#### **Recent Heavy Flavor results from ATLAS**

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ATLAS

IHEP EPD seminar

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## The Large Hadron Collider

CERN Prévessin

- The largest particle collider in the world
  - 27km circumference
  - Four major experiments: CMS, LHCb, ATLAS, ALICE

LHC 27 km

#### The ATLAS detector

- General-purpose detector
- Designed in layers to observe different types of particles
- Cumulative luminosities
  - Run 2 (2015-2018):140fb<sup>-1</sup> (physics)
  - Run3 (2022-): 183fb<sup>-1</sup> (recorded)







#### The ATLAS Pixel detector



- Pixels: 3 barrel layers + 3 end-cap disks (per side)
  - Operating since 2008
- Insertable B-Layer (IBL): inserted during the first long LHC shutdown (2013-2014)
  - Operating since 2015
  - Five times better rejection of b-tagging than Run 1

#### Pixel performance in 2024

- 0.1% deadtime contribution (0.3% in 2023)
- Stable running without major issues, even with higher pile-up
  - Thanks to lots of hardware maintance, and improvements on software and firmware







#### B physics in ATLAS

- Analyses focus mostly on final states with muons
- Dedicated B-physics triggers
- Excellent track and muon identification with the goodness of the inner detector and muon spectrometer



### In this talk

- $B^0$  meson lifetime measurement
- Cross-section measurement of  $J/\psi$  and  $\psi(2S)$  mesons
- Di-charmonium resonances

ATLAS full run 2 (2015-2018) data with a luminosity of  $140 {\rm fb}^{-1}$  are used

# $B^0$ meson lifetime measurement

#### arXiv:2411.09962



## Introduction

- Studies on b-hadron lifetimes test our understanding of the weak interaction
- In the heavy-quark expansion (HQE) framework, the total decay rate  $\Gamma=1/\tau$  of a weekly decay heavy hadron  $B_a$  can be calculated by

$$\Gamma(\mathcal{B}_q) = \Gamma_3 + \delta \Gamma(\mathcal{B}_q)$$
 leading

#### Free *b*-quark decay:

free of non-perturbative uncertainties**0** Looks like the muon decay

$$\Gamma_3 \propto \frac{G_F^2 m_b^5}{192\pi^3} V_{cb}^2$$

 Quark masses are difficult to define, huge dependence on definition can be reduced by higher order **perturbative corrections**

#### **Power-suppressed terms on the HQE**:

+ suppressed with at least 2 powers of  $1/m_b \Rightarrow$  small

subleading

**0** Individual contributions are products of **perturbative** Wilson coefficients and **non-perturbative matrix elements** (determined with lattice-QCD, sum rules and/or from fits of experimental data of inclusive semi-leptonic decays -  $V_{cb}$ )

#### JHEP01(2023)004

- Predicted  $\Gamma_d = 0.63^{+0.11}_{-0.07}$  ps<sup>-1</sup>, large theoretical uncertainties due to  $m_b^5$  in  $\Gamma_3$
- Predicted  $\Gamma_d/\Gamma_s = 1.003 \pm 0.006$ , smaller uncertainties as  $\Gamma_3$  cancels out
- Lifetimes can also be used to test new physics models:

 $\Gamma(\mathscr{B}_q) = \Gamma_3^{\rm SM} + \Gamma_3^{\rm BSM} + \delta\Gamma(\mathscr{B}_q)^{\rm SM} + \delta\Gamma(\mathscr{B}_q)^{\rm BSM}$ 

#### Motivation

• Effective lifetime  $\tau_{B^0}$  measured in  $B^0 \to J/\psi K^{*0}$  is related to  $\Gamma_L$  and  $\Gamma_H$  (decay widths of light and heavy mass eigenstates of the  $B^0 - \overline{B^0}$  system:

$$\tau_{B^0} = \frac{1}{\Gamma_d} \frac{1}{1 - y^2} (\frac{1 + 2Ay + y^2}{1 + Ay})$$

 $\Gamma_d = (\Gamma_L + \Gamma_H)/2$ , average decay width

 $y = \Delta \Gamma_d / (2\Gamma_d) = (\Gamma_L - \Gamma_H) / (2\Gamma_d), \text{ normalised width difference}$ The asymmetry A depending on the amplitudes of final state  $R_L^f$  and  $R_H^f$ :  $A = \frac{R_H^f - R_L^f}{R_H^f + R_L^f}$ 

