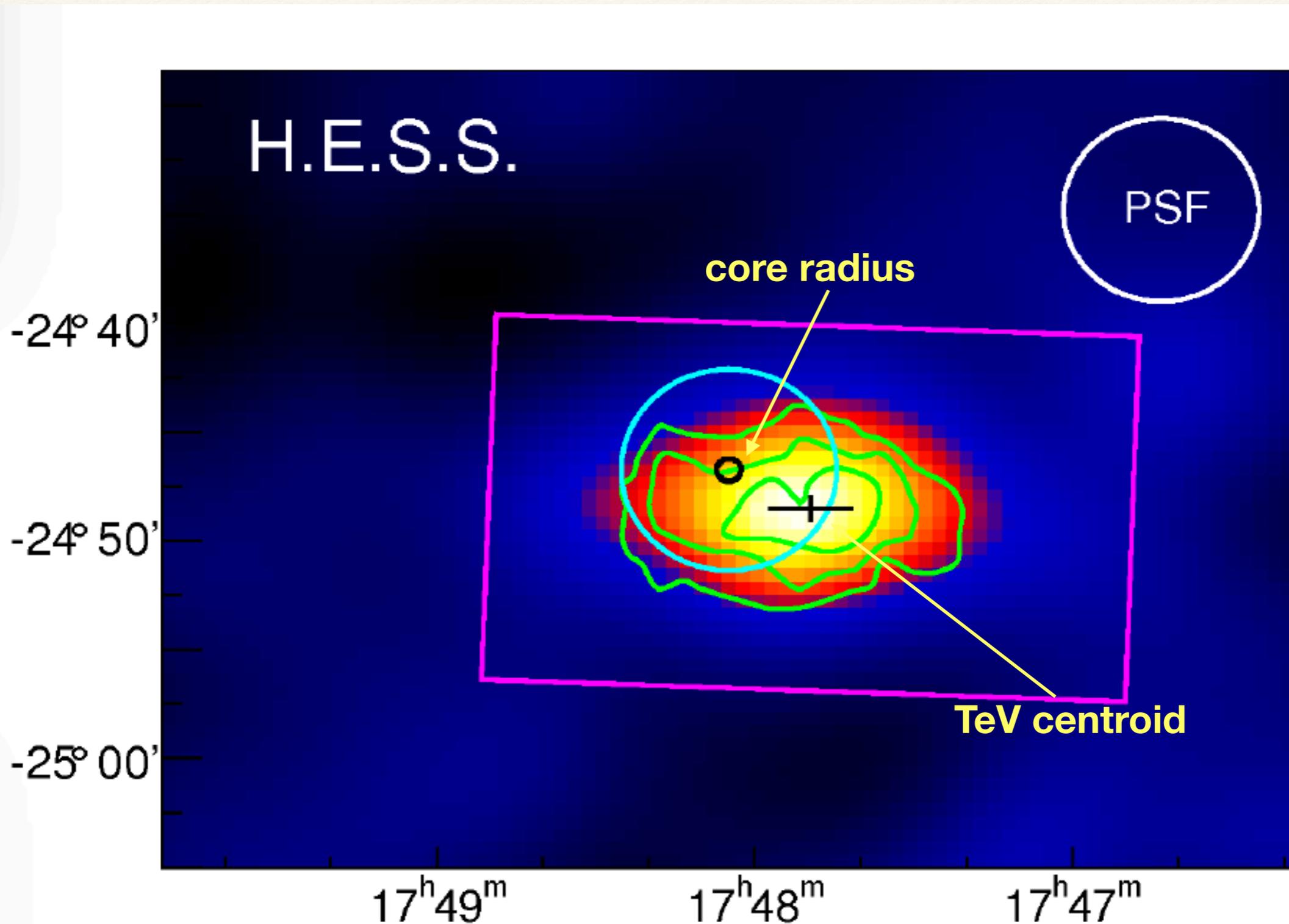
Terzan 5 @ TeV (Abramowski+2011)



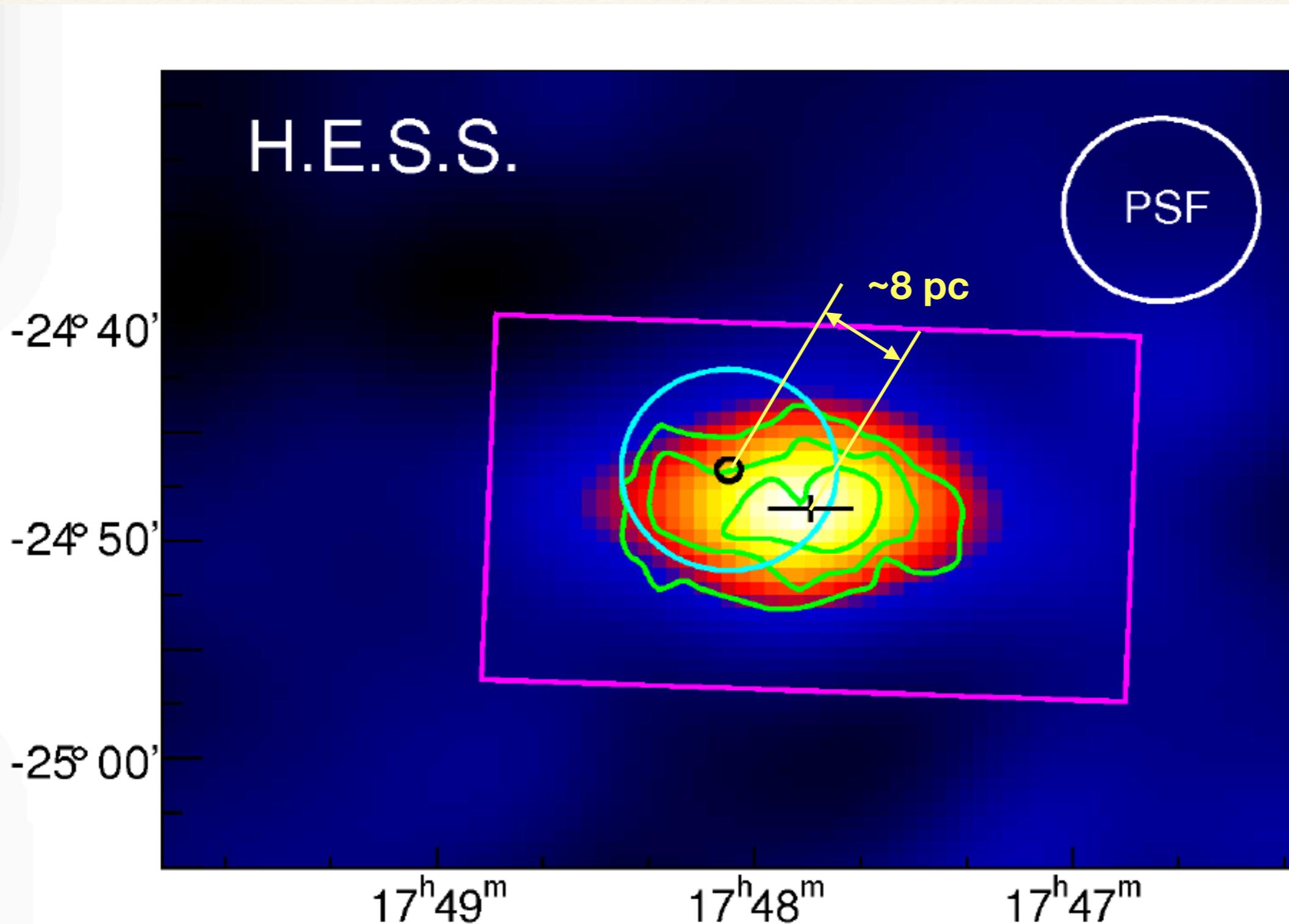
Terzan 5 @ TeV (Abramowski+2011)



Terzan 5 @ TeV (Abramowski+2011)



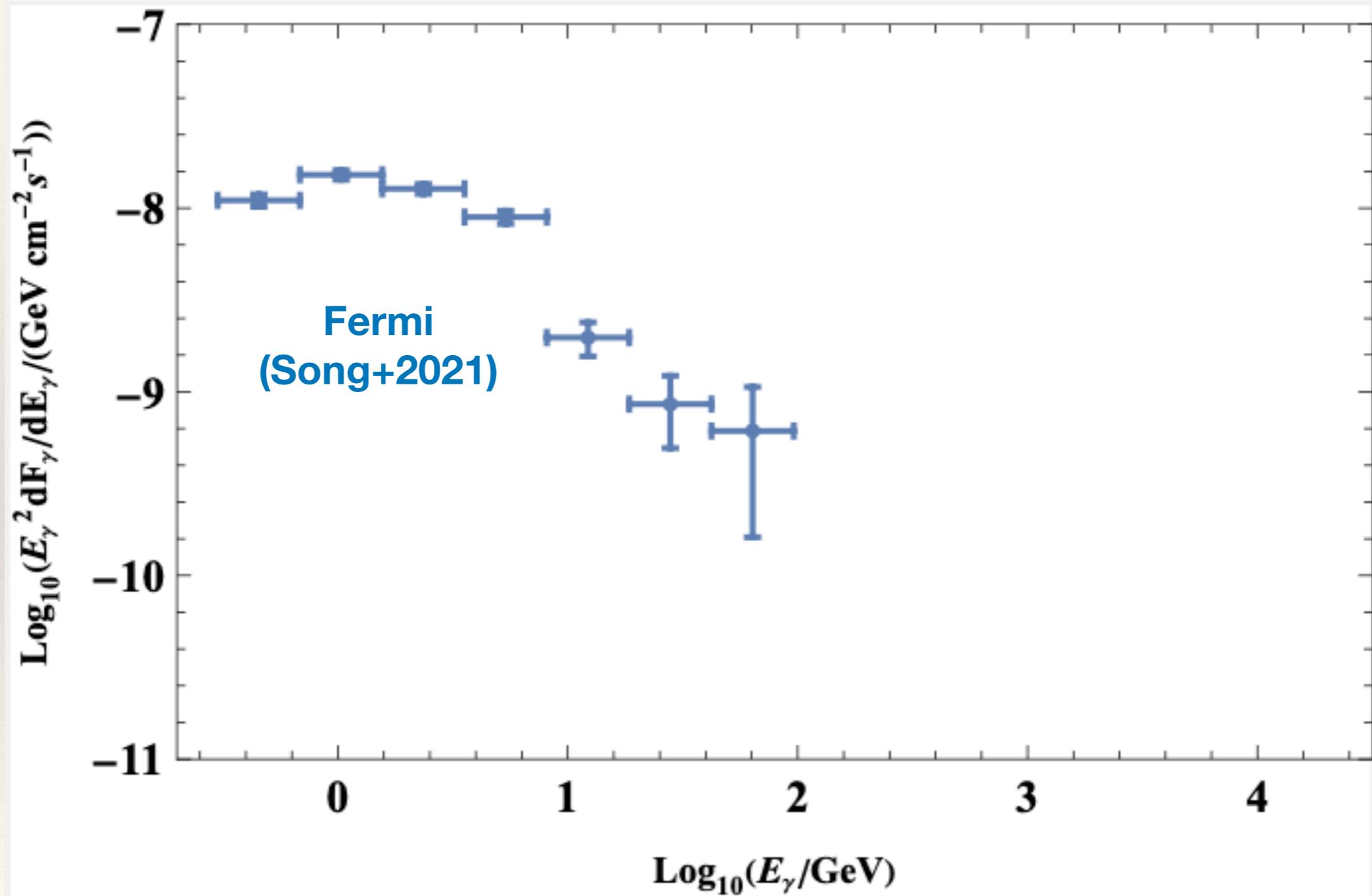
Terzan 5 @ TeV (Abramowski+2011)



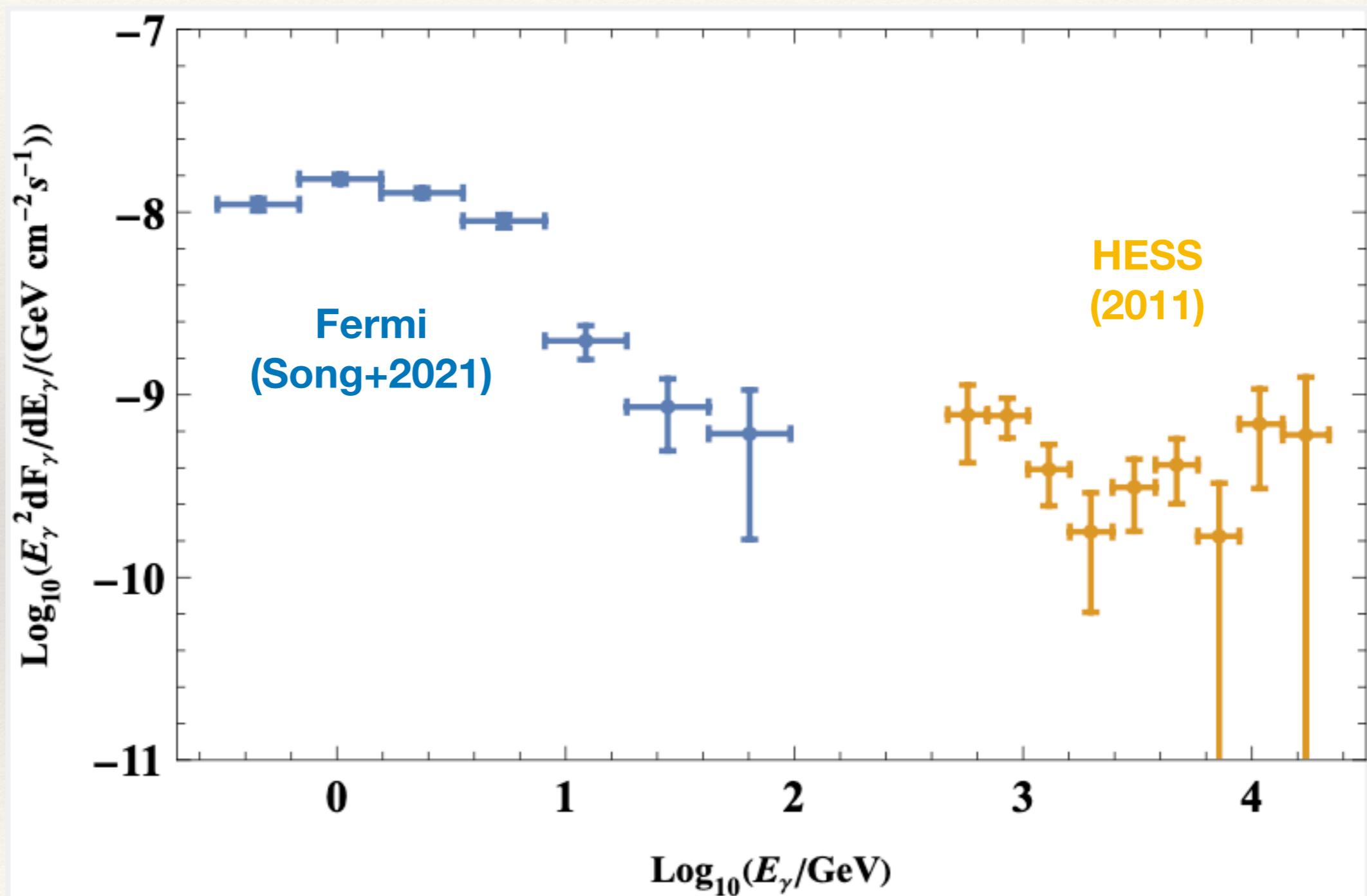
Is the TeV source *really* associated to Ter 5?

