

Femtoscopic Measurements of Charged Kaons in Au+Au Collisions at STAR FXT energies

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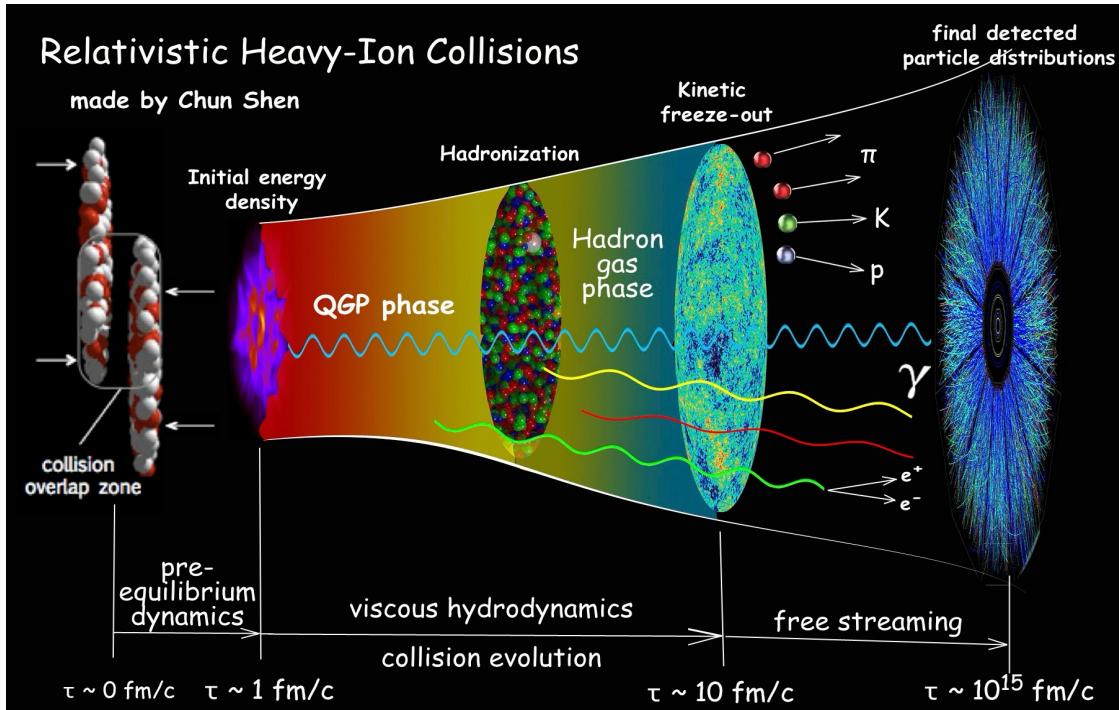
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- 2. Femtoscopy and STAR detectors**
- 3. Analysis Details**
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Motivation



<https://u.osu.edu/vishnu/2014/08/06/sketch-of-relativistic-heavy-ion-collisions/>

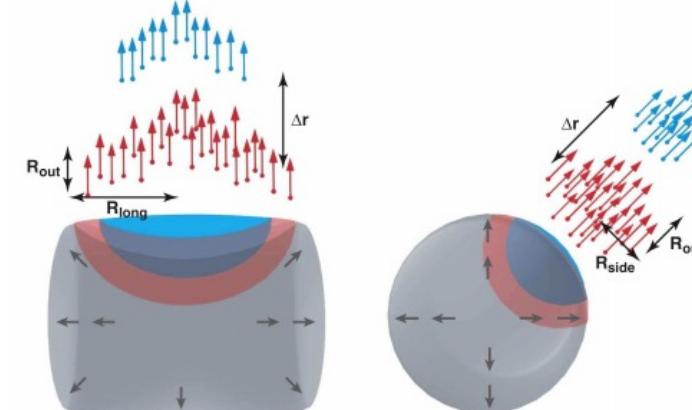
❖ **Decode space and time evolution of source at kinetic freeze-out.**