- Experimental value of  $\Gamma_d$  can be extracted with measured  $\tau_{B^0}$  and values of y and A from <u>Heavy Flavour Averaging group (HFLAV)</u>
- Decay width ratio  $\Gamma_d/\Gamma_s$  can then be calculated with ATLAS measured  $\Gamma_s = 0.6703 \pm 0.0014 (\text{stat.}) \pm 0.0018 (\text{syst.}) \text{ ps}^{-1} \text{ from } B_s^0 \rightarrow J/\psi\phi \text{ Eur. Phys. J. C 81} (2021) 342$

### **Reconstruction and selection**

- Di-muon triggers with  $J/\psi$  mass window requirement
- $B^0 \rightarrow J/\psi K^{*0}$  reconstruction:
  - $J/\psi \rightarrow \mu^+\mu^-$ : fit oppositely charged muon pairs to a common vertex,  $\chi^2/N_{dof} < 10$
  - $K^{*0} \rightarrow K^+ \pi^-$ : consider both  $K^+ \pi^-$  and  $K^- \pi^+$ , and choose the one closer to  $K^{*0}$  mass from PDG
  - $B^0$  candidate:  $J/\psi \to \mu^+\mu^-$  and  $K^{*0} \to K^+\pi^-$  are fitted to a common vertex with  $J/\psi$  mass constraint. The candidate with smallest  $\chi^2/N_{dof}$  is selected
- Primary vertex (PV) candicate: the one with smallest 3D impact parameter  $a_0$  is used
  - $a_0$ : minimum distance between PV and the line extrapolated from the reconstructed  $B^0$  vertex in the direction of  $B^0$  momentum
- For each  $B^0$  candidate, the proper decay time t is determined:

$$t = \frac{L_{xy}m_B}{p_{T_B}}$$



### Fit model

- 2-dimensional unbinned maximum-likelihood fit on  $B^0$  mass and proper decay time is performed to extract  $B^0$  lifetime:
  - Signal model:  $B^0 \to J/\psi K^{*0}$  decay
  - Background model:
    - Prompt:  $J/\psi$  from  $pp \to J/\psi X$  process combining with a random  $K^{*0}$
    - Combinatorial:  $J/\psi$  from b-hadron decay combining with a random  $K^{*0}$

$$\ln L = \sum_{i=1}^{N} w(t_i) \ln[f_{\text{sig}}\mathcal{M}_{\text{sig}}(m_i)\mathcal{T}_{\text{sig}}(t_i, \sigma_{t_i}, p_{\text{T}_i}) + (1 - f_{\text{sig}})\mathcal{M}_{\text{bkg}}(m_i)\mathcal{T}_{\text{bkg}}(t_i, \sigma_{t_i}, p_{\text{T}_i})]$$
Signal mass probility density  
function (PDF) and time PDF
$$P_{\text{sig}}(t_i | \sigma_{t_i}, p_{\text{T}_i}) = E(t', \tau_{B^0}) \otimes R(t' - t_i, \sigma_{t_i})$$
Background mass PDF and time PDF

#### Uncertainties

Source of uncertainty	Systematic uncertainty [ps]
ID alignment	0.00108
Choice of mass window	0.00104
Time efficiency	0.00130
Best-candidate selection	0.00041
Mass fit model	0.00152
Mass-time correlation	0.00229
Proper decay time fit model	0.00010
Conditional probability model	0.00070
Fit model test with pseudo-experiments	0.00002
Total	0.0035

#### Statistical uncertainty: 0.0012 ps

- Systematic uncertainty dominates
  - Mass-time correlation, the correlation between invariant mass and the proper decay time, has the largest contribution

### Mass and proper decay time

- The invariant mass and proper decay time projections of the fit
- $B^0$  signal events:  $2450500 \pm 2400$





#### Measured effective lifetime

• The measured  $B^0$  effective lifetime is:

```
\tau_B^0 = 1.5053 \pm 0.0012(stat.) \pm 0.0035(syst.) ps
```

• A consistency and stability test is performed with  $B^0$  lifetime fitted separately for each data-taking period (2015+2016, 2017 and 2018)



## Compare to previous results



- ATLAS  $B^0$  lifetime result is compitable with most of the other measurements
- Compare to the previous ATLAS results, the new measurement significantly reduces systematic uncertainty by a factor of ~4.7
  - Better vertexing after installing IBL