- ❖ HESS collab. (Abramowski+) 2011 calculate the chance overlap probability as $\sim 10^{-4}$
- ❖ The GeV and TeV spectral data points match well

Spectrum Ter 5



Spectrum Ter 5

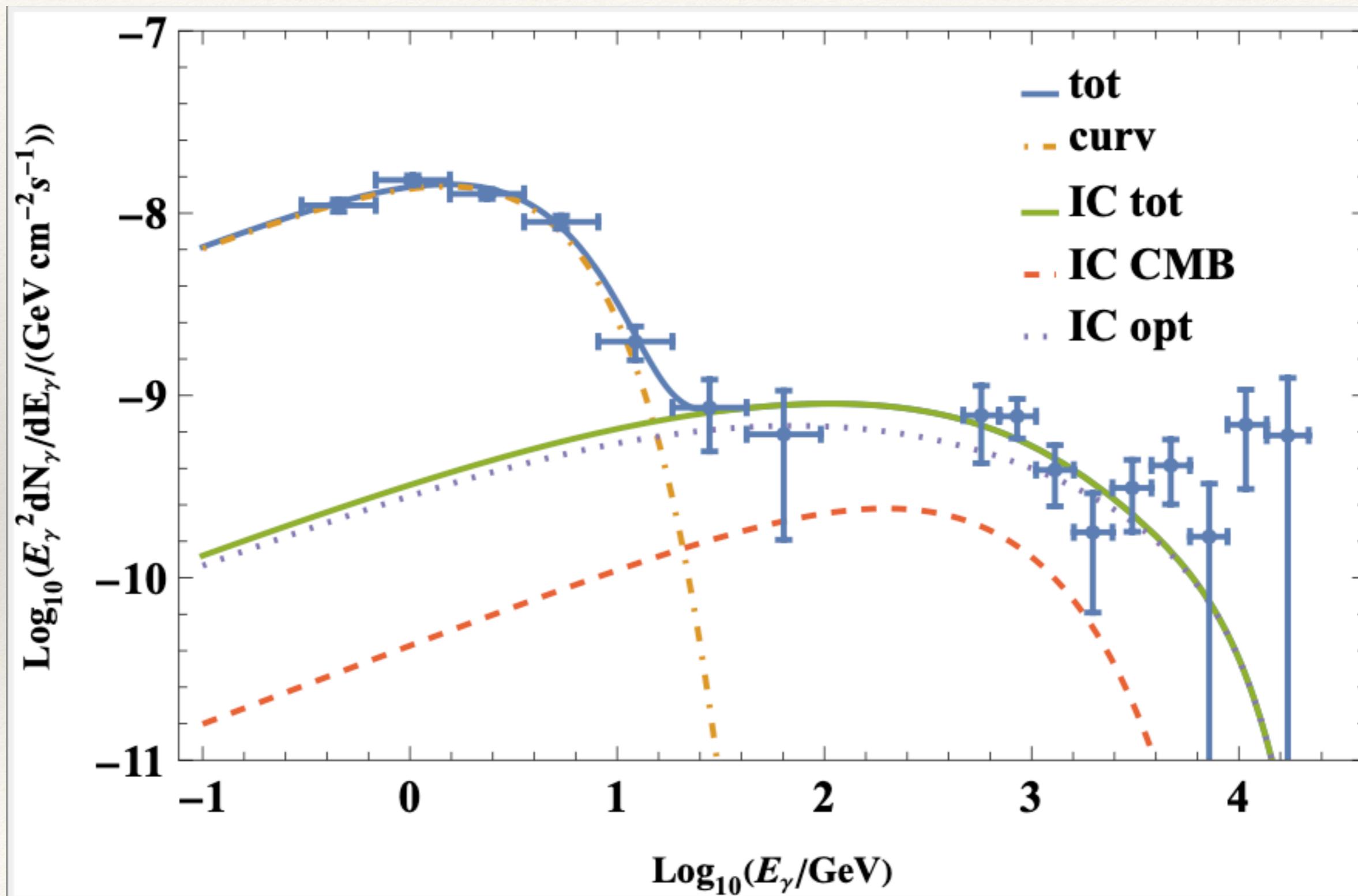


Is the TeV source really associated to Ter 5?

- ❖ Abramowski+2011 calculate the chance overlap probability as $\sim 10^{-4}$
- ❖ The GeV and TeV spectral data points match well

...working hypothesis: the TeV source is associated to Ter 5

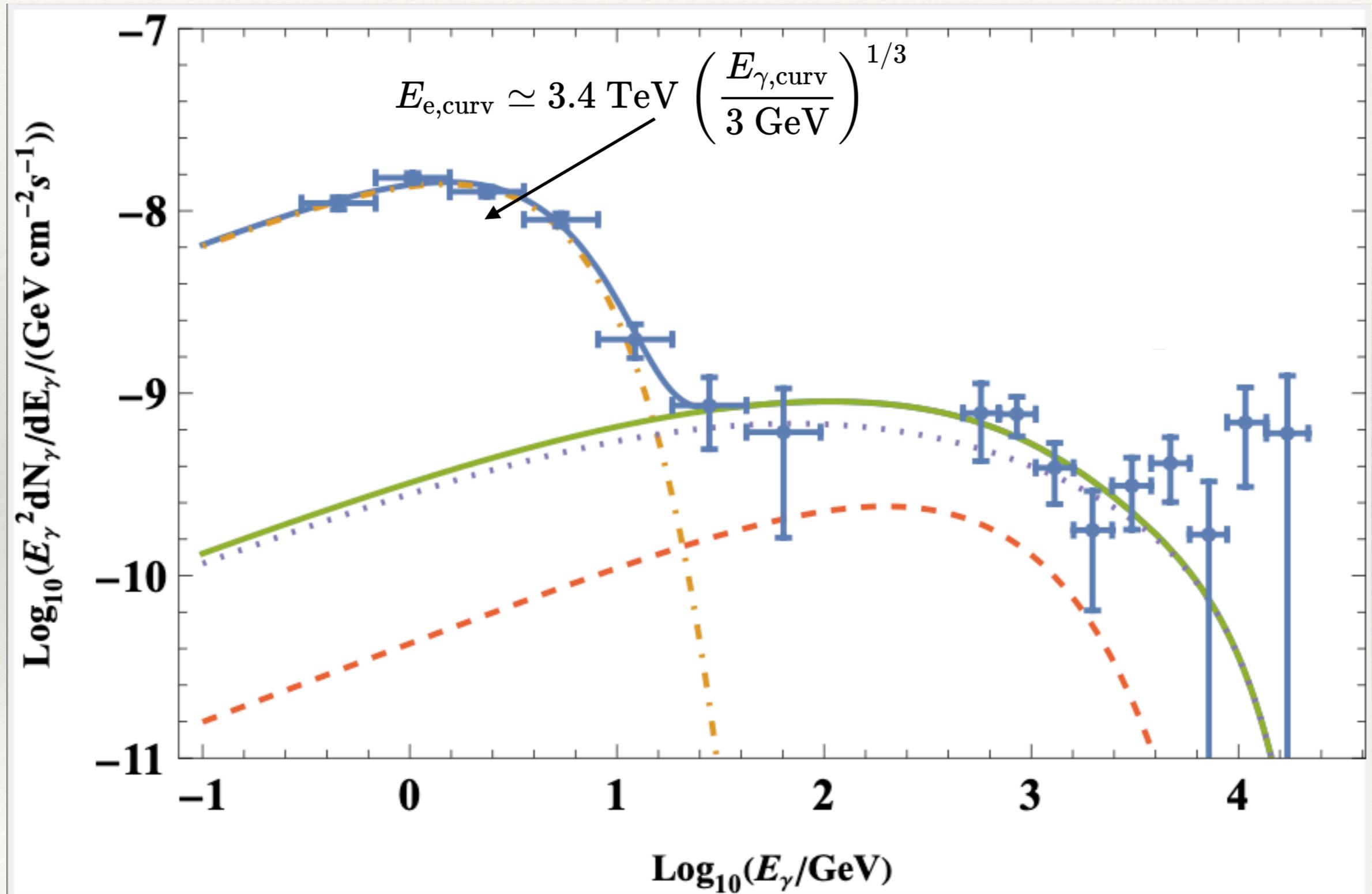
Spectrum well fit as curvature radiation + inverse Compton



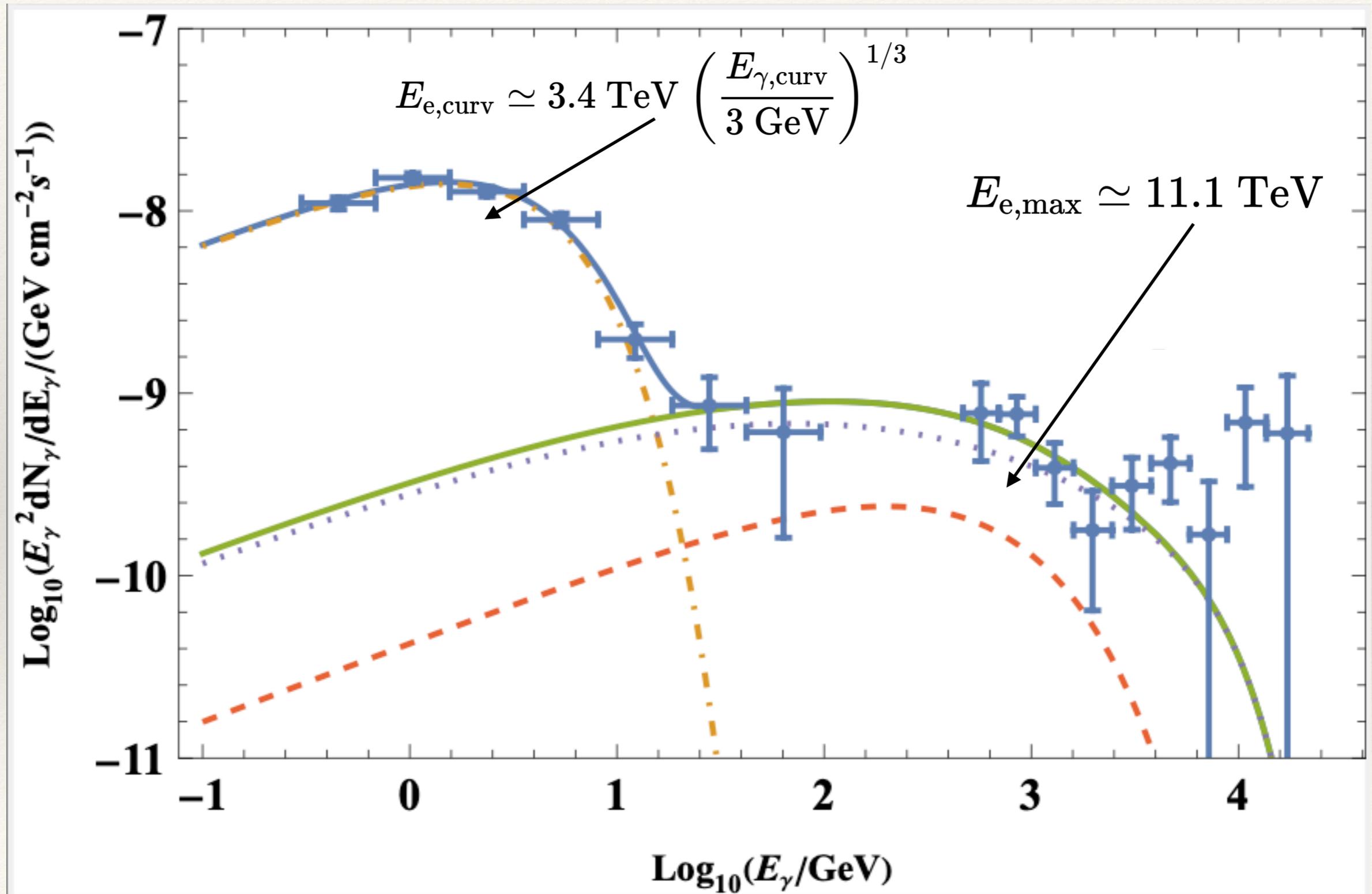
First Mystery: why the displacement?

- ❖ Lightfield energy density and density of MSP sources should peak in the centre of the GC, so why doesn't the TeV surface brightness peak here?

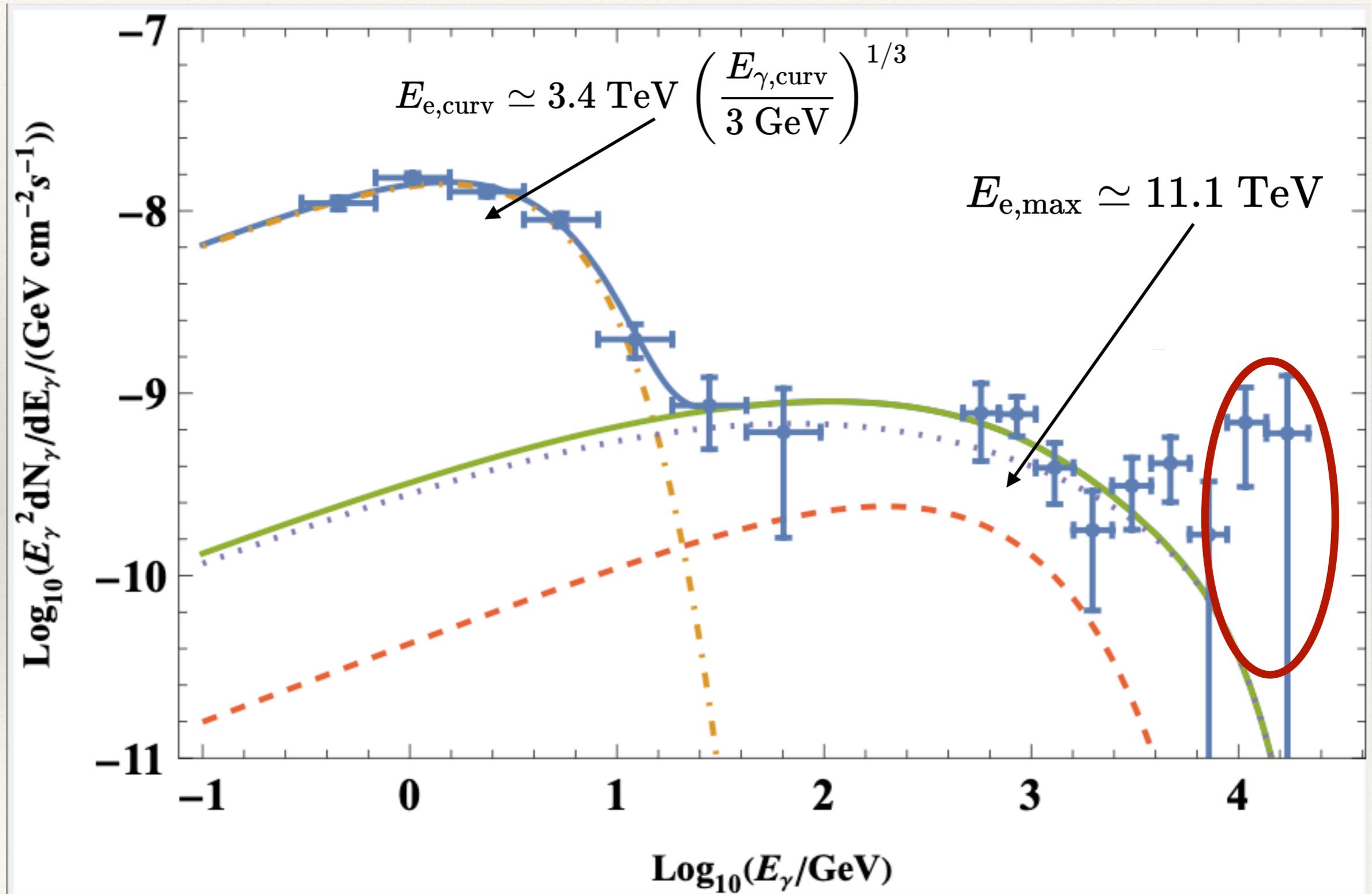
Second Mystery: how do we get sufficiently energetic electrons?