❖ **Why study kaons?**

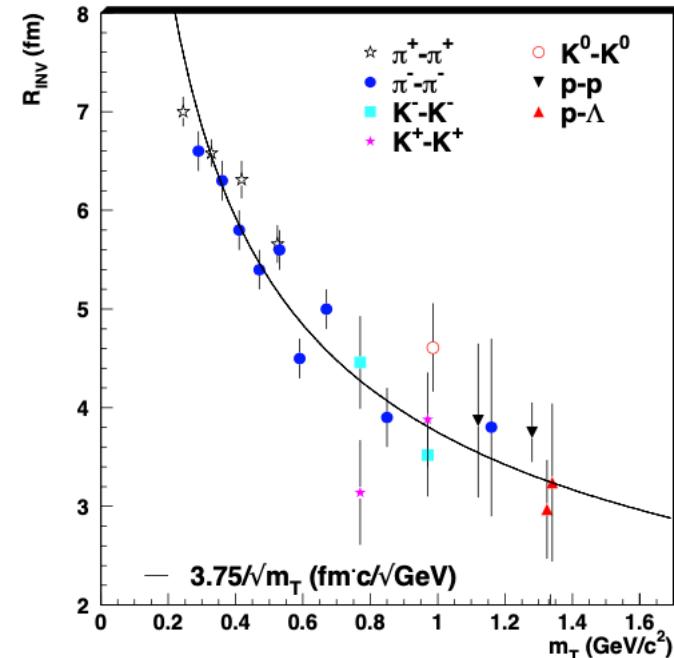
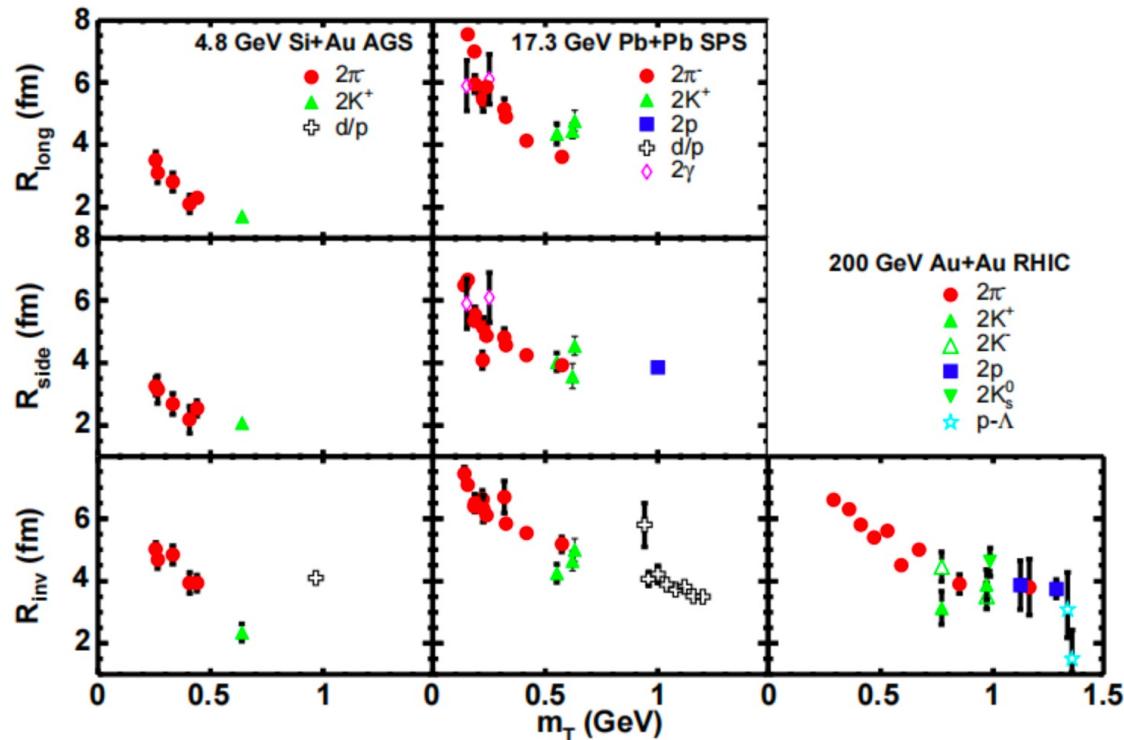
- 1) less contribution from resonances decay
- 2) smaller rescattering cross-section

❖ **Two-particle correlations are sensitive to:**

- 1) Quantum Statistics (QS);
- 2) Final State Interactions (FSI)



Motivation - m_T -scaling



- ❖ High-energy collisions (200 GeV) show universal m_T -scaling of source radii across particle species, consistent with collective hydrodynamic expansion.
- ❖ Does the universal m_T -scaling of source radii survive at lower collision energies?

M.A. Lisa, S. Pratt, R. Soltz, and U. Wiedemann. Ann. Rev. Nucl. Part. Sci. 10.55:311, 2005

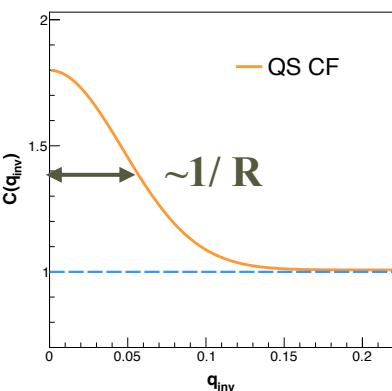
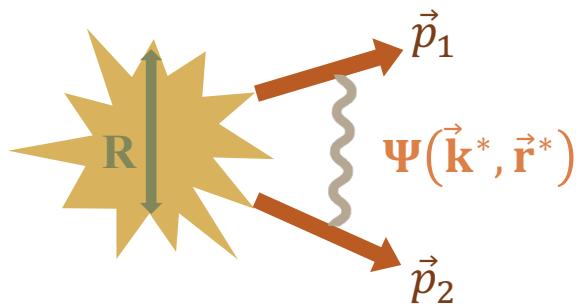
Femtoscopy

$$C(q_{inv}) = \int S(\vec{r}^*) |\Psi(q_{inv}, \vec{r}^*)|^2 d^3\vec{r}^* = \mathcal{N} \frac{N_{same}(q_{inv})}{N_{mixed}(q_{inv})}$$