# $\Gamma_d$ and $\Gamma_d/\Gamma_s$

•  $\Gamma_d$  is extracted from measured  $\tau_B^0$  with input values  $2y = \Delta \Gamma_d / \Gamma_d = 0.001 \pm 0.010$  and asymmetry  $A = -0.578 \pm 0.136$  from <u>HFLAV</u>:  $\tau_{B^0} = \frac{1}{\Gamma_d} \frac{1}{1 - v^2} (\frac{1 + 2Ay + y^2}{1 + Ay})$ 

 $\Gamma_d = 0.6639 \pm 0.0005 (\text{stat.}) \pm 0.0016 (\text{syst.}) \pm 0.0038 (\text{ext.}) \text{ ps}^{-1}$ 

- 'ext.' is the uncertainty originating from the HFLAV, calculated from uncertainties of y and A (dominant)
- Compitable with the HQE prediction of  $0.63^{+0.11}_{-0.07}$  ps<sup>-1</sup>

 $\Gamma_d f = \frac{1}{s}$ 

•  $\Gamma_d/\Gamma_s$ , ratio of the average decay widths of  $B^0$  and  $B_s^0$  mesons, is also extracted:

 $\Gamma_d / \Gamma_s = 0.9905 \pm 0.0022 (\text{stat.}) \pm 0.0036 (\text{syst.}) \pm 0.0057 (\text{ext.})$ 

• In agreement with theory predictions of HQE and lattice QCD models

#### Cross-section measurement of $J/\psi$ and $\psi(2S)$ mesons

#### Eur. Phys. J. C 84 (2024) 169



## Introduction

- $J/\psi$  and  $\psi(2S)$  were discovered almost 50 years ago, but the QCD production mechanisms haven't been fully understood
  - Non-prompt production is well predicted by pQCD
  - Prompt production still needs to be understood
- Previous ATLAS measurement about  $J/\psi$  production exploited a di-muon trigger, with the high-pT reach limited mainly by the trigger performance to about 100 GeV (Run1 result: <u>Eur. Phys. J. C 76 (2016) 283</u>)
- New measurements of the  $J/\psi$  (  $\psi(2S)$  ) meson production with full run-2 data,  $140 {\rm fb}^{-1}$ 
  - Provide a much broader  $p_T$  coverage, **8-360 GeV** (**8-140 GeV**)
  - Combine di-muon trigger and single muon trigger
    - Di-muon trigger @  $p_T$  threshold of 4 GeV (2.6 fb  $^{-1}$ ), covering the region  $8 < p_T^{di-\mu} < 60~{\rm GeV}$
    - Single muon trigger @  $p_T$  threshold of 50 GeV (140 fb<sup>-1</sup>), covering the region  $60 < p_T^{di-\mu} < 360(140)$  GeV

#### Di-muon spectrum

- A 2-dimensional unbinned maximum-likelihood fit is performed on di-muon mass and pseudo-proper decay time  $\tau$  to obtain raw yields
- 34 di-muon  $p_T$  intervals and 3 |y| intervals



### Uncertainties

- A variety of sources of systematic effects are studied:
  - Fit parameterisation
  - Muon reconstruction and trigger efficiencies
  - Acceptance corrections
- For corss section measurement, systematic uncertainty dominates
  - In low pT range, systematics on trigger and muon reconstruction have a larger impact
  - In high pT range, systematic from fit model dominates



#### Uncertainties

• For non-prompt fractions and  $\psi(2S)$ -to- $J/\psi$  ratios, statistical uncertainty dominate in many bins because the systematic uncertainties partially cancel out



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#### **Cross-section measurements**

- The measured doubledifferential cross-sections of prompt and non-prompt  $J/\psi$  $(\psi(2S))$  production
  - Prompt cross-sections are slightly larger at low  $p_T$  range





### Non-prompt fraction



- Non-prompt fractions increase steadily with  $p_T$  up to 100 GeV
- Constant for both  $J/\psi$  and  $\psi(2S)$  in the high  $p_T$  range
  - Similar  $p_T$ -dependences for prompt and non-prompt cross section at high  $p_T$

## $\psi(2S)$ -to- $J/\psi$ ratio



- The production ratios of  $\psi(2S)$  relative to  $J/\psi$  for both prompt and non-prompt
  - Steadily increasing with increasing  $p_T$
  - No obvius y dependence

## Compare to theory prediction



- Generally, all the considered models show a slower-than-observed decrease of cross section with  $p_T$ 
  - Prompt: much harder  $p_T$  spectrum is predicted
  - Non-prompt: generally better at low  $p_T$ , but overestimate at high  $p_T$

### di-charmonium resonances

#### Phys. Rev. Lett. 131 (2023) 151902



## Introduction



#### Charmonium ( $c\bar{c}$ ) -like exotic hadrons

Rev. Mod. Phys. 90, 15003 (2018)