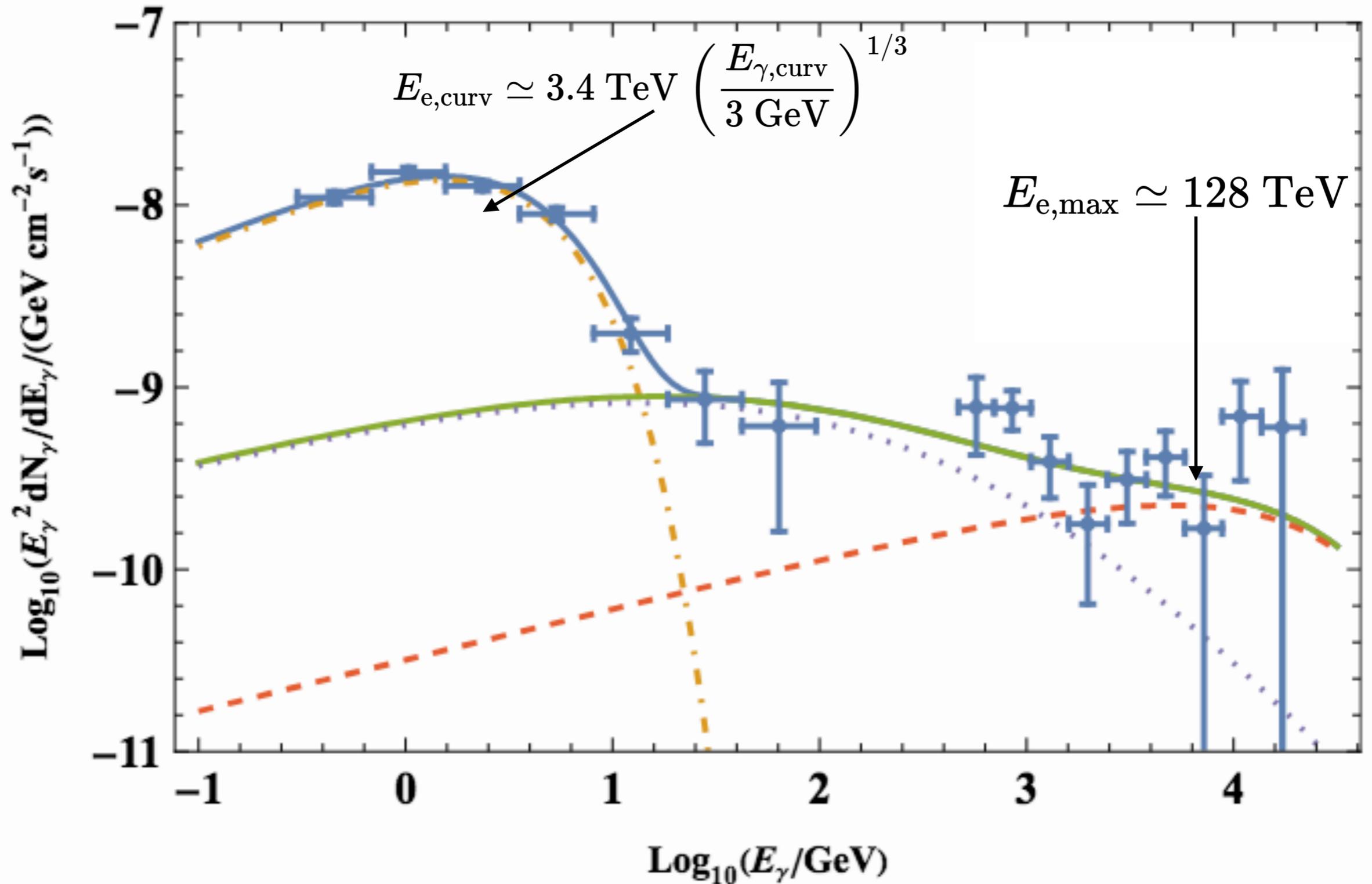
Second Mystery: how do we get sufficiently energetic electrons?



Second Mystery: how do we get sufficiently energetic electrons?



Second Mystery: how do we get sufficiently energetic electrons?



Broad Scenario

- ❖ Following Bednarek & Sobczak 2014, Bednarek+ 2016:
- ❖ Individual MSP (relativistic pair) winds aggregate into a single, global wind off the GC
- ❖ The GC is moving at ≈ 100 km/s with respect to the ISM; this motion is both **super-sonic** and **super-Alfvenic**
- ❖ \Rightarrow Expect the analogue of a 'giant' bow-shock pulsar wind nebula: a (global) termination shock nested inside a bow shock and a magnetotail

Stand-off distance to contact discontinuity

$$R_{\text{SO}} = 0.35 \text{ pc} \left(\frac{\dot{E}_{\text{wind},37}}{n_{\text{H},-1}} \right)^{1/2} (v_{\text{Ter}5,2})^{-1}$$

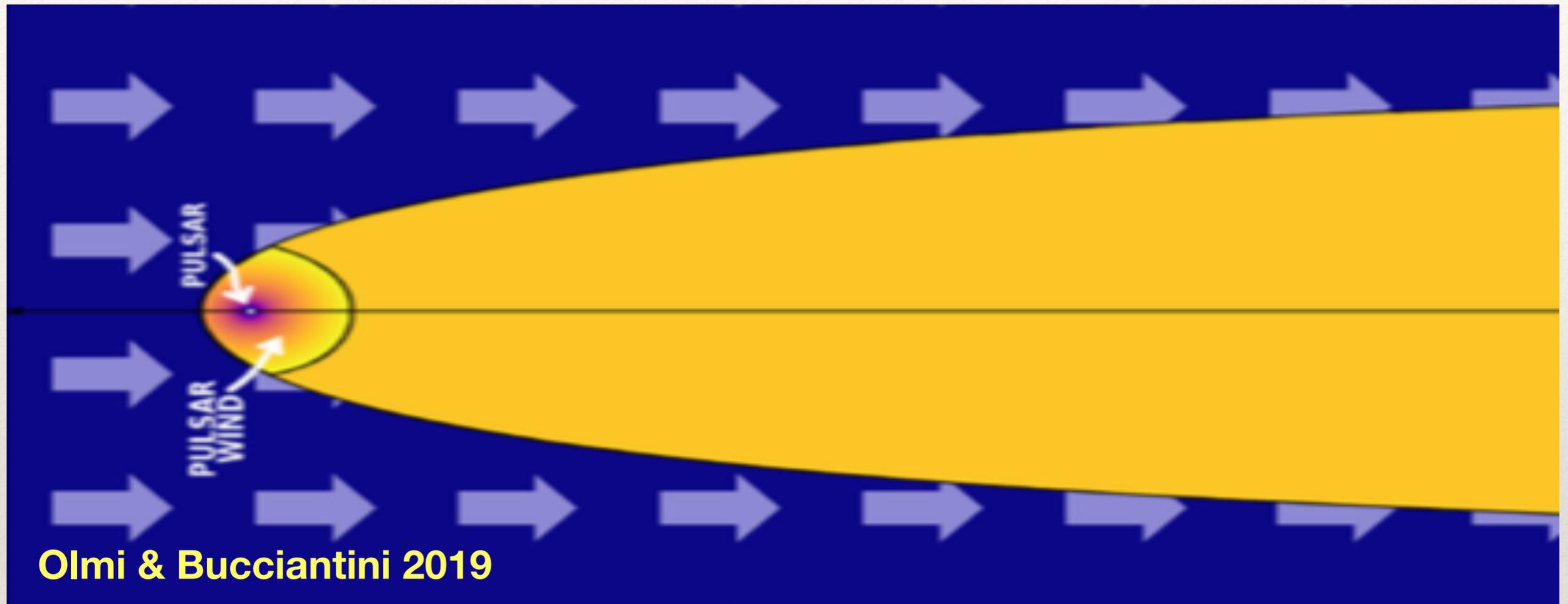
- ❖ $R_{\text{SO}} \ll R_{\text{offset}} \sim 7 \text{ pc}$
- ❖ *Why doesn't the TeV centroid correspond to the acceleration region?*

Our scenario

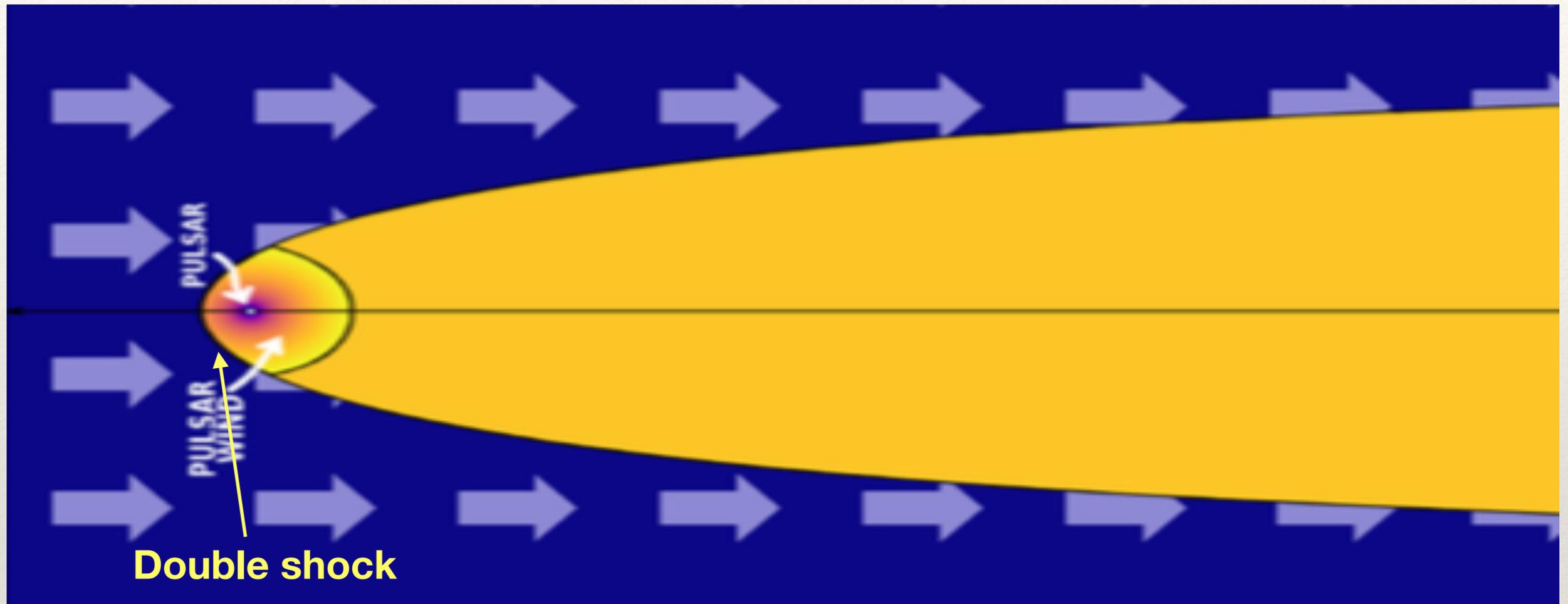
Why the displacement?

- ❖ A cosmic ray transport effect?
- ❖ Point: the TeV+ radiation is produced by CR e^\pm with energies > 10 TeV, or Lorentz gamma factors $> 10^7$; if e^\pm are not moving in our direction, we do not see the radiation they emit
- ❖ The GC is moving super-sonically through the disk ISM
- ❖ It has a bow shock and a magnetotail in the direction opposite its motion in the local ISM gas rest frame

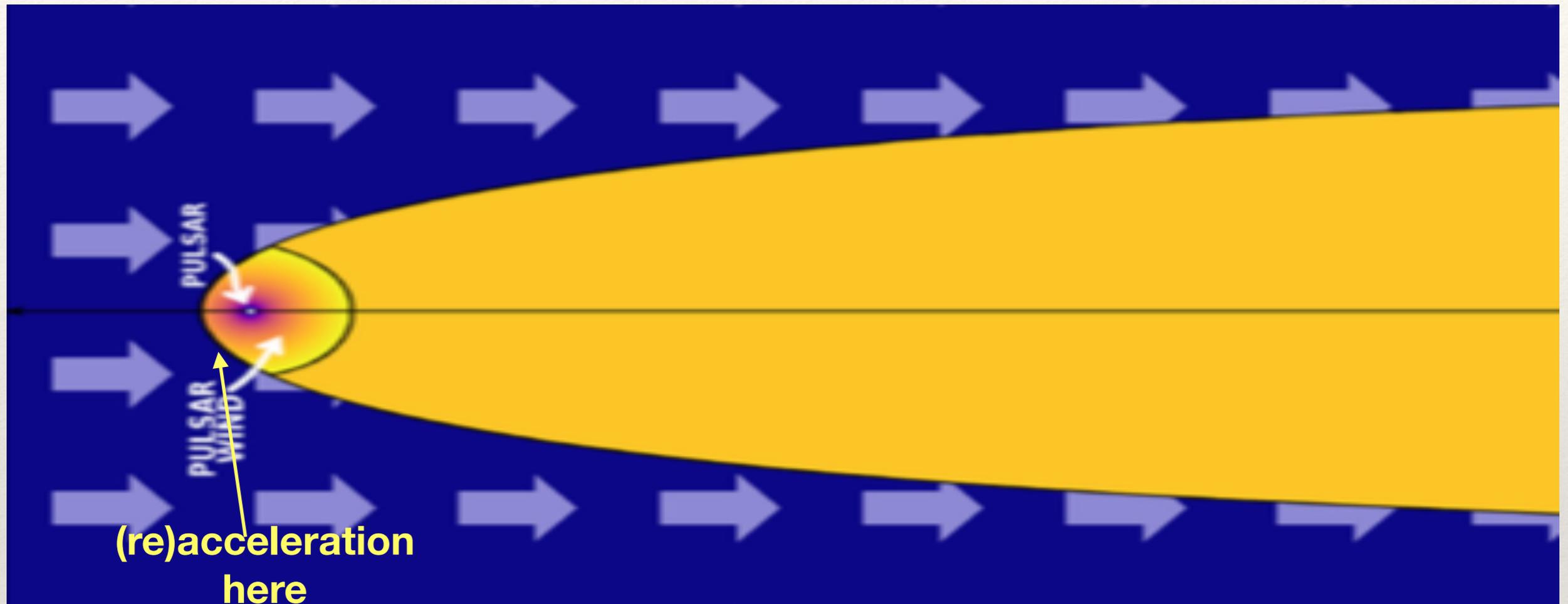
The Big Mystery: why the displacement?