Assumed Determined

Measured

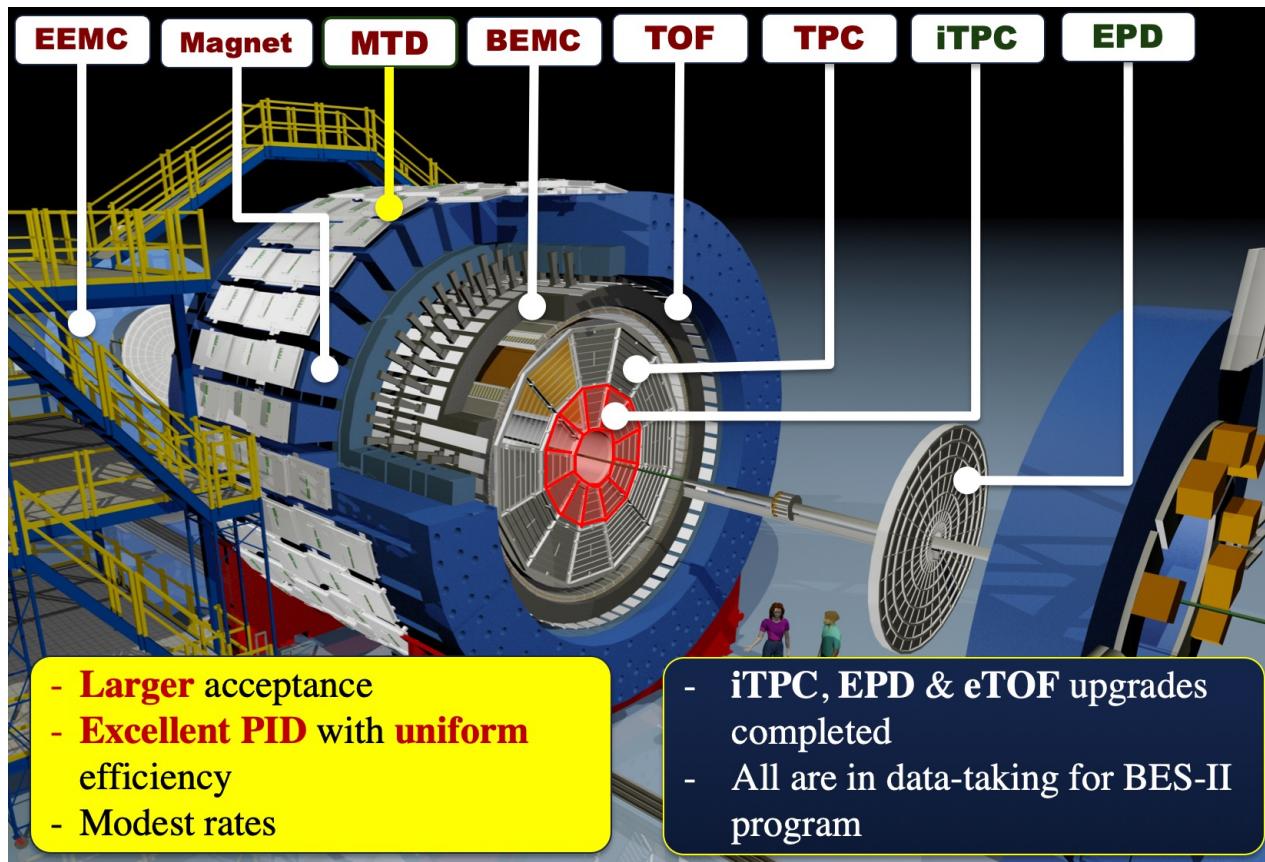
- ❖ If we assume that we know the **emission function**, the **measured correlation function** can be used to determine **parameters of final state interactions**.



\vec{r}^* : relative distance of the emitters in the Pair Rest Frame
 (PRF: in which frame the total momentum of the pair is zero)
 $S(\vec{r}^*)$: emission function
 q_{inv} : relative invariant momentum in PRF
 $\Psi(q_{inv}, \vec{r}^*)$: two-particle wave function
 $\mathcal{N} \frac{N_{same}(q_{inv})}{N_{mixed}(q_{inv})}$: measured correlation function

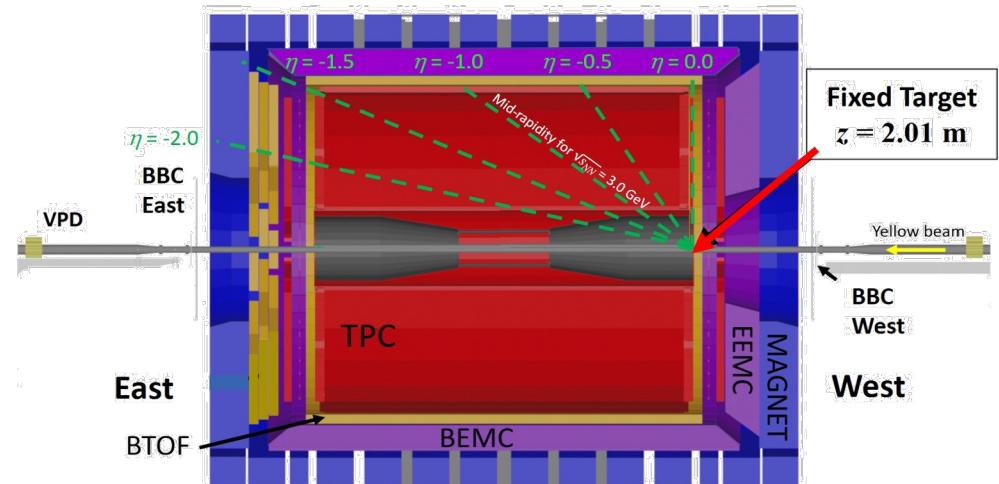
[1] Phys. Lett. B, 432(3-4), 248-257 (1998)