- A series of XYZ states was observed
- Lack observations of full-heavy tetraquarks which can make the theory-experiment comparison easier
  - First proposal of full-charm tetraquark (1975): <u>Prog. of Theor. Phys., Vol 54, No. 2</u>
  - The first calculation of the full-charm tetraquark mass (1981): <u>Z. Phys. C 7</u> (1981) 317
  - First observation of potential full-charm tetraquark X(6900) (2020): LHCb <u>Science</u> <u>Bulletin 65 (2020) 1983</u>

#### XYZ states:

- X: neutral particle with  $J^{PC} \neq 1^{--}$
- Y: neutral particle with  $J^{PC} = 1^{--}$
- Z: charged particle

## Signal process

• Tetraquark  $(c\bar{c}c\bar{c}) \rightarrow J/\psi + J/\psi$  or  $J/\psi + \psi(2S) \rightarrow 4\mu$ 





- How to reconstruct the  $4\mu$  candidate?
  - Find four muons with two opposite-charge pairs
  - Fit their inner detector tracks to a common vertex
  - Each pair is revertexed with a  $J/\psi$  or  $\psi(2S)$  mass constraint

## Signal process

• Tetraquark  $(c\bar{c}c\bar{c}) \rightarrow J/\psi + J/\psi$  or  $J/\psi + \psi(2S) \rightarrow 4\mu$ 



More than one candidate in the event?

The best candidate is chosen with  $\sum \chi^2 / N$  of the  $4\mu$  and di-muon vertices



- How to reconstruct the  $4\mu$  candidate?
  - Find four muons with two opposite-charge pairs
  - Fit their inner detector tracks to a common vertex
  - Each pair is revertexed with a  $J/\psi$  or  $\psi(2S)$  mass constraint

## Background sources

- Prompt backgrounds:
  - Single parton scattering (SPS): a pair of  $\psi$  mesons can be produced in a single interaction
  - Double parton scattering (DPS): a pair of  $\psi$  mesons can be produced in two separate interactions of gluons or quarks
- Non-prompt (  $b\bar{b} \rightarrow J/\psi + J/\psi(\psi(2S)) \rightarrow 4\mu$ )
- Single  $J/\psi$  background and non-peaking background containing no real  $J/\psi$  candidate (Others)
- In the di- $J/\psi$  channel, the feed-down from  $J/\psi + \psi(2S)$  channel to di- $J/\psi$  channel is treated as an additional background



## Event selections and analysis regions

- Baseline selections:
  - $p_T > 4, 4, 3, 3$  GeV and  $|\eta| < 2.5$  for the four muons
  - $J/\psi$  and  $\psi(2S)$  mass requirement
  - Vertex fit quality ( $\chi^2/N$ ) and  $L_{xy}$  requirements



**Reduce non-prompt background** 

У

Decay Vertex

Signal	Vertex cuts:	$m_{4\mu} < 7.5~{ m GeV},$ $\Delta R < 0.25~{ m between~charmonia}$		
SPS	$ L_{xy}^{di-\mu}  < 0.3 \text{ mm}$ $L_{xy}^{4\mu} < 0.2 \text{ mm}$	7.5 GeV < $m_{4\mu}$ < 12.0 GeV		
DPS	$\chi^2_{4\mu}/N < 3$	14.0 GeV < $m_{4\mu}$ < 25.0 GeV		
Non-prompt region	Reverse vertex cuts: $\chi^2_{4\mu}/N > 6$ and $ L^{di-\mu}_{xy}  > 0.4$ mm			

## Feed-down background

• In the di- $J/\psi$  channel, the feed-down from  $J/\psi + \psi(2S)$  channel to di- $J/\psi$  channel is treated as an additional background



• The normalisation is extracted with the fitted signal yields in the  $J/\psi + \psi(2S)$  channel

$$N_{\rm fd} = \frac{\mathcal{B}'\epsilon'}{\mathcal{B}\left(\psi(2S) \to \mu\mu\right)\epsilon} N$$

## Feed-down background

• In the di- $J/\psi$  channel, the feed-down from  $J/\psi + \psi(2S)$  channel to di- $J/\psi$  channel is treated as an additional background