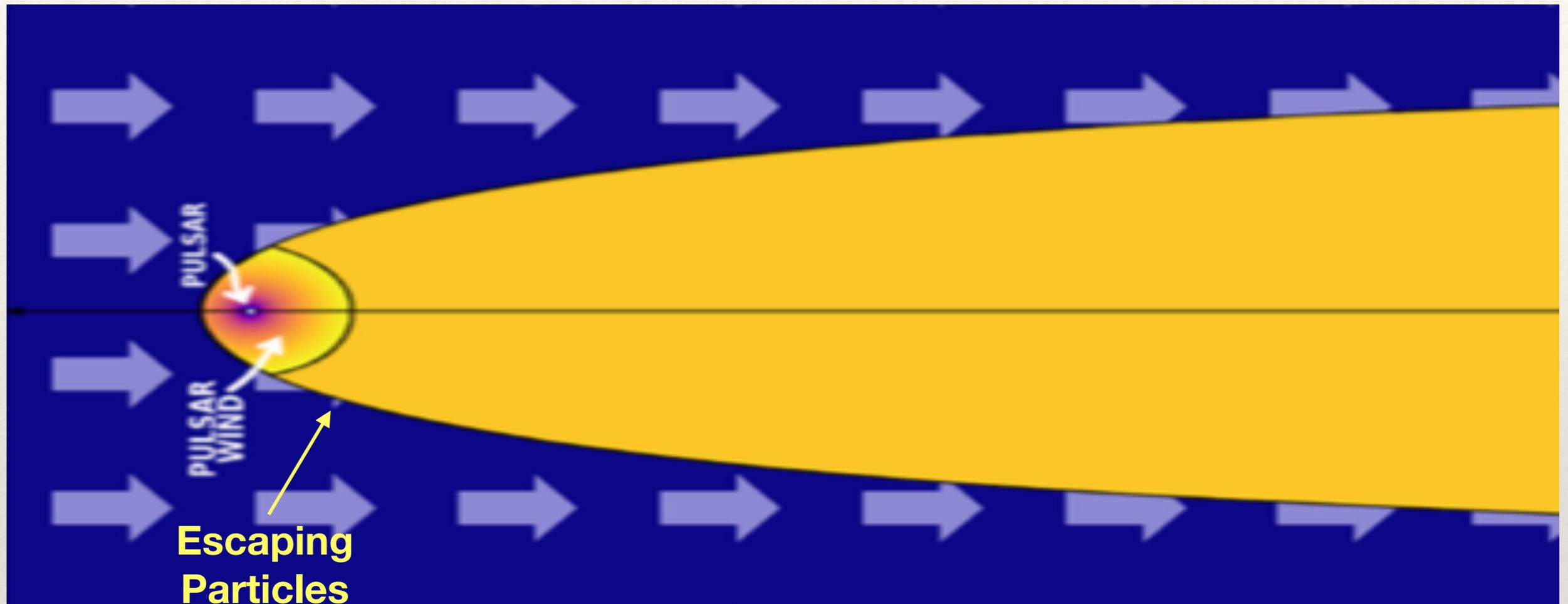
The Big Mystery: why the displacement?



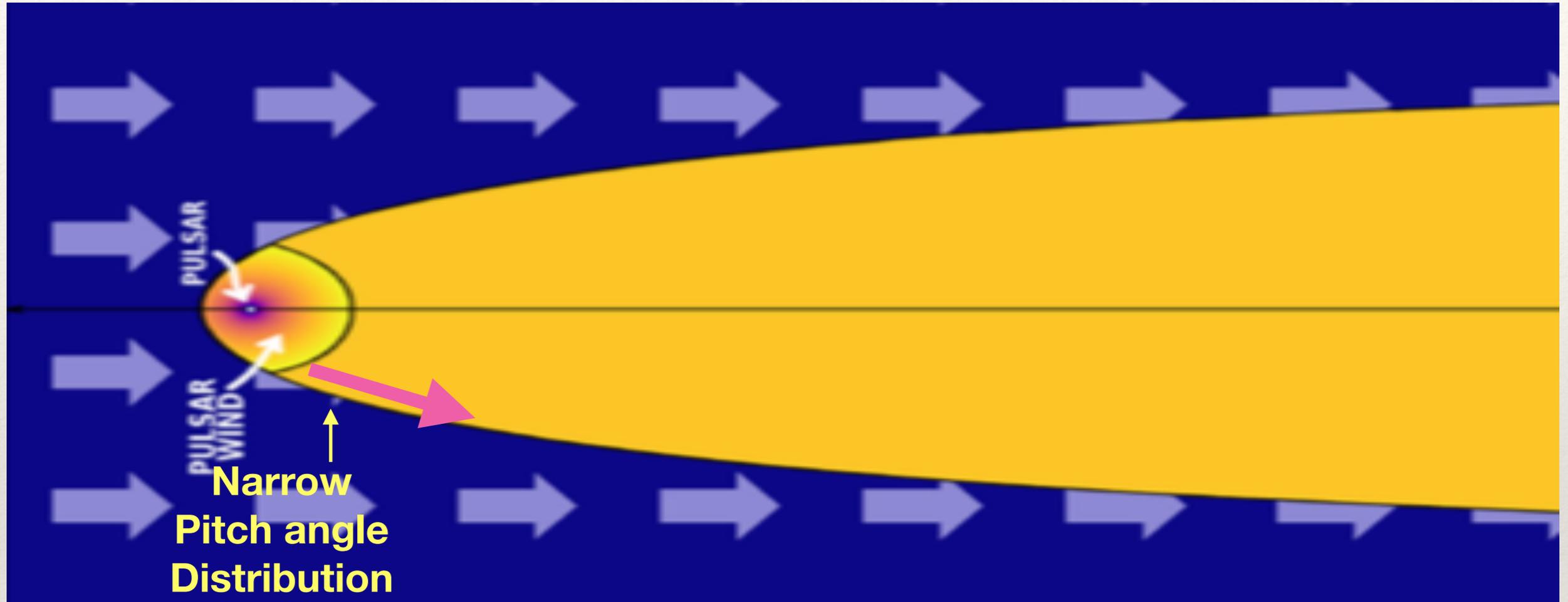
The Big Mystery: why the displacement?



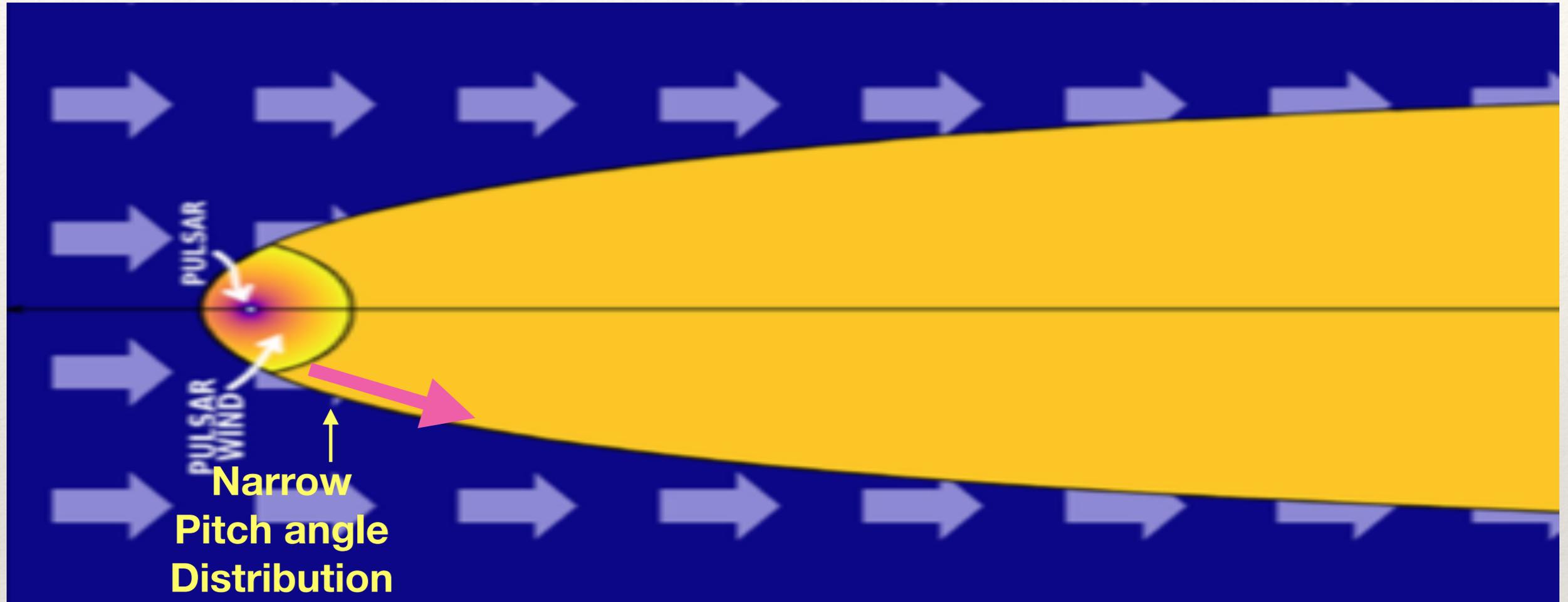
The Big Mystery: why the displacement?



The Big Mystery: why the displacement?

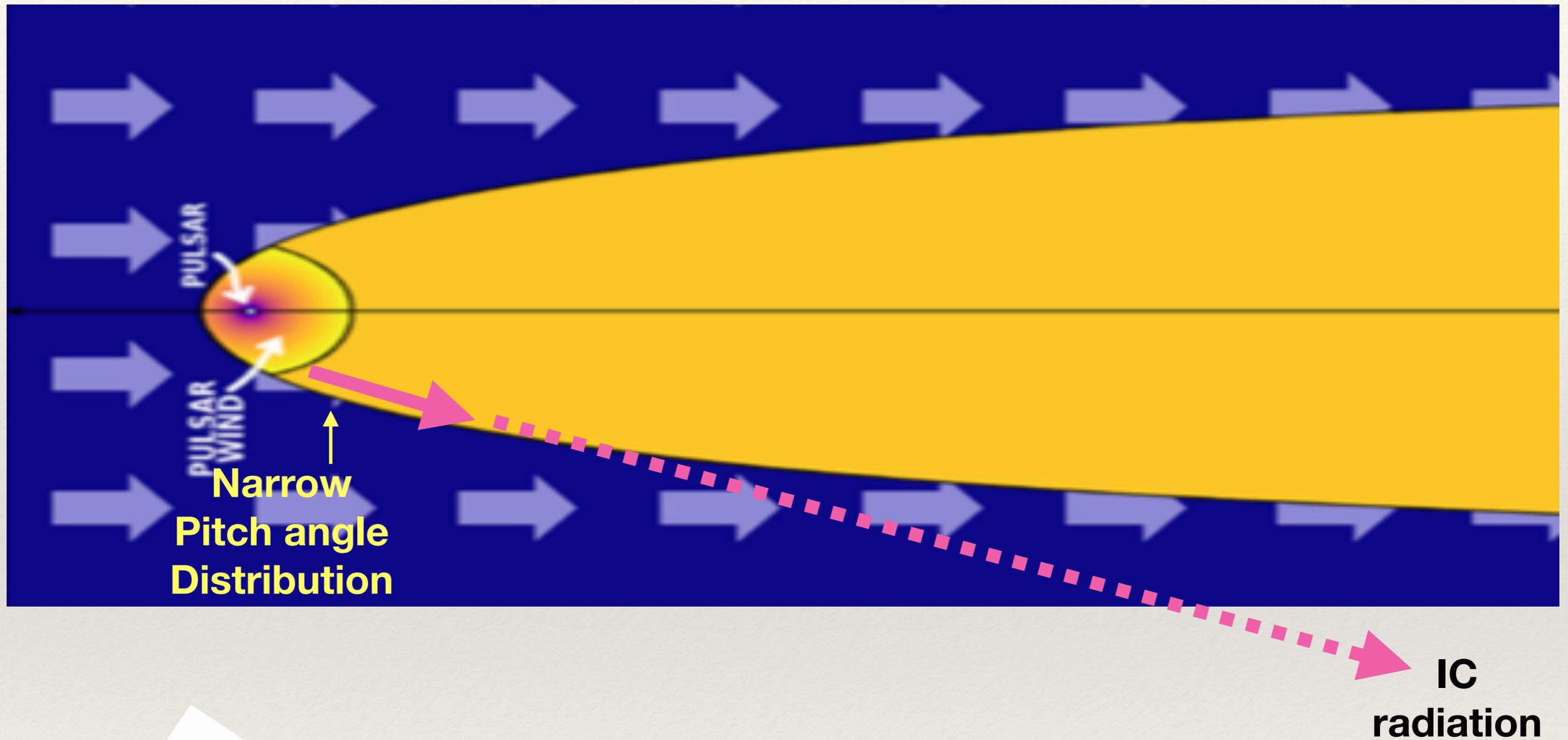


The Big Mystery: why the displacement?

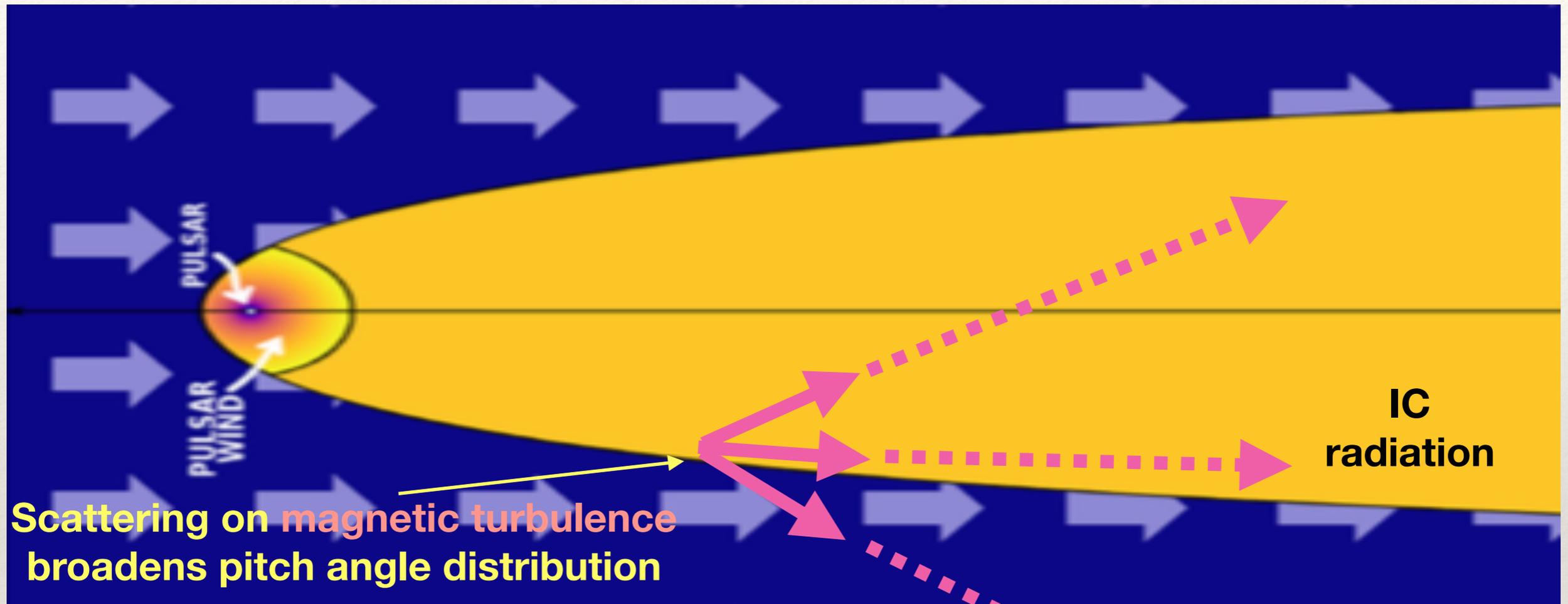


↑
**These particles
moving at
speed light**

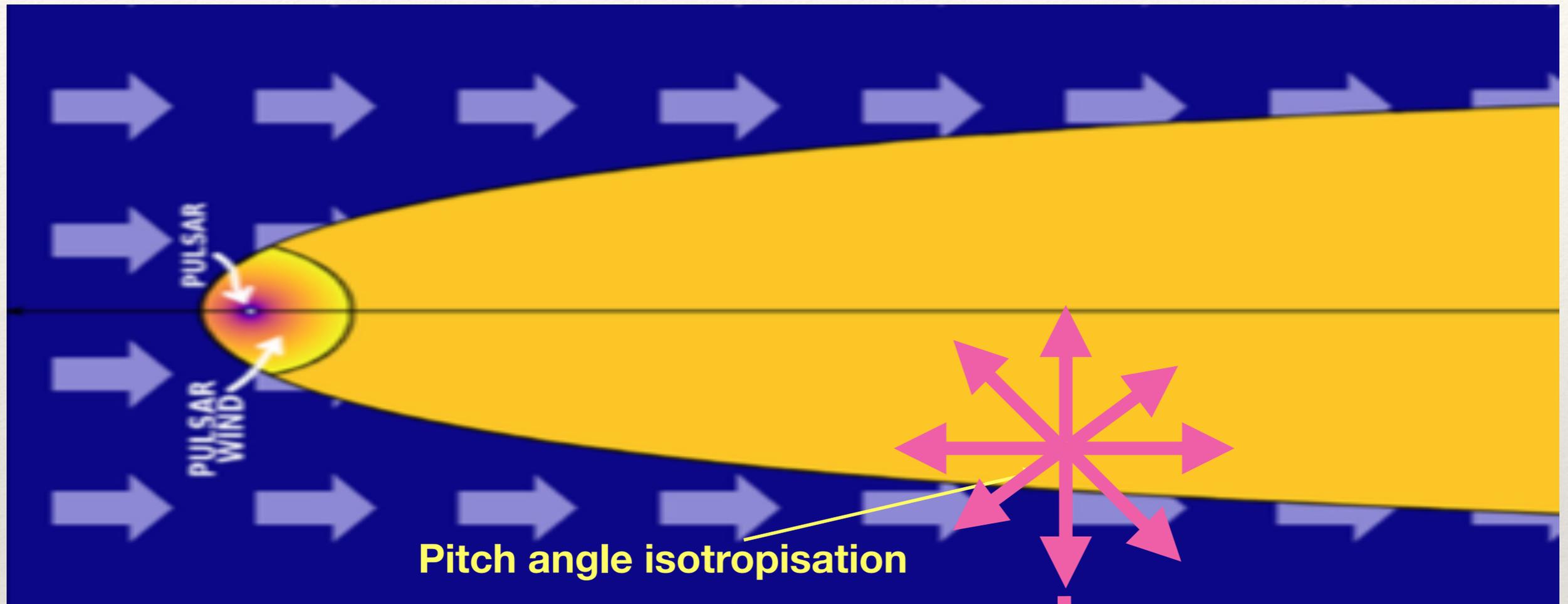
The Big Mystery: why the displacement?