STAR Experimental Setup



Main sub-detectors for PID

- ❖ Time Projection Chamber (TPC): Ionization energy loss (dE/dx)
- ❖ Time of Flight (TOF): m^2



BES-II Upgrades

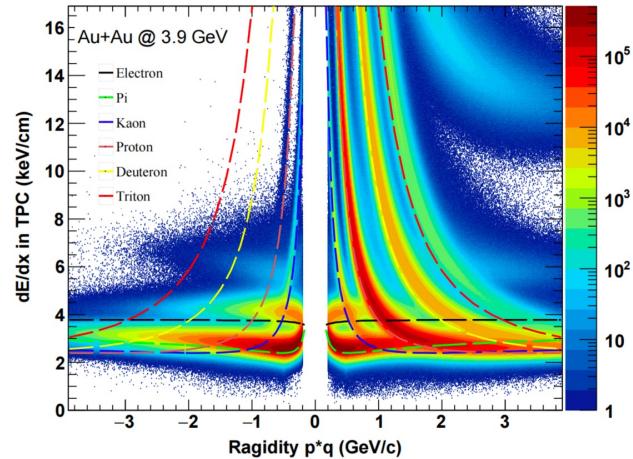
- ❖ Inner-Time Projection Chamber (iTPC)
Extended eta acceptance and improved tracking and dE/dx resolution
- ❖ Endcap Time of Flight (eTOF)
Extended PID coverage
- ❖ Event Plane Detector (EPD)
Improved Event plane resolution

Fixed-Target Experiment

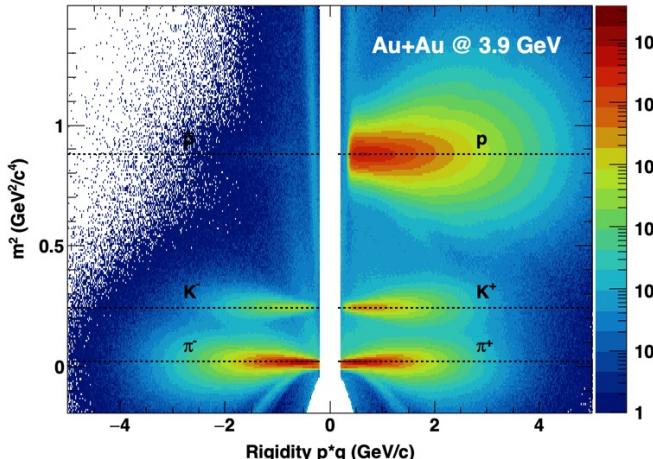
- ❖ FXT extends energy reach down to 3 GeV ($\mu_B = 750 \text{ MeV}$)