• The normalisation is extracted with the fitted signal yields in the  $J/\psi + \psi(2S)$  channel

$$N_{\rm fd} = \underbrace{\mathcal{B}'\epsilon'}_{\mathcal{B}(\psi(2S) \to \mu\mu)\epsilon} N_{\rm signal\ eff.\ in\ J/\psi + \psi(2S)}_{\rm feed-down\ eff.\ in\ di-J/\psi}$$

$$[\mathcal{B}(\psi(2S) \to J/\psi + X) + \mathcal{B}(\psi(2S) \to \gamma\chi_{cJ})\mathcal{B}(\chi_{cJ} \to \gamma J/\psi)]\mathcal{B}(J/\psi \to \mu\mu)_{X:\ \pi^+\pi^-,\ \pi^0\pi^0,\ \eta,\ \pi^0}$$

#### Fit models

• Unbinned maximum likelihood fits are performed to extract the signal parameters (e.g. mass m, width  $\Gamma$ )

$$\mathcal{L} = \mathcal{L}_{SR}\left(\vec{\theta}, \vec{\lambda}\right) \cdot \mathcal{L}_{CR}\left(\vec{\theta}\right) \cdot \prod_{j=1}^{K} G\left(\theta_{j}^{\prime}; \theta_{j}, \sigma_{j}\right)$$

- Fit regions:
  - Fit SR:  $m_{4\mu} < 11$  GeV and  $\Delta R < 0.25$
  - Fit CR:  $m_{4\mu} < 11$  GeV and  $\Delta R \geq 0.25$
- Only systematics affecting the mass spectrum shape are included (backup)

## Fit regions in di- $J/\psi$ channel



• SPS mass shape is modelled well



- A broad structure near threshold from 6.2 to 6.8 GeV
- A narrow structure around 6.9 GeV

## Fit regions in $J/\psi + \psi(2S)$ channel



 SPS mass shape is modelled well



- A narrow structure around
   6.9 GeV
- Hint for another narrow structure around **7.2 GeV**

### Signal model

- The di- $J/\psi$  channel:
  - Model A: 3-peak signal model with interference among signals
     Resolution function

$$f_s(x) = \left| \sum_{i=0}^2 \frac{z_i}{m_i^2 - x^2 - im_i \Gamma_i(x)} \right|^2 \sqrt{1 - \frac{4m_{J/\psi}^2}{x^2}} \otimes R(\theta)$$

 Model B: 2-peak model with the first one interfering with the SPS background plus a standalone peak

$$f(x) = \left( \left| \frac{z_0}{m_0^2 - x^2 - im_0 \Gamma_0(x)} + A(x)e^{i\phi} \right|^2 + \left| \frac{z_2}{m_2^2 - x^2 - im_2 \Gamma_2(x)} \right|^2 \right) \sqrt{1 - \frac{4m_{J/\psi}^2}{x^2}} \otimes R(\theta)$$
  
phase space factor

### Signal model

- The  $J/\psi + \psi(2S)$  channel:
  - Model  $\alpha$ : the same peaks with interference observed in the di- $J/\psi$  channel also decaying into  $J/\psi + \psi(2S)$  plus a standalone peak

$$f_s(x) = \left( \left| \sum_{i=0}^2 \frac{z_i}{m_i^2 - x^2 - im_i \Gamma_i(x)} \right|^2 + \left| \frac{z_3}{m_3^2 - x^2 - im_3 \Gamma_3(x)} \right|^2 \right) \sqrt{1 - \left( \frac{m_{J/\psi} + m_{\psi(2S)}}{x} \right)^2} \otimes R(\theta)$$

• Model  $\beta$ : only one single peak

#### Fit results in di- $J/\psi$ channel



- Two signal models are tested:
  - Model A: three interfering signal peaks
  - Model B: two signal peaks
- The peak around 6.9 GeV is consistent with the LHCb observed X(6900) (<u>Science Bulletin 65</u> (2020) 1983), with significance far above 5σ



#### Fit results in $J/\psi + \psi(2S)$ channel





- Model  $\alpha$ : the same peaks observed in the di- $J/\psi$  channel also decaying into  $J/\psi + \psi(2S)$  plus a standalone peak.
- **Model**  $\beta$ : only one signal peak
- The signal significance is 4.7σ (4.3σ) for model α (β). The significance of the 2nd peak (7.2 GeV) reaches
   3.0σ, also hinted by LHCb and CMS (Phys.Rev.Lett. 132 (2024) 11, 111901) in the di-J/ψ spectrum