The Big Mystery: why the displacement?



The Big Mystery: why the displacement?



IC
source
becomes
visible



Numerical modelling with CRIPTIC

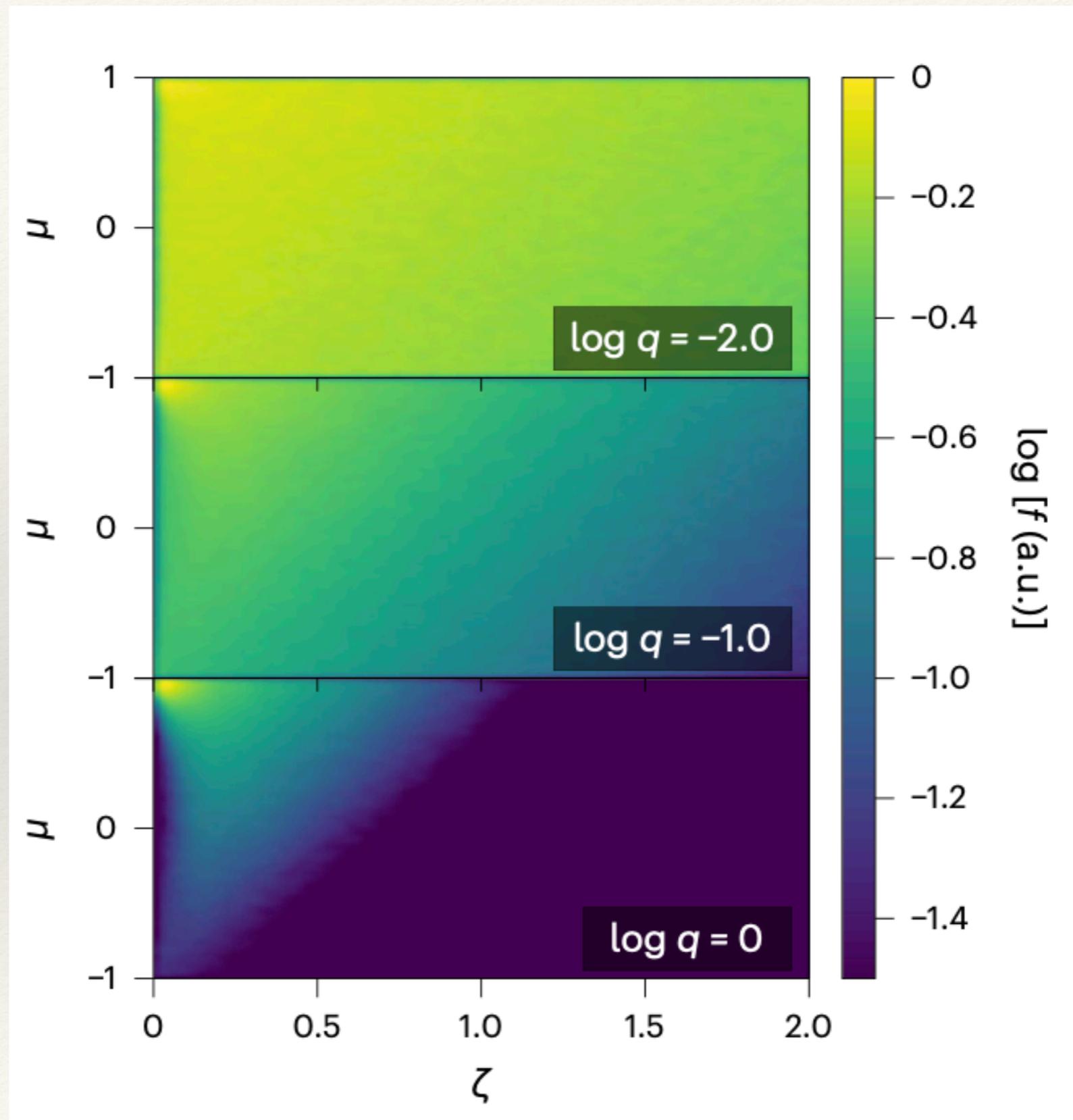
- ❖ Non-dimensionalise the transport equation which includes a pitch angle diffusion term (energy independent for simplicity)
- ❖ CRIPTIC (Krumholz+2022) transforms the PDE into an Ito stochastic ODE describing the evolution of sample CR packets
- ❖ CRIPTIC propagates the packets over a trajectory in the 3D configuration space = (1D position, magnitude momentum, pitch angle)
- ❖ The CR distribution function is found from a kernel density estimate over the ensemble of trajectories

Results with CRIPTIC

$$q = \frac{p}{p_0}$$

p_0 : momentum
where (synchrotron
loss time) =
(pitch angle
scattering time)