Analysis details – PID

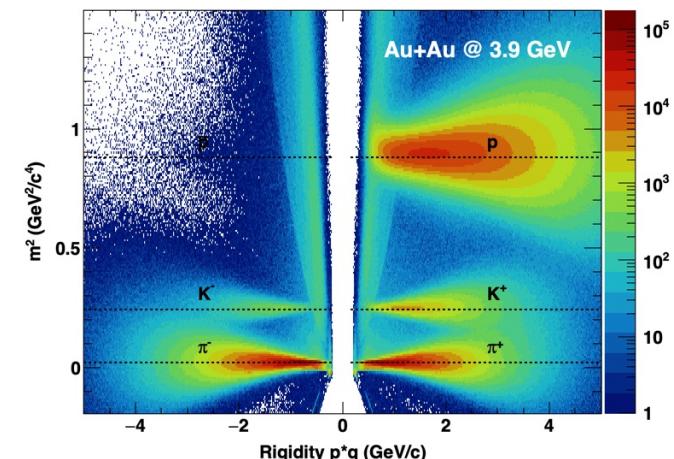
TPC



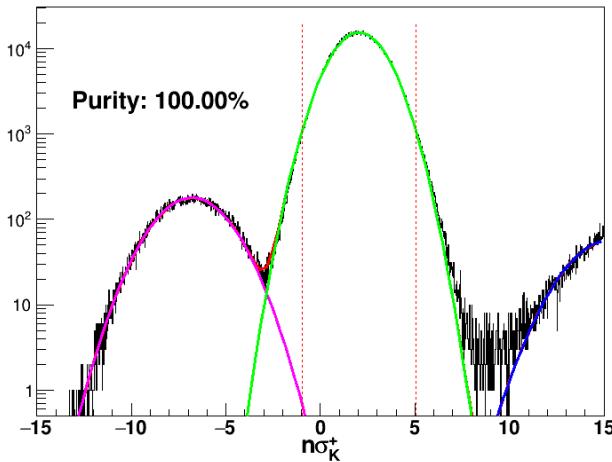
bToF



eToF



$p(0.5,0.6)$ GeV/c



Fit function: Tri-Gaussian
 K^+ fit function: Gaussian_{green}

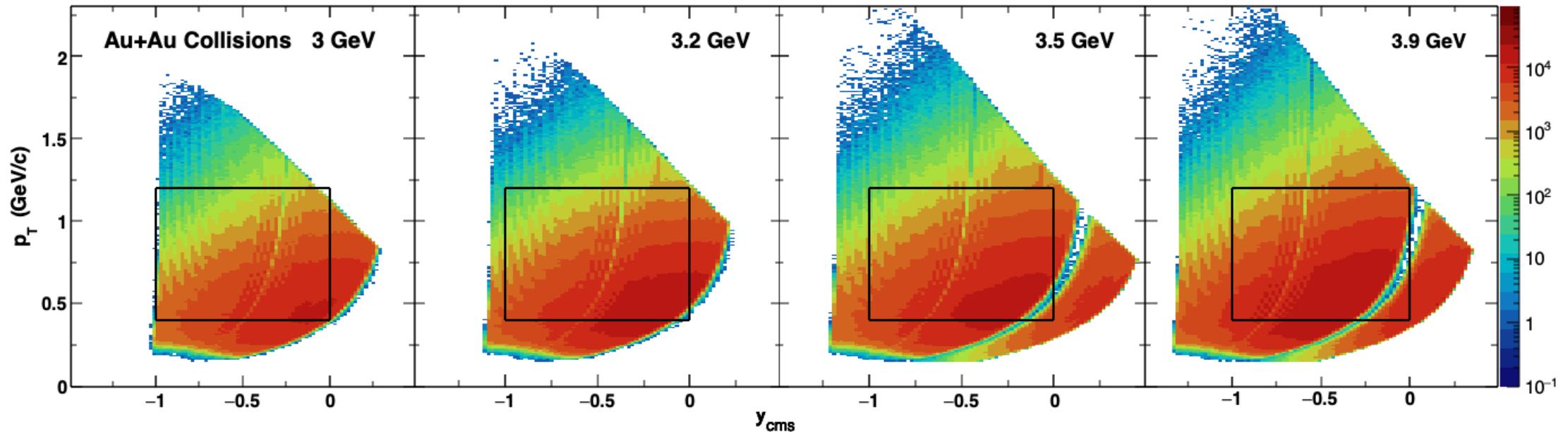
Integral range: ($\mu-3, \mu+3$)

For p (0.2, 2) GeV/c, Purity > 95%

Take 3.2 GeV as an example

- ❖ K^+ are identified by TPC and ToF
- ❖ Good particle identification capability

Analysis details – Acceptance



- ❖ Analysis window: $p_T(0.4, 1.2)$ GeV/c; $y(-1.0, 0.0)$
- ❖ Good coverage from beam-rapidity to mid-rapidity within eToF

Analysis details – Corrections

$-0.5 < SL < 0.6$

$$\text{Splitting Level (SL)} \equiv \frac{\sum_i S_i}{N\text{hits}_1 + N\text{hits}_2} [1]$$

$S_i = +1$: one hit; $S_i = -1$: two hits; $S_i = 0$: no hit

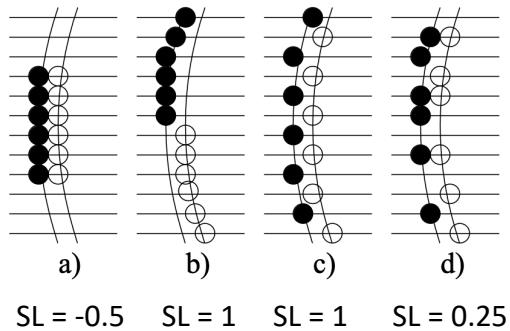
Raw CF

Track splitting

Track merging

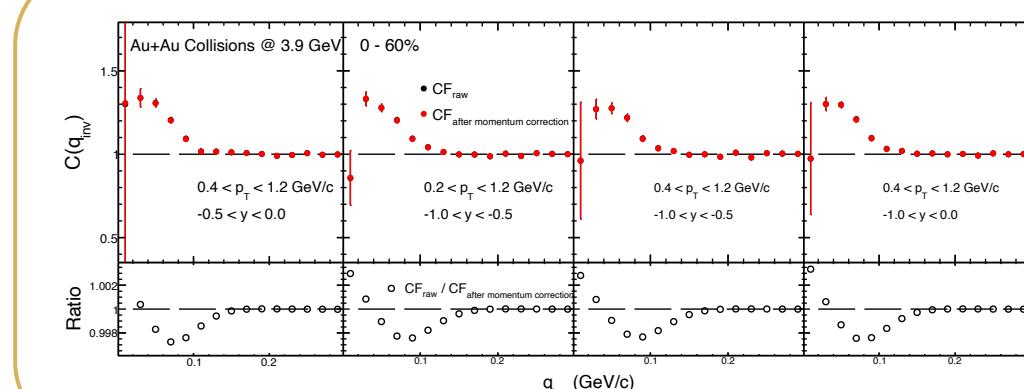
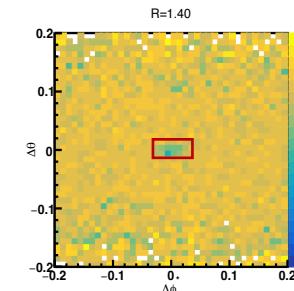
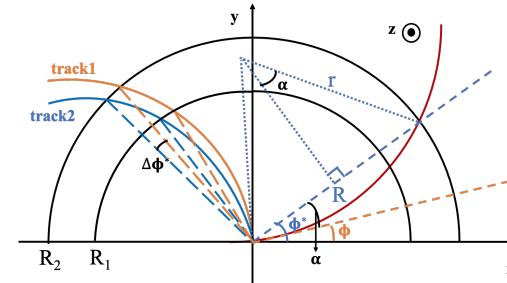
Momentum smearing correction