$J/\psi + \psi(2S)$	model $\alpha$	model $\beta$
<i>m</i> <sub>3</sub>	$7.22 \pm 0.03^{+0.01}_{-0.04}$	$6.96 \pm 0.05 \pm 0.03$
$\Gamma_3$	$0.09 \pm 0.06^{+0.06}_{-0.05}$	$0.51 \pm 0.17 ^{+0.11}_{-0.10}$
$\Delta s/s$	$\pm 21\%^{+25\%}_{-15\%}$	$\pm 20\% \pm 12\%$

#### Summary

- Recent results in heavy flavour physics by ATLAS with full Run 2 data are presented:
  - $B^0 \rightarrow J/\psi K^{*0}$  lifetime measurement
  - Measurement of  $J/\psi$  and  $\psi(2S)$  differential cross-section
  - Search for di-charmonium excesses in four-muon final state
- Cover a broad spectrum of the most interesting topics
- New measurements with the Run 2 and Run 3 data are ongoing: stay tuned!

#### Thanks

#### The ATLAS Pixel detector

#### **Barrel and Disk**

- Three barrel layers, radii 50.5, 88.5, 122.5 mm
  - Innermost layer known as B-Layer
  - Active area:  $1.45m^2$
  - Readout channels: 67M
- Three end-cap disks (per side)
  - Active area:  $0.28m^2$
  - Readout channels: 13M
- Operating since 2008



#### Module

- 16 FE-I3 chips with 250nm CMOS + 1 Module Control Chip
- 1 Planar n-in-n sensor,  $250\mu m$  thick
- Radiation hard: 50 Mrad,  $\sim 1 \times 10^{15} n_{eq}$  cm<sup>-2</sup>

#### The insertable B-Layer

- Insertable B-Layer (IBL) was inserted during the first long LHC shutdown (2013-2014),
  - 14 staves, each at radius 33.5mm
  - Active area:  $0.15m^2$
  - Readout channels: 12M
- Operating since 2015
- Five times better rejection of b-tagging than Run 1

#### Module

- FE-I4 in 130 nm CMOS
- $200\mu m$  thick for planar sensor and  $230\mu m$  for 3D sensors
- Radiation hard: 250 Mrad, ~ $2 \times 10^{15} n_{\rm eq} {\rm ~cm}^{-2}$





# $B^0$ meson lifetime measurement: PDFs

- Mass PDFs
  - Signal: Johnson  $S_U$ -distribution

$$\mathcal{M}_{\text{sig}}(m_i) = \frac{\delta}{\lambda \sqrt{2\pi} \sqrt{1 + \left(\frac{m_i - \mu}{\lambda}\right)^2}} \exp\left[-\frac{1}{2}\left(\gamma + \delta \sinh^{-1}\left(\frac{m_i - \mu}{\lambda}\right)\right)^2\right]$$

• Background: polynomial + sigmoid function

$$\mathcal{M}_{\text{bkg}}(m_i) = f_{\text{poly}}(1 + p_0 \cdot m_i) + (1 - f_{\text{poly}}) \left(1 - \frac{s(m_i - m_0)}{\sqrt{1 + (s(m_i - m_0))^2}}\right)$$

- Proper decay time PDFs (resolution functions applied)
  - Signal: exponential function  $R(t' t_i, \sigma_{t_i}) = \sum_{k=1}^{3} f_{\text{res}}^{(k)} \frac{1}{\sqrt{2\pi} S^{(k)} \sigma_{t_i}} \exp\left(\frac{-(t' t_i)^2}{2(S^{(k)} \sigma_{t_i})^2}\right)$

$$P_{\text{sig}}(t_i | \sigma_{t_i}, p_{\text{T}_i}) = E(t', \tau_{B^0}) \otimes R(t' - t_i, \sigma_{t_i})$$
$$E(t, \tau_{B^0}) = (1/\tau_{B^0}) \exp(-t/\tau_{B^0}) \text{ for } t \ge 0.$$

• Background:

$$P_{\text{bkg}}(t_i | \sigma_{t_i}, p_{\text{T}_i}) = \left( f_{\text{prompt}} \cdot \delta_{\text{Dirac}}(t') + (1 - f_{\text{prompt}}) \sum_{k=1}^3 b_k \prod_{l=1}^{k-1} (1 - b_l) E(t', \tau_{\text{bkg}_k}) \right) \otimes R(t' - t_i, \sigma_{t_i})$$

#### Cross-section measurement of $J/\psi$ and $\psi(2S)$ mesons: PDFs

- Mass
  - $J/\psi(\psi(2S))$ : Gaussian and Crystal Ball
  - Prompt background: Bernstein polynomials
  - Non-prompt background: Exponential