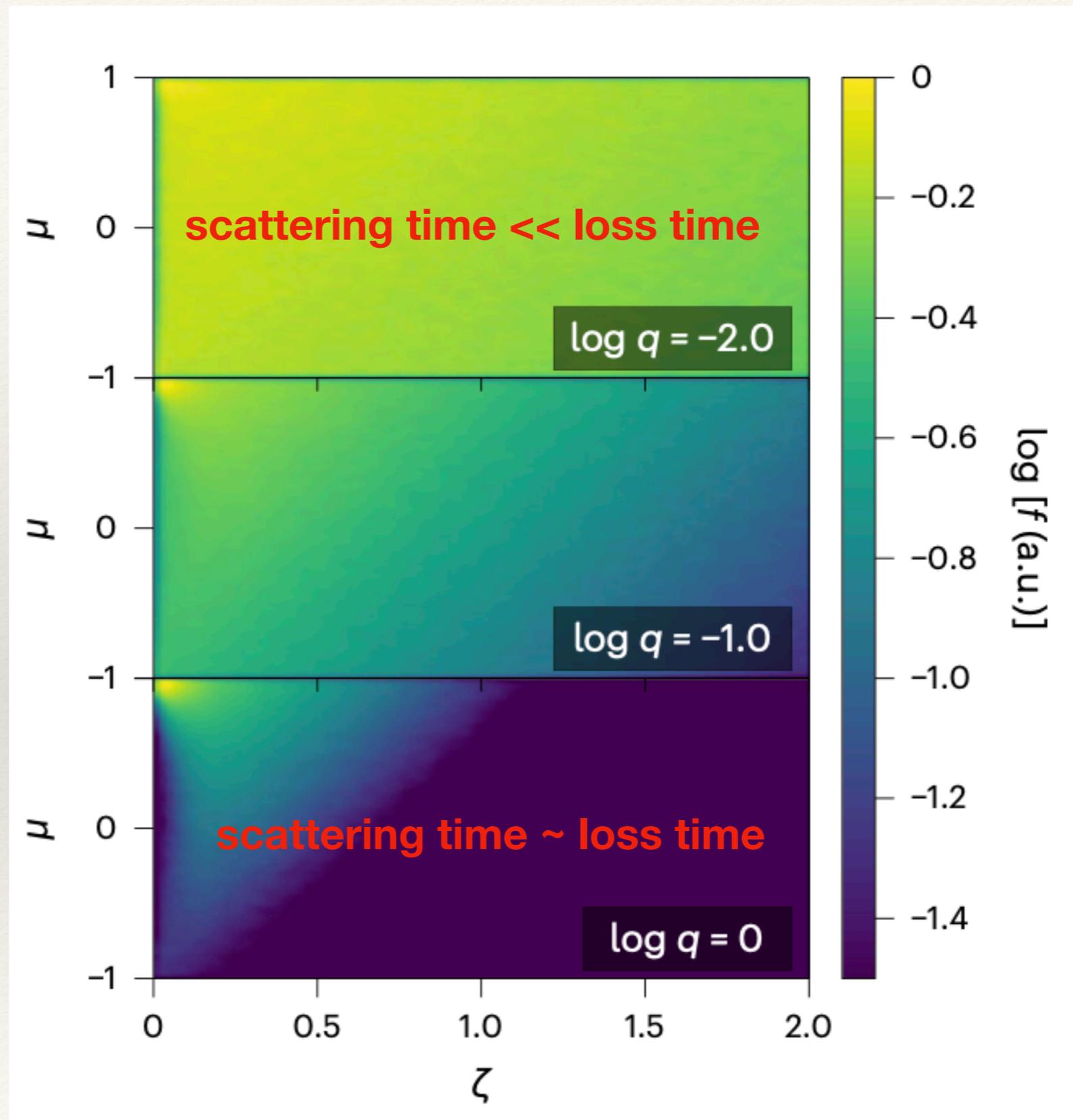
$$\zeta = (K_\mu/c)z$$



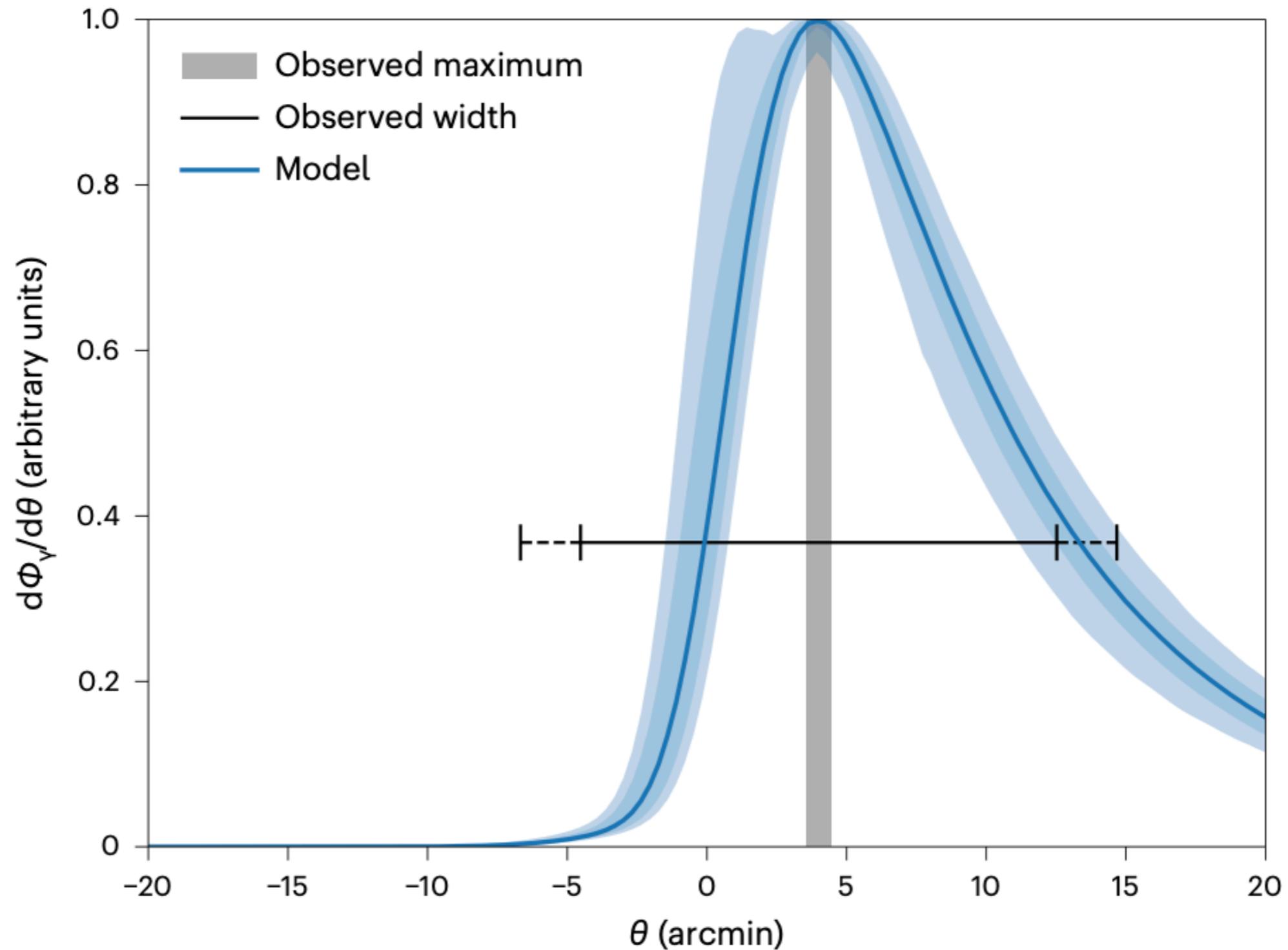
Results with CRIPTIC

$$q = \frac{p}{p_0}$$

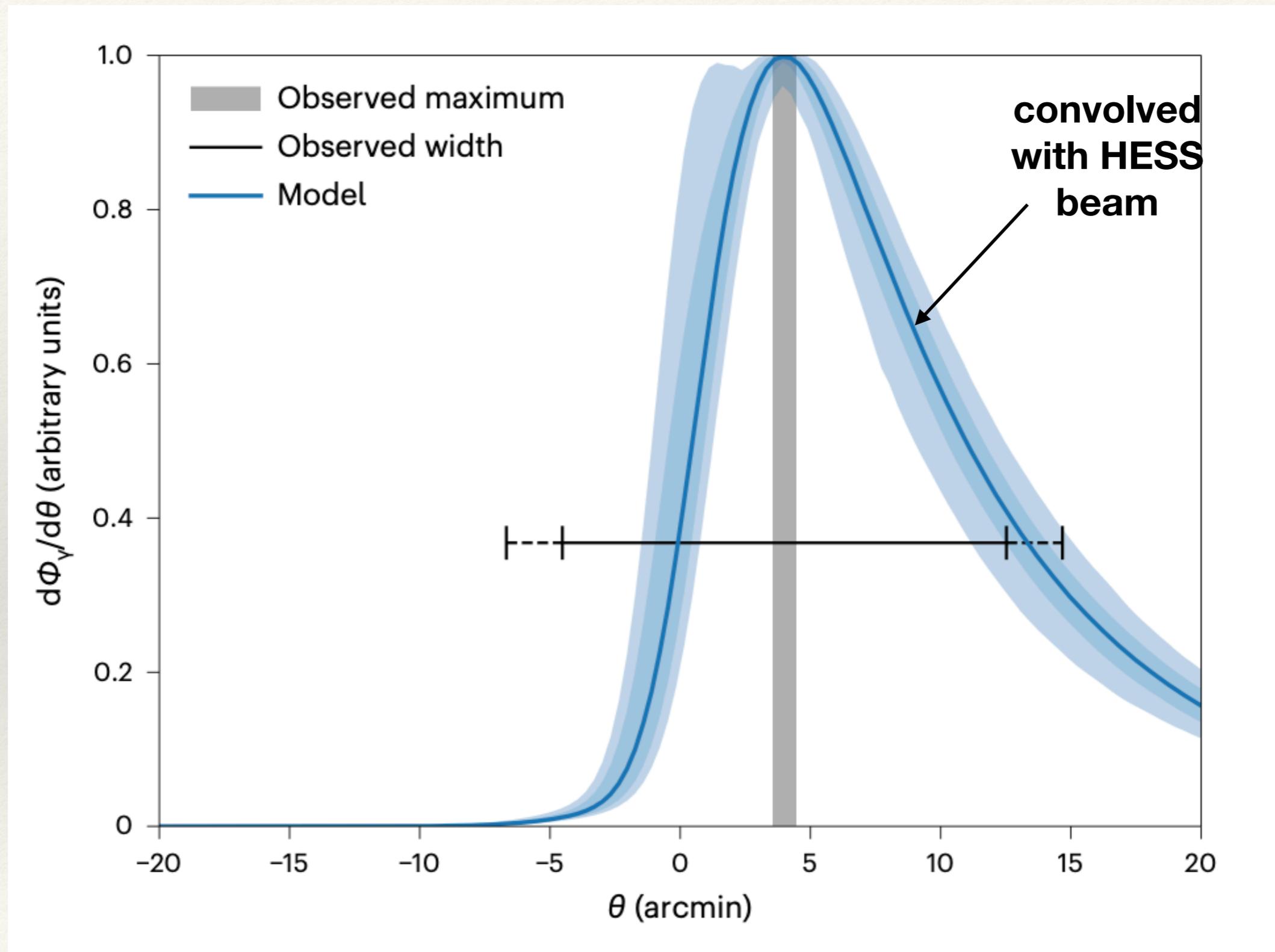
p_0 : momentum
where (synchrotron
loss time) =
(pitch angle
scattering time)



Results with CRIPTIC

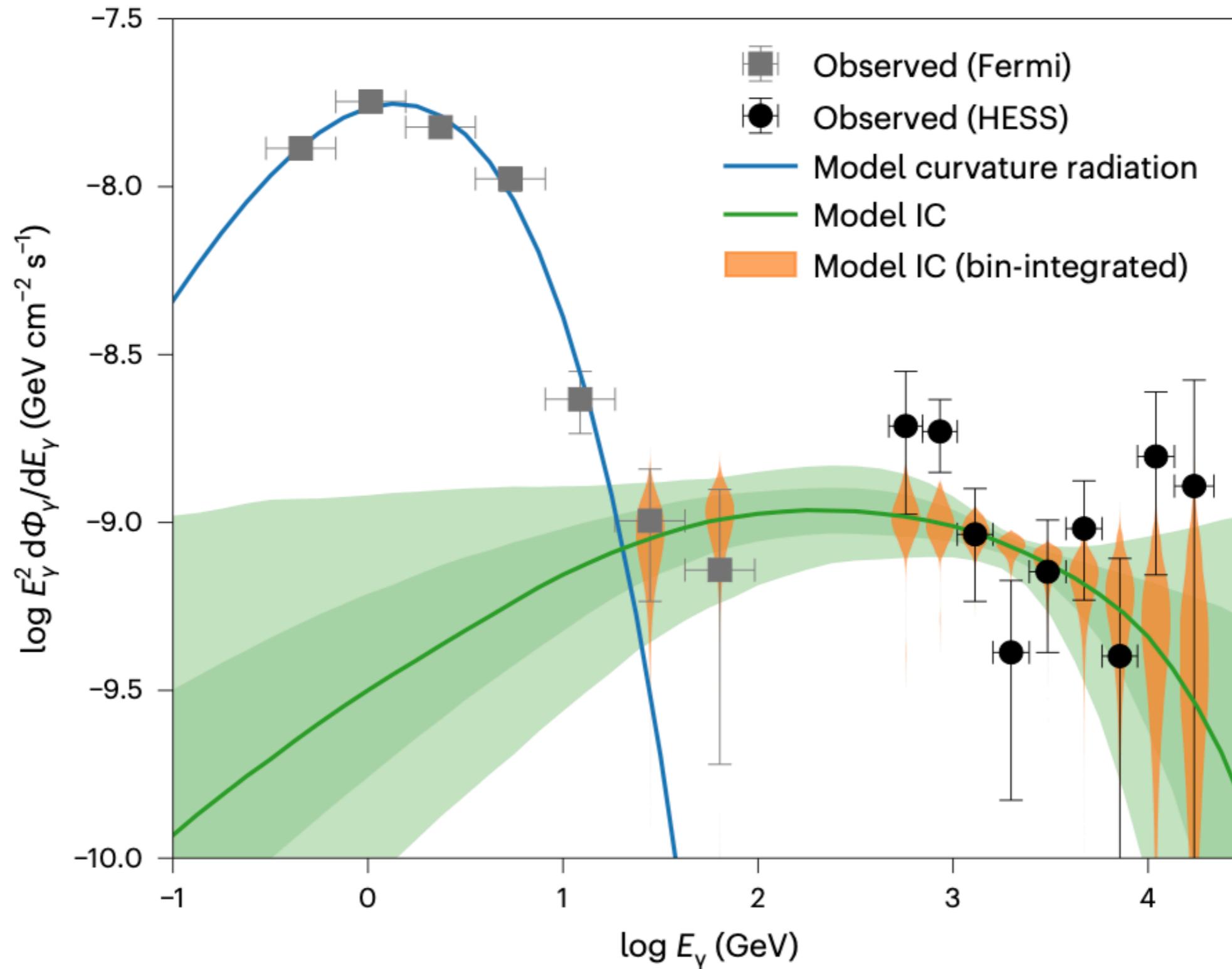


Results with CRIPTIC



[The width of the profile is also a good match to the HESS observations.]

Results with CRIPTIC



Results with CRIPTIC

- ❖ good fits require pitch angle scattering coefficient:

$$K_{\mu} = 1.1_{-0.9}^{+1.5} \times 10^{-10} \text{ s}^{-1} \quad \dots \text{i.e., } t_{\text{pitch}} \sim 300 \text{ yr}$$

- ❖ Implies spatial diffusion coefficient:

$$K_x = c^2 / 6K_{\mu} = 1.4_{-0.8}^{+5.5} \times 10^{30} \text{ cm}^2 \text{ s}^{-1}$$

- ❖ We can also determine that

$$B = 110_{-40}^{+80} \text{ } \mu\text{G}$$

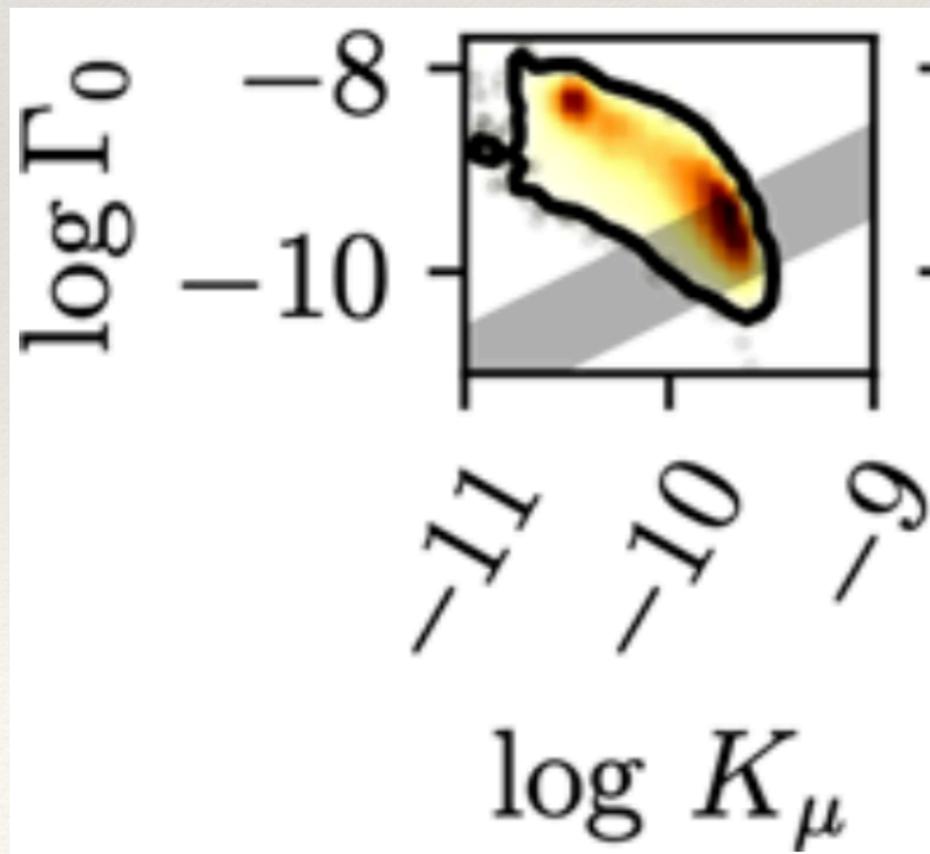
Results consistent with *self-confinement*

The measured pitch-angle scattering rate is consistent with that expected from Alfvén waves driven by (resonant) streaming of *the CR electrons themselves*:

$$K_{\mu} = 1.1_{-0.9}^{+1.5} \times 10^{-10} \text{ s}^{-1}$$



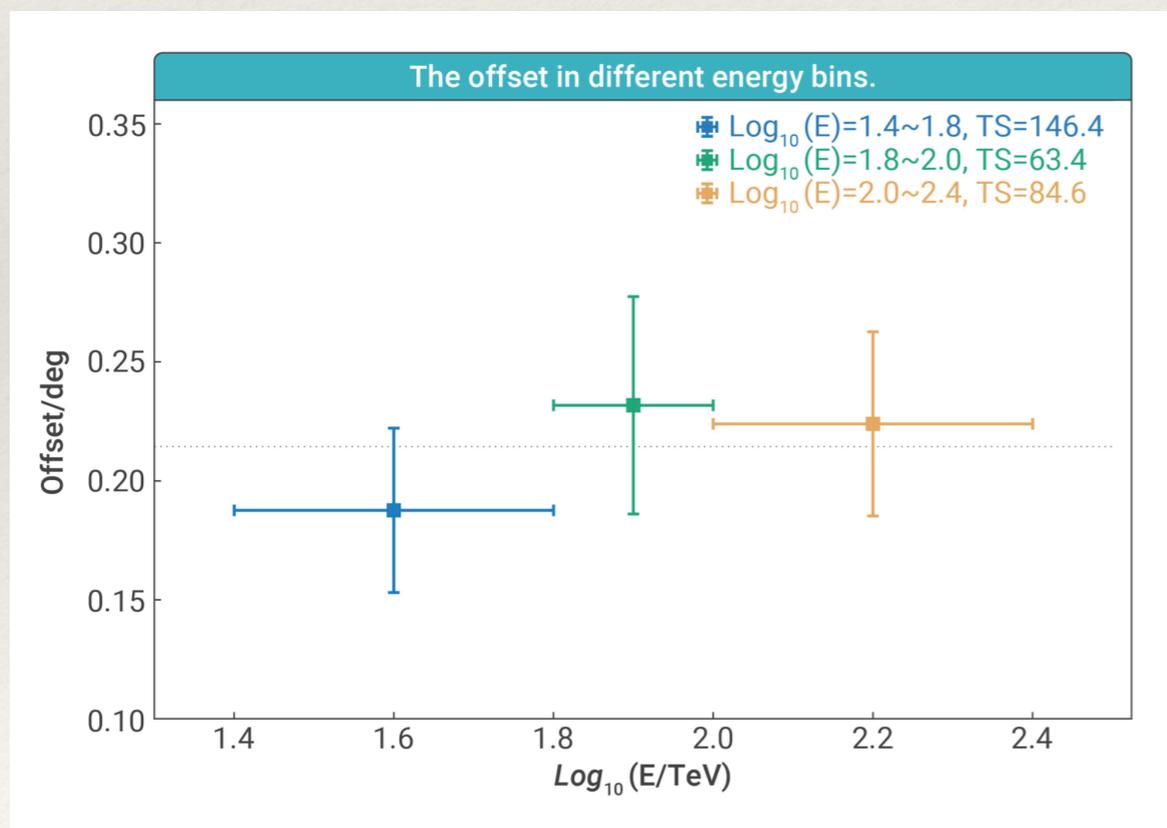
$$\Gamma_0 = 7.2_{-6.5}^{+56} \times 10^{-10} \text{ s}^{-1}$$



$$\Gamma_{\text{si}}(>p) \approx \Omega_B \frac{m_e}{m_p} \frac{n_{\text{CR}}(>p)}{n_{\text{H}}} \frac{v_{\text{str}}(>p)}{v_A},$$

1LHAASO J1740+0948u: another example?