K^+K^+ CF



[1] arXiv:nul-ex/0411036

$$|\Delta\theta| > 0.02 \quad \text{||} \quad |\Delta\phi^*(R = 1.4m)| > 0.05$$



UrQMD Simulation

Simulation in UrQMD

Phase space
from UrQMD

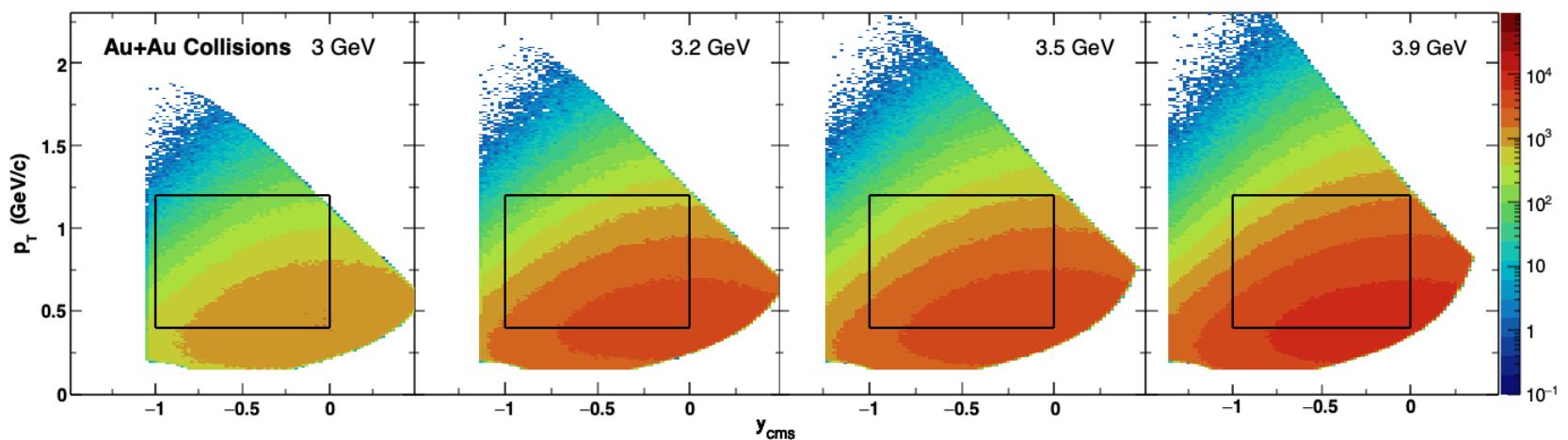


FSI from *Correlation After Burner* (CRAB)

for correlations between pair:

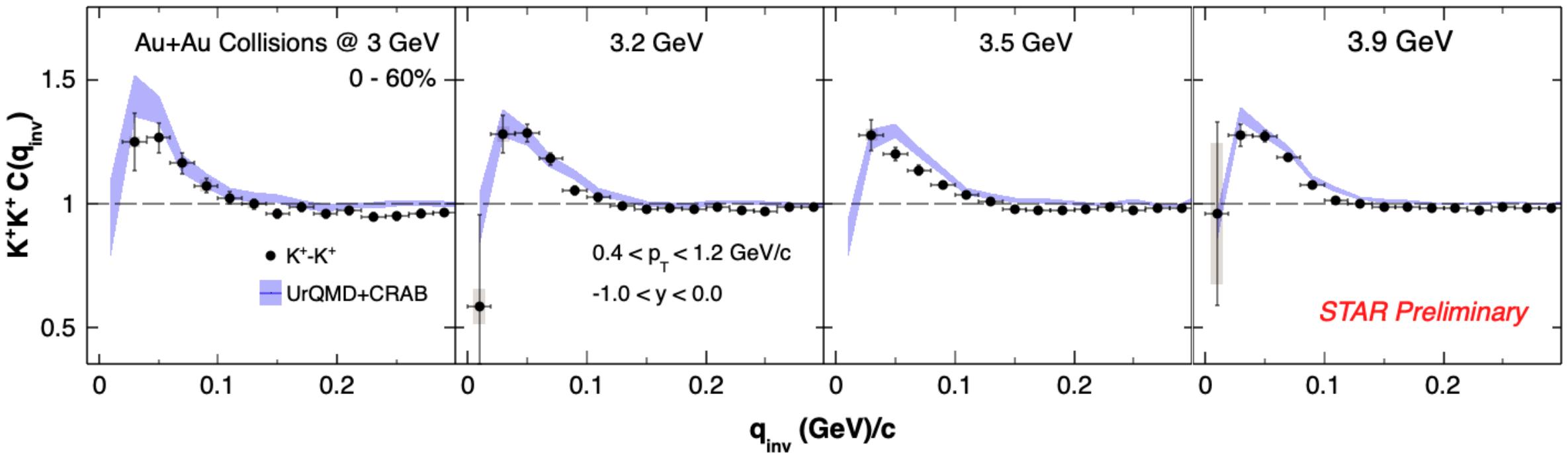
- Quantum statistics effects;
- Coulomb interaction.