#### Cross-section measurement of $J/\psi$ and $\psi(2S)$ mesons

- Spin alignment corrections. Here only show  $J/\psi$  differential cross-section and non-prompt production fraction. But were found to be essentially the same for  $J/\psi$  and  $\psi(2S)$ , for the prompt and non-prompt production mechanisms, and also for the three rapidity regions
- Potential bias due to the spinalignment assumption at 60GeV causes a step in the  $J/\psi$  non-prompt production at the same point





## Compare to theory prediction: prompt



- Non-relativistic QCD approach at next-to-leading order (NLO NRQCD) —> overestimate at high  $p_T$
- NRQCD + transverse degrees of freedom of the initial gluons in the colliding protons ( $k_T$  -factorisation model) —> underestimate at low  $p_T$
- Improved Colour Evaporation Model (ICEM) —> harder  $p_T$  prediction for both  $J/\psi$  and  $\psi(2S)$  and underestimate  $\psi(2S)$  at low  $p_T$

## Compare to theory prediction: non-prompt



- Fixed-order-next-to-leading-log (FONLL) QCD —> good agreement at low  $p_T$ , but overestimate  $J/\psi$  at high  $p_T$
- General-mass-variable-flavour- number scheme (GM-VFNS) -> similar results as FONLL
- NRQCD model with  $k_T$ -factorisation -> underestimate  $\psi(2S)$  at low  $p_T$

## Introduction

• The quark model was proposed by Gell-Mann and Zweig sixty years ago



• Exotic hadrons were predicted at the same time as conventional  $q\bar{q}$  mesons and qqq baryons.



Signal region	Control region	Non-prompt region
Di-muon or tri-muon triggers, oppositely charged muons from each charmonium,		
<i>loose</i> muons, $p_T^{1,2,3,4} > 4, 4, 3, 3$ GeV and $ \eta_{1,2,3,4}  < 2.5$ for the four muons,		
$m_{J/\psi} \in [2.94, 3.25]$ GeV, or $m_{\psi(2S)} \in [3.56, 3.80]$ GeV,		
Loose vertex requirements $\chi^2_{4\mu}/N < 40 \ (N = 5)$ and $\chi^2_{di-\mu}/N < 100 \ (N = 2)$ ,		
Vertex $\chi^2_{4\mu}/N < 3$ , $L^{4\mu}_{xy} < 0.2$ m	m, $ L_{xy}^{\text{di-}\mu}  < 0.3 \text{ mm}, m_{4\mu} < 11 \text{ GeV},$	Vertex $\chi^2_{4\mu}/N > 6$ ,
$\Delta R < 0.25$ between charmonia	$\Delta R \ge 0.25$ between charmonia	or $ L_{xy}^{\text{di-}\mu}  > 0.4 \text{ mm}$

#### **Pseudo-proper decay time**

 $\tau = L_{xy} m(\mu \mu) / p_{\rm T}(\mu \mu)$ , where  $L_{xy} \equiv \mathbf{L} \cdot \mathbf{p}_{\rm T}(\mu \mu) / p_{\rm T}(\mu \mu)$ 



53



Figure 4: The 4 $\mu$  mass spectrum within [7.5, 24.5] GeV and without the  $\Delta R$  requirement (a),  $p_T$  of the di-charmonium in the SPS control region with 7.5 GeV  $< m_{4\mu} < 12.0$  GeV (b), and  $\Delta \eta$  between the charmonia in the DPS control region with 14.0 GeV  $< m_{4\mu} < 24.5$  GeV (c), in the di- $J/\psi$  channel.



Figure 5: The 4 $\mu$  mass spectrum within [7.5, 24.5] GeV and without the  $\Delta R$  requirement (a),  $p_T$  of the di-charmonium in the SPS control region with 7.5 GeV  $< m_{4\mu} < 12.0$  GeV (b), and  $\Delta \eta$  between the charmonia in the DPS control region with 14.0 GeV  $< m_{4\mu} < 24.5$  GeV (c), in the  $J/\psi + \psi(2S)$  channel.