- ❖ Bow-shock pulsar wind nebula with magnetotail seen in X-ray
- ❖ Offset gamma-ray source in direction of tail, ~ 5 pc from pulsar, spin-down power: $\sim 2e35$ erg/s



- ❖ Would need a similar pitch angle scattering rate as Ter5, $\sim 1e-10$ /s, but at higher energies, $\sim >100$ TeV
- ❖ Might be possible given reduced cross-section of tail \Rightarrow larger particle density

$$\Gamma_{si>(>p) \approx \Omega_B \frac{m_e}{m_p} \frac{n_{CR>(>p)} v_{str>(>p)}{n_H v_A},$$

Summary

- ❖ The displaced TeV source associated to Terzan 5 may reveal pitch-angle isotropisation *in progress*
- ❖ This mechanism may operate in other objects

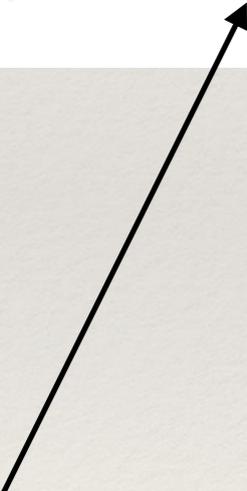
Extra Slides

Transport model

$$\frac{\partial f}{\partial t} = -\mu c \frac{\partial f}{\partial z} + \frac{\partial}{\partial \mu} \left[(1 - \mu^2) K_\mu \frac{\partial f}{\partial \mu} \right] + \frac{m_e c}{t_{c,0}} \frac{1}{p^2} \frac{\partial}{\partial p} \left[p^2 (1 - \mu^2) \left(\frac{p}{m_e c} \right)^2 f \right] + \dot{N} \frac{dn}{dp} \delta(z) \Theta(\mu - \mu_0),$$

Transport model

$$\frac{\partial f}{\partial t} = -\mu c \frac{\partial f}{\partial z} + \frac{\partial}{\partial \mu} \left[(1 - \mu^2) K_{\mu} \frac{\partial f}{\partial \mu} \right] + \frac{m_e c}{t_{c,0}} \frac{1}{p^2} \frac{\partial}{\partial p} \left[p^2 (1 - \mu^2) \left(\frac{p}{m_e c} \right)^2 f \right] + \dot{N} \frac{dn}{dp} \delta(z) \Theta(\mu - \mu_0),$$

$$\mu = \cos \theta$$


Transport model

Pitch angle diffusion

$$\frac{\partial f}{\partial t} = -\mu c \frac{\partial f}{\partial z} + \frac{\partial}{\partial \mu} \left[(1 - \mu^2) K_{\mu} \frac{\partial f}{\partial \mu} \right] + \frac{m_e c}{t_{c,0}} \frac{1}{p^2} \frac{\partial}{\partial p} \left[p^2 (1 - \mu^2) \left(\frac{p}{m_e c} \right)^2 f \right] + \dot{N} \frac{dn}{dp} \delta(z) \Theta(\mu - \mu_0),$$

$$\mu = \cos \theta$$

Transport model

Pitch angle diffusion

$$\frac{\partial f}{\partial t} = -\mu c \frac{\partial f}{\partial z} + \frac{\partial}{\partial \mu} \left[(1 - \mu^2) K_{\mu} \frac{\partial f}{\partial \mu} \right] + \frac{m_e c}{t_{c,0}} \frac{1}{p^2} \frac{\partial}{\partial p} \left[p^2 (1 - \mu^2) \left(\frac{p}{m_e c} \right)^2 f \right] + \dot{N} \frac{dn}{dp} \delta(z) \Theta(\mu - \mu_0),$$

$$\mu = \cos \theta$$

Transport model

Pitch angle diffusion

$$\frac{\partial f}{\partial t} = -\mu c \frac{\partial f}{\partial z} + \frac{\partial}{\partial \mu} \left[(1 - \mu^2) K_\mu \frac{\partial f}{\partial \mu} \right] + \frac{m_e c}{t_{c,0}} \frac{1}{p^2} \frac{\partial}{\partial p} \left[p^2 (1 - \mu^2) \left(\frac{p}{m_e c} \right)^2 f \right] + \dot{N} \frac{dn}{dp} \delta(z) \Theta(\mu - \mu_0),$$

$$\mu = \cos \theta$$

Continuous
momentum loss
(synchrotron)

Transport model

Pitch angle diffusion

$$\frac{\partial f}{\partial t} = -\mu c \frac{\partial f}{\partial z} + \frac{\partial}{\partial \mu} \left[(1 - \mu^2) K_{\mu} \frac{\partial f}{\partial \mu} \right] + \frac{m_e c}{t_{c,0}} \frac{1}{p^2} \frac{\partial}{\partial p} \left[p^2 (1 - \mu^2) \left(\frac{p}{m_e c} \right)^2 f \right] + \dot{N} \frac{dn}{dp} \delta(z) \Theta(\mu - \mu_0),$$

$$\mu = \cos \theta$$

Continuous
momentum loss

Source
term

Energetics?

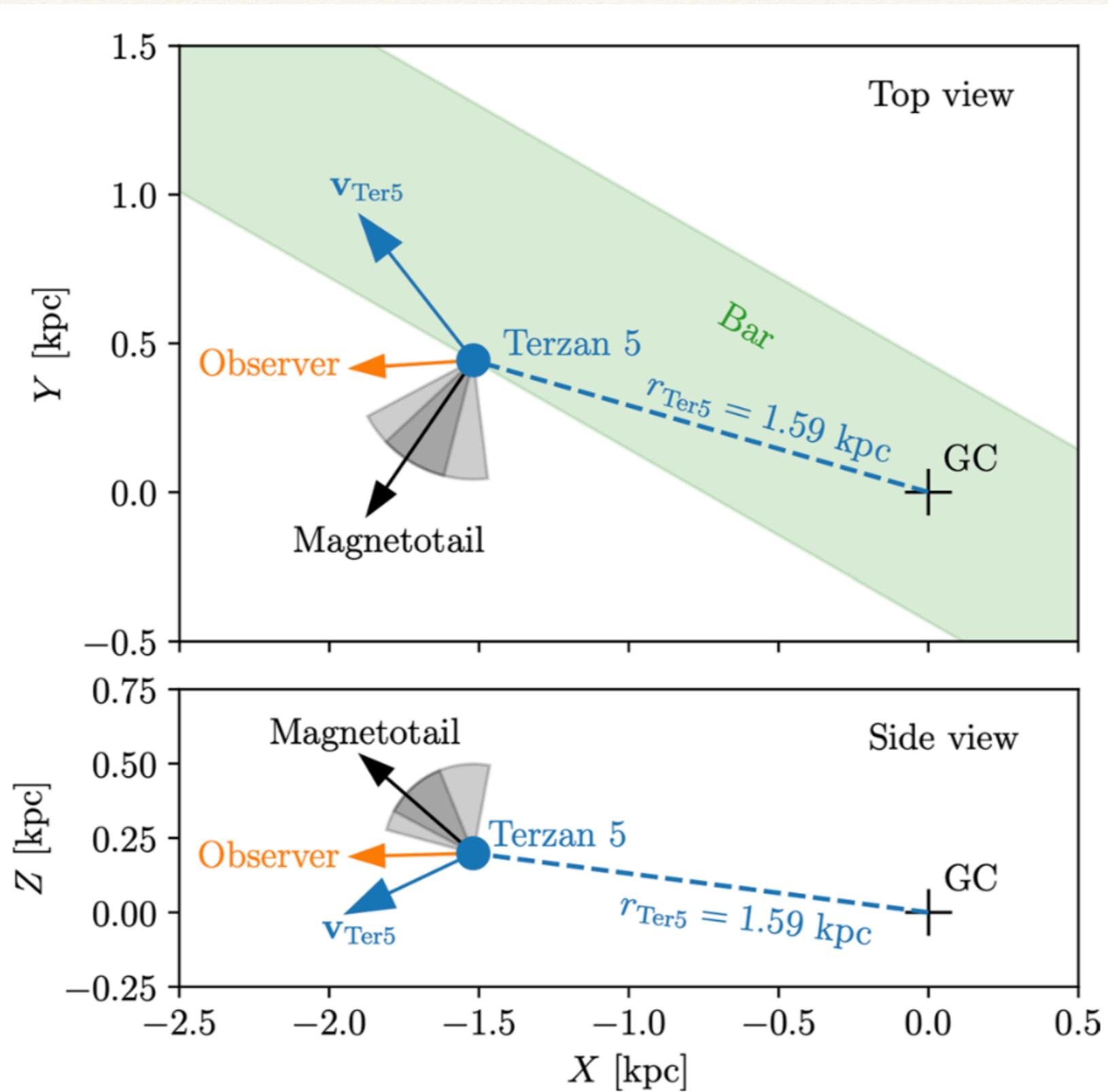
- ❖ $L_{\text{curv}} \sim 5 \cdot 10^{35} \text{ erg/s}$
- ❖ $L_{\text{IC}} \sim 5 \cdot 10^{34} \text{ erg/s}$
- ❖ $\dot{E}_{\text{s.d.}} \gtrsim 10^{37} \text{ erg/s}$...aggregated spin-down power 21 MSPs

Energetics?

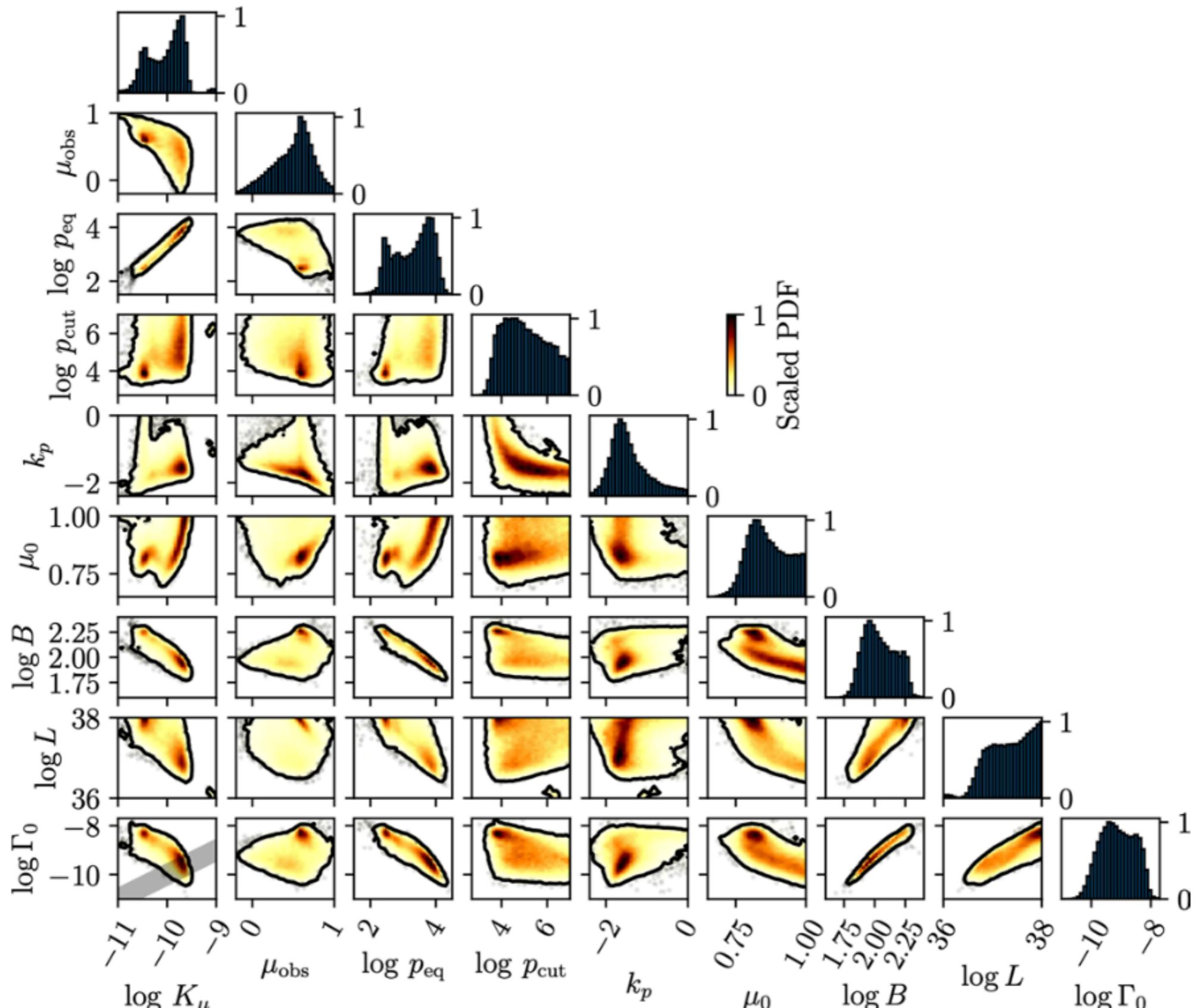
- ❖ $L_{\text{curv}} \sim 5 \cdot 10^{35} \text{ erg/s}$
- ❖ $L_{\text{IC}} \sim 5 \cdot 10^{34} \text{ erg/s}$
- ❖ $\dot{E}_{\text{s.d.}} \gtrsim 10^{37} \text{ erg/s}$...aggregated spin-down power 21 MSPs



Geometry



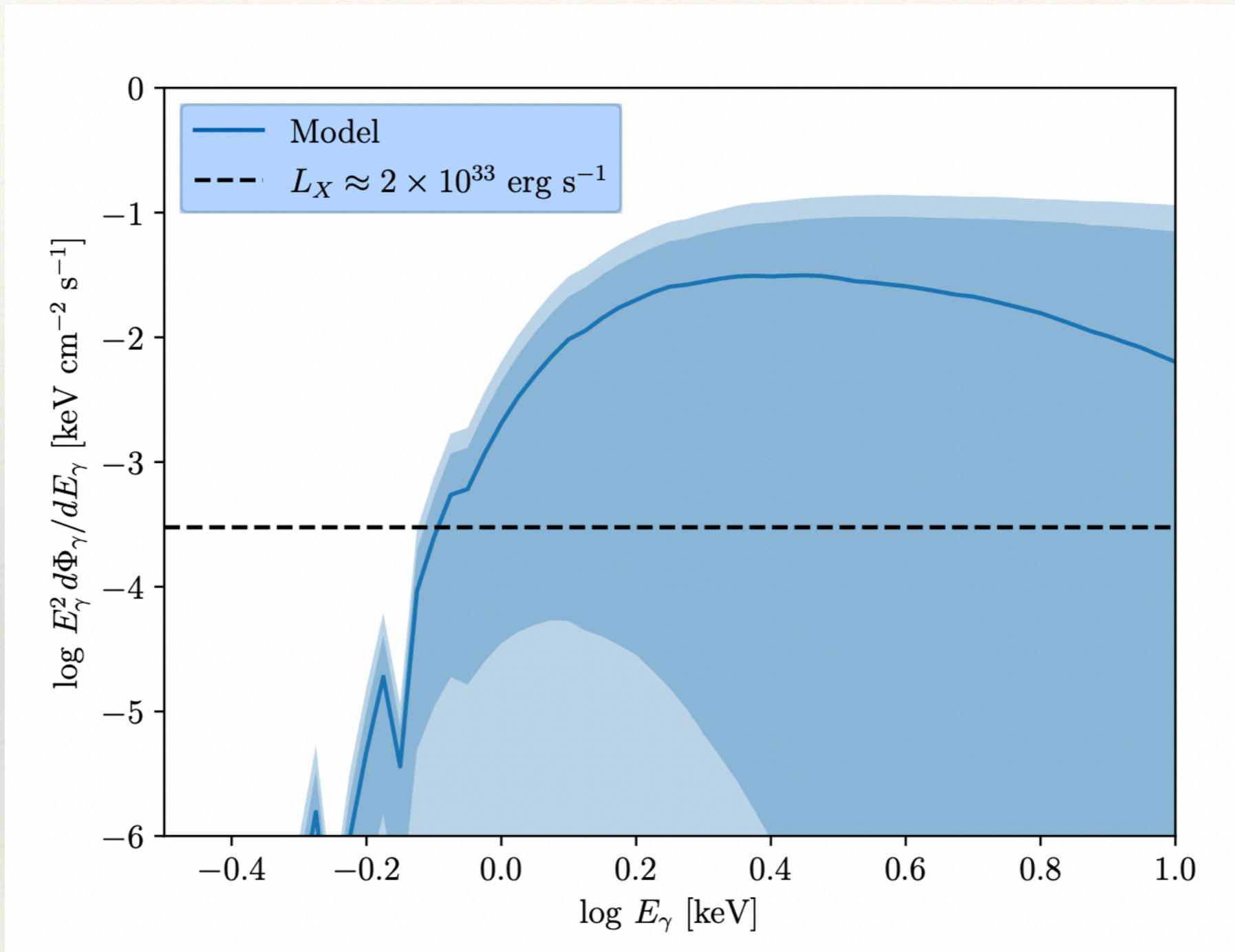
Corner plot



Marginal posteriors for model parameters

Quantity	Unit	Percentiles				
		2.28	15.89	50	84.13	97.72
χ_{red}^2	-	1.71	1.96	2.14	2.42	2.89
$\log K_{\mu}$	s^{-1}	-10.66	-10.44	-9.97	-9.70	-9.59
$\log p_{\text{eq}}$	GeV/c	2.34	2.60	3.40	3.87	4.14
$\log p_{\text{cut}}$	GeV/c	3.62	4.07	5.00	6.21	6.88
k_p	-	-2.11	-1.81	-1.51	-0.95	-0.22
μ_0	-	0.74	0.80	0.86	0.95	0.99
μ_{obs}	-	-0.06	0.24	0.54	0.71	0.88
$\log B$	μG	1.82	1.91	2.03	2.19	2.27
$\log L$	erg s^{-1}	36.59	36.89	37.39	37.83	37.98
$\log \Gamma_0$	s^{-1}	-10.18	-9.71	-9.14	-8.51	-8.20
$\log E_{\text{sy}}$	keV	-3.48	-2.93	-1.42	-0.55	-0.11

X-ray synchrotron?