Acceptance in UrQMD



- ❖ The same acceptance as the experimental data

Results - Correlation Functions



- ❖ K^+K^+ CF show suppression at very low q_{inv} (Coulomb-dominated), and enhancement at intermediate q_{inv} (Bose-Einstein dominated);
- ❖ UrQMD+Crab consistent well with data.

Parametrization

- ❖ CF including only Quantum Statistical (QS) effect:

$$C^{(0)}(q_{inv}) = N(1 + \lambda e^{-R_G^2 q_{inv}^2})$$

- ❖ Bowler-Sinyukov^{[1][2]} method to include Coulomb effect:

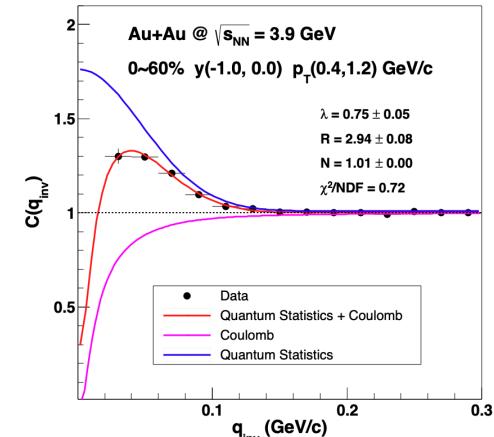
$$C(q_{inv}) = N[(1 - \lambda) + \lambda K_{coul}(q_{inv}, R_G) \left(1 + e^{-R_G^2 q_{inv}^2}\right)]$$

- λ – correlation strength; R_G - source radii

- Source function: $S(r) = \frac{\lambda}{(4\pi R_G^3)^{3/2}} e^{-\frac{r^2}{4R_G^2}}$ (Gaussian approximation)

- Coulomb factor: $K_{coul}(q_{inv}, R_G) = \int d^3r S(r) |\psi_{coul}(q_{inv}, r)|^2$ (calculated by Correlation Analysis Tools using the Schrödinger equation (CATS))

- Coulomb wave function: $\psi_{coul}(\vec{r}) = \Gamma(1 + i\eta) e^{-\frac{1}{2}\pi\eta} e^{\frac{i}{2}\vec{q}\cdot\vec{r}} F\left(-i\eta; 1; \frac{1}{2}(qr - \vec{q}\cdot\vec{r})\right)$, $\eta = \frac{\alpha\mu q_1 q_2}{k^*}$

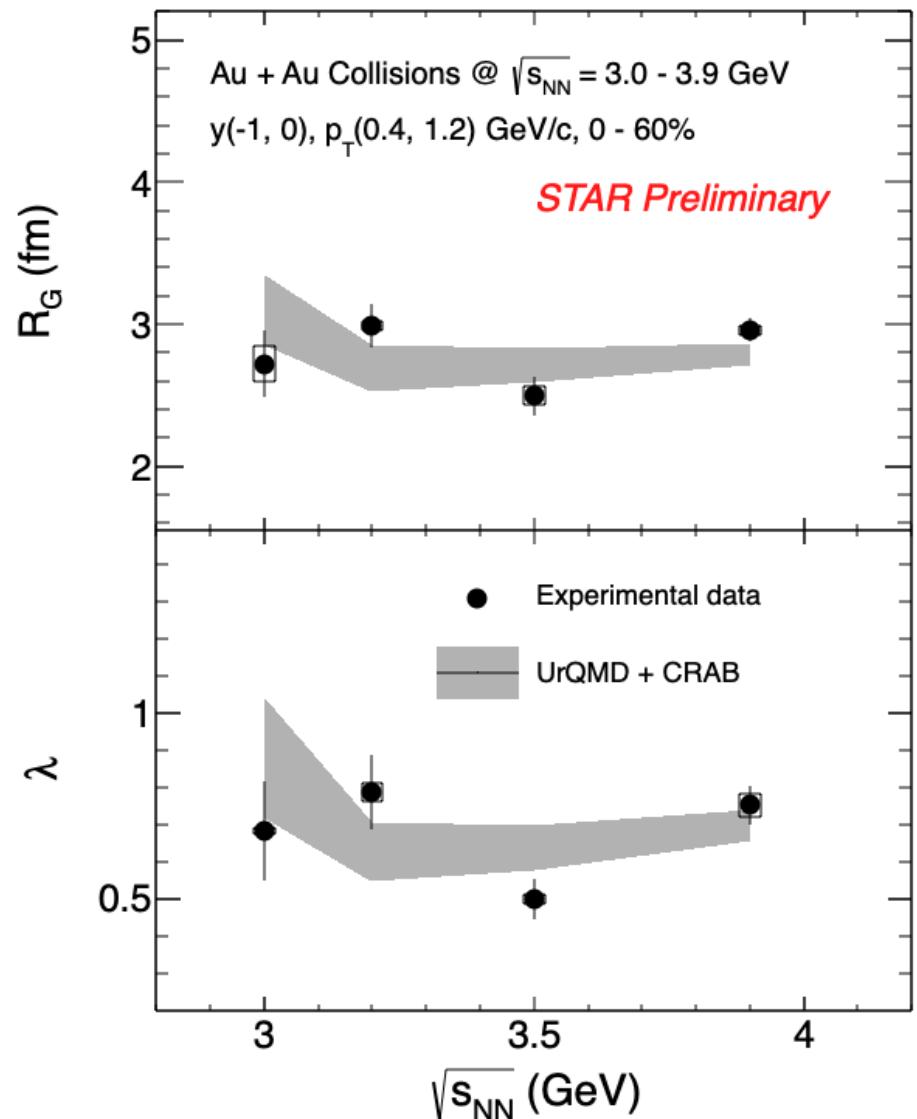


Fitting example

[1] Phys. Lett. B, 432(3-4), 248-257 (1998)