• Unbinned maximum likelihood fits are performed

$$\mathcal{L} = \mathcal{L}_{SR}\left(\vec{\alpha}, \vec{\beta}\right) \cdot \mathcal{L}_{CR}\left(\vec{\alpha}\right) \cdot \prod_{j=1}^{K} G\left(\alpha_{j}'; \alpha_{j}, \sigma_{j}\right)$$

- Fit regions:
  - Fit signal region (SR):  $m_{4\mu}^{\rm CON} < 11$  GeV and  $\Delta R < 0.25$
  - Fit control region (CR):  $m_{4\mu}^{\rm CON} < 11~{\rm GeV}$  and  $\Delta R \ge 0.25$
- The signal probability density function consists of several interfering S-wave Breit-Wigner (BW) resonances multiplied with a phase space factor and convolved with a mass resolution function.

$$\mathbf{di} - \mathbf{J}/\boldsymbol{\psi}: \ f_{s}(x) = \left|\sum_{i=0}^{2} \frac{z_{i}}{m_{i}^{2} - x^{2} - im_{i}\Gamma_{i}(x)}\right|^{2} \sqrt{1 - \frac{4m_{J/\psi}^{2}}{x^{2}}} \otimes R(\alpha) \qquad BW(x; m_{0}, \Gamma_{0}) = \frac{1}{m_{0}^{2} - x^{2} - im_{0}\Gamma(x)} = \frac{1}{m_{0}^{2} - x^{2} - im_{0}\Gamma(x)} = \frac{1}{m_{0}^{2} - x^{2} - im_{0}\Gamma(x)} \sqrt{\frac{x^{2} - 4m_{J/\psi}^{2}}{m_{0}^{2} - 4m_{J/\psi}^{2}}}.$$

$$I/\boldsymbol{\psi} + \boldsymbol{\psi}(2S): f_{s}(x) = \left(\left|\sum_{i=0}^{2} \frac{z_{i}}{m_{i}^{2} - x^{2} - im_{i}\Gamma_{i}(x)}\right|^{2} + \left|\frac{z_{3}}{m_{3}^{2} - x^{2} - im_{3}\Gamma_{3}(x)}\right|^{2}\right) \sqrt{1 - \left(\frac{m_{J/\psi} + m_{\psi}(2S)}{x}\right)^{2}} \otimes R(\alpha) \qquad \Gamma_{3}(x) = \Gamma_{3}\frac{m_{3}}{x}\sqrt{\frac{x^{2} - (m_{J/\psi} + m_{\psi}(2S))^{2}}{m_{3}^{2} - (m_{J/\psi} + m_{\psi}(2S))^{2}}}.$$

#### Systematic uncertainties

	Uncertainties (I
<ul> <li>Only systematics affecting the mass spectrum shape are relevant</li> </ul>	Uncertainties (I Muon calibrat SPS model para SPS di-charmoni Background MC sa Mass resolut
	Fit bias
	Shape inconsist Transfer fact
	Presence of 4th re

Systematic	di- $J/\psi$		$\int J/\psi$ +	$\psi(2S)$
Uncertainties (MeV)	$m_2$	$\Gamma_2$	<i>m</i> <sub>3</sub>	$\Gamma_3$
Muon calibration	±6	±7	<1	$\pm 1$
SPS model parameter	±7	±7	<	:1
SPS di-charmonium $p_{\rm T}$	±7	$\pm 8$	<1	
Background MC sample size	±7	$\pm 8$	±1	<1
Mass resolution	±4	-3	-1	+2 -4
Fit bias	-13	+10	+9 -10	+50 -16
Shape inconsistency	<1		±4	±6
Transfer factor			±5	±23
Presence of 4th resonance	<1		_	
Feed-down	+4 -1	+6 -2	_	
Interference of 4th resonance		_	-32	-11
P and D-wave BW	+9	+19	<1	±1
$\Delta R$ and muon $p_{\rm T}$ requirements	+3 -2	+6 -4	+1 -2	-2
Lower resonance shape			+3 -7	+31 -34

#### X(6900) from LHCb

• At June 2020, LHCb claimed evidence for a narrow resonance in the di-J/Psi to 4 muons spectrum at **6.9 GeV**, presumably coming from 4-charm quark state.



#### arXiv:2006.16957

LHCb model I: no interference	$m[X(6900)] = 6905 \pm 11 \pm 7 \text{MeV}/c^2$ $\Gamma[X(6900)] = 80 \pm 19 \pm 33 \text{MeV}$
LHCb model II: interference	$m[X(6900)] = 6886 \pm 11 \pm 11 \text{ MeV}/c^2$ $\Gamma[X(6900)] = 168 \pm 33 \pm 69 \text{ MeV}$

### HL-LHC

LHC / HL-LHC Plan

000



2000

1500

1000

500

0

LARGE HADRON COLLIDER

5

4

3

2

1

0

2028

SS

2030

LS4

S5

\_

YETS 15 weeks

YETS 19 weeks

2032 2034 2036 2038 2040 2042

Year