Extended Data Figure 3 | Model-predicted synchrotron spectrum. The blue line shows the median synchrotron spectrum as a function of photon energy E_γ predicted by our best-fitting model, and the shaded blue bands around it show the 68% and 95% confidence intervals. The quantity shown includes the effects of interstellar absorption between Terzan 5 and the Sun, assuming a hydrogen column²⁸ $N_{\text{H}} = 2 \times 10^{22} \text{ cm}^{-2}$; the sharp features visible below 1 keV correspond to absorption edges. The black dashed line is an approximate limit corresponding to $L_X = 4\pi d_{\text{Ter5}}^2 E_\gamma^2 (d\Phi_\gamma/dE_\gamma) = 2 \times 10^{33} \text{ erg s}^{-1}$, the X-ray luminosity estimated by ref. ²⁸.

Emission from acceleration region?

$$L_{\text{acc}} \approx \frac{E_e}{t_{\text{IC}}} \approx \frac{t_{\text{esc}}}{t_{\text{IC}}} L_{\text{CR}}$$

$$t_{\text{IC}} = \frac{3m_e c}{4\gamma\sigma_T a_R T_{\text{CMB}}^4}$$

$$t_{\text{esc}} \approx \frac{R_{\text{acc}}^2}{\eta K_{\text{Bohm}}} = \frac{3eBR_{\text{acc}}^2}{\eta\gamma m_e c^3}$$

$$R_{\text{acc}} = \xi \frac{\gamma_{\text{cut}} m_e c^2}{eB} = 1.1 \times 10^{-3} p_{\text{cut}} B_2^{-1} \xi \text{ pc},$$

$$L_{\text{acc}} \approx \frac{4\sigma_T a_R T_{\text{CMB}}^4 \gamma_{\text{cut}}^2 \xi^2}{eB\eta} L_{\text{CR}} = 8.9 \times 10^{-7} p_{\text{cut},5}^2 B_2^{-1} \frac{\xi^2}{\eta} L_{\text{CR}}.$$

This implies a γ -ray flux from the accelerator region that is a factor of **~ 100 smaller** than the measured energy-integrated flux of the displaced γ -ray emission observed by HESS in the TeV band

Maximum energy?

❖ $E_{e,IC} \sim 100 \text{ TeV}$ (Thomson regime off CMB)

❖
$$E_{e,max} \sim \frac{70 \text{ TeV}}{\eta} \sqrt{f_B \dot{E}_{wind,37} v_{T5,2}} \quad [\text{Bykov+2017}]$$

Maximum energy?

❖ $E_{e,IC} \sim 100 \text{ TeV}$ (Thomson regime off CMB)

❖
$$E_{e,max} \sim \frac{70 \text{ TeV}}{\eta} \sqrt{f_B \dot{E}_{wind,37} v_{T5,2}} \quad [\text{Bykov+2017}]$$

$$v_{T5} \equiv v_{T5,2} \text{ 100 km/s}$$

$$\dot{E}_{wind} \equiv \dot{E}_{wind,37} 10^{37} \text{ erg/s}$$

Maximum energy?

❖ $E_{e,IC} \sim 100 \text{ TeV}$ (Thomson regime off CMB)

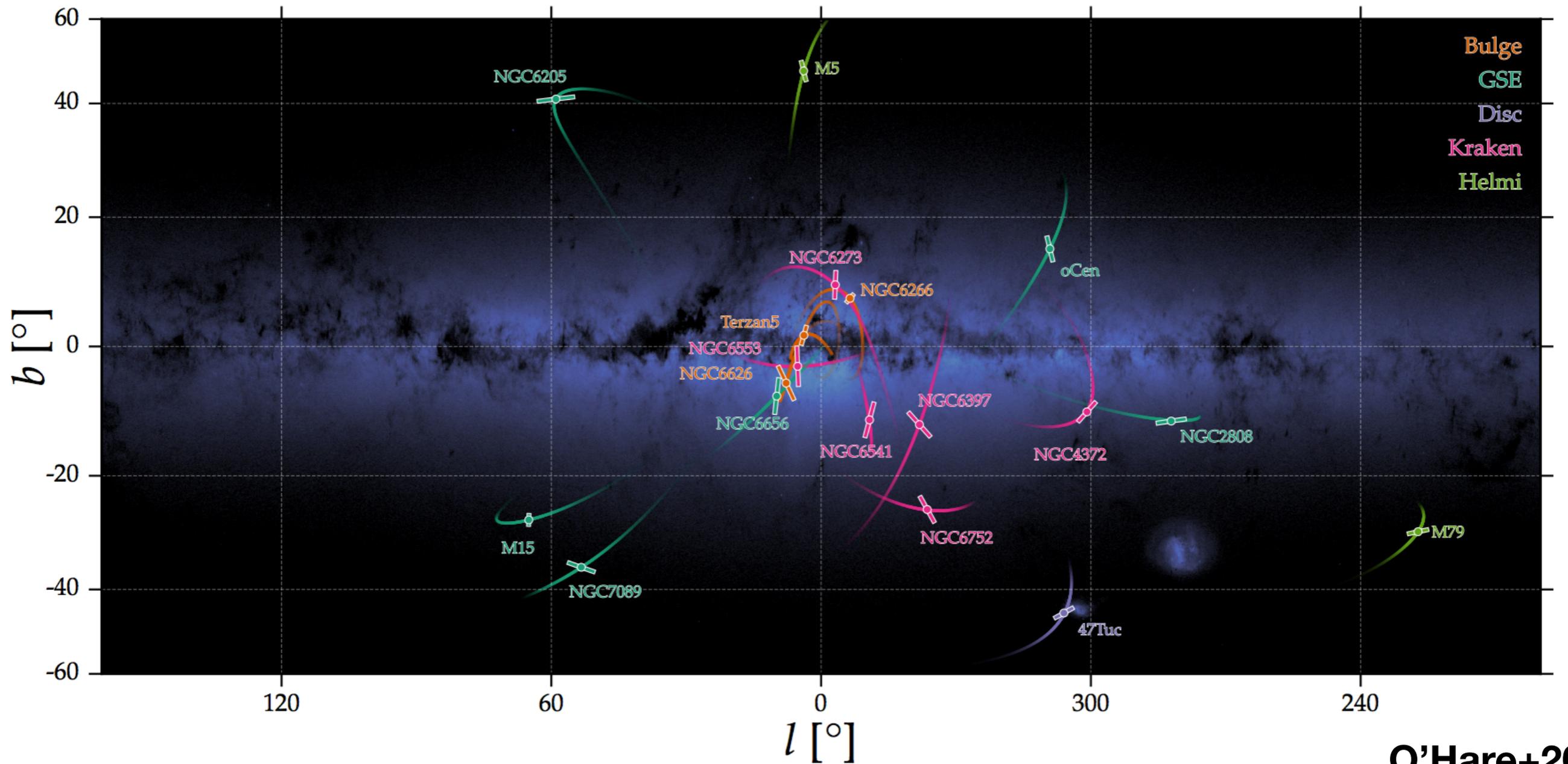
❖ $E_{e,max} \sim \frac{70 \text{ TeV}}{\eta} \sqrt{f_B \dot{E}_{wind,37} v_{T5,2}}$ [Bykov+2017]



Characteristic magnetic field

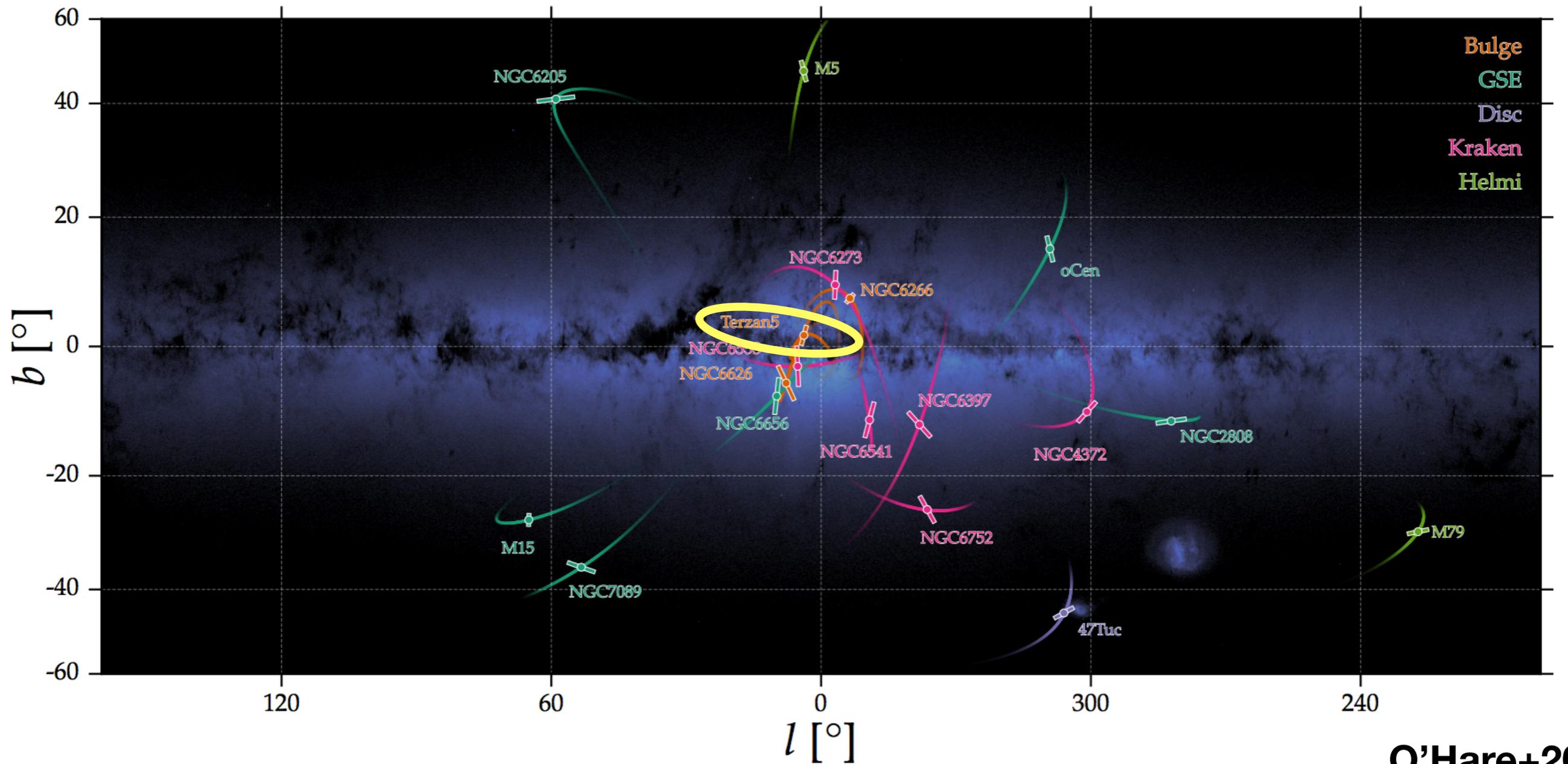
$$B \approx v_c \sqrt{4\pi\mu_H n_H} = 54(v_c/100 \text{ km s}^{-1})(n_H/1 \text{ cm}^{-3})^{1/2} \mu\text{G}.$$

Terzan 5 Globular Cluster



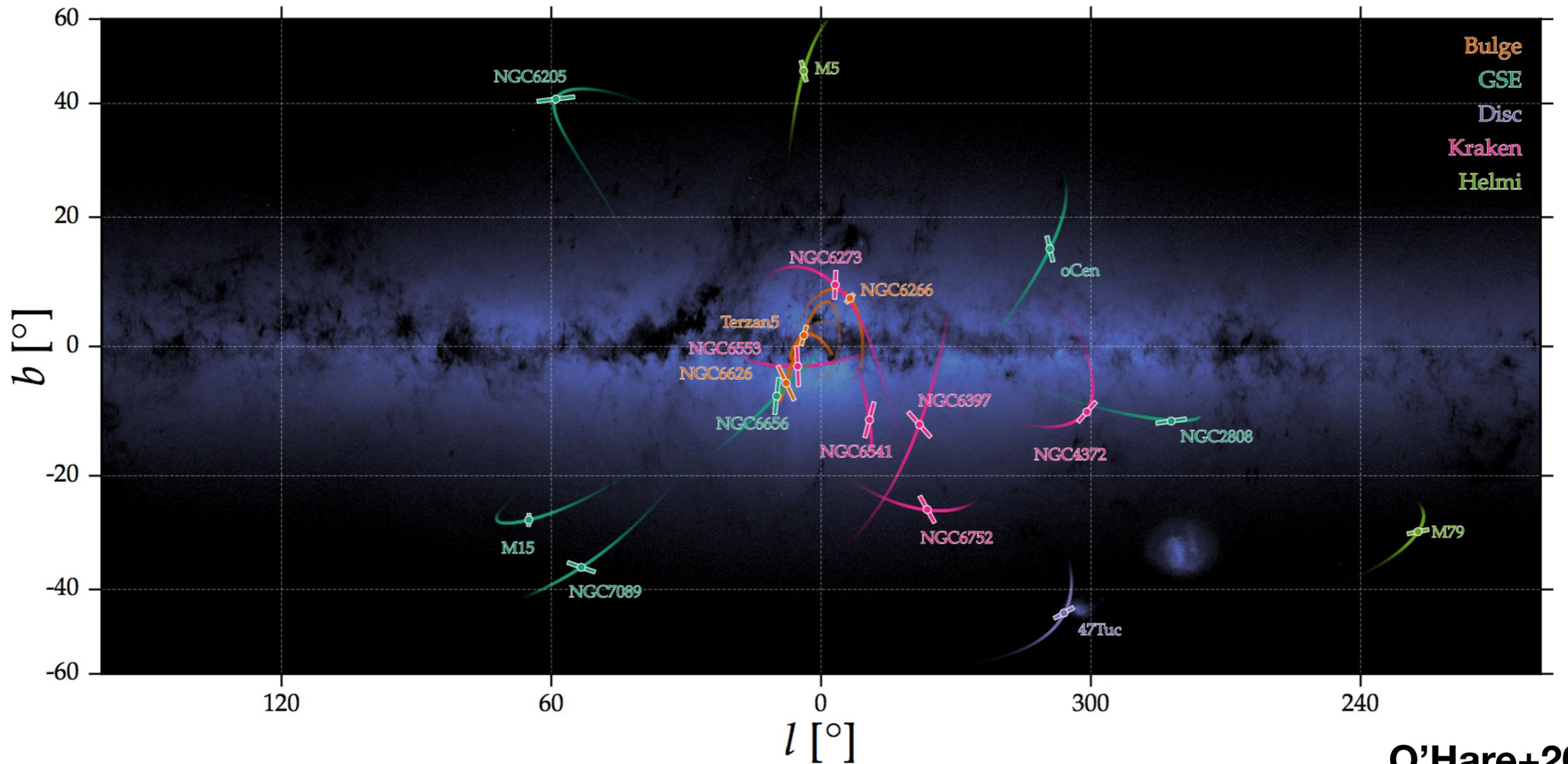
O'Hare+2023

Terzan 5 Globular Cluster



O'Hare+2023

Terzan 5 Globular Cluster



O'Hare+2023