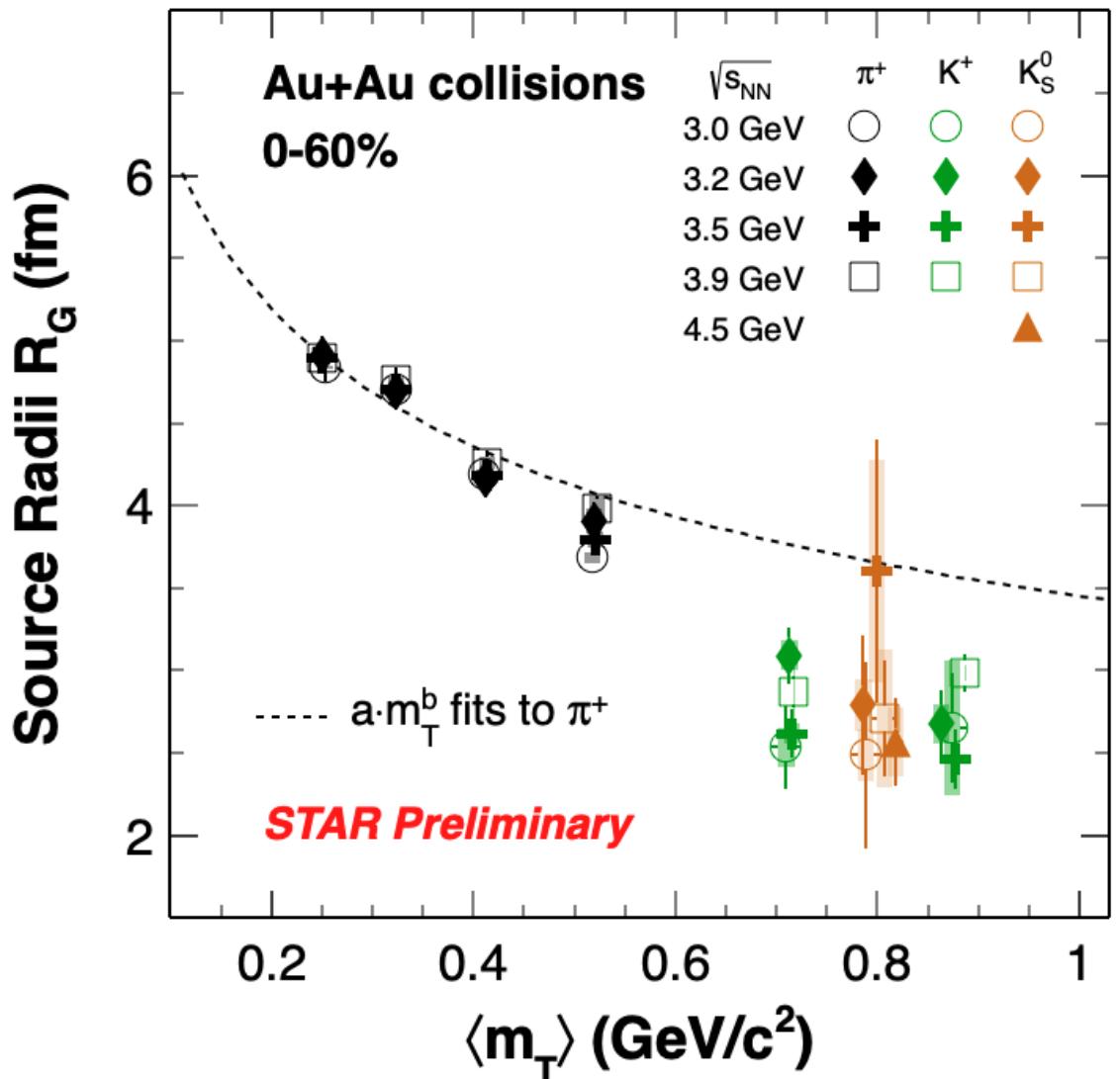
[2] Phys. Lett. B 270, 69 (1991)

Results - Parameters



- ❖ No clear energy dependence for R_G and λ ;
- ❖ Model consistent with data

m_T -scaling between kaon & pion



- ❖ R_G of kaons smaller than that of pions;
- ❖ R_G of kaons do not follow m_T - scaling of pions', implying no equilibrium amongst pions and kaons at high baryon density.

Summary and Outlook

Summary:

- ❖ First measurement of kaon femtoscopy at high baryon density
- ❖ For $\sqrt{s_{NN}} = 3.0 - 3.9 \text{ GeV}$:
 - 1) No clear energy dependence of R_G and λ
 - 2) UrQMD+Crab describe well with data
 - 3) R_G of kaons do not follow m_T - scaling of pion's, implying no equilibrium amongst pions and kaons

Outlook:

- ❖ Analysis on 3D femtoscopy using run21 3GeV